

# A Novel Approach for the Intranuclear Cascade

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## Abstract

- Traditional Intranuclear Cascades assume point like interactions → neglects interaction range
- Propose new algorithm using:
  - Nuclear configurations
  - Model for wavefunction overlap
- Compare approach to traditional Mean Free Path Algorithm in:
  - $pC$  cross-sections
  - Nuclear transparency

## Introduction

- Intranuclear cascades describe transition from a hard interaction to the final state
- Comprises propagation of nucleons from the inside to the outside of the nucleus
- Essential for understanding:
  - Electron-nucleus scattering experiments
  - Neutrino oscillation experiments
  - Dark Matter searches
- Intranuclear cascades need proper modelling of:
  - Hadron-nucleon scattering cross-sections
  - Fermi statistics via Pauli Blocking
  - Nuclear potential
- Here we propose a new algorithm using:
  - Pre-determined nucleon positions
  - Pauli blocking effects
  - Geometric interpretation of the nucleon-nucleon cross-sections

## Theory: Configurations

Generate nuclear configurations according to:

- 1 Nuclear density
- 2 Nuclear correlations (optional)

This can be done using Quantum Monte Carlo [1], or Mean Field approaches

## Theory: Geometric Method for Cross-Sections

- Interpret cross-sections as a probability of interacting via wavefunction overlap
- Require:  $P(b=0) = 1$ ,  $b$  is the impact parameter
- Require:  $\int_0^{2\pi} \int_0^\infty bP(b)d\phi db = \sigma$
- Model wavefunction overlap modeled with:

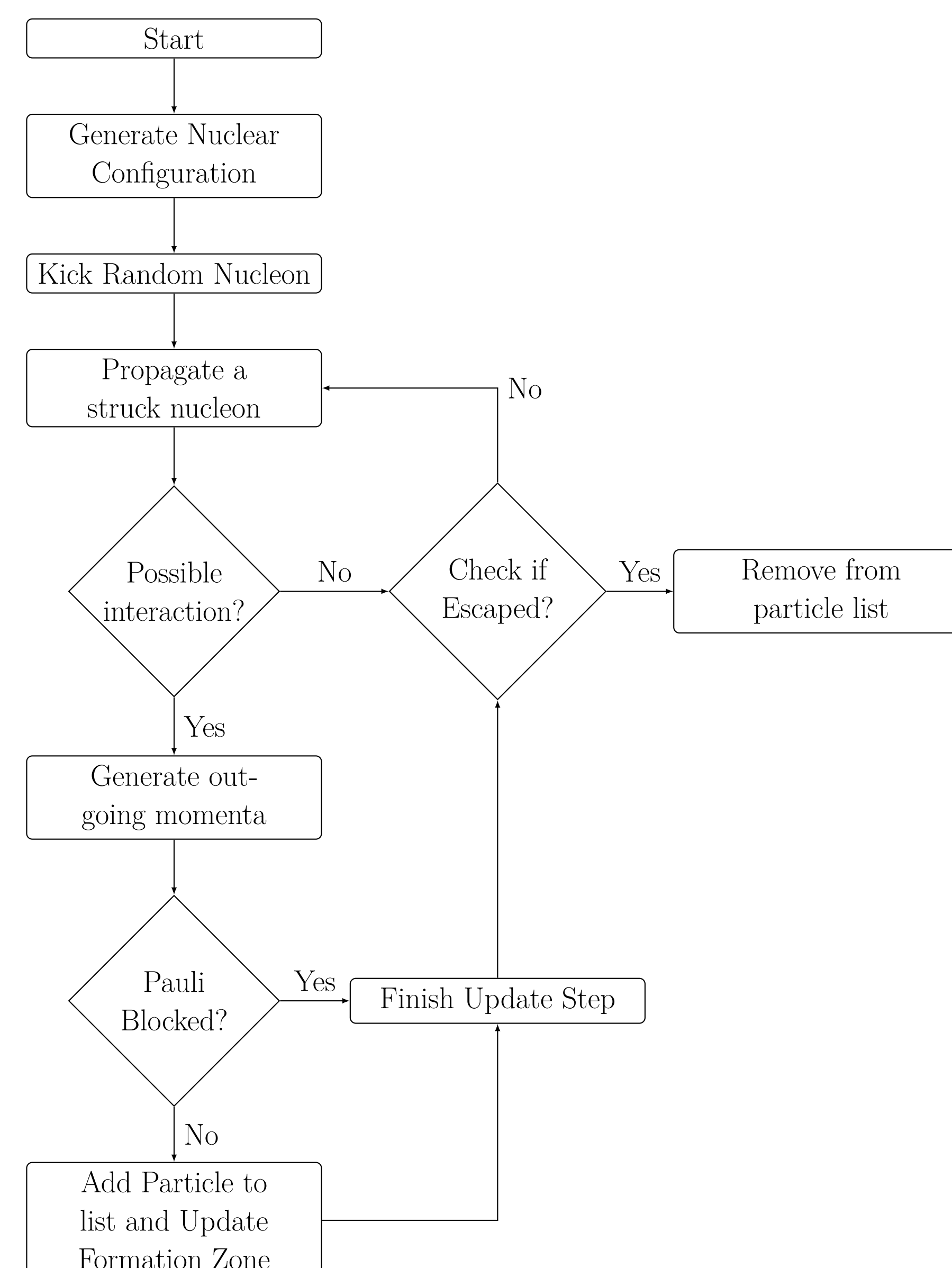
1 Cylinder:

$$P_{cyl}(b) = \Theta(\sigma/\pi - b^2)$$

2 Gaussian:

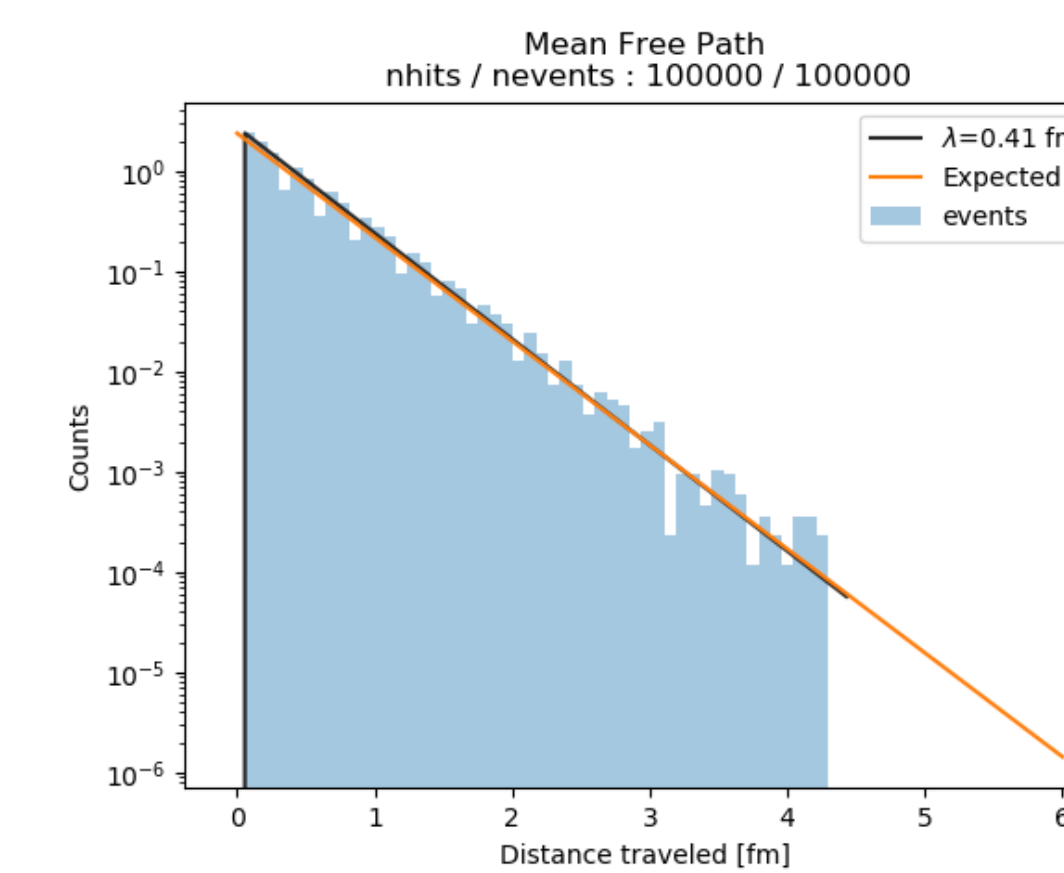
$$P_{Gau} = \exp\left(-\frac{\pi b^2}{\sigma}\right)$$

## Algorithm



## Mean Free Path Validation

Fix density and nucleon cross-sections:

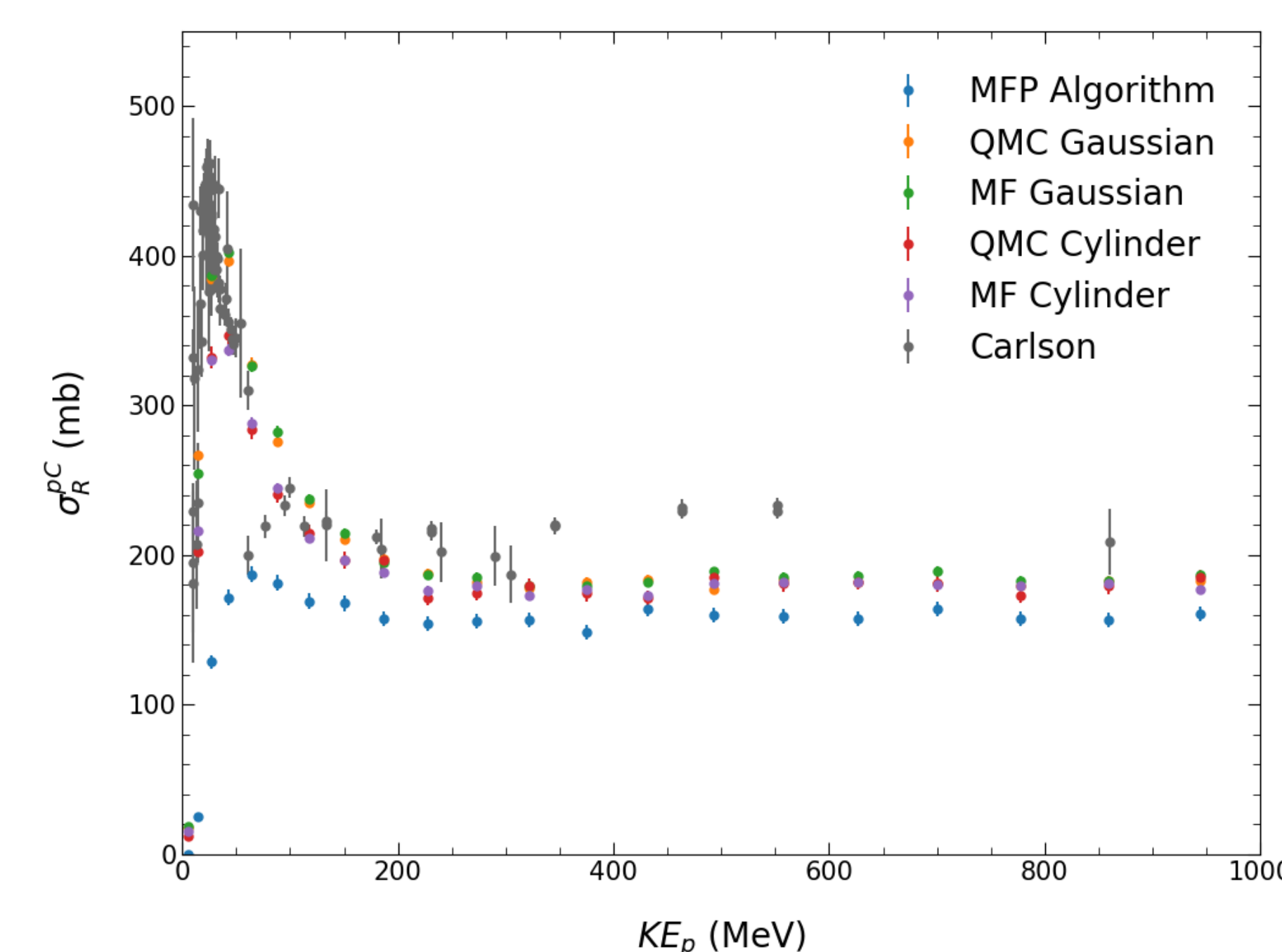


## Calculation Set-Up

- Use elastic  $pp$  and  $pn$  cross-sections [2]
- Calculations considered:
  - 1 Mean Free Path(MFP) Algorithm [3]
  - 2 Configuration based Algorithm using:
    - 1 Quantum Monte Carlo (QMC) or Mean Field (MF) configurations
    - 2 Gaussian or Cylinder interaction probabilities

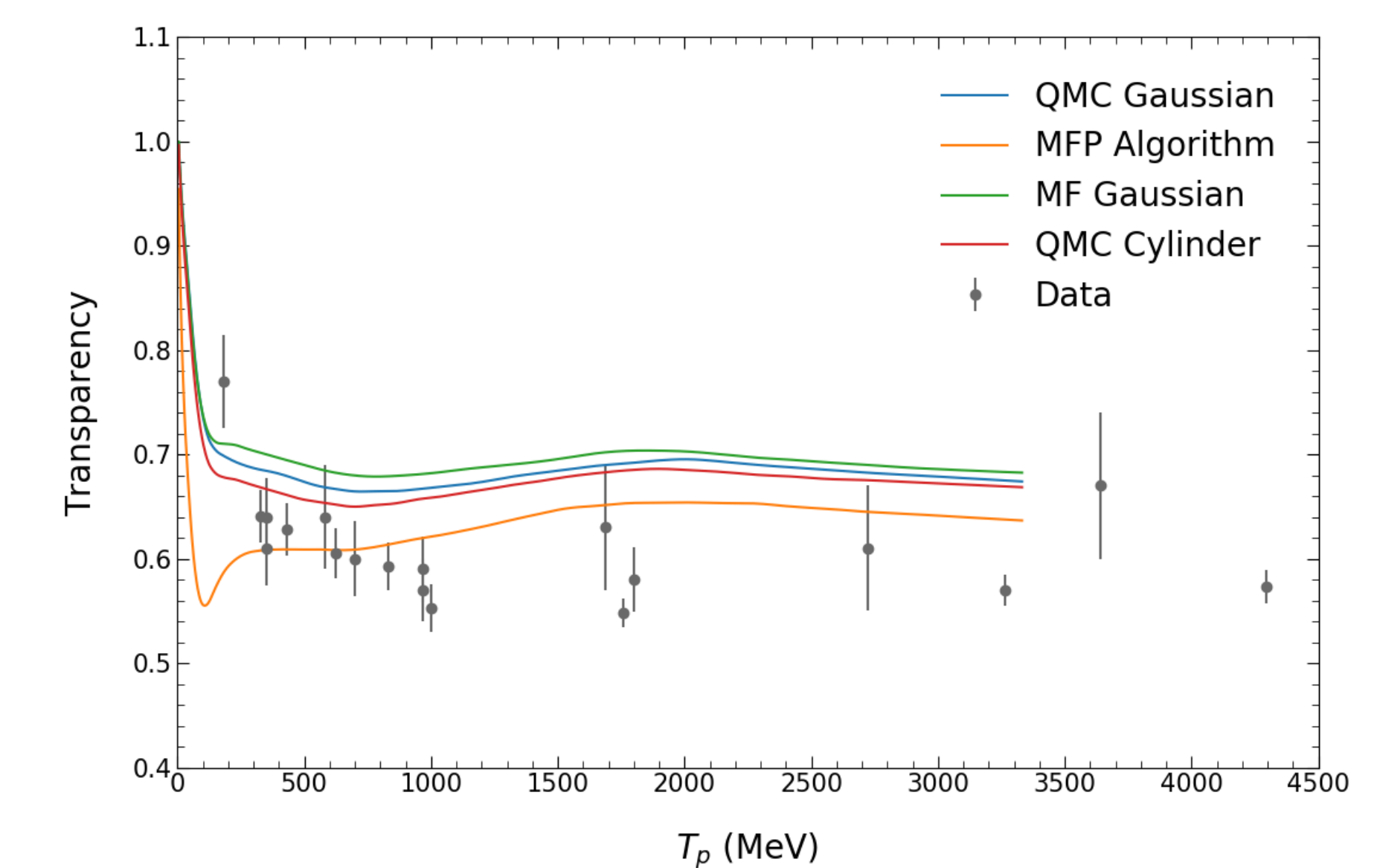
## Cross-Section Results

- $p$ -Nucleus scattering used to test cascade models
- Two Pieces:  $\sigma_{tot} = \sigma_r + \sigma_{el}$
- Below: Comparison of  $\sigma_r$  data [4] to different cascade models for  $p + C \rightarrow X$



## Transparency Results

$$\text{Transparency} = \frac{N_{no\ FSI}}{N_{total}}$$



Data is from: [5, 6]

## Conclusion & Future Work

- Proposed new algorithm based on configurations for cascades
- Include the effects of inelastic scattering (pion cascade), which is important at high energy

## References

- 1 J. Carlson, et. al., Rev. Mod. Phys. **87**, 1067 (2015)
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- 3 T. Golan, et. al., Phys. Rev. **C86**, 044615 (2002)
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