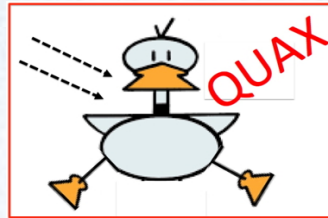


Searching for Galactic Axions

QUAX Status

QUest for AXions



Giovanni Carugno

on behalf of the QUAX Collaboration



Overview

- Axion-electron coupling: DFSZ models (in KSVZ models $1/\alpha$ suppression)
- Detection principle: electron spin resonance (ESR)
- Experimental challenges: current R&D @ INFN
- Current sensitivity of the QUAX prototype
- Axion-Photon coupling sensitivity with QUAX set up

Interaction of DFSZ axion and electron spin

- The interaction of the DFSZ axion with a spin ½ particle

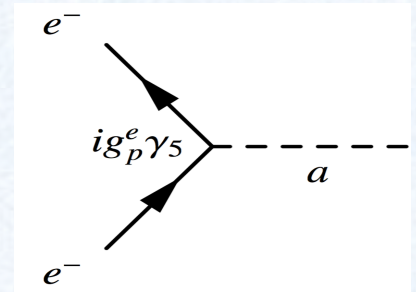
$$\mathcal{L}_{a,\text{matter}} = f_a^{-1} g_{aij} \bar{\psi}_i \gamma^\mu \gamma^5 \psi_j \partial_\mu a$$

$$g_p \cong \frac{m_e}{3f_a} \cos^2 \beta$$

$$g_p \approx 3 \times 10^{-11} \left(\frac{m_a}{1 \text{ eV}} \right)$$

- DFSZ axion coupling with non relativistic ($v/c \ll 1$) electron: equation of motion reduces to the Schroedinger equation

$$i\hbar \frac{\partial \varphi}{\partial t} = \left[-\frac{\hbar^2}{2m} \nabla^2 - \frac{g_p \hbar}{2m} \boldsymbol{\sigma} \cdot \nabla a \right] \varphi$$



- Cold Dark Matter of the Universe may consists of axions and they can be searched for

The interaction term has the form of a **spin - magnetic field interaction** with $\vec{\nabla} a$ playing the role of an **oscillating effective magnetic field**

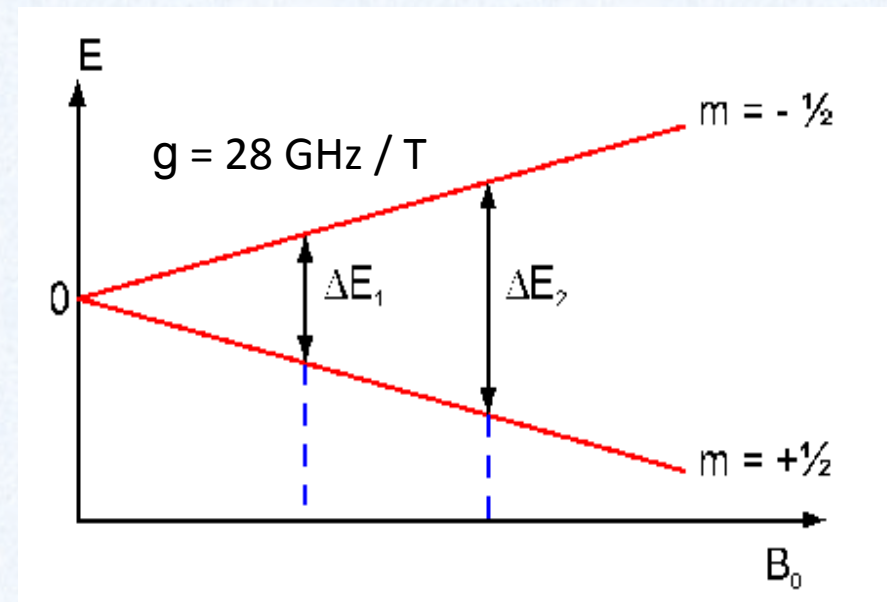
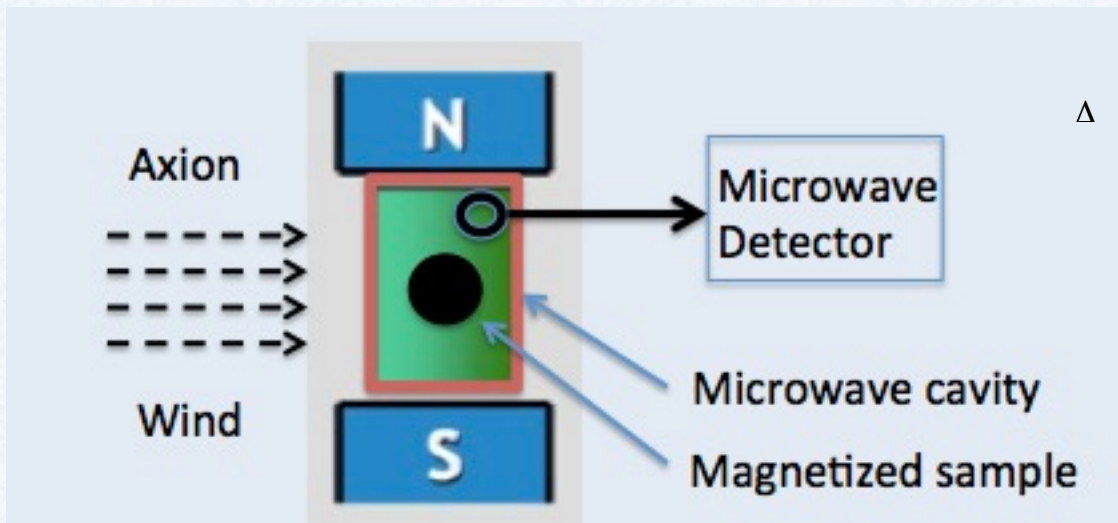
$$\mathbf{H}_{\text{int}} = -2\mu_B \vec{\sigma} \cdot \left[\frac{g_p}{2e} \vec{\nabla} a \right]$$

$$\mathbf{B}_a = \frac{g_p}{2e} \vec{\nabla} a$$

- **Frequency** of the effective magnetic field proportional to **axion energy**
- **Amplitude** of the effective magnetic field proportional to **axion density**

The axion wind

- **Due to the motion of the solar system** in the galaxy, the axion DM cloud acts as an **effective RF magnetic field** on electron spin
- RF field excites **magnetic transition** in a **magnetized sample** (Larmor frequency) with a static magnetic field B_0 and can produce a detectable signal
- **The interaction with axion field produces a variation of magnetization which is in principle measurable**



Idea is not new and comes from **several works**:

- L.M. Krauss, J. Moody, F. Wilczek, D.E. Morris, "Spin coupled axion detections", HUTP-85/A006 (1985)
- R. Barbieri, M. Cerdonio, G. Fiorentini, S. Vitale, Phys. Lett. B 226, 357 (1989)
- F. Caspers, Y. Semertzidis, "Ferri-magnetic resonance, magnetostatic waves and open resonators for axion detection", Workshop on Cosmic Axions, World Scientific Pub. Co., Singapore, p. 173 (1990)
- A.I. Kakhizde, I. V. Kolokolov, Sov. Phys. JETP 72 598 (1991)

The axion effective magnetic field

- R. Barbieri et al., *Searching for galactic axions through magnetized media: The QUAX proposal* [Phys. Dark Univ. **15**, 135 - 141 (2017)]

The effective magnetic field associated with the axion wind

$$B_a = \frac{g_p}{2e} \left(\frac{n_a h}{m_a c} \right)^{1/2} m_a v_E$$

n_a – axion density $\sim 0.4 \text{ GeV/cm}^3$
 v_E – Earth velocity $\sim 220 \text{ km/s}$
 axion velocity dispersion $\sim 270 \text{ km/s}$

Using from standard model of Galactic Halo:

$$B_a = 2.0 \cdot 10^{-22} \left(\frac{m_a}{200 \mu\text{eV}} \right) \text{ T,}$$

$$\frac{\omega_a}{2\pi} = 48 \left(\frac{m_a}{200 \mu\text{eV}} \right) \text{ GHz,}$$

$$\tau_{\nabla a} \simeq 0.68 \tau_a = 17 \left(\frac{200 \mu\text{eV}}{m_a} \right) \left(\frac{Q_a}{1.9 \times 10^6} \right) \mu\text{s};$$

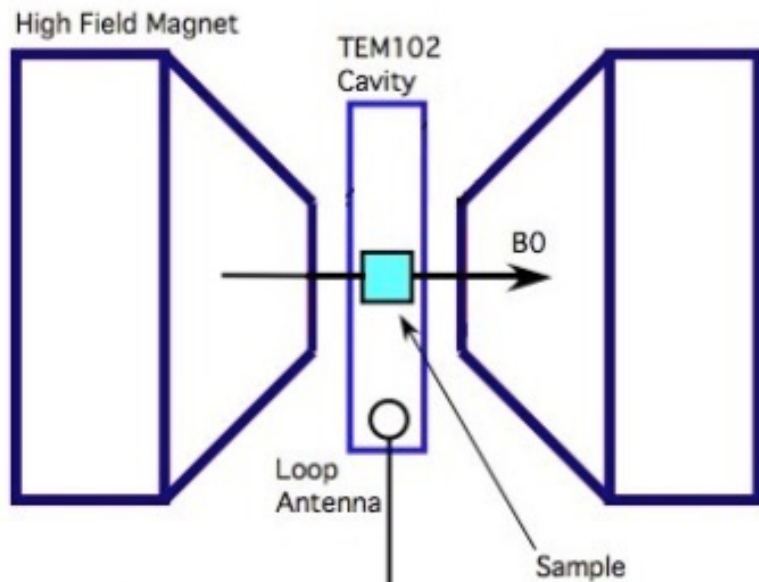
Coherence time

$$\lambda_{\nabla a} \simeq 0.74 \lambda_a = 5.1 \left(\frac{200 \mu\text{eV}}{m_a} \right) \text{ m,}$$

Correlation length

Detection strategy: Electron Spin Resonance

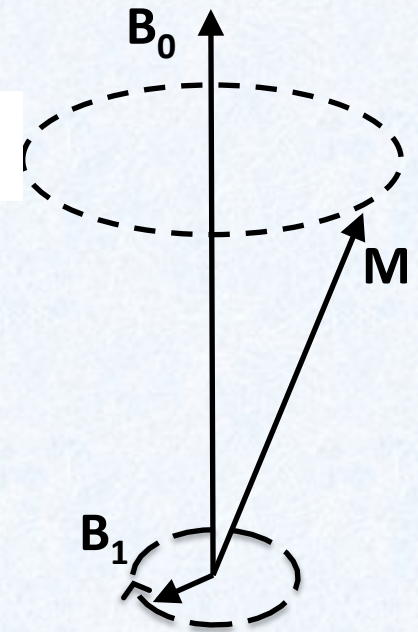
Electron spin resonance (ESR) arises when energy levels of a quantized system of electronic moments are **Zeeman split** (the **magnetic system** is placed in a uniform magnetic field B_0) and the system absorbs/emits EM radiation (in the microwave range) at the **Larmor frequency ν_L** of the **ferromagnetic resonance**.



$$B = \begin{pmatrix} B_1 \cos(\omega t) \\ B_1 \sin(\omega t) \\ B_0 \end{pmatrix} \quad \nu_L = g B_0$$

$$g = 28 \text{ GHz / T}$$

$$1.7 \text{ T} \rightarrow \nu_L = 48 \text{ GHz}$$

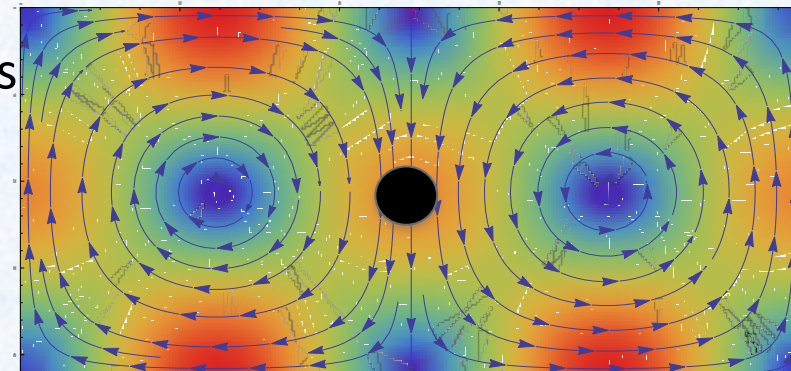


An experimental geometry with **crossed field** is needed:

- B_0 along the z direction, defines the Larmor resonance
- **RF field B_1** in the x-y plane excites the Magnetization modes

The system macroscopic dynamics is given by **Bloch equations** which describe the evolution of **each component** of the magnetization vector \mathbf{M} . **No radiation damping in a resonant cavity and in strong coupling regime of Kittel/cavity modes.**

TEM102 Resonant Cavity
 B_0 along z axis (normal to the figure)



Axion driving of magnetization

The axion wind mimics the transverse rf magnetic field inducing a **time dependent magnetization of the uniform or Kittel mode** of the magnetized sample

$$M_a(t) = \gamma \mu_B B_a n_S \tau_{\min} \cos(\omega_a t),$$

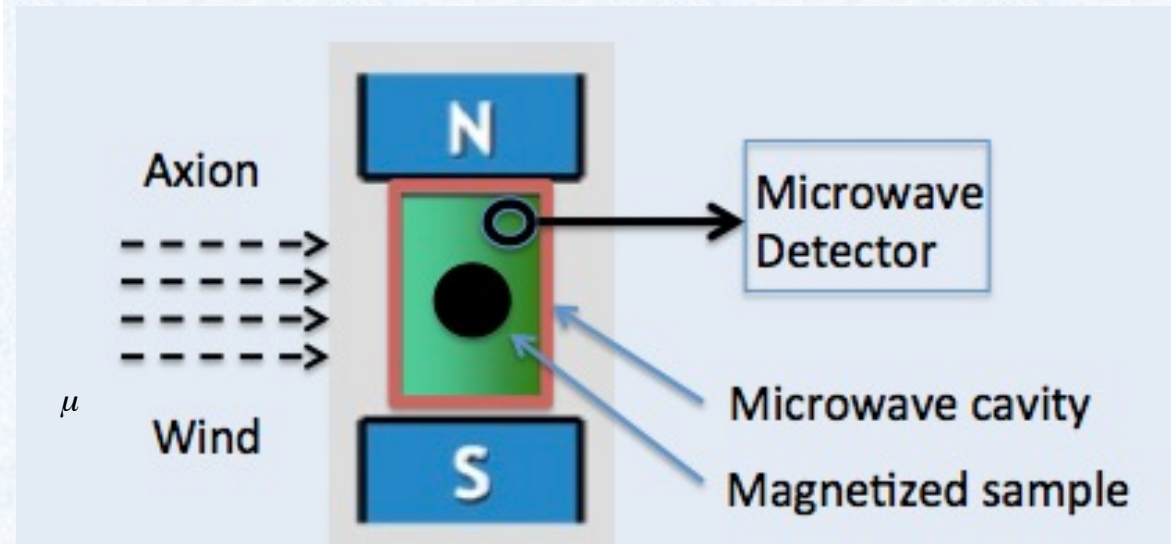
at resonance

τ_{\min} is the shortest coherence time among:

- axion wind coherence $\tau_{\nabla a}$
- magnetic material **relaxation time** τ_2
- **radiation damping** τ_r

n_s – material spin density

μ_B – Bohr magneton



A **volume V_s** of magnetized material will absorb energy from B_a at a rate

$$P_{\text{in}} = \mu_0 \mathbf{H} \cdot \frac{d\mathbf{M}}{dt} = B_a \frac{dM_a}{dt} V_s = \gamma \mu_B n_S \omega_a B_a^2 \tau_{\min} V_s$$

this power will excite magnetization/cavity modes and could be possibly detected

Anticipated signal strength

Expected signal as a function of relevant experimental parameters

Working @ $m_a = 200 \mu\text{eV} \rightarrow 48 \text{ GHz}$

**Larmor frequency tuning
by magnetizing field**

$B_0 = 1.7 \text{ T} \Rightarrow 48 \text{ GHz}$

$$P_{\text{out}} = \frac{P_{\text{in}}}{2} = 3.8 \times 10^{-26} \left(\frac{m_a}{200 \mu\text{eV}} \right)^3 \left(\frac{V_s}{100 \text{ cm}^3} \right) \left(\frac{n_S}{2 \cdot 10^{28} / \text{m}^3} \right) \left(\frac{\tau_{\text{min}}}{2 \mu\text{s}} \right) \text{ W}$$

Such a low power level is out of reach of linear amplifiers



**Single photon
microwave detection**

To be developed

See discussion in *S.K. Lamoreaux et al., Phys. Rev. D 88 (2013) 035020*.

The corresponding
signal photon rate

$$R_a = \frac{P_{\text{out}}}{\hbar\omega_a} = 1.2 \times 10^{-3} \text{ Hz}$$

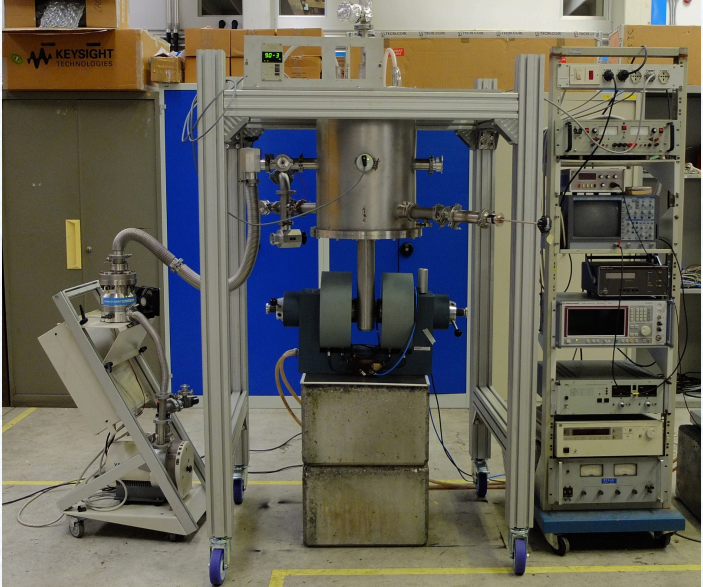
**this rate establishes the required dark count
rate of the photon counter**

QUAX experimental challenges

- **Magnetized material**
 - Spin density $2 \times 10^{28} / \text{m}^3$
 - Ferromagnetic linewidth $\sim 150 \text{ kHz}$ (i.e. $\tau_2 \sim \mu\text{s}$)
 - Total volume $\sim 100 \text{ cm}^3$
- **Microwave cavity**
 - Q factor $\gtrsim 10^6$
 - To be operated in a few Tesla static magnetic field
 - Must house a 100 cm^3 magnetic sample (use replica?)
- **Magnetizing field**
 - Up to 2 T magnetic source
 - High uniformity and high stability – at the ppm level
- **Microwave receiver**
 - Single photon counter with a dark count rate $\lesssim 10^{-3} \text{ Hz}$
- **Complete apparatus**
 - Working temperature around 100 mK
 - Noise dominated by thermodynamic fluctuations
 - Frequency tunability (to search for different axion masses)

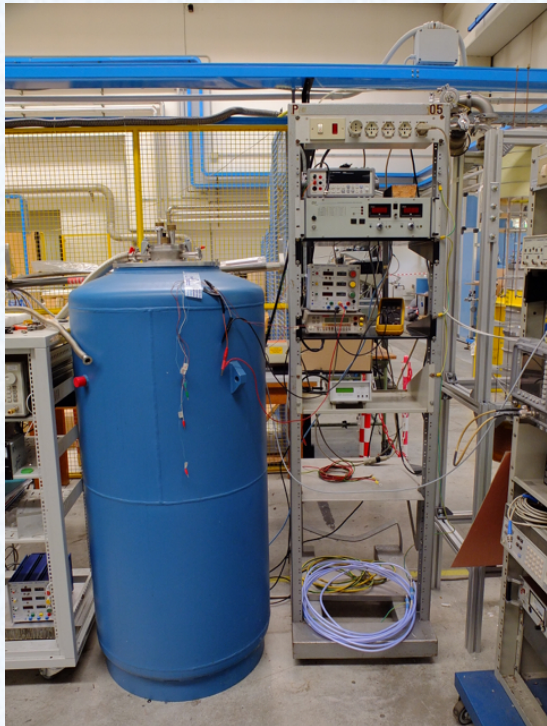
Work in progress

We are working on almost all these points to address the feasibility of the experiment

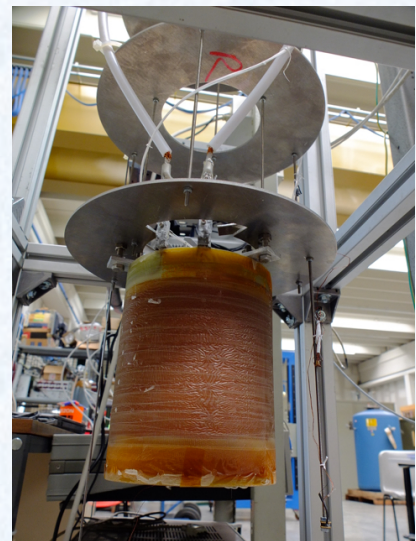


Cryogenic system #1 in **Legnaro**

External magnetic source



Cryogenic system #2 in **Legnaro** Superconducting magnet



Cryogenic system in **Frascati** Superconducting magnet



All present systems works with LHe

A dilution refrigerator is on the way

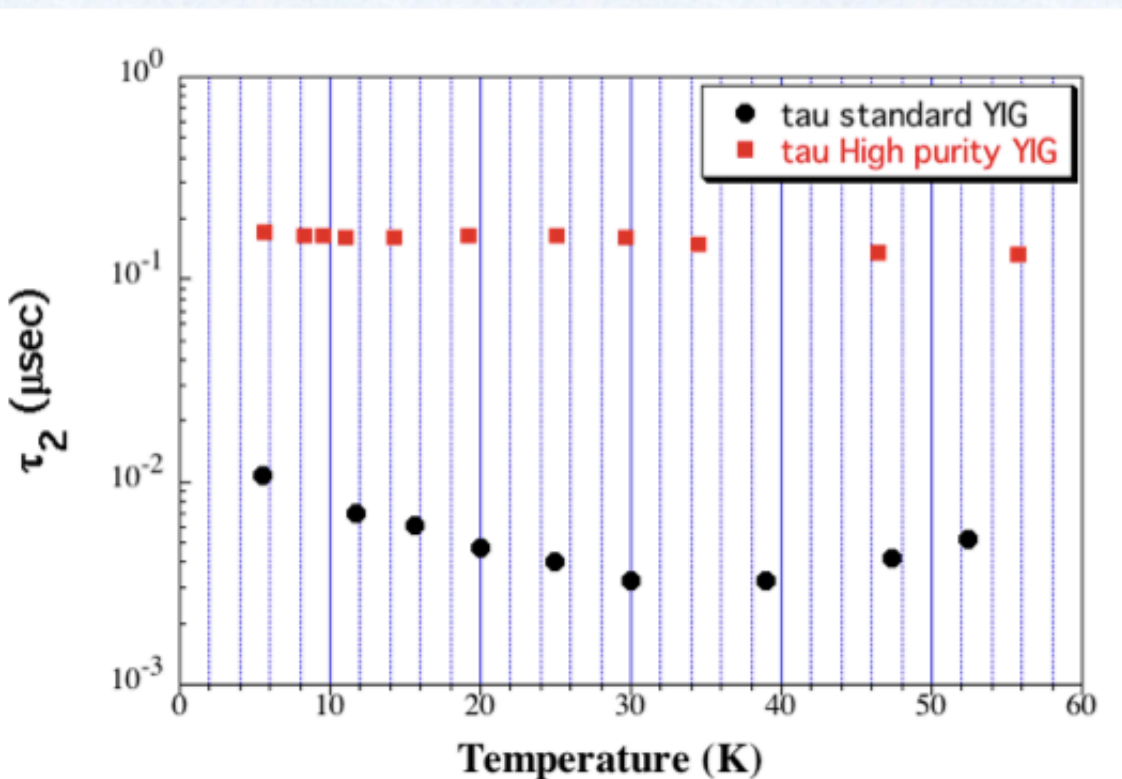
During R&D we are working in the 10 – 15 GHz range

Magnetic Material

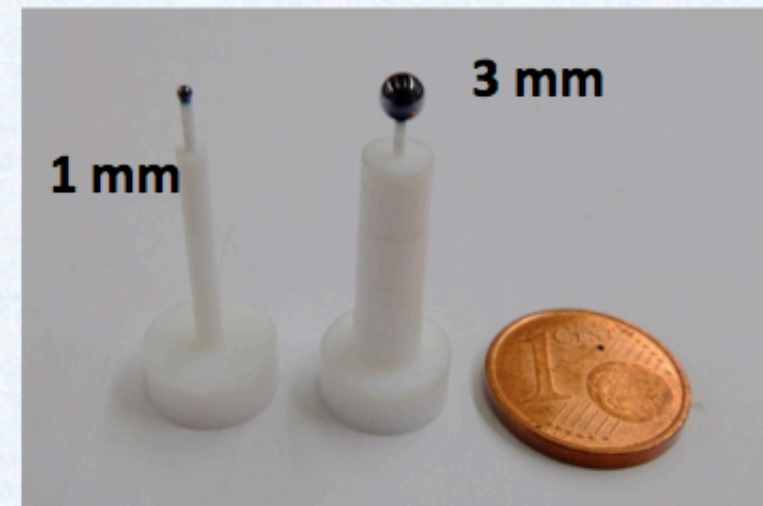
Material	Spin density	M0	τ_1	τ_2	Size
YIG	2.1×10^{28} [1/m ³]	$1.4 \cdot 10^5$ A/m	$0.16 \mu\text{s}$	$0.16 \mu\text{s}$	Spheres 1 mm, 2 mm and 3 mm diameter
All values at room temperature					

YIG – Yttrium Iron Garnet is a ferrimagnetic synthetic garnet with chemical composition $\text{Y}_3\text{Fe}_5\text{O}_{12}$.

Its **ferromagnetic linewidth** ($= 1 / 2 \pi \tau_2$) depends on temperature, **sample purity** and geometry (highly polished spheres)



Typical application: rf filters and synth

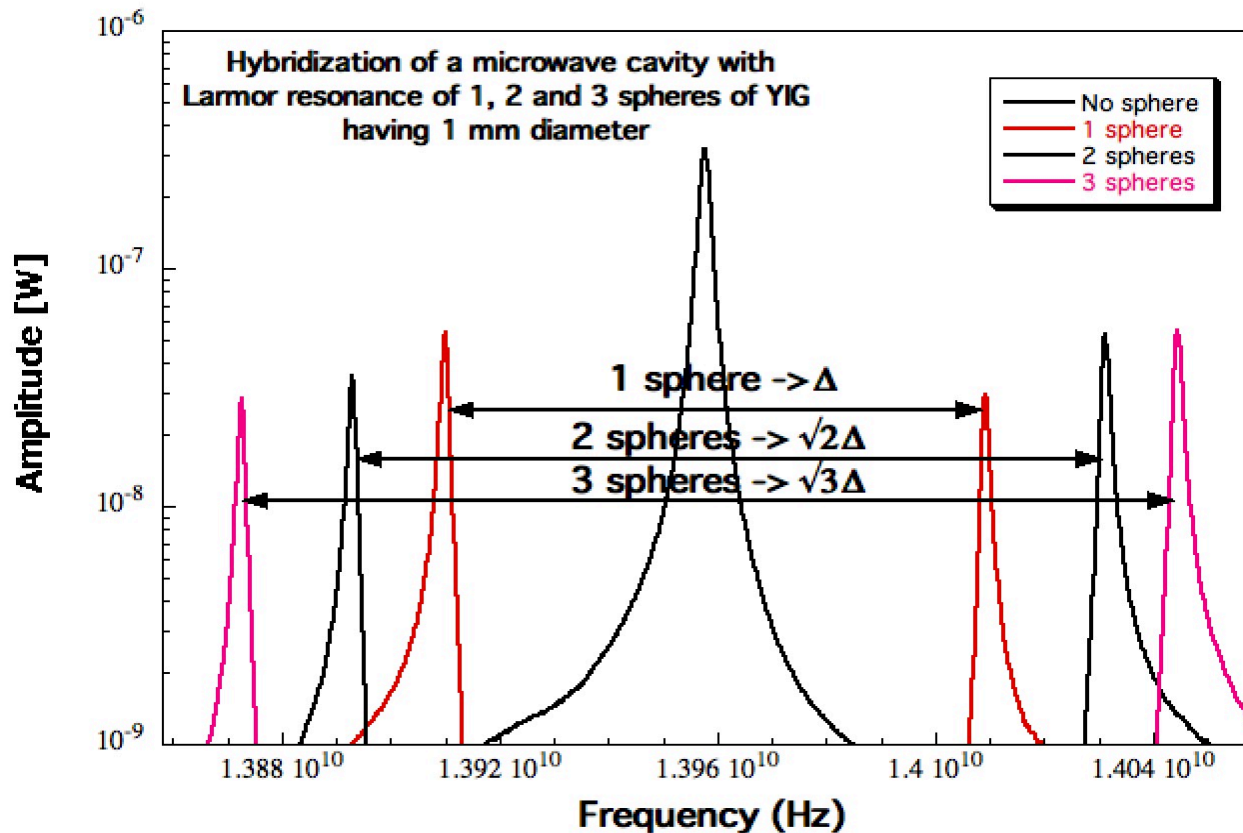
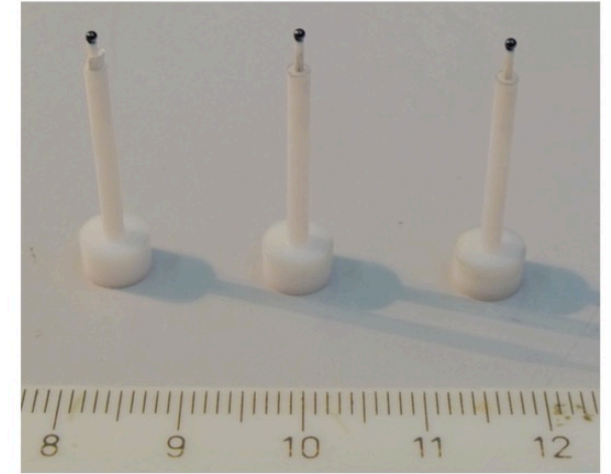
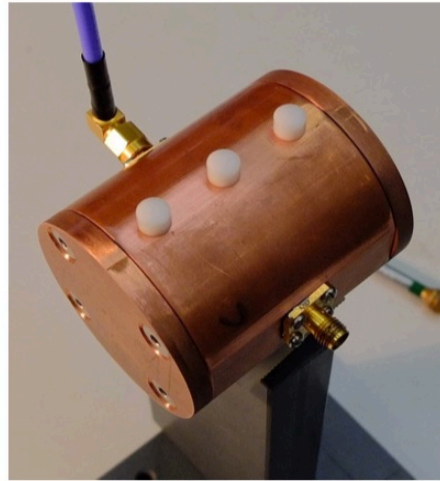


High purity YIG:
rare earth content below **1 ppm**

Magnetic material: volume issue

A possible idea to increase volume is to have several YIG spheres

Test with 3 identical spheres in a cavity



The wavelength for this frequency is **21.4 mm**, the YIG spheres are placed in the middle and 8 mm from the end faces, so the **separation between the outermost spheres is 34 mm**. The cavity is placed inside a homogeneous static magnetic field parallel to the cavity main axis.

No effect on the linewidth

Signal issues: volume, materials, number of spins, τ^2

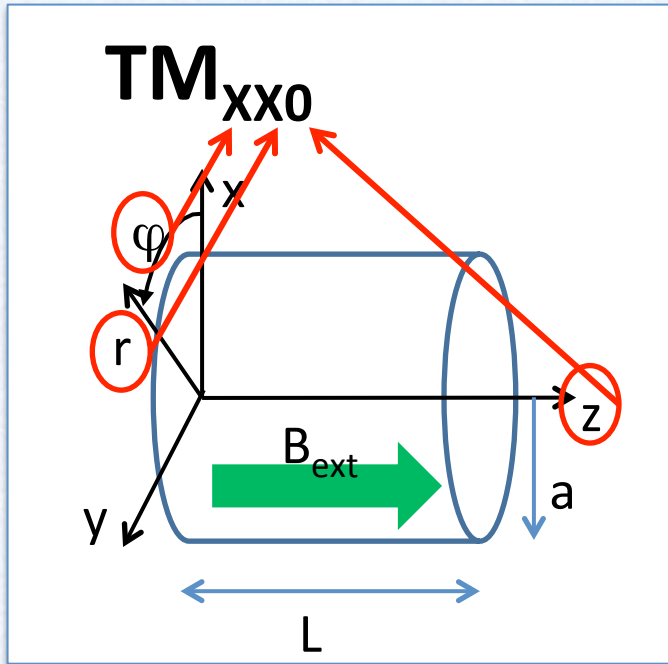
- Can we build a long cylinder and have a small linewidth?
 - Demagnetization issue
 - RF homogeneity
- We have realized a long BDPA sample to test inside a 14 GHz cavity.
- Worsening of linewidth of standard YIG at low temperature (8-10 MHz) → due to rare earth contamination
- Line width of high purity YIG measured @ 4 K → about 1 MHz
- We are checking other materials: **BDPA**, **K_3CrO_8** (paramagnets), **Lithium ferrite** (Ferrimagnet, spin density $4 \times 10^{28} /m^3$)
- Problems with the procurement of high quality YIG



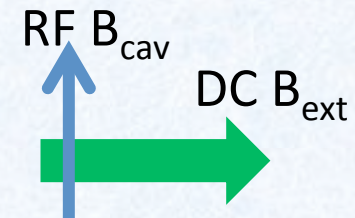
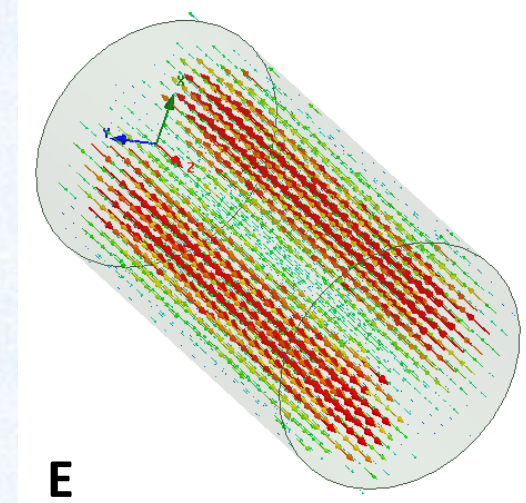
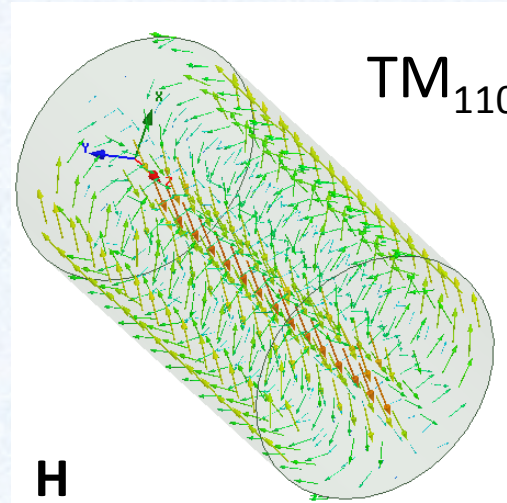
Produce YIG spheres by our own

Microwave cavity: geometry

Basic geometry: **cylindrical cavity** working in the **TM_{xx0}** mode



- Simple design
- RF field uniform along the longitudinal coordinate
- Resonance frequency fixed by the radius of the cell



To increase the volume of the cavity (for YIG or other material insertion) we have to increase the **cavity length**. This does not change the resonance frequency.



This **increases the number of nearest modes** (hybridization can couple different modes?)

Cylindrical geometry produces mode degeneracy for the chosen mode



Solved by employing structure cuts

Microwave cavity: composition to work in high magnetic field

NC: Copper

PROS

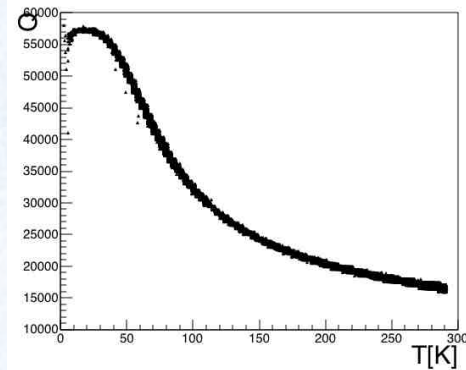
arbitrary H fields can be applied

H field (DC) can penetrate inside the cavity volume

Low cost, simple fabrication (brazing, welding,...)

CONS

Low quality factor even at cryogenic temperatures ($6-8 \times 10^4$ because of the anomalous skin depth effect)



SC: Nb Ti

PROS

High quality factor $\sim 10^6$ (measured at 10GHz)

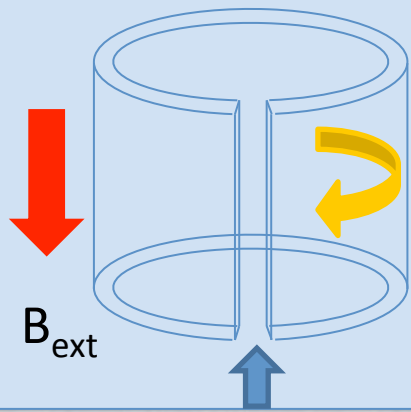
CONS

H fields below H_{c2} can be applied. Q-factor deterioration when H field are applied (between H_{c1} and H_{c2}) (no model for R_s , measurements to be done, preliminary results on Nb).

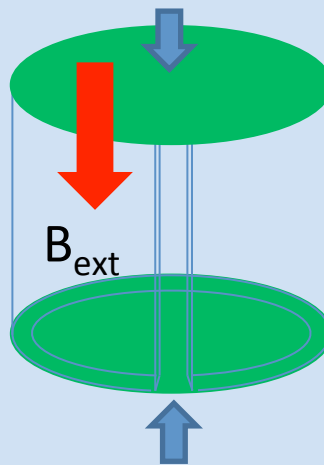
external H field can, in principle, penetrate inside the cavity volume but measurements of the field penetration and uniformity have to be done (different regimes ZFC and FC can be explored).

POSSIBLE SOLUTIONS

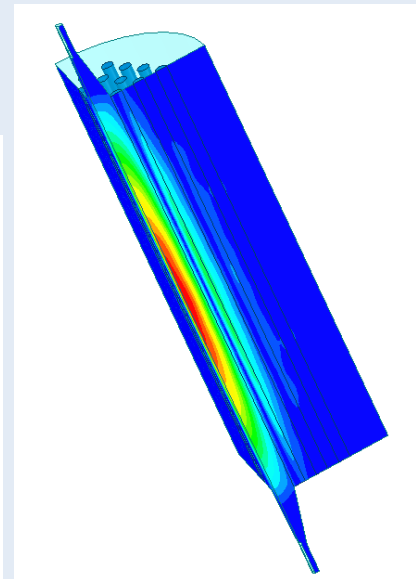
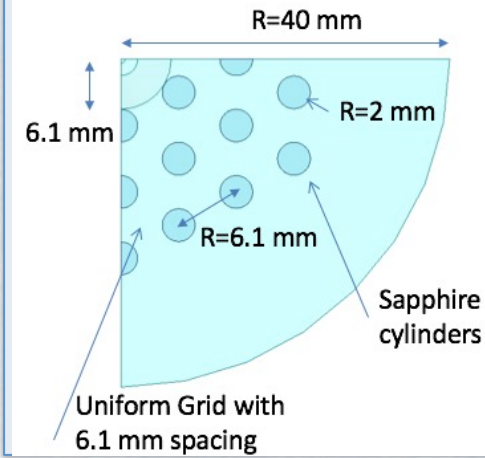
Cut on the cavity wall to interrupt surface DC currents that obstacle the penetration of the H field into the cavity (measurements to be done)



Two copper plates to allow penetration of the H field



Photonic cavity

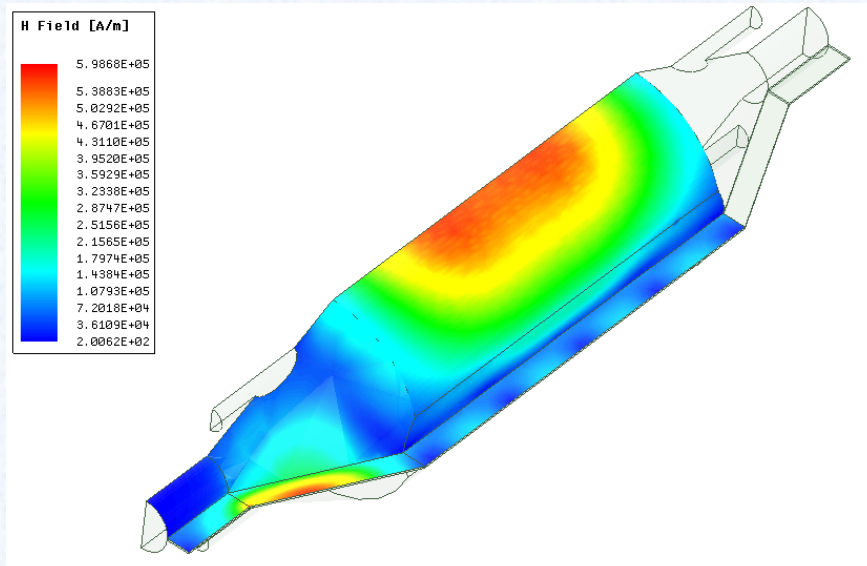


Microwave cavity: composition to work in high magnetic field

Copper cavity with conical end-caps

Two halves kept separated by lower conductivity material

NbTi sputtering in central cylinder



Preliminary measurements: Q factor 150 000 @ 4 K For the TM₁₁₀ – 14 GHz mode with no external magnetic field. Small degradation of Q with a 0.5 T field along axis. Field penetration OK. Field homogeneity still to be checked.

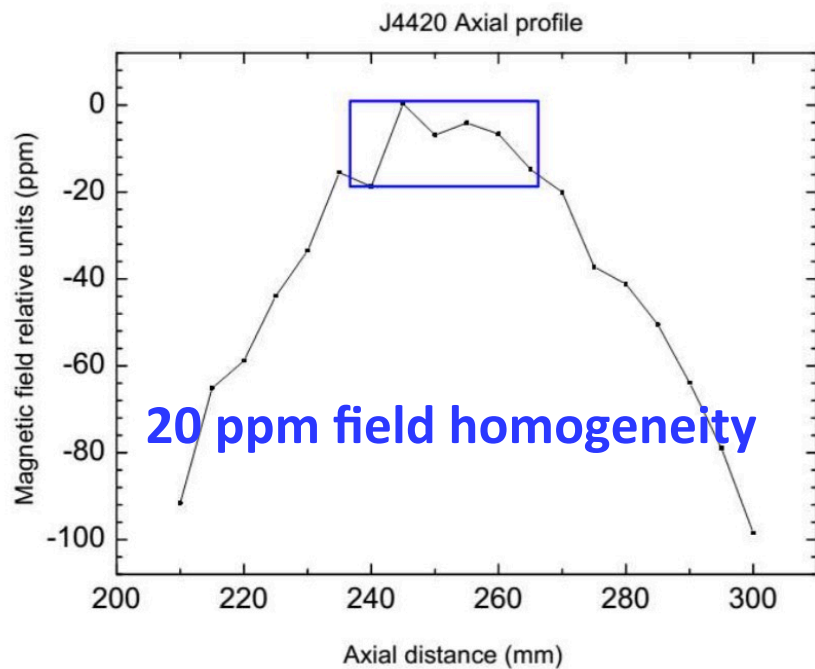
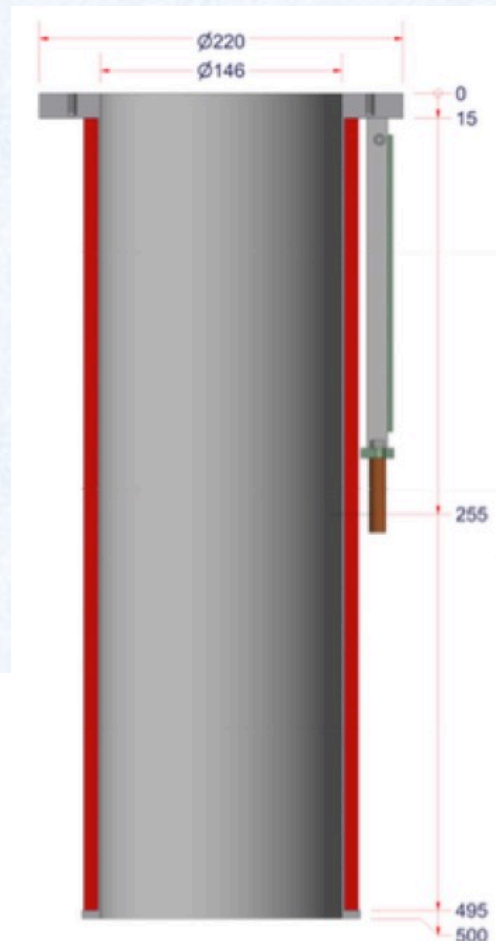
Static Magnetic field: current magnet

Other solution: increase ratio length / radius

Homogeneity depends on cost

20 ppm solution from private company

Superconducting coil NbTi

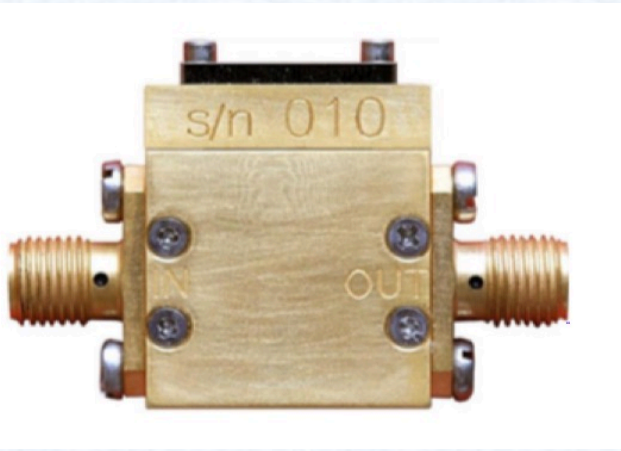


The current magnet can work up to 4 T

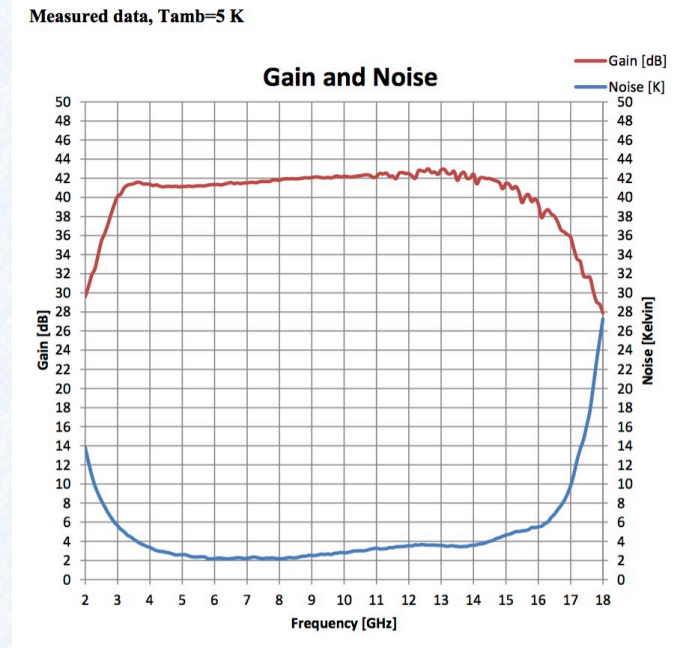
Magnetic field 1 T for 25 A

Microwave Receivers: HEMT, JPA, SPD

- All our tests for the moment are conducted with a **low noise linear amplifier**



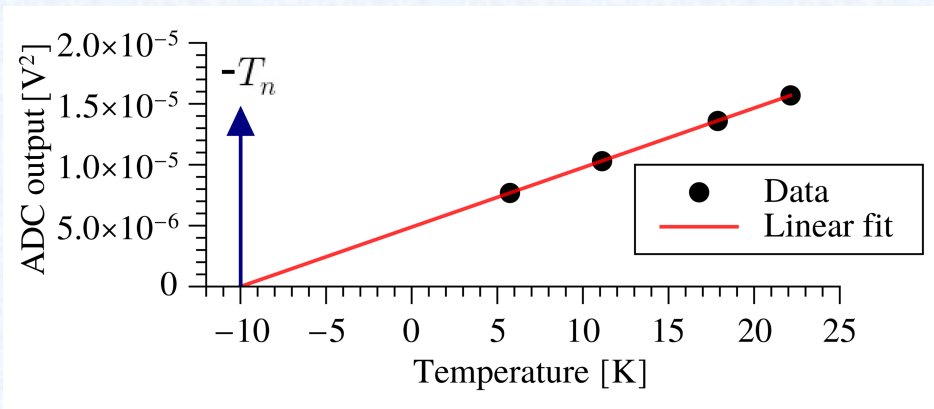
HEMT
High Electron
Mobility
Transistor



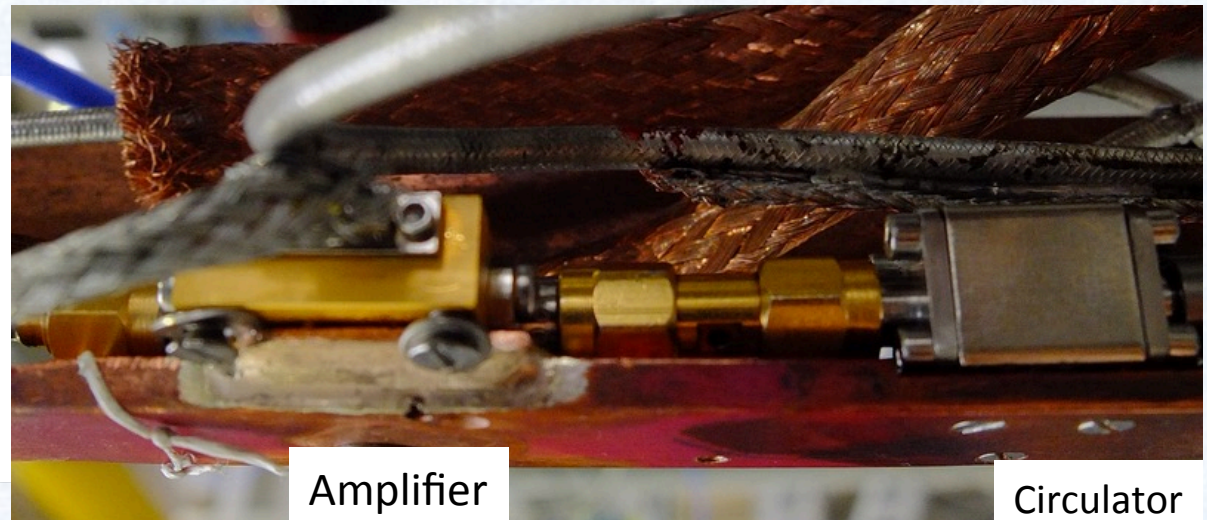
@ 14 GHz
@ 5 K

$T_n = 4 \text{ K}$

Amplifier noise Temperature @ 5 K



Mounted amplifier has a T_n about two times bigger than specification



JPA from QCI Company under test

Single Photon Microwave Detector

- The request for the final apparatus is to use a **microwave quantum counter**. World wide researches are under way in this direction outside our collaboration. Contact have been established with a group in Chalmers University that are interested in collaborating with us.

APPLIED PHYSICS LETTERS 103, 142605 (2013)



Underdamped Josephson junction as a switching current detector

G. Oelsner,¹ L. S. Revin,^{2,3} E. Il'ichev,^{1,4} A. L. Pankratov,^{2,3,a)} H.-G. Meyer,¹ L. Grönberg,⁵ J. Hassel,⁵ and L. S. Kuzmin^{3,6}

¹Institute of Photonic Technology IPHT, D-07702 Jena, Germany

²Institute for Physics of Microstructures of RAS, GSP-105, Nizhny Novgorod 603950, Russia

³Laboratory of Cryogenic Nanoelectronics, Nizhny Novgorod State Technical University, Nizhny Novgorod, Russia

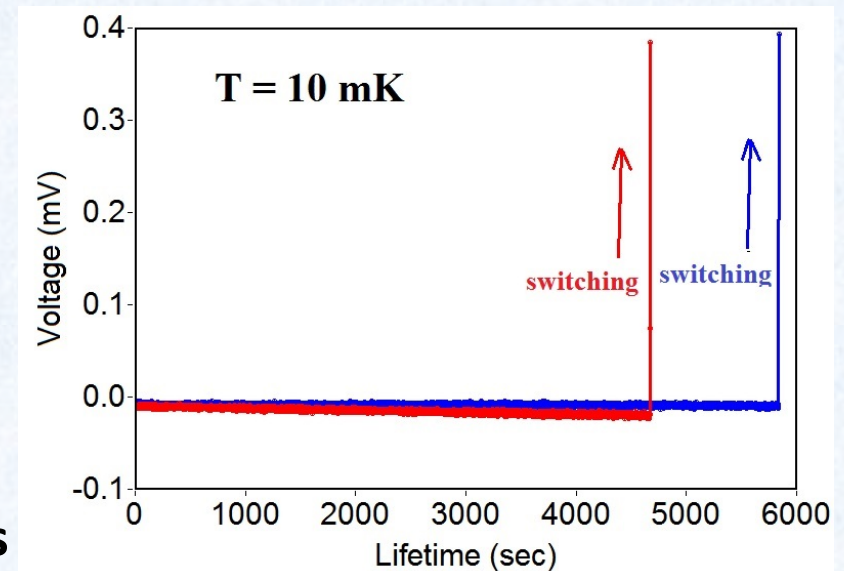
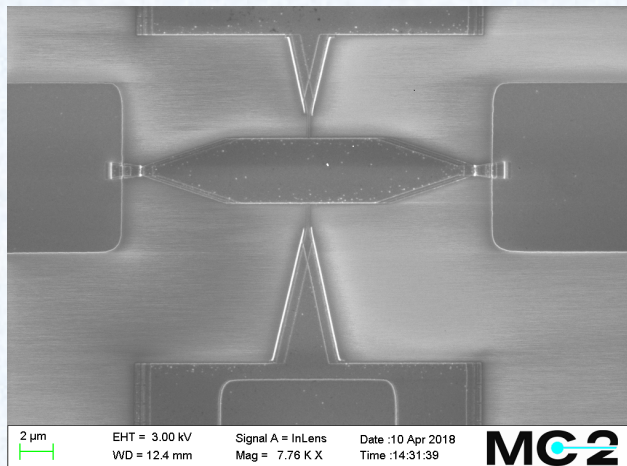
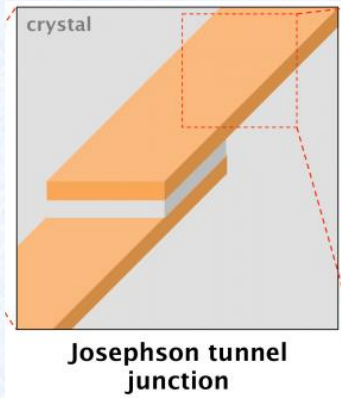
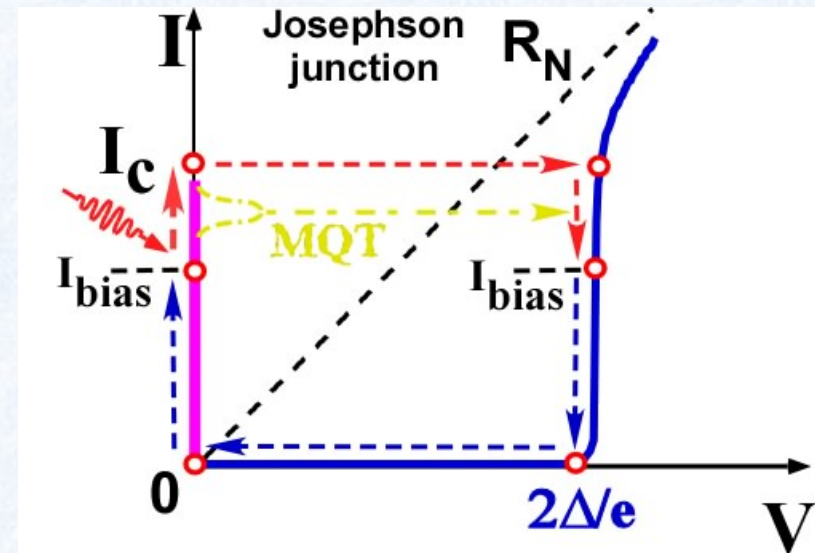
⁴Novosibirsk State Technical University, 20 Karl Marx Avenue, 630092 Novosibirsk, Russia

⁵VTT Technical Research Center of Finland, P.O. Box 1000, FI-02044 VTT, Finland

⁶Chalmers University of Technology, SE-41296 Gothenburg, Sweden

(Received 6 July 2013; accepted 20 September 2013; published online 3 October 2013)

We demonstrate the narrow switching distribution of an underdamped Josephson junction from the zero to the finite voltage state at millikelvin temperatures. We argue that such junctions can be used as ultrasensitive detectors of the single photons in the GHz range, operating close to the quantum limit: a given initial (zero voltage) state can be driven by an incoming signal to the finite voltage state. The width of the switching distribution at a nominal temperature of about $T = 10$ mK was 4.5 nA, which corresponds to an effective noise temperature of the device below 60 mK. © 2013 AIP Publishing LLC. [<http://dx.doi.org/10.1063/1.4824308>]



First results @ 14 GHz with lifetime in excess 10^3 s

Single Photon Counter based on a Josephson Junction at 14 GHz for searching Galactic Axions

Leonid Kuzmin, Alexander S. Sobolev, Claudio Gatti, Daniele Di Gioacchino, Nicolò Crescini, Anna Gordeeva, Eugeni Il'ichev

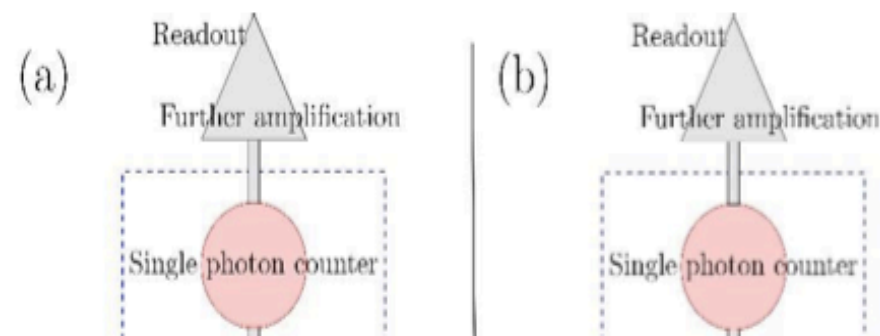
Abstract— Axions and axion-like particles appear in well-motivated extensions of the Standard Model of particle physics and may be the solution to the long-standing puzzle of the Dark Matter in our Universe. Several new experiments are foreseen in the next decade searching them in a wide range of the parameter space. In the mass region from few to several tens of microelectronvolt, detector sensitivity will be limited by the Standard Quantum Limit of linear amplifiers and a new class of single microwave-photon detector will be needed.

We have developed a single photon counter based on the voltage switching of an underdamped Josephson junction that is coupled to a coplanar waveguide. By measuring the switching voltage, we can register single photons at 14 GHz with the rate less than 1 photon per 3000 sec.

Index Terms—Single Photon Counter, Josephson Junction, Axions, Critical current, Coplanar waveguide.

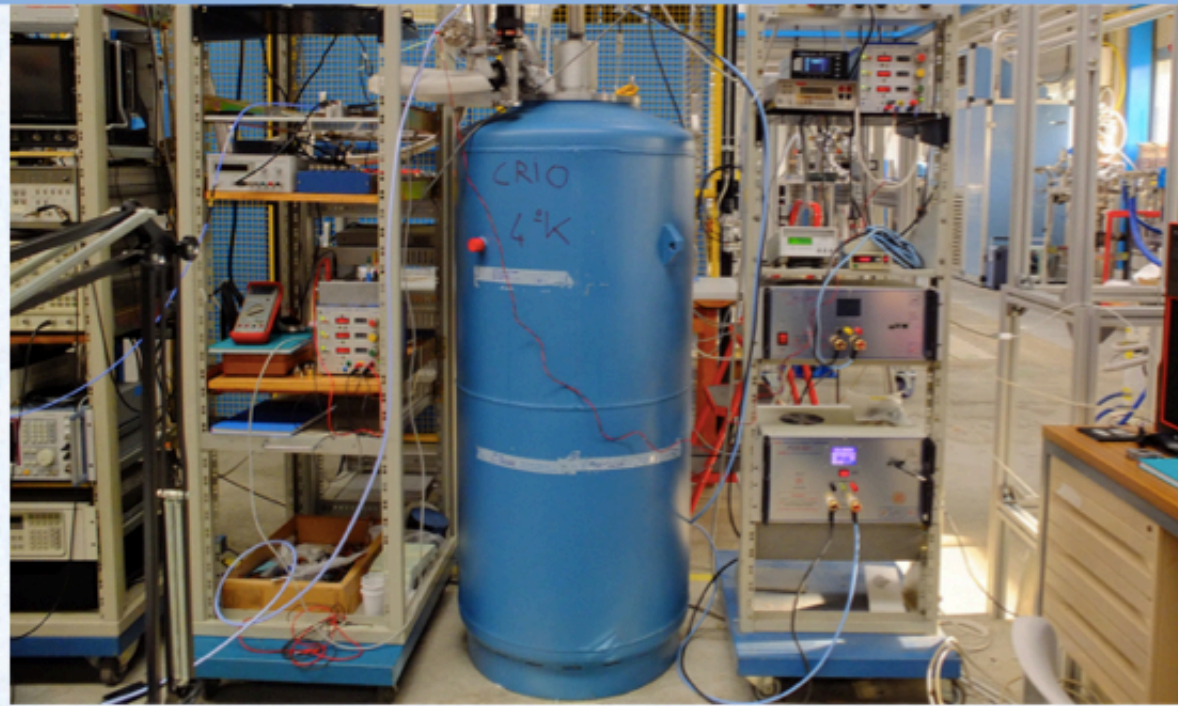
electromagnetic signals. In particular, experiments searching in the mass range from few to hundreds of μeV must be able to detect single microwave photons with a rate of a fraction of Hz and no dark counts.

In the following, we will discuss the requirements for halo-scope searches using the standard axion conversion in a magnetic field (Primakoff conversion), as well as the axion conversion through the interaction with a magnetized media [8]. The detection scheme is schematically shown in figure 1.

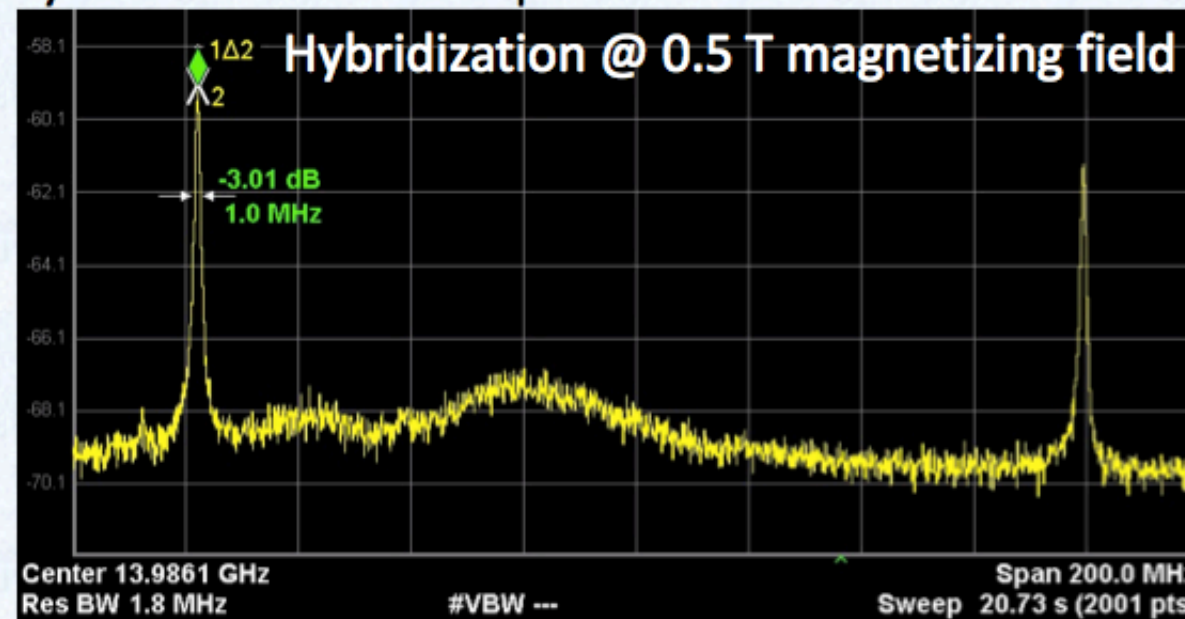


QUAX R&D experimental set-up

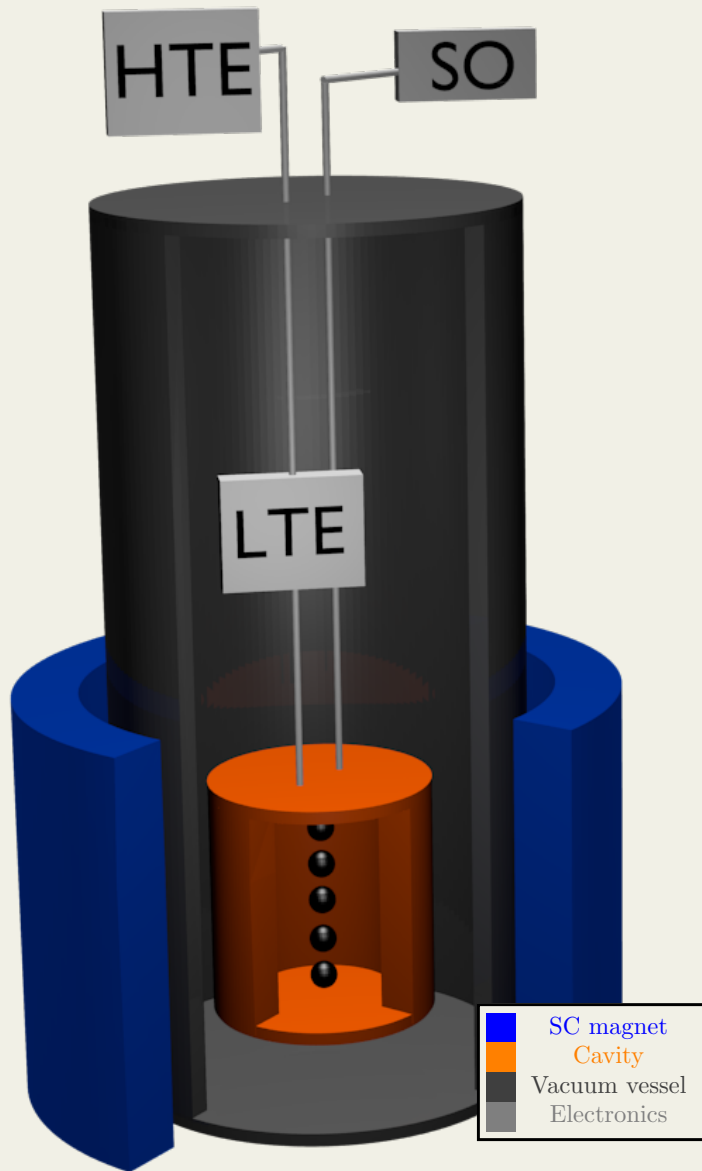
- Cylindrical cavity $\nu_c = 14$ GHz (26 mm diameter, 50 mm length)
- 5 spheres of GaYIG – 1 mm diameter – spin density 2.1×10^{28} 1/m³ (measured from coupling/mode separation)
- HEMT amplifier – system noise temperature 9K
- High-precision and stability current generator (up to 20 A \pm 0.3 mA)
- Highly uniform magnetic field (tens of ppm) with superconducting magnet (0.5 T field with 12.5 A)
- Fast ADC for data taking (2 Ms/s) – 16 bit



System transmission spectrum



QUAX R&D experimental set-up

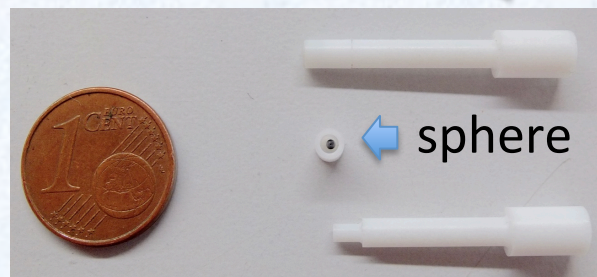


HTE – high temp electronics
 LTE – low temp electronics
 SO – source generator

Resonant cavity with 5 GaYIG spheres inside

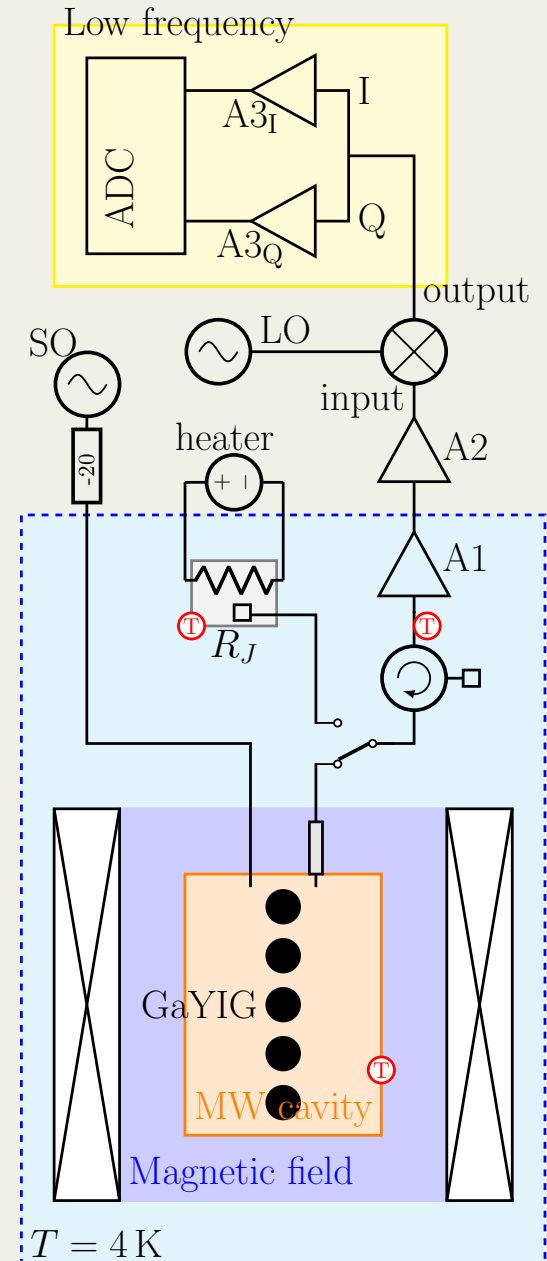


GaYIG holders



Spheres are free to rotate for correct alignment (easy axis || B)

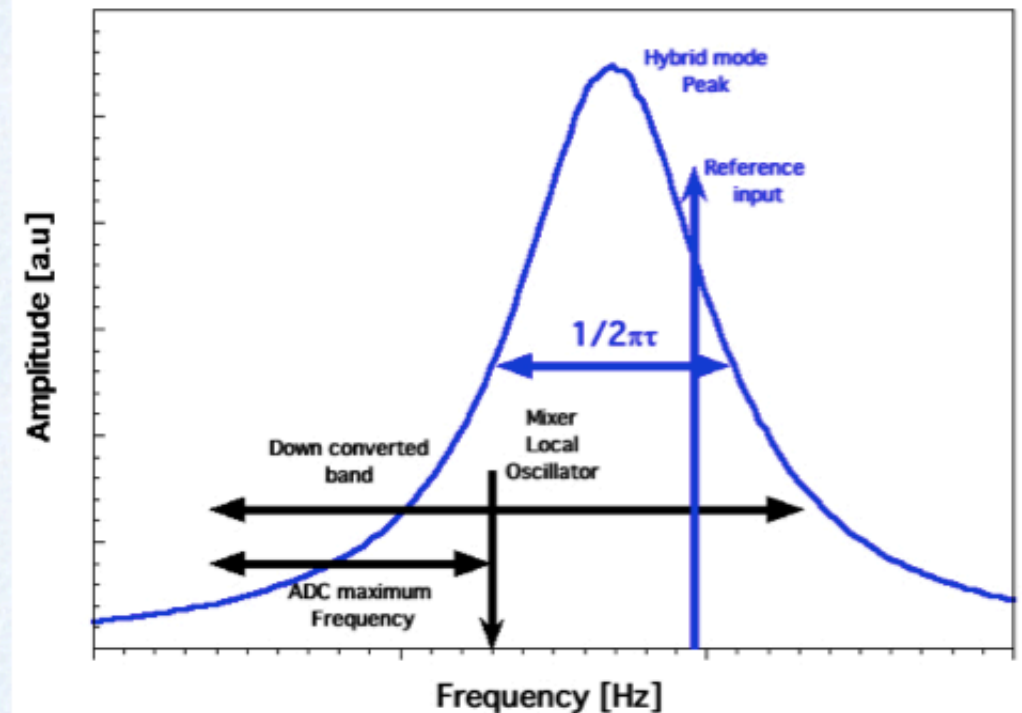
Detection chain



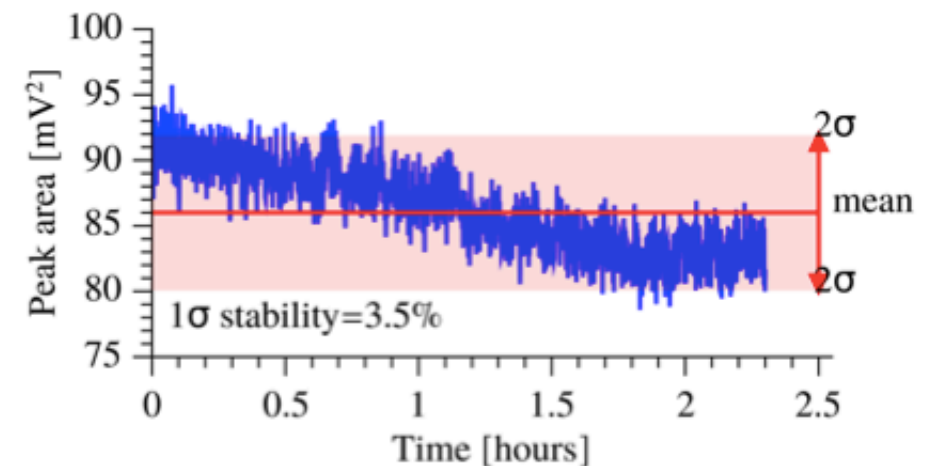
Improved set-up: measurements

- Several 2-3 hours runs performed in 'axion search mode'
- System **noise temperature** T_n and **gain** G measured for each run
- Hybrid cavity transmission measured to obtain mode resonance frequency f_{h+} and characteristic time τ_{h+}
- Reference signal input inserted @ about f_h
- Down converted data (I and Q channel), with mixer frequency set to $f_h - 0.5$ MHz, acquired with fast ADC
- Data record 5 s long stored for off line analysis

Signal down conversion scheme



Stability of the reference peak during single run



Improved set-up: first results[arXiv:1806.00310]

Typical gain and noise T

- $G \cong 107$ dB
- $T_n \cong 9 \div 11$ K

Measured power level @ cavity output

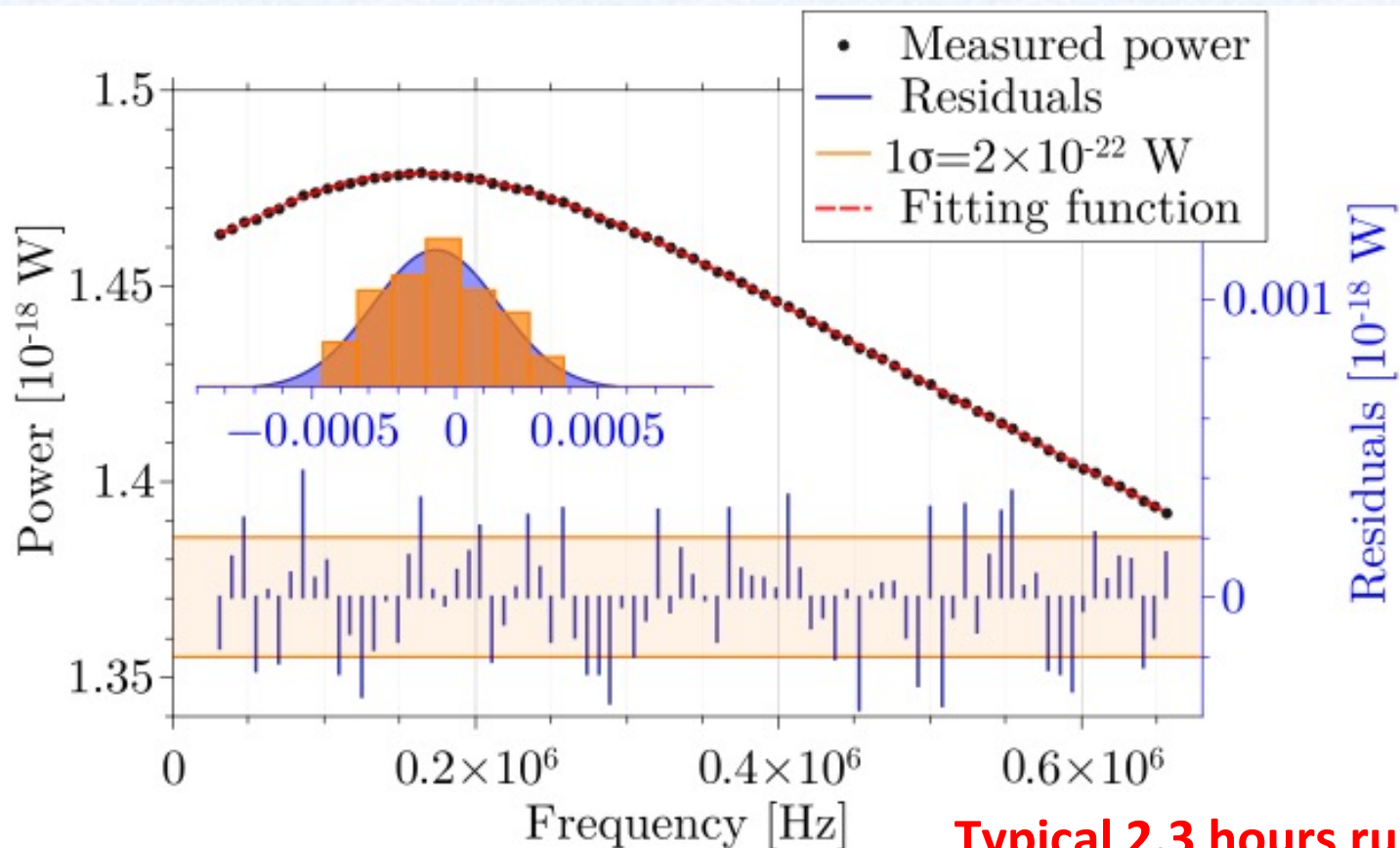
$$P_n = 1.65 \times 10^{-18} \left(\frac{T_c + T_n}{5.2 \text{ K} + 10.1 \text{ K}} \right) \left(\frac{\Delta f}{7.8 \text{ kHz}} \right) \text{ W}$$

Down converted data records
Fourier transformed and RMS
averaged

Final spectrum rebinned with
7.8 kHz resolution bandwidth
(axion bandwidth)

**Look for single bins out of
the 'flat' noise**

Noise is not 'flat' due to ADC
non linear gain



Improved set-up: noise levels

Analysing the residuals:

$$\langle P \rangle = -4.6 \times 10^{-23} \text{ W} \quad \sigma_P = 2.2 \times 10^{-22} \text{ W}$$

The standard deviation is compatible with the value coming from Dicke radiometer equation, that sets the maximum sensitivity for a thermal limited power measurement with integration time t

$$\sigma_P = k_B T \sqrt{\frac{\Delta f}{t}} = 2.1 \times 10^{-22} \sqrt{\left(\frac{\Delta f}{7.8 \text{ kHz}}\right) \left(\frac{8400 \text{ s}}{t}\right)} \text{ W}$$

This values can then be converted in equivalent magnetic field

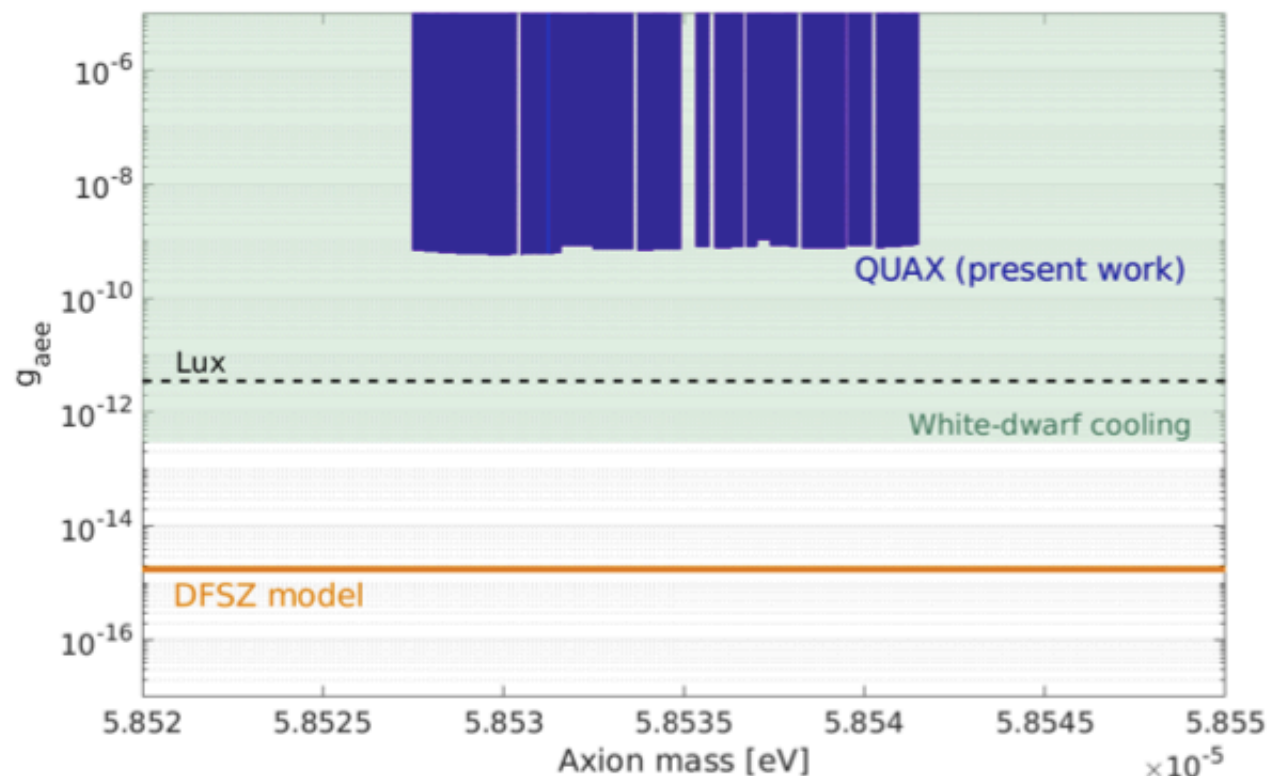
$$B_a = \left(\frac{P_{\text{out}} = 2\sigma_P'}{2\pi\gamma\mu_B n_S f_a \tau_h V_s}\right)^{1/2} = 3.7 \times 10^{-17} \sqrt{\left(\frac{2.13 \cdot 10^{28} / \text{m}^3}{n_S}\right) \left(\frac{14 \text{ GHz}}{f_a}\right) \left(\frac{0.1 \mu\text{s}}{\tau_+}\right) \left(\frac{2.6 \text{ mm}^3}{V_s}\right)} \text{ T}$$

The magnetic field is directly related to the axion coupling. We have seen that sensitivity scales exactly with $t^{1/4}$ as expected up to 6 hours. Longer integration time on a single frequency is then not effective. Scanning must be employed to search for larger parameter space.

Current sensitivity

Residual power sensitivity can be recast directly into axion coupling, taking also into account the mode Lorentzian shape

$$g_{aee} > \frac{e}{\pi m_a v_a} \sqrt{\frac{2\sigma'_p}{\mu_B \gamma n_a n_s V_s \tau_+}}$$



First limit in the parameter space $\{m_a, g_{aee}\}$ obtained from an experiment searching for axions as the dominant Dark Matter component of Galactic halo

Sensitivity is still poor but:

- Material volume
- System equiv. noise temp.
- Relaxation time

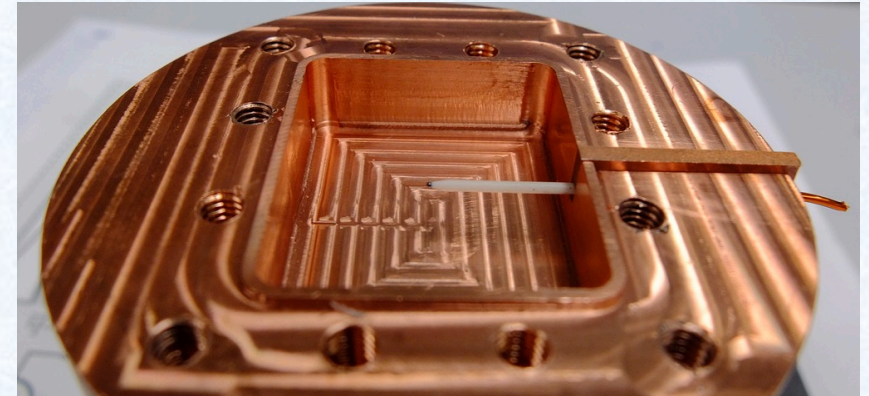
This results
 2.6 mm³
 15 K
 0.1 μs

QUAX R&D (2019)
 42 mm³
 0.2 K
 0.3 μs

QUAX (Goal)
 10⁵ mm³
 counter ($T_{\text{eff}} < 1$ mK)
 2 μs

Ultra cryogenic system

Commissioning of Ultra Cryo System for JPA installation

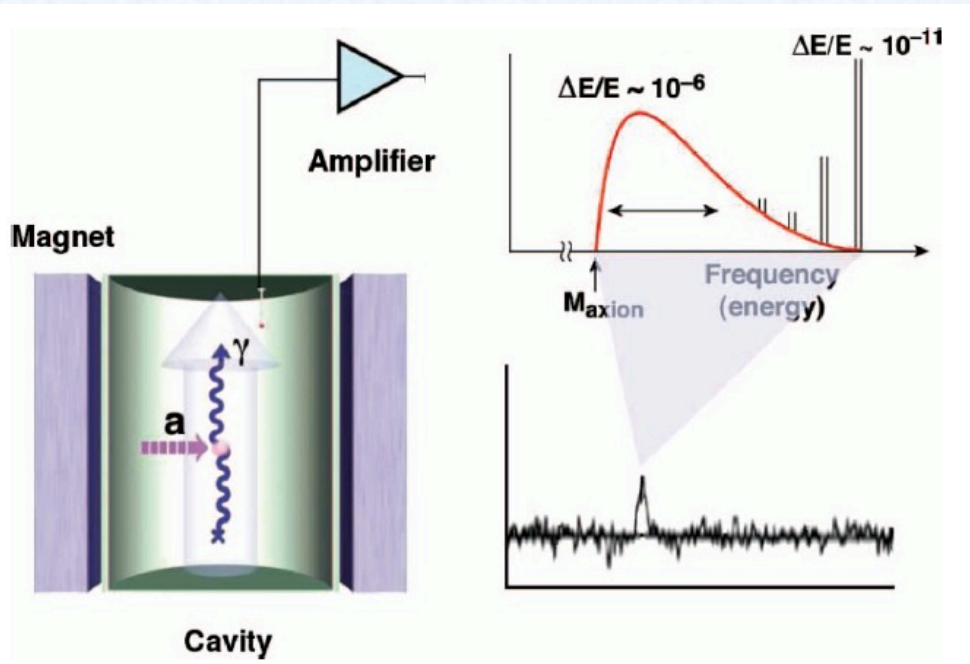


Start of measurements with ultra low temperature

Study of YIG below 1 K

Studying the axion – photon coupling

The same set-up can be operated as a Sikivie's haloscope to study Axion-Photon coupling



$$-\frac{\alpha}{8\pi} \frac{C_{a\gamma}}{f_a} a F_{\mu\nu} \tilde{F}^{\mu\nu}$$

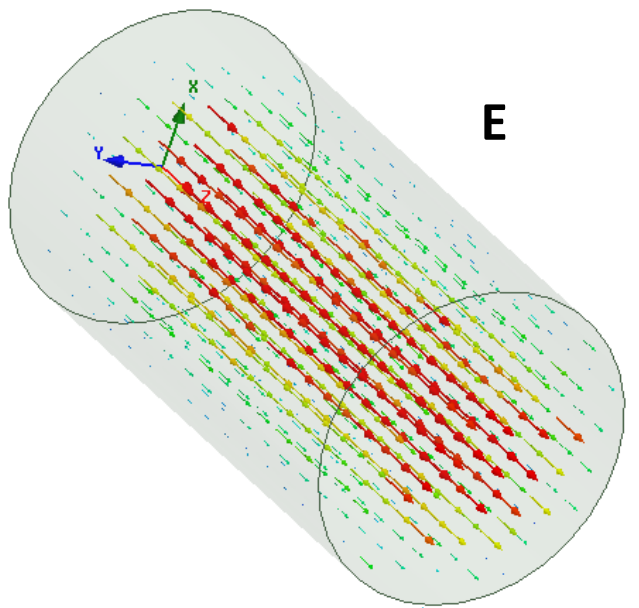
The Feynman diagram shows an axion (a) represented by a dashed line on the left, which then splits into two photons (γ) represented by wavy lines on the right.

$$P_{\text{axion}} = 1.9 \times 10^{-22} \text{W} \left(\frac{V}{136 \text{ l}} \right) \left(\frac{B}{6.8 \text{ T}} \right)^2 \left(\frac{C}{0.4} \right) \left(\frac{g_\gamma}{0.97} \right)^2 \left(\frac{\rho_a}{0.45 \text{ GeV cm}^{-3}} \right) \left(\frac{f}{650 \text{ MHz}} \right) \left(\frac{Q}{50,000} \right)$$

- Avoid the use of the magnetic material
- Find appropriate resonant cavity mode
- Operate the magnet at highest magnetic field amplitude
- Detection chain is the same

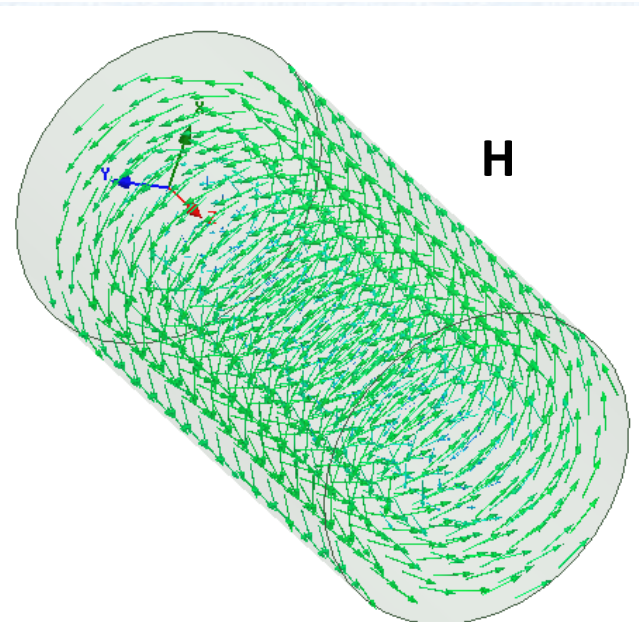
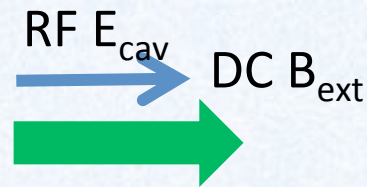
Cavity mode for Axion Photon coupling

If we have the rf field aligned with the external static field we can probe Primakov effect



TM_{010}
(*ADMX-like*)

Neglecting the presence of the material and running for the maximum magnetic field

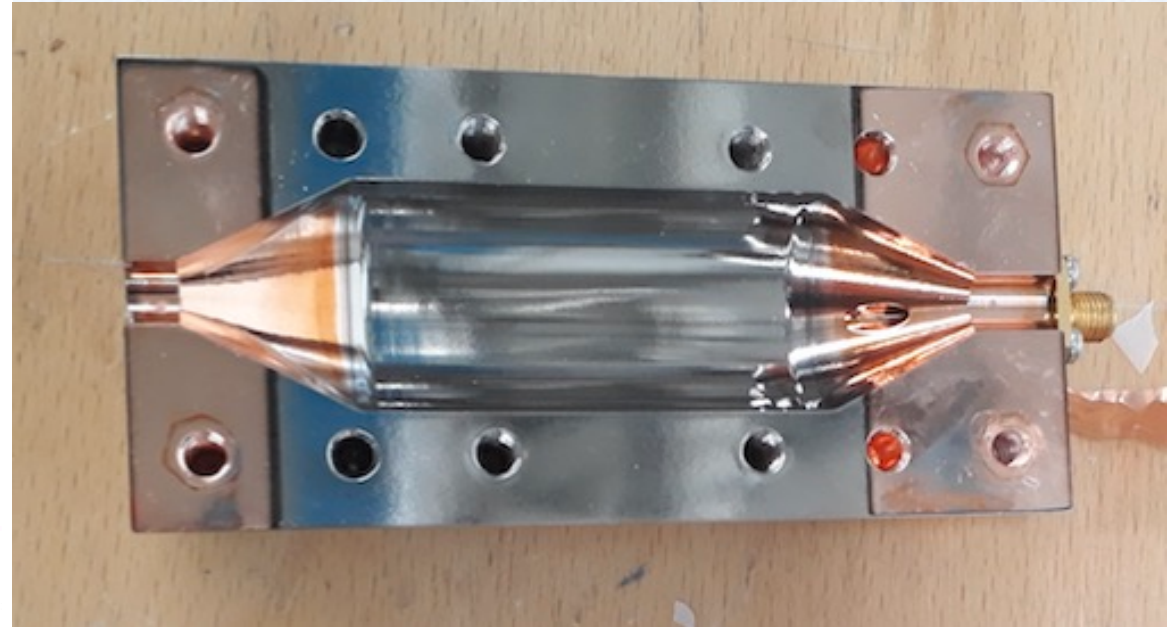
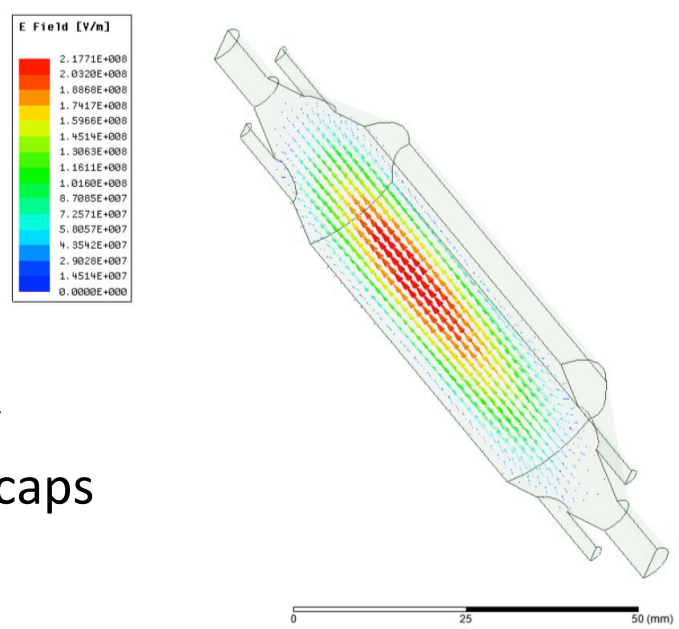


The equivalent rate with QUAX-like system

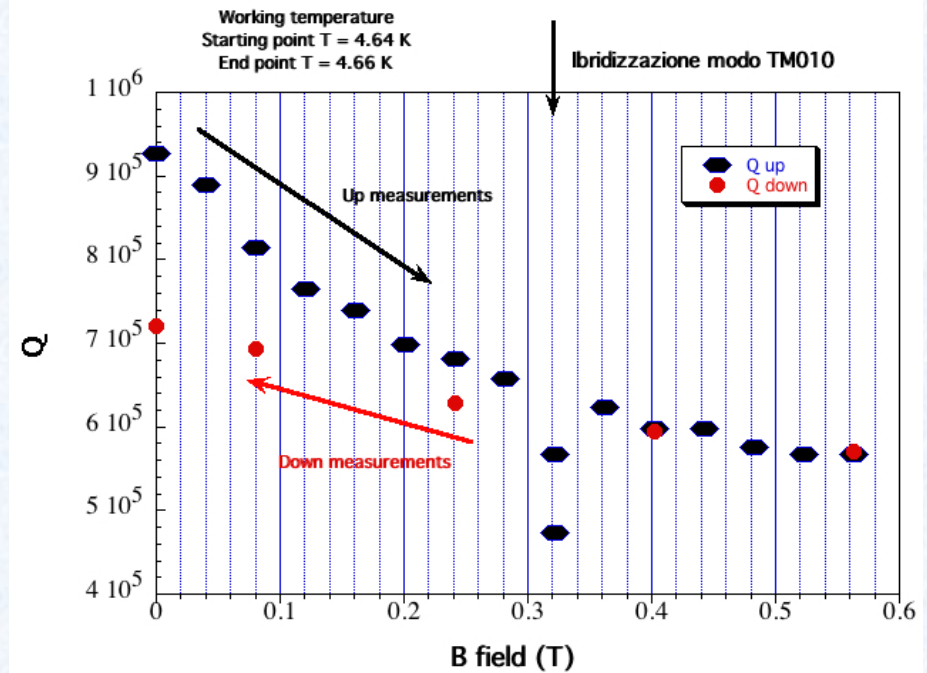
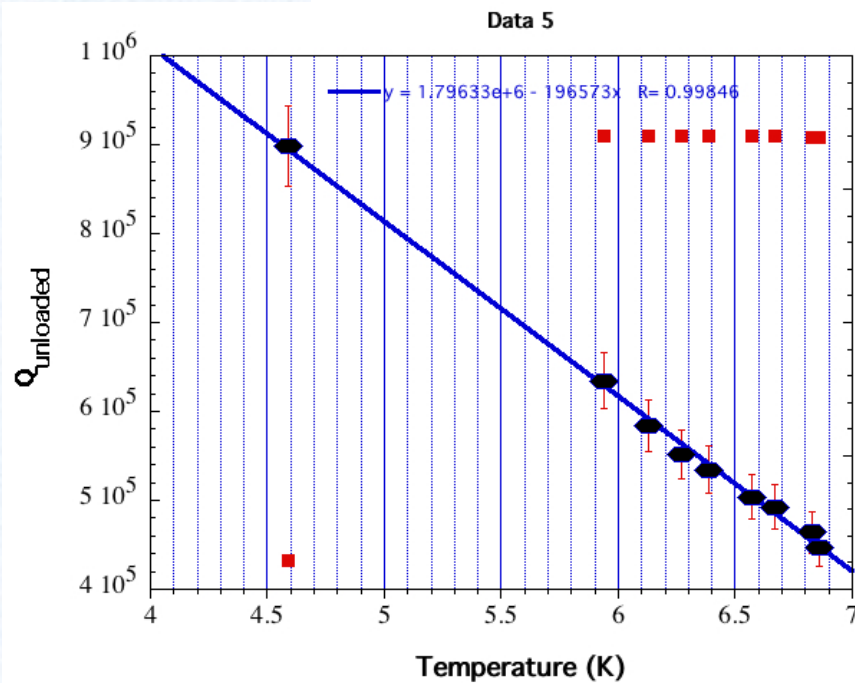
$$R_a^\gamma \simeq 10.0 \times 10^{-3} C_{nl} \left(\frac{g_\gamma}{0.36} \right)^2 \left(\frac{V_s}{100 \text{ cm}^3} \right) \times \left(\frac{B_0}{2 \text{ T}} \right)^2 \left(\frac{\tau_{\min}}{2 \mu\text{s}} \right) \text{ Hz},$$

High Q cavity in external field

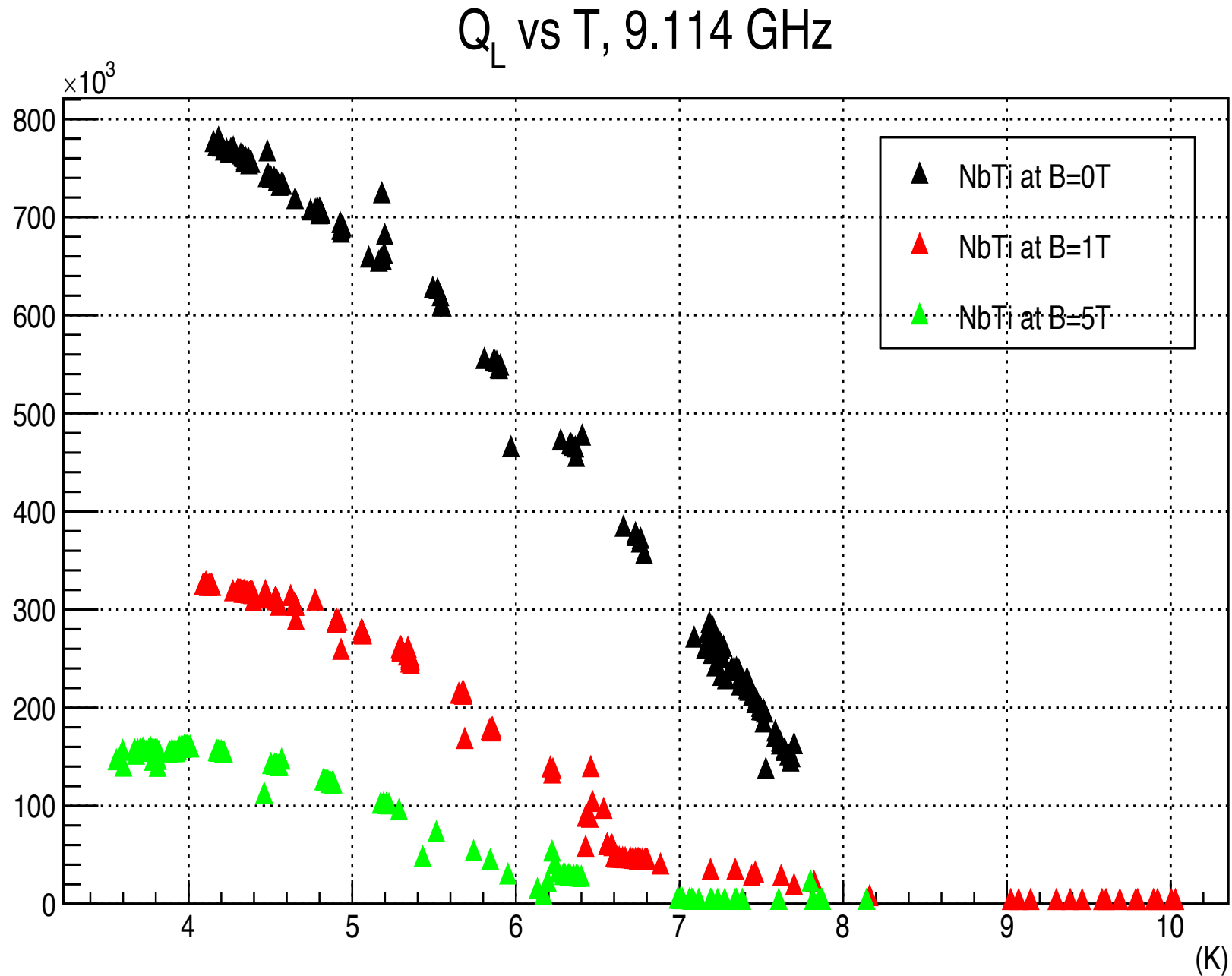
TM010
MODE



Cylindrical cavity
with conical endcaps

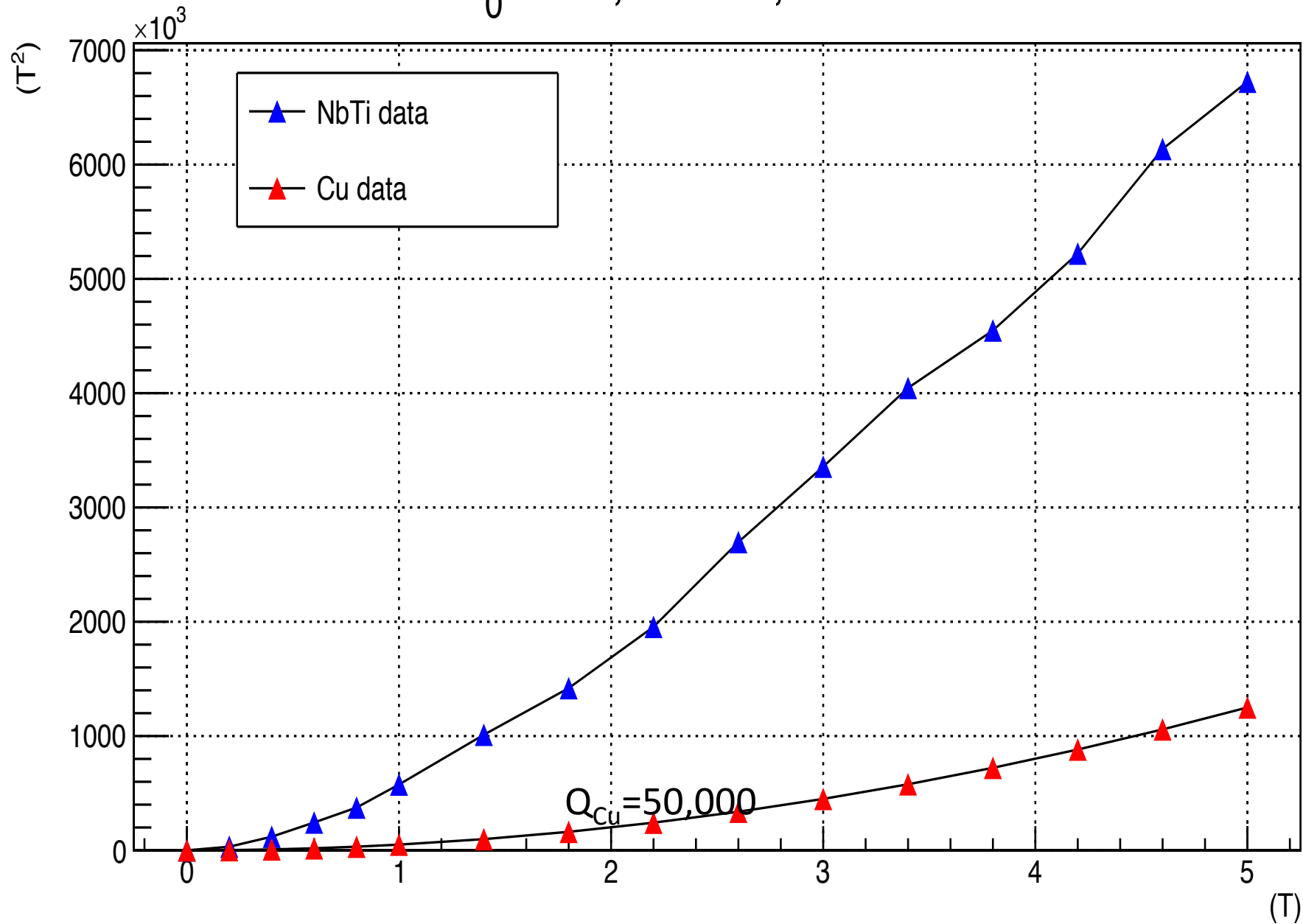


Q_{loaded} vs Temperature and Field



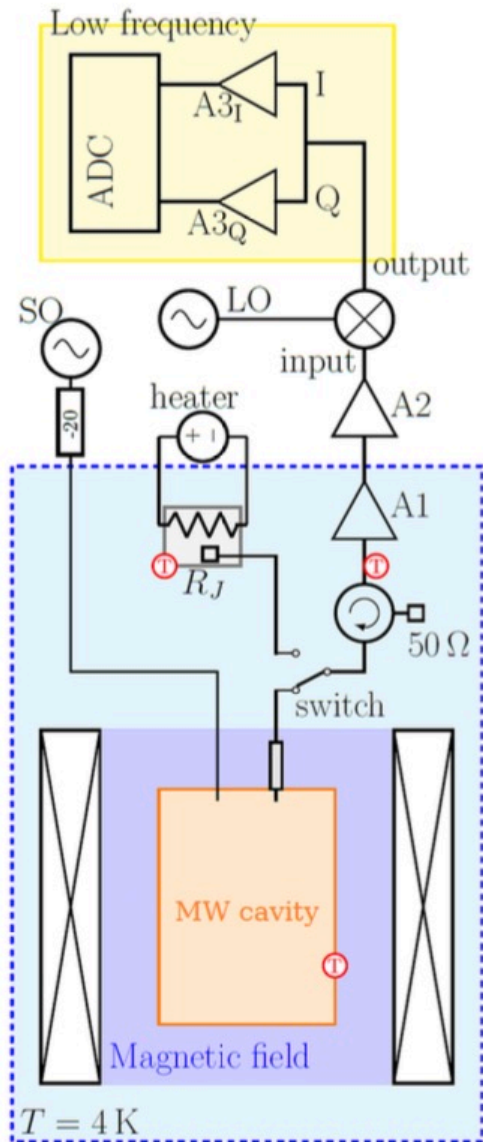
Confronto B^2Q_0 tra NbTi e Cu

B^2Q_0 vs B, T=4 K, 9.114 GHz



First measurement @ 4K

Same set-up, no YIG



TM010 mode @ 9.06 GHz

Magnetic field = 2 T (max safety value)

About 10 minutes run

Detector noise temperature $T = 11$ K

Loaded Q value in magnetic field = 176 000

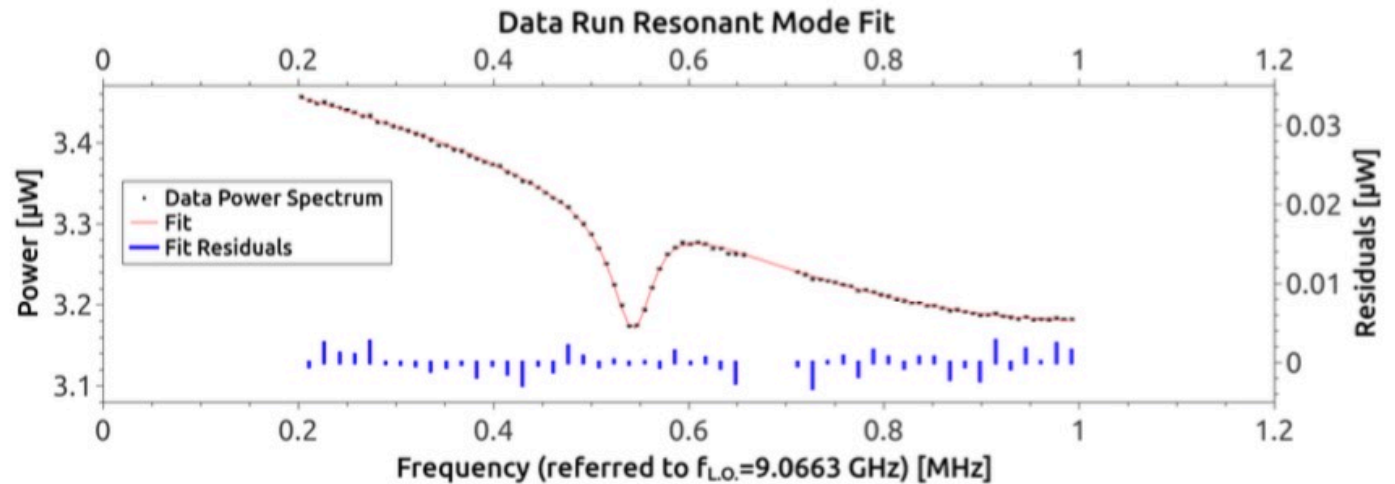


Figura 1.10: Comprehensive fit of our data

Power level @ ADC input, total gain about 126 dB

Very preliminary analysis

Where we are

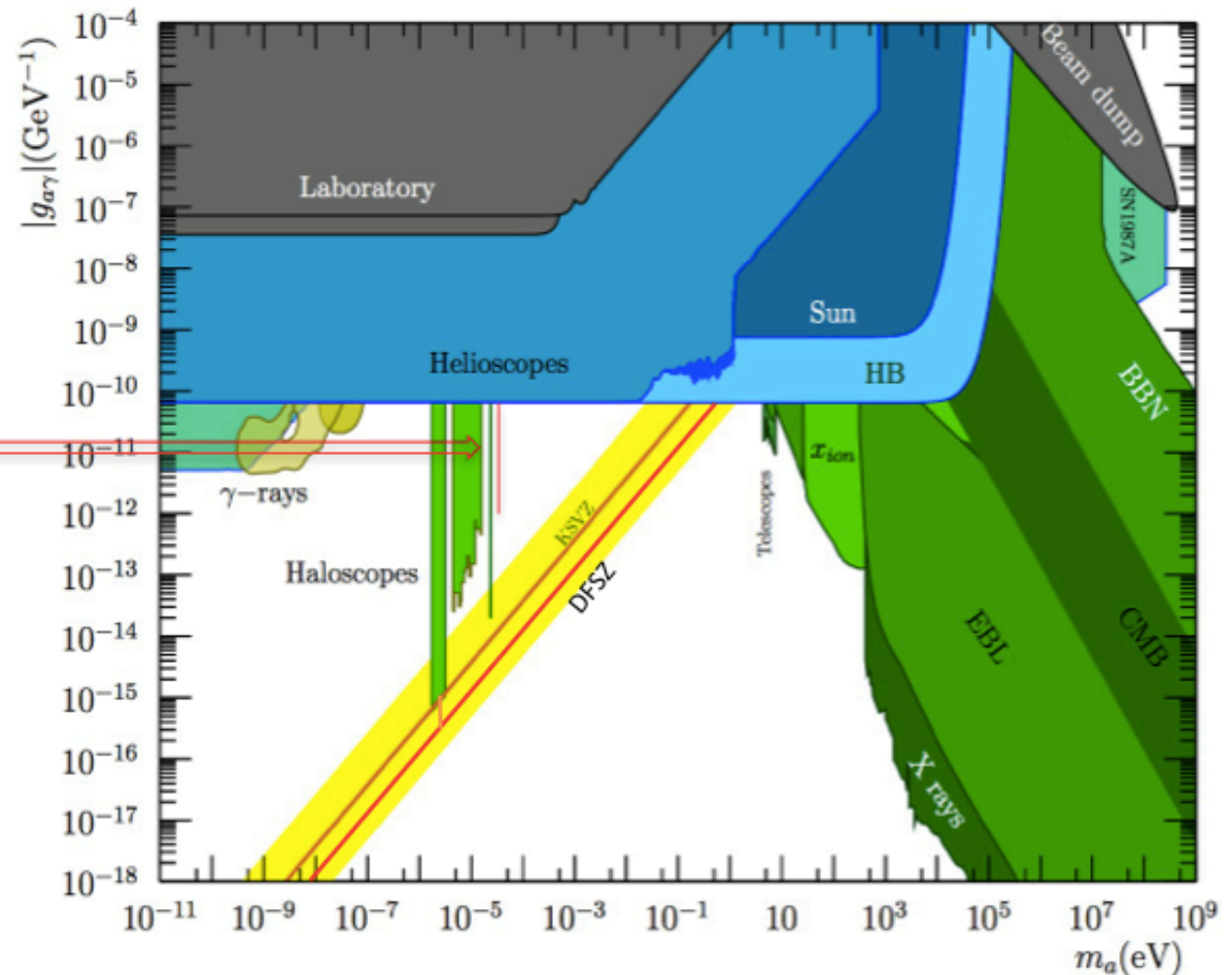
Final sensitivity for
excess power

$$\sigma_P = 6 \times 10^{-22} \text{ W}$$

For a bandwidth of 50 kHz,
At about 38 microeV

Expected axion signal

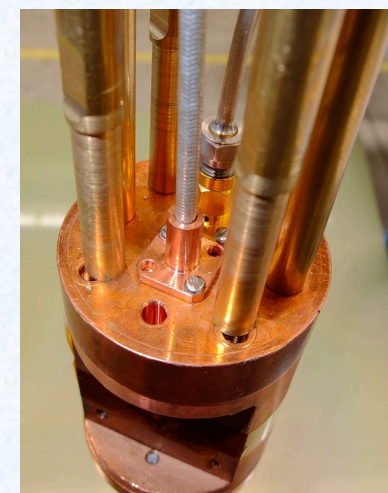
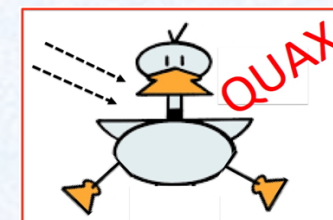
$$P_{axion} = 2.7 \cdot 10^{-25} \text{ W} \left(\frac{V}{0.0268 l} \right) \left(\frac{B}{2 T} \right)^2 \left(\frac{C}{0.69} \right) \left(\frac{g_\gamma}{-0.97} \right)^2 \cdot \left(\frac{\rho_a}{0.45 \text{ GeV cm}^{-3}} \right) \left(\frac{f_c}{9.06685 \text{ GHz}} \right) \left(\frac{Q}{176000} \right),$$



PRELIMINARY

The R&D phase of QUAX will last 1 more year.

Funding agency of QUAX:
INFN – CNS2– Italy

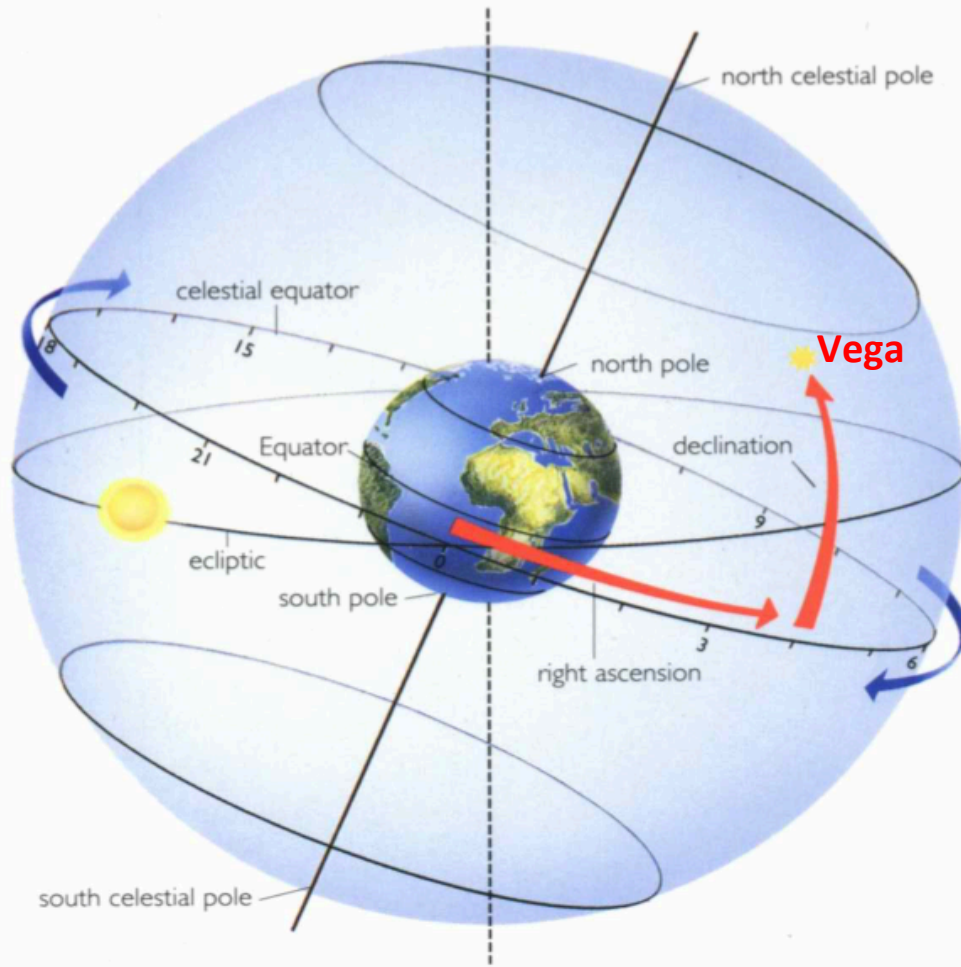


G. Carugno (PI), C. Braggio, S. Gallo, L. Taffarello, A. Pepato – Padova
N. Crescini, A. Ortolan, R. Pengo, A. Lombardi, G. Ruoso – LNL
C. Gatti, D. Alesini, D. Di Gioacchino, G. Lamanna, A. Rettaroli, C. Ligi, S. Tocci – LNF
U. Gambardella, G. Iannone, S. Pagano, A. Saggese – Salerno
P. Falferi, R. Mezzena – Trento; C. Speake - Birmingham

Thanks for your attention

- Back up slides

Polarized matter: directional DM search

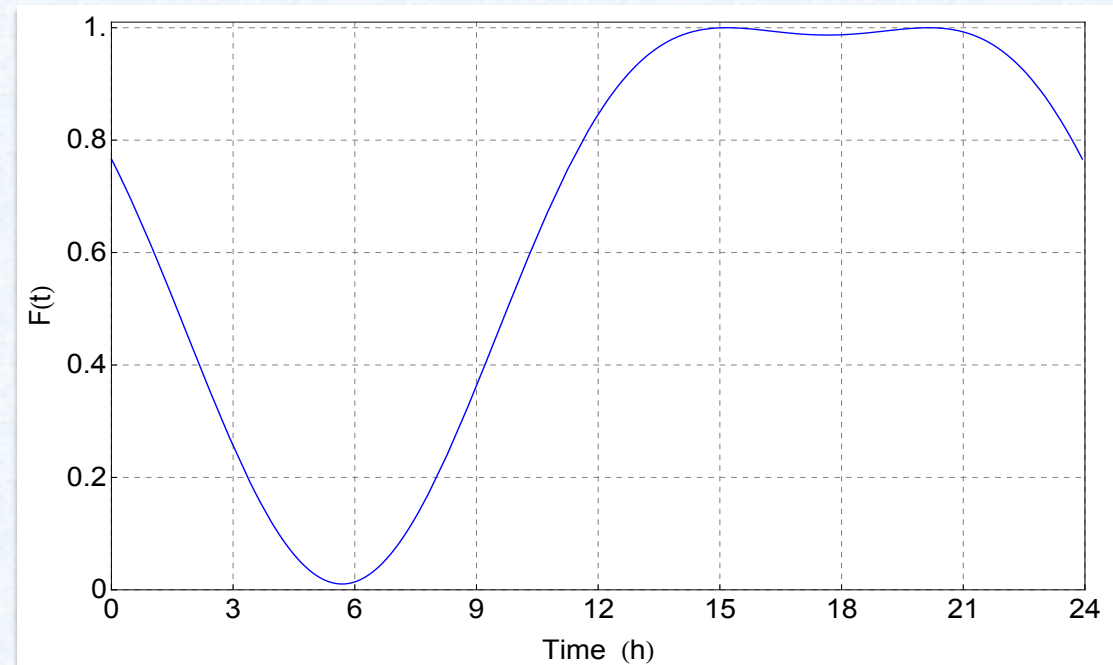


Due to Earth rotation, the direction of the static magnetic field B_0 changes with respect to the direction of the axion wind (Vega in Cygnus)

e.g. QUAX located @Legnaro (PD)
 B_0 in the local horizontal plane and oriented N-S (the local meridian)

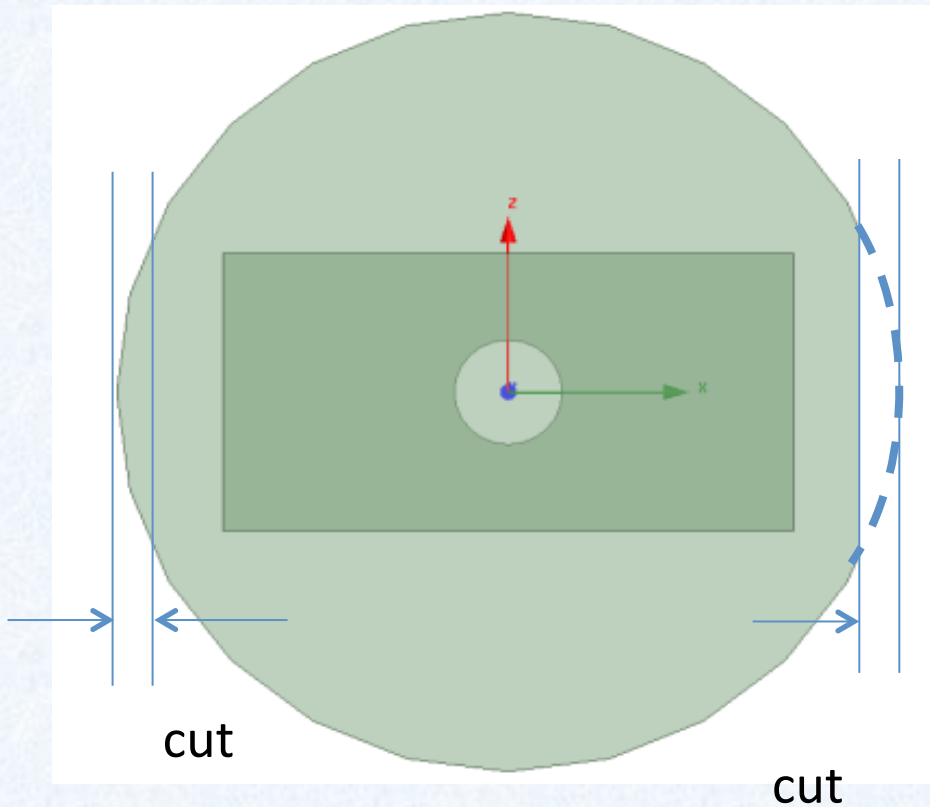
Strong modulation (up to 100%)!
Not due to seasonal or Earth rotation
Doppler effect (few %) but to relative
direction change of magnetic field
respect to axion wind

QUAX Pattern



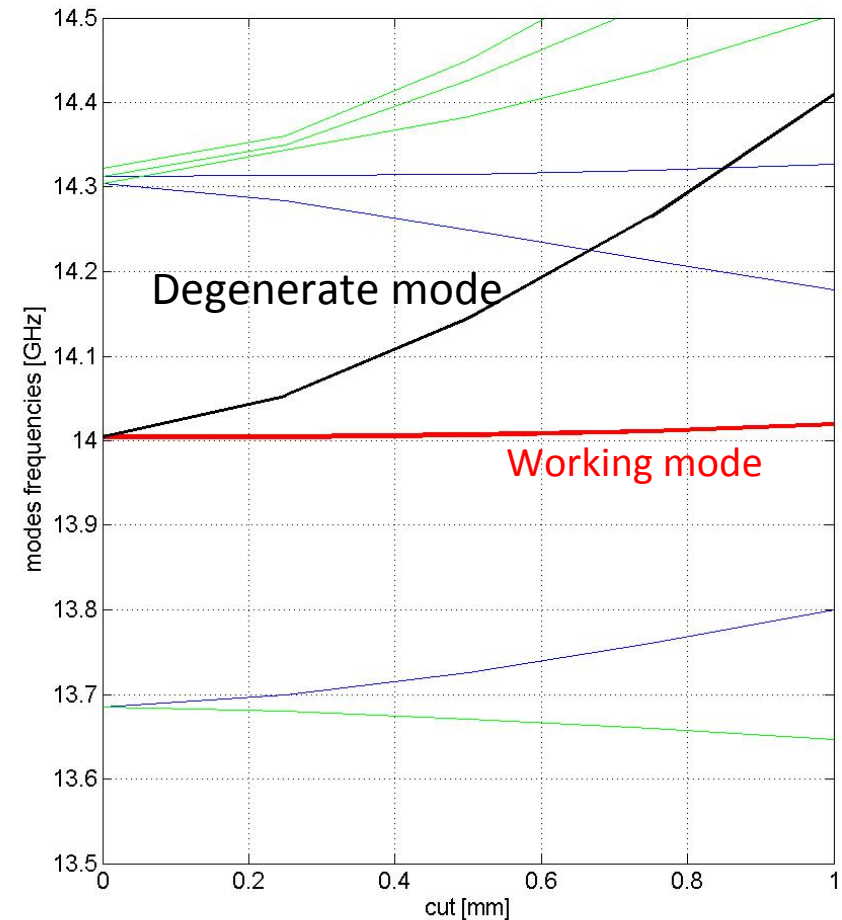
Microwave cavity: degeneracy removal

By placing a symmetric cut (left – right) it is possible to remove the mode degeneracy while keeping all the other modes well separated in frequency.



Simulations for a cavity with diameter 26 mm

Mode resonance frequencies



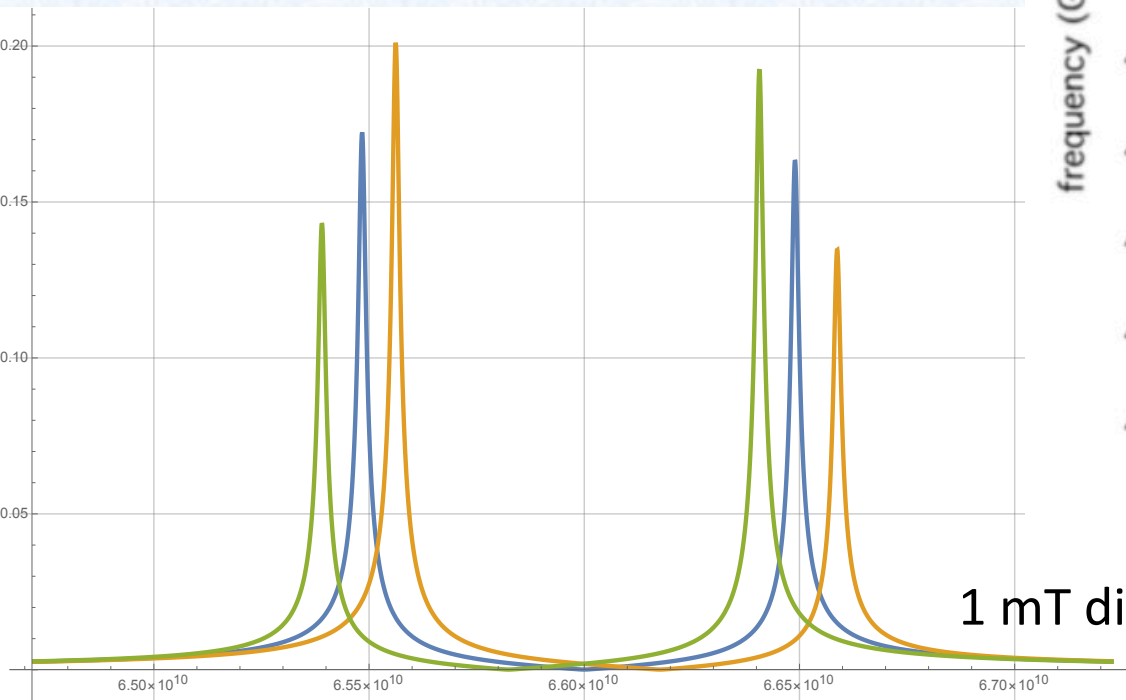
Small frequency tuning

In order to **scan different mass values**, a frequency tuning of the system must be present

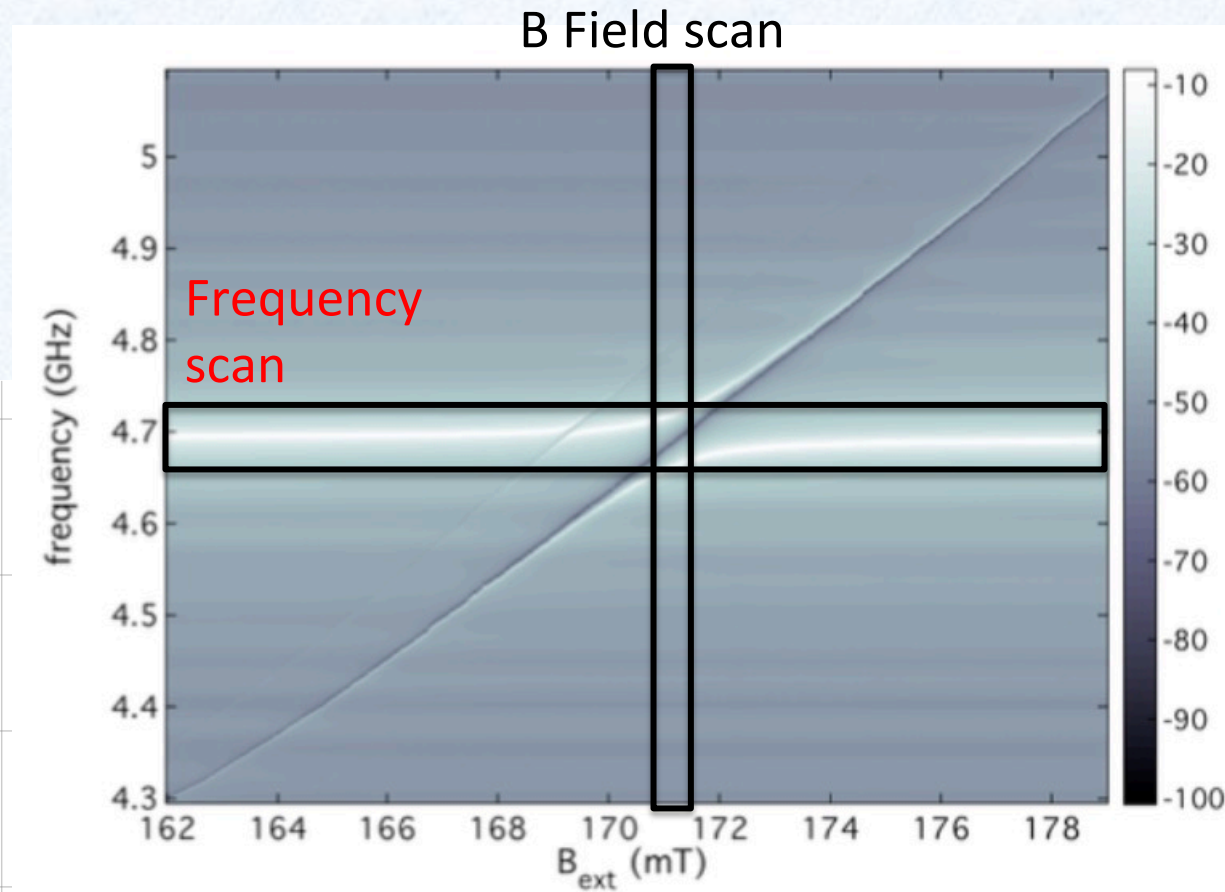
With the QUAX apparatus this can be easily achieved by changing the magnetizing field.

The minimum separation of the peaks is

$$g_m = \gamma \sqrt{\mu_0 \hbar \omega_m n_S V_S / V_c}$$



1 mT difference



Check coupling with material