Study

Neutrino electromagnetic form factors have significant effects in the lepton-antilepton pair's production through neutrino-nucleus scattering $u_{\mu}X \rightarrow \nu_{\mu}l^{+}l^{-}X$, or "tridents." Tridents are a sensitive probe in the search for new neutral currents. The Deep Underground Neutrino Experiment (DUNE) with the near detector will employ an 84-ton LarTPC to observe these dileptons events via dilepton production channels l^+l^- : $\mu^+\mu^-$ and e^+e^- or $\mu^\pm e^\mp$.

- Our studies include: computed and simulated interaction cross-section for tridents with the additional neutral current contribution from the neutrino-magnetic moment (NMM).
- Analyses of cross-sections for coherent and diffractive regimes in the trident production of $\mu^+\mu^-$ channels.
- Kinematical distributions from NMM (coherent and diffractive scenarios) and SM, using the ν_{μ} flux on DUNE ND.

Tridents topology and matrix element

The new contribution for the trident amplitude for a coherent (X = c) or diffractive (X = D) scattering takes the form

 $\{p\}$ is the collection of all 4-momentum for leptons, P, P' and q are the on-shell and off-shell 4-momentums for the hadronic part. The NC neutrino vertex incorporates a EM form factor Γ , changing the matrix element by

$$L^{\mu} \equiv \frac{[\bar{u}(p_2)\Gamma^{\tau}(q'^2)u(p_1)]}{q'^2} \times \bar{u}(p_4) \left[\gamma_{\tau} \frac{1}{(\not q - \not p_3)}\right]$$

q' is the photon 4-momentum, in the neutrino-neutrino vertex. We consider only magnetic and electromagnetic form factors $\Gamma^{ au}(q^2) = 1$ $\sigma_{\lambda\rho}q^{\rho}[F_M(q^2) + iF_E(q^2)]$. We call this scenario the NMM model.



 $H_X^{\nu}(P, P')$ is the total hadronic amplitude in two scenarios: **Coherent regime** or the scattering of a neutrino off heavy nucleus (with $F_N(q^2)$ the EM nuclear form factor) $\mathcal{H}_N^{\alpha\beta} = 4P_{\alpha}P_{\beta}[F_N(q^2)]^2 ,$

Diffractive regime or the scattering of a neutrino off individual nucleons (with electric and magnetic form factors $G_E^{p(n)}(q^2)$ and $G_{M}^{p(n)}\left(q^{2}\right)$) where $(\circ (n, n, n, n)) = 2$

$$H_{p(n)}^{\alpha\beta} = 4P^{\alpha}P^{\beta} \left[\frac{4m_{p(n)}^2 [G_E^{p(n)}(q^2)]^2}{q^2 + 4m_{p(n)}^2} + \frac{q}{q} \right]$$

Square matrix element facts:

- At leading order $(m_{\nu}^2 \rightarrow 0)$, there are non-interference effects with neutral and charged currents of SM channels (Z and W^{\pm} bosons have been integrated out).
- Diagonal terms in the diffractive regime vanish at leading order.
- The square matrix element for both regimes depends on the square effective neutrino-magnetic moment $\mu_{
 u_u}^2$ = $|F_M|^2 + |F_E|^2$ $(F_M, F_E \in \Re)$
- Effective neutrino-magnetic moment for u_{μ} has been constrained in the LSND experiment with a upper limit of $\mu_{
 u_{\mu}} < 6.8 imes 10^{-10} \mu_B$ and BOREXINO with $\mu_{\nu_{\mu}} < 1.9 \times 10^{-10} \mu_B$, both at 90% C.L.

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 $\mathcal{M}_{NMM} = -eL^{\mu}_{NMM}(\{p\},q) \frac{g_{\mu\nu}}{q^2} \operatorname{H}^{\nu}_{\mathcal{X}}(P,P'),$

 $rac{1}{1-{p\!\!\!/}_2-m_3)}\gamma^\mu - \gamma^\mu rac{1}{({p\!\!\!/}_4-{q\!\!\!/}-m_4)}\gamma_ au igg| v(p_3)$

 $\frac{q^2 [G_M^{p(n)}(q^2)]^2}{q^2 + 4m_{p(n)}^2} + g^{\alpha\beta} q^2 [G_M^{p(n)}(q^2)]^2.$

Cross section analyses



Kinematical distributions

Dimuon invariant mass $m^2_{\mu\mu}$ and separation angle $heta_{\mu\mu}$ distributions for coherent (Right) and diffractive (Left) components. Each distribution plots the ratio R_{TE} between NMM trident events and SM trident events. We use the experimental allowed value $\mu_{\nu_{\mu}} = 10^{-10} \ \mu_B$ (Borexino limit at 95 % C.L.)



• The NMM effects enhance these event distributions at low values of $m_{\mu\mu}^2 < 0.1$ GeV² and $\theta_{\mu\mu} < 2^{\circ}$. • The NMM enhancement effects are more significant for coherent component than for diffractive regime. • SM and NMM coherent dimuon tridents tend to be quite collimated, with more than 90% of events having $\theta_{\mu\mu} < 20^{\circ}$. • The background is based on processes $CC1\pi^{\pm}$, with the muon's misidentification as charged pions.

Future work

- We will consider the following topics of study: combined analyses with other trident channels e^+e^- and $\mu^+\mu^-$, taking into account both ν and $\overline{\nu}$ modes.
- Reconstruction and background analyses for possible neutrino topology and tracks for distinctive NMM events using cuts here found.
- Sensitivity plots and exclusion limits of NMM for BSM physics.
- Implementation of new cuts from different machine learning algorithms for kinematical distributions here shown



Contributions ratio of coherent and diffractive components for NMM. • Cross-sections ratio for NMM and SM are less than $\sigma^D_{ref} = 10^{-5} \times \sigma^C_{SM}$ in the coherent case and $\sigma^D_{ref} = 10^{-9} \mu_B \times \sigma^D_{SM}$ in the diffractive sce-

• Other values of cross-sections scale σ^{ref} as $\mu^2_{
u_{\mu}}/\mu^{(ref)2}_{
u_{\mu}}$.

• Cross-section (coherent) affects the expected SM rates within DUNE-ND uncertainties (25%) when $\mu_{\nu_{\mu}} 10^{-7} \mu_B$ (value ruled out by BOREXINO

• Diffractive cross sections are 5-10 orders of magnitude smaller than coherent cross sections. Values are in the band uncertainties for coherent

• Shaded bands indicate 1σ and 2σ uncertainties of the cross-sections. Uncertainties come from form factors, higher-order EW corrections, and nuclear models.