

Constraining New Physics through Standard Model Effective Theory

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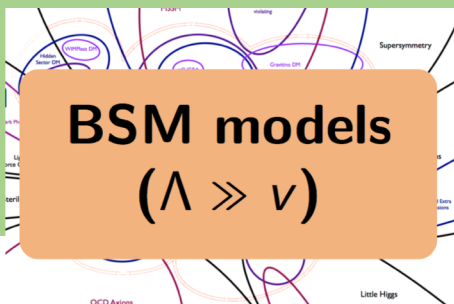
Fig. 1 A multi-loop corrected tree



Based on work with:

R. Boughezal, F. Petriello, C. Chen

the What, the Why and the How



○ the What

- SMEFT is an attractive framework to constrain **new physics**
- **Radiative Corrections** important for stability/precision/operator mixing!

○ the Why

- Analysis is **universally** applicable/model independent
- Nifty way to keep track of data
- Plenty of progress/active field

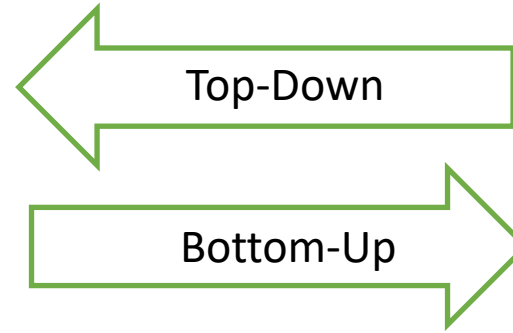
○ the How

- Basic Philosophy of SMEFT
- Where are we standing now?
- Tools of the trade

The obligatory historic example (Fermi 1933)

Currently
understood physics
(IR)

Only light degrees of freedom remain



SMEFT – Basic Idea

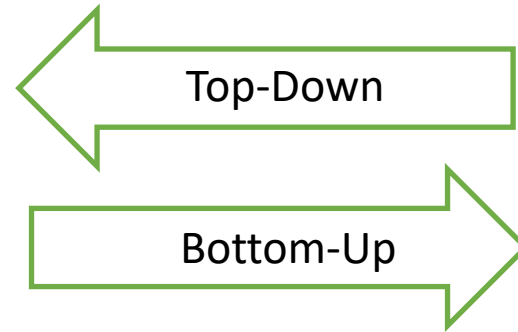
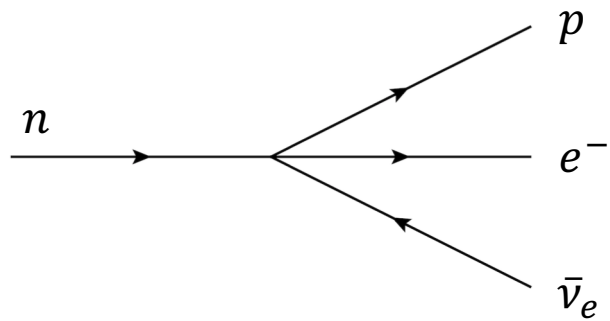
Unknown New
Physics (UV)

Heavy new states induce higher dim operators

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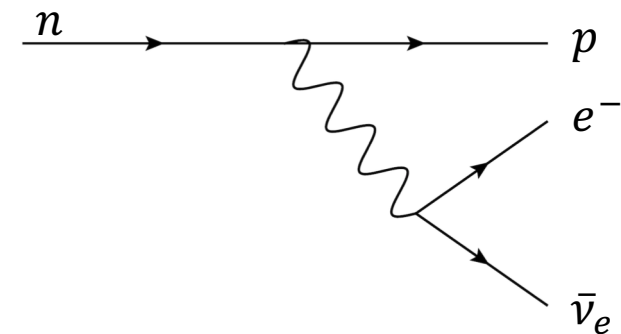


Energies $\ll \Lambda$

SMEFT – Basic Idea

Unknown New Physics (UV)

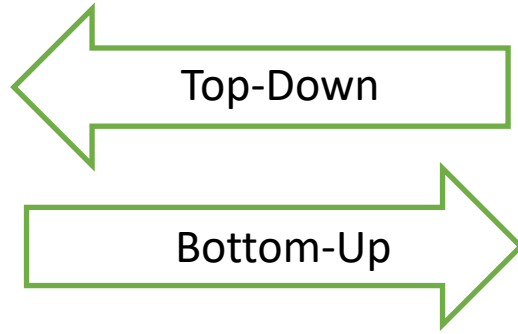
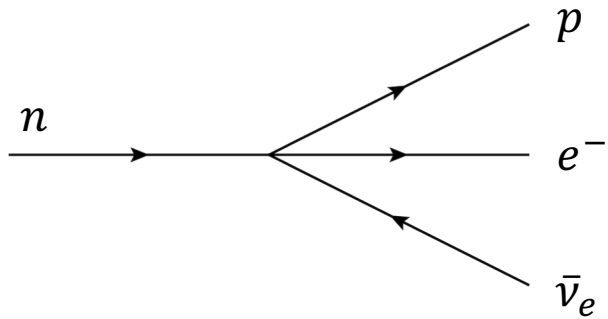
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Energies $\ll \Lambda$

Write down all possible IR operators...

$$\frac{S_{\pm\pm}}{\Lambda^2} (\bar{p}\mathcal{P}_{\pm}n)(\bar{e}\mathcal{P}_{\pm}v_e)$$

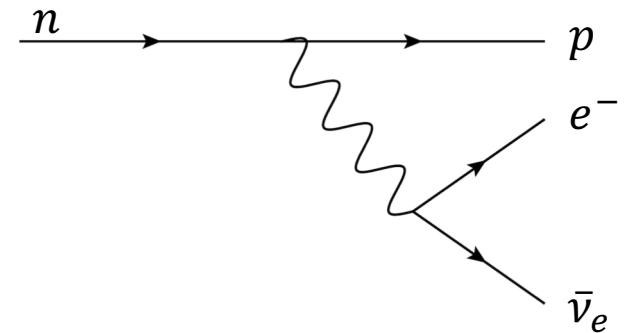
$$\frac{T_{\pm\pm}}{\Lambda^2} (\bar{p}\sigma^{\mu\nu}\mathcal{P}_{\pm}n)(\bar{e}\sigma^{\mu\nu}\mathcal{P}_{\pm}v_e)$$

$$\frac{V_{\pm\pm}}{\Lambda^2} (\bar{p}\gamma^{\mu}\mathcal{P}_{\pm}n)(\bar{e}\gamma^{\mu}\mathcal{P}_{\pm}v_e)$$

SMEFT – Basic Idea

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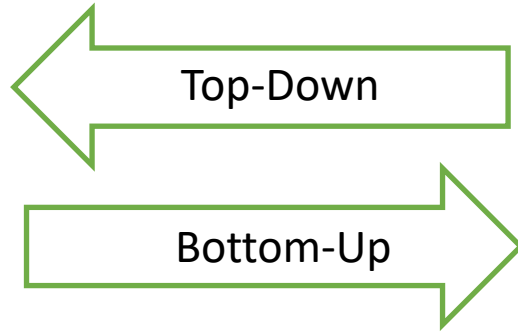
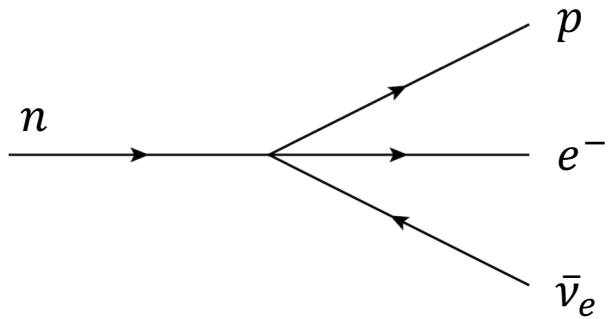
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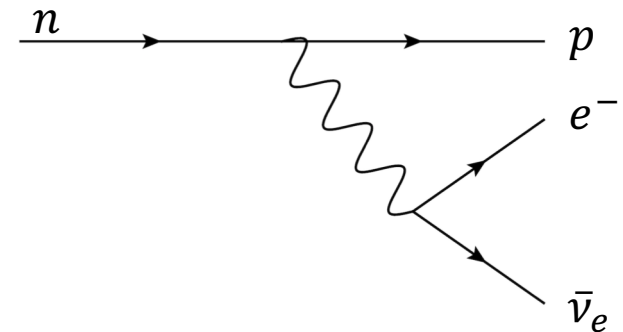
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... and start measuring!

V-A Structure: $G_F(\bar{p}\gamma^{\mu}\mathcal{P}_-n)(\bar{e}\gamma^{\mu}\mathcal{P}_-v_e)$ \longrightarrow G_F suggests $\Lambda \sim \mathcal{O}(100\text{GeV})$

Technical details (I)

Write down all possible operators that new physics could induce

- Stay consistent with SM **symmetries!** ($\delta B \neq 0?$, $\delta L \neq 0?$)
- Build from SM field content!

$$\mathcal{L}_{SMEFT} \supset \mathcal{L}_{SM} + \frac{C_5}{\Lambda} \mathcal{O}^5 + \frac{C_6^i}{\Lambda^2} \mathcal{O}_i^6 + \frac{C_7^i}{\Lambda^3} \mathcal{O}_i^7 + \dots$$

*Weinberg (Phys. Rev. Lett. **43**, 1566)*

Grzadkowski, Iskrzynski, Misiak, Rosiek (1008.4884)

Henning, Lu, Meila, Murayama (1512.03433)

...

- Avoid **over-completeness** through field redefinitions/IBP/EOM

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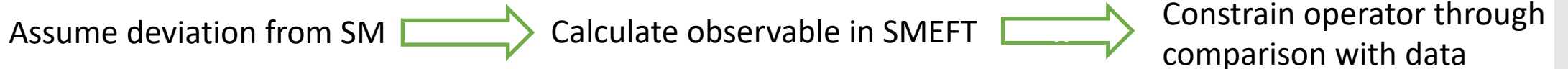
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Next step:



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Next step:

Assume deviation from SM  Calculate observable in SMEFT  Constrain operator through comparison with data

Renormalizability remains intact if consistent truncation in Λ

Counterterms: Introduce \overline{MS} renormalized operators through $C_i = Z_{ij} \tilde{C}^j$ (**Operator Mixing** with tree-level)

Leads to running coefficients: $\frac{dC_i}{d \log \mu} = \frac{\delta Z_{ij}}{16\pi^2} C^j$

Complete RGE at 1-loop known

Alonso, Jenkins, Manohar, Trott (1312.2014)

Technical details (II)

1 : X^3		2 : H^6		3 : $H^4 D^2$		5 : $\psi^2 H^3 + \text{h.c.}$	
Q_G	$f^{ABC} G_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu}$	Q_H	$(H^\dagger H)^3$	$Q_{H\Box}$	$(H^\dagger H)\Box(H^\dagger H)$	Q_{eH}	$(H^\dagger H)(\bar{l}_p e_r H)$
$Q_{\tilde{G}}$	$f^{ABC} \tilde{G}_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu}$			Q_{HD}	$(H^\dagger D_\mu H)^* (H^\dagger D_\mu H)$	Q_{uH}	$(H^\dagger H)(\bar{q}_p u_r \tilde{H})$
Q_W	$\epsilon^{IJK} W_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$					Q_{dH}	$(H^\dagger H)(\bar{q}_p d_r H)$
$Q_{\tilde{W}}$	$\epsilon^{IJK} \tilde{W}_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$						
4 : $X^2 H^2$		6 : $\psi^2 XH + \text{h.c.}$		7 : $\psi^2 H^2 D$			
Q_{HG}	$H^\dagger H G_{\mu\nu}^A G^{A\mu\nu}$	Q_{eW}	$(\bar{l}_p \sigma^{\mu\nu} e_r) \tau^I H W_{\mu\nu}^I$	$Q_{Hl}^{(1)}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{l}_p \gamma^\mu l_r)$		
$Q_{H\tilde{G}}$	$H^\dagger H \tilde{G}_{\mu\nu}^A G^{A\mu\nu}$	Q_{eB}	$(\bar{l}_p \sigma^{\mu\nu} e_r) H B_{\mu\nu}$	$Q_{Hl}^{(3)}$	$(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{l}_p \tau^I \gamma^\mu l_r)$		
Q_{HW}	$H^\dagger H W_{\mu\nu}^I W^{I\mu\nu}$	Q_{uG}	$(\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{H} G_{\mu\nu}^A$	Q_{He}	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{e}_p \gamma^\mu e_r)$		
$Q_{H\tilde{W}}$	$H^\dagger H \tilde{W}_{\mu\nu}^I W^{I\mu\nu}$	Q_{uW}	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I \tilde{H} W_{\mu\nu}^I$	$Q_{Hq}^{(1)}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{q}_p \gamma^\mu q_r)$		
Q_{HB}	$H^\dagger H B_{\mu\nu} B^{\mu\nu}$	Q_{uB}	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{H} B_{\mu\nu}$	$Q_{Hq}^{(3)}$	$(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{q}_p \tau^I \gamma^\mu q_r)$		
$Q_{H\tilde{B}}$	$H^\dagger H \tilde{B}_{\mu\nu} B^{\mu\nu}$	Q_{dG}	$(\bar{q}_p \sigma^{\mu\nu} T^A d_r) H G_{\mu\nu}^A$	Q_{Hu}	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{u}_p \gamma^\mu u_r)$		
Q_{HWB}	$H^\dagger \tau^I H W_{\mu\nu}^I B^{\mu\nu}$	Q_{dW}	$(\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I H W_{\mu\nu}^I$	Q_{Hd}	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{d}_p \gamma^\mu d_r)$		
$Q_{H\tilde{W}B}$	$H^\dagger \tau^I H \tilde{W}_{\mu\nu}^I B^{\mu\nu}$	Q_{dB}	$(\bar{q}_p \sigma^{\mu\nu} d_r) H B_{\mu\nu}$	$Q_{Hud} + \text{h.c.}$	$i(\tilde{H}^\dagger D_\mu H)(\bar{u}_p \gamma^\mu d_r)$		
8 : $(\bar{L}L)(\bar{L}L)$		8 : $(\bar{R}R)(\bar{R}R)$		8 : $(\bar{L}L)(\bar{R}R)$			
Q_{ll}	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	Q_{ee}	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	Q_{le}	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$		
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{uu}	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{lu}	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$		
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{dd}	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	Q_{ld}	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$		
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		$Q_{ud}^{(1)}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{u}_s \gamma^\mu T^A u_t)$		
		$Q_{ud}^{(8)}$	$(\bar{u}_p \gamma_\mu T^A u_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{d}_s \gamma^\mu d_t)$		
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8 : $(\bar{L}R)(\bar{R}L) + \text{h.c.}$		8 : $(\bar{L}R)(\bar{L}R) + \text{h.c.}$					
Q_{ledq}	$(\bar{l}_p^j e_r) (\bar{d}_s q_{tj})$	$Q_{quqd}^{(1)}$	$(\bar{q}_p^j u_r) \epsilon_{jk} (\bar{q}_s^k d_t)$				
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		$Q_{lequ}^{(3)}$	$(\bar{l}_p^j \sigma_{\mu\nu} e_r) \epsilon_{jk} (\bar{q}_s^k \sigma^{\mu\nu} u_t)$				

Complete non-redundant operator base in unbroken phase (**Warsaw base**)

Grzadkowski, Iskrzynski, Misiak, Rosiek (2010)

(NB: ghosts receive dim-6 contribution from field redefinitions)

Fig. 2 the 59 operators of the Warsaw basis

Technical details (II)

1 : X^3		2 : H^6		3 : $H^4 D^2$		5 : $\psi^2 H^3 + \text{h.c.}$	
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Complete non-redundant operator base in unbroken phase (**Warsaw base**)

Grzadkowski, Iskrzynski, Misiak, Rosiek (2010)

(NB: ghosts receive dim-6 contribution from field redefinitions)



Automate in a number of computational frameworks (FeynArts/MadGraph/Rosetta/...)

Here Feynman-Rules in R_ξ gauge:

Dedes, Materkowska, Paraskevas, Rosiek, Suxhoa (2017)

Fig. 2 the 59 operators of the Warsaw basis



This list is incomplete; you can help by expanding it.

Higgs Physics

- Dawson, Giardino (1801.01136)
- Dawson, Ismail (1808.05948)
- Englert, Freitas, Muhlleiter, Plehn, Rauch, Spira (1403.7191)
- Pomarol, Riva (1308.2803)

Electroweak-LHC

- Falkowski, Gonzalez-Alonso, Greljo, Marzocca, Son (1609.06312)
- Hartmann, Shepherd, Trott (1611.09879)
- Farina, Panico, Pappadopulo, Ruderman, Torre, Wulzer (1609.08157)

Low-Energy Electroweak

- Falkowski, Gonzalez-Alonso, Mimouni (1706.03783)
- Jenkins, Manohar, Stoffer (1709.04486)

QCD/Jets

- Kraus, Kuttimalai, Plehn (1611.00767)
- Maltoni, Pagani, Tsirikos (1507.05640)

What has been done?

Also Reviews:

- Brivio, Trott (1706.08945)
- Passarino, Trott (1610.08356)



Tons of LO and plenty NLO analysis

Top Decay

Start with a simple process to get the machinery set up:

Top decay **helicity fractions** very well measured:

$$\frac{\Gamma_L}{\Gamma} = 0.72$$

$$\frac{\Gamma_+}{\Gamma} = 0.28$$

$$\frac{\Gamma_-}{\Gamma} \sim 0$$

SM predictions known to NNLO QCD – strong SMEFT constraints?

Czarecki, Körner, Piclum (1005.2625)

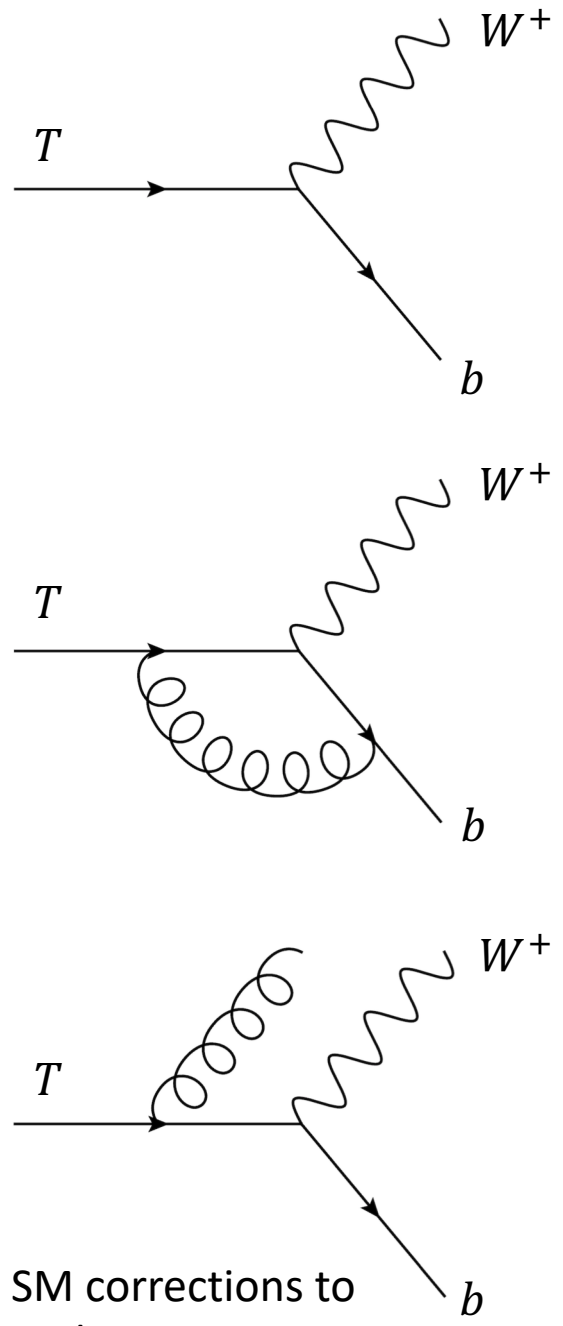


Fig. 3 QCD SM corrections to Top decay

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Top decay **helicity fractions** very well measured:

$$\frac{\Gamma_L}{\Gamma} = 0.72$$

$$\frac{\Gamma_+}{\Gamma} = 0.28$$

$$\frac{\Gamma_-}{\Gamma} \sim 0$$

SM predictions known to NNLO QCD – strong SMEFT constraints?

Czarecki, Körner, Piclum (1005.2625)



Now switch on dimension six operators:

$$\bar{b}Wt\text{-Vertex} \quad \frac{ie}{s_w} \gamma^\mu P_L + \frac{C_1}{\Lambda^2} \sigma^{\mu\nu} p_\nu P_L + \frac{C_2}{\Lambda^2} \sigma^{\mu\nu} p_\nu P_R + \frac{C_3}{\Lambda^2} \gamma^\mu P_R$$

$$\bar{q}Gq\text{-Vertex} \quad ig_s \gamma^\mu$$

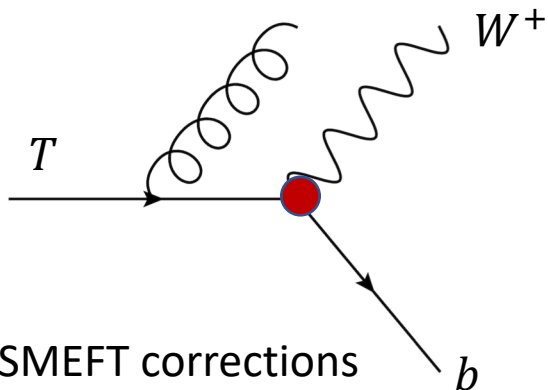
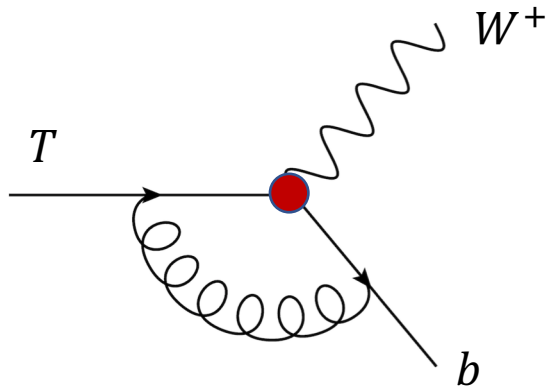
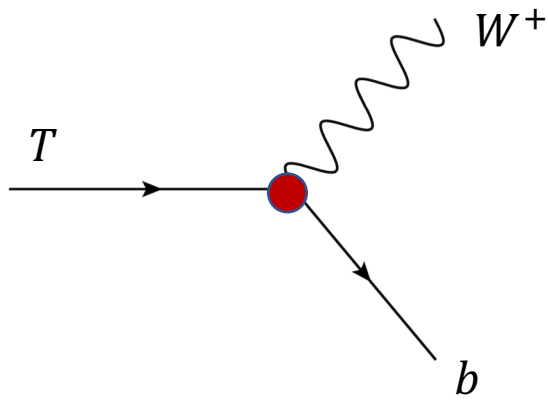
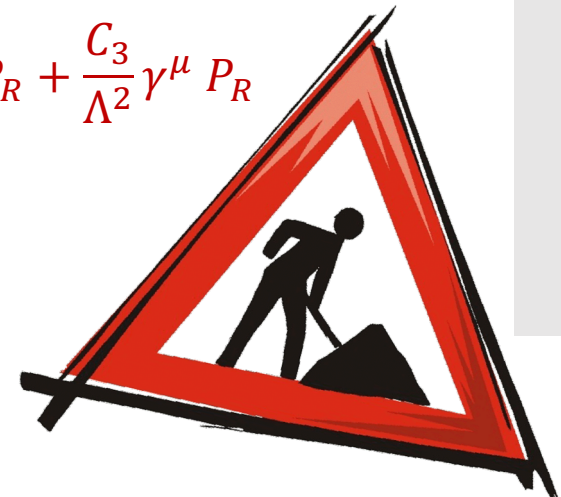


Fig. 3 QCD SMEFT corrections to Top decay

Top Decay

Start with a simple process to get the machinery set up:

Top decay **helicity fractions** very well measured:

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SM predictions known to NNLO QCD – strong SMEFT constraints?

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➡ Now switch on dimension six operators:

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$$\bar{q}Gq\text{-Vertex} \quad ig_s \gamma^\mu + \frac{C_5}{\Lambda^2} \sigma^{\mu\nu} p_\nu P_R + \frac{C_6}{\Lambda^2} \sigma^{\mu\nu} p_\nu P_L$$

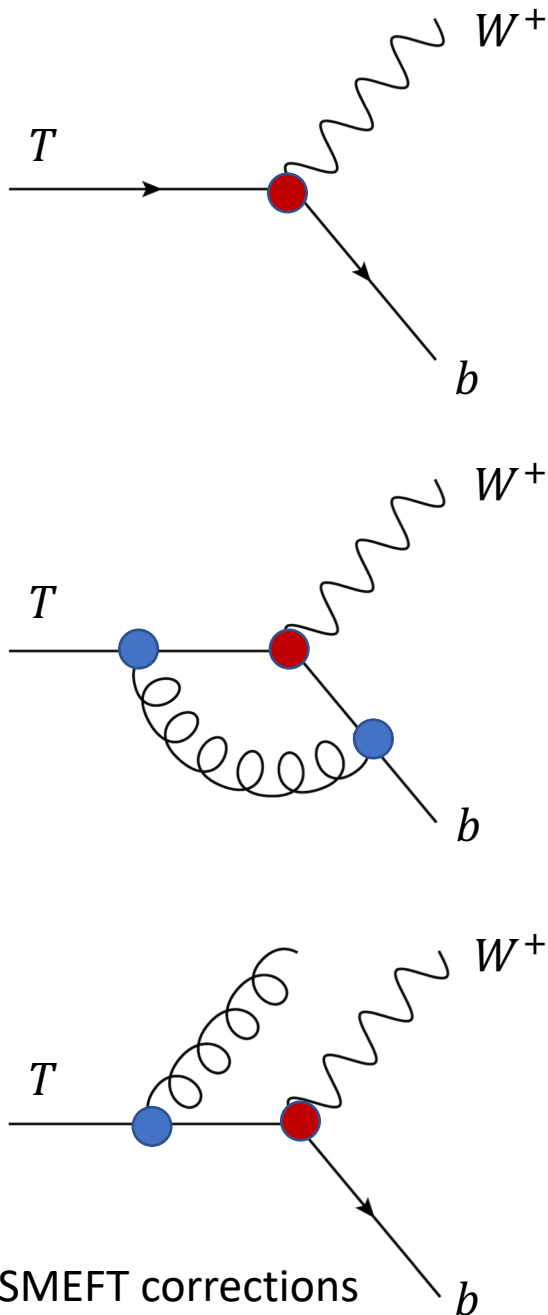
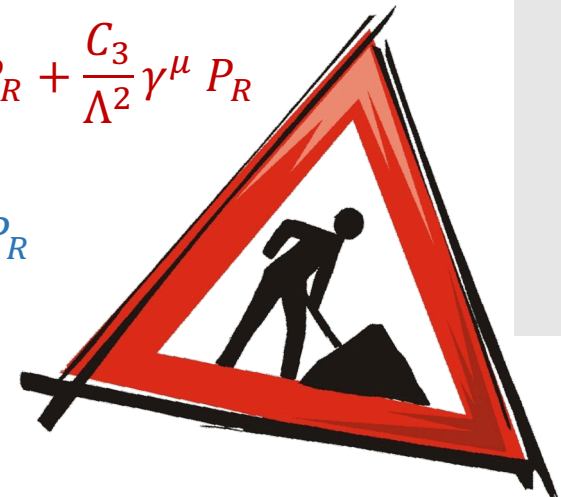


Fig. 3 QCD SMEFT corrections to Top decay

Setting Bounds

The Born-level already gives a taste what bounds to expect:

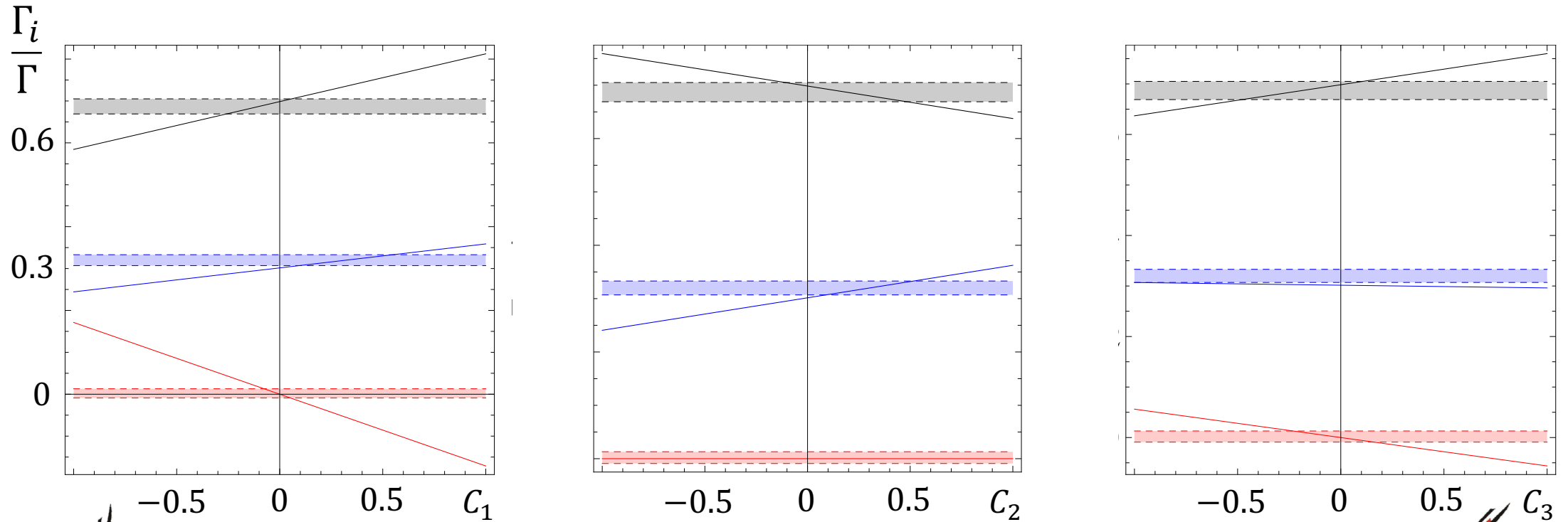


Fig. 3 Bounds on the electroweak Wilson coefficients at LO ($\Lambda = 100\text{GeV}$)

- 1) NLO QCD is work in progress – stay tuned!
- 2) EW corrections might or might not be important



... and now what?

SMEFT has been the framework to go about constraining new physics!

- Systematic way to evaluate data/link seemingly unrelated results
- Parametrize new physics data in **model-independent** way
- Active field with plenty to do!
- Where to go from here?

- More involved Top processes?
(larger topology – more constraints
– more difficult)
- Low-energy electroweak observables?
(less LHC – less sexy)

Thanks!

