

# The Majorana vs. Dirac Question

Are neutrinos —

**Majorana fermions**      $\bar{\nu} = \nu$

or

**Dirac fermions**      $\bar{\nu} \neq \nu$

The answer will tell us something about the origin of the tiny neutrino masses.

# A New Approach

Baha Balantekin, André de Gouvêa, B.K.

arXiv:1808.10518, Phys.Lett. B789 (2019) 488

Baha Balantekin, B.K.

arXiv:1805.00922, Ann.Rev.Nucl.Part.Sci. 68 (2018) 313

B.K.

arXiv:1805.07523, Proc.Moriond Electroweak (2018) 323

— and ongoing work by Jeffrey Berryman, Patrick Fox,  
André de Gouvêa, B.K., Kevin Kelly, Jennifer Raaf

Suppose we discover  
a Heavy Neutrino  $N$   
whose decays we can study.

(Several hundred MeV  $< m_N <$  Several TeV)

A heavy neutrino is being sought  
at CERN, J-PARC, and Fermilab.

If a detector *has electric charge discrimination*, one can collect, for example, separate samples of  $N \rightarrow \mu^- \pi^+$  and  $N \rightarrow \mu^+ \pi^-$ .

If  $N$  is a Majorana fermion  $N^M$

$$\Gamma(N^M \rightarrow \mu^- \pi^+) = \Gamma(N^M \rightarrow \mu^+ \pi^-)$$

There will be *as many  $\mu^- \pi^+$  pairs as  $\mu^+ \pi^-$  ones* from  $N$  decays.

If  $N$  is a Dirac fermion  $N^D$

$$N^D \rightarrow \mu^- \pi^+ \text{ only, and } \overline{N^D} \rightarrow \mu^+ \pi^- \text{ only.}$$

If a detector *does not have electric charge discrimination*,  
we can measure only *the sum*  
of the  $N \rightarrow \mu^- \pi^+$  and  $N \rightarrow \mu^+ \pi^-$  decays.

If  $N$  is a Majorana fermion  $N^M$

*CPT*  $\longrightarrow$  an *isotropic*  $\mu\pi$  angular distribution.

If  $N$  is a Dirac fermion  $N^D$

The *Standard Model*  $\longrightarrow$  a very *non-isotropic*  
 $\mu\pi$  angular distribution.

*Real-world sensitivities to the distinction between Dirac  $N$  and Majorana  $N$  are being explored.*

*Leptonic mixing implies that if  $N$  is a Majorana fermion, so are all the other neutrinos.*

# “The Search for Leptonic CP Violation”

for the

## CERN COURIER

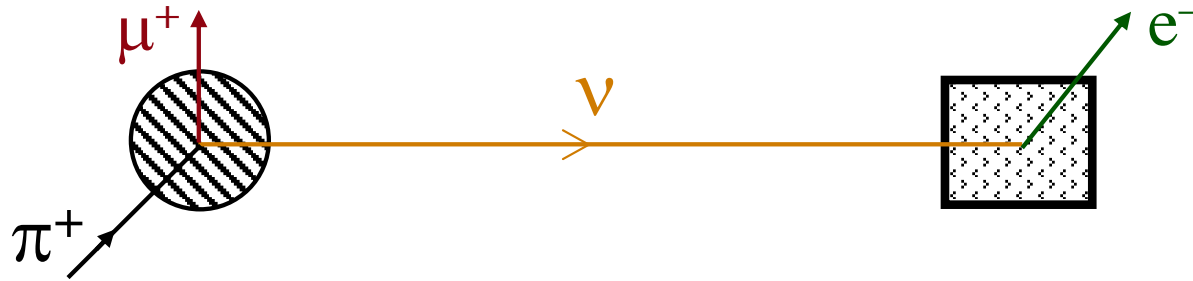
This search is universally described as the search for —

$$P\left(\bar{\nu}_{\mu} \rightarrow \bar{\nu}_{e}\right) \neq P\left(\nu_{\mu} \rightarrow \nu_{e}\right)$$

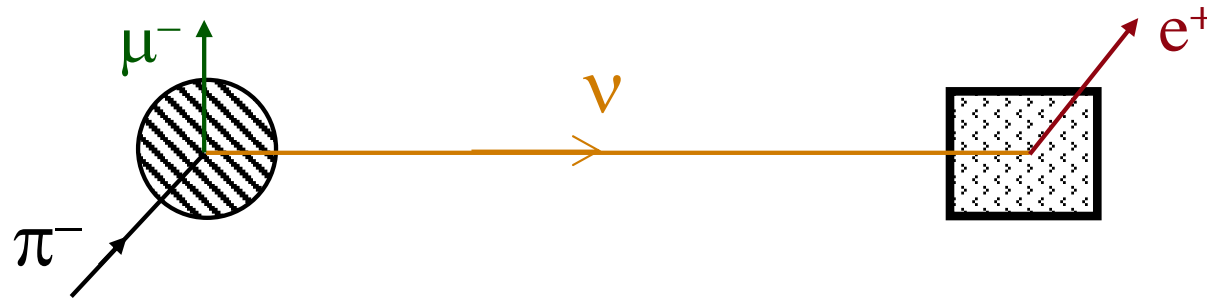
**But what if  $\bar{\nu} = \nu$ ??**

The actual experiment will —

Compare



with



*If these two CP-mirror-image processes have different rates, CP invariance is violated.*