Sigle photons rate Arapuca detectors

Dante Totani Fermilab, University of L'Aquila June 6th, 2019

 \cdot Run 7307: E filed = 500 kV/cm (standard).

- •External trigger driven by CRT.
- •Window before the trigger point: first 700 ticks (4.66 μ *S*).

Average waveform Arapuca Ch 264

Arapuca module in protoDUNE

ARAPUCA Cell #

Correlated vs uncorrelated photons

Thanks to their granularity, an Arapuca module can distinguish correlated photons from uncorrelated ones for each event (event = single trigger)

$n_{sum} = n_{tot}$	$n_{sum} = N \cdot n_{tot}$		
$n_{tot} = 2$	$n_{sum} = \sum n_i = 2$	$n_{tot} = 1$	$n_{sum} = \sum n_{sum}$
$n_{2,4} = 0$	$n_{1,3} = 1$	$n_{1,2,3,4} = 1$	
n_{max}	n_{max}	n_{max}	

$$
n_{sum} = N \cdot n_{tot}
$$

Time

Example of events

Three single photons in three Arapuca, all uncorrelated

Three signals (probably on due to 1 Ph and two due to2Ph) in three Arapuca correlated, plus one unrelated

The time window used to assume two peak correlated is about 50 ns. (Actually it is 7 ADU = 7x6.66 ns)

NB: In order to manage the pictures, the waveforms in this plots have 10 times less timing resolution of the ones used in the analysis

Coincidence window width

The coincidence window width is determinate taking into account two points:

● Total rate vs \sum (single cell rate)

For the run used we have:

• Single photon poisson distribution

used we have:

\ncell rate before cut = 597 kHz

\nRate tot before cut = 509 kHz

\n
$$
\Delta \sim 91 kHz
$$

\n- $$
\sum
$$
 single cell rate after cut = 486 kHz
\n- \sum Rate tot after cut = 488 kHz
\n

• \sum single cell rate before cut = 597 kHz

$$
\boxed{\Delta \sim 2 \text{ kHz}}
$$

Passing from a total of 23103 event, to 20949 event after the cut.

 $(\Delta = 2154 \rightarrow 9\% \text{ of correlated events})$

Single cell rate after cut:

Cell n 0 Rate: 37.7 kHz Cell n 1 Rate: 42.4 kHz Cell n 2 Rate: 42.1 kHz Cell n 3 Rate: 40.2 kHz Cell n 4 Rate: 32.2 kHz Cell n 5 Rate: 29.4 kHz Cell n 6 Rate: 32.4 kHz Cell n 7 Rate: 37.2 kHz Cell n 8 Rate: 50.2 kHz Cell n 9 Rate: 58.0 kHz Cell n 10 Rate: 57.5 kHz Cell n 11 Rate: 26.8 kHz

Poisson distribution vs photons distribution

The second way to estimate the goodness of the window width is to compare the distribution of the numbers of cells fired in each event before and after the cut with a Poisson distribution.

In the lower plot a log(y) scale is used to show better what happens for the correlated events.

Single photons distribution: after pulses and cross talks

The two avalanches peak is expected since after pulses and cross talks.

The average number of avalanches is compatible with a single photon detected using the after pulses and cross talks estimation made in the LED test.

Two independent single photons fire the same cell

There is a probability that a cell is fired in the same event by two or more single photons, but with the rate we have, that probability is very low

$$
P(n) = \frac{\lambda^n e^{-\lambda}}{n!}
$$

 $\lambda = Rate \cdot \Delta T$

Correction to single photons distribution considering the probability of two or more independent photons fire the same cell in a single acquisition

Average number of photons detected