
Flux measurements with DUNE ND: ν +e elastic & low- ν

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From 35,000 feet

- We want to measure the flux at the near detector
- Generally:

$$\Phi(E_\nu^{true}) = \frac{\int D(E_\nu^{true}, E_\nu^{reco}) N(E_\nu^{reco}) dE_\nu^{reco}}{\epsilon(E_\nu^{true}) \sigma(E_\nu^{true})}$$

- Ideally, identify a subsample with known $\sigma(E)$ and simple, well-understood energy smearing matrix D
- Alternatively, use two samples:
 - 1) Known absolute $\sigma(E)$
 - 2) Known $\sigma(E)$ *shape*, simple matrix D

Sample 1: $\nu+e$ elastic scattering

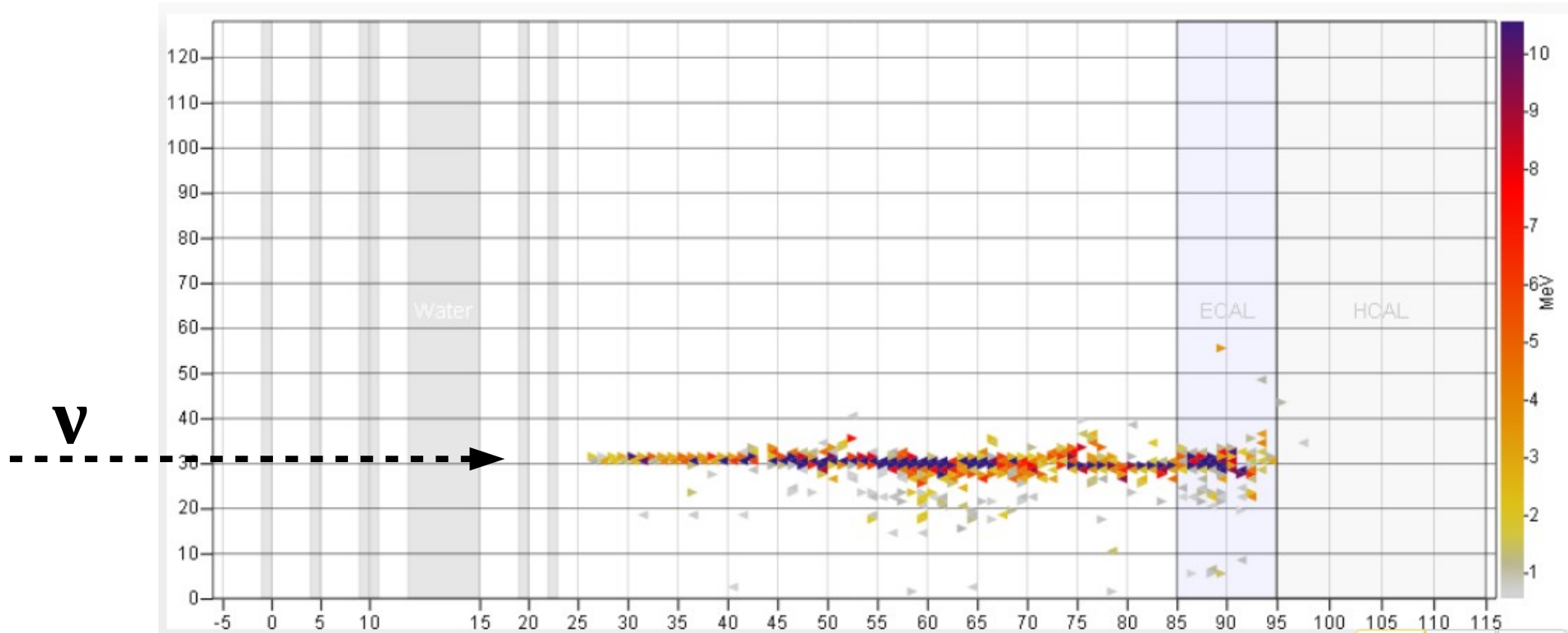
- Purely electroweak process with known cross section*:

$$\frac{d\sigma}{dy} = \frac{G_F^2 m_e E_\nu}{2\pi} \left(\left(\frac{1}{2} - \sin^2 \theta_W \right) + \sin^4 \theta_W (1 - y)^2 \right)$$

- No nuclear effects!
- Straightforward measurement of total flux
- Theoretically possible to measure $\Phi(E)$, but extracting y is very challenging
 - More on this later

*radiative corrections need to be calculated and implemented in GENIE

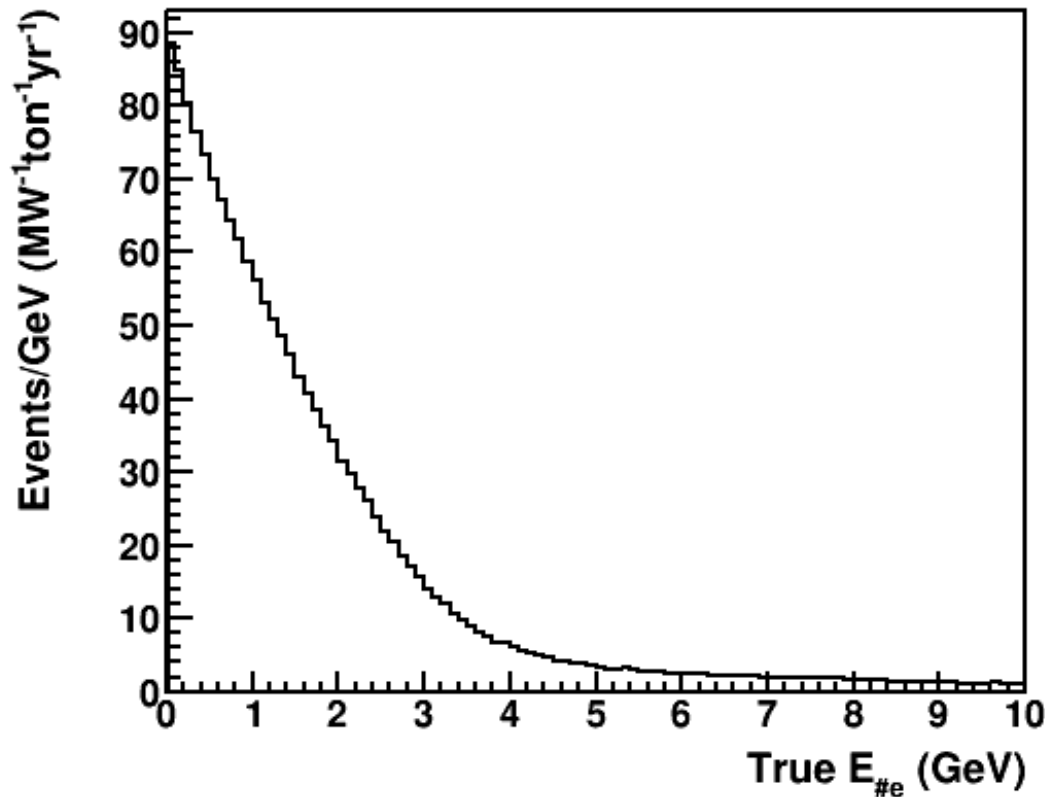
$\nu+e$ scattering



- Example from MINERvA shown
- Signal is very forward electron and no other activity
- $E_e \theta^2 = 2m_e(1-y) < 2m_e$

$\nu+e$ signal spectrum

80GeV 3-horn optimized flux
Ar target @ 574m



- Spectrum falls with electron energy
- Reconstruction will be very challenging at very low energies, and there will be some minimum shower energy
- In MINERvA this was 0.8 GeV, but DUNE ND should do better

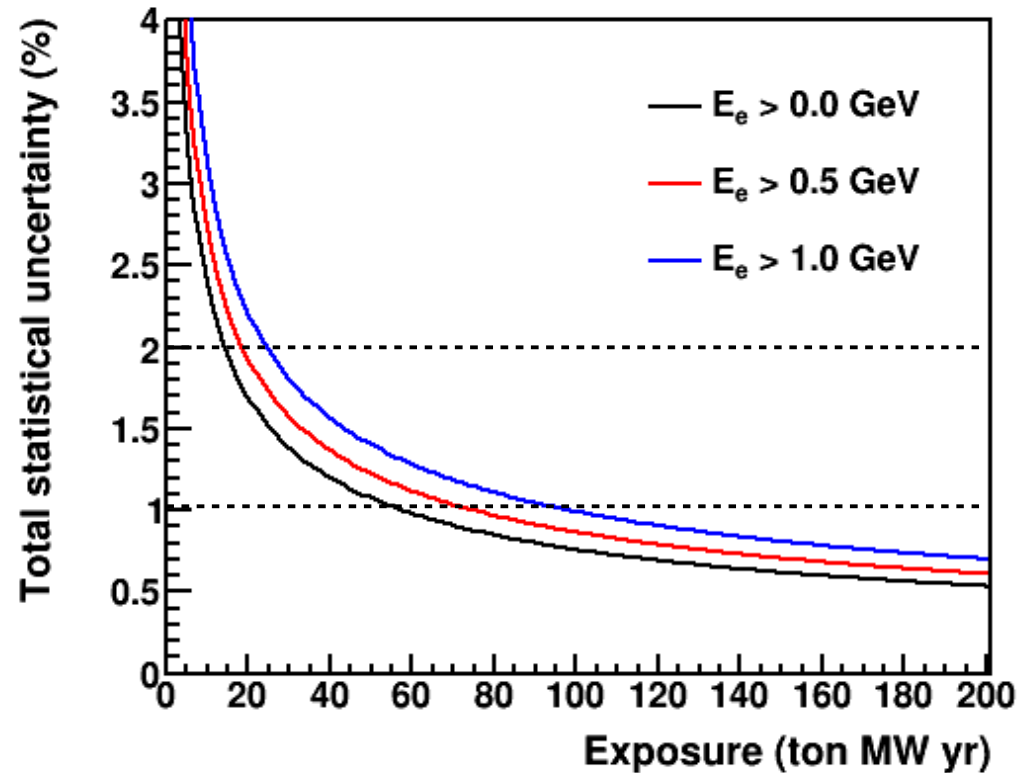
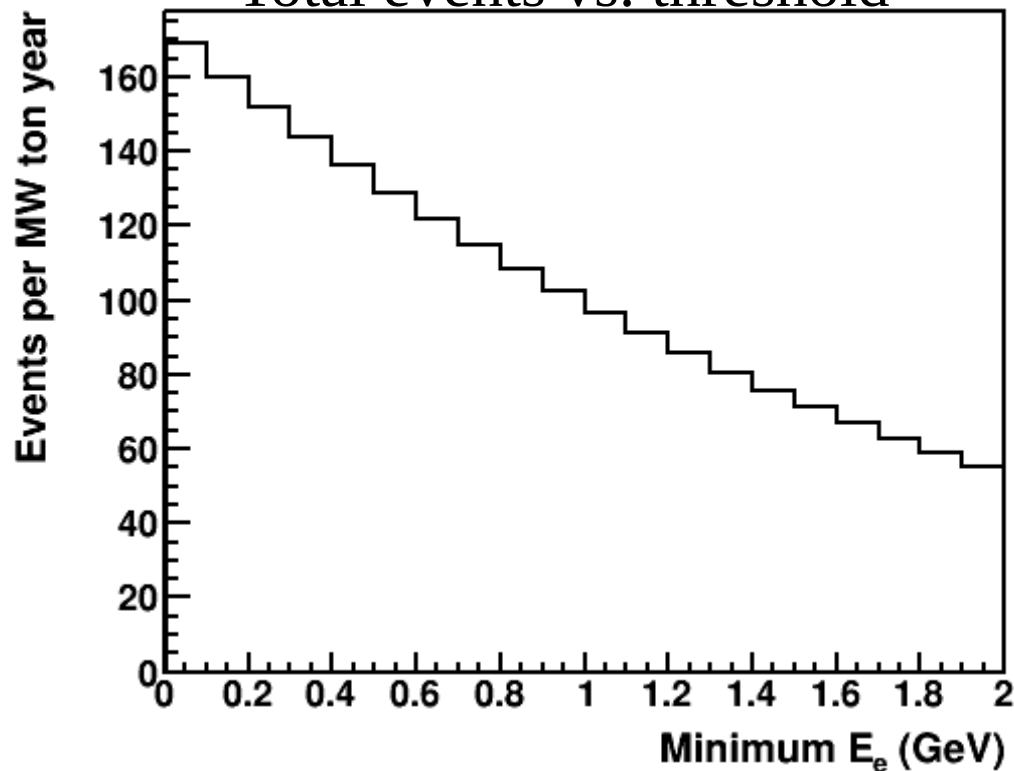
$\nu+e$ event rate in DUNE flux

80GeV 3-horn optimized flux

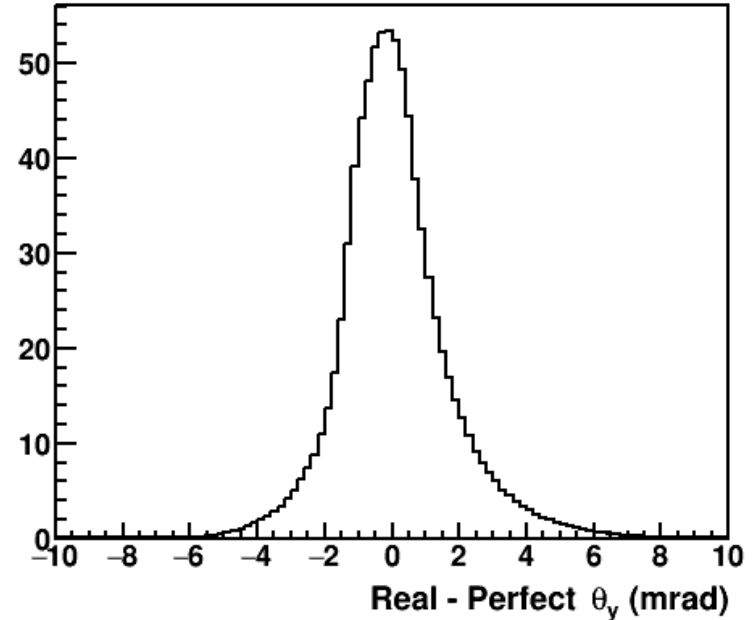
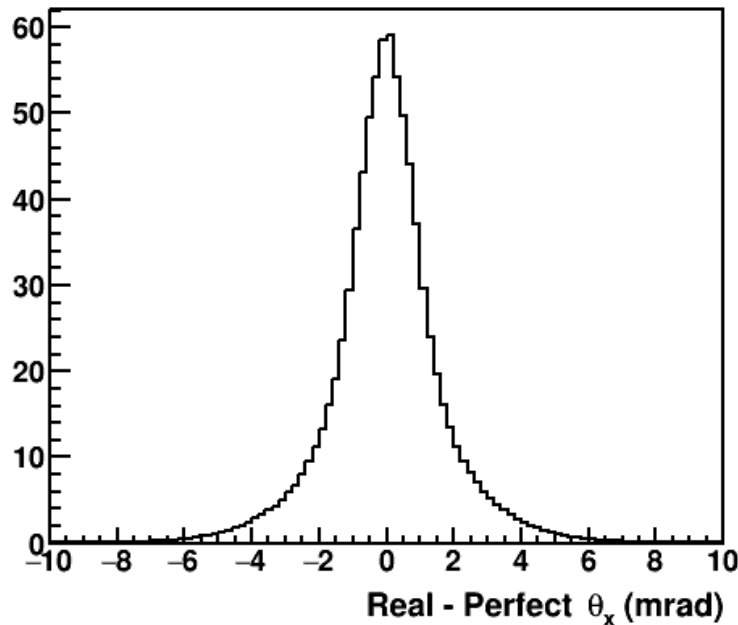
Ar target @ 574m

Step function efficiency

Total events vs. threshold



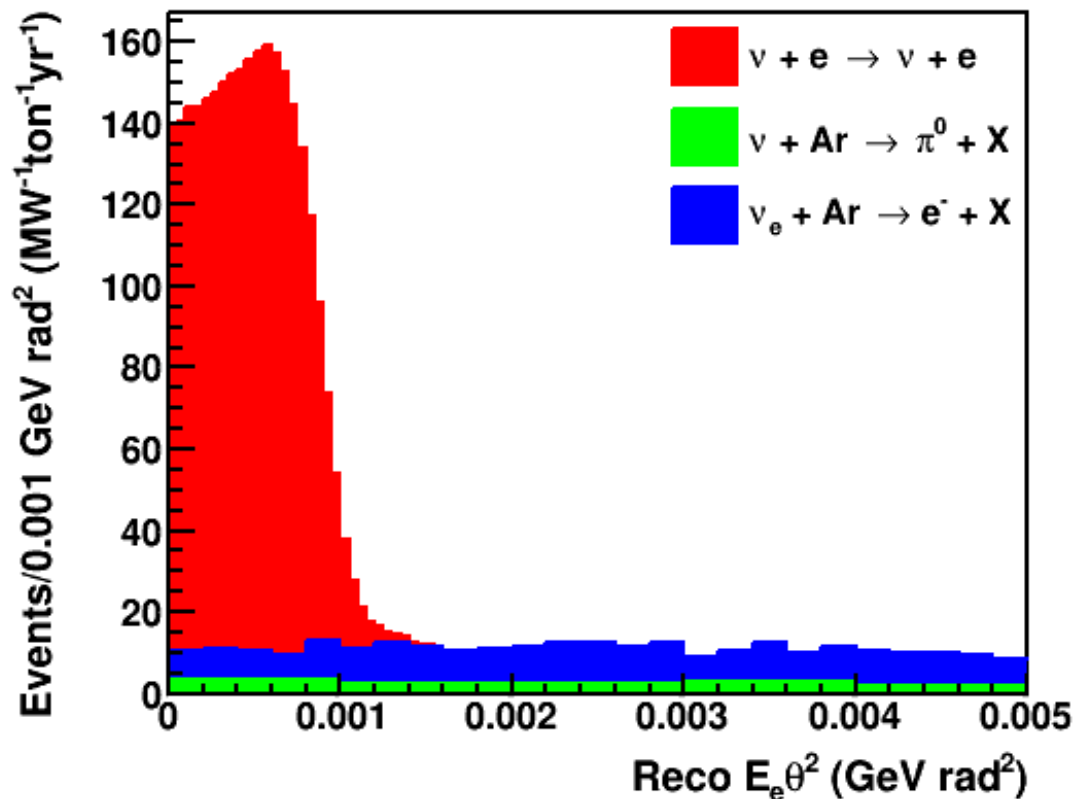
Beam angle at 574m



- “Perfect” is if you knew the incoming neutrino direction exactly event-by-event
- “Real” is correcting for the mean beam angle only

$\nu+e$ background

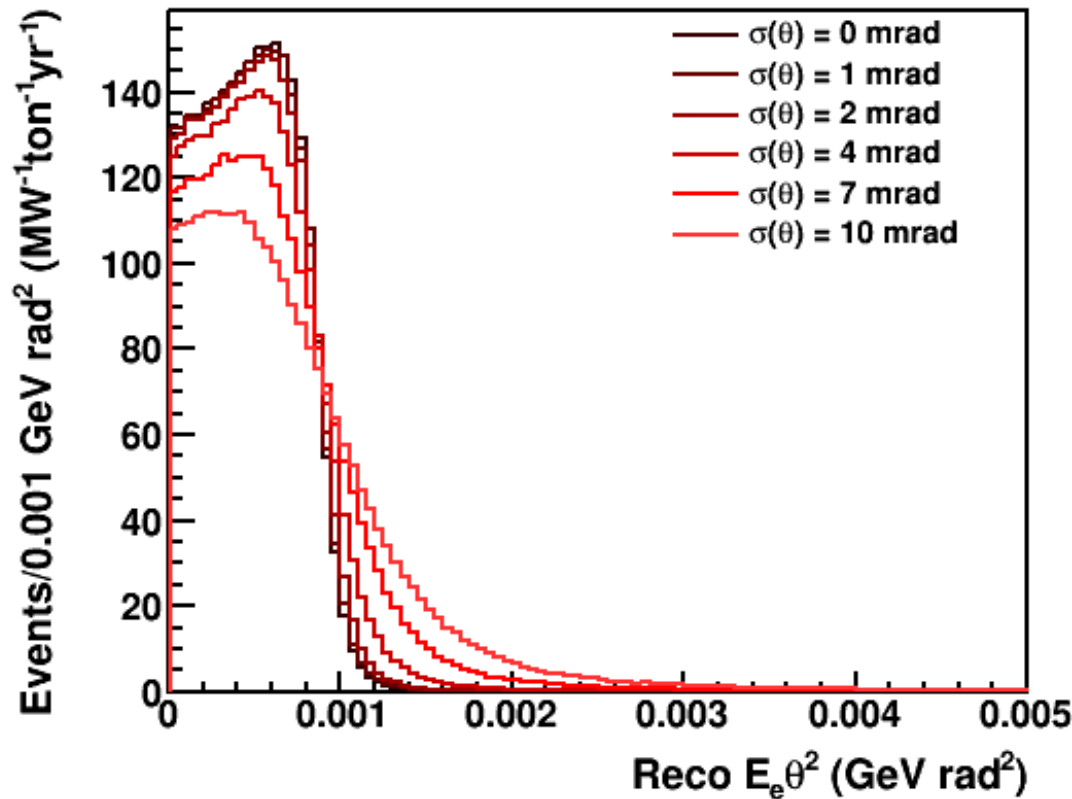
$\sigma(E) = 5\%$, $\sigma(\theta) = 2$ mrad, $E_e > 0.5$ GeV



- Background events with $\Sigma(\text{charged hadron KE} + \text{EM total E}) < 20$ MeV
- π^0 events have second photon energy < 50 MeV, or photon opening angle < 2 mrad
- Assumes 10x rejection of γ (green), FGT CDR claims 100x

$E\theta^2$ cut in DUNE

$\sigma(E) = 5\%$



- For 0.5 GeV threshold
- Not very sensitive to electron energy resolution
- For < 4 mrad angular resolution, can cut at 0.0015 and reduce background by a factor of 2 compared to MINERvA

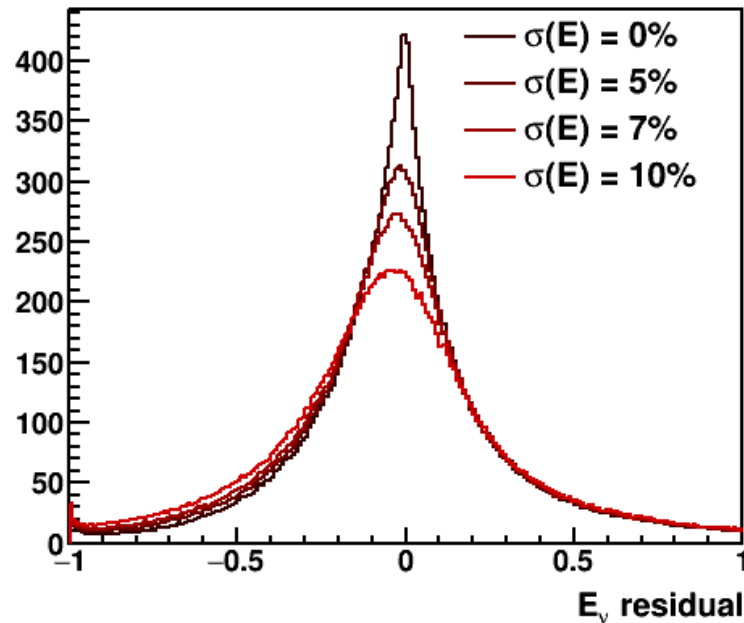
Potential for shape information

- 2-body scattering
- For known neutrino direction, can reconstruct neutrino energy from lepton kinematics
- Requires excellent angular resolution

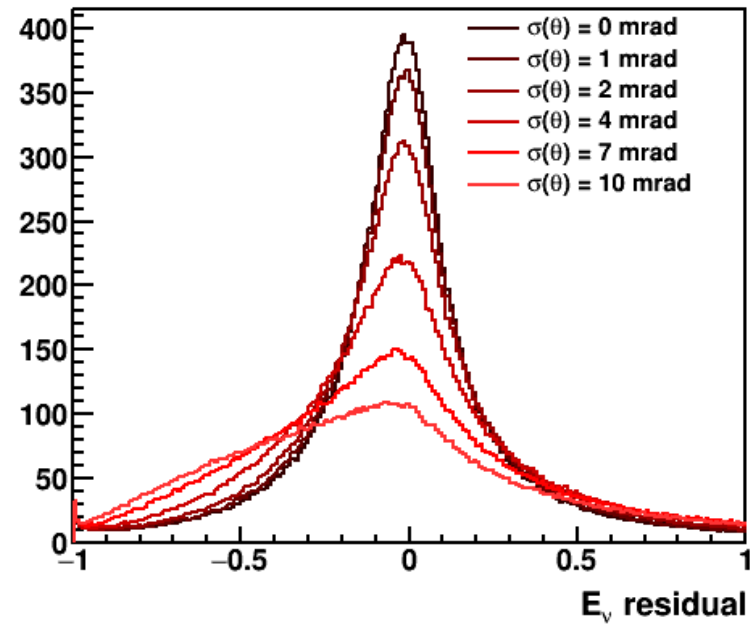
$$E_\nu = \frac{E_e}{1 - \frac{E_e(1 - \cos \theta)}{m}} \approx \frac{E_e}{1 - \frac{E_e \theta^2}{2m}}$$

Neutrino energy residuals

$\sigma(\theta) = 2 \text{ mrad}$

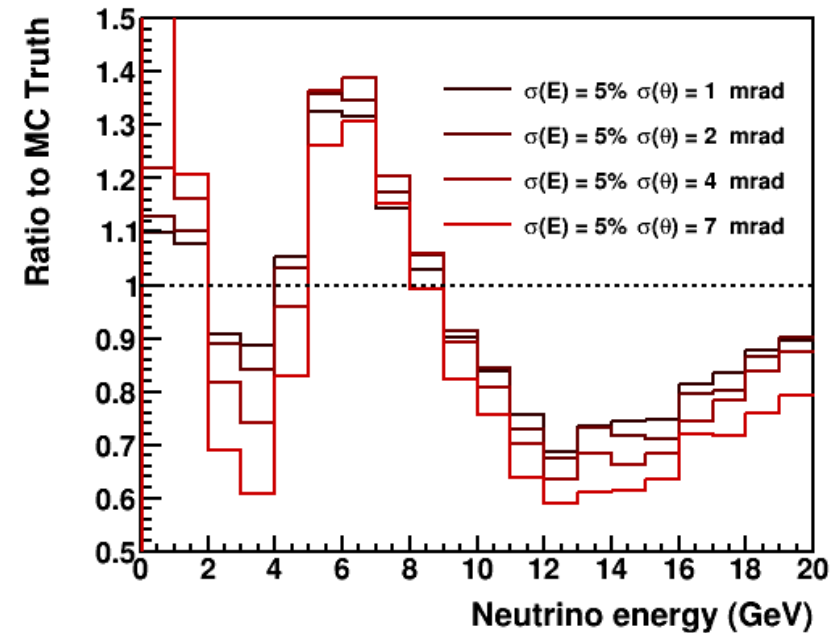
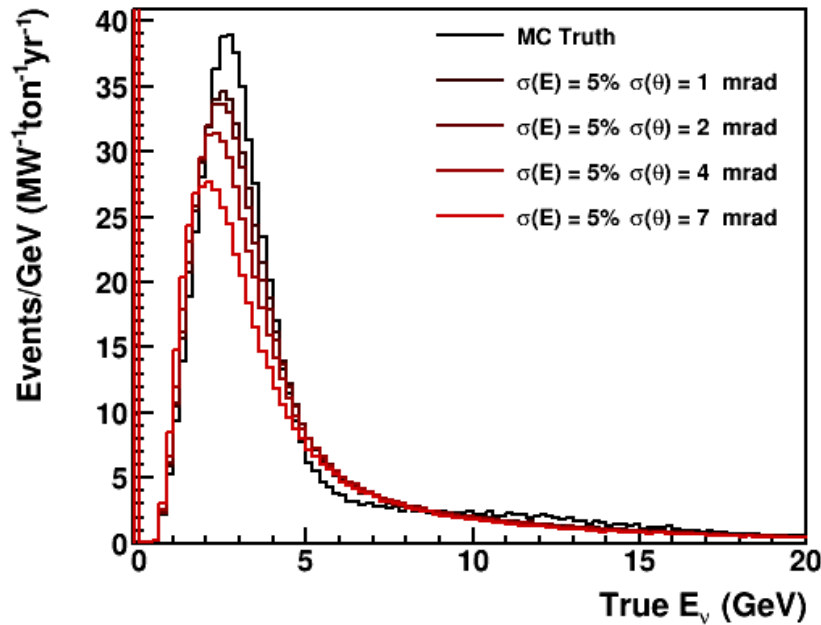


$\sigma(E) = 5\%$



- $(\text{Reco} - \text{True})/\text{True}$ neutrino energy
- Left: varying electron energy resolution
- Right: varying electron angle resolution

Reconstructed neutrino energy



- y reconstructs negative when $E\theta^2 > 2 m_e$
- Even with $\sim 2\text{mrad}$ angular resolution, there are $\sim 20\%$ corrections to the spectrum

$\nu+e$ conclusions

- 1% statistical uncertainty in ~ 100 ton MW yrs at 574m
- Background systematic of $\sim 0.5\%$ is realistic with expected improvements to generators
- Need $< 0.6\%$ uncertainty on efficiency to get to 1% systematic
- 5% energy resolution and 4-7 mrad angular resolution is good enough for rate measurement
- Shape is difficult, even with 1-2 mrad angular resolution
- At 360m, intrinsic neutrino direction dispersion roughly doubles

Sample 2: Charged-current low- ν

- Differential cross section can be written as:

$$\frac{d\sigma}{d\nu} = A + B \frac{\nu}{E} - C \frac{\nu^2}{2E^2} \quad \lim_{\frac{\nu}{E} \rightarrow 0} \frac{d\sigma}{d\nu} = A$$

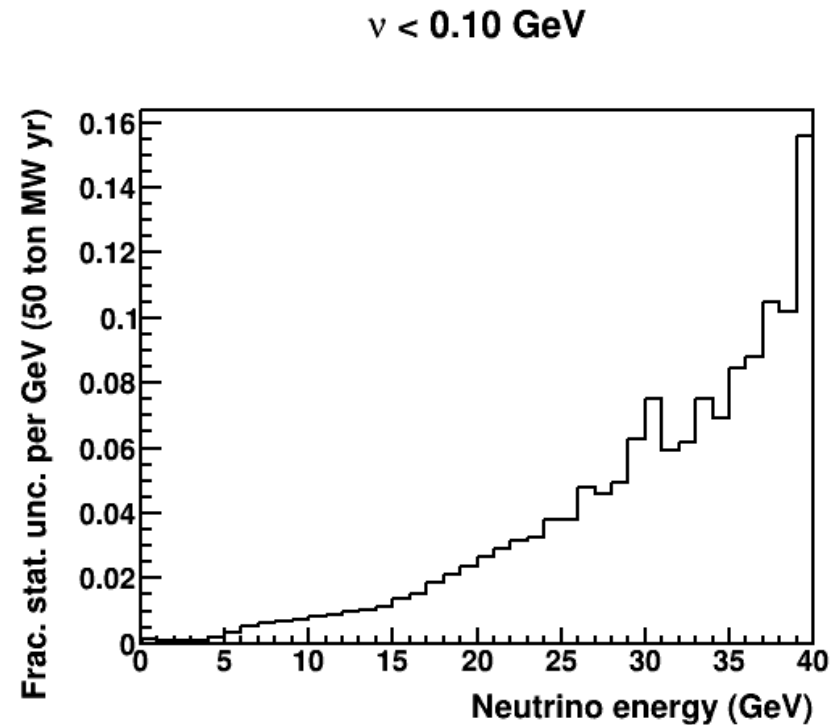
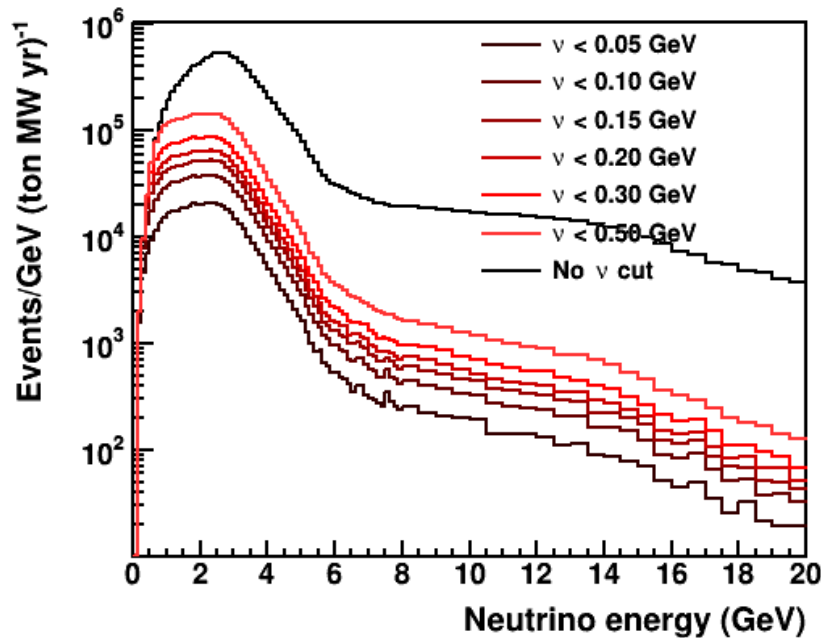
- A, B, and C are integrals of structure functions
- $\nu = E_{\text{had}} = E_\nu - E_{\text{lep}}$
- In practice, the low- ν sample is defined with some finite cut $\nu_0 \ll E_\nu$

$$S(E) = \frac{\sigma(E)^{\nu < \nu_0}}{\sigma(E)^{\nu \rightarrow 0}} = \frac{\sigma(E)^{\nu < \nu_0}}{\sigma(E \rightarrow \infty)^{\nu < \nu_0}}$$

Low- ν analysis

- Used by CCFR, NuTeV, NOMAD, MINOS, MINERvA
- Challenging at low neutrino energy, because ν/E must be small
- MINOS, MINERvA used variable ν cut to increase statistics at higher E_ν , with additional systematics
- Signal is forward muon, very little else
- Systematics to worry about:
 - Theoretical correction for B and C terms
 - Hadronic energy resolution smearing events into or out of low- ν sample, especially neutrons
 - Muon energy resolution

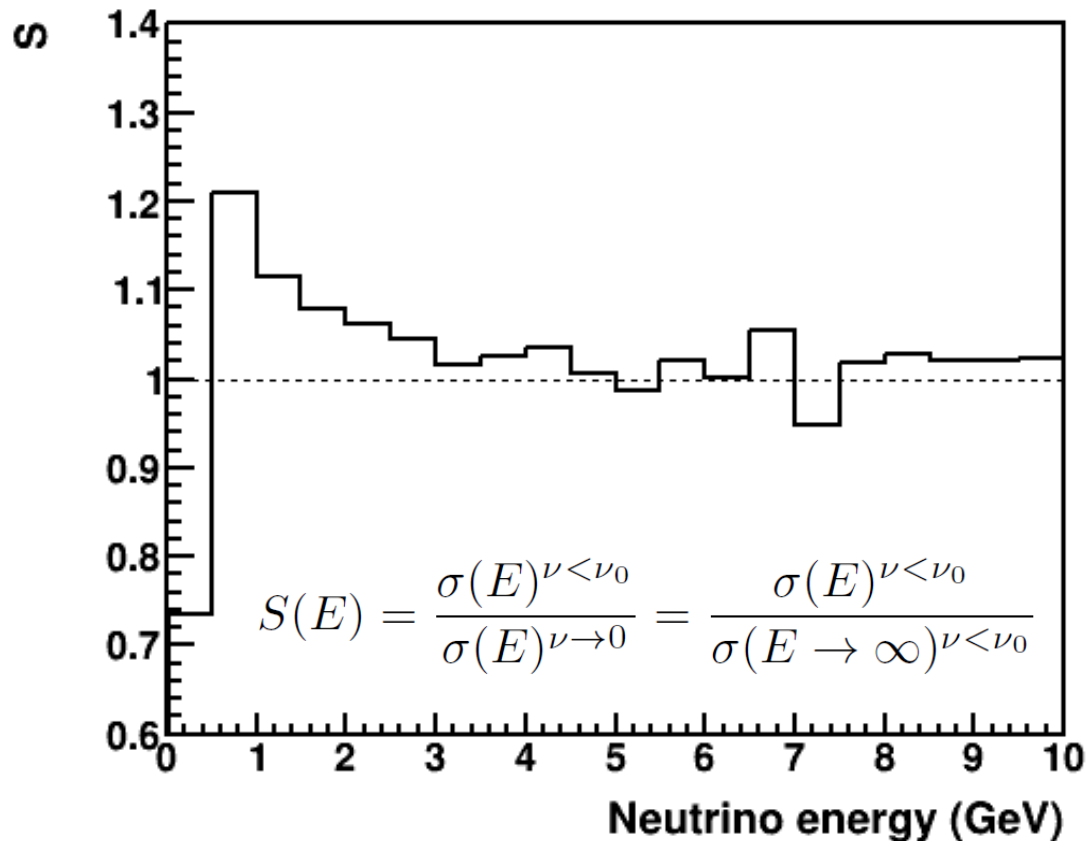
Low- ν statistics



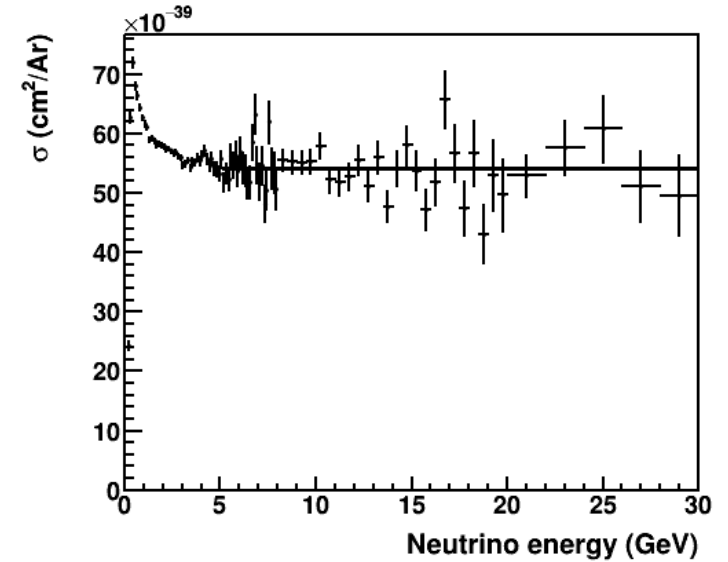
- High statistics – few 100s of events per GeV per ton MW year in the tail with $\nu < 100$ MeV
- 50 ton MW yr exposure gives ~ 1 -2% statistical uncertainty per GeV in the tail
- Low- ν sample will be systematics dominated in DUNE

Theoretical correction

$\nu < 0.10 \text{ GeV}$

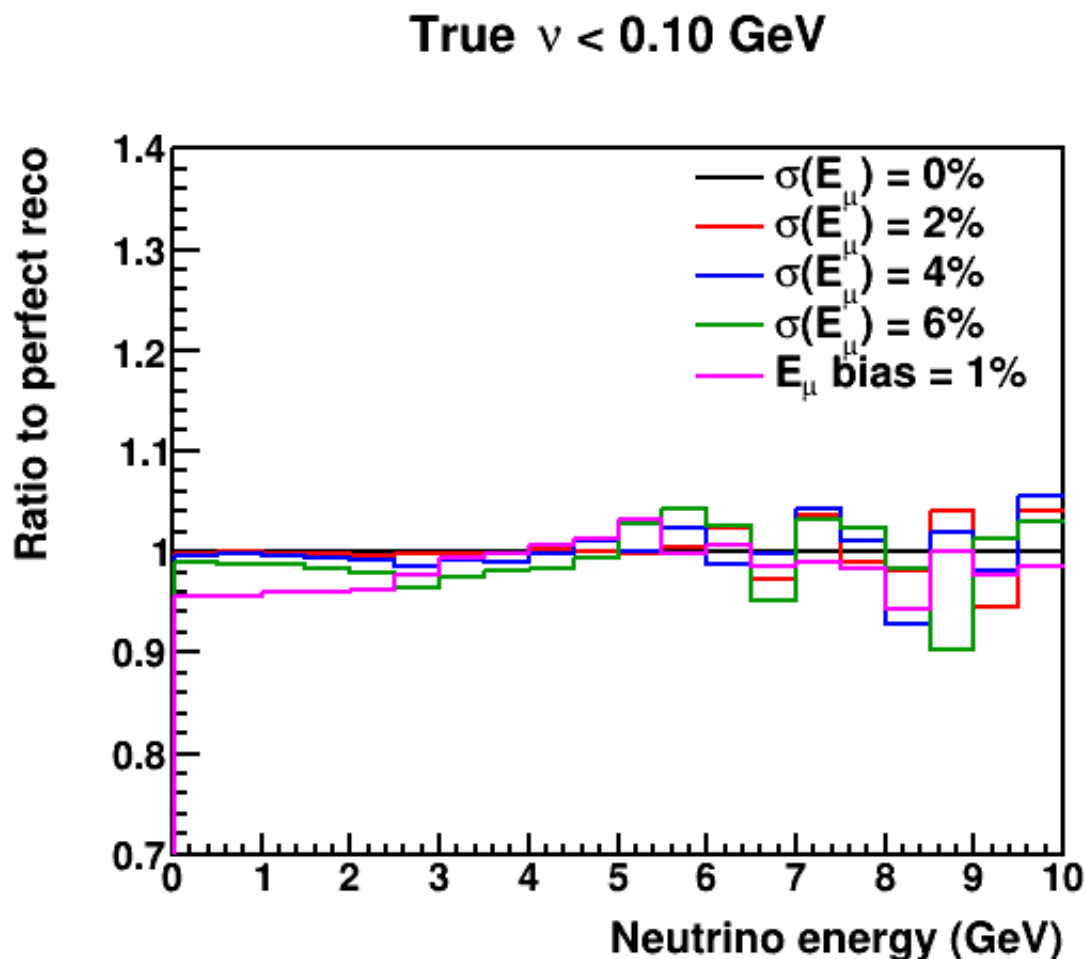


$\nu < 0.10 \text{ GeV}$



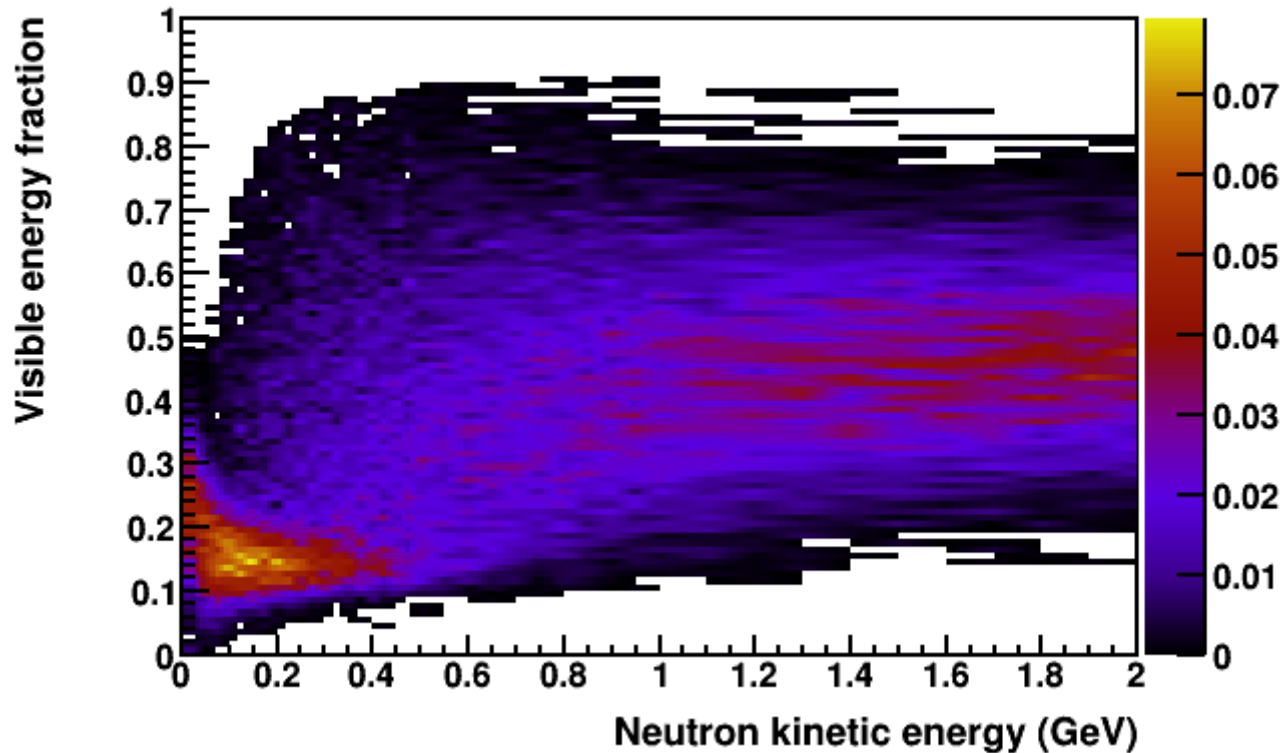
- Event distribution divided by flux prediction and high-energy cross section
- 10% correction at 1 GeV

Muon reconstruction



- Muon energy resolution of 4-6% gives 1-2% dip in the peak due to smear-out
- Energy scale bias of 1% is a 4% effect from 1-2 GeV
- No acceptance effects simulated – perfect acceptance is assumed

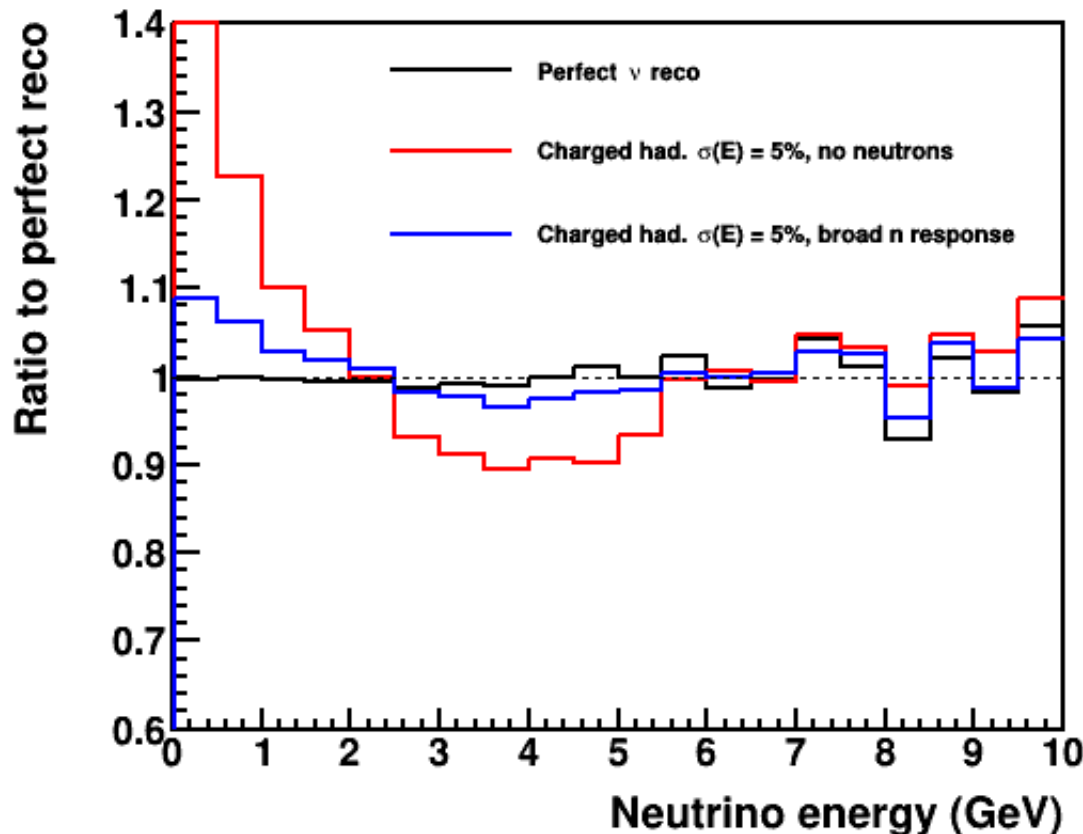
Neutrons



- Simulate neutrons in LAr in Geant4 at different initial energies
- Visible energy is all charged particle deposits, mostly due to knock-out protons

Hadron reconstruction

$$\nu < 0.10, \sigma(E_\mu) = 4\%$$



- Charged hadron reconstruction is a small effect
- Neutrons give a $\sim 20\%$ shape between 1-4 GeV
- For $\sim 3\%$ shape error, need uncertainty on neutron response to be $< 15\%$

Low- ν conclusions

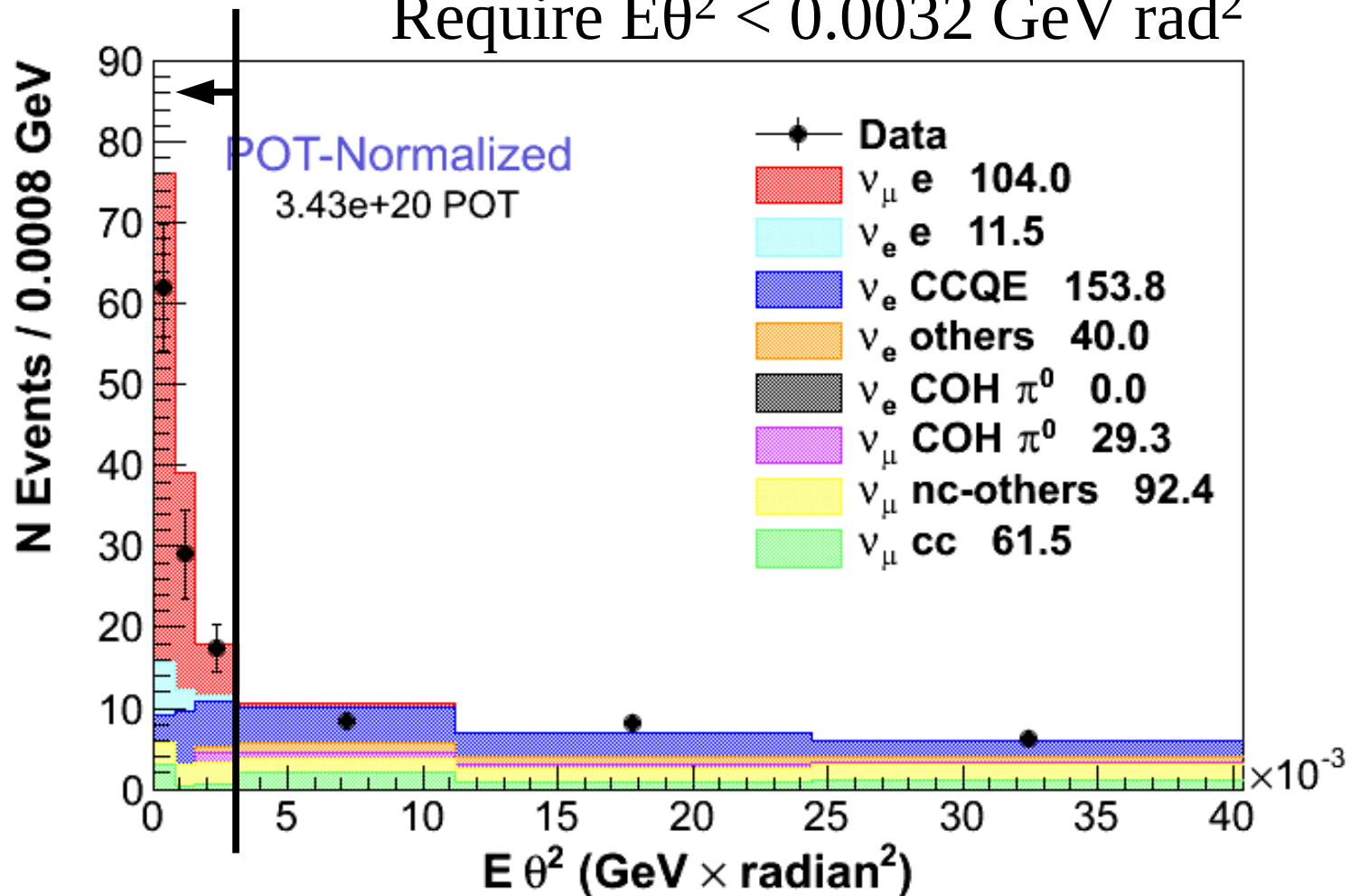
- Sufficiently high statistics to use flat $\nu < 0.1$ GeV cut
- Theoretical correction is $\sim 10\%$ in oscillation region
- For 3% shape uncertainty, need:
 - Uncertainty on theory correction $< 20\%$
 - Uncertainty on muon energy scale normalization $< 1\%$
 - Uncertainty on neutron response $< 15\%$

Backups

- There are hundreds of interesting plots in the zip files associated with this talk

MINERvA $E\theta^2$ cut

Require $E\theta^2 < 0.0032 \text{ GeV rad}^2$



MINERvA

$\nu+e$ systematics

- MINER ν A LE measurement (124 events) had 5.1% systematic with 12.2% statistical uncertainty
- Leading systematics are background prediction (ν_e CCQE Q^2 shape, NC π^0), and detector (efficiency vs. electron energy)
- Must reduce:
 - Background uncertainties
 - Detector uncertainties

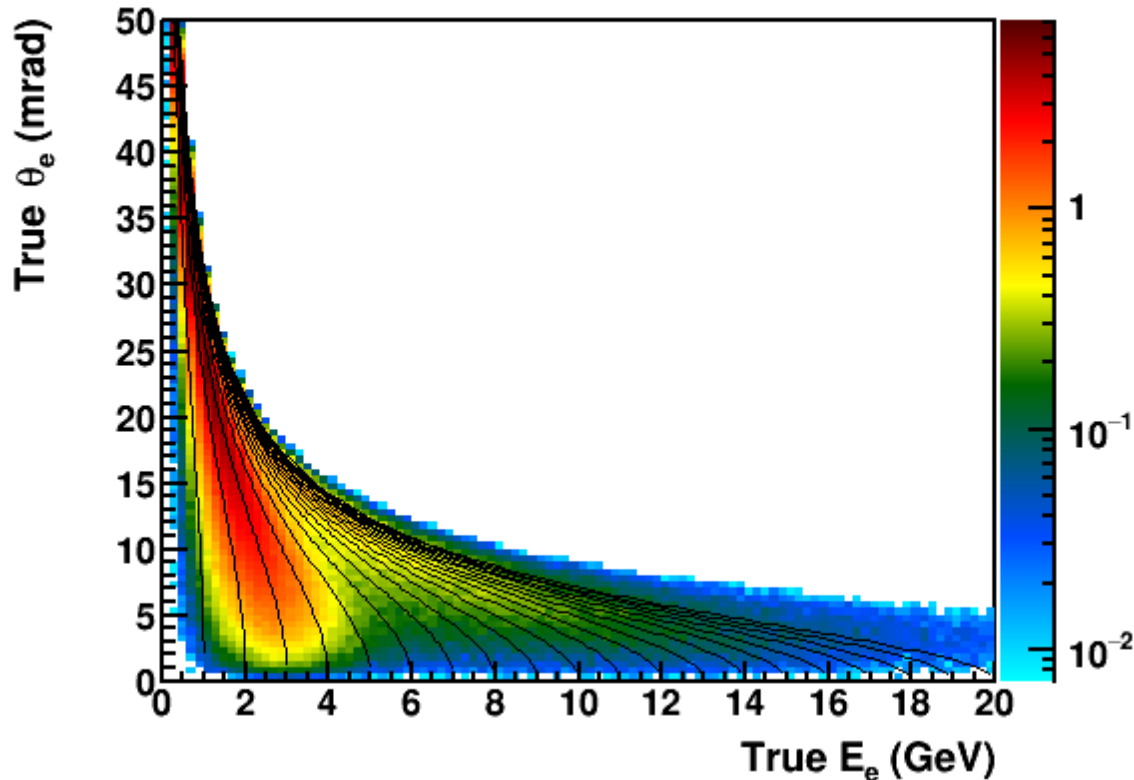
Source	Fractional Uncertainty
Flux (simulated background)	0.2%
GENIE (not including CCQE)	2.3%
CCQE shape	3.1%
Beam angle	0.2%
Electromagnetic energy scale	1.8%
Reconstruction Efficiency	2.7%
Total Systematic Uncertainty	5.1%
Statistical Uncertainty	12.2%

$\nu+e$ background systematics

- 90% sample purity with $E\theta^2 < 0.0015$
 - Background reduced by $\sim 2x$ compared to MINERvA
- Need uncertainty on ν_e CCQE extrapolation from mid- $E\theta^2$ sideband reduced by $\sim 2x$ compared to MINERvA to get background uncertainty $< 0.5\%$
 - Doable with improved models for 2p2h, etc.
- If detector is magnetized, NC π^0 should be negligible
- For 1% total systematic, need uncertainty on efficiency $< 0.6\%$

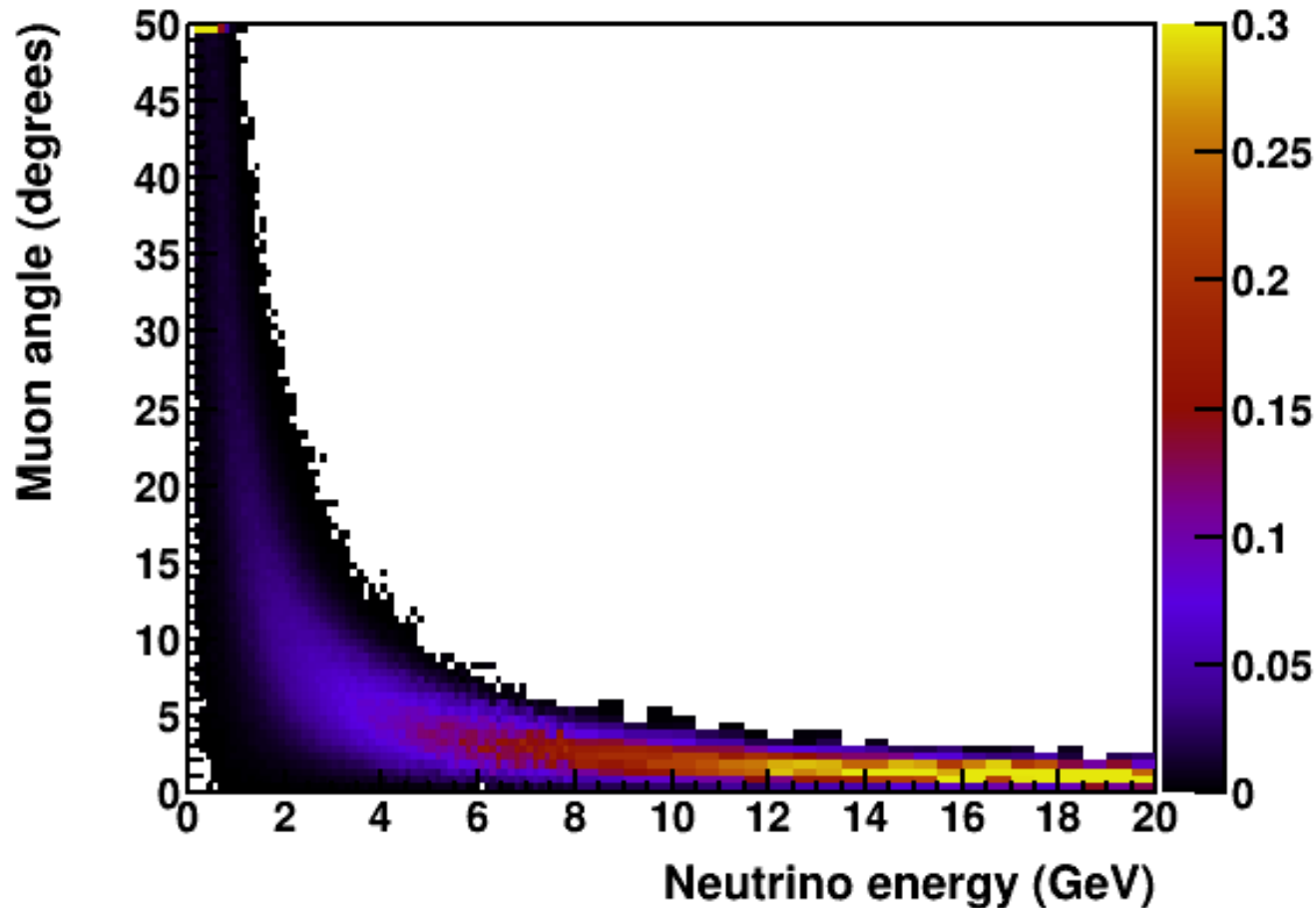
Energy vs. angle

- Lines of constant neutrino energy
- Beam angle smearing only – perfect detector



Acceptance

$\nu < 0.10$ GeV



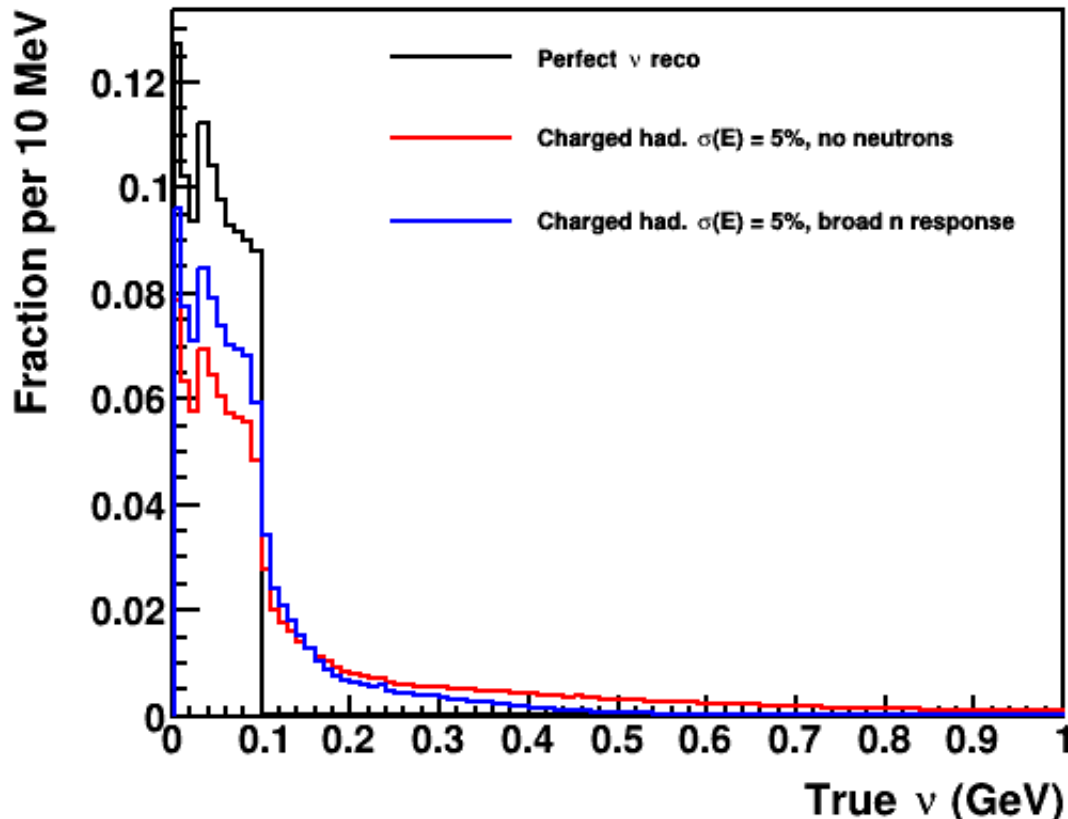
- Column-normalized to unity
- Very forward for $E_\nu > 2$ GeV
- Down to 1 GeV muon angle goes up to ~ 45 degrees

Detector effects

- Used fast MC to study these detector effects:
 - Finite muon energy resolution
 - Muon energy scale bias
 - ν reconstruction: $\sigma(p) = 5\%$ for p/π , π^\pm KE only, no neutrons
 - Add neutrons based on Geant4 LAr study
- Plot event rate / (flux prediction * high-energy cross section * S)
- Takes out all cross section effects – result is 1.0 for perfect detector

Hadron reconstruction

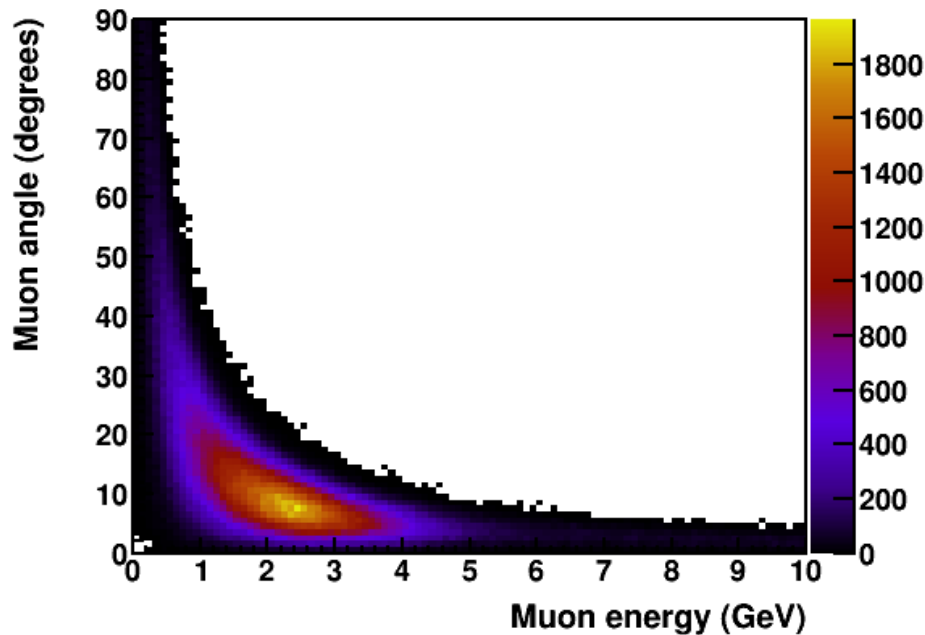
Reco $\nu < 0.10$ GeV



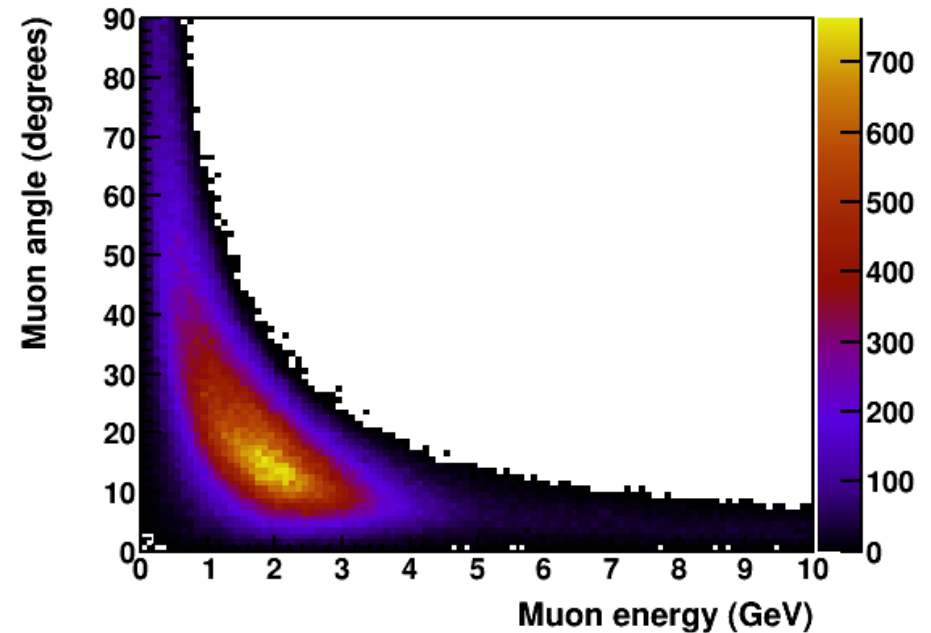
- For cut on reco $\nu < 0.1$ GeV, true ν distributions for different assumptions
- Red loses all neutron energy
- Blue keeps energy based on previous slide

Muon kinematics

$0.0 < \text{true } \nu < 0.1$



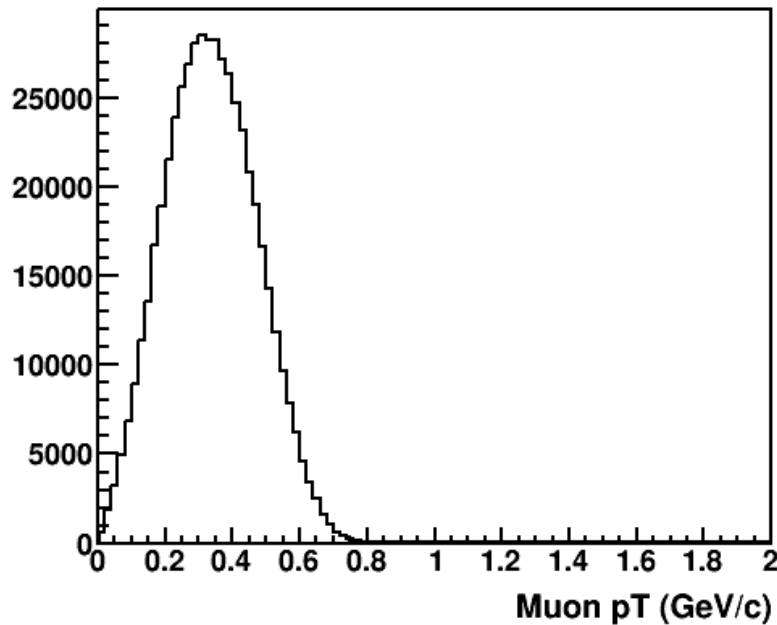
$0.5 < \text{true } \nu < 0.6$



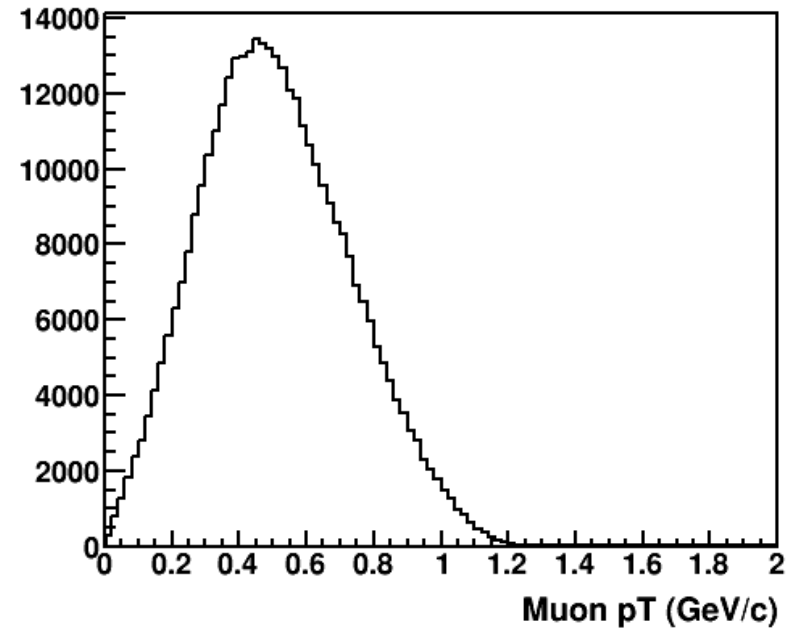
- To first order, for low- ν sample, reco $E_\nu \approx E_\mu$
- Could you reject high-energy neutrons with missing p_T ?

Muon kinematics

$0.0 < \text{true } \nu < 0.1$

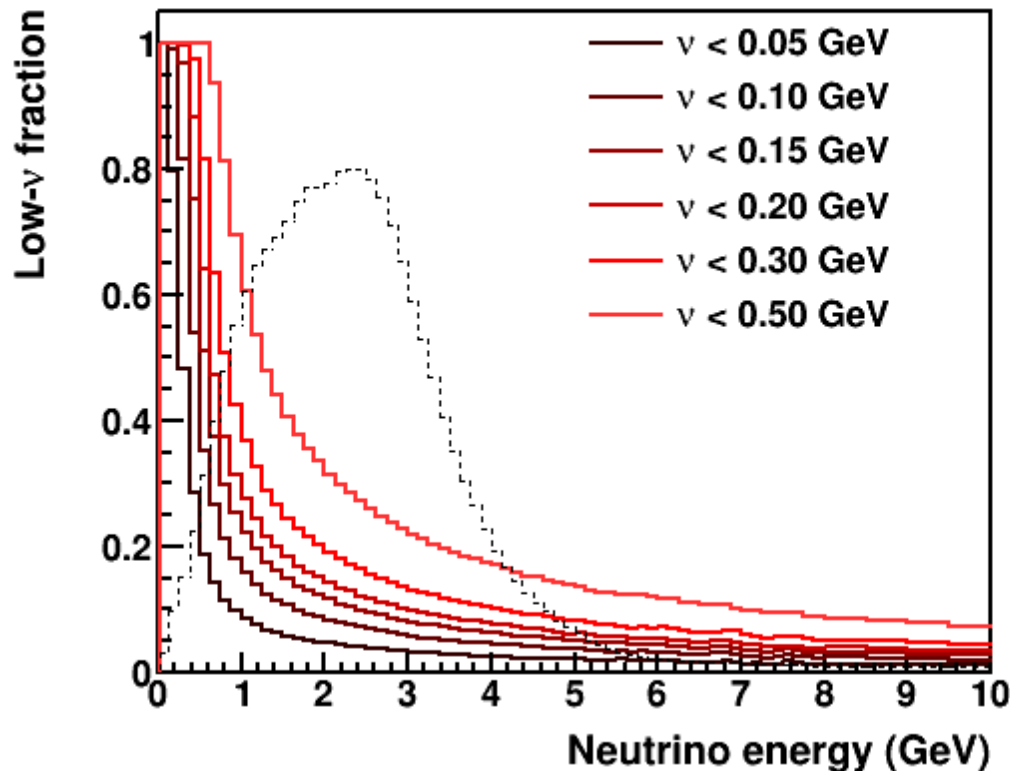


$0.5 < \text{true } \nu < 0.6$



- Could reject events with muon p_T above ~ 0.7 GeV, but that would only reject $\sim 20\%$ of events with missed neutrons and true $\nu \sim 0.5$ GeV

Low- ν fraction



- Fit every event once
- Use separate low- ν sample that is not used to constrain ν -Ar cross sections
- For $\nu < 0.1$ GeV, low- ν sample is 5-10% of CC sample in DUNE flux