



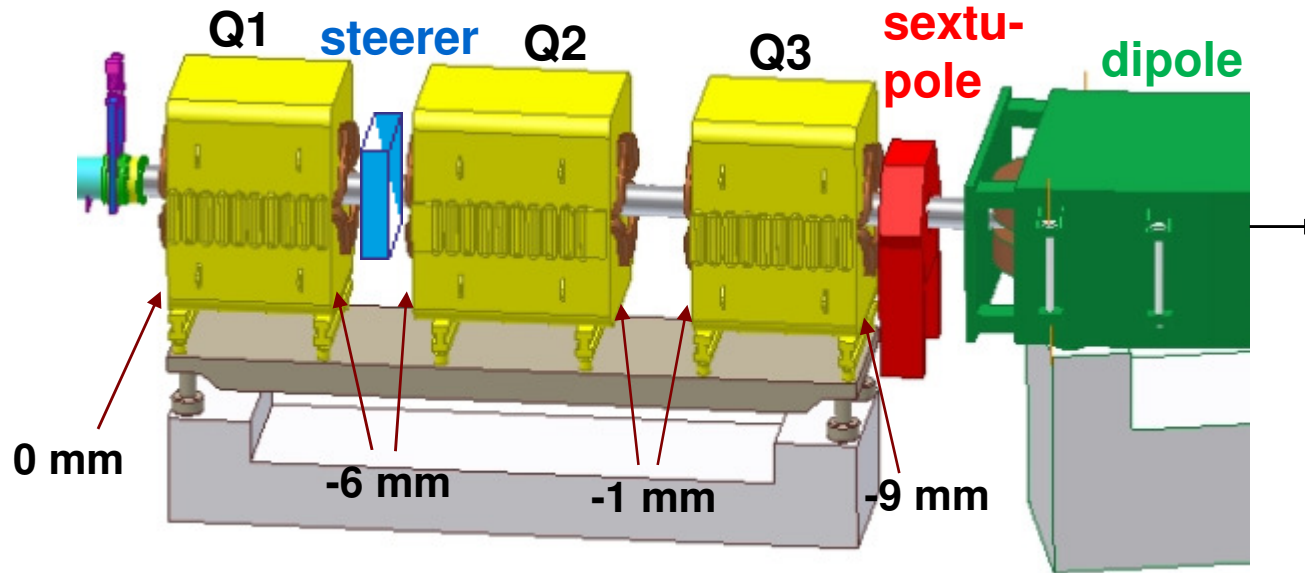
FRS Ion-Optics Corrections, Degrader Scans

Helmut Weick

6th expert meeting on fragment separators
Grand Rapids, 30th Aug 2016

- ❖ **Influence of Neighboring Magnets**
- ❖ **Sextupole Correction**
- ❖ **Correction in High-Dispersion Mode**
- ❖ **Scanner Setup**
- ❖ **Results for Degraders and Target Wheel**
- ❖ **Gas Degrader**

Influence of Neighboring Magnets - shortening of effective lengths -



$L_{\text{eff}} = 1.046$ or 1.246m (at low B , shorter when close to 1T),
shortening of L_{eff} was measured in combined triplet setup.

Set polynomials for $I(B'L)$ are based on mapper data for magnets standing alone (I =current, $B'L$ = integral of B/G_0 along axis).

We sent directly $B'L$ values to GSI accelerator control system, but in the polynomials a longer quadrupole is assumed.

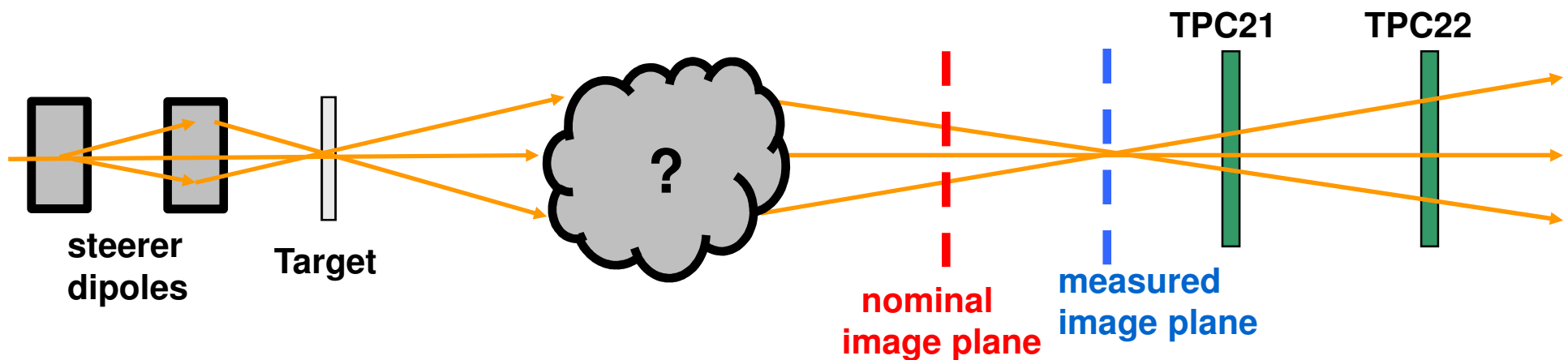
→ We must increase field strength to preserve the integral.

Test method:

Vary initial angle of beam on target



Calculate dipole or steerer setting to change the angle of the beam before target, but not the position.



X angles: $A_0 = 0, -5.0, +5.0$ mrad

Y angles: $B_0 = 0, -2.25, +2.5$ mrad

Measure positions at S2 (midplane) and S4 (end) with two detectors
--> position and angle

Determine matrix coefficients

--> shift of image plane

Standard mode RUN81-TA2B-220cm

$$\Delta f_x = - (X,A) / (A,A)$$

TA-S2:

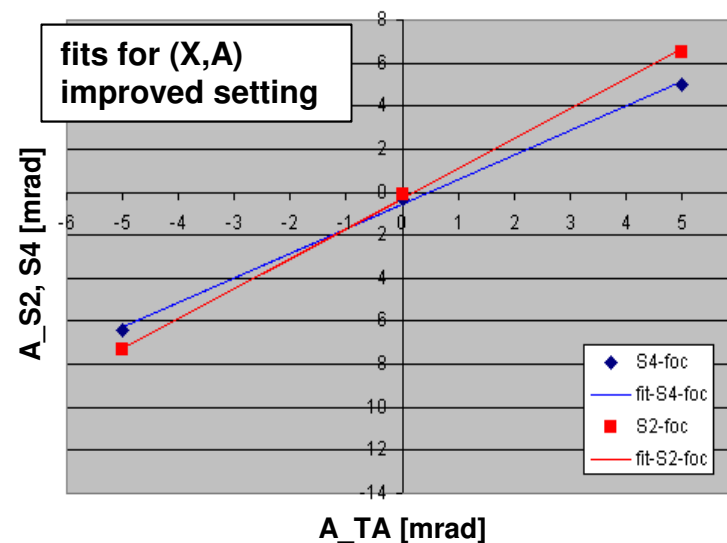
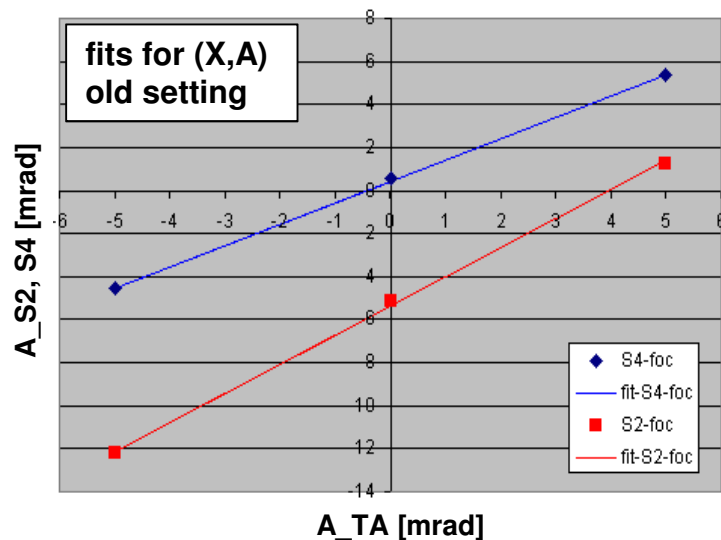
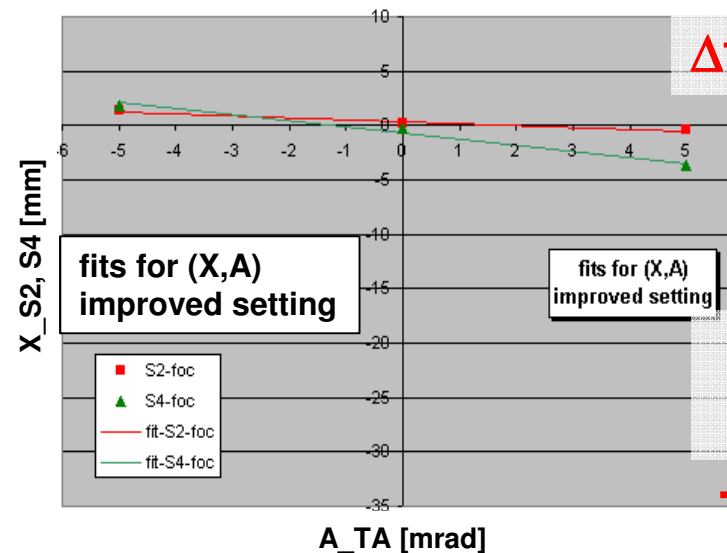
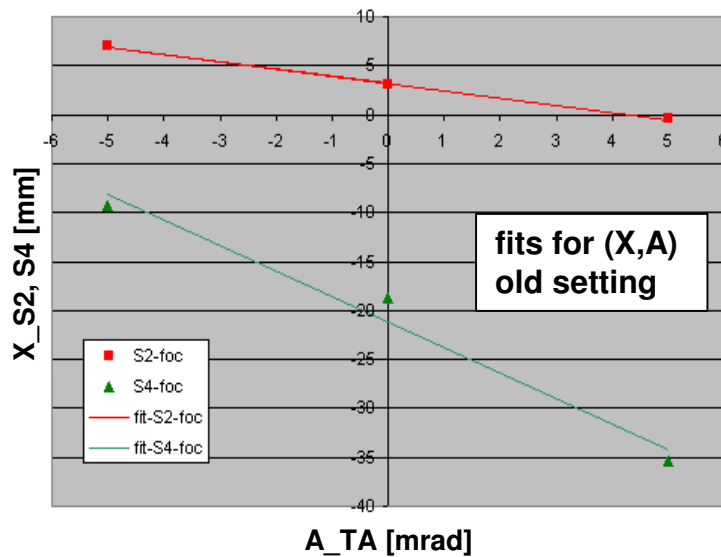
$$\Delta f_x = 0.55 \rightarrow 0.13m$$

TA-S4:

$$\Delta f_x = 2.6 \rightarrow 0.5m$$

TA-S4 simulation

$$\Delta f_x = 1.5 \rightarrow 0.0m$$



Same in Y Direction

Standard mode RUN81-TA2B-220cm

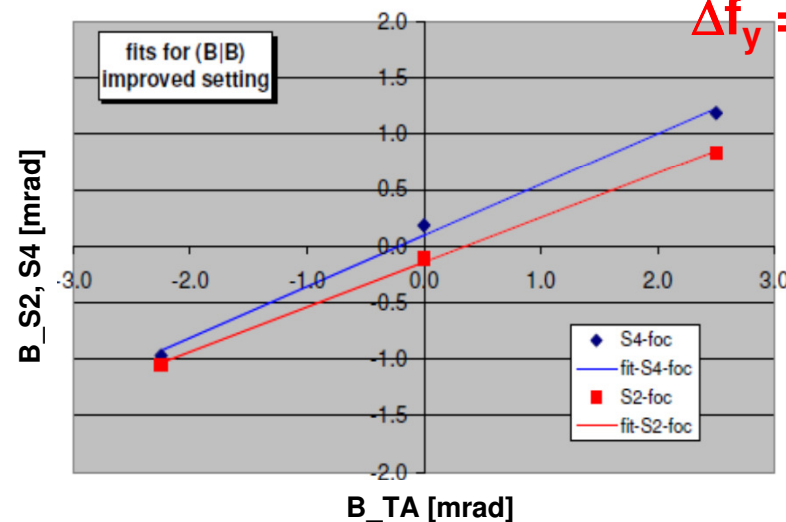
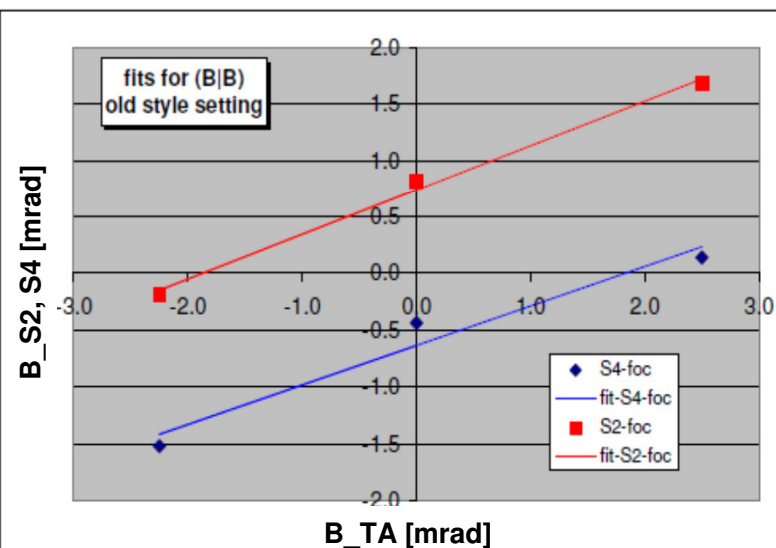
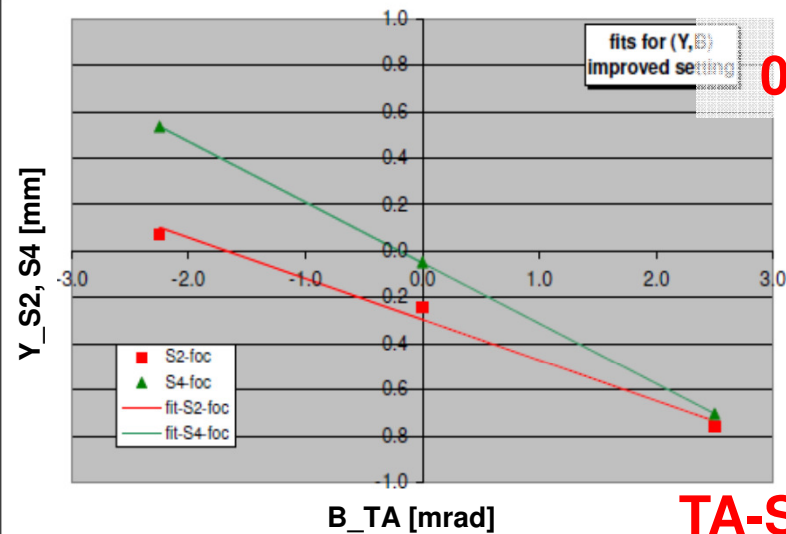
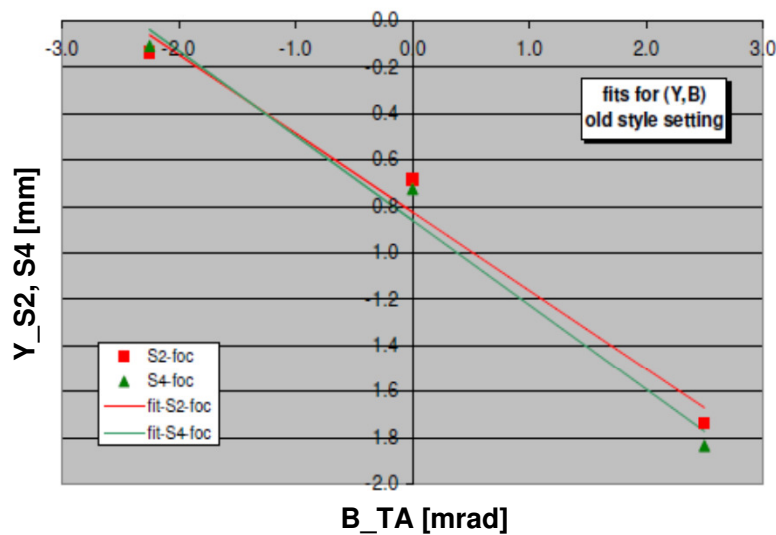
$$\Delta f_y = - (Y,B) / (B,B)$$

TA-S2: $\Delta f_y = 0.85 \rightarrow 0.45m$

TA-S4: $\Delta f_y = 1.1 \rightarrow 0.58m$

TA-S4 simulation

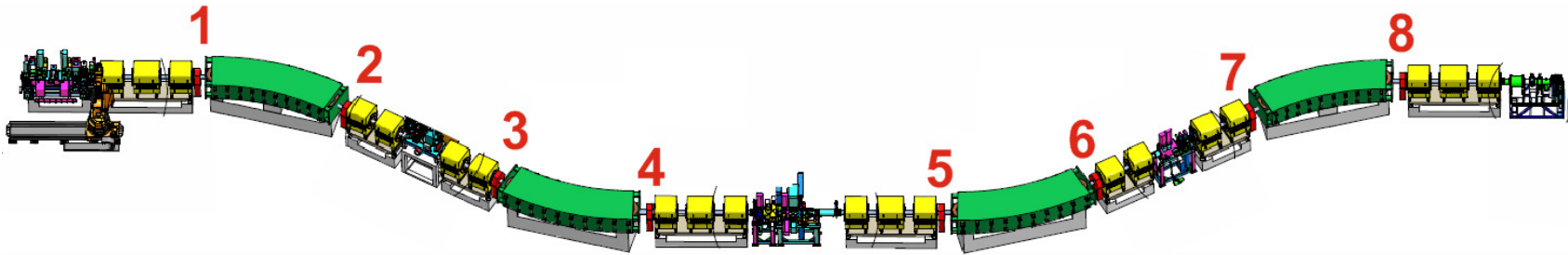
$\Delta f_y = 0.2 \rightarrow 0.0 m$



Sextupole Correction

Understand correct sextupole settings and find good setting for future experiments

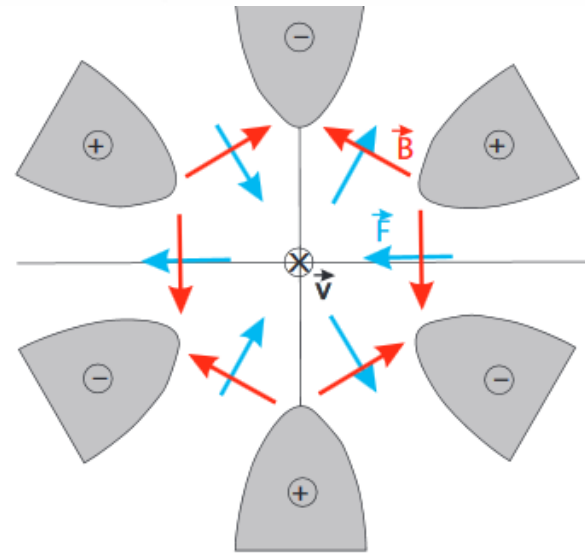
- 1.) Apply value to all 8 single sextupoles and check effect -> calibration, sign, L_{eff}
- 2.) Use combination of sextupoles for correction of (X,AD) and (X,AA)
consider also intrinsic sextupole components and adjust correction
- 3.) Correction for high dispersion mode



In GSI control program
 $B''L > 0$ for south pole on top

$$B''L = -2 B_0 / G_0^2 * L_{\text{eff}}$$

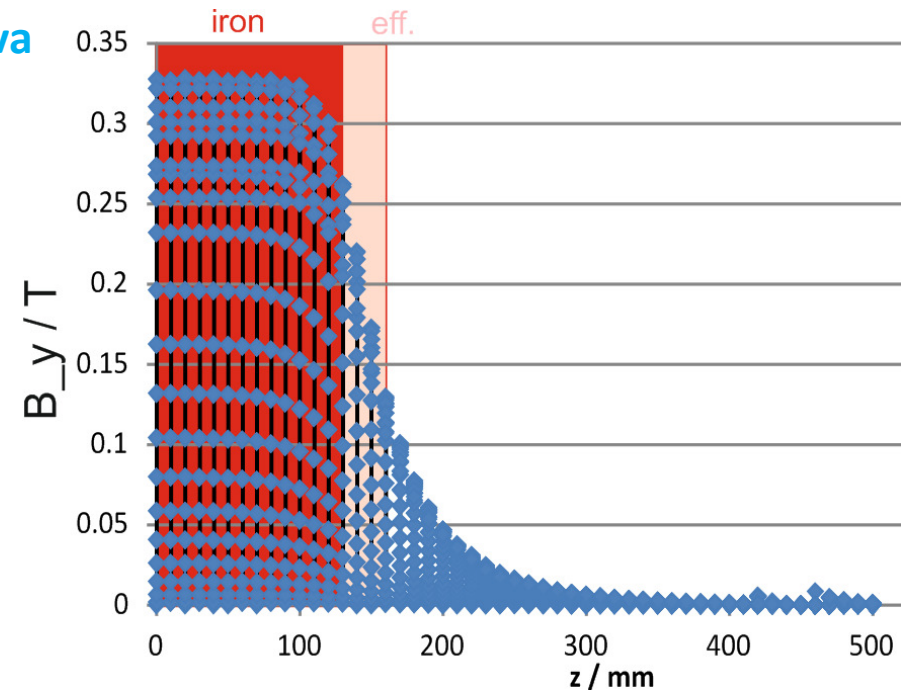
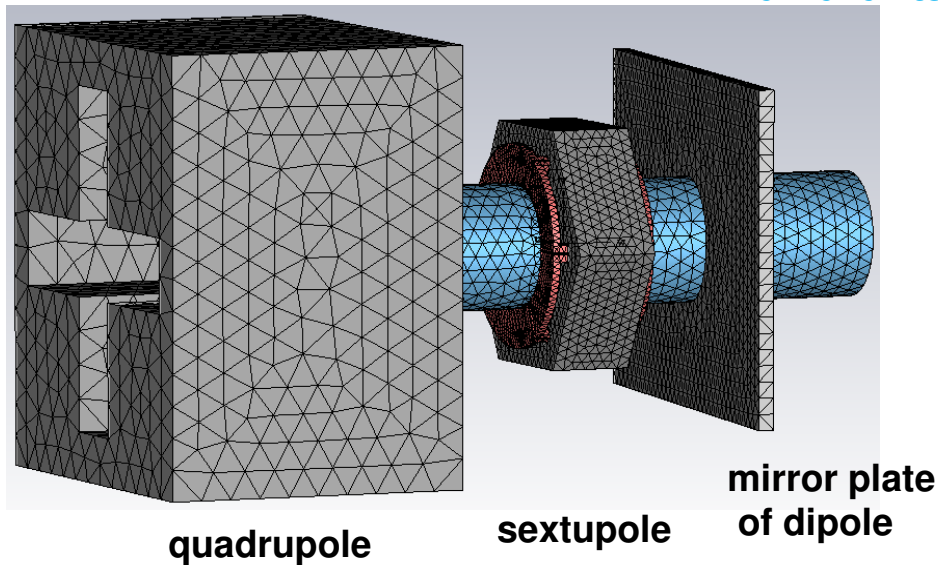
$$(A, XX)_{\text{sext.}} = -B''L / 2 B\rho$$



(A|XX)=R211 > 0 (for q>0 particles),
 B is negative in GICOSY

FEM Simulation for Effective Length

Erika Kazantseva



$L_{\text{geometric}} = 260 \text{ mm}$

$L_{\text{eff}} (\text{alone}) = 330 \text{ mm (measured)}$

$L_{\text{eff}} (\text{comb.}) = 319 \text{ mm (calculated)}$

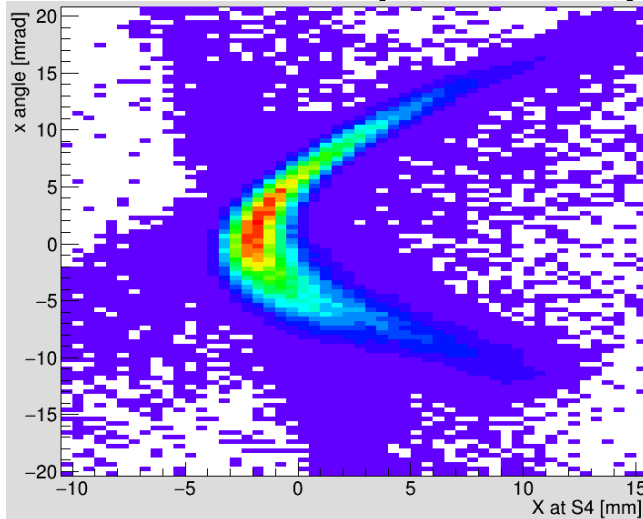
old combined measurement found again

→ $L_{\text{eff}} = 330 \text{ mm} - 11 \text{ mm} - ?$ (only one side tested).

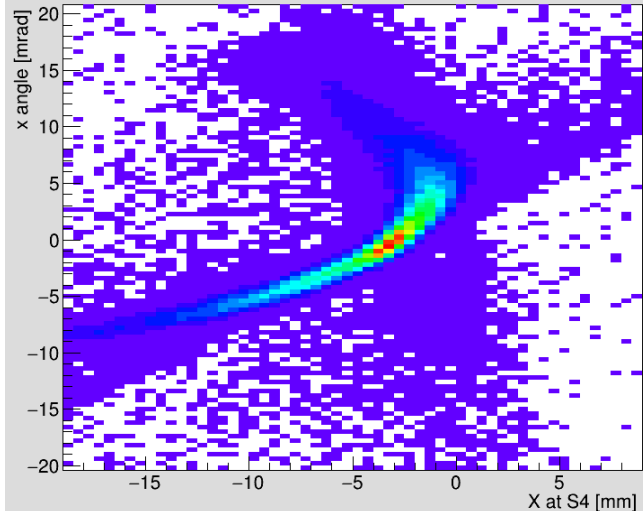
Effect of Single Sextupoles

Standard mode with Ta-6045 mg/cm² target in 600 MeV/u ¹²C beam (Bp=7.88 Tm)

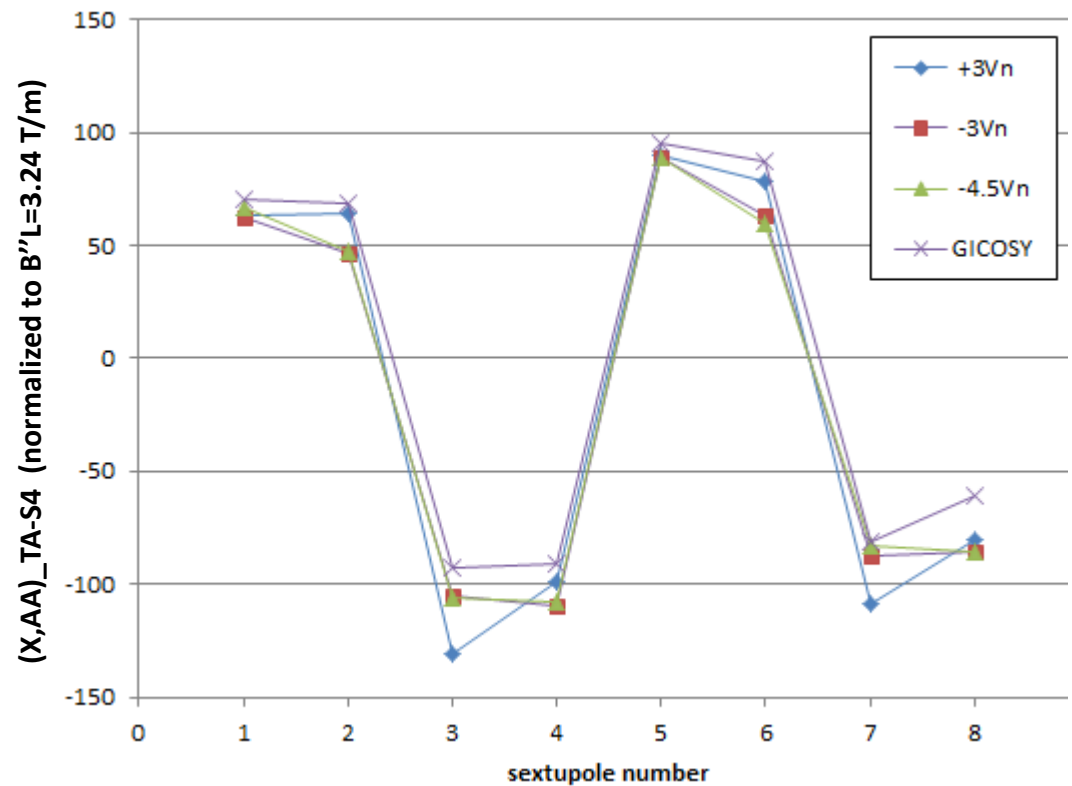
#3 TS3KS2 = +3V (B''L = 3.24 T/m)



#4 TS3KS3 = +3V



Fit parabola into phase space and compute (X,AA).
Comparison of effect of single sextupoles at
different strength but normalized to B''L = 3.24 T/m.

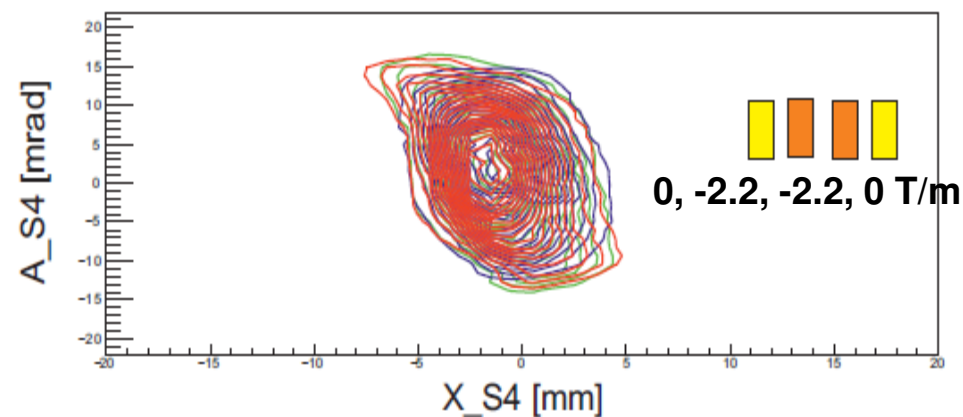
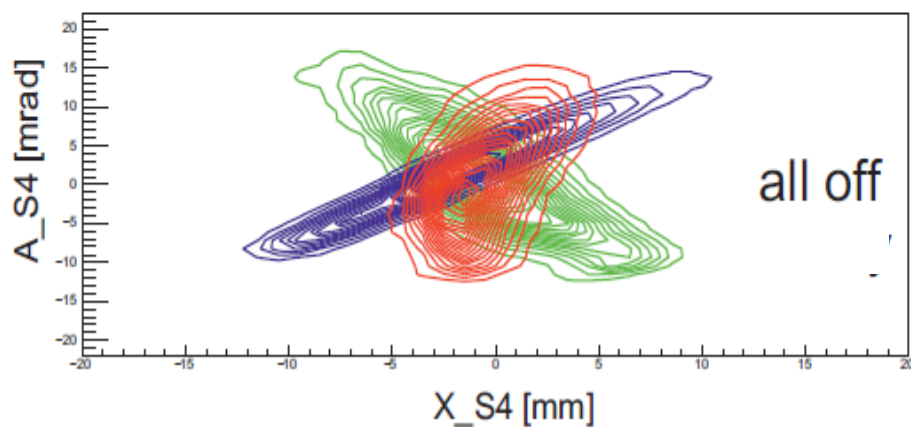
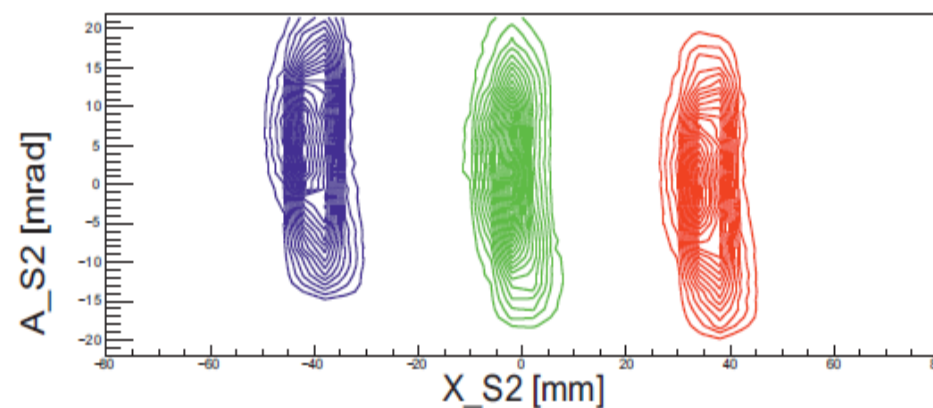
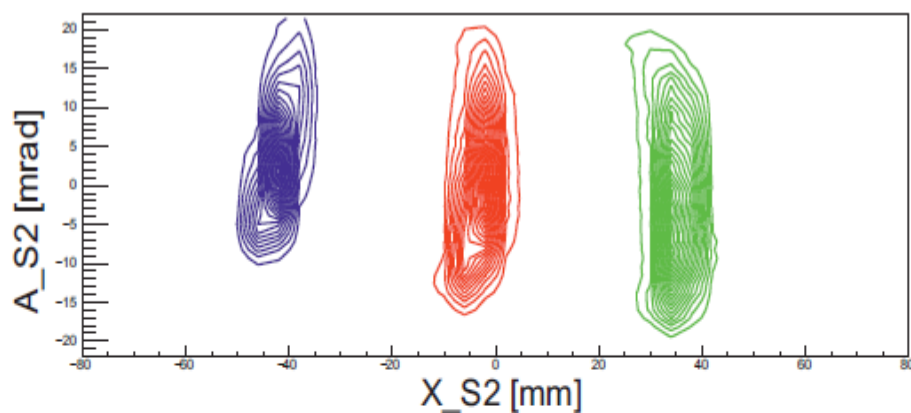
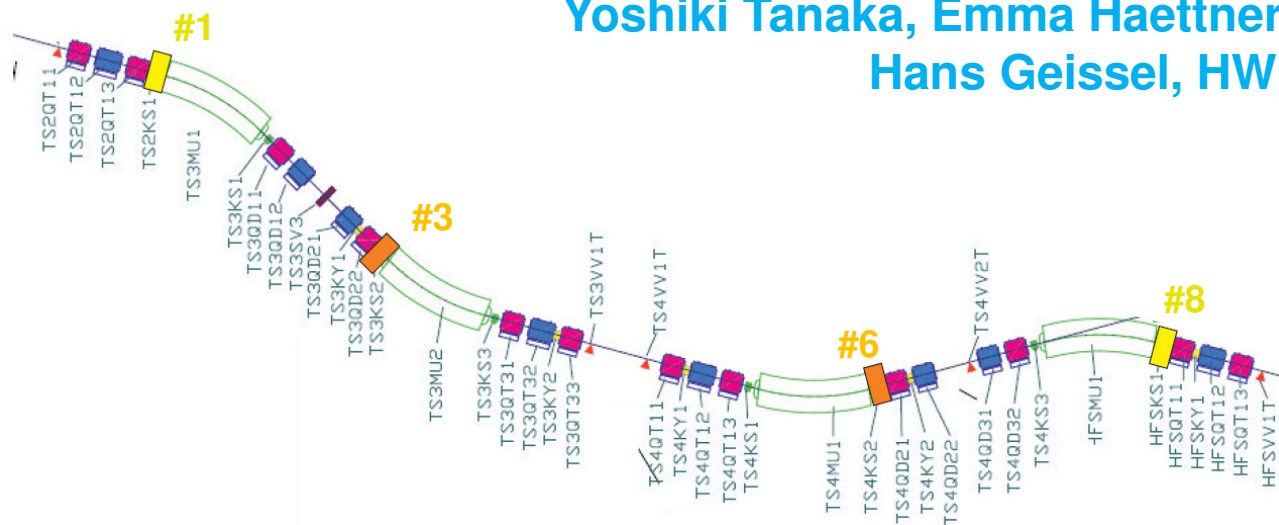


→ agreement with L_{eff} = 310 – 340 mm

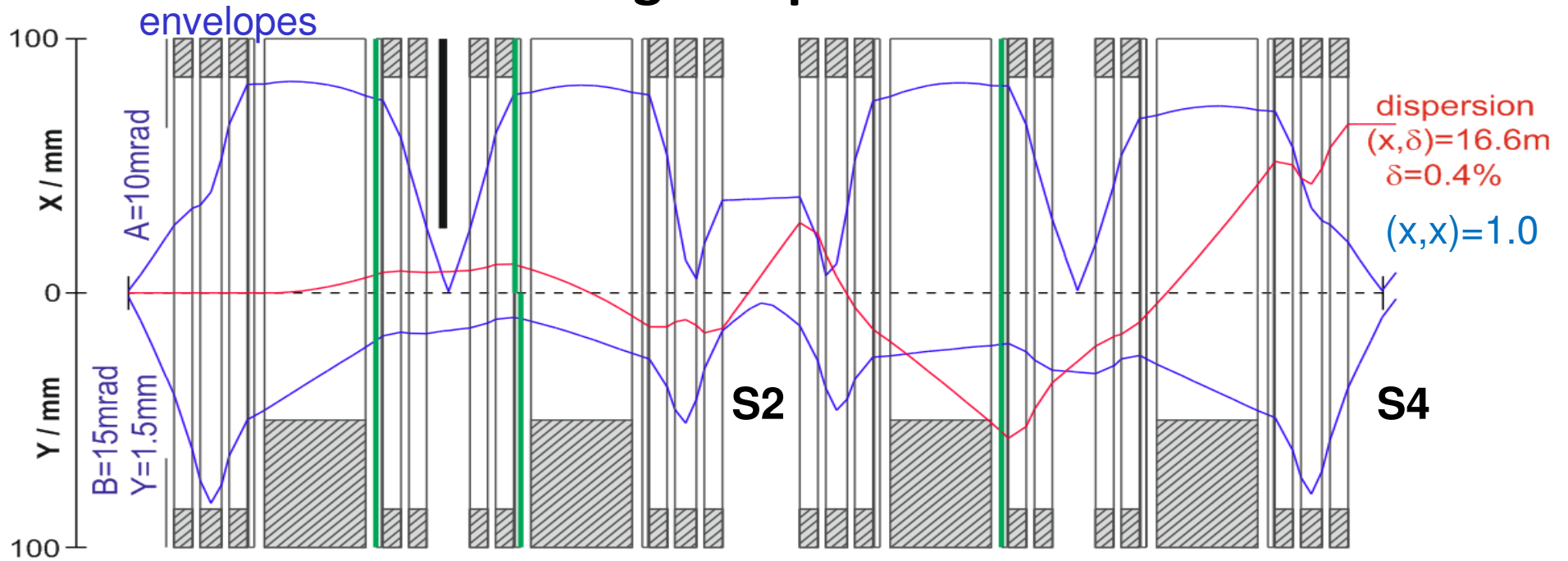
Standard Mode Correction

Ta-6045 mg/cm² target
in 600 MeV/u ¹²C beam,
FRS scaled by $\pm 0.6\%$

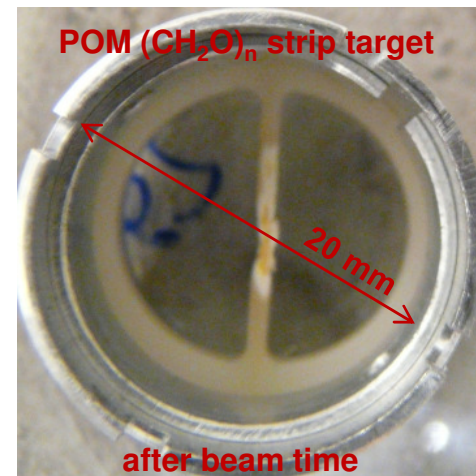
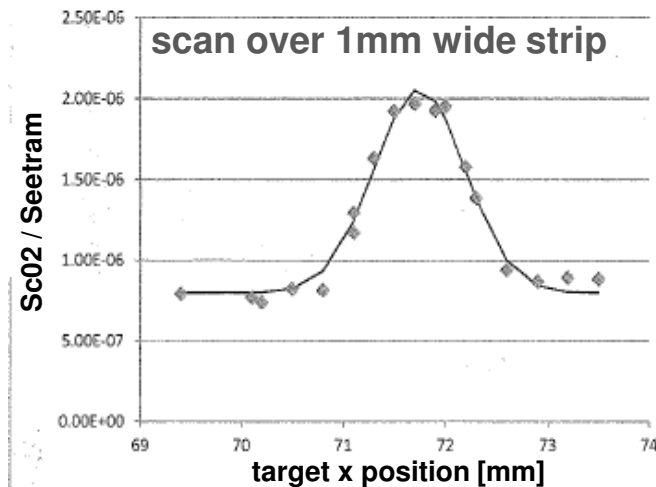
Yoshiki Tanaka, Emma Haettner,
Hans Geissel, HW



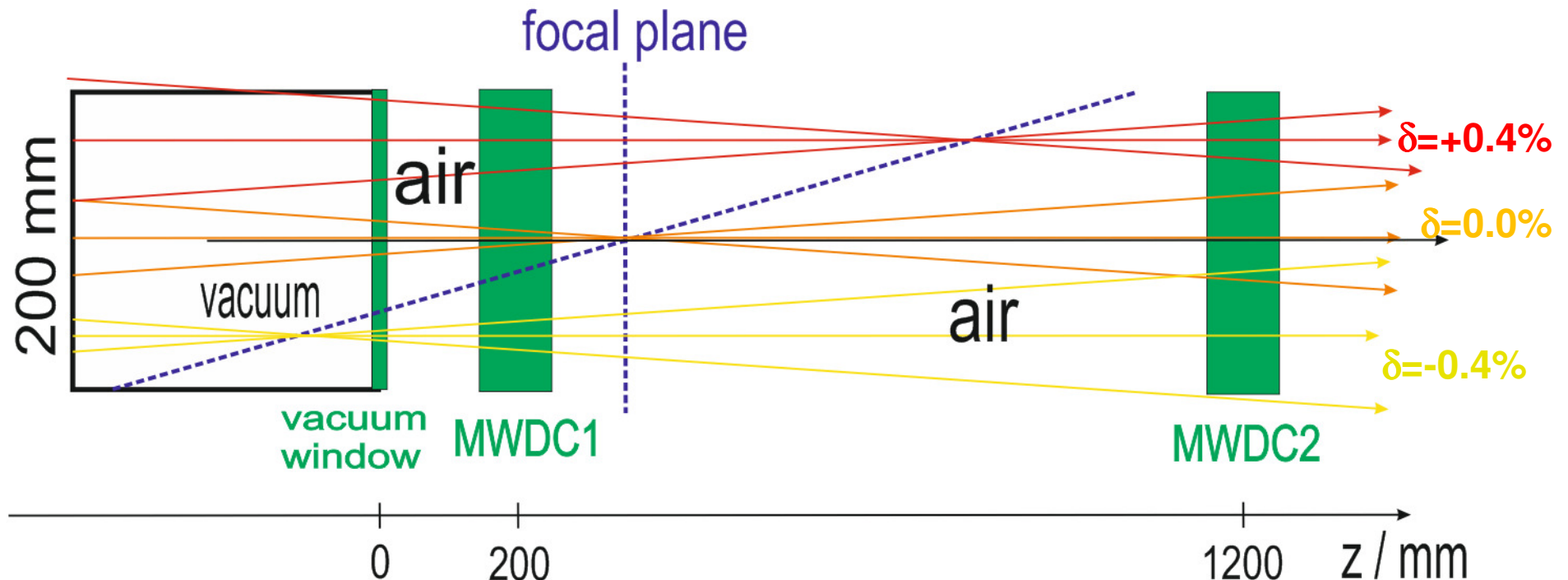
FRS - High Dispersion Mode



Two images near center to sum up dispersion of both halves.
 Spot size achieved for proton beam: $\Delta X_{\text{FWHM}} = 0.80 \text{ mm} \Rightarrow R = 20\,000$



Detector Setup at S4 in S436 Experiment



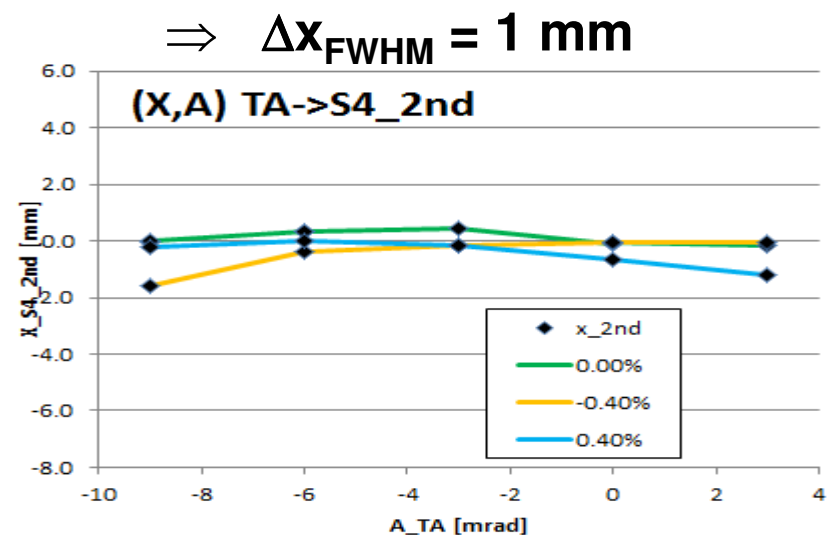
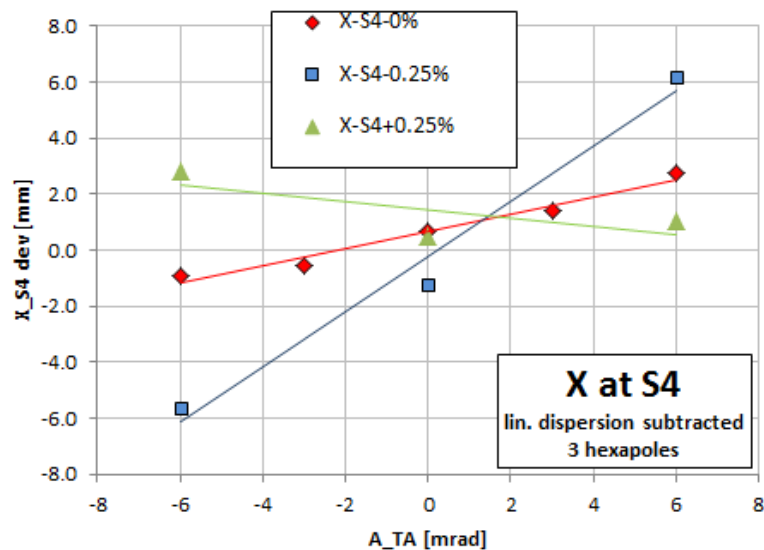
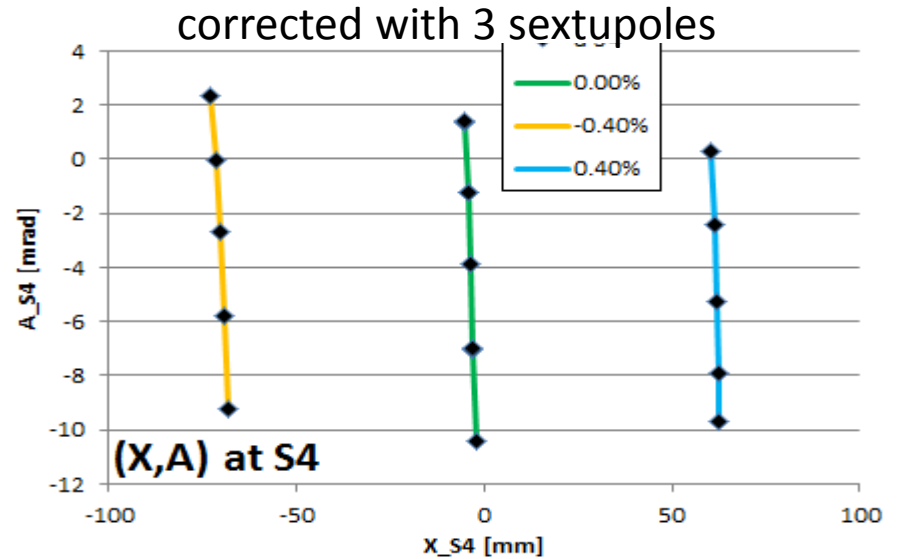
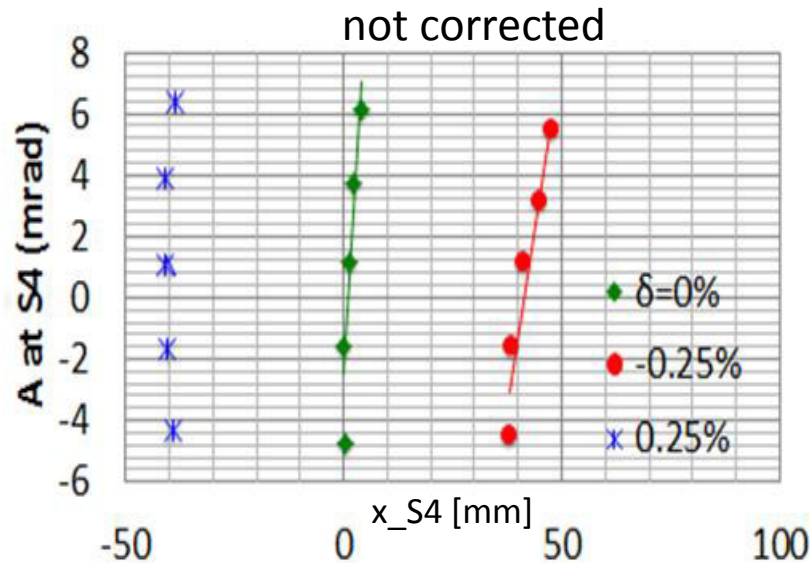
Influence of straggling in matter (window, air, thin tracking detectors), focal plane position for best resolution $\Delta x_{\text{FWHM}} = 0.8$ mm by detectors alone for $\delta=0\%$, but much worse for other momenta.

==> Optics correction can be helpful even with tracking detectors

Test of Sextupole Correction

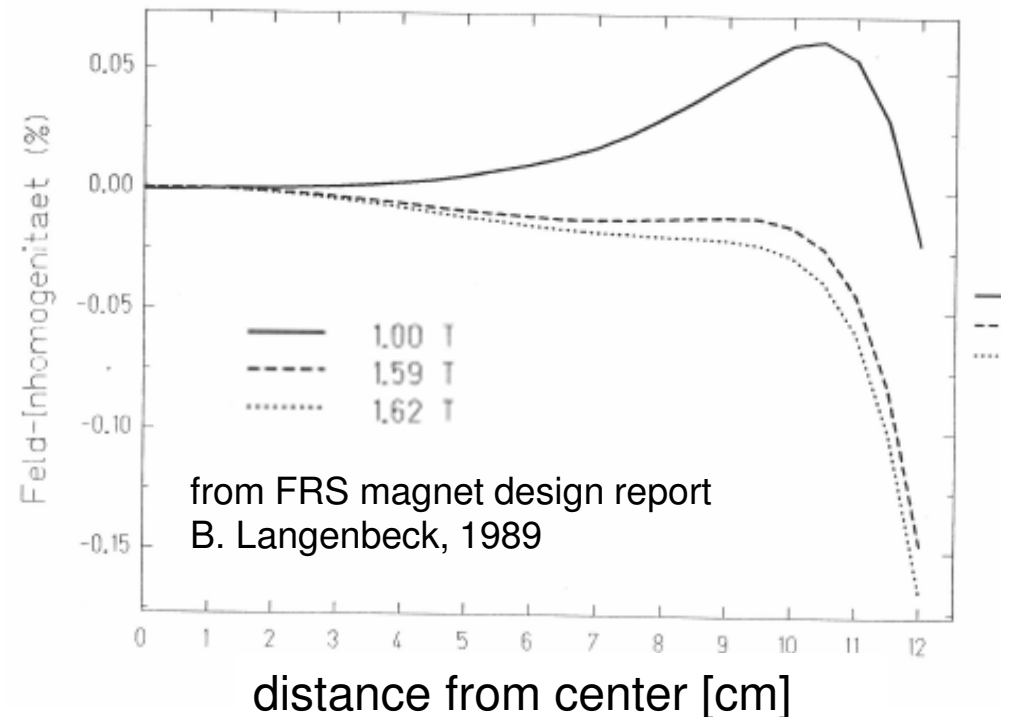
not achromatic -> wide beam at S4

do not measure with thick target, scan initial angle on target with steerers (± 6 mrad)



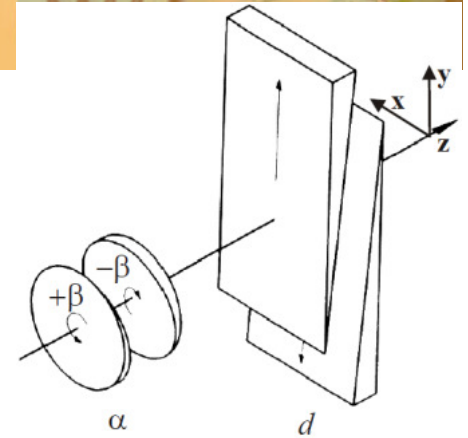
Intrinsic Sextupoles

- Phase space is already a bit curved without any explicit sextupoles
- Intrinsic sextupole components of other FRS magnets have to be considered in addition.
A fitted model ($n_2=6.3$ in all dipoles) roughly agrees with expected dipole inhomogeneity.
- Calculation of coupling coefficients shows that dipoles are by far the most sensitive part.
- Due to accelerator restrictions we could test only up to $B\rho = 7.88 \text{ Tm}$
→ $B_{\text{Dipole}} = 0.70 \text{ T}$.



Degrader Scans

Al degraders: plates, wedge-shaped plates, wedge shaped disks, overall shape is critical



GSI target scanner
sensors from
both sides

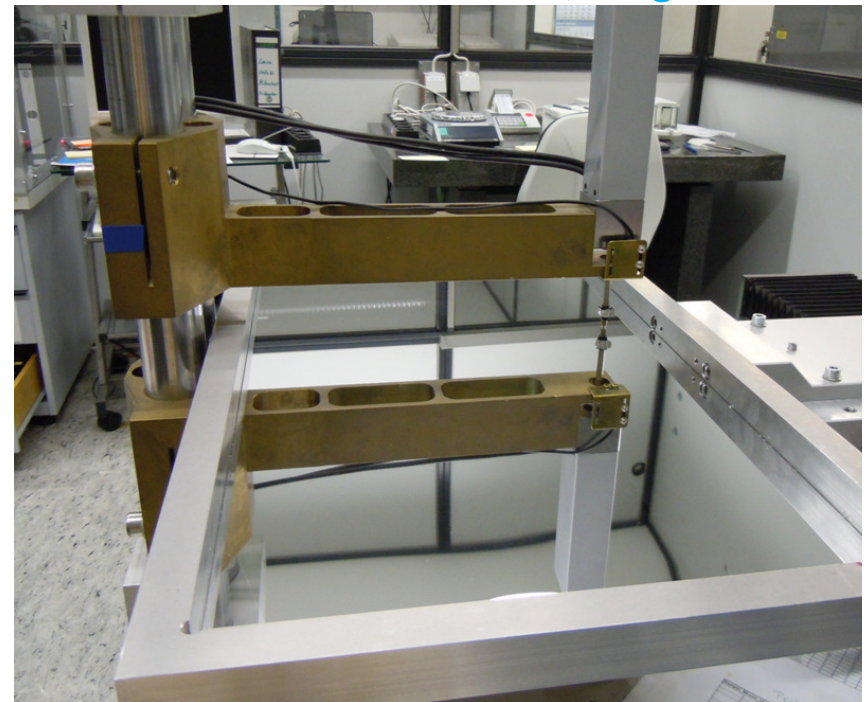
$$\Delta x_{\text{abs}} \sim 3 \mu\text{m}$$

$$\Delta x_{\text{rel}} \sim 1 \mu\text{m}$$

Heidenhain
CERTO CT60
range 60mm
 $\delta x = 0.1 \mu\text{m}$

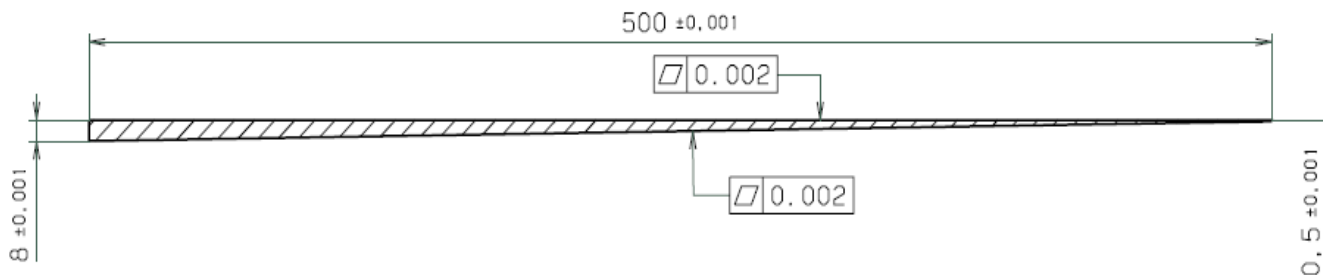
Schneeberger
optical table
for 1m x 0.6m

Bettina Lommel, Birgit Kindler



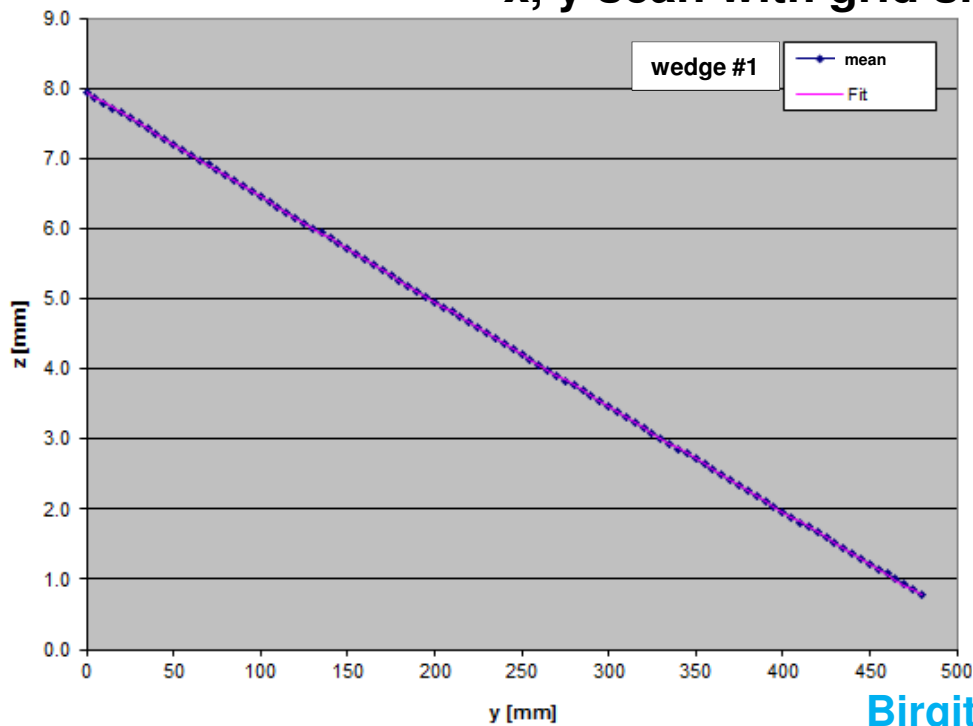
Degrader Wedge - Slope

Plates 500 mm x 230 mm, slope = 0.015



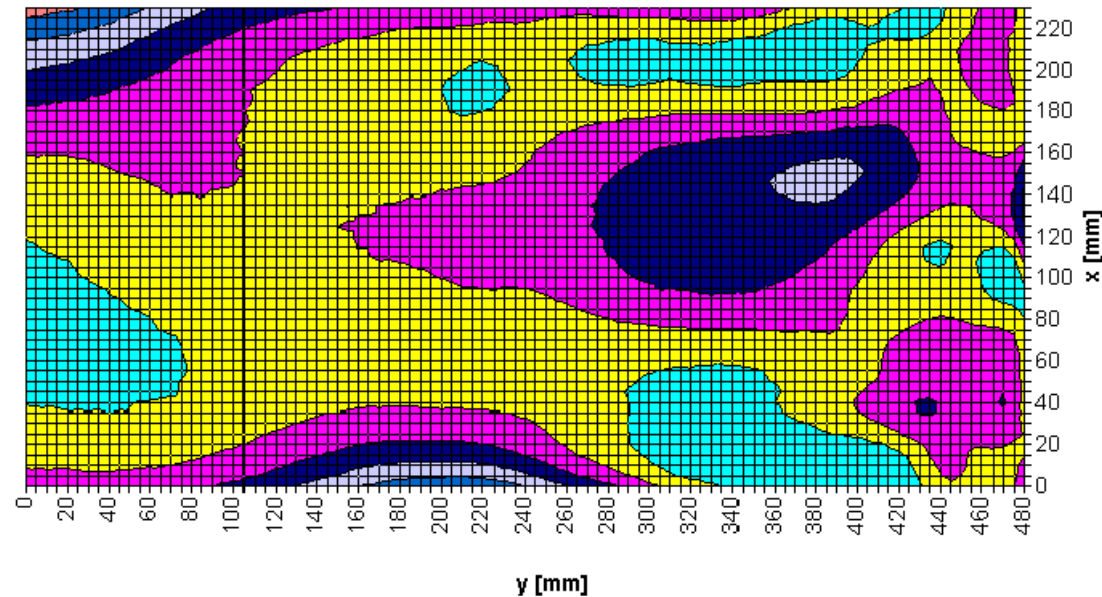
$\text{slope}_1 = 0.01496$
 $\text{slope}_2 = 0.01499$
→ matches specification

x, y scan with grid size 5 mm



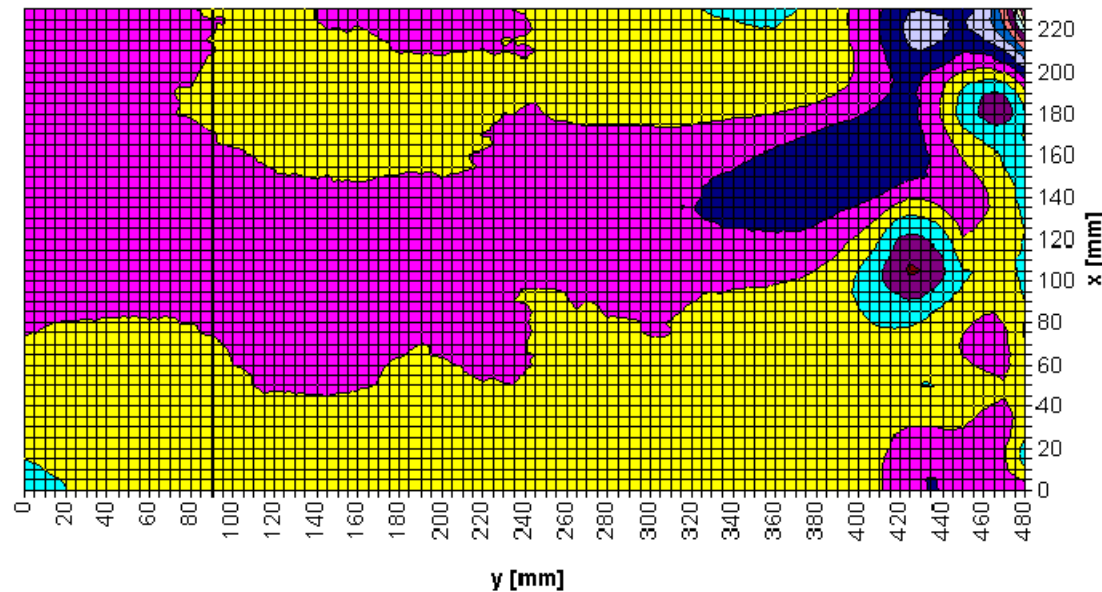
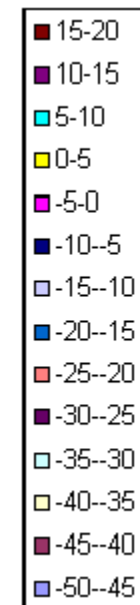
Birgit Kindler

Degrader Wedge Homogeneity



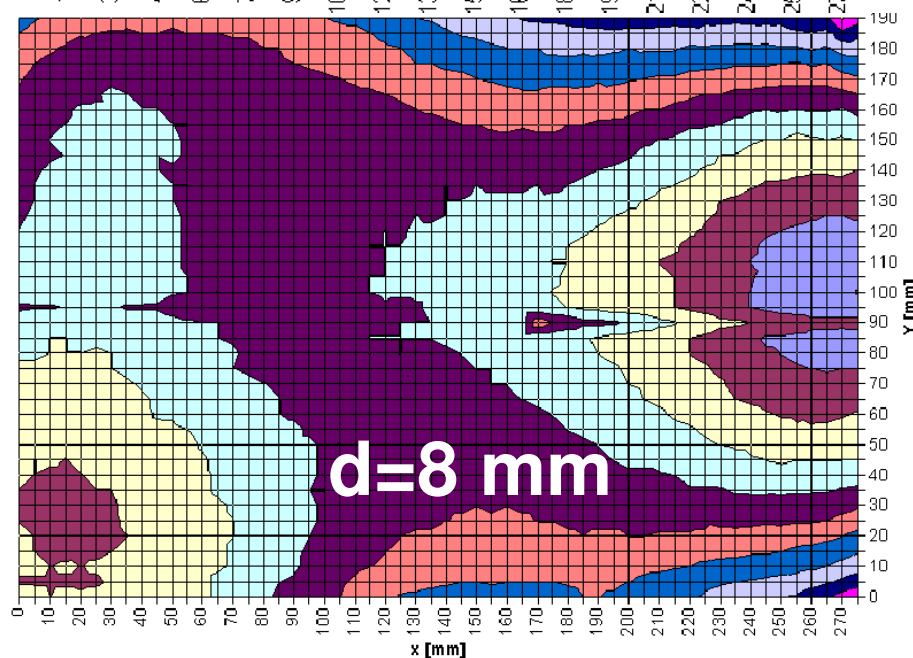
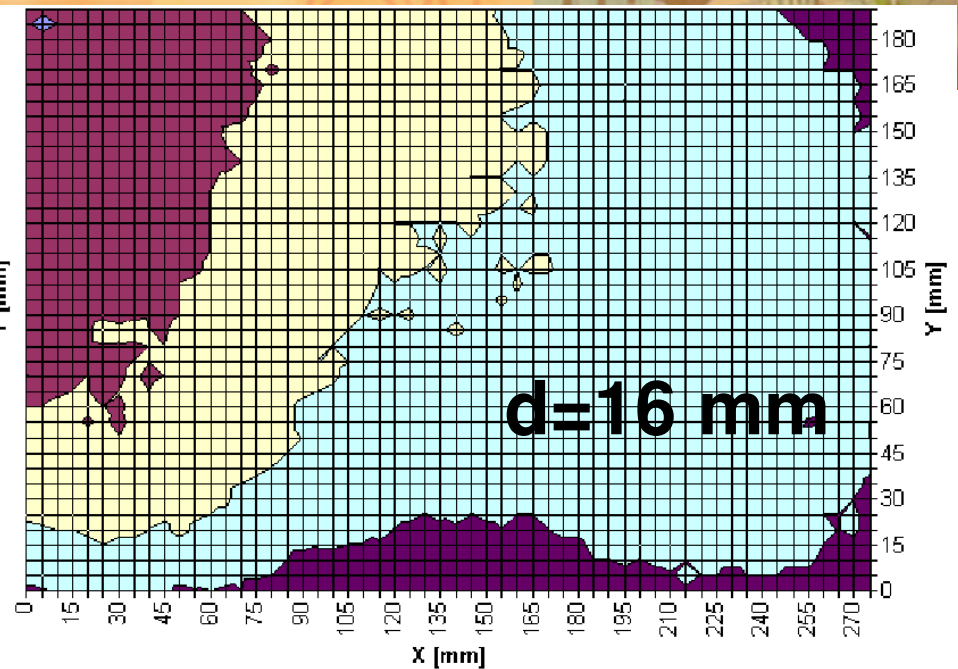
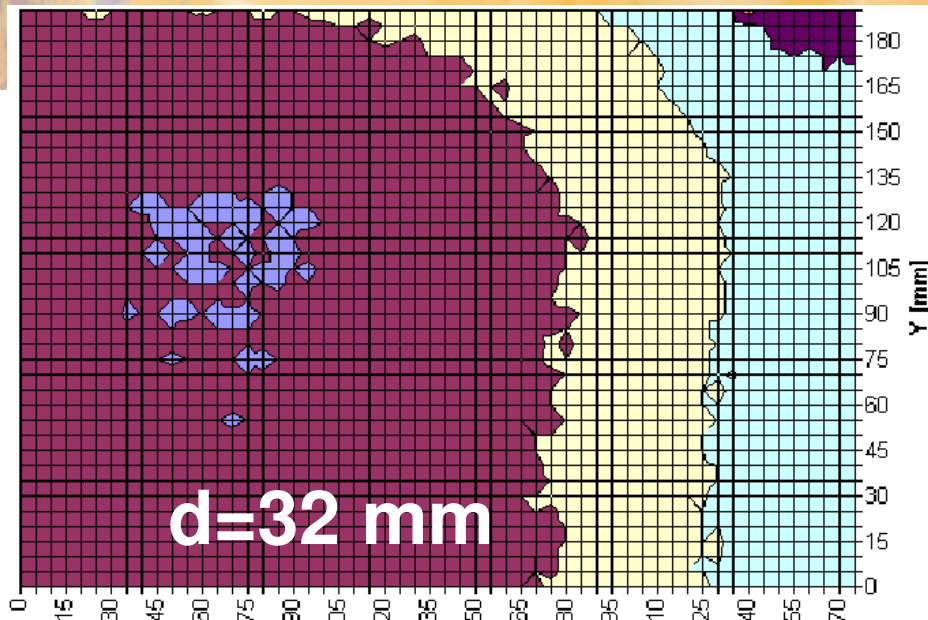
Deviation of thickness
from average slope

$\Delta z / \mu\text{m}$

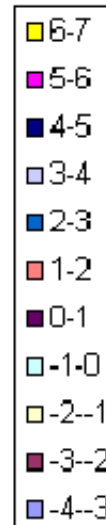


Birgit Kindler, GSI target lab

Degrader Shape – Simple Plates



$\Delta z / \mu m$



$\square 0.002$

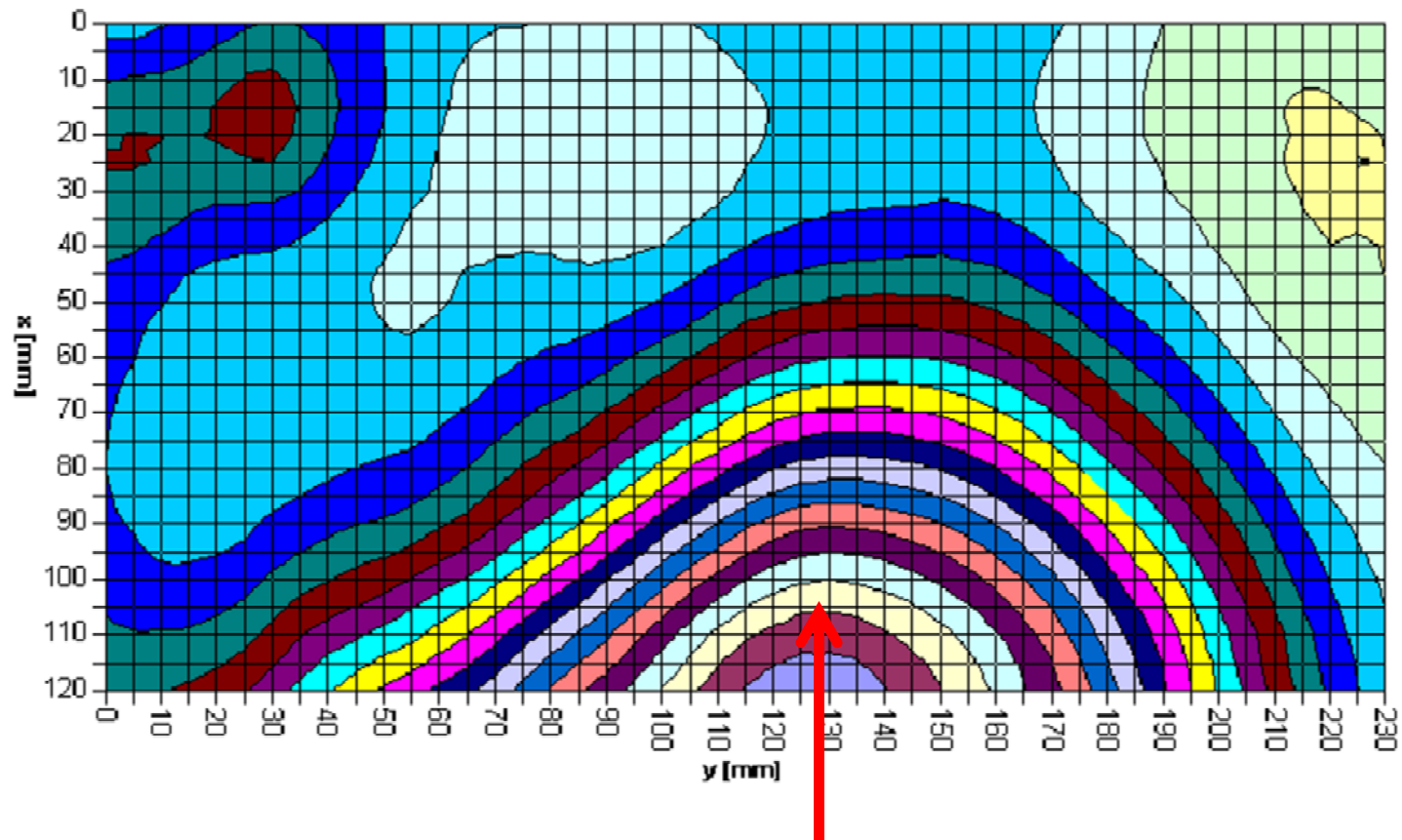
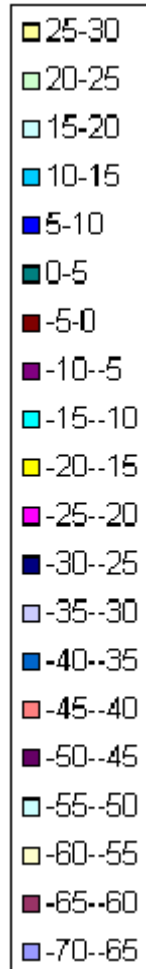
$\nabla Rz < 1$

Plates are ok!

Wedge-Shaped Disk #1



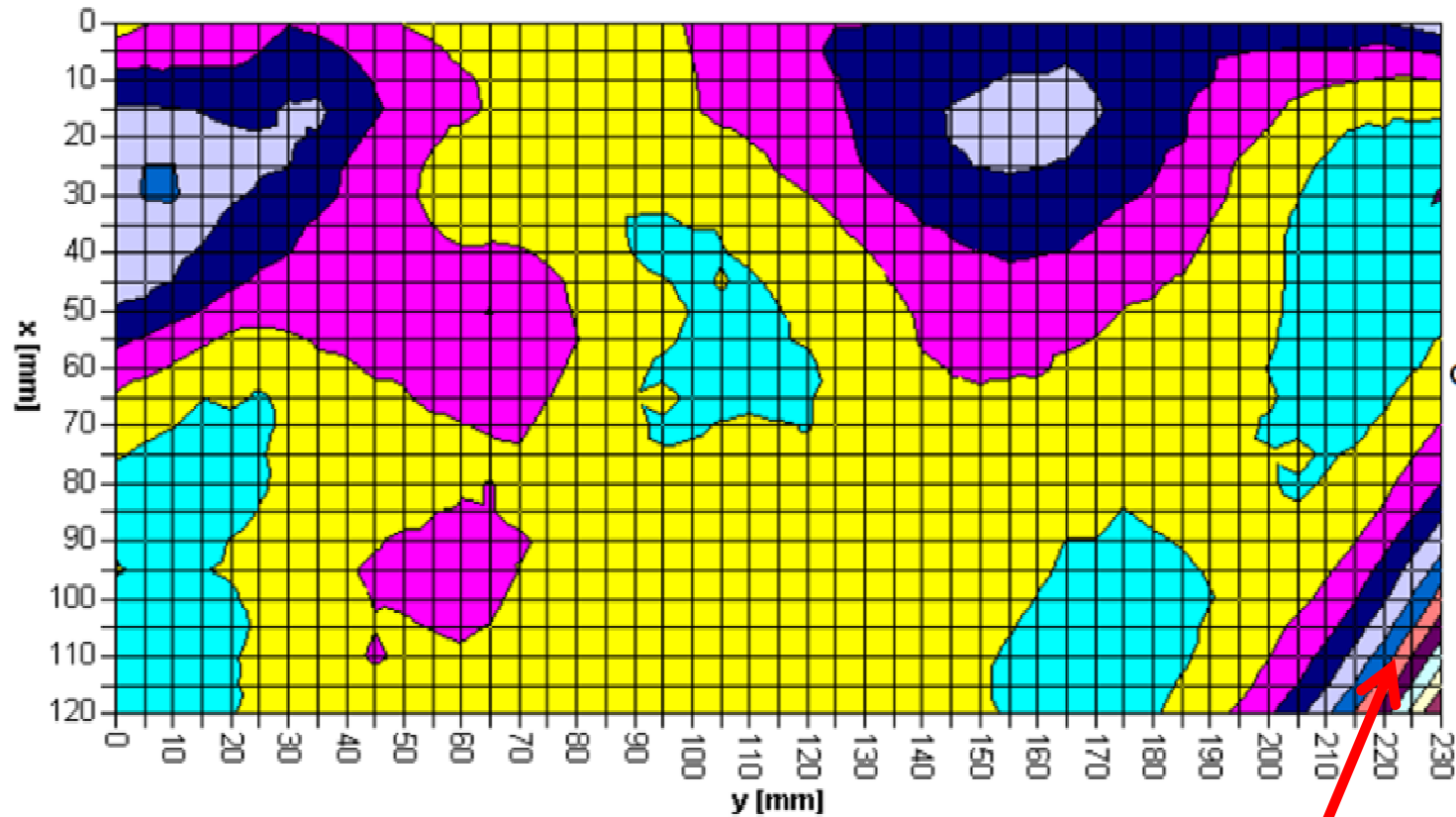
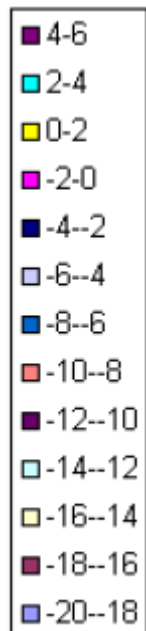
$\Delta z / \mu\text{m}$



Not acceptable for FRS or Super-FRS

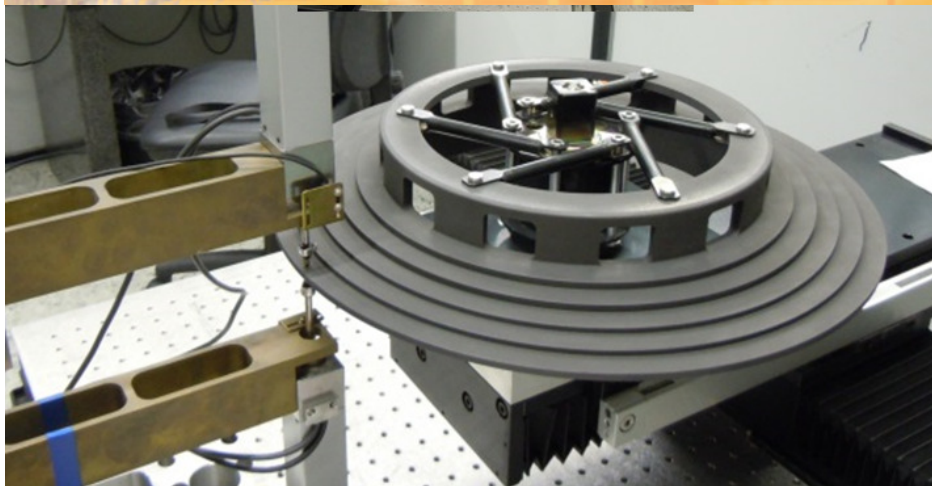
Wedge-Shaped Disk #2

$\Delta z / \mu\text{m}$



Bad corner, rest ok.

Target Wheel Thickness



Measure on two radii ($\Delta R=7\text{mm}$)

standard deviation for each step

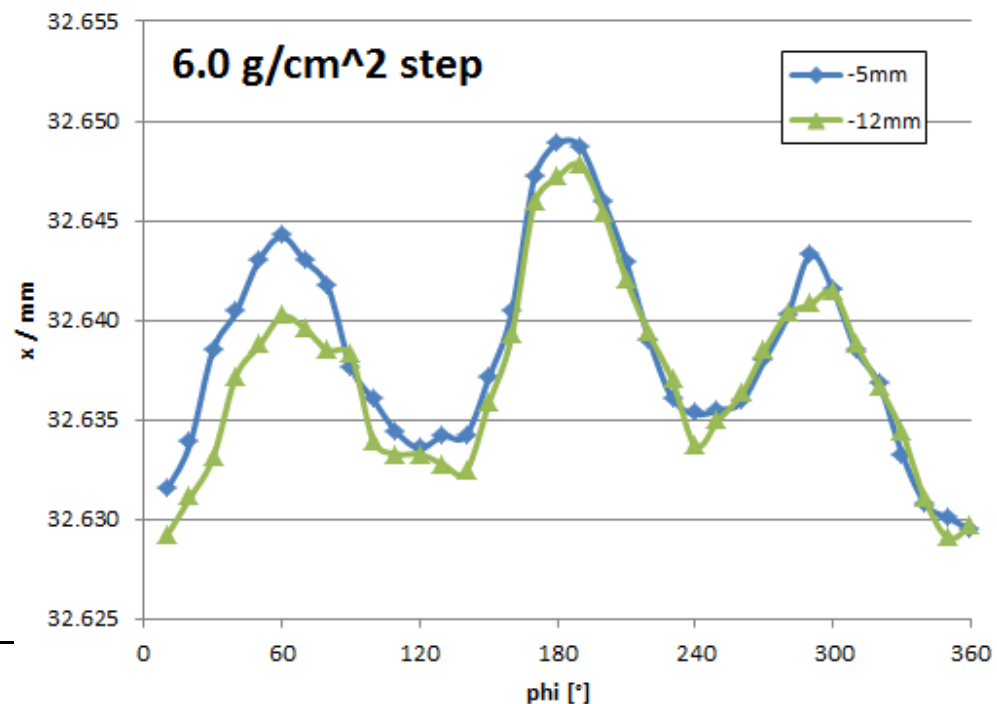
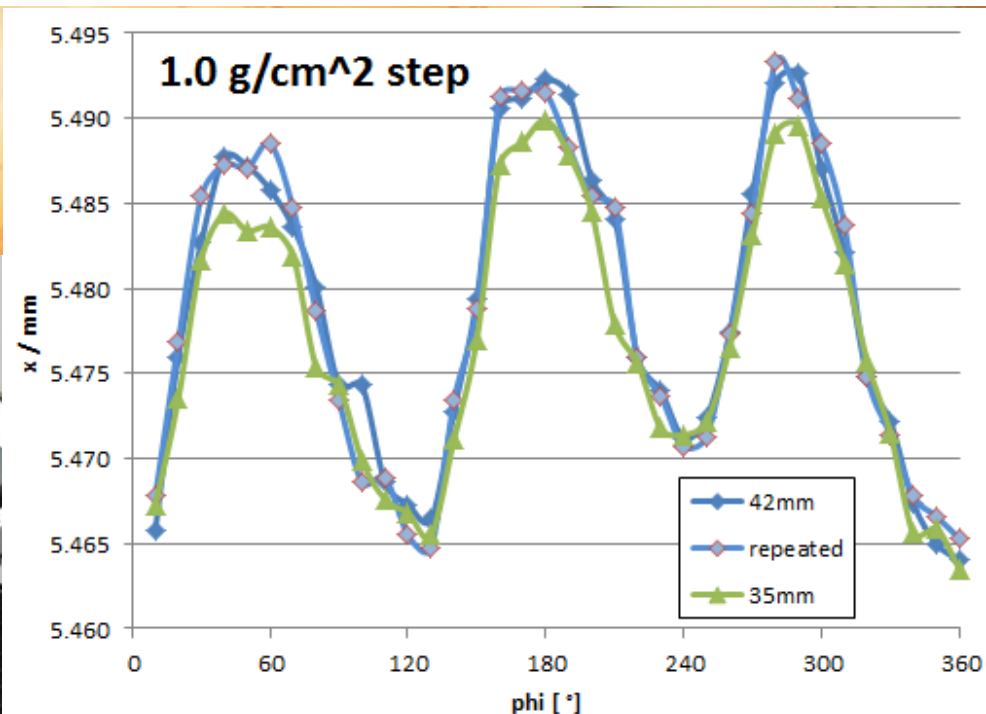
1.0 g/cm² $\sigma_x/x = 1.5\text{E-}3$

2.5 g/cm² $\sigma_x/x = 5.1\text{E-}4$

4.0 g/cm² $\sigma_x/x = 2.6\text{E-}4$

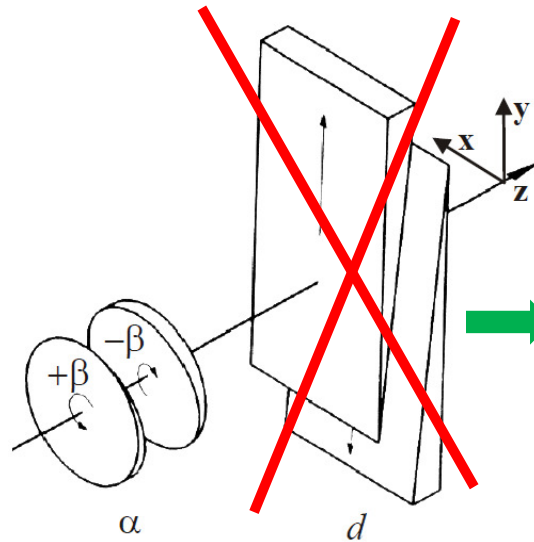
6.0 g/cm² $\sigma_x/x = 1.5\text{E-}4$

8.0 g/cm² $\sigma_x/x = 1.1\text{E-}4$



Low-Energy-Branch Degradator

Problem: large aperture but for given wedge shape too large thickness in center → too high energy → absolute energy spread still too high



Example: $(x, \delta) = 4.0\text{m}$, ^{230}Th at 300 MeV/u
monoenergetic wedge angle = 5.1 mrad
 $\Delta x = \pm 190\text{mm}$, $\Delta y \sim \pm 200\text{mm}$, $\Delta z_{\min} = 0.5\text{mm}$
central thickness $> 10\text{mm}$ (ion gets stuck)
→ $E_{\text{in}} > 360\text{ MeV/u}$ ($B\rho > 7.6\text{ Tm} > B\rho_{\max}$)

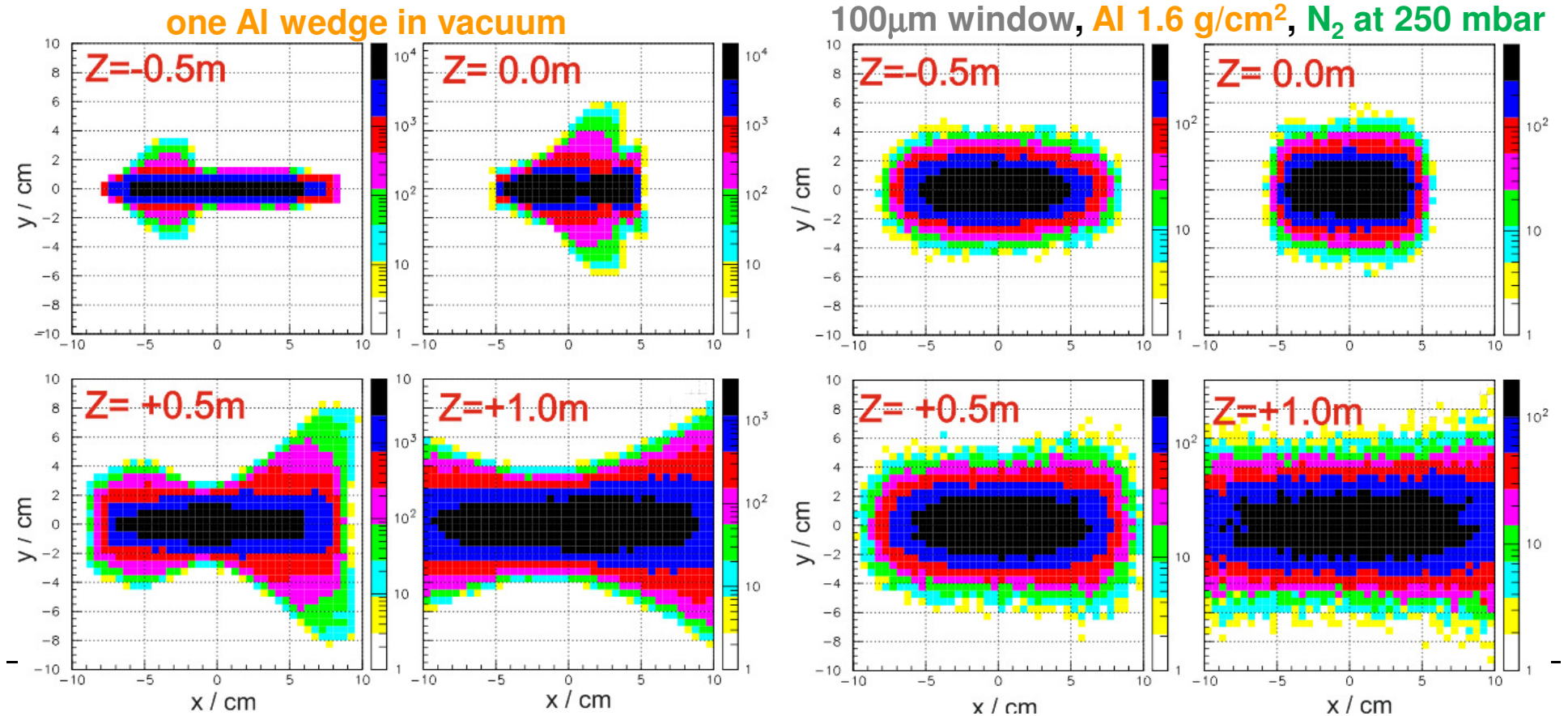
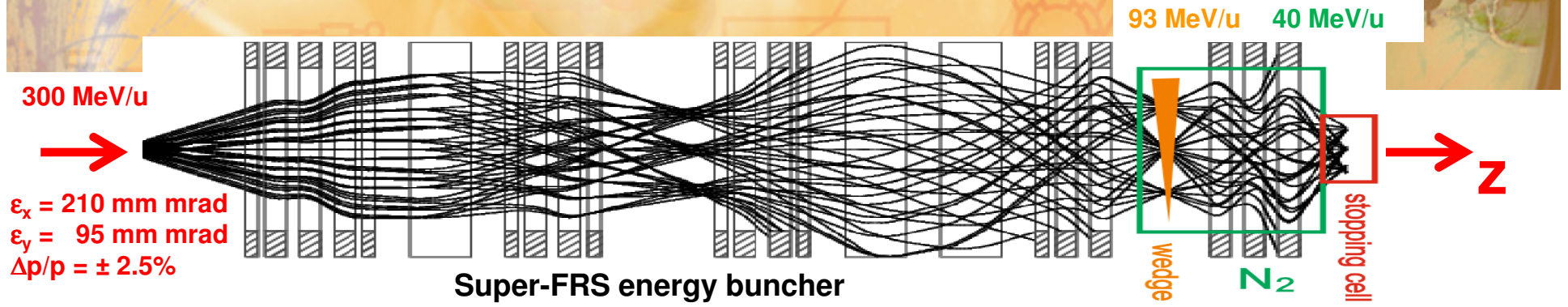
**gas volume
use long distance including
quadrupoles to keep pressure low.**

Slow down ^{230}Th from 300 → **wedge disks** 93 → **gas** 40 → 0 MeV/u.
 N_2 over $L=7.8\text{m}$ up to 1 g/cm^2 , set quadrupoles in triplet to average $B\rho$.

Enlarged spot in stopping cell, transmission losses ?
but same good range bunching to $\sigma_E/E = 1.31 / 40 = 3.3\%$
→ $\sigma_R = 4.2\text{ mg/cm}^2\text{ He}$ (without matter in inhomogeneity)

— => **MOCADI in many layers with angular straggling and charge exchange.** —

Gas degrader Simulation



Summary

- Knowledge was there but correct application was lost.
- Shortening by neighboring magnets is important.
It does not depend much on strengths of other magnets.
Important for setting of new modes without long adjustment.
- Sextupole correction, needed for FRS with narrow slits.
Can also improve high resolution spectrometer with tracking.
Simple symmetric corrections work best.
- High dispersion mode can go to $R=10\,000$.
- Manufactured degraders must be scanned.