



Booster Beam Simulations

Yuri Alexahin*, Alex Macridin

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Issues & Goals

stage	E_inj (MeV)	Np/batch (e12)	$\Delta Q_x/\Delta Q_y$
PIP-I	400	4.5	0.25/0.31
PIP-I+	400	5.6	0.31/0.38
PIP-II	800	6.5	(0.36/0.44)*

*) would be with 400MeV injection

Losses at nominal (PIP-I) intensity are $\sim 8\%$, will increase at high intensity operation (especially with 20Hz replate)

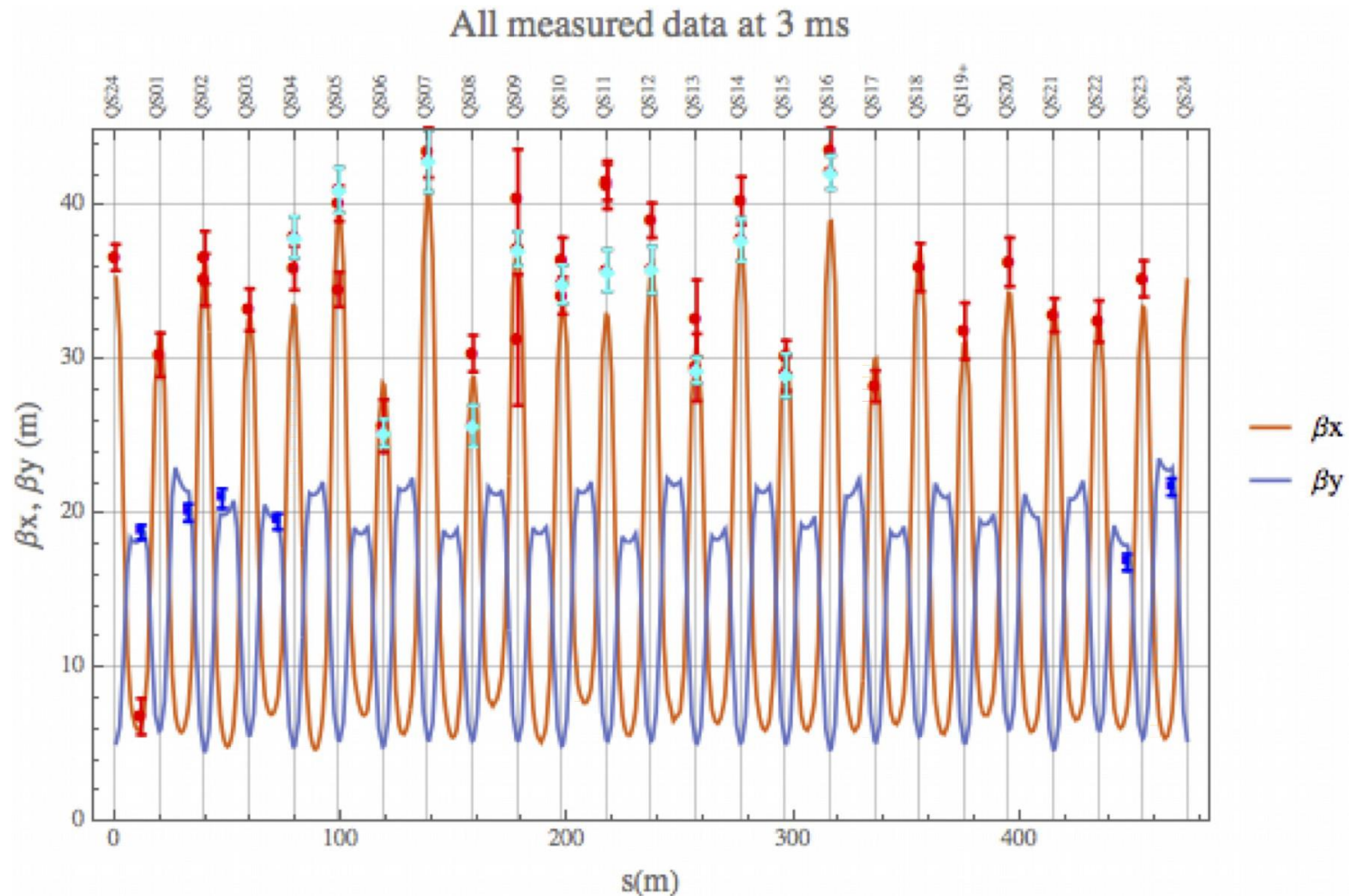
Simulations goals:

- understand experimental observations
- offer ways of improvement

Tools used:

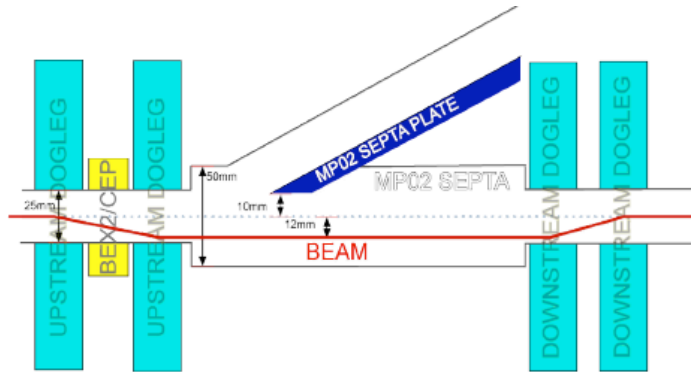
- Synergia (A. Macridin, E. Stern)
- MADX-SC (Y.A., A. Valishev with a lot of help from F. Schmidt)

HEP Optics Measurements



Measurements performed by K-modulation definitely confirm
HEP Optics model (MADX)

Optics Perturbation

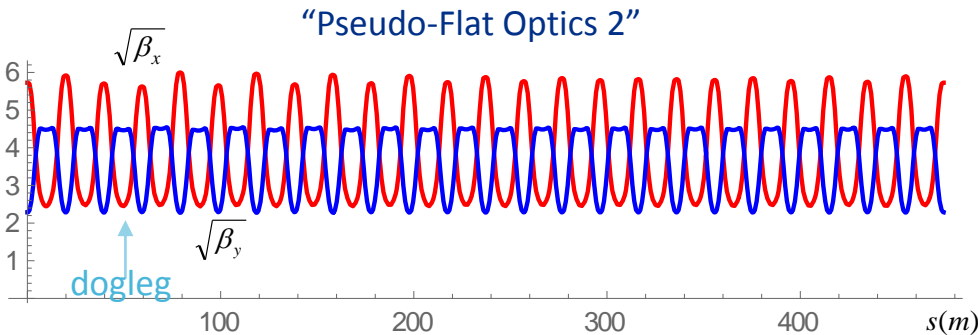
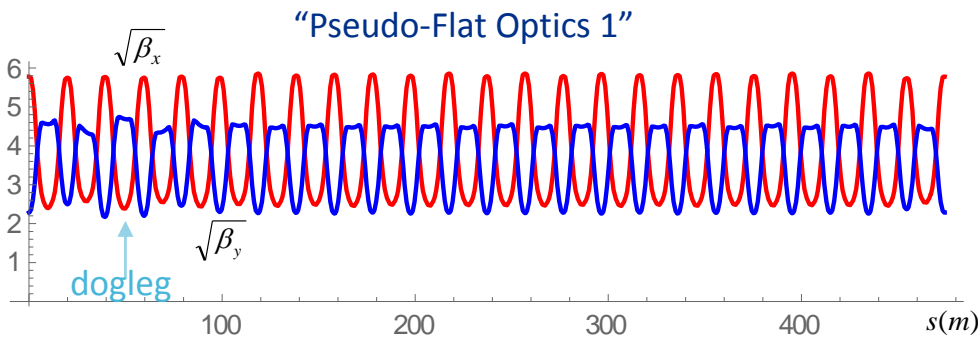
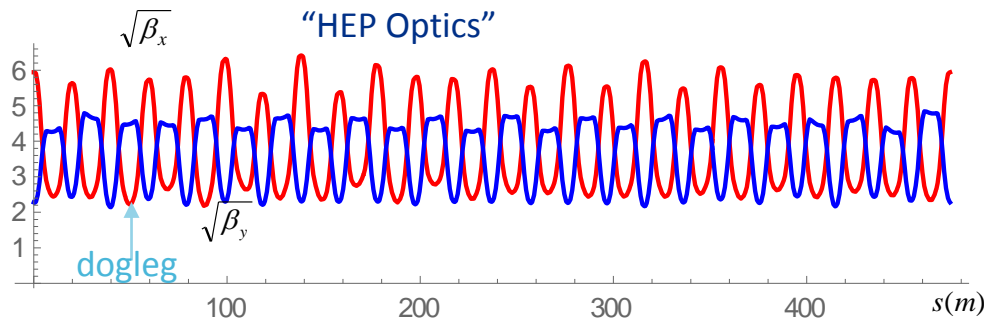


The source of the optics perturbation is well-known: the extraction dogleg created by DC magnets – the strongest effect @ injection.

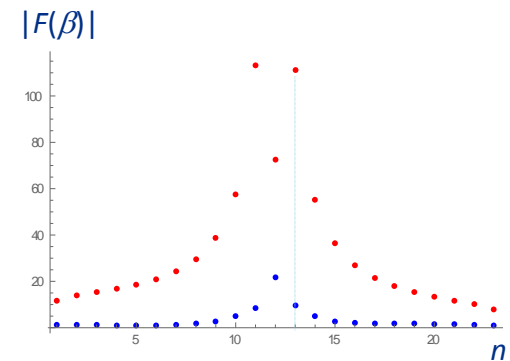
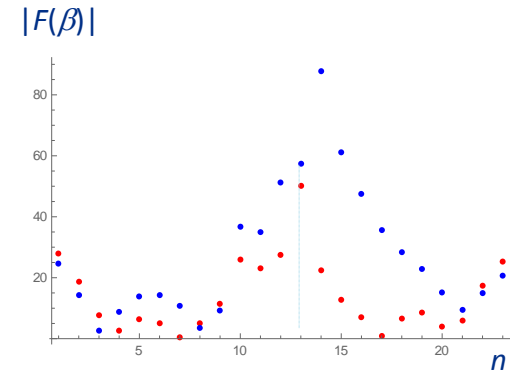
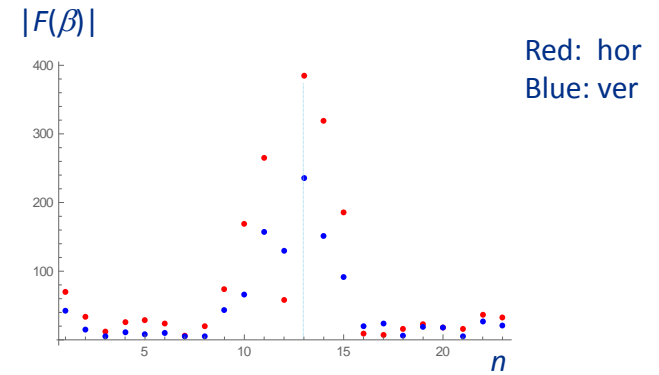
A number of solutions considered:

- modify the extraction dogleg using pulsed magnets (expensive)
- half-integer resonance correction using quadrupole harmonic circuits
- “flat” optics (Tan)

Optics Functions w/o SC



Fourier Spectra of β -functions



Tracking Simulations

Beam parameters (A. Macridin):

$$\varepsilon_{\perp N}^{(r.m.s.)} = 2.34 \mu\text{m} \quad (\varepsilon_{\perp N}^{(95\%)} = 14\pi \text{ mm}\cdot\text{mrad})$$

$$\sigma_z = 0.831532\text{m}, \quad \sigma_p/p = 0.00185,$$

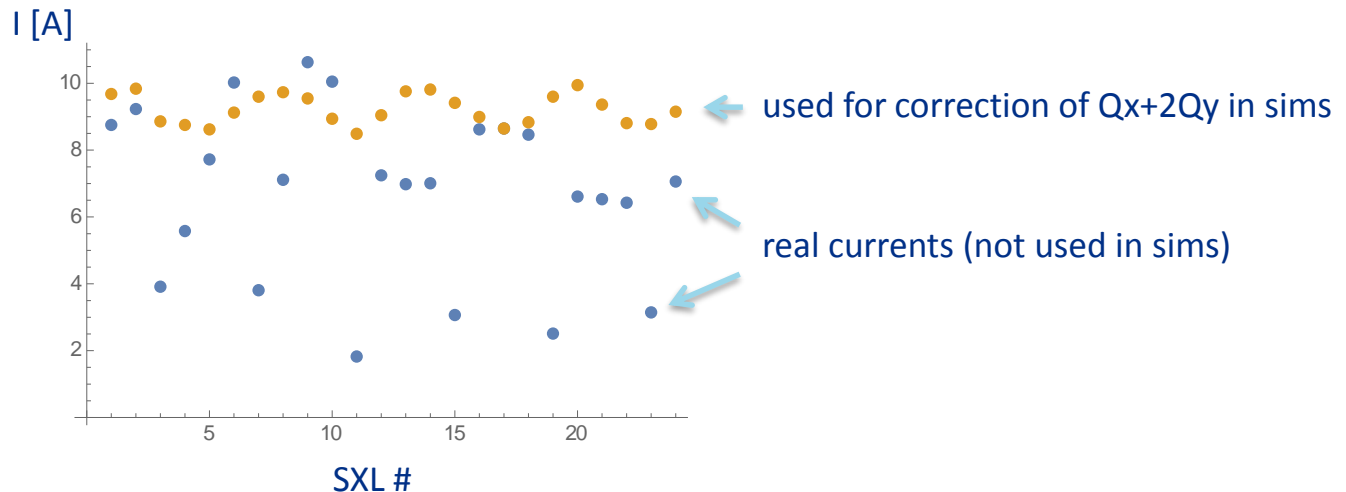
Longitudinal profile is not Gaussian, corrections were made that reduced space charge tuneshifts to 0.28, 0.38 for $N_p = 7 \cdot 10^{10}/\text{bunch}$

Synergia simulations w/o dogleg bump

⇒ still losses due to longitudinal shift in SXL03 position by 4.75m

⇒ excitation of $Q_x + 2Q_y = 20$

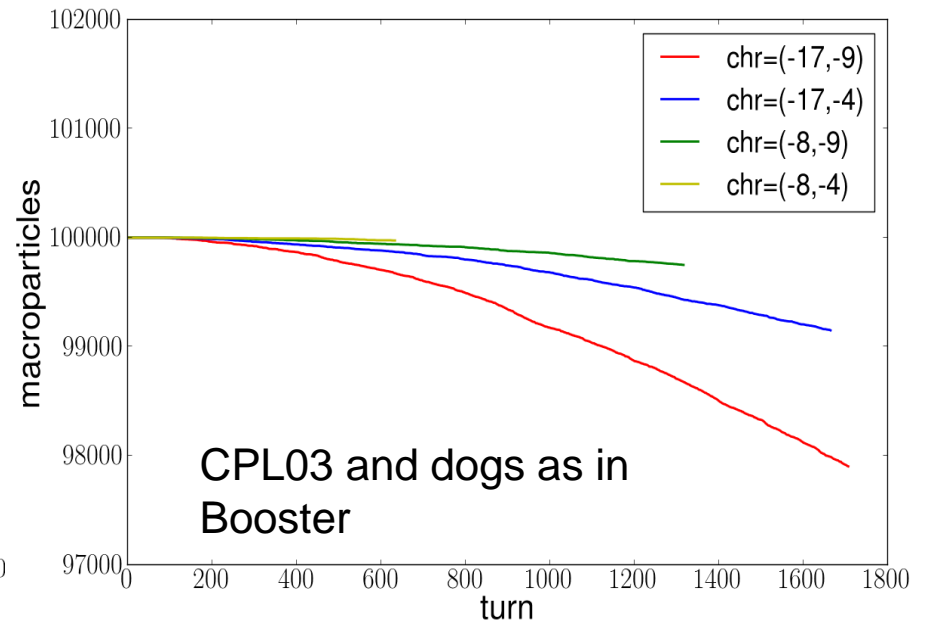
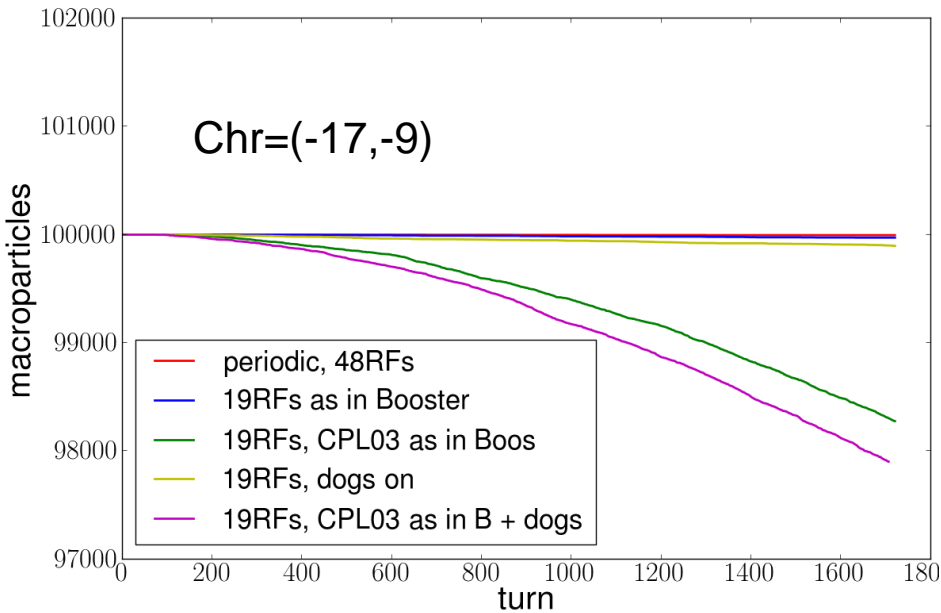
⇒ can be compensated by tuning other sextupoles



Synergia Simulations

$$Q_x=0.734 \quad Q_y=0.82$$

$n=7e10$ pp bunch

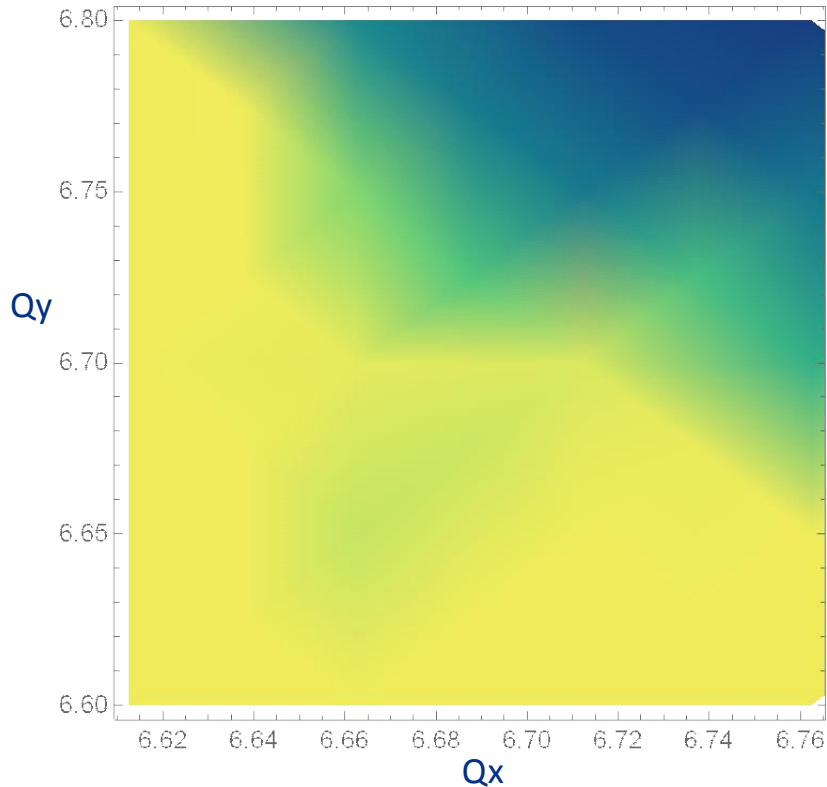


- Position of the CPLO3 corrector package is the main culprit for beam loss

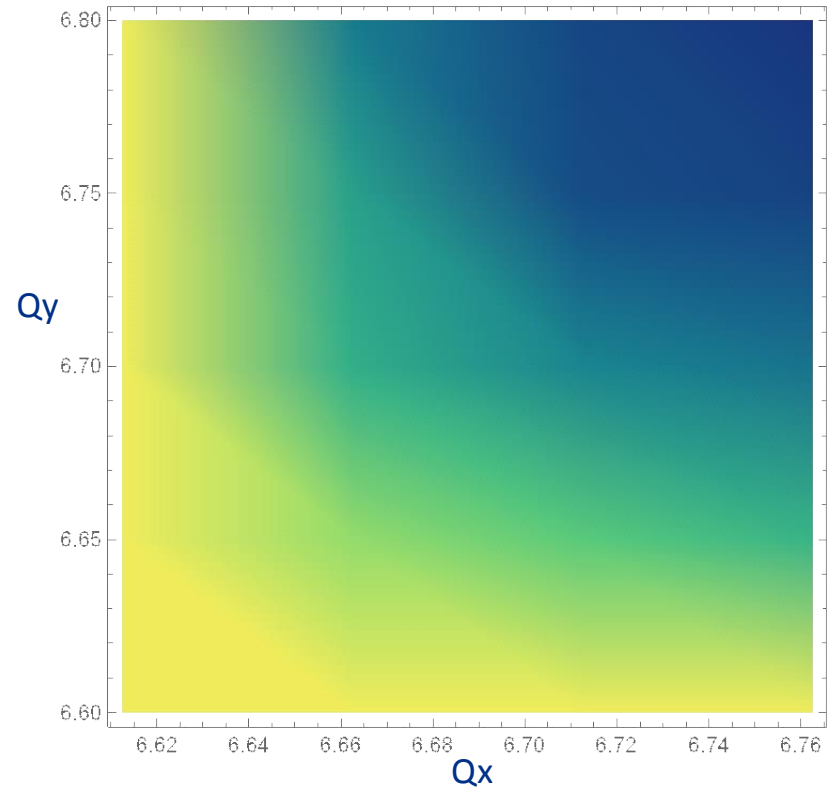
- horizontal chromaticity has a large influence on loss

MADX-SC Simulations for HEP Lattice

no Q_x+2Q_y correction



with Q_x+2Q_y correction

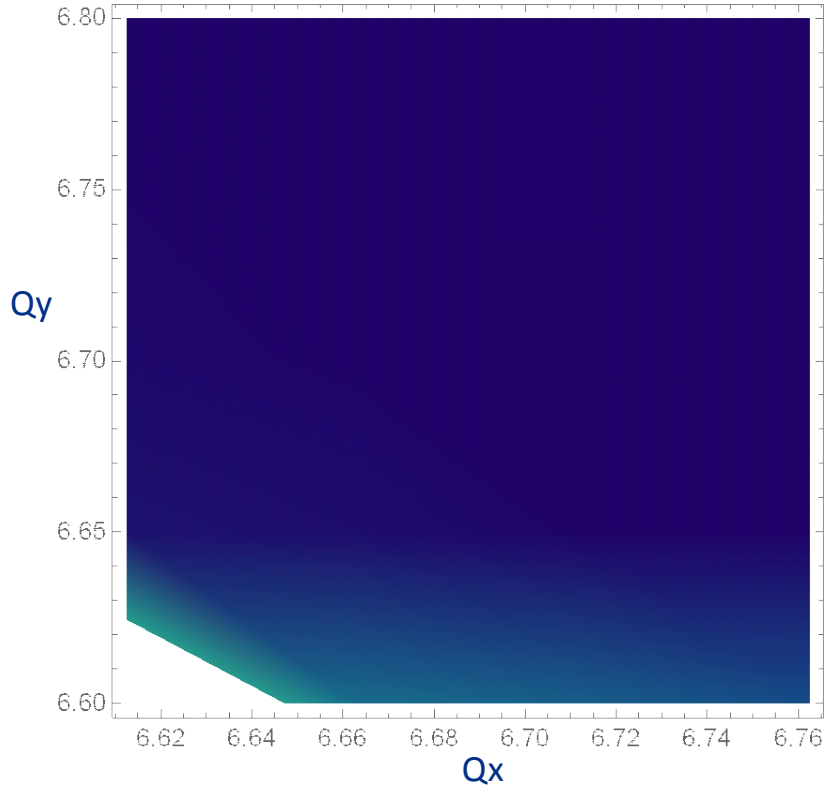


Loss %

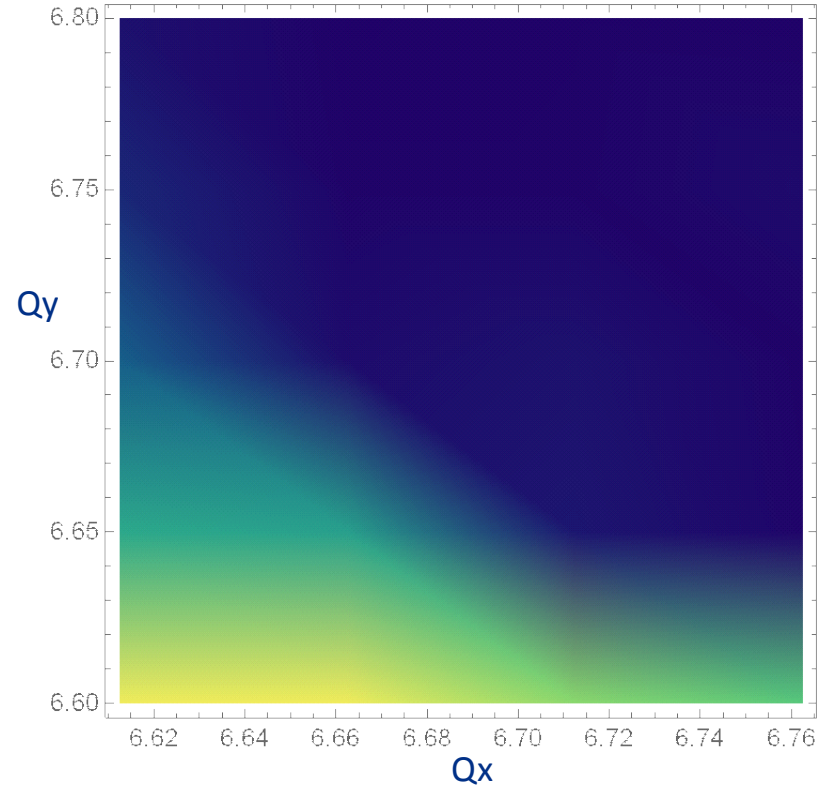
Losses over 2000 turns as function of bare lattice tunes at nominal N_p .
Little improvement at $Q_x=6.7$, $Q_y=6.8$: 4.3% \rightarrow 3.8%

MADX-SC Simulations for Flat Lattice 2

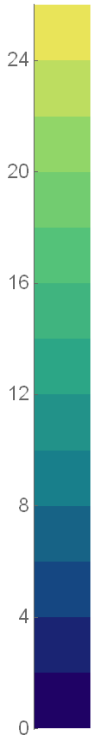
$N_p=5.6e10/\text{bunch}$



$N_p=8.1e10/\text{bunch}$



Loss %

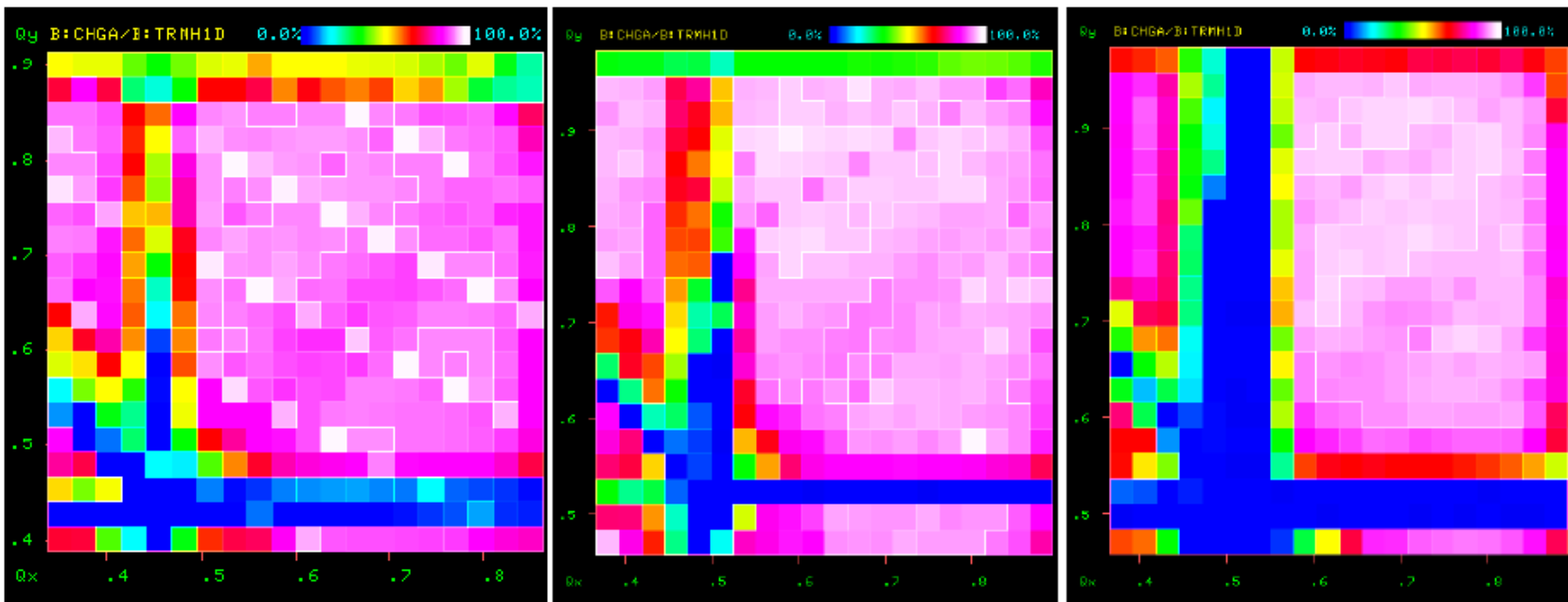


Losses over 2000 turns as function of bare lattice tunes at nominal and PIP-II intensities. Q_x+2Q_y corrected.

At $Q_x=6.7$, $Q_y=6.8$ losses are negligible: $0\% \rightarrow 0.07\%$

Tune scan

(low intensity)



Pseudo-flat lattice 1

Pseudo-flat lattice 2

HEP

Pseudo-flat lattice 2 has smaller vertical 1/2 integer resonance and slightly larger horizontal 1/2 integer resonance.

Both pseudo-flat lattices are much improved over HEP lattice.

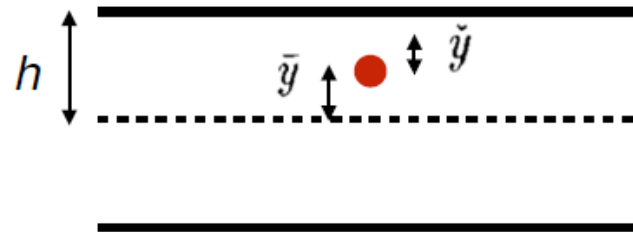
Pseudo-Flat Optics 2 looks like a victory, but there is no better working point than with HEP lattice at high intensity!

Effect of Image Charges*

Start from Baartman's expansion

AIP conference proceedings 448, 56 (1998)

Parallel plates at $y = +/- h$



$$U = -2\lambda \log \left| \frac{\sin\left(\frac{\pi y}{2h}\right) - \sin\left(\frac{\pi \bar{y}}{2h}\right)}{1 + \cos\left(\frac{\pi(y+\bar{y})}{2h}\right)} \right|$$

$$\frac{E_{y\text{image}}}{4\lambda} \approx \frac{\pi^2}{48} \frac{\check{y}}{h^2} + \frac{\pi^2}{16} \frac{\bar{y}}{h^2} + \frac{\pi^4}{192} \frac{\bar{y}^3}{h^4} + \frac{\pi^4}{128} \frac{\check{y}\bar{y}^2}{h^4} + \frac{\pi^4}{256} \frac{\check{y}^2\bar{y}}{h^4} + \frac{7\pi^4}{11520} \frac{\check{y}^3}{h^4}$$

- Electric field by image charge can have all higher order in \check{y} .
- The coefficients depends on COD amplitude \bar{y} .

*) the interest renewed by S. Machida at 2nd SC collaboration meeting (CERN, March 2018)

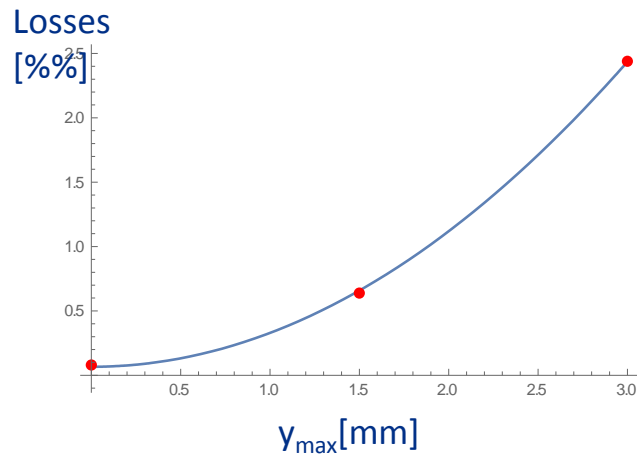
Skew Sextupole Studies

Bending magnets have small (half) apertures:

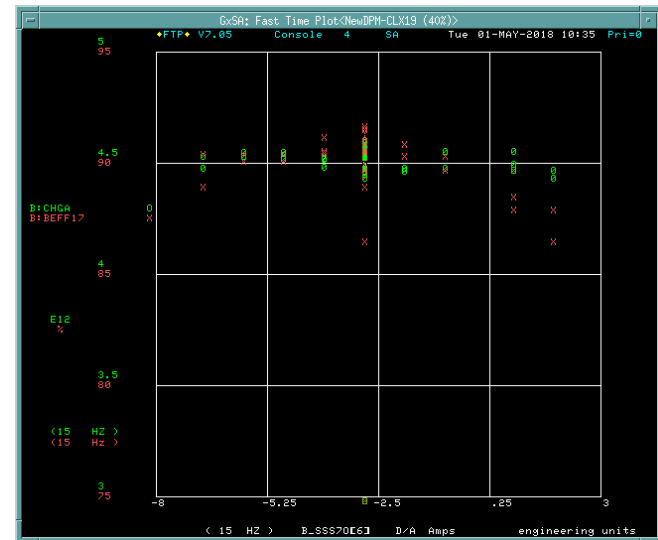
F-magnets $h=2.1$ cm, $L=2.9$ m x 48, $ks2^{(image)}=0.001\text{m}^{-3}$ for $y=1\text{mm}$, $Np=7.e10 \Rightarrow$ can drive $2Q_x+Q_y$

D-magnets $h=2.9$ cm \Rightarrow can drive $3Q_y$

The image charges were simulated as skew sextupoles components in F- and D-magnets $\sim y \sim \beta_y^{1/2}\cos(n\cdot s/R)$ with $n=20$



MADX-SC simulations show that vertical offset should be $\sim 0.3\sigma_y$ to produce a noticeable effect in 2000 turns – too large?



Booster measurements show little effect (if any) of SSS located close to F-magnets (K. Seiya)

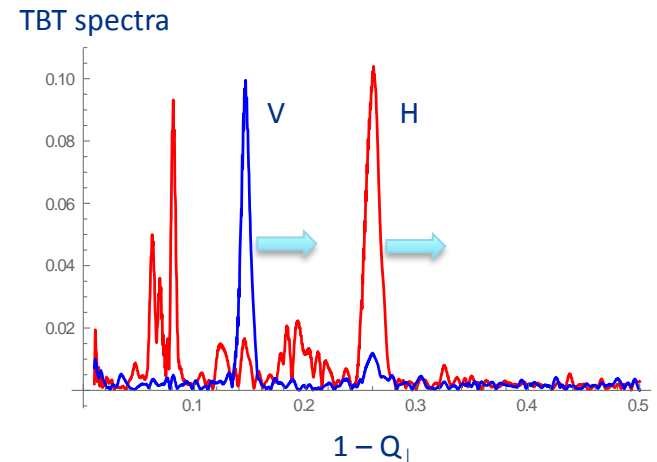
Summary

- From the standpoint of transverse dynamics with space charge there should be no problem with PIP-II intensity at the present injection energy when using “flat” optics.
- However, we could not reduce losses with these apparently better optics

We tried:

- injection orbit and optics matching
- aperture scans
- decoupling (though Q_x+Q_y has not been looked at since 2011)
- correction of the 3rd order using upright and skew sextupoles
- reduced chromaticity
- to see head-tail instability
- to detect dipole noise using TBT data (quad noise seems unlikely)
- all to no or very limited success.

Had we missed anything important?



Outlook

- Can RF phase errors that C.-Y. Tan and Chandra Bhat are looking at now be the reason for increased losses with improved optics? Even if so, the explanation must be found – studies necessary.
- Simulations studies ongoing or planned:
 - longitudinal dynamics with wakes and SC
 - Effects of RF and quadrupole noise
 - 6D dynamics during RF capture with 3DoF SC
 - coherent (envelope) oscillations with MADX-SC
 - ...