

# Neutron detection in a KLOE-based detector

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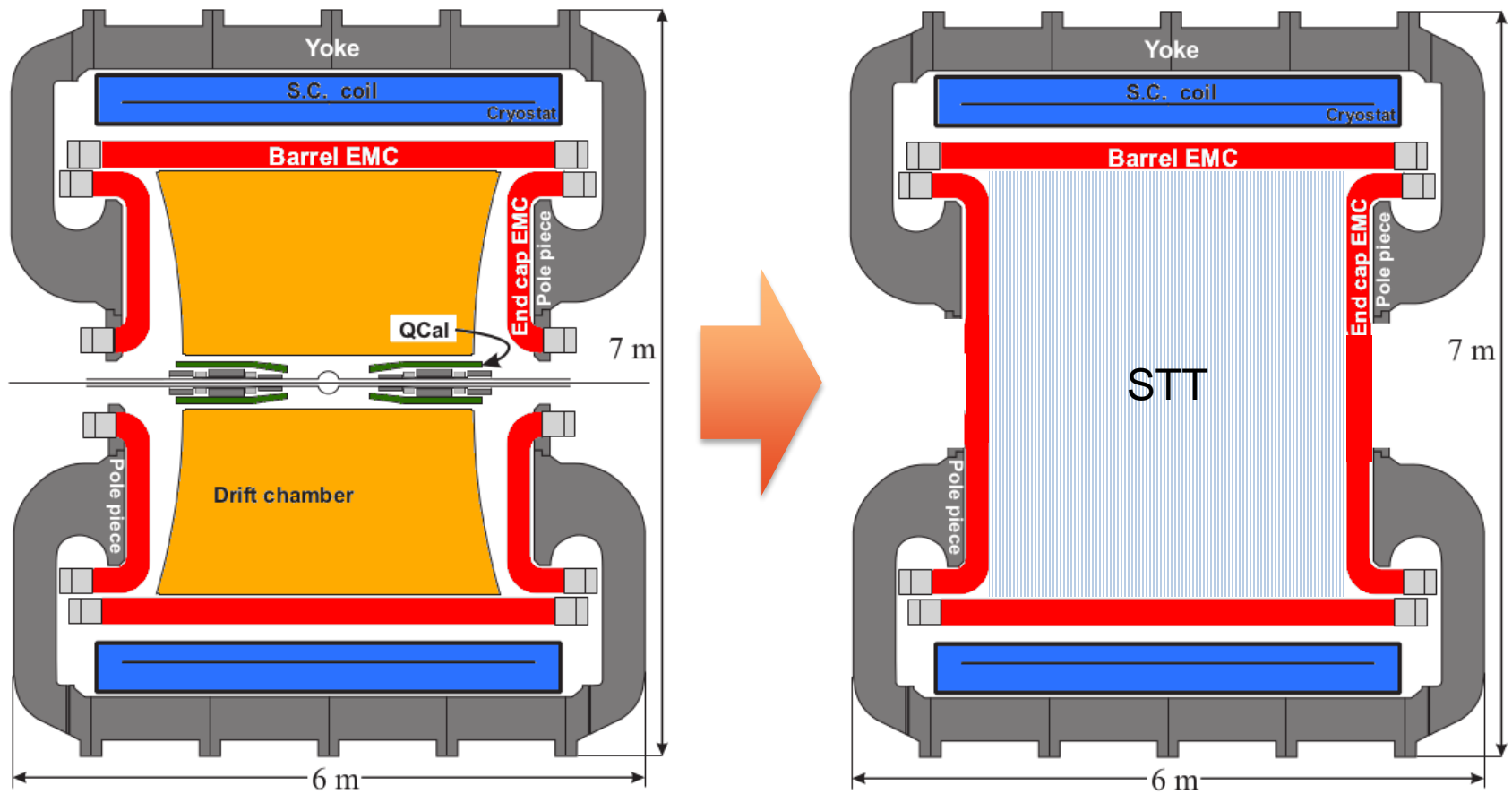
Istituto Nazionale di Fisica Nucleare



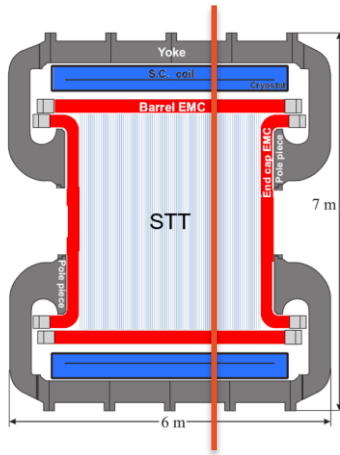
# Content

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  - Time resolution
- Neutron  $\beta$  reconstruction
  - Method
  - Results
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    - Calorimeter
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- Neutron detection efficiency

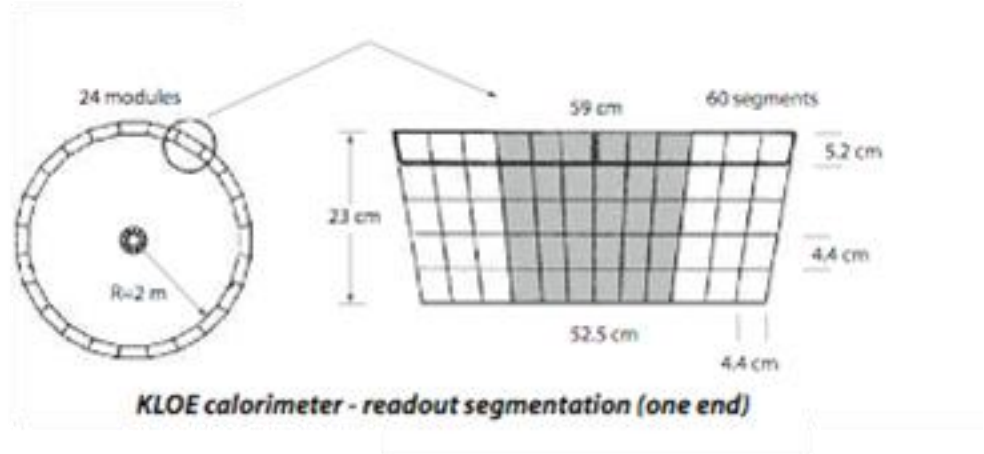
# Detector geometry



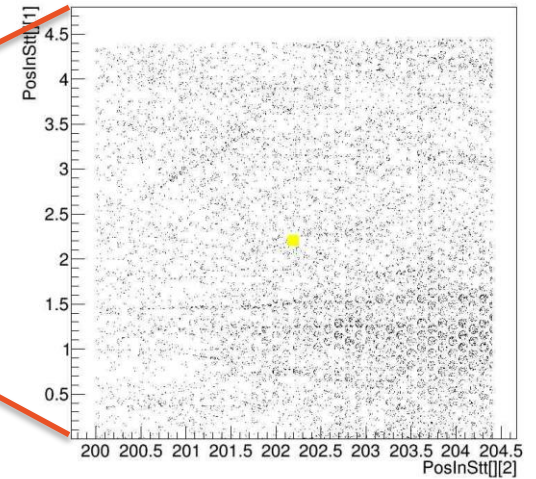
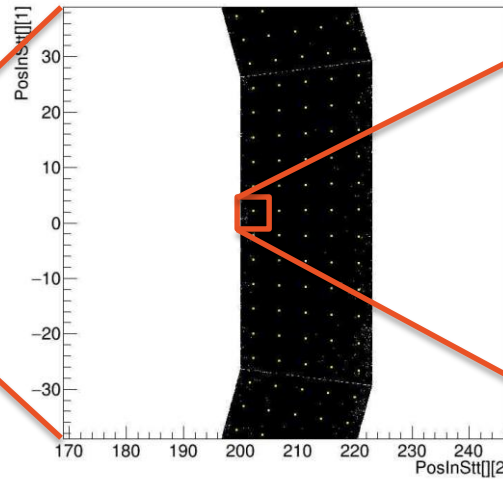
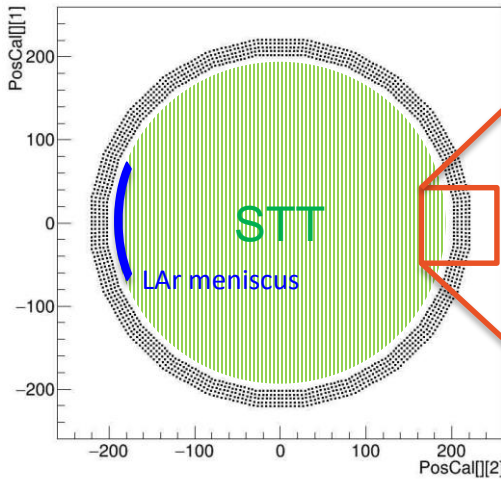
# Calorimeter segmentation



side view  
→



A cell is 430 cm long



# Time resolution of the calorimeter

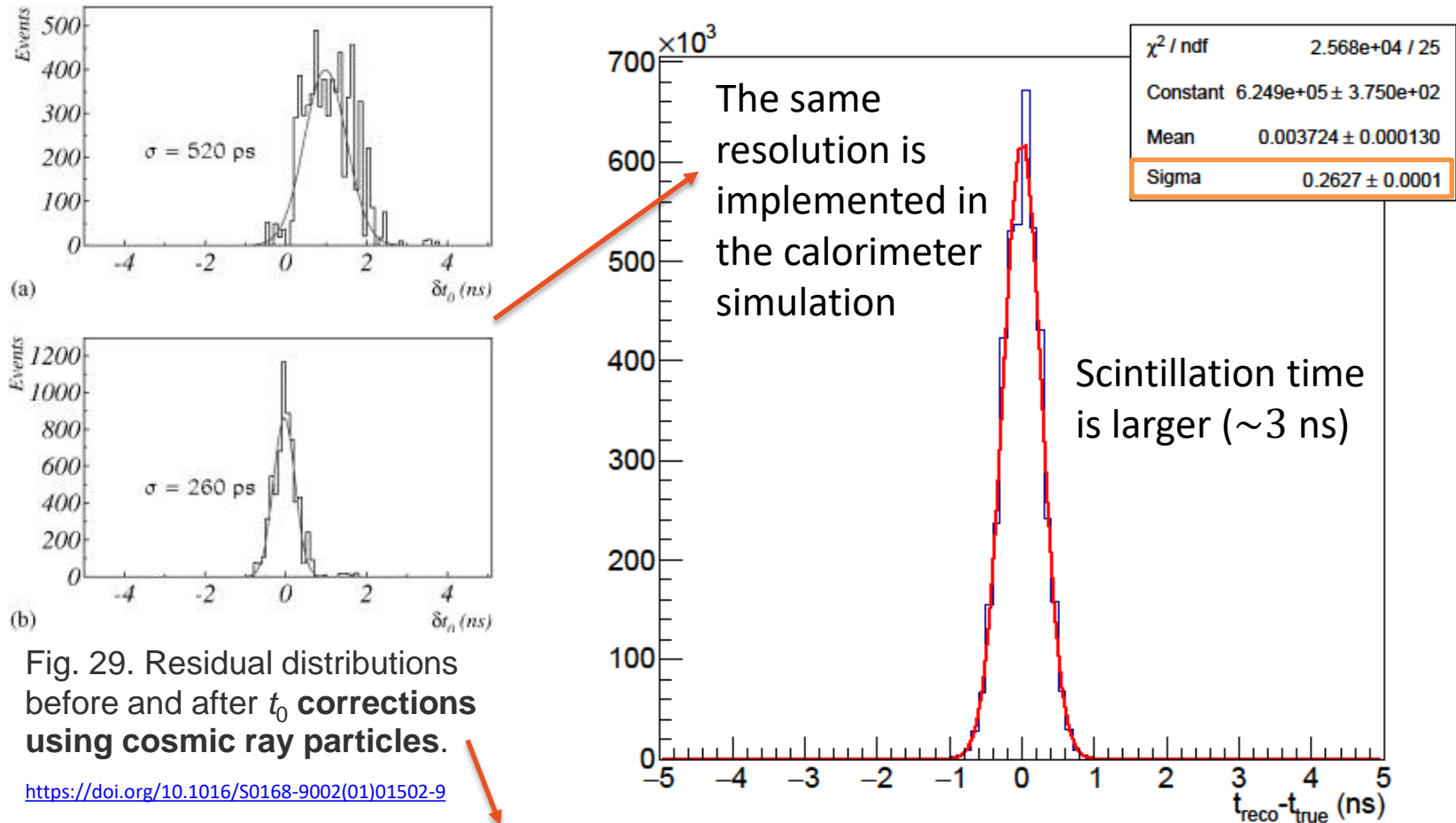


Fig. 29. Residual distributions before and after  $t_0$  corrections using cosmic ray particles.

[https://doi.org/10.1016/S0168-9002\(01\)01502-9](https://doi.org/10.1016/S0168-9002(01)01502-9)

Precise position obtained with internal tracker

# Disclaimer

- This study assumes that the detected signal is caused by a neutron generated in the LAr meniscus, with known vertex
- This does not allow a test of PID capabilities of the detector
- It is possible to extract useful information on the features of expected signals
- Events causing hits in the endcaps are not considered at all (implementation of real geometry in the endcaps is not trivial)

# Time of Flight (ToF) technique

- Kinetic energy is given by

$$E_{kin} = m_n(\gamma - 1)c^2 = m_n \left( \frac{1}{\sqrt{1 - \beta^2}} - 1 \right) c^2$$

- Measuring  $\beta$  it is possible to calculate  $E_{kin}$
- Measurement of  $\beta$ :
  - $(x_v, y_v, z_v)$  vertex
  - $(x_0, y_0, z_0)$  point used to calculate  $\beta$
  - $t_{reco}$  time corresponding to the event in  $(x_0, y_0, z_0)$
  - $$\beta = \frac{\sqrt{(x_0 - x_v)^2 + (y_0 - y_v)^2 + (z_0 - z_v)^2}}{c t_{reco}}$$

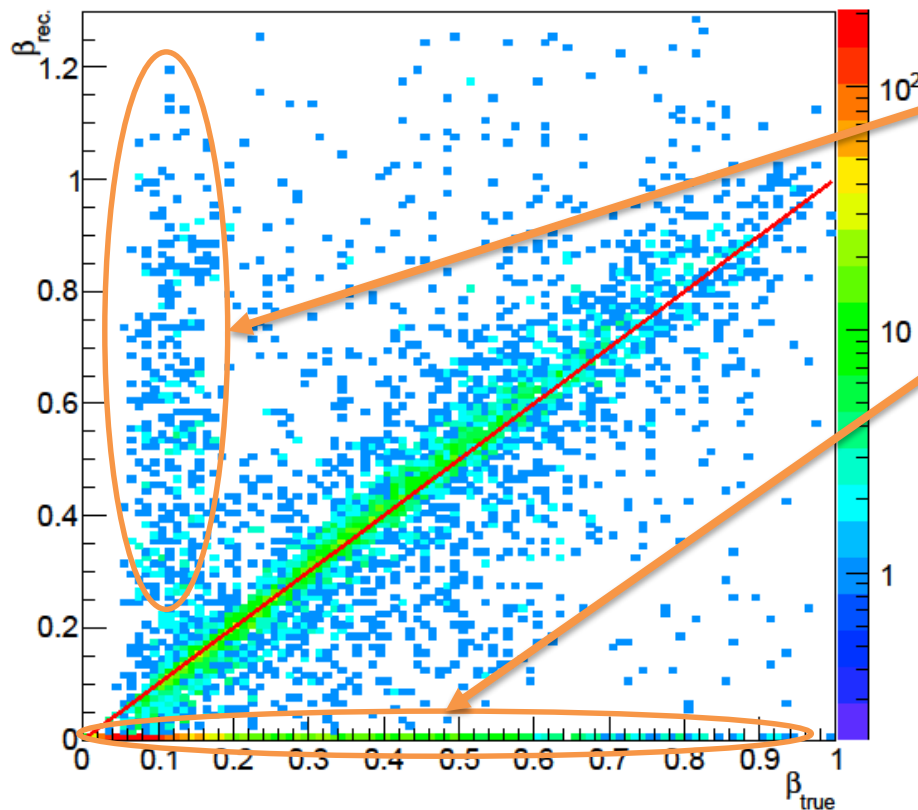
# Time of Flight (ToF) technique

- In the STT
  - because of the very low threshold, one hit is usually sufficient to overcome the threshold
  - $t_{reco}$  is the time corresponding to the first hit detected
- In the calorimeter
  - several hits are needed to deposit a sufficiently high energy and overcome the threshold
  - the time of each hit is weighted with the corresponding energy deposition
  - the time of an event in the cell is the weighted average of the times of the hits in the cell
  - $t_{reco}$  is the time of the first cell above the threshold



# $\beta$ reconstruction in STT

Reconstructed vs true  $\beta$  (STT)



Due to the initial neutron spectrum, which is highly populated around  $\beta = 0.1$

Due to neutron multiple scattering before detection

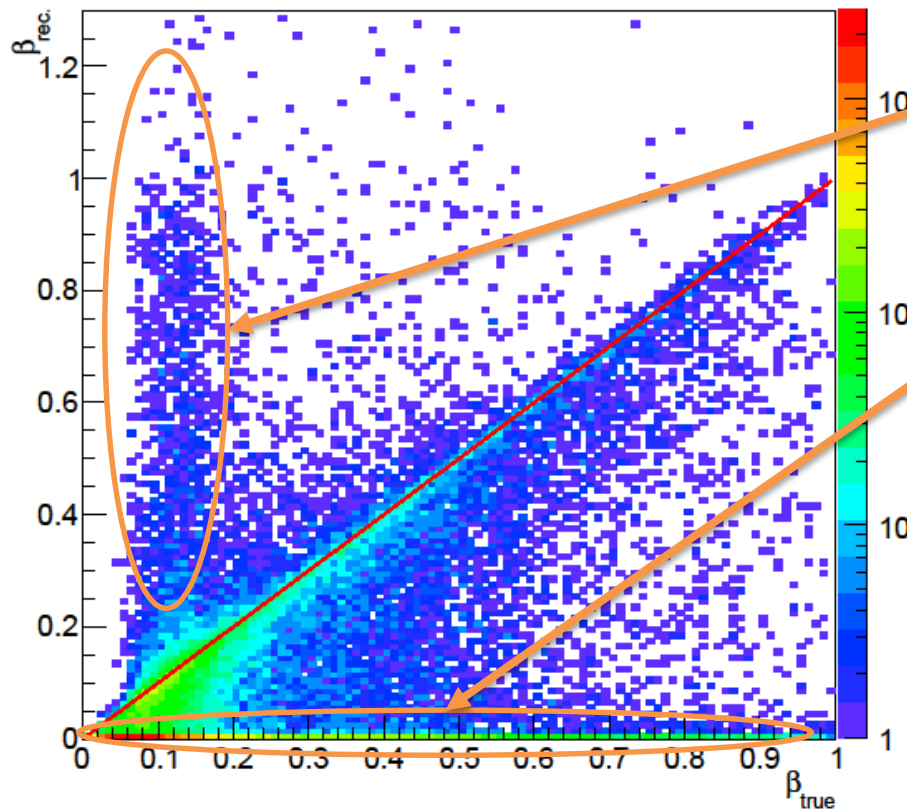
**Energy threshold: 250 eV**

**Time resolution: 800 ps**

**Efficiency: 17%**

# $\beta$ reconstruction in the calorimeter

Reconstructed vs true  $\beta$  (calorimeter)



Due to the initial neutron spectrum, which is highly populated around  $\beta = 0.1$

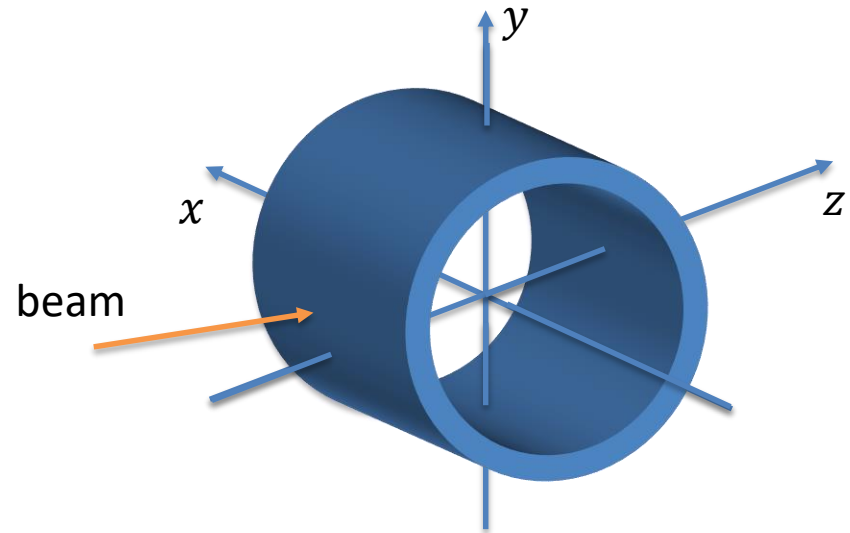
Due to neutron multiple scattering before detection

**Energy threshold: 100 keV**

**Time resolution: 260 ps**

**Efficiency: 55%**

# Neutron signals in the calorimeter



Let me use this notation:

$(x_0, y_0, z_0)$ : point used to calculate  $\beta_{reco}$

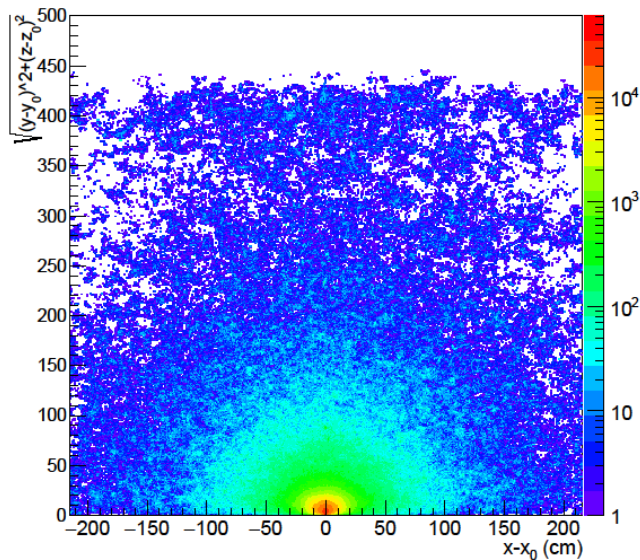
$x$ : coordinate along the symmetry axis

$y, z$ : coordinates on a plane  $\perp$  to the symmetry axis

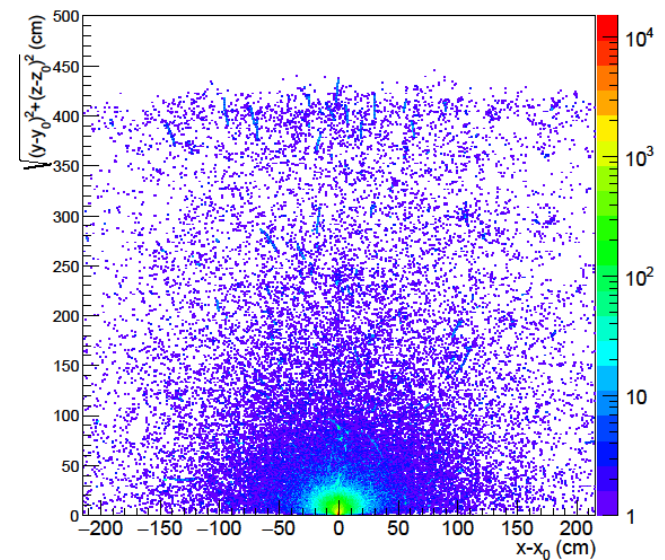
# Neutron signals in the calorimeter

Number of hits as a function of  $x - x_0$  and  $\sqrt{(y - y_0)^2 + (z - z_0)^2}$

No threshold

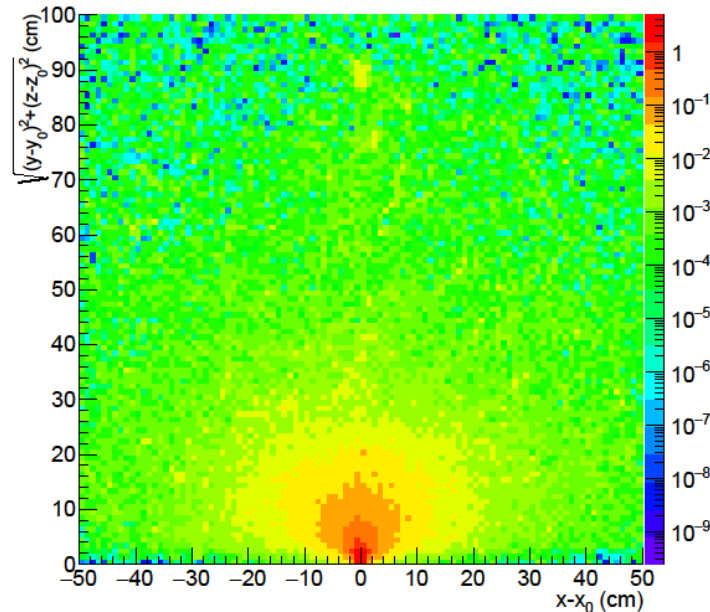


$E_{dep} > 50$  keV

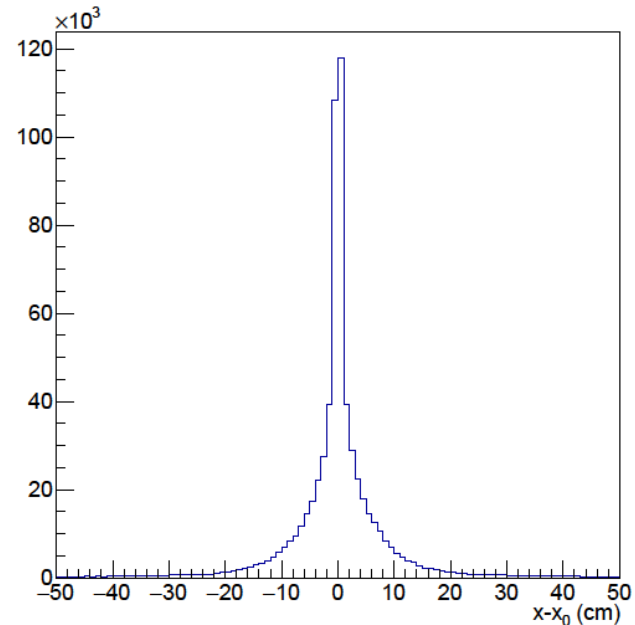


# Neutron signals in the calorimeter

13 cells involved on average, but only 1 or 2 above threshold



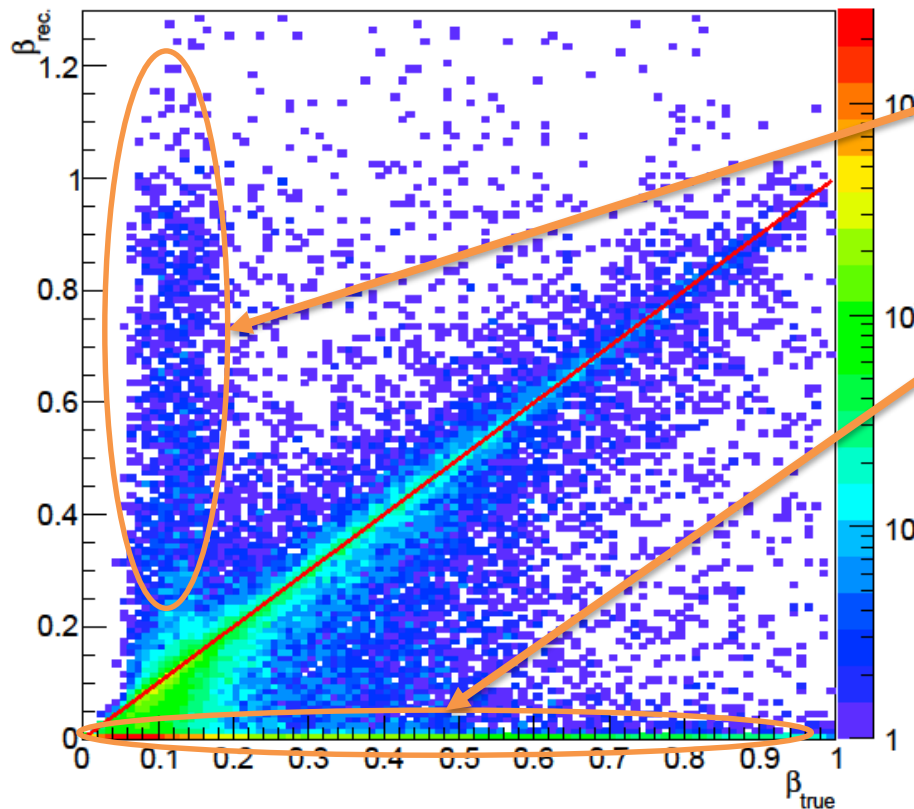
Sum of the energy deposited in all of the detected events, as a function of  $x - x_0$  and  $\sqrt{(y - y_0)^2 + (z - z_0)^2}$



Distribution of hits belonging to detected neutrons in a single cell, as a function of  $x - x_0$

# $\beta$ reconstruction (combination)

Reconstructed vs true  $\beta$



Due to the initial neutron spectrum, which is highly populated around  $\beta = 0.1$

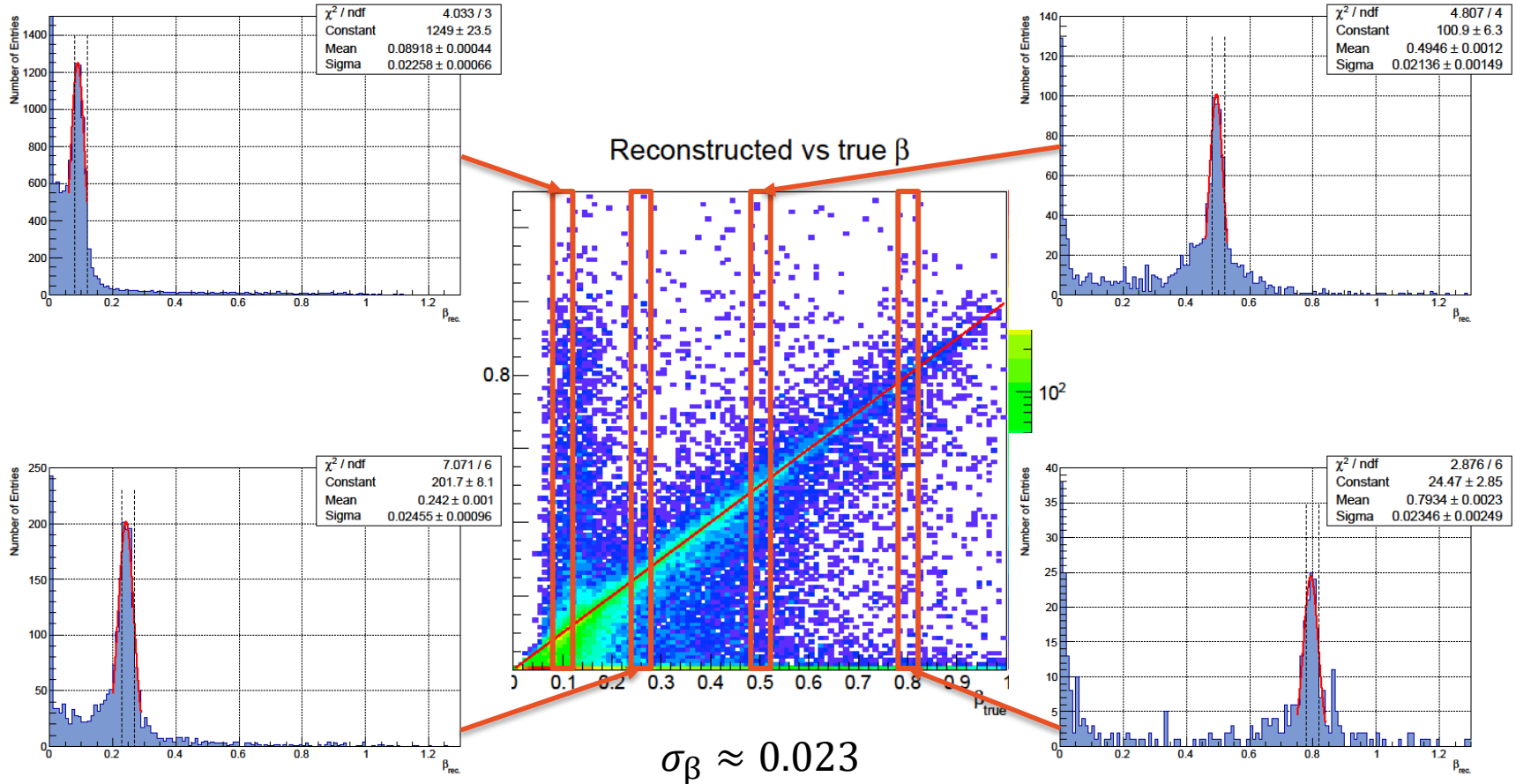
Due to neutron multiple scattering before detection

**Energy threshold:** STT: 250 eV  
Calorimeter: 100 keV

**Time resolution:** STT: 800 ps  
Calorimeter: 260 ps

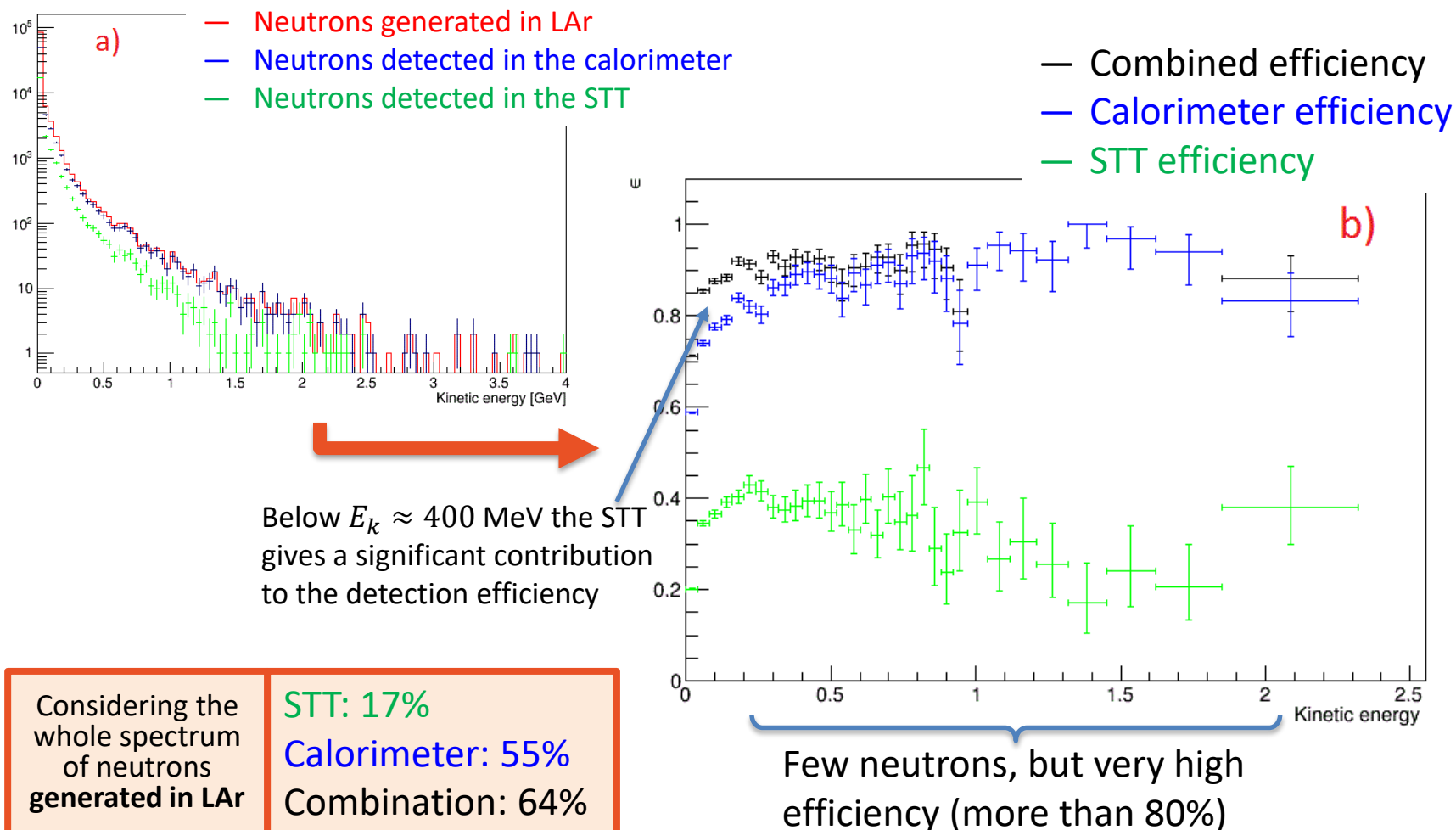
**Efficiency: 64%** STT: 17%  
Calorimeter: 55%

# Sections of $\beta_{reco}$ vs $\beta_{true}$ @ different $\beta_{true}$



$\frac{\beta_{reco} - \beta_{true}}{\beta_{true}} < 0.30$  for 27% of the neutrons generated in  $\nu$  interactions in LAr  
 (or for 60% of the neutrons with  $\beta_{reco} > 0.01$ )

# Neutron detection efficiency





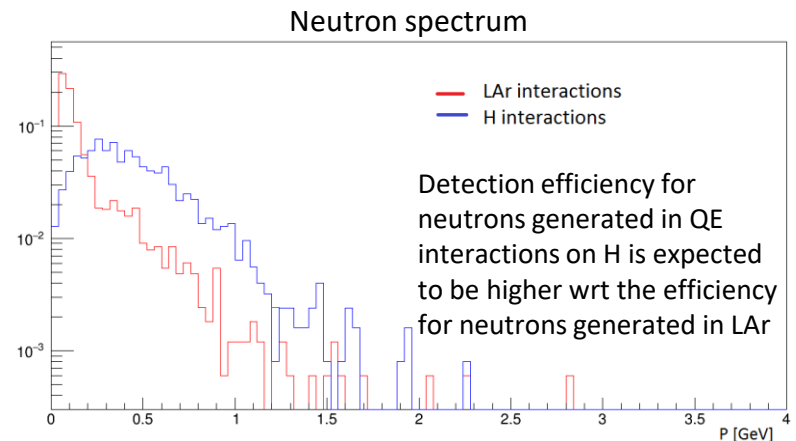
# Conclusions

## Present results

- Real calorimeter simulation, including
  - geometry
  - segmentation
  - time resolution
- Neutron  $\beta$  reconstruction in
  - STT
  - calorimeter
  - combination of the 2
- Basic topology

## Outlook

- Calorimetric reconstruction
- Particle ID with the calorimeter
- Interactions on H
- ...



# Thanks for your attention!

...any questions?

# Backup

# Time of Flight (ToF) technique

- Distance of the hit from the PMTs:
  - $d_1$  PMT #1
  - $d_2$  PMT #2
- Speed of light in the fiber:
  - $v_f$
- Time resolution:
  - $t_{res}$
- Detection times for the couple of PMTs looking at the cell:
  - $t_1$  PMT #1
  - $t_2$  PMT #2
- Vertex known:
  - $t_v = 0$
  - $(x_v, y_v, z_v)$  assumed known
- **Reconstructed detection time (calo)**  $\longrightarrow$ 
  - $t_{reco} = \frac{1}{2} \left( t_1 + t_2 - \frac{d_1 + d_2}{v_f} \right) + t_{res}$

- Kinetic energy is given by
$$E_{kin} = m_n(\gamma - 1)c^2$$
$$= m_n \left( \frac{1}{\sqrt{1 - \beta^2}} - 1 \right) c^2$$
- Measuring  $\beta$  it is possible to calculate  $E_{kin}$
- Measurement of  $\beta$ :
  - $(x_0, y_0, z_0)$  point used to calculate  $\beta$
  - $\beta = \frac{\sqrt{(x_0 - x_v)^2 + (y_0 - y_v)^2 + (z_0 - z_v)^2}}{c t_{reco}}$

Energy weighting:

$$t_{reco}^{cell} = 1/E_{cell} \sum_i t_{reco}^i E_i$$