# VALOR DUNE ND analysis for the 2nd pass-through

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- The VALOR Interaction Systematic Model
- Validation of the current VALOR DUNE ND fit:
  - The current version resembles what will be used for the second pass-through.
- VALOR in the DUNE ND Tool-chain:
  - What we expect as input.
  - What we intend to provide as output.

### 1. Cover all modelling aspects

Studies to define binning ongoing

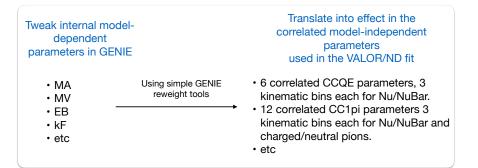
- · 6 correlated CCQE parameters, 3 kinematic bins each for Nu/NuBar.
- 12 correlated CC1pi parameters 3 kinematic bins each for Nu/NuBar and charged/neutral pions.
- 1 MEC normalisation systematic
- 1 Other CC resonance (eg 1-gamma) systematic
- · 6 CC DIS (>1 pion) systematics, 3 kinematic bins each for Nu/NuBar
- 1 NuE/NuMu normalisation systematic
- 1 Nu/NuBar normalisation systematic
- 1 NC normalisation
- 1 Coherent normalisation
- 1 Pion and Nucleon mean free path systematic
- · 1 Pion charge exchange fraction systematic
- 1 Pion absorption & multi-nucleon knockout systematic
- 1 Pion inelastic fraction systematic
- 1 Hadronization systematic for events containing Etas etc

Total: 37 systematics

Not final but a comprehensive list for the 2nd pass-through, even more complexity can be added later

# Prefit Cross-Section Uncertainty Generation with GENIE

Considering 40 interaction modelling systematics, we plan to **feed into the VALOR DUNE/ND analysis a 40 x 40 matrix of interaction modelling pre-fit errors** 

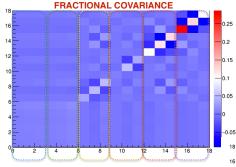


Construct covariance matrix by tweaking all internal parameters at the same time (using a normal distribution with their 1 $\sigma$  error inside GENIE), reweighting the number of events to obtain the effect in terms of the model-independent parameters

S. Dennis

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# Example Prefit Error Matrix

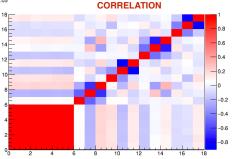


0: v CCQE y<sub>reco</sub> (bin1) 1: v CCQE y<sub>reco</sub> (bin2) 2: v CCQE y<sub>reco</sub> (bin3) 3: anti v CCQE y<sub>reco</sub> (bin1) 4: anti v CCQE y<sub>reco</sub> (bin1) 5: anti v CCQE y<sub>reco</sub> (bin3) 6: v CC1piC y<sub>reco</sub> (bin3) 7: v CC1piC y<sub>reco</sub> (bin3) 9: anti v CC1piC y<sub>reco</sub> (bin1) 10: anti v CC1piC y<sub>reco</sub> (bin2) 11: anti v CC1piC y<sub>reco</sub> (bin3) 12: v CC1piO y<sub>reco</sub> (bin1) 13: v CC1piO y<sub>reco</sub> (bin3) 15: anti v CC1piO y<sub>reco</sub> (bin1) 16: anti v CC1piO y<sub>reco</sub> (bin3) 17: anti v CC1piO y<sub>reco</sub> (bin3)

yreco binning different for each category and flavour

## **Quick test!**

- With simple MC events (25k v+ 25k anti-v) with 0-120 GeV
- Just hundred tweaks of only MA CC QE and MA CC RES
- In a preliminary binning in y\_reco (smeared with a 10% resolution from true values)



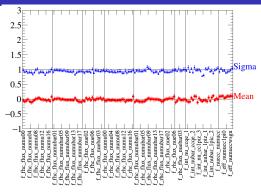
# **Bias Studies**

- We want to prove that the VALOR ND studies give accurate constraints on the OA systematics.
- To do this:
  - Generate N toy experiments (full sets of randomised systematics).  $(N \sim 200)$
  - Fit the dataset generated given that set of systematics (without statistical fluctuations).
  - Define 'pull' variable that over many fits should form a Gaussian with mean 0 and sigma 1.
- Definition of pull for constrained parameter *f* in fit *i* with initial parameter central value *a<sub>f</sub>* and best-fit value *x<sub>f,i</sub>*:

$$P_{f,i} = \frac{x_{f,i} - a_f}{\sqrt{\sigma_{f,prior}^2 - \sigma_{f,i,fitted}^2}}$$
(1)

• For more info on our pull definitions, see L. Demortier & L. Lyons - CDF/ANAL/PUBLIC/5776 (PDF).

## Biases - 21 Interaction Systematics.



#### Looks good!

- This uses 21 interaction systematics, 104 flux systematics, 9 detector systematics (all normalisations.)
  - 6 CCQE bins,  $12 \ 1\pi$  bins, 1 CC-other, 1 NuE, 1 NC.
  - The bins are separated  $\nu$  and  $\bar{\nu}$  in 3 kinematic bins ( $E_{true}$  0-2 GeV, 2-4 GeV, 4+ GeV).
  - These is a placeholder binning. We'll use a better kinematic variable  $(Q^2)$  soon.
- For space reasons, only 1 in 4 systematics is labelled. You should able to interpolate to identify most others.

- For us to do everything we need to do, we need MC provided in Trees with:
  - GENIE event record (where we'll get our true kinematics, mode etc).
  - Reconstructed neutrino energy  $(E_{reco})$  your best estimate.
  - Reconstructed inelasticity  $y_{reco} = \nu/E$  your best estimate.
  - Sample ID which VALOR sample the events fit into using your best selection.
  - Arbitrary weight (separate tree?)
- We'd like example files from the ND groups ASAP so we can make sure can we get everything we need from what you produce.
- We'll also need the POT normalisation of our input MC files.
- We can also accept input covariance matrices for the following groups of parameters:
  - Flux (currently using MINERV $\nu$ A 104 parameter matrix).
  - Interaction. We currently generate this in-house with GENIE but could accept external ones.
  - Detector (whatever parameters we eventually need).

For any given dataset, we should be able to produce:

- Prefit covariance matrix (containing unconstrained parameter correlations and uncertainties).
- Post covariance matrix (containing constrained parameter correlations and uncertainties).
- Vector of tuned (postfit) central values suggested for the far detector fit.
- If necessary, additional error matrix to represent biases from our method.
  - We'll be trying our utmost to ensure we have no biases that require us to inflate errors like this.
  - But we should be aware that it could become necessary.
- A goodness-of-fit measure (single figure P-value?).

- Currently have a well-validated analysis with 21 normalisation interaction systematics.
- The full 37-parameter model should be feasible for the second run-through.
  - But if we don't get that validated properly in time, we have a good fall-back position.
- We need inputs! That's our biggest issue at this point.
- For the third run-through, we'll move to better detector systematic models, and smarter marginalisation of those uncertainties.

# Backup

- $\nu_{\mu}$  CCQE 1-track. (code = 1)
- $\nu_{\mu}$  CCQE 2-track. (code = 2)
- $\nu_{\mu}$  CC  $1\pi^{\pm}$ . (code = 3)
- $\nu_{\mu}$  CC  $1\pi^{0}$ . (code = 5)
- $\nu_{\mu} \text{ CC } 1\pi^{0} + 1\pi^{\pm}$ . (code = 6)
- $u_{\mu}$  CC other. (code = 7)
- $\nu_e$  inclusive. (code = 8)
- $\nu_{\mu}$  CC wrong-sign inclusive. (code = 9)
- NC inclusive. (code = 10)

Unused codes in current analysis (CC-inclusive = 0, CC  $2\pi^{\pm} = 4$ ).