

What do we know about the Universe?

Douglas Scott

September 2016



What do we know about the Universe?

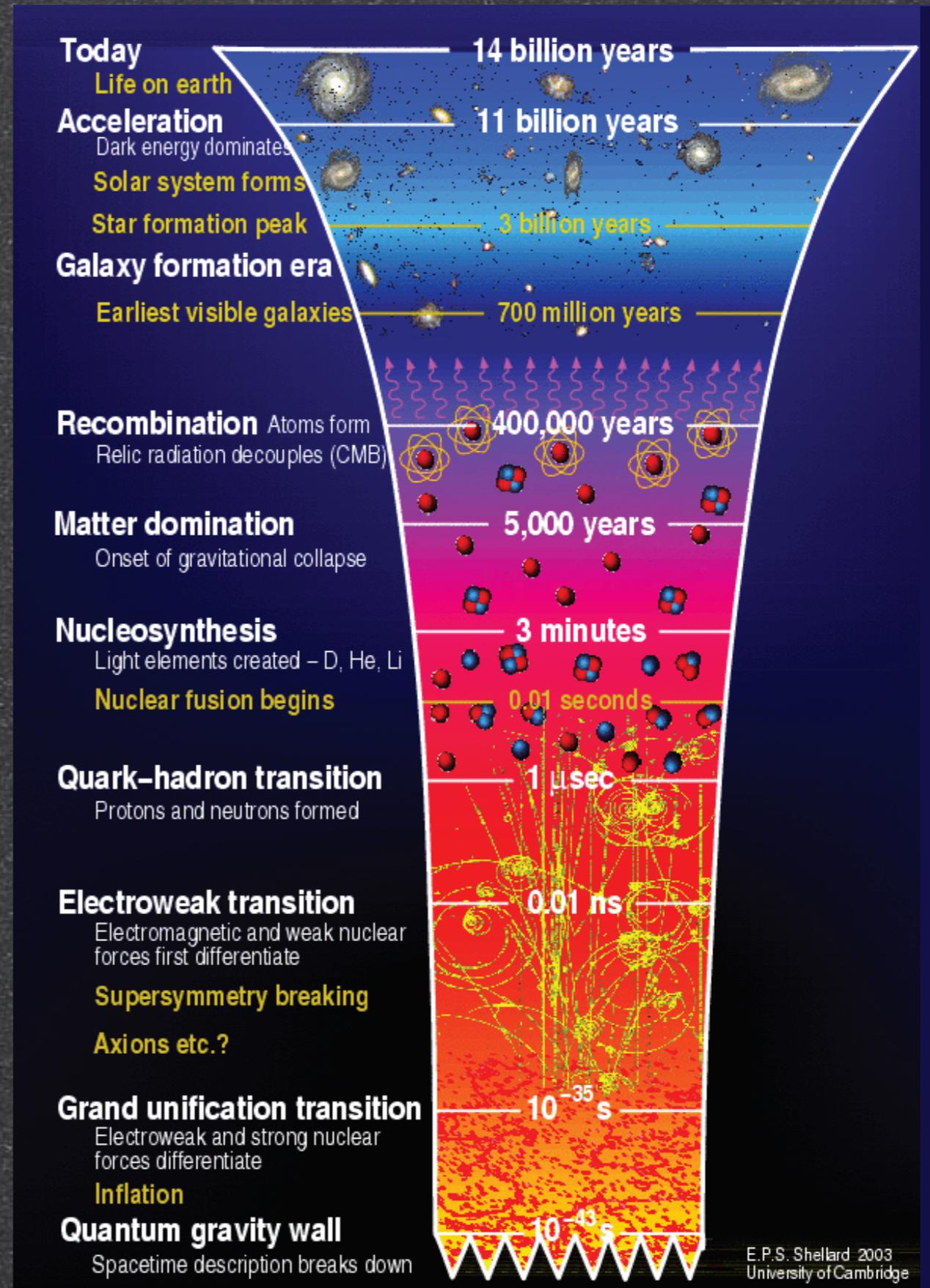
→ The Standard Model of Cosmology (SMC)



Basic picture of SMC

GR
(simplest soln.)
+ expansion
+ CMB
+ simple I.Cs.
+ few components
→ Big Bang
(with spots)

a.k.a. Λ CDM



Assumptions underlying the SMC

- 1 Physics is the same throughout the observable Universe.
 - 2 General Relativity is an adequate description of gravity.
 - 3 On large scales the Universe is statistically the same everywhere.
 - 4 The Universe was once much hotter and denser and has been expanding.
 - 5 There are five basic cosmological constituents:
 - 5a Dark energy behaves just like the energy density of the vacuum.
 - 5b Dark matter is pressureless (for the purposes of forming structure).
 - 5c Regular atomic matter behaves just like it does on Earth.
 - 5d Photons from the CMB permeate all of space.
 - 5e Neutrinos are effectively massless (again for structure formation).
 - 6 The overall curvature of space is flat.
 - 7 Variations in density were laid down everywhere at early times,
proportionally in all constituents.
-

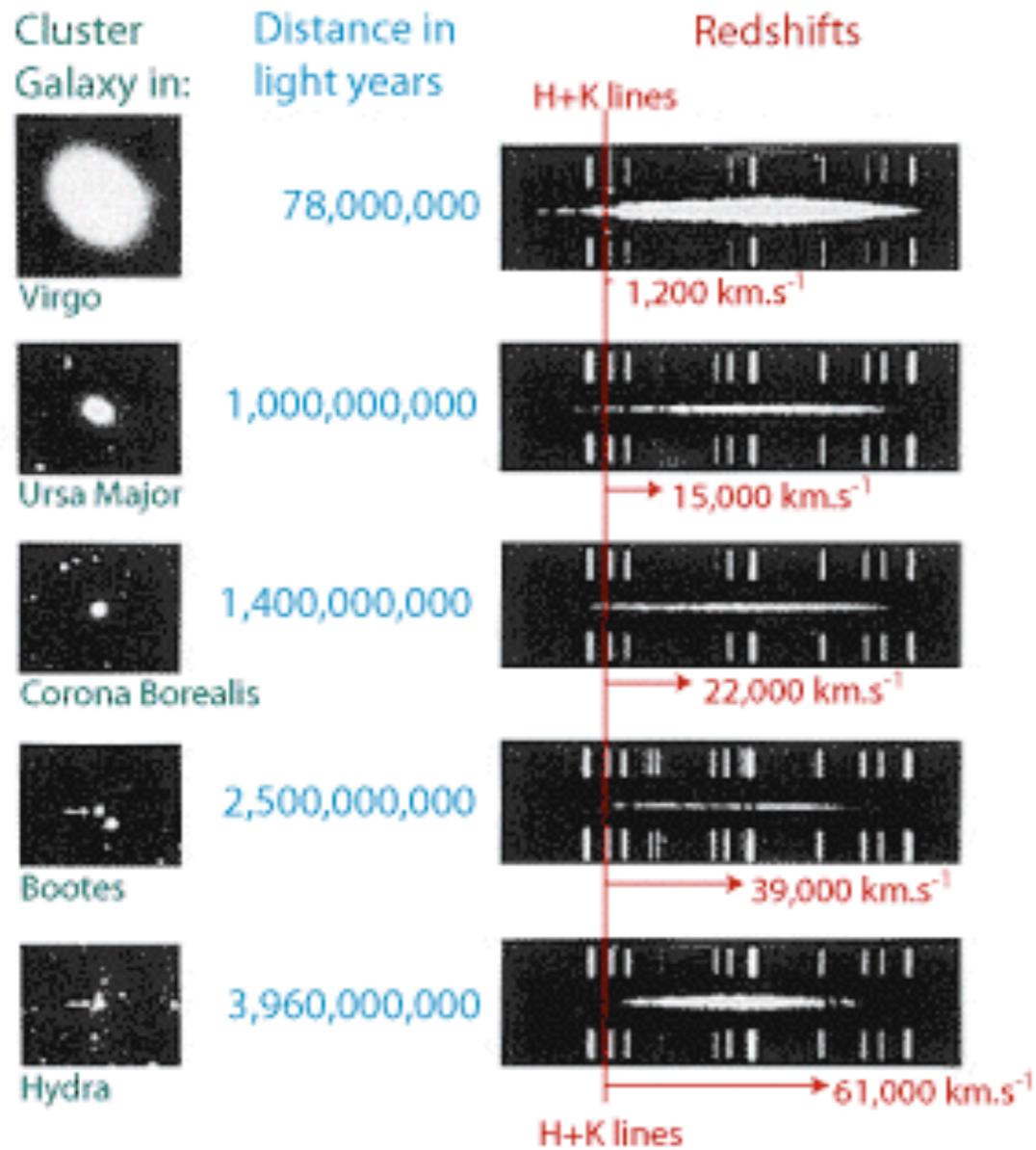
Testable and most have been tested!

Underpinnings of SMC

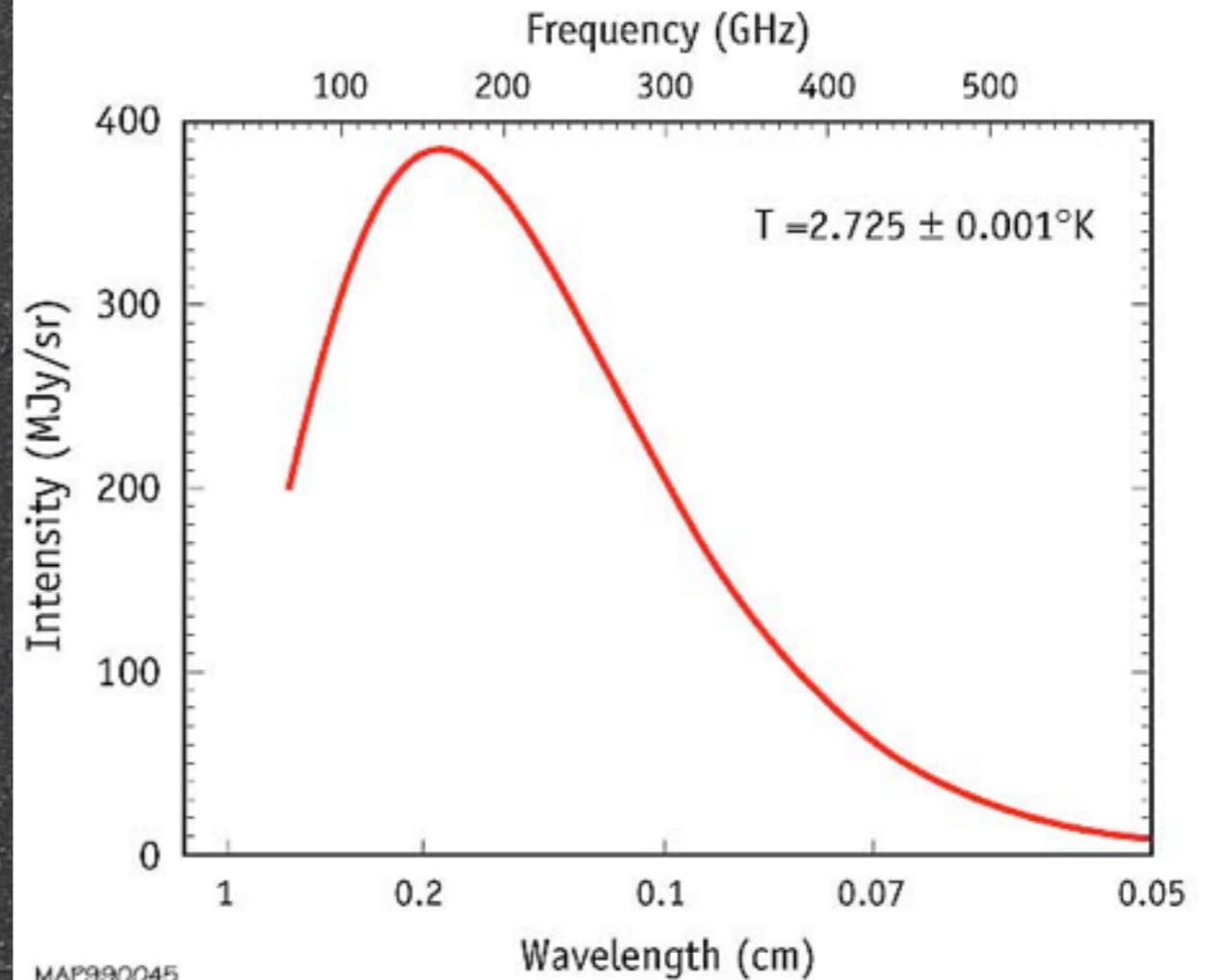
Canonical hot big bang model
+ information about fluid components
+ perturbations

History?

Relation Between Redshift and Distance for Distant Galaxies



SPECTRUM OF THE COSMIC MICROWAVE BACKGROUND



Expansion 1920s

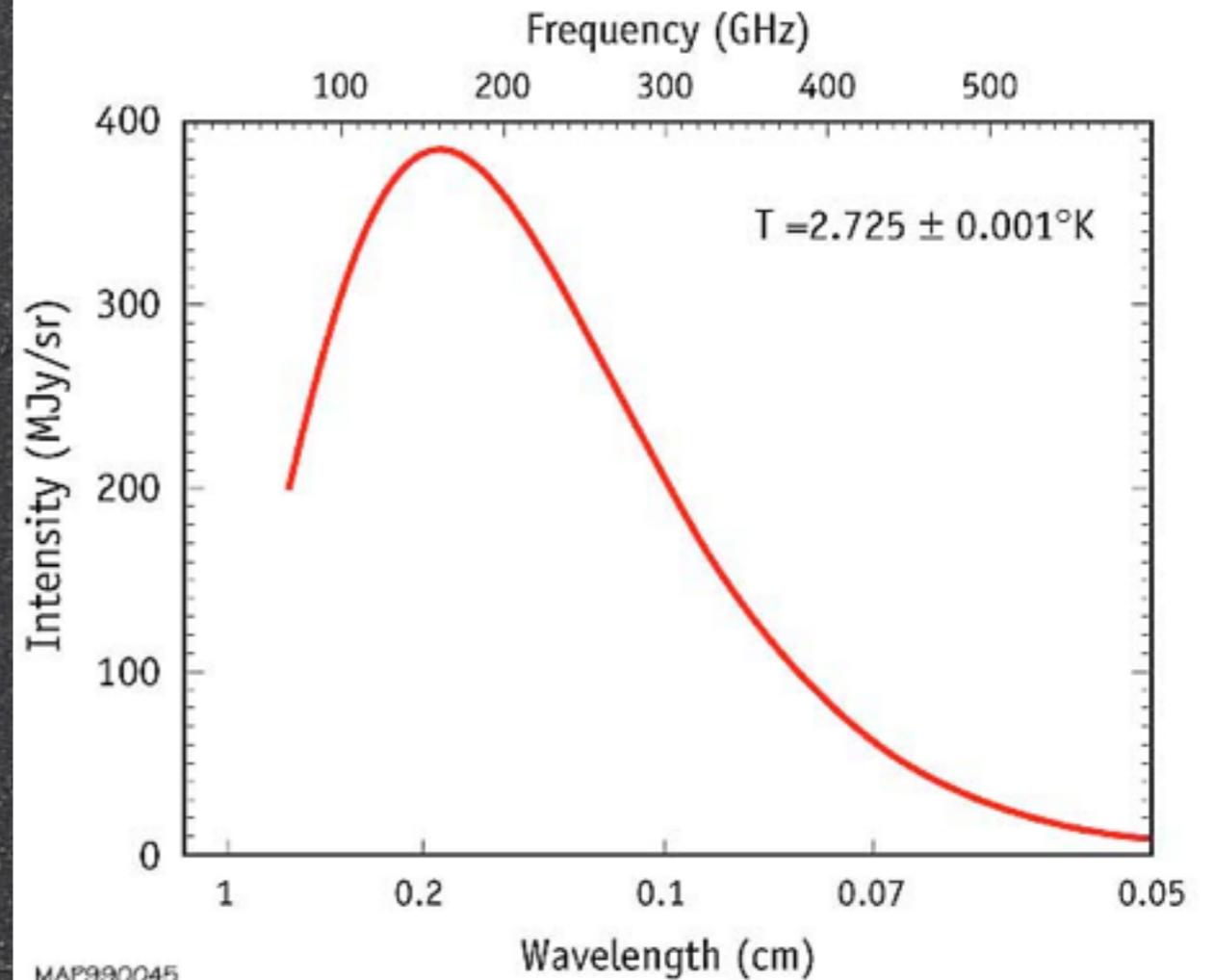
Cosmic Microwave Background 1960s

Relation Between Redshift and Distance



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SPECTRUM OF THE COSMIC MICROWAVE BACKGROUND



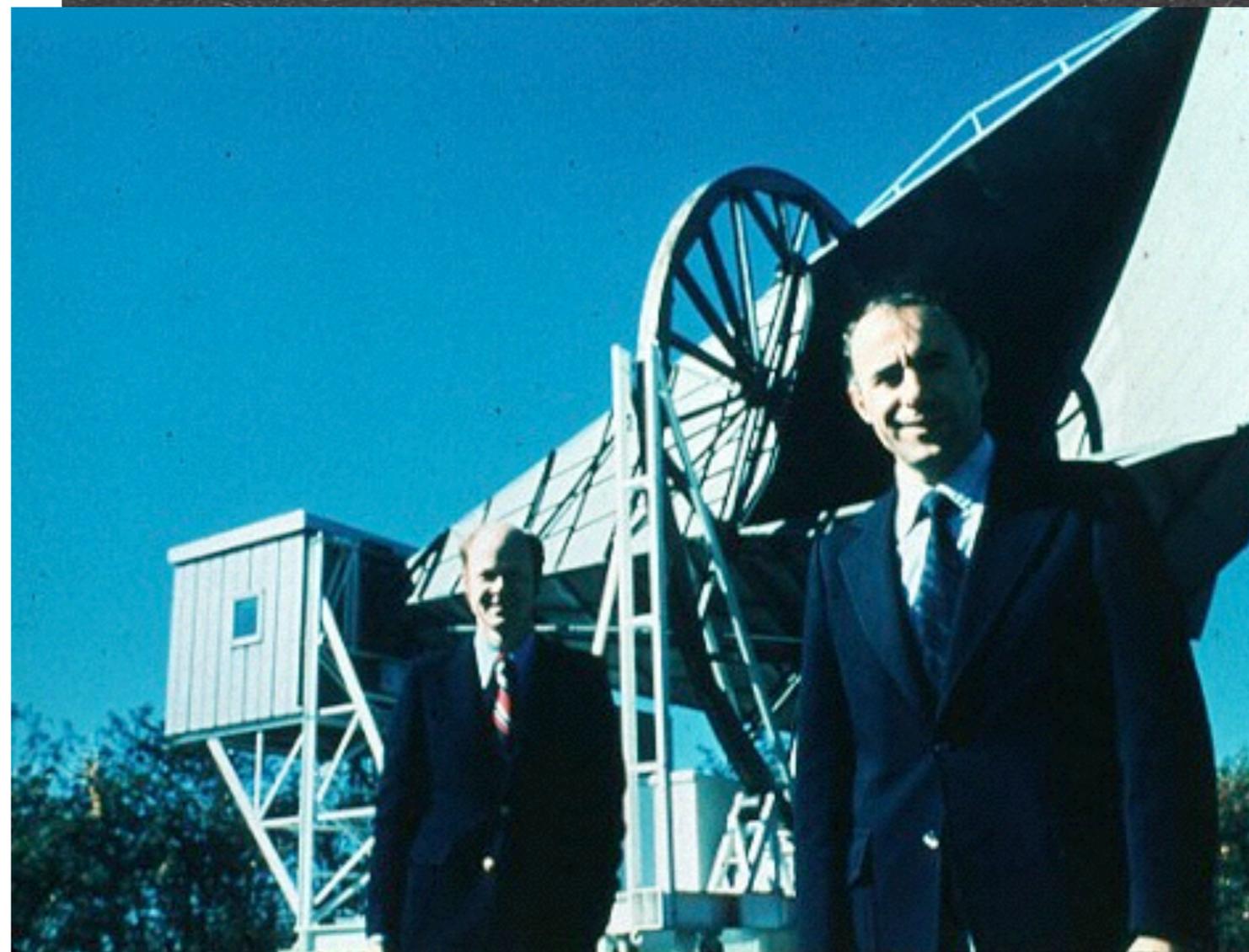
MAP990045

Cosmic Microwave Background 1960s

Relation Between Redshift and Distance



Expansion 1920s



1 0.2 0.1 0.07 0.05

Wavelength (cm)

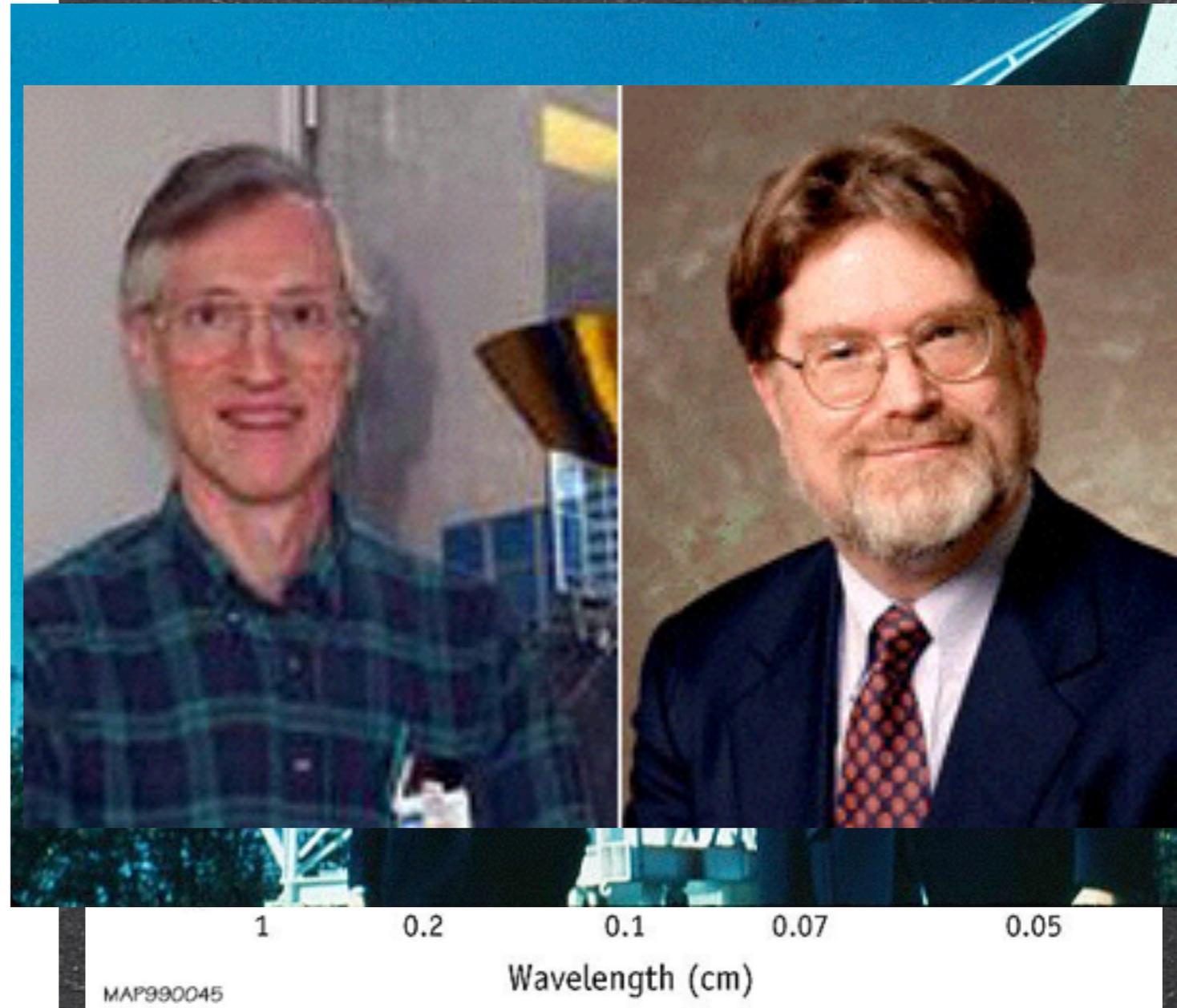
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Cosmic Microwave Background 1960s

Relation Between Redshift and Distance



Expansion 1920s

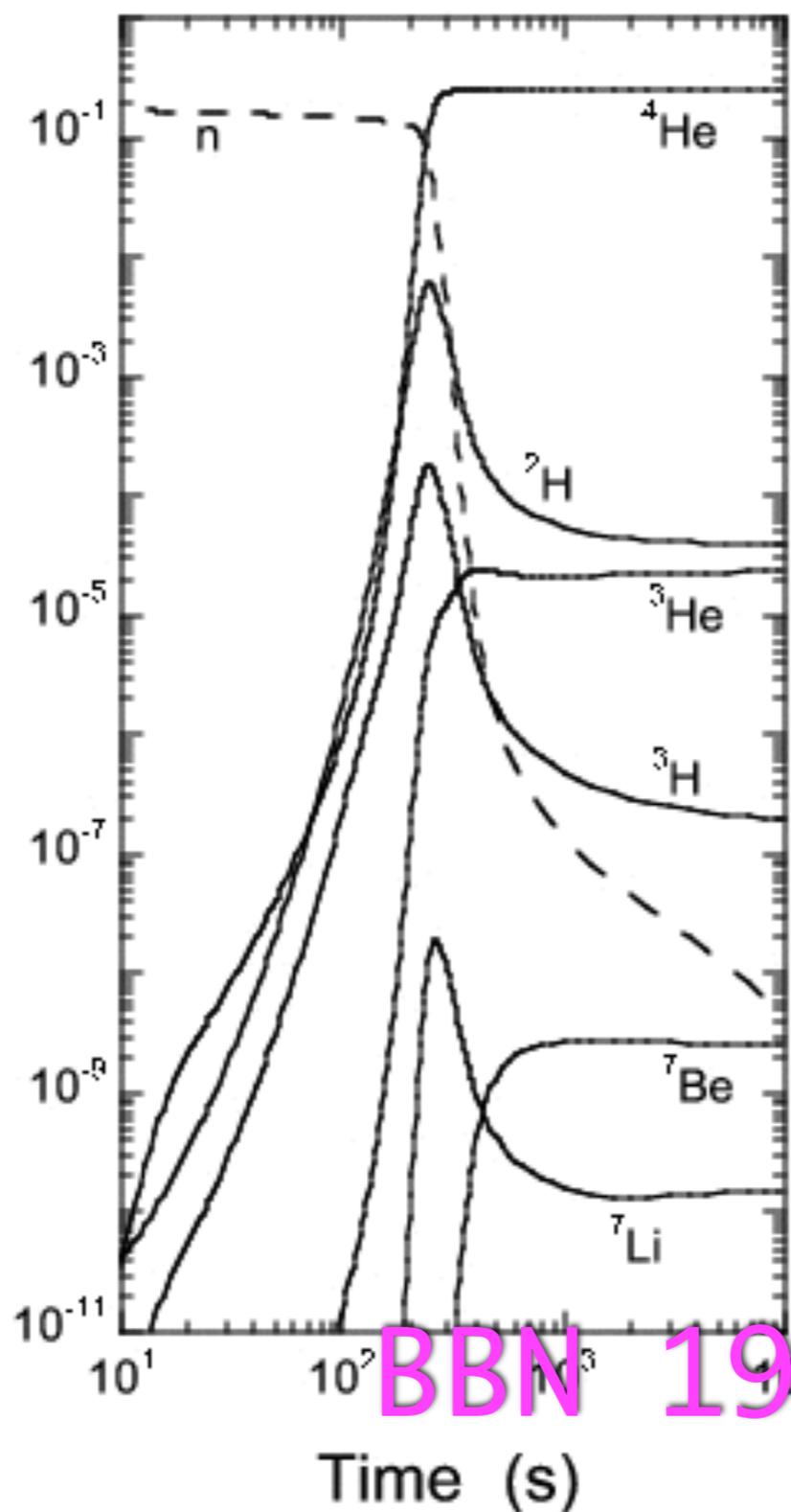


Cosmic Microwave Background 1960s

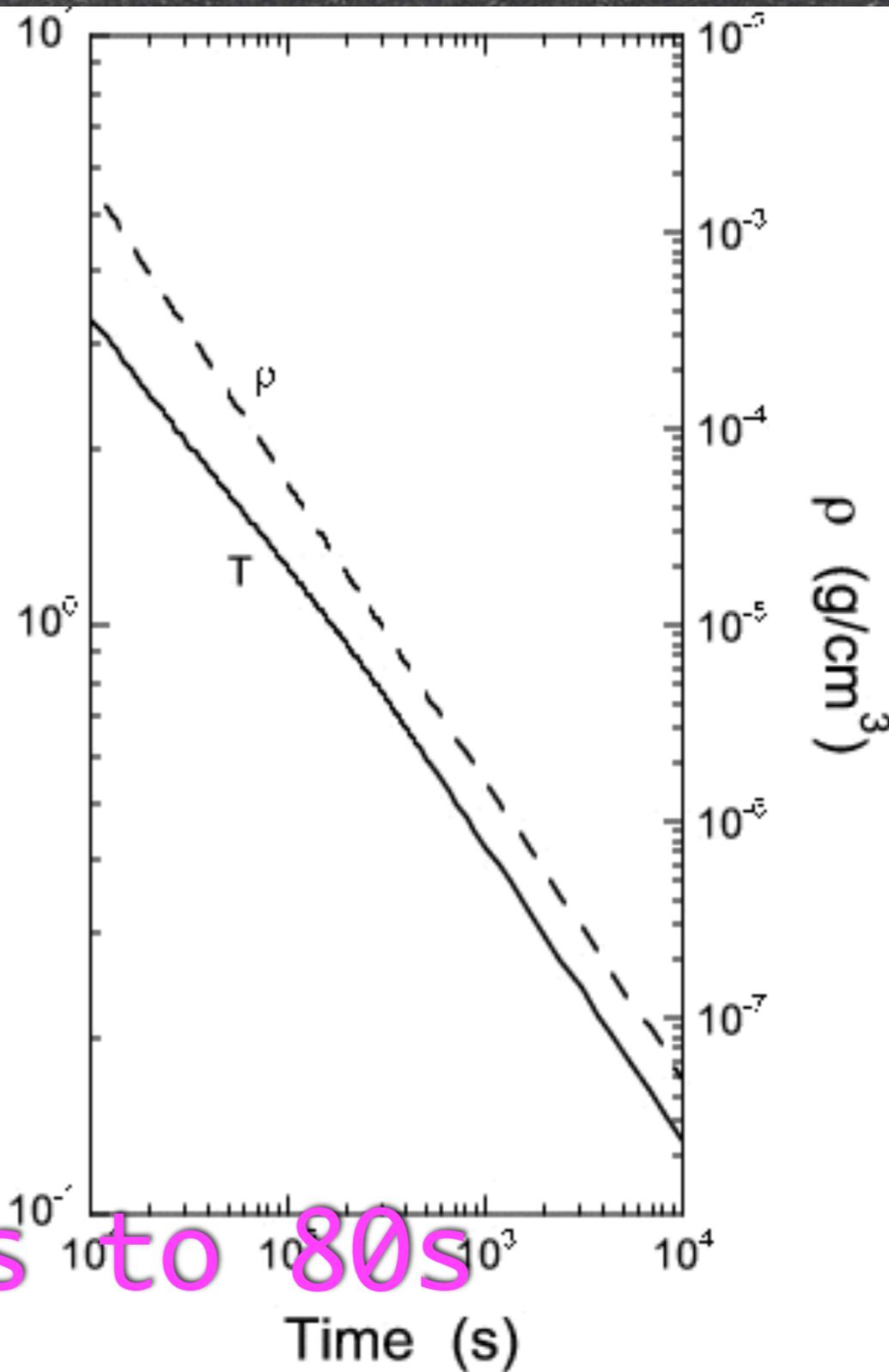
Relation Between Redshift and Distance



Mass fraction



T (GK)



E

BBN 1960s to 80s

Relation Between Redshift and Distance

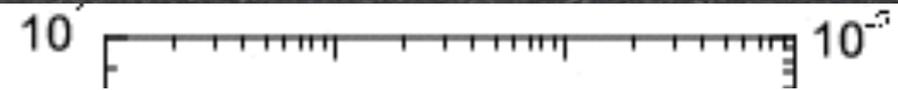


Photo: Roy Kaltschmidt. Courtesy: Lawrence Berkeley National Laboratory

Saul Perlmutter



Photo: Belinda Pratten, Australian National University

Brian P. Schmidt

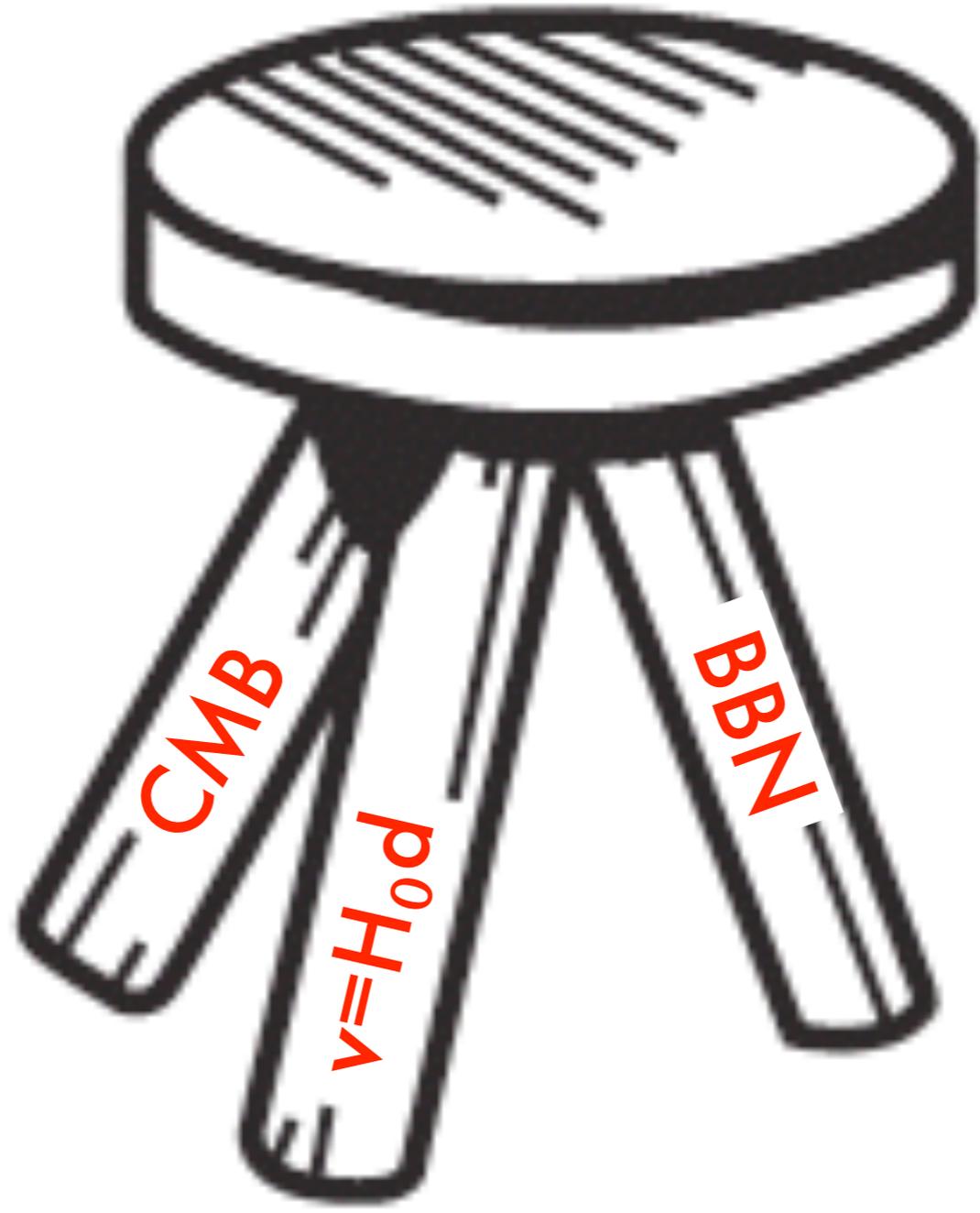


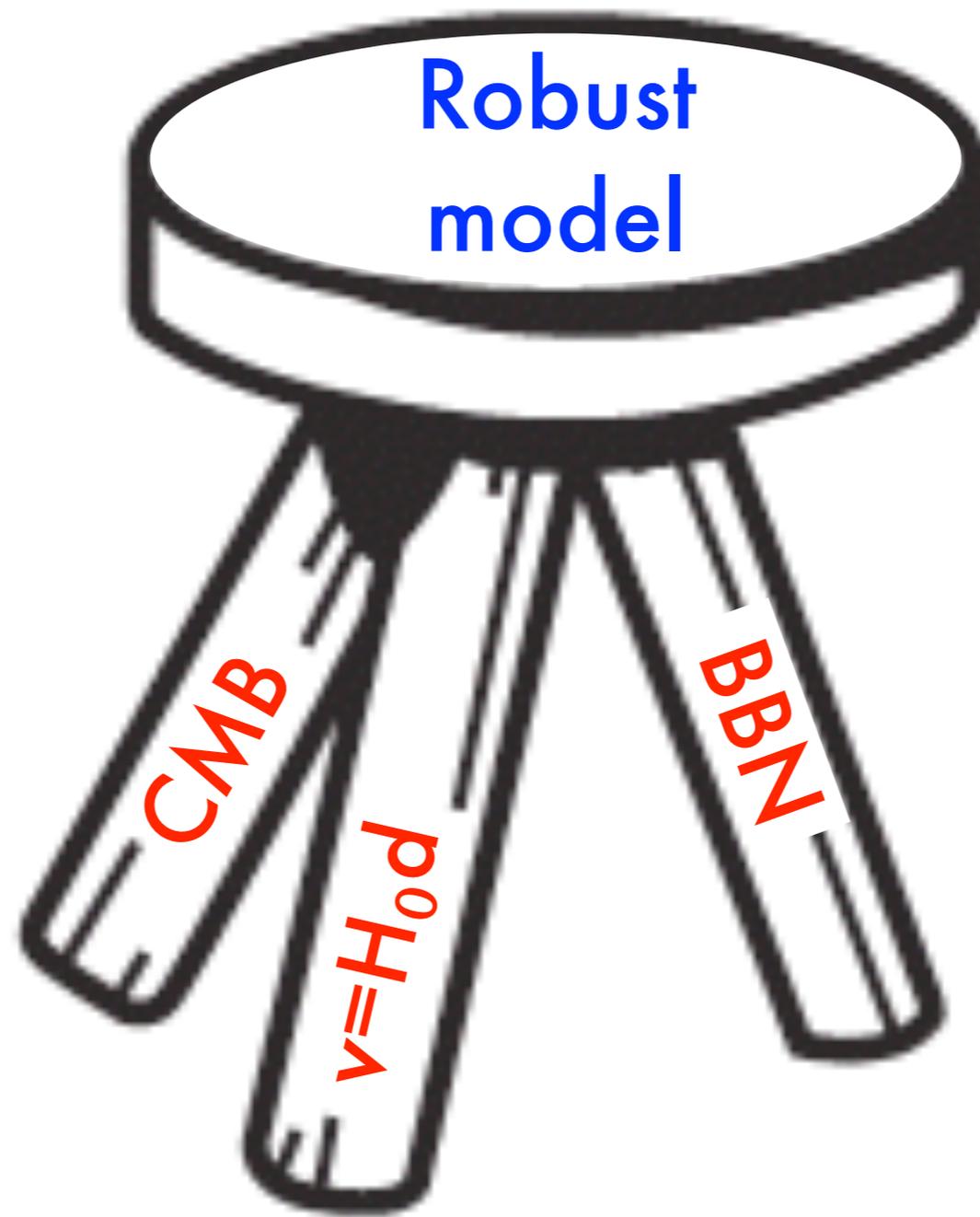
Photo: Homewood Photography

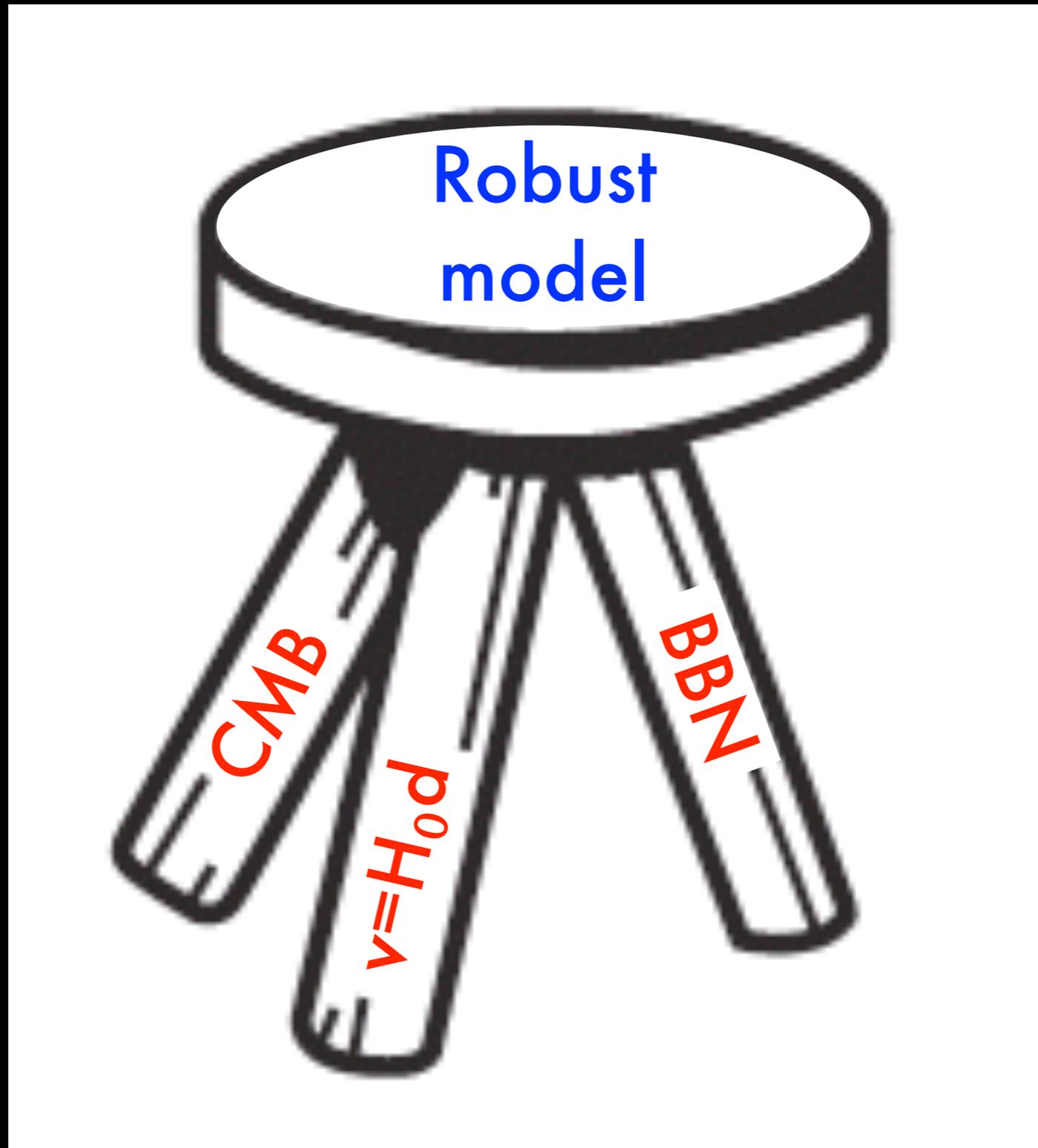
Adam G. Riess

Acceleration late 1990s









- + galaxy clustering and dynamics, CMB anisotropies,
- + lensing, absorption systems, ...

The Big Bang Theory

The Big Bang Theory



So well established it has its own TV show

The Big Bang Theory

The Big Bang Theory

★ What kind of Big Bang model do we live in?

The Big Bang Theory

- ★ What kind of Big Bang model do we live in?
- ★ How many parameters do we need?

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- ★ Will there be more parameters later?
- ★ Why do the parameters have these values?
- ★ Is there evidence for new physics?
- ★ What about the other Standard Model?

Three Generations of Matter (Fermions)

I II III

mass →
charge →
spin →
name →

2.4 MeV	1.27 GeV	171.2 GeV	0
$\frac{2}{3}$	$\frac{2}{3}$	$\frac{2}{3}$	0
$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
u	c	t	γ
up	charm	top	photon

Quarks

4.8 MeV	104 MeV	4.2 GeV	0
$-\frac{1}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$	0
$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
d	s	b	g
down	strange	bottom	gluon

<2.2 eV	<0.17 MeV	<15.5 MeV	91.2 GeV
0	0	0	0
$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
ν_e	ν_μ	ν_τ	Z⁰
electron neutrino	muon neutrino	tau neutrino	weak force

Leptons

0.511 MeV	105.7 MeV	1.777 GeV	80.4 GeV
-1	-1	-1	± 1
$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
e	μ	τ	W[±]
electron	muon	tau	weak force

Bosons (Forces)

+



Three Generations of Matter (Fermions)

I II III

mass →
charge →
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name →

Quarks

Leptons

2.4 MeV $\frac{2}{3}$ $\frac{1}{2}$ u up	1.27 GeV $\frac{2}{3}$ $\frac{1}{2}$ c charm	171.2 GeV $\frac{2}{3}$ $\frac{1}{2}$ t top	0 0 1 γ photon
4.8 MeV $-\frac{1}{3}$ $\frac{1}{2}$ d down	104 MeV $-\frac{1}{3}$ $\frac{1}{2}$ s strange	4.2 GeV $-\frac{1}{3}$ $\frac{1}{2}$ b bottom	0 0 1 g gluon
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Bosons (Forces)

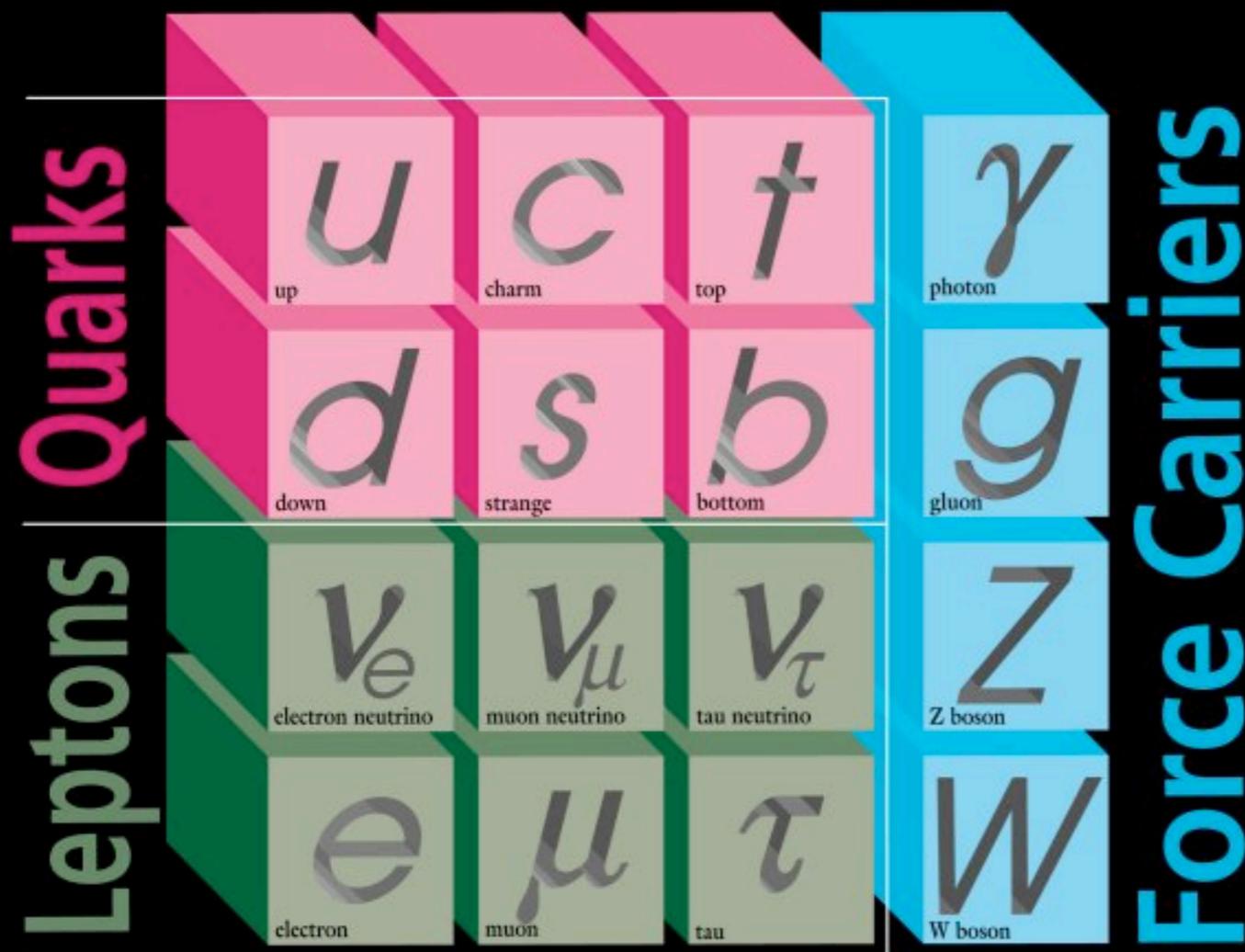
The Standard Model of Particle Physics

+

126 GeV 0 0 H higgs
--

THE Standard Model (of Particle Physics) → SMPP

ELEMENTARY PARTICLES



I II III
Three Generations of Matter

Theory of Almost Everything!

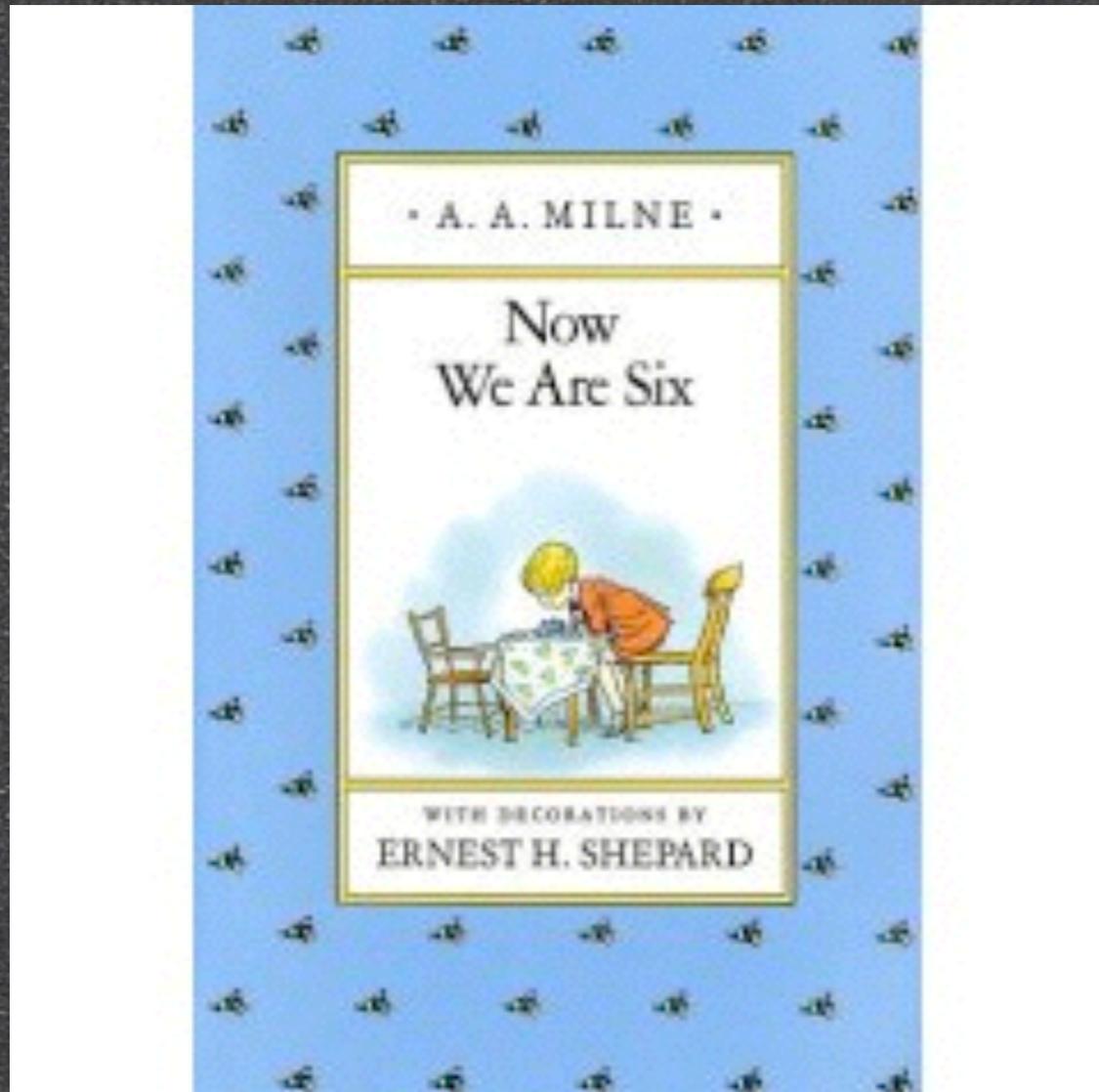
QFT

$$SU(3)_c \otimes SU(2)_L \otimes U(1)_Y$$

The Standard Model of Cosmology

- ❑ Isotropic, homogeneous, expanding (FRW)
- ❑ Spatially flat
- ❑ Dark Energy and Dark Matter dominated
- ❑ Adiabatic, Gaussian, nearly scale-invariant initial perturbations
- ❑ Determine parameters (~ 12 in all)

The Standard Model of Cosmology



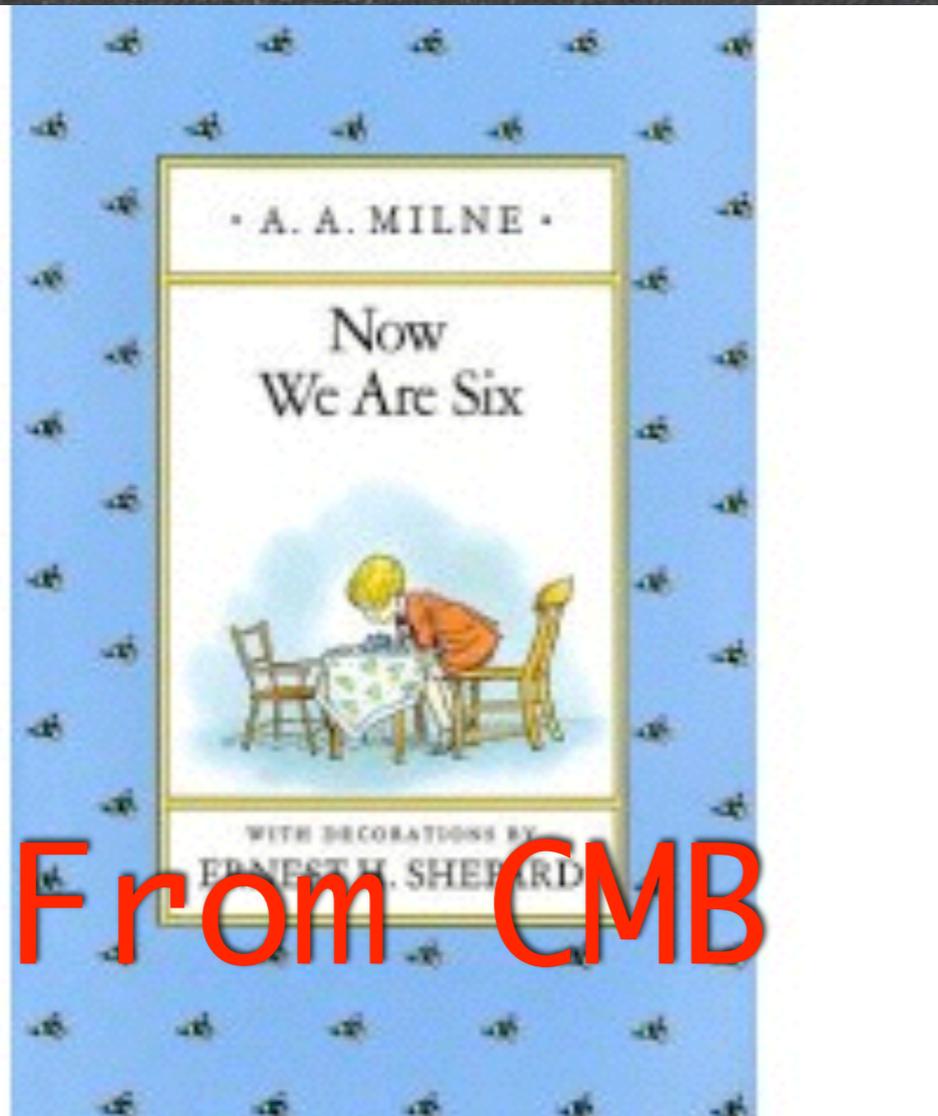
Expanding (FRW)

Matter dominated

Scale-invariant initial perturbations

• Determine parameters (~ 12 in all)

The Standard Model of Cosmology



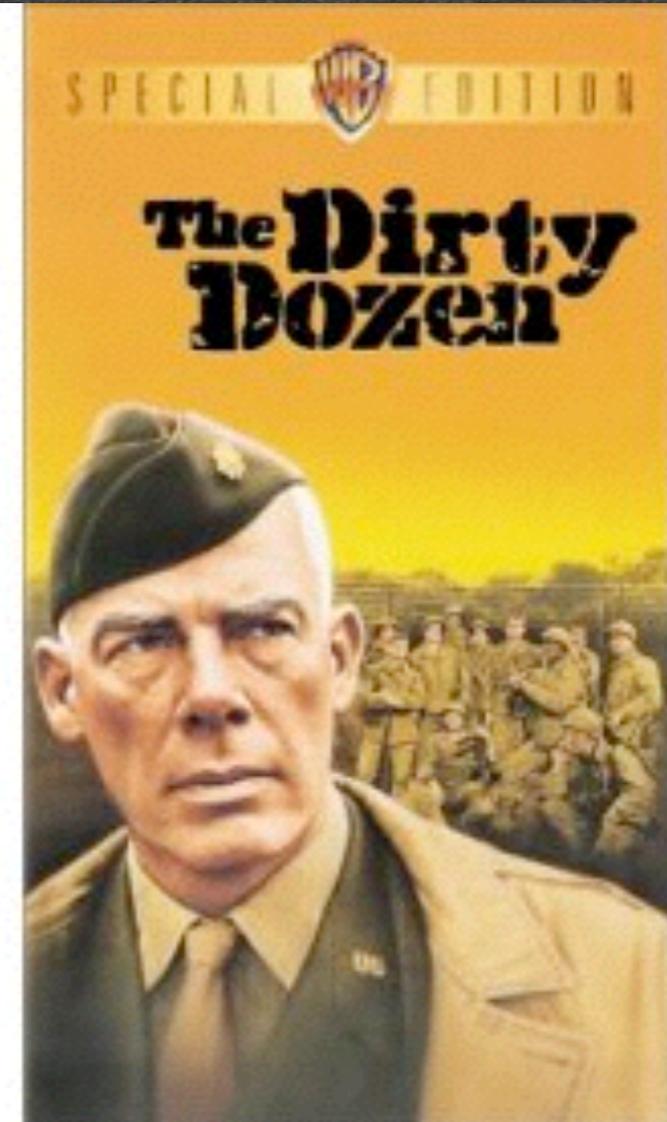
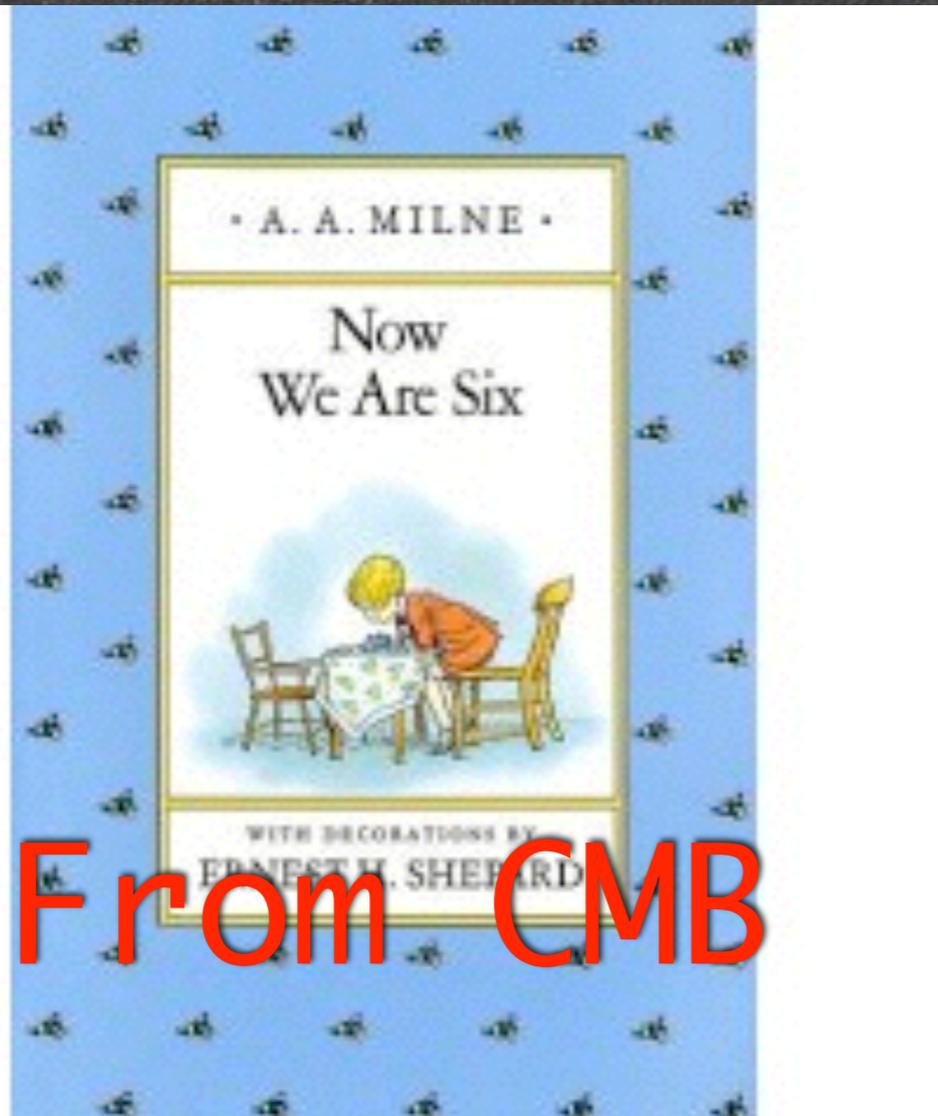
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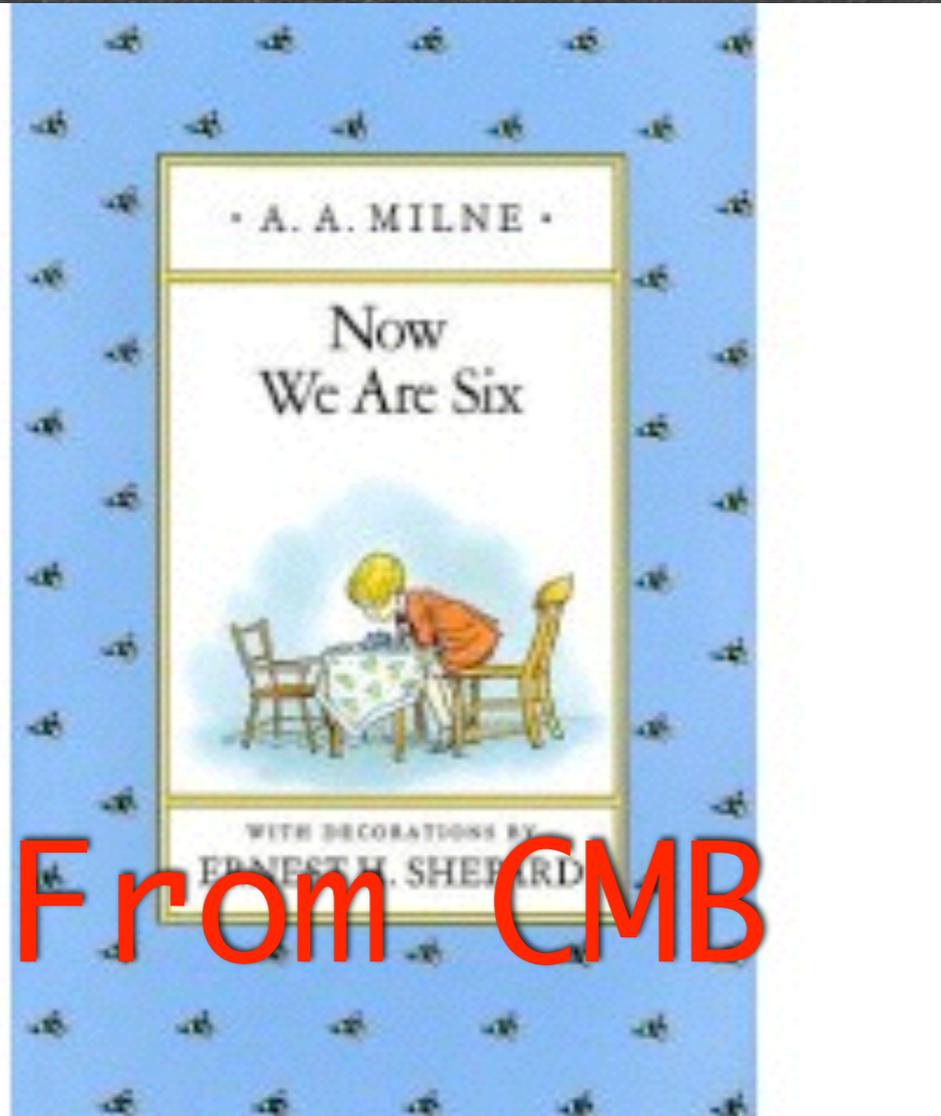
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The Standard Model of Cosmology

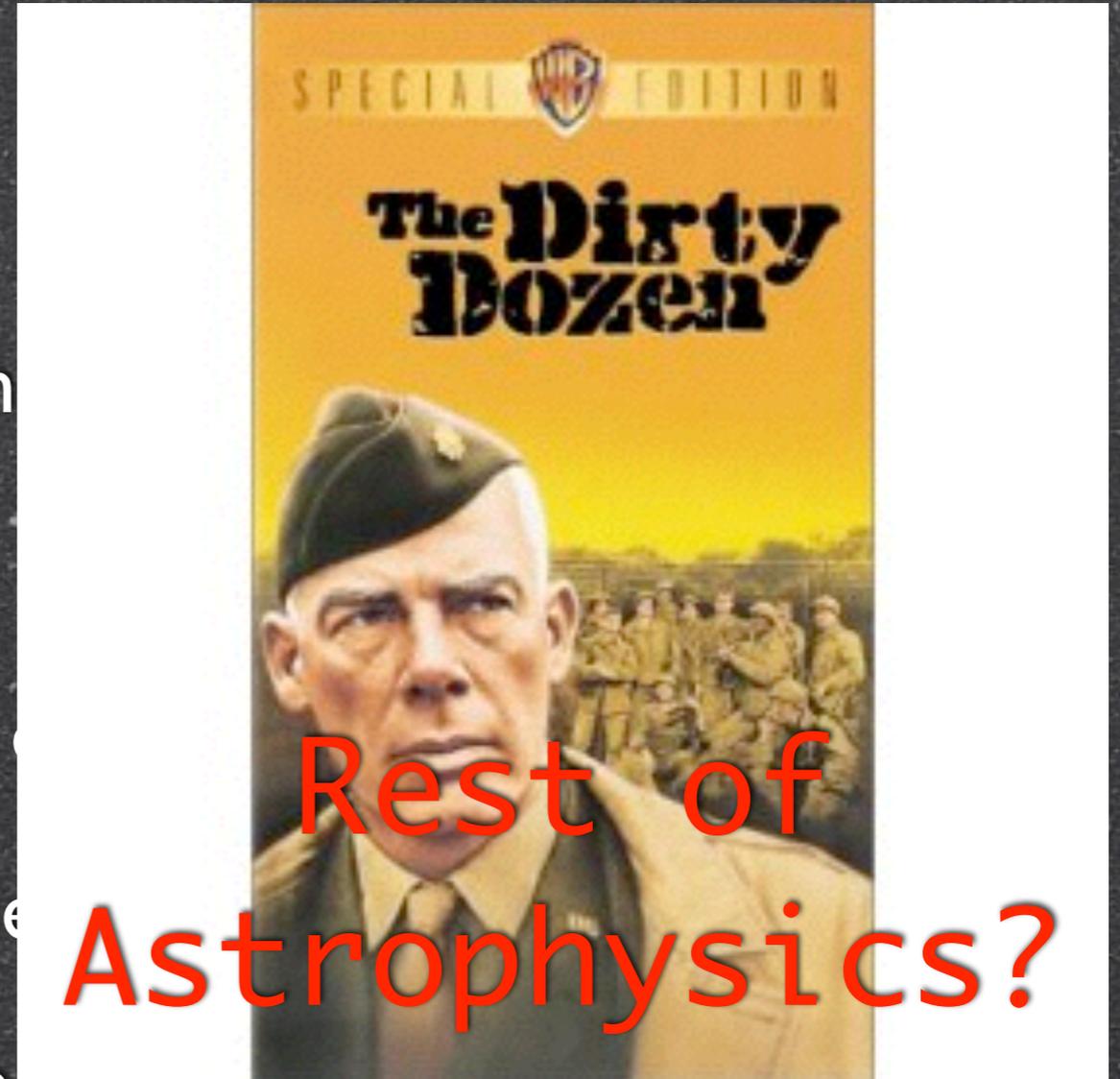


- Determine parameters (~ 12 in all)

The Standard Model of Cosmology



From CMB



Rest of
Astrophysics?

Determine parameters (~ 12 in all)

Table 1. The 26 Parameters of the Standard Model of Particle Physics.

6 quark masses:	m_u	m_d	m_s	m_c	m_t	m_b
4 quark mixing angles:	θ_{12}	θ_{23}	θ_{13}	δ		
6 lepton masses:	m_e	m_μ	m_τ	m_{ν_e}	m_{ν_μ}	m_{ν_τ}
4 lepton mixing angles:	θ'_{12}	θ'_{23}	θ'_{13}	δ'		
3 electroweak parameters:	α	G_F	M_Z			
1 Higgs mass:	m_H					
1 strong CP violating phase:	$\bar{\theta}$					
1 QCD coupling constant:	$\alpha_S(M_Z)$					
<hr/>						
26 total parameters						

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A, B, C, D, E, F, G,
H, I, J, K, L, M, N,
O, P, Q, R, S, T, U,
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Table 2. The 12 Parameters of the Standard Model of Cosmology.

1 temperature:	T_0				
1 timescale:	H_0				
4 densities:	Ω_Λ	Ω_{CDM}	Ω_{B}	Ω_ν	
1 pressure:	$w \equiv p/\rho$				
1 mean free path:	τ_{reion}				
4 fluctuation descriptors:	A	n	$n' \equiv dn/d \ln k$	$r \equiv T/S$	
12 total parameters					

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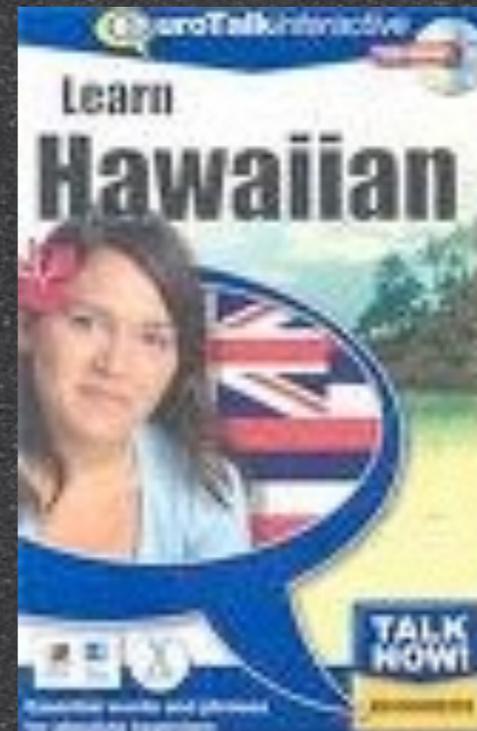
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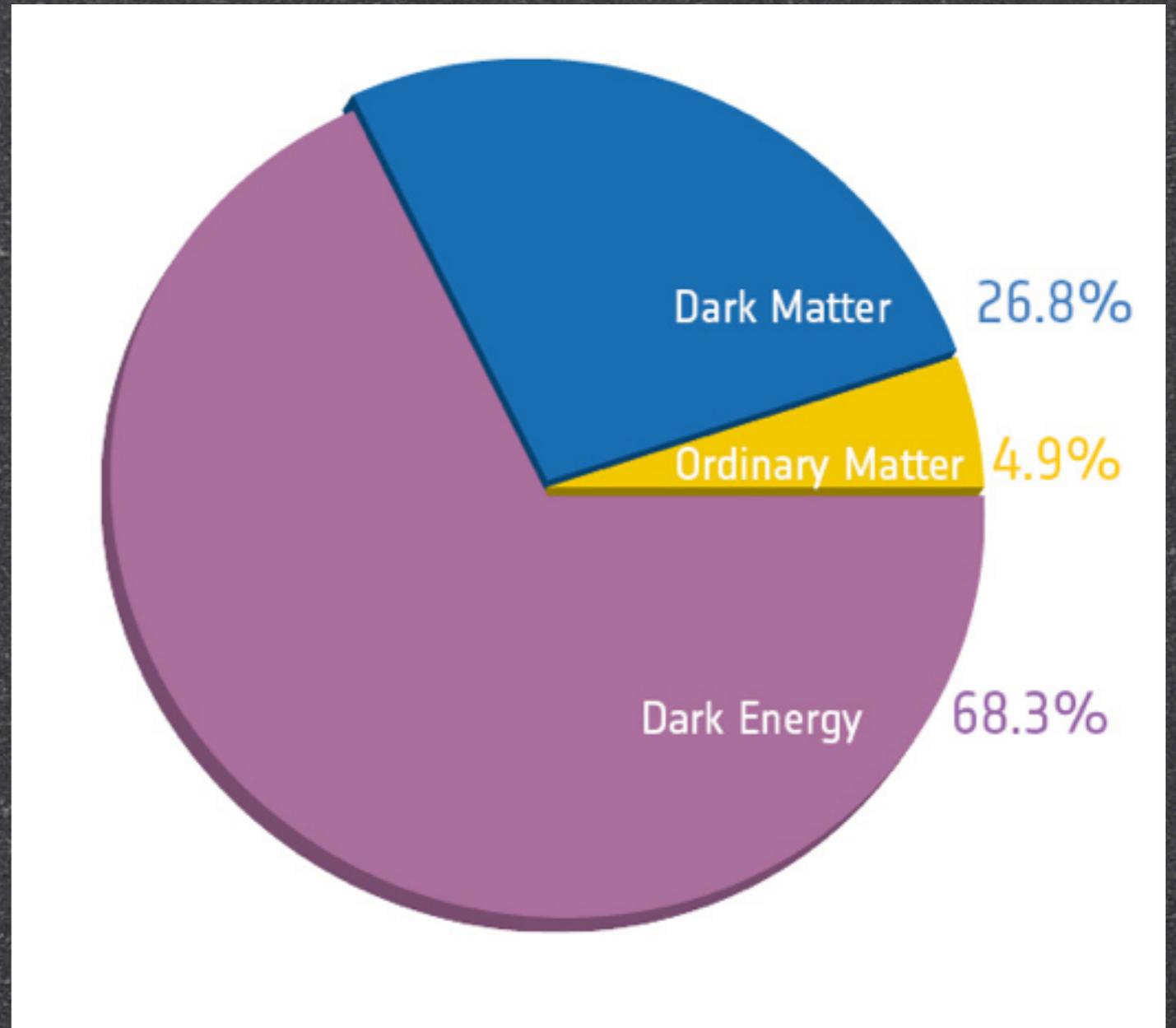
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L, M, N, O, P,
U, W



COSMIC CENSUS

DE \approx 68%
DM \approx 27%
B \approx 5%
 ν \approx 0.1%
 γ \approx 0.05%
GW \approx 0%

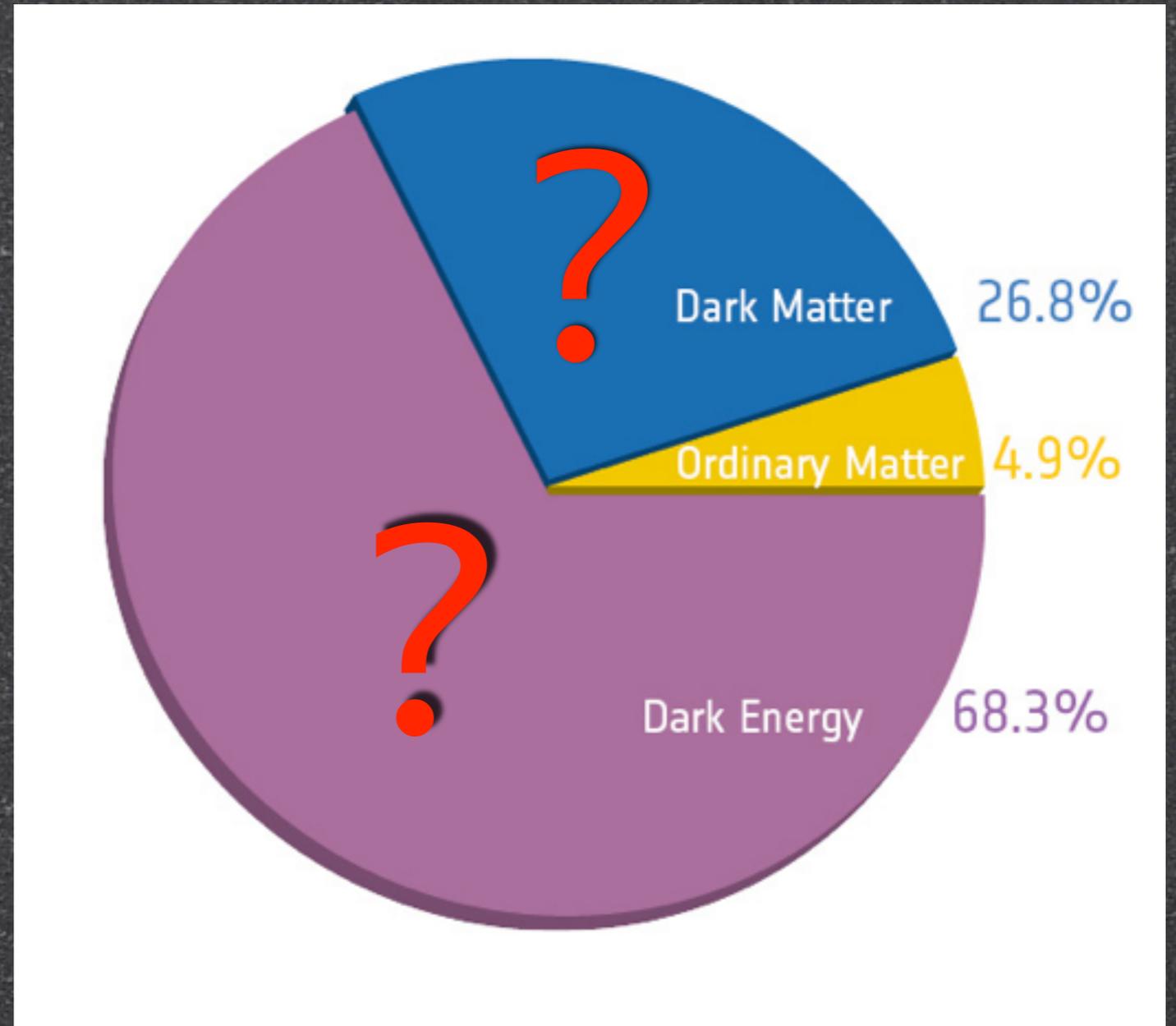
$\Sigma = 100\%$



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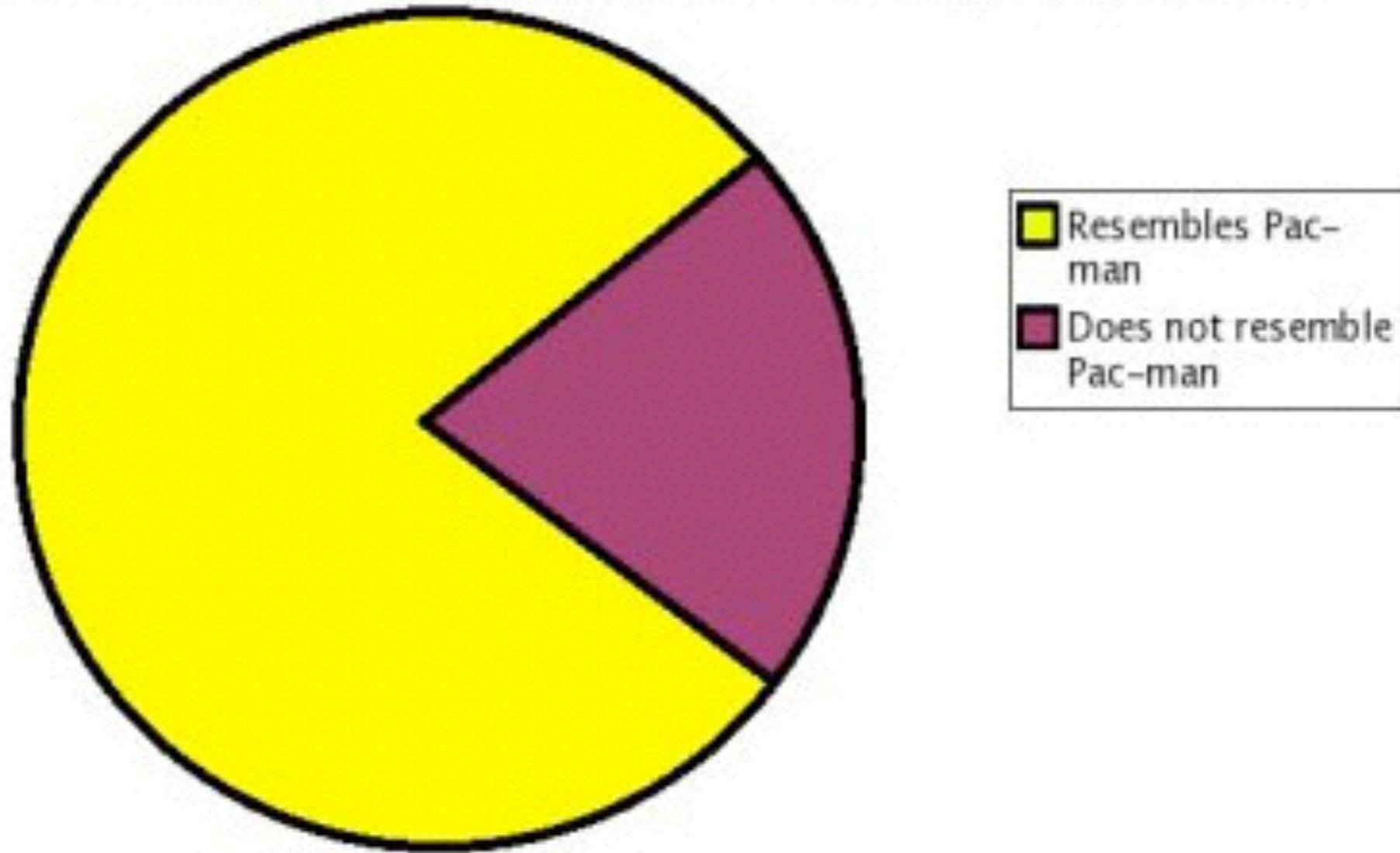
$\Sigma = 100\%$



Least informative pie-chart

COSMIC CENSUS

Percentage of Chart Which Resembles Pac-man



Funniest pie-chart

Vintage of the SMC?

CWRU-P6-95
FERMLAB-Pub-95/063-A
astro-ph/9504003

THE COSMOLOGICAL CONSTANT IS BACK

Lawrence M. Krauss¹ and Michael S. Turner^{2,3}

¹*Departments of Physics and Astronomy
Case Western Reserve University
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²*Departments of Physics and of Astronomy & Astrophysics
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³*NASA/Fermilab Astrophysics Center
Fermi National Accelerator Laboratory, Batavia, IL 60510-0500*

(submitted to *Gravity Research Foundation Essay Competition*)

SUMMARY

A diverse set of observations now compellingly suggest that Universe possesses a nonzero cosmological constant. In the context of quantum-field theory a cosmological constant corresponds to the energy density of the vacuum, and the wanted value for the cosmological constant corresponds to a very tiny vacuum energy density. We discuss future observational tests for a cosmological constant as well as the fundamental theoretical challenges—and opportunities—that this poses for particle physics and for extending our understanding of the evolution of the Universe back to the earliest moments.

COSMIC CONCORDANCE

J. P. Ostriker

Department of Astrophysical Sciences

Princeton University

Princeton, N.J. 08544 USA

Paul J. Steinhardt

Department of Physics and Astronomy

University of Pennsylvania

Philadelphia, Pennsylvania 19104 USA

Abstract

It is interesting, and perhaps surprising, that despite a growing diversity of independent astronomical and cosmological observations, there remains a substantial range of cosmological models consistent with all important observational constraints. The constraints guide one forcefully to examine models in which the matter density is substantially less than critical density. Particularly noteworthy are those which are consistent with inflation. For these models, microwave background anisotropy, large-scale structure measurements, direct measurements of the Hubble constant, H_0 , and the closure parameter, Ω_{Matter} , ages of stars and a host of more minor facts are all consistent with a spatially flat model having significant cosmological constant $\Omega_{\Lambda} = 0.65 \pm 0.1$, $\Omega_{\text{Matter}} = 1 - \Omega_{\Lambda}$ (in the form of “cold dark matter”) and a small tilt: $0.8 < n < 1.2$.

Vintage of the SMC?

CWRU-P6-95
FERMILAB-Pub-95/063-A
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arXiv:astro-ph/9504003 v1 3 Apr 1995

arXiv:astro-ph/9505066 v1 16 May 1995

Vintage of the SMC?

Nature **348**, 705 - 707 (27 December 1990); doi:10.1038/348705a0

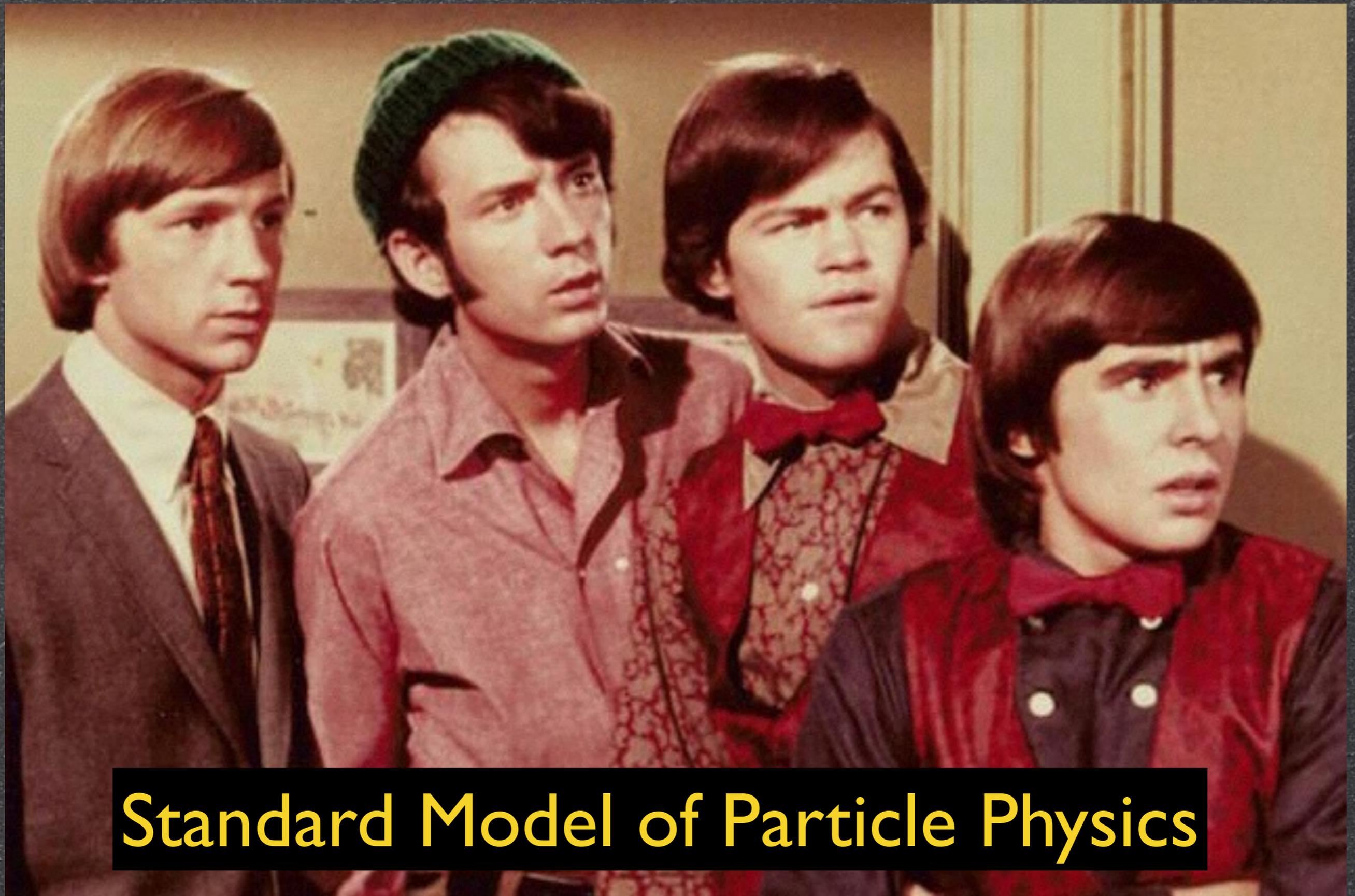
The cosmological constant and cold dark matter

G. EFSTATHIOU, W. J. SUTHERLAND & S. J. MADDOX

Department of Physics, University of Oxford, Oxford OX1 3RH, UK

THE cold dark matter (CDM) model¹⁻⁴ for the formation and distribution of galaxies in a universe with exactly the critical density is theoretically appealing and has proved to be durable, but recent work⁵⁻⁸ suggests that there is more cosmological structure on very large scales ($l > 10 h^{-1}$ Mpc, where h is the Hubble constant H_0 in units of $100 \text{ km s}^{-1} \text{ Mpc}^{-1}$) than simple versions of the CDM theory predict. We argue here that the successes of the CDM theory can be retained and the new observations accommodated in a spatially flat cosmology in which as much as 80% of the critical density is provided by a positive cosmological constant, which is dynamically equivalent to endowing the vacuum with a non-zero energy density. In such a universe, expansion was dominated by CDM until a recent epoch, but is now governed by the cosmological constant. As well as explaining large-scale structure, a cosmological constant can account for the lack of fluctuations in the microwave background and the large number of certain kinds of object found at high redshift.

What's about a half century old?



Standard Model of Particle Physics

What's about a quarter century old?



Standard Model of Cosmology

SMC Predictions

Confirmation

 CMB Acoustic Peaks	1994
 Acceleration	1998
 Cosmic Shear	2000
 Cosmic Jerk	2001
 CMB Polarization	2002
 Baryon Acoustic Oscillations	2003
 ISW-LSS Correlation	2005
 CMB-lensing Correlations	2007

+ SZ power, CMB lensing convergence, ...

Acoustic Peaks

Acoustic Peaks

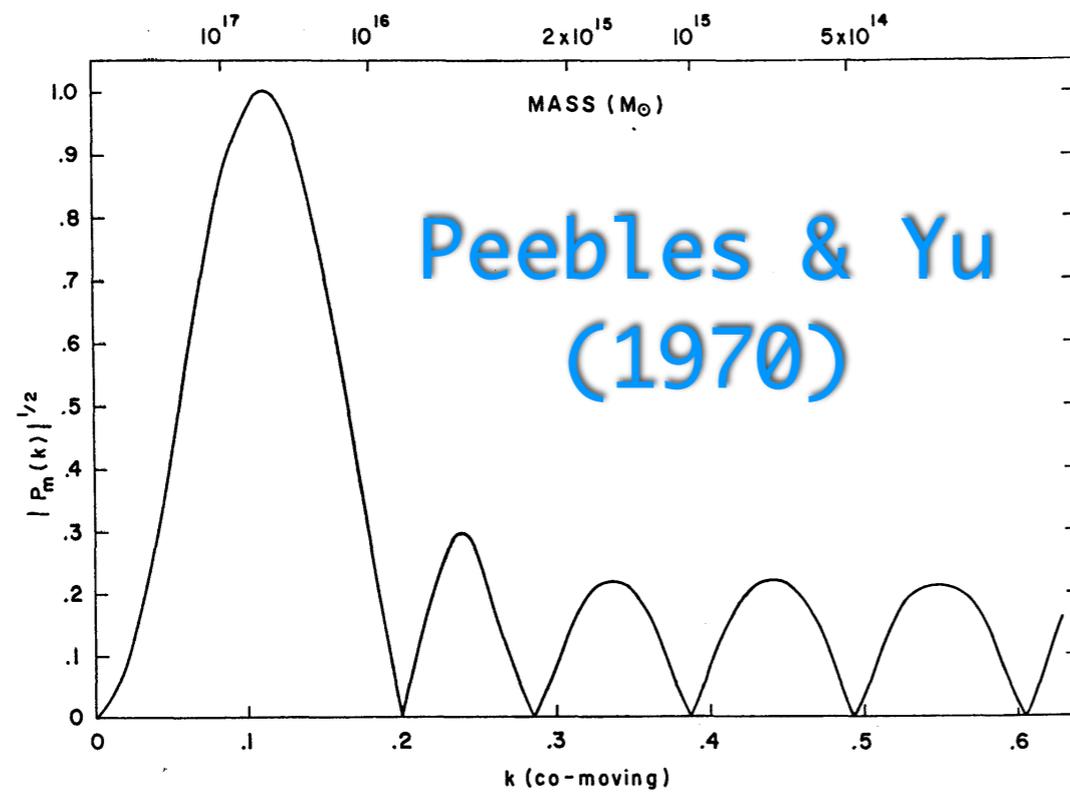


FIG. 5.—Same as Fig. 4 for the cosmologically flat general-relativity model, $\rho_0 = \rho_c$. The normalization is fixed to peak value unity.

Acoustic

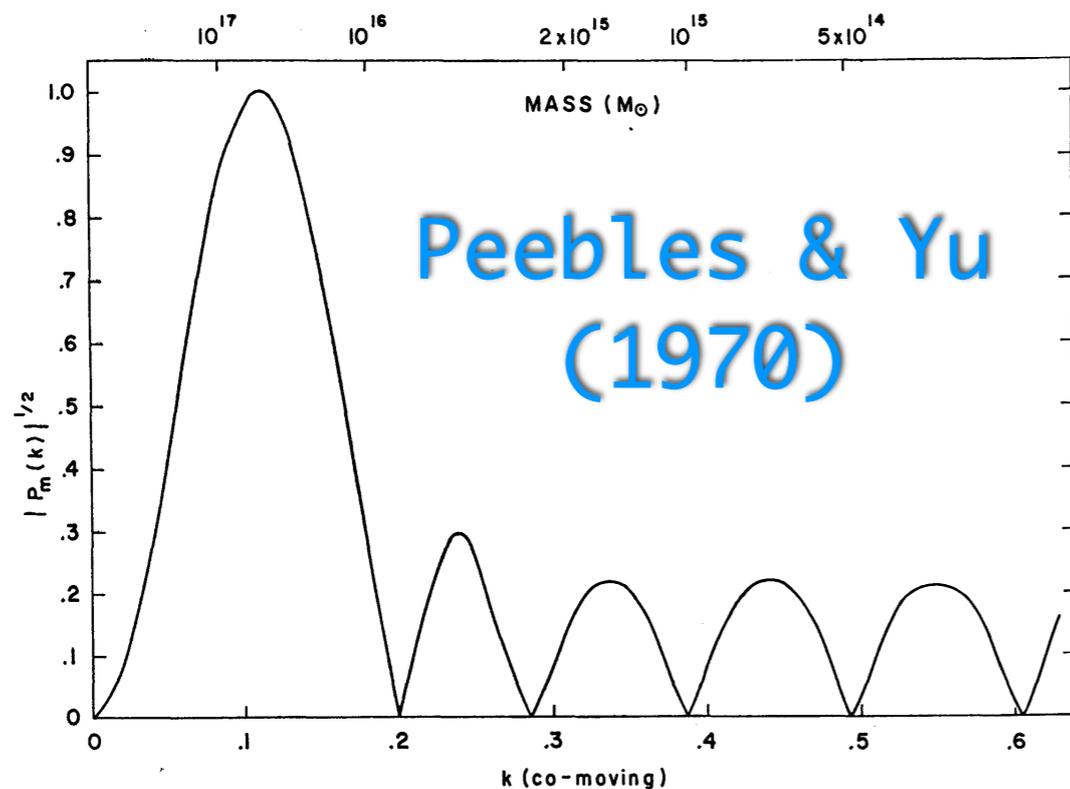


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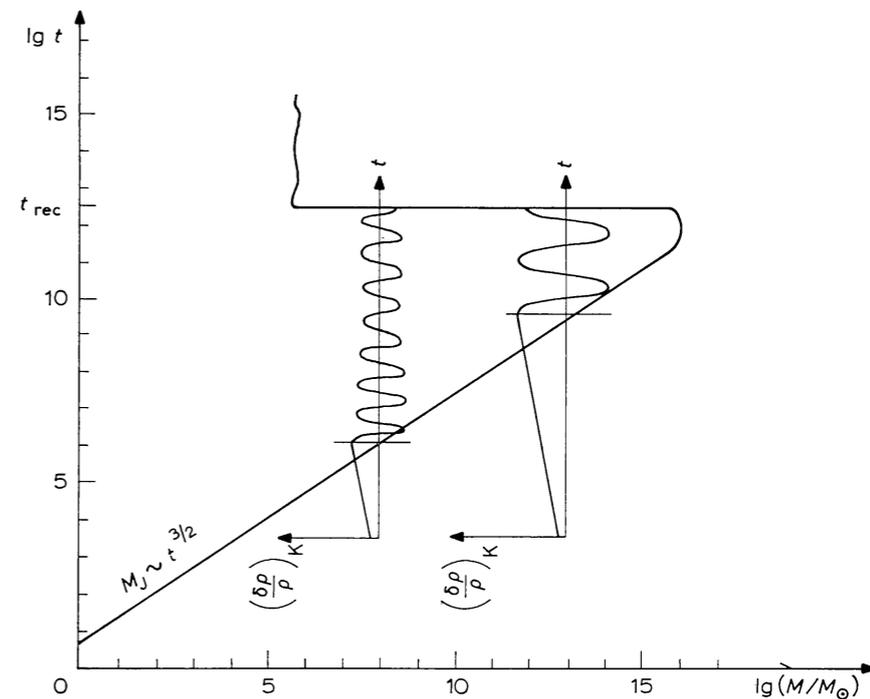


Fig. 1a. Diagram of gravitational instability in the 'big-bang' model. The region of instability is located to the right of the line $M_J(t)$; the region of stability to the left. The two additional lines of the graph demonstrate the temporal evolution of density perturbations of matter: growth until the moment when the considered mass is smaller than the Jeans mass and oscillations thereafter. It is apparent that at the moment of recombination perturbations corresponding to different masses correspond to different phases.

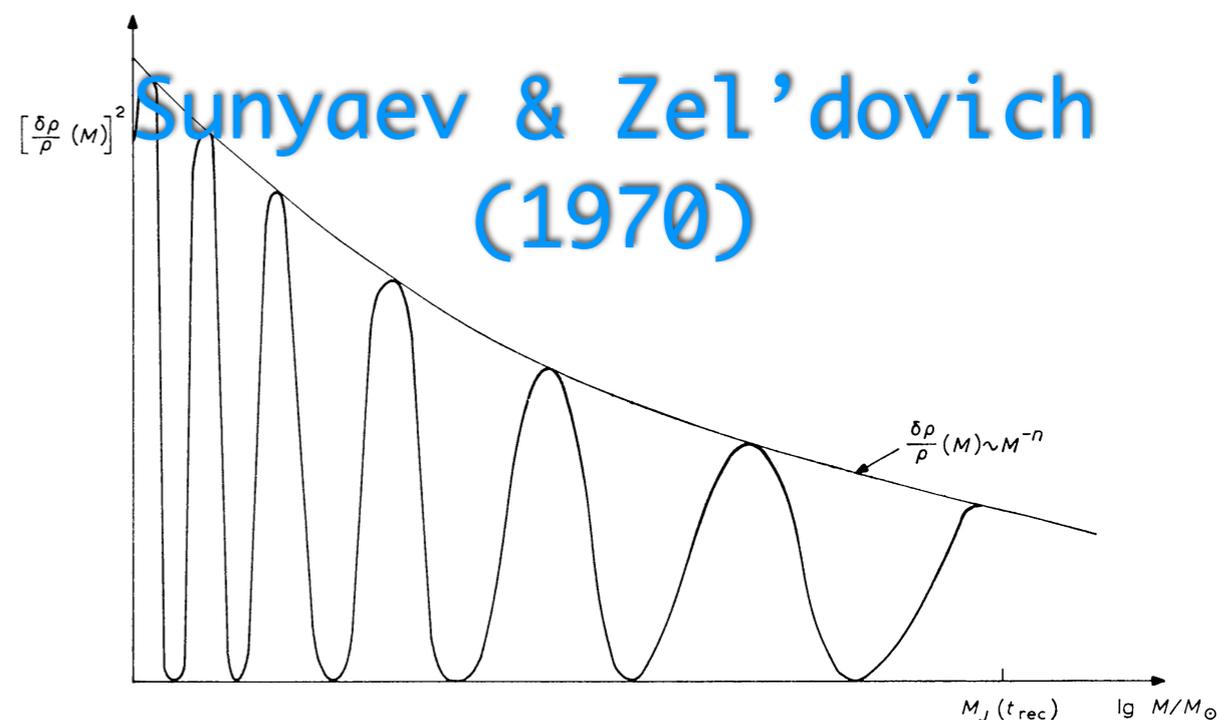
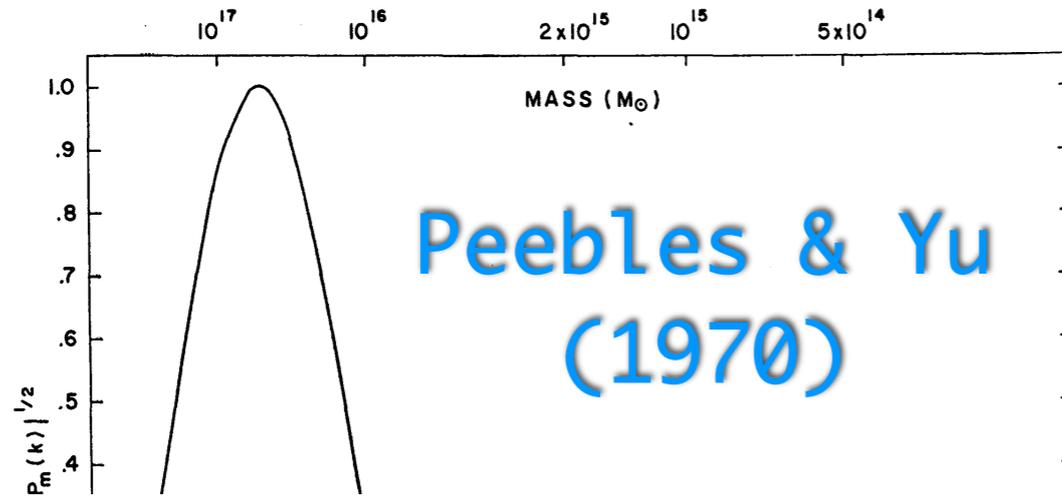
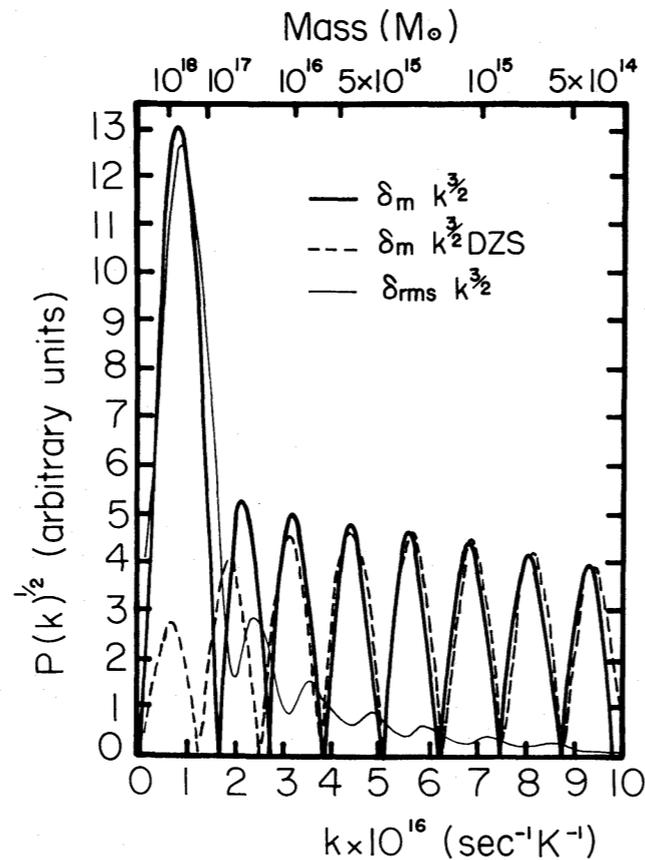


Fig. 1b. The dependence of the square of the amplitude of density perturbations of matter on scale. The fine line designates the usually assumed dependence $(\delta\rho/\rho)_M \sim M^{-n}$. It is apparent that fluctuations of relic radiation should depend on scale in a similar manner.

Acoustic



Peebles & Yu
(1970)



Wilson & Silk
(1981)

FIG. 1.—Residual matter and radiation adiabatic fluctuation spectra $P(k) = k^3 |\delta_m|^2$ for $n = 0$. Normalization is arbitrary, but relative normalization is that for $T = 2000$ K. Note that $\delta_m \propto T^{-1}$, whereas δ_{rms} is constant in time. Also shown for comparison is the analytic fit of the residual matter spectrum adopted by Doroshkevich *et al.* (1978), denoted by DZS.

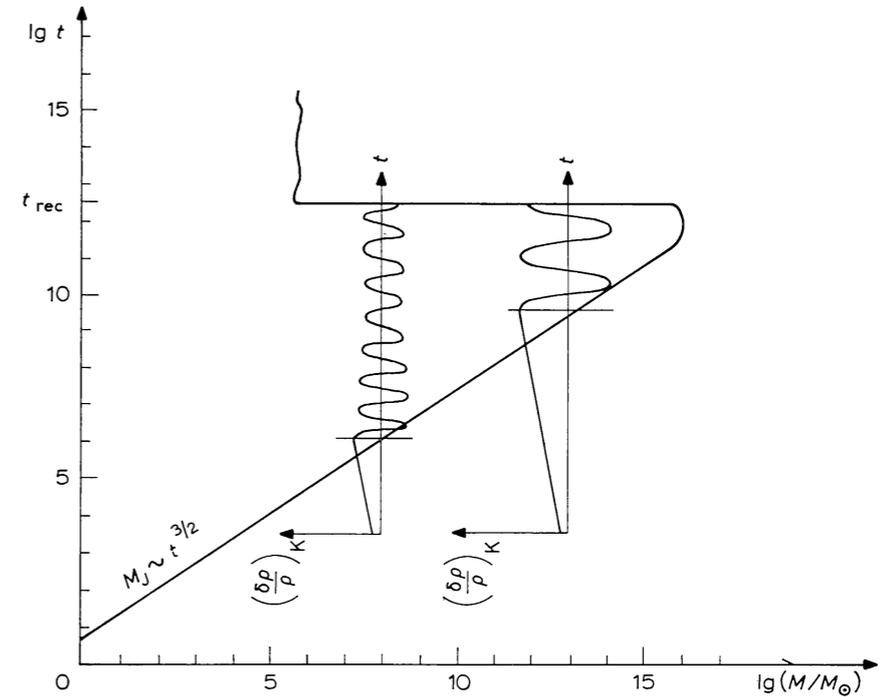


Fig. 1a. Diagram of gravitational instability in the 'big-bang' model. The region of instability is located to the right of the line $M_J(t)$; the region of stability to the left. The two additional lines of the graph demonstrate the temporal evolution of density perturbations of matter: growth until the time of recombination, after which the amplitude of the perturbations is smaller than the Jeans mass and oscillations thereafter. It is apparent that fluctuations corresponding to different masses correspond to different phases.

Sunyaev & Zel'dovich
(1970)

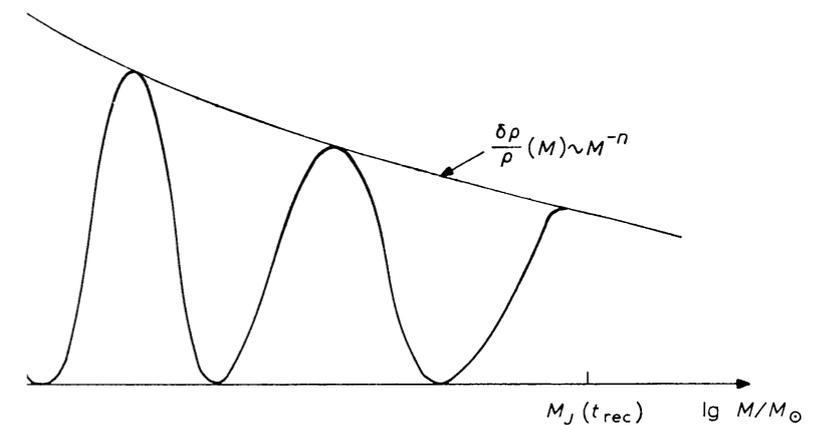
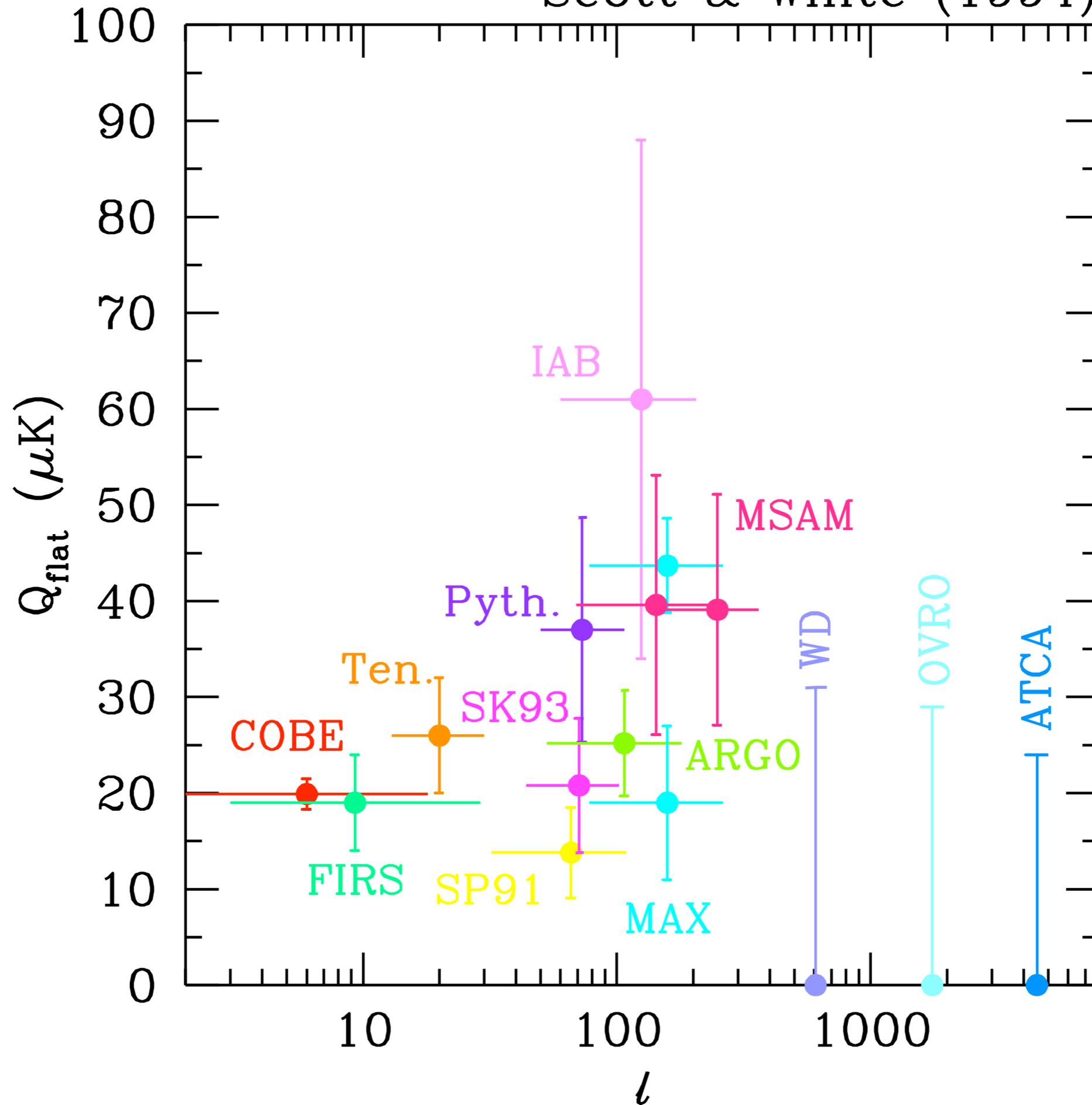
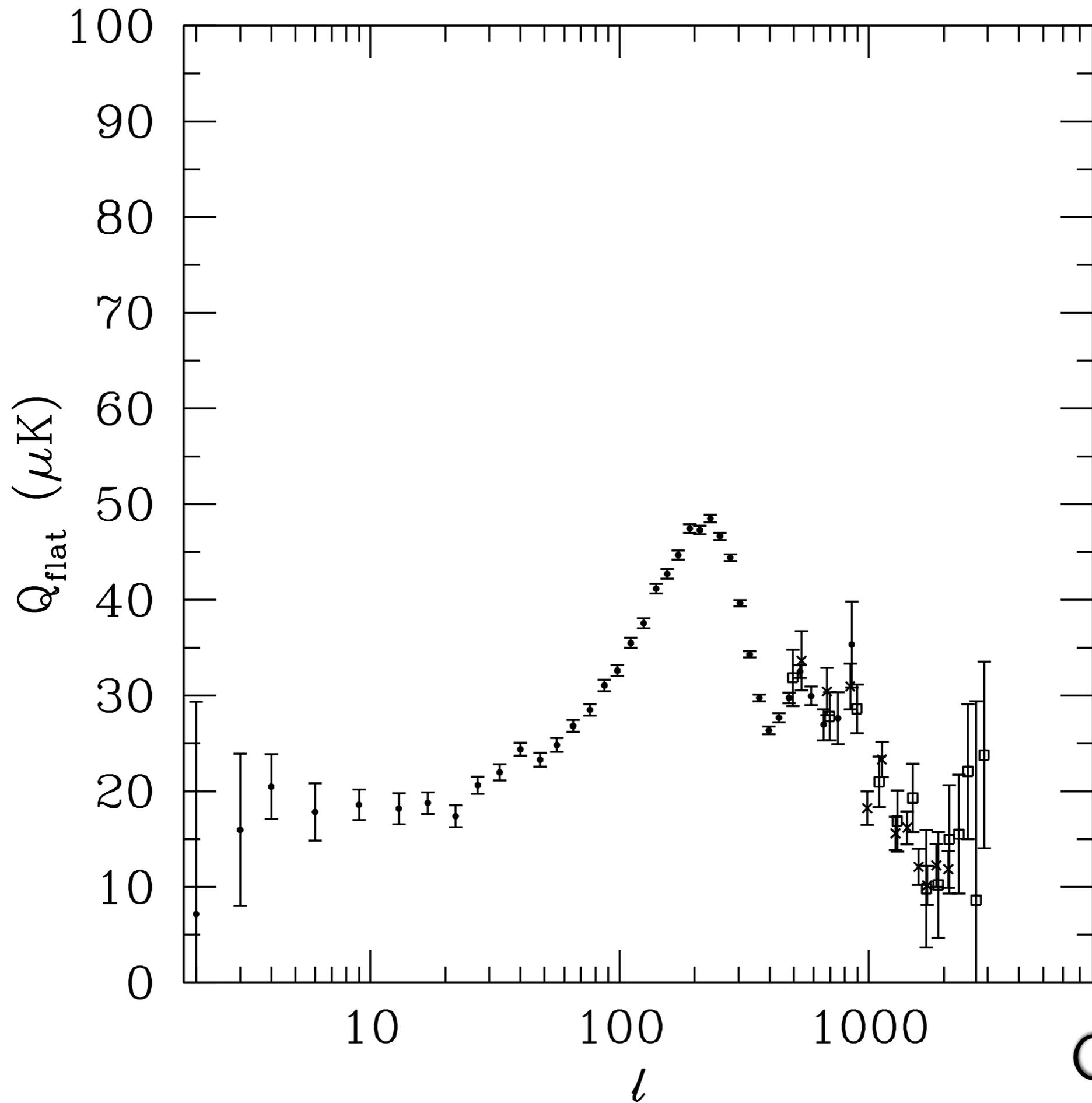


Figure showing the square of the amplitude of density perturbations of matter on scale. The assumed dependence $(\delta \rho / \rho)_M \sim M^{-n}$. It is apparent that fluctuation should depend on scale in a similar manner.

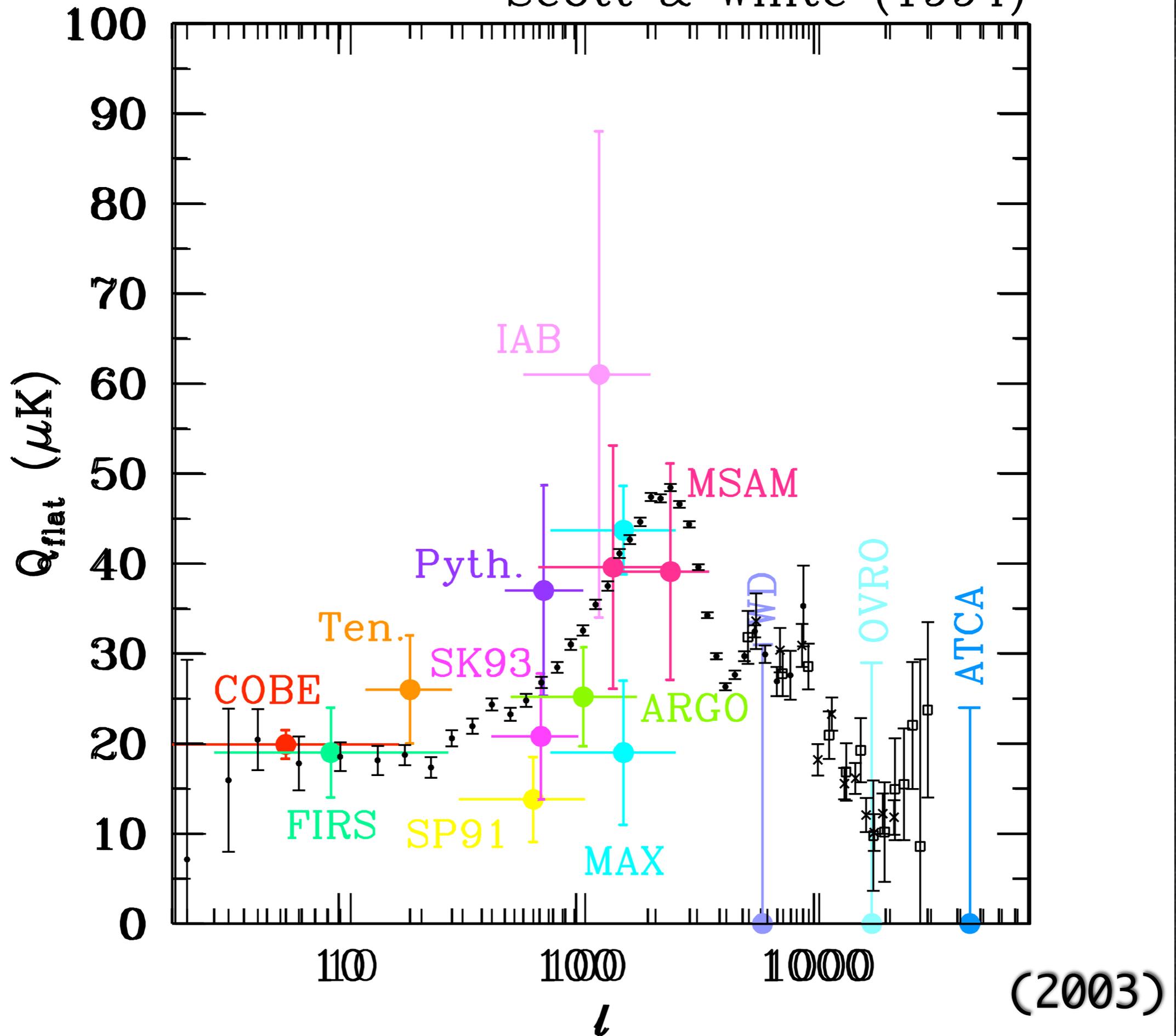
Scott & White (1994)



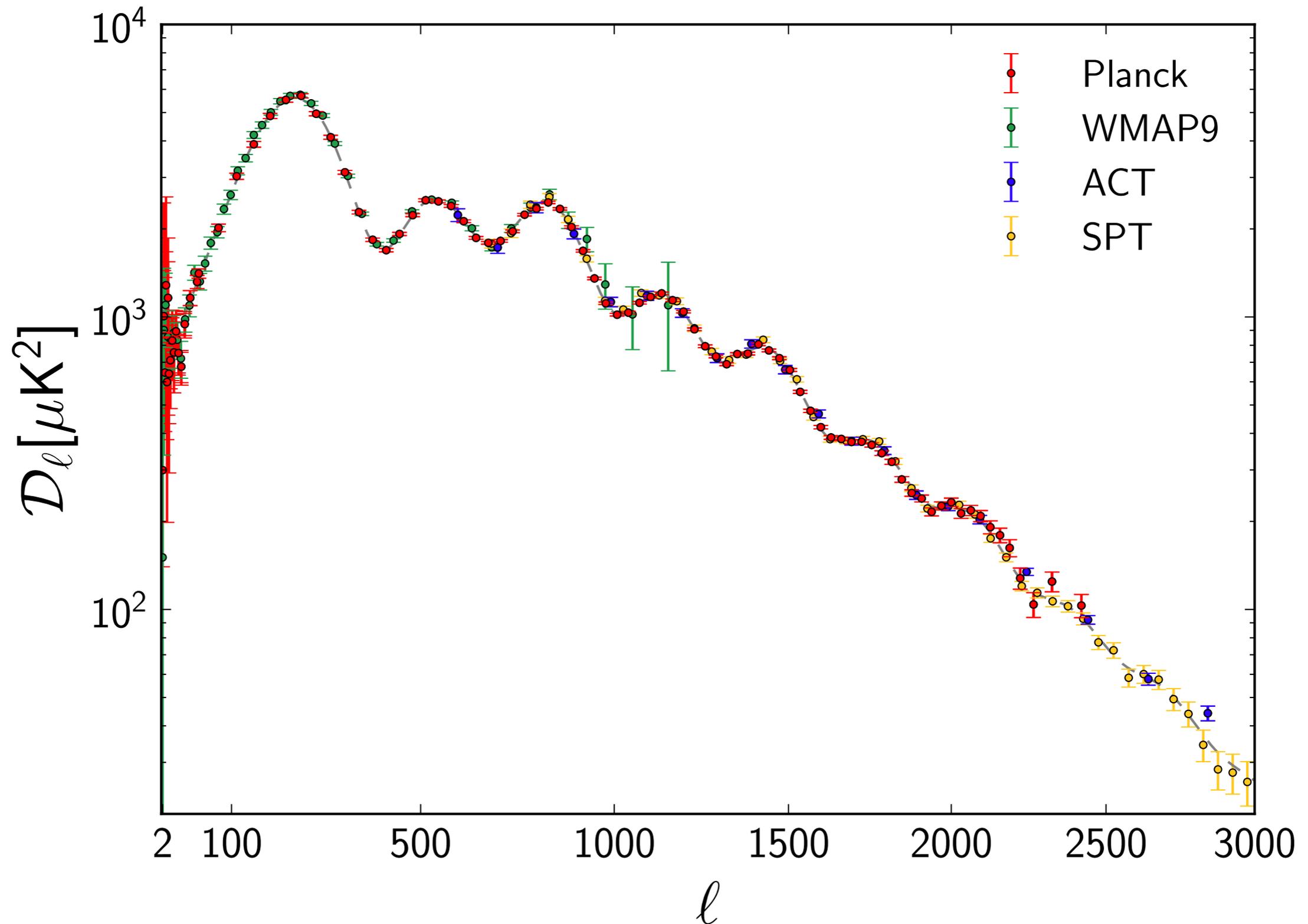


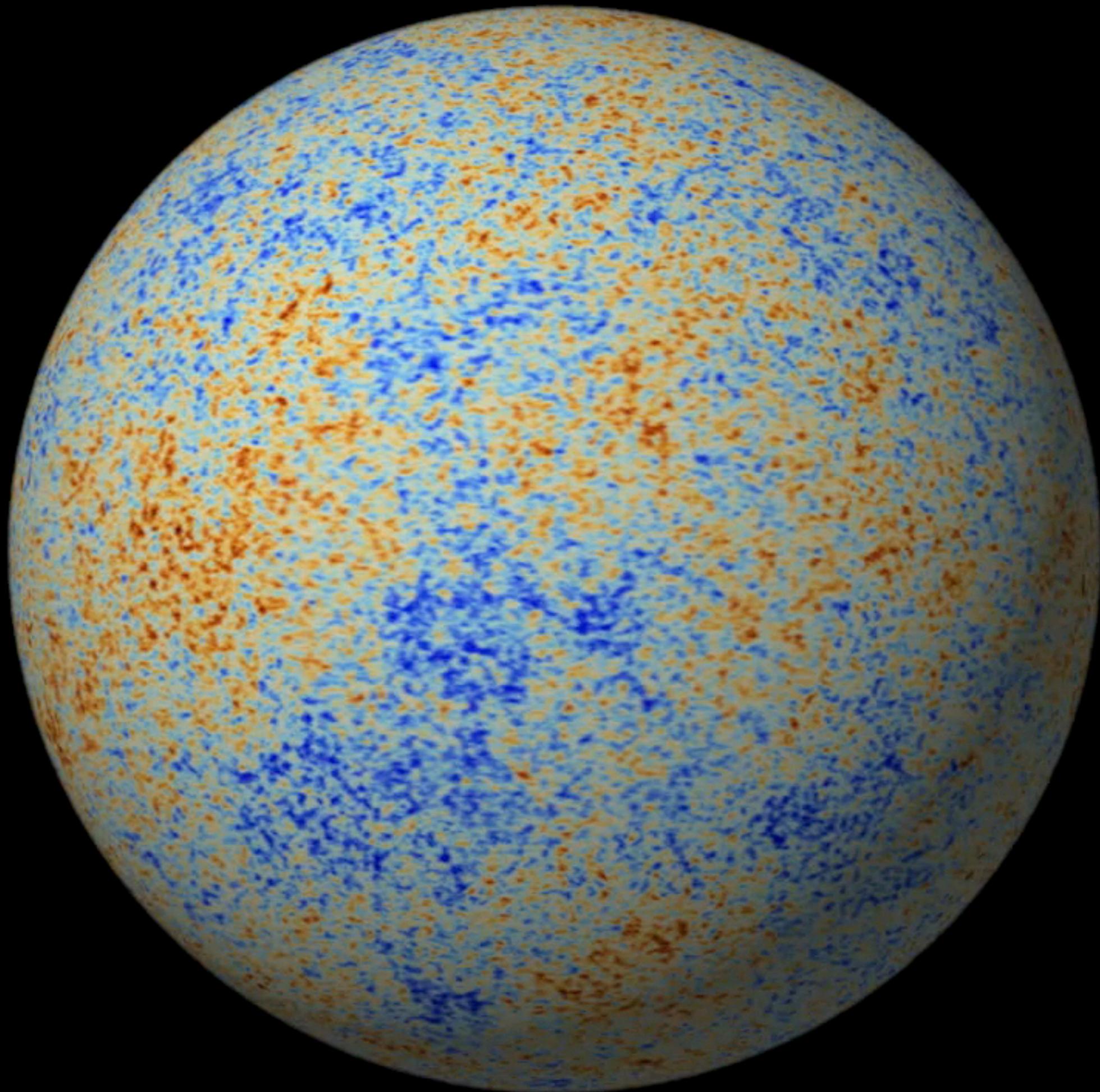
(2003)

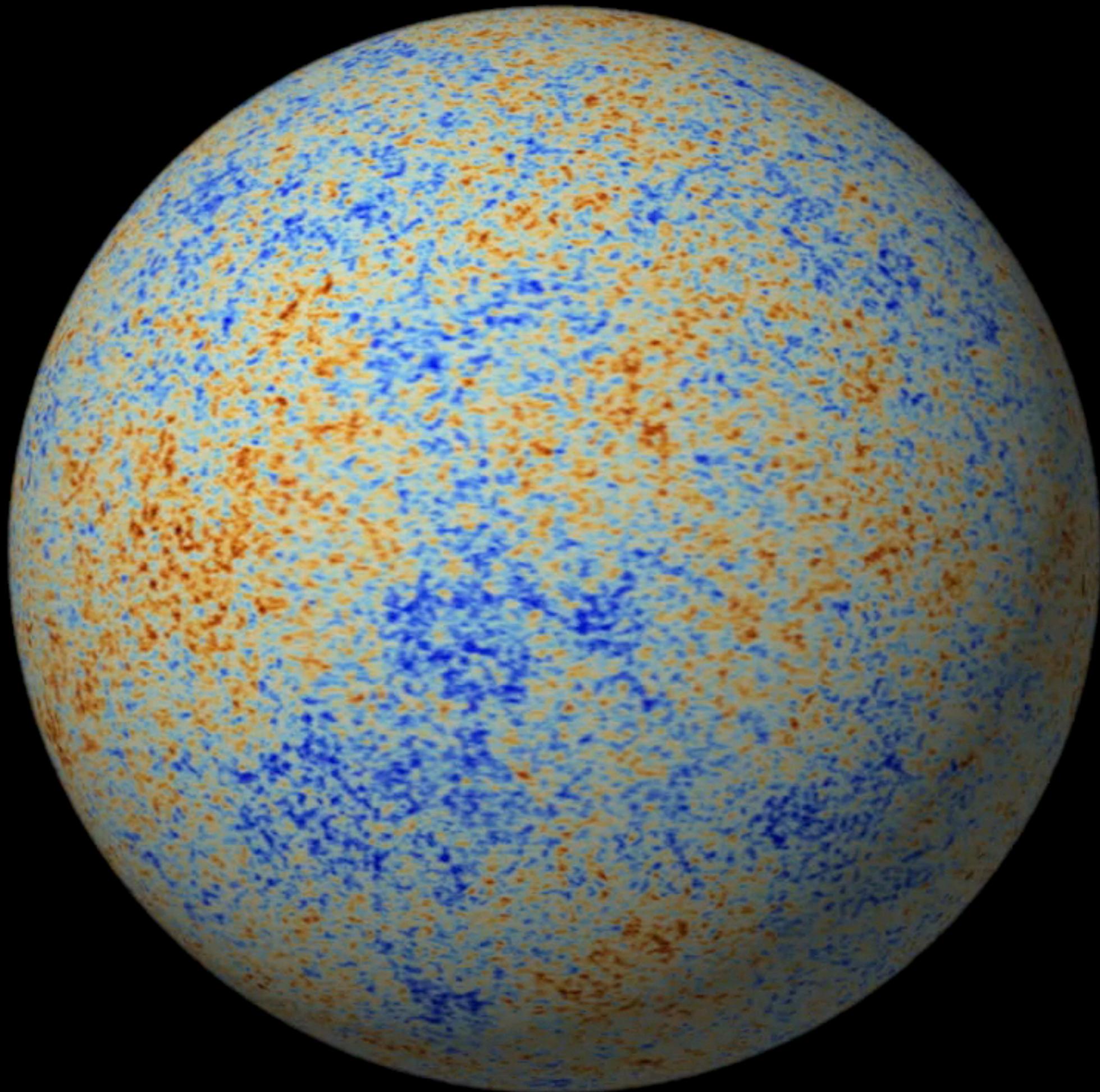
Scott & White (1994)



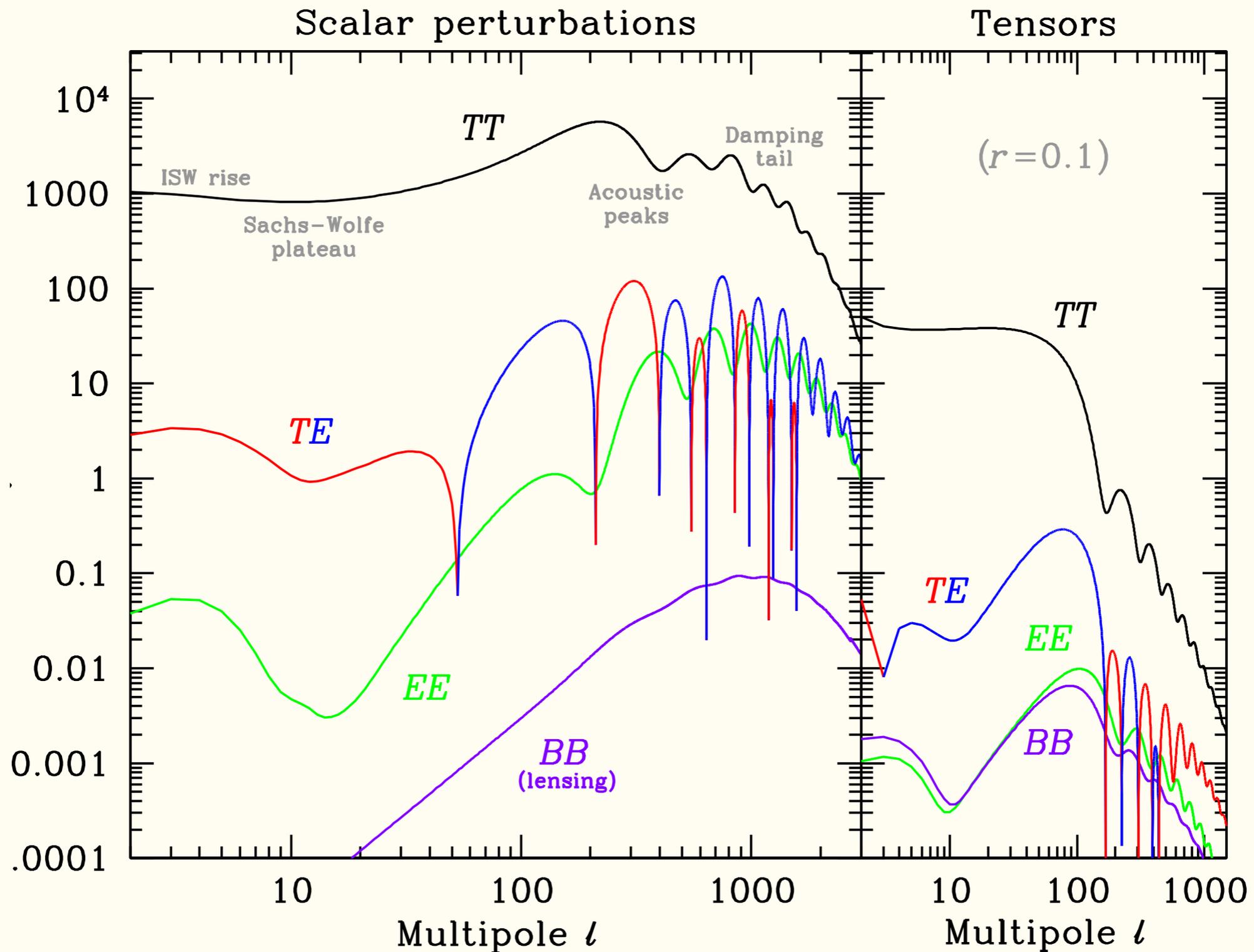
The “precision era” of CMBology
(dominated by Planck, but that will change soon)



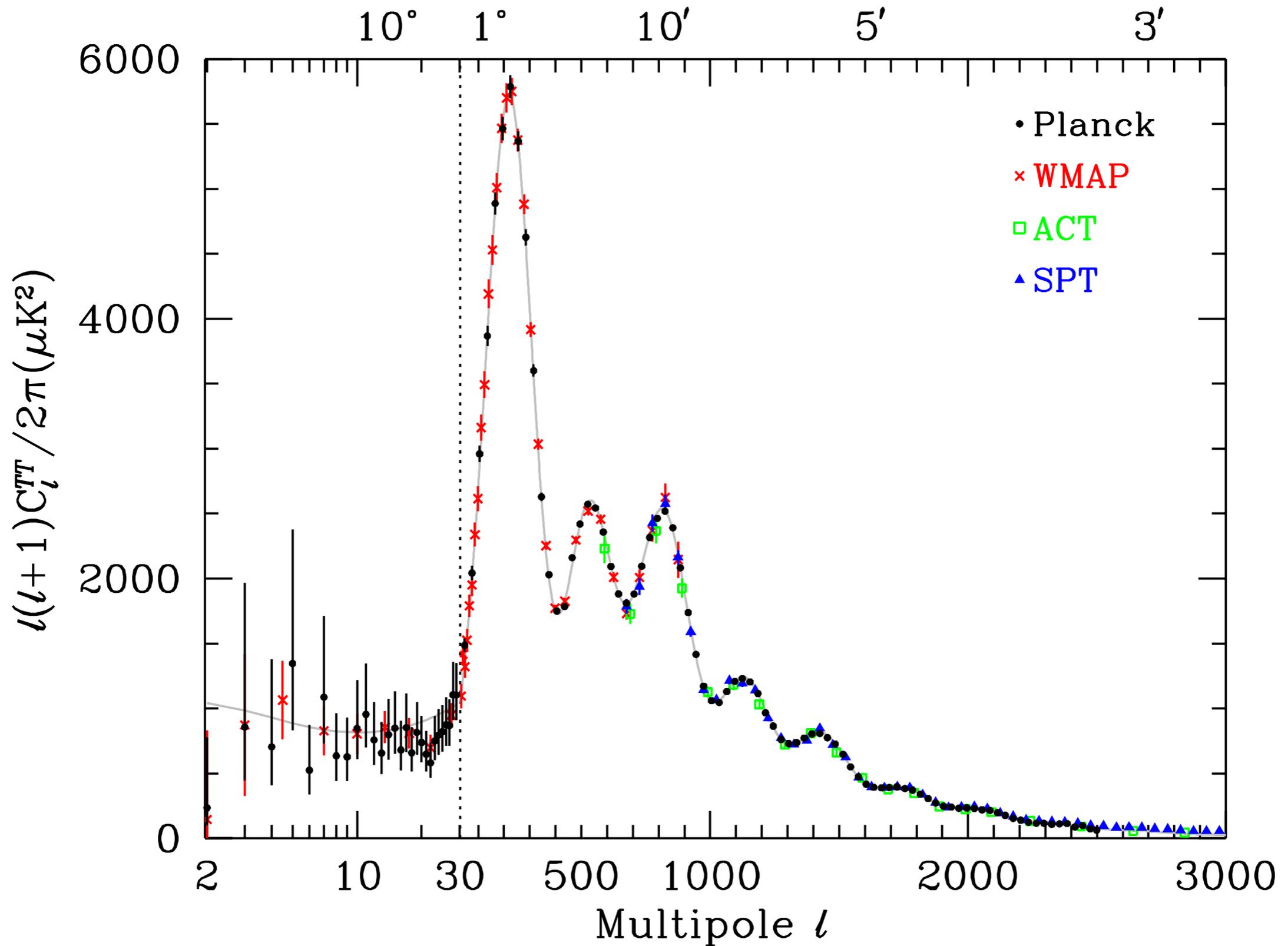




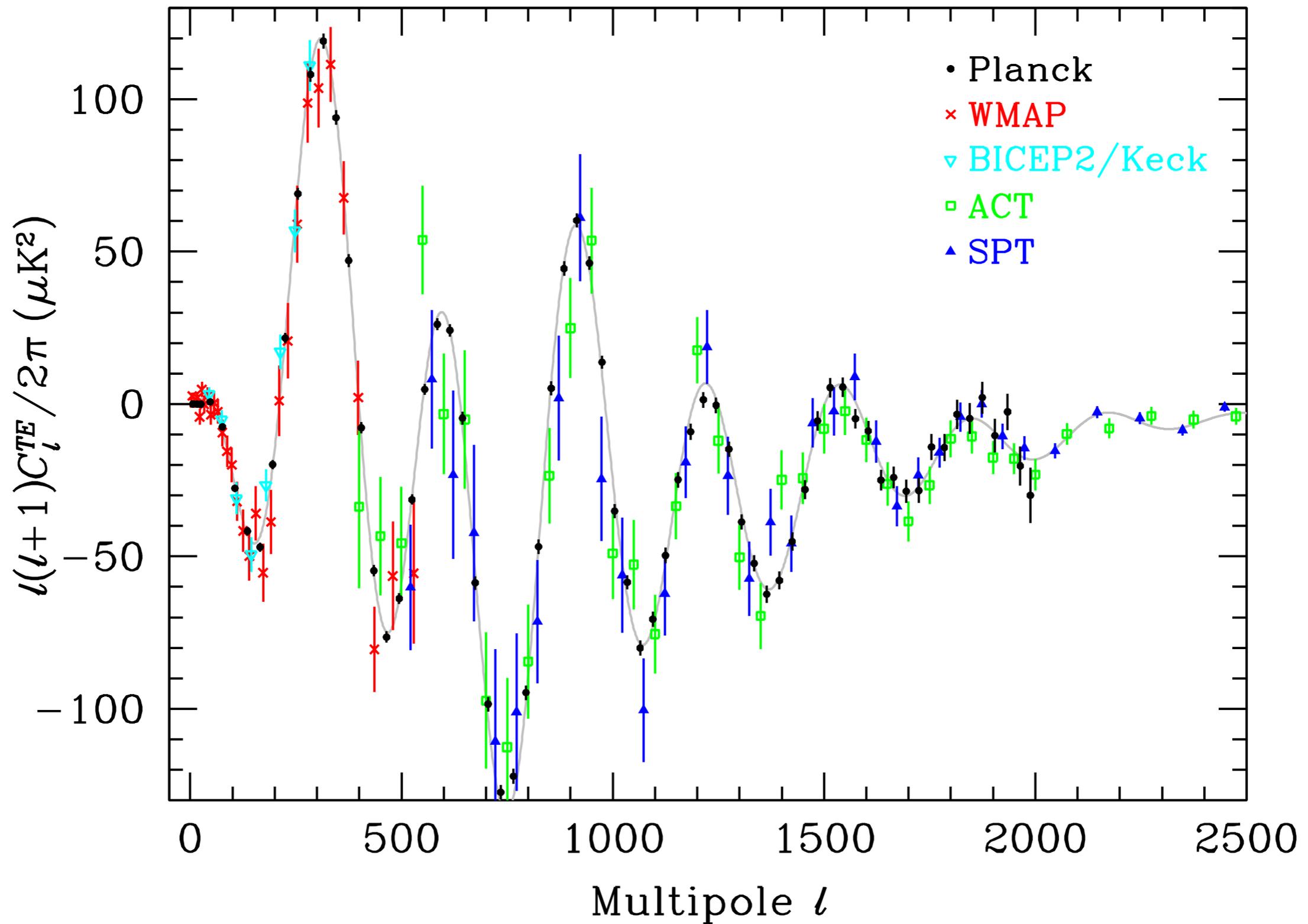
Can precisely calculate 4 power spectra (given a set of parameters)



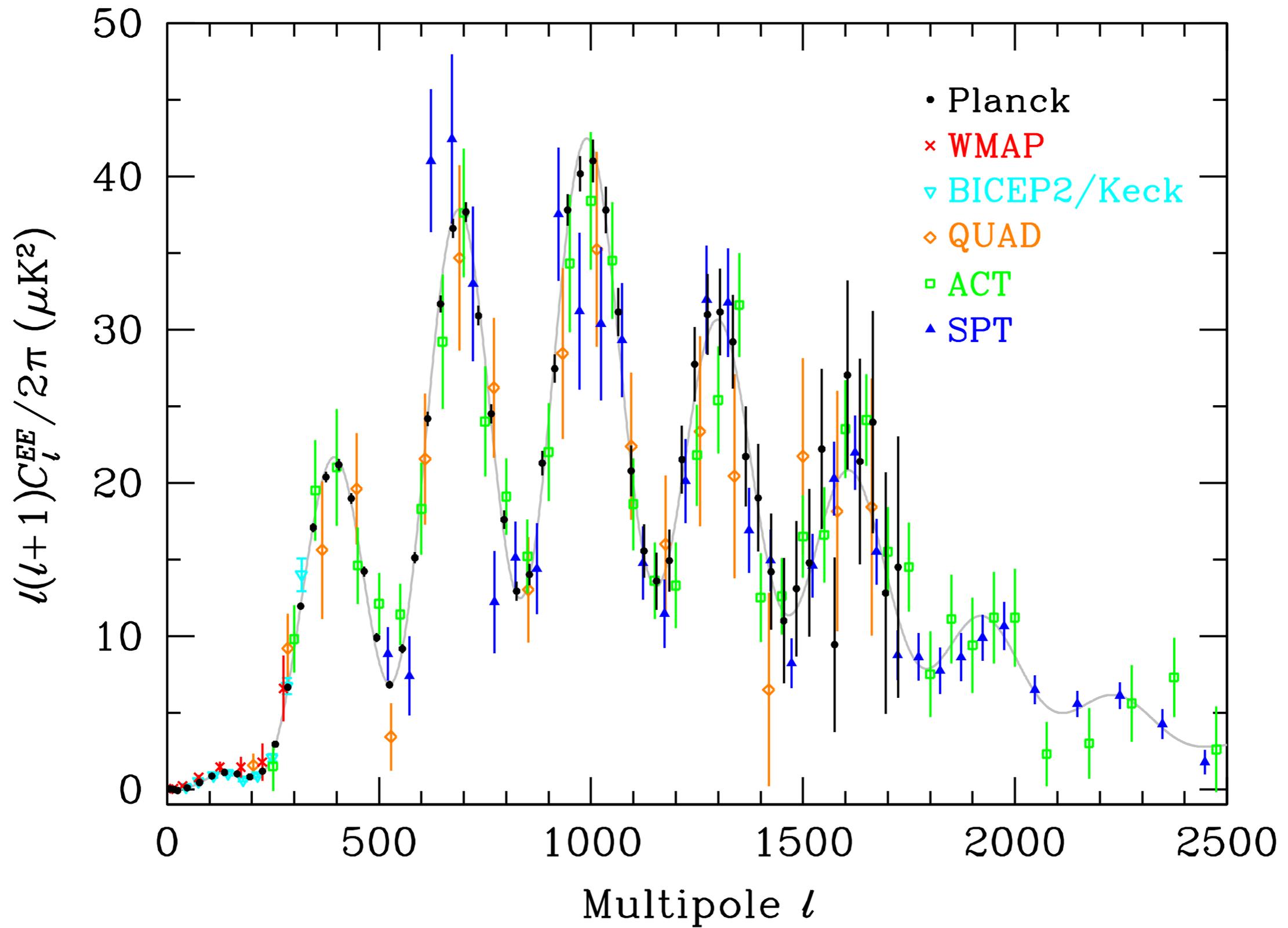
“Precision era” of cosmology



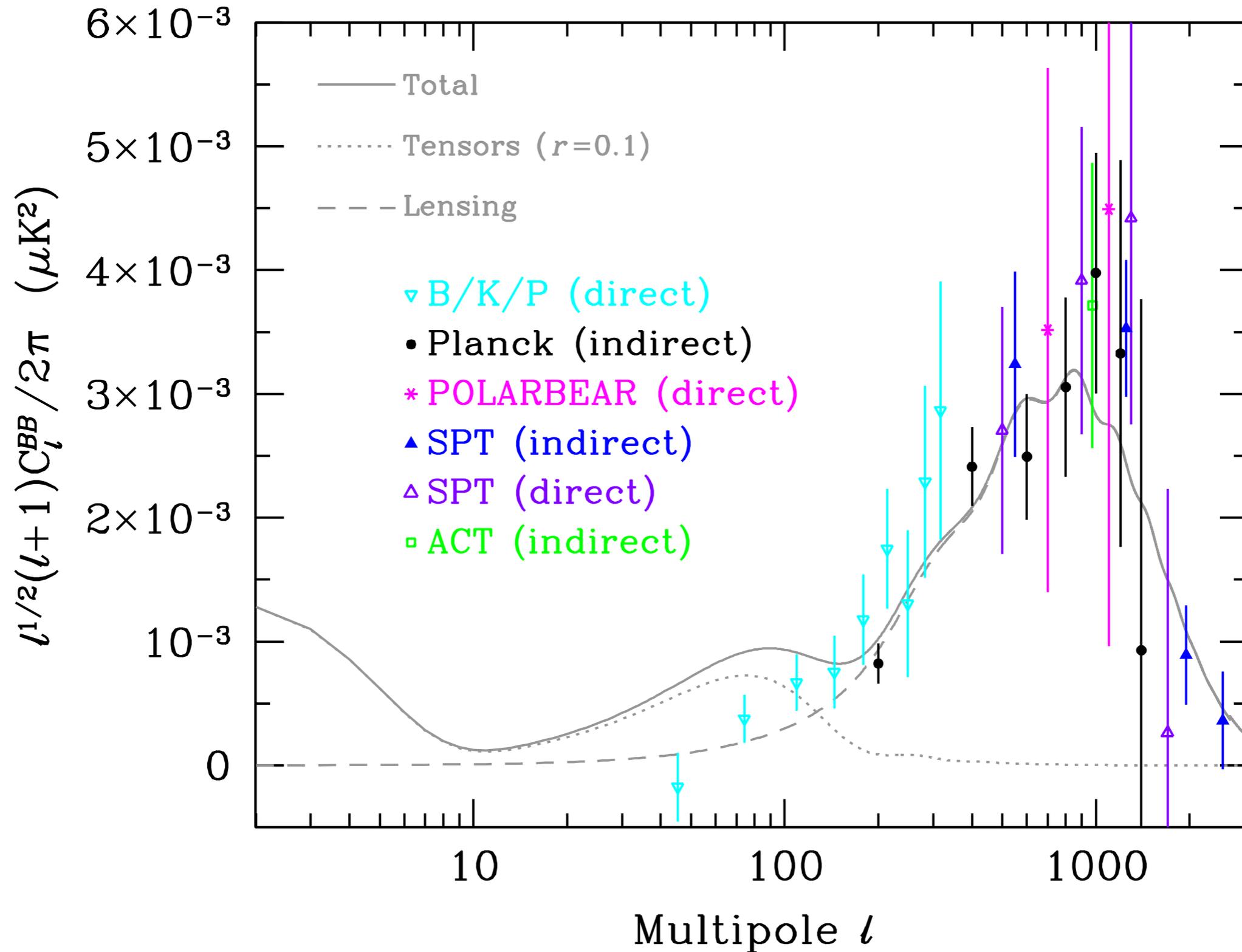
TE



EE



BB



2 instruments, the Low Frequency Instrument (LFI) and the High Frequency Instrument (HFI) in a shared focal plane containing 74 channels (in 9 separate frequencies) and covering 8 degrees on the sky.



PLANCK

HFI
+LFI



2 instruments, the Low Frequency Instrument (LFI) and the High Frequency Instrument (HFI) in a shared focal plane containing 74 channels (in 9 separate frequencies) and covering 8 degrees on the sky.

ESA Mission (+ European national agencies +NASA +CSA)



Data compression

- Trillions of bits of data
- Billions of measurements at 9 frequencies
- 50 million pixel map of whole sky
- 2 million harmonic modes measured
- $\sim 2000\sigma$ detection of CMB anisotropy power
- Fit with just 6 parameters!
- With no significant evidence for a 7th

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So what are these 6 parameters?

The 6 parameters

(Planck 2015 results alone here)

There are somewhat different constraints for Planck + other data

Parameter	TT+lowP 68 % limits	TT+lowP+lensing 68 % limits	
Physical baryon density	$\Omega_b h^2 \dots\dots\dots$	0.02222 ± 0.00023	0.02226 ± 0.00023
Physical CDM density	$\Omega_c h^2 \dots\dots\dots$	0.1197 ± 0.0022	0.1186 ± 0.0020
Sound hor./ang.diam.dist.	$100\theta_{MC} \dots\dots\dots$	1.04085 ± 0.00047	1.04103 ± 0.00046
Reionization optical depth	$\tau \dots\dots\dots$	0.078 ± 0.019	0.066 ± 0.016
Amplitude of initial P(k)	$\ln(10^{10} A_s) \dots\dots\dots$	3.089 ± 0.036	3.062 ± 0.029
Slope of initial P(k)	$n_s \dots\dots\dots$	0.9655 ± 0.0062	0.9677 ± 0.0060

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Parameter	TT+lowP 68 % limits	TT+lowP+lensing 68 % limits
Amount of atoms $\Omega_b h^2$	0.02222 ± 0.00023	0.02226 ± 0.00023
Amount of dark stuff $\Omega_c h^2$	0.1197 ± 0.0022	0.1186 ± 0.0020
Stretch factor for wiggles $100\theta_{MC}$	1.04085 ± 0.00047	1.04103 ± 0.00046
Fraction of recent scattering τ	0.078 ± 0.019	0.066 ± 0.016
Strength of lumpiness $\ln(10^{10} A_s)$	3.089 ± 0.036	3.062 ± 0.029
Scale variation of lumpiness n_s	0.9655 ± 0.0062	0.9677 ± 0.0060

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And some derived parameters (+ t_0 + σ_8 + ...)		
H_0	67.31 ± 0.96	67.81 ± 0.92
Ω_Λ	0.685 ± 0.013	0.692 ± 0.012
Ω_m	0.315 ± 0.013	0.308 ± 0.012

Planck papers

- “Planck pre-launch status”
 - 14 papers
- “Planck early results”
 - 26 papers
- “Planck intermediate papers”
 - 51 papers (so far)
- “Planck 2013 results”
 - 32 papers
- “Planck 2015 results”
 - 28 papers so far!
- “BICEP + Planck”
- “Planck final results” soon

Instrumentation
Cosmic rays
Zodiacal emission
Component separation
Interstellar medium
All-sky optical depth
Galactic cold clumps
Anomalous microwave emission
Polarized dust radiation
All-sky CO map
Nearby galaxies
High-z extragalactic sources
Cosmic infrared background
CMB power spectra
Cosmological parameters
Gravitational lensing
Dipole & boosting effects
Integrated Sachs-Wolfe effect
SZ cluster cosmology
Cluster physics
Peculiar velocities
Constraints on inflation
Topological defects
Non-Gaussianity
Isotropy & statistics
Geometry & topology
Dark energy & modified gravity
Primordial magnetic fields
Reionization
Parity & birefringence

...

- But people mostly just care about parameters!
- The 6-parameter Λ CDM model is so good that focus turns to “tensions”:
 - Planck vs WMAP ?
 - Discrepancy with direct H_0 ?
 - CMB vs lensing and cluster σ_8 ?
 - Preference for $A_L > 1$?
 - Large-angle anomalies
 - particularly the “low low- l s” ?
- (results may change with final 2017 release of Planck data)

If today's CMB status was an
episode of Sesame Street,
it would be ...

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Brought to you
by the words
“tensions”
and
“anomalies”

By the way here's a real anomaly!



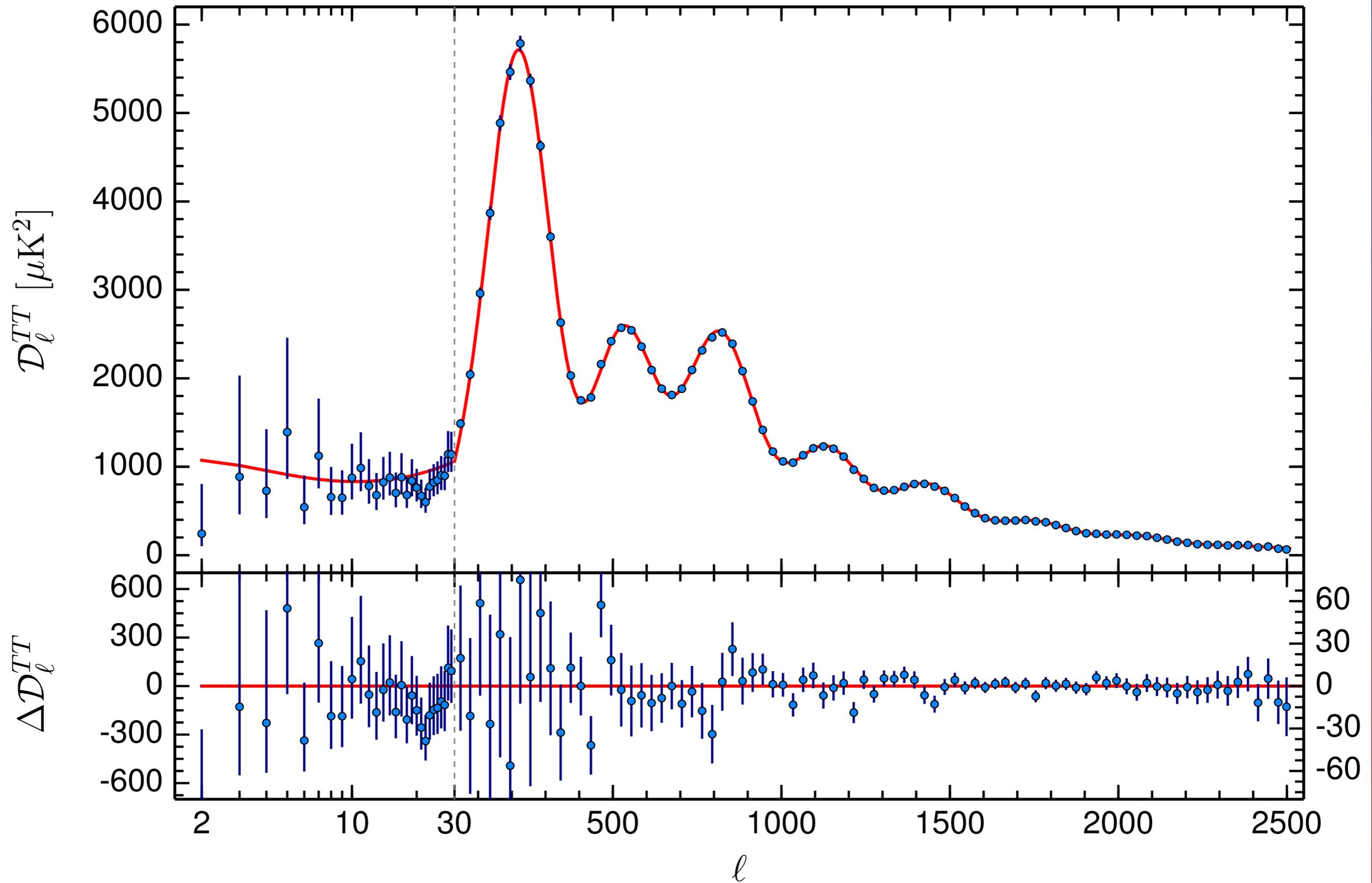
SpaceX said "an anomaly" had occurred while the rocket was being loaded with fuel.

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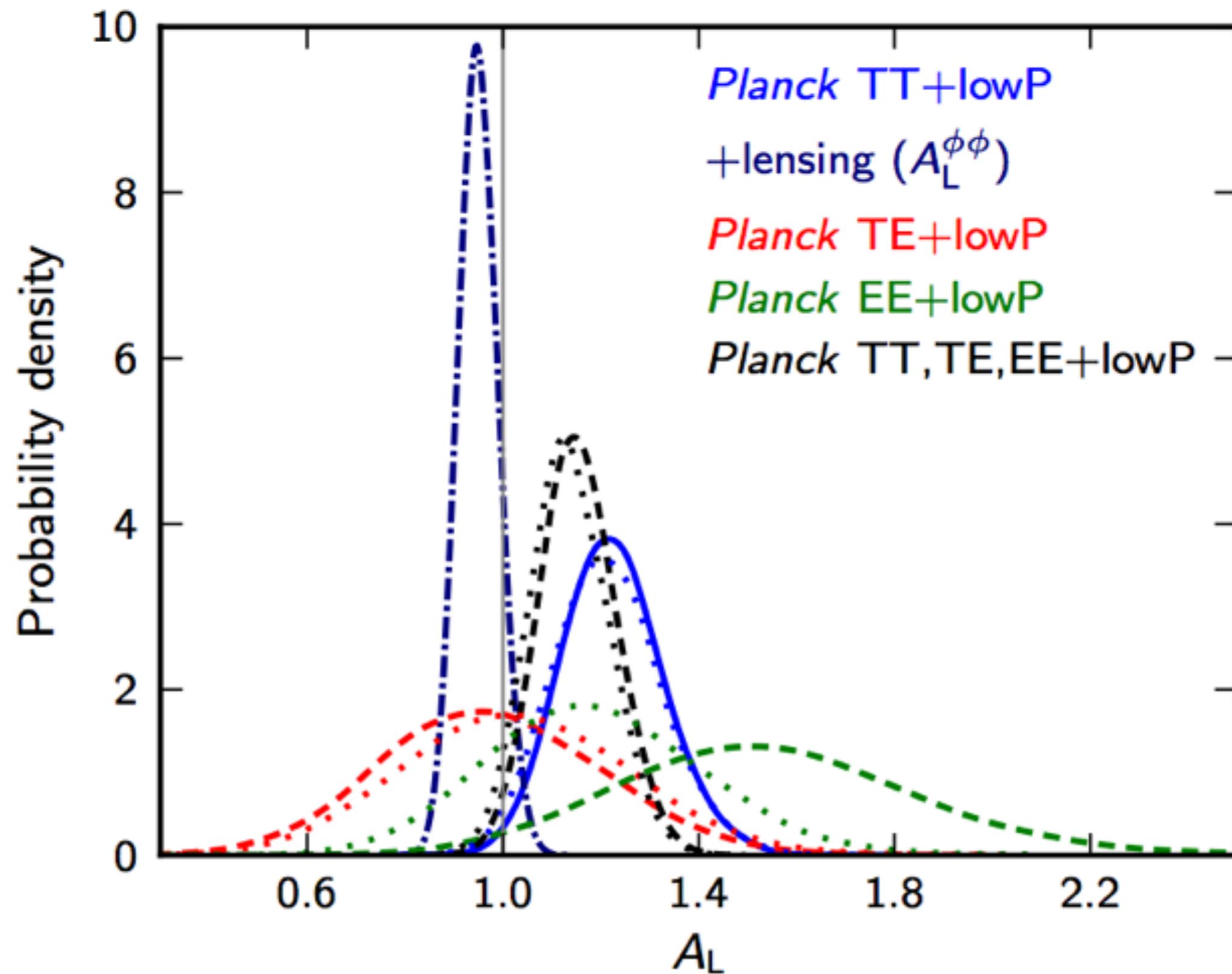
Planck 2015 TT power spectrum



Effect of “low low- ℓ s”

- Lack of power at low multipoles is real
- But not very significant (when marginalizing)
- It's composed of a “dip” at about $\ell=20-30$ and a general deficit to low multipoles
- Since it's at the end, it affects parameters more than if it was elsewhere
- Because WMAP doesn't have higher multipoles, the parameters are biased more than for Planck

Lensing anomaly?



Tensions

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(since that's a complicated and endless discussion!)
- But the internal tensions in Planck data are in this paper:

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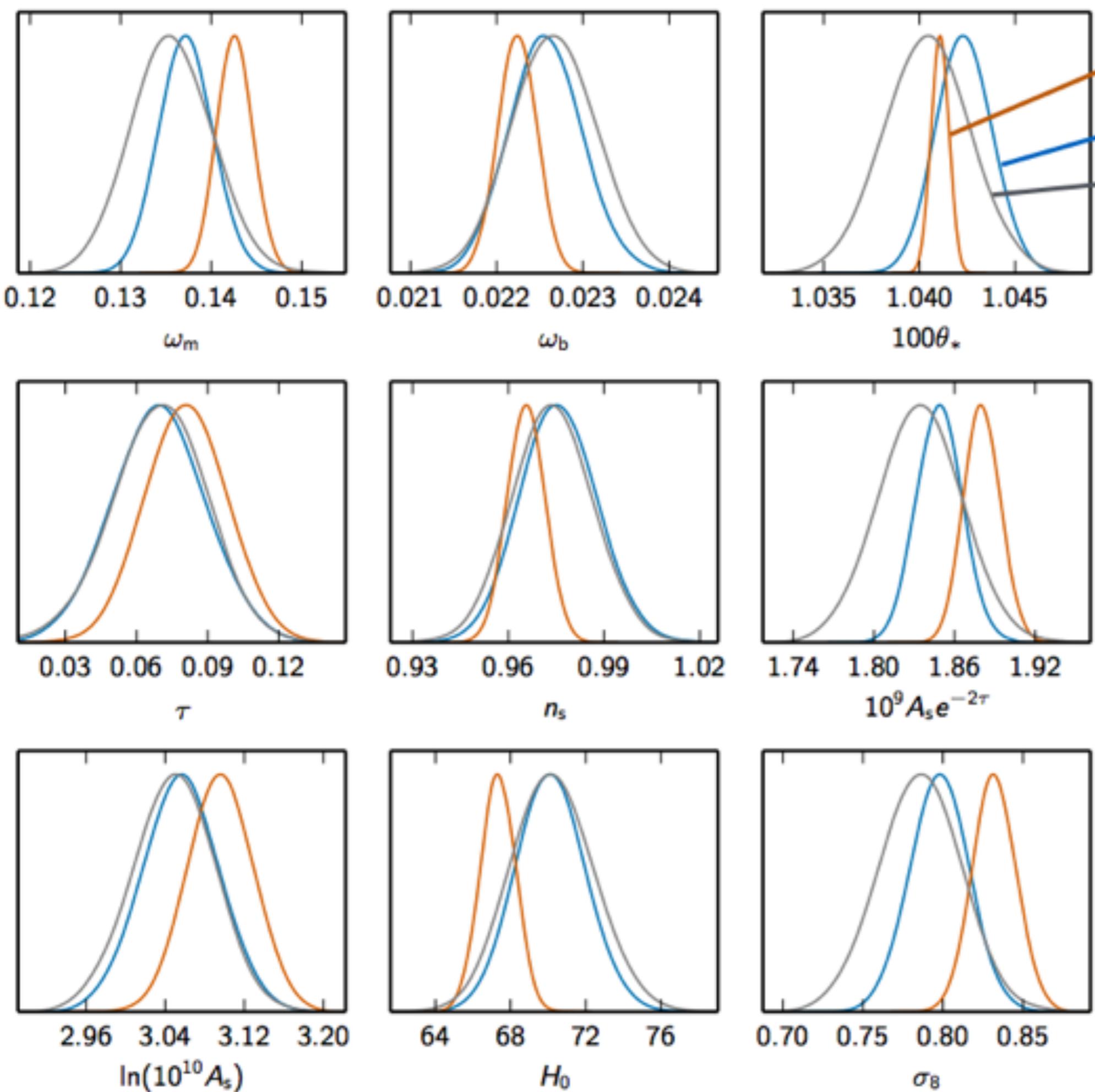
Planck 2016 intermediate results. LI.

Features in the cosmic microwave background temperature power spectrum and shifts in cosmological parameters

Planck Collaboration: N. Aghanim⁵¹, Y. Akrami^{54,85}, M. Ashdown^{61,5}, J. Aumont⁵¹, M. Ballardini^{28,43,46}, A. J. Banday^{83,8}, R. B. Barreiro⁵⁶, N. Bartolo^{27,57}, S. Basak⁷², K. Benabed^{52,82}, M. Bersanelli^{31,44}, P. Bielewicz^{70,8,72}, A. Bonaldi⁵⁹, L. Bonavera¹⁵, J. R. Bond⁷, J. Borrill^{11,79}, F. R. Bouchet^{52,77}, C. Burigana^{43,29,46}, E. Calabrese⁸⁰, J.-F. Cardoso^{64,1,52}, A. Challinor^{53,61,10}, H. C. Chiang^{22,6}, L. P. L. Colombo^{18,58}, C. Combet⁶⁵, B. P. Crill^{58,9}, A. Curto^{56,5,61}, F. Cuttaia⁴³, P. de Bernardis³⁰, A. de Rosa⁴³, G. de Zotti^{40,72}, J. Delabrouille¹, E. Di Valentino^{52,77}, C. Dickinson⁵⁹, J. M. Diego⁵⁶, O. Doré^{58,9}, A. Ducout^{52,50}, X. Dupac³⁵, S. Dusini⁵⁷, G. Efstathiou^{61,53}, F. Elsner^{19,52,82}, T. A. Enßlin⁶⁸, H. K. Eriksen⁵⁴, Y. Fantaye^{34,2}, F. Finelli^{43,46}, F. Forastieri^{29,47}, M. Frailis⁴², E. Franceschi⁴³, A. Frolov⁷⁶, S. Galeotta⁴², S. Galli^{60,52*}, K. Ganga¹, R. T. Génova-Santos^{55,14}, M. Gerbino^{81,71,30}, J. González-Nuevo^{15,56}, K. M. Górski^{58,86}, A. Gruppuso^{43,46}, J. E. Gudmundsson^{81,71,22}, D. Herranz⁵⁶, E. Hivon^{52,82}, Z. Huang⁷⁴, A. H. Jaffe⁵⁰, W. C. Jones²², E. Keihänen²¹, R. Kesitalo¹¹, K. Kiiveri^{21,39}, J. Kim⁶⁸, T. S. Kisner⁶⁷, L. Knox²⁴, N. Krachmalnicoff³¹, M. Kunz^{13,51,2}, H. Kurki-Suonio^{21,39}, G. Lagache^{4,51}, J.-M. Lamarre⁶³, A. Lasenby^{5,61}, M. Lattanzi^{29,47}, C. R. Lawrence⁵⁸, M. Le Jeune¹, F. Levrier⁶³, A. Lewis²⁰, P. B. Lilje⁵⁴, M. Lilley^{52,77}, V. Lindholm^{21,39}, M. López-Cañiego³⁵, P. M. Lubin²⁵, Y.-Z. Ma^{59,73}, J. F. Macías-Pérez⁶⁵, G. Maggio⁴², D. Maino^{31,44}, N. Mandolesi^{43,29}, A. Mangilli^{51,62}, M. Maris⁴², P. G. Martin⁷, E. Martínez-González⁵⁶, S. Matarrese^{27,57,37}, N. Mauri⁴⁶, J. D. McEwen⁶⁹, P. R. Meinhold²⁵, A. Mennella^{31,44}, M. Migliaccio^{53,61}, M. Millea^{24,78,52†}, M.-A. Miville-Deschênes^{51,7}, D. Molinari^{29,43,47}, A. Moneti⁵², L. Montier^{83,8}, G. Morgante⁴³, A. Moss⁷⁵, A. Narimani¹⁷, P. Natoli^{29,3,47}, C. A. Oxborrow¹², L. Pagano^{30,48}, D. Paoletti^{43,46}, G. Patanchon¹, L. Patrizii⁴⁶, V. Pettorino³⁸, F. Piacentini³⁰, L. Polastri^{29,47}, G. Polenta^{3,41}, J.-L. Puget⁵¹, J. P. Rachen^{16,68}, B. Racine⁵⁴, M. Reinecke⁶⁸, M. Remazeilles^{59,51,1}, A. Renzi^{34,49}, M. Rossetti^{31,44}, G. Roudier^{1,63,58}, J. A. Rubiño-Martín^{55,14}, B. Ruiz-Granados⁸⁴, L. Salvati³⁰, M. Sandri⁴³, M. Savelainen^{21,39}, D. Scott¹⁷, C. Sirignano^{27,57}, G. Sirri⁴⁶, L. Stanco⁵⁷, A.-S. Suur-Uski^{21,39}, J. A. Tauber³⁶, D. Tavagnacco^{42,32}, M. Tenti⁴⁵, L. Toffolatti^{15,56,43}, M. Tomasi^{31,44}, M. Tristram⁶², T. Trombetti^{43,29}, J. Valiviita^{21,39}, F. Van Tent⁶⁶, P. Vielva⁵⁶, F. Villa⁴³, N. Vittorio³³, B. D. Wandelt^{52,82,26}, I. K. Wehus^{58,54}, M. White²³, A. Zacchei⁴², and A. Zonca²⁵

New “parameter shifts” paper

- Paper has been worked on for ~2 years!
- Motivation is to study apparent parameter shifts within subsets of Planck data
- Not a response to Addison et al. (or other papers) - but partly addresses similar ground
- Specific focus is Planck full- ℓ versus low- ℓ (<800)
- Basic story is that shifts are not as significant as claimed - but has required a lot of work!
- Lower τ makes parameter shifts worse, but only by about 0.3σ



Full Planck

$\ell < 800$ Planck

WMAP

Planck low ℓ and WMAP agree well (although Planck is still better!)

But for Planck full ℓ , the parameters seem to shift

Are these shifts bigger than expected?

And what causes the shifts?

($\tau = 0.07 \pm 0.02$ prior used here)

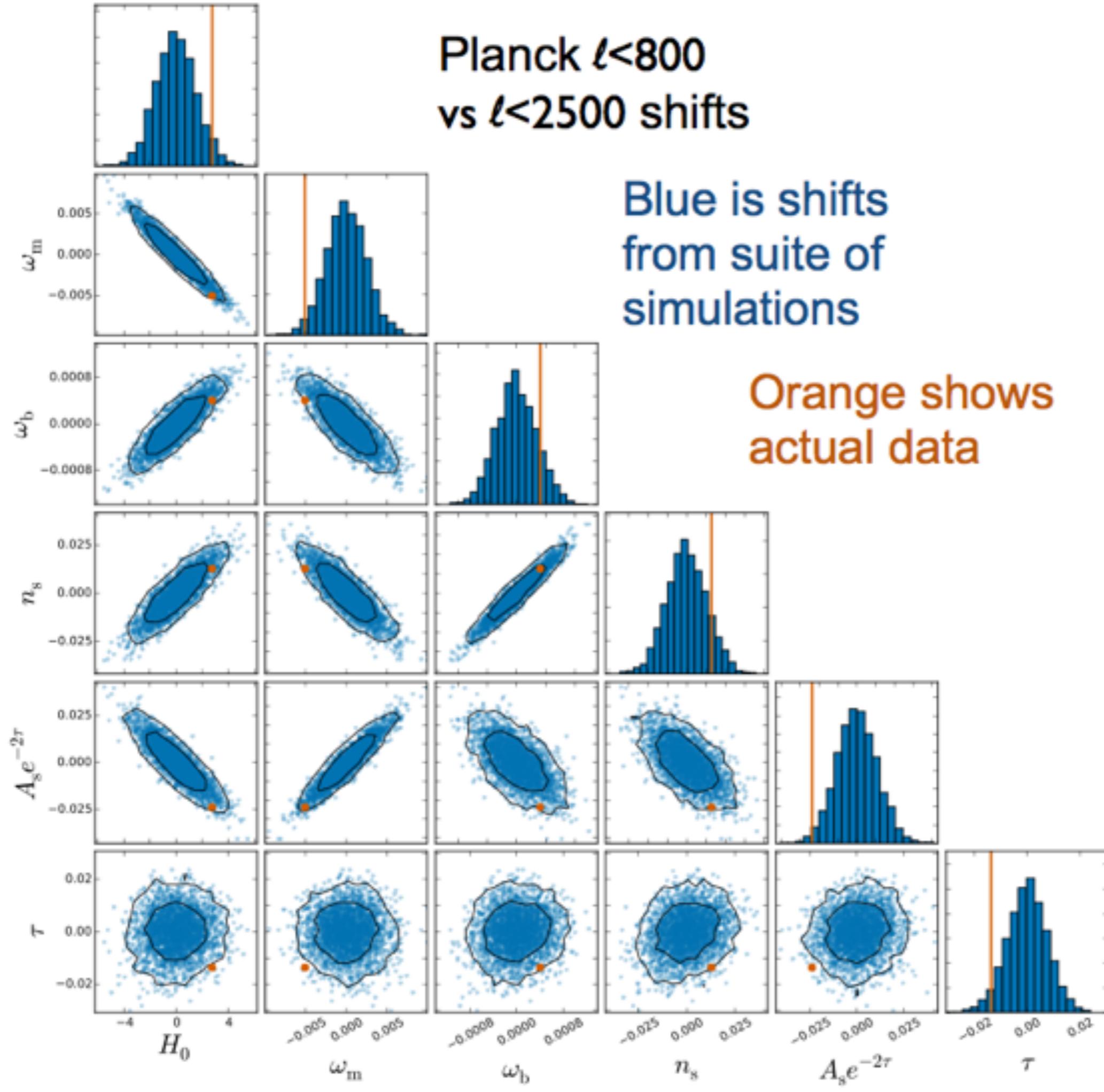
Planck $\ell < 800$ vs $\ell < 2500$ shifts

Blue is shifts
from suite of
simulations

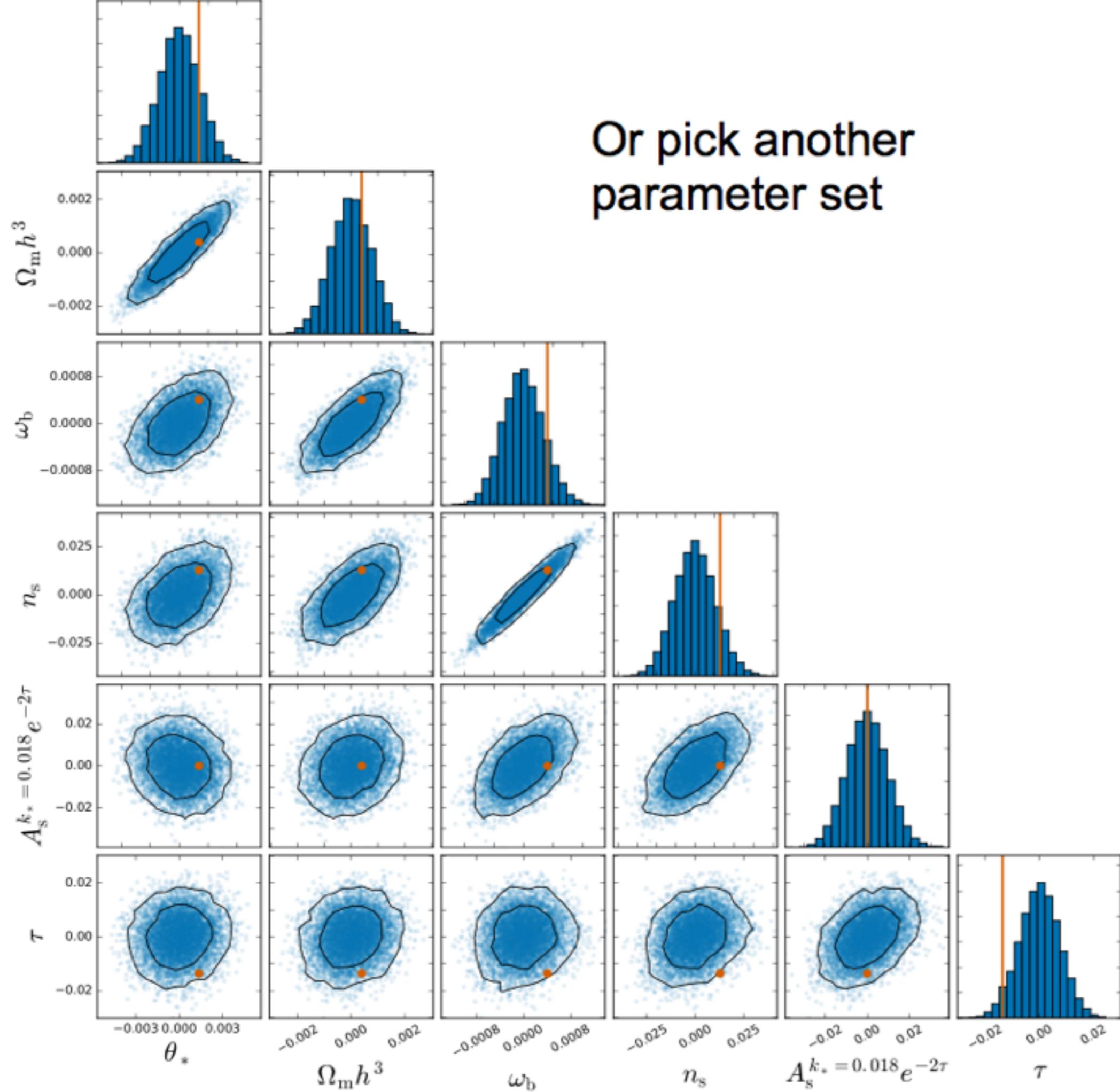
Orange shows
actual data

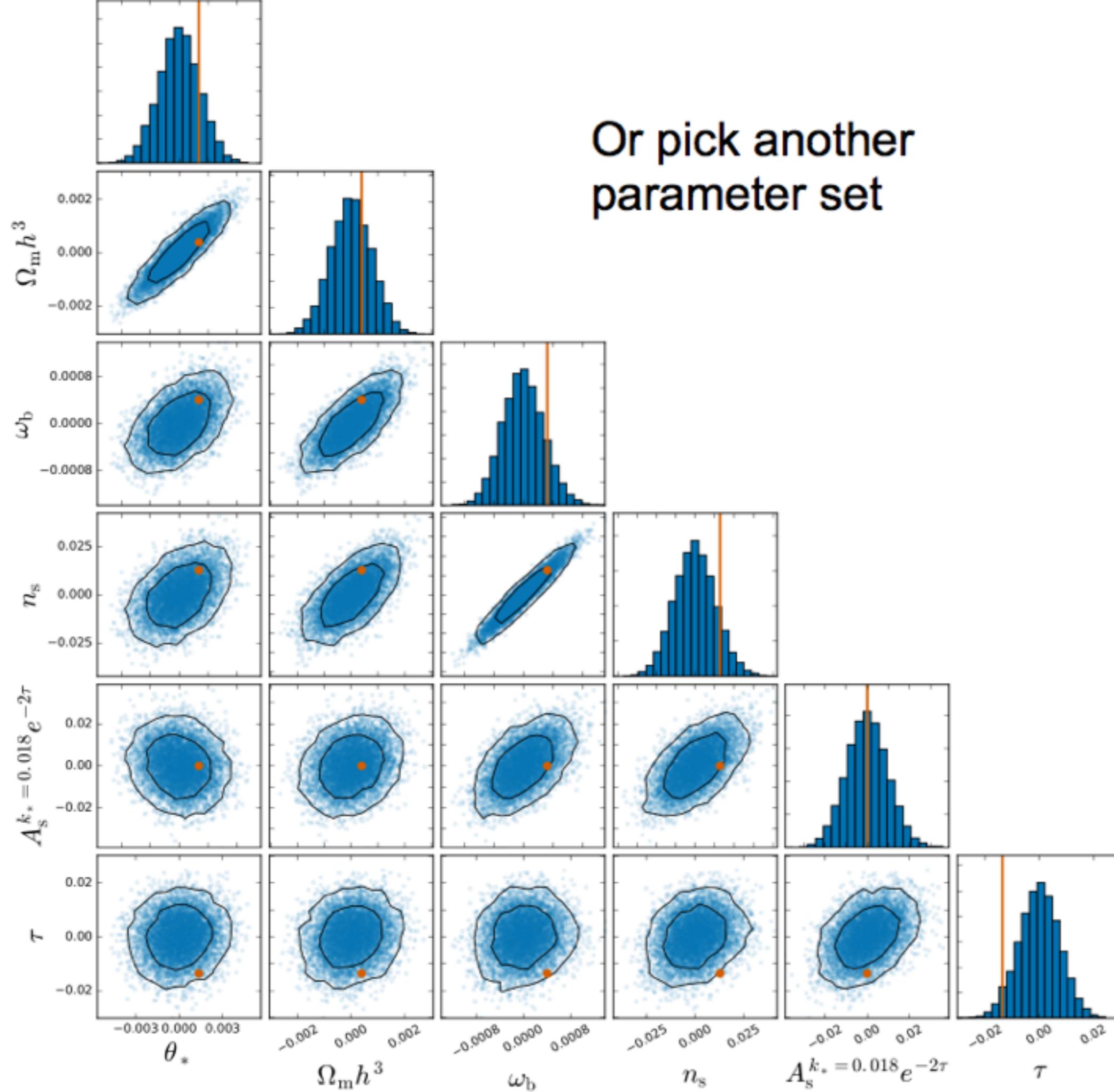
Are these
shifts bigger
than you'd
expect?

Hard to do
"chi-by-eye"
because of
correlations



Or pick another parameter set



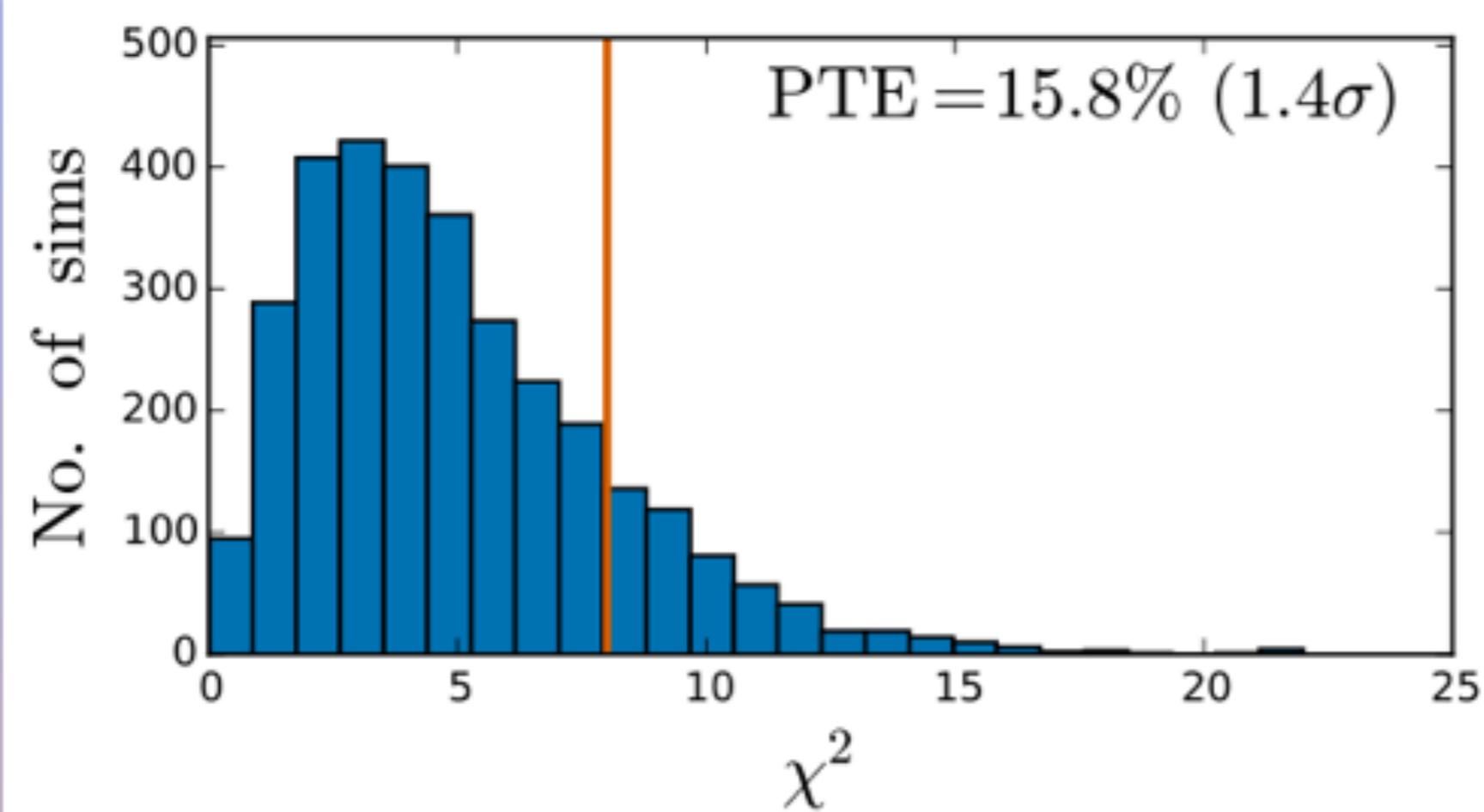


Or pick another parameter set

Now you can see that overall it's not bad

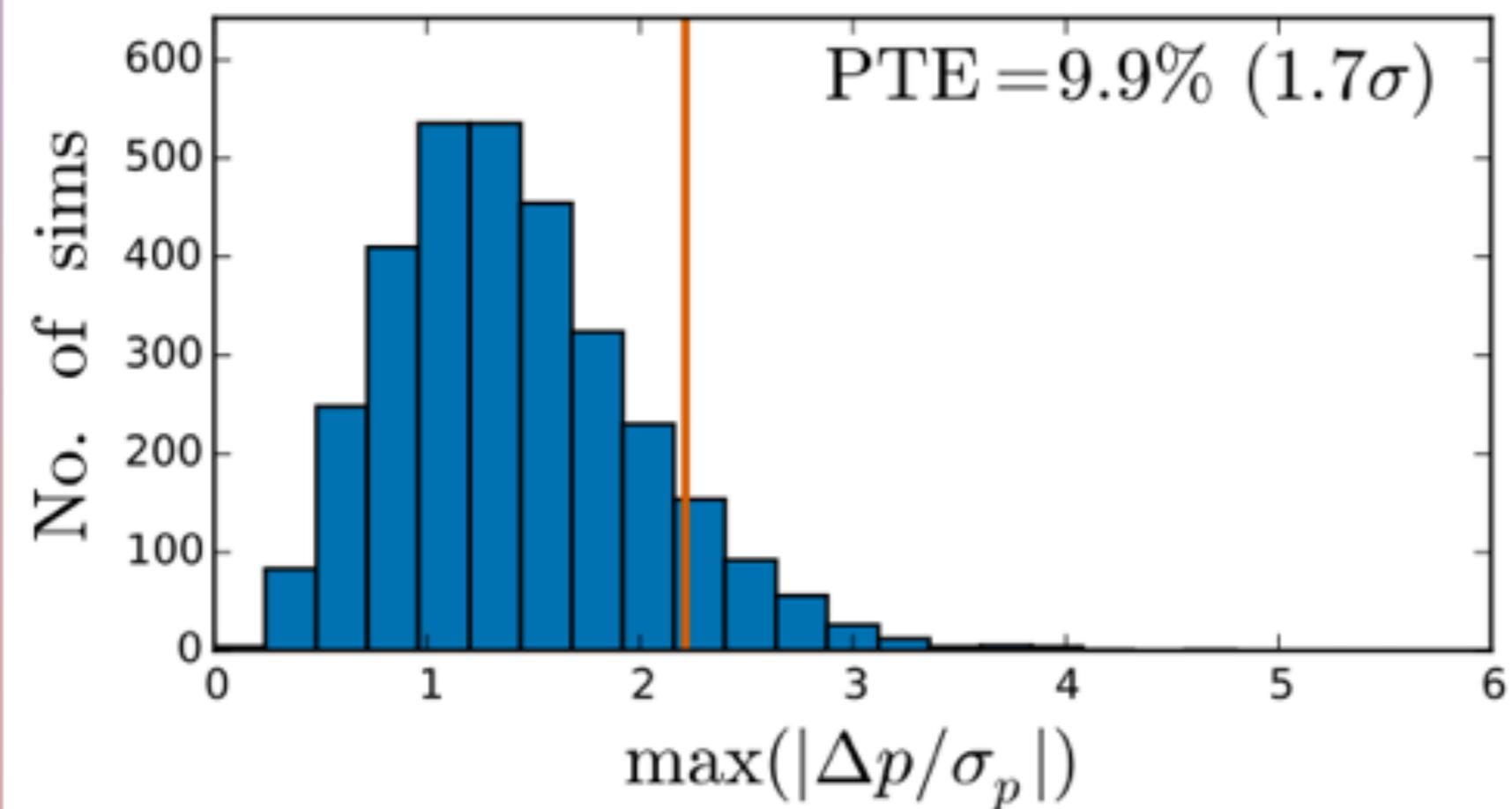
So how big are shifts overall?

Need a statistic that assesses the whole set of parameters



Examine
two
specific
statistics

Overall
shift not
dramatic



Focusing on
biggest
parameter
shift is
misleading
(unless you
marginalize)

Tensions within CMB

Tensions within CMB

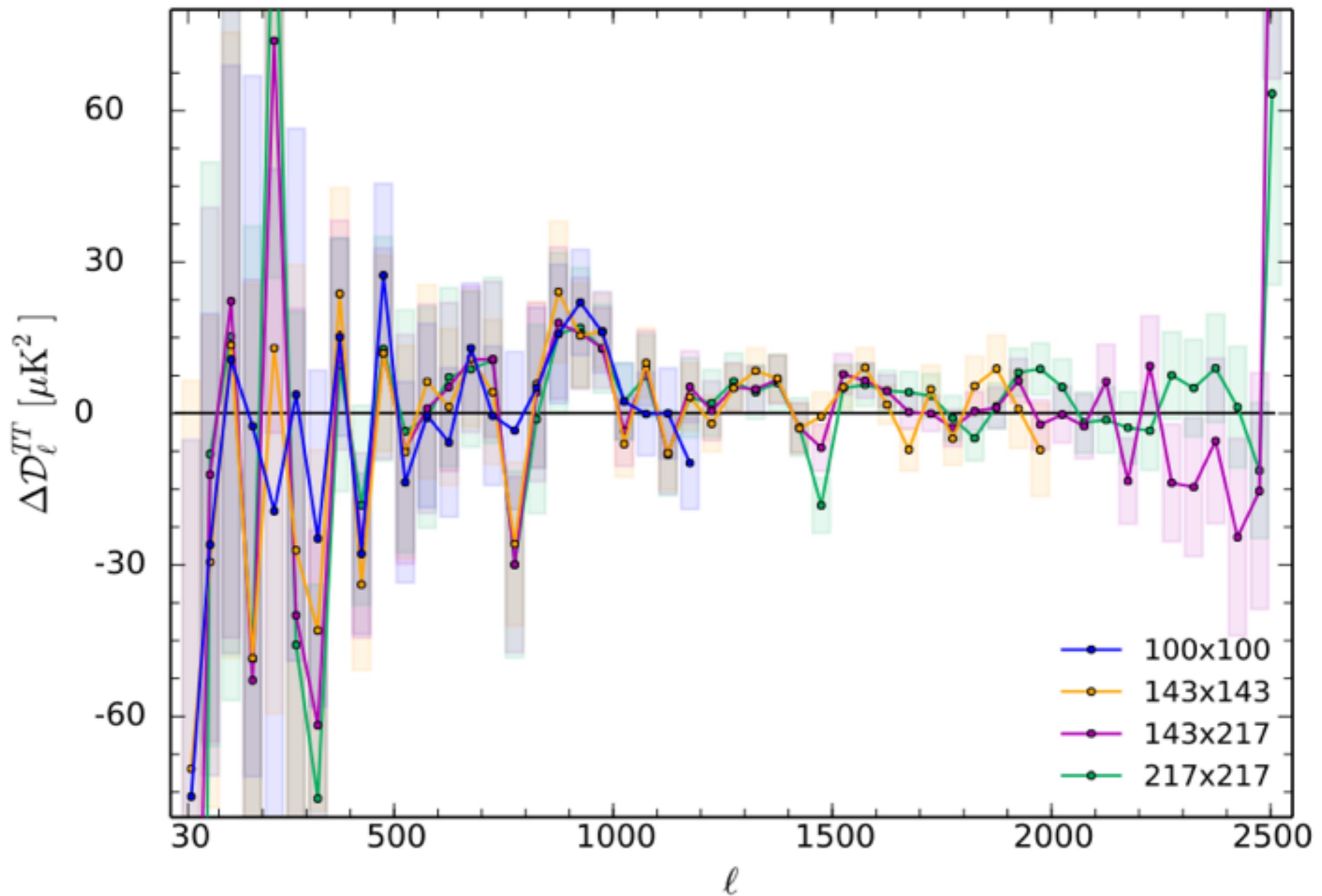
- Overall $\ell > 800$ versus $\ell < 800$ gives parameter shifts that are $< 2\sigma$ (if you take into account the set of parameters)
- An apparent excursion at low ℓ (< 30) “explains” some of the parameter shifts
- An oscillatory-like power excursion around ~ 1000 gives much of the remaining shifts (and “explains” $A_L > 1$)
- This “oscillation” doesn’t look like a foreground effect

Tensions within CMB

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No tensions within CMB!

Residuals don't look like foregrounds



Anomalies?

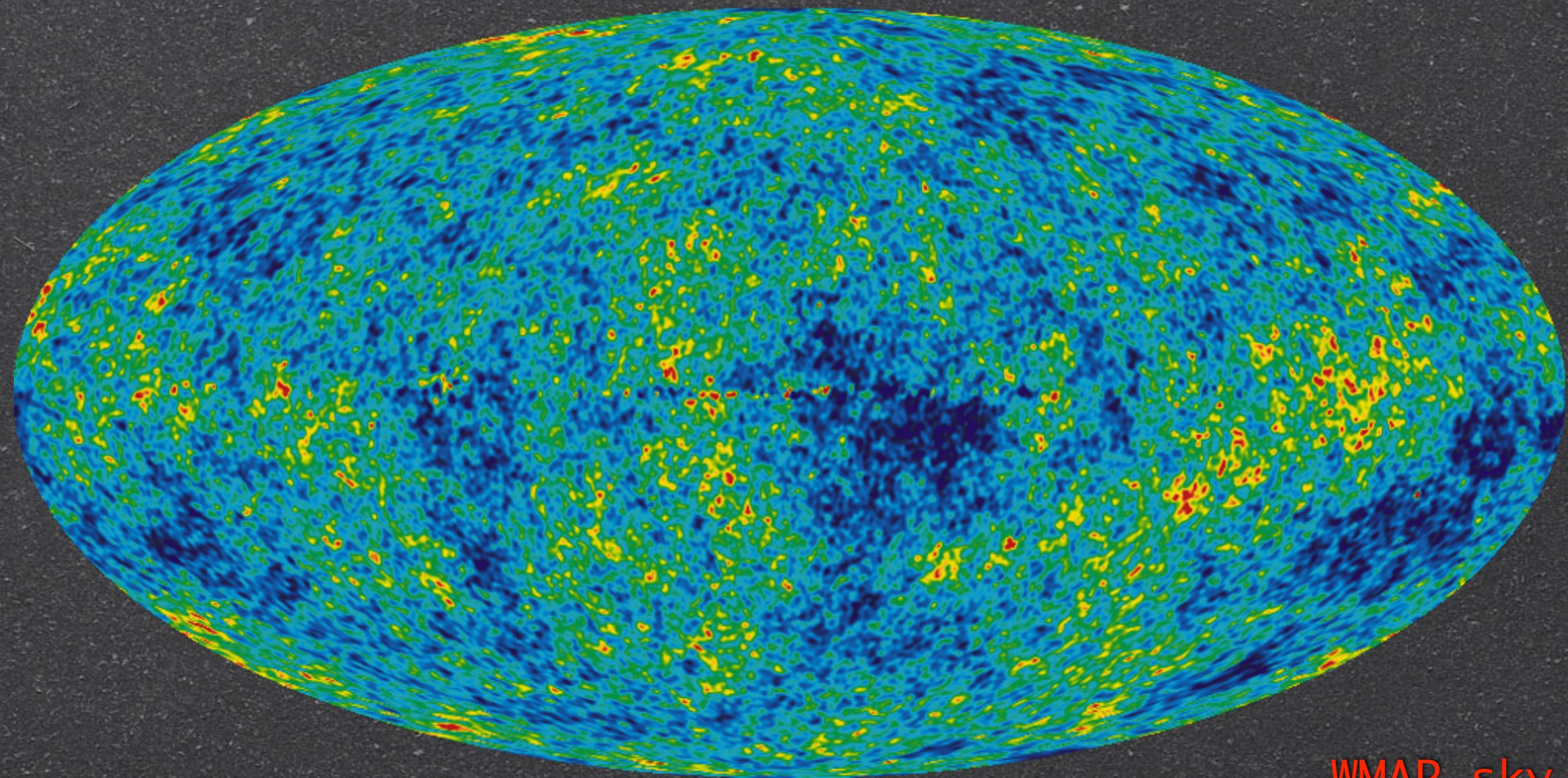
Anomalies?

- WMAP large-scale anomalies persist
- But are still of fairly low significance
- Are any of them telling us something?

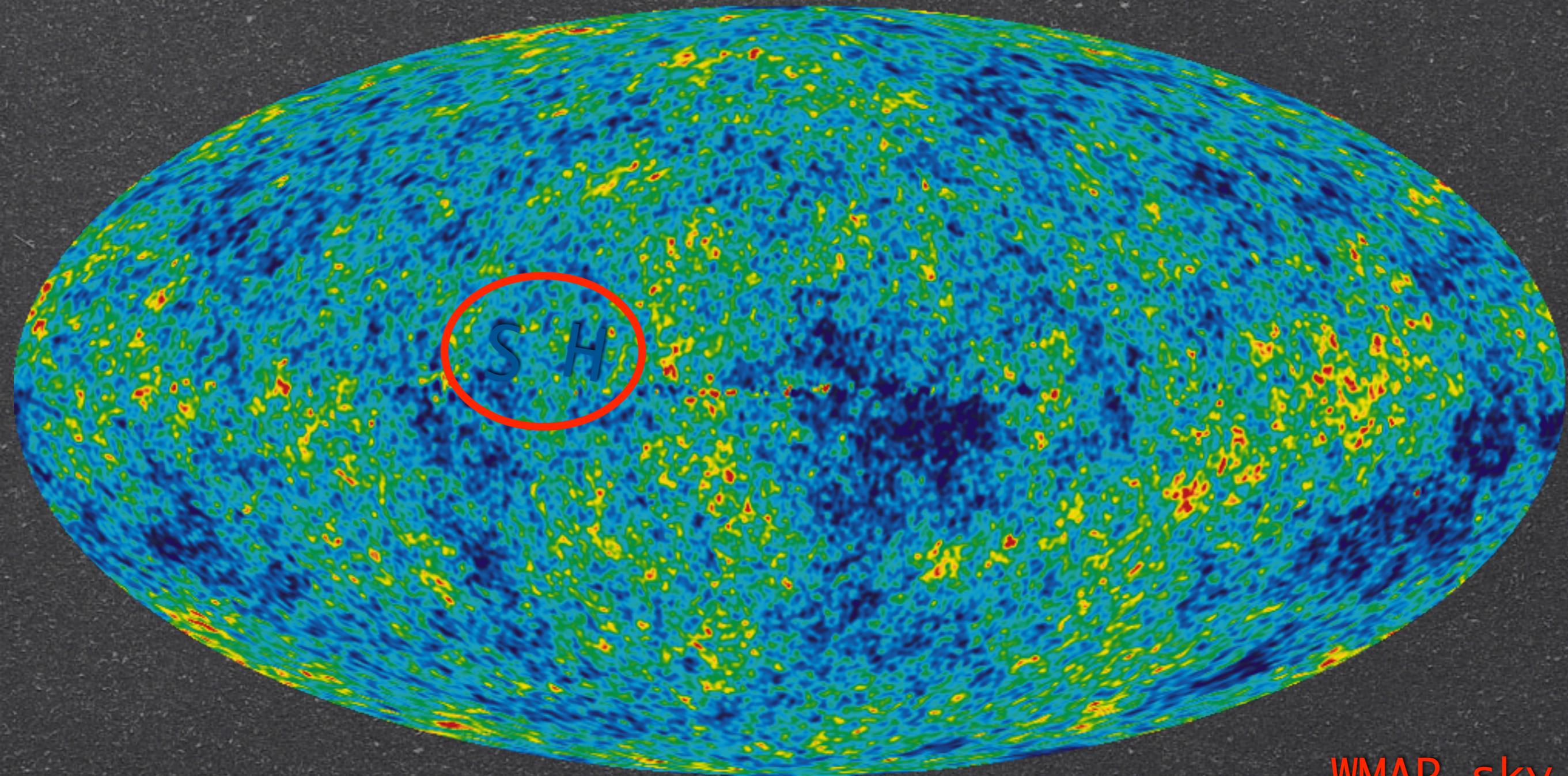
Anomalies?

- WMAP large-scale anomalies persist
 - But are still of fairly low significance
 - Are any of them telling us something?
-
- Low quadrupole
 - “Cold Spot”
 - “Hemispheric Asymmetry”
 - First ~ 30 multipoles seem low
 - Low multipole alignment
 - Odd/even multipole asymmetry
 - ...

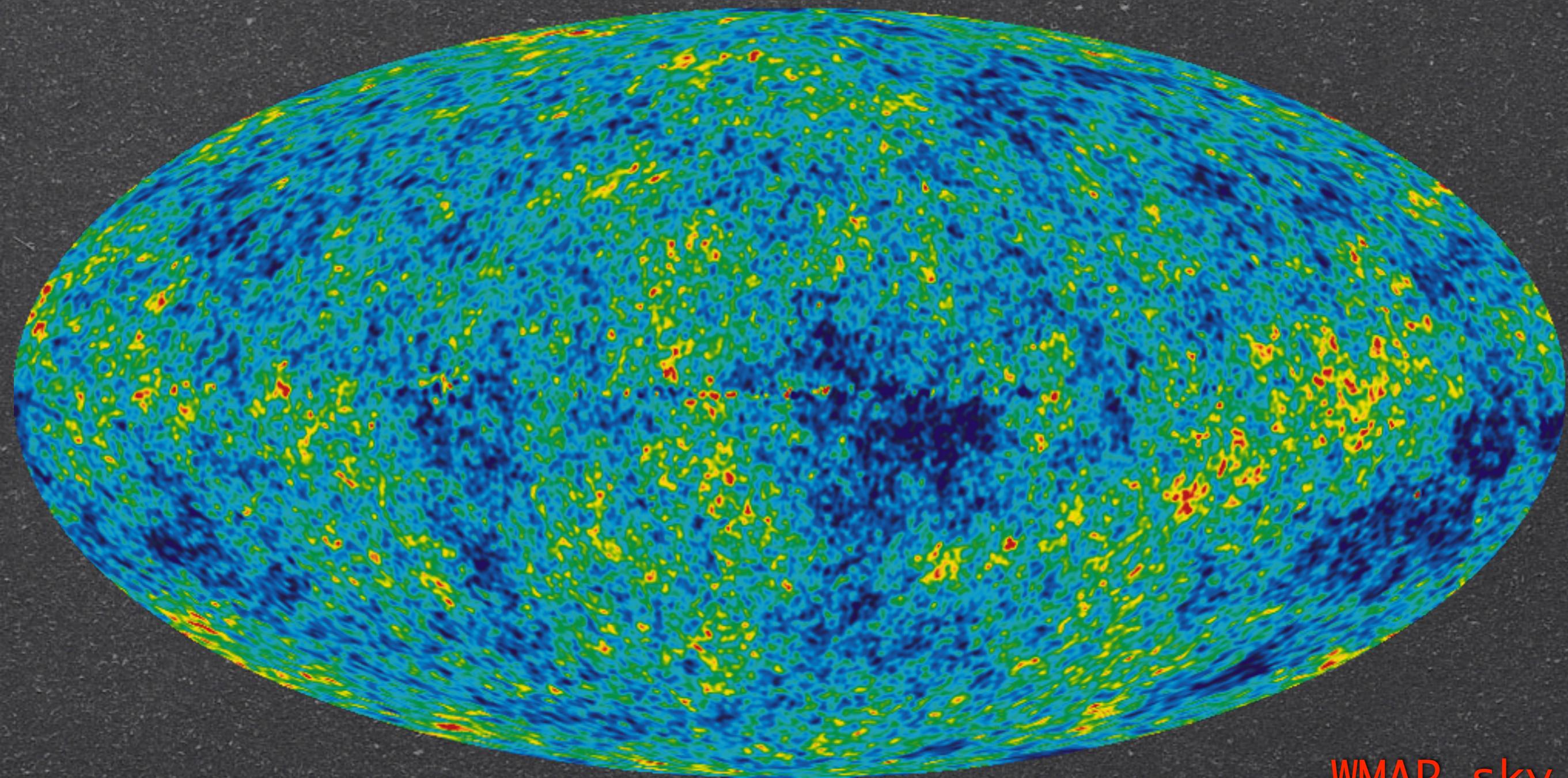
CMB anomalies?



CMB anomalies?



CMB anomalies?



See this paper for details!

Pi in the Sky

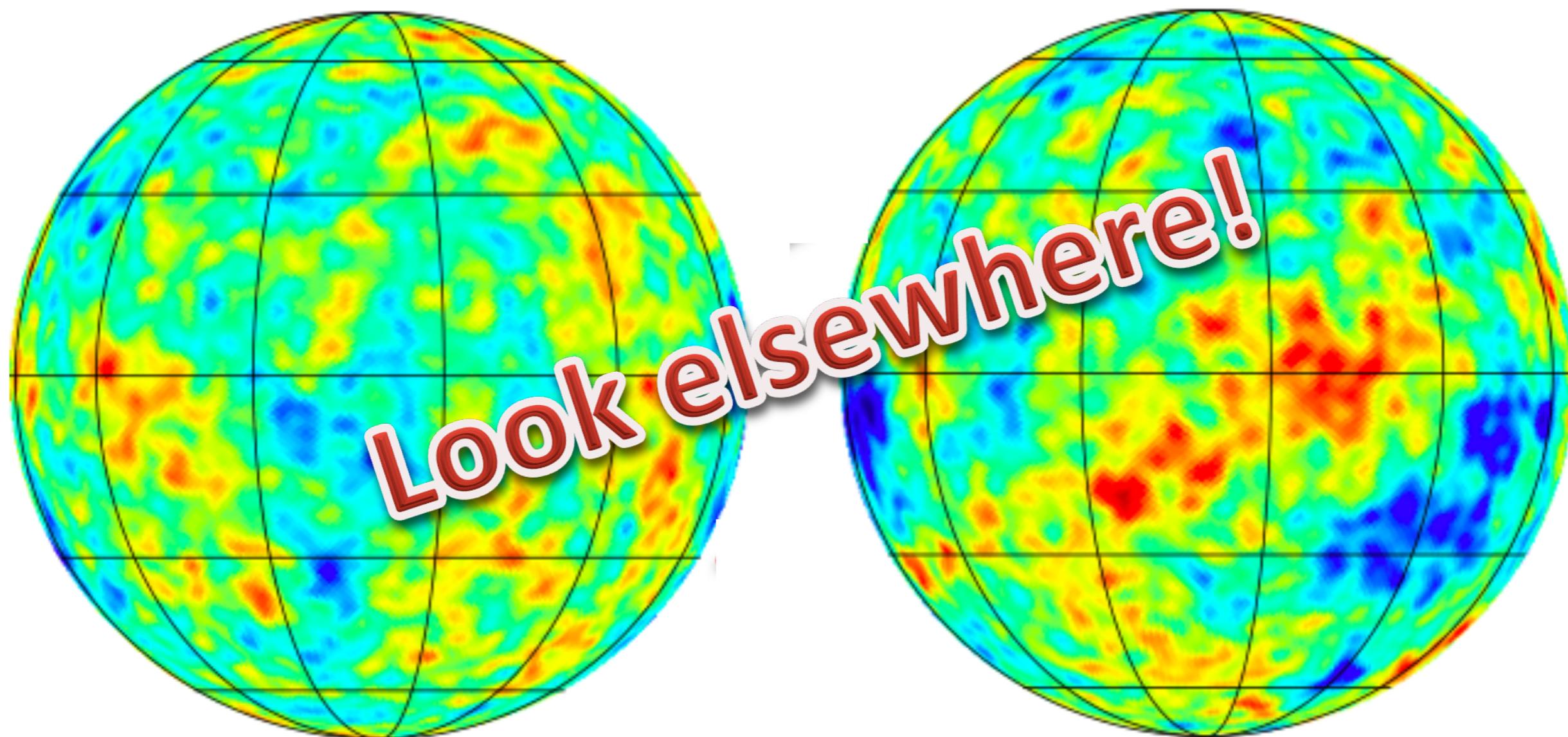
Ali Frolop* and Douglas Scott†

Dept. of Physics & Astronomy, University of British Columbia, Vancouver, Canada

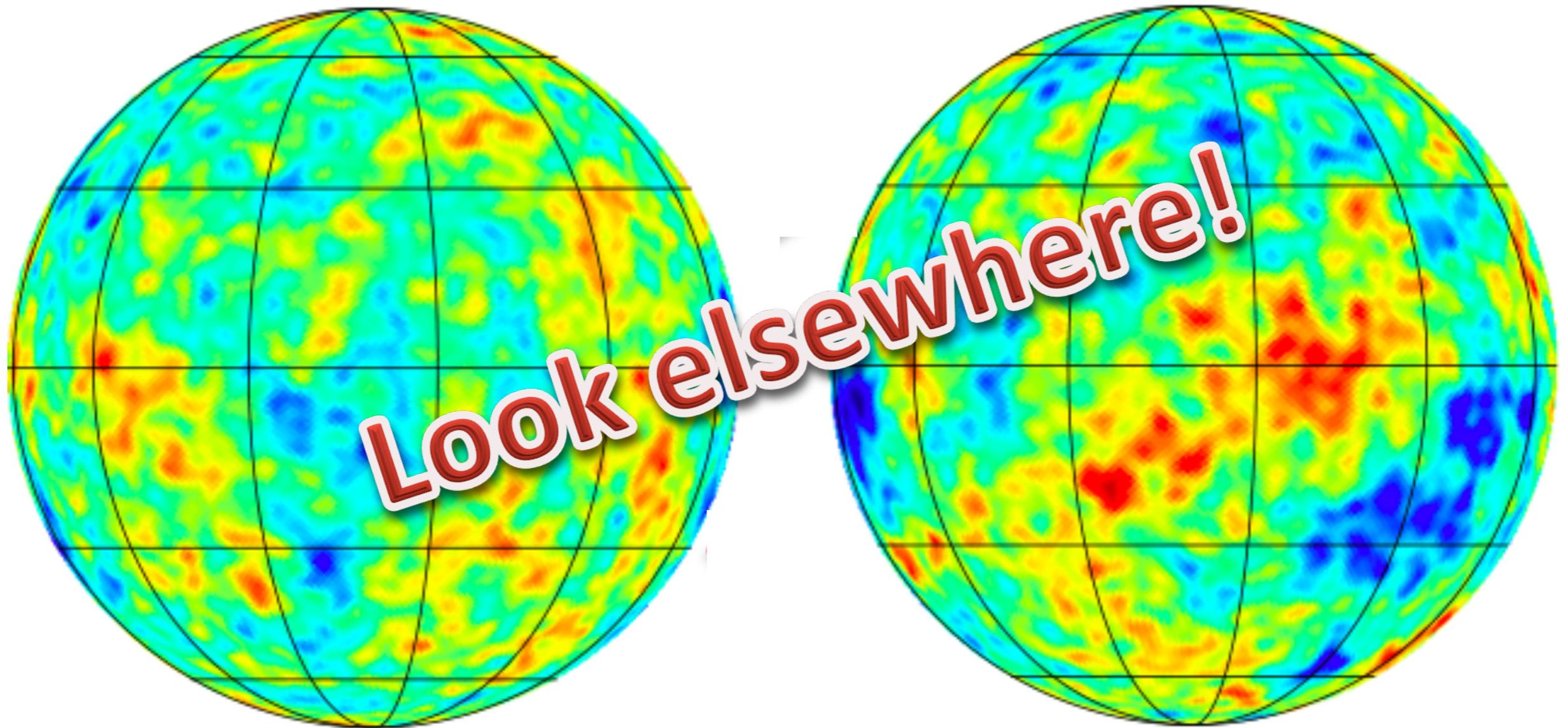
(Dated: 1st April 2016)

Deviations of the observed cosmic microwave background (CMB) from the standard model, known as ‘anomalies’, are obviously highly significant and deserve to be pursued more aggressively in order to discover the physical phenomena underlying them. Through intensive investigation we have discovered that there are equally surprising features in the digits of the number π , and moreover there is a remarkable correspondence between each type of peculiarity in the digits of π and the anomalies in the CMB. Putting aside the unreasonable possibility that these are just the sort of flukes that appear when one looks hard enough, the only conceivable conclusion is that, however the CMB anomalies were created, a similar process imprinted patterns in the digits of π .

Large Angle Anomalies

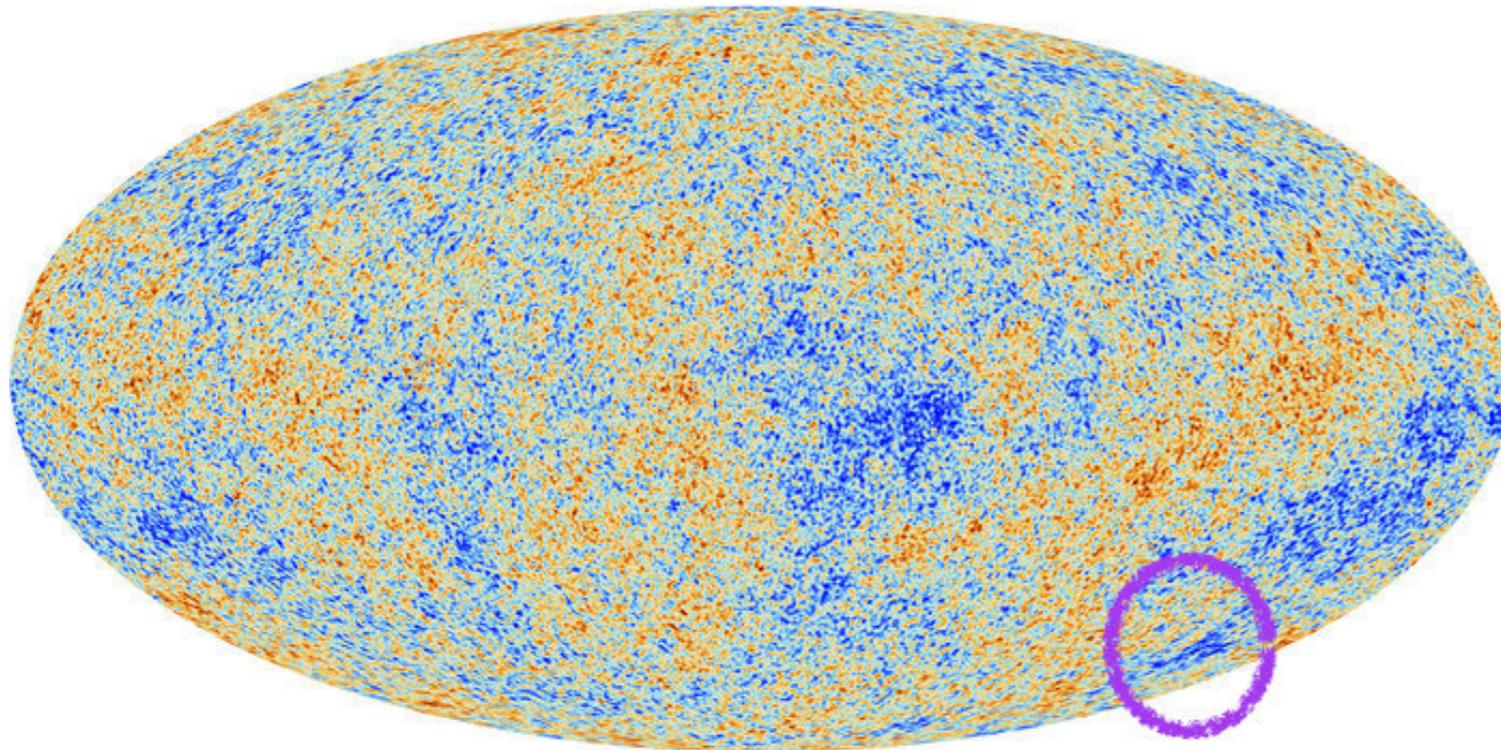


Large Angle Anomalies



Also known as “multiplicity of tests”

Cold Spot



(a)

```
314159265358979323846264338327950288419716939937510
58209749445923078164062862089986280348253421170679
82148086513282306647093844609550582231725359408128
48111745028410270193852110555964462294895493038196
44288109756659334461284756482337867831652712019091
45648566923460348610454326648213393607260249141273
72458700660631558817488152092096282925409171536436
78925903600113305305488204665213841469519415116094
33057270365759591953092186117381932611793105118548
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00056812714526356082778577134275778960917363717872
14684409012249534301465495853710507922796892589235
42019956112129021960864034418159813629774771309960
51870721134999999837297804995105973173281609631859
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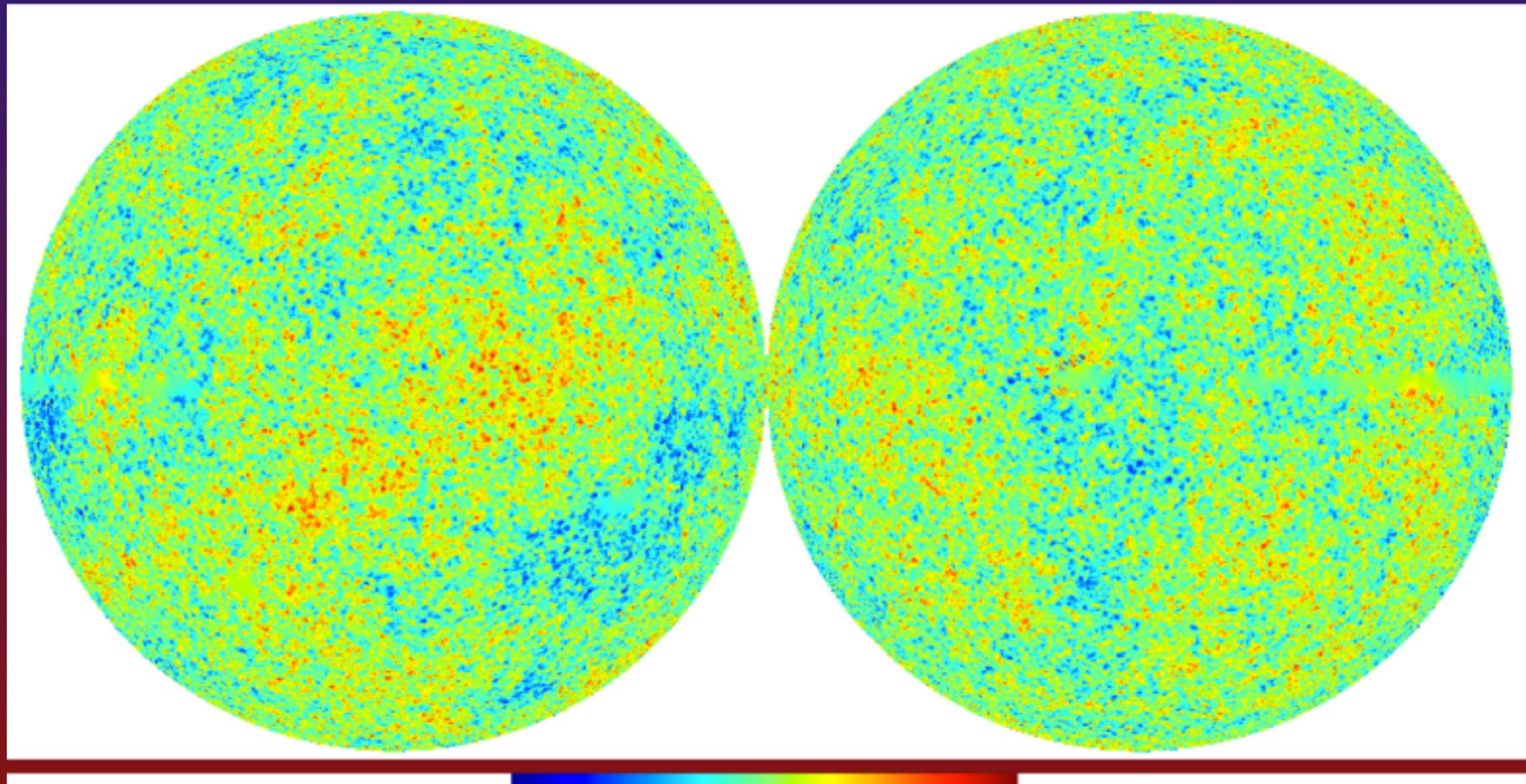
(b)

FIG. 1: (a) Map of the CMB sky from the *Planck* satellite [5]. It seems hardly necessary to mark the position of the Cold Spot, since it stands out so clearly. (b) The first 900 digits of π , showing the early ‘hot spot’, also known as the Feynman point.

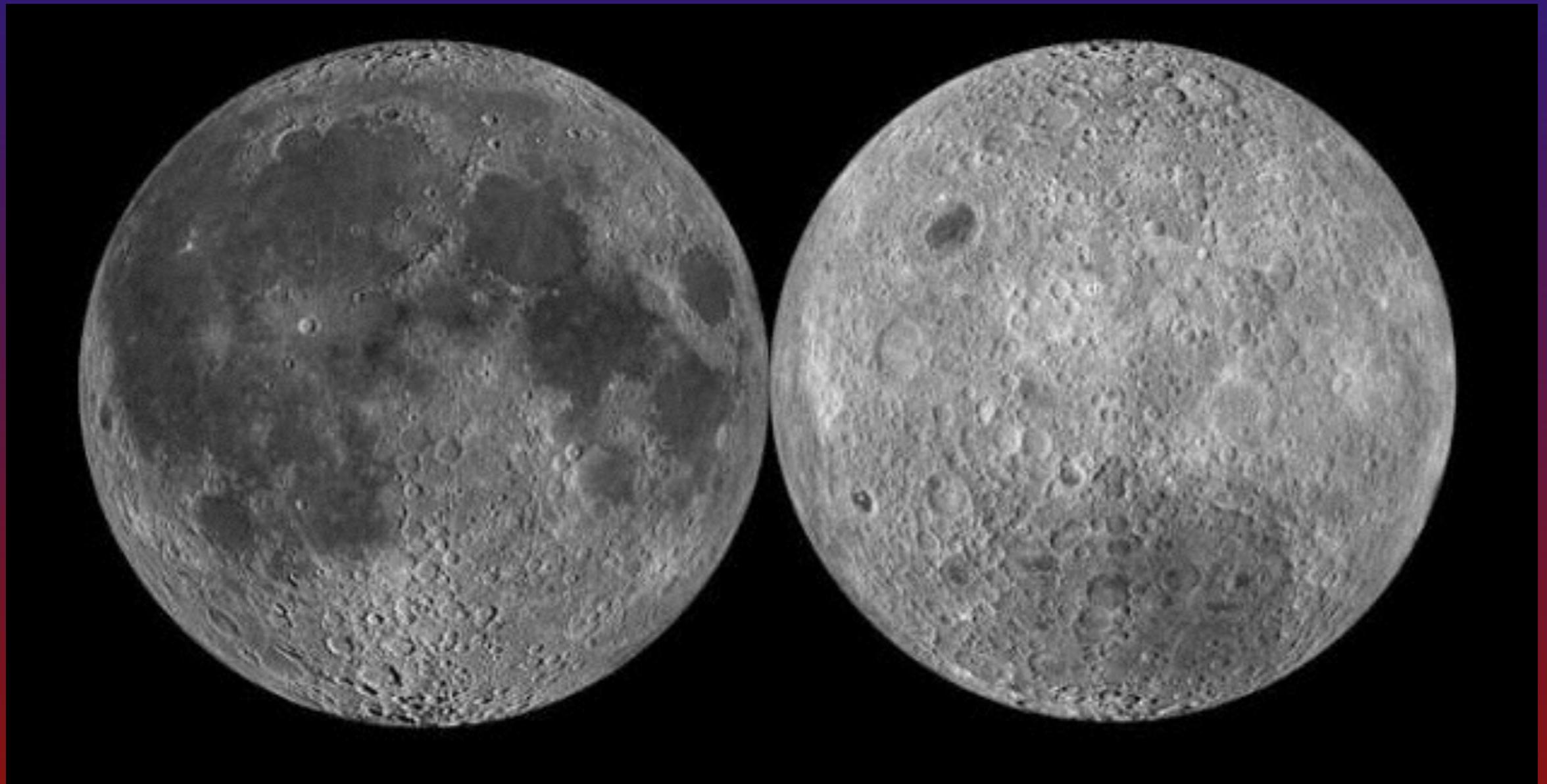
- Remember there's only one observable Universe!
- These measurements are “cosmic variance” limited
- So we can't do better just by re-measuring them

- Remember there's only one observable Universe!
 - These measurements are “cosmic variance” limited
 - So we can't do better just by re-measuring them
-
- We have to be cautious about “a posteriori” claims
 - But, these are special and important modes
 - So we should continue to look for “explanations”
 - And look in independent data, e.g. polarization
(this is being done for next Planck I&S paper)

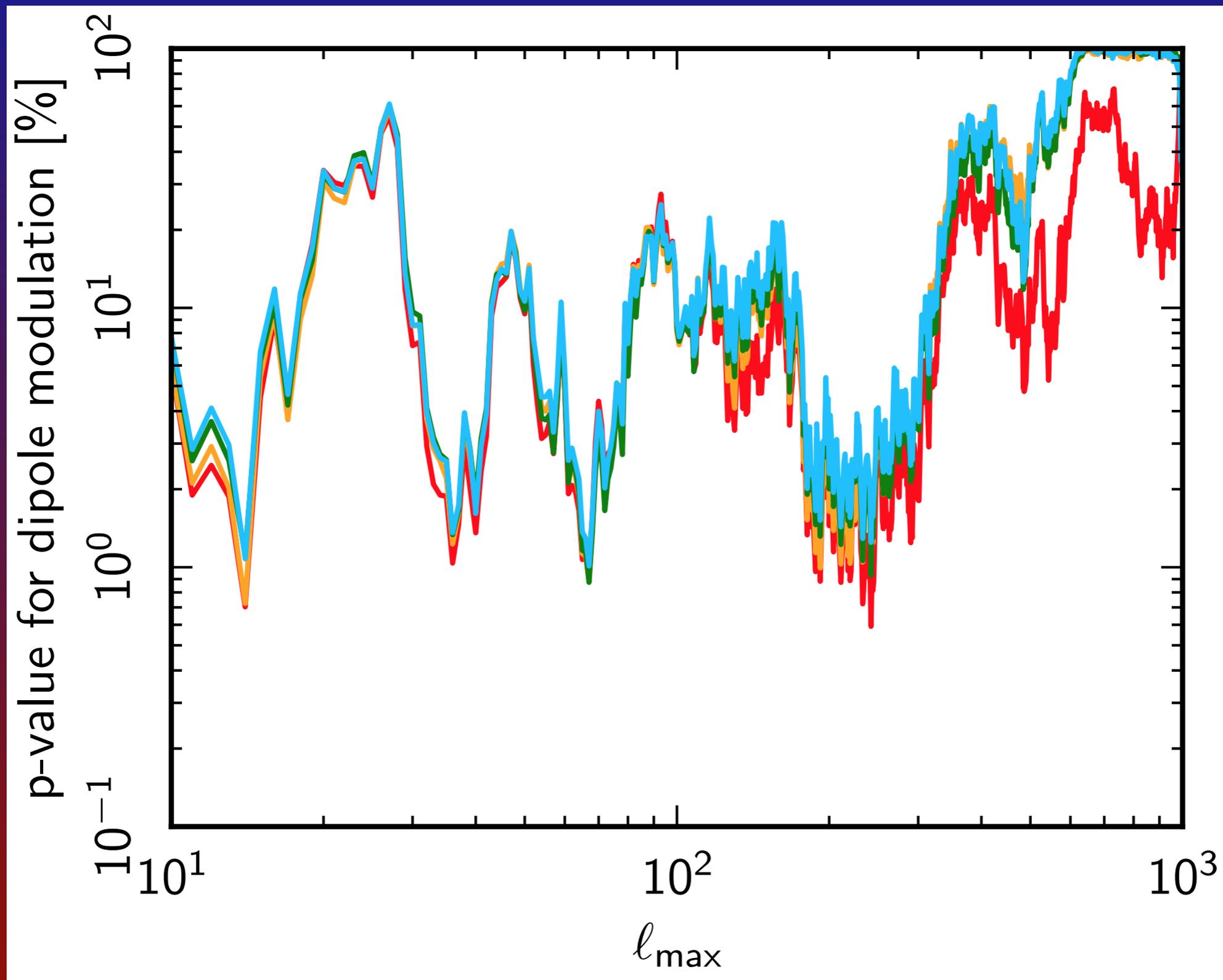
Do the 2 sides of the
CMB sky look alike?



Do the 2 sides of the
Moon look alike?



Probability of dipole modulation



- Some dipole modulation (or hemispheric asymmetry) is expected
- For purely Gaussian, statistically isotropic skies, if we look from $\ell_{\min}=2$ to some ℓ_{\max} :

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- For purely Gaussian, statistically isotropic skies, if we look from $\ell_{\min}=2$ to some ℓ_{\max} :

$$\left\langle \frac{\Delta A_s}{A_s} \right\rangle \approx \sqrt{\frac{48}{\pi(\ell_{\max} + 4)(\ell_{\max} - 1)}}.$$

- Then when we find some low- l modulation, we have to marginalise over effects of similar l for other ℓ_{\max}
- In other words, ask how often you find such apparently unlikely modulations in simulations

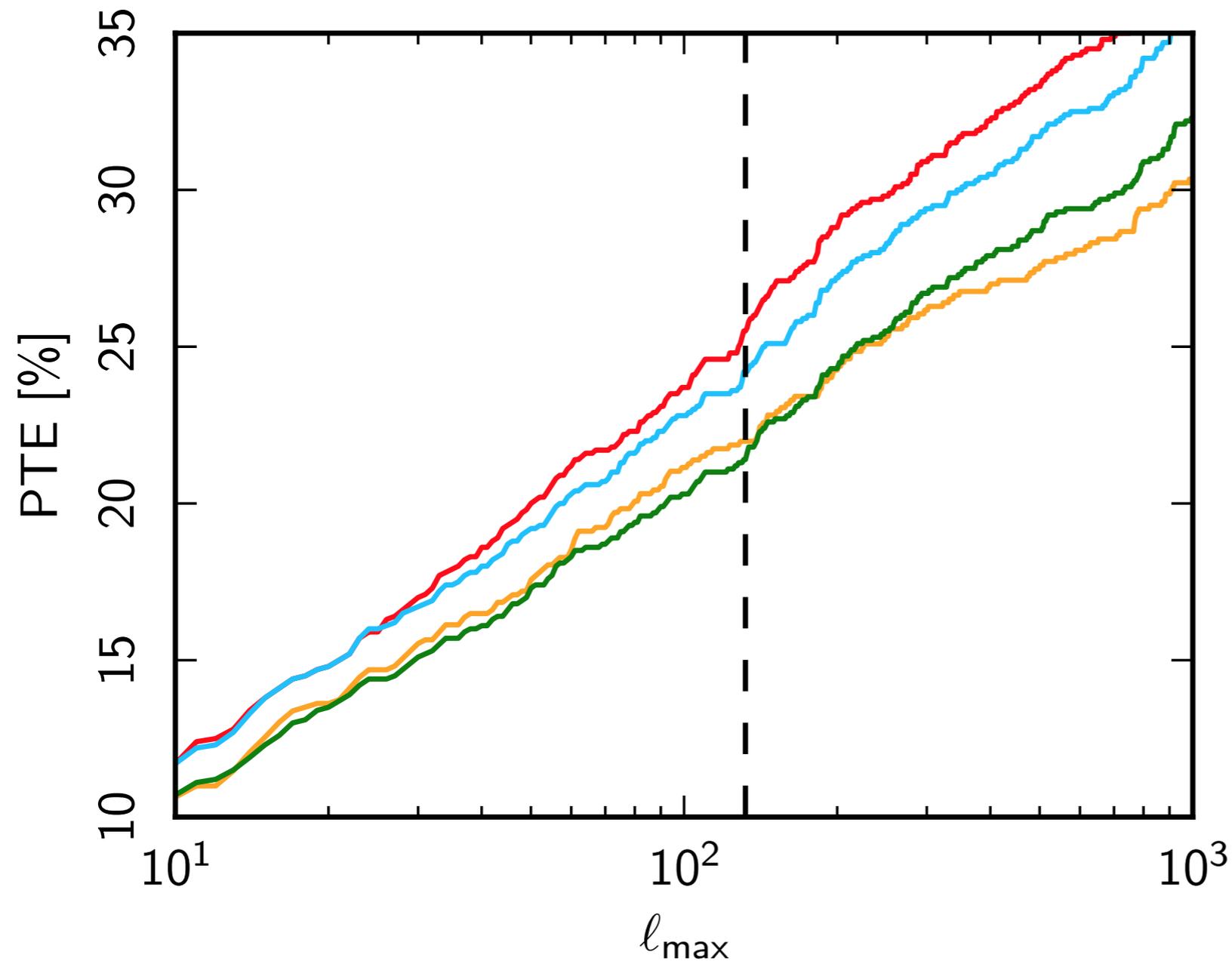


Fig. 31. Probability determined from the QML analysis for obtaining a dipole modulation amplitude at least as anomalous as the Commander (red), NILC (orange), SEVEM (green), and SMICA (blue) data sets, for the range $\ell \in [10, \ell_{\max}]$. The vertical line corresponds to $\ell_{\max} = 132$ which was used as the search limit in [Bennett et al. \(2011\)](#). The probability grows approximately logarithmically with ℓ_{\max} . This means that the adopted probability to exceed is fortunately not very sensitive to ℓ_{\max} , and for any reasonable choice is above 10%.

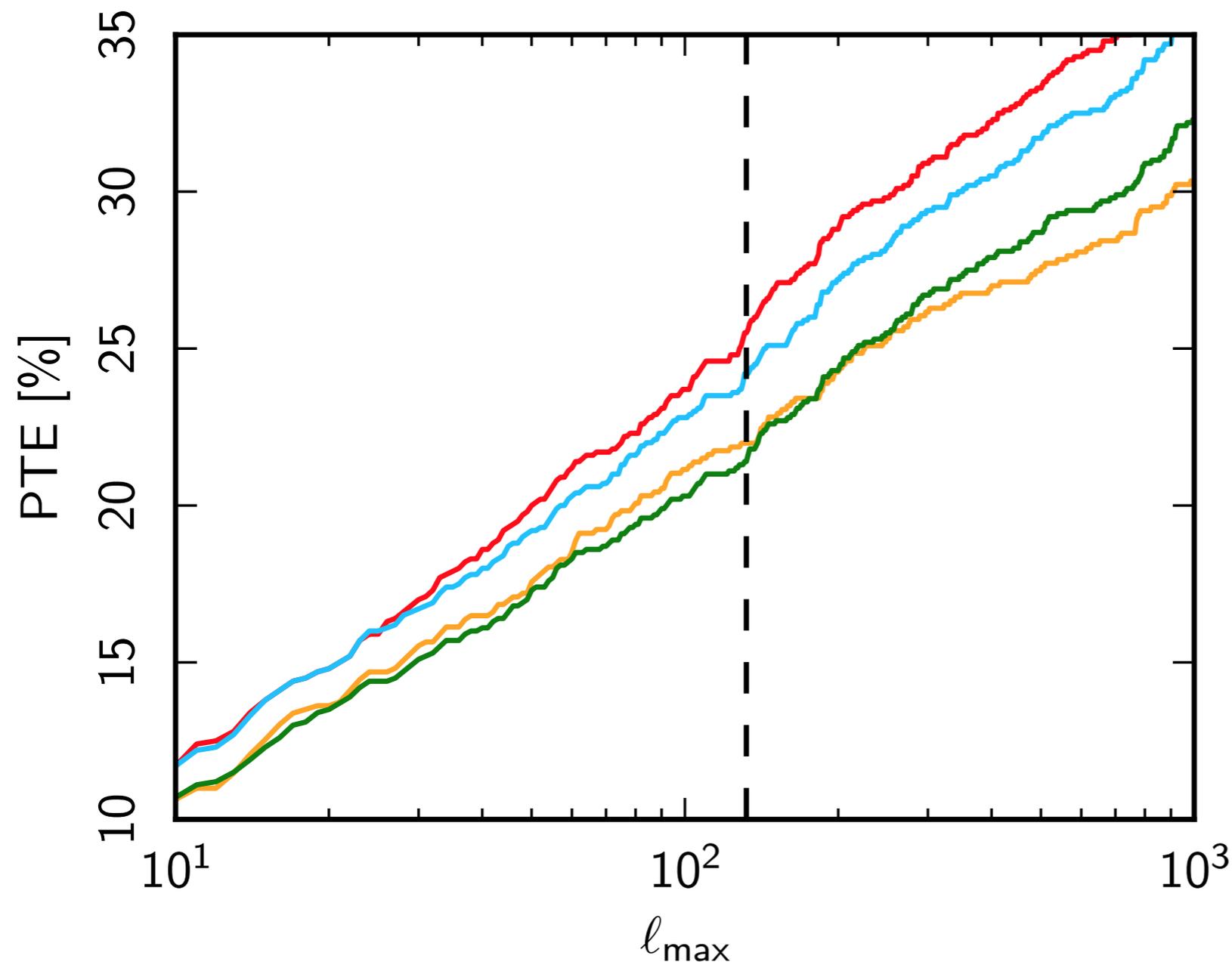


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Marginalising over values of ℓ_{\max} (i.e. looking for modulations with equal p -values in the simulated data sets) shows that the “probability to exceed” is not small

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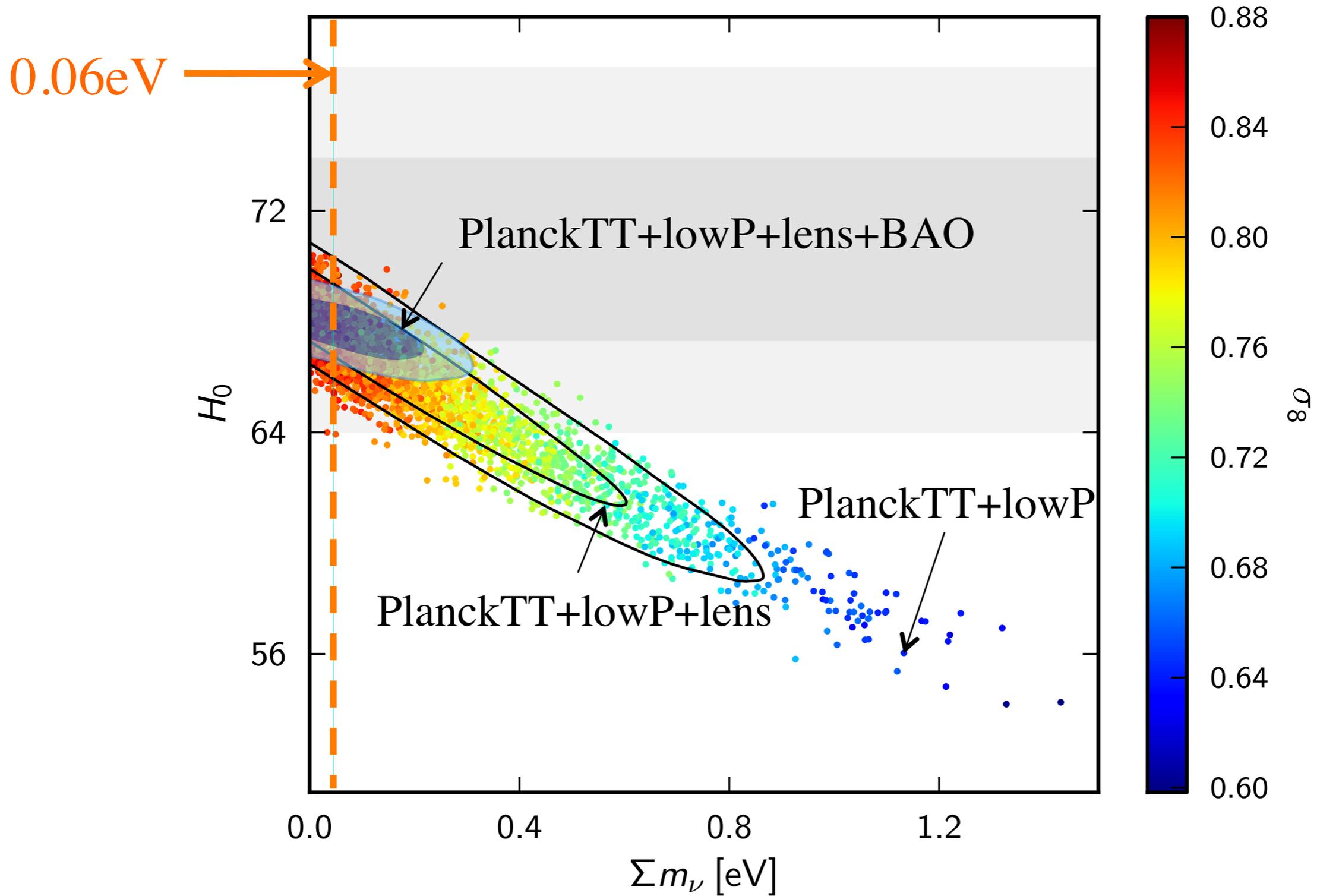
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- **Could any of the basic assumptions turn out to be wrong?**

Beyond the SMC?

- Constrain parameters better?
- Which of ~ 12 have null values?
- Will Ω_ν be next to be measured?
- Will there be genuine surprises?
- Are $I+w$ and B -modes detectable?
- Did inflation happen or something else?
- Will the SMC get as boringly successful as the SMPP?

Constraints on neutrinos now tighter



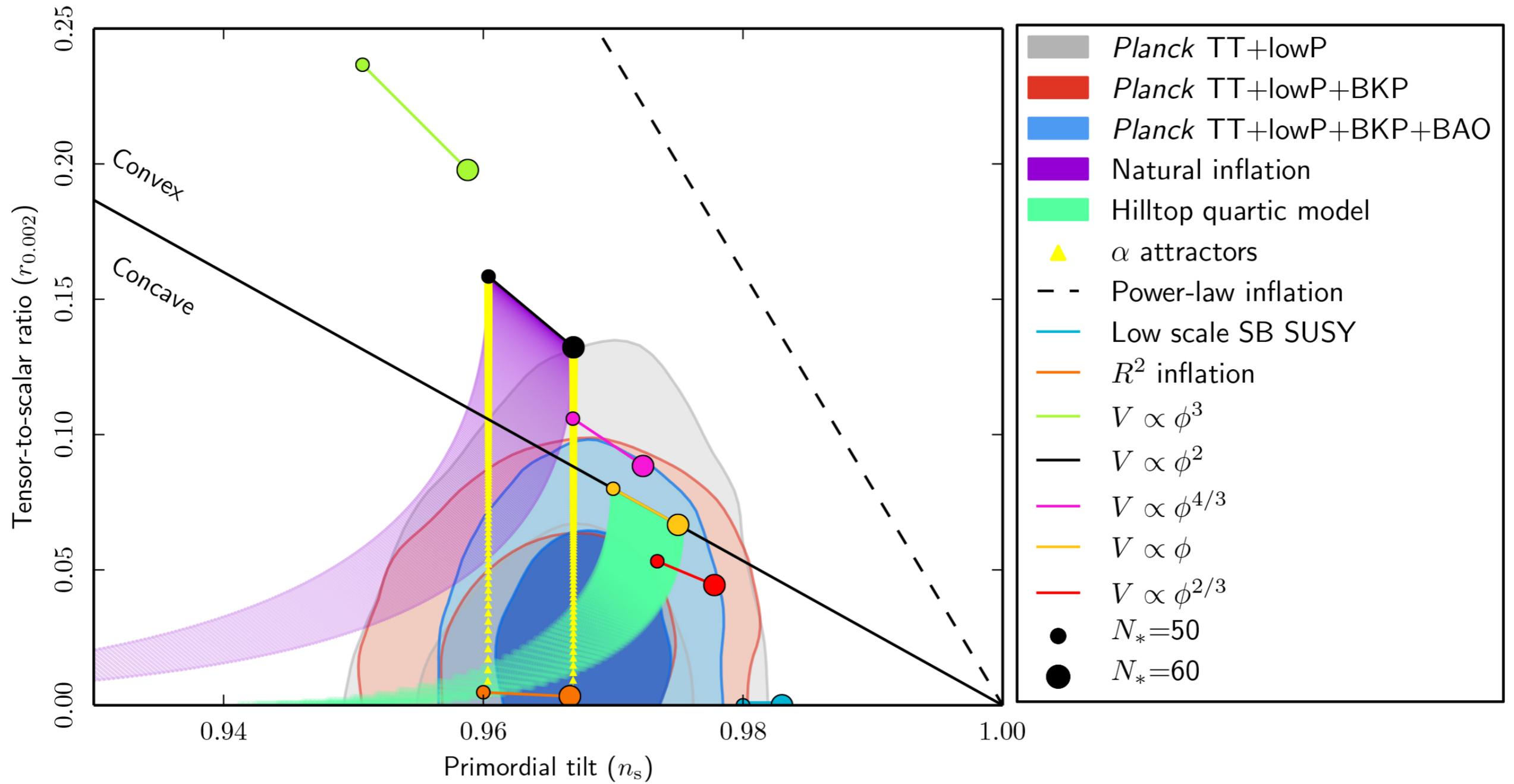
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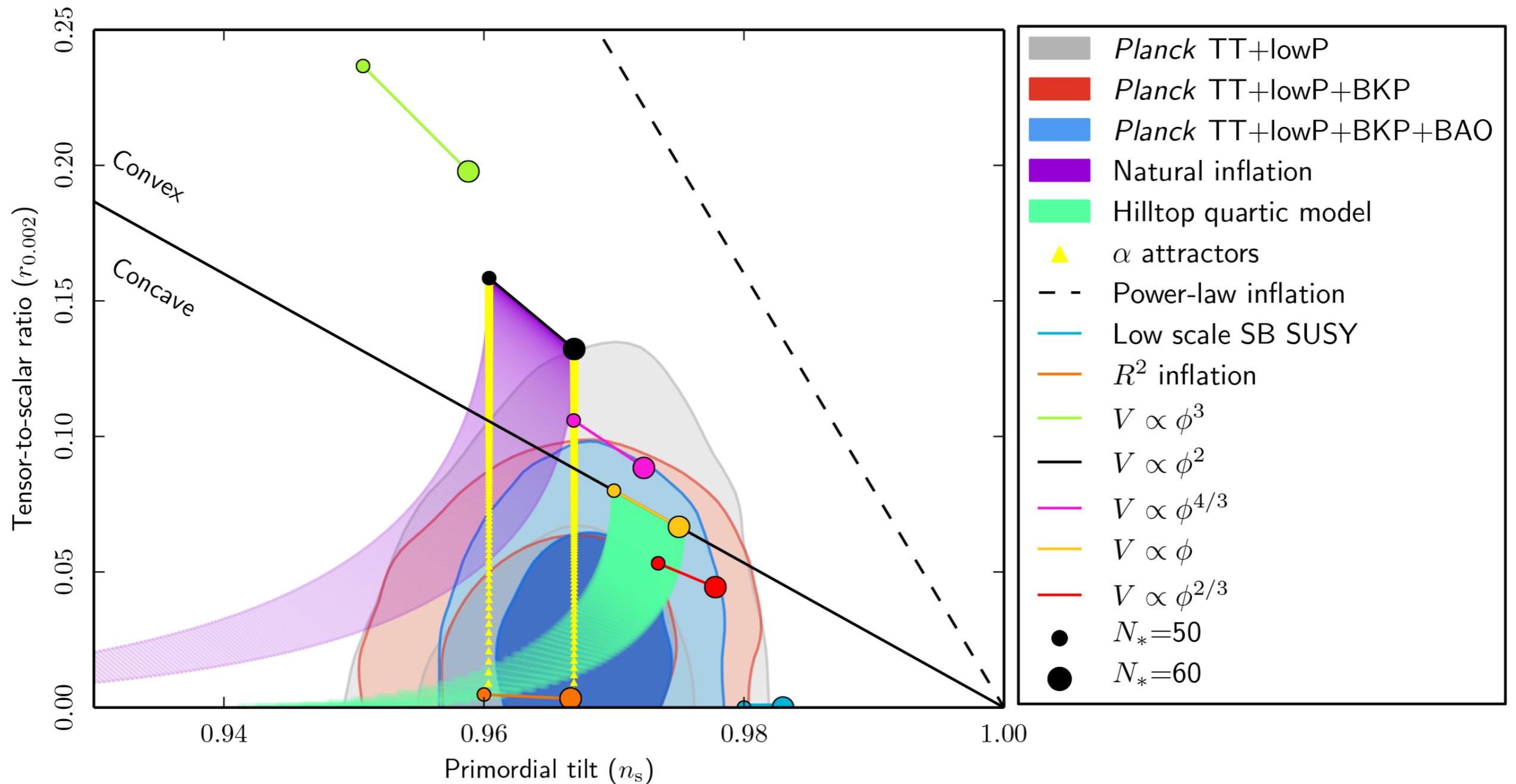
Planck 2015 and inflation

- $\Omega_K = 0.000 \pm 0.005$ (95%CL)
- $n_s = 0.968 \pm 0.006$
- $dn_s/d\ln k = -0.003 \pm 0.007$
- no features required in fits
- $r < 0.11$ (*Planck TT+TE+EE*)
- $r < 0.12$ (*BICEP2+Keck Array+Planck BB*)
- $r < 0.08$ (combined)
- $f_{\text{NL}}(\text{local}) = 2 \pm 6$; $f_{\text{NL}}(\text{equil}) = 0 \pm 40$; $f_{\text{NL}}(\text{ortho}) = -26 \pm 21$
- isocurvature < few% (depending on mode)
- no evidence of cosmic defects

Planck 2015 and inflation

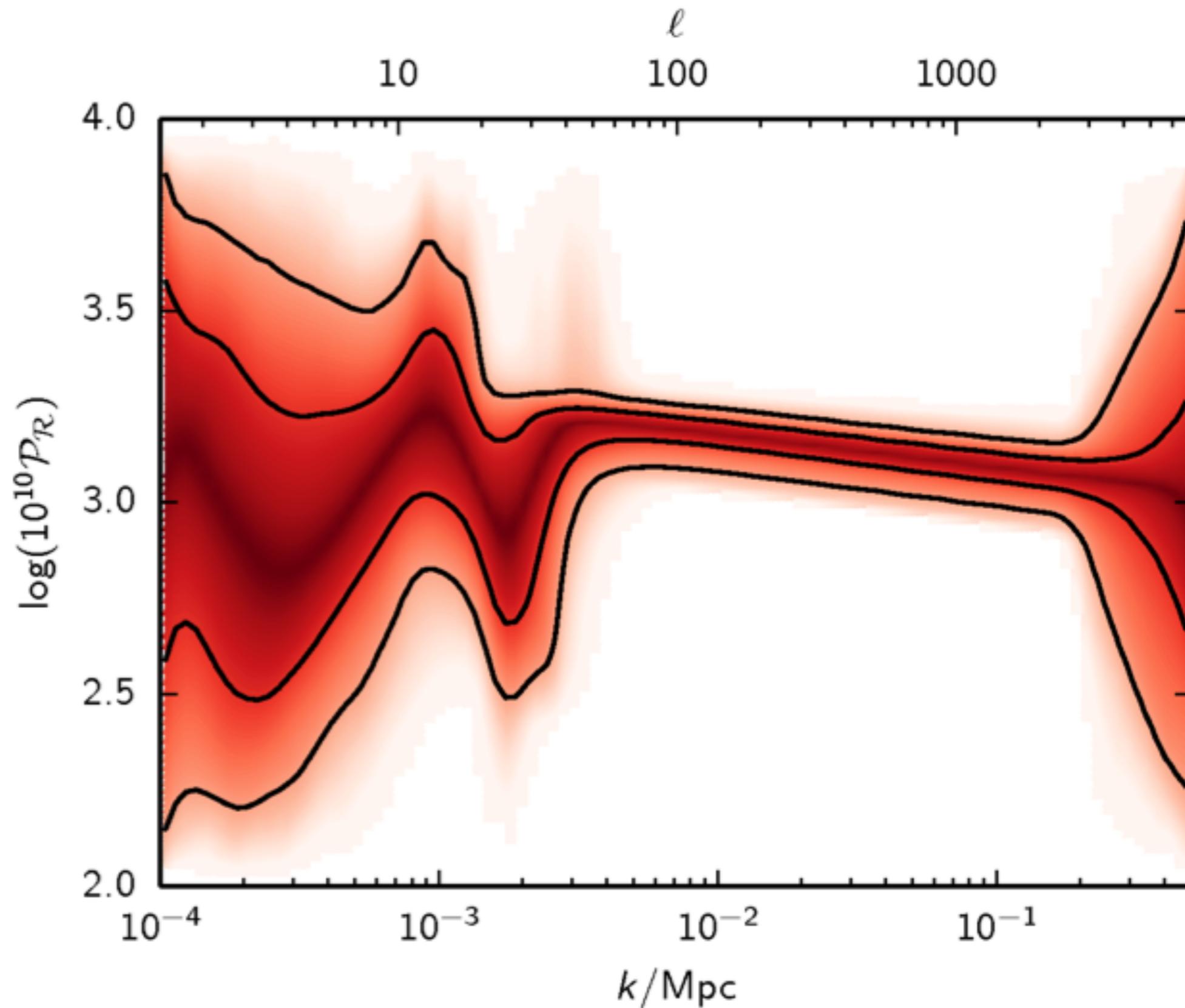


Planck 2015 and inflation



$V \propto \phi^2$ now disfavoured by data

Power spectrum reconstruction (typical example)



Clearly we've learned
something, but what?

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This is my best attempt:

Clearly we've learned
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This is my best attempt:

“Something like inflation
is something like proven”

Big questions for theorists

- Why Λ ?
- Why is $\Omega_{\text{CDM}}/\Omega_{\text{B}} \approx 5$?
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Either the best time or worst time
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Dark Energy Theories

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- Quintessence with perturbations
- Rolling scalar field
- Generalized Chaplygin gas
- k-essence
- Cuscuton cosmology
- Tracker fields
- Phantom Energy
- Cardassian Dark Energy
- Interacting Dark Matter-Dark Energy
- DGP brane cosmology
- $f(R)$ gravity
- Gauss-Bonnet gravity
- Scalar-tensor theories
- Tensor-Vector-Scalar theory
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- Effective Field Theory
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- Post-Friedman parameterization
- Massive gravity
- Vainshtein screening
- Chameleon models
- Galileo theory
- Multi-metric gravity
- K-mouflage
- Teleparallel Dark Energy
- Warped brane-worlds
- Pilgrim Dark Energy
- Machine strings
- Condensate-induced Dark Energy
- 3-form Dark Energy
- Ricci Dark Energy
- Einstein-Cartan torsion
- Tachyon Dark Energy
- Quintom Dark Energy
- Emergent gravity
- Cosmological constant

Good Dark Energy Theories

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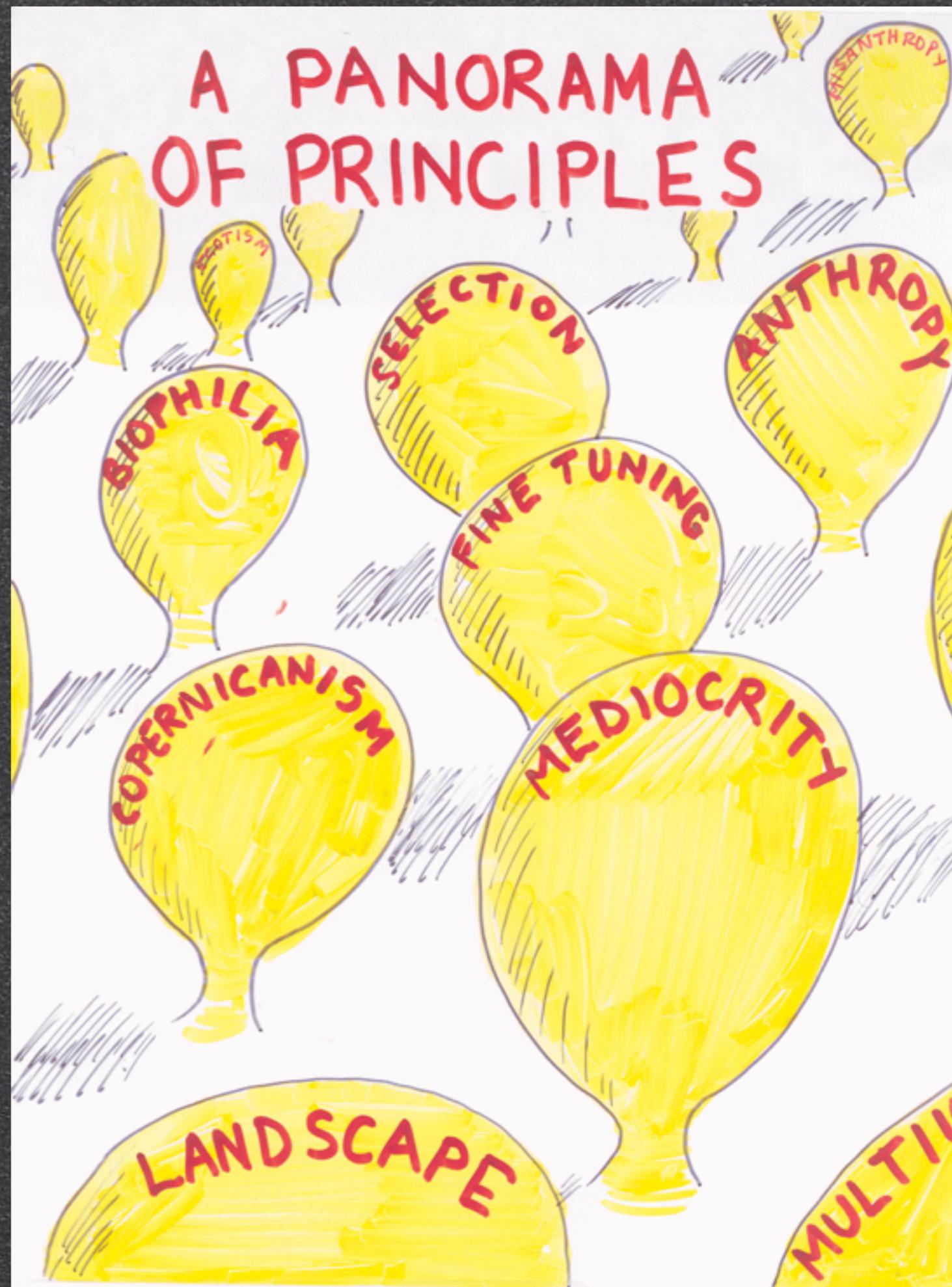
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SMPP

 Late 1960s / early 1970s

 Predicted:

- W,Z,c,t,g,Higgs

 Not fundamental

 Observer independent
(not stochastic?)

 Very very precise

 What's next?

SMC

 Early 1990s

 Predicted:

- many things!

 Not fundamental

 Observer dependent
(time + cosmic variance)

 Getting very precise

 What's next?

What about non-standard models?

- * Global anisotropy, rotation, topology
- * Isocurvature or defect contribution
- * Primordial magnetic fields
- * We live in the centre of a void
- * Interacting Dark Matter
- * Modifications to Gravity
- * Variable fundamental constants

What about non-standard models?

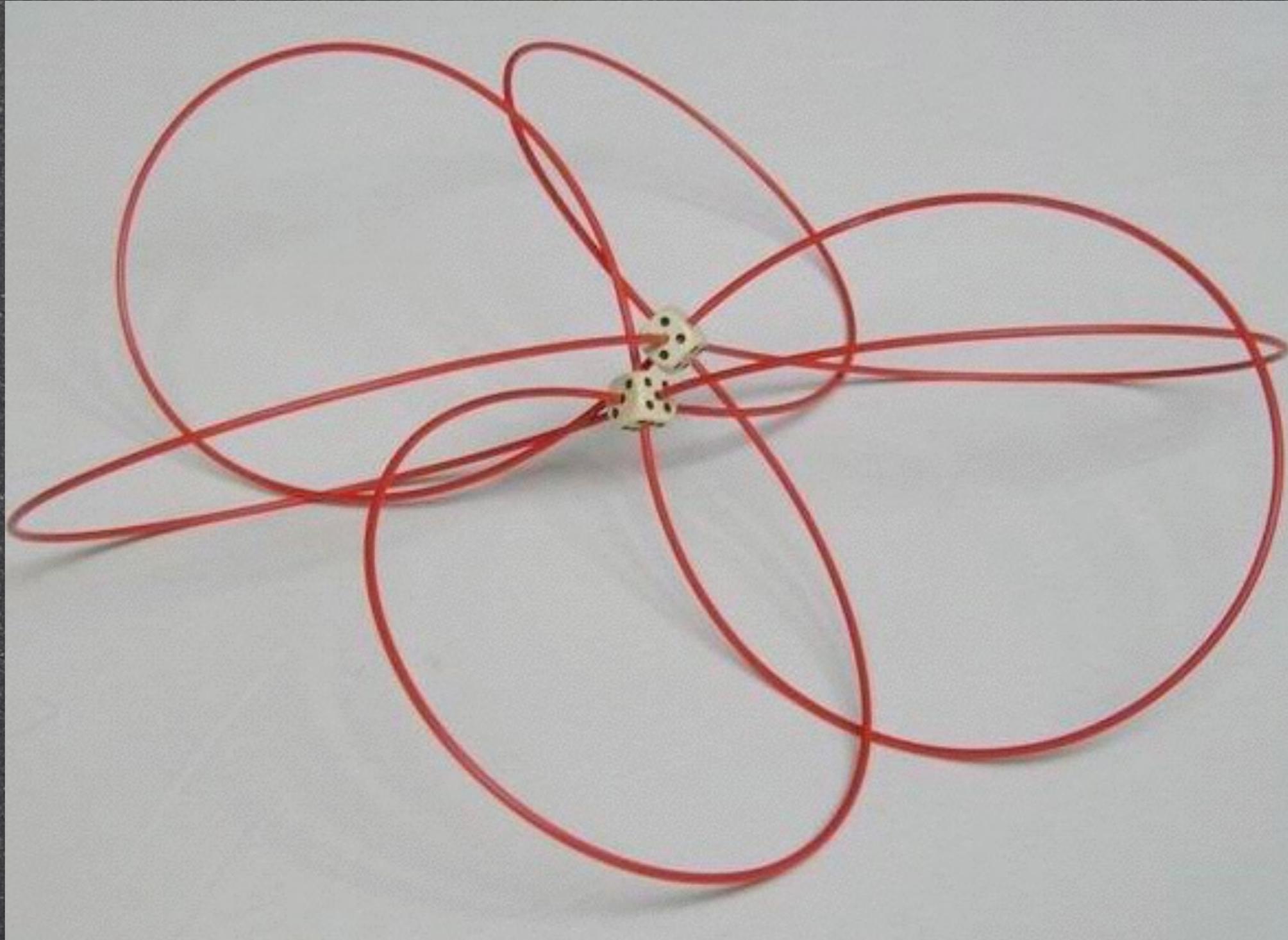
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**BUT NEED STRONGER MOTIVATION
TO THROW OUT EVERYTHING!**

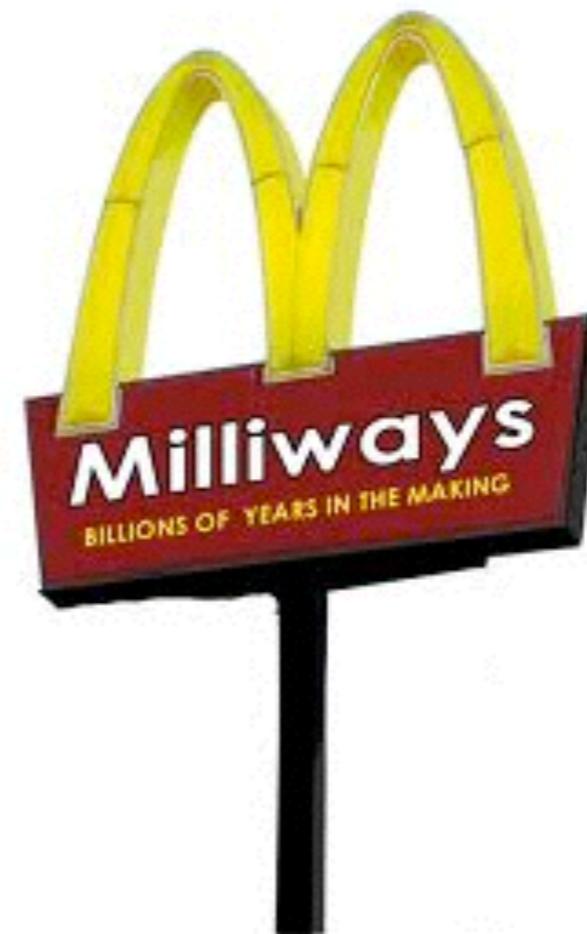
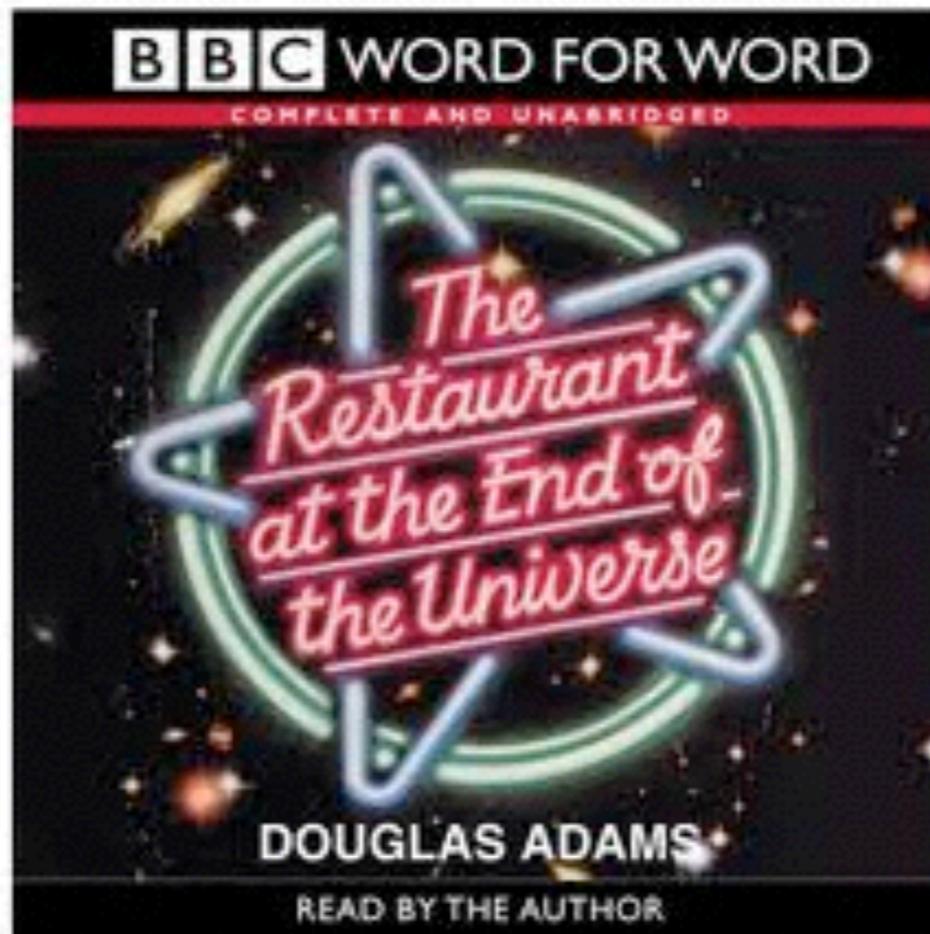
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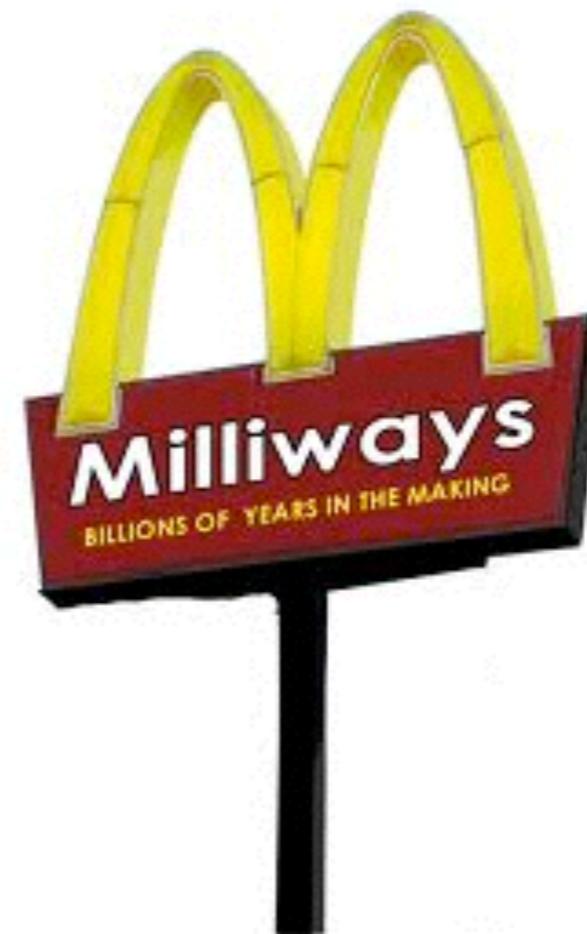
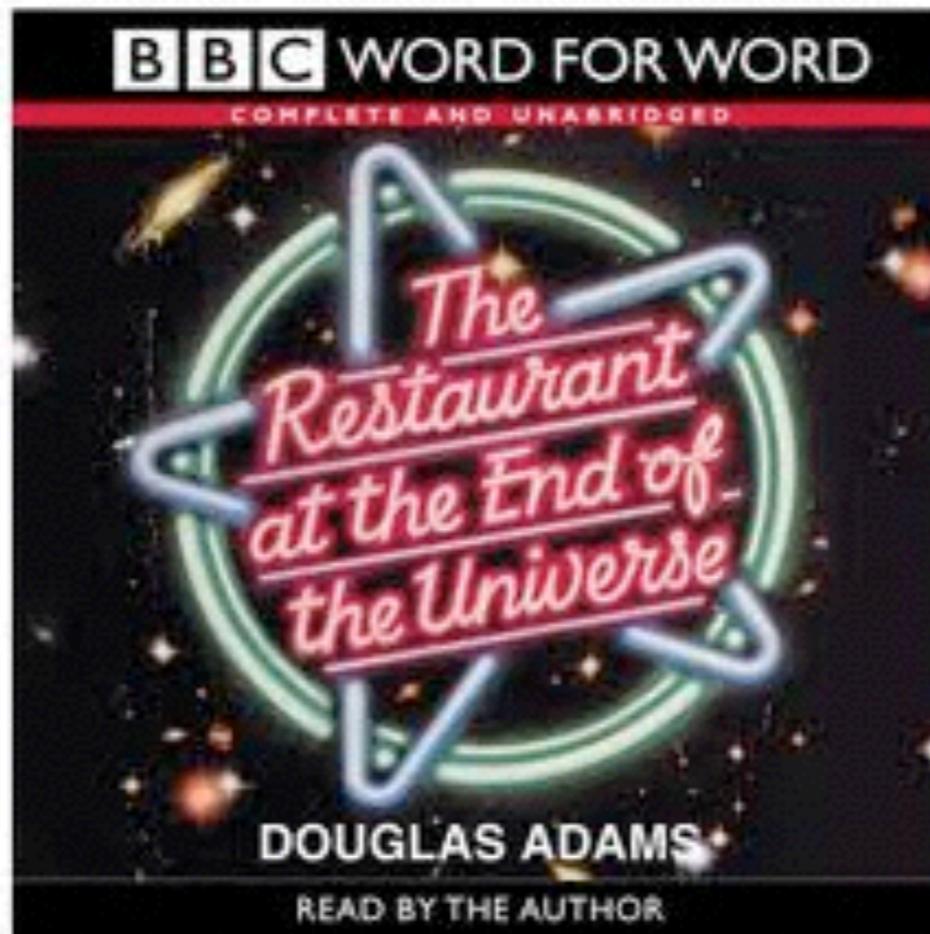
Douglas Adams

The Restaurant at the End of the Universe



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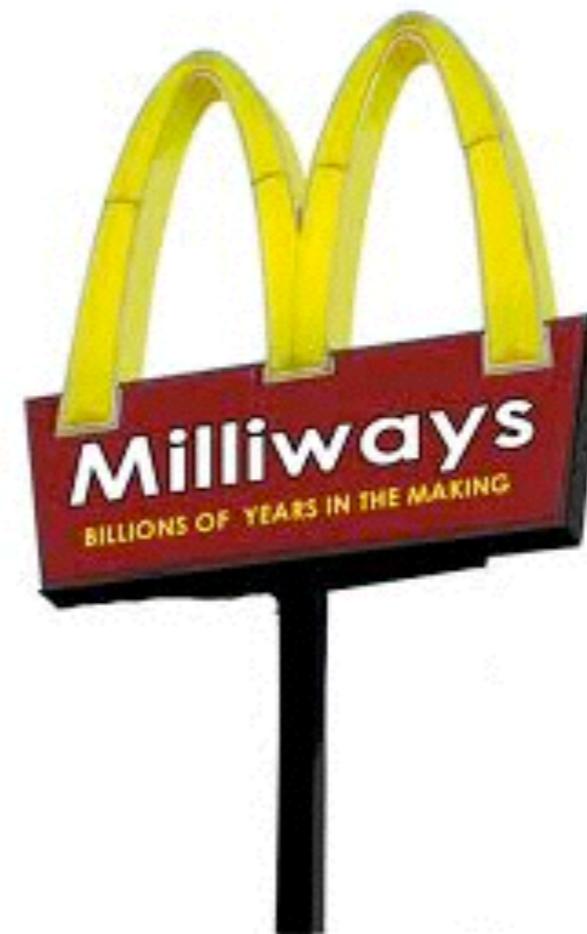
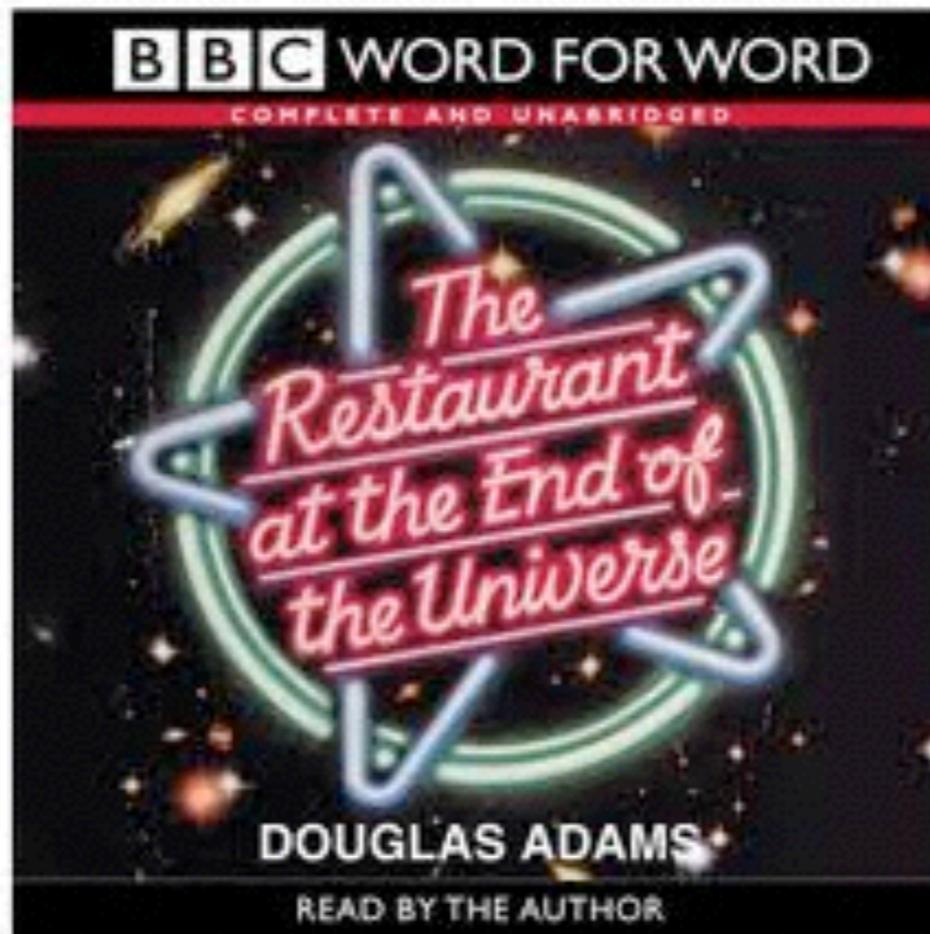
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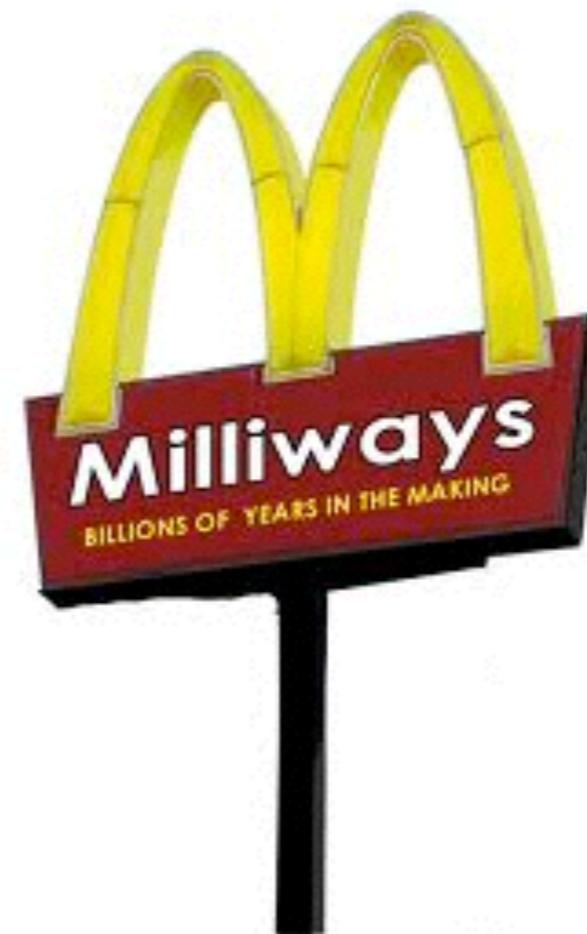
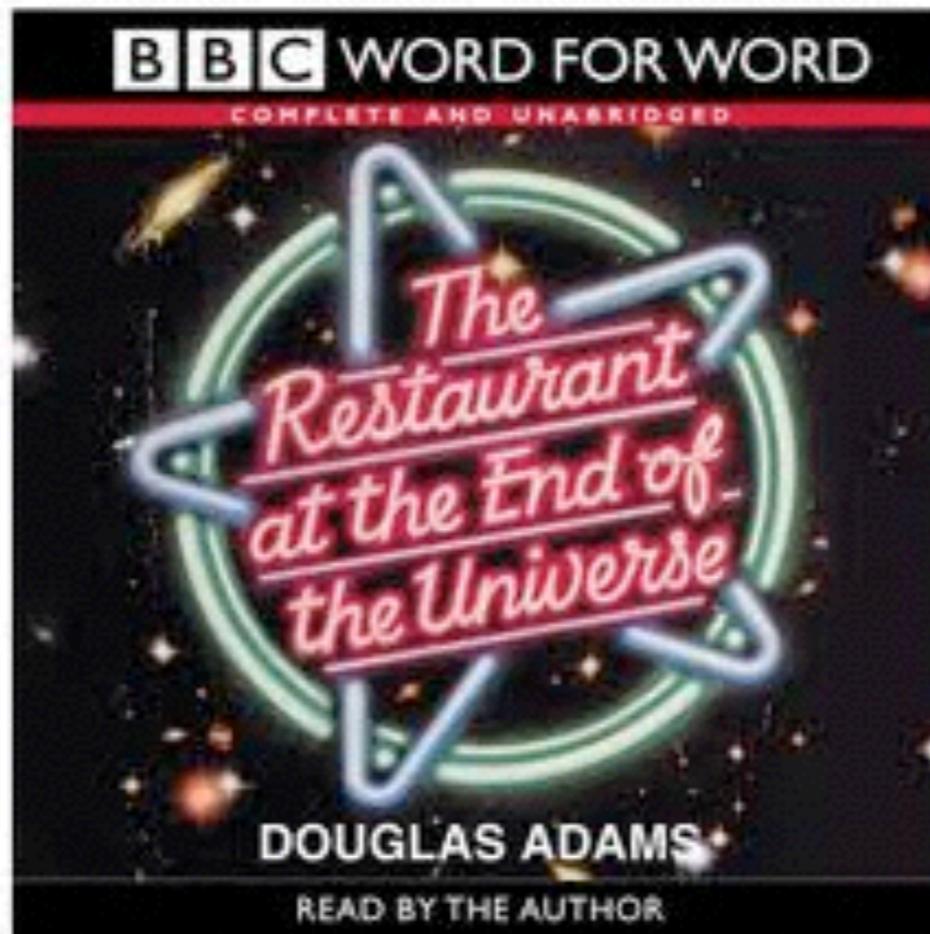


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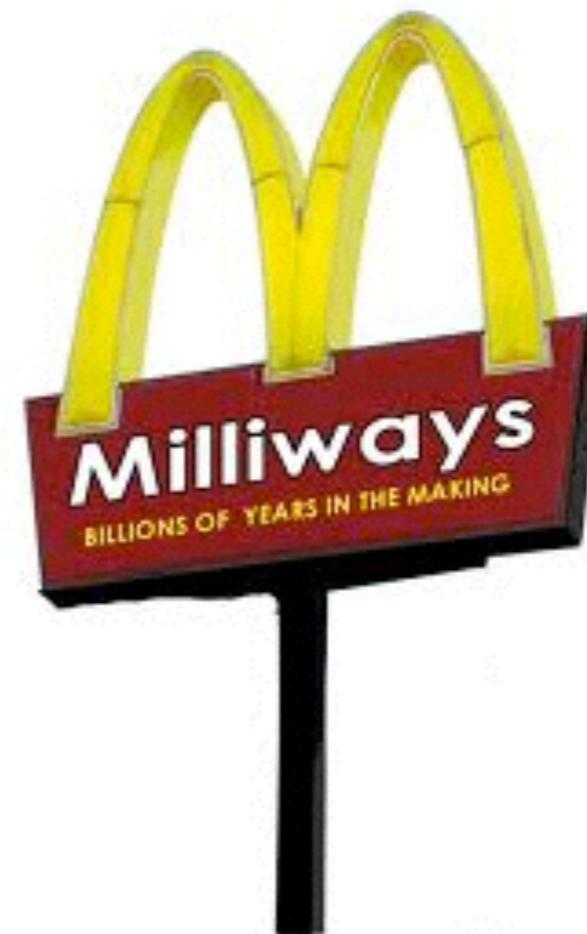
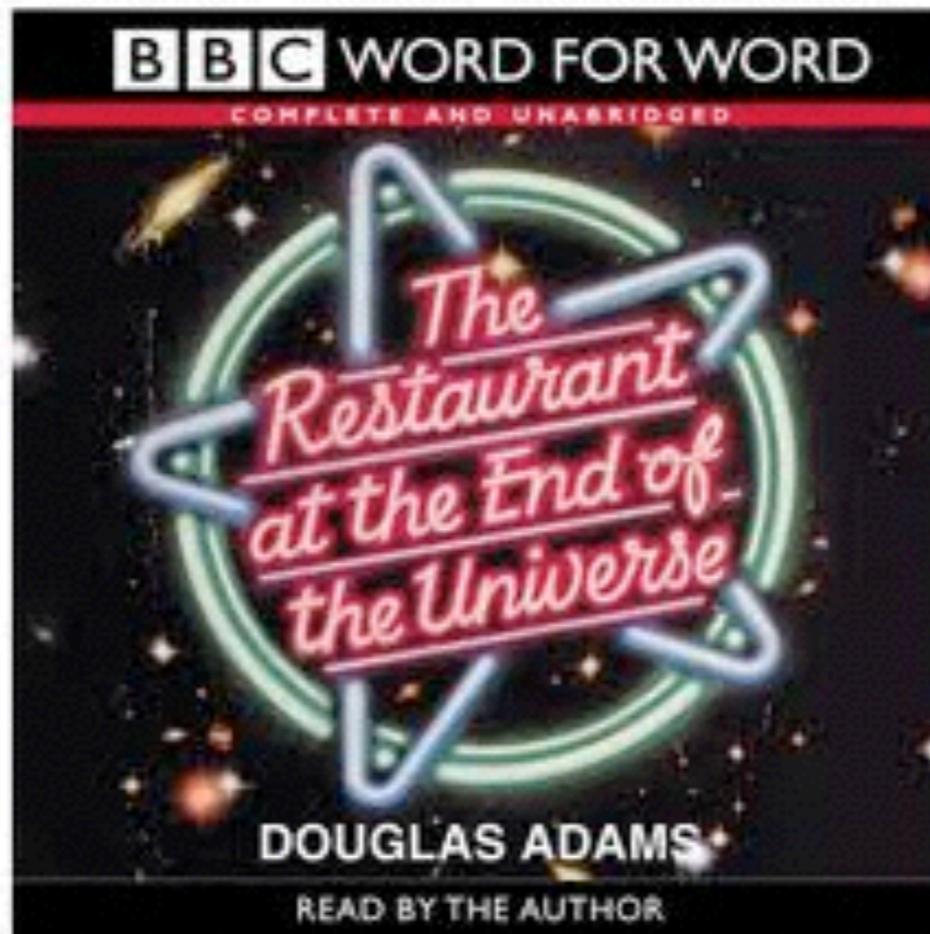


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Cosmic Mnemonics

With Ali Narimani + Don Page (+Jim Zibin) arXiv:1309.2381, Phys. in Canada

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$$\approx 3 \times (\text{age of the Earth})$$

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With Ali Narimani + Don Page (+Jim Zibin) [arXiv:1309.2381](https://arxiv.org/abs/1309.2381), Phys. in Canada

Cosmic Mnemonics

- Amplitude: $\sigma_8 = 0.826 \pm 0.012$ at $8 h^{-1} \text{Mpc}$
 - But $\sigma(R) = 1$ for $R = (8.9 \pm 0.3) \text{Mpc}$ [no $h!$]
- Growth factor today: $g = 0.784 \pm 0.006$
- Reionization: fraction of CMB scattered = 8.8%
- Scaling of acoustic peaks = 0.6° (=Sun or Moon)
- $\Omega_m / \Omega_b = 2\Omega_\Lambda / \Omega_m$ (=5.4)
- $\Omega_\gamma = 5.4 \times 10^{-5} = \alpha^{-2}$
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Measured to $>2000\sigma$
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$$\theta_\star = r_s / d_A$$

Measured to $>2000\sigma$

We call this the Planck Scale!

Lose some of the detailed slides in the middle of the talk (examples of proofs of SMC + some of math parts?)