

UNCOVERING NEW-PHYSICS SIGNALS IN NUCLEONS AND NUCLEI WITH LATTICE QCD

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LATTICE QCD TOUCHES ON ALMOST ALL AREAS OF HEP

Parton distribution functions Hadronic contributions to muon g-2 Credit: See A. Kronfeld's talk on C. Lehner lattice QCD for precision flavor physics. Credit: Z. Meziani $(a_{\mu}^{SM} - a_{\mu}^{Exp}) \times 10^{10}$ **RPF** LATTICE GAUGE THEORY Light and Fundamental heavy flavor symmetries physics Dedicated parallel Hadron Neutrinosession on LGT for nucleus structure and EF **HEP** on Thursday spectroscopy Computation scattering morning 10:15-12:00. and algorithms Ouantum TF This talk concerns lattice QCD at the nucleon and nuclear frontiers /builtin.com towards datascience.com and more exploratory directions.

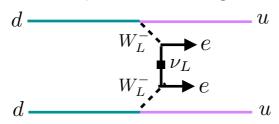
New strategies in computing and simulation, e.g., machine learning and quantum computing

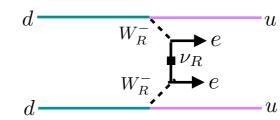
Neutrino-nucleus cross sections

GRAND PICTURE OF NEW PHYSICS DISCOVERY IN NUCLEON AND NUCLEI: EXAMPLE OF $0\nu\beta\beta$ decay



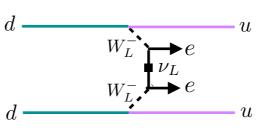
Start with your favorite high-scale model, e.g.:

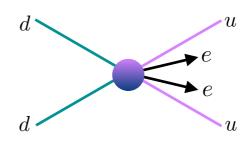






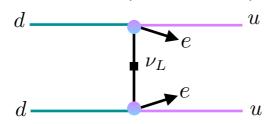
Run it down to the scale where the high-scale physics can be integrated out:

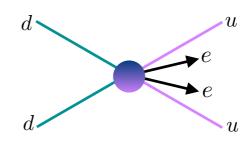






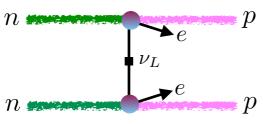
Run it down to perturbative quark-level matrix elements:

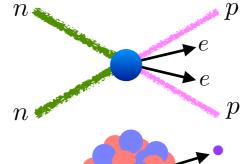






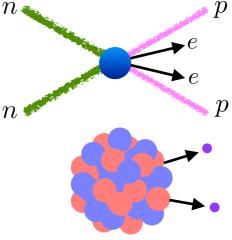
Run it down to the hadronic scale:



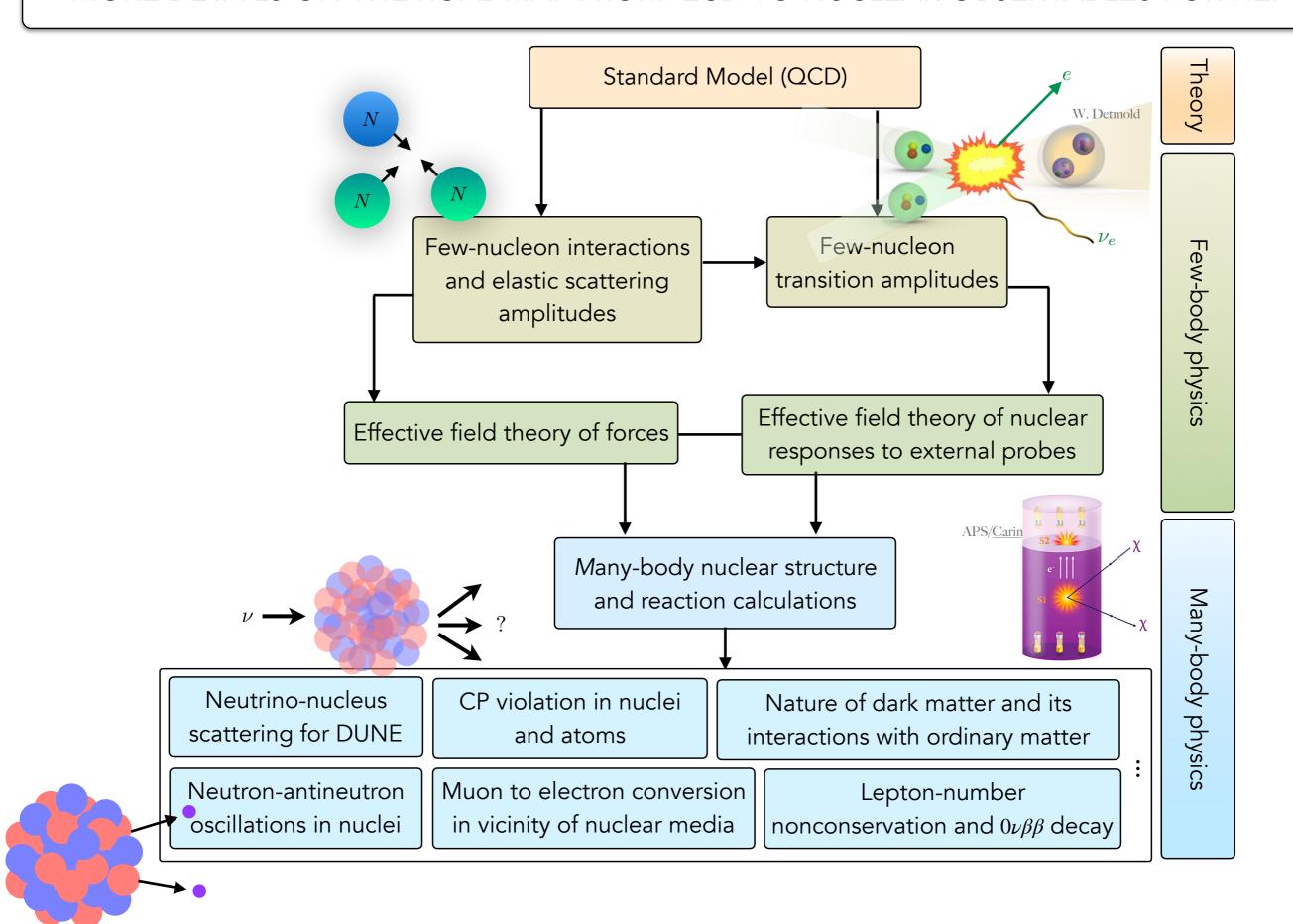


 $\Lambda < \mathrm{MeV}$

Use nuclear many-body calculation to match it to nuclear matrix elements:



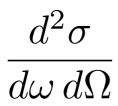
MORE DETAILS ON THE ROADMAP FROM QCD TO NUCLEAR OBSERVABLES FOR HEP



Physics	Target Quantity	Experiments
CP Violation and Neutrino Phenomenology	Neutrino-nucleus Scattering Cross Sections	DUNE, other Long-baseline Neutrino Experiments
Baryon Number Violation and Grand Unified Theories	Proton Decay Matrix Elements	DUNE, Hyper-Kamiokande
Baryon Number minus Lepton Number Violation	Neutron-antineutron Matrix Elements	ILL, ESS Super-K, DUNE and other reactors
Lepton Flavor Violation	Nucleon and Nuclei Form Factors	Mu2e, COMET
Lepton Number Violation	0vββ Matrix Elements	EXO, Tonne-scale 0 ν ββ
CP Violation and Baryon Asymmetry in Universe	Electric Dipole Moment	Hg, Ra, <i>n</i> EDM at SNS and LANL
Dark Matter and New Physics Searches	Nucleon and Nuclei Form Factors	Dark Matter Experiments, Precision Measurements

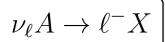
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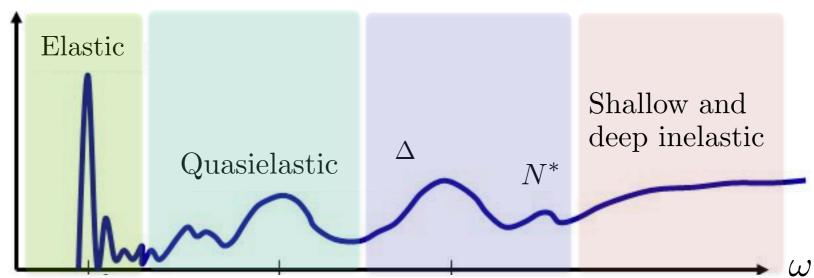
At DUNE, one needs to constrain nuclear response to incoming neutrino of various energy. How can lattice QCD help?



Transition amplitudes including multi-particle and resonant final states

v-nucleus scattering at a fixed momentum transfer





Forward form Confactors, radii form

Off-forward form factors

Parton distribution functions, hadron tensor

Need to compute various matrix elements in nucleon, multi-hadron states, and (light) nuclei:

$$\langle f|J_{\nu}|i\rangle, \qquad \langle f|J_{\mu}^{\dagger}J_{\nu}|i\rangle, \qquad \langle f|\mathcal{O}|i\rangle$$

and resort to EFTs to connect to large isotopes in experiments.

Kronfeld et al (USQCD), Eur.
Phys. J. A 55 (2019) 11, 196.

Ruso et al, arXiv:2203.09030 [hep-ph].

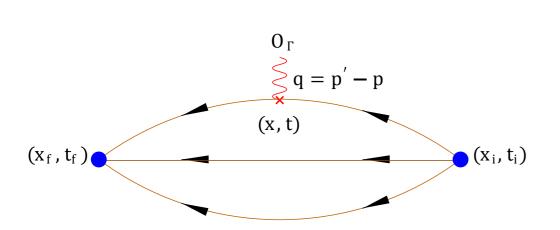
Example: Axial charge and form factors of the nucleon from lattice QCD

$$\langle N(p',s')|\overline{\psi(x)\gamma_{\mu}\gamma_{5}\psi(x)}|N(p,s)\rangle = i\left(\frac{m_{N}^{2}}{E_{N}(\mathbf{p}')E_{N}(\mathbf{p})}\right)^{1/2}\overline{u_{N}}(p',s')\left[G_{A}(q^{2})\gamma_{\mu}\gamma_{5} + \frac{q_{\mu}\gamma_{5}}{2m_{N}}G_{p}(q^{2})\right]u_{N}(p,s)$$

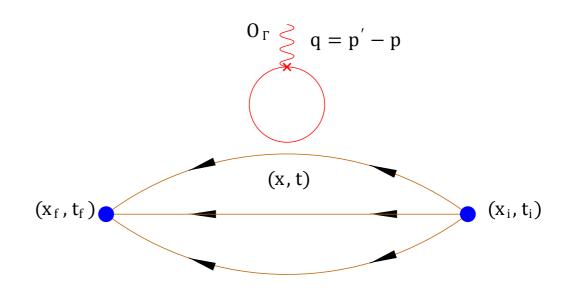
Axial-vector current

Nucleon spinor

Axial and pseudo scalar form factors $G_A(0)=g_A$



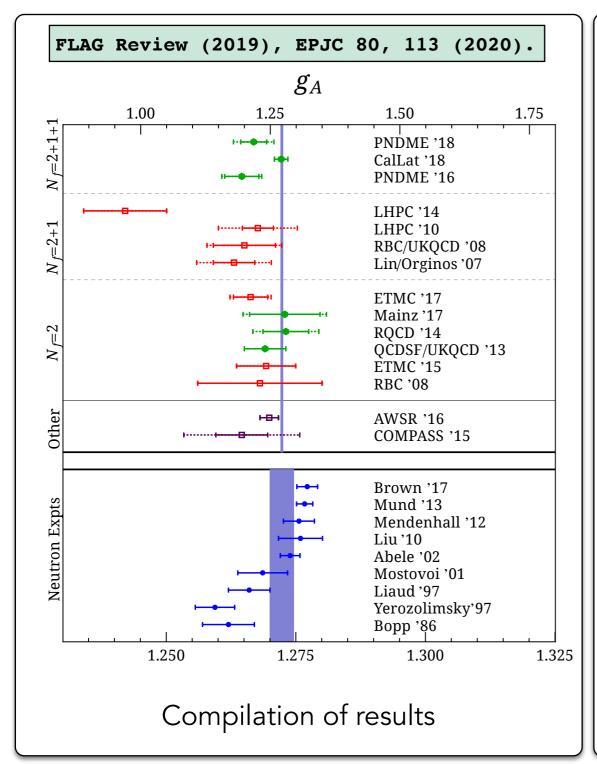
Connected contribution

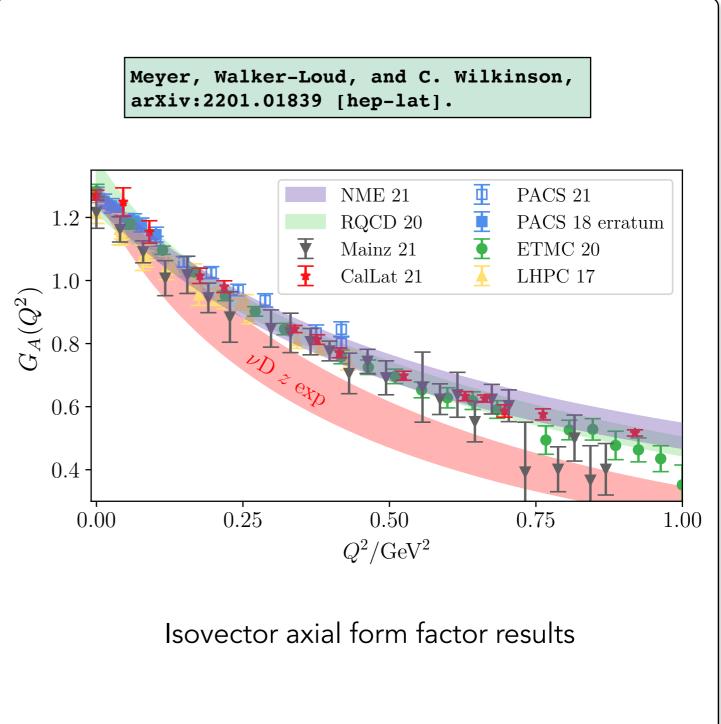


Disconnected contribution (vanishes at isospin limit for isovector quantities)

Constantinou, arXiv:1411.0078 [hep-lat].

Example: Axial charge and form factors of the nucleon from lattice QCD

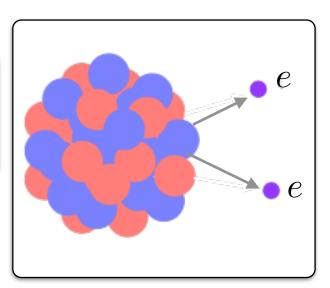




For the status and future of multi-hadron spectroscopy and transitions from lattice QCD, see: Bulava et al, arXiv: 2203.03230 [hep-lat].

For the status and future of parton distribution functions from lattice QCD, see: Constantinou et al, arXiv: 2202.07193 [hep-lat].

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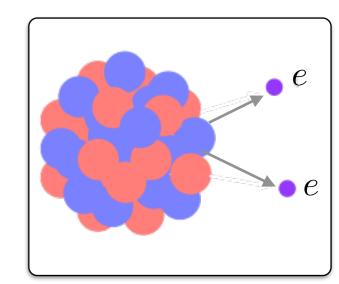
- Tonne-scale experiment planned in the U.S., design and interpretation of the results requires nuclear matrix elements in various scenarios.
- LNV from dimension-5 operator (light Majorana neutrino exchange)

$$\langle \pi^{+}|S_{NL}|\pi^{-}\rangle$$
, $\langle p\pi^{+}|S_{NL}|n\rangle$, $\langle pp|S_{NL}|nn\rangle$
 $S_{NL} = \int dx \, dy \, S_0(x-y) \, T\left(J_{\alpha}^{+}(x)J_{\beta}^{+}(y)\right) g^{\alpha\beta}$

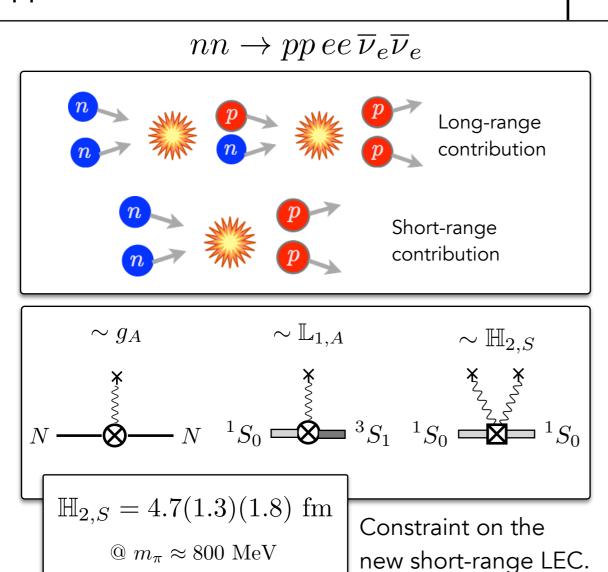
LNV from dimension-9 operators ("short-distance" mechanisms). Requires matrix elements of 4-quark charge-changing operators

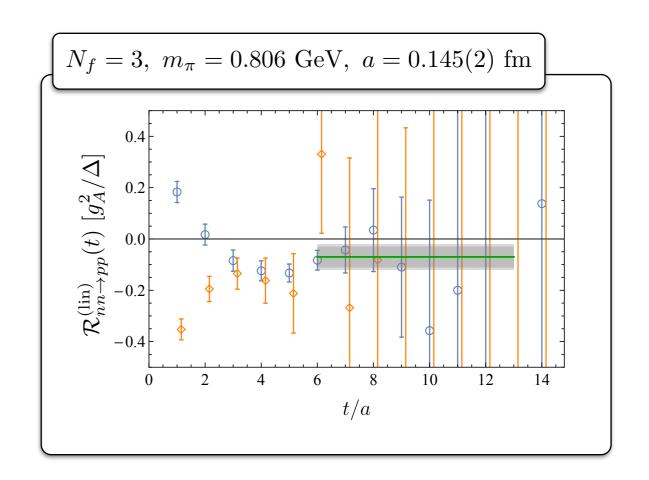
$$\langle \pi^+|O_i|\pi^-\rangle, \langle p\pi^+|O_i|n\rangle, \langle pp|O_i|nn\rangle$$

CURRENT STATUS

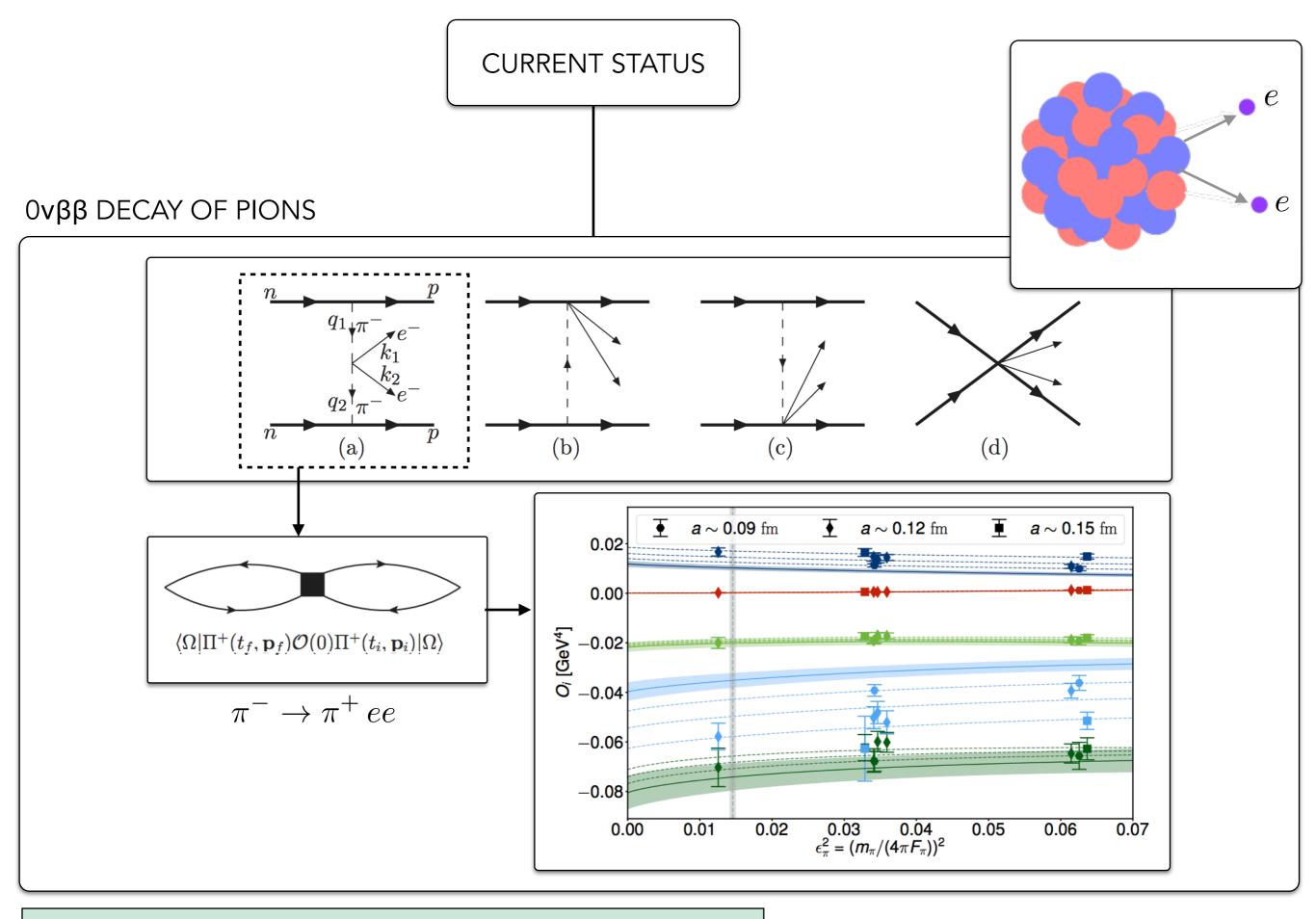


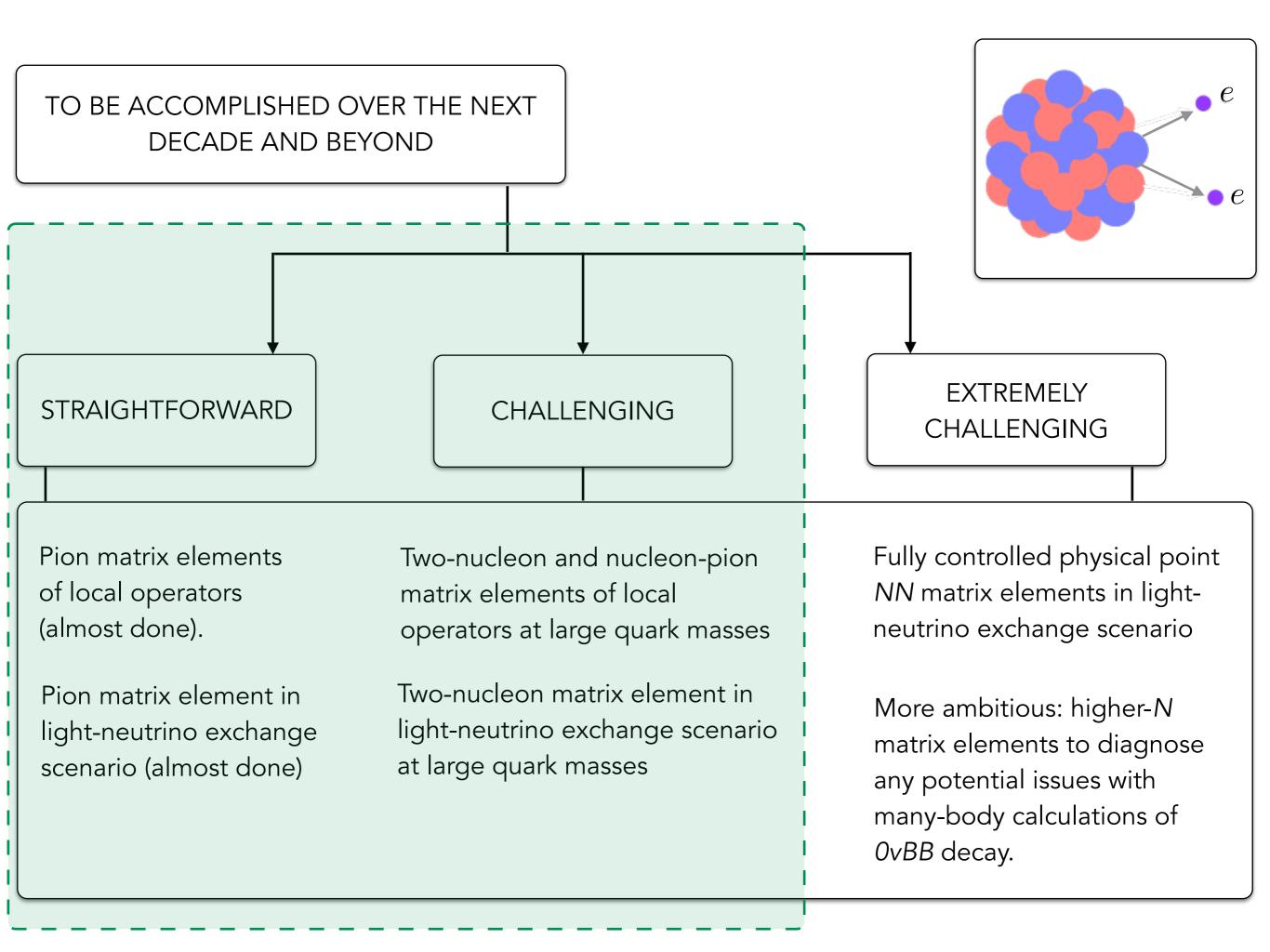
2vββ DECAY OF TWO NEUTRONS



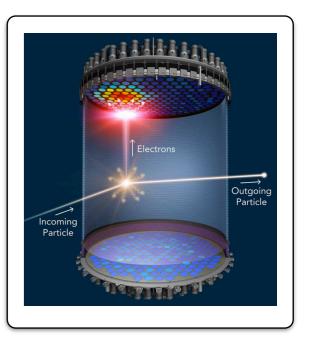


NPLQCD collaboration, Phys. Rev. Lett. 119, 062003 (2017), Phys. Rev. D 96, 054505 (2017). See also Feng et al, Phys. Rev. Lett. 122, 022001 (2019), and Detmold et al, arXiv:1811.05554 [hep-lat] for the $0\nu\beta\beta$ decay of the pion.

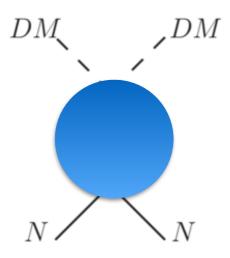




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CP Violation and Neutrino Phenomenology	Neutrino-nucleus Scattering Cross Sections	DUNE, other Long-baseline Neutrino Experiments
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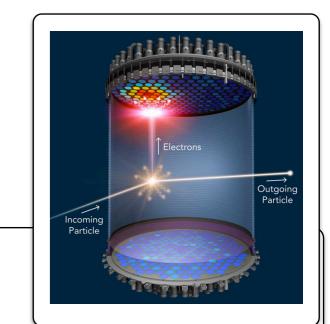


 Standard Model input is necessary to interpret the results of DM searches and translate these into limits on DM models.



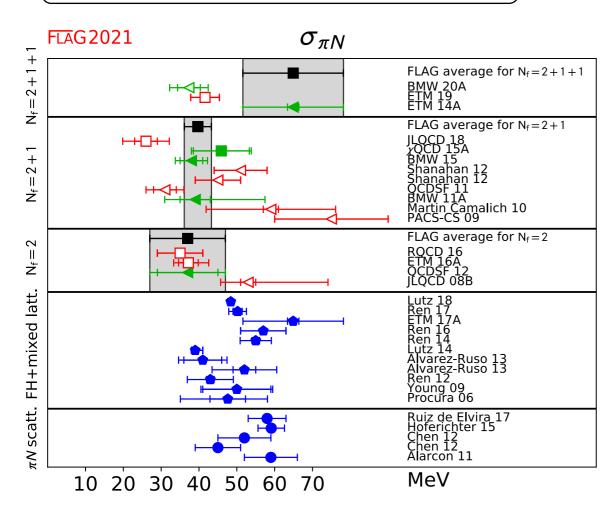
- The low-energy limit of a generic spinindependent interaction is scalar coupling to any quark flavor.
- Lattice QCD is the key tool to obtain the strange contributions.
- Spin-dependent couplings and other interactions require knowledge of parton structure of nuclei.

CURRENT STATUS

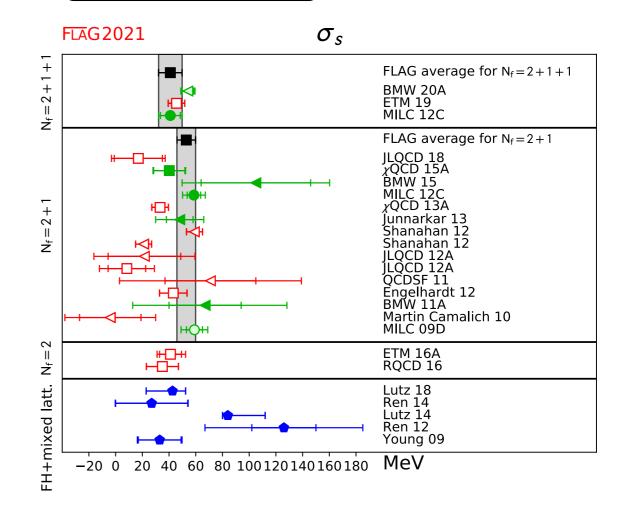


SIGMA TERMS IN NUCLEON

$$\sigma_{\pi N} = \frac{1}{2} (m_u + m_d) \langle N | \bar{u}u + \bar{d}d | N \rangle$$

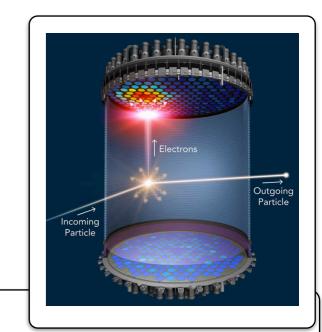


$$\sigma_s = m_s \langle N | \bar{s}s | N \rangle$$



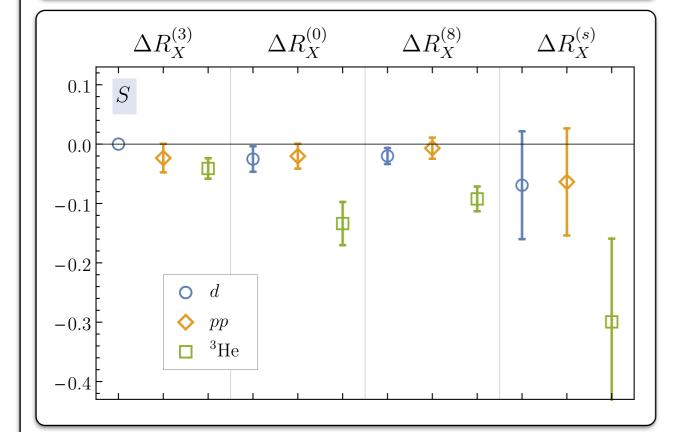
Aoki et al (Flavor Lattice Averaging Group), FLAG Review (2021).

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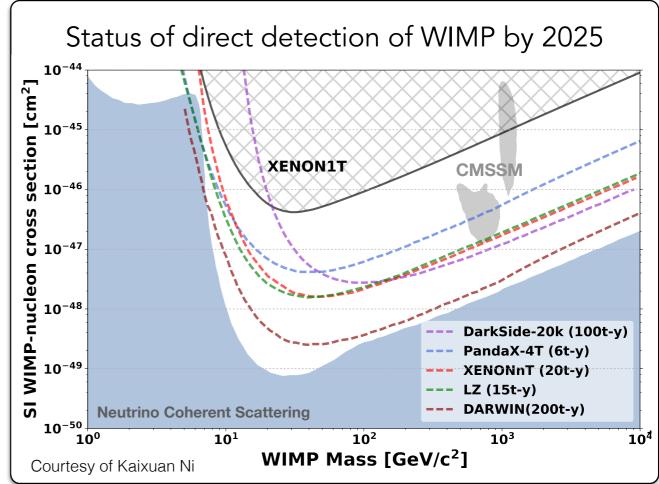


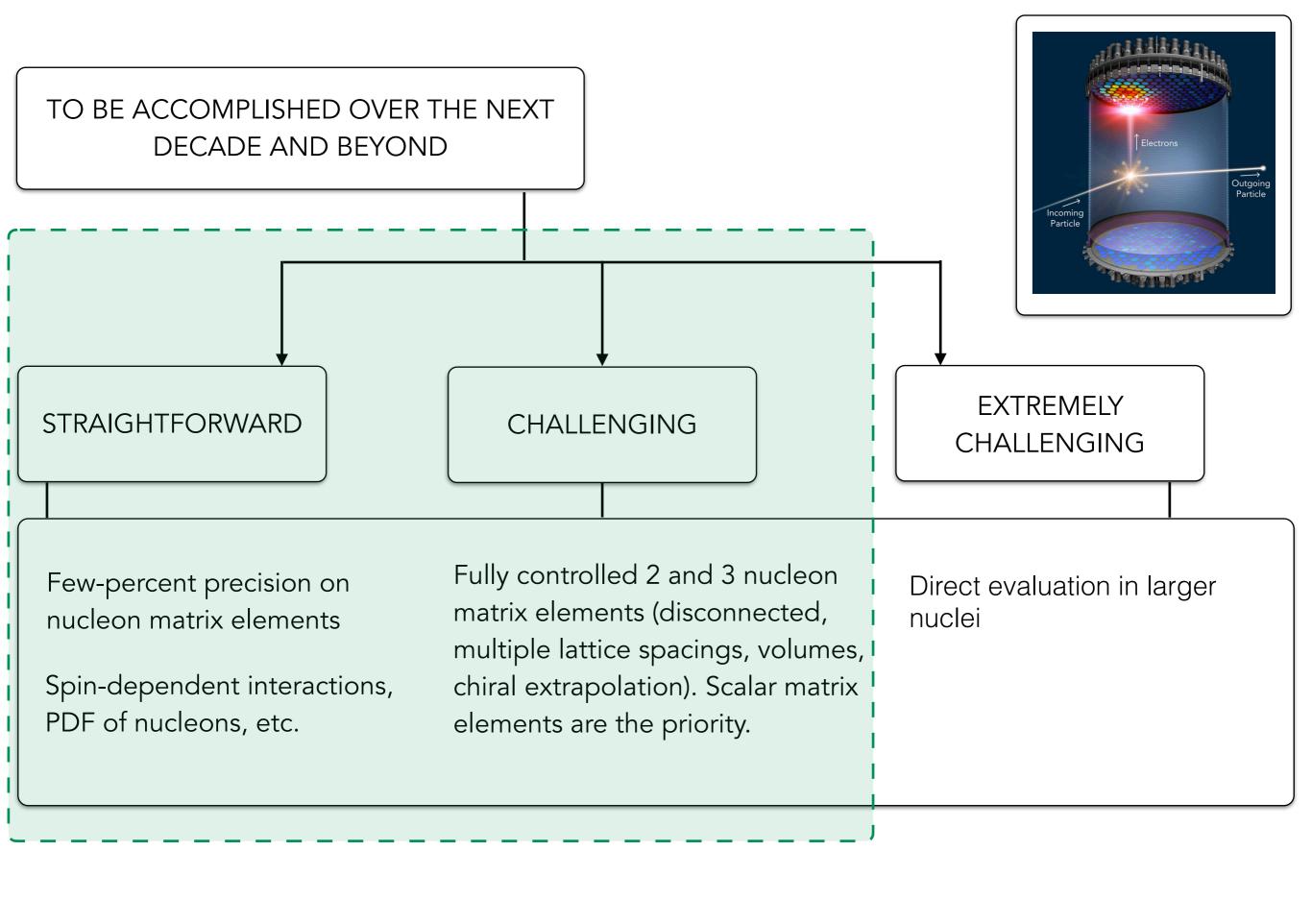
SCALAR RESPONSE OF LIGHT NUCLEI



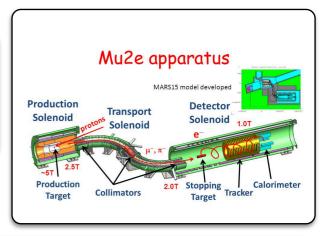


Chang et al (NPLQCD), Phys. Rev. Lett. 120, 152002 (2018).

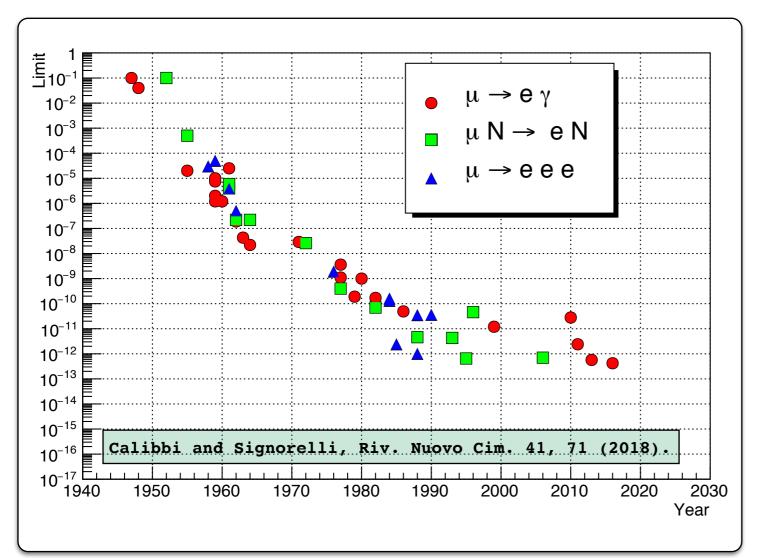


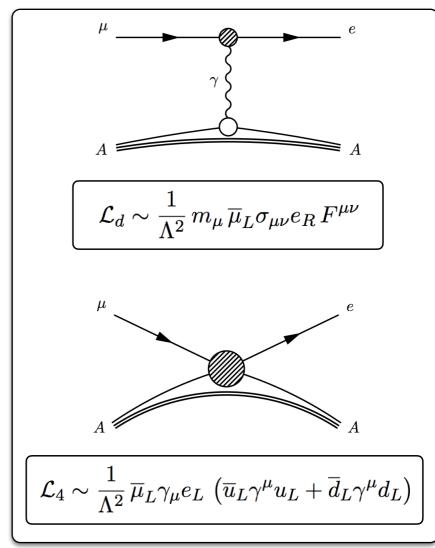


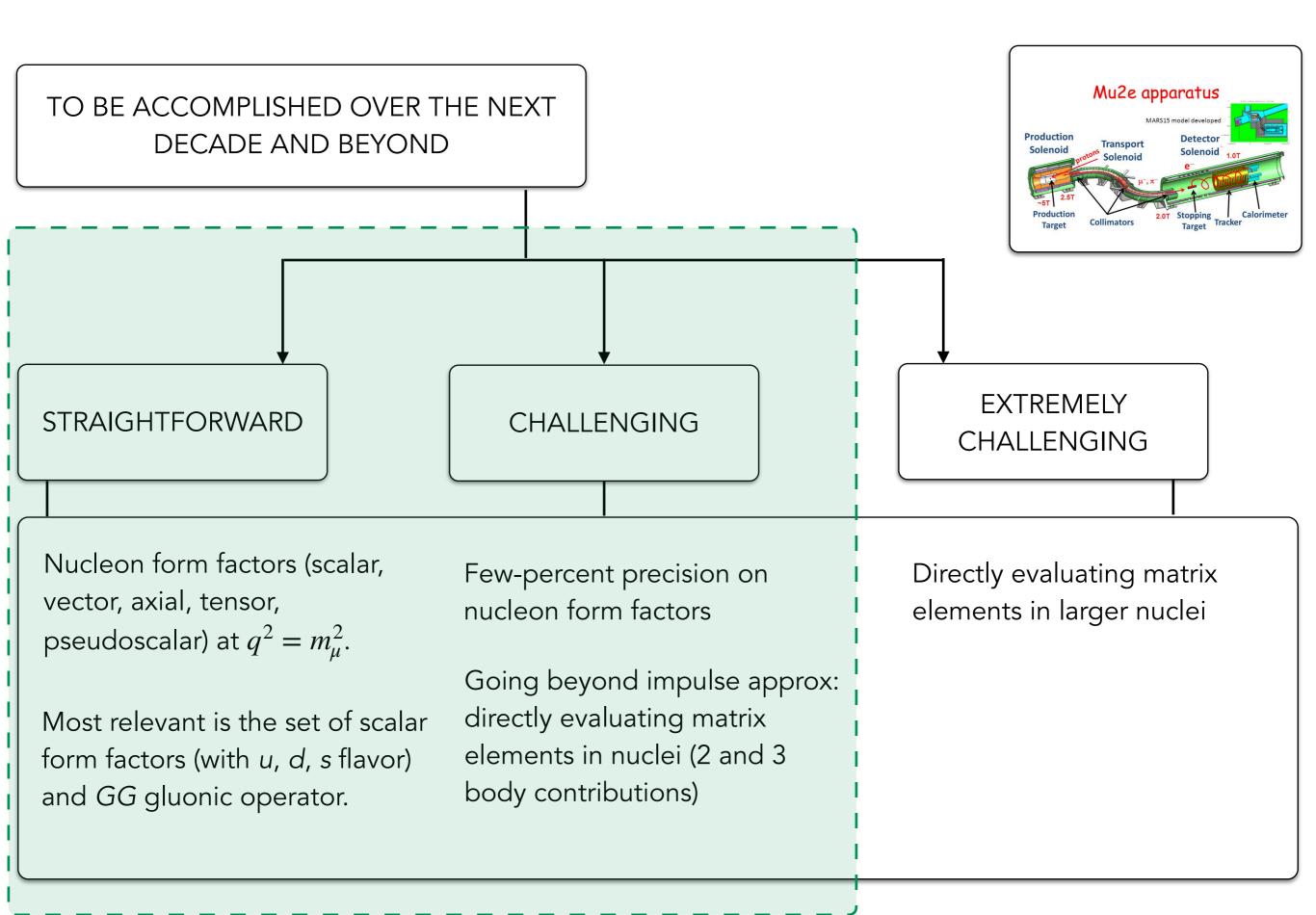
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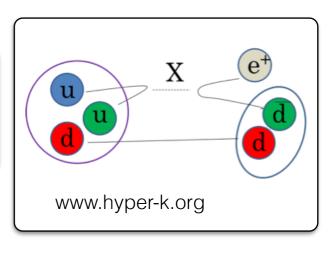
Reliable matrix elements will help establish pattern of LFV signatures in various decay channels depending on the underlying mechanism.







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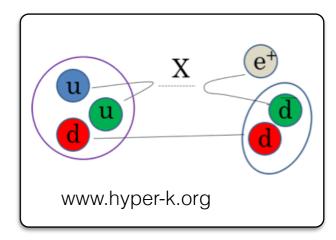


- GUT and SUSY-GUT constraints require $p \to \text{meson matrix}$ elements. Some models predict suppression of p decay matrix elements due to nonperturbative dynamics.
- Upcoming DUNE will examine $p \to K l \nu$ and $p \to \pi \pi e^+$ decays with better precision, future hyper-K will further improve p-decay constraints.

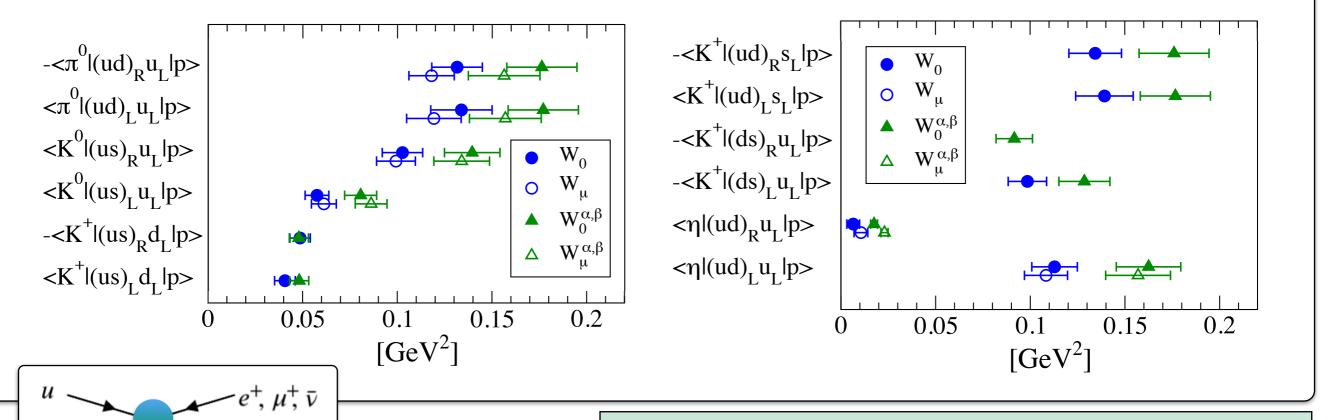
$$\langle \pi^{0} | \epsilon_{ijk}(u^{iT}CP_{R,L}d^{j})P_{L}u^{k}|p \rangle$$

 $\langle \pi^{+} | \epsilon_{ijk}(u^{iT}CP_{R,L}d^{j})P_{L}d^{k}|p \rangle$

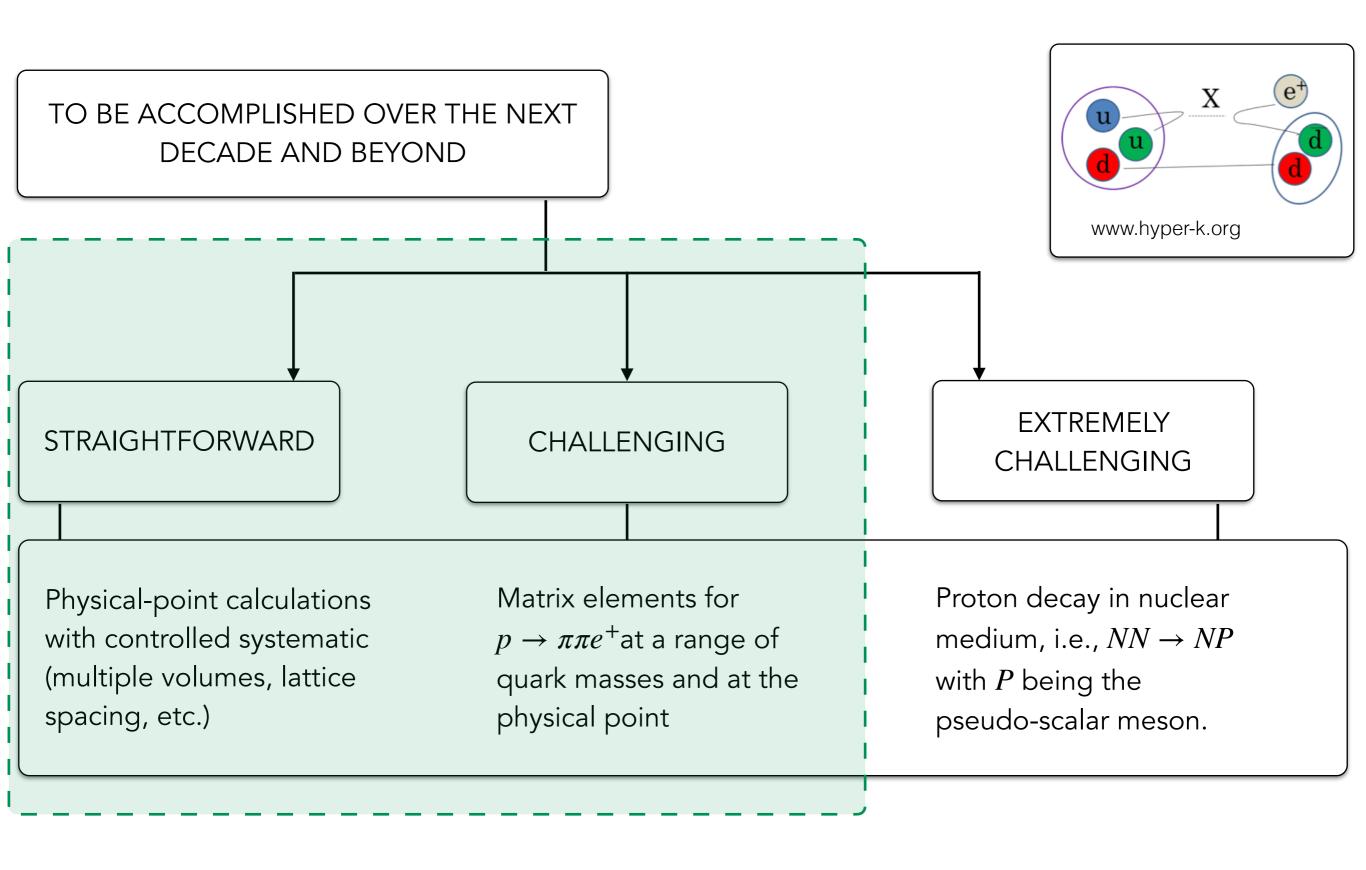
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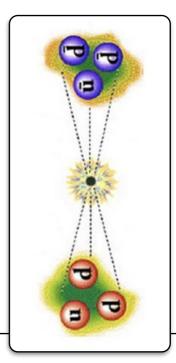
Form factors parametrizing the shown normalized matrix elements at given values of momentum transfer:



Y. Aoki et al (RBC-UKQCD), Phys. Rev. D 96, 014506 (2017).



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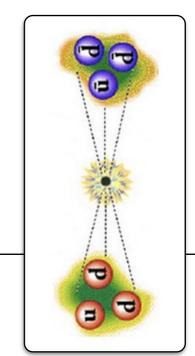


- Some models of B-L violation do not allow the proton decay, therefore, neutron-antineutron oscillation bounds can provide powerful constraints.
- Two types of experiments: slow neutron beams and oscillation in nuclear medium with a distinct 5-pion final state.

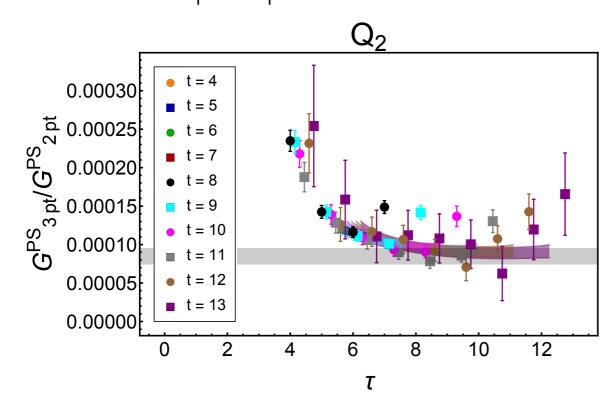
- Theoretical uncertainties in neutron beam expts easier to control. Bounds could be improved by a factor of 1000 in next experiments.
- Lattice QCD evaluates matrix elements of 6-quark operators that convert a neutron to an antineutron.

$$\frac{1}{\tau_{n\overline{n}}} = \delta m = c_{BSM}(\mu_{BSM}, \mu_{W}) c_{QCD}(\mu_{W}, \Lambda_{QCD}) \langle \overline{n} | \mathscr{O} | n \rangle$$

CURRENT STATUS

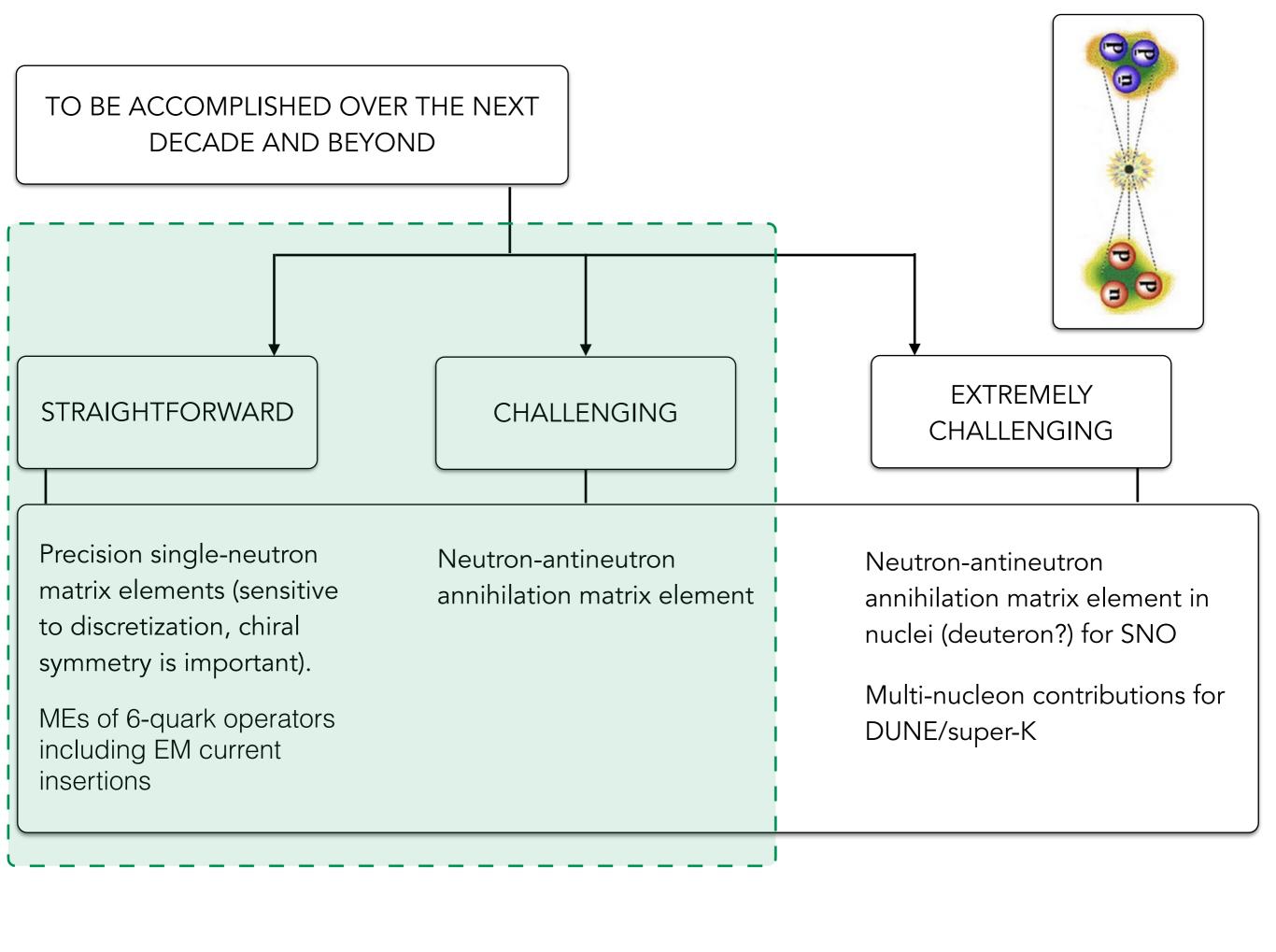


Normalized six-quark operators matrix elements obtained from lattice QCD at the physical point:

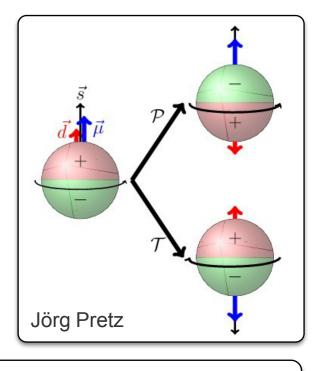


Operator	$\mathcal{M}_I^{\overline{ ext{MS}}}$	$\mathcal{M}_I^{\overline{ ext{MS}}}$	$oxed{ egin{array}{c} {\mathcal M}_I^{\overline{ m MS}} \ { m MIT \ bag \ A} \end{array} }$	$oxed{ egin{array}{c} {\mathcal{M}}_I^{\overline{ ext{MS}}} \ \overline{ ext{MIT bag B}} \end{array} }$
_	(2 GeV)	(700 TeV)	(2 GeV)	(2 GeV)
Q_1	-46(13)	-26(7)	4.2	5.2
Q_2	95(17)	144(26)	7.5	8.7
Q_3	-50(12)	-47(11)	5.1	6.1
Q_5	-1.06(48)	-0.23(10)	-0.8	1.6

Rinaldi et al., Phys. Rev. Lett. 122, 162001 (2019).

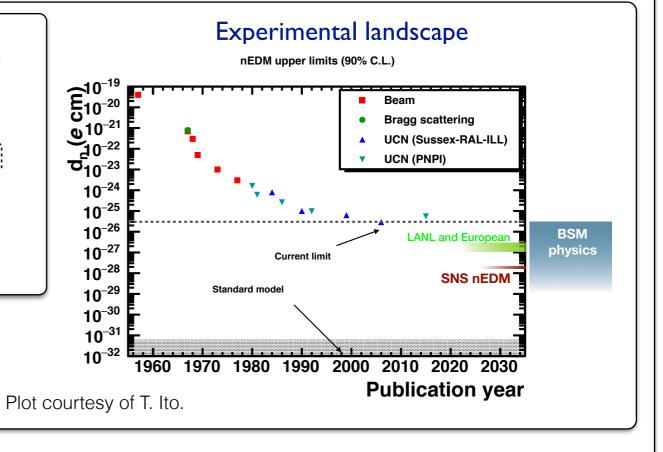


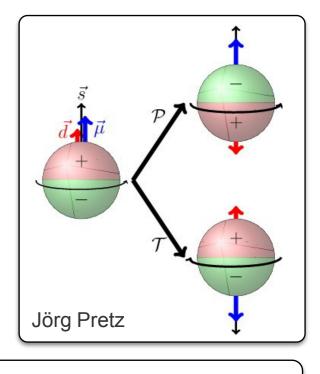
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- Permanent EDM of protons, neutrons and nuclei would be the best evidence for CP violation beyond the SM.
- Several neutron EDM
 experiments are planned
 (SNS and LANL in the U.S.),
 improving the limits by 2
 orders of magnitude.

	Current	SM
e	10^{-29}	10^{-38}
μ	10^{-19}	10^{-35}
au	10^{-16}	10^{-34}
n	10^{-26}	10^{-31}
p	10^{-23}	10^{-31}
^{199}Hg	10^{-29}	10^{-33}
^{129}Xe	10^{-27}	10^{-33}
$\frac{225}{Ra}$	10^{-23}	10^{-33}



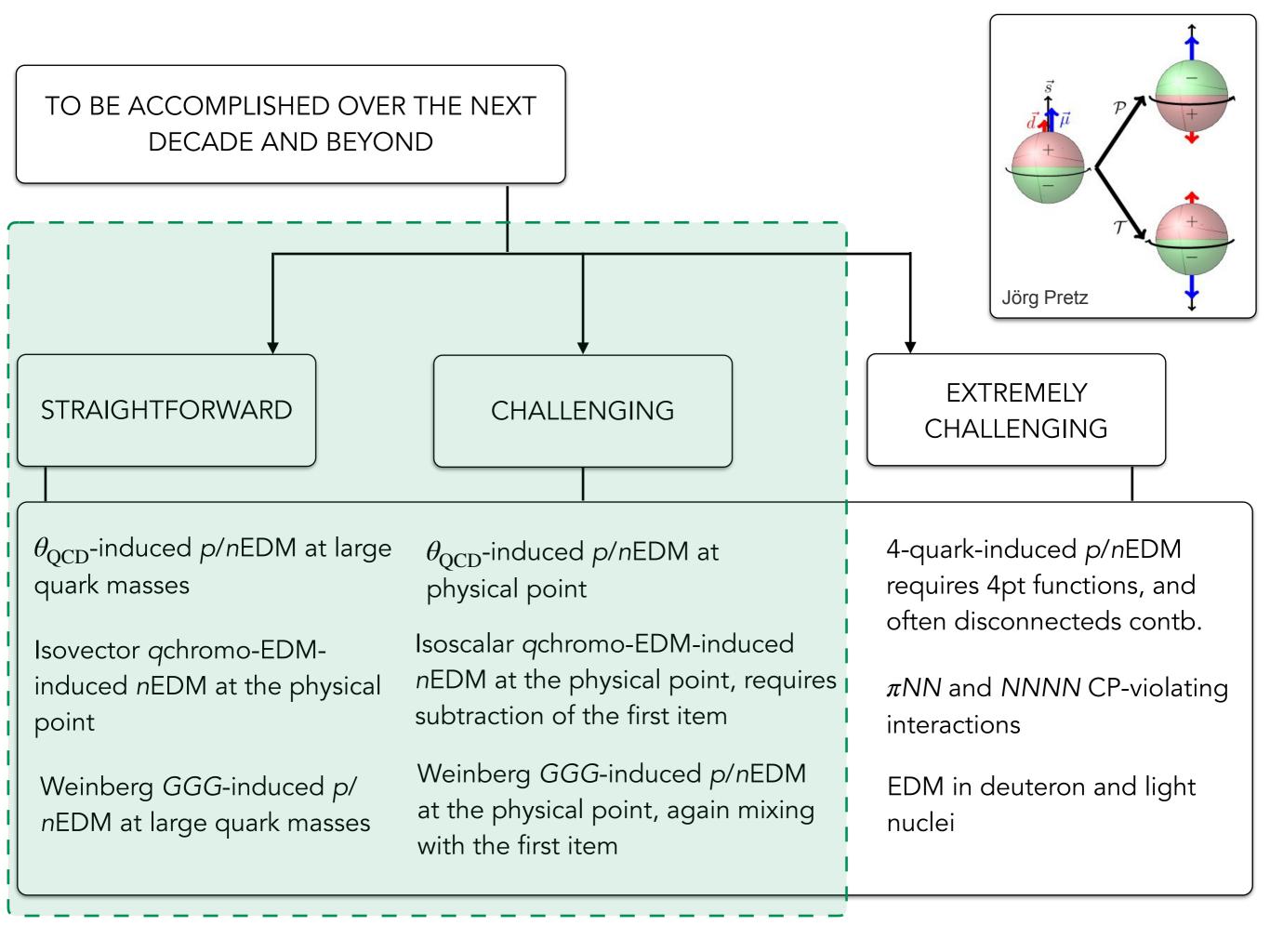


- Constraining BSM requires combining different non-zero EDM results and matching between nuclear-level EDM and quark/gluon effective CP violating operators.
- Quark EDM and tensor charges essentially done, more on isoscalar and strange/charm to be done. the rest of EDM contributions yet unconstrained.

$$\mathcal{L}_{6}^{CPV} = -\frac{i}{2} \sum_{f=e,u,d,s} \frac{\mathbf{d}_{f}}{\mathbf{f}} \bar{f} \sigma \cdot F \gamma_{5} f - \frac{i}{2} \sum_{q=u,d,s} \frac{\tilde{\mathbf{d}}_{q}}{\mathbf{d}_{q}} g_{s} \bar{q} \sigma \cdot G \gamma_{5} q + \frac{\mathbf{d}_{W}}{6} G \tilde{G} G + \sum_{i} \frac{C_{i}^{(4f)}}{C_{i}^{(4f)}} C_{i}^{(4f)}$$

See e.g., Bhattacharya et al, Phys. Rev. Lett. 115, 212002.

Alarcon et al, arXiv:2203.08103 [hep-ph]



EXPECTATIONS FOR THE NEXT DECADE

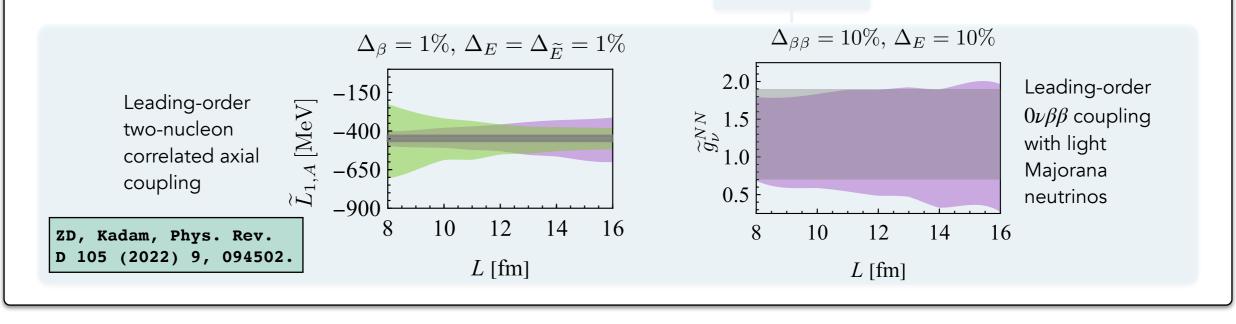
Category	Milestone	Target	Experiment(s)
		precision	
Nucleon	Nucleon g_A^{u-d}	1%*	Neutron lifetime puzzle
matrix	Nucleon g_T^{u-d}	1%	UCNB, Nab
elements	Nucleon g_S^{u-d}	3%	UCNB, Nab
	$\sigma_{\pi N},\sigma_s$	5%	Mu2e, LZ, CDMS
	Nucleon r_E , r_A	5%	DUNE, MicroBooNE, NOvA, T2K
	Nucleon $F_A(q^2)$	8%	DUNE, MicroBooNE, NOvA, T2K
	Nucleon tensor	20%	DUNE, MicroBooNE, NOvA, T2K
	Nucleon PDFs	12%*	ATLAS, CMS, DUNE, EIC expts
	Proton decay	10%	DUNE, HyperK
	nn o pp	50%*	EXO, other $0\nu\beta\beta$ experiments
G: 1 1	Nucleon EDM	10%*	Neutron, proton EDM experiments
Single-nucleon Multi-nucleon	$g_{A,T,S}, 1 < A \le 4$	20%*	All neutrino, DM, EDM,
Iviuiti-iiucicoli		Vronfold of	al USOCD Spormage whitenamer (2022)

Kronfeld at al, USQCD Snowmass whitepaper (2022).

EXPECTATIONS FOR THE NEXT DECADE

Category	Milestone	Target	Experiment(s)
		precision	
Nucleon	Nucleon g_A^{u-d}	1%*	Neutron lifetime puzzle
matrix	Nucleon g_T^{u-d}	1%	UCNB, Nab
elements	Nucleon g_S^{u-d}	3%	UCNB, Nab
	$\sigma_{\pi N},\sigma_s$	5%	Mu2e, LZ, CDMS
	Nucleon r_E , r_A	5%	DUNE, MicroBooNE, NOvA, T2K
	Nucleon $F_A(q^2)$	8%	DUNE, MicroBooNE, NOvA, T2K
	Nucleon tensor	20%	DUNE, MicroBooNE, NOvA, T2K
	Nucleon PDFs	12%*	ATLAS, CMS, DUNE, EIC expts
	Proton decay	10%	DUNE, HyperK
	nn o pp	50%*	EXO, other $0\nu\beta\beta$ experiments
Cin ala avrala su	Nucleon EDM	10%*	Neutron, proton EDM experiments
Single-nucleon Multi-nucleon	$g_{A,T,S}, 1 < A \le 4$	20%*	All neutrino, DM, EDM,
With-Hacicoli		Kronfeld at	t al, USQCD Snowmass whitepaper (2022).

Need more resource assessments and sensitivity analysis using synthetic data for nuclear matrix elements.



Three features make lattice QCD calculations of nuclei hard:

i) The complexity of systems grows rapidly with the number of quarks.

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Detmold and Orginos, Phys. Rev. D 87, 114512 (2013).
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See also: Detmold and Savage, Phys.Rev.D82 014511 (2010). Doi and Endres, Comput. Phys. Commun. 184 (2013) 117.

ii) Excitation energies of nuclei are much smaller than the QCD scale.

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Beane at al (NPLQCD), Phys.Rev.D79 114502 (2009).
Beane, Detmold, Orginos, Savage, Prog. Part. Nucl. Phys. 66 (2011).
Junnakar and Walker-Loud, Phys.Rev. D87 (2013) 114510.
Briceno, Dudek and Young, Rev. Mod. Phys. 90 025001.
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iii) There is a severe signal-to-noise degradation.

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Paris (1984) and Lepage (1989).
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Wagman and Savage, Phys. Rev. D 96, 114508 (2017). Wagman and Savage, arXiv:1704.07356 [hep-lat].

i) The complexity of systems grows rapidly with the number of quarks.

$$C(\mathbf{P};t) = \sum_{\mathbf{p}_1 + \mathbf{p}_2 = \mathbf{P}} \sum_{\mathbf{x}, \mathbf{y}} e^{i\mathbf{p}_1 \cdot \mathbf{x} + i\mathbf{p}_2 \cdot \mathbf{y}} \times \begin{pmatrix} N^{\dagger}(\mathbf{0}) & N^{\dagger}(\mathbf{0}) \\ N(\mathbf{y}) & N^{\dagger}(\mathbf{0}) \\ \tau = t & \tau = 0 \end{pmatrix}$$

Complexities of quark-level interpolating fields

Complexities of quark contractions

A quark-level nuclear interpolating field:

$$ar{\mathcal{N}}^h = \sum_{\mathbf{a}} w_h^{a_1,a_2\cdots a_{n_q}} ar{q}(a_1) ar{q}(a_2) \cdots ar{q}(a_{n_q})$$
 Naive weights

All possibilities for quark quantum numbers in the interpolating operator

which naively has $\frac{N!}{n_q!(N-n_q)!}$ terms! But many of the terms are zero by symmetries.

Detmold and Orginos (2013), Endres and Doi (2013).

Example: deuteron at a single site

Complexities of quark-level interpolating fields

Naively the number of quark contractions for a nucleus goes as:

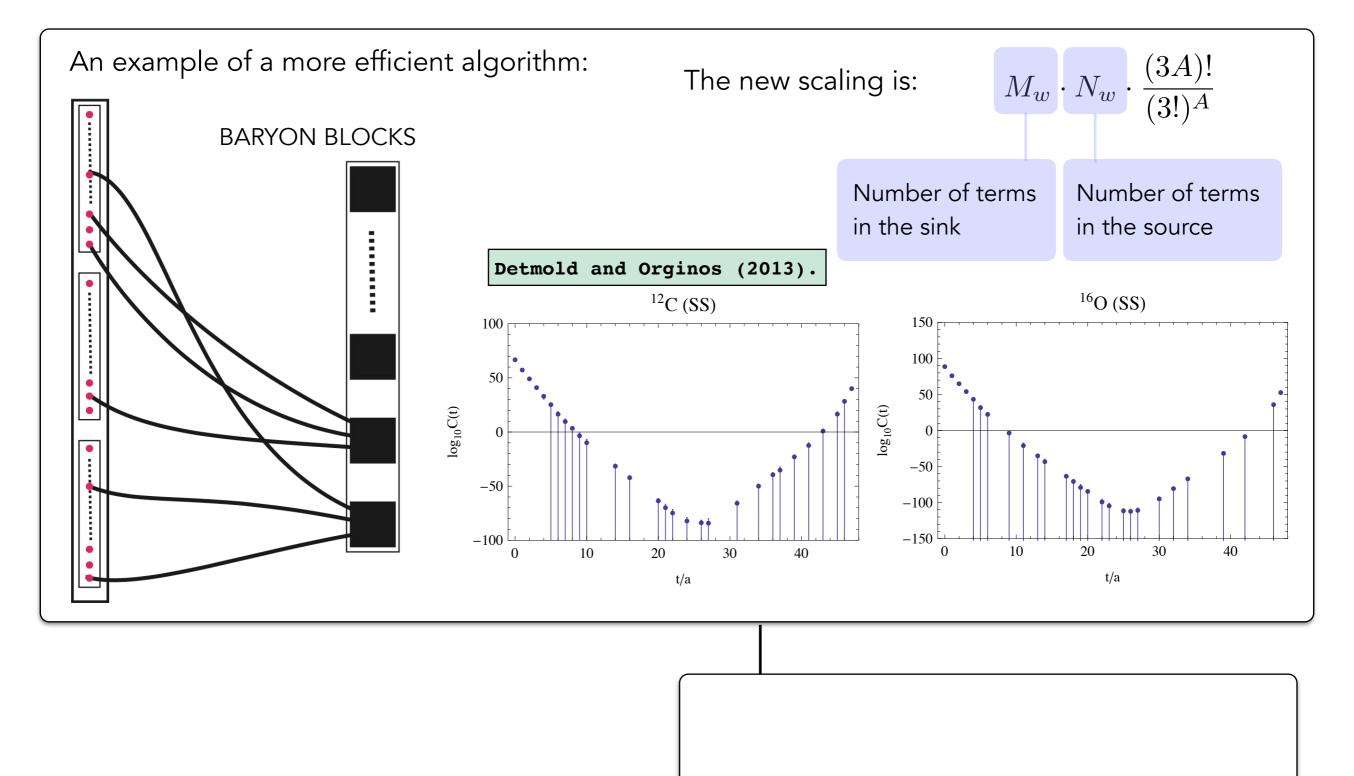
$$(2N_p + N_n)! (N_p + 2N_n)!$$

How bad is this?

Example: Consider radium-226 isotope. The number of contractions required is ~ $10^{1425}\,$

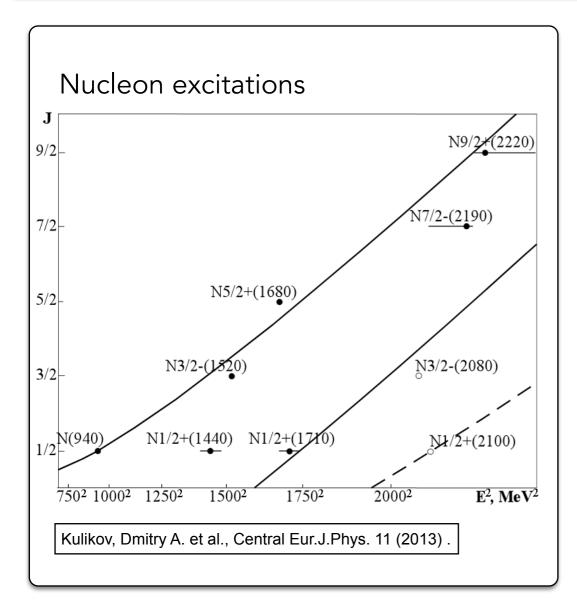


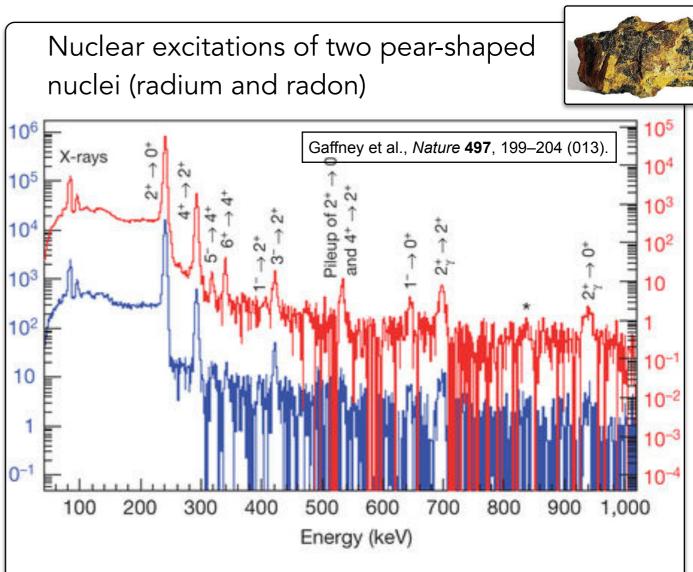
Complexities of quark contractions



Complexities of quark contractions

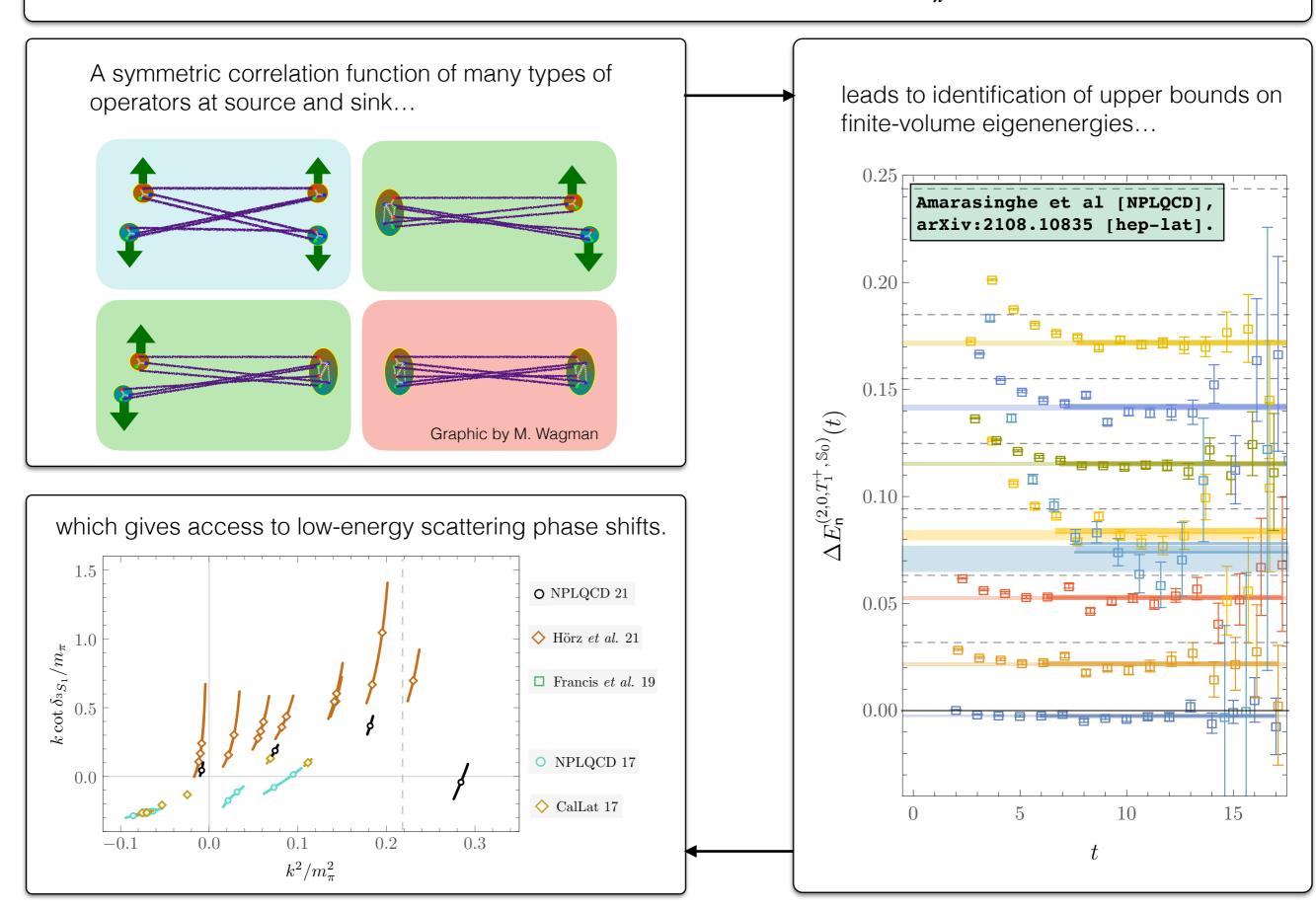
ii) Excitation energies of nuclei are much smaller than the QCD scale.



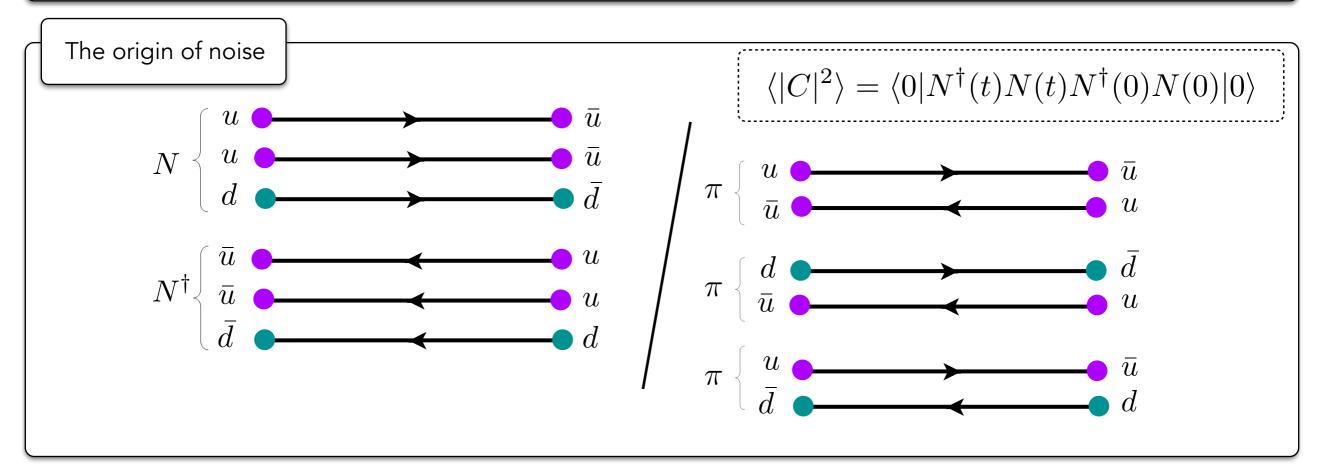


Getting radium directly from QCD will remain challenging for a long time! One should first compute A = 2, 3, 4 systems well. This is till not that easy: $B_d \approx 2 \text{ MeV}$!

The small excitation gaps require more sophisticated techniques to discern the spectrum, such as variational approaches with a large and diverse operator set. Example: Deuteron channel at $m_{\pi} \approx 800$ MeV.



iii) There is a severe signal-to-noise degradation.



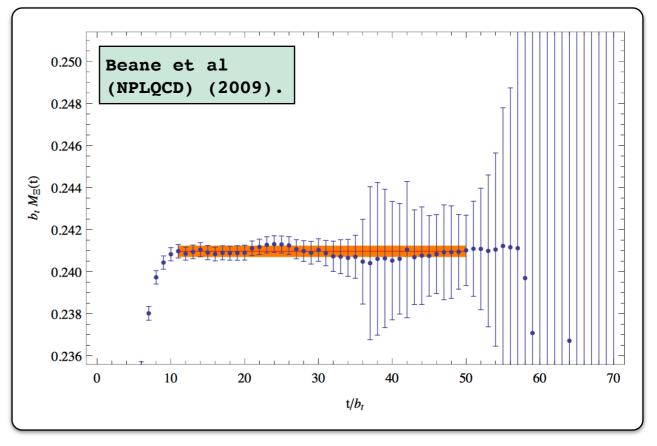
The ground-state of the variance correlator is three pions and not two nucleons:

StN(
$$C_i$$
) ~ $\frac{\langle C_i \rangle}{\sqrt{\langle |C_i|^2 \rangle}}$ ~ $e^{-(M_N - \frac{3}{2}m_\pi)t}$.

Parisi (1984) and Lepage (1989).

Wagman and Savage (2016,2017).

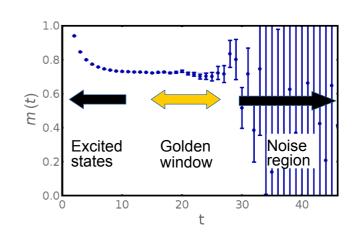
Similar arguments explain why boosted hadron correlation functions are noisy too.



Ideas to combat signal-to-noise problem include:

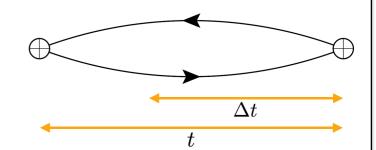
i) Enhancing the signal by operator-overlap optimizations (heuristically or systematically)

Endres and Detmold (2014).

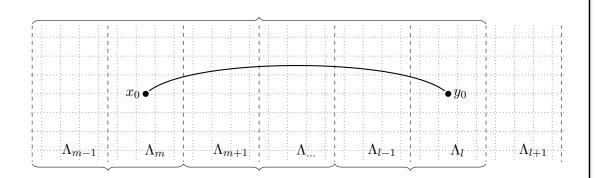


ii) A phase reweighting method to allow extrapolations by systematically changing the noise contribution

Savage and Wagman (2016-2017).

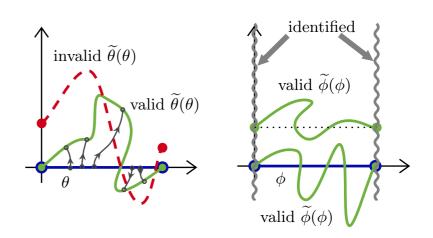


iii) Exploiting decorrelation between spacetime subvolumes (multilevel integrals and domain decomposition) Ce, Giusti and Schaefer (2016-2018).



iv) Path integral contour deformations for observables

Detmold, Kanwar, Lamm, Wagman, Warrington (2021).



CAN WE COMBAT SIGNAL-TO-NOISE AND SIGN PROBLEMS IN MONTE CARLO LATTICE QCD SIMULATIONS WITH NEW COMPUTATIONAL PARADIGMS?



CAN WE COMBAT SIGNAL-TO-NOISE AND SIGN PROBLEMS IN MONTE CARLO LATTICE QCD SIMULATIONS WITH NEW COMPUTATIONAL PARADIGMS?



Full control over uncertainties/predictability

Differentiability

Data hierarchies and computing models

Challenges ahead

Requirements

Acknowledging the exploratory nature of ML research for LFT

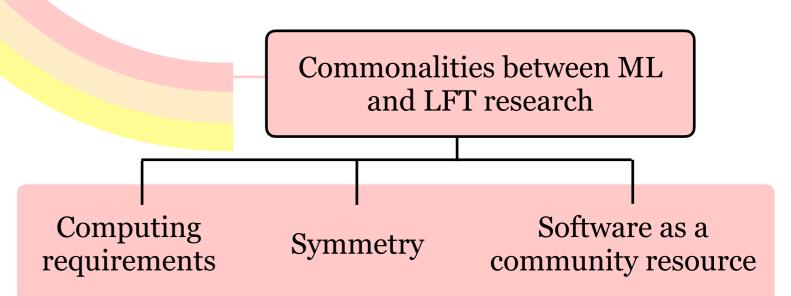
Developing and maintaining dedicated software

Workforce development and retention



Chart by ZD, content from: Boyda et al, arXiv:2202.05838 [hep-lat].

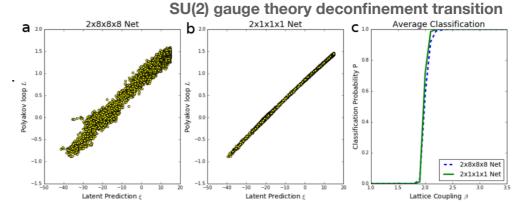
Machine Learning for Lattice Field Theory



APPLICATIONS OF ML ON LATTICE FIELD THEORY TO DATE

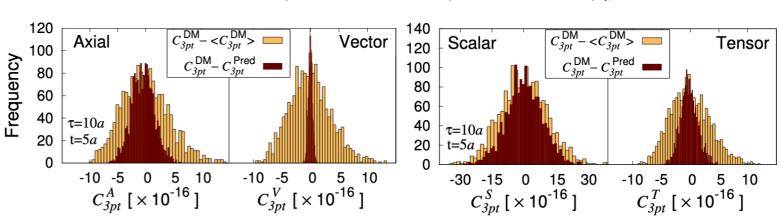
i) Classifying lattice field theory phases

e.g., Wetzel et al, Phys. Rev. B 96, 184410 (2017).



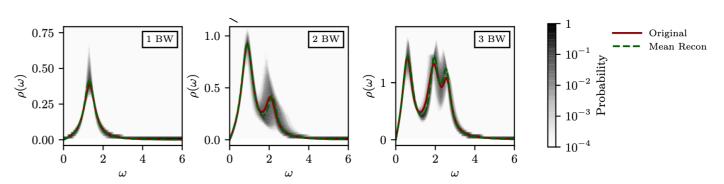
ii) Estimating observables

e.g., Yoon+ Phys. Rev. D 100, 014504 (2019).



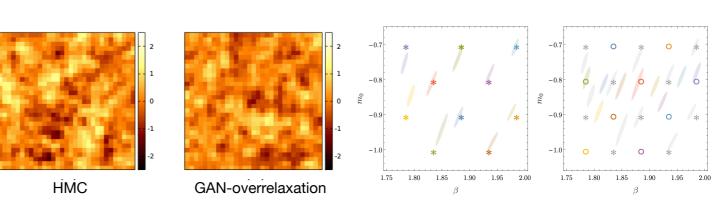
iii) Reconstructing spectral functions

e.g., Kades+ Phys. Rev. D 102, 096001 (2020).



iv) Gauge ensemble genenration and action parameter regression

e.g., Shanahan+ Phys. Rev. D 97, 094506 (2018), Pawlowski and Urban, ML: Sci. and Tech. 1 (2020) 045011.

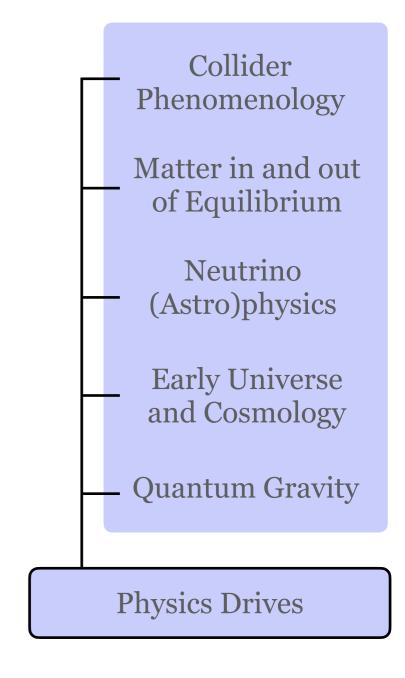


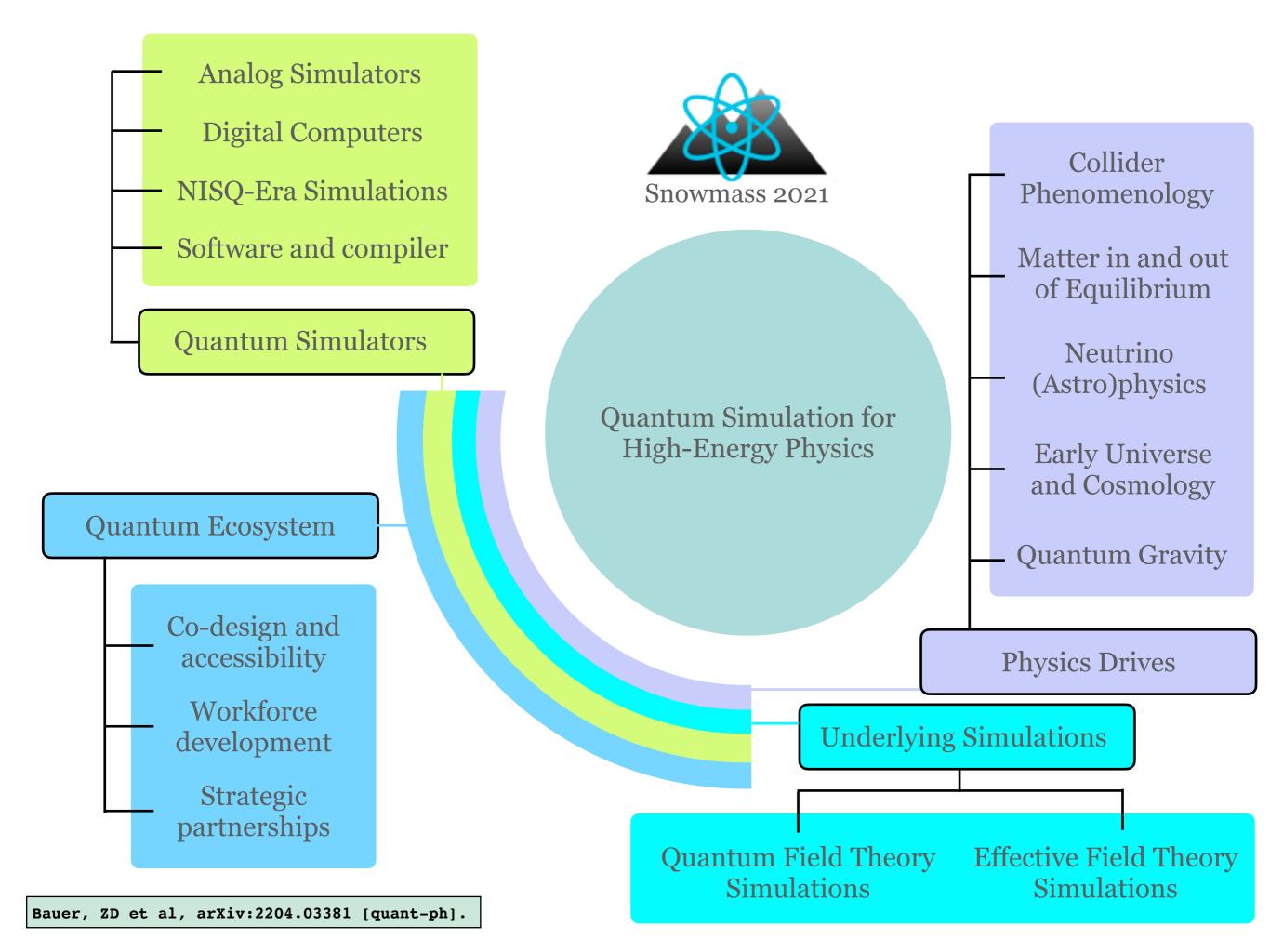
And many more references e.g., in K. Kanwar's EuroPLEX 2022 Lectures and a Snowmass whitepaper by Boyda et al, arXiv:2202.05838 [hep-lat].

CAN WE COMBAT SIGNAL-TO-NOISE AND SIGN PROBLEMS IN MONTE CARLO LATTICE QCD SIMULATIONS WITH NEW COMPUTATIONAL PARADIGMS?

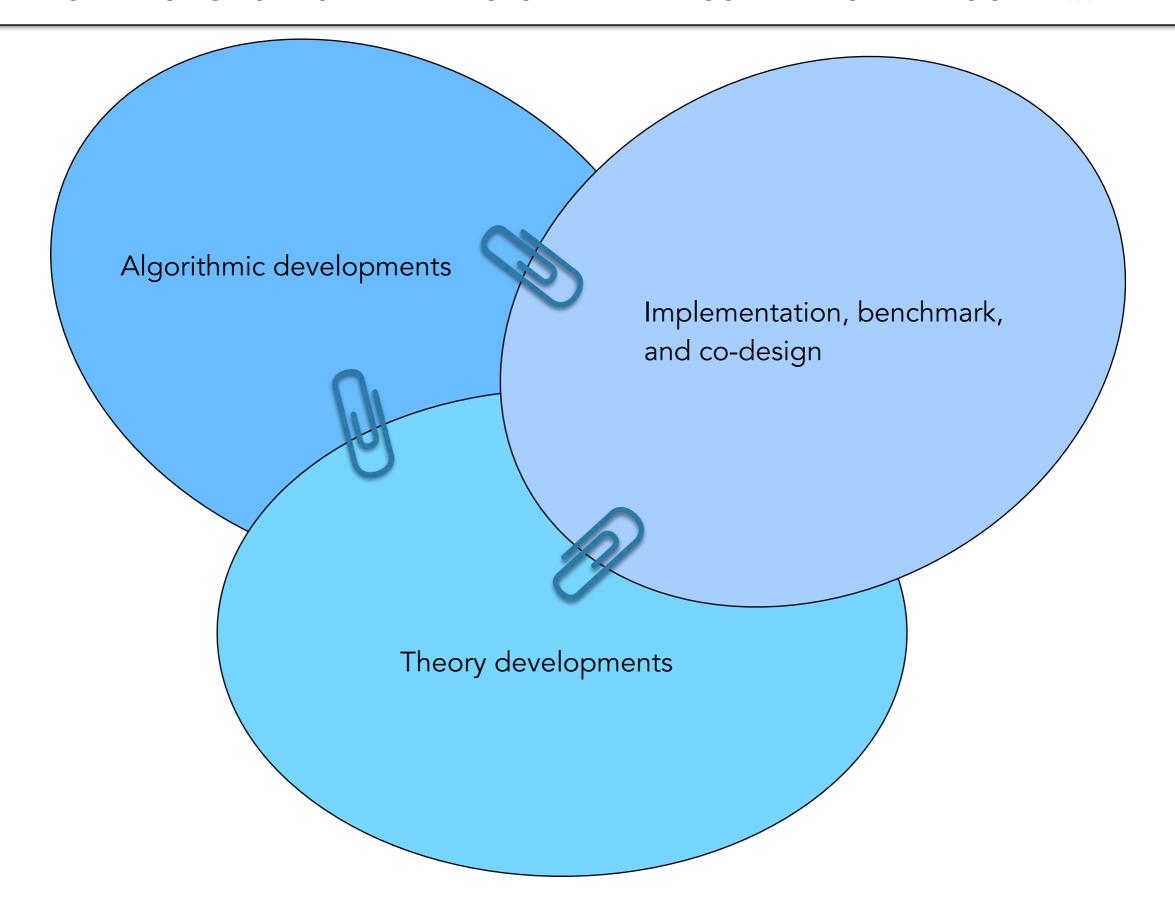


MANY INTRACTABLE QUESTIONS IN NUCLEAR AND HIGH ENERGY PHYSICS REMAIN ILLUSIVE...





A QUANTUM-SIMULATION-BASED LATTICE FIELD THEORY CAMPAIGN WILL BE MULTI PRONG AS HAS BEEN THE CASE WITH THE CONVENTIONAL PROGRAM...





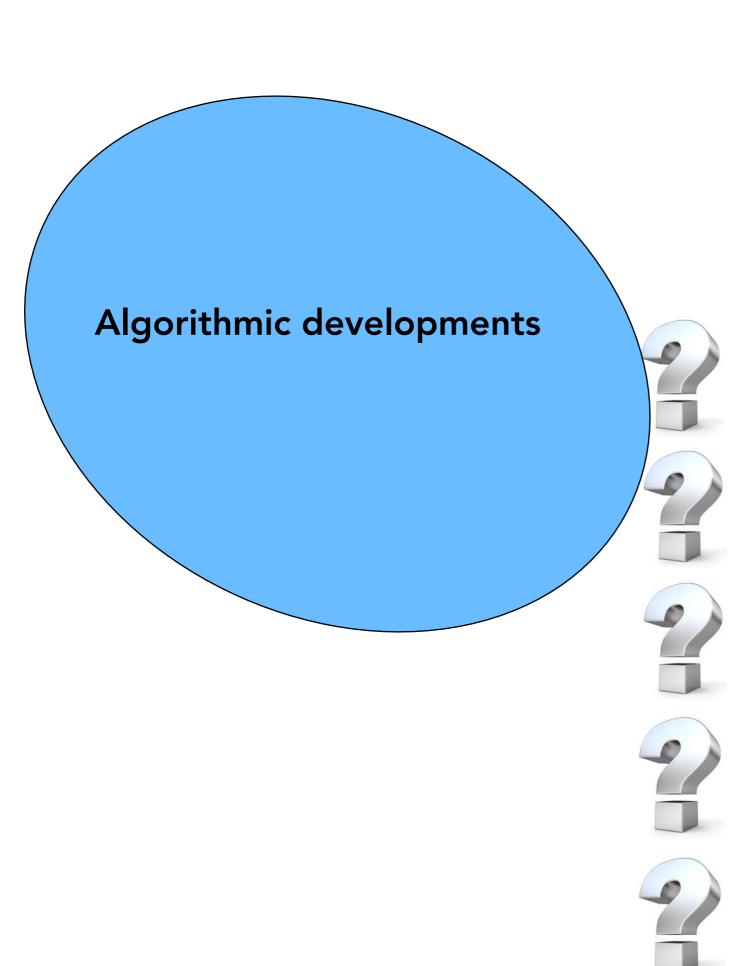
How to formulate QCD in the Hamiltonian language?

What are the efficient formulations? Which bases will be most optimal toward the continuum limit?

How to preserve the symmetries? How much should we care to retain gauge invariance?

How to quantify systematics such as finite volume, discretization, boson truncation, time digitization, etc.?

Theory developments



Near- and far-term algorithms with tight bounded errors and resource requirement for gauge theories?

Can given formulation/encoding reduce qubit and gate resources?

How do we do state preparation and compute observables like scattering amplitudes?

Can non-Abelian gauge theories and higher dimensional theories be realized in an analog simulator?

Can we robustly bound the errors in the analog simulation? What quantities are more robust to errors?



What is the capability limit of the hardware for gauge-theory simulations so far?

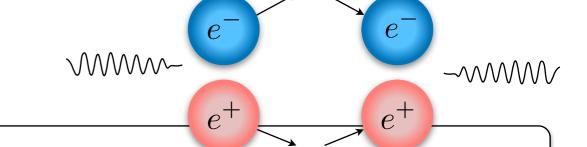
What is the nature of noise in hardware and how can it best be mitigated?

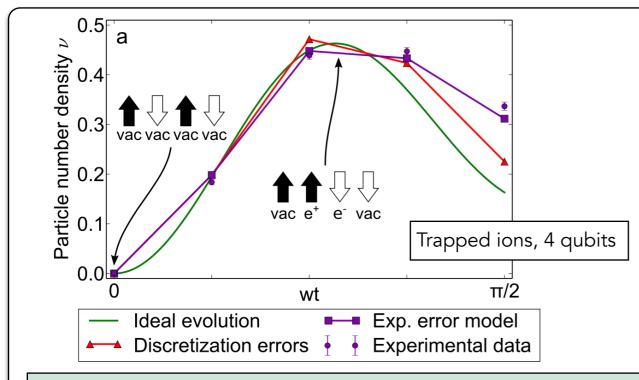
Can we co-design dedicated systems for gauge-theory simulations?

Can digital and analog ideas be combined to facilitate simulations of field theories?

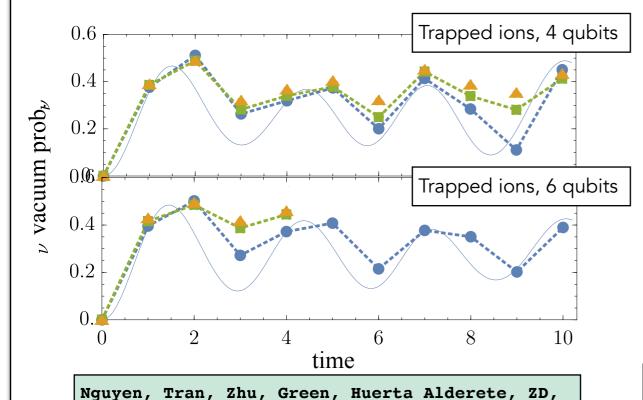


DIGITAL EXAMPLES FOR AN ABELIAN 1+1D MODEL

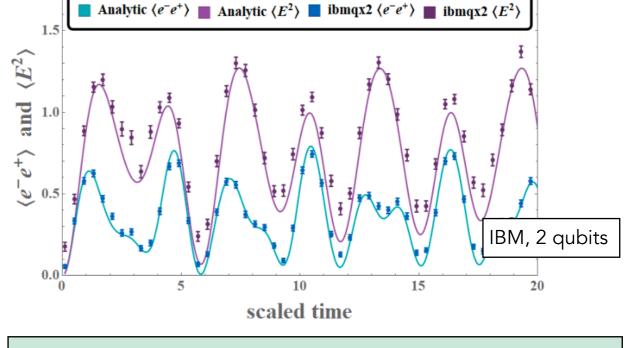




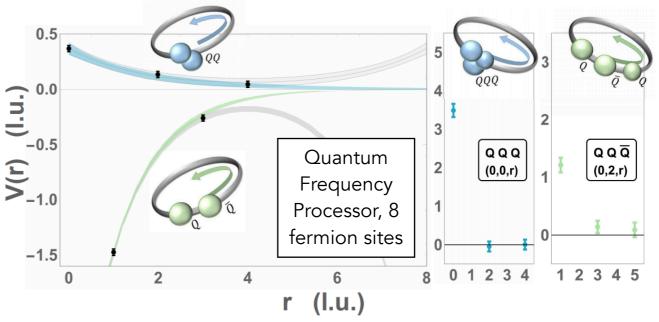
Martinez, Muschik, Schindler, Nigg, Erhard, Heyl, Hauke, Dalmonte, Monz, Zoller, Blatt, Nature 534, 516-519 (2016)



Linke, PRX Quantum 3 (2022) 2, 020324.

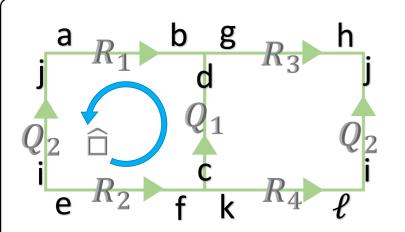


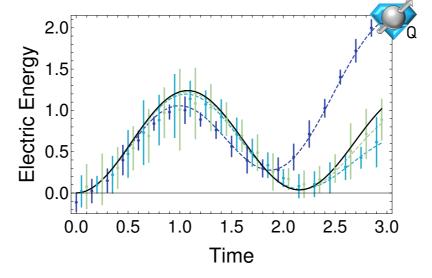
Klco, Dumitrescu, McCaskey, Morris, Pooser, Sanz, Solano, Lougovski, Savage, Phys. Rev. A 98, 032331 (2018)



Lu, Klco, Lukens, Morris, Bansal, Ekström, Hagen, Papenbrock, Weiner, Savage, Lougovski, Phys. Rev. A 100, 012320 (2019)

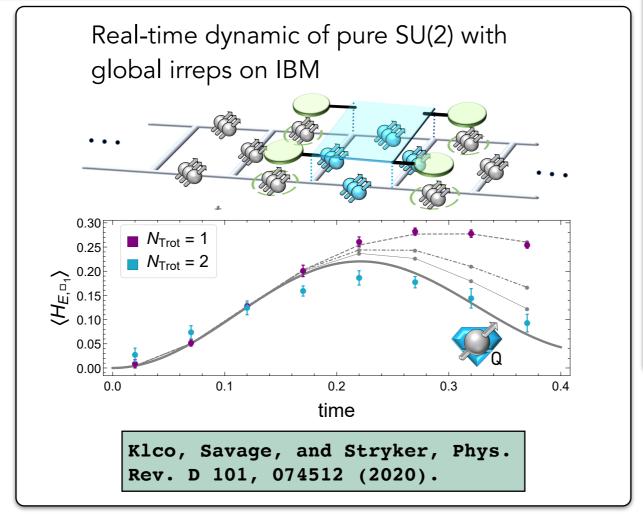
DIGITAL EXAMPLES FOR NON-ABELIAN LGTs





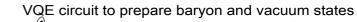
Real-time dynamic of pure SU(3) with global irrupts on IBM

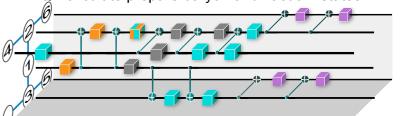
Ciavarella, Klco, and Savage, Phys. Rev. D 103, 094501 (2021).



Low-lying spectrum of SU(2) with matter in 1+1 D on IBM

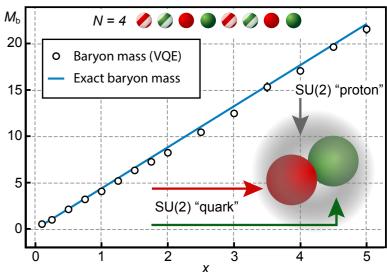
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VQE preparation of the baryon mass



Atas et al, Nature Communications 12, 6499 (2021). SU(3) example: Atas et al: arXiv:2207.03473 [quant-ph].

See also studies on D-wave annealers: Rahman et al, Phys. Rev. D 104, 034501 (2021), Illa and Savage, arXiv:2202.12340 [quant-ph], Farrel et al, arXiv:2207.01731 [quant-ph].

Physics

CP Violation and Neutrino Phenomenology

Baryon Number Violation and Grand Unified Theories

Baryon Number minus Lepton Number Violation

> Lepton Flavor Violation

Lepton
Number Violation

CP Violation and Baryon Asymmetry in Universe

Dark Matter and New Physics Searches

TO SUMMARIZE:

Theorists supporting the research program in searches for new physics in rare processes in nucleon and nuclei include high-energy physicists building the high-scale models, QCD physicists matching high-scale models to hadronic-scale quantities, and nuclear physicists matching the hadronic quantities to nuclear-scale quantities for experiment. The synergy among these communities will be essential.

Lattice field theorists have long identified the impactful calculations in this area and are pushing the frontiers of exploratory as well as mature full-scale computations of quantities of relevance to this program.

The quantities of interest are a set of local (and bi-local) nucleon and nuclear matrix elements associated with SM or beyond the SM quark- and gluon-level currents. Few percent uncertainties in nucleon matrix elements and <50% uncertainties in few-nucleon matrix elements are achievable goals of this program over the next decade.

To expedite the computations and combat signal-to-noise and sign problems associated with finite-density systems and/or dynamical quantities, lattice field theorists are exploring new computational paradigms such as machine learning and quantum computing.

MANY THANKS TO A VIBRANT COMMUNITY AND TO THE AUTHORS OF MANY INSIGHTFUL LOIS AND WHITEPAPERS...

QUESTIONS?