

# *Calorimetry in the 21st century*

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Fermilab, August 23-24, 2018

# Outline

## *Day 1*

- *Calorimetry in the 20th century (a brief history)*
- *The basics of calorimetry*
- *Electromagnetic calorimetry*
- *The fundamental problems of hadron calorimetry*
- *Methods to improve hadron calorimeter performance*



# Outline

## Day 2

- *Experience with operating calorimeters*
  - Calibration and non-linearity
  - Catastrophic effects caused by a single shower particle
  - Signals from external sources
- *Misconceptions and their consequences*
- *Particle Flow Analysis*
- *Energy resolution*
- *Options for future experiments*
- *Conclusions*

*Want to know more?*

- *New developments in calorimetric particle detection*

arXiv:1807.03853 (preprint J. Progr. Part. Nucl. Phys. 2018)

- *Calorimetry - energy measurement in particle physics*

Monographs on Physics, vol. 168, Oxford University Press (2017)

- *Dual-readout calorimetry*

Rev. Mod. Phys. 90 (2018) 025002

# A brief history

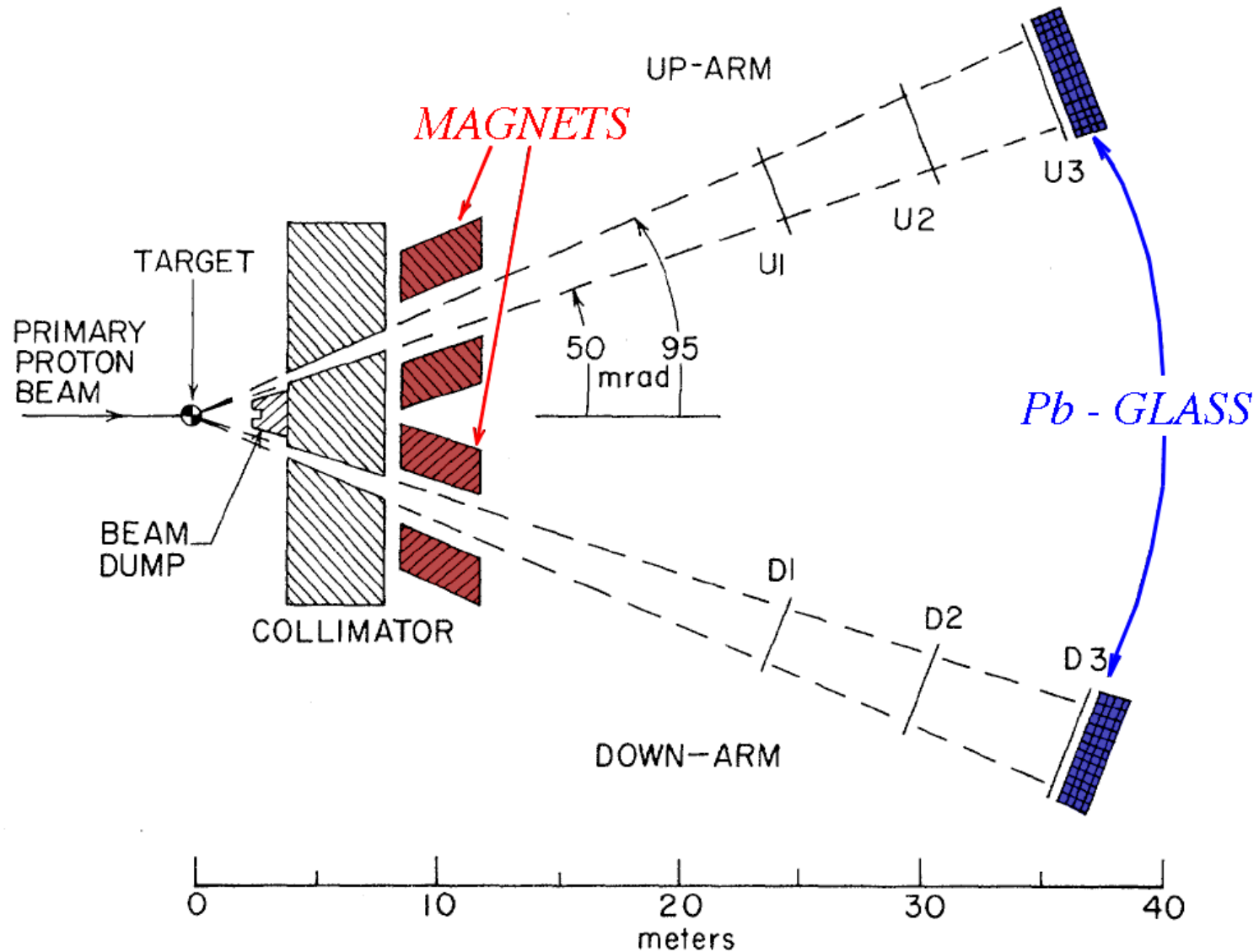
*of design philosophy in particle physics experiments*

- $\lesssim 1970$ : Bubble Chamber Era : *Target  $\equiv$  detector*
- 1965 - 1985: “Electronic Bubble Chambers” (*fixed-target exp.*)
  - Momenta of charged particles: Tracking in magnetic field*
  - Particle ID: TOF,  $dE/dx$ , Č counters*
  - Muon ID: Absorber*
  - Photons: “Shower counters”*

# 1970s - Shower counters in magnetic spectrometers

Example: E70 / 288 @ Fermilab

Discovered Upsilon  $\rightarrow l^+ l^-$



# A brief history

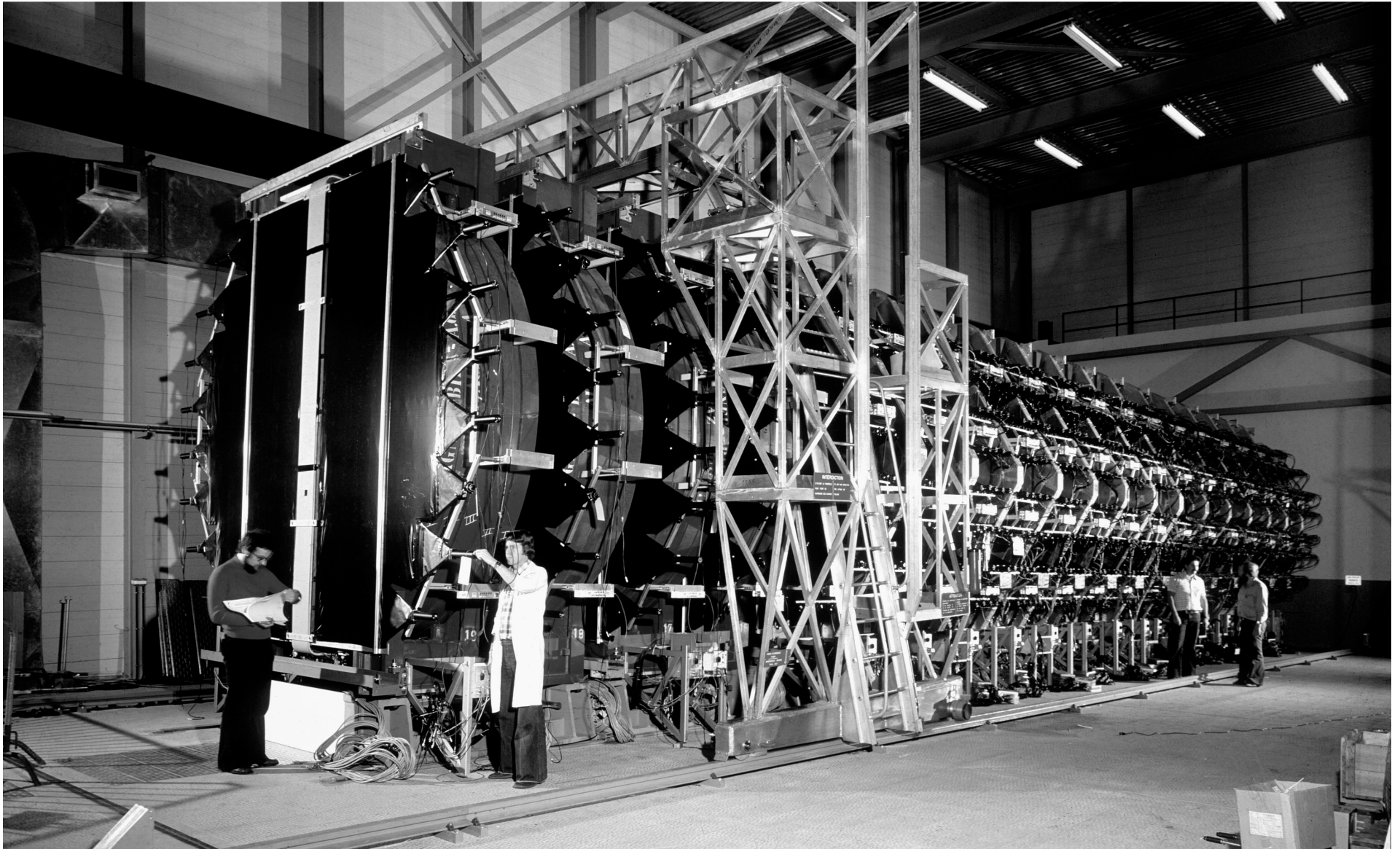
## *of design philosophy in particle physics experiments*

- $\lesssim 1970$ : Bubble Chamber Era : *Target  $\equiv$  detector*
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  - Particle ID: TOF,  $dE/dx$ , Č counters*
  - Muon ID: Absorber*
  - Photons: “Shower counters”*
- 1980 - now: Calorimeter system cornerstone (*collider exp.*)
  - Strong emphasis on electromagnetic calorimetry (exception: HERA)*
  - Magnetic field optional (UA2, D0)*



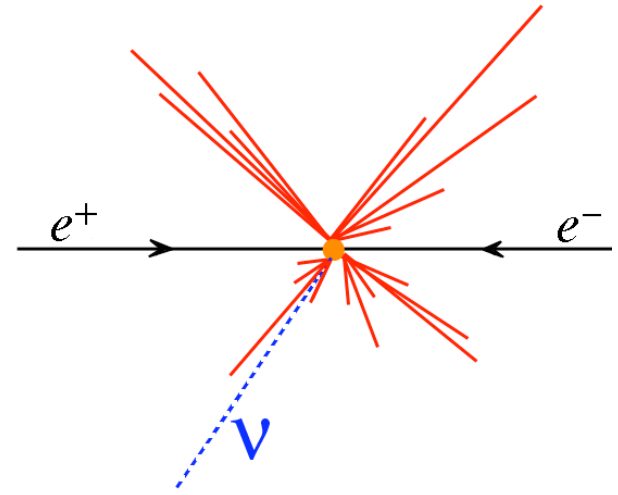
*1975 - Calorimeters take on new tasks  
(target, trigger counter, tracking, particle ID)*

WA1



# Why calorimetry?

- Measure *charged + neutral* particles
- Obtain information on *energy flow*:  
Total (missing) transverse energy, jets, *etc.*
- Obtain information *fast*  
→ recognize and select interesting events in real time (*trigger*)
- Performance of calorimeters *improves with energy*  
( $\sim E^{-1/2}$  if statistical processes are the limiting factor)



If  $E \propto \text{signal}$ , i.e.  $E \propto \# \text{ signal quanta } n \rightarrow \sigma(E) \propto \sqrt{n}$   
→ energy resolution  $\frac{\sigma(E)}{E} \propto 1/\sqrt{n} \propto 1/\sqrt{E}$

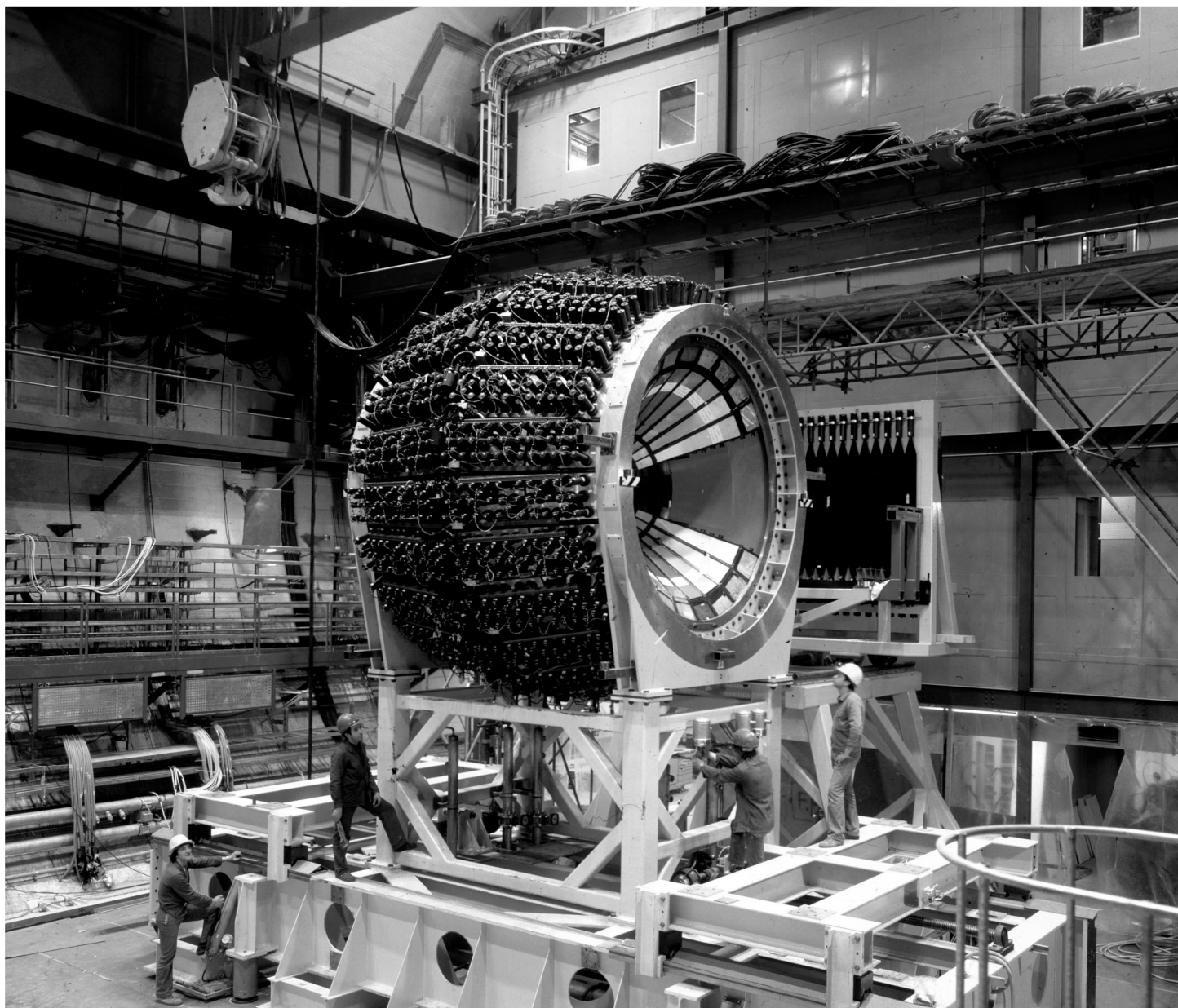


*1980 - Calorimeters become crucial component of  $4\pi$  experiments*

*(event selection: trigger on energy flow parameters such as missing  $E_T$ )*

*Led to discovery of  $W \rightarrow e\nu$ ,  $W \rightarrow \mu\nu$*

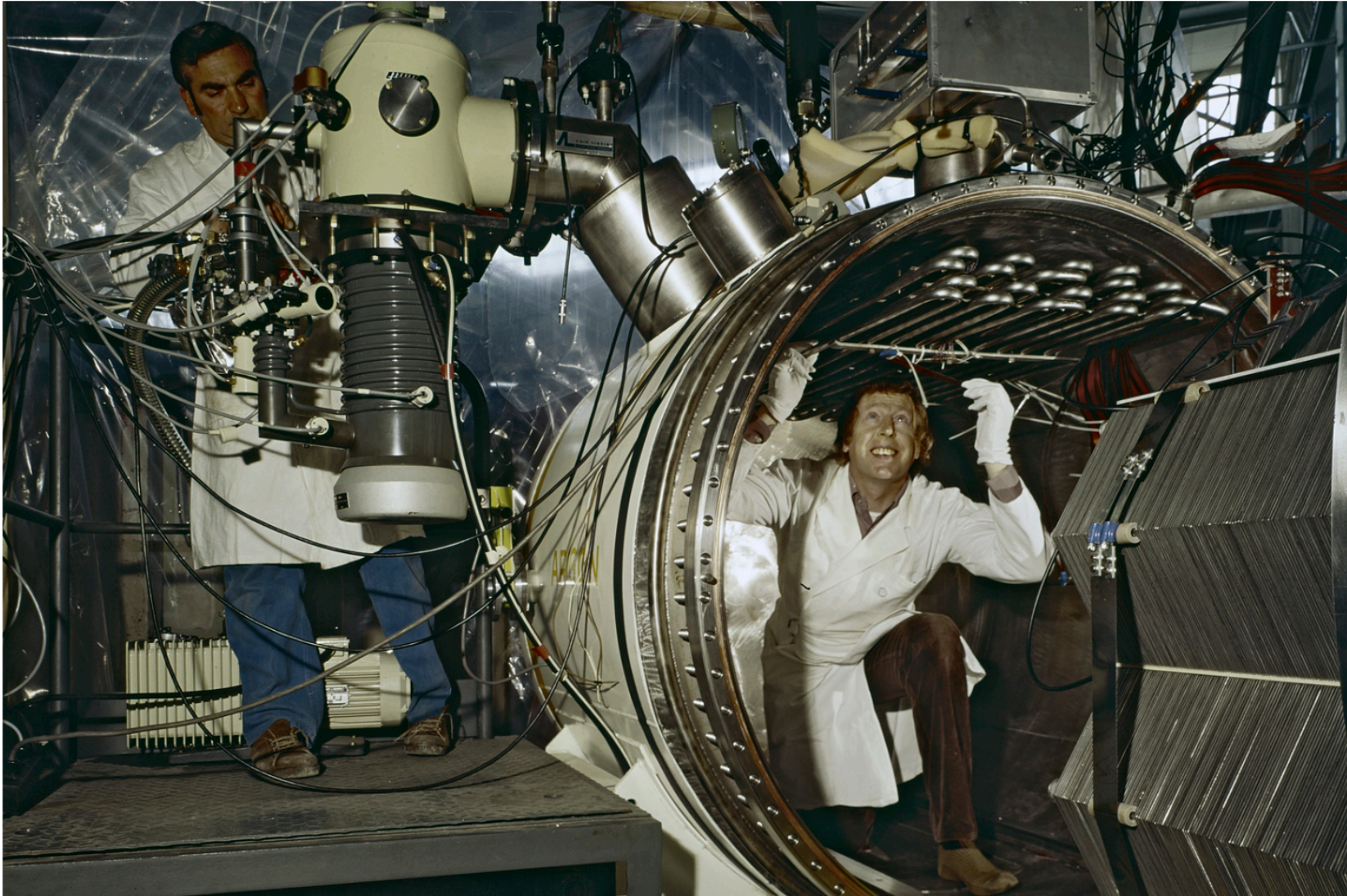
*UA2  
(CERN)*





*Willis/Radeka Lar calorimeter for an ISR experiment (1974)*

*Direct collection of ionization charge  
in a dense sampling medium*



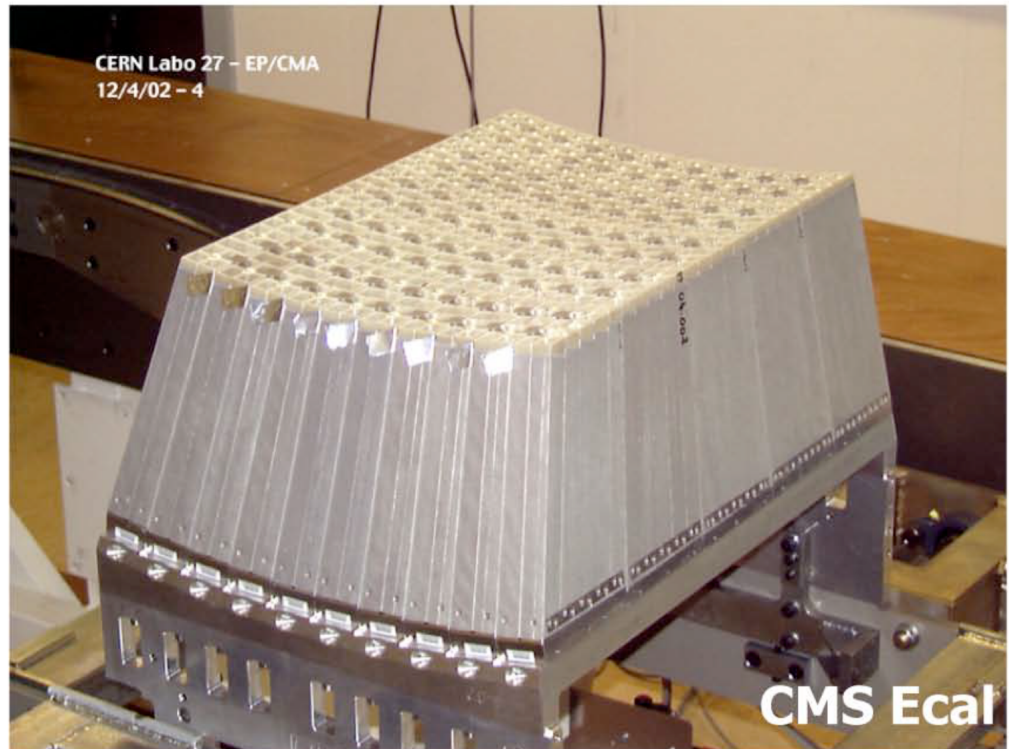
## *Types of calorimeters*



# *Homogeneous calorimeters*

*Absorber material = detector material*

- *High-density crystals used as electromagnetic calorimeters*  
*Example: CMS ECAL,  $\text{PbWO}_4$ . Density  $8.3 \text{ g/cm}^3$ , radiation length  $8.9 \text{ mm}$ .*
- *Very good energy resolution*
- *Very expensive*
- *Radiation damage a problem*
- *Other crystals:*  
 *$\text{NaI(Tl)}$ ,  $\text{CsI}$ ,  $\text{BGO}$ ,  $\text{BaF}_2$*

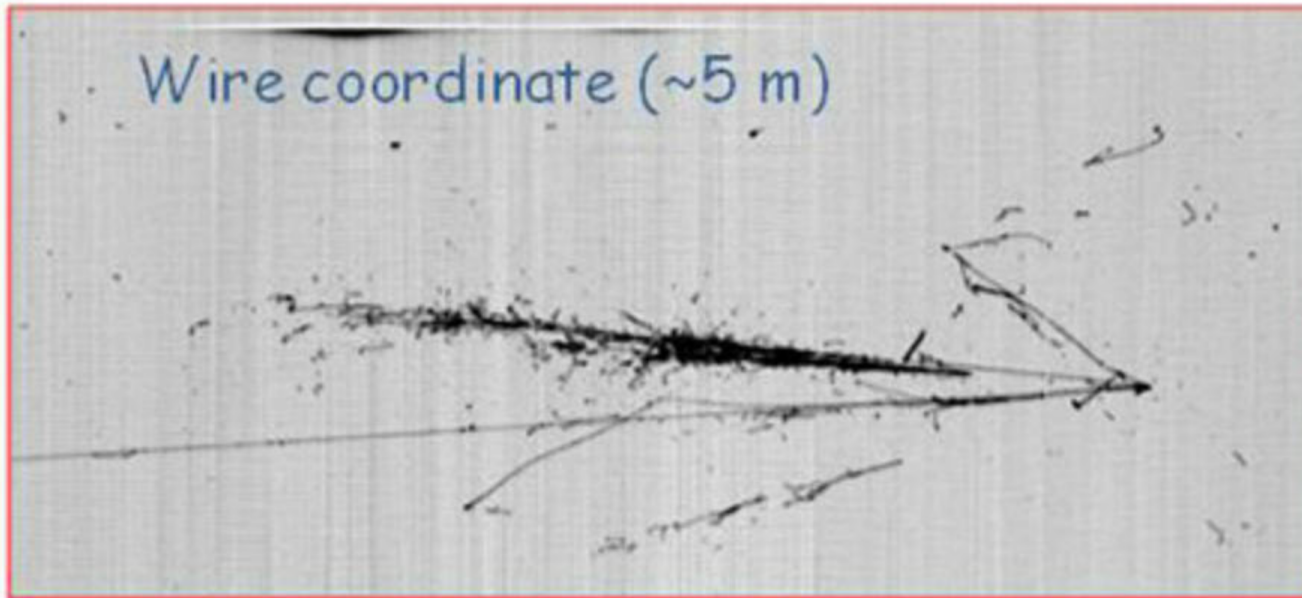






# *Imaging calorimeters*

*Pioneered by ICARUS (Gran Sasso Lab)*



*CERN to Gran Sasso  $\nu$  beam*



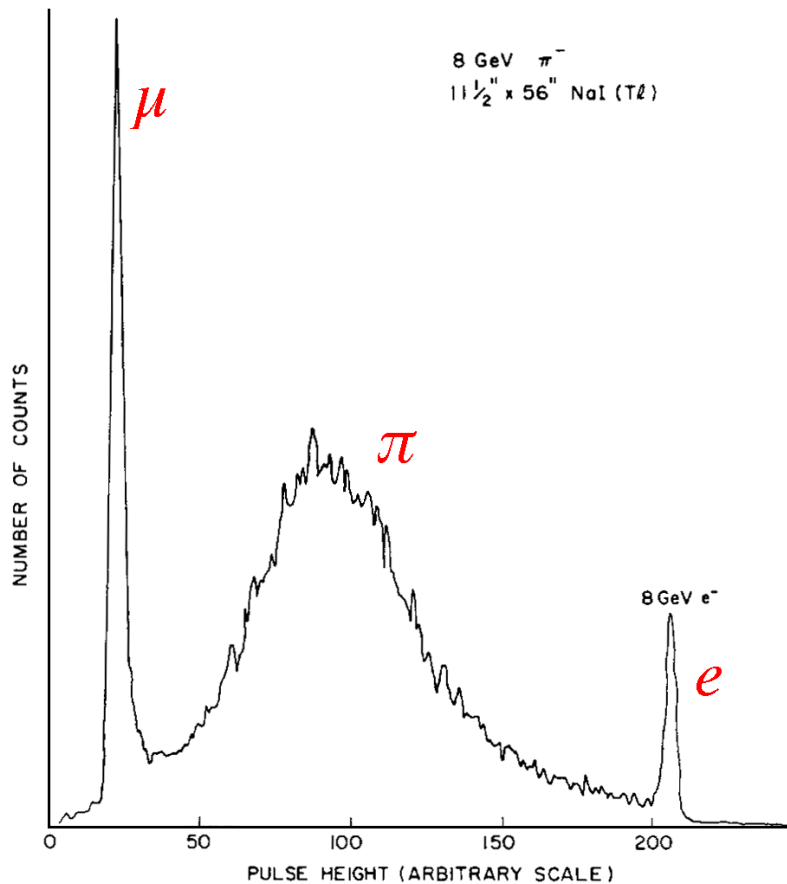
*Hadron detection with calorimeters*

*Early indication that hadron calorimetry is different!*

*NIM 75 (1969) 130*

*450 kg of NaI (Tl) crystals*

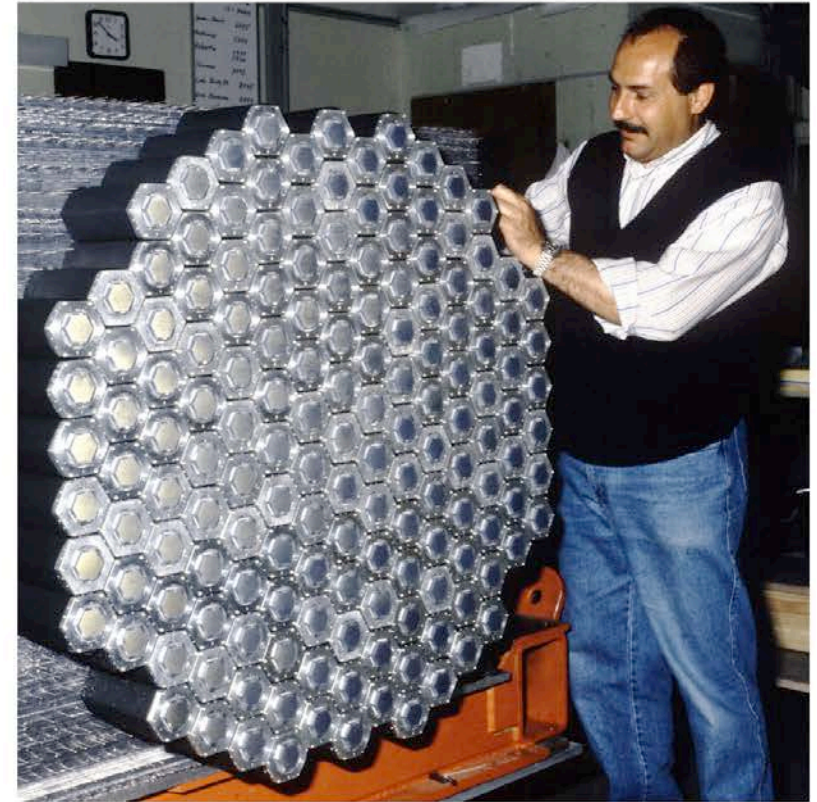
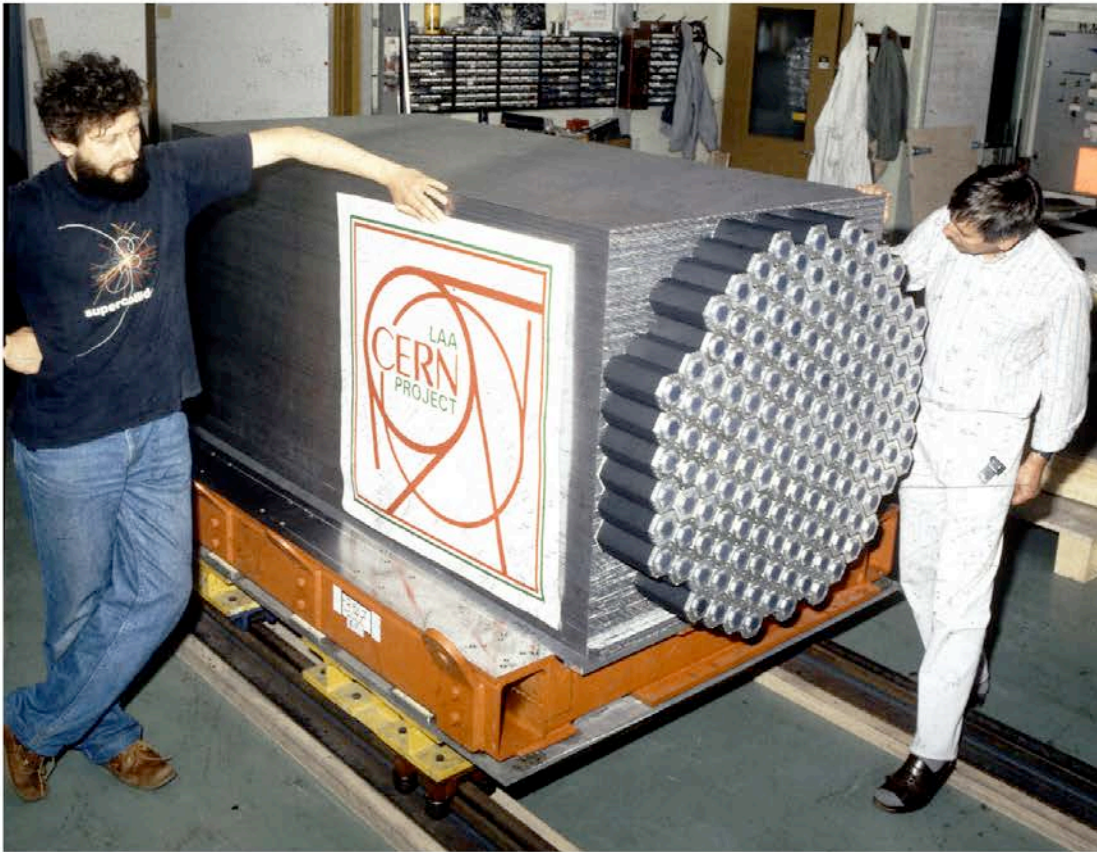
*Tested with 8 GeV particle beams*



*Conclusions of authors:*

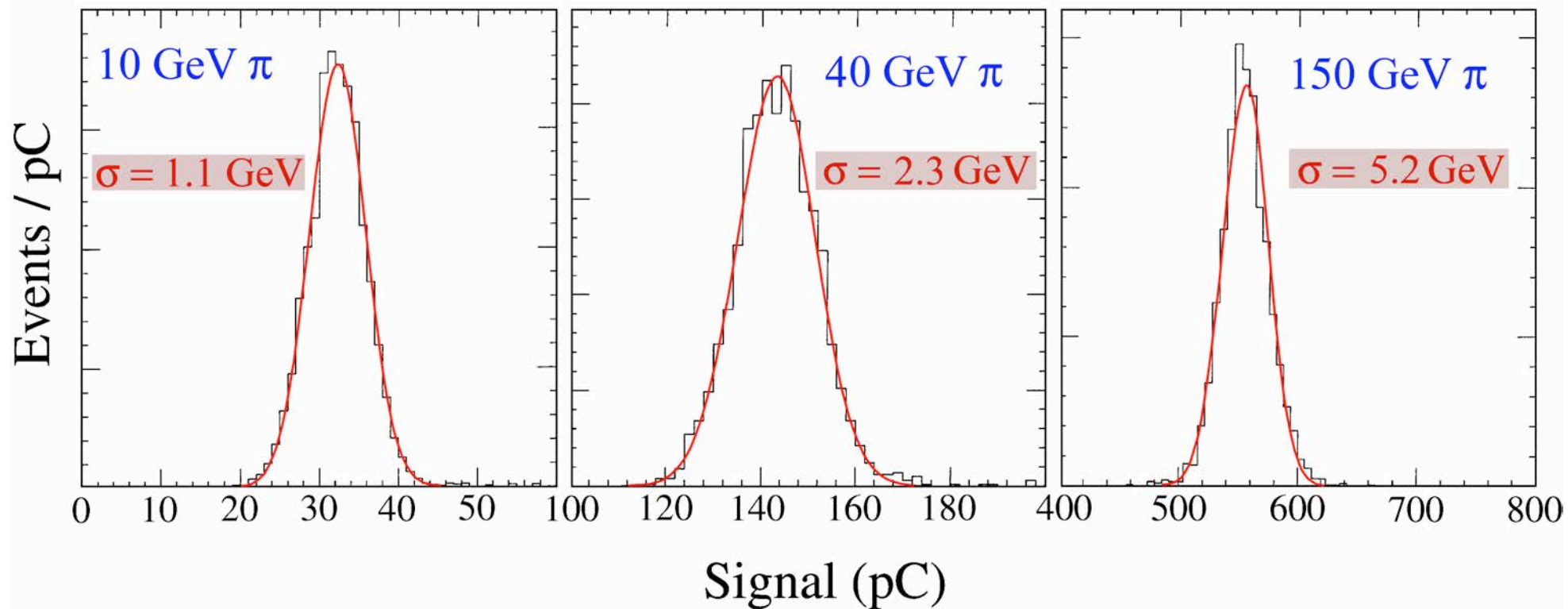
- *50% of energy leaks out*
- *MC: much less leakage*
- *Same results at 4, 12, 16 GeV*
- *Resolution did NOT improve with E*

## *SPACAL 1989*





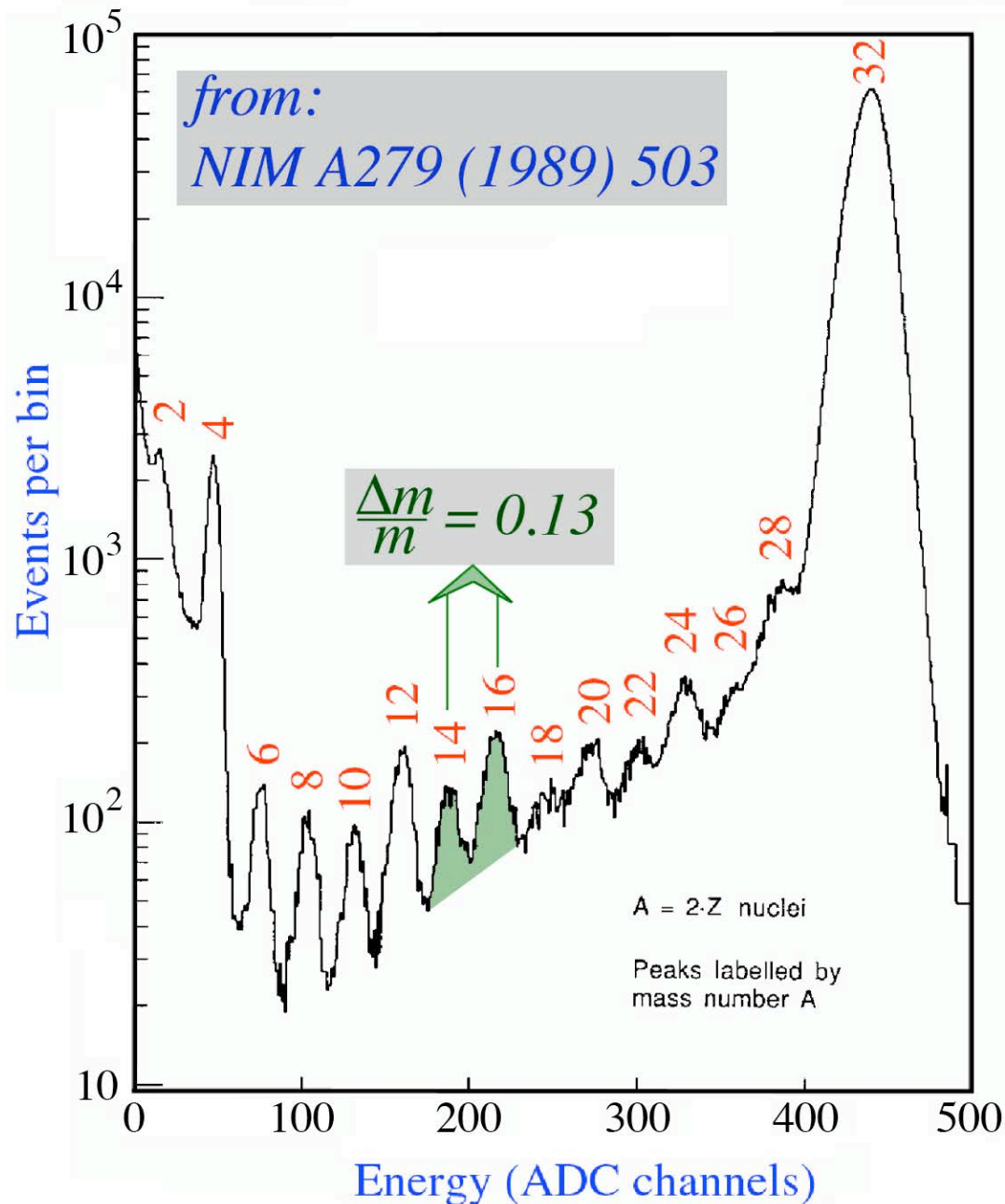
## *Hadronic signal distributions in a compensating calorimeter*



*from: NIM A308 (1991) 481*

# Hadron calorimetry in practice

## Energy resolution in a compensating calorimeter



W/Z separation:

$$\frac{\Delta m}{m} \sim 0.11$$

The WA80 calorimeter as high-resolution spectrometer.  
Total energy measured with the calorimeter for minimum-bias events revealed the composition of the momentum-selected CERN heavy-ion beam

# *The basics of calorimetry*

*with emphasis on features important for sampling calorimetry*

# Shower development

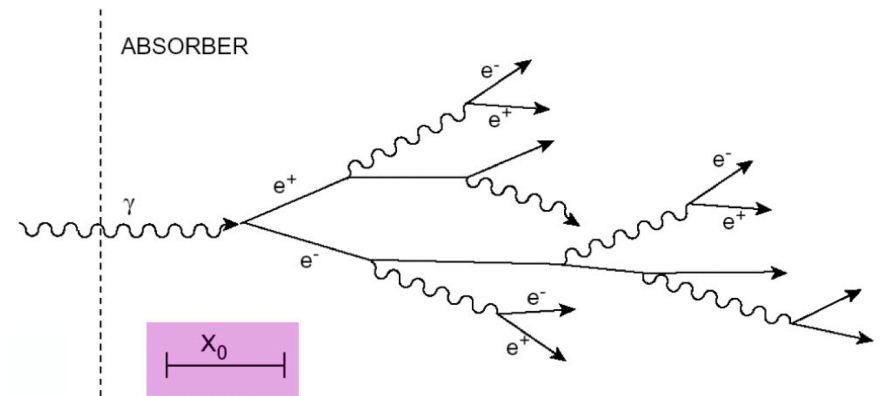
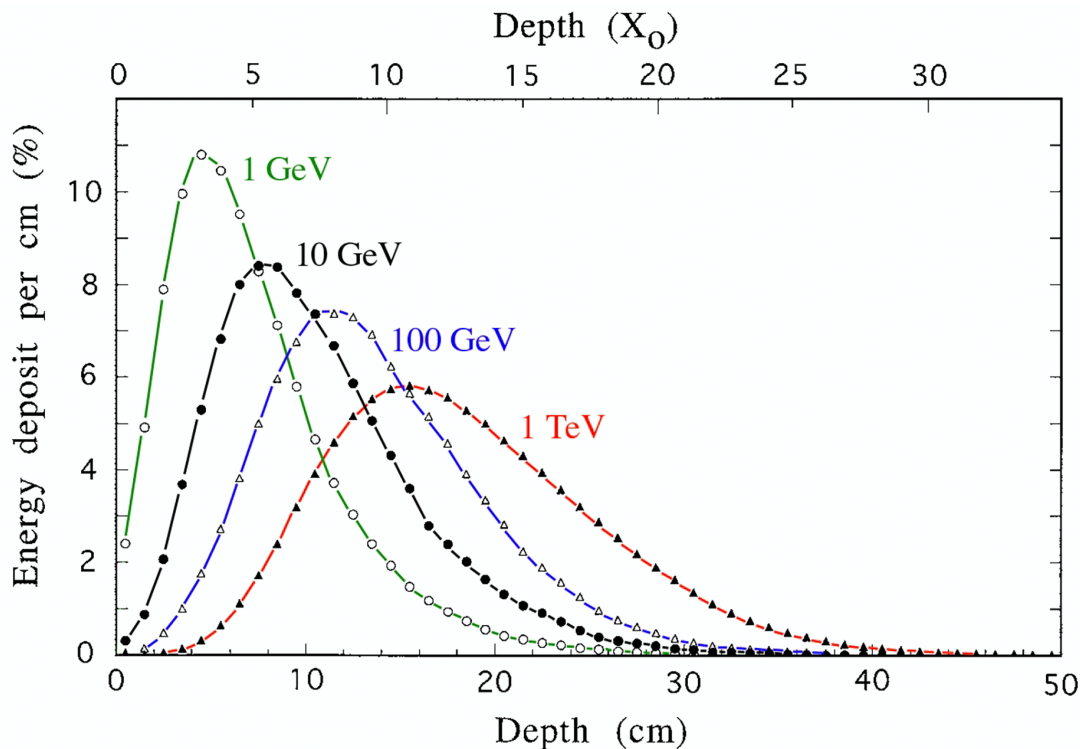
Absorption of high-energy particle takes place in large number of steps

Eventually, low-energy shower particles deposit their kinetic energy by ionizing or exciting the atoms of the absorber material

## Electromagnetic showers:

Initially  $\gamma \rightarrow e^+e^-$ ,  $e \rightarrow \gamma$  (particle multiplication)

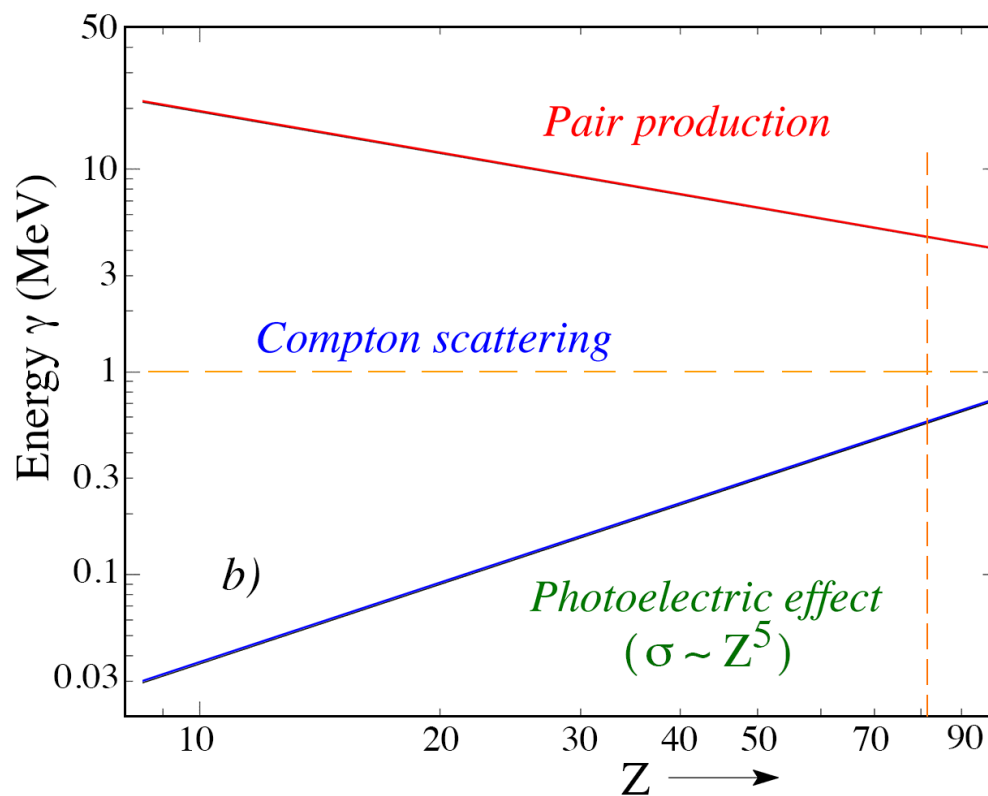
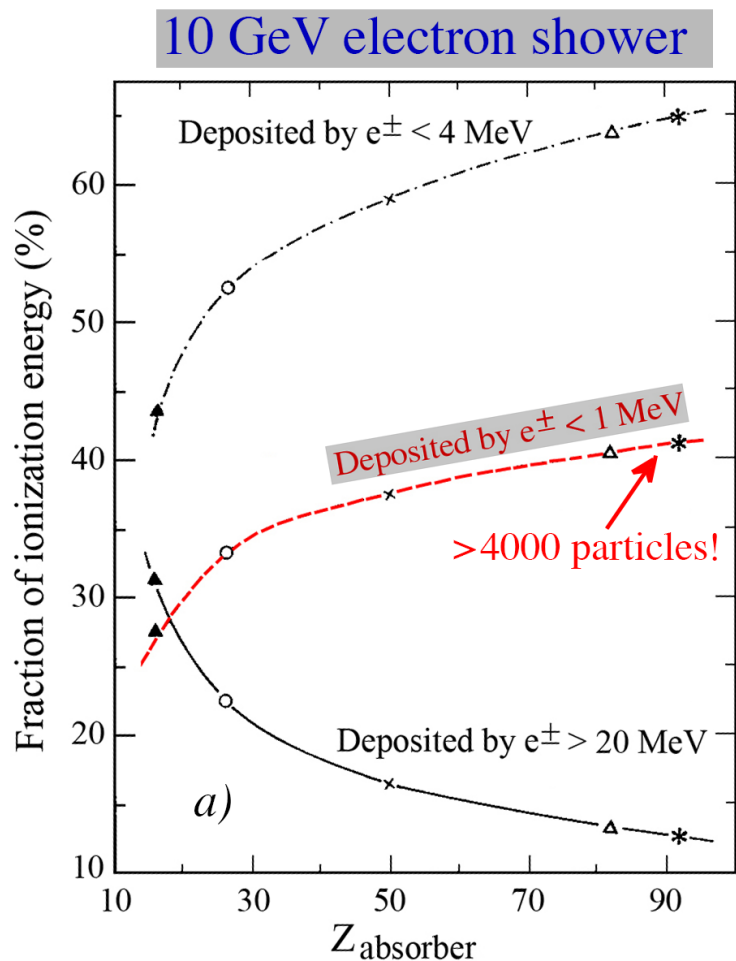
After shower maximum:  $\gamma \rightarrow e^-$ , electrons range out



The shower development is governed by the “radiation length”  $X_0$ , which is typically  $\sim 1$  cm

**Hadron showers:** Nuclear reactions  $\rightarrow$  protons, neutrons very important

# Calorimeter properties determined by last stages of shower development

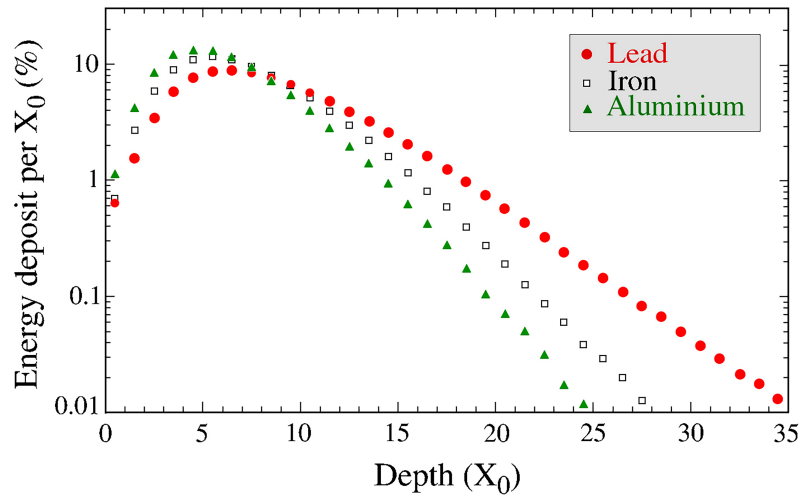


## Consequences:

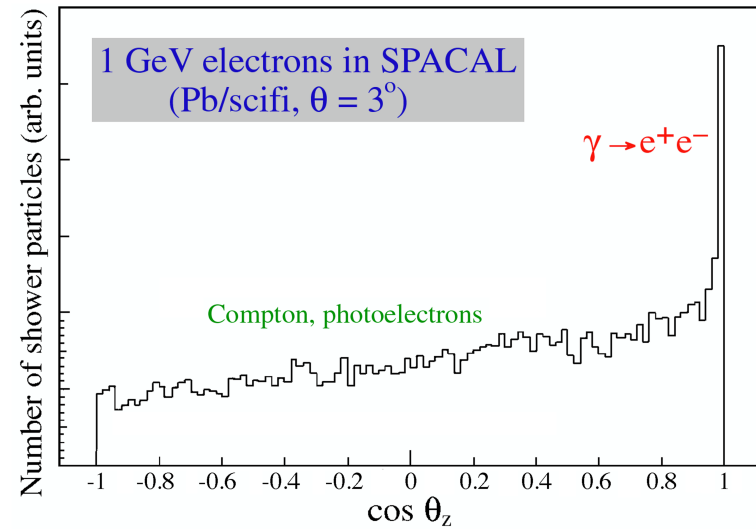
- Radiation length not a material independent scaling variable
- Orientation active layers in sampling calorimeter does not matter
- Sampling fraction changes as function of depth (age) of shower

# Examples of effects of soft, late-stage shower particles

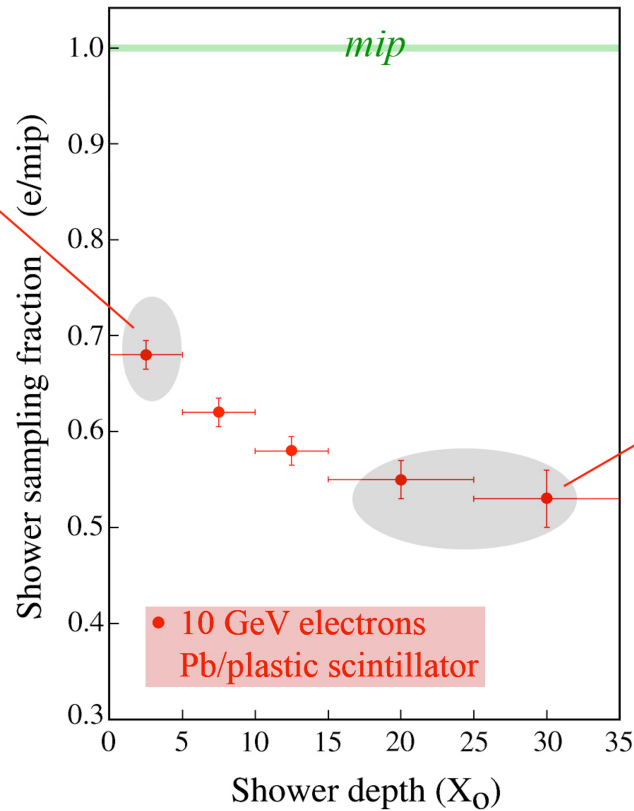
*$X_0$  not good scaling variable*



*Orientation active layers not important*



*shower dominated by mip's*



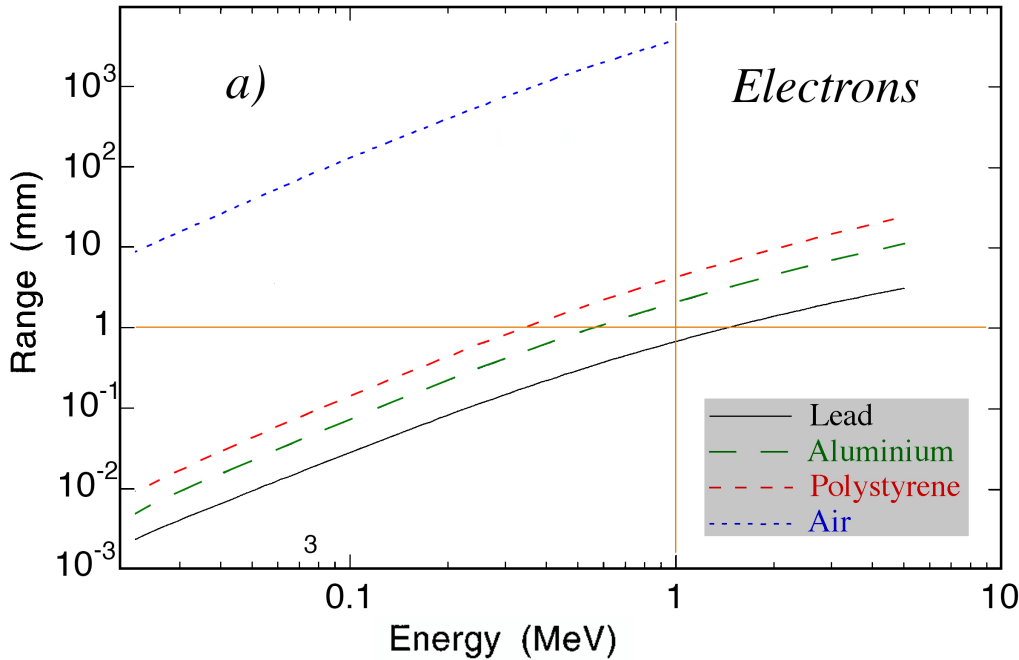
*Sampling fraction changes in developing shower*

*shower dominated by soft  $\gamma$ 's*

• 10 GeV electrons  
Pb/plastic scintillator

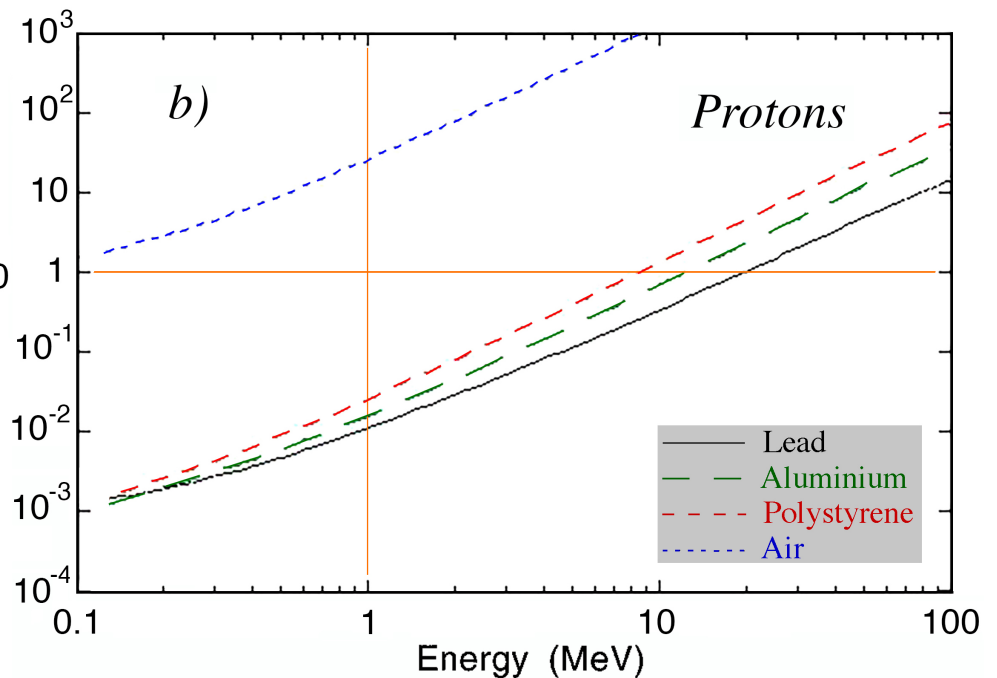


# The range of typical shower particles



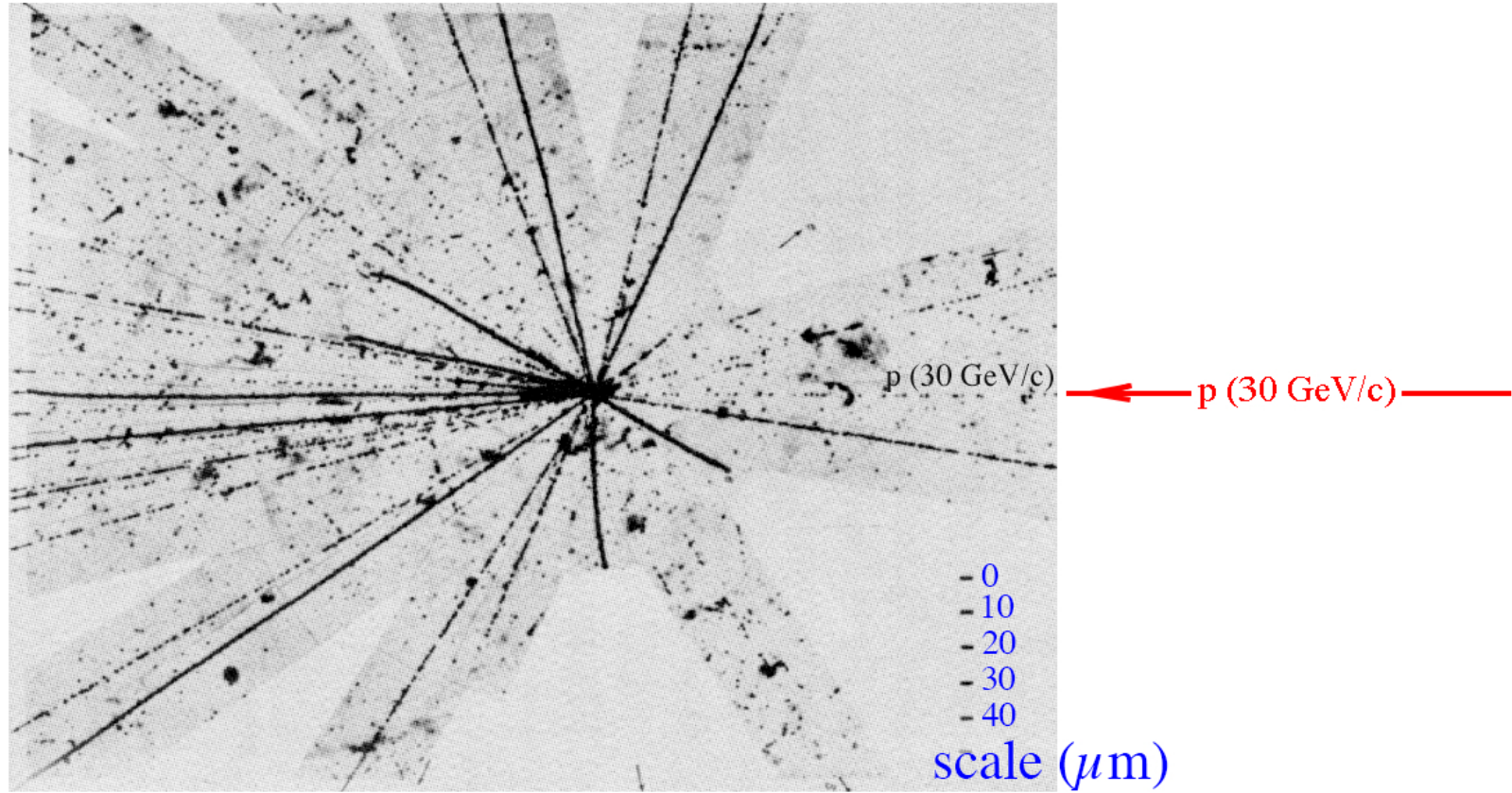
Electrons: 40% < 1 MeV

Nuclear binding energy 6-8 MeV/nucleon



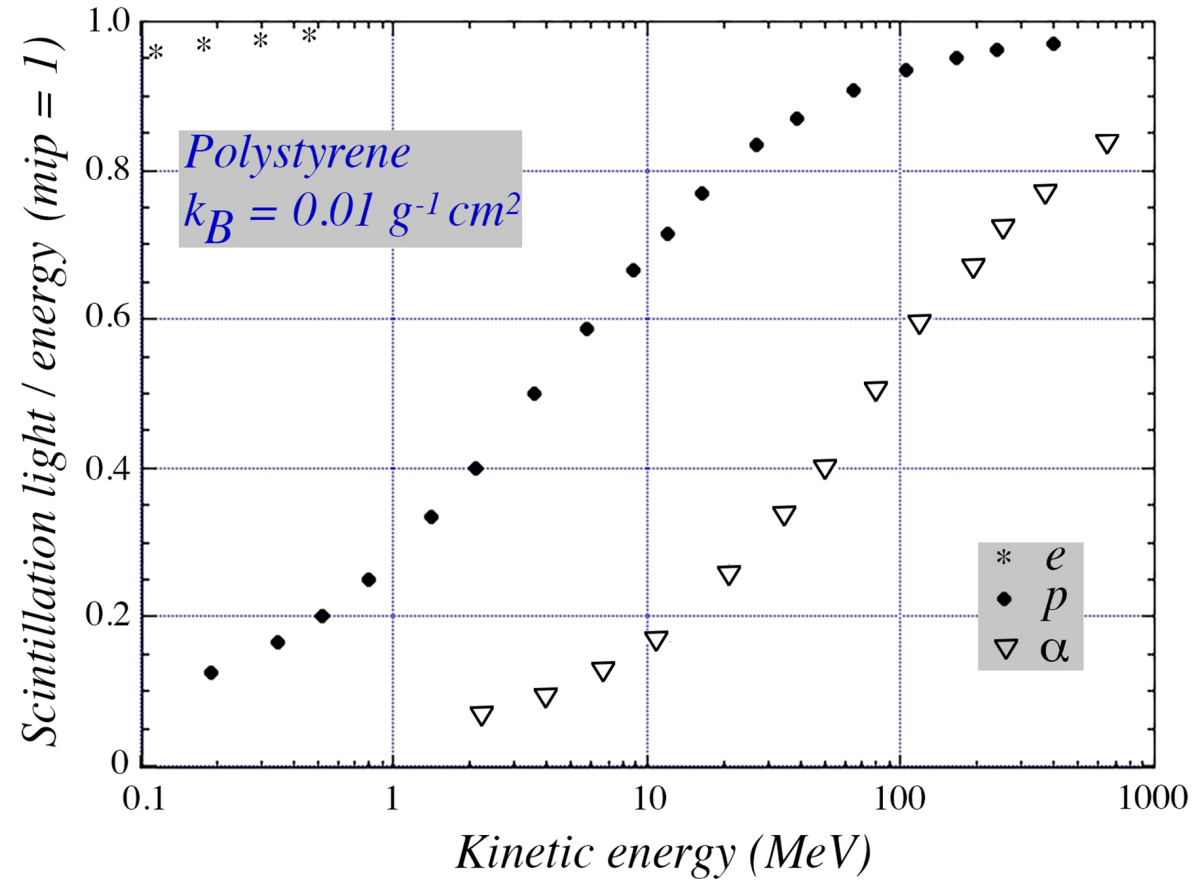
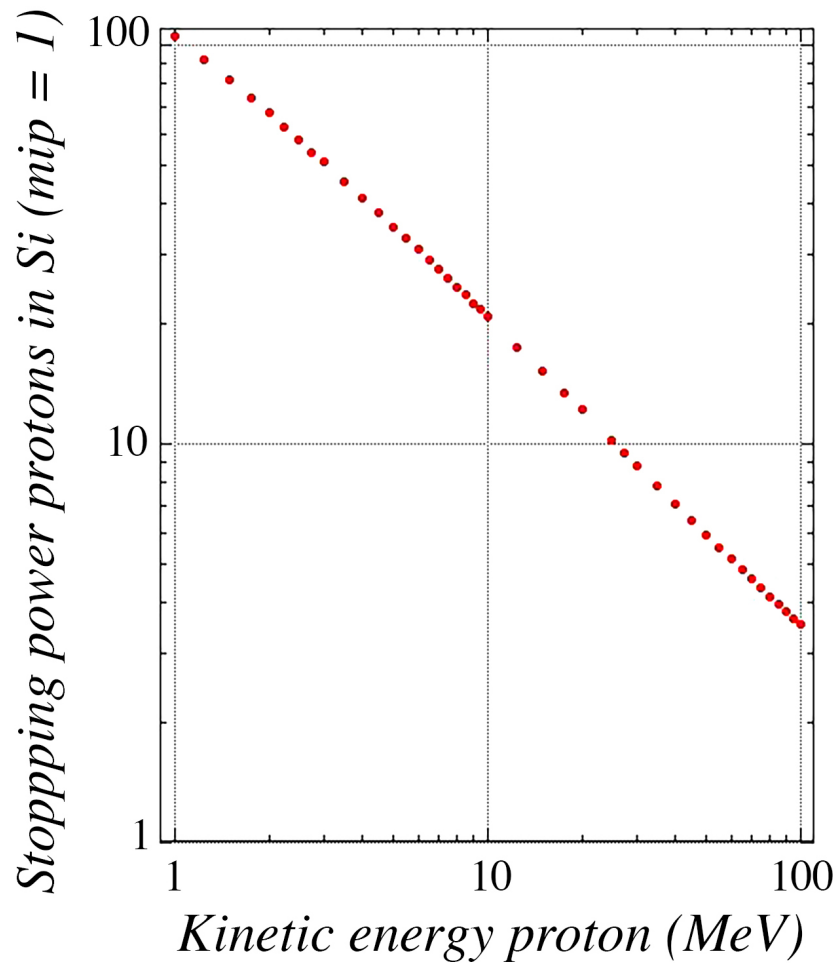
Therefore, a typical shower particle travels a distance that is smaller than the distance between consecutive active layers in a sampling calorimeter and thus contributes only to the signal from ONE layer (or, more often, ZERO)

# *When nuclear reactions get involved*





# Calorimeter signal quenching (densely ionizing particles)



Plastic scintillator, liquid argon: Important quenching effects  
Gaseous readout, silicon: No quenching effects

# Signal saturation and calorimeter performance

Distinguish between:

## 1) Saturation of active calorimeter medium

(signal not proportional to deposited energy)

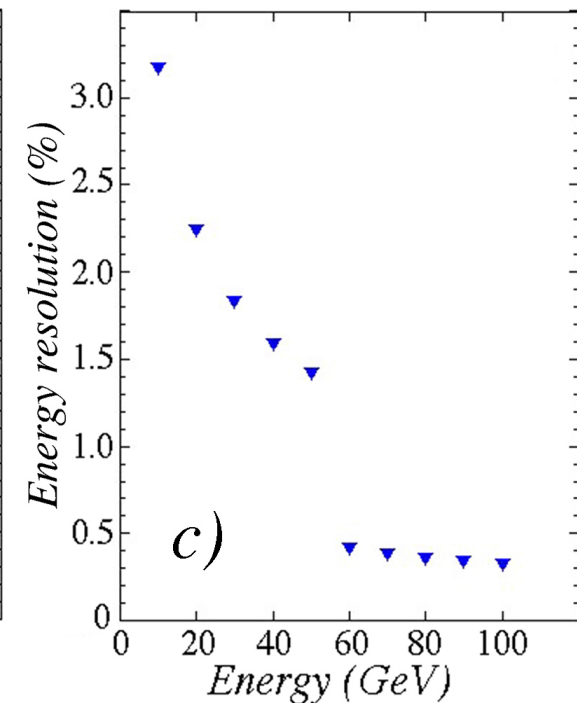
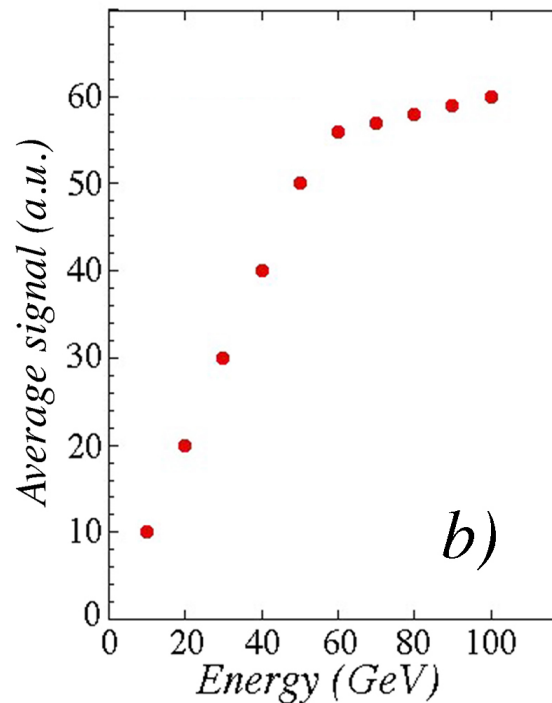
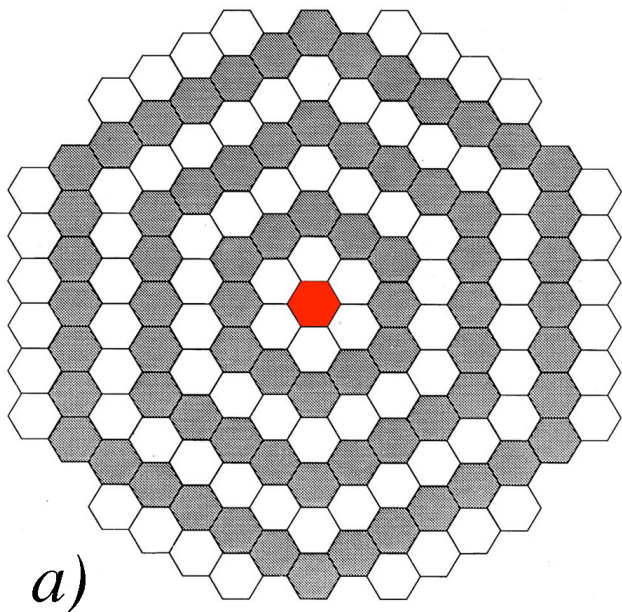
Typically, this leads to bad, non-recoverable effects (non-linearity, meaningless resolution)

Example: “digital” calorimeters (SiPM, RPC)

## 2) Saturation of the readout electronics

Effects are similar, but recoverable: Non-linearity, overestimated energy resolution

Example: SPACAL

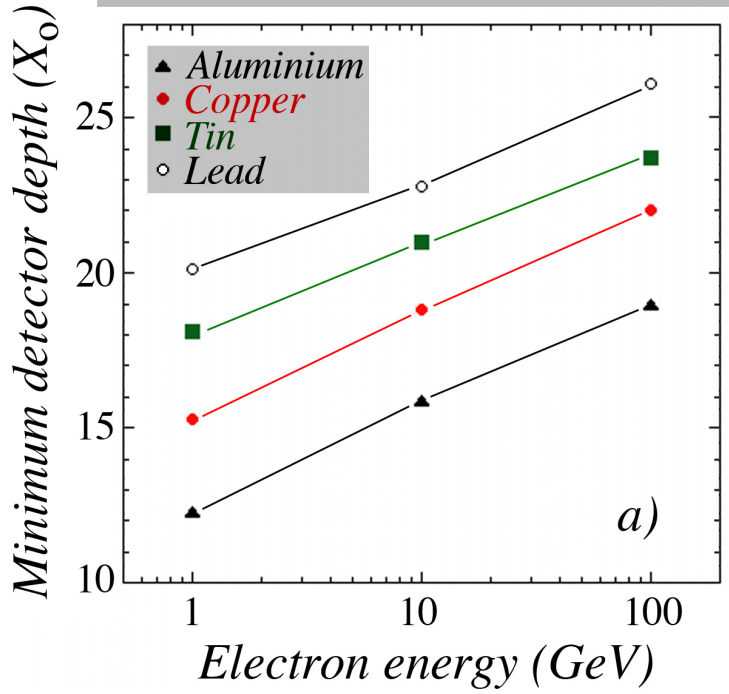


## *Properties of electromagnetic calorimeters*

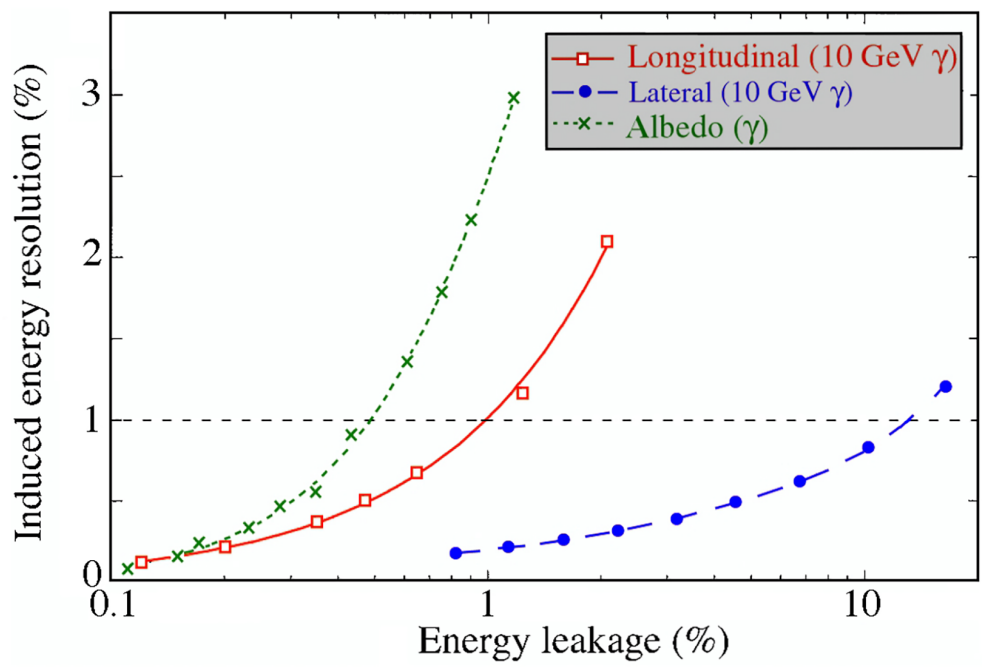
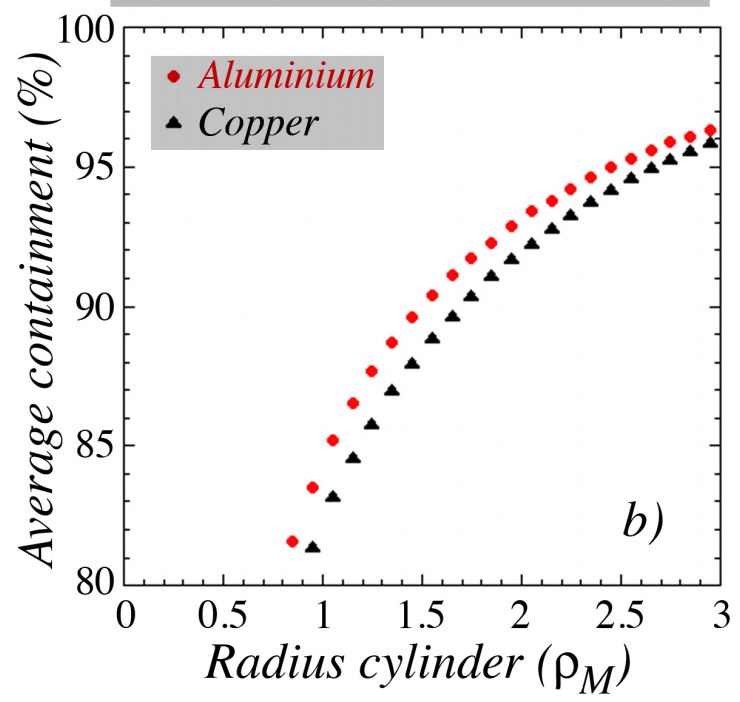
- *How big (effects shower leakage on performance)*
- *Energy resolution*
- *Shower profiles*

# How big should an em calorimeter be?

99% longitudinal containment



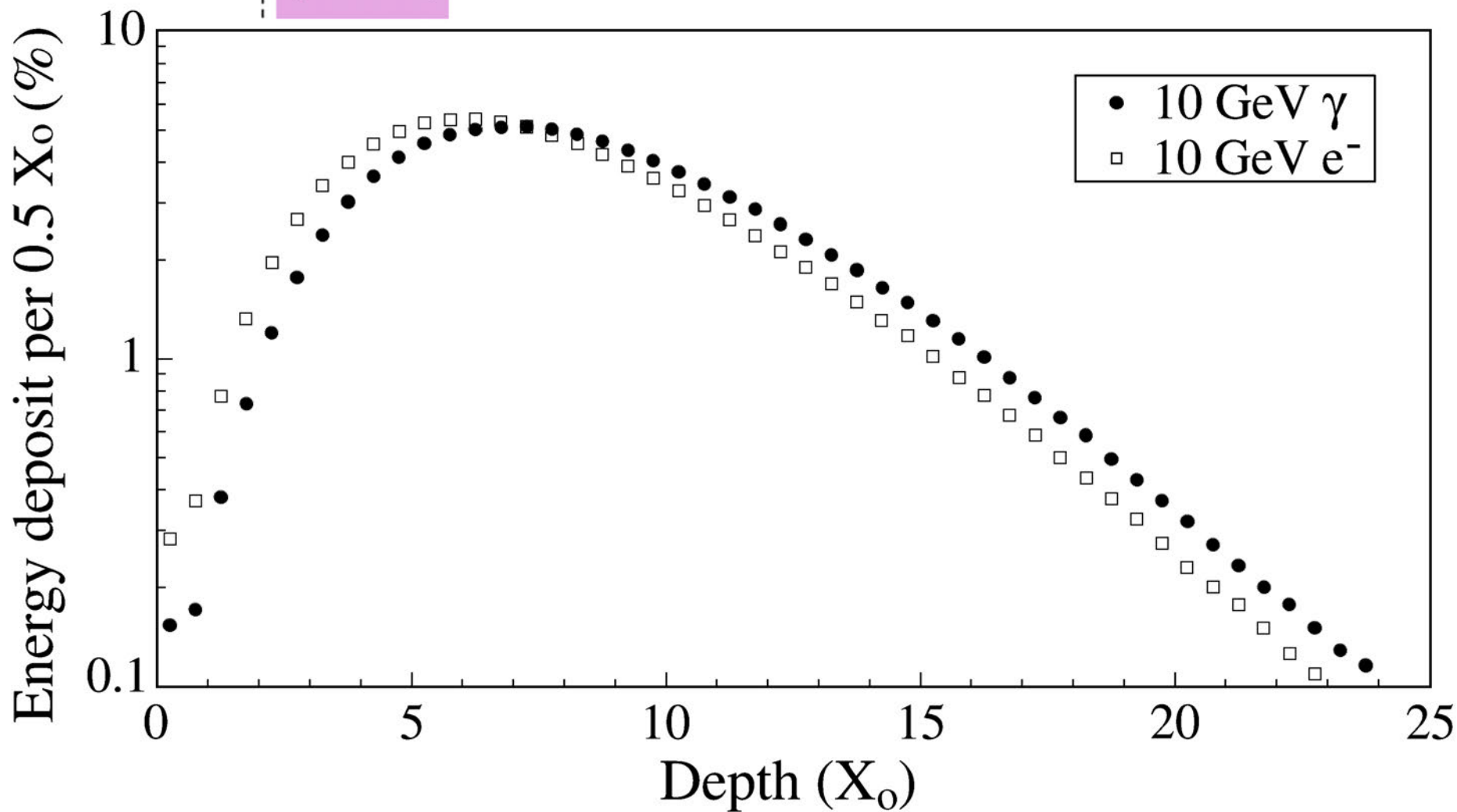
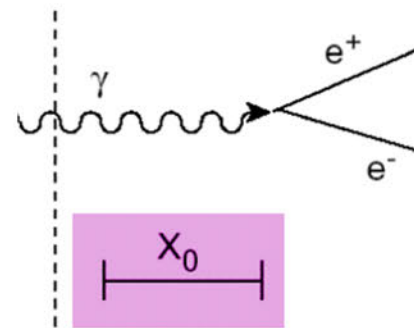
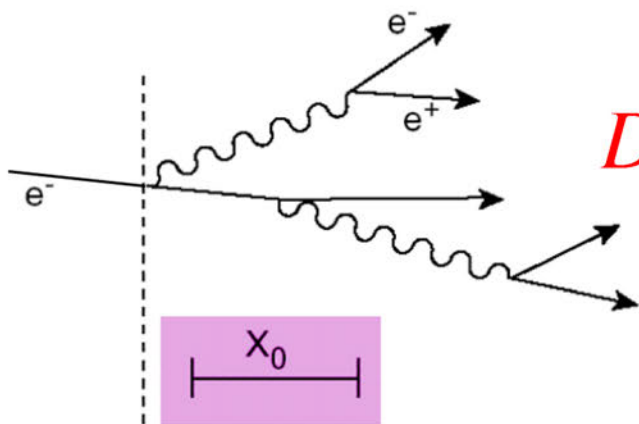
Lateral shower containment



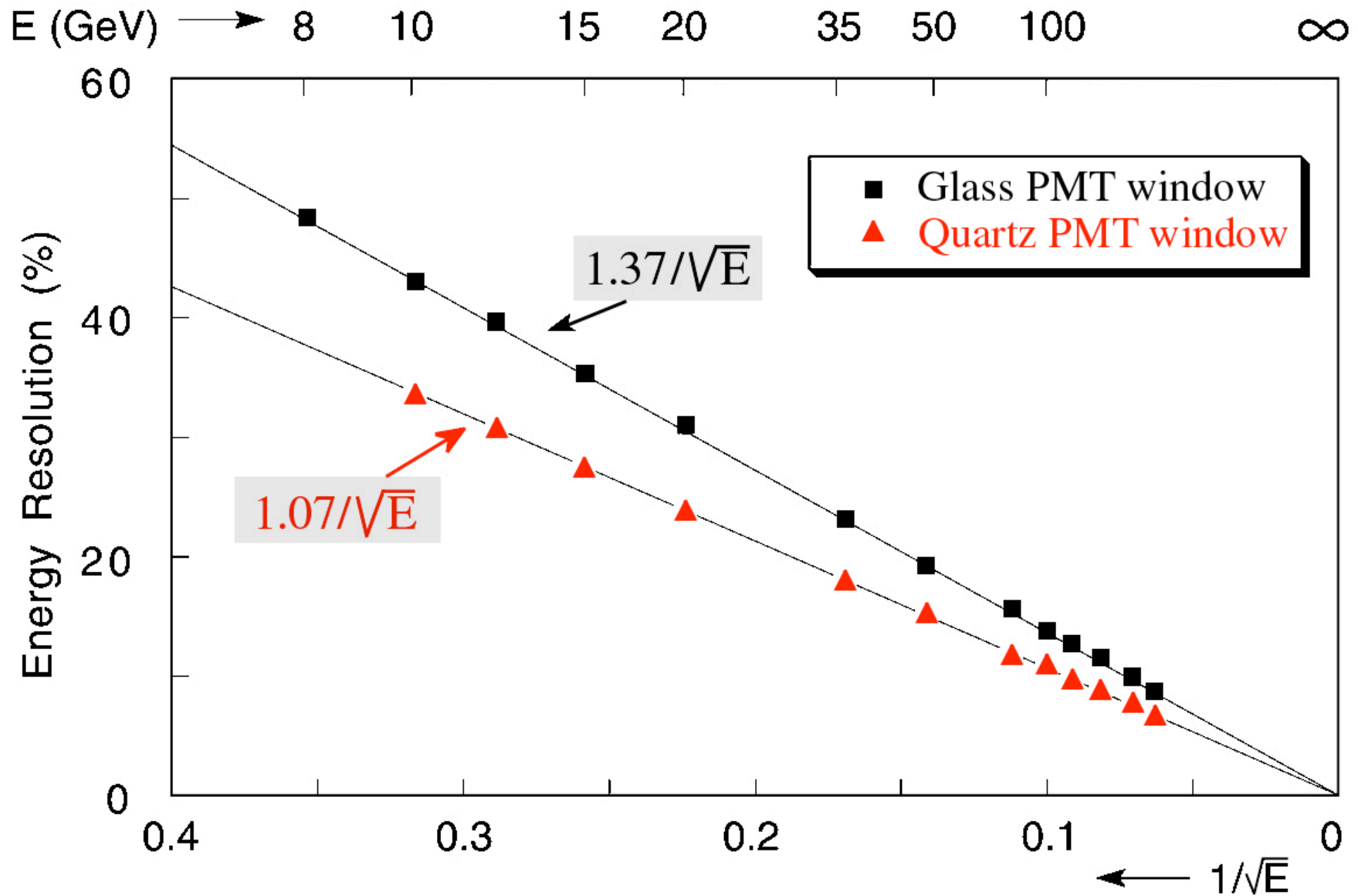
Effect of shower leakage on the em energy resolution

*In a calorimeter, showers initiated by electrons and  $\gamma$ s*

**DEVELOP  
DIFFERENTLY**



*In an ideal calorimeter, resolution scales as  $E^{-1/2}$*

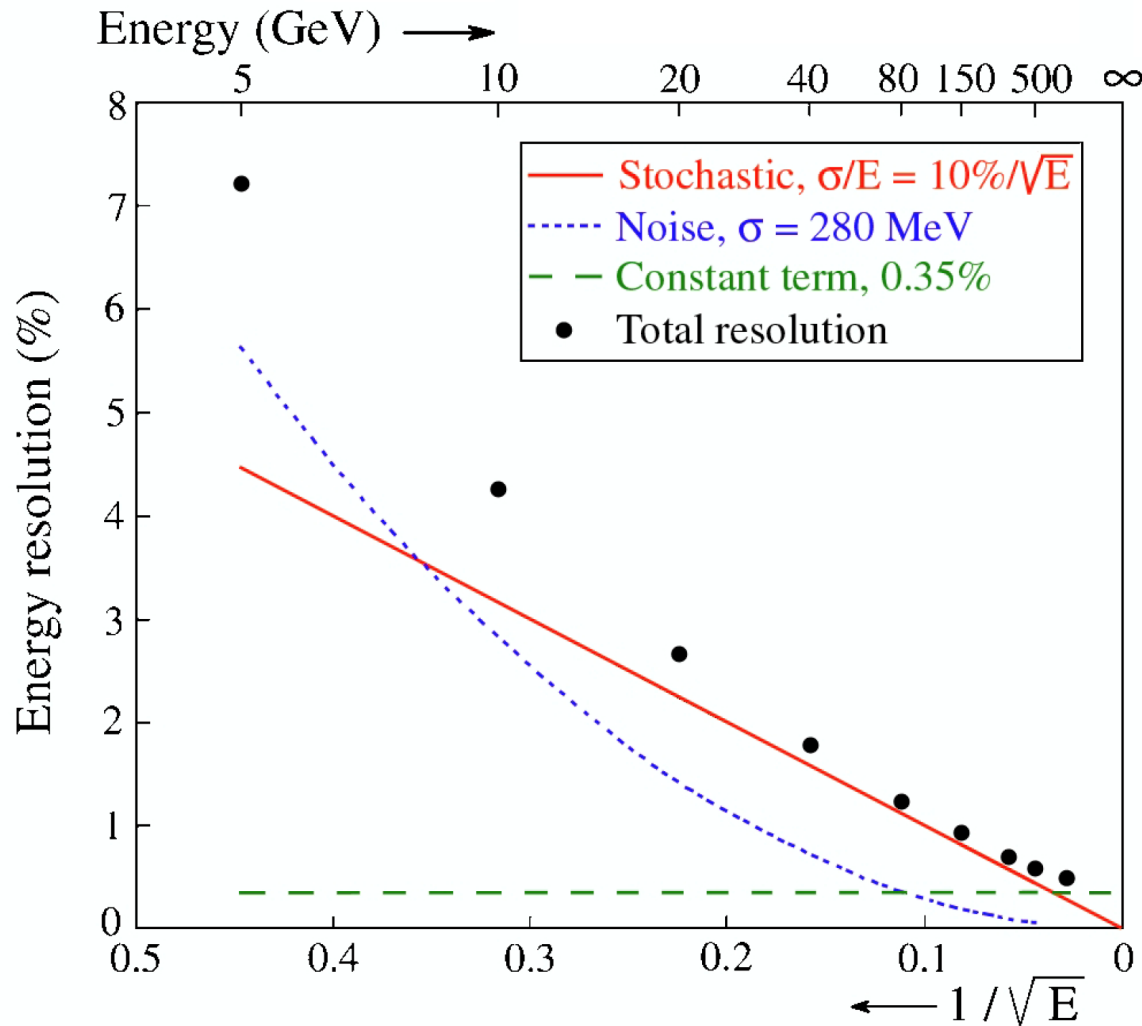


## *Non-stochastic contributions to the energy resolution*

- *Electronic noise (contributes as  $1/E$ )*
- *Instrumental effects (energy independent contribution)*
  - *non-uniformity of structure*
  - *light attenuation*
  - *position dependence of the response*
  - *.....*
- *Shower leakage (contributions different for longitudinal/lateral)*
- *Catastrophic effects, such as the “spikes” in CMS ECAL*
- *In hadron calorimeters: Effects of non-compensation*



# The em energy resolution of the ATLAS calorimeter



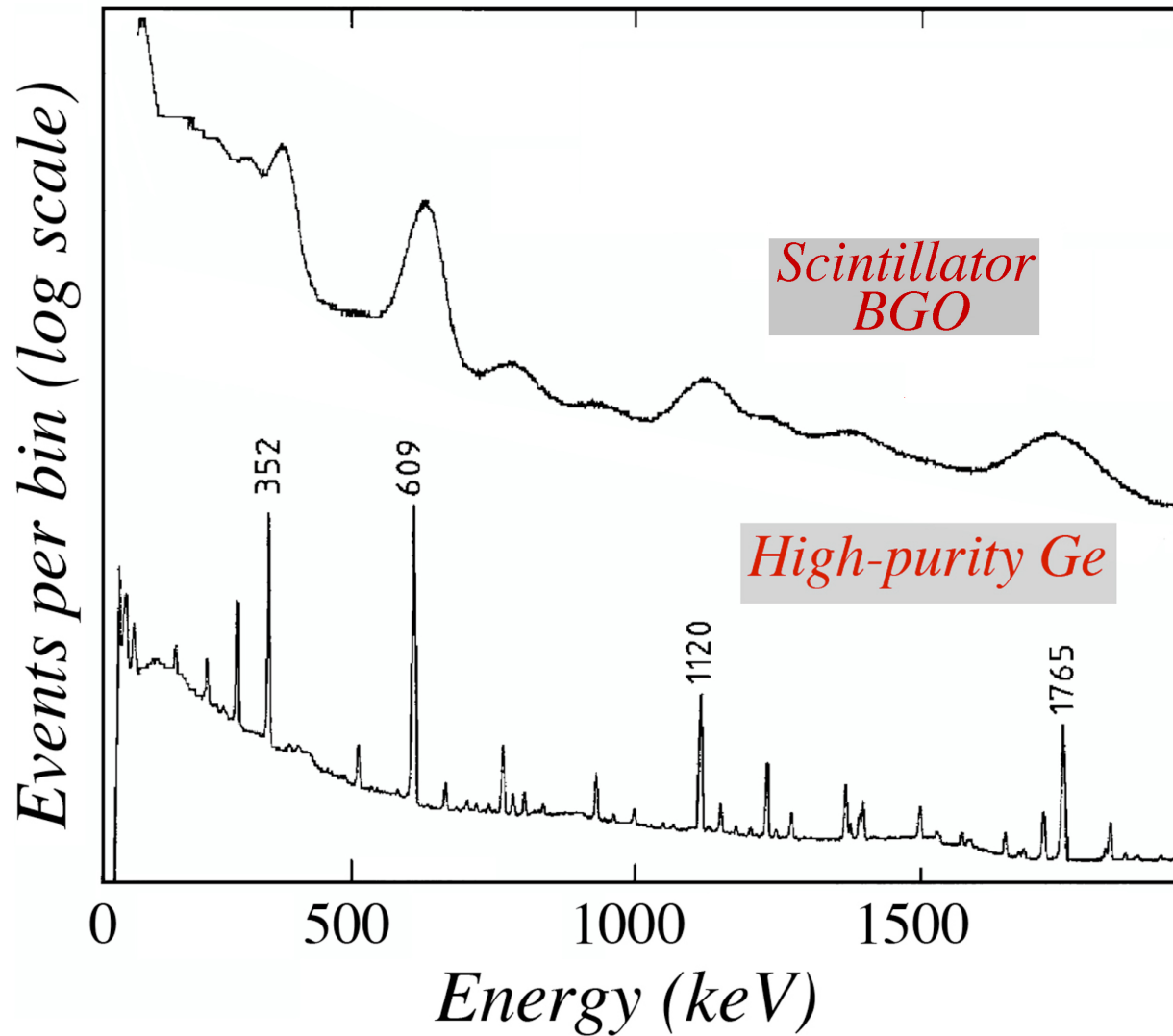
Add in quadrature:

$$\sigma_{\text{tot}}^2 = \sigma_1^2 + \sigma_2^2 + \sigma_3^2 + \sigma_4^2 \dots$$

FIG. 9.30. The em energy resolution and the separate contributions to it, for the em barrel calorimeter, at  $\eta = 0.28$  [Gin 95].



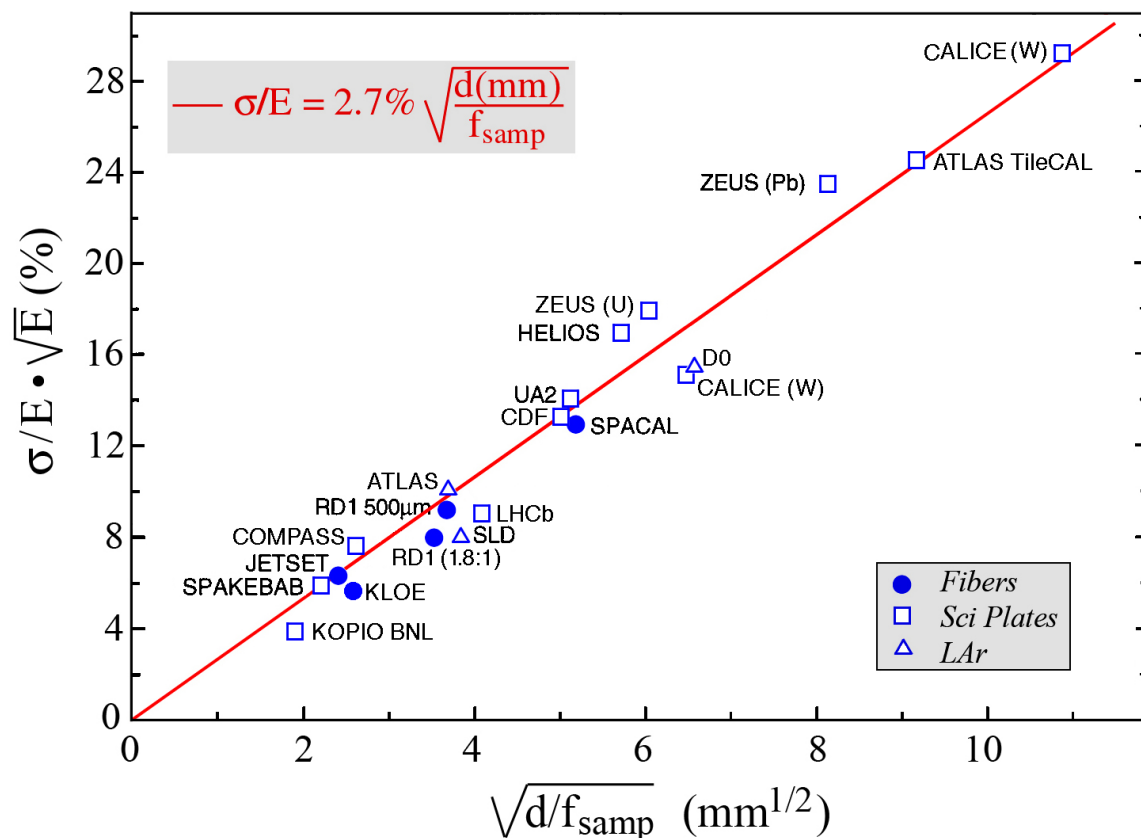
*The best em energy resolutions are achieved with homogeneous calorimeters*



*Energy resolution determined/limited by fluctuations in the number of signal quanta*  
*Semiconductors: 2 eV/electron-hole pair  $\rightarrow$  500,000/MeV  $\rightarrow$   $\sigma/E = 0.14\%$*

# Em energy resolution in sampling calorimeters

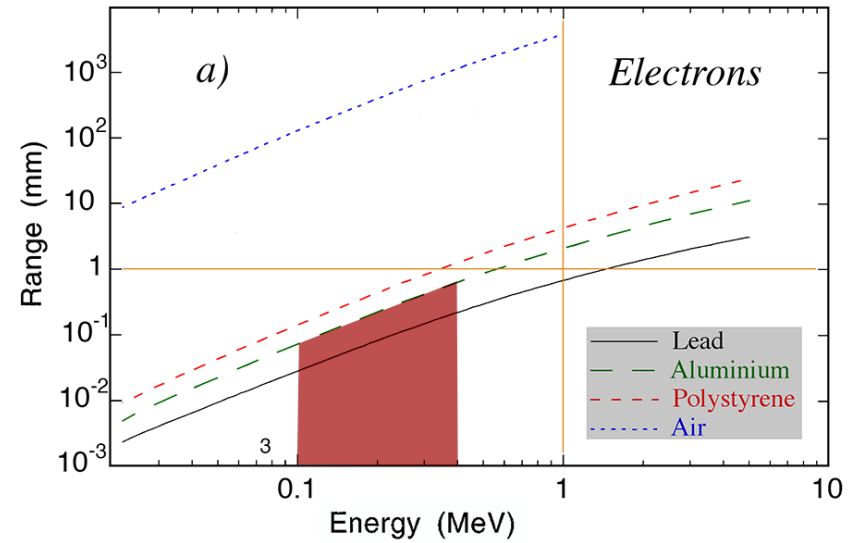
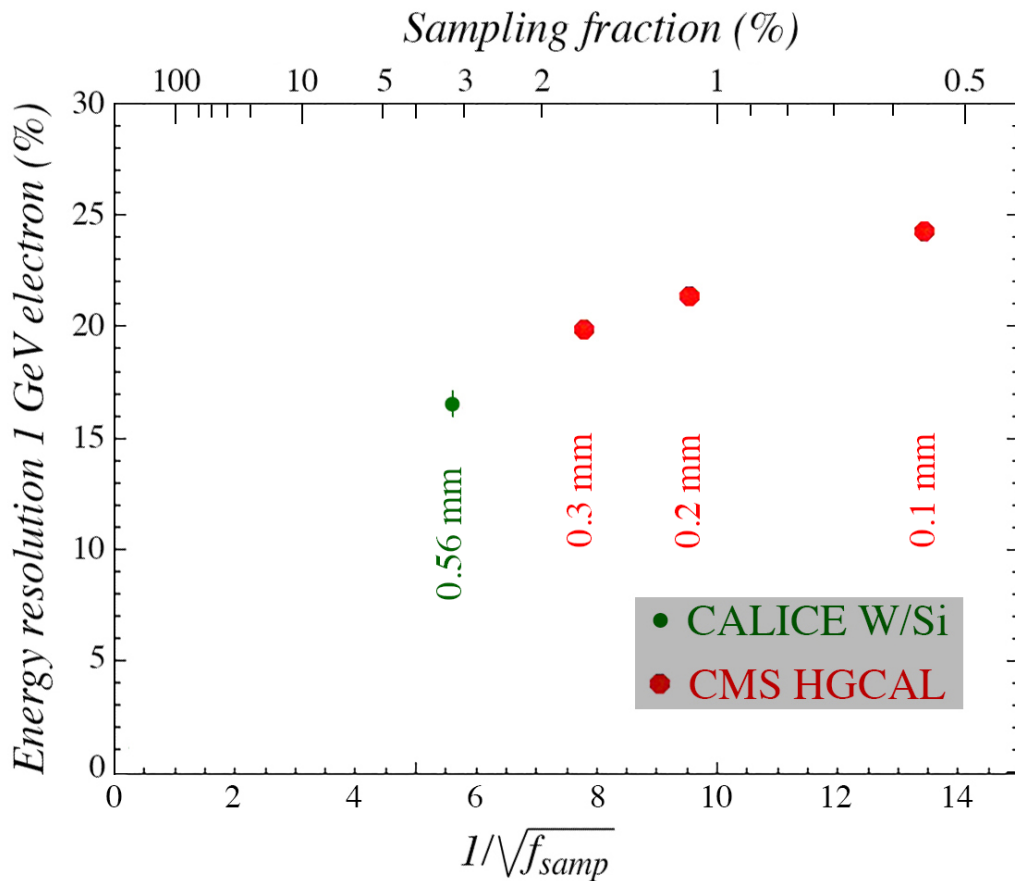
determined by fluctuations in number of shower particles that contribute to the signals



*i.e.* the total surface area of the border between active and passive calorimeter media, in the region where the shower develops

Both the sampling fraction ( $f_{\text{samp}}$ ) and the sampling frequency ( $d$ ) are important in that context

*When the active layers are very thin (gas, Si)  
then fluctuations in the path length of the (very soft) shower particles  
give an additional contribution to the em energy resolution*



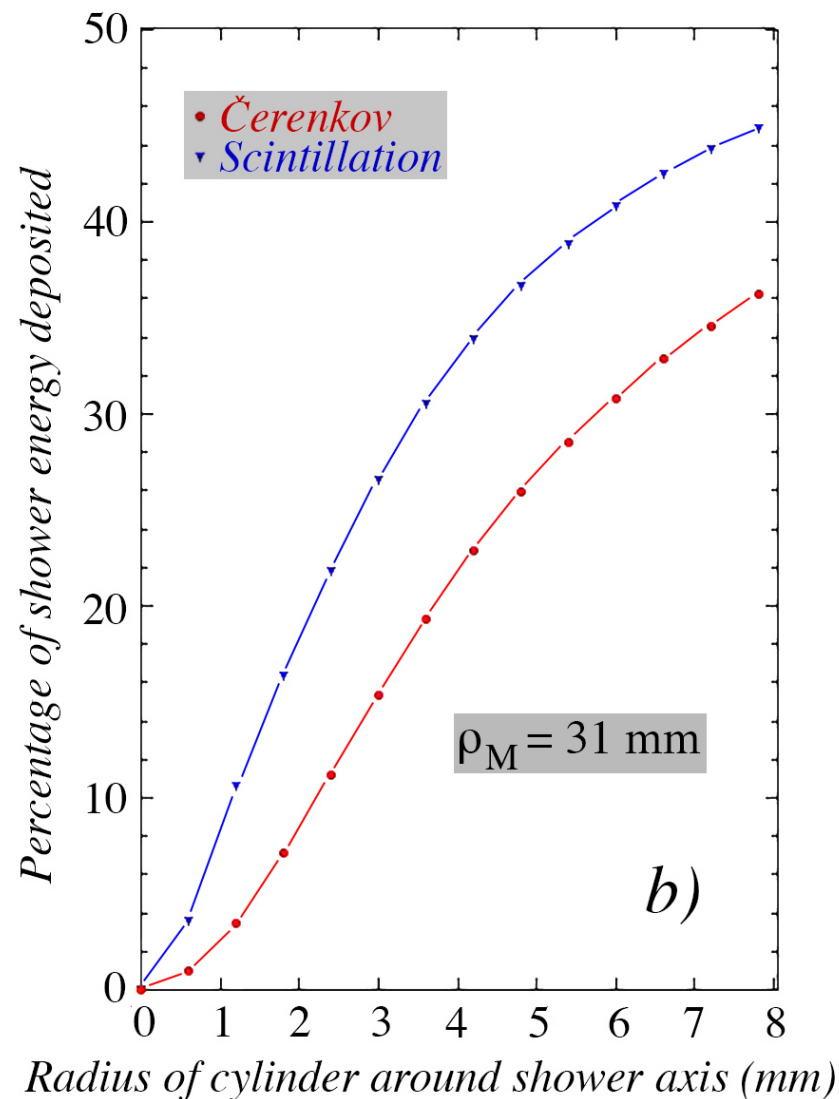
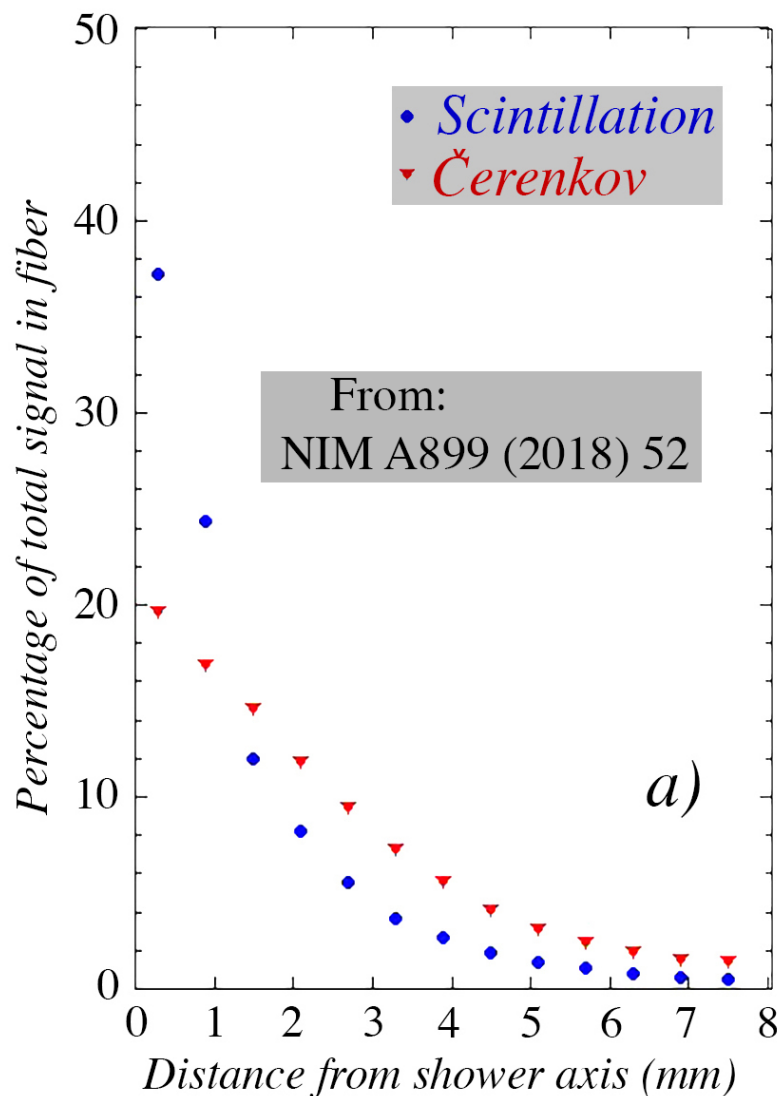
*Electrons: 40% < 1 MeV*

*100  $\mu\text{m}$  Si: 115 keV e*

*500  $\mu\text{m}$  Si: 330 keV e*

*The trajectory of such very soft electrons  
thus determined the calorimeter signal*

*Lateral and radial profiles of em showers  
measured with a very-fine-grained calorimeter (SiPM readout)*

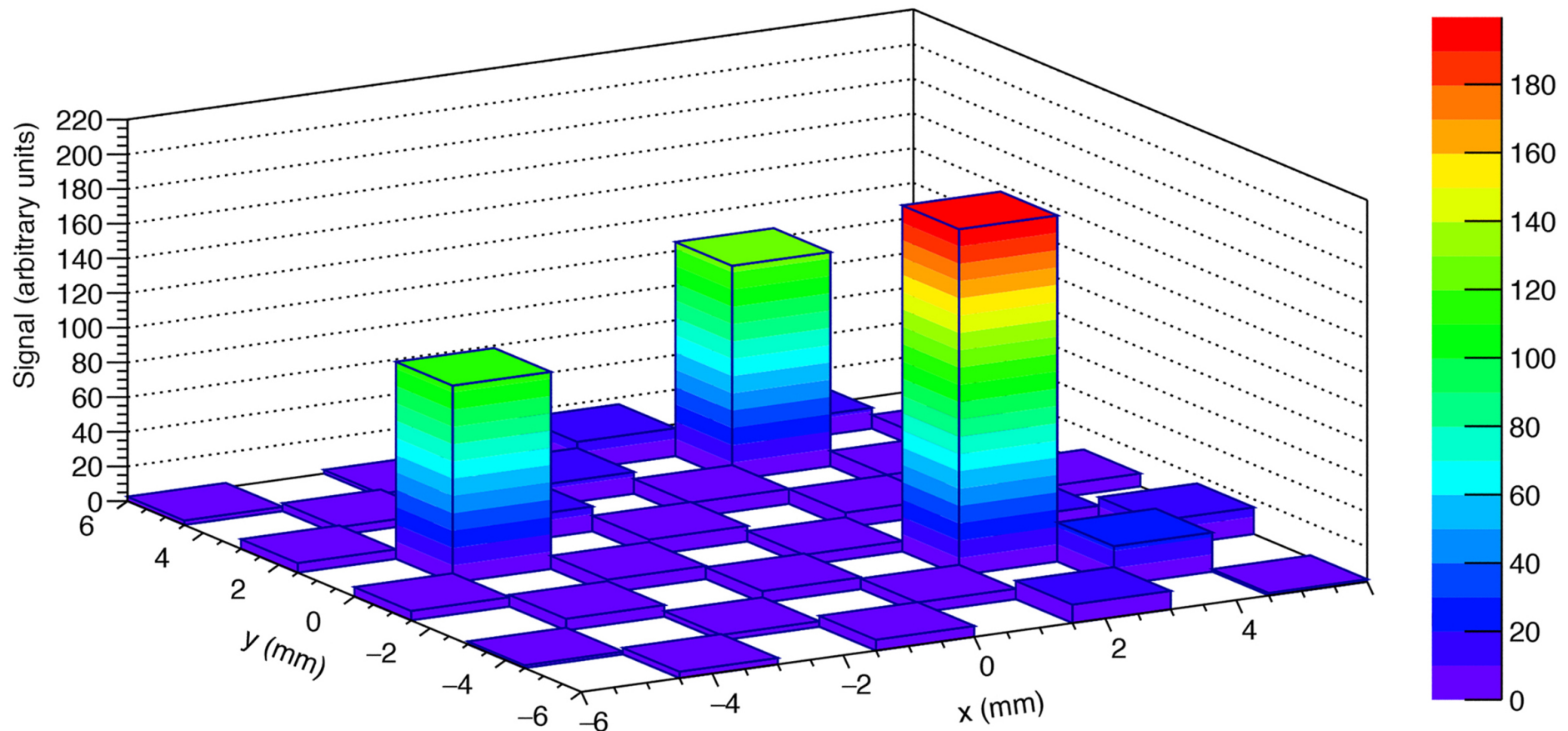


*Differences between measurements with scintillation and Čerenkov light  
(later)*

# *IMPORTANT!!*

*Showers profile characteristics make it possible to recognize different em showers developing in very close proximity*

*This plot represents a measurement with a calorimeter with a lateral cross section of  $1.2 \times 1.2 \text{ cm}^2$  ( $0.4 \times 0.4 \rho_M^2$ )*



*A (very short) primer in the essence of*

***HADRON CALORIMETRY***



# The physics of hadronic shower development

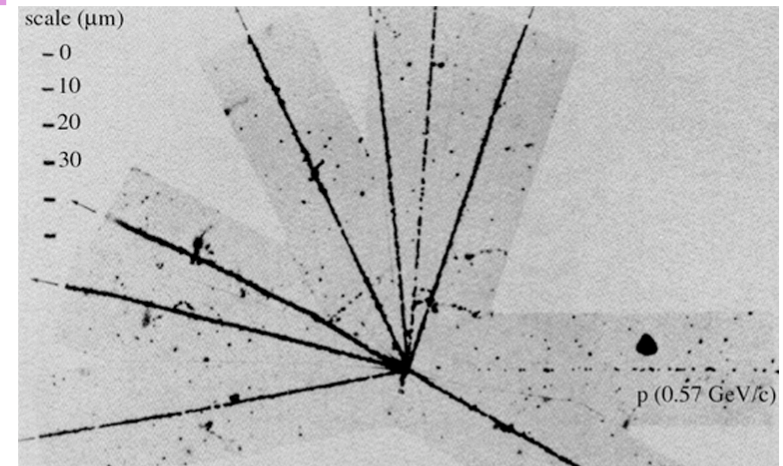
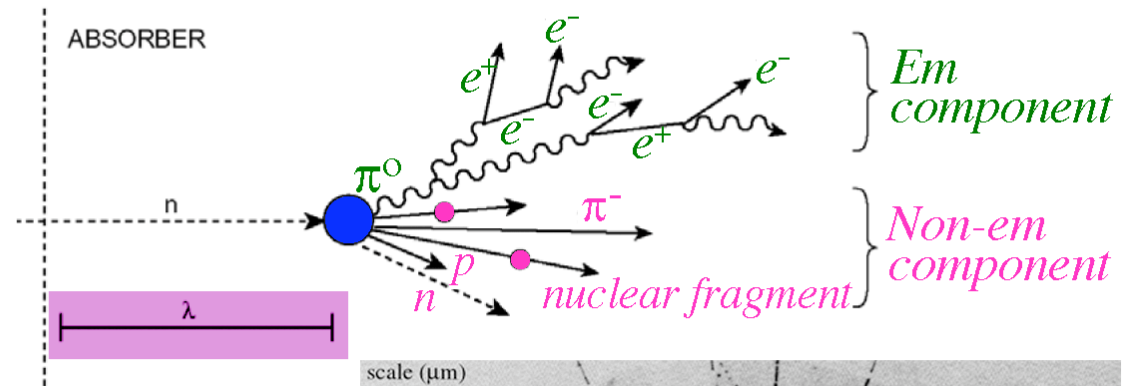
- A hadronic shower consists of two components

- Electromagnetic component**

- electrons, photons
  - neutral pions  $\rightarrow 2 \gamma$

- Hadronic (non-em) component**

- charged hadrons  $\pi^\pm, K^\pm$  (20%)
  - nuclear fragments, p (25%)
  - neutrons, soft  $\gamma$ 's (15%)
  - break-up of nuclei ("invisible") (40%)

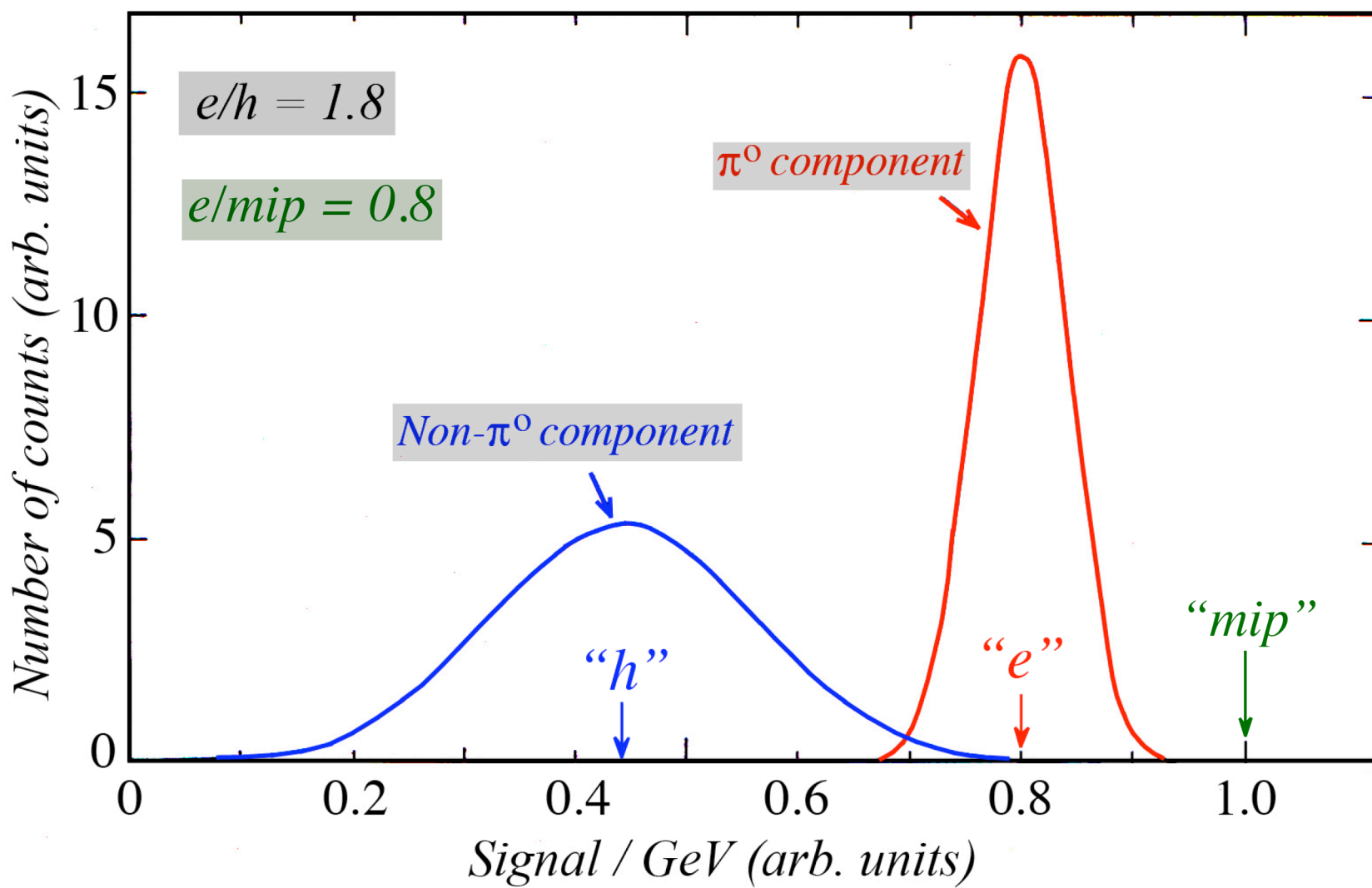


- Important characteristics for hadron calorimetry:

- Large, non-Gaussian fluctuations in energy sharing em/non-em
  - Large, non-Gaussian fluctuations in "invisible" energy losses (e.g. 100 GeV  $\pi$ : energy resolution ZEUS 3.5%, D0 7%)

*The calorimeter response to the two shower components  
is NOT the same*

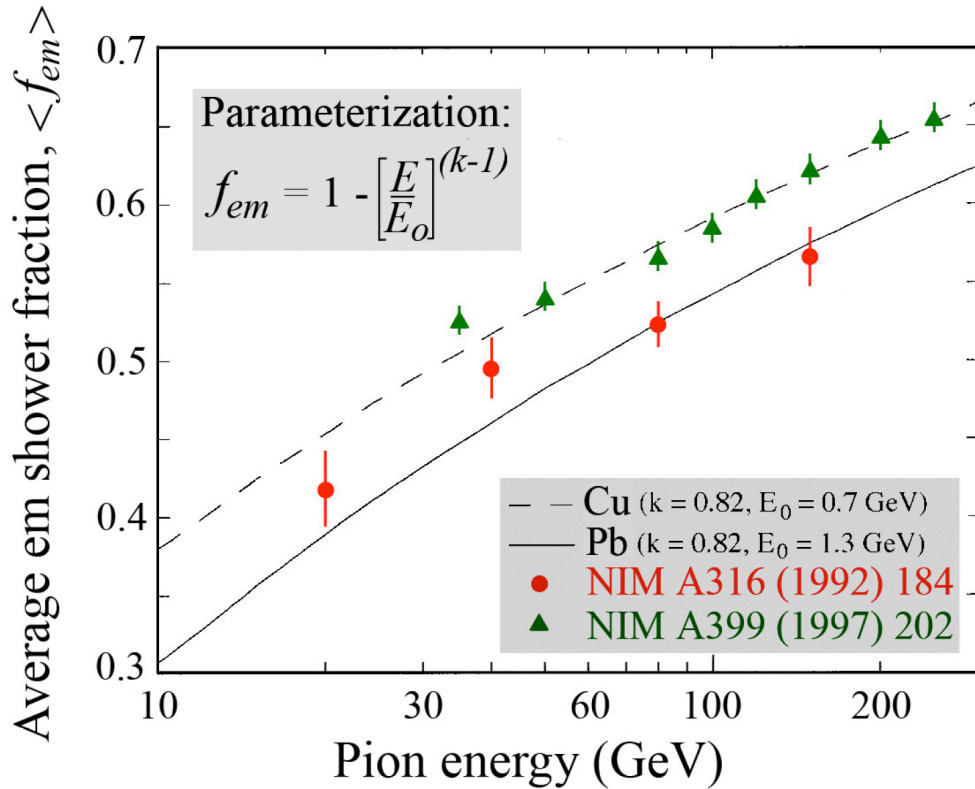
*(mainly because of nuclear breakup energy losses in non- $\pi^0$  component)*



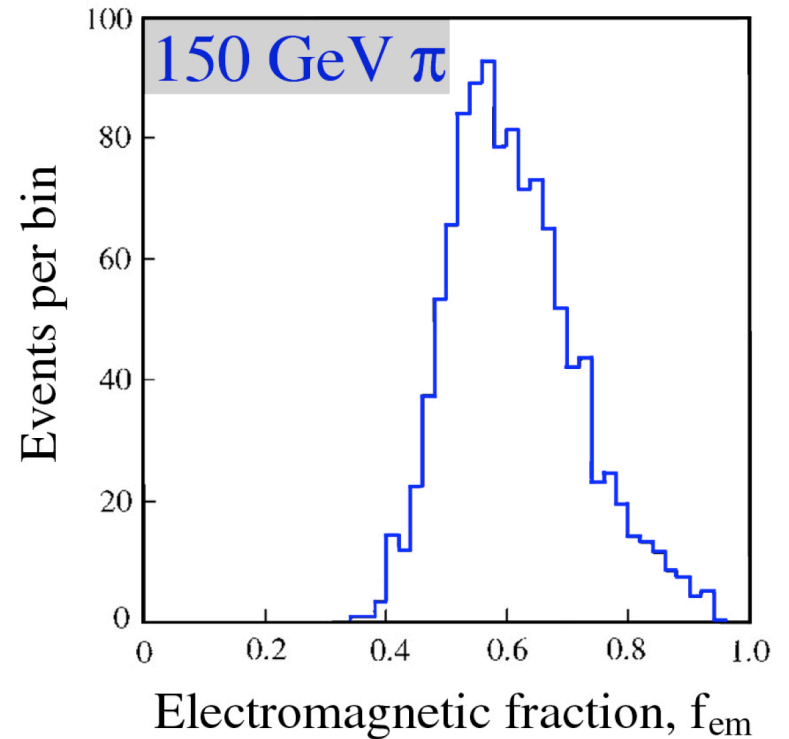
*This effect is quantified by the  $e/h$  ratio. For example, in crystal calorimeters,  $e/h \sim 2$ , i.e. 50% of the non-em energy deposit is invisible*



*(Fluctuations in) the electromagnetic shower fraction,  $f_{em}$*   
*i.e. the fraction of the shower energy deposited by  $\pi^0$ s*

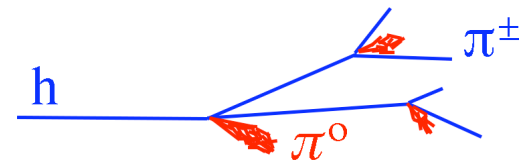


The em fraction is, on average,  
*large and energy dependent*



Fluctuations in  $f_{em}$  are  
*large and non-Poissonian*

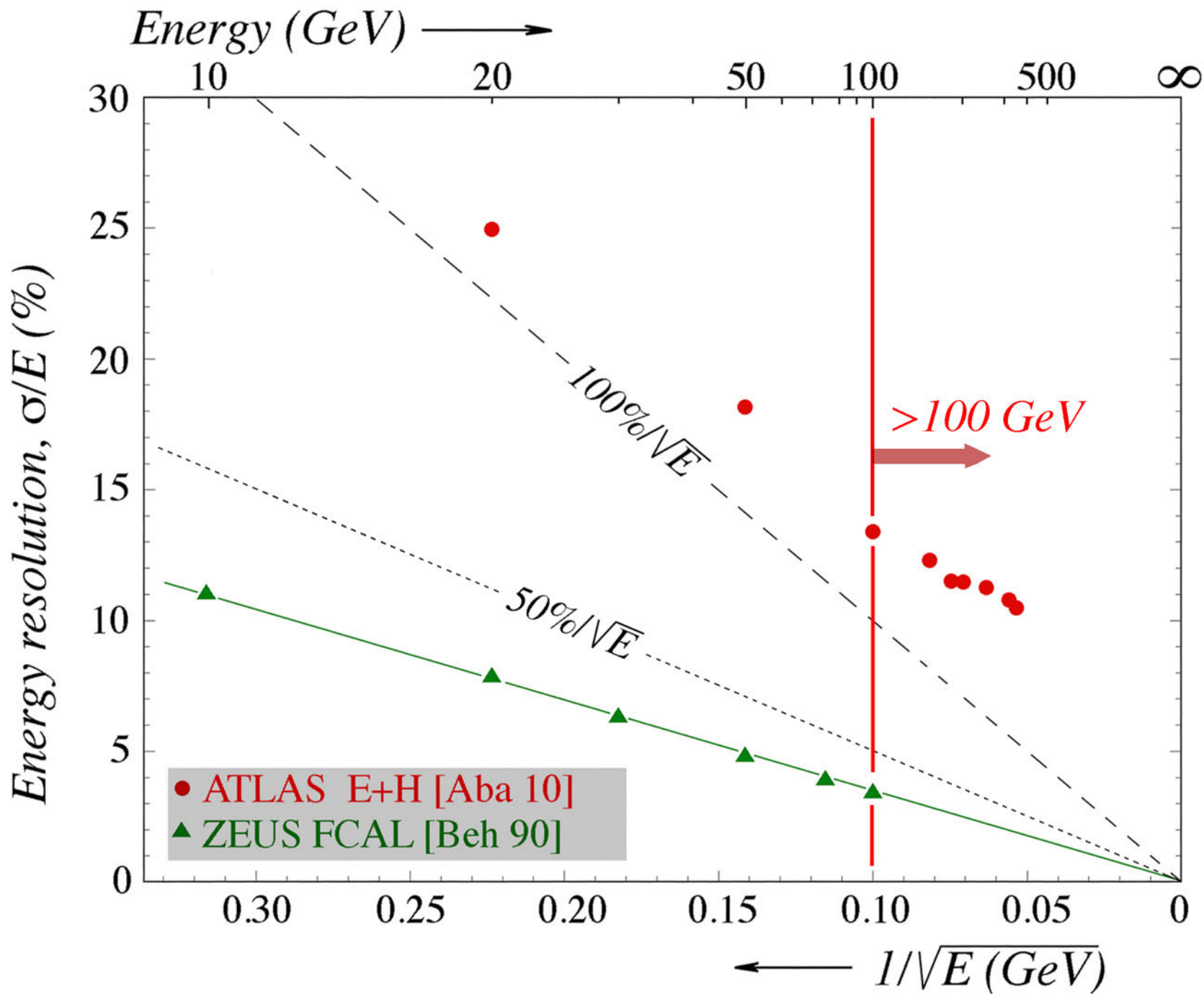
$\pi^0$  production is a “one-way street”



## *Consequences for hadron calorimetry*

- *Additional contribution to the hadronic energy resolution (no  $1/\sqrt{E}$  scaling). NOT a constant term!!*
- *Hadronic signal non-linearity*
- *Non-Gaussian response functions*
- *Different average signal for  $p, \pi, K$*
- *Calibration problems, especially if  $e/h (em) \neq e/h (had)$*

# Hadronic energy resolution of compensating vs modern calorimeters



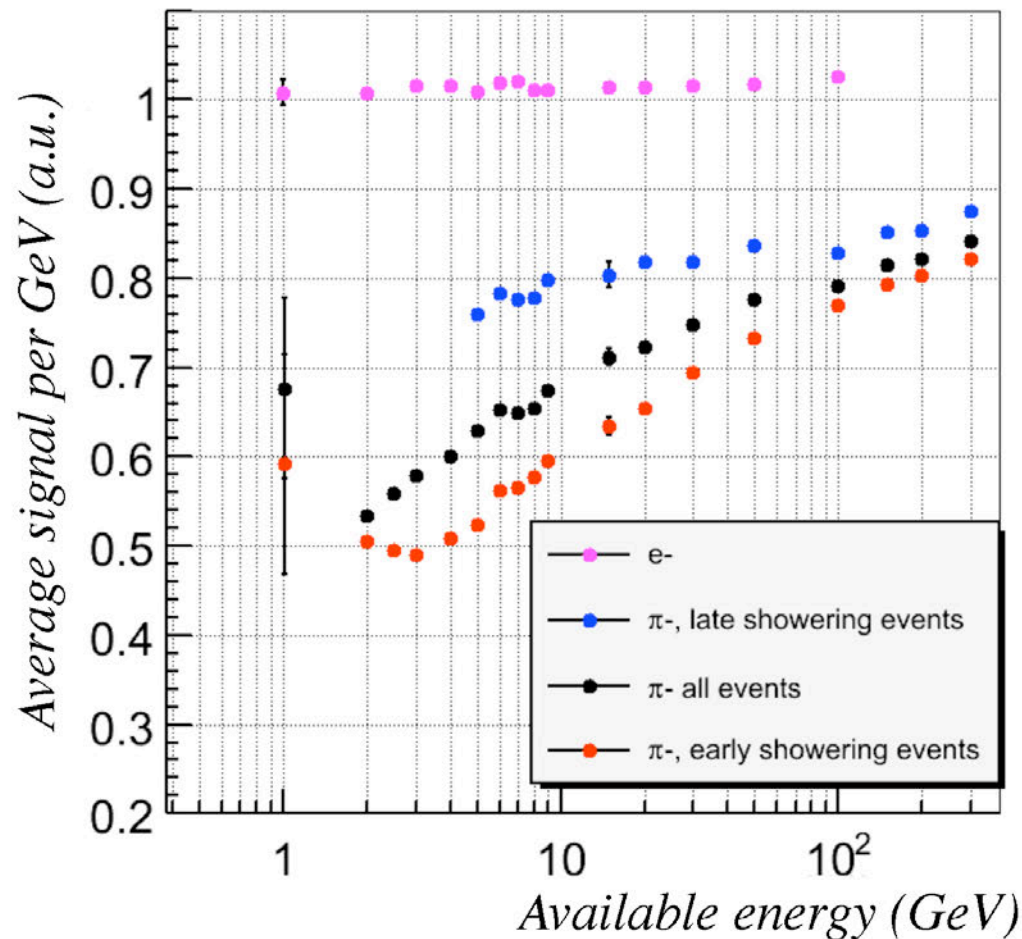
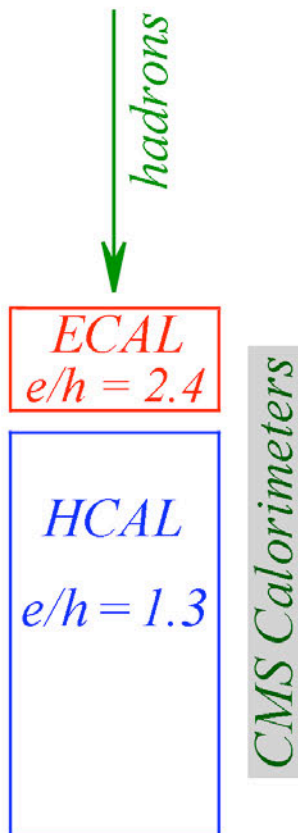
# Consequences for LHC calorimeters

## Hadronic response and signal linearity (CMS)

CMS pays a price for its focus on em energy resolution  
ECAL has  $e/h = 2.4$ , while HCAL has  $e/h = 1.3$

→ Response depends strongly on starting point shower

Data from: CMS note 2007/012

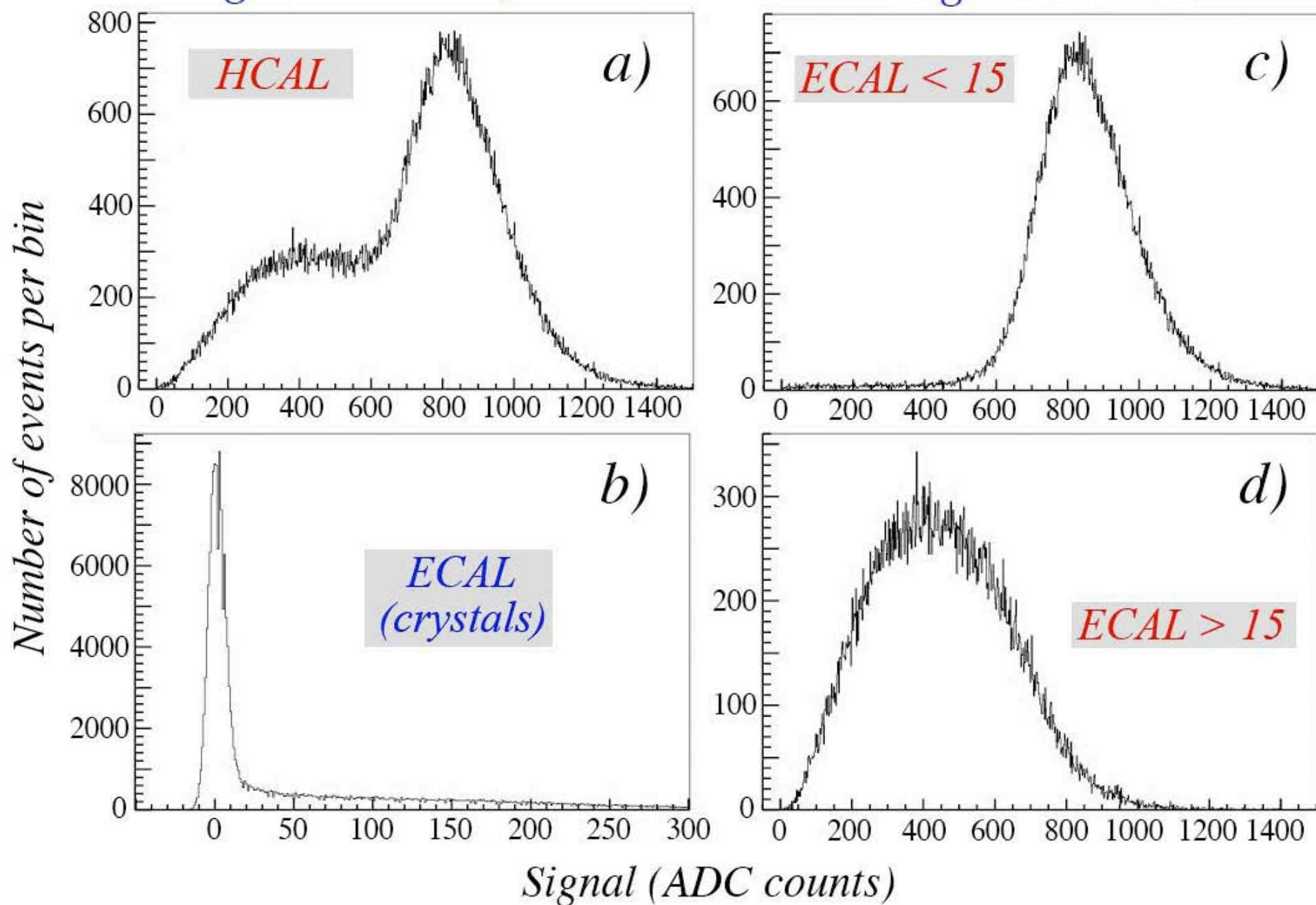




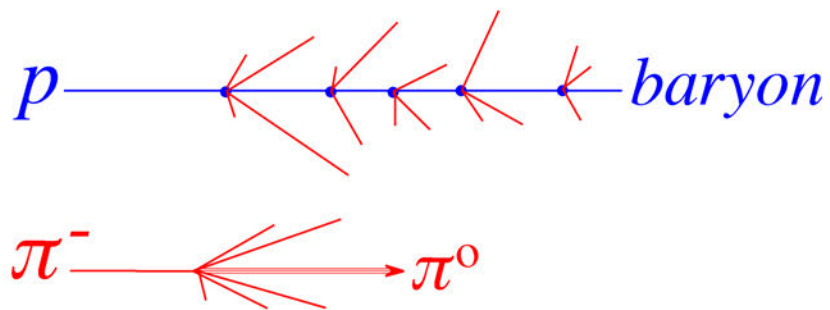
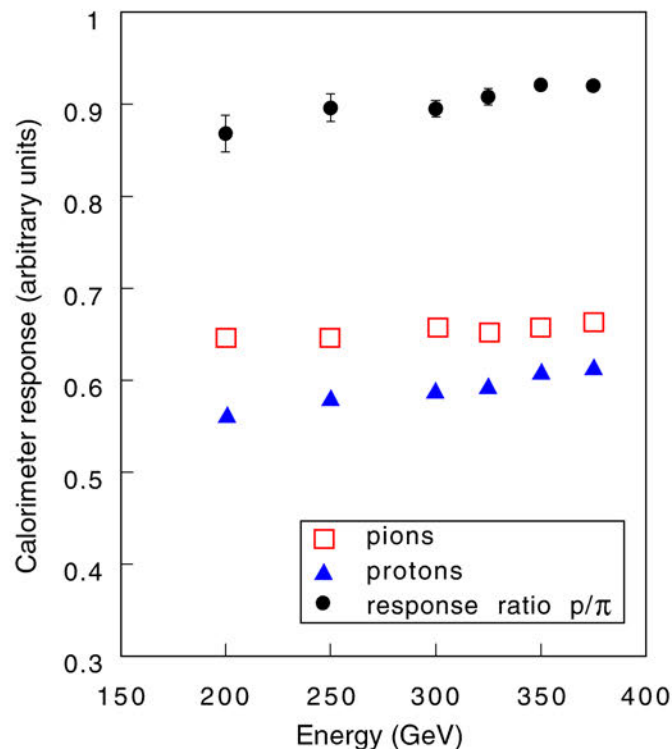
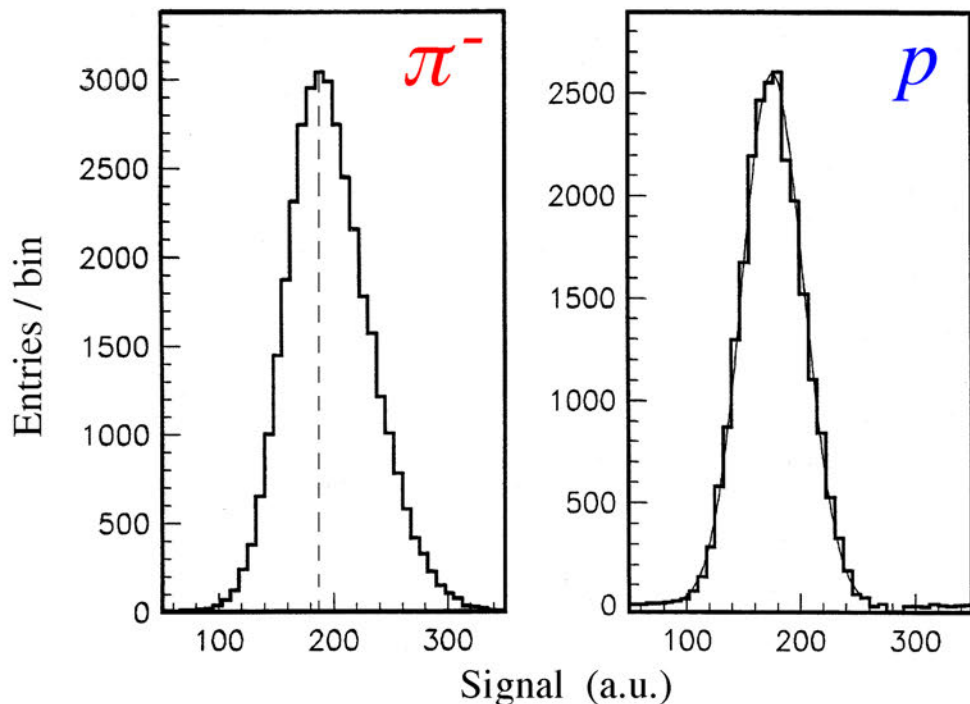
# Pion signals in crystal ECAL + scintillator HCAL

## Signals HCAL, ECAL

## Signal HCAL

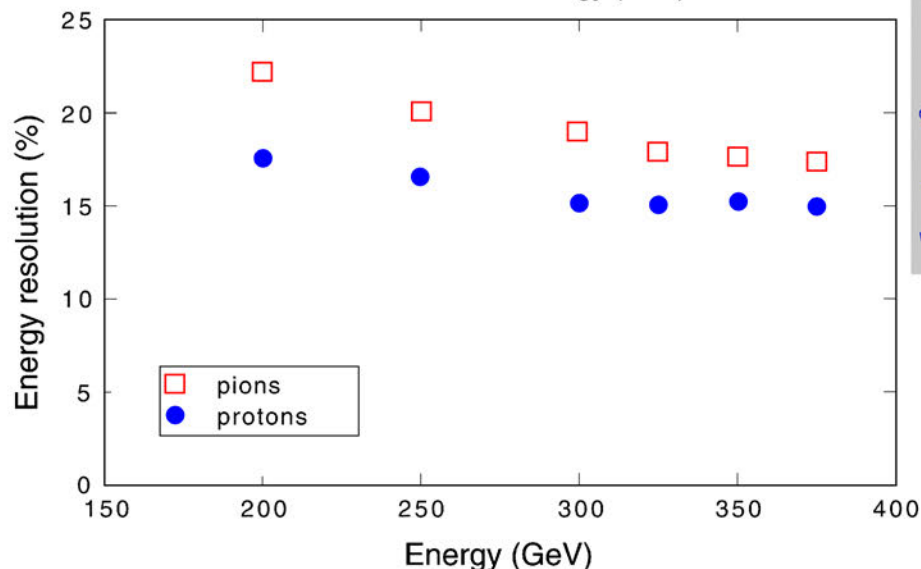


# Proton / pion differences in calorimeter signals caused by differences in em shower fraction characteristics



*em fraction in p showers:*

- smaller
- less fluctuations
- more symmetric
- less concentrated near axis





## *How to improve hadronic calorimeter performance?*

*Exploit a measurable quantity that is correlated to the nuclear binding energy losses*

- *Total kinetic energy of neutrons produced in shower development ("compensation")*
- *Total non-em energy component ("dual-readout")*

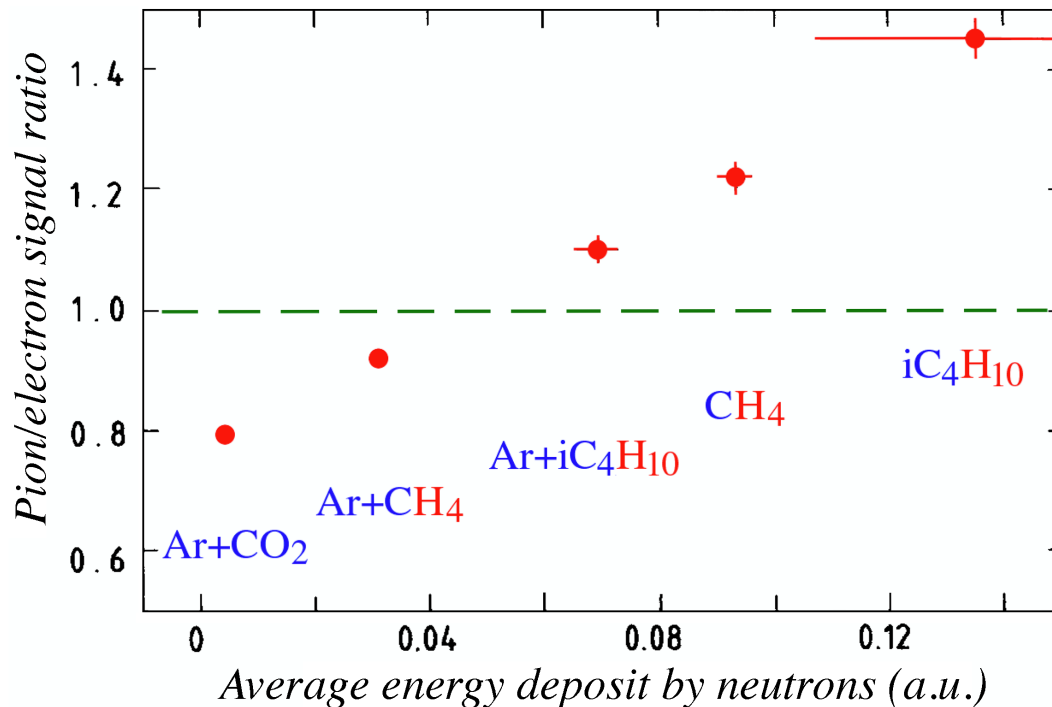
# Compensation

*Exploit the fact that neutrons may be sampled much more efficiently than mips*

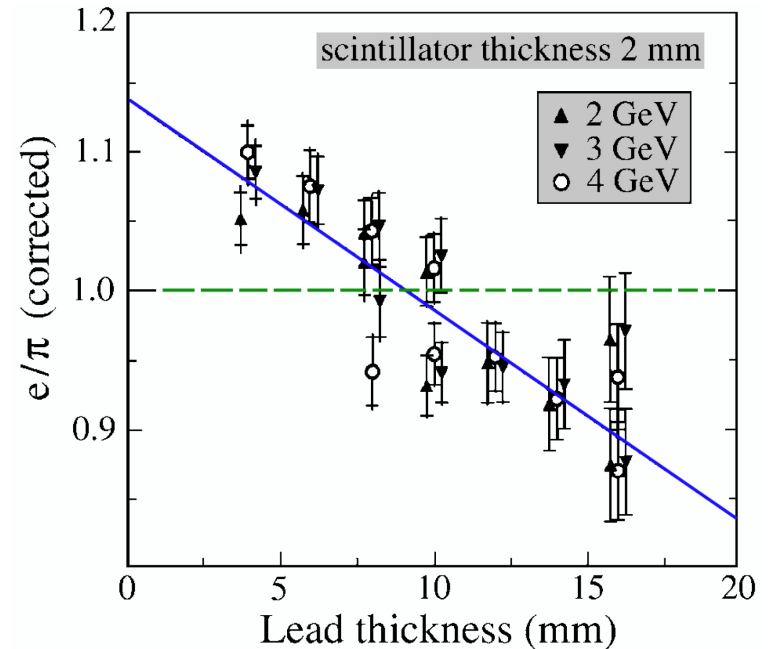
*Ingredients: high-Z absorber, hydrogen-rich active material*

*Need very specific (small) sampling fraction to get  $e/h = 1.0$  (e.g. thickness ratio  $\sim 5/1$  for lead/plastic-scintillator)*

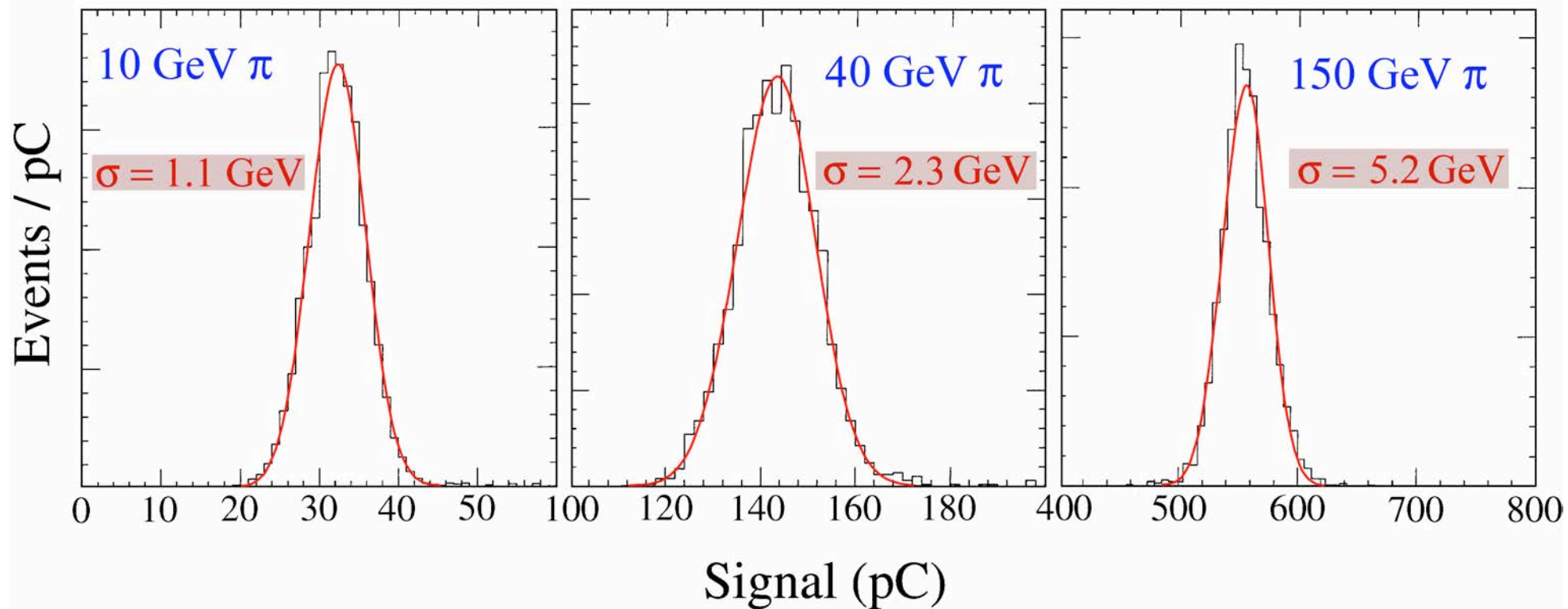
*Uranium / gas (L3)*



*Pb/plastic-scintillator (KEK)*



## *Hadronic signal distributions in a compensating calorimeter*



*from: NIM A308 (1991) 481*

## *Advantages compensation:*

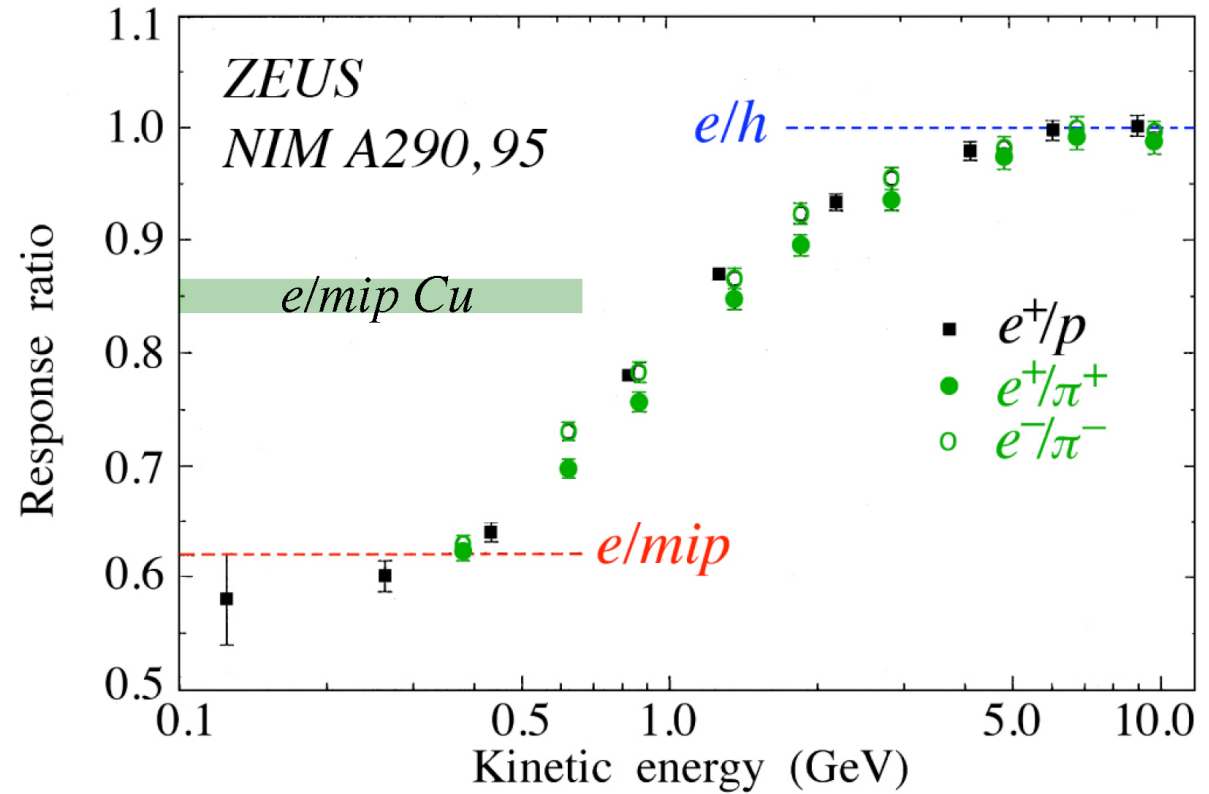
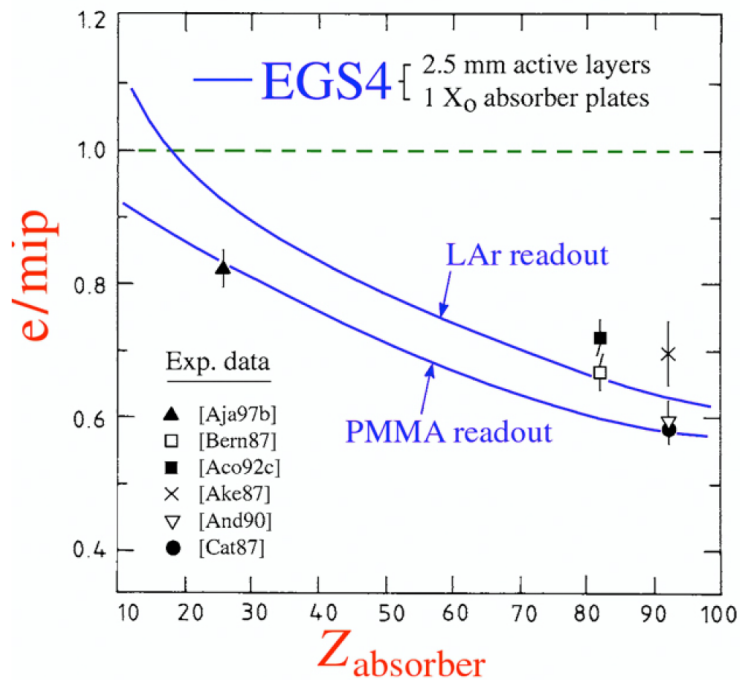
- *Same response to electrons and hadrons ( $e/h = 1$ )*
- *Gaussian response functions*
- *Linear response (average signal proportional to energy)*

## *Disadvantages compensation:*

- *Small sampling fraction (limits em energy resolution)*
- *Long signal integration time ( $\sim 30$  ns)*
- *Large integration volume*
- *Jet energy resolution limited by  $e/mip$*

*Jet energy resolution is typically worse than for single hadrons*

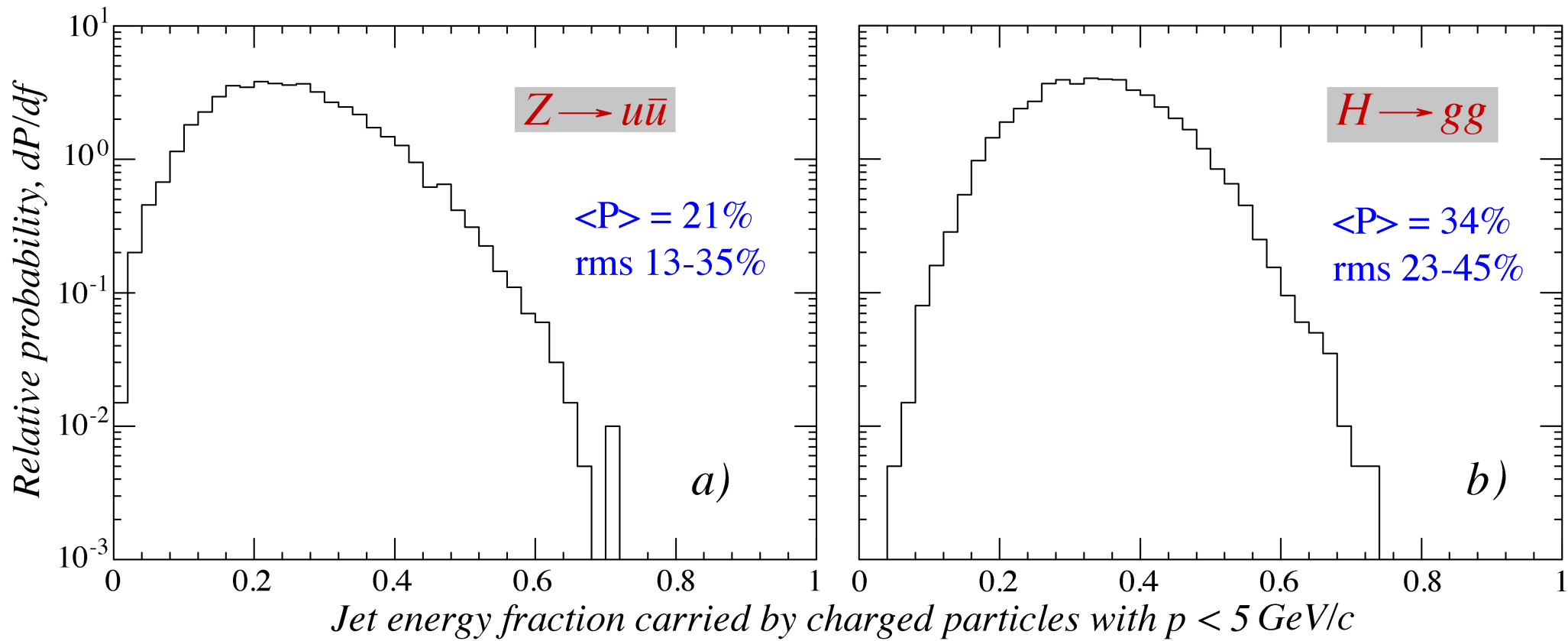
*What is the problem with the jet energy resolution?*



*Signal non-linearities at low energy ( $< 5$  GeV) due to non-showering hadrons*  
*Many jet fragments fall in this category*

*A copper or iron based calorimeter would be much better in that respect*

*Jet energy fraction carried by hadrons with  $p < 5 \text{ GeV}/c$  \**



\* From B. Webber (Cambridge Univ.)



# DUAL-READOUT CALORIMETRY

- *Dual-readout Method (DREAM):*

*Simultaneous measurement of scintillation light ( $dE/dx$ ) and Čerenkov light produced in shower development makes it possible to measure the em fraction of hadron showers event by event.*

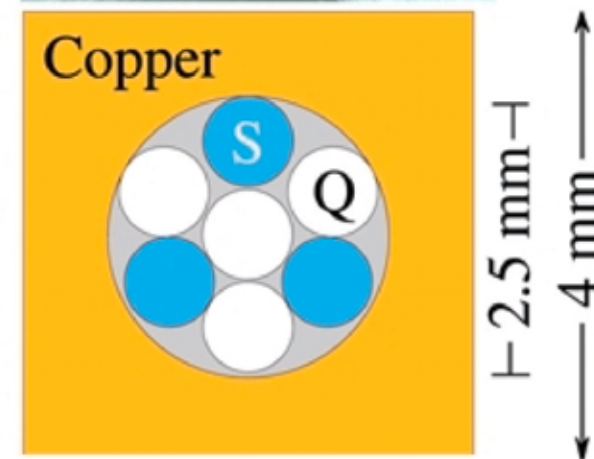
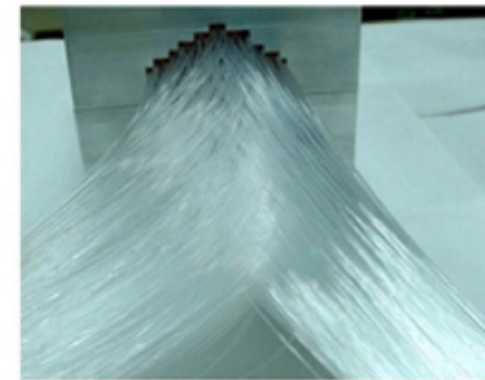
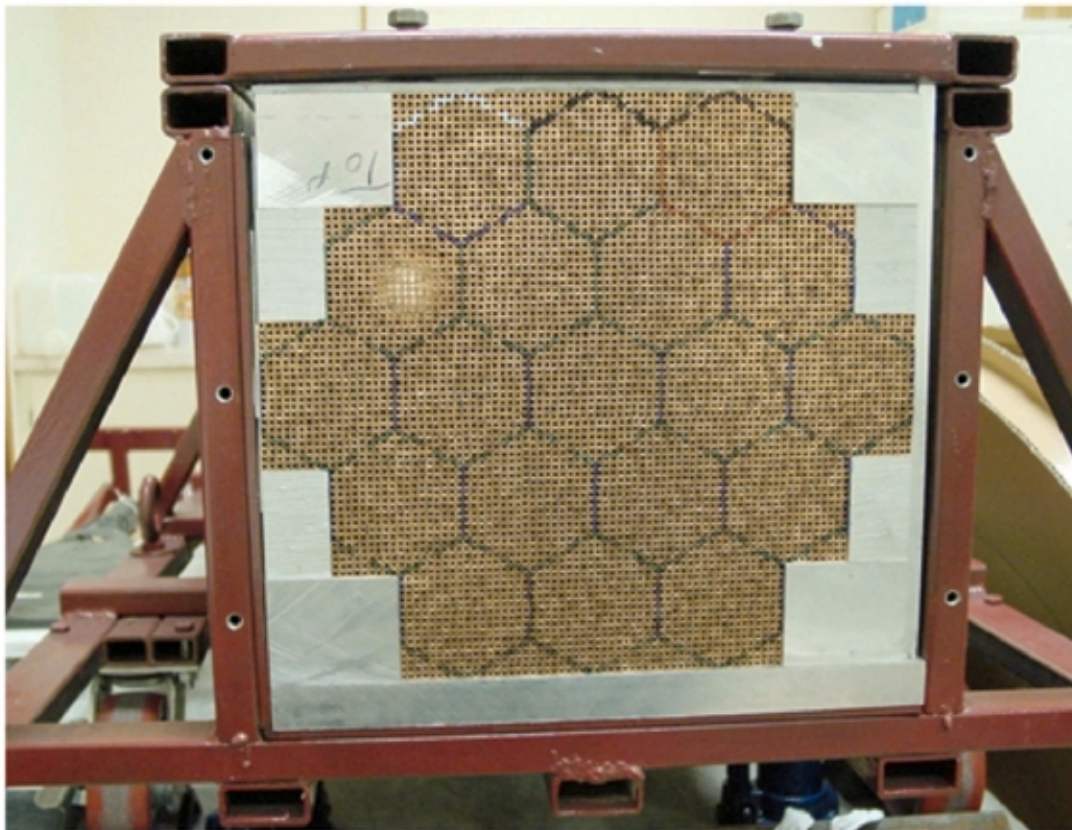
*The effects of fluctuations in this fraction on the calorimeter performance can thus be eliminated*

- *This method exploits the fact that the ( $e/h$ ) values of a sampling calorimeter based on scintillation light and Čerenkov light are very different (e.g. protons from the  $h$  component contribute to the  $S$ , but not to the  $\check{C}$  signals)*

- *In this way, the same advantages are obtained as for intrinsically compensating calorimeters ( $e/h = 1$ ), WITHOUT the limitations (sampling fraction, integration volume, time)*

- *Correct hadronic energy reconstruction, in an instrument calibrated with electrons*
- *Linearity + excellent energy resolution for hadrons & jets*
- *Gaussian response functions*

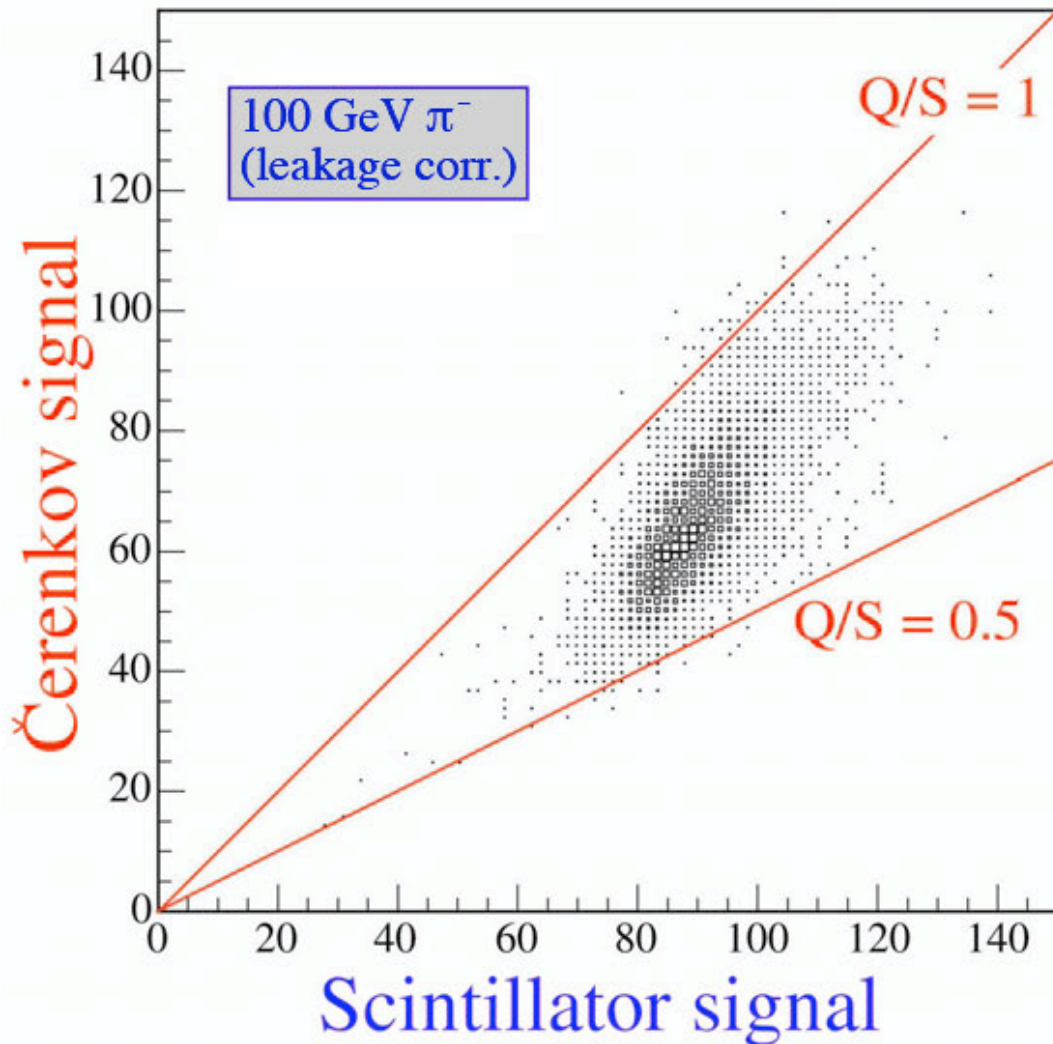
## DREAM: Structure



- *Some characteristics of the DREAM detector*

- **Depth** 200 cm ( $10.0 \lambda_{\text{int}}$ )
- Effective **radius** 16.2 cm ( $0.81 \lambda_{\text{int}}$ ,  $8.0 \rho_M$ )
- **Mass** instrumented volume 1030 kg
- Number of **fibers** 35910, diameter 0.8 mm, total length  $\approx 90$  km
- Hexagonal **towers** (19), each read out by 2 PMTs

# DREAM: How to determine $f_{em}$ and $E$ ?



$$S = E \left[ f_{em} + \frac{1}{(e/h)_S} (1 - f_{em}) \right]$$

$$Q = E \left[ f_{em} + \frac{1}{(e/h)_Q} (1 - f_{em}) \right]$$

e.g. If  $e/h = 1.3$  (S),  $4.7$  (Q)

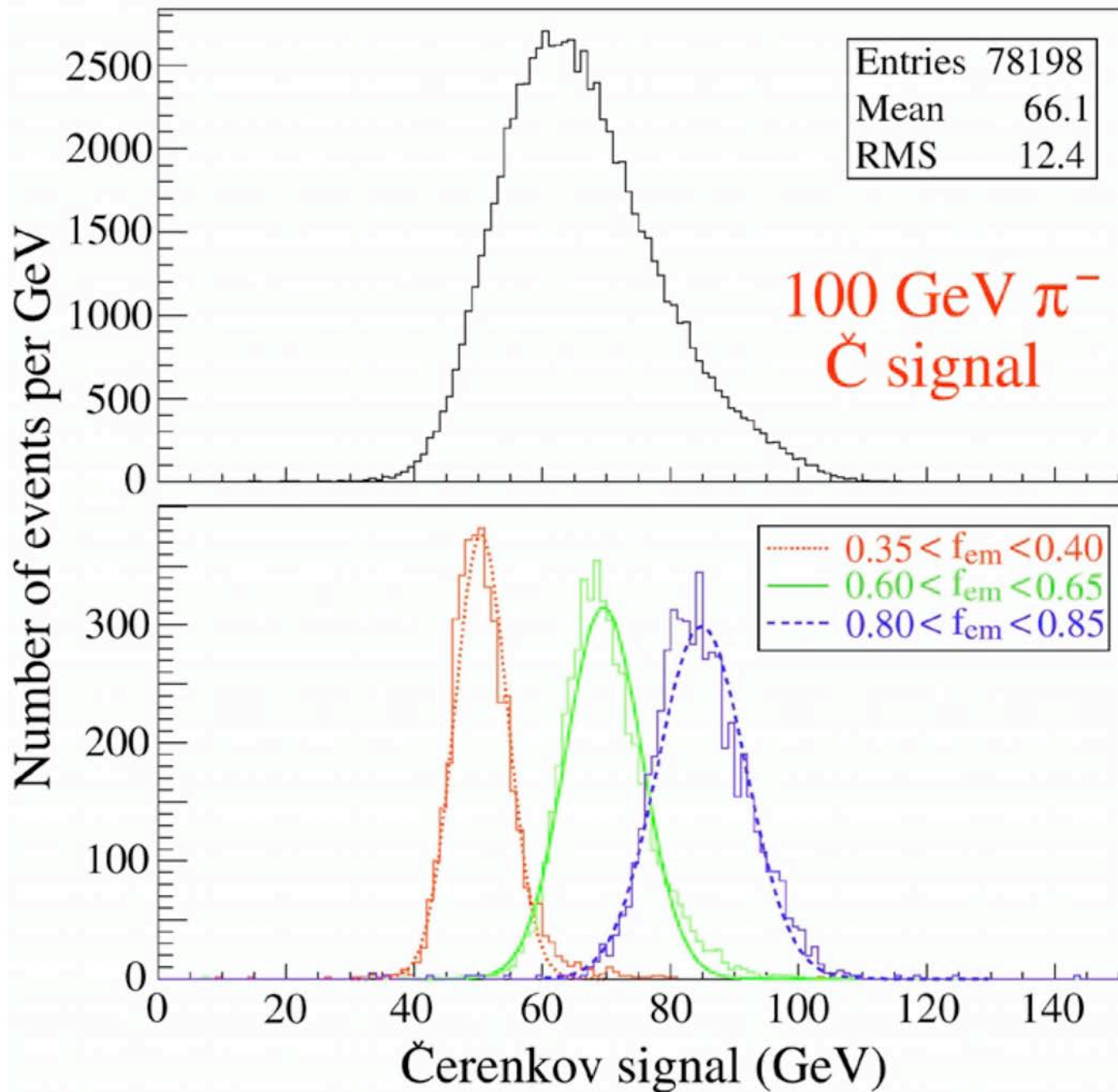
$$\frac{Q}{S} = \frac{f_{em} + 0.21 (1 - f_{em})}{f_{em} + 0.77 (1 - f_{em})}$$

$$E = \frac{S - \chi Q}{1 - \chi}$$

with  $\chi = \frac{1 - (h/e)_S}{1 - (h/e)_Q} \sim 0.3$

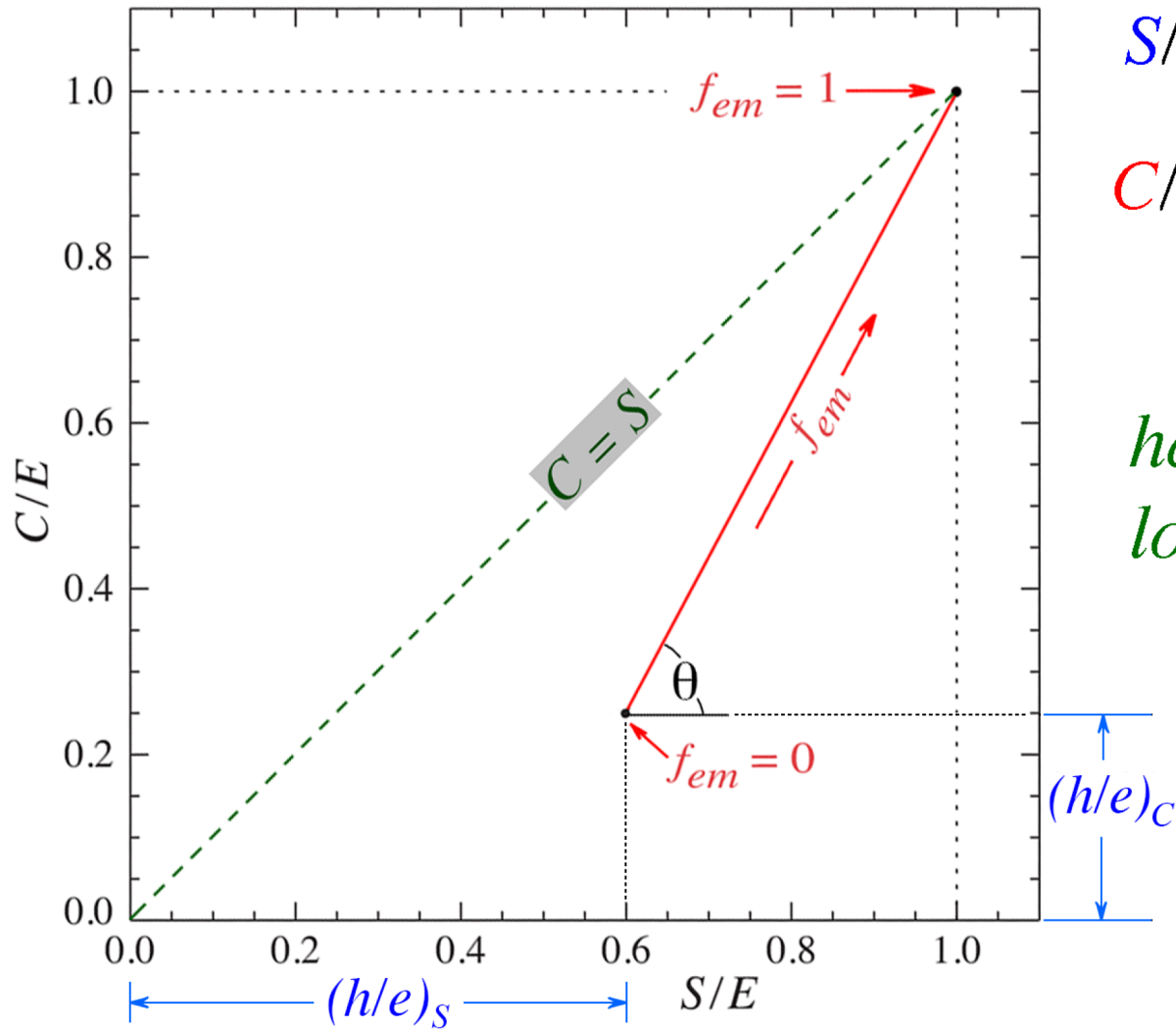


# DREAM: Effect of event selection based on $f_{em}$



*From:*  
NIM A537 (2005) 537

# Principles of dual-readout calorimetry (1)



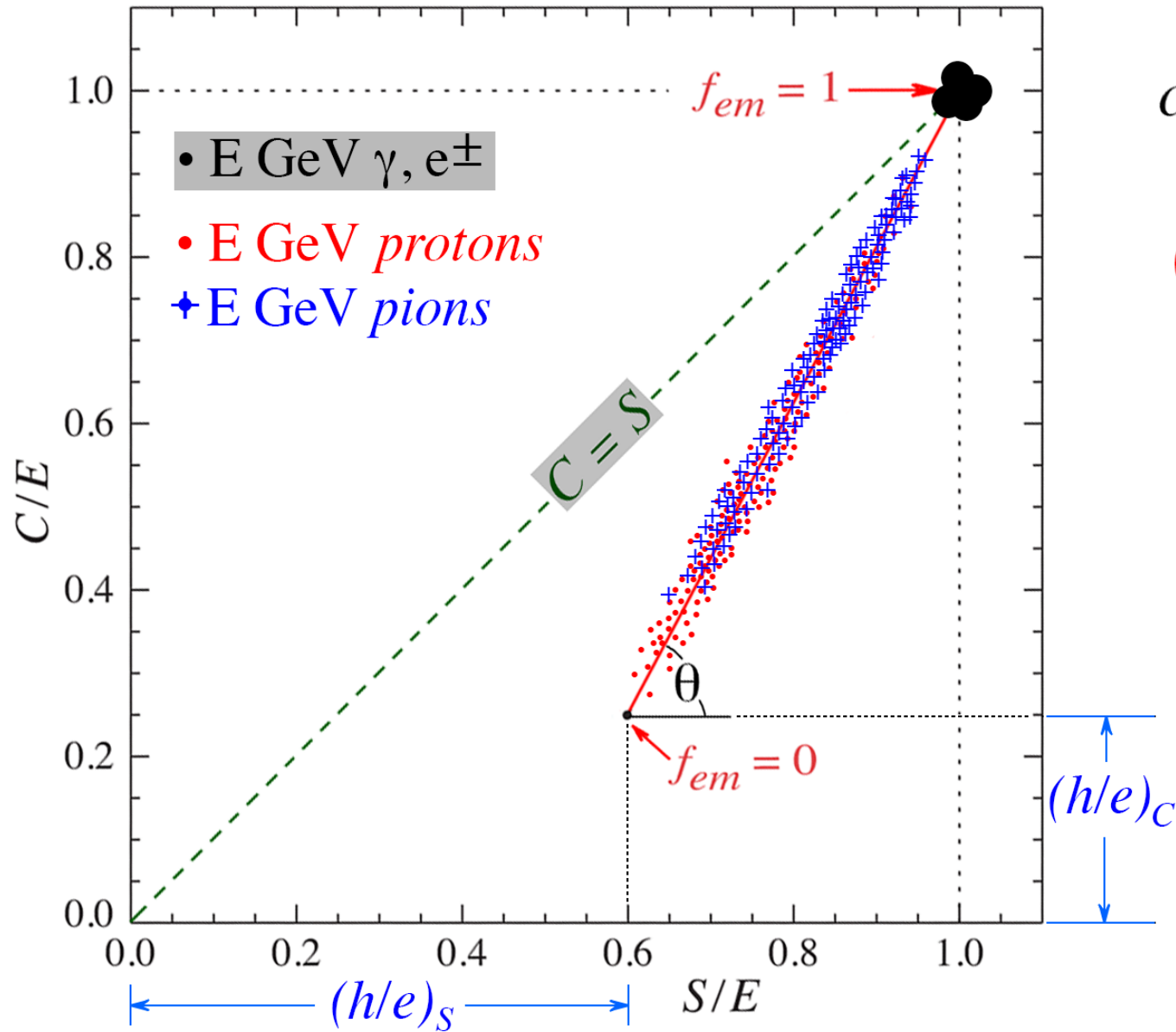
$$S/E = (h/e)_s + f_{em} [1 - (h/e)_s]$$

$$C/E = (h/e)_c + f_{em} [1 - (h/e)_c]$$

*hadronic data points (S,C)  
located on straight (red) line*



# Principles of dual-readout calorimetry (2)



$$\cotg \theta = \frac{1 - (h/e)_s}{1 - (h/e)_c} = \chi$$

$\theta, \chi$  are **independent**  
of energy!!

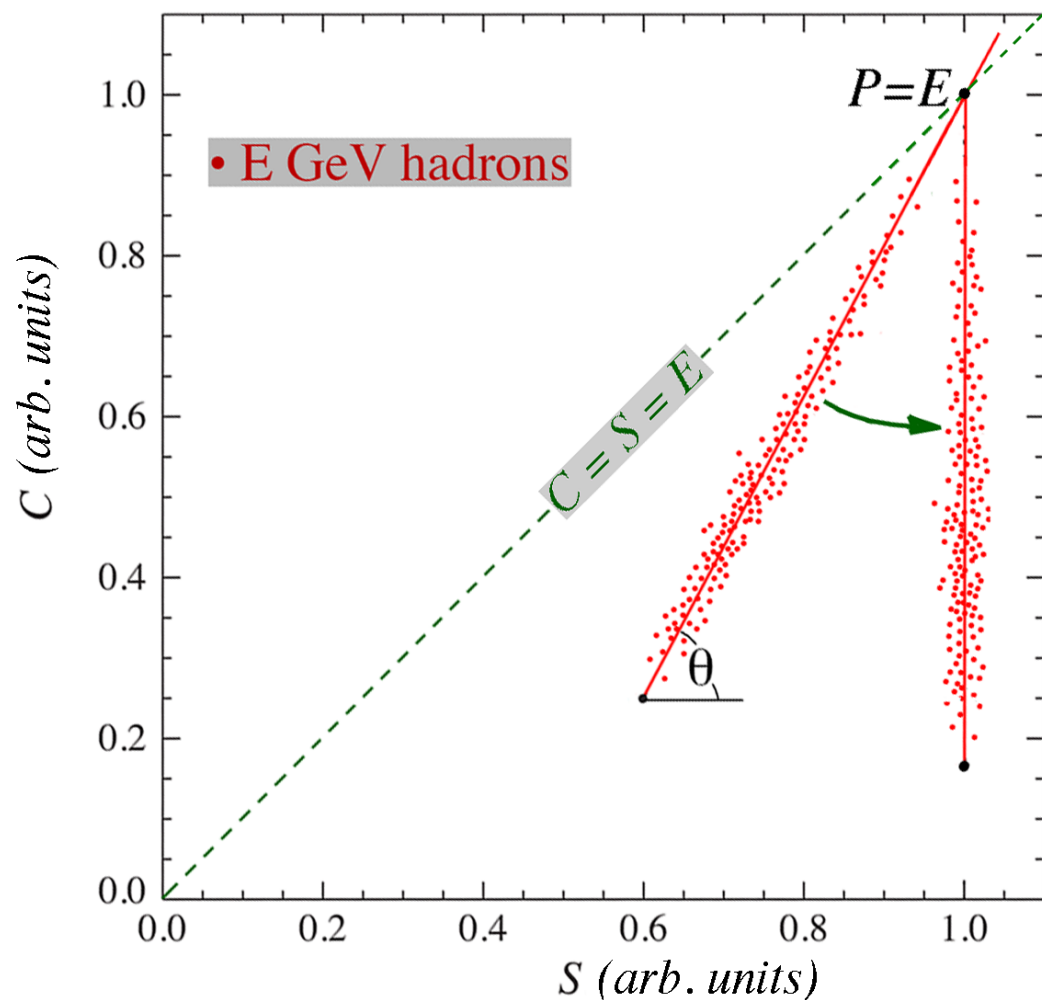
and also independent  
of the type of hadron!!

$$E = \frac{S - \chi C}{1 - \chi}$$

is universally valid

# Principles of dual-readout calorimetry (3)

## The rotation method

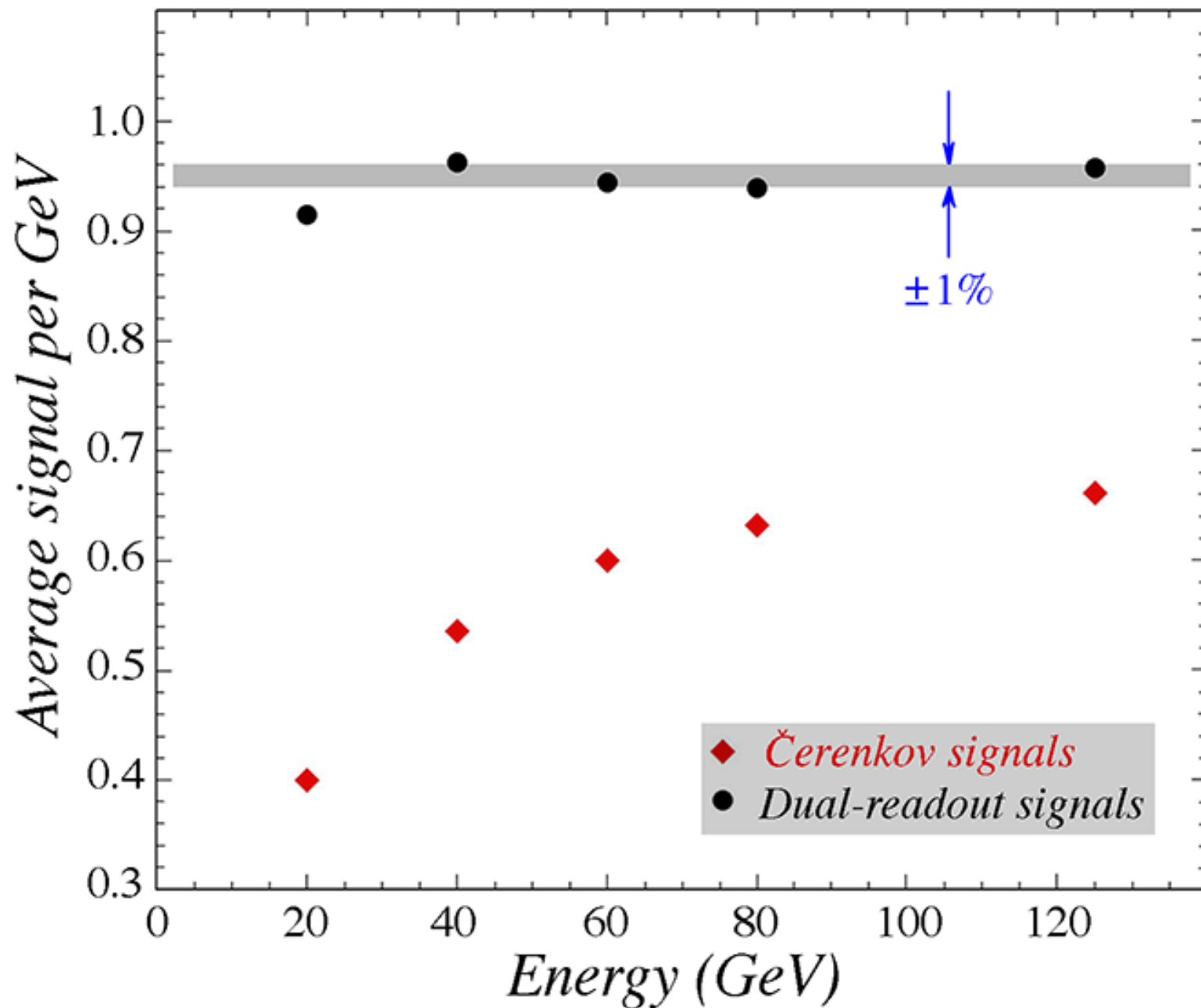


- Fit experimental data with a straight line
- Determine coordinates of  $P$  (intersection with  $C=S$  line)
- Rotate data points about  $P$  over angle  $(90^\circ - \theta)$
- Project data points on horizontal ( $S$ ) axis

$\theta$  is independent of  $E$   
and particle type!!  
→ Don't need this info!!

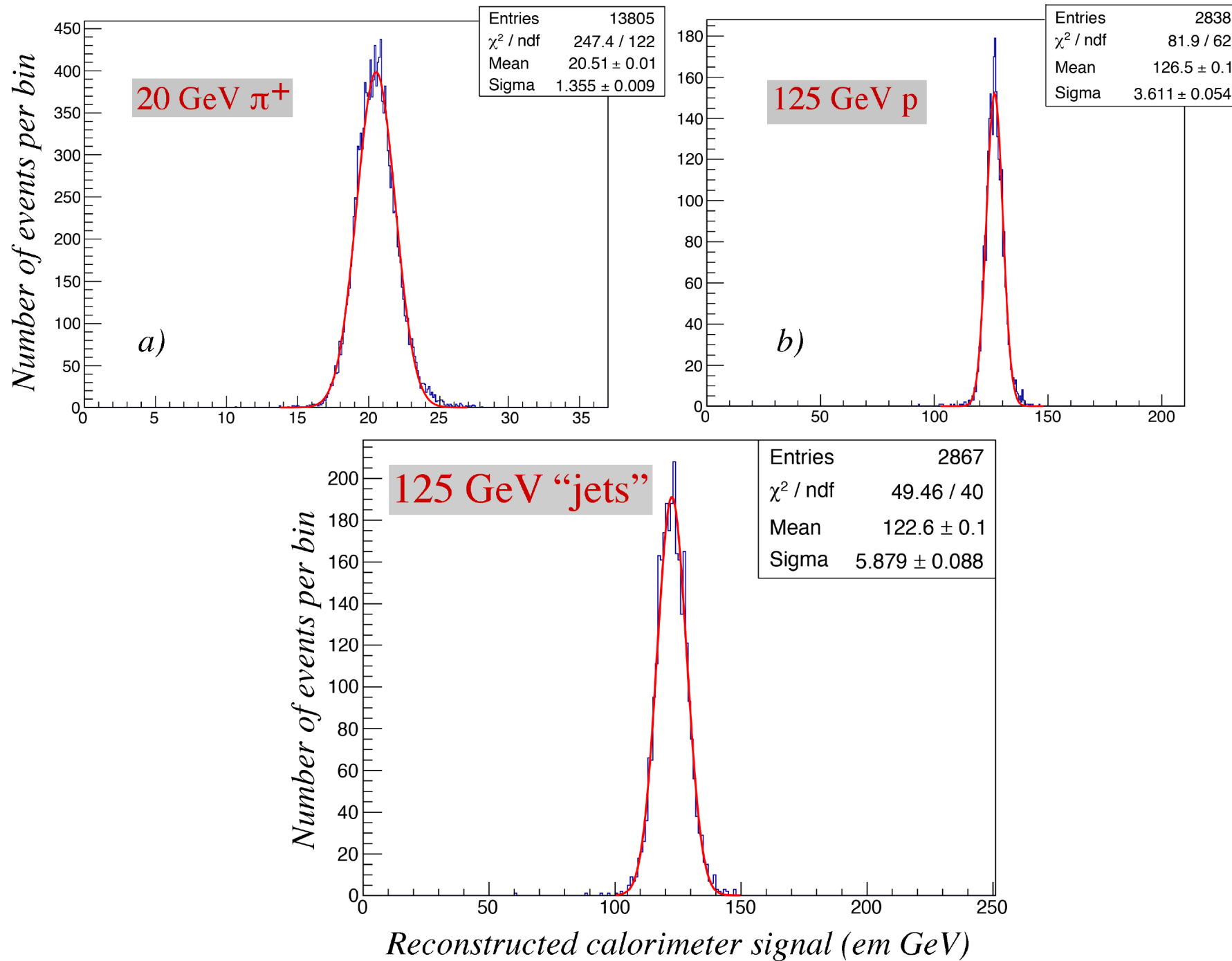
# Effects of the dual-readout method

## Signal linearity

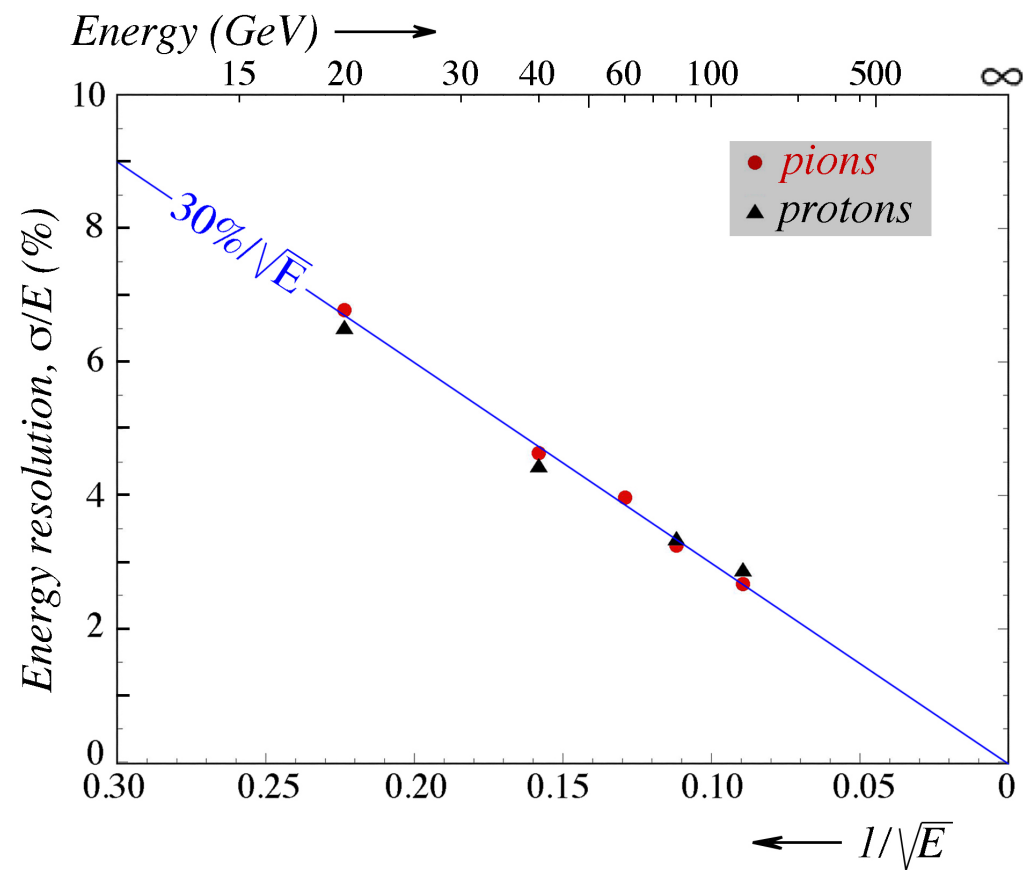
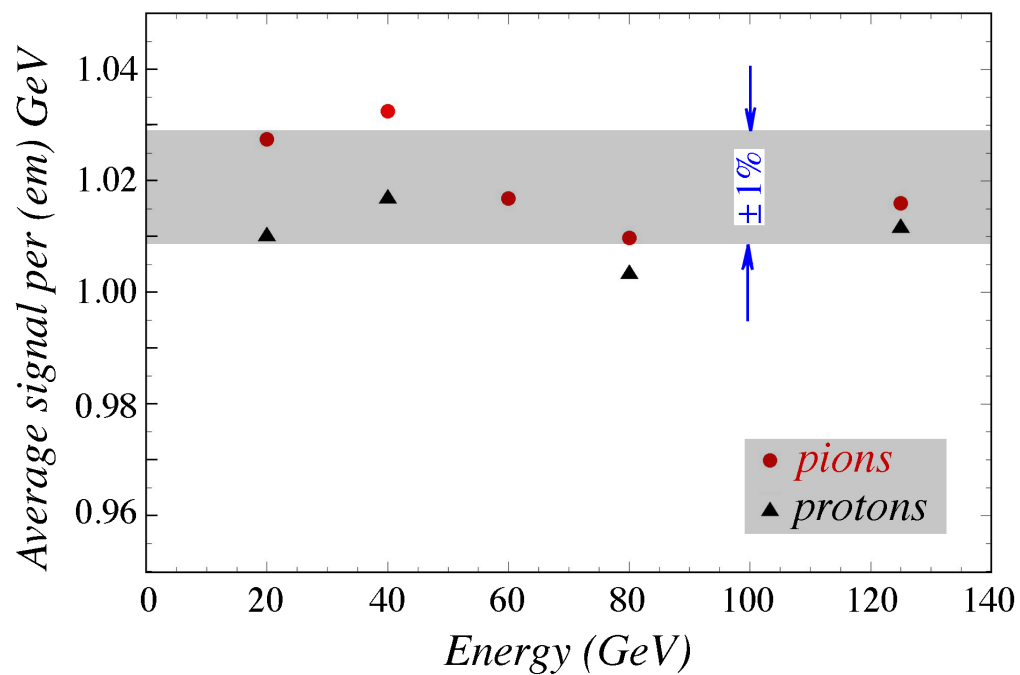


# Signal distributions obtained with 1-ton DR fiber calorimeter

( $\pi$ ,  $p$ , multi-particle events)



# Hadronic signal linearity and energy resolution achieved with the dual-readout method





## *Dual-readout vs Compensation*

*Both measure a quantity that is correlated to the invisible energy loss*

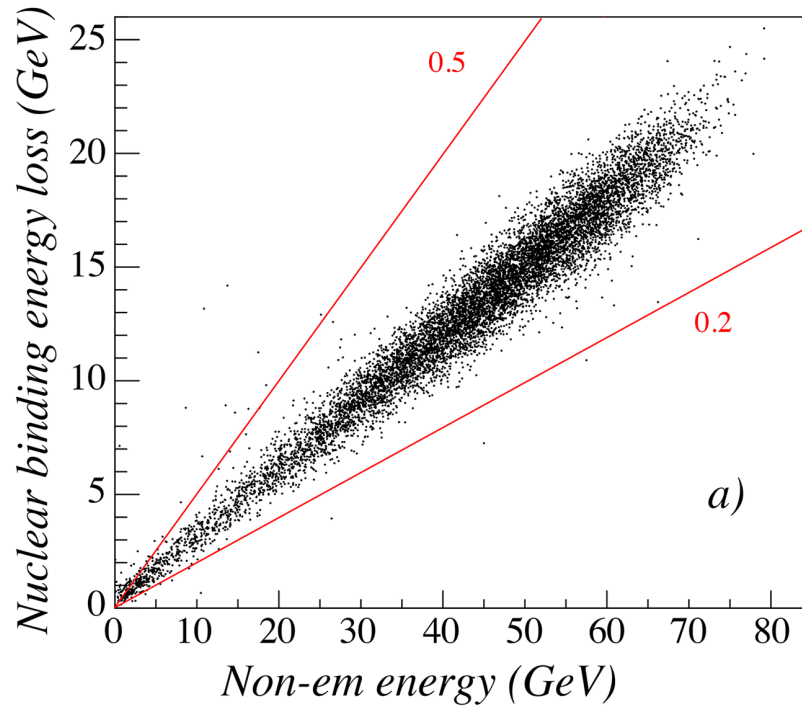
*Dual-readout: em shower fraction*

*Compensation: total kinetic neutron energy*

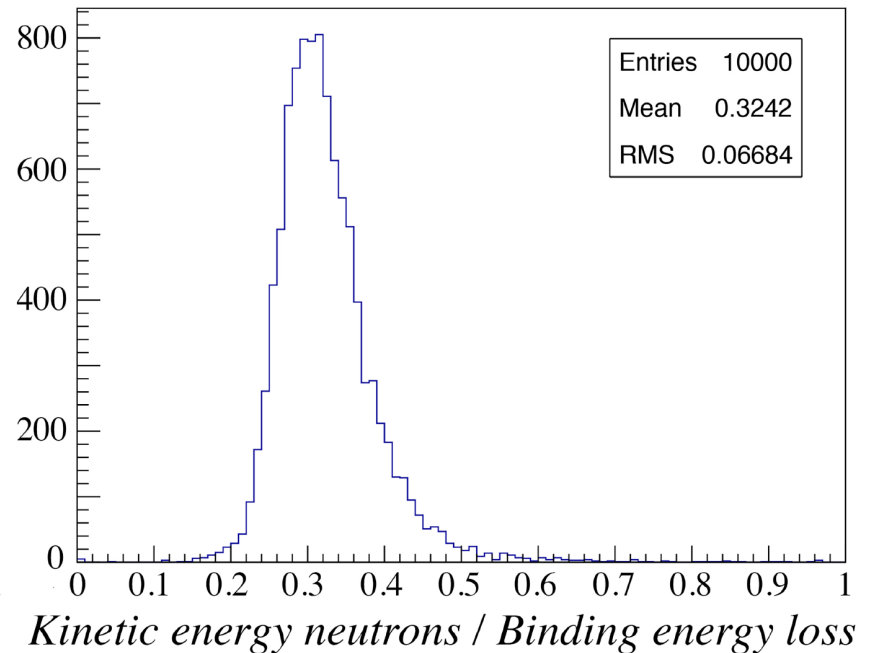
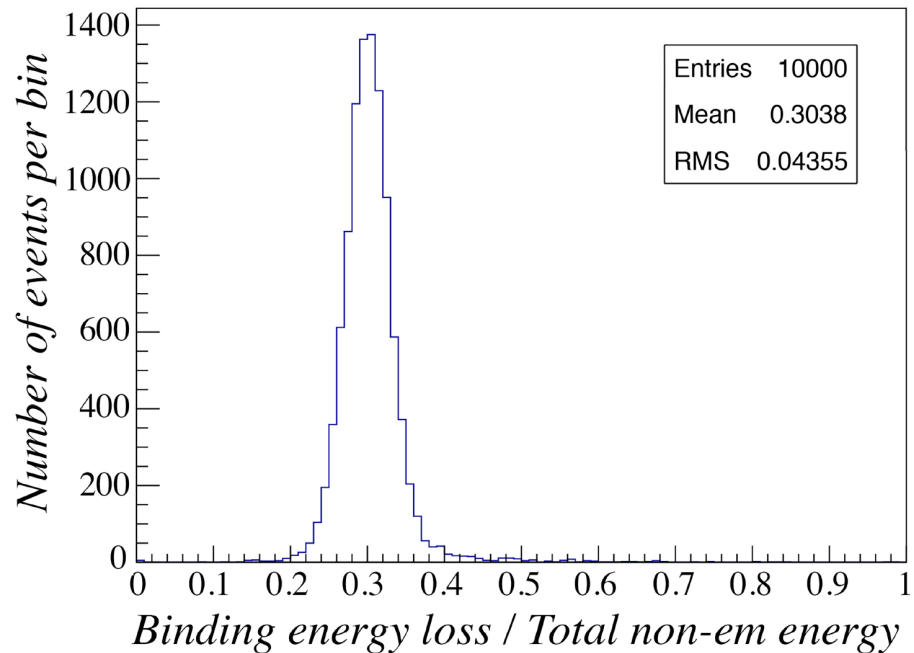
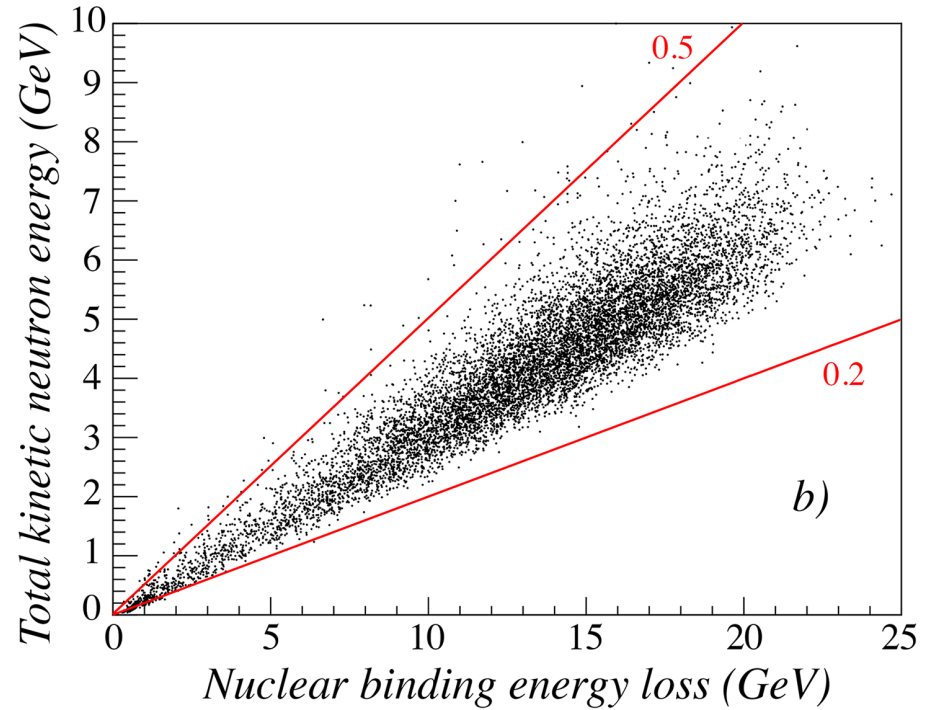
*Which correlation is better?*

# Correlation with invisible energy (100 GeV pion showers)

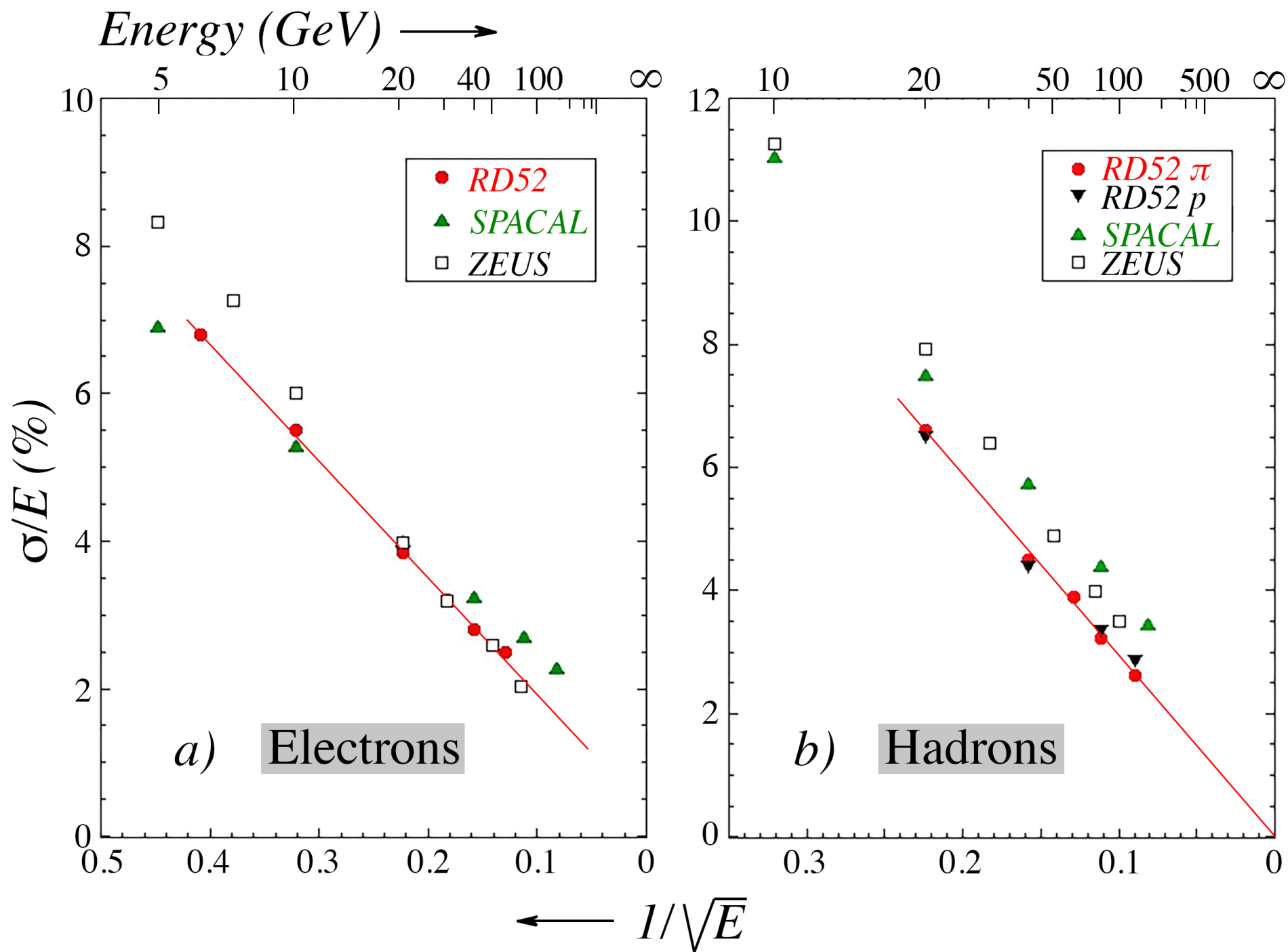
*dual readout*



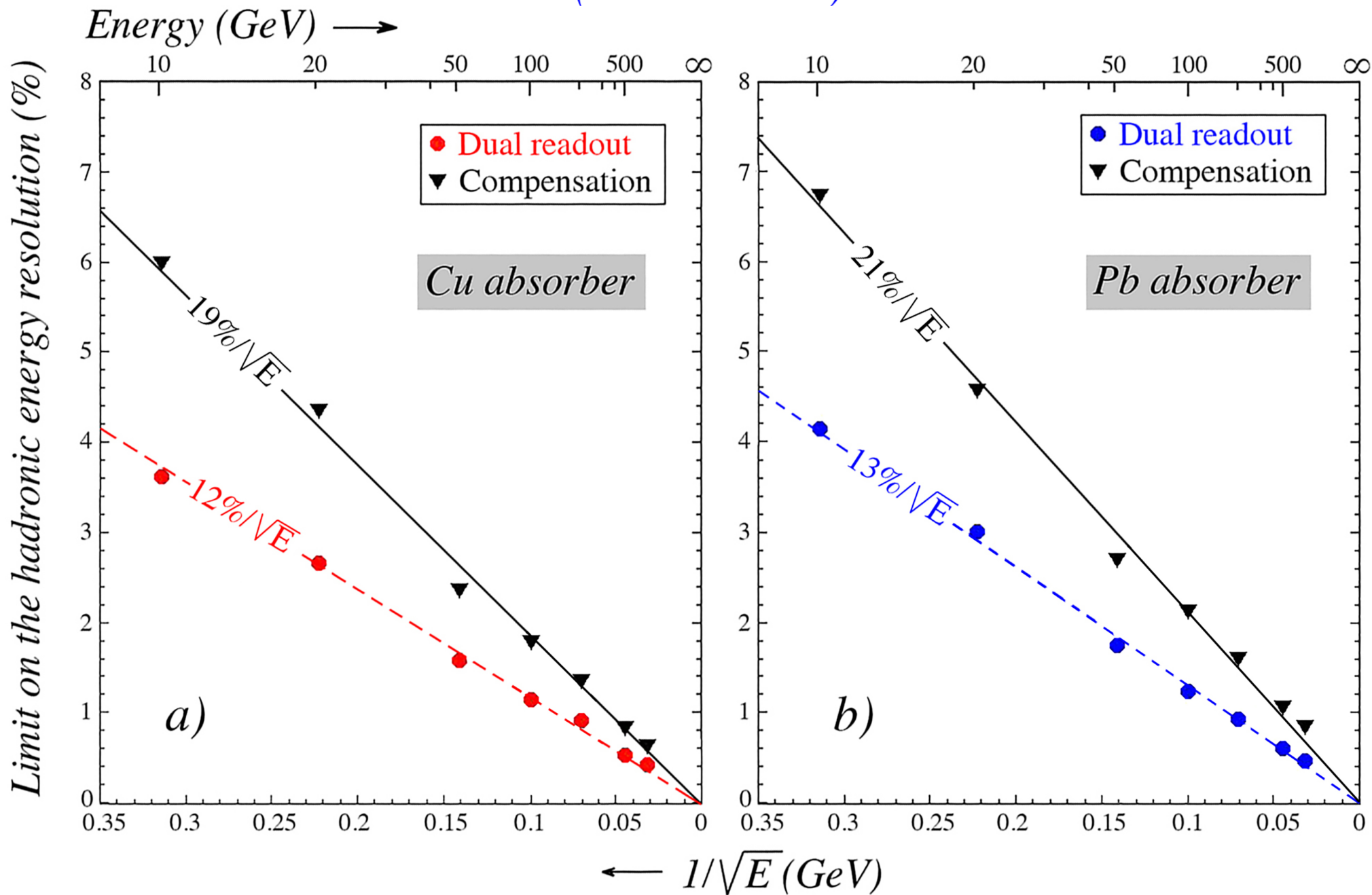
*compensation*



# Dual-readout vs Compensation: Comparison experimental results



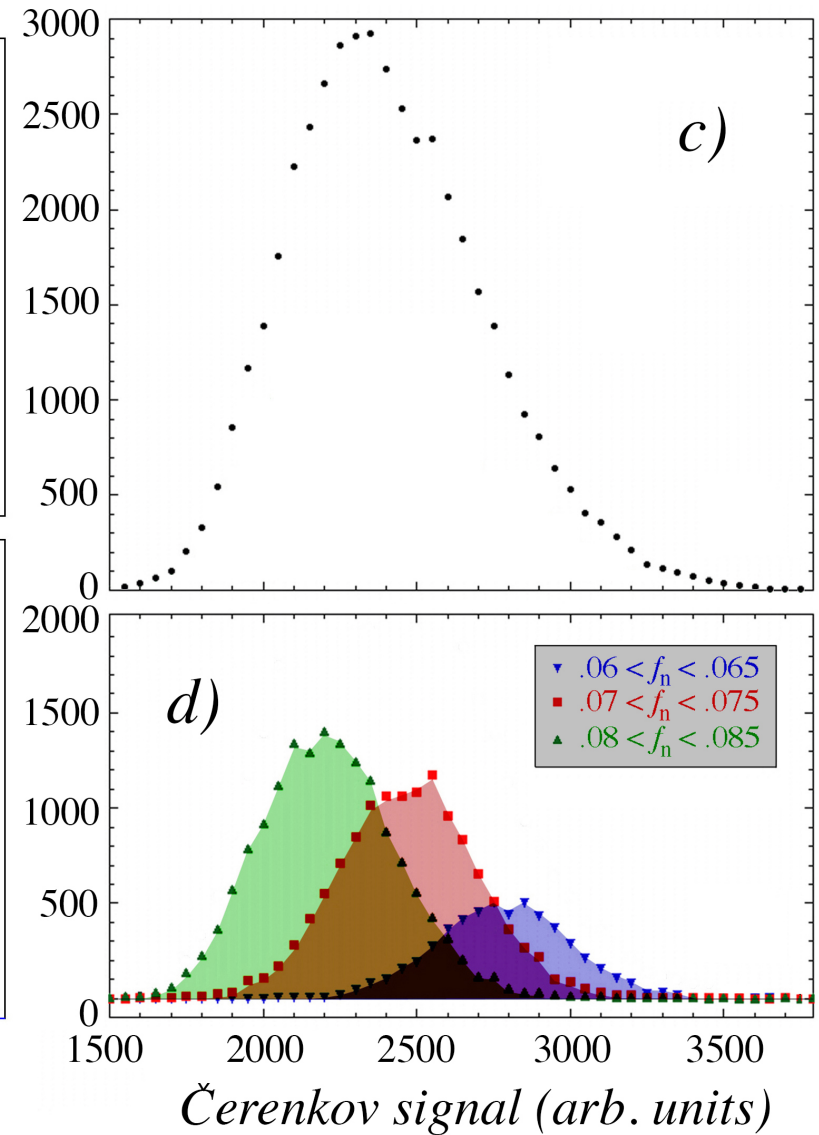
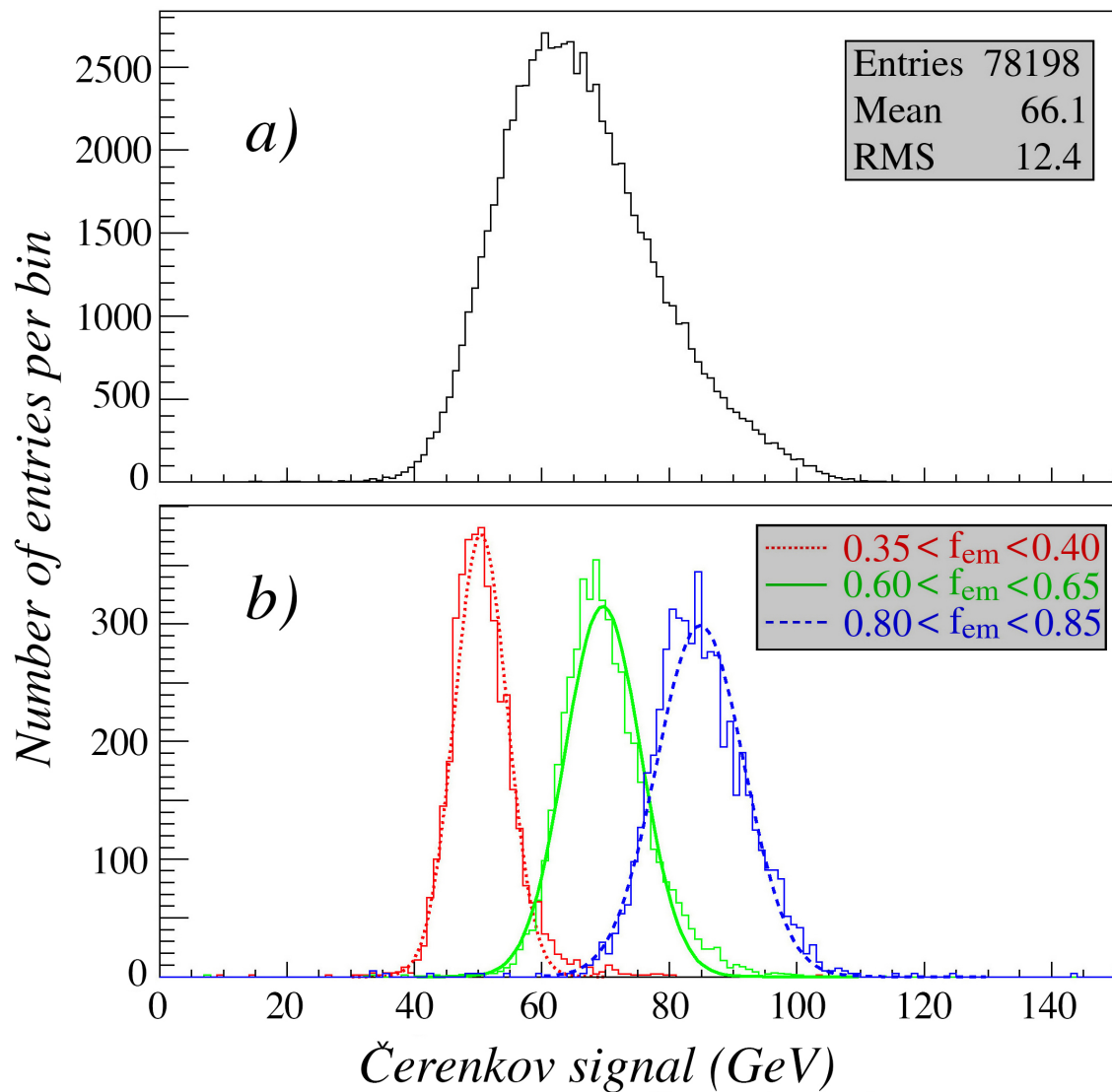
*Lower limits on hadronic energy resolution  
(Monte Carlo)*



# Comparison dual-readout/compensation with experimental data

*em shower fraction*

*neutrons (time structure)*





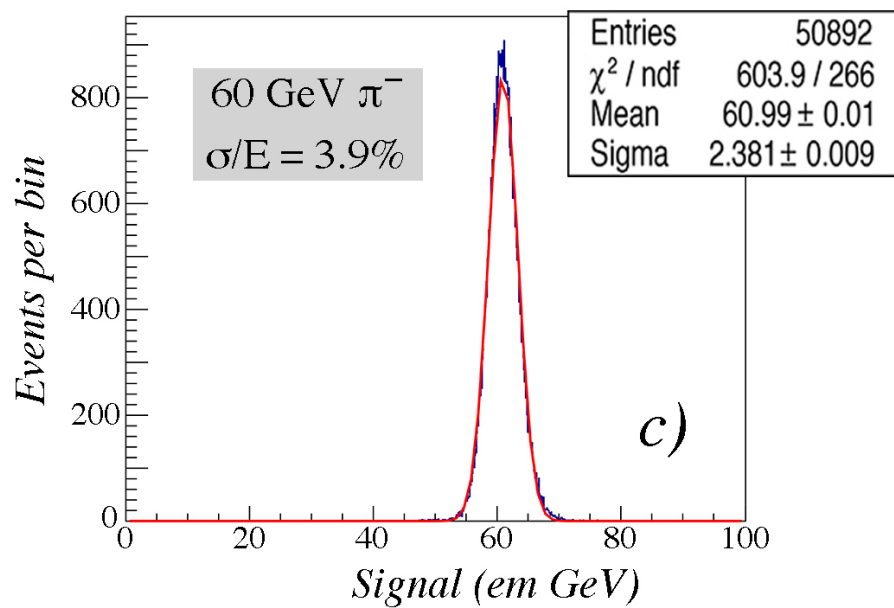
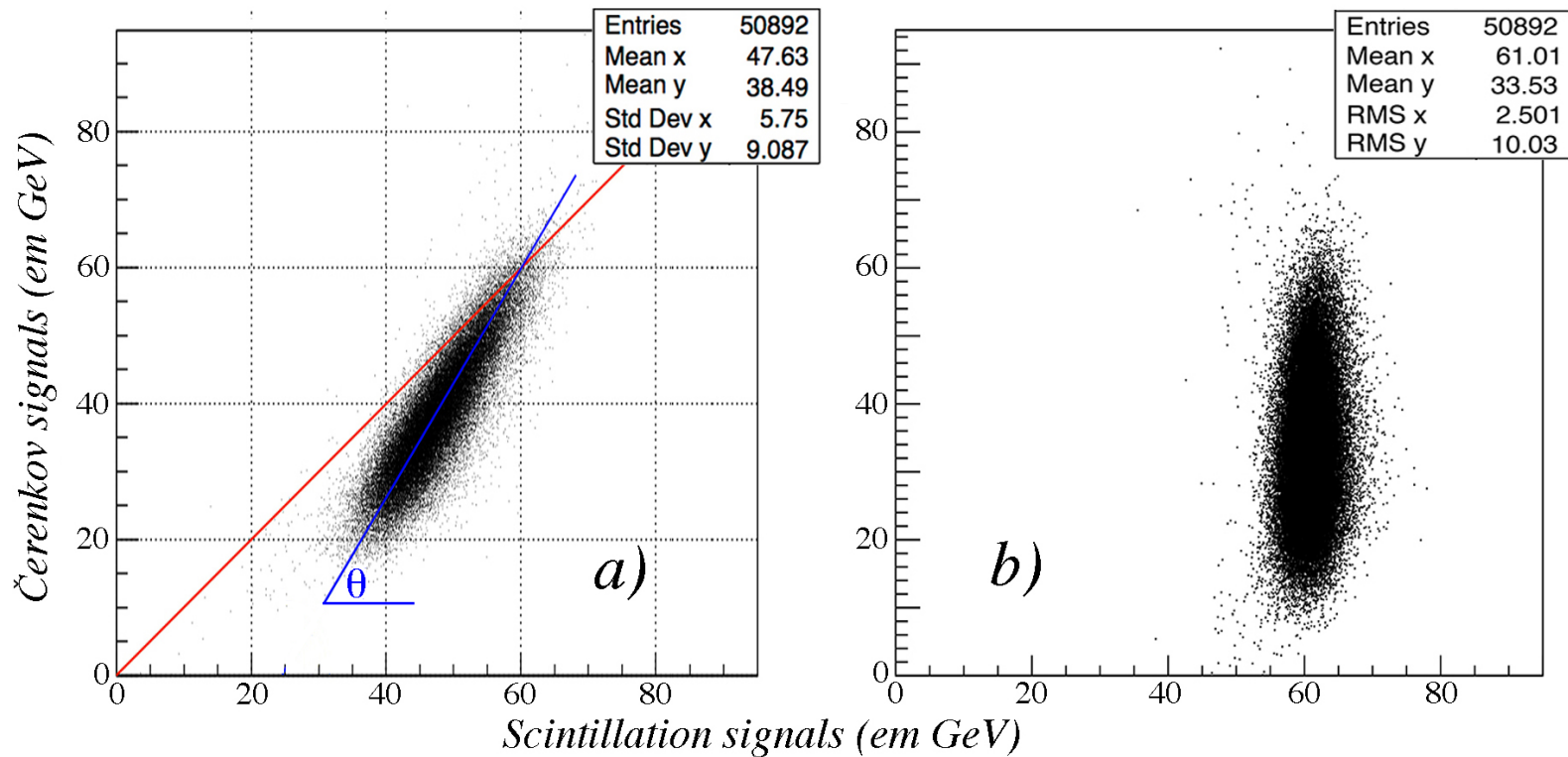
*Backup slides*

*Some applications of the rotation method*

*hadron data taken October 2015  
with the lead based RD52 fiber calorimeter*

# Applications of the DR rotation method (1)

60 GeV  $\pi^-$



# Applications of the DR rotation method (2)

## 80 GeV $\pi^+$ / p

