

A novel, precise LHCb measurement of B^0_s and D^*_s lifetimes

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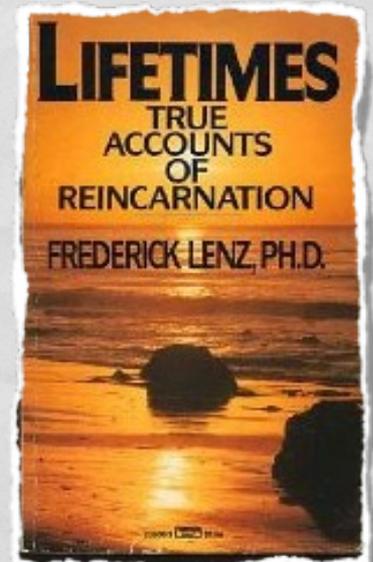


Heavy flavor lifetimes

Not just stamp collecting

Lifetimes test the heavy-quark expansion model: the best predictive tool for inclusive quantities in the dynamics of heavy mesons.

- $\tau(B^0_s)/\tau(B^0)$ has key discriminating power as corrections nearly vanish.
- Data value 0.99 ± 0.004 is 2.5σ off the 1.001 ± 0.002 prediction.
- ==> Improve the B^0_s lifetime.
- Look where most of the statistical power is: semileptonic decays



Reminder: with nonzero width-difference “ B^0_s lifetime” is not uniquely defined. Here focus on flavor-specific lifetime

$$\tau_s^{\text{fs}} = \frac{1}{\Gamma_s} \left[\frac{1 + (\Delta\Gamma_s/2\Gamma_s)^2}{1 - (\Delta\Gamma_s/2\Gamma_s)^2} \right]$$

Semileptonic got out of fashion

VALUE (10^{-12} s)	EVTS	DOCUMENT ID	TECN	COMMENT
1.520 ± 0.004	OUR EVALUATION			
1.534 ± 0.019 ± 0.021		1 ABAZOV 2015A	D0	$p\bar{p}$ at 1.96 TeV
1.499 ± 0.013 ± 0.005		2 AAIJ 2014E	LHCB	pp at 7 TeV
1.524 ± 0.006 ± 0.004		3 AAIJ 2014E	LHCB	pp at 7 TeV
1.524 ± 0.011 ± 0.004		4 AAIJ 2014R	LHCB	pp at 7 TeV
1.509 ± 0.012 ± 0.018		5 AAD 2013U	ATLS	pp at 7 TeV
1.508 ± 0.025 ± 0.043		2 ABAZOV 2012U	D0	$p\bar{p}$ at 1.96 TeV
1.507 ± 0.010 ± 0.008		6 AALTONEN 2011	CDF	$p\bar{p}$ at 1.96 TeV
1.414 ± 0.018 ± 0.034		7 ABAZOV 2009E	D0	$p\bar{p}$ at 1.96 TeV
1.504 ± 0.013 $^{+0.018}_{-0.013}$		8 AUBERT 2006G	BABR	$e^+ e^- \rightarrow Y(4S)$
1.534 ± 0.008 ± 0.010		9 ABE 2005B	BELL	$e^+ e^- \rightarrow Y(4S)$
1.531 ± 0.021 ± 0.031		10 ABDALLAH 2004E	DLPH	$e^+ e^- \rightarrow Z$
1.523 $^{+0.024}_{-0.023}$ ± 0.022		11 AUBERT 2003C	BABR	$e^+ e^- \rightarrow Y(4S)$
1.533 ± 0.034 ± 0.038		12 AUBERT 2003H	BABR	$e^+ e^- \rightarrow Y(4S)$
1.497 ± 0.073 ± 0.032		13 ACOSTA 2002C	CDF	$p\bar{p}$ at 1.8 TeV
1.529 ± 0.012 ± 0.029		14 AUBERT 2002H	BABR	$e^+ e^- \rightarrow Y(4S)$
1.546 ± 0.032 ± 0.022		15 AUBERT 2001F	BABR	$e^+ e^- \rightarrow Y(4S)$
1.541 ± 0.028 ± 0.023		14 ABBIENDI,G 2000B	OPAL	$e^+ e^- \rightarrow Z$
1.518 ± 0.053 ± 0.034		16 BARATE 2000R	ALEP	$e^+ e^- \rightarrow Z$
1.523 ± 0.057 ± 0.053		17 ABBIENDI 1999J	OPAL	$e^+ e^- \rightarrow Z$
1.474 ± 0.039 $^{+0.052}_{-0.051}$		16 ABE 1998Q	CDF	$p\bar{p}$ at 1.8 TeV
1.52 ± 0.06 ± 0.04		17 ACCIARRI 1998S	L3	$e^+ e^- \rightarrow Z$
1.64 ± 0.08 ± 0.08		17 ABE 1997J	SLD	$e^+ e^- \rightarrow Z$
1.532 ± 0.041 ± 0.040		18 ABREU 1997F	DLPH	$e^+ e^- \rightarrow Z$
1.25 $^{+0.15}_{-0.13}$ ± 0.05	121	13 BUSKULIC 1996J	ALEP	$e^+ e^- \rightarrow Z$
1.49 $^{+0.17}_{-0.15}$ $^{+0.08}_{-0.06}$		19 BUSKULIC 1996J	ALEP	$e^+ e^- \rightarrow Z$
1.61 $^{+0.14}_{-0.13}$ ± 0.08		16, 20 ABREU 1995Q	DLPH	$e^+ e^- \rightarrow Z$
1.63 ± 0.14 ± 0.13		21 ADAM 1995	DLPH	$e^+ e^- \rightarrow Z$
1.55 ± 0.12 ± 0.08		16, 22 AKERS 1995T	OPAL	$e^+ e^- \rightarrow Z$

Mostly abandoned in the last decade, when large samples of fully reconstructed decays became available.

for a reason

Yield advantage typically offset by complications from unreconstructed neutrino momentum:

- Broadens B mass, spoiling separation from bckg and between the various signals within the inclusive final state
- Biases the decay-time determination from the observed decay length.

Pioneering attempts at the Tevatron, e.g.,

<http://inspirehep.net/record/741160/files/fermilab-thesis-2006-78.PDF>

<http://inspirehep.net/record/1508436/files/fermilab-thesis-2010-76.pdf>

some made it to paper, <https://journals.aps.org/prl/abstract/10.1103/PhysRevLett.114.062001> although limited by large systematic uncertainties.

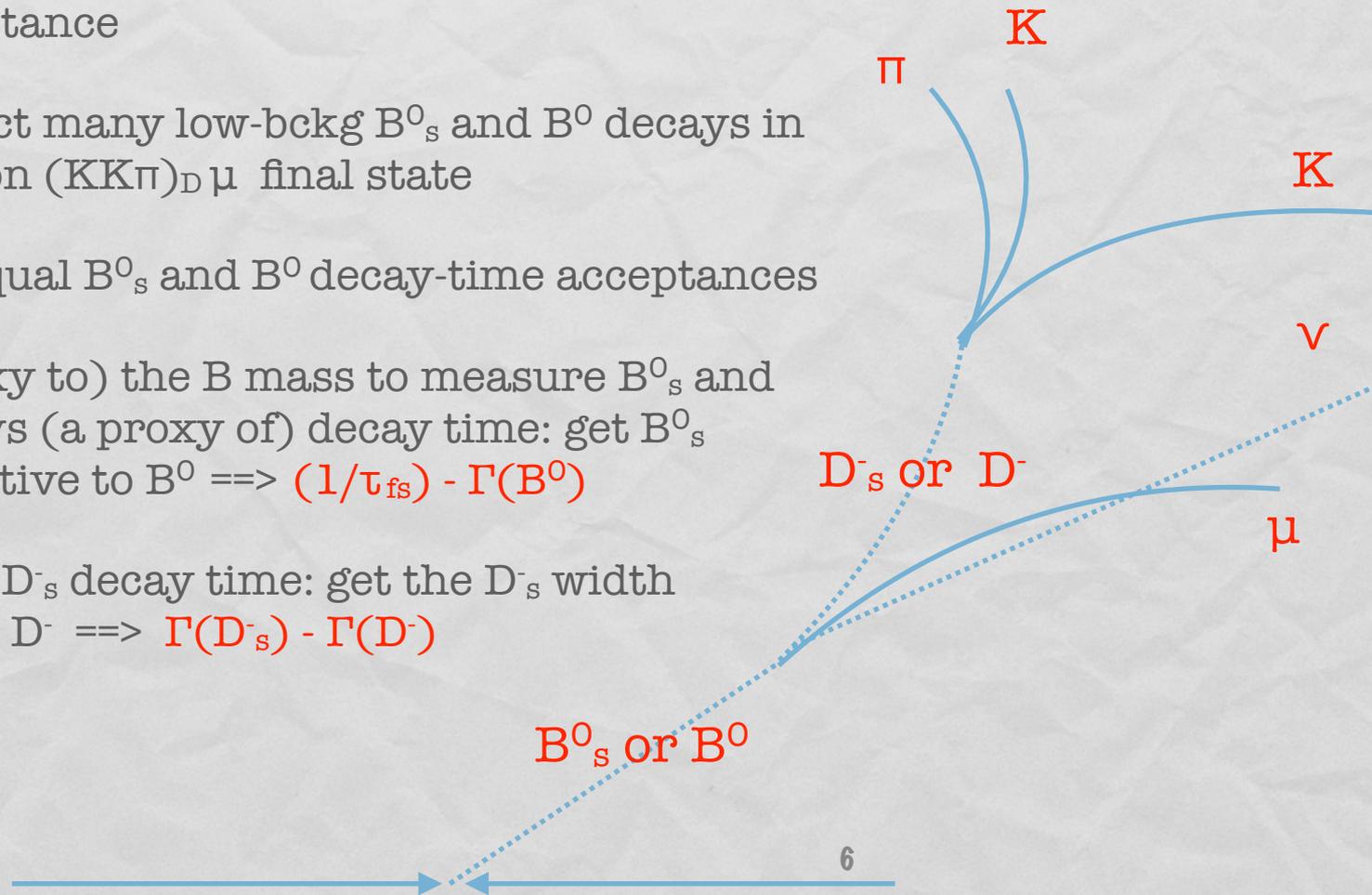
We report competitive B^0_s lifetimes from semileptonic decays thanks to a novel approach. Got D_s^- for free too..

How

$\tau(B^0_s)$ and $\tau(D^-_s)$ from change in B^0_s yield vs decay time, relative to the yield of B^0 decays **reconstructed in the same final state.**

Name of the game: minimize B^0_s -to- B^0 differences in decay-time acceptance

- Reconstruct many low-bckg B^0_s and B^0 decays in the common $(KK\pi)_D\mu$ final state
- Enforce equal B^0_s and B^0 decay-time acceptances
- Fit (a proxy to) the B mass to measure B^0_s and B^0 yields vs (a proxy of) decay time: get B^0_s width relative to B^0 $\implies (1/\tau_{fs}) - \Gamma(B^0)$
- Repeat vs D^-_s decay time: get the D^-_s width relative to D^- $\implies \Gamma(D^-_s) - \Gamma(D^-)$



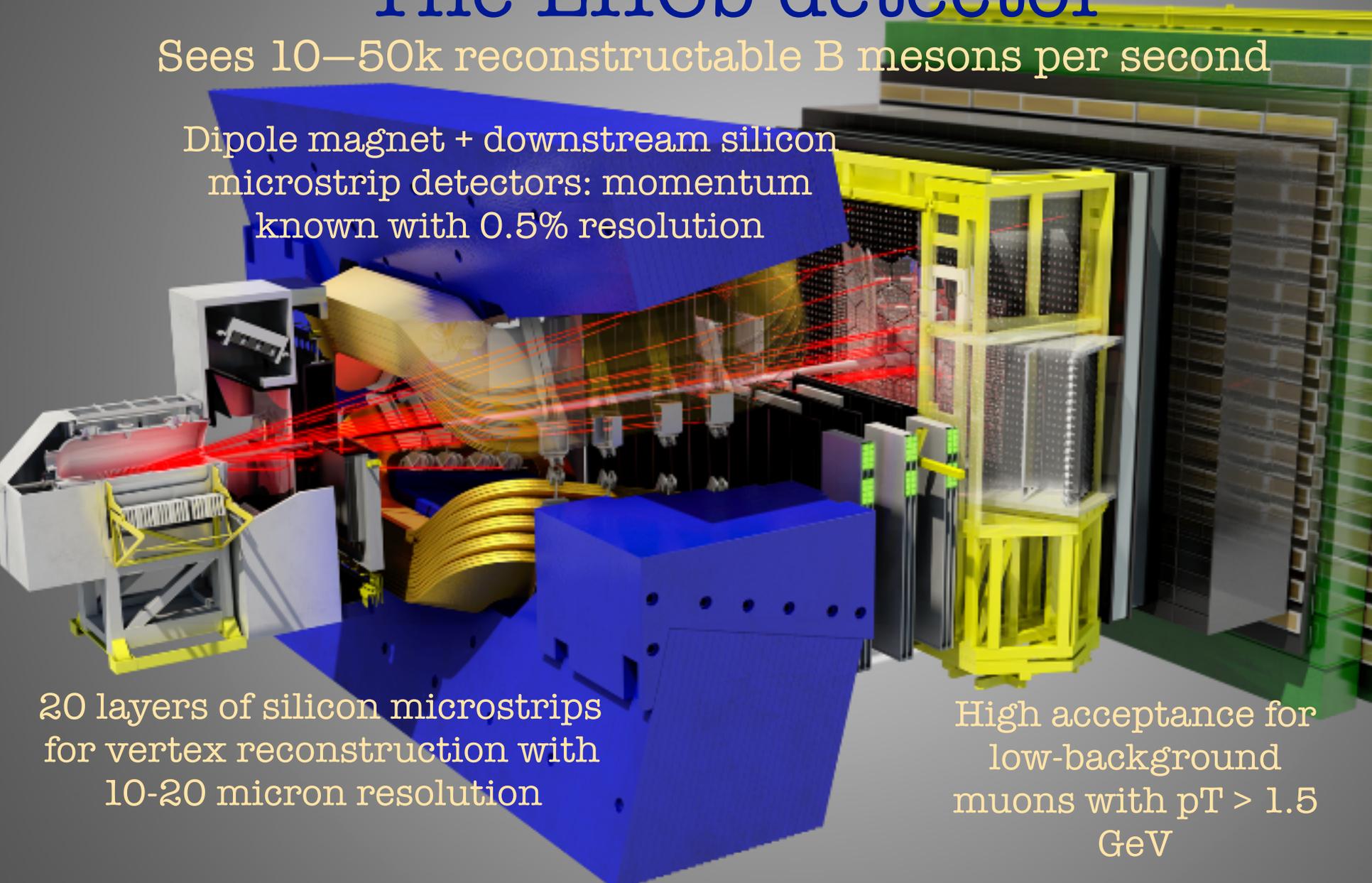
The LHCb detector

Sees 10–50k reconstructable B mesons per second

Dipole magnet + downstream silicon microstrip detectors: momentum known with 0.5% resolution

20 layers of silicon microstrips for vertex reconstruction with 10-20 micron resolution

High acceptance for low-background muons with $p_T > 1.5$ GeV



Event selection

LHCb 2010-12 sample, restricted to single muon trigger

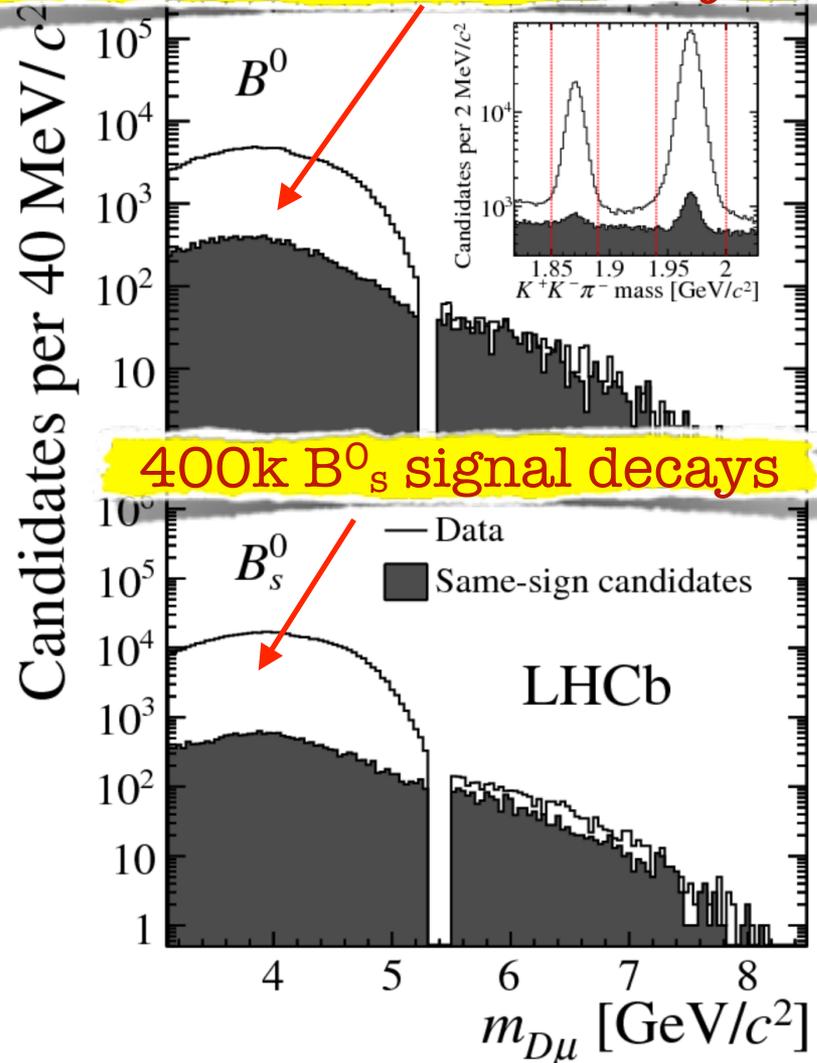
Combine single muon with opposite-sign $D_s^-/D^- \rightarrow KK\pi$

- Signal
- $b \rightarrow X$ (physics bckg)
- Combinatorial bckg

Tune PID, p_T and track/vertex quality to make $D\mu$ -mass of same-sign and signal candidate decays similar at $m_{D\mu} > 5$ GeV

Use same-sign to model combinatorics

100k reference B^0 decays



[arXiv:1705.03475](https://arxiv.org/abs/1705.03475)

Suppressing $b \rightarrow X$ bckg

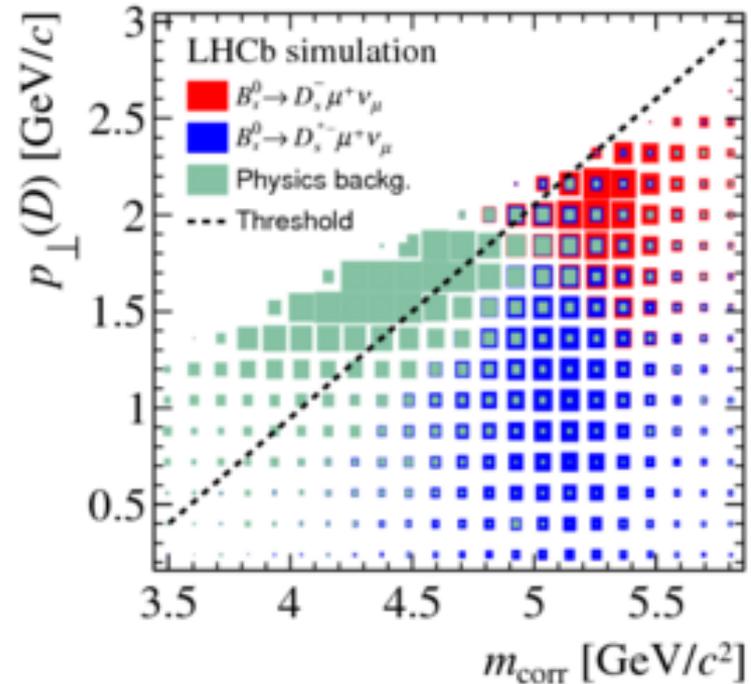
Mass vetoes suppress

- $B_s^0 \rightarrow \psi^{(\prime)} (\rightarrow \mu^+ \mu^-) \phi (\rightarrow K^+ K^-) [\mu \rightarrow \pi]$
- $\Lambda_b^0 \rightarrow \Lambda_c^+ (\rightarrow p K^- \pi^+) \mu^- \bar{\nu}_\mu X [p \rightarrow K \text{ or } \pi]$
- $B_{(s)}^0 \rightarrow D_{(s)}^- \pi^+ [\pi \rightarrow \mu]$

Correlation between mass and D-momentum component transverse to the B flight reduce to about 5% of the signal the following backgrounds

- $B_{(s)}^0 \rightarrow D_{(s)}^{(*)-} D_{(s)}^+$
- $B^+ \rightarrow \bar{D}^{(*)0} D^{*+}$
- $B^+ \rightarrow D^- \mu^+ \nu_\mu X$
- $B^+ \rightarrow D_s^{*-} K^+ \mu^+ \nu_\mu X$
- $B^0 \rightarrow D_s^{*-} K^0 \mu^+ \nu_\mu X$
- $B_s^0 \rightarrow D^0 D_s^- K^+$
- $B_s^0 \rightarrow D^- D_s^+ K^0$
- $\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-} X$
- $\Lambda_b^0 \rightarrow D_s^+ \Lambda \mu^- \bar{\nu}_\mu X$

Components' proportions not to scale



Sample composition

Fit corrected mass

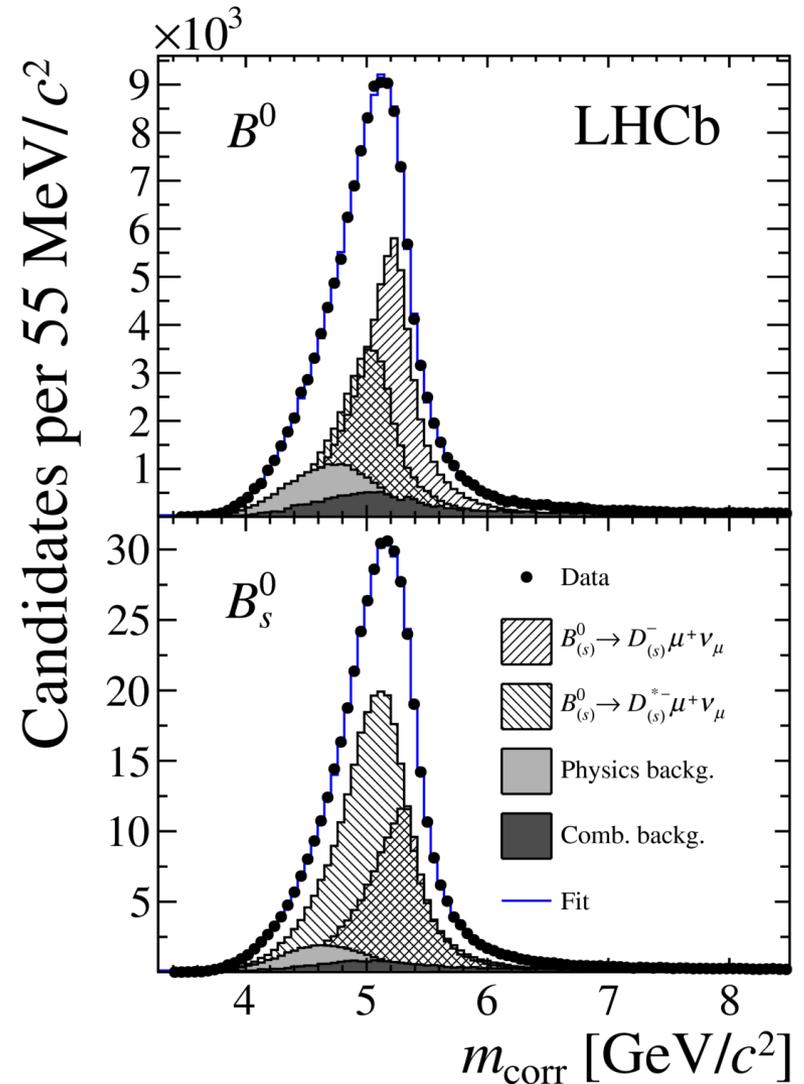
$$m_{\text{corr}} = \sqrt{m^2(D\mu) + p_{\perp}^2(D\mu) + p_{\perp}(D\mu)}$$

PRL 66 1819 (1991)

Shapes: from MC, grouping together components with similar distributions.

Yields: from the fit, including shape and normalization uncertainties.

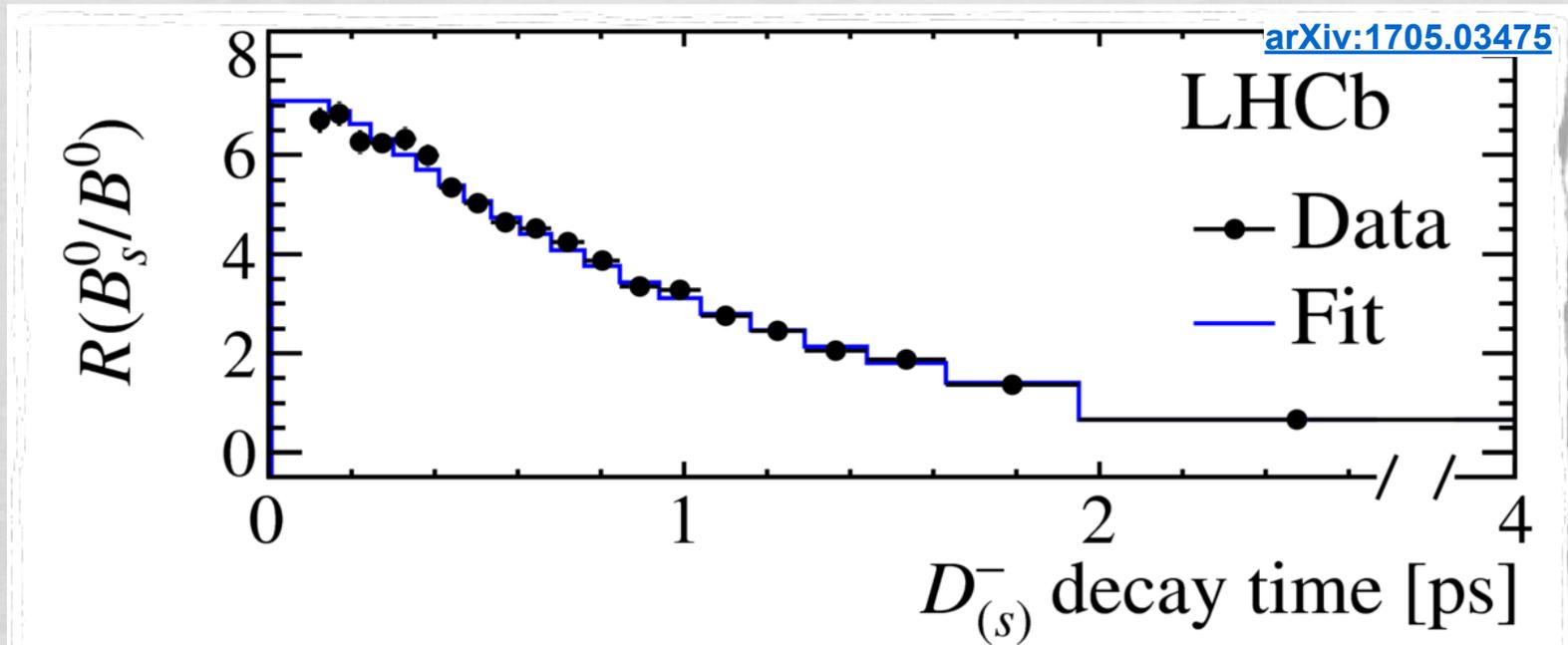
Validate fit on the B^0 sample, whose composition is precisely known from B-factories



[arXiv:1705.03475](https://arxiv.org/abs/1705.03475)

D_s^- lifetime result

Repeat composition fit in each D decay time bin and then fit the resulting signal-to-reference yield ratio, including a 4% relative acceptance correction and 110 fs decay-time resolution.



$\Delta(D) = 1.0131 \pm 0.0117 \pm 0.0065$ 1/ps which yields

$\tau(D_s^-) = 0.5064 \pm 0.0030 \pm 0.0017 \pm 0.0017$ ps

2x more precise than FOCUS's world's best, PRL 95 052003 (2005)

That was a bonus —
now to the B^0_s

Correcting for the neutrino

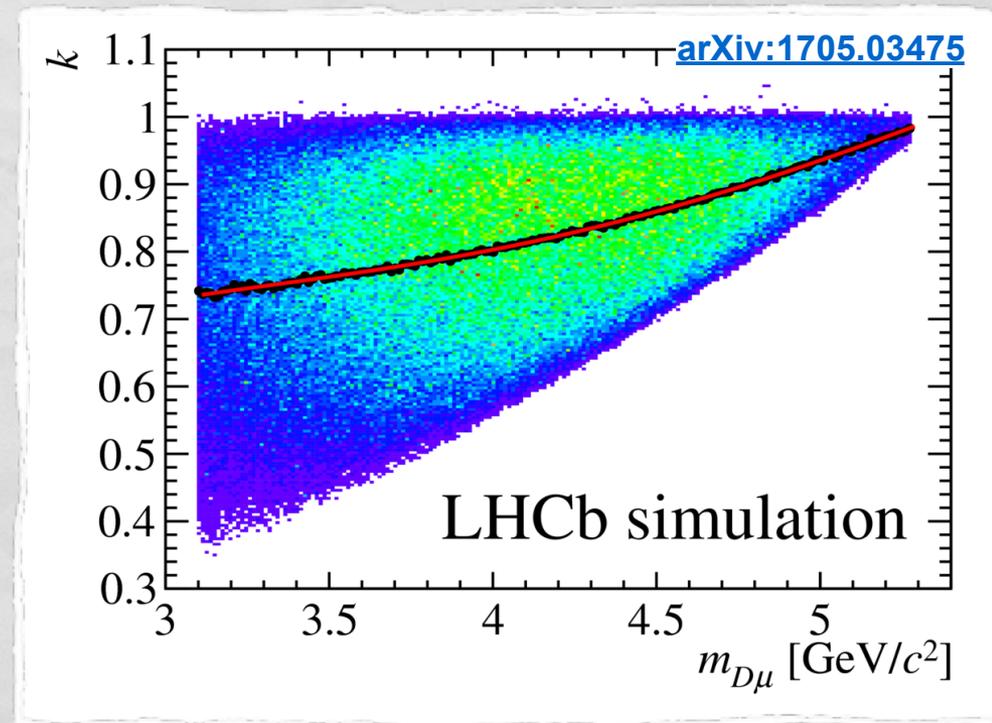
Unreconstructed ν momentum biases the decay-time determination from the observed decay length.

Correct observed momentum for average missing momentum as determined in simulation:

$$k = p(D\mu)/p(B)$$

<http://lss.fnal.gov/archive/thesis/2000/fermilab-thesis-2006-18.pdf>

Spread of the correction dominates the final decay-time resolution and is included in the final fit for the width-difference.

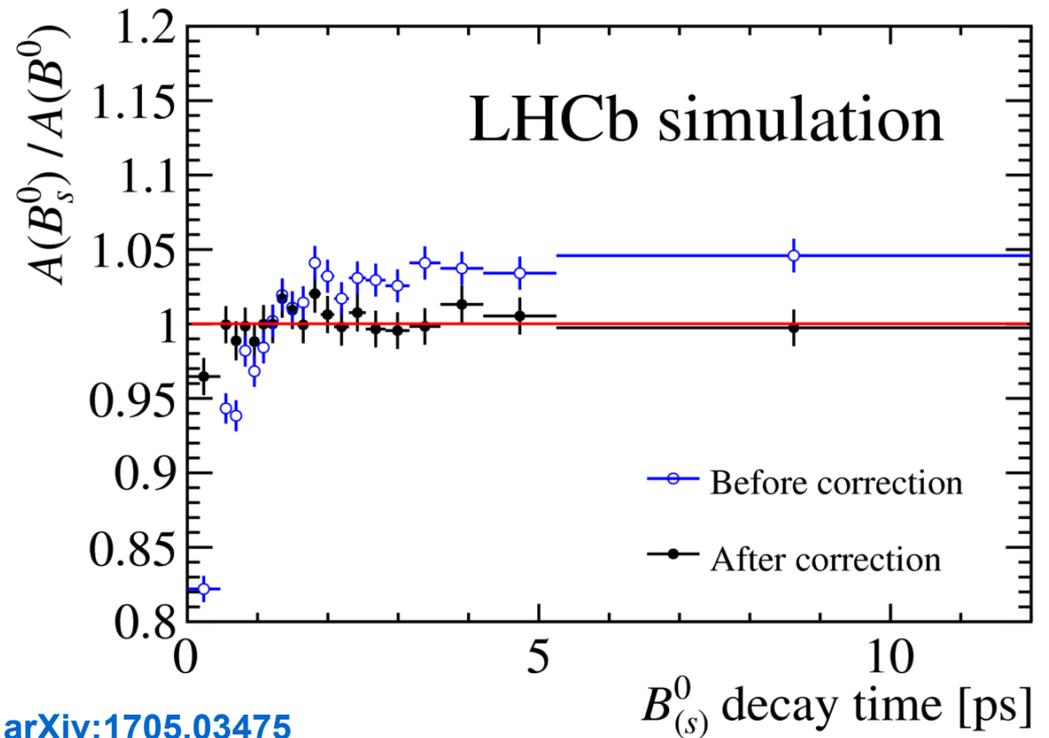


Making acceptances equal

Need uniform signal-to-reference acceptance ratio as a function of decay time.

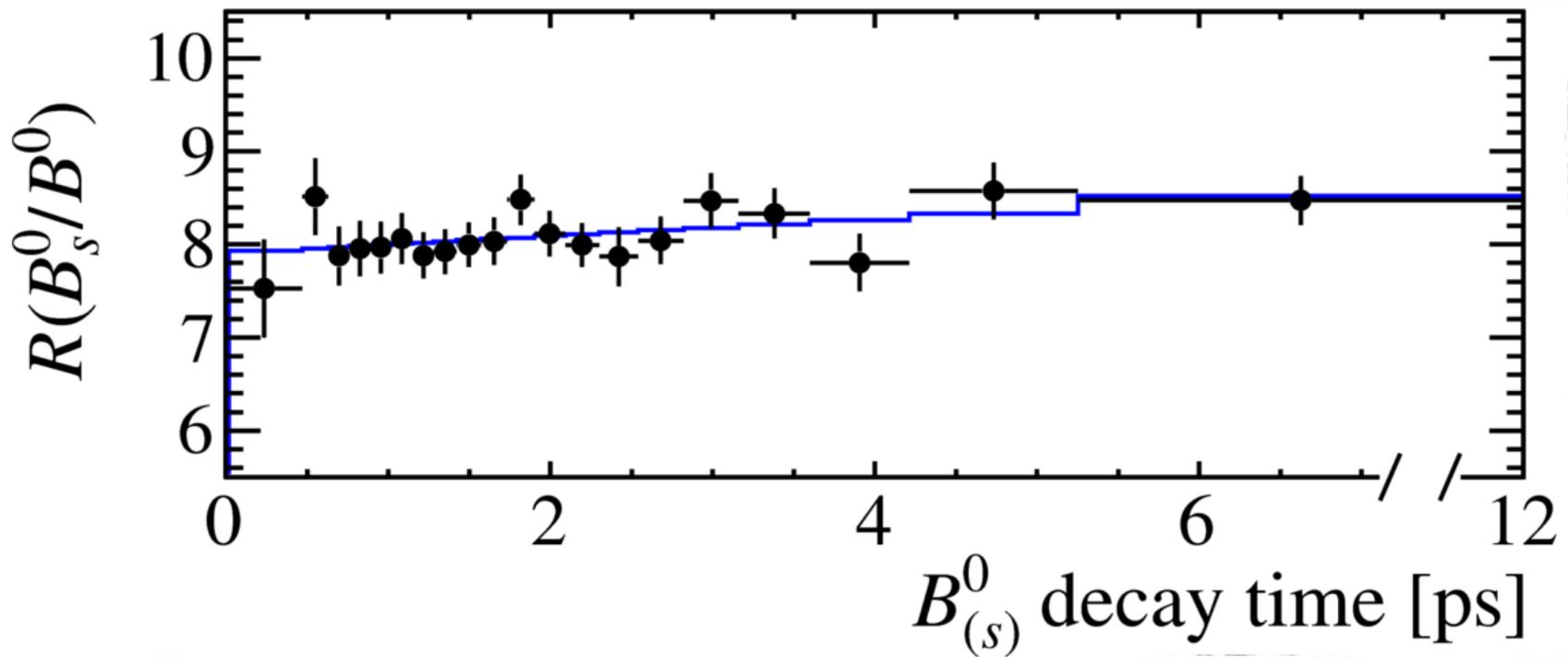
Known 2x difference between D_s^- and D^- lifetime introduces $\pm 20\%$ nonuniformities.

Reweighting each signal candidate with $\exp[\Delta(D) * t(D_s^-)]$ reduces them to within 5%.



Flavor specific B^0_s lifetime

[arXiv:1705.03475](https://arxiv.org/abs/1705.03475)



$$\Delta(B) = -0.0115 \pm 0.0053 \pm 0.0041 \text{ /ps}$$

$$\tau(B^0_s) = 1.547 \pm 0.013 \pm 0.010 \pm 0.004 \text{ ps}$$

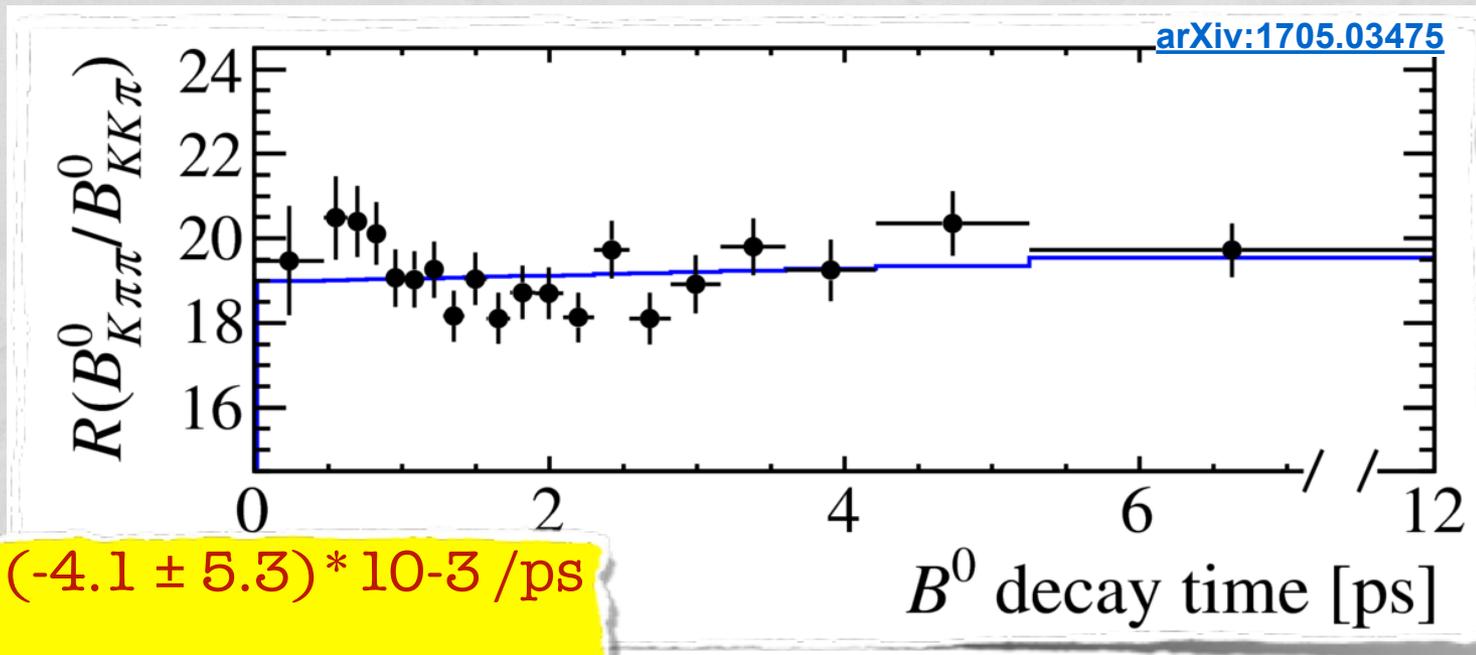
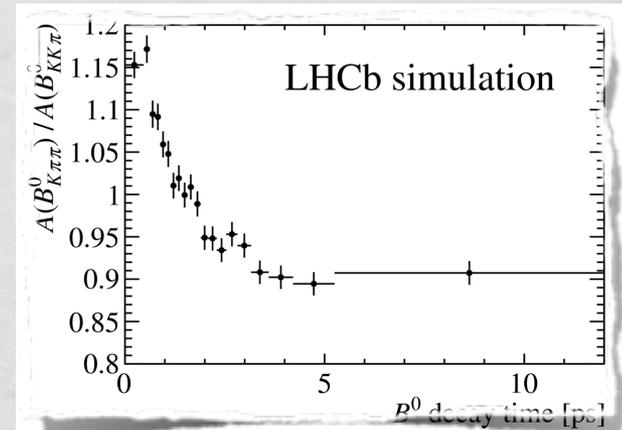
15% more precise than LHCb's world's best, PRL 113 172001 (2014)

Closure test of acceptance

Width difference between B^0 decays reconstructed in $K\bar{K}\pi\mu$ and $K\pi\pi\mu$.

Same B meson, different final state!

Limiting case: 4x larger acceptance correction than in the signal sample



$$\Delta(B) = (-4.1 \pm 5.3) * 10^{-3} / \text{ps}$$

$$\Delta(D) = (-19 \pm 10) * 10^{-3} / \text{ps}$$

Systematic uncertainties

	$\sigma[\Delta(D)]$ [ps ⁻¹]	$\sigma[\Delta(B)]$ [ps ⁻¹]
Fit bias	0.0004	0.0009
Decay model of $B_s^0 \rightarrow D_s^{*-} \mu^+ \nu$	0.0005	0.0025
Sample composition	0.0007	0.0005
$f_s/f_d(p_T)$	0.0018	0.0028
Decay-time acceptance	0.0049	0.0004
Decay-time resolution	0.0039	0.0004
Feed-down from B_c^+ decays	–	0.0010
Total systematic	0.0065	0.0041
Statistical	0.0117	0.0053

Precision limited by the size of the reference sample

Summary

LHCb reports a novel data-driven method for competitive B-lifetime measurements using semileptonic decays

15% improvement in B^0_s lifetime and 2x in D^*_s lifetime. Accepted by PRL. [arXiv:1705.03475](https://arxiv.org/abs/1705.03475)

Results limited by reference sample size. Ample chances for improvement: extend to additional triggers (+20%), extend to Run II (3x), use alternative reference channels.

Method potential extends well beyond lifetimes: semileptonic BF's, form factors, etc.

Method is suitable for other experiments too.

(Occasionally stamp-collecting too can be quite rewarding)

Backup



Sweden Three Skilling Banco, Yellow Color Error, 1855

\$2.3 million

Sweden Three Skilling Banco, Yellow Color Error, 1855 \$2.3 million In 1855, Sweden issued its first series of stamps featuring the Swedish coat of arms. The stamps were available in a number of denominations ranging from 3 to 24 Swedish skillings. Each denomination was associated with a different color, which sometimes created confusion in the printing houses. Due to a printing error, one of the three skilling stamps appeared on yellowish orange paper meant for the eight skilling stamp of the same set instead of the usual blue-green color used for this denomination. One copy of the yellow error variety was discovered in 1885 by a young Swedish boy in his grandfather's collection.

The exact number of mistakenly printed stamps remains unknown. It is considered to be a one-of-a-kind rarity, as no other copies have been discovered to date. In 1996, the stamp was auctioned to an anonymous collector for \$2.3 million.