

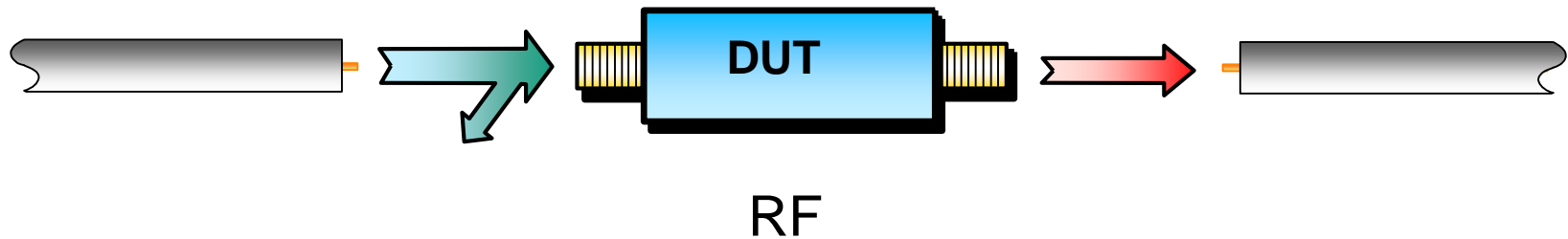
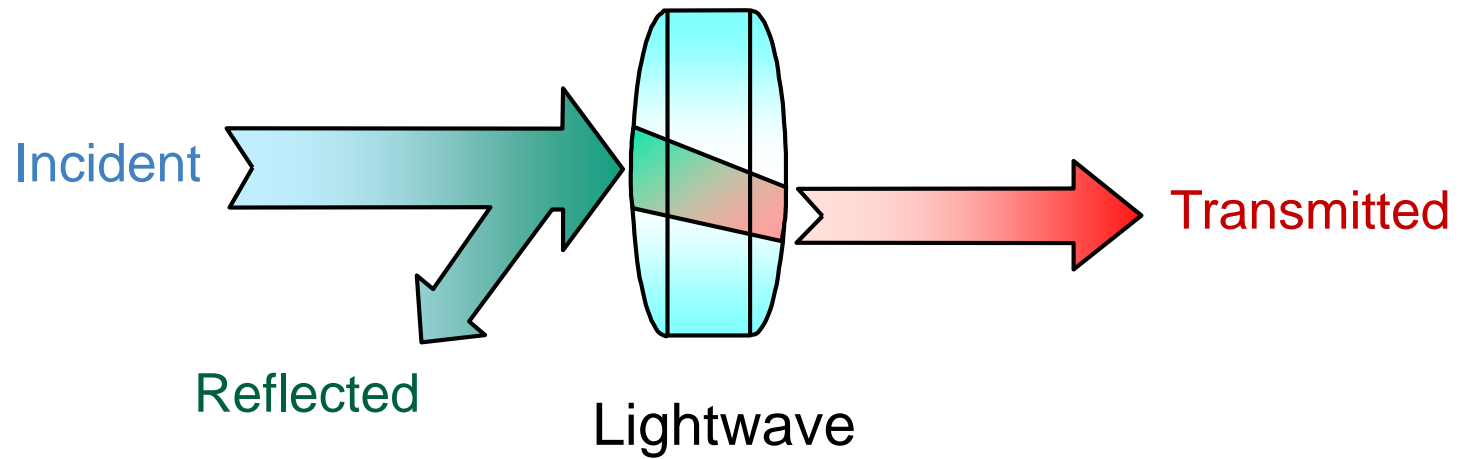
Network Characteristics, Analysis and Measurement

Agenda

Page 2

- Transmission Lines
- S-Parameters
- The Smith Chart
- Network Analyzer Block Diagram
- Network Analysis Measurements
- Calibration and Error Correction

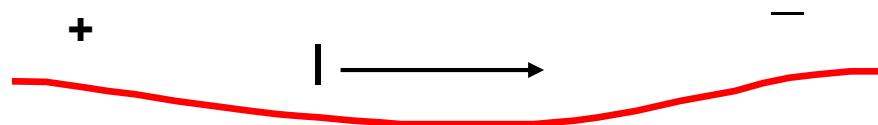
RF Energy Transmission



Transmission Line Basics

Low frequencies

- Wavelengths \gg wire length
- Current (I) travels down wires easily for efficient power transmission
- Measured voltage and current not dependent on position along wire

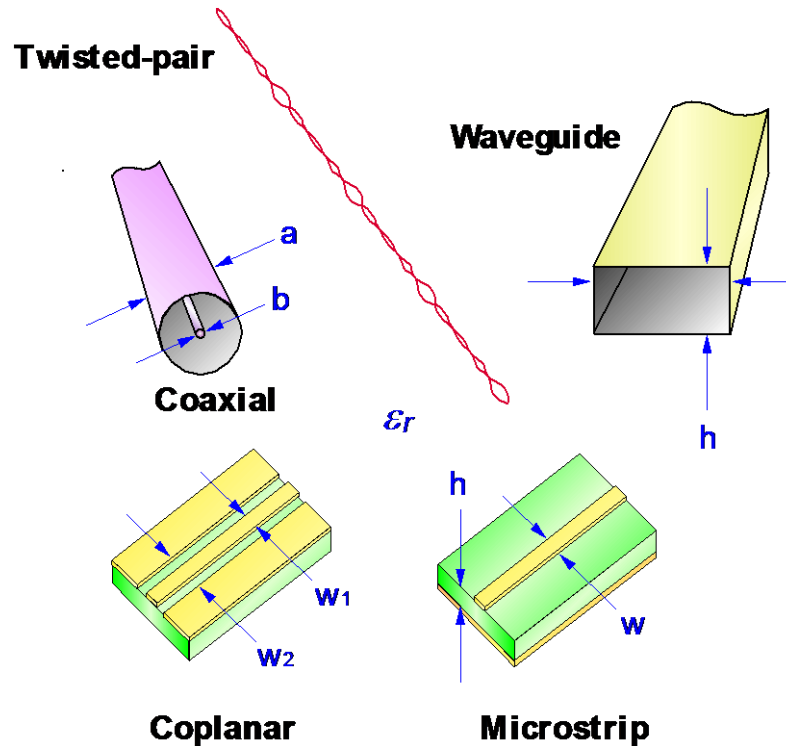


High frequencies

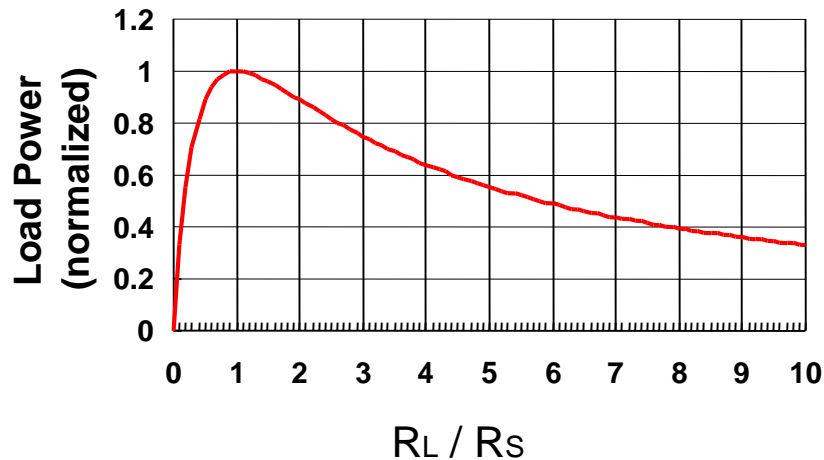
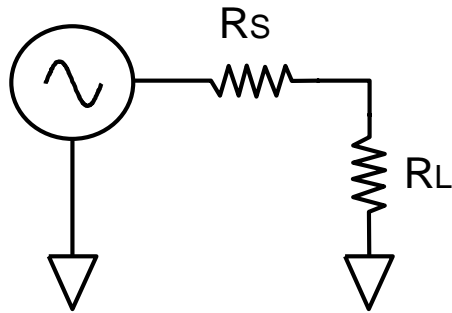
- Wavelength \gg or \ll length of transmission medium
- Need transmission lines for efficient power transmission
- Matching to characteristic impedance (Z_0) is very important for low reflection and maximum power transfer
- Measured envelope voltage dependent on position along line

Transmission line Z_0

- Z_0 determines relationship between voltage and current waves
- Z_0 is a function of physical dimensions and ϵ_r
- Z_0 is usually a real impedance (e.g. 50 or 75 ohms)

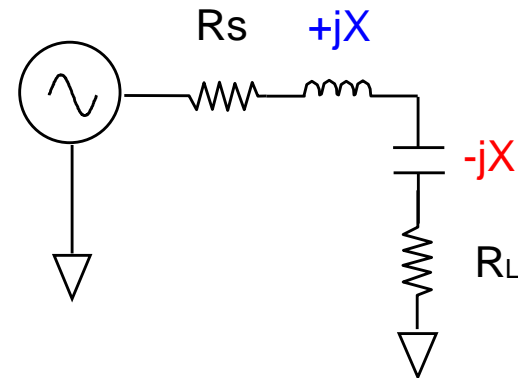


Power Transfer Efficiency

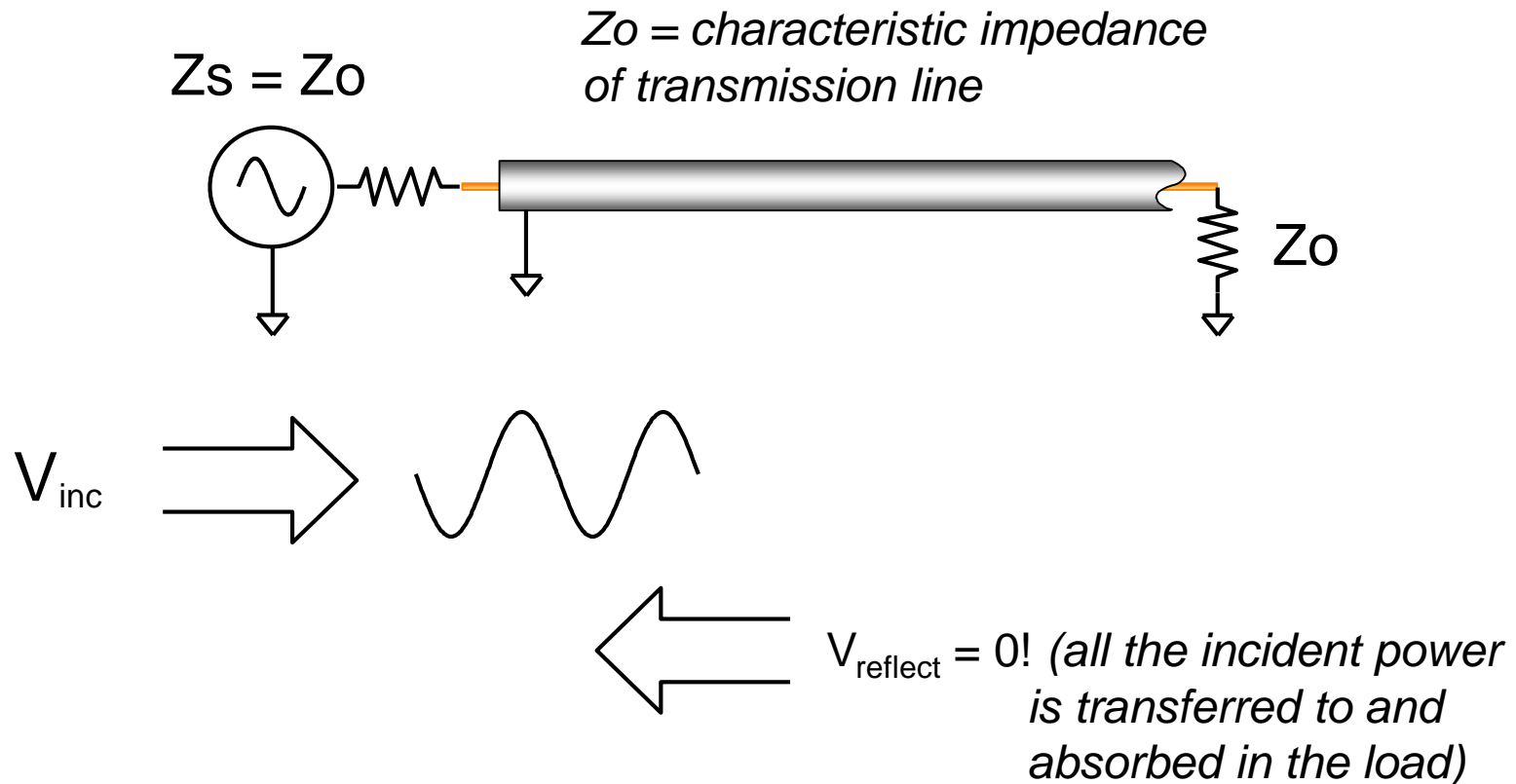


Maximum power is transferred when $R_L = R_s$

For complex impedances, maximum power transfer occurs when $Z_L = Z_s^*$ (conjugate match)

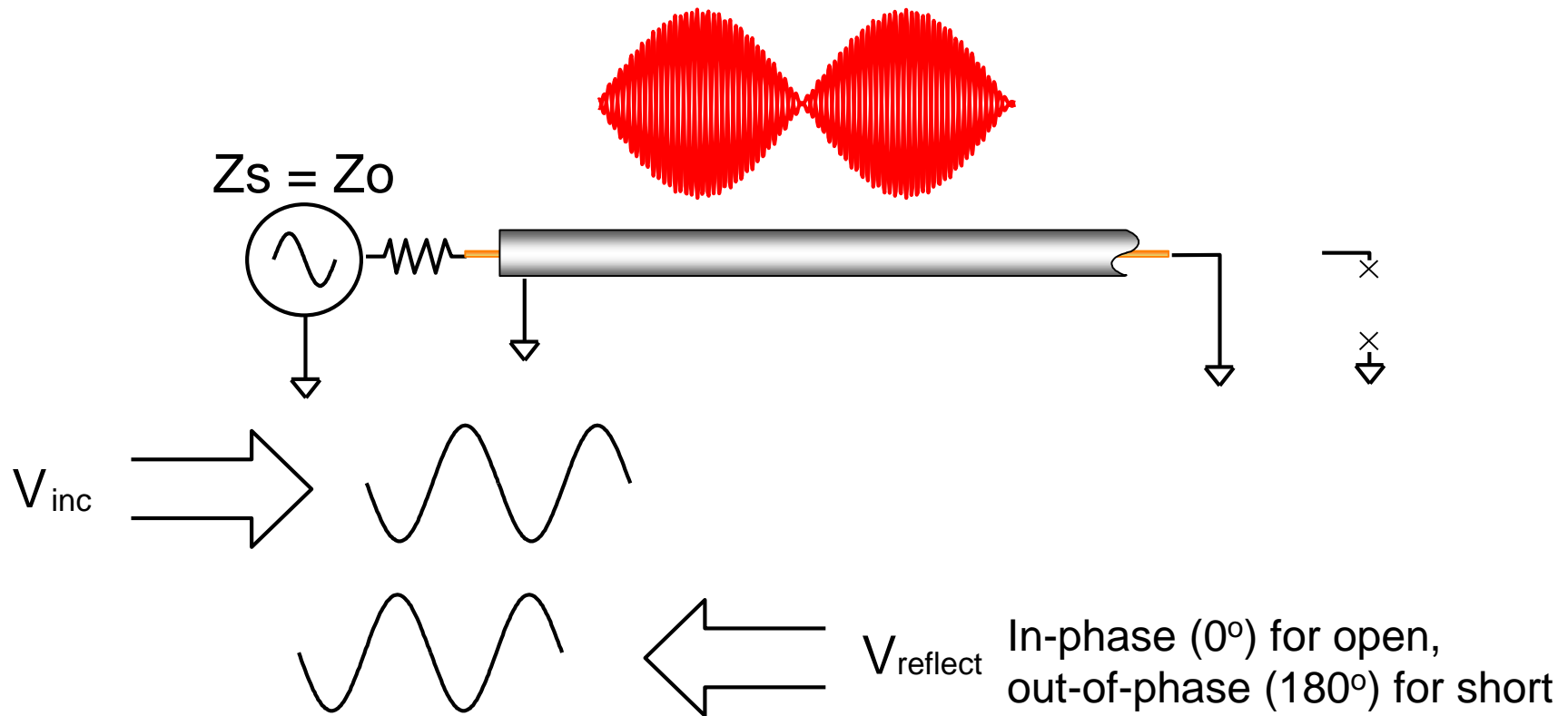


Transmission Line Terminated with Z_0



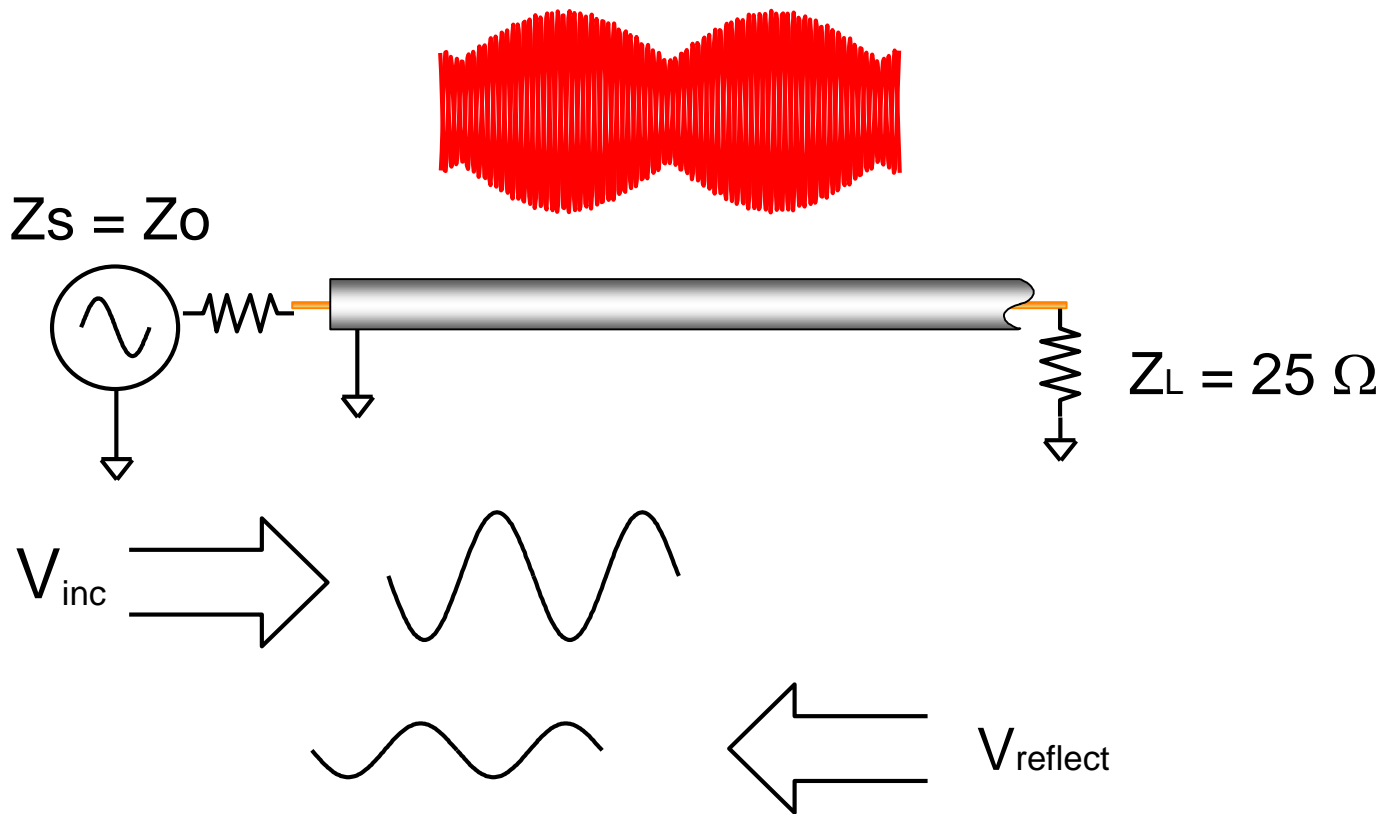
For reflection, a transmission line terminated in Z_0 behaves like an infinitely long transmission line

Transmission Line Terminated with Short, Open



For reflection, a transmission line terminated in a short or open reflects all power back to source

Transmission Line Terminated with 25 Ohms

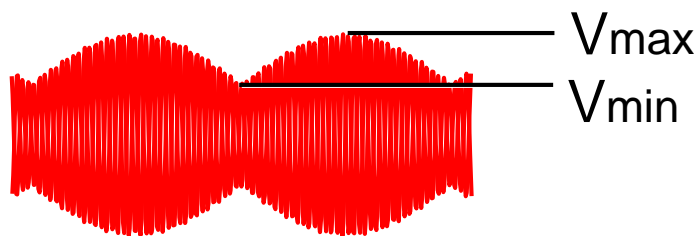


Standing wave pattern does not go to zero as with short or open

Reflection Parameters

Reflection Coefficient [S11] $= \Gamma = \frac{V_{\text{reflected}}}{V_{\text{incident}}} = \rho \angle \Phi = \frac{Z_L - Z_o}{Z_L + Z_o}$

Return loss $= -20 \log(\rho)$, $\rho = |\Gamma|$



Voltage Standing Wave Ratio

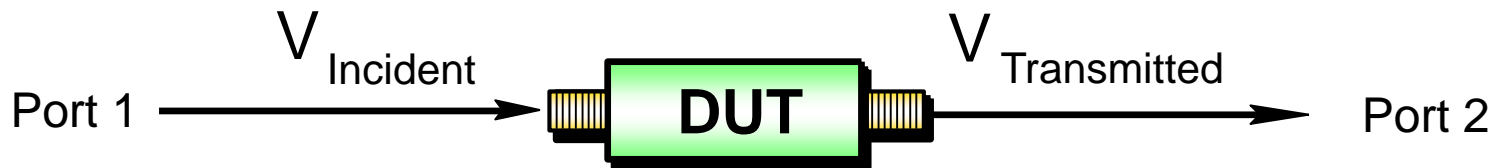
VSWR $= \frac{V_{\text{max}}}{V_{\text{min}}} = \frac{1 + \rho}{1 - \rho}$

No reflection
($Z_L = Z_o$)

Full reflection
($Z_L = \text{open, short}$)

0	ρ	1
∞ dB	RL	0 dB
1	VSWR	∞

Transmission Parameters



$$\text{Transmission Coefficient [S21]} = \mathbf{T} = \frac{V_{\text{Transmitted}}}{V_{\text{Incident}}} = \tau \angle \phi$$

$$\text{Insertion Loss (dB)} = -20 \text{ Log} \left| \frac{V_{\text{Trans}}}{V_{\text{Inc}}} \right| = -20 \text{ Log}(\tau)$$

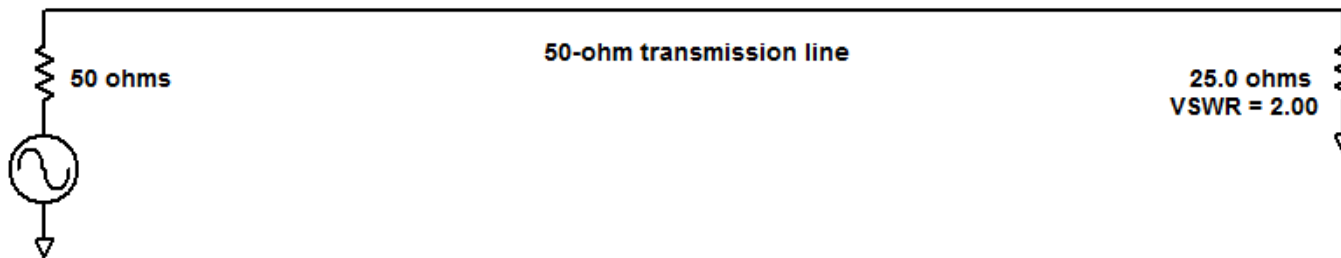
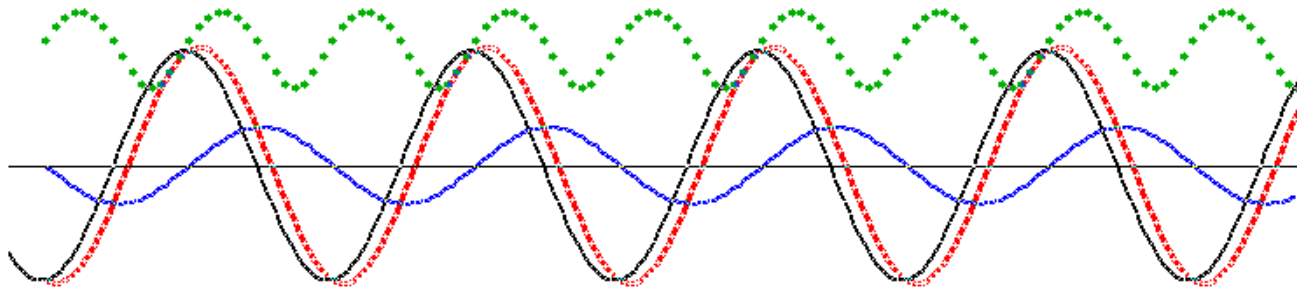
$$\text{Gain (dB)} = 20 \text{ Log} \left| \frac{V_{\text{Trans}}}{V_{\text{Inc}}} \right| = 20 \text{ Log}(\tau)$$

Demonstration:

Waves on a Transmission Line

Impact of Load Value

©
1

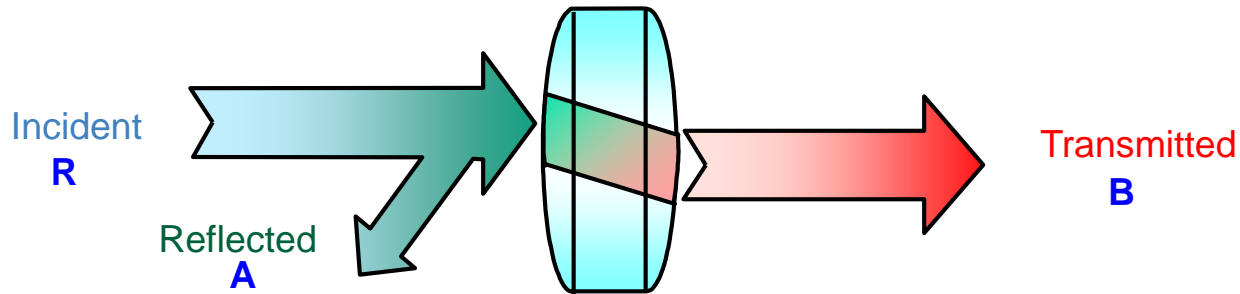


Agenda

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- Transmission Lines
- **S-Parameters**
- The Smith Chart
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High-Frequency Device Characterization



REFLECTION

$$\frac{\text{Reflected}}{\text{Incident}} = \frac{A}{R}$$

VSWR

S-Parameters S_{11}, S_{22}

Reflection Coefficient G, r

Return Loss

Impedance, Admittance $R+jX, G+jB$

TRANSMISSION

$$\frac{\text{Transmitted}}{\text{Incident}} = \frac{B}{R}$$

Gain / Loss

S-Parameters S_{21}, S_{12}

Transmission Coefficient T, t

Insertion Phase

Group Delay

Characterizing Unknown Devices

Using parameters (H, Y, Z, S) to characterize devices:

- Gives linear behavioral model of our device
- Measure parameters (e.g. voltage and current) versus frequency under various source and load conditions (e.g. short and open circuits)
- Compute device parameters from measured data
- Predict circuit performance under any source and load conditions

H-parameters

$$V_1 = h_{11}I_1 + h_{12}V_2$$

$$I_2 = h_{21}I_1 + h_{22}V_2$$

Y-parameters

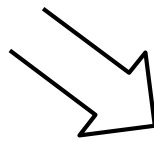
$$I_1 = y_{11}V_1 + y_{12}V_2$$

$$I_2 = y_{21}V_1 + y_{22}V_2$$

Z-parameters

$$V_1 = z_{11}I_1 + z_{12}I_2$$

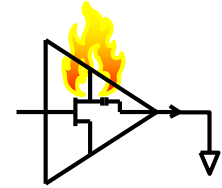
$$V_2 = z_{21}I_1 + z_{22}I_2$$



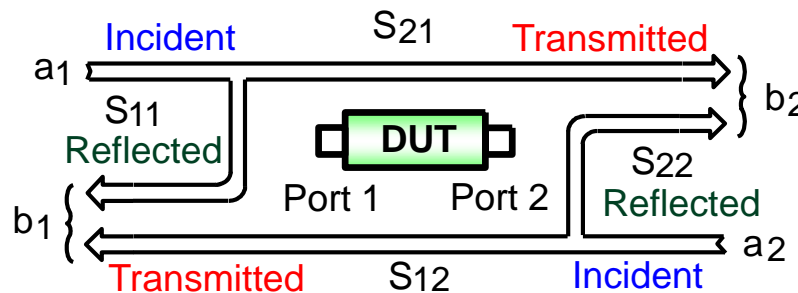
$$h_{11} = \left. \frac{V_1}{I_1} \right|_{V_2=0} \quad (\text{requires } \textbf{short circuit})$$

$$h_{12} = \left. \frac{V_1}{V_2} \right|_{I_1=0} \quad (\text{requires } \textbf{open circuit})$$

Why Use Scattering, S-Parameters?



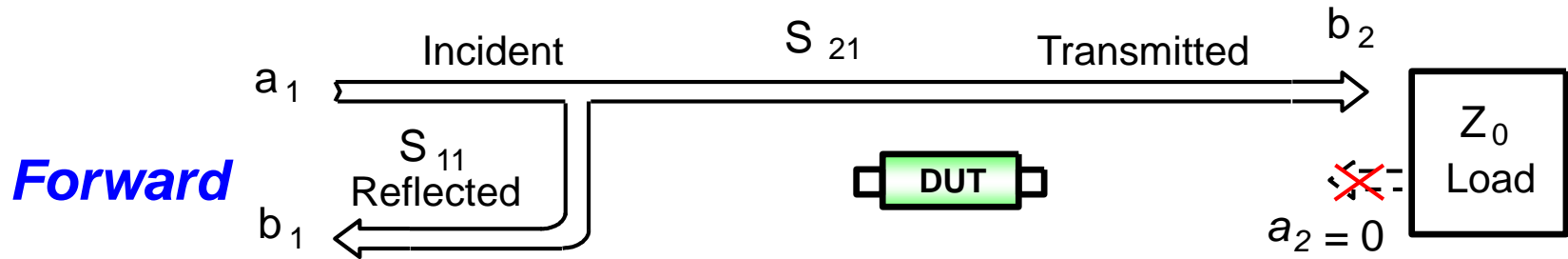
- Relatively easy to **obtain** at high frequencies
 - Measure voltage traveling waves with a vector network analyzer
 - Don't need shorts/opens (can cause active devices to oscillate or self-destruct)
- Relate to **familiar** measurements (gain, loss, reflection coefficient ...)
- Can **cascade** S-parameters of multiple devices to predict system performance
- Can **compute** H-, Y-, or Z-parameters from S-parameters if desired
- Can easily import and use S-parameter files in **electronic-simulation** tools



$$b_1 = S_{11}a_1 + S_{12}a_2$$

$$b_2 = S_{21}a_1 + S_{22}a_2$$

Measuring S-Parameters

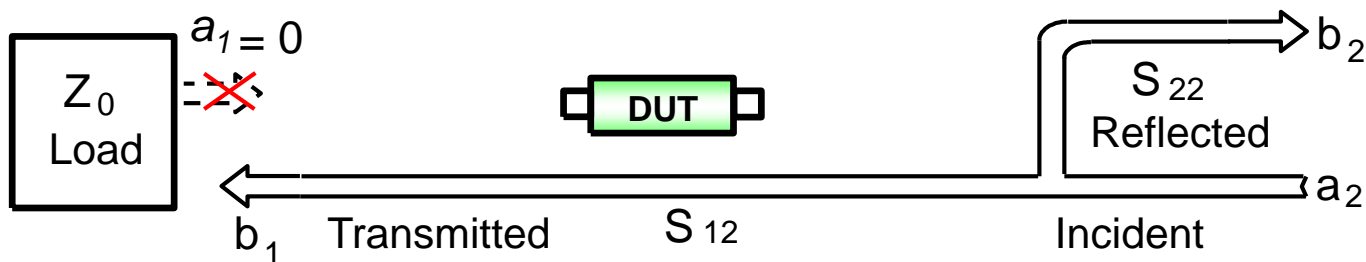


$$S_{11} = \frac{\text{Reflected}}{\text{Incident}} = \frac{b_1}{a_1} \Big|_{a_2 = 0}$$

$$S_{21} = \frac{\text{Transmitted}}{\text{Incident}} = \frac{b_2}{a_1} \Big|_{a_2 = 0}$$

$$S_{22} = \frac{\text{Reflected}}{\text{Incident}} = \frac{b_2}{a_2} \Big|_{a_1 = 0}$$

$$S_{12} = \frac{\text{Transmitted}}{\text{Incident}} = \frac{b_1}{a_2} \Big|_{a_1 = 0}$$



Reverse

Equating S-Parameters With Common Measurement Terms



S_{11} = forward reflection coefficient (***input match***)

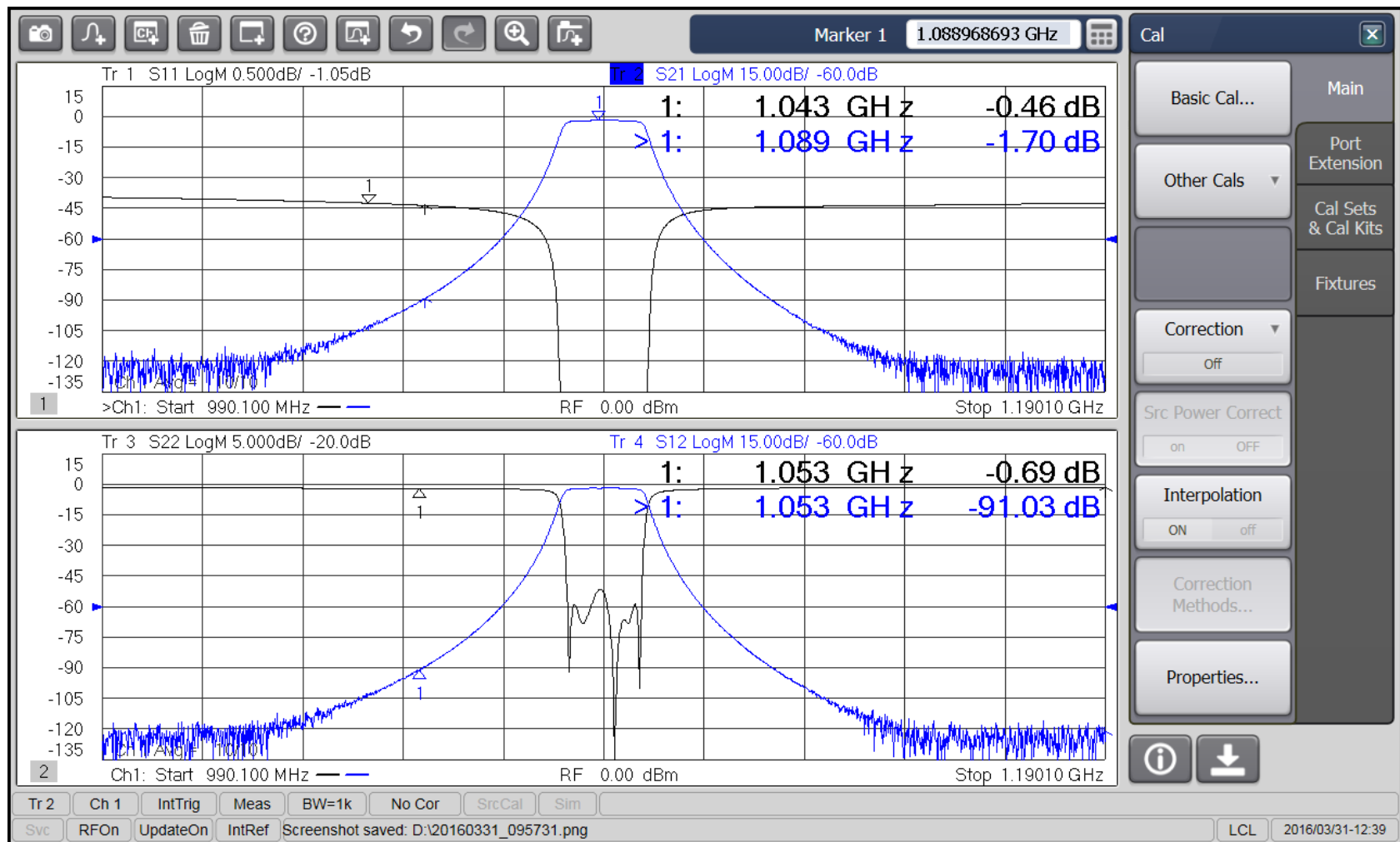
S_{22} = reverse reflection coefficient (***output match***)

S_{21} = forward transmission coefficient (***gain or loss***)

S_{12} = reverse transmission coefficient (***isolation***)

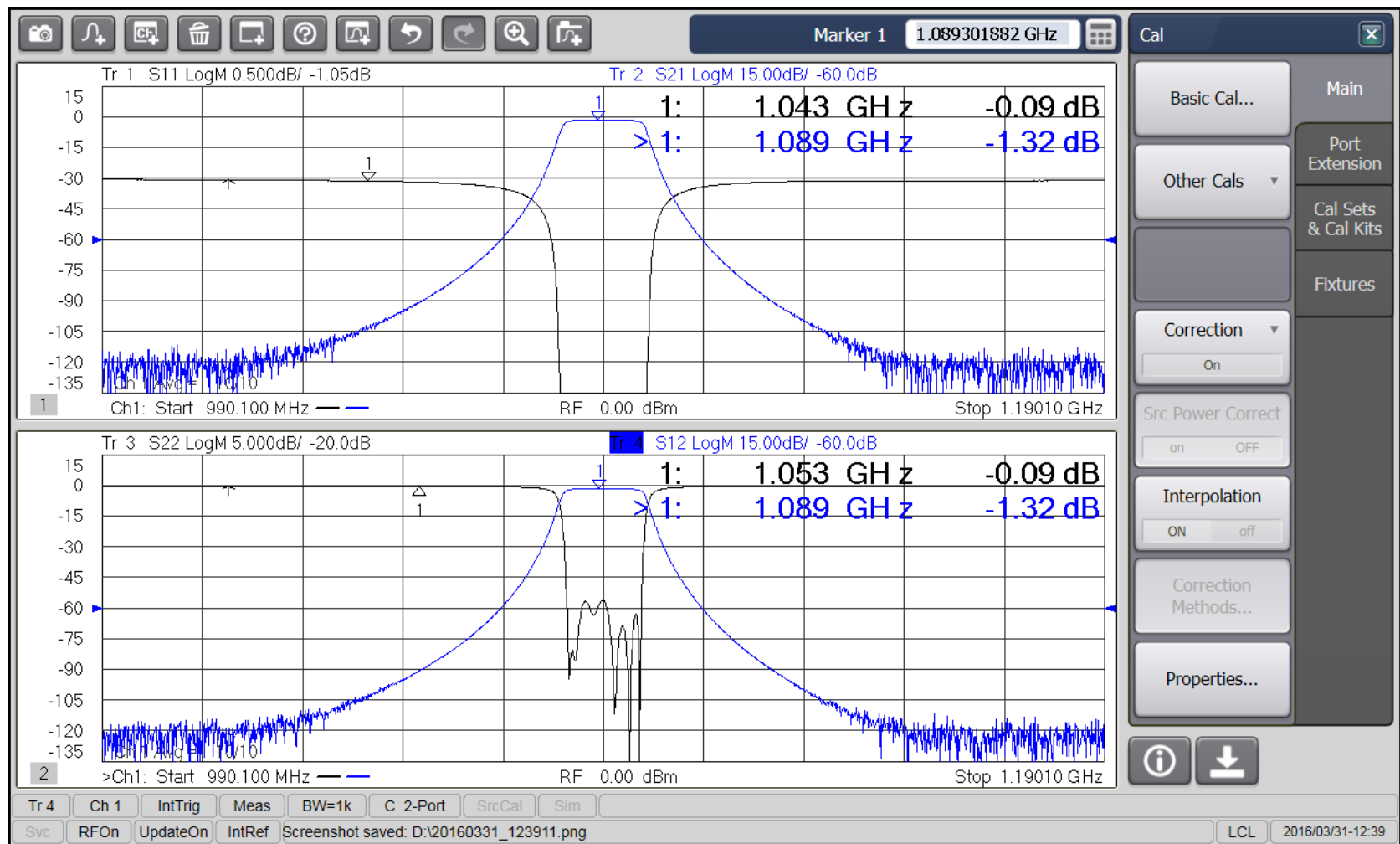
Demonstration

4 S-Parameters with Correction Off



Demonstration

4 S-Parameters with Correction On

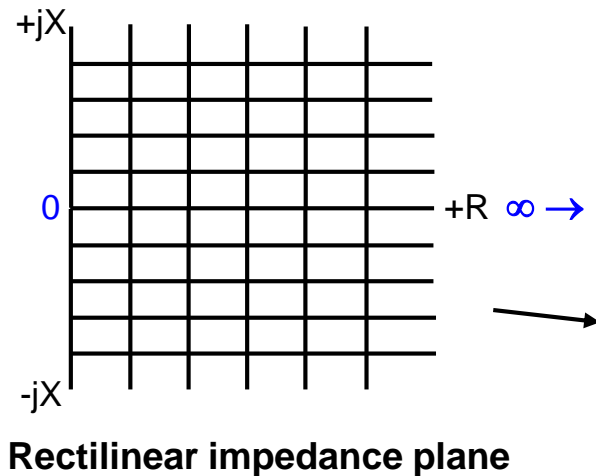


Agenda

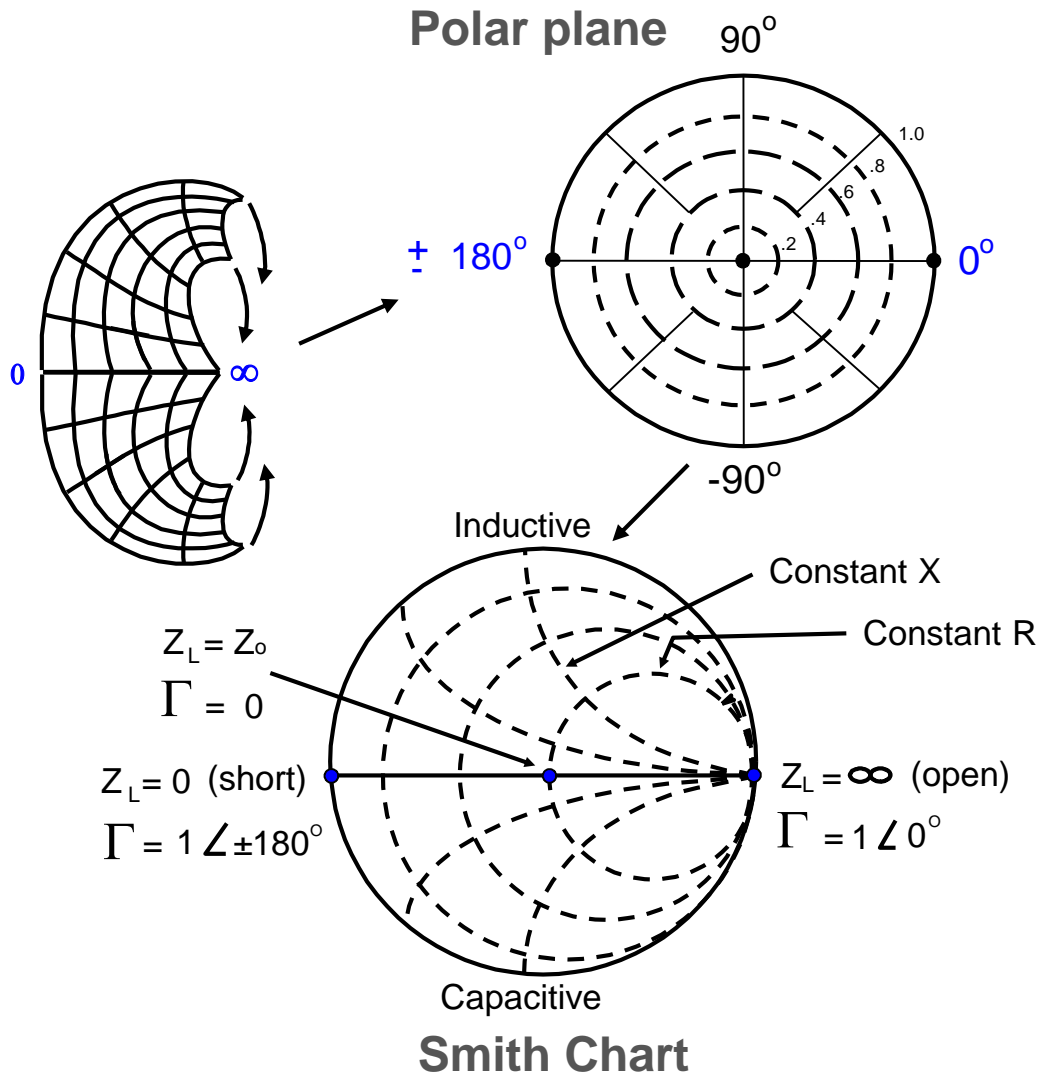
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- Transmission Lines
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Smith Chart Review

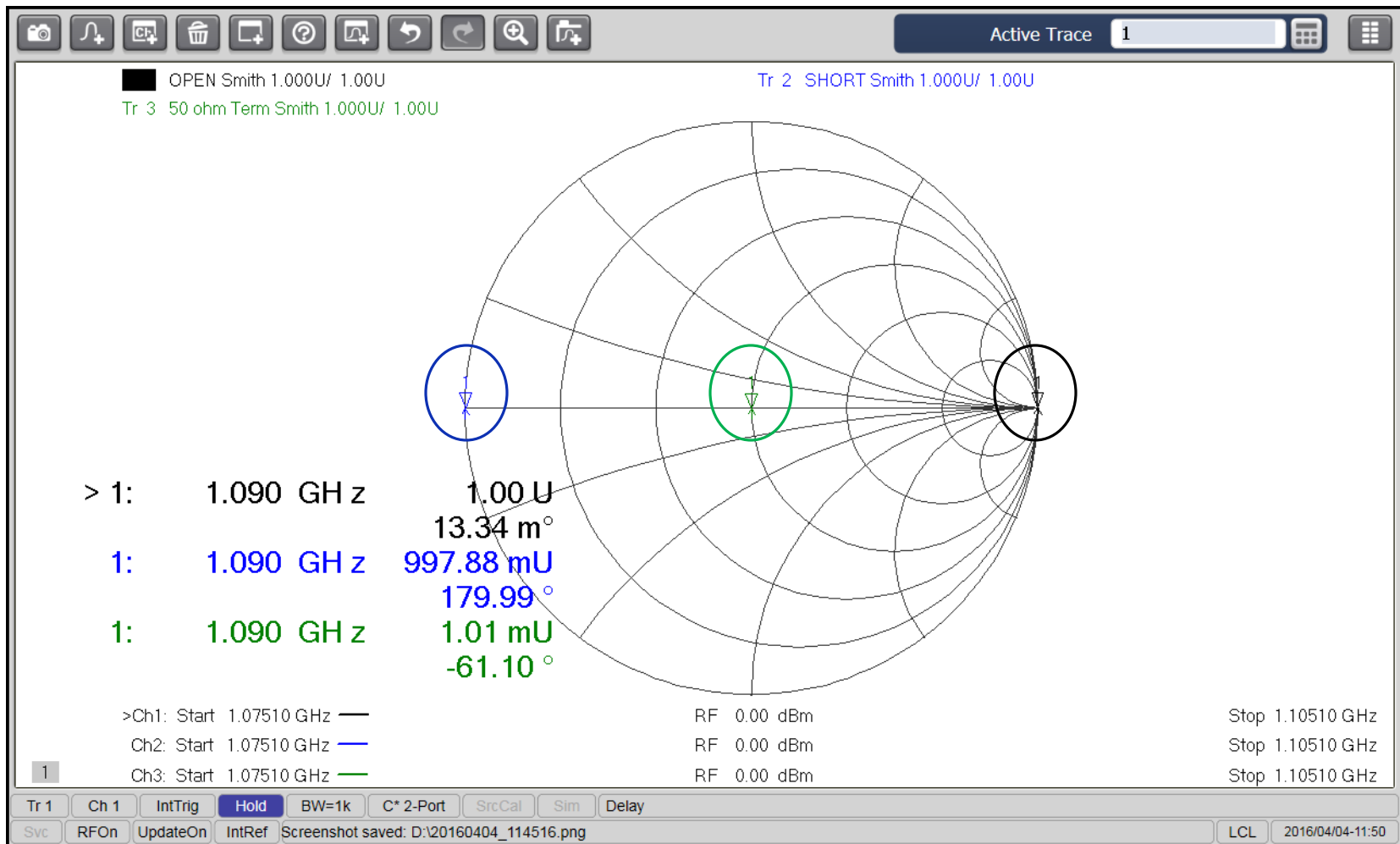


Smith Chart maps rectilinear impedance plane onto polar plane



Demonstration: Smith Chart

Short, and Open, and a Matched Impedance

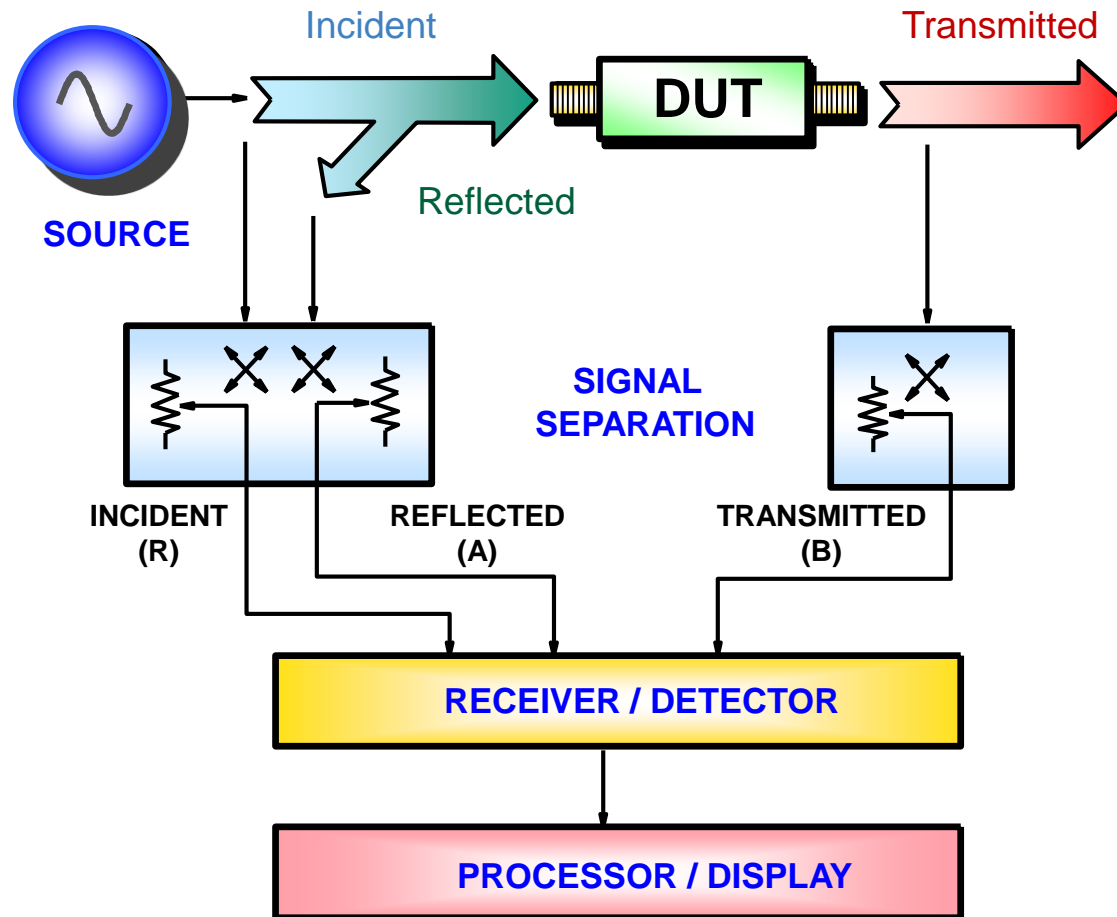


Agenda

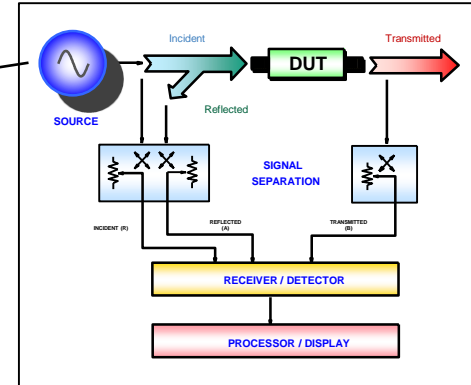
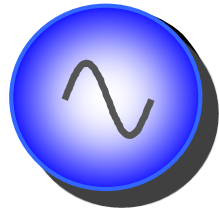
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- Transmission Lines
- S-Parameters
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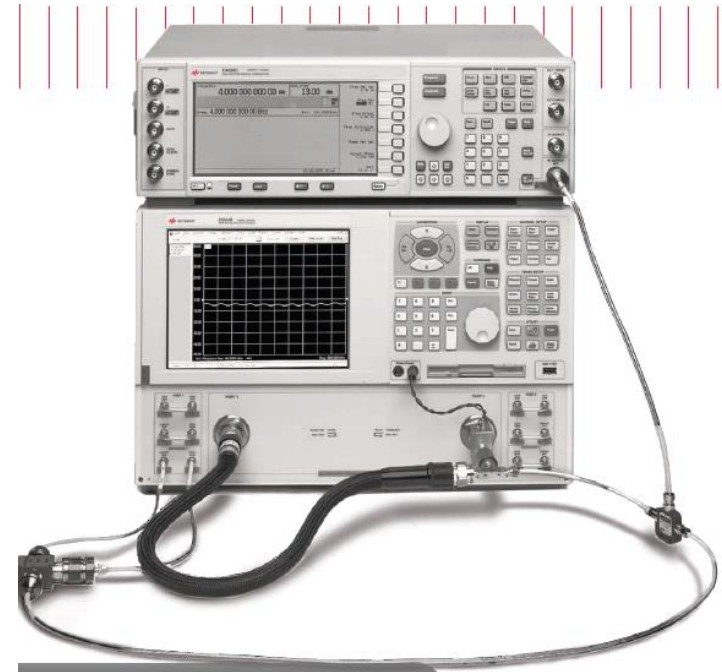
Generalized Network Analyzer Block Diagram (Forward Measurements Shown)



Source

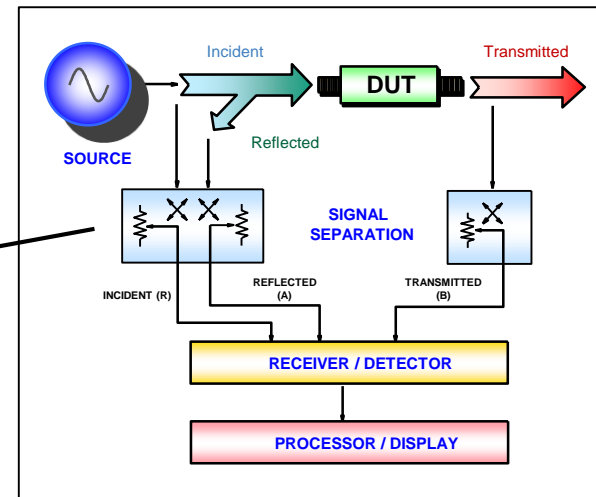


- Supplies stimulus for system
- Can sweep frequency or power
- Traditionally NAs had one signal source
- Modern NAs have the option for a second internal source and/or the ability to control external source
 - Can control an external source as a local oscillator (LO) signal for mixers and converters
 - Useful for mixer measurements like conversion loss, group delay

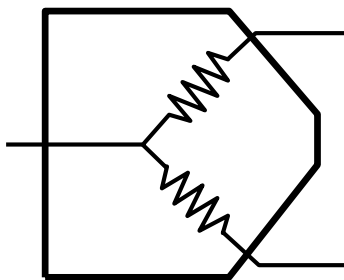


Signal Separation

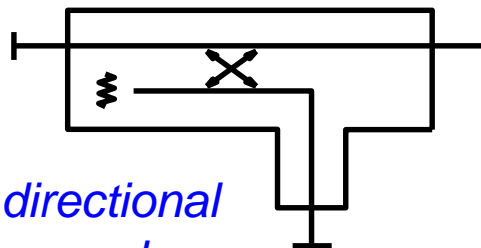
- Measure incident signal for reference
- Separate incident and reflected signals



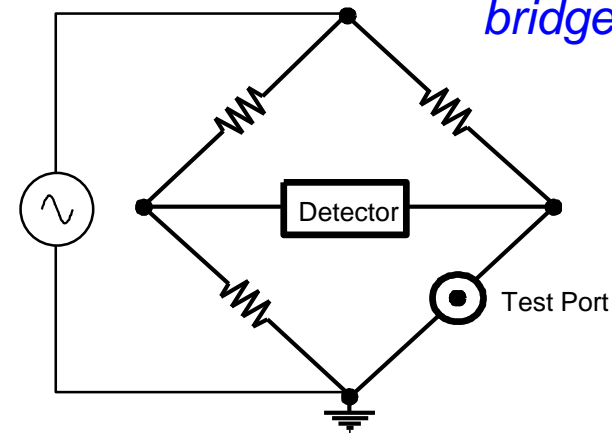
splitter



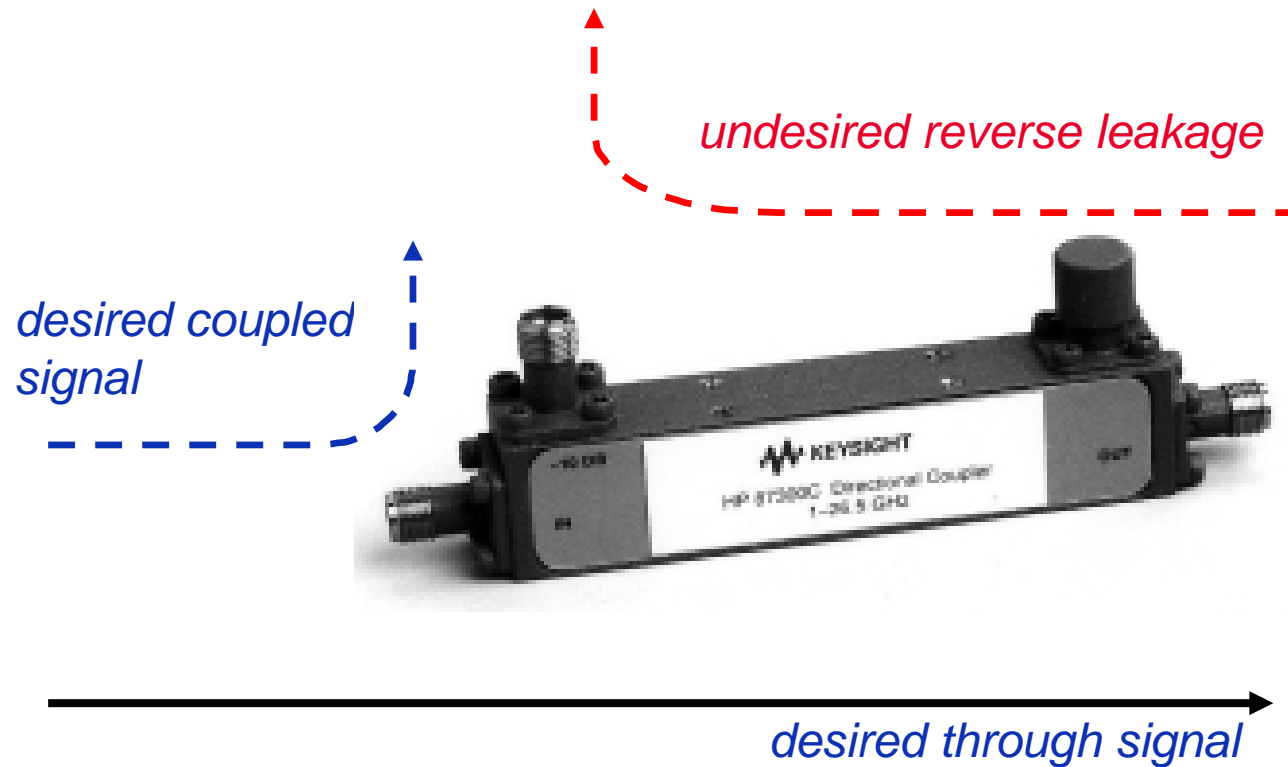
directional coupler



bridge

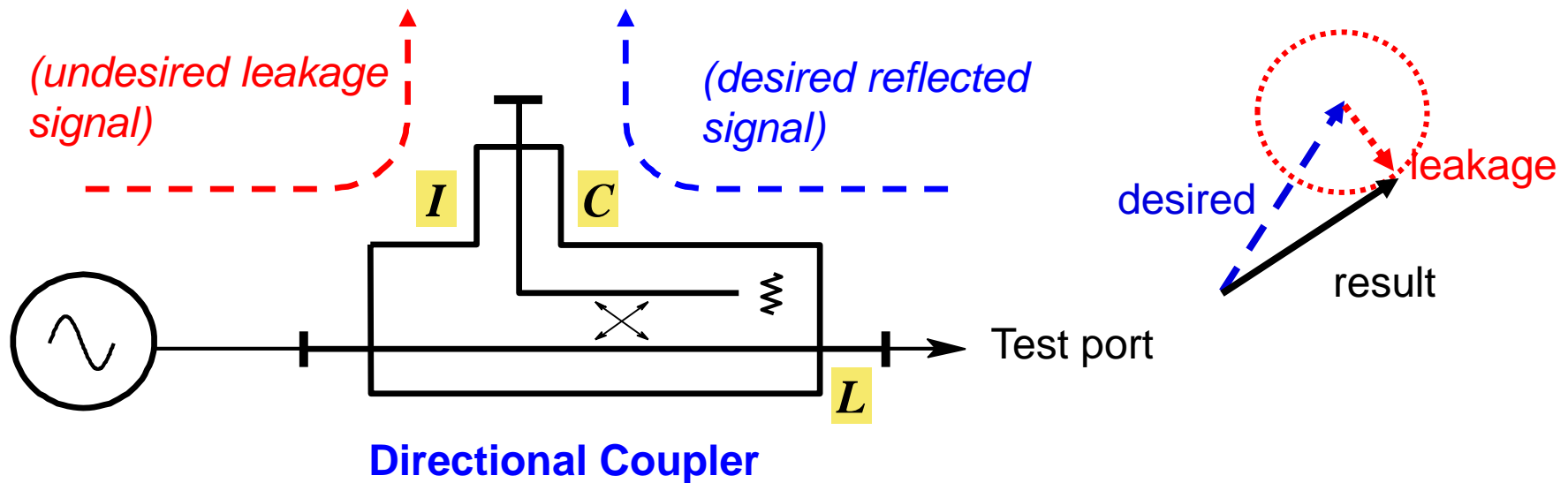


Directional Coupler



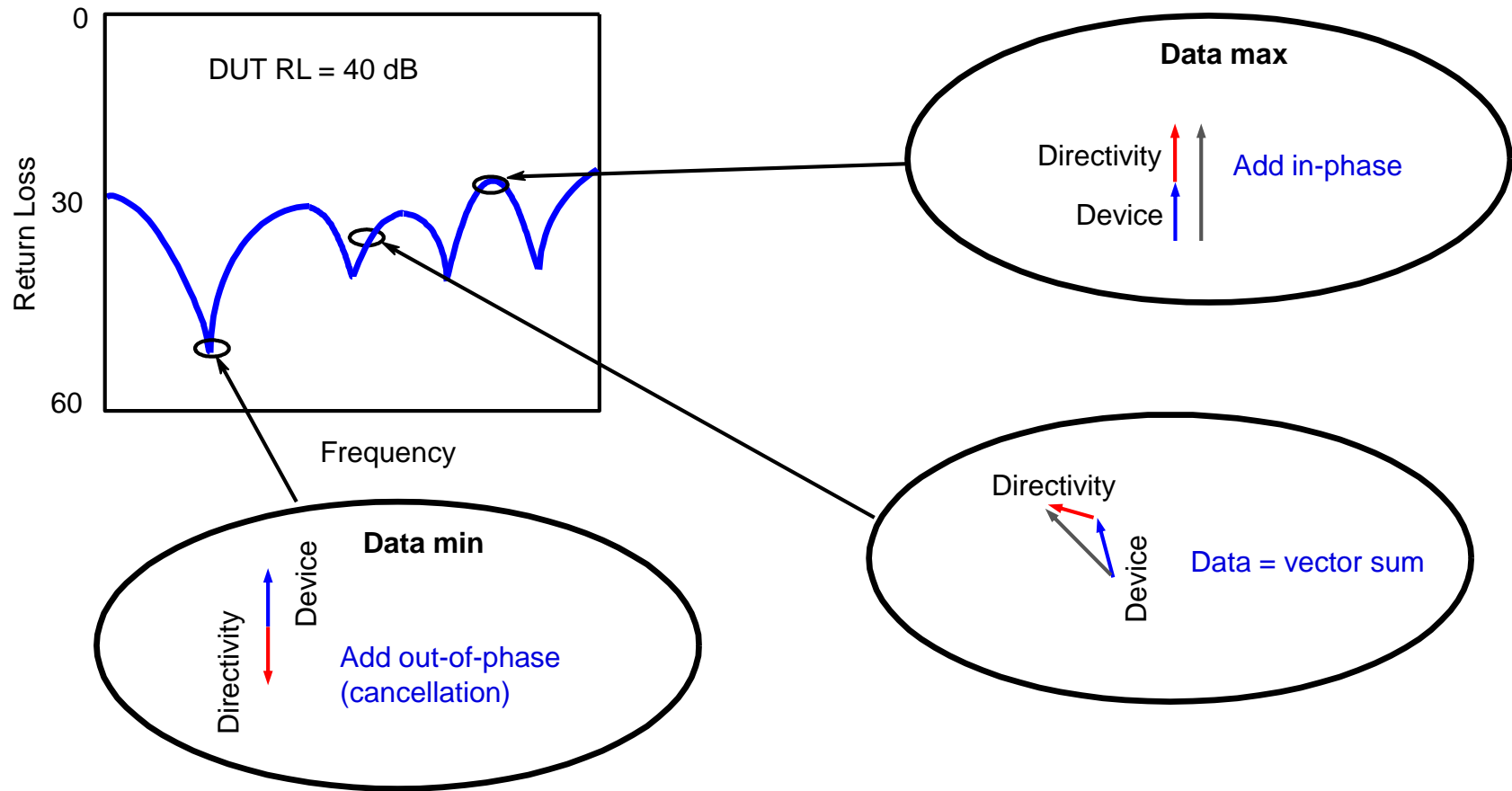
Directivity

Directivity is a measure of how well a directional coupler or bridge can separate signals moving in opposite directions



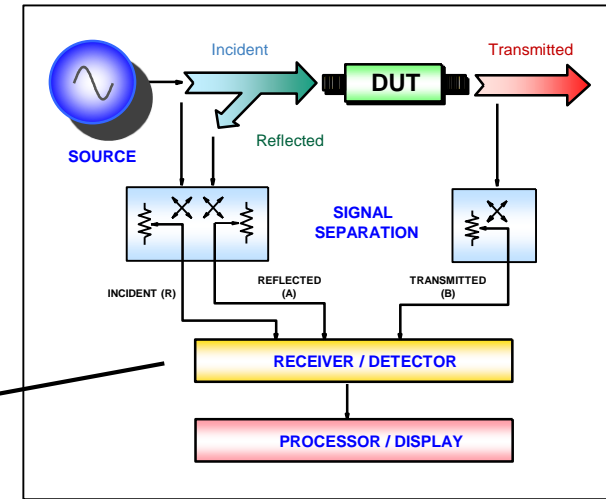
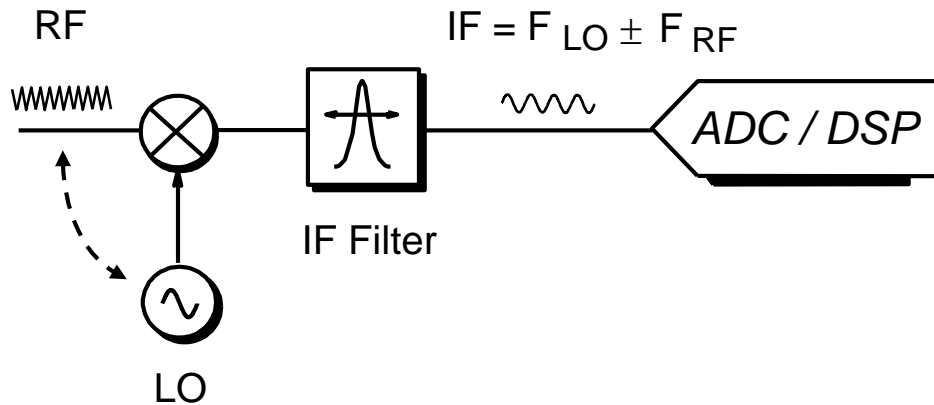
$$\text{Directivity} = \text{Isolation (I)} - \text{Fwd Coupling (C)} - \text{Main Arm Loss (L)}$$

Interaction of Directivity with the DUT (Without Error Correction)



Detector

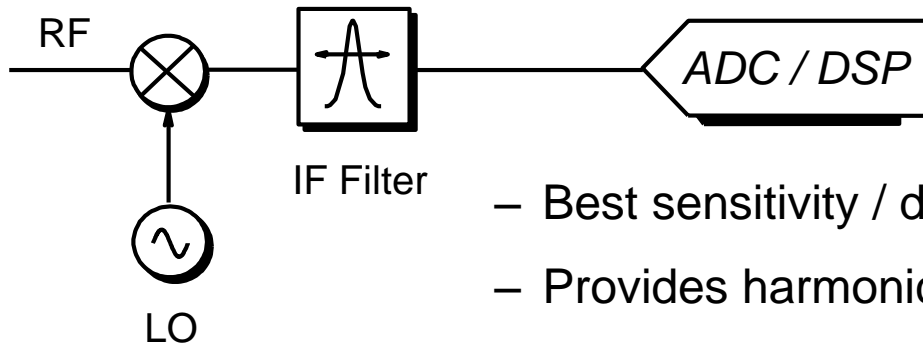
Tuned Receiver



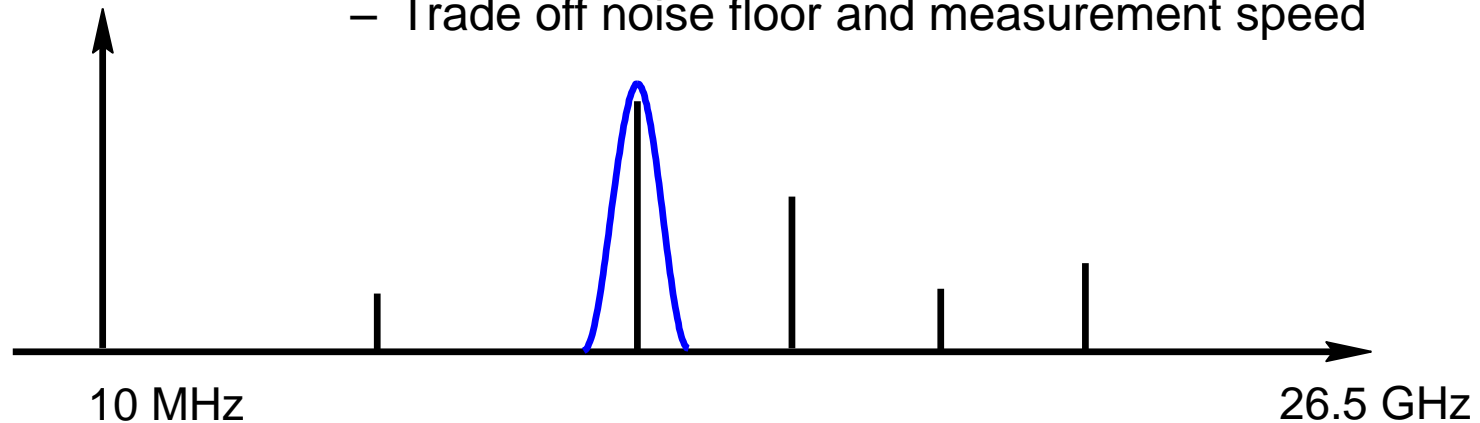
Vector narrowband
(magnitude and phase)

Detector:

Narrowband Detection - Tuned Receiver

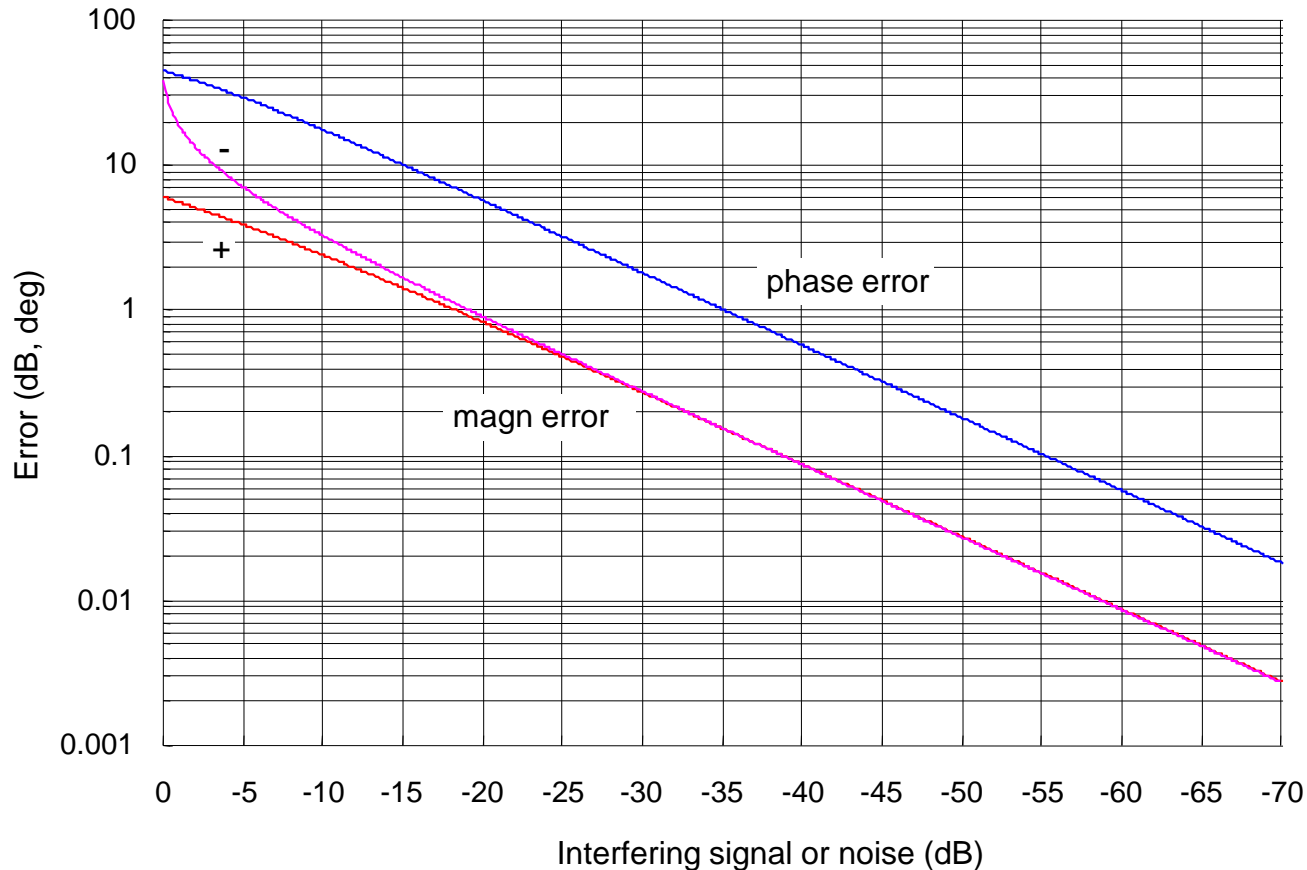


- Best sensitivity / dynamic range
- Provides harmonic / spurious signal rejection
- Improve dynamic range by increasing power, decreasing IF bandwidth, or averaging
- Trade off noise floor and measurement speed



Dynamic Range and Accuracy

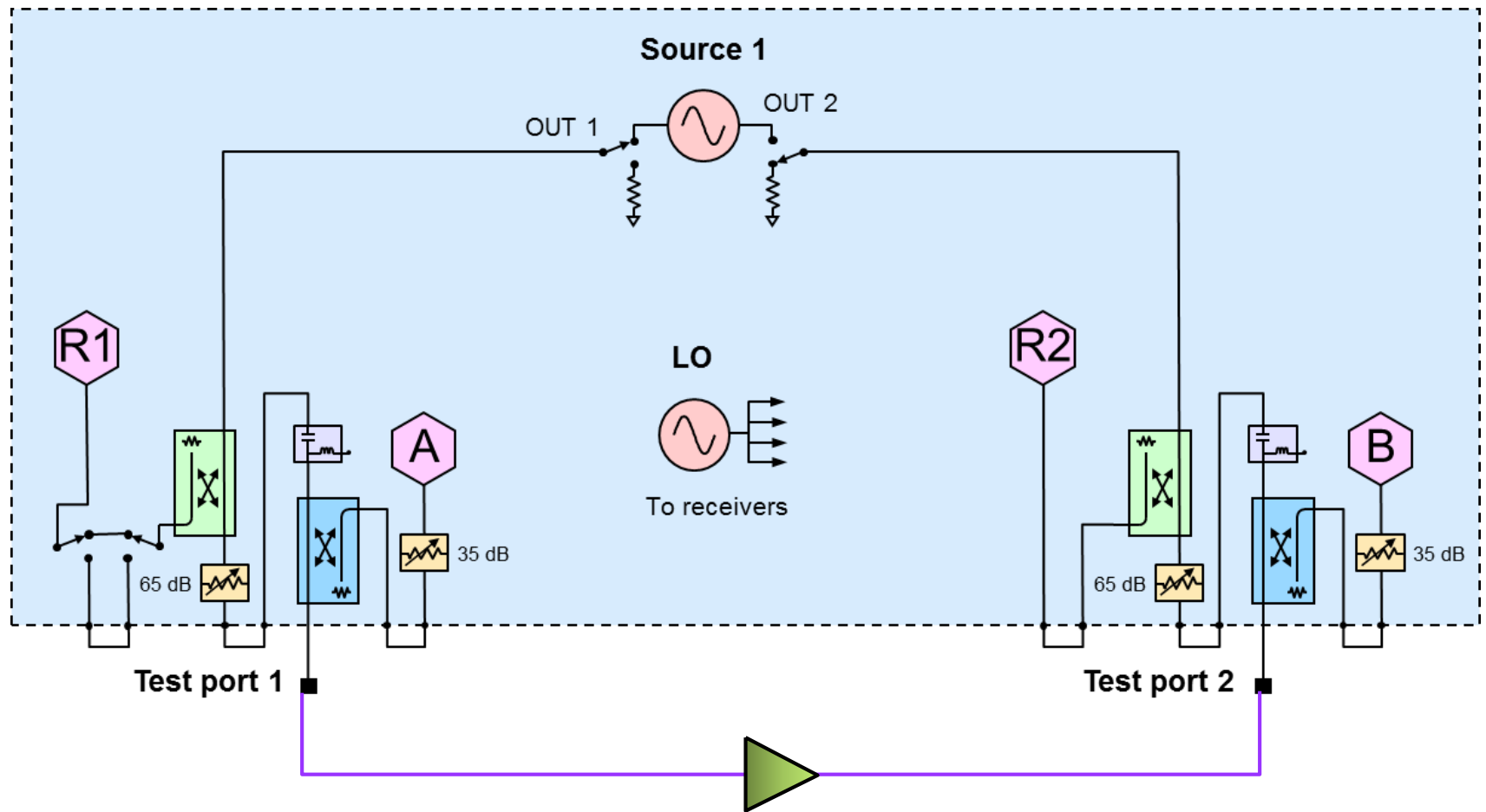
Error Due to Interfering Signal



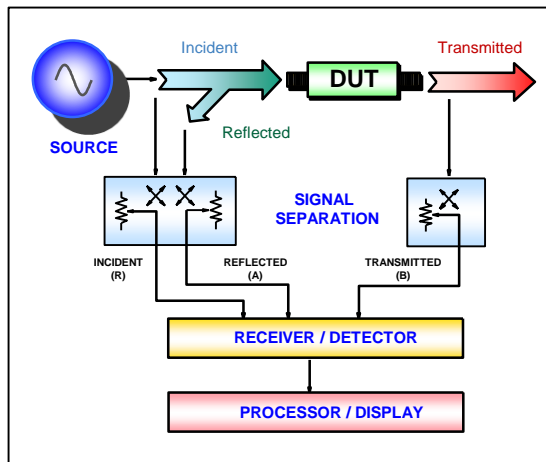
Dynamic range is very important for measurement accuracy!

Demonstration

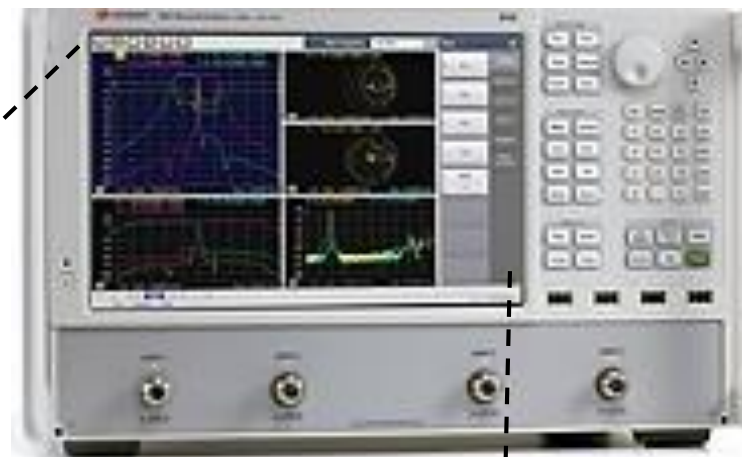
VNA - 2 port Block Diagram



Processor / Display



- Markers
- Limit lines
- Pass/fail indicators
- Linear/log formats
- Grid/polar/Smith charts
- Time-domain transform
- Trace math



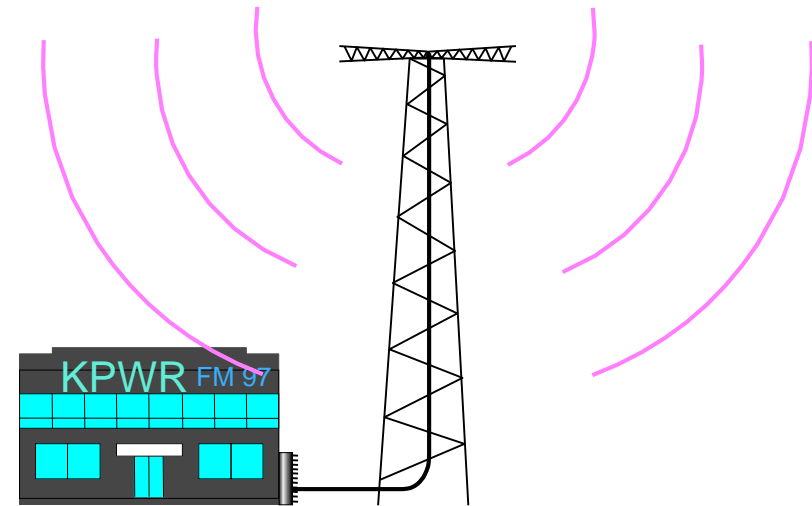
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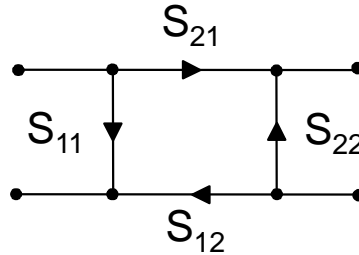
Why Do We Need to Test Components?

- Verify specifications of “building blocks” for more complex RF systems
- Ensure distortion-free transmission of communications signals
 - Linear: constant amplitude, linear phase / constant group delay
 - Nonlinear: harmonics, intermodulation, compression, X-parameters
- Ensure good match when absorbing power (e.g., an antenna)

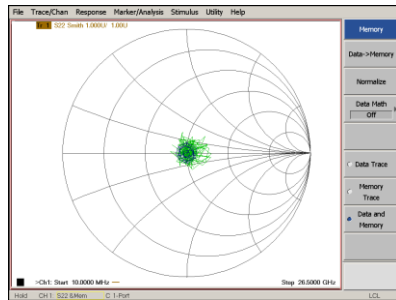


The Need for Both Magnitude and Phase

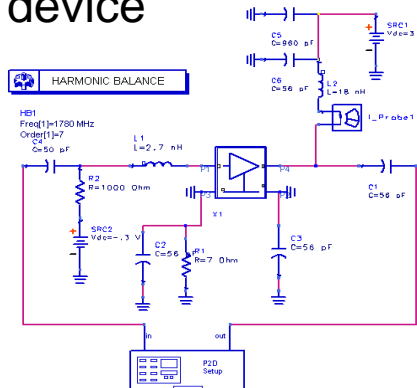
1. Complete characterization of linear networks



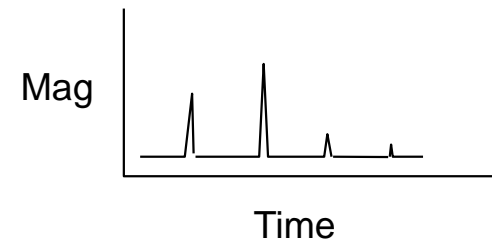
2. Complex impedance needed to design matching circuits



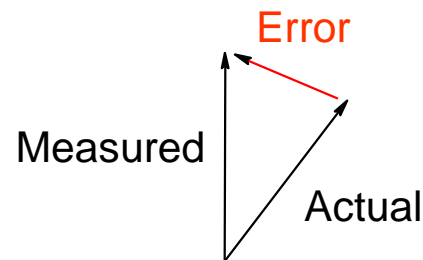
3. Complex values needed for device modeling



4. Time-domain characterization

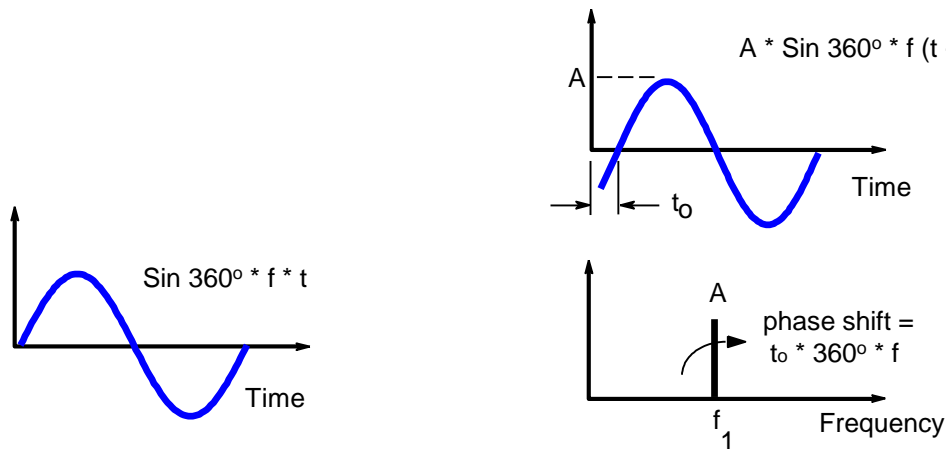


5. Vector-error correction



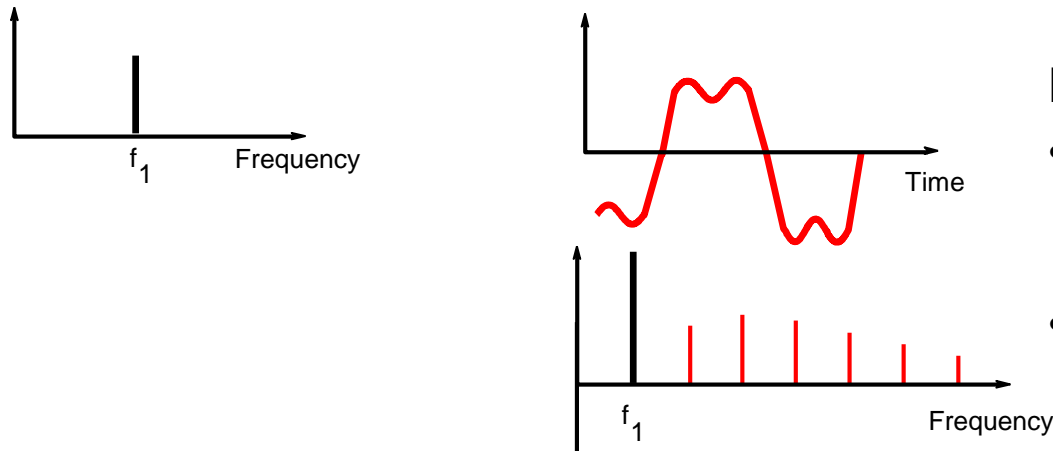
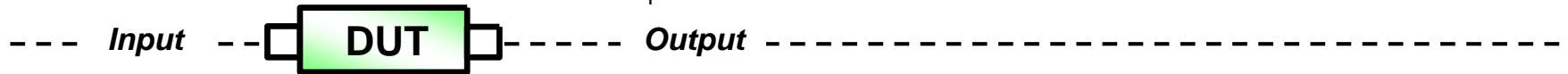
6. X-parameter (nonlinear) characterization

Linear Versus Nonlinear Behavior



Linear behavior:

- Input and output frequencies are the same (no additional frequencies created)
- Output frequency only undergoes magnitude and phase change

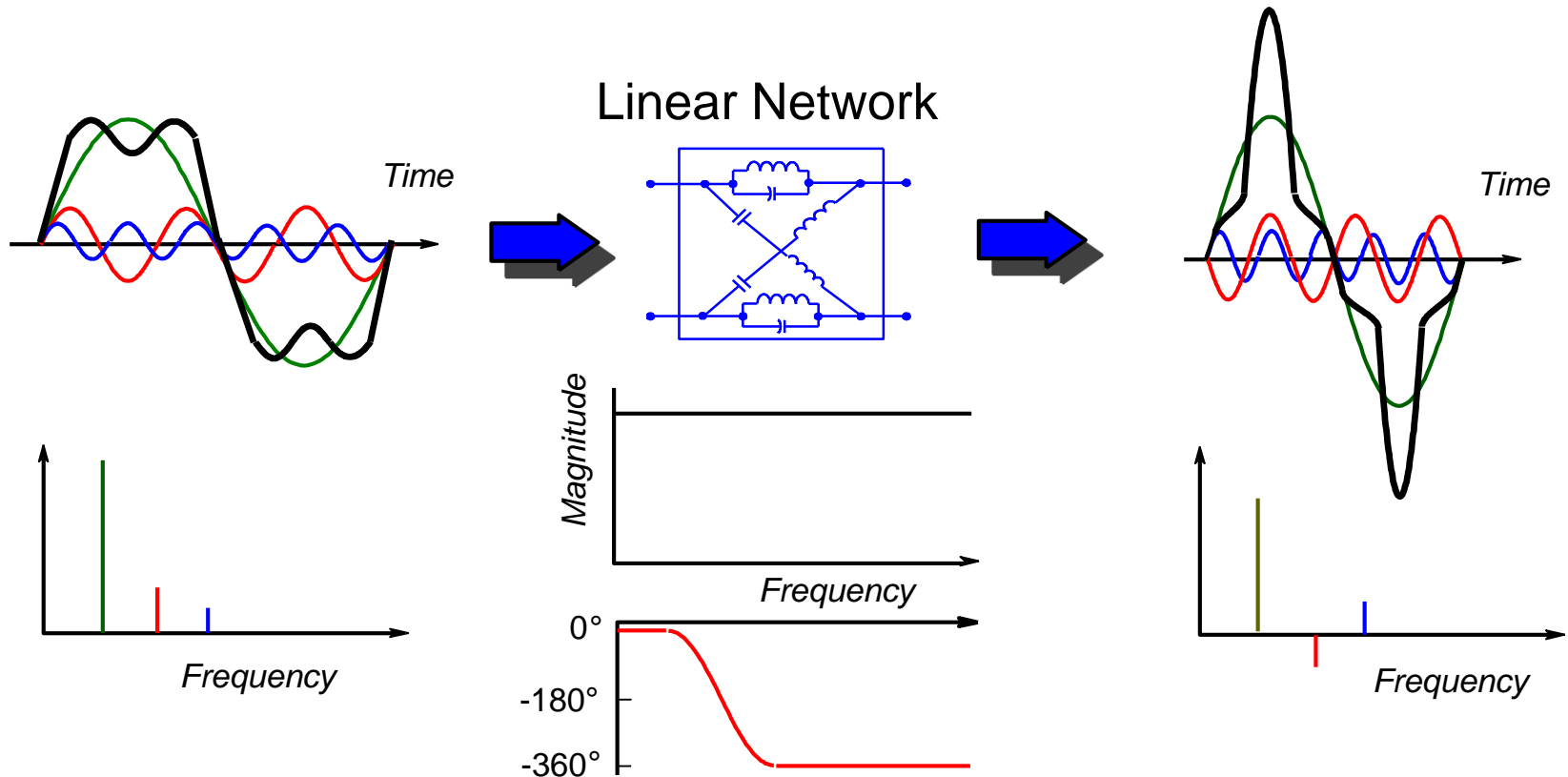


Nonlinear behavior:

- Output frequency may undergo frequency shift (e.g. with mixers)
- Additional frequencies created (harmonics, intermodulation)

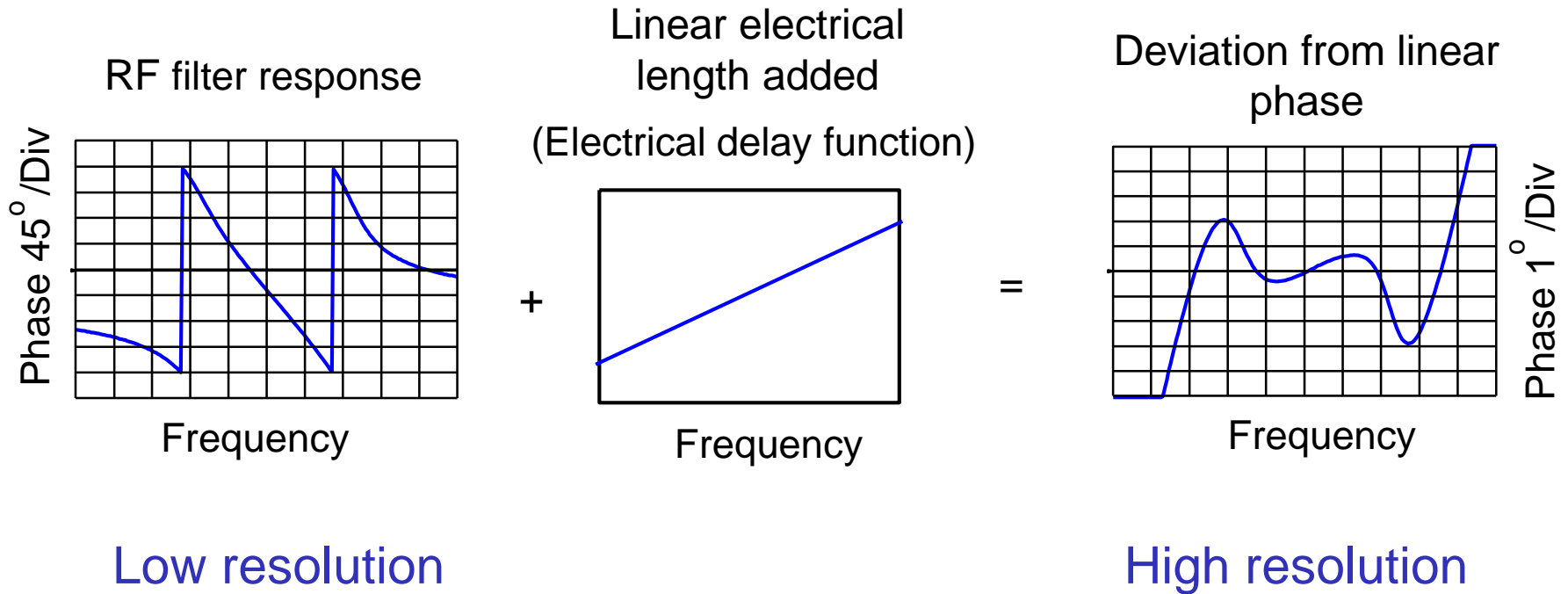
Phase Variation with Frequency

$$F(t) = \sin \omega t + \frac{1}{3} \sin 3\omega t + \frac{1}{5} \sin 5\omega t$$

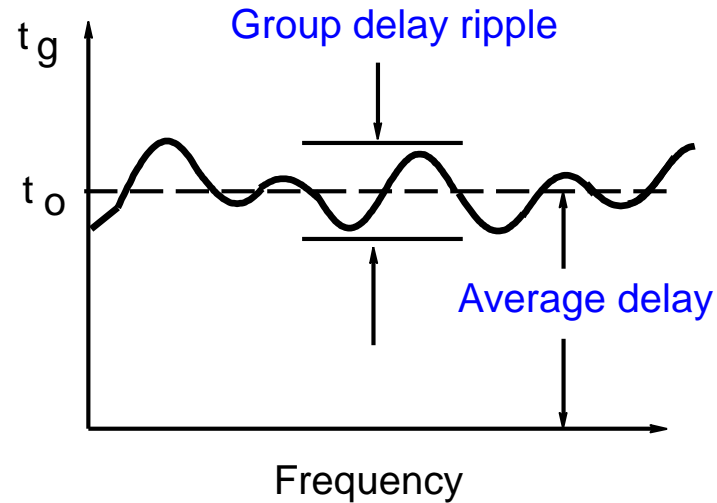
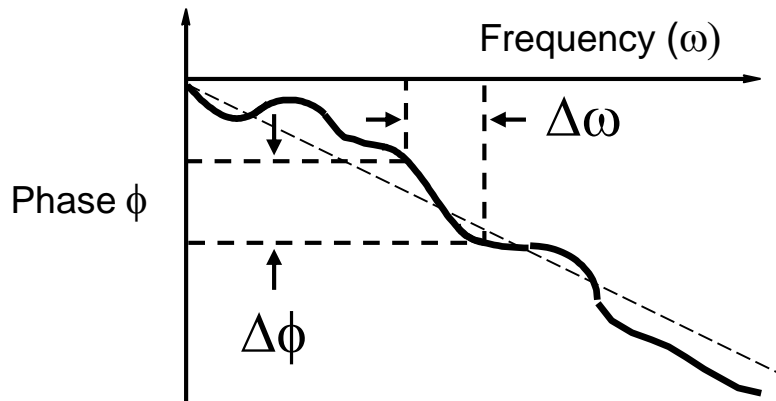


Deviation from Linear Phase

Use electrical delay to remove linear portion of phase response



Group Delay



Group Delay = (t_g)

$$\frac{-d\phi}{d\omega} = \frac{-1}{360^\circ} * \frac{d\phi}{df}$$

ϕ in radians

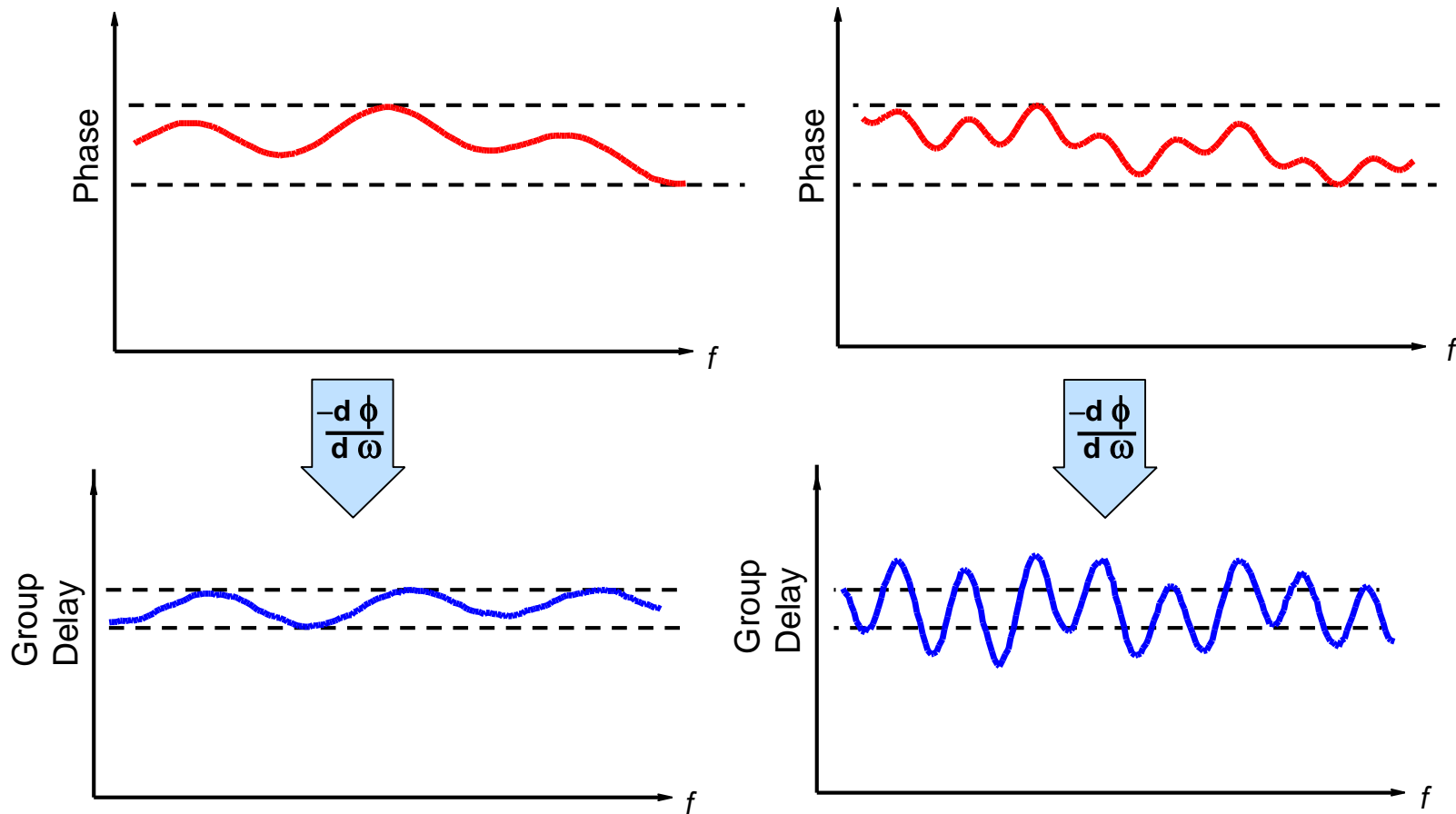
ω in radians/sec

ϕ in degrees

f in Hertz ($\omega = 2\pi f$)

- Group-delay ripple indicates phase distortion
- Average delay indicates electrical length of DUT
- Aperture ($\Delta\omega$) of measurement is very important

Why Measure Group Delay?

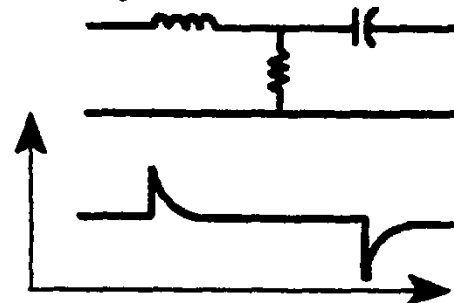


Same peak-peak phase ripple can result in different group delay

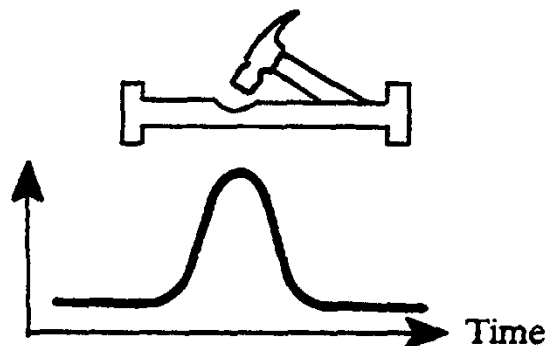
Why the Time Domain?

With the time domain information
we can:

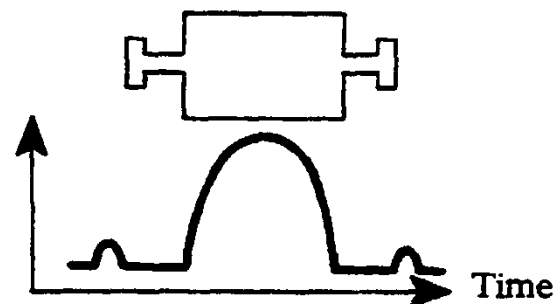
Identify Circuit Elements



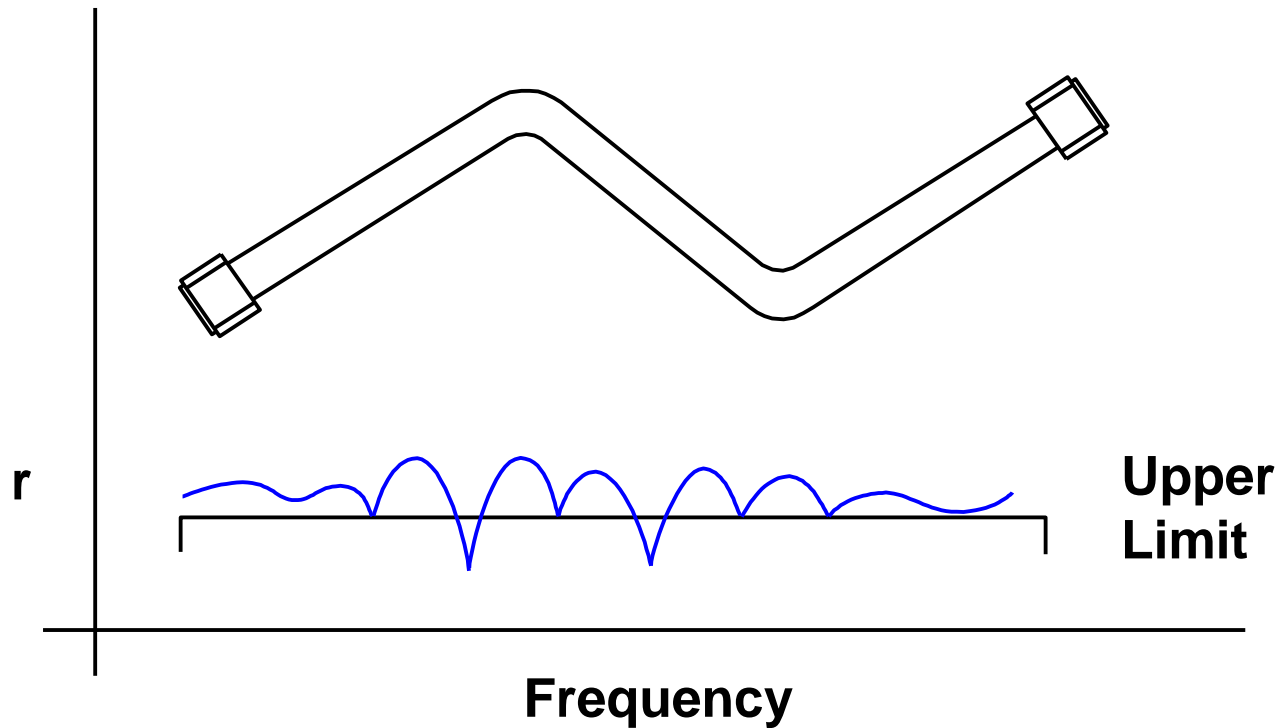
Locate Faults



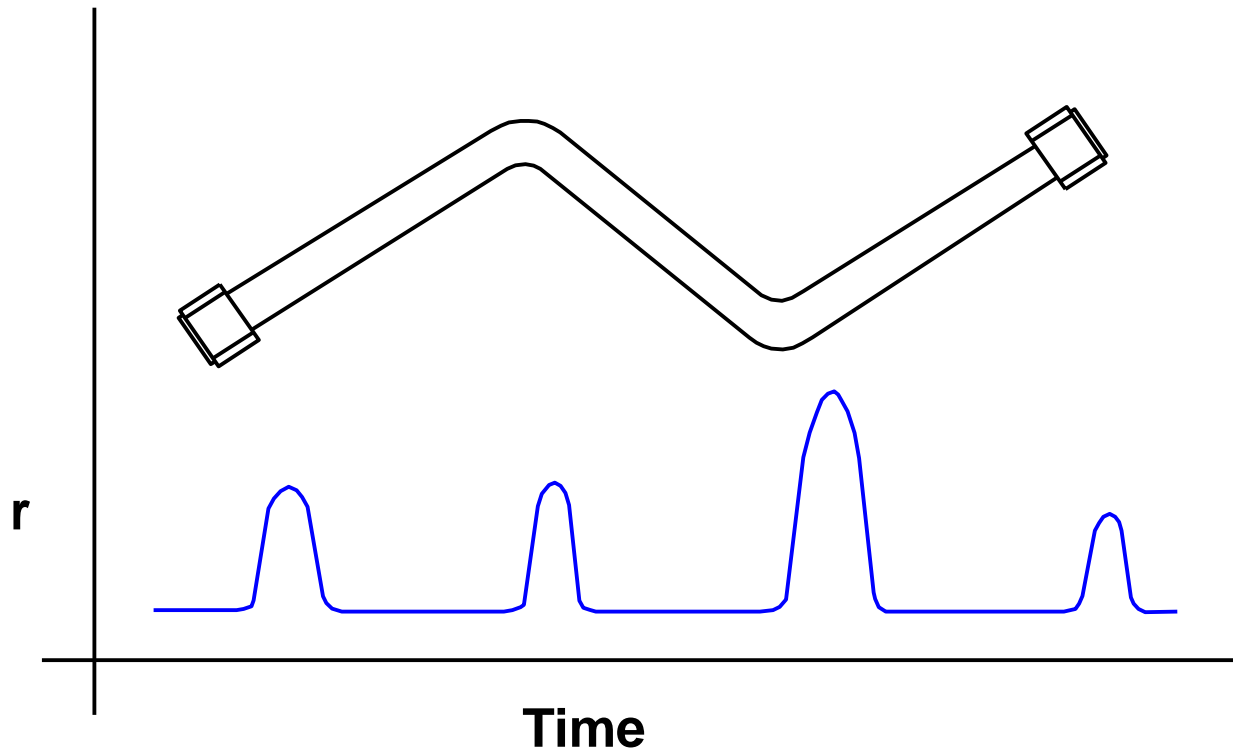
Identify and Remove
Unwanted Responses



Frequency Domain S_{11} Response of Semirigid Coax Cable



Time Domain S_{11} Response of Semirigid Coax Cable



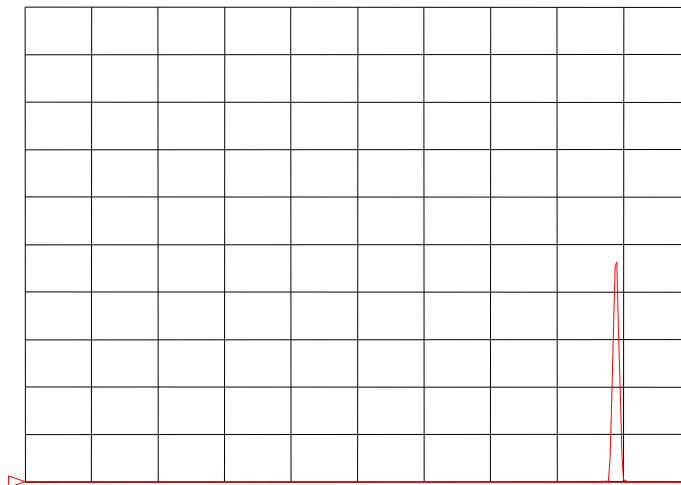
Fault Location Range Example: 10m cable

Effects of Changing Frequency Span

Band Pass Mode, 401 Points, Span changed from 5.0 GHz to 2.5 GHz
GHz Range = 160 ns (48 m)

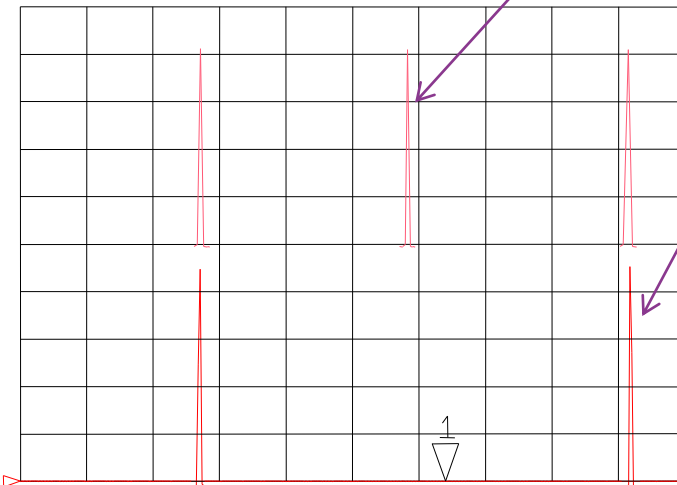
S₁₁ LINEAR
REF 0.0 Units
10.0 mUnits/

MARKER 1
160.0 ns
47.967 m



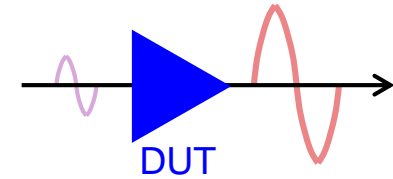
START 0.0 s
STOP 75.0 ns

S₁₁ LINEAR
REF 0.0 Units
1 10.0 mUnits/
Ñ 610.17 mU

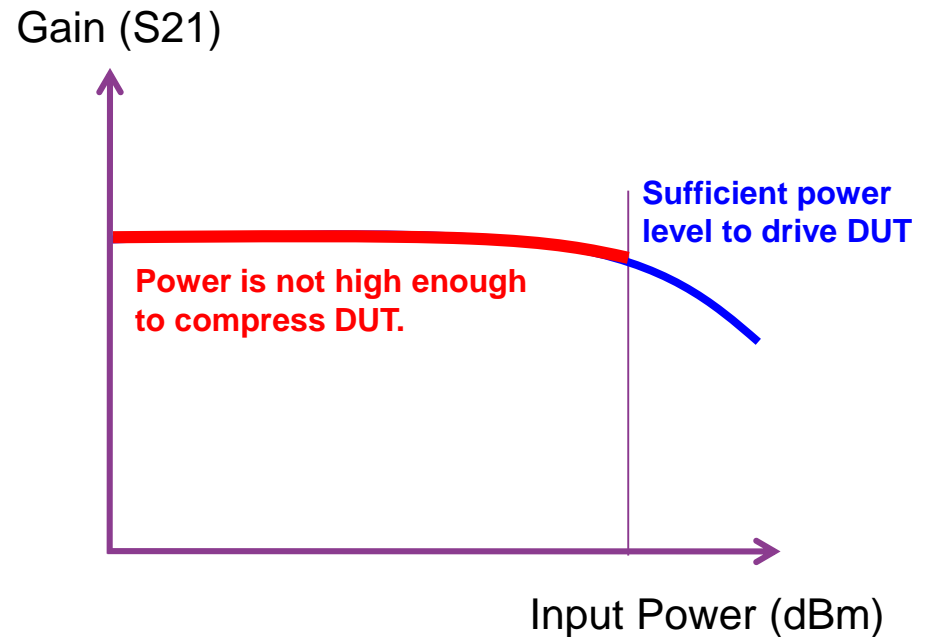
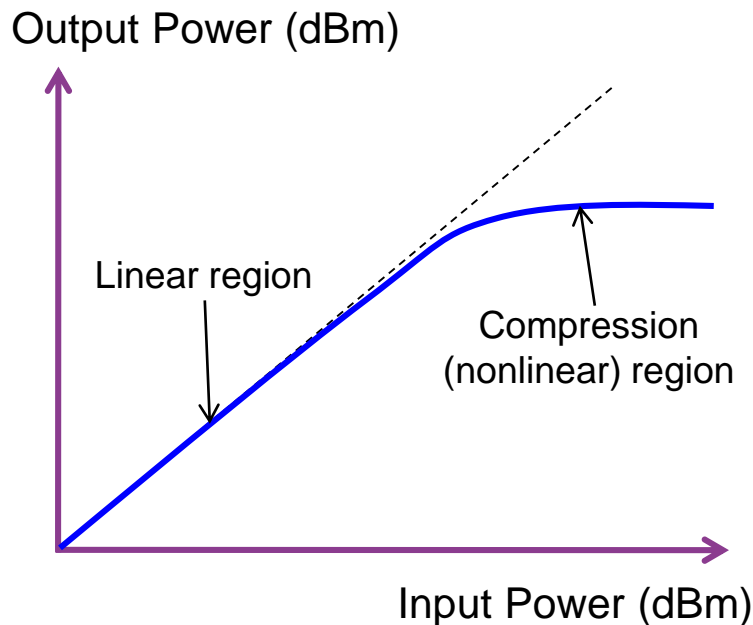


START 0.0 s
STOP 250.0 ns

Gain Compression

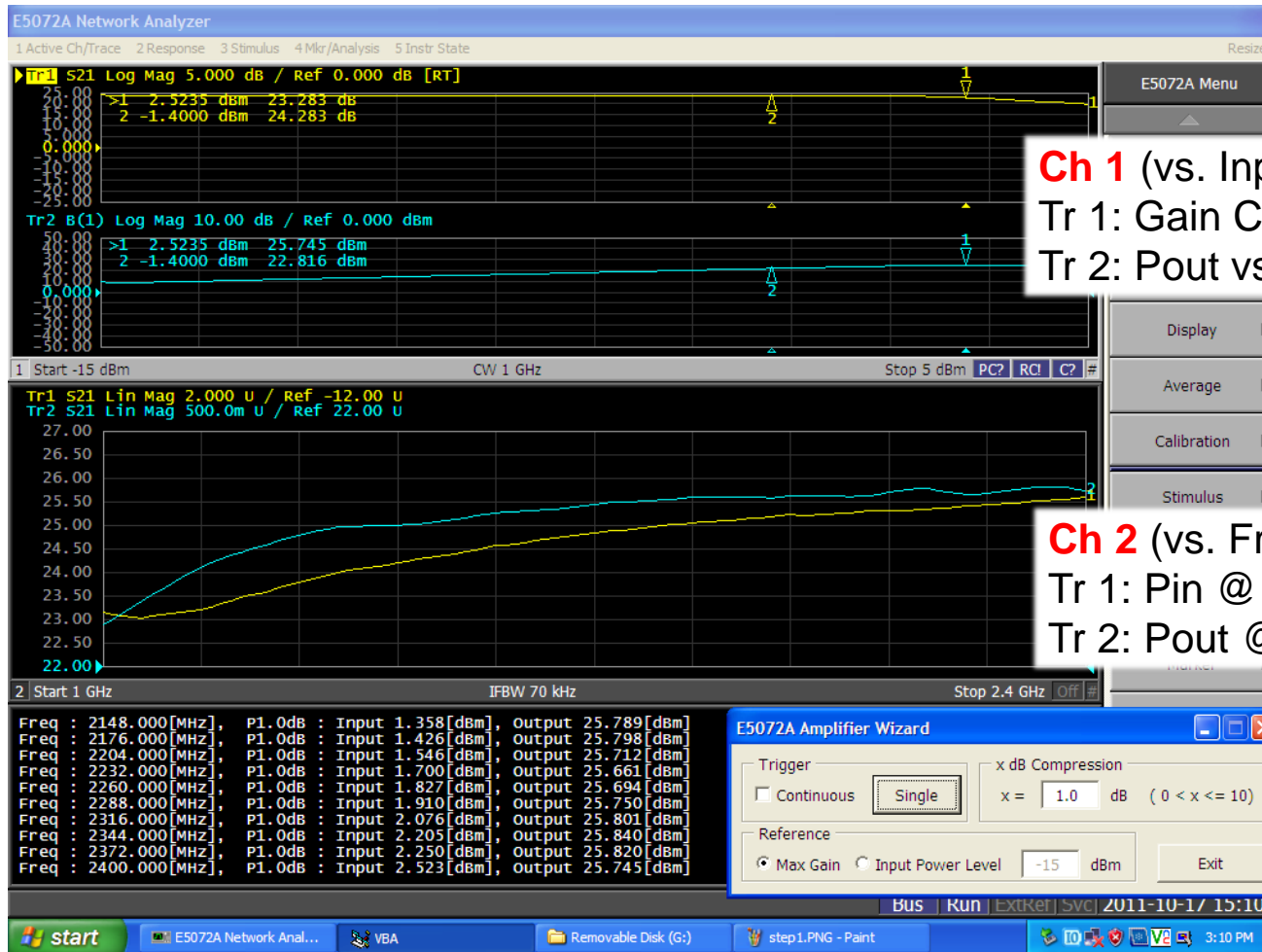


- Parameter to define the transition between the linear and nonlinear region of an active device.
- The compression point is observed as x dB drop in the gain with VNA's power sweep.



Enough margin of source power capability is needed for analyzers.

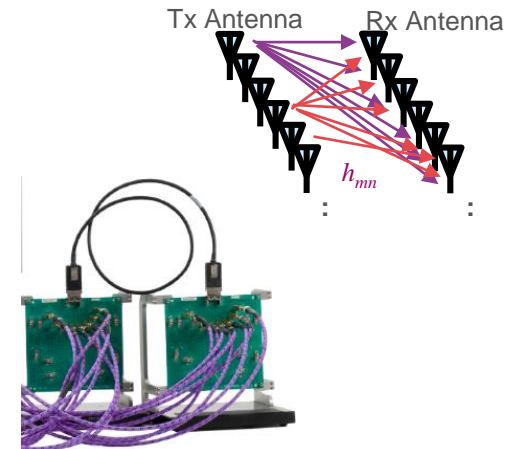
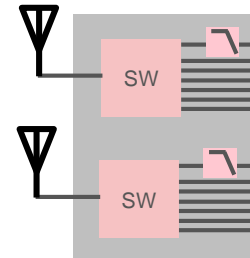
Gain Compression Measurement Example



Multiport Measurement

Application Examples

- RF front end modules / antenna switch modules
- Channel measurements of MIMO antennas
- Interconnects (ex. cables, connectors)
- General-purpose multiport devices

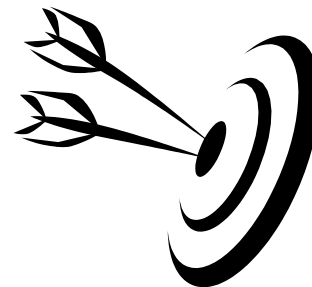


Agenda

Page 51

- Transmission Lines
- S-Parameters
- The Smith Chart
- Network Analysis Measurements
- Calibration and Error Correction

The Need For Calibration



– Why do we have to calibrate?

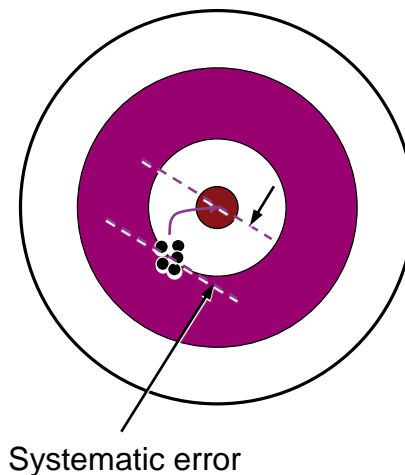
- It is impossible to make perfect hardware
- It would be extremely difficult and expensive to make hardware good enough to entirely eliminate the need for error correction

– How do we get accuracy?

- With vector-error-corrected calibration
- Not the same as the yearly instrument calibration

– What does calibration do for us?

- Removes the largest contributor to measurement uncertainty: systematic errors
- Provides best picture of true performance of DUT



Measurement Error Modeling

– *Systematic errors*



- Due to imperfections in the analyzer and test setup
- Assumed to be time invariant (predictable)
- Generally, are largest sources of error

– *Random errors*

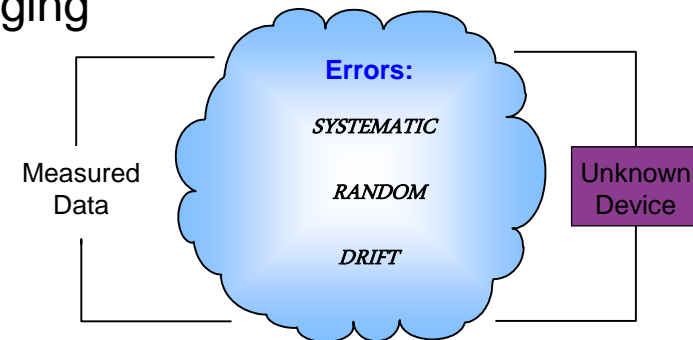


- Vary with time in random fashion (unpredictable)
- Main contributors: instrument noise, switch and connector repeatability

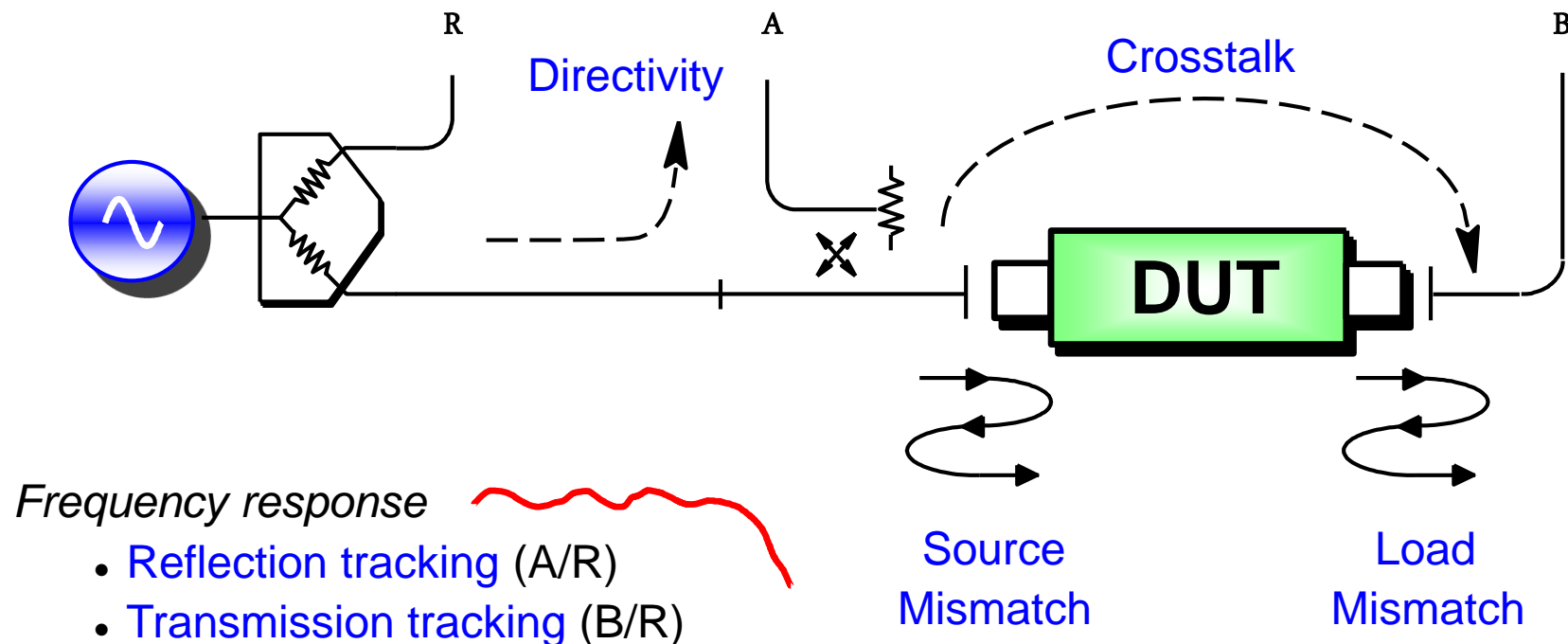
– *Drift errors*



- Due to system performance changing **after** a calibration has been done
- Primarily caused by **temperature variation**



Systematic Measurement Errors



Six forward and six reverse error terms yields 12 error terms for two-port devices

Types of Error Correction

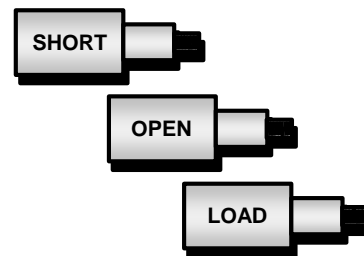
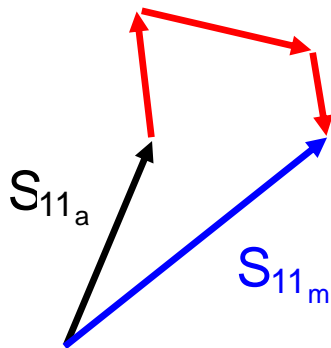
– Response (normalization)

- Simple to perform
- Only corrects for tracking (frequency response) errors
- Stores reference trace in memory, then does data divided by memory

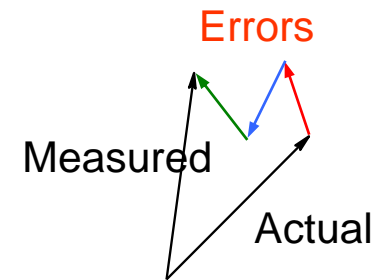


– Vector

- Requires more calibration standards
- Requires an analyzer that can measure phase
- Accounts for all major sources of systematic error



What is Vector-Error Correction?



– Vector-error correction...

- Is a process for characterizing systematic error terms
- Measures known electrical standards
- Removes effects of error terms from subsequent measurements

– Electrical standards...

- Can be mechanical or electronic
- Are often an open, short, load, and thru, but can be arbitrary impedances as well

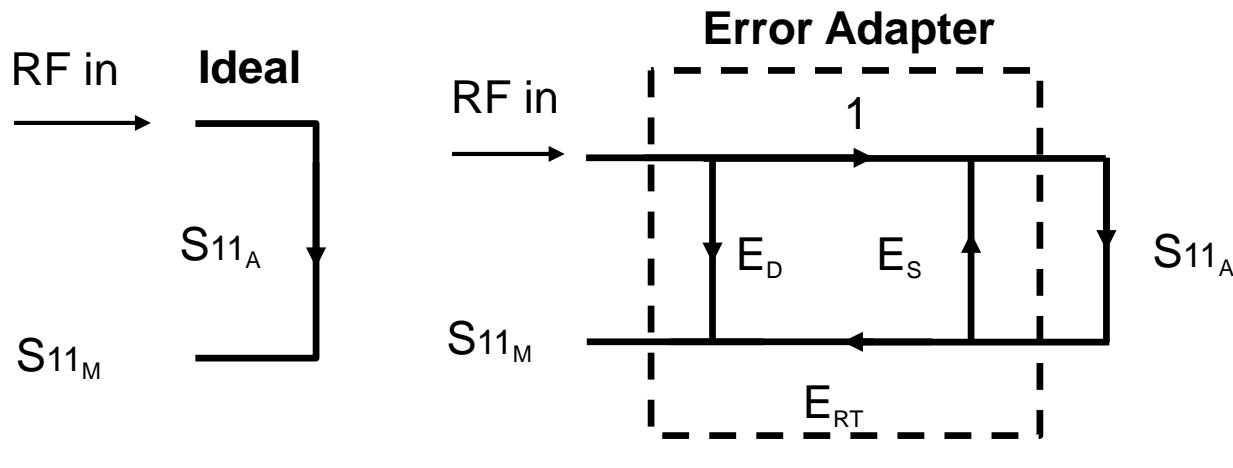


Using Known Standards to Correct for Systematic Errors

- **1-port calibration** (*reflection measurements*)
 - Only three systematic error terms measured
 - Directivity, source match, and reflection tracking
- **Full two-port calibration** (*reflection and transmission measurements*)
 - Twelve systematic error terms measured
 - Usually requires 12 measurements on four known standards (SOLT)
- **Standards defined in cal kit definition file**
 - Network analyzer contains standard cal kit definitions
 - **CAL KIT DEFINITION MUST MATCH ACTUAL CAL KIT USED!**
 - User-built standards must be characterized and entered into user cal-kit



Reflection: One-Port Model



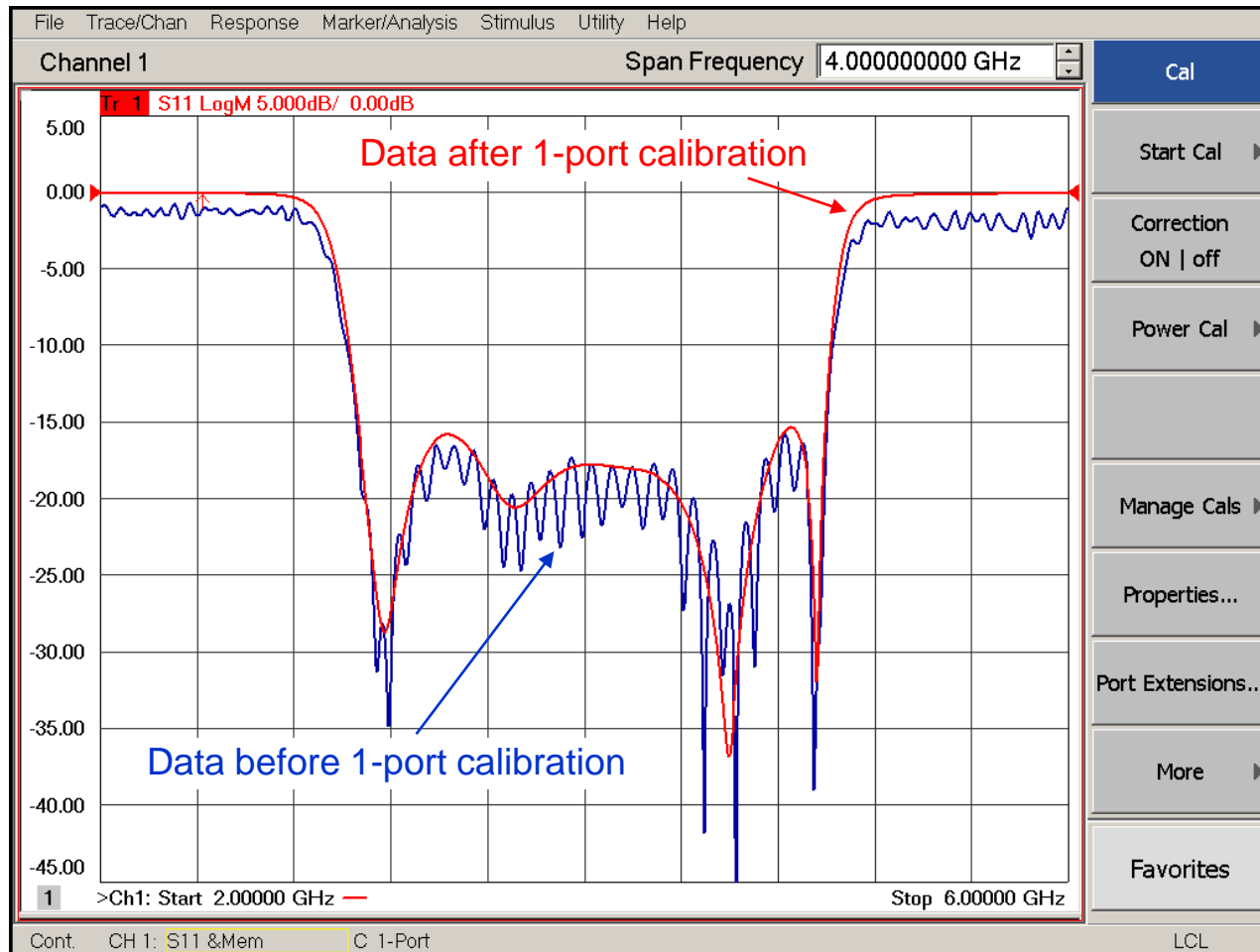
E_D = Directivity
 E_{RT} = Reflection tracking
 E_S = Source Match
 $S11_M$ = Measured
 $S11_A$ = Actual

To solve for error terms, we measure 3 standards to generate 3 equations and 3 unknowns

$$S11_M = E_D + E_{RT} \left[\frac{S11_A}{1 - E_S S11_A} \right]$$

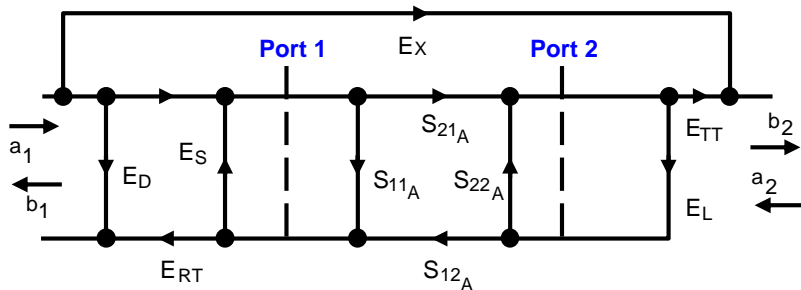
- Assumes good termination at port two if testing two-port devices
- If using port two of NA *and* DUT reverse isolation is low (e.g., filter passband):
 - Assumption of good termination is not valid
 - Two-port error correction yields better results

Before and After A One-Port Calibration



Two-Port Error Correction

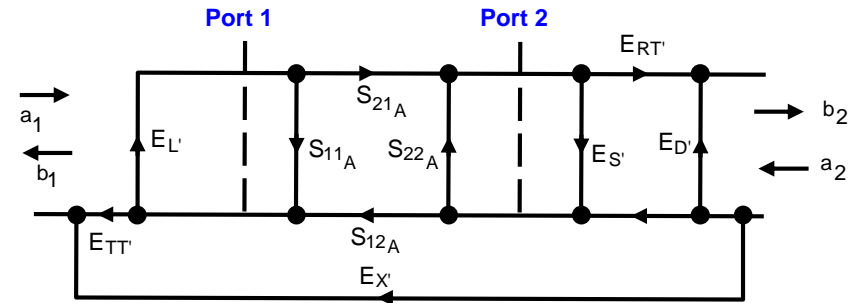
Forward model



E_D = fwd directivity
 E_S = fwd source match
 E_{RT} = fwd reflection tracking
 $E_{D'}$ = rev directivity
 $E_{S'}$ = rev source match
 $E_{RT'}$ = rev reflection tracking
 E_L = fwd load match
 E_{TT} = fwd transmission tracking
 E_X = fwd isolation
 $E_{L'}$ = rev load match
 $E_{TT'}$ = rev transmission tracking
 $E_{X'}$ = rev isolation

- Each actual S-parameter is a function of all four measured S-parameters
- Analyzer must make forward *and* reverse sweep to update any one S-parameter
- Luckily, you don't need to know these equations to **use** a network analyzers!!!

Reverse model



$$S_{11a} = \frac{\left(\frac{S_{11m} - E_D}{E_{RT}}\right)\left(1 + \frac{S_{22m} - E_{D'}}{E_{RT'}} E_{S'}\right) - E_L \left(\frac{S_{21m} - E_X}{E_{TT}}\right) \left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)}{\left(1 + \frac{S_{11m} - E_{D'}}{E_{RT}} E_S\right)\left(1 + \frac{S_{22m} - E_{D'}}{E_{RT'}} E_{S'}\right) - E_{L'} E_L \left(\frac{S_{21m} - E_X}{E_{TT}}\right) \left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)}$$

$$S_{21a} = \frac{\left(\frac{S_{21m} - E_X}{E_{TT}}\right)\left(1 + \frac{S_{22m} - E_{D'}}{E_{RT'}} (E_{S'} - E_L)\right)}{\left(1 + \frac{S_{11m} - E_D}{E_{RT}} E_S\right)\left(1 + \frac{S_{22m} - E_{D'}}{E_{RT'}} E_{S'}\right) - E_{L'} E_L \left(\frac{S_{21m} - E_X}{E_{TT}}\right) \left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)}$$

$$S_{12a} = \frac{\left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)\left(1 + \frac{S_{11m} - E_D}{E_{RT}} (E_S - E_{L'})\right)}{\left(1 + \frac{S_{11m} - E_D}{E_{RT}} E_S\right)\left(1 + \frac{S_{22m} - E_{D'}}{E_{RT'}} E_{S'}\right) - E_{L'} E_L \left(\frac{S_{21m} - E_X}{E_{TT}}\right) \left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)}$$

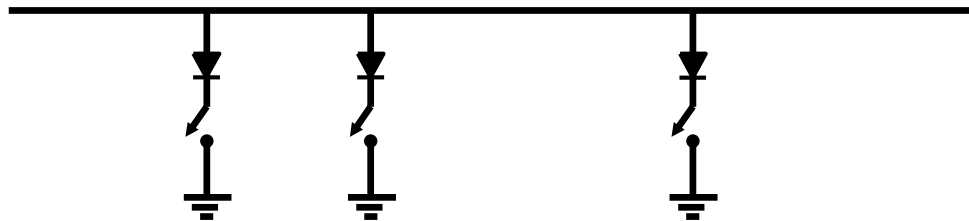
$$S_{22a} = \frac{\left(\frac{S_{22m} - E_{D'}}{E_{RT'}}\right)\left(1 + \frac{S_{11m} - E_D}{E_{RT}} E_S\right) - E_{L'} \left(\frac{S_{21m} - E_X}{E_{TT}}\right) \left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)}{\left(1 + \frac{S_{11m} - E_D}{E_{RT}} E_S\right)\left(1 + \frac{S_{22m} - E_{D'}}{E_{RT'}} E_{S'}\right) - E_{L'} E_L \left(\frac{S_{21m} - E_X}{E_{TT}}\right) \left(\frac{S_{12m} - E_{X'}}{E_{TT'}}\right)}$$

ECal: Electronic Calibration

- Variety of two- and four-port modules cover 300 kHz to 67 GHz
- Nine connector types available, 50 and 75 ohms
- Single-connection calibration
 - dramatically reduces calibration time
 - makes calibrations easy to perform
 - minimizes wear on cables and standards
 - eliminates operator errors
- Highly repeatable temperature-compensated characterized terminations provide excellent accuracy



USB Controlled



Microwave modules use a transmission line shunted by PIN-diode switches in various combinations

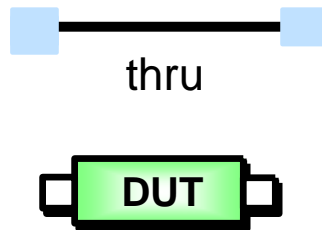
Errors and Calibration Standards

UNCORRECTED FULL 2-PORT



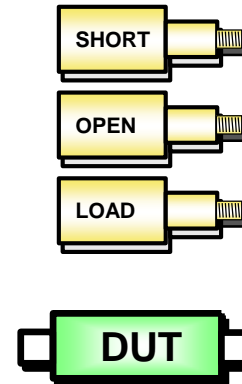
- Convenient
- Generally not accurate
- No errors removed

RESPONSE

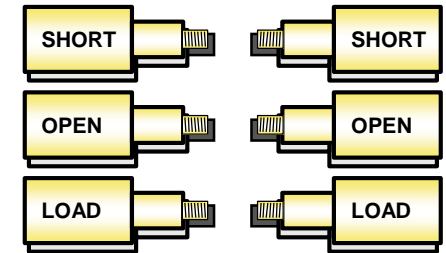


- Easy to perform
- Use when highest accuracy is not required
- Removes frequency response error

1-PORT



- For reflection measurements
- Need good termination for high accuracy with two-port devices
- Removes these errors:
 - Directivity
 - Source match
 - Reflection tracking



- Highest accuracy
- Removes these errors:
 - Directivity
 - Source, load match
 - Reflection tracking
 - Transmission tracking
 - Crosstalk

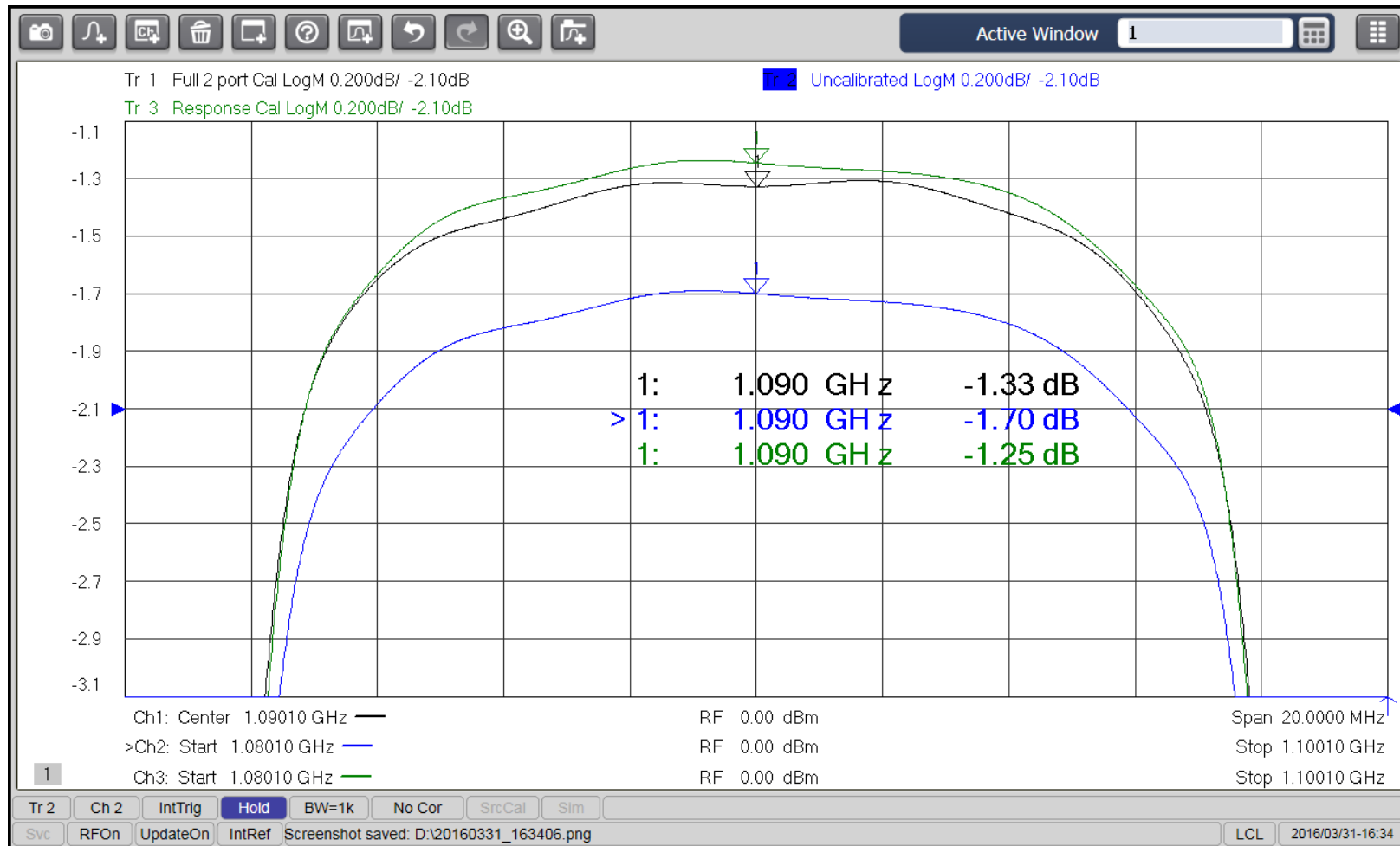
ENHANCED-RESPONSE

- Combines response and 1-port
- Corrects source match for transmission measurements

Demonstration

VNA showing Band Pass Filter

Uncalibrated, Response Cal and Full 2 port calibration



Wrap-Up

Page 64

- Transmission Lines
- S-Parameters
- The Smith Chart
- Network Analysis Measurements
- Calibration and Error Correction



For more information,
www.keysight.com/find/na