



Laser Pulse Train Amplification

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In partnership with:



TECHNION
Israel Institute of Technology

Motivation - Inverse Compton Scattering

- Experiment is planned for 2017
- ICS = Low energy photon bounces off a high energy (relativistic) electron, to become optical or X-ray photon.

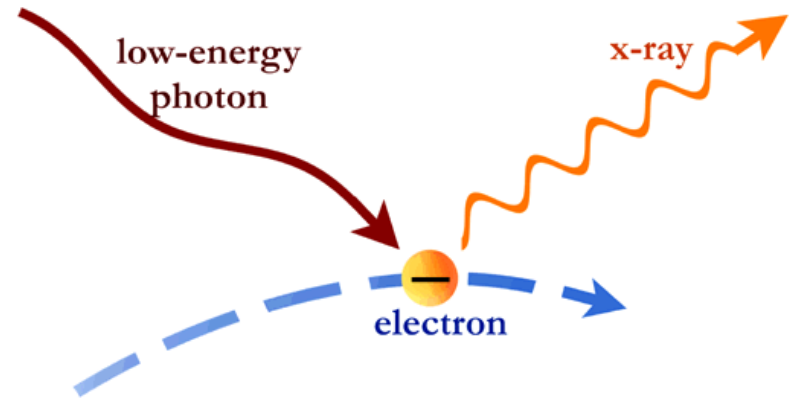


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Laser Amplifier

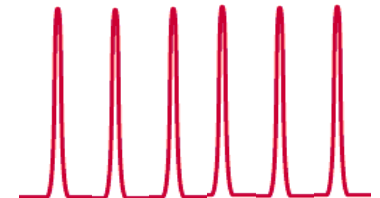


$$\lambda_X \approx \frac{\lambda_{\text{photon}}}{4\gamma^2}$$



Outline

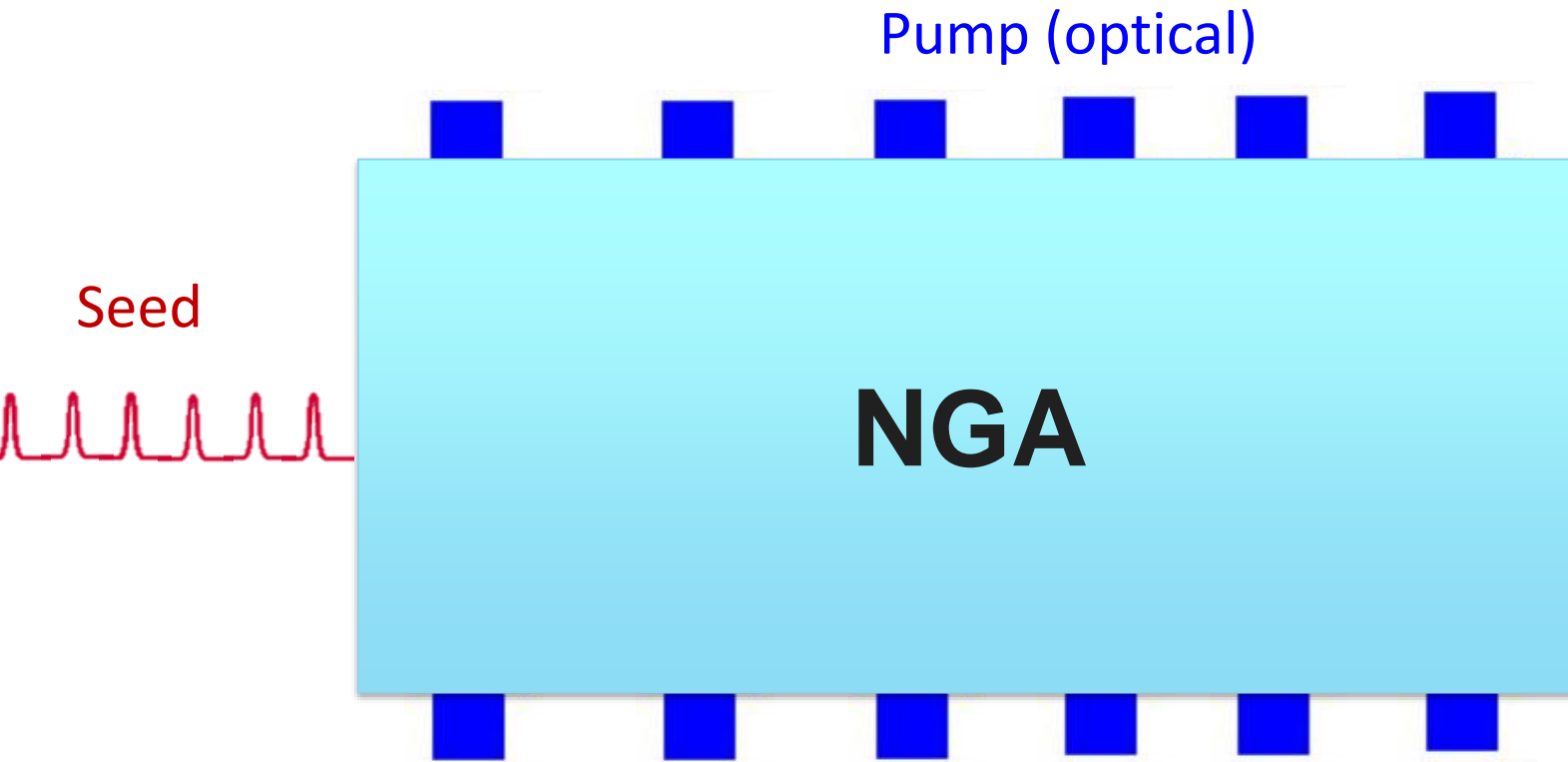
- Project Goals
- Laser amplification process
- Experimental results
- Simulations
- Summary



Project Open Questions – on Day 1

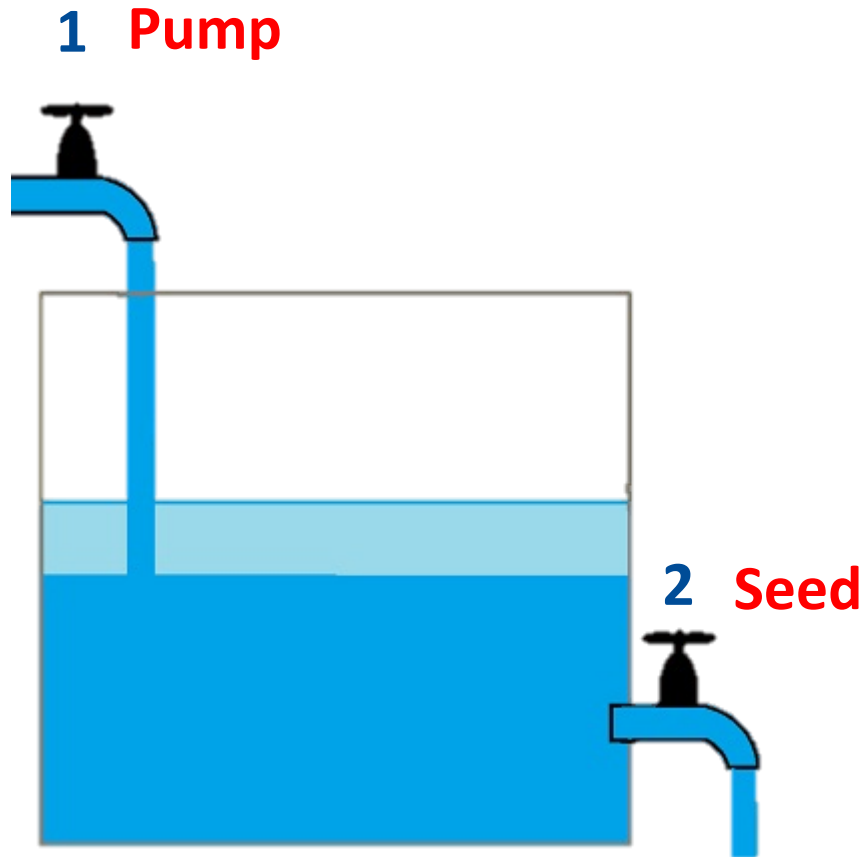
1. Why the simulations done by NG **don't match** our experimental results?
2. Does the current setup have the **best performance**?
3. Is there a better way to get **more output energy**?

Laser Amplification Process



- Ground state
- Energy level 1
- Energy level 2

Pulse Train Amplification Process - Illustration



- Relative rates:

$$1 > 2$$

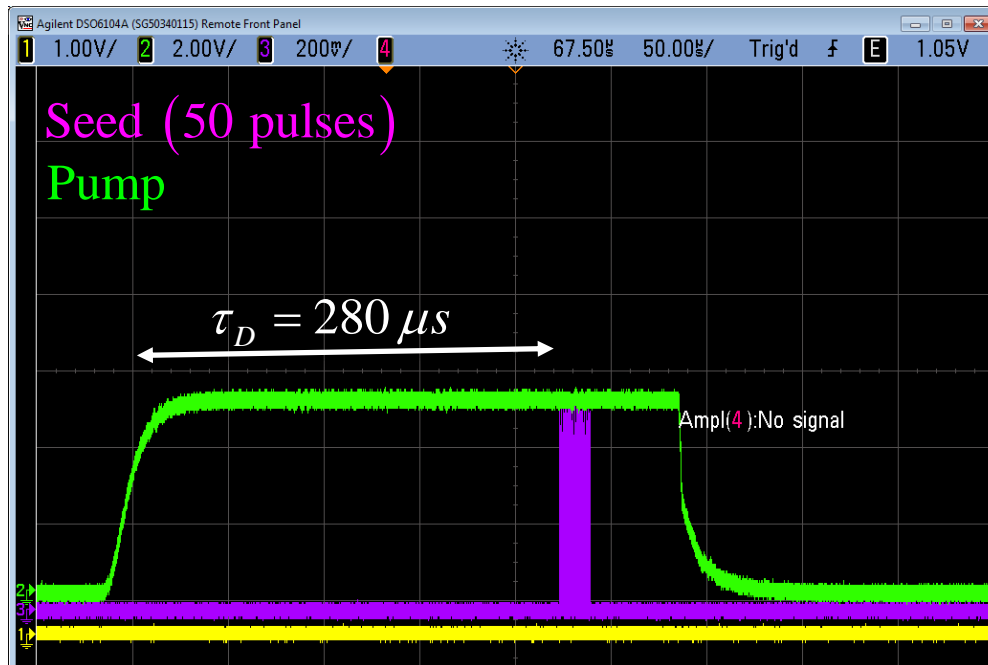
$$1 = 2$$

$$1 < 2$$

- Relative timing

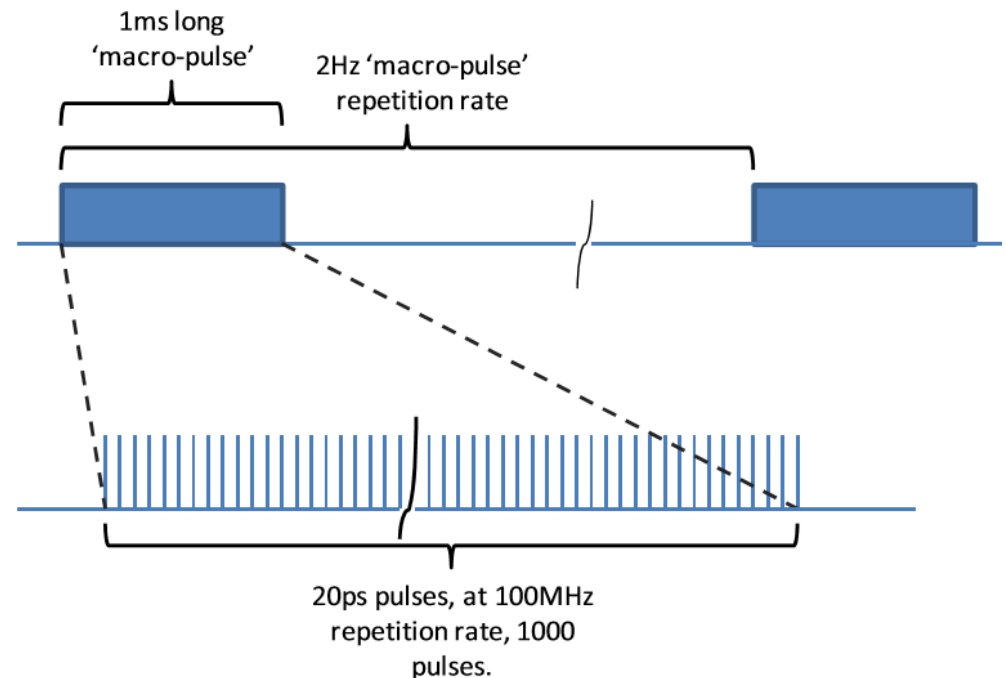
Pump-Train Delay

The phasing of the pump pulse and the pulse train is critical to obtain constant output energy per pulse.



Pulse Train Amplification Process - Assumptions

1. Full overlap between pump and seed laser (TEM mode)
2. Pump rate is constant transversely & longitudinally
3. Constant temperature
4. No reflected energy back from the end pump
(Transmission=99.5%)



Pulse Train Amplification Process - Formulation

Pump rate

Total active ions

Excited state atoms

$$\frac{dn}{dt} = W_p (n_{tot} - n) - \frac{n}{\tau_f}$$

Fluorescence life time

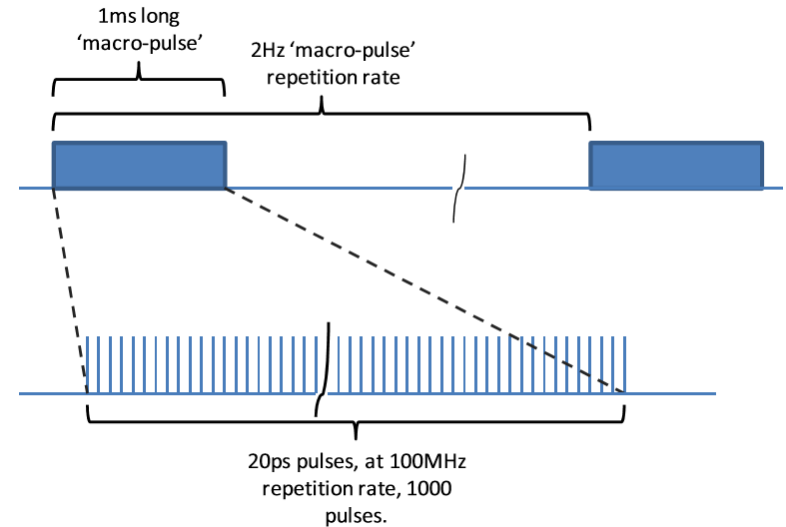
$$E_{stored} = \frac{h\nu}{\sigma} g_0$$

$$g_0 = \sigma n$$

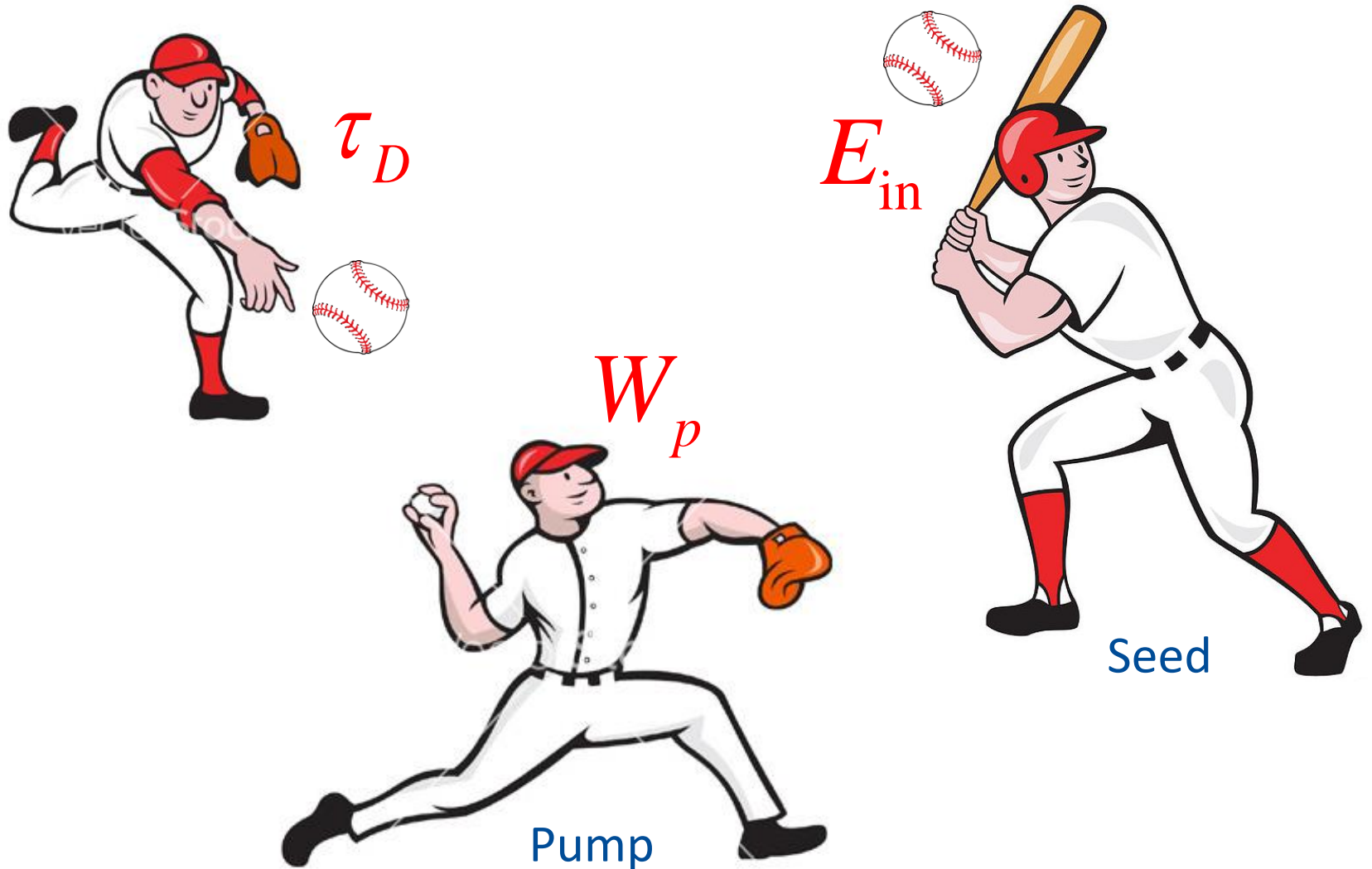
Emission cross section

$$E_{out} = E_s \ln \left\{ 1 + \left[\exp \left(\frac{E_{in}}{E_s} \right) - 1 \right] \exp(g_0 l) \right\}$$

Saturation energy



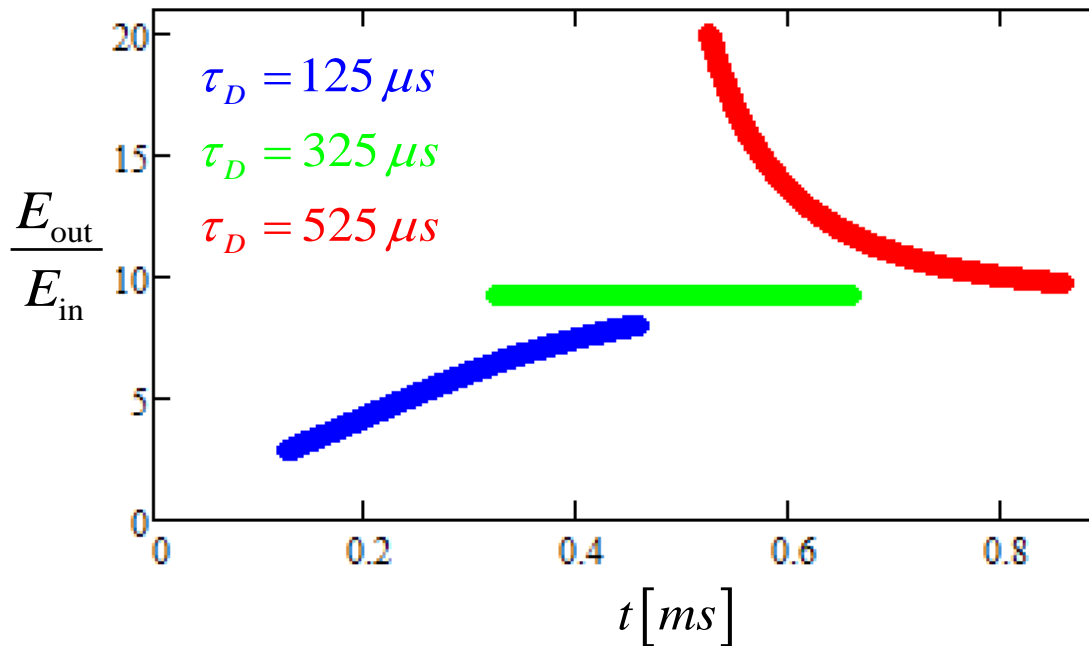
Pulse Train Amplification Process - MVP



Simulation – Train of Pulses

$N_{\text{pulses}} = 1000$
 $\Delta T_{\text{train}} = 333 \mu s$
 $D_{\text{Rod}} = 0.3 \text{ cm}$
 $L = 7.3 \text{ cm}$

$W_p = 75 \text{ Hz} ; E_{\text{in}} = 7 \mu \text{ J}$

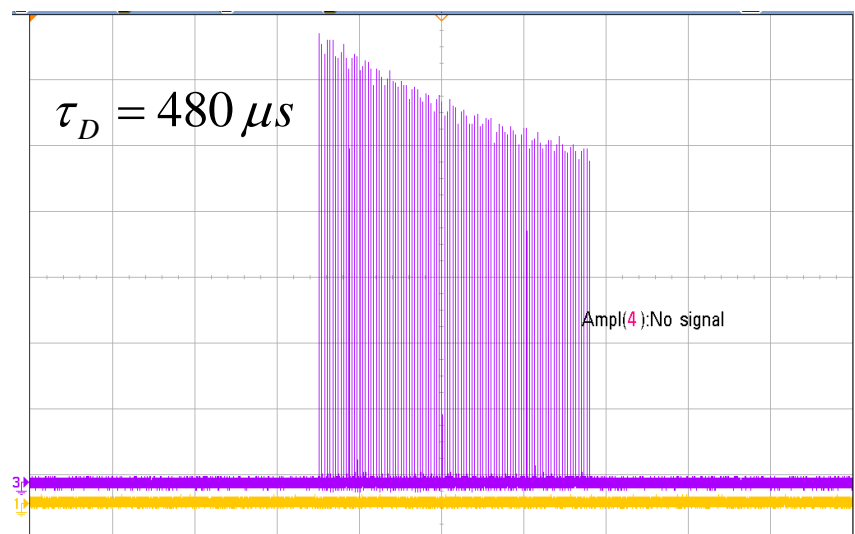
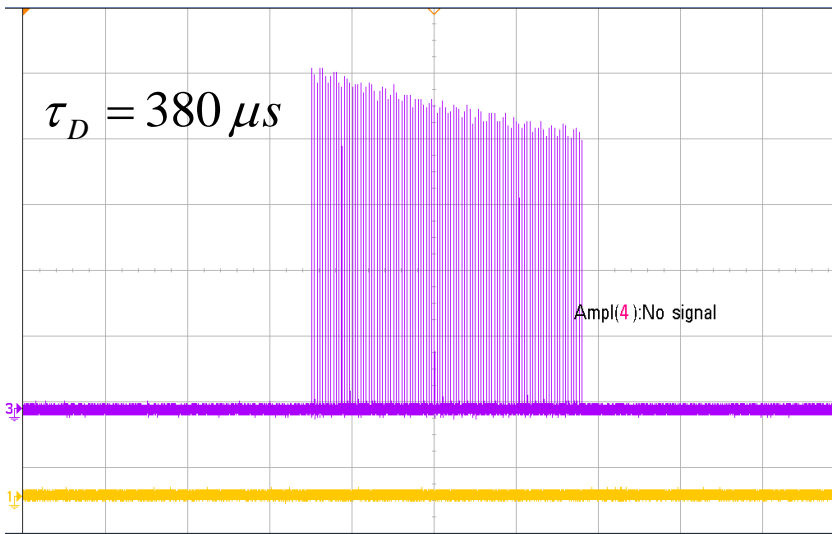
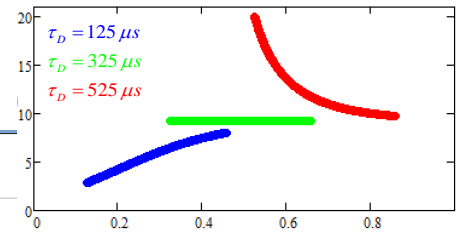
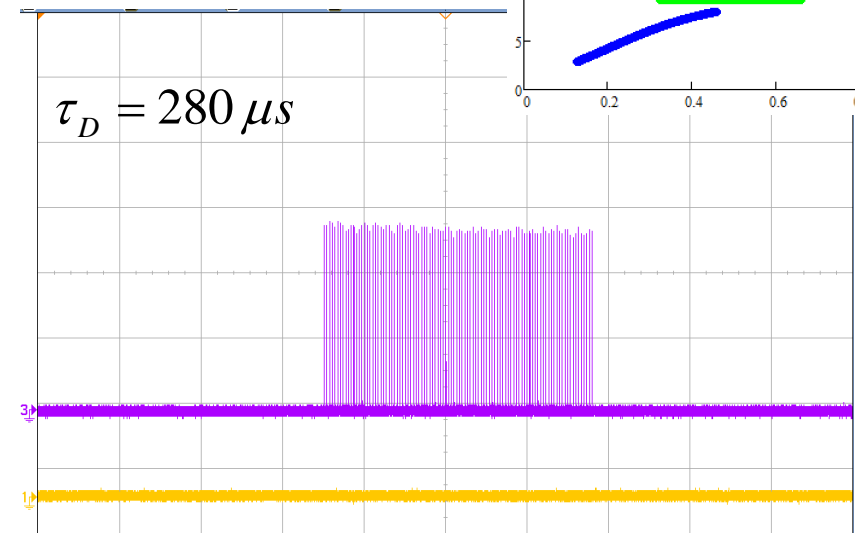
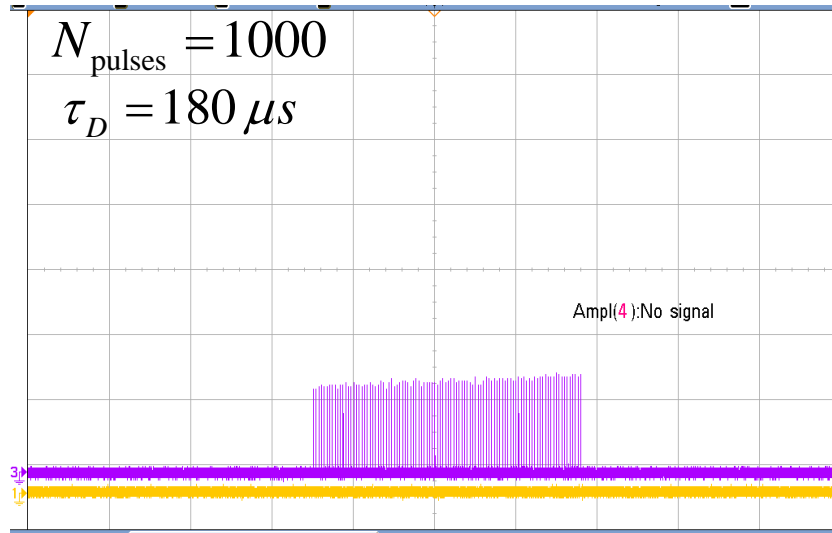


Stored energy in the first pulse but steady state gain has not yet been achieved

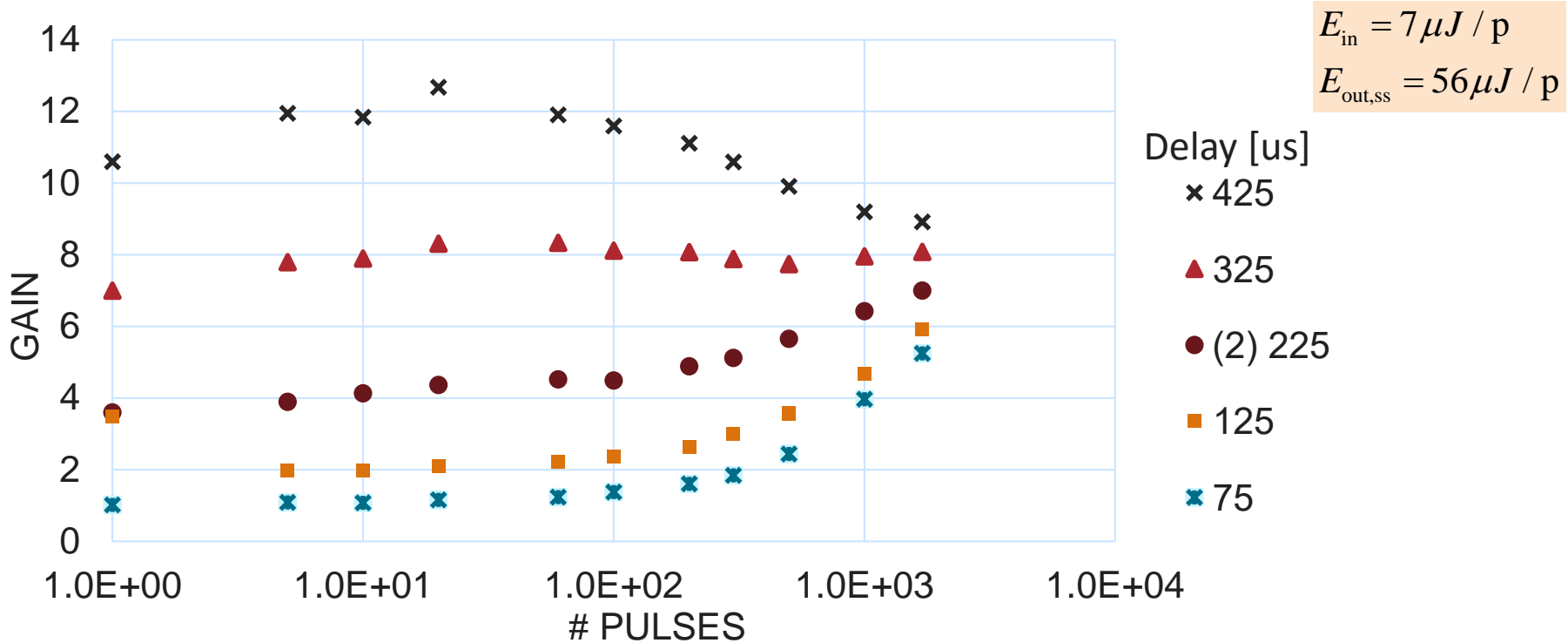
Steady state: the amount of stored energy removed = the amount of energy increase due to the pumping between each pulse.

Stored energy is the highest and the first pulse sees a large gain.

Slopes Measurements (NG Unit)



Experimental Results - Gain

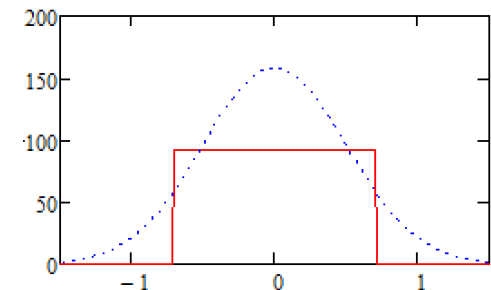


- For higher delay time, the gain is higher.
- For high number of pulses, the gain converges to about 8.
- The gain absolute values are a bit low (maybe due to a problem with the energy meter).

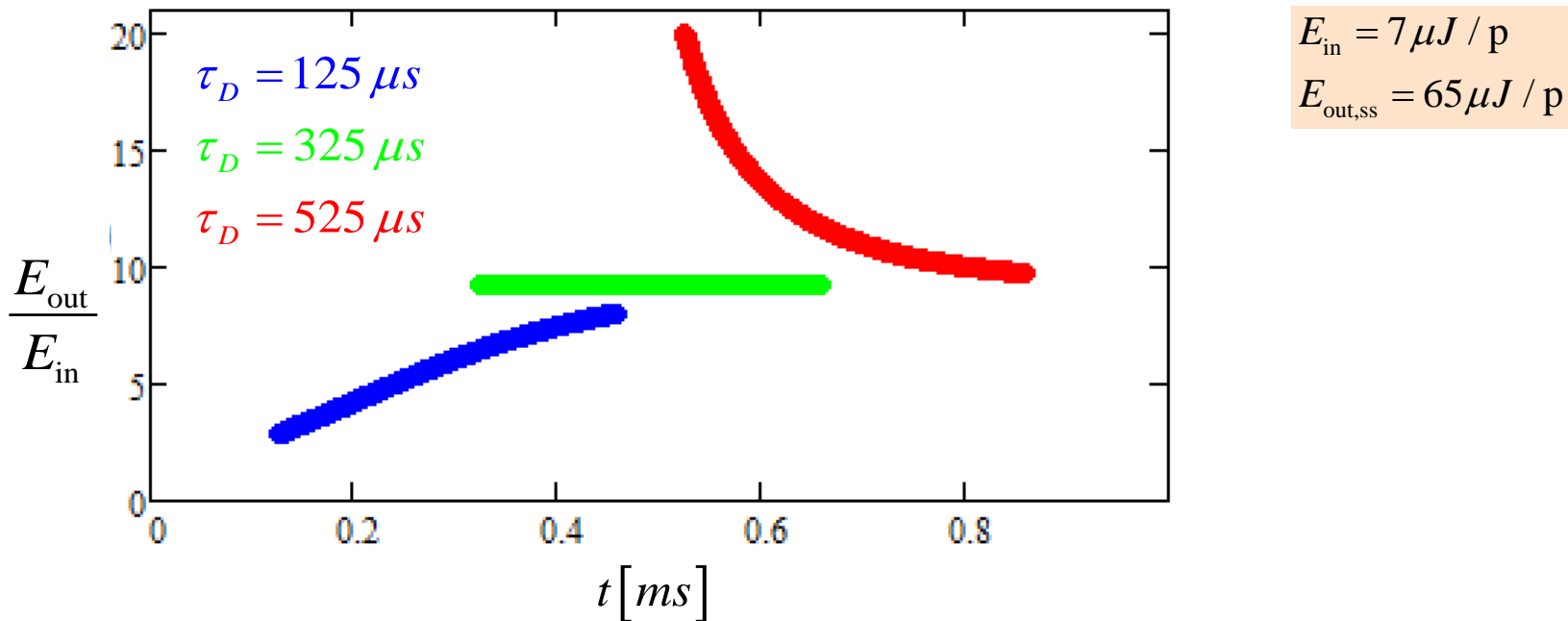
Simulation 1 – Transverse Uniform Distribution

Parameters	Symbol	Value	units
Rod diameter	D_r	3	mm
Rod length	L	7.3	cm
Pumping rate	W_p	75	Hz
Pump wavelength	λ_p	804	nm
Pump current	I	100	A
Fluorescence lifetime	τ_f	480	us
Emission cross section	σ	$1.2e-19$	cm^2
Saturation fluence	E_s	1.582	J/cm^2
Total active ions (>1% doping)	n_{tot}	$1.46e20$	cm^{-3}

Parameters	Symbol	Value	units
Delay time	τ_D	325	us
Seed wavelength	λ_s	1054	nm
Input energy	E_{in}	7	uJ/p
Seed diameter	D_s	1.72	mm
Repetition rate	f	3	MHz
# pulses	N_{pulse}	1000	



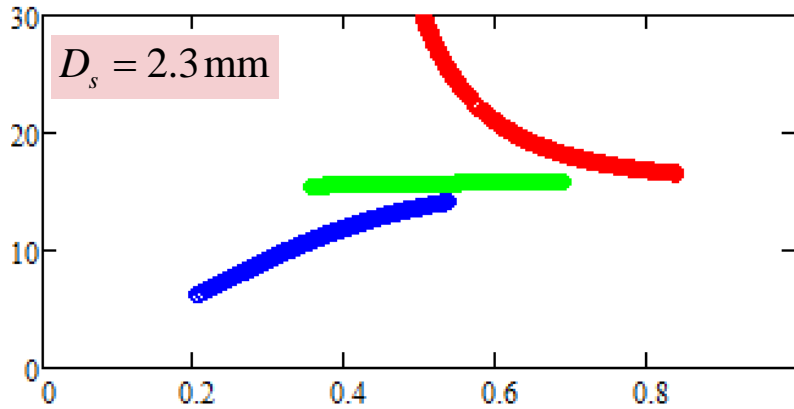
Simulation 1 - Results



- Spread on the **flat output** is <0.5%
- 50% drop on the **negative slope** was observed also in the experiment.
- Steady state is the same!
- Model is very sensitive to the spot size.

Simulation 1 – Model Sensitivity

Spot size could vary to match experimental results → Model isn't robust



$$\tau_D = 125 \mu\text{s}$$

$$\tau_D = 325 \mu\text{s}$$

$$\tau_D = 525 \mu\text{s}$$

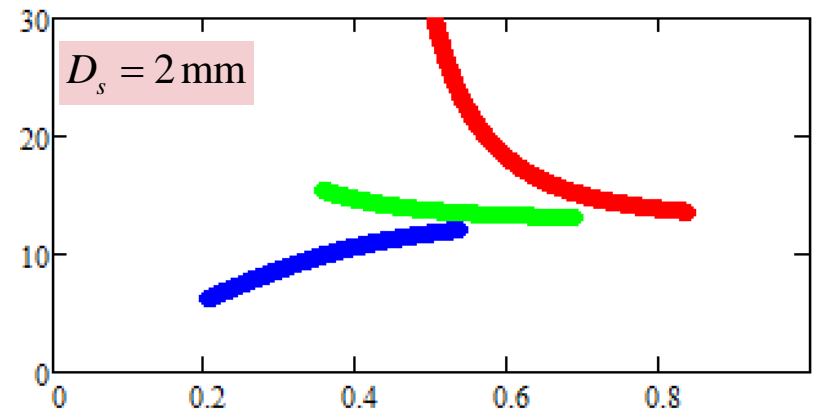
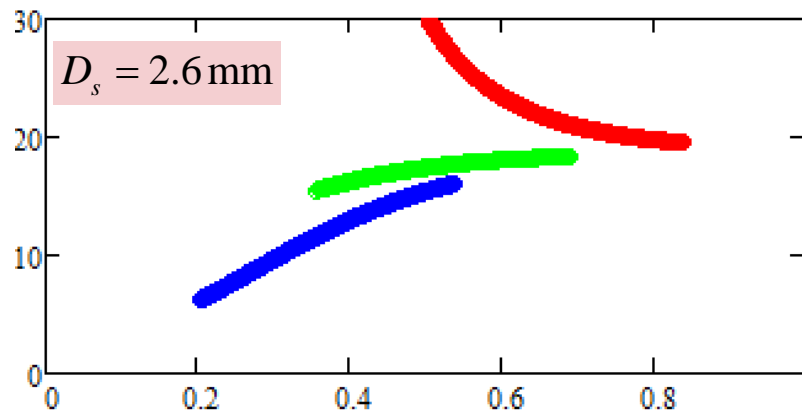
$$E_{\text{in}} = 7 \mu\text{J} / \text{p}$$

$$W_p = 102 \text{ Hz}$$

$$\tau_D = 355 \mu\text{s}$$

$$L = 7.3 \text{ cm}$$

$$n_{\text{tot}} = 1.25 \times 10^{20} \text{ cm}^{-3}$$

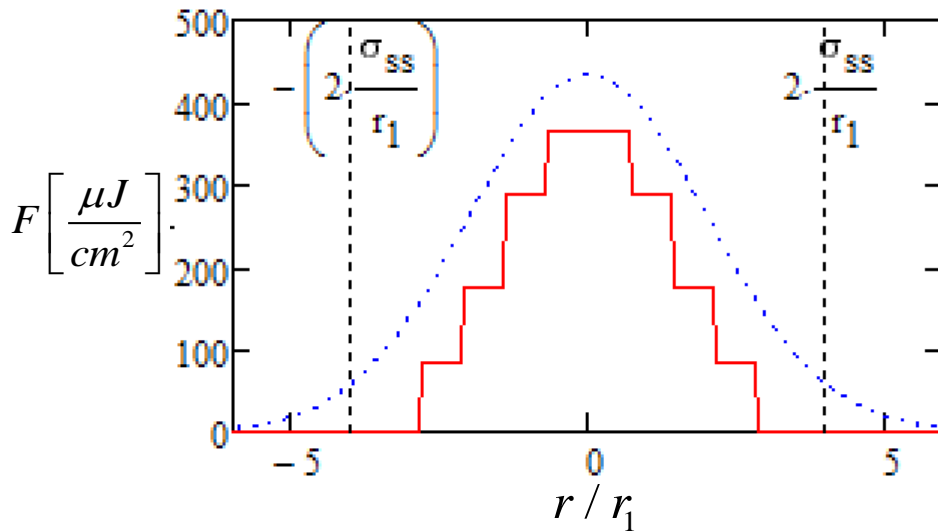


Simulation 2 - Gaussian Distribution

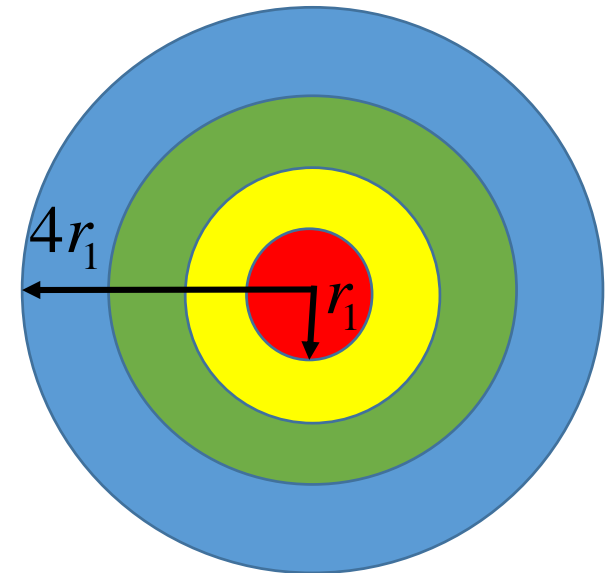
- We sliced the beam into 4 segments in order to get more realistic fluence
- **Quantized Gaussian** is 86% of the full one.

$$r_1 = \frac{\sigma}{2}$$

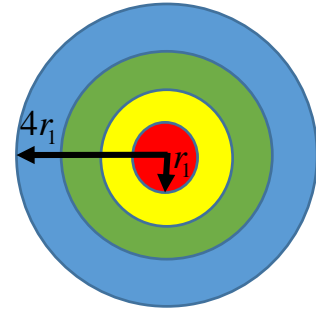
Side view



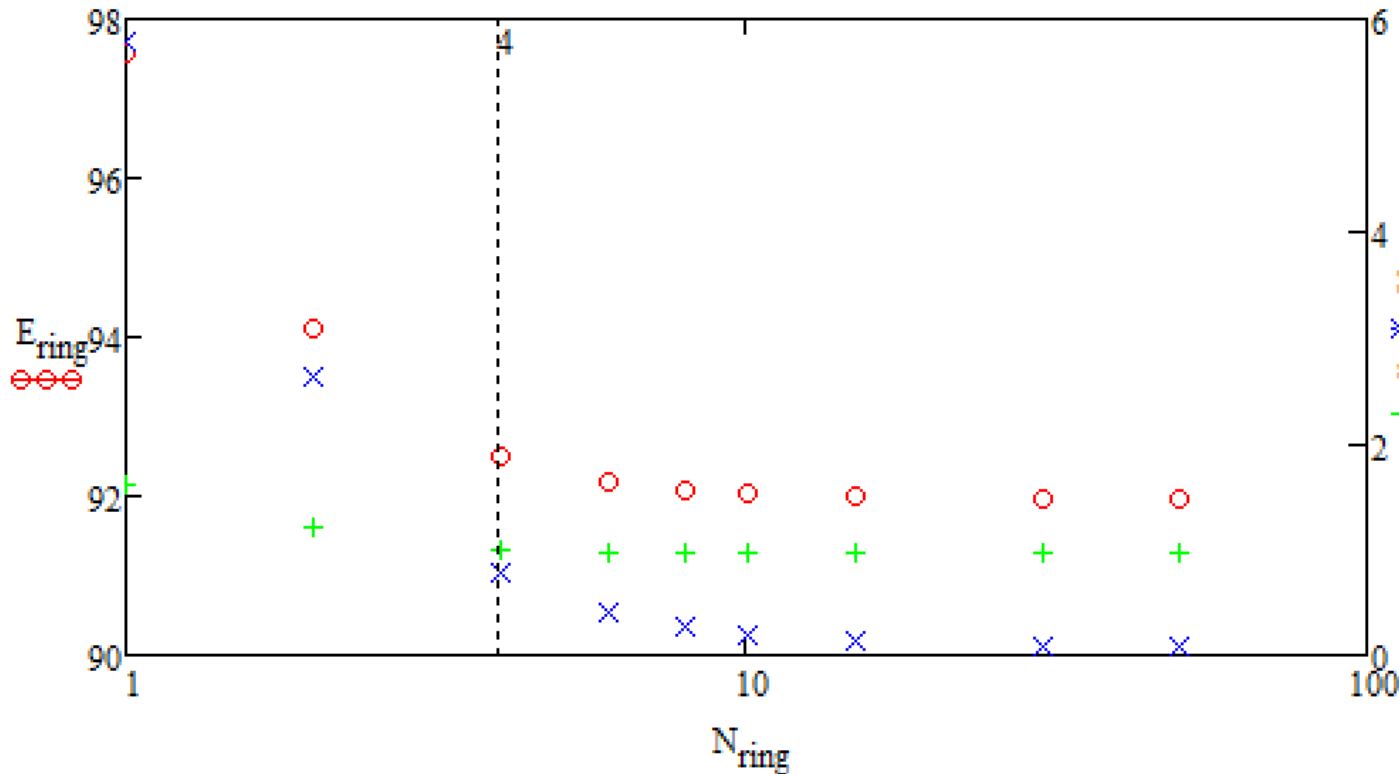
Top view



Simulation 2 - Gaussian Distribution



- Output energy and its STD doesn't change with number of rings
- 4 rings satisfy the spread < 1%



$$\text{Spread} = \frac{E_1 - E_{N_p}}{\max\{E_1, E_{N_p}\}}$$

$E_{in} = 7 \mu J / p$
 $W_p = 102 \text{ Hz}$
 $\tau_D = 355 \mu s$
 $L = 7.3 \text{ cm}$
 $n_{tot} = 1.25e20 \text{ cm}^{-3}$

Simulation 2 - Gaussian Distribution

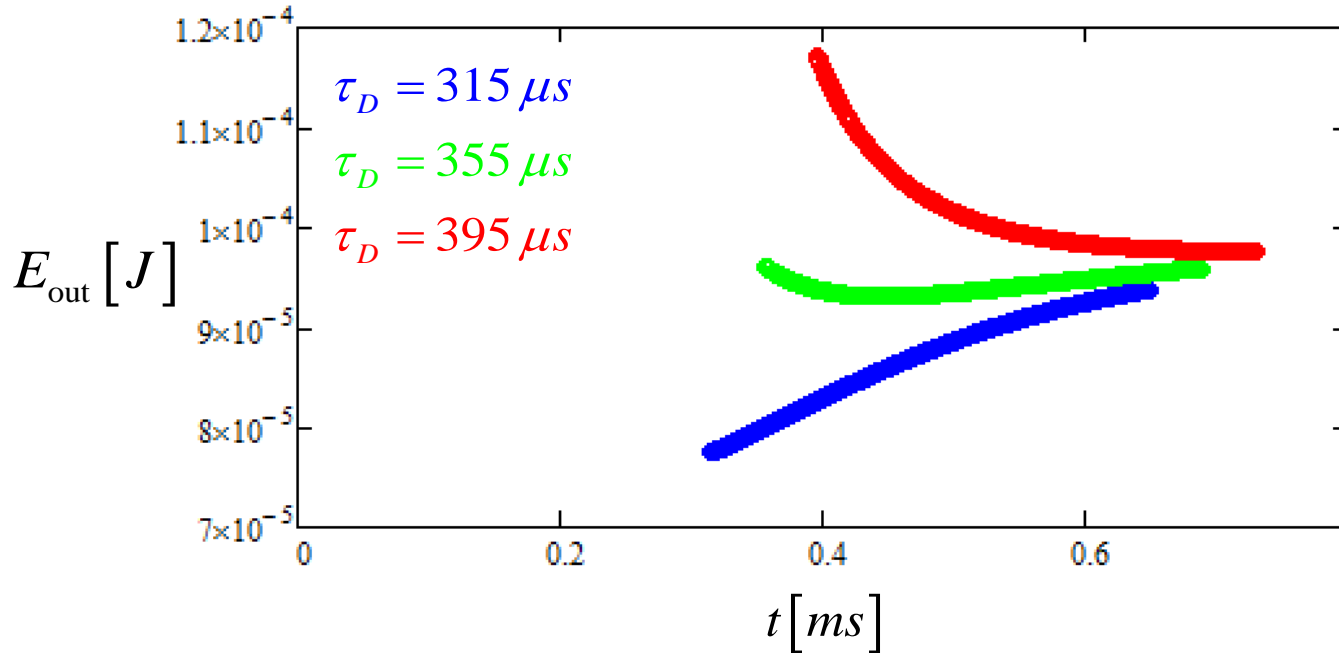
Parameters

Parameters	Symbol	Value	units
Rod diameter	D_r	3	mm
Rod length	L	7.3	cm
Pumping rate	W_p	75	Hz
Pump wavelength	λ_p	804	nm
Fluorescence lifetime	τ_f	480	us
Emission cross section	σ	1.2e-19	cm ²
Saturation fluence	E_s	1.582	J/cm ²
Total active ions (0.9% doping)	n_{tot}	1.25e20	cm ⁻³

Parameters	Symbol	Value	units
Delay time	τ_D	355	us
Seed wavelength	λ_s	1054	nm
Input energy	E_{in}	7	uJ/p
Seed sigma	σ_s	0.535	mm
Seed diameter	D_s	2.14	mm
Repetition rate	f	3	MHz
# pulses	N_{pulse}	1000	

Simulation 2 - Results

The “dip”



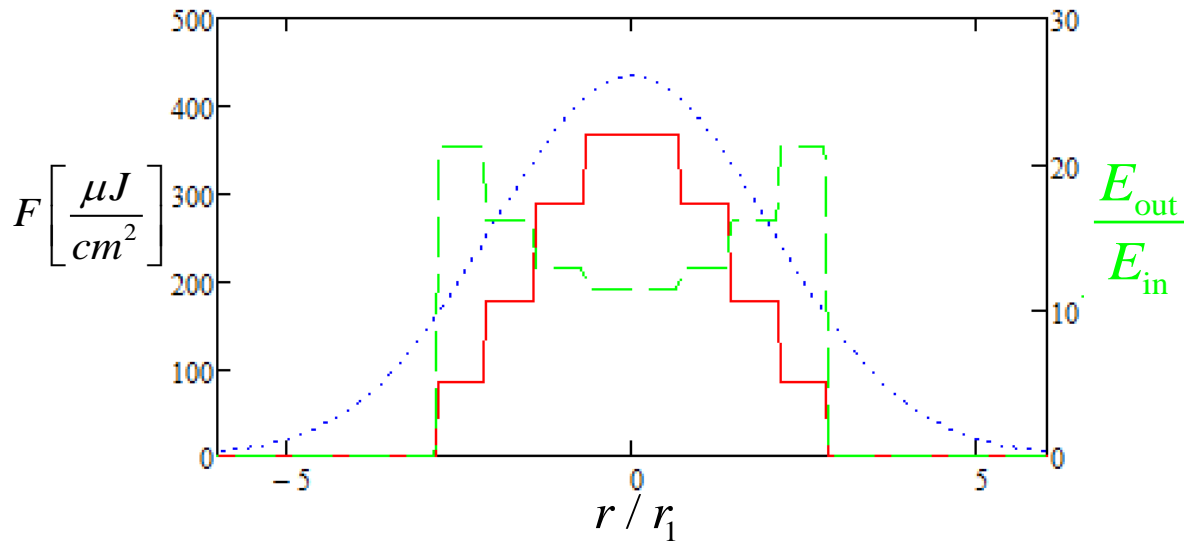
$$E_{in} = 7 \mu J / p$$

$$E_{out,ss} = 97 \mu J / p$$

- Spread on the **flat output** is <1%
- We assume that the curvature at the beginning of the **flat output**, is due to the Gaussian shape. This behavior was seen also in the experiment.

Simulation 2 - Results

Gain



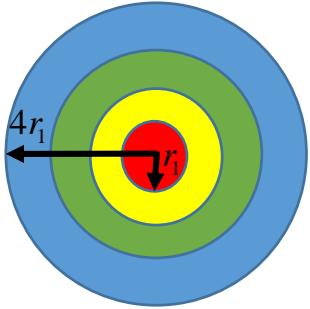
$$E_{\text{in}} = 7 \mu\text{J} / \text{p}$$

$$E_{\text{out,ss}} = 97 \mu\text{J} / \text{p}$$

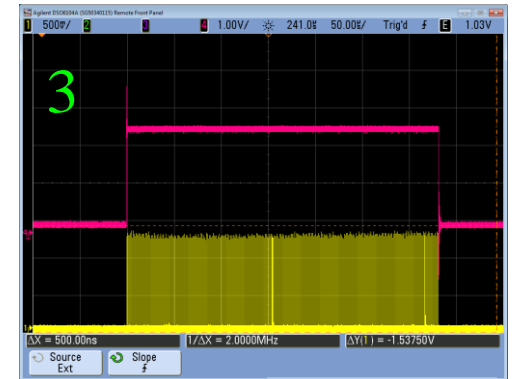
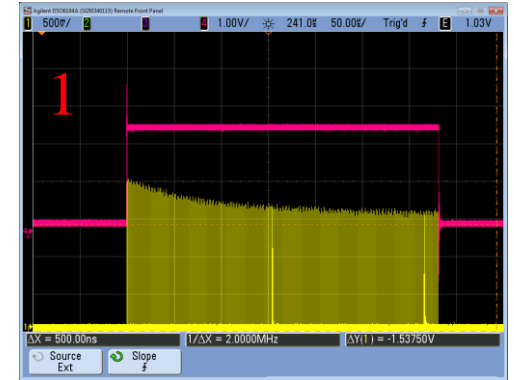
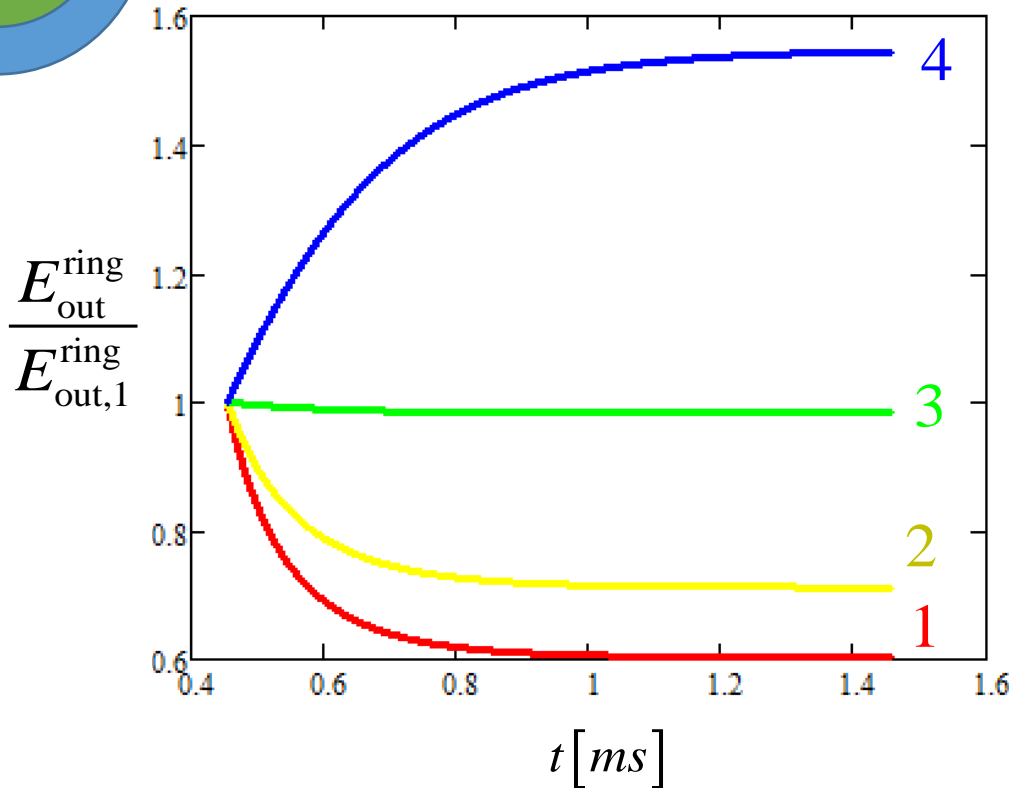
$$\frac{E_{\text{out}}}{E_{\text{in}}}$$

- Gain is about 10-20 → fits the experiment
- Output Gaussian sigma is higher since the outer segments have higher gain.
- Results doesn't change with the number of segments.

Rings – Simulation & Experiment



Contribution of each ring to the “flat” output case



Project Open Questions – on Day 1

1. Why the simulations done by NG **don't match** our experimental results?
2. Does the current setup have the **best performance**?
3. Is there a better way to get **more output energy**?



Conclusion I

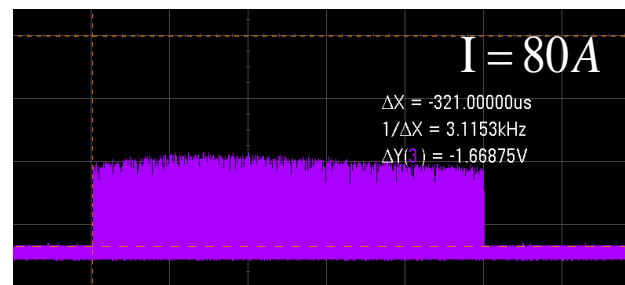
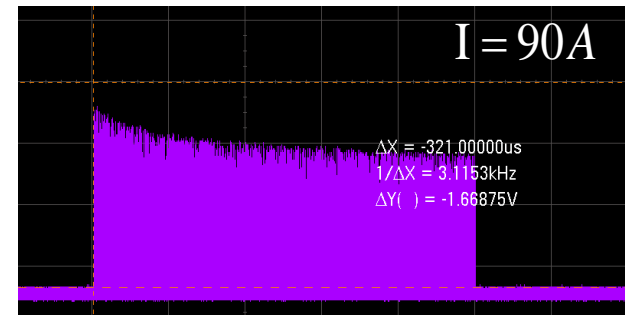
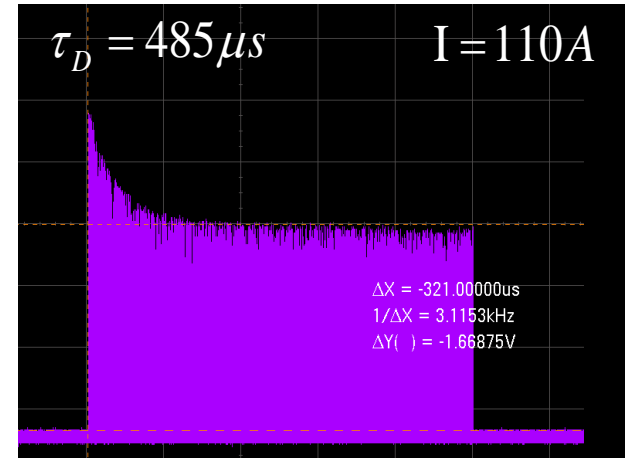
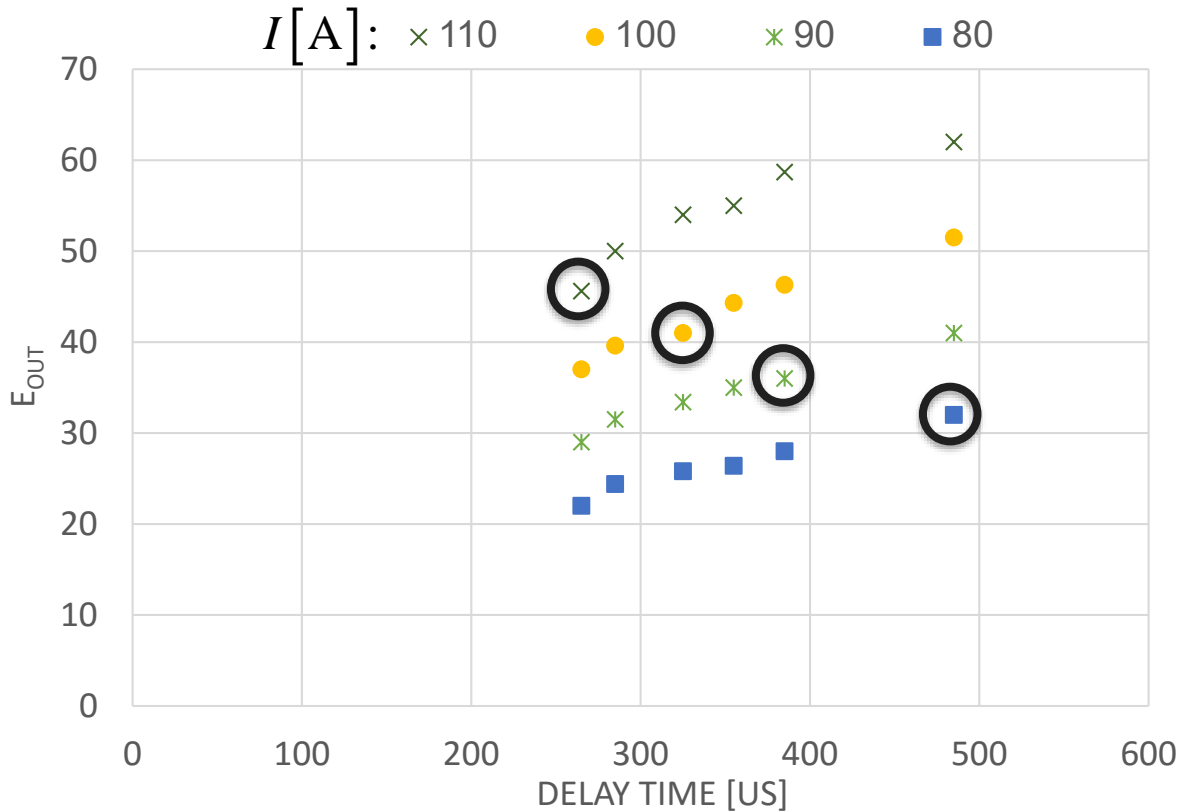
- **Gaussian** model was developed, and all parameters were nailed down.
- The **curvature** on the “flat” out:
 - Seems to be present only for the segment
 - Is more pronounced for higher input energy
 - Is mostly effected by the 1st ring
- **Diode** should be carefully calibrated.
- In order to verify the slope, input energy is measured using **energy meter** for each 100 pulses (Chip’s script).

2. Does the current setup have the **best performance?**

Current Dependence - Measurements

$$E_{in} = 4 \mu J / p$$

Change the pump current (=pumping rate)



Simulation 3 - Current Dependence

Parameters

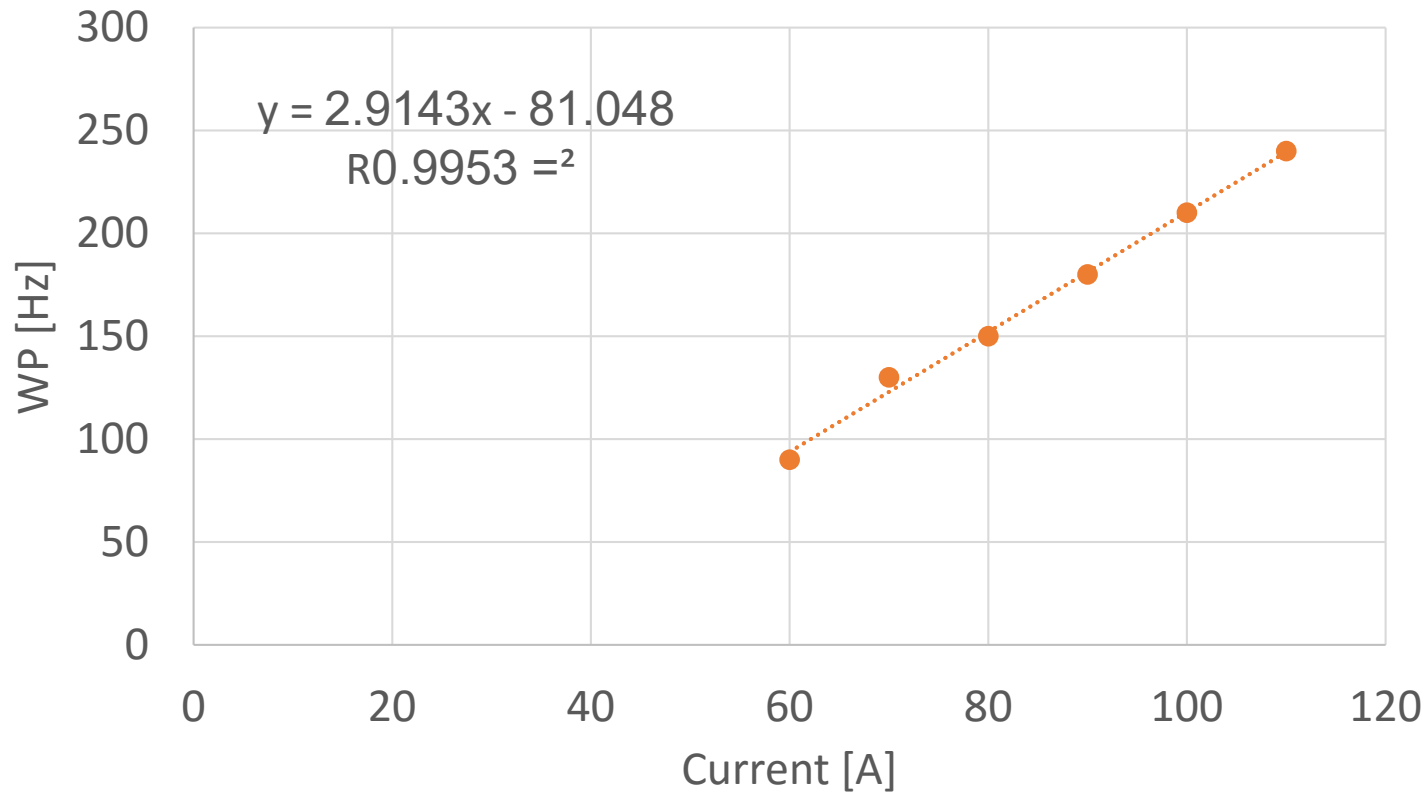
Parameters	Symbol	Value	units
Rod diameter	D_r	3	mm
Rod length	L	3	cm
Pumping rate	W_p		Hz
Pump wavelength	λ_p	804	nm
Fluorescence lifetime	τ_f	480	us
Emission cross section	σ	1.2e-19	cm ²
Saturation fluence	E_s	1.582	J/cm ²
Total active ions (1.0% doping)	n_{tot}	1.46e20	cm ⁻³

Parameters	Symbol	Value	units
Delay time	τ_D		us
Seed wavelength	λ_s	1054	nm
Input energy	E_{in}	4	uJ/p
Seed sigma	σ_s	0.655	mm
Seed diameter	D_s	2.622	mm
Repetition rate	f	3	MHz
# pulses	N_{pulse}	1000	

Simulation 3 - Current Dependence

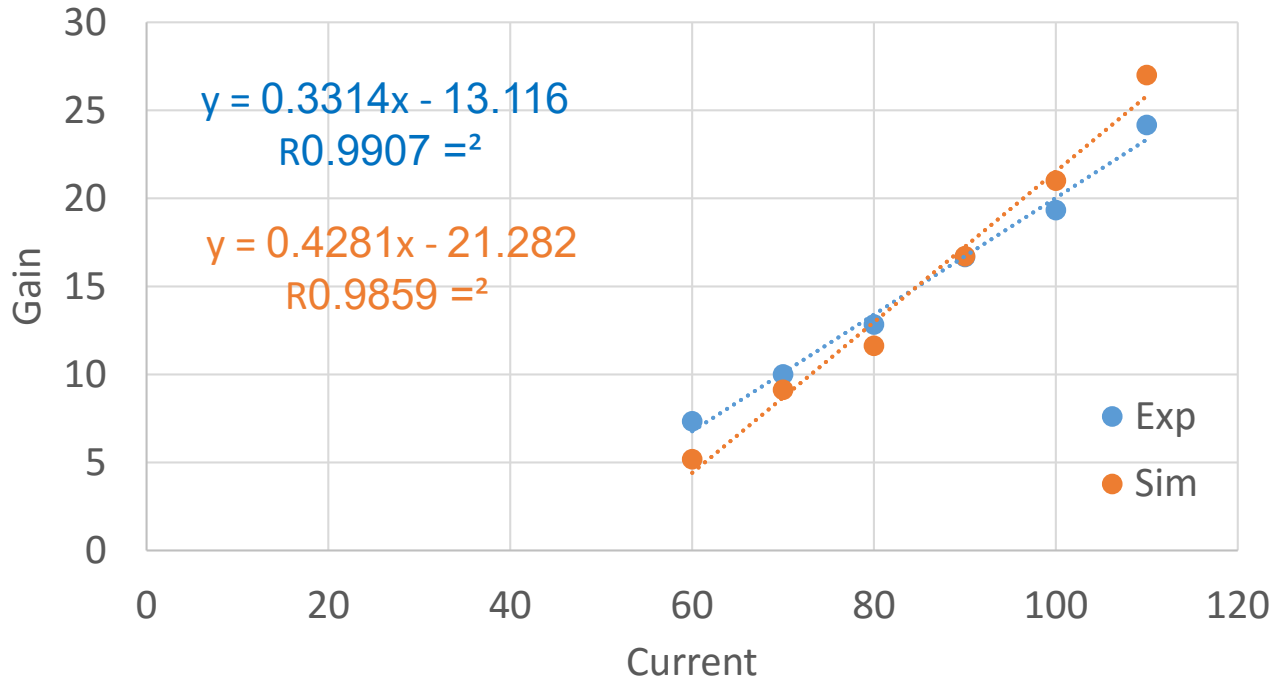
$$E_{in} = 4\mu J / p$$

Linear relation between pump current and pumping rate (WP)



Current Dependence – Flat Output

$$E_{in} = 4 \mu J / p$$



$$\frac{E_{out}^{Exp}}{E_{out}^{Sim}} = 50\% \quad \rightarrow \text{Total output energy doesn't make sense.}$$



Conclusion II

- Transmission is 50%!
 - Before NGA: $E_{in}=4 \mu\text{J}/\text{p}$
 - After NGA (0 current): $E_{in}=2 \mu\text{J}/\text{p}$
- Improved transmission to 75%:
 - Gain remained the same
 - Output energy increased to 75%



Project Open Questions – on Day 1

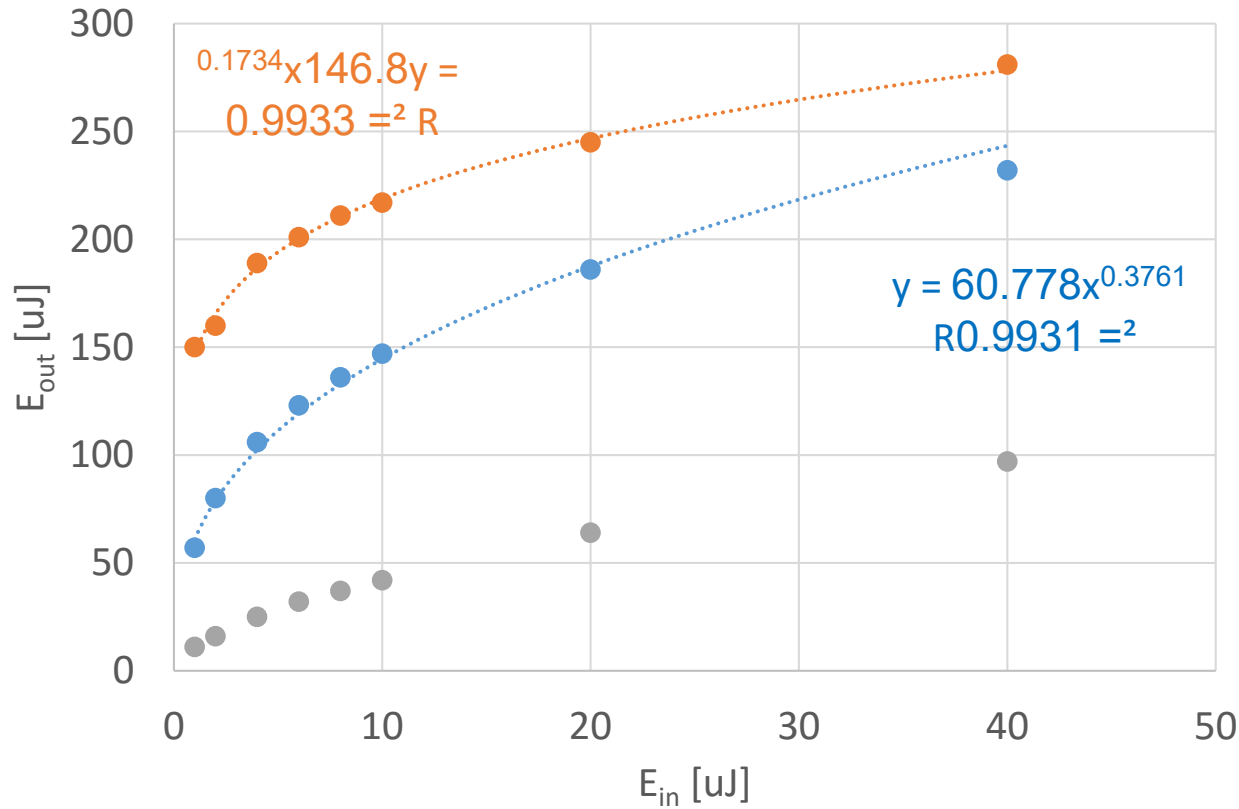
1. Why the simulations done by NG **don't match** our experimental results?
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Double Pass - Simulation



$W_p = 230 \text{ Hz}$



For low input energy, double pass has >50% output energy.

Conclusion III

- Double pass to gain more energy
 - Higher than single for low input energy
 - Difference is diminished for high input
- Experimental:
 - Avoid creating a cavity and free lasing

Summary

- A **Gaussian beam** model to train amplification process was developed and implemented.
 - Input energy, pumping rate, delay time dependence
 - Double pass
 - Model support experimental results
- **Experiment:**
 - Transmission through the rod should be improved.
 - New unit was ordered from NG – its performance was tested with our model.
- Hopefully see you next year!



Thanks for a Great Summer!

