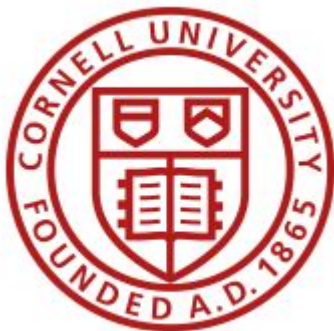


Tagging Boosted Objects with Timing Detectors



Matthew Klimek
Cornell University
Korea University



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Physics Opportunities Timing Detectors @ HL-LHC

Both LHC Experiments are studying **new timing detectors** for HL-LHC with resolutions **~30 ps**. (See Laura and Livia's talk yesterday.)

A major obstacle of HL (and HE) LHC is the increased level of **pileup**.

Timing allows one to resolve the interaction of the bunches and **identify vertices in the time domain**.

Beyond pileup mitigation, timing may be useful for LLP searches.

Is there anything else? *Tentative answer: yes*

What is the temporal structure of a jet?

Of the various objects reconstructed at the LHC, jets are special in that they are **collections of particles**.

Trivial observation: unless all jet constituents have the same velocity, they will arrive **spread over some finite time**.

Dimensional estimate: (Charged hadron multiplicity n)

$$\gamma = \frac{E}{m} \sim \frac{E_j}{n\Lambda_{\text{QCD}}} \quad 1 - v \sim \gamma^{-2} \sim \left(\frac{E_j}{n\Lambda_{\text{QCD}}} \right)^{-2}$$

$$\Delta t \sim R\Delta v \sim 10^{-8} \left(\frac{10 \times 1 \text{ GeV}}{100 \text{ GeV}} \right)^2 \text{ s} \sim 100 \text{ ps}$$

Accessible to the new detectors!

Arrival Time distribution

$$\frac{dN}{dt} = \frac{dN}{dy} \frac{dy}{dv} \frac{dv}{dt} = f(y) \frac{R}{t^2 - R^2}$$

for some distribution of rapidities $f(y)$ produced in the hadronization process, and distance to timing detector R .

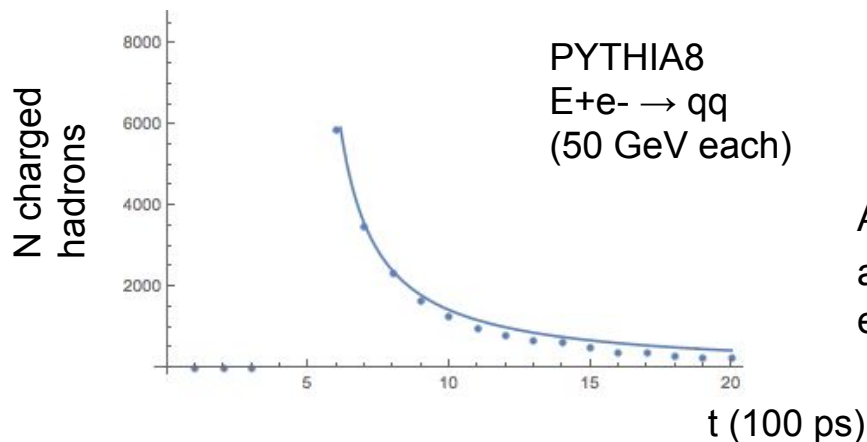
Unless $f(y)$ is extremely peaked at low rapidity, the arrival time distribution is very asymmetrical: a burst of hadrons at $v \sim c$ and a tail at longer times.

Comparison with Pythia “data”

Pythia is based on the Lund string model:

The simplest version predicts $f(y) = 1 \rightarrow 1/t^2$ arrival time distribution.

Again, modifications to this should have no major qualitative effect.

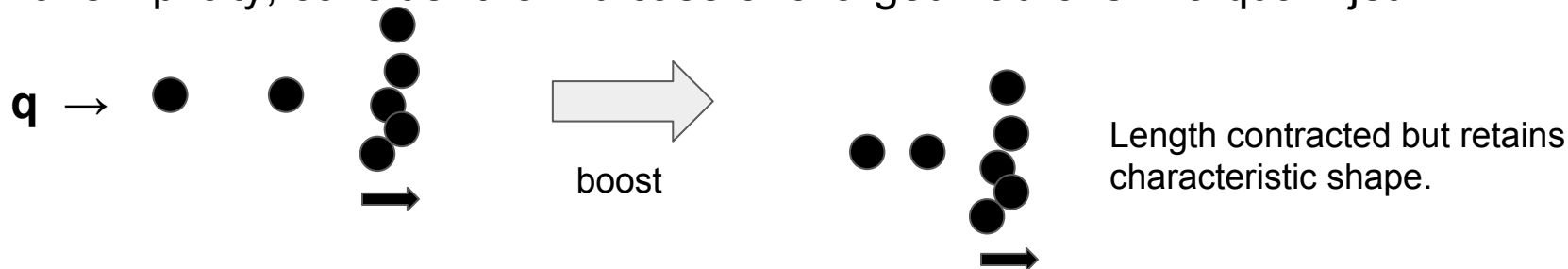


Average jet arrival time profile agrees very well with $1/t^2$ expectation

HERWIG? Cluster model. Gross features are insensitive to details.

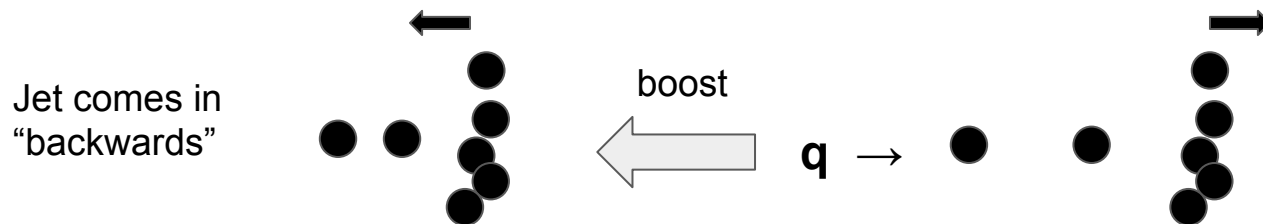
Arrival time distributions under boosts

For simplicity, consider the 1-d case of charged hadrons in a quark jet



The **relative ordering** of the hadrons in the jet is **unchanged** under boosts.

Note this is **not true** for momenta, due to the different masses.

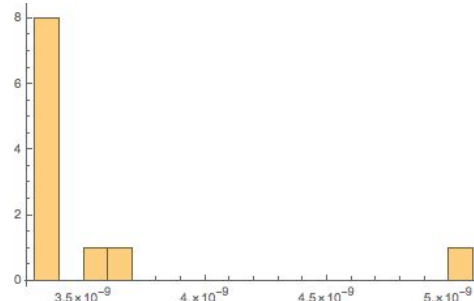
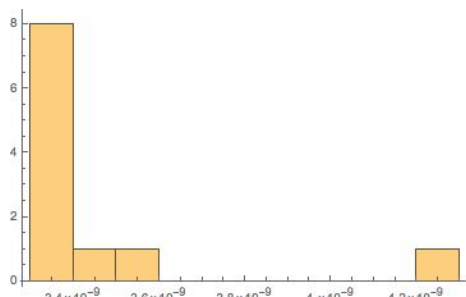
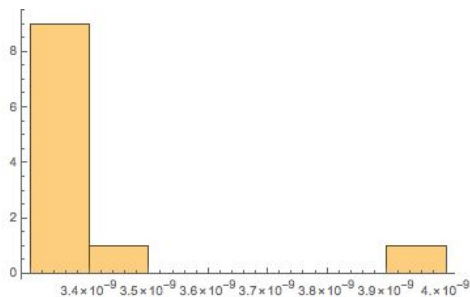


Examples from pythia “data”

Individual jet charged hadron arrival time histograms

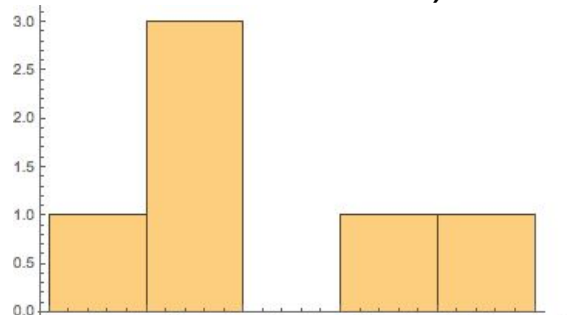
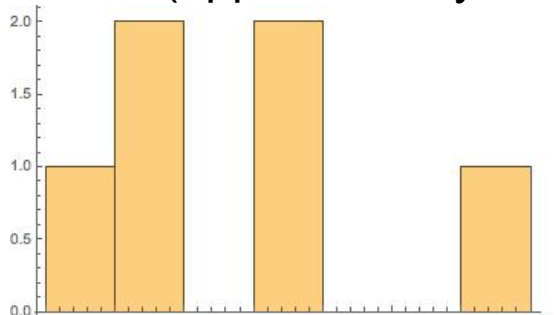
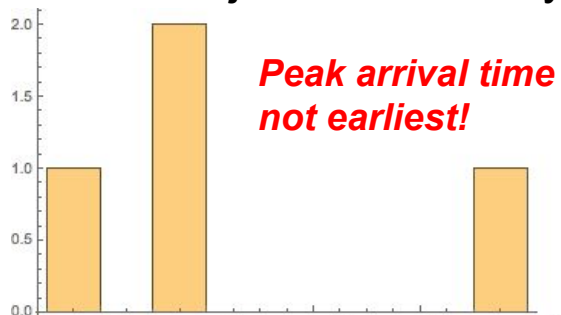
500 GeV non-boosted jets.

Bin size = conservative time resolution 100 ps.



50 GeV jets, boosted by $v = 0.98$ (approximately like $X \rightarrow ZZ$ for 1 TeV X)

Peak arrival time is not earliest!

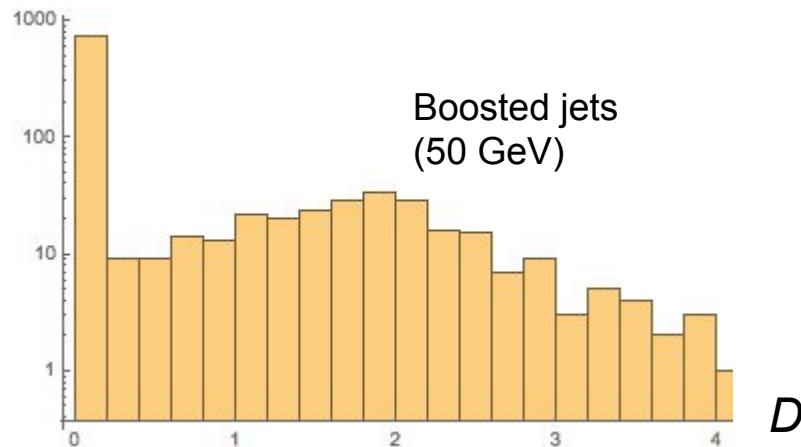
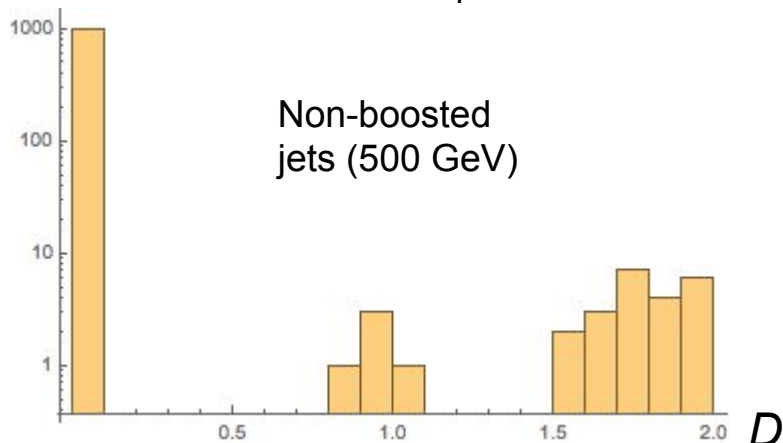


A possible diagnostic

We would like some measure of how peaked the arrival time distribution is at the front and to what extent it only tapers off towards later times.

Full likelihood analysis might be nice? For initial work, a simple diagnostic has been used:

$$D = 2 \times \frac{\sum p_T(\text{ch. hadrons arriving } > 2 \text{ time resolutions before median arrival time})}{\sum p_T(\text{all ch. hadrons})}$$



Concerns/To-do list

- Robust against different hadronization models? (*Should be*)
- Effects of hadronic initial state, gluon vs quark jets?
- Diagnostic Robust to pileup and underlying event? (*Good choice of diagnostic*)
- This is a kinematic effect: over what range of boosts is it effective? Projections for HE?
- Full study needed, eg. boosted diboson search vs full multijet background
- Comments/Concerns?

Summary

Take away: Jets have **temporal structure** which **will be resolved** by future timing detector upgrades.

Observing the characteristic structure of the jet through the arrival time of its charged hadrons can let you infer if it is “in its rest frame” or boosted.

Hopefully will be a fruitful area to explore the new physics capabilities of the upgraded LHC.

Thank you!