

Atom interferometry for dark matter and gravitational waves

US Cosmic Visions: New Ideas in Dark Matter

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Ultralight scalar dark matter

- Ultralight DM acts as a background field (high occupation number)
- Can cause small oscillations in Standard Model parameters

$$\mathcal{L} = + \frac{1}{2} \partial_\mu \phi \partial^\mu \phi - \frac{1}{2} m_\phi^2 \phi^2 - \sqrt{4\pi G_N} \phi \left[\underbrace{d_{m_e} m_e \bar{e} e}_{\text{Electron coupling}} - \frac{d_e}{4} F_{\mu\nu} F^{\mu\nu} \right] + \dots$$

↓ DM scalar field

$$\phi(t, \mathbf{x}) = \phi_0 \cos [m_\phi (t - \mathbf{v} \cdot \mathbf{x}) + \beta] + \mathcal{O}(|\mathbf{v}|^2) \quad \phi_0 \propto \sqrt{\rho_{\text{DM}}}$$

Fundamental "constants":

$$m_e(t, \mathbf{x}) = m_e \left[1 + d_{m_e} \sqrt{4\pi G_N} \phi(t, \mathbf{x}) \right]$$

$$\alpha(t, \mathbf{x}) = \alpha \left[1 + d_e \sqrt{4\pi G_N} \phi(t, \mathbf{x}) \right]$$

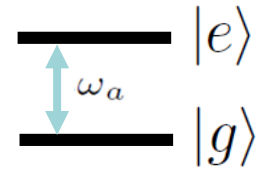


Observing DM with atomic sensors

DM coupling causes time-varying atomic energy levels:

$$\omega_A(t) \simeq \omega_A + \Delta\omega_A \cos(m_\phi t);$$

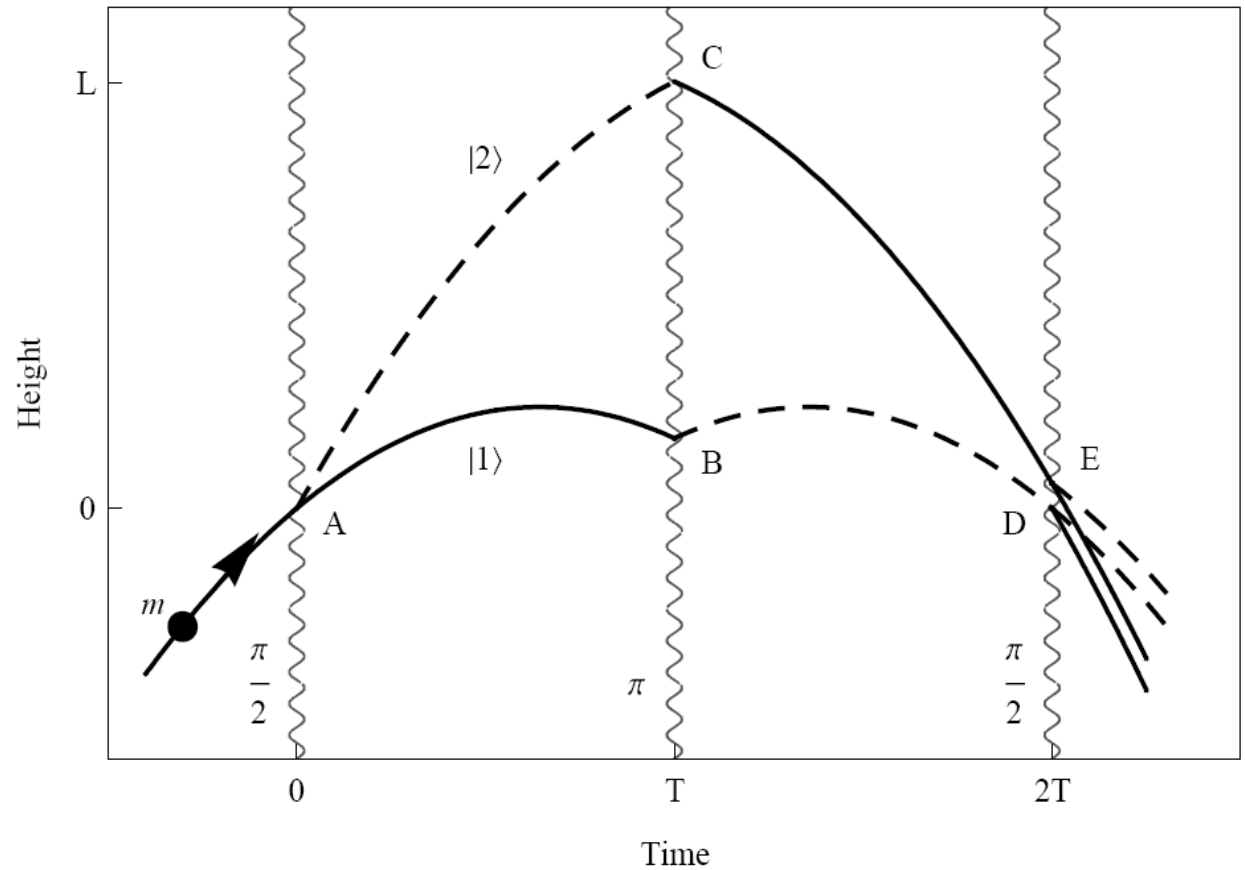
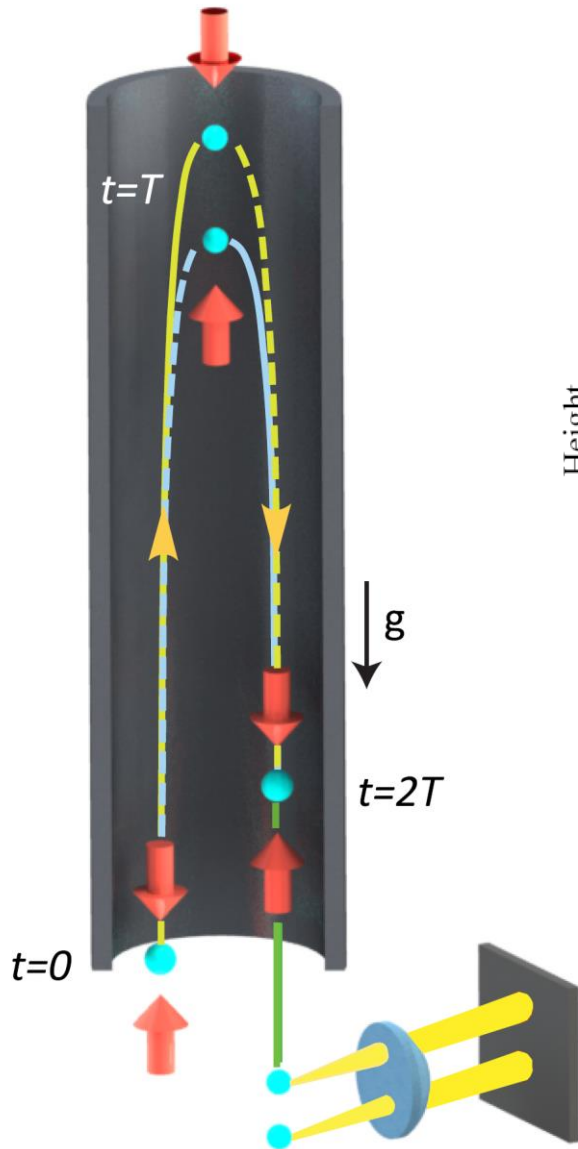
$$\Delta\omega_A \equiv \omega_A \sqrt{4\pi G_N \phi_0} (d_{m_e} + \xi d_e)$$



Measurement strategies

- Differential acceleration (EP tests)
- “Clock gradiometer” (GW detector)

Light Pulse Atom Interferometry

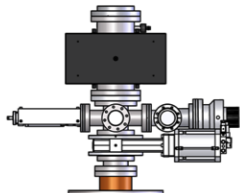


- Long duration
- Large wavepacket separation

10 meter scale atomic fountain

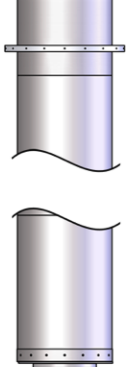


Atom Optics & Lattice Beam
Delivery Enclosure

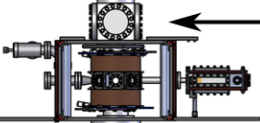


Upper Detection Region

Interferometer Region
8.2 m

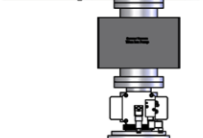


3 Layer Magnetic Shield
(< 1 mG on axis)



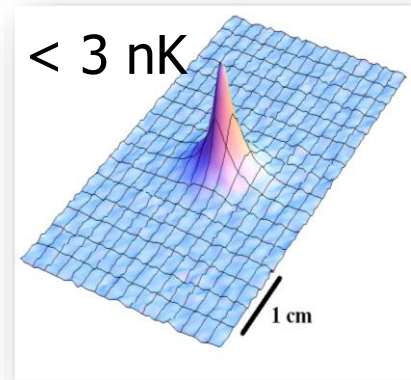
Lower Detection Region

2D MOT Loading 3D

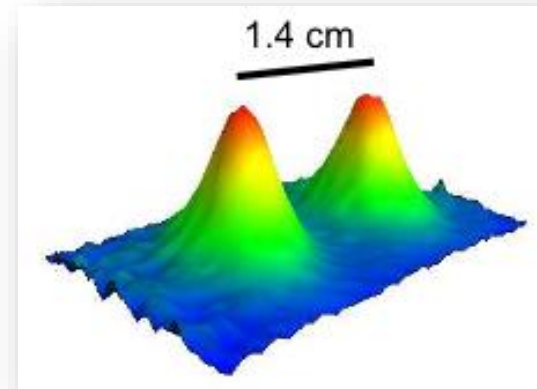
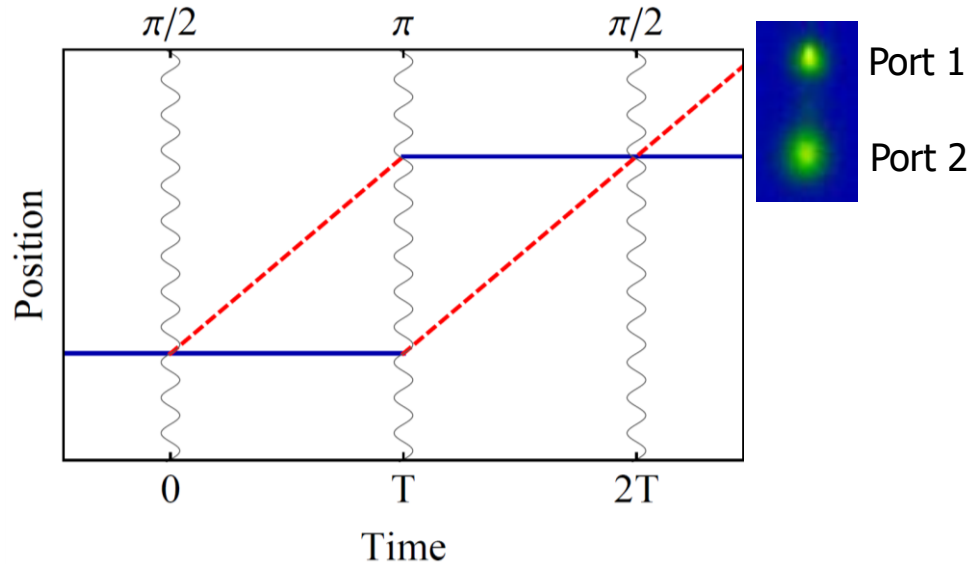


Rotation Compensation
System

1 m



Interference at long interrogation time

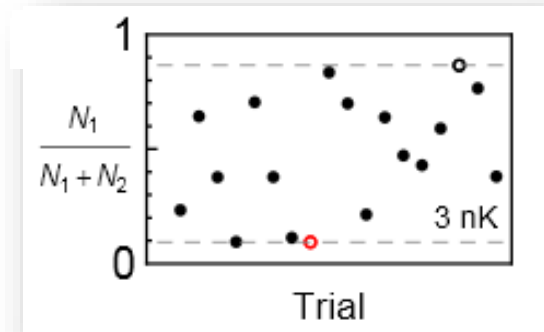
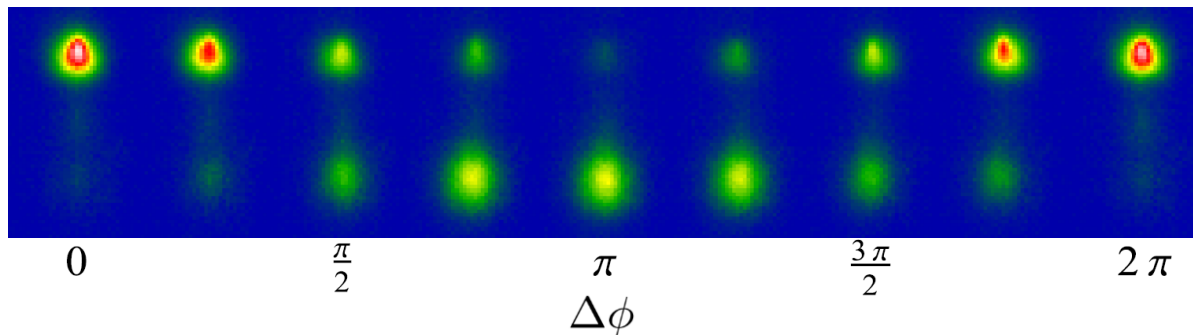


Wavepacket separation at apex (this data 50 nK)

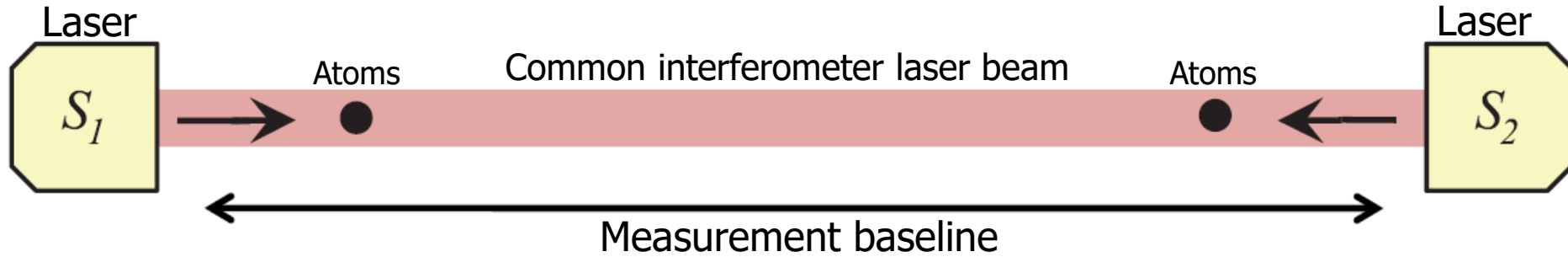
$2T = 2.3$ sec; Near full contrast
 6.7×10^{-12} g/shot (inferred)

Demonstrated statistical resolution:
 $\sim 5 \times 10^{-13}$ g in 1 hr (^{87}Rb)

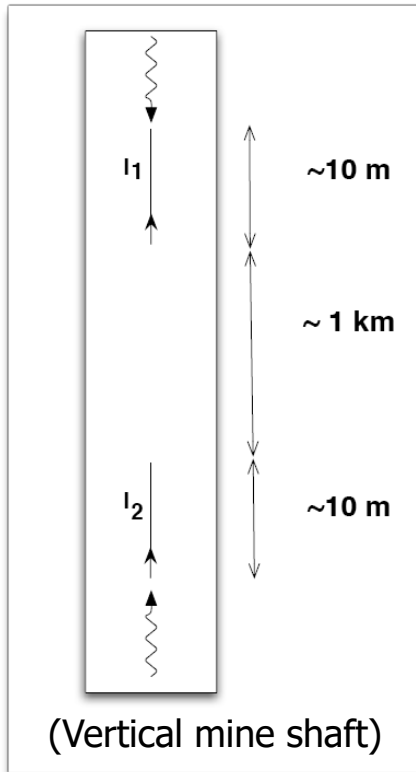
Interference (3 nK cloud)



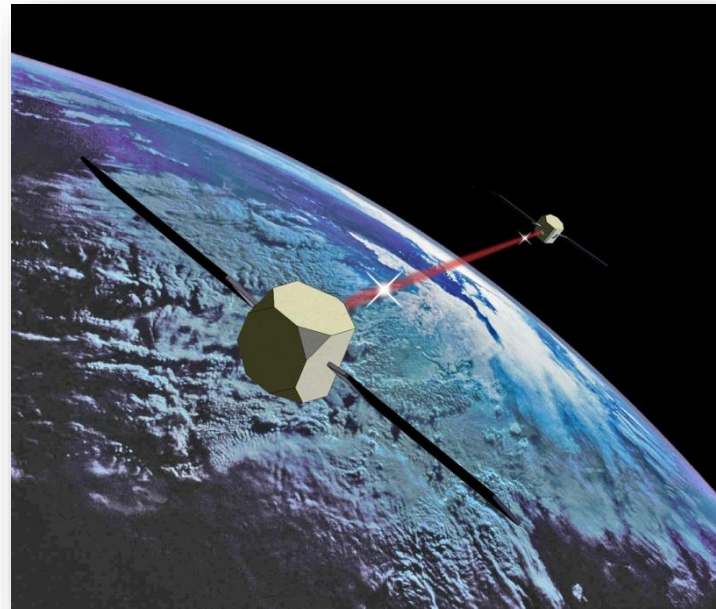
Gradiometer configuration



Terrestrial

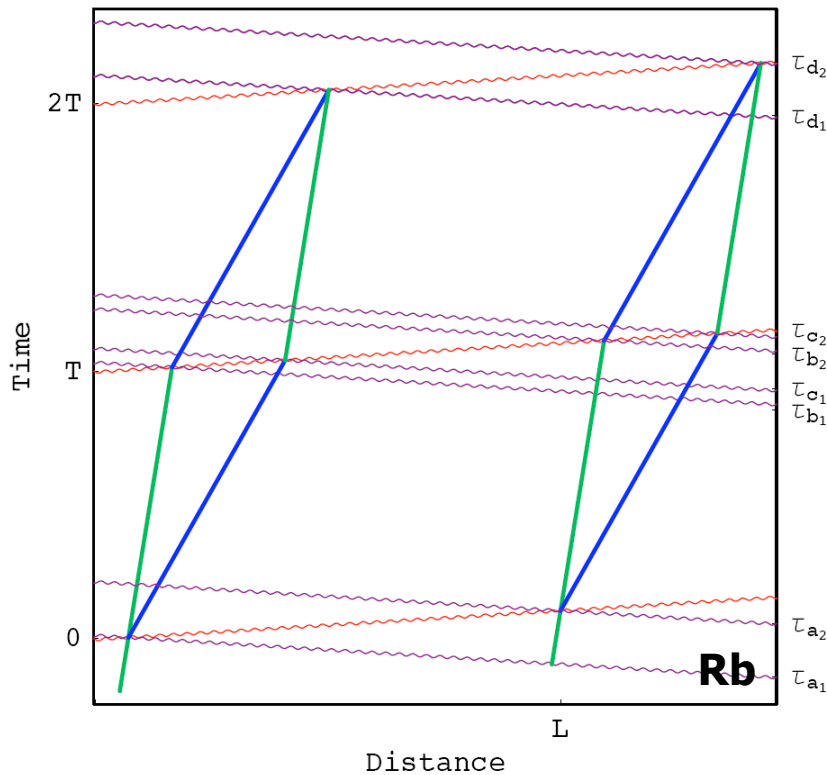


Space

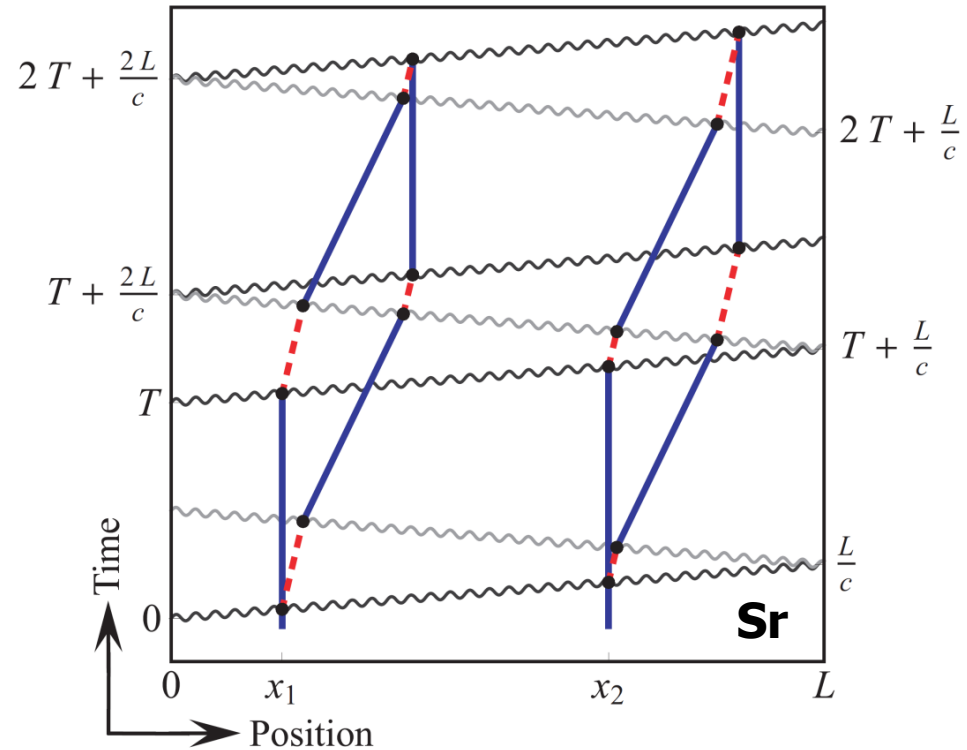


Two-photon vs. single photon transitions

2-photon transitions



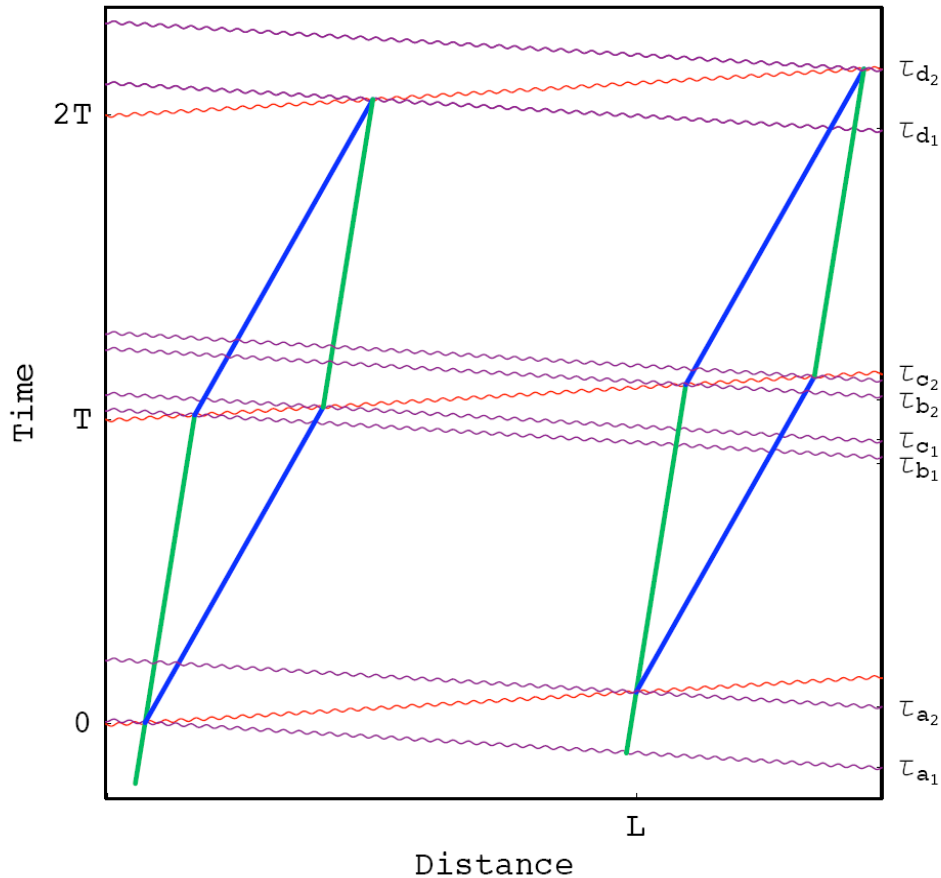
1-photon transitions



Graham, et al., PRD 78, 042003, (2008).
Yu, et al., GRG 43, 1943, (2011).



Two-photon laser frequency noise



Consider a laser frequency error $\delta\omega$ that varies at the GW frequency

Phase error:

$$\delta\phi_L = \delta\omega \Delta t \sim \delta\omega L/c$$

GW Signal:

$$\Delta\Phi_{GW} \sim k \delta L \sim khL$$

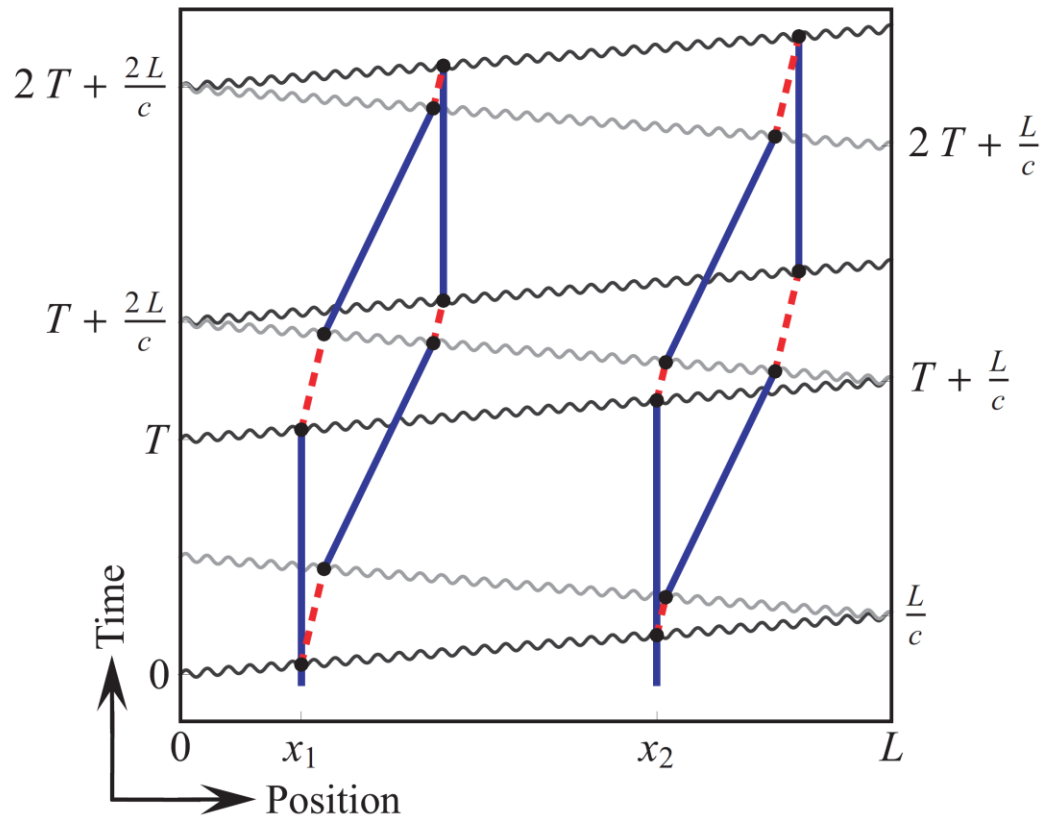
$$\frac{\delta\omega}{\omega} \ll h \sim 10^{-20}$$

(and even harder with LMT)

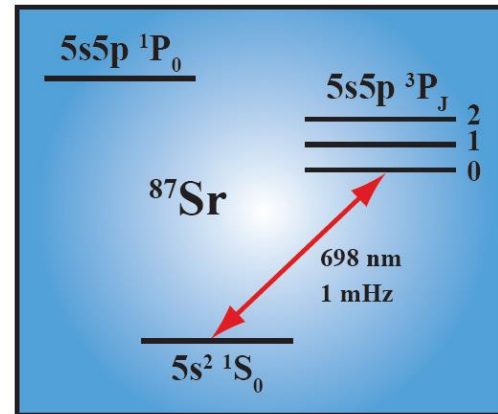
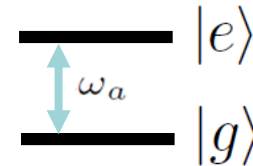


Differential atomic clock

Excited state phase evolution:



$$\Delta\phi \sim \omega_A (2L/c)$$

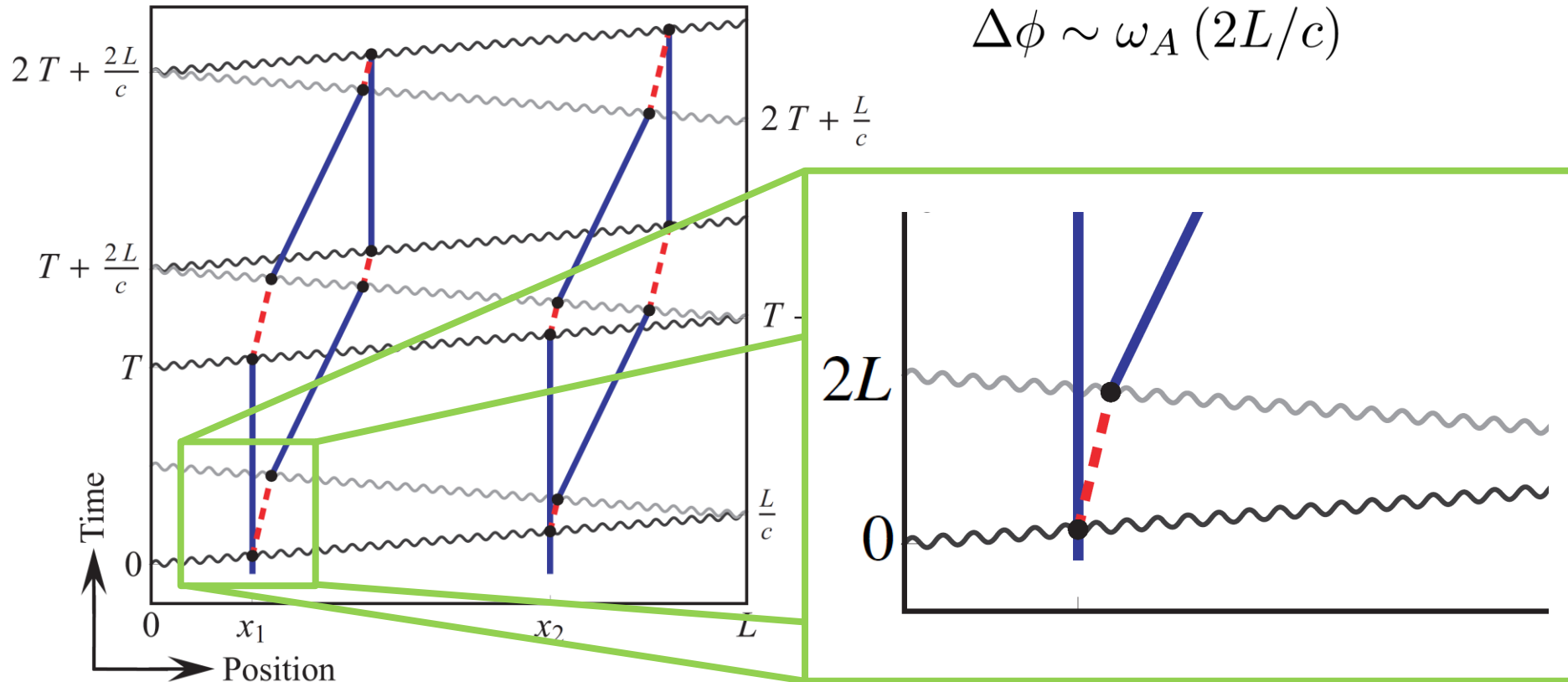


Clock transition in candidate atom ^{87}Sr

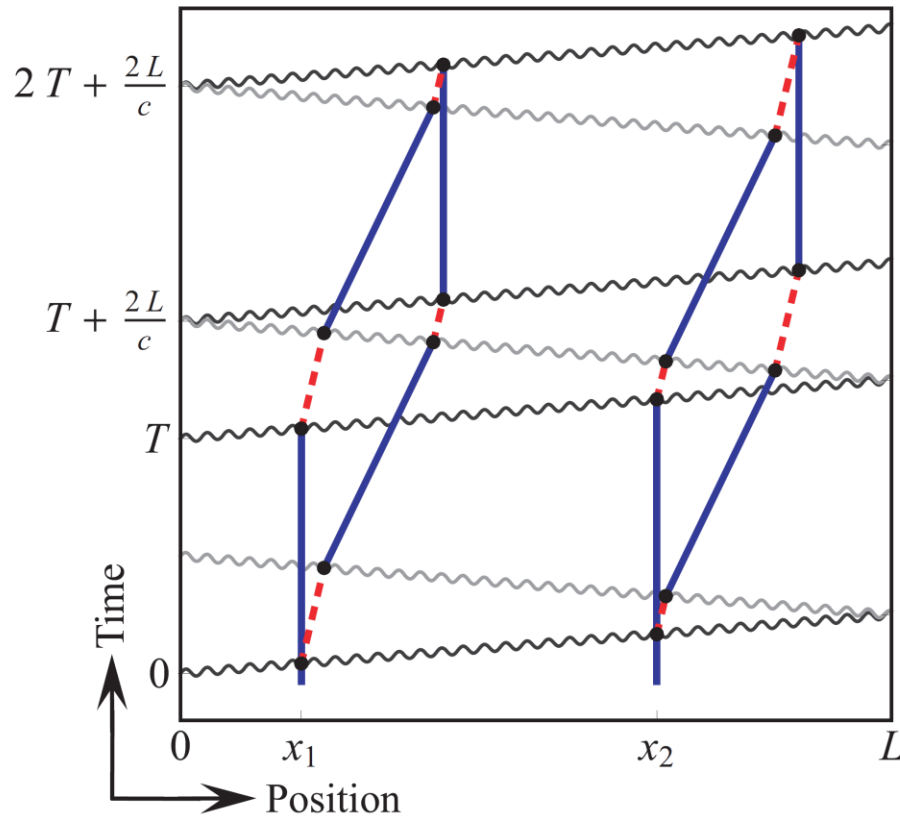
Differential atomic clock

Excited state phase evolution:

$$\Delta\phi \sim \omega_A (2L/c)$$



Differential atomic clock



Excited state phase evolution:

$$\Delta\phi \sim \omega_A (2L/c)$$

Two ways for phase to vary:

$$\delta\omega_A \quad \textit{Dark matter}$$

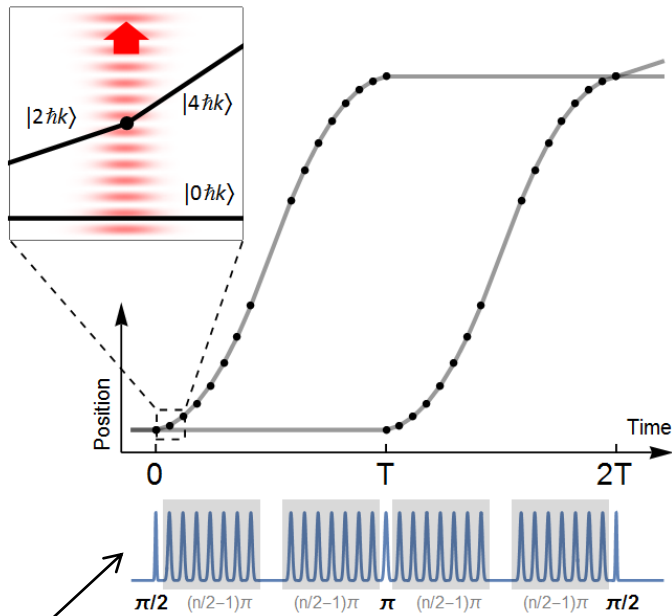
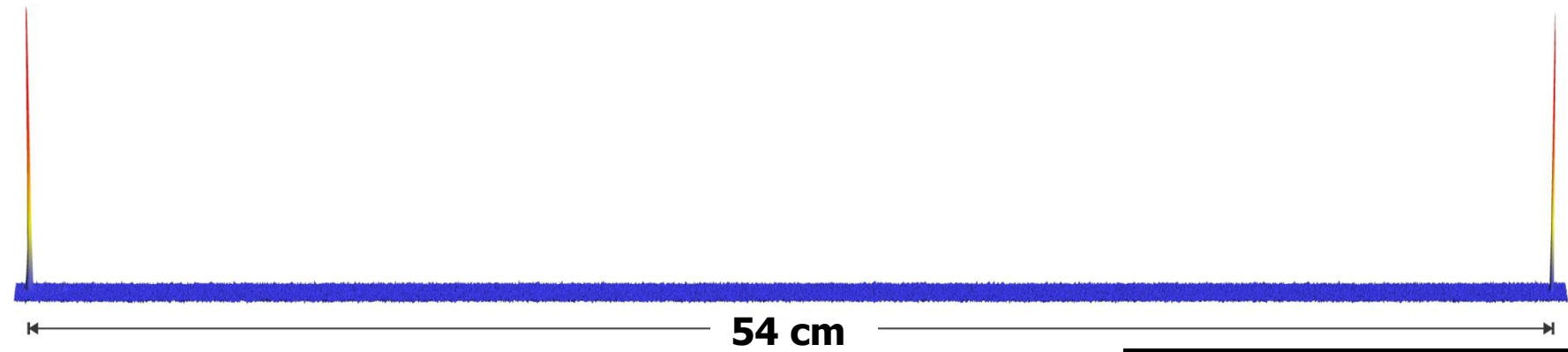
$$\delta L = hL \quad \textit{Gravitational wave}$$

Each interferometer measures the change over time T

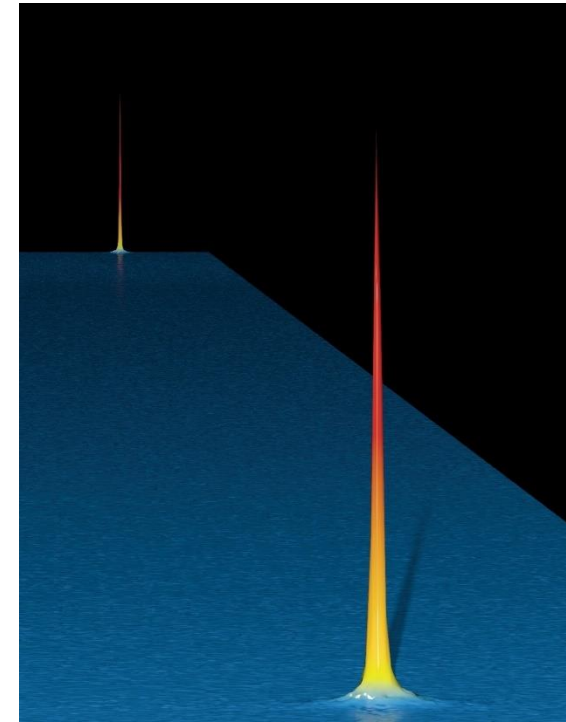
Laser noise is common-mode suppressed in the gradiometer



Large momentum transfer demonstration

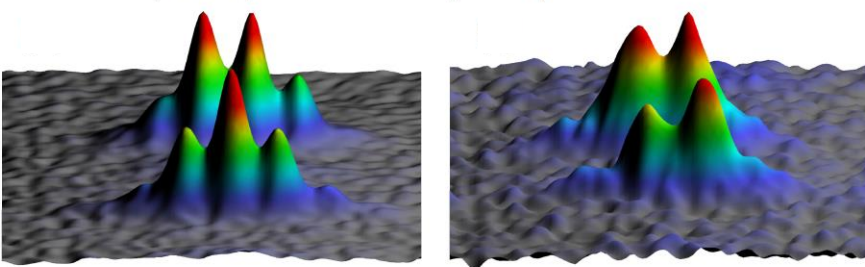
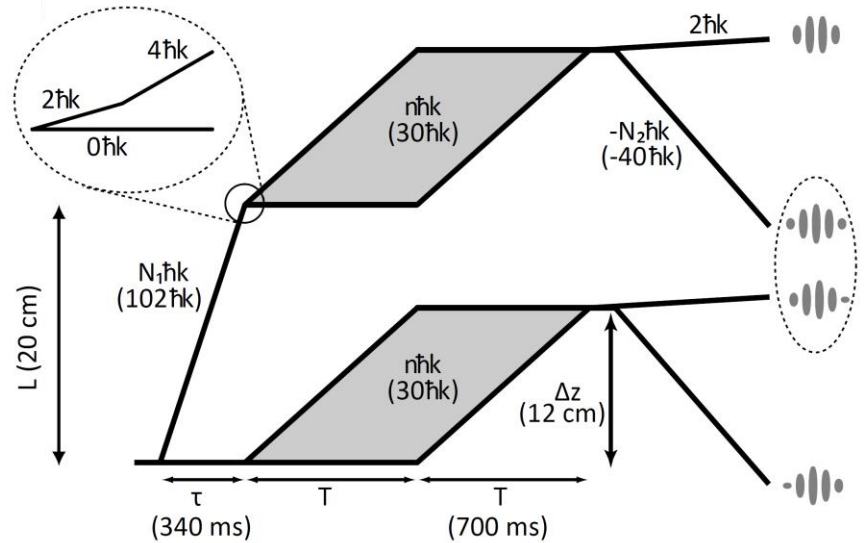


- Enhanced sensitivity
- Multiple pulses to transfer momentum
- Bragg atom optics
- Long duration (>2 s)



Pulse sequence

Gradiometer Demonstration (Rb)

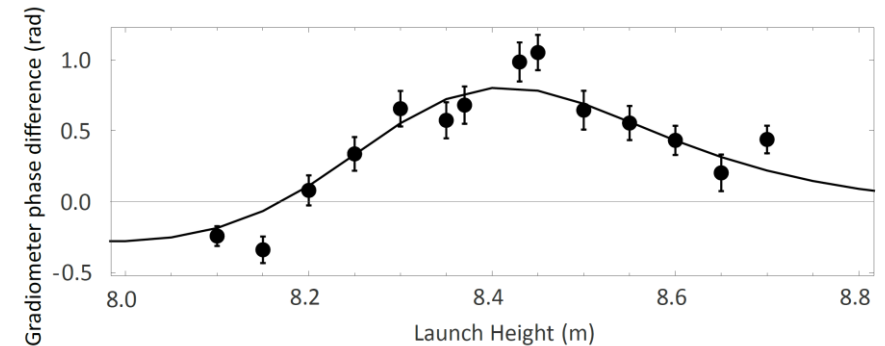
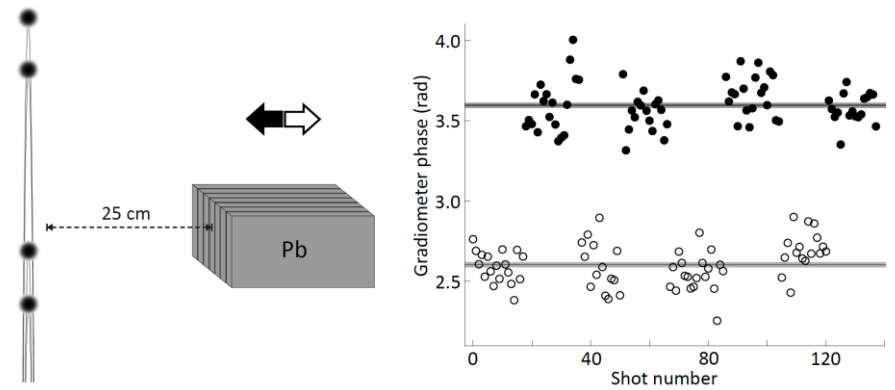


$\Delta z = 4 \text{ cm}$
 $10 \hbar k$

$\Delta z = 12 \text{ cm}$
 $30 \hbar k$

Gradiometer interference fringes

Gradiometer response to 84 kg lead test mass

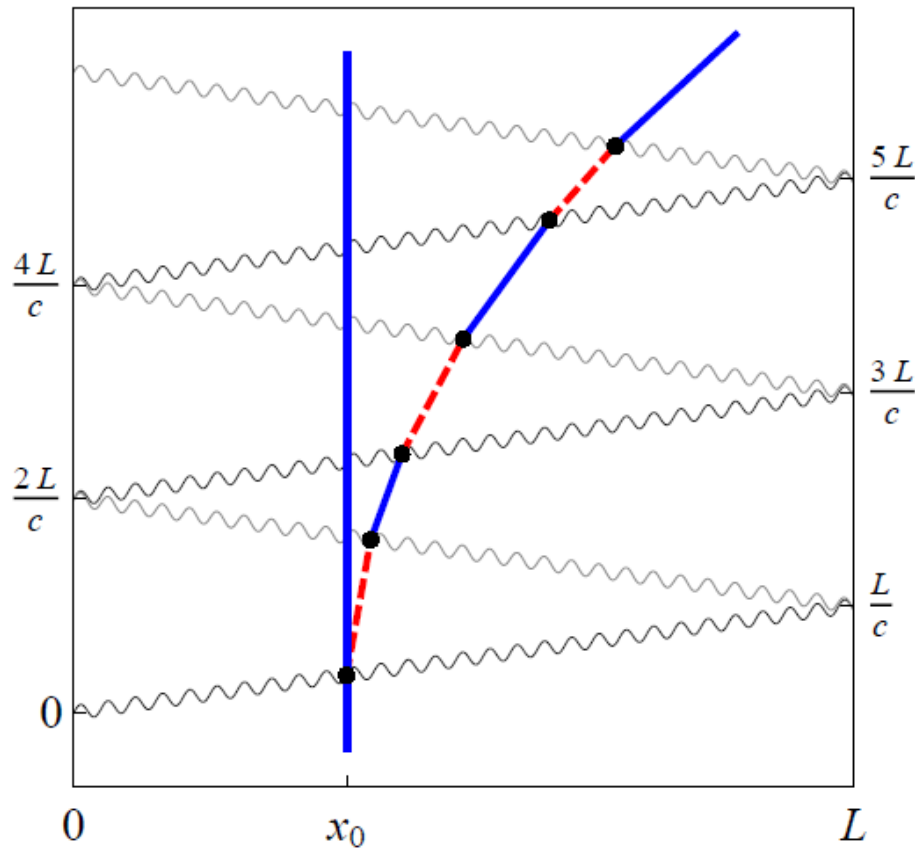


$L = 10 \text{ cm}$, $n = 30$, and $T = 900 \text{ ms}$ ($\Delta z = 16 \text{ cm}$)

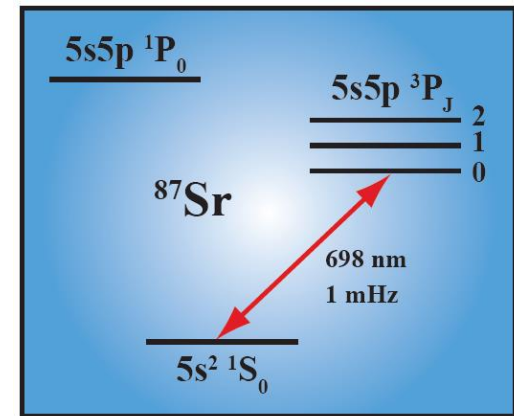


LMT using single photon transitions

Example LMT beamsplitter (N = 3)

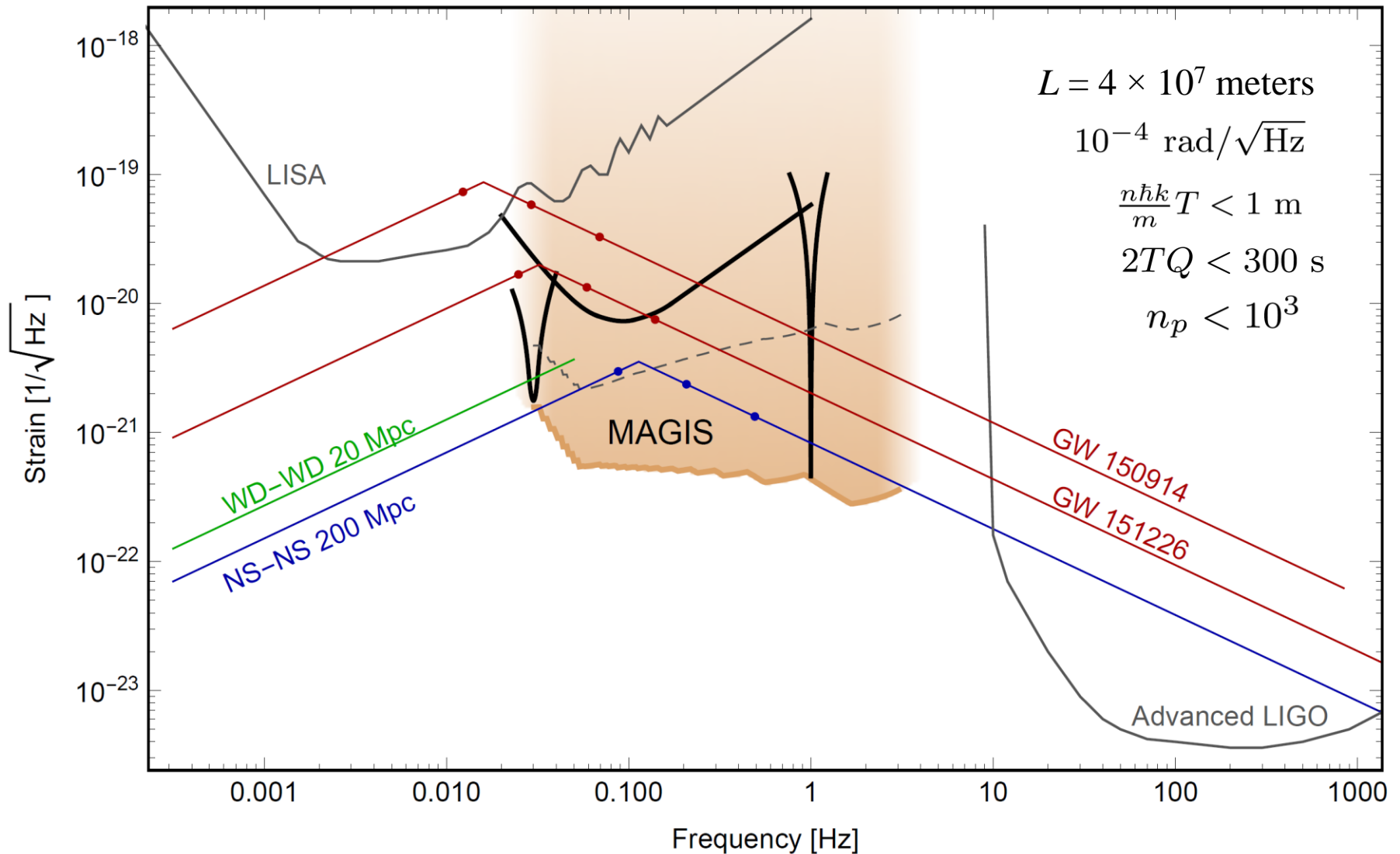


- Sequential single photon transitions
- Alternating directions
- Each pulse is laser noise immune (in a gradiometer)



Clock transition in candidate atom ^{87}Sr

GW Sensitivity

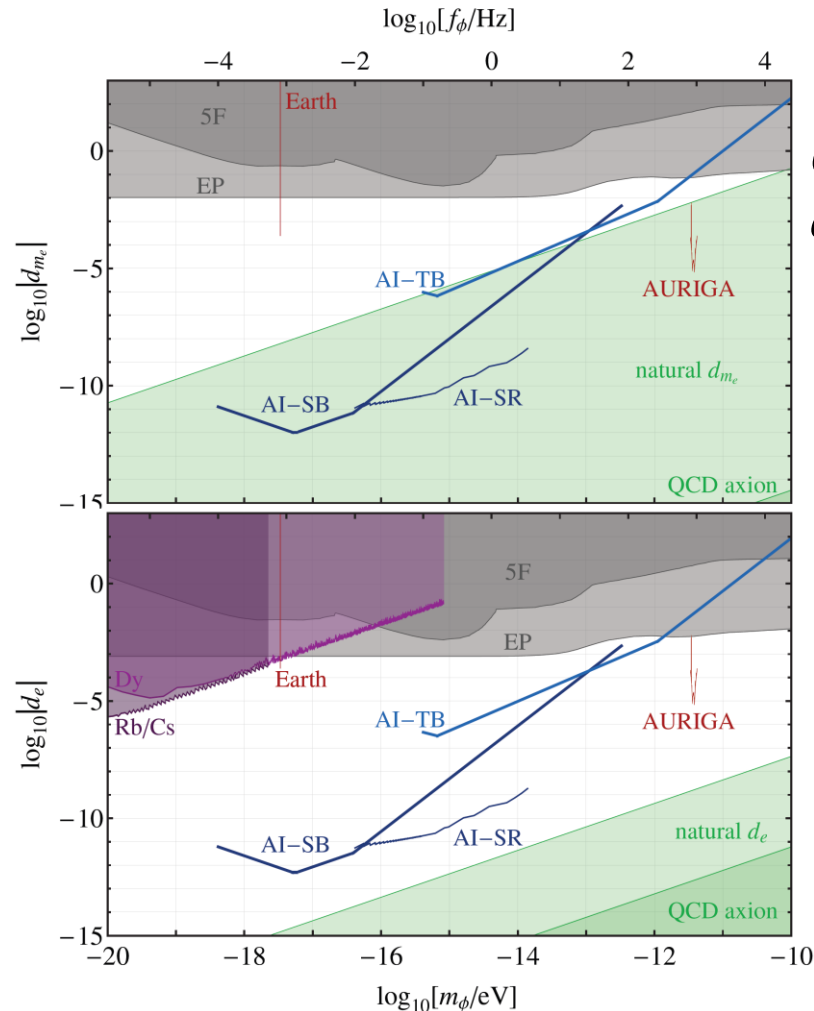
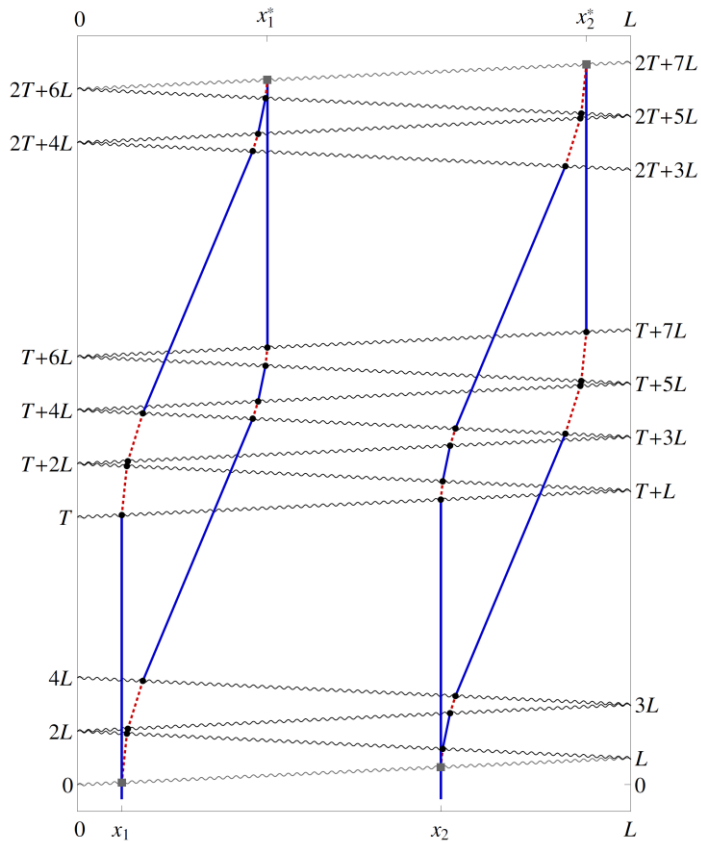


MAGIS: Midband Atomic Gravitational Wave Interferometric Sensor



Scalar dark matter sensitivity

GW detector is simultaneously sensitive to scalar dark matter



Coupling to electrons

Coupling to photons



Single photon atom interferometry

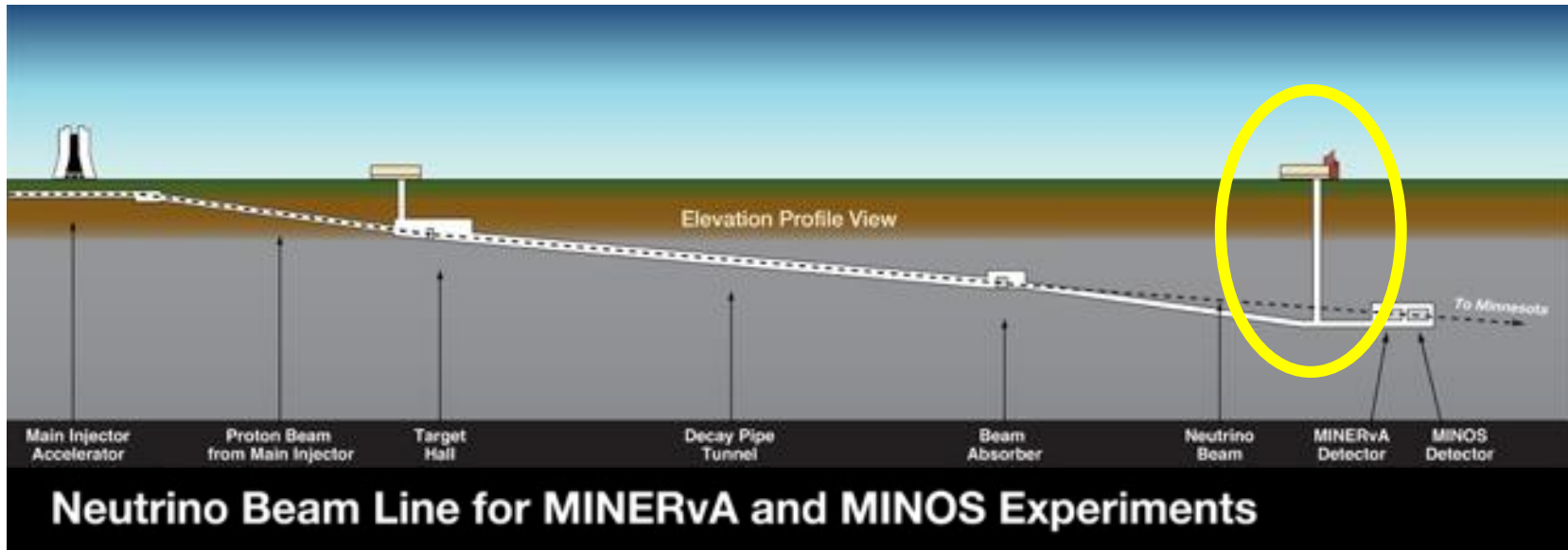
Sr gradiometer demonstration experiment



Proof of concept experiment (in progress at Stanford)

- New 10-meter tower with Sr atoms
- AI on the the clock transition
- Compare two Sr interferometers

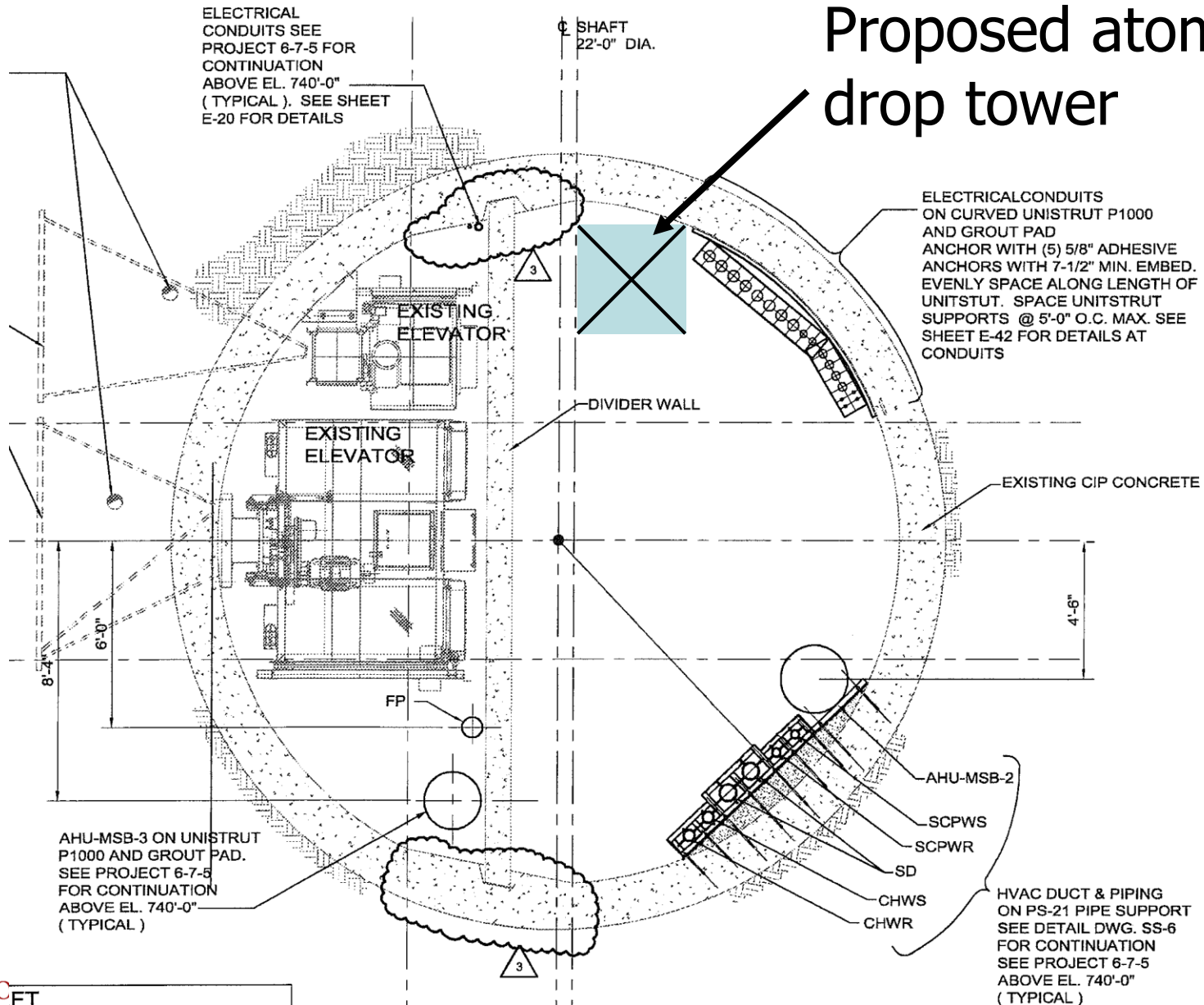
Proposal: 100 meter detector at Fermilab



- MINOS, MINERvA and NOvA experiments use the NuMI beam
- 100 meter access shaft
- Atom DM detector (small scale project)

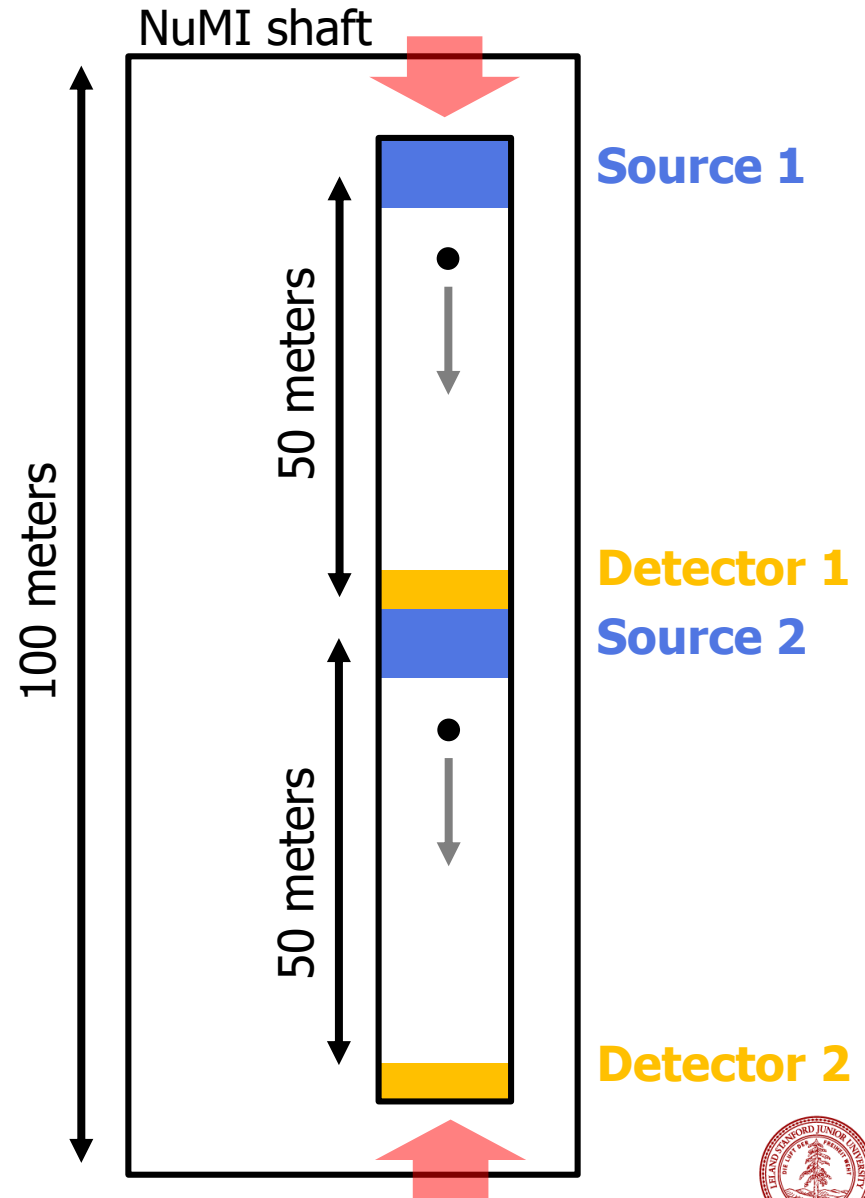
NuMI Shaft

Proposed atom drop tower

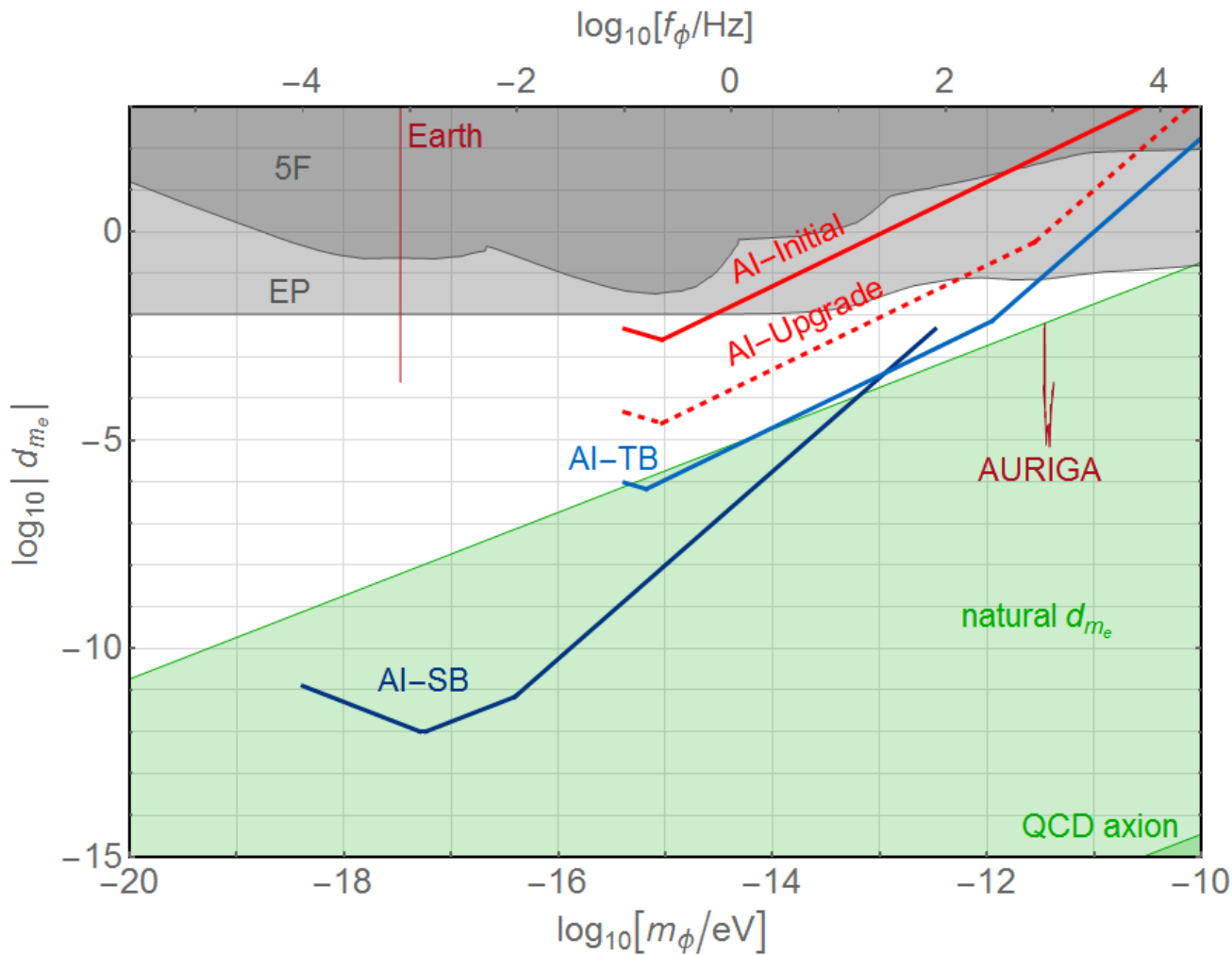


NuMI Gradiometer Proposal

- 100-meter Sr clock gradiometer
- Drop atoms from two Sr sources
- >3 seconds free-fall
- Search for DM in range 0.1 Hz – 10 Hz



Proposed Detector Sensitivity



100-meter detector:
Initial: 100 ħk, 1e6/s flux
Upgrade: 1000 ħk, 1e8/s flux

AI-TB: km baseline
AI-SB: Space GW detector



Collaborators

Rb Atom Interferometry

Mark Kasevich
Tim Kovachy
Chris Overstreet
Peter Asenbaum
Daniel Brown

Thanks to:

Joseph Lykken (Fermilab)
Swapan Chattopadhyay (Fermilab)
Rob Plunkett (Fermilab)
Roni Harnik (Fermilab)

Sr Atom Interferometry

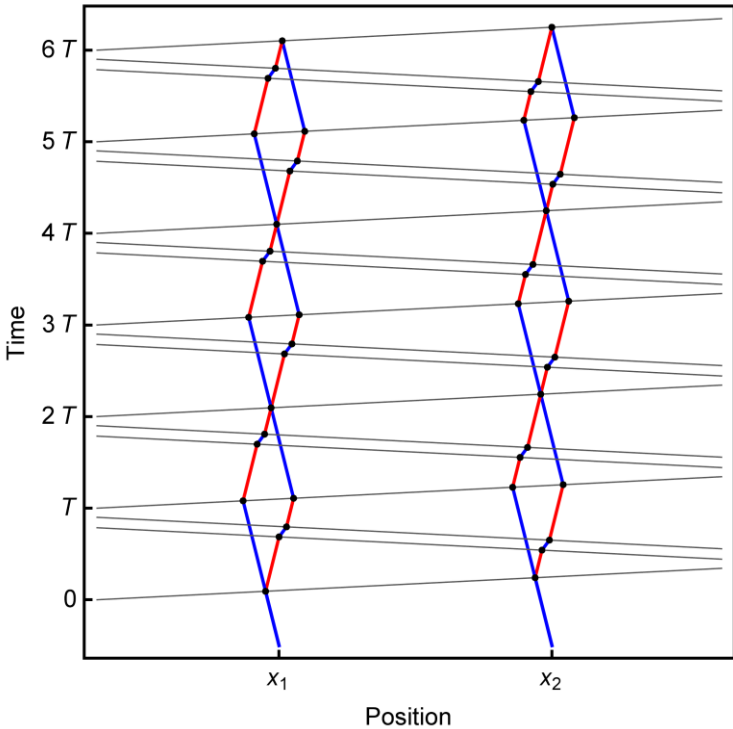
TJ Wilkason
Hunter Swan
Jan Rudolph

Theory:

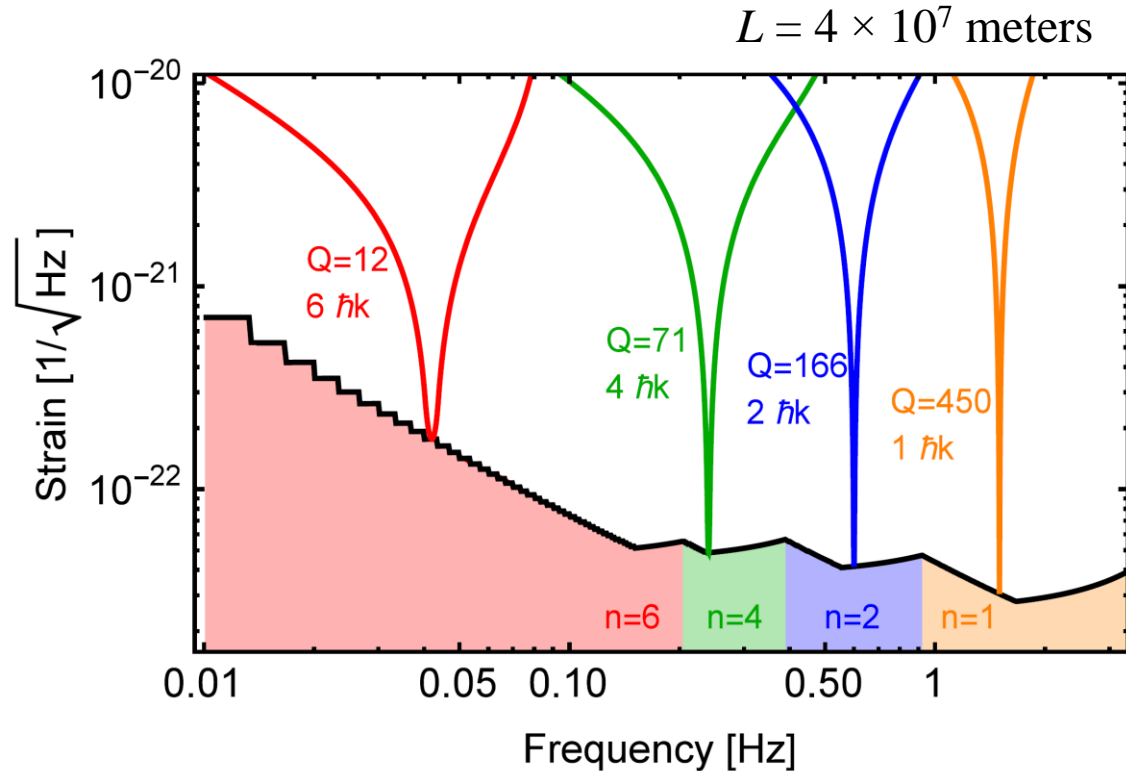
Peter Graham
Savas Dimopoulos
Surjeet Rajendran
Asimina Arvanitaki
Ken Van Tilburg
TJ Wilkason



Resonant Detection Mode



Resonant interferometer sequences for enhanced, narrow band response



Optimized sensitivity near 1 Hz

Includes constraints on total pulses and source lifetime



Differential Acceleration – EP tests

- Scalar field varies in space
- Force points in the direction of the local gradient in the field:

$$F \propto g \sqrt{\rho_{\text{DM}}} \cos(m_{\text{DM}} t)$$

Force is oscillatory and equivalence-principle violating

Example: Coupling to electron mass

Vector coupling (e.g., B-L) has similar phenomenology

