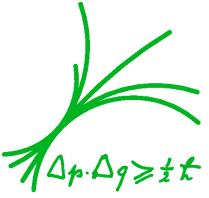


Measurement of the strong coupling α_s from the 3-jet rate in e^+e^- annihilation using JADE data

XLIIIth International Symposium on Multiparticle Dynamics,
Chicago, Sep 20, 2013

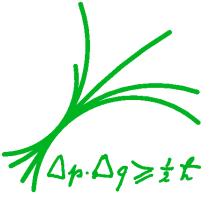
Stefan Kluth, Max-Planck-Institut für Physik, skluth@mpp.mpg.de, for J. Schieck,
S. Bethke, S. Kluth, C. Pahl, Z. Trocsanyi and the JADE Collaboration

[Eur. Phys. J. C73 (2013) 2332]



Introduction

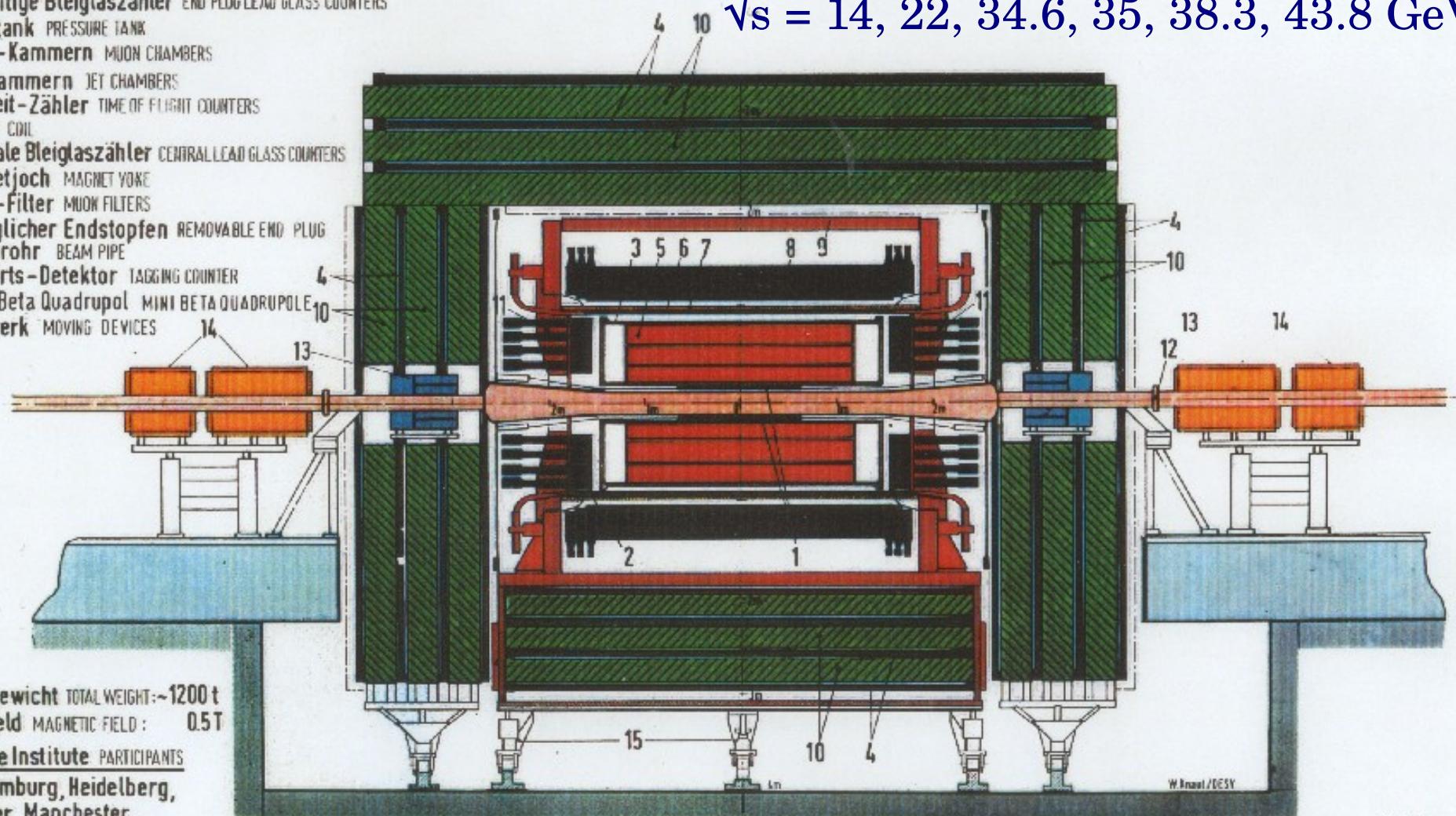
- Why study 27+ year old $e^+e^- \rightarrow$ hadrons data?
 - Theory improvements: NLO > 3 jets, NNLO, ...
 - MC generators and hadronisation models
- Test QCD calculations for LHC
 - Techniques related, crossing relations
 - Precision tests independent of pp complications
- Because we can!



The JADE experiment

MAGNETDETEKTOR MAGNET DETECTOR JADE

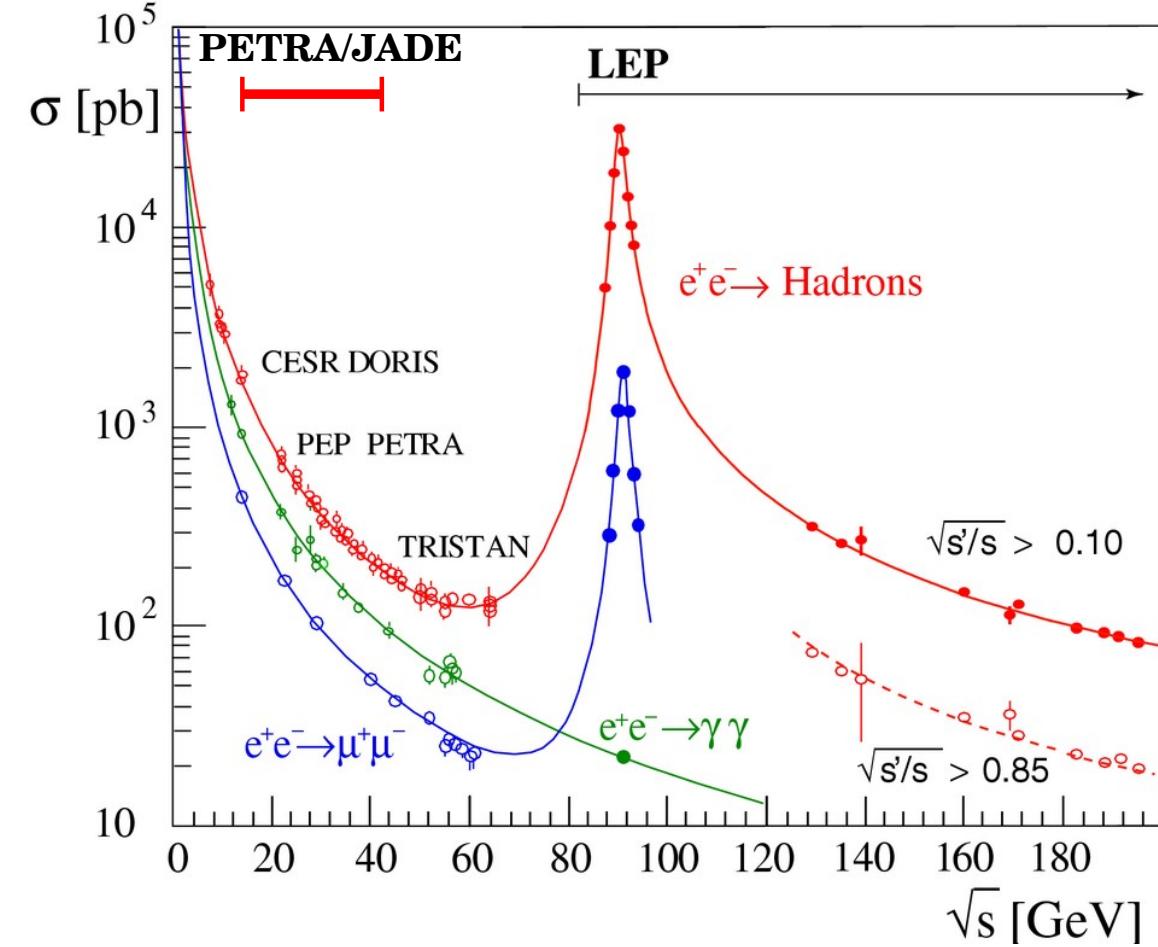
- 1 Strahlrohrzähler BEAM PIPE COUNTERS
- 2 Endseitige Bleiglaszähler END PLUG LEAD GLASS COUNTERS
- 3 Drucktank PRESSURE TANK
- 4 Myon-Kammern MUON CHAMBERS
- 5 Jet-Kammern JET CHAMBERS
- 6 Flugzeit-Zähler TIME OF FLIGHT COUNTERS
- 7 Spule COIL
- 8 Zentrale Bleiglaszähler CENTRAL LEAD GLASS COUNTERS
- 9 Magnetjoch MAGNET YOKE
- 10 Myon-Filter MUON FILTERS
- 11 Beweglicher Endstopfen REMOVABLE END PLUG
- 12 Strahlrohr BEAM PIPE
- 13 Vorwärts-Detektor TAGGING COUNTER
- 14 Mini-Beta Quadrupol MINI BETA QUADRUPOLE
- 15 Fahrwerk MOVING DEVICES



1979 to 1986 at PETRA (DESY)
 e^+e^- annihilation to hadrons at
 $\sqrt{s} = 14, 22, 34.6, 35, 38.3, 43.8 \text{ GeV}$



JADE data



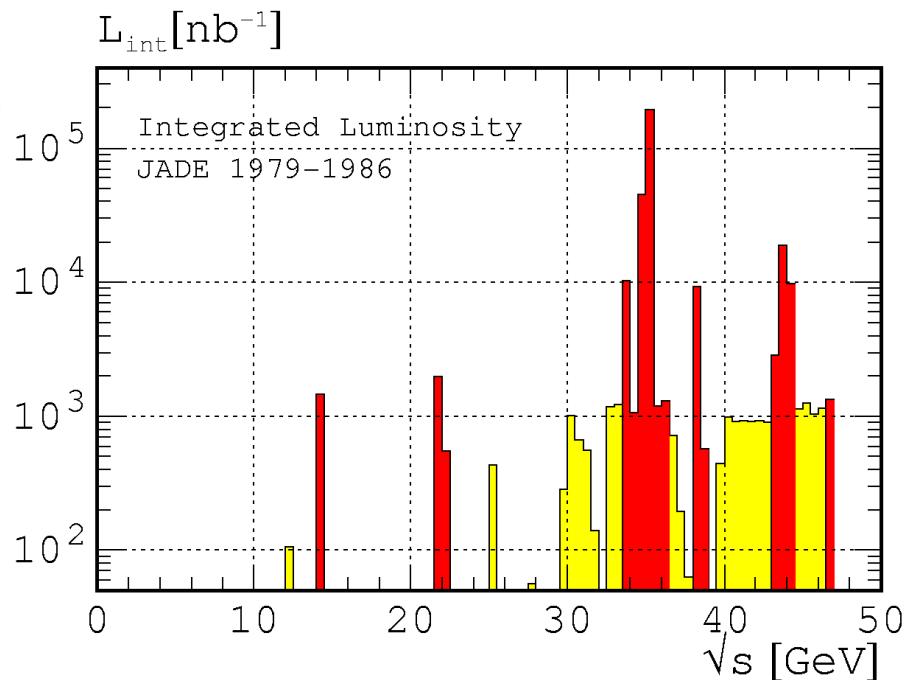
Event selection:
momentum balance, visible energy,

$N_{\text{ch.}}$

Data samples:

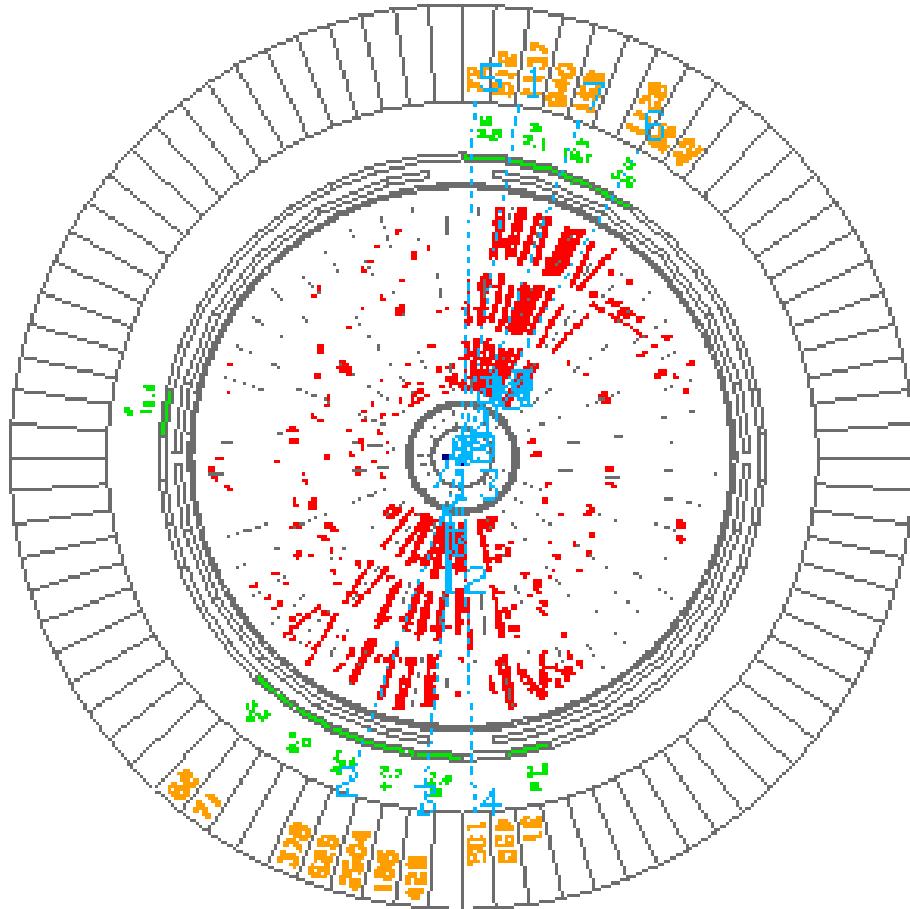
$O(10^3\text{-}10^4)$ events

Negligible backgrounds after selection



Durham jet clustering algorithm

JADE $\sqrt{s} = 44$ GeV



1) Phase space distances

$$y_{ij} = 2 \min(E_i, E_j)^2 (1 - \cos\theta_{ij})/s$$

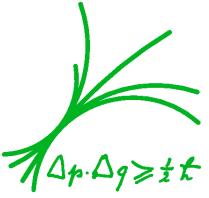
2) Stop when all $y_{ij} > y_{cut}$

3) Combine pair with smallest y_{ij}

$$\mathbf{p}_{ij} = \mathbf{p}_i + \mathbf{p}_j$$

4) Remove i and j, add ij, goto 1)

Observable: $R_3(y_{cut}, Q) = N_{3\text{-jet}}(y_{cut}, Q) / N(Q) = \sigma_{3\text{-jet}} / \sigma_{\text{had}}$

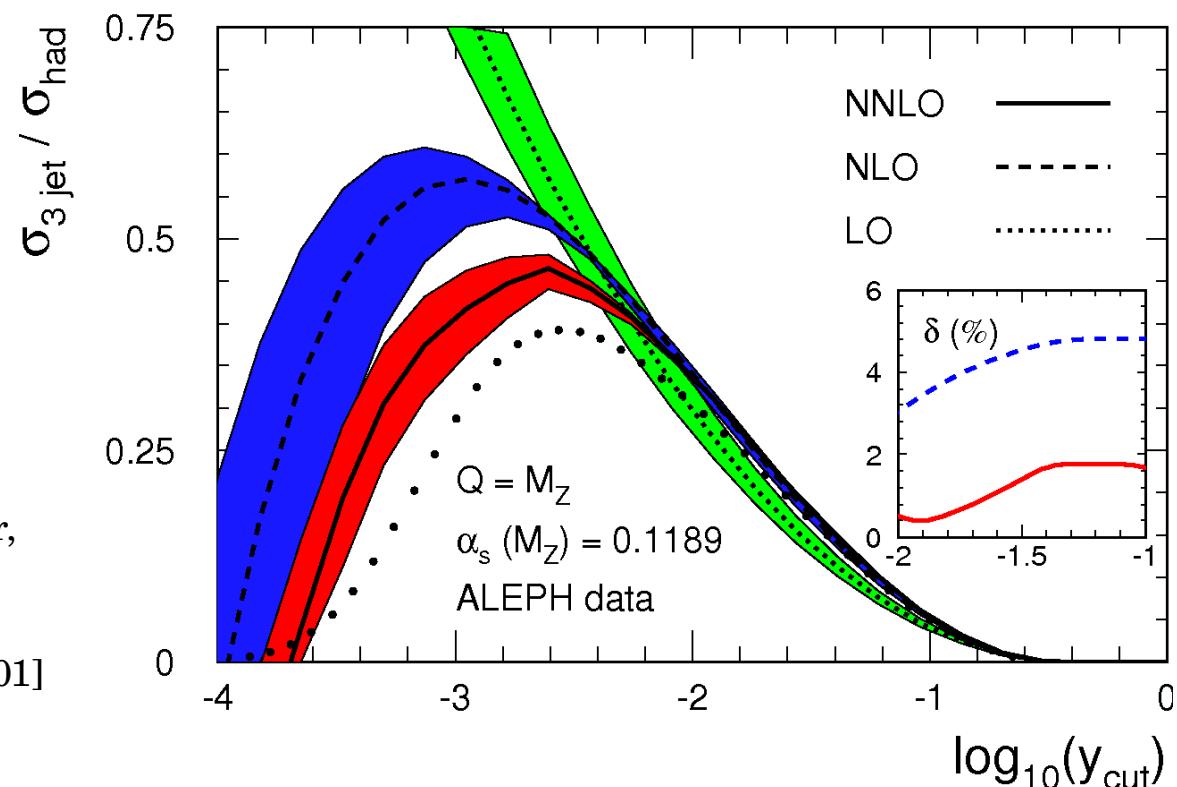


QCD predictions: fixed order

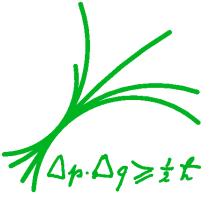
$$R_{3,\text{NNLO}}(y_{\text{cut}}, Q) = \sigma_{3\text{-jet}} / \sigma_0 = A(y_{\text{cut}}) \underline{\alpha}_S(Q) + B(y_{\text{cut}}) \underline{\alpha}_S^2(Q) + C(y_{\text{cut}}) \underline{\alpha}_S^3(Q)$$

$$\underline{\alpha}_S = \alpha_S / (2\pi); \sigma_0 = \sigma_{\text{had}} / (1 + 2\underline{\alpha}_S + \dots)$$

$A(y_{\text{cut}}), B(y_{\text{cut}}), C(y_{\text{cut}})$ by numerical integration of QCD ME



Insert: rel. theory
uncertainties NLO
and NNLO



QCD predictions: resummation

E.g. $\alpha_s \log^2(1/0.01) \approx 0.4$

$\rightarrow R_{3,\text{NLLA}}$ large for small y_{cut}

Expand known $R_{3,\text{NLLA}}$ to $O(\alpha_s^3)$:

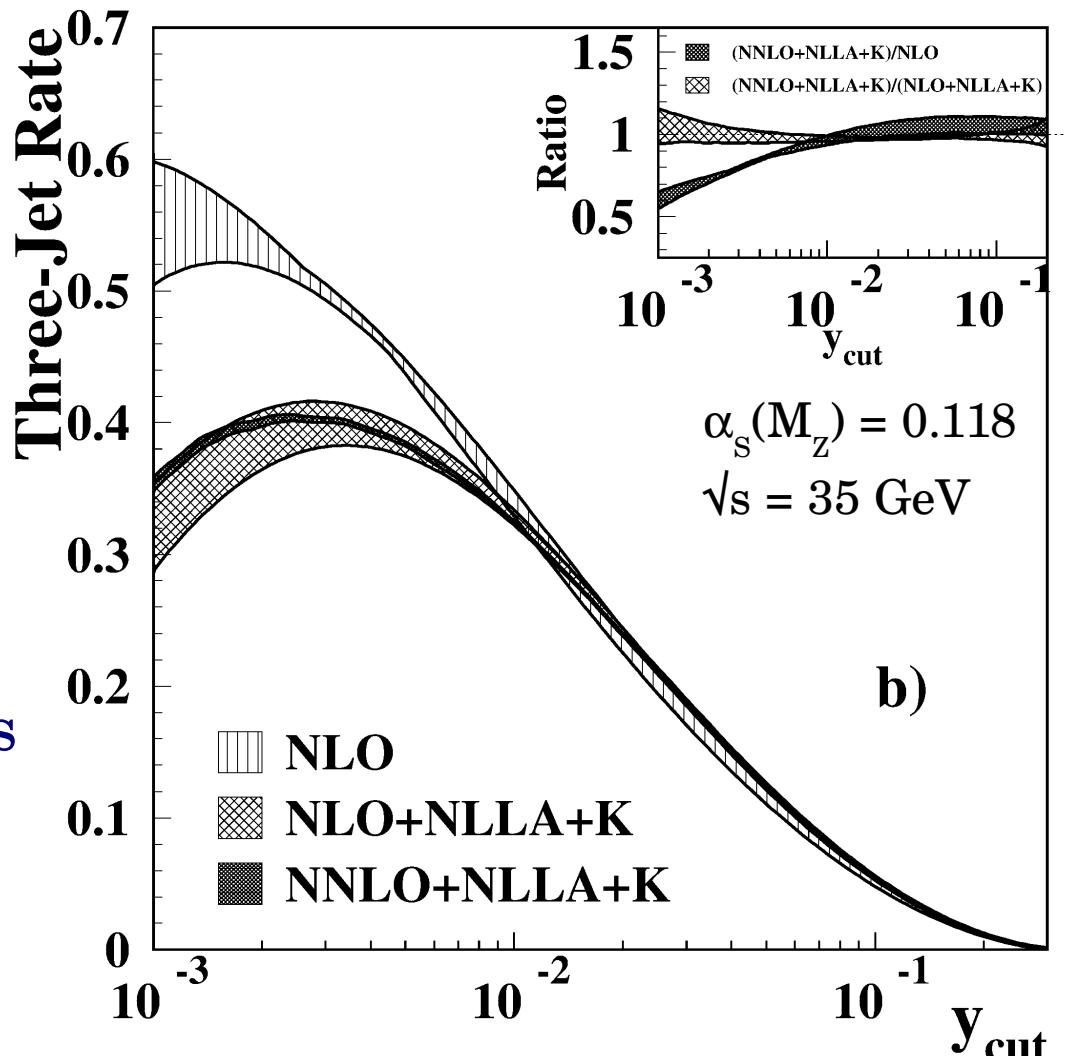
$$L = \log(1/y_{\text{cut}})$$

$$R_{3,\text{NLLA,exp.}} = \sum_{i=1}^3 \sum_{j=i}^{2i} \alpha_s^i L^j R_{ij}$$

“K-term”: partial subleading logs

R-matching:

$$R_3 = R_{3,\text{NNLO}} + R_{3,\text{NLLA}} - R_{3,\text{NLLA,exp.}}$$



Data vs MC

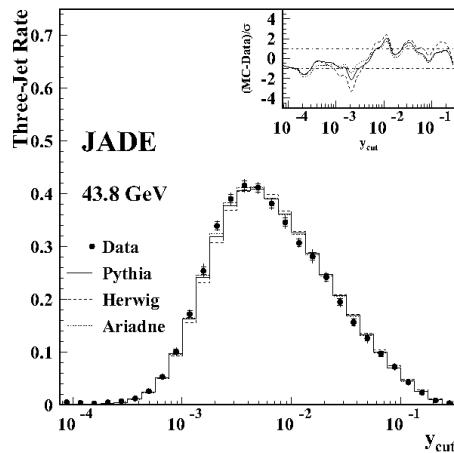
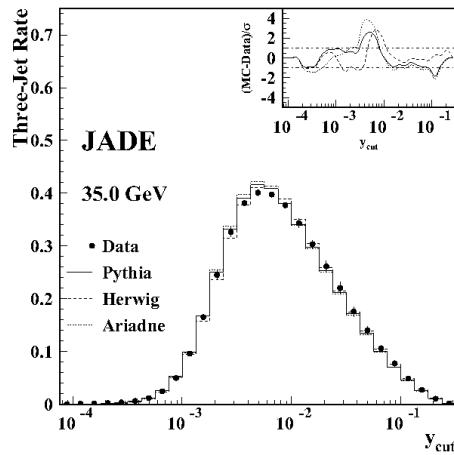
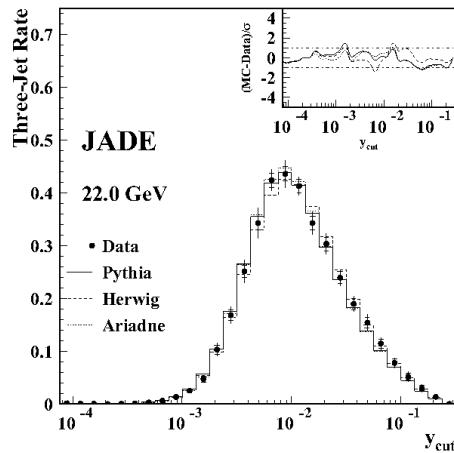
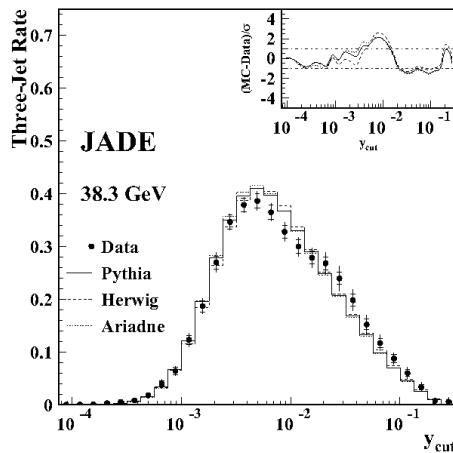
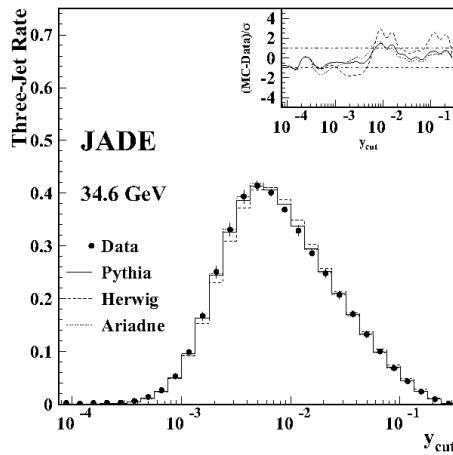
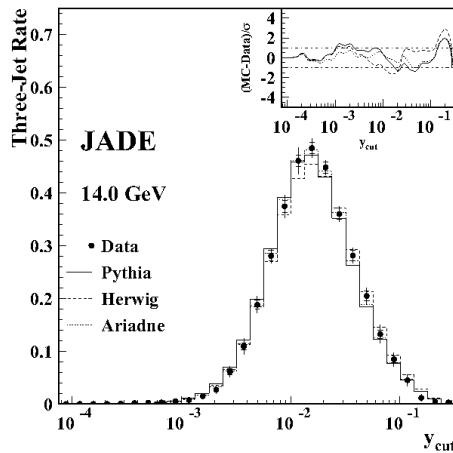
Data corrected to hadron-level,
 $b\bar{b}$ contribution subtracted

PYTHIA 5.7, HERWIG 6.2,
ARIADNE 4.11

LL+LO, tuned to OPAL@LEP 1

Good description of low energy
data with OPAL tune

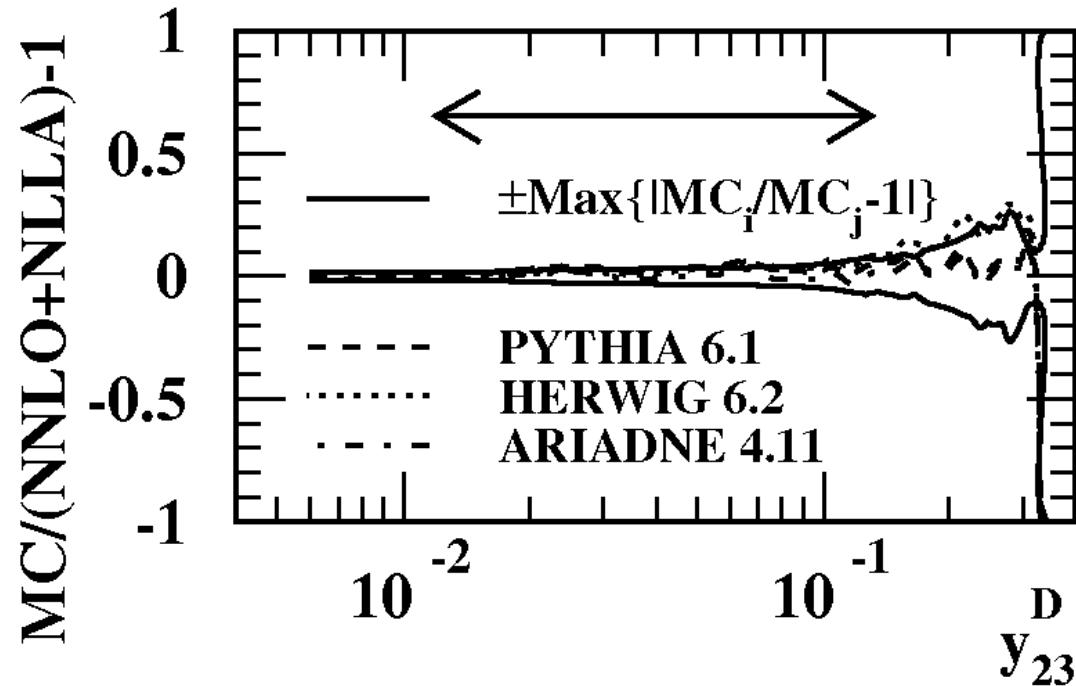
MCs ok for experimental
and hadronisation corrections



Hadronisation corrections

Compare MC parton-level (after parton shower) to hadron-level (particle level)

Check consistency MC LO+LL parton-level with theory NNLO+NLLA parton-level by OPAL:



Consistent within differences between MCs, covered by hadronisation correction systematic uncertainty

[OPAL: Eur. Phys. J. C71 (2011) 1733]

R_3 fits

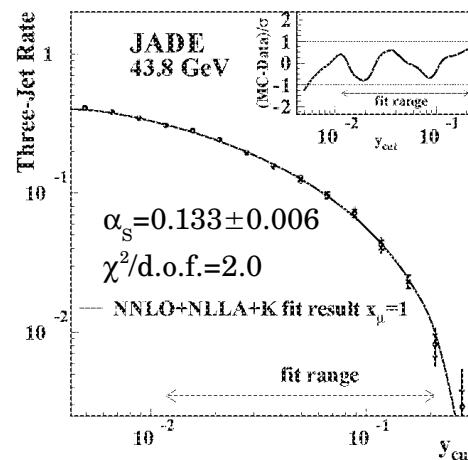
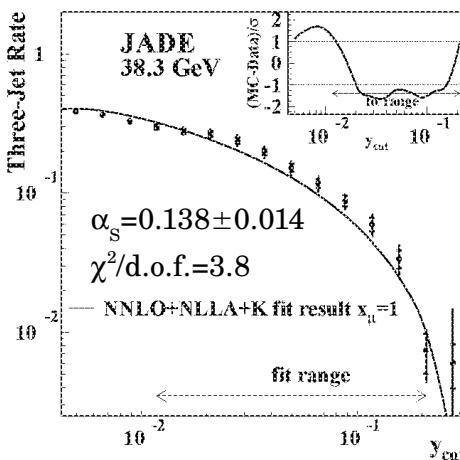
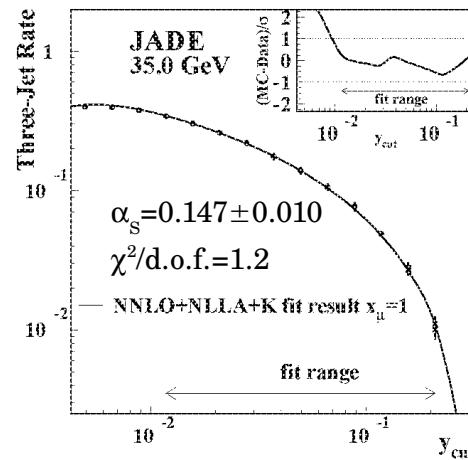
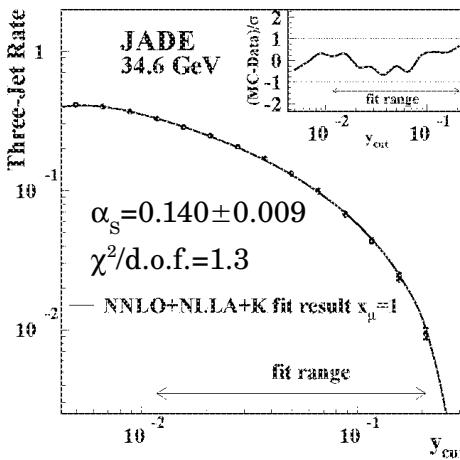
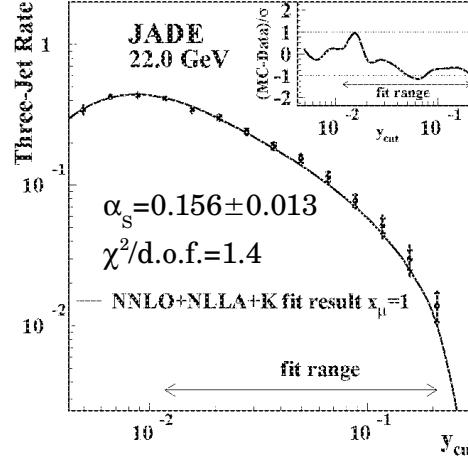
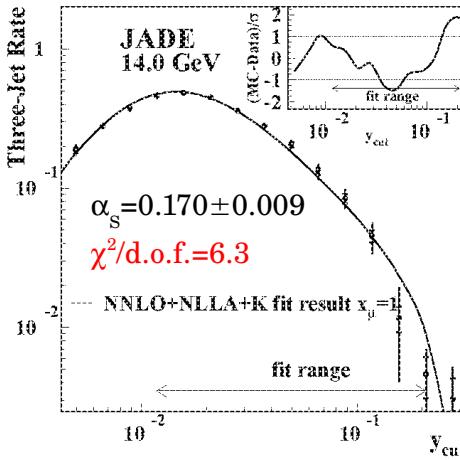
NNLO+NLLA+K

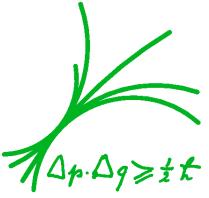
Fit ranges: exp. and had.
corrections stable and “small”

Incl. point-to-point correlations,
 χ^2 from stat. errors only, $1.3 < \chi^2/\text{d.o.f.} < 3.8$ (except 14 GeV)

Combine results 22 to 44 GeV:

$$\alpha_s(M_Z) = 0.1199 \pm 0.0010_{\text{stat.}} \pm 0.0021_{\text{exp.}} \pm 0.0054_{\text{had.}} \pm 0.0007_{\text{theo.}}$$





Systematics

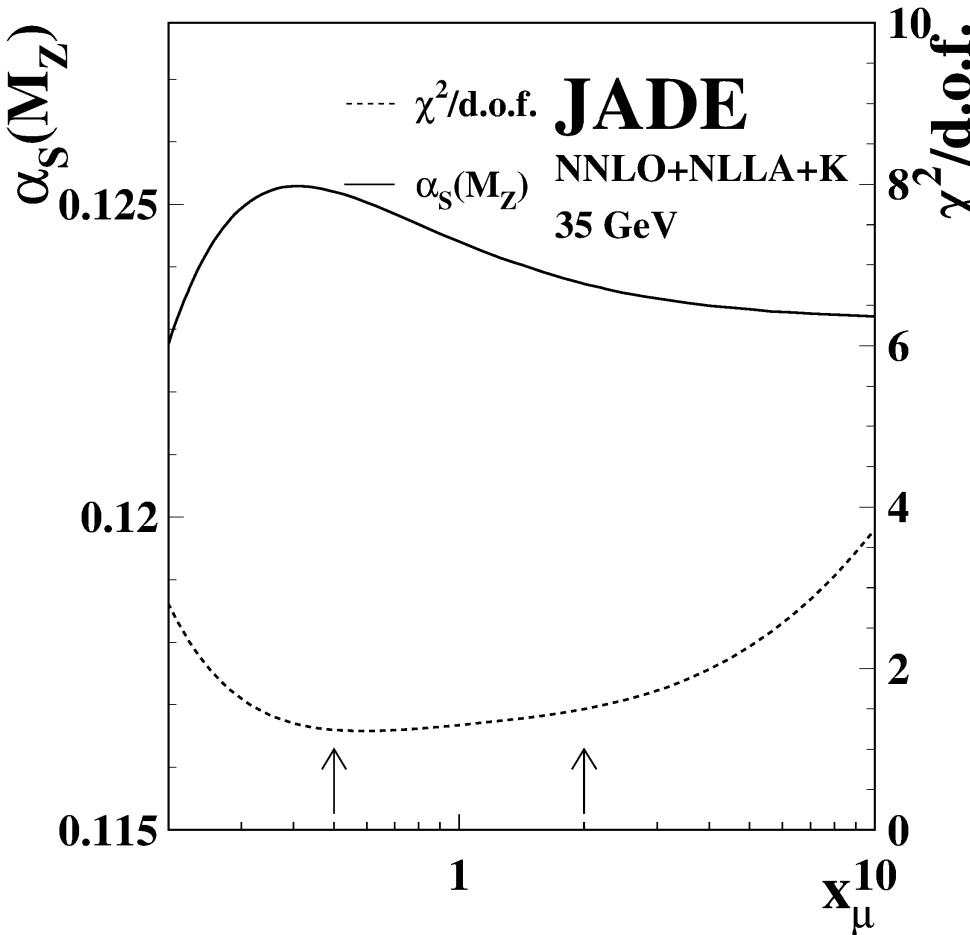
- Experimental
 - Vary event selection cuts
 - Tracks + ECAL clusters vs “energy flow”
 - PYTHIA vs HERWIG exp. corrections
 - JADE detector calibration versions
 - Vary $b\bar{b}$ subtraction
 - Vary fit range
- Hadronisation
 - PYTHIA vs HERWIG vs ARIADNE
- Theory
 - Renormalisation scale factor $0.5 < x_\mu < 2.0$

Cross checks

Renormalisation scale:

Fit with x_μ free: $x_\mu = O(1)$

Essentially same result for $\alpha_s(m_Z)$

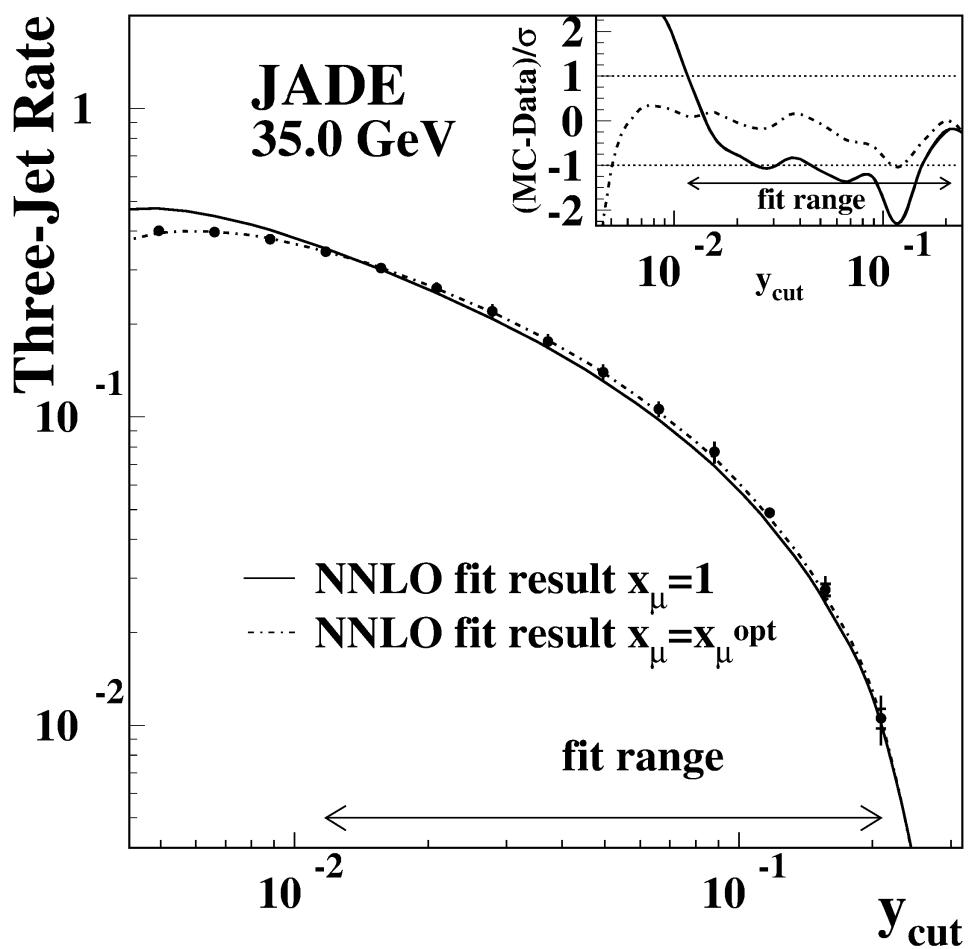


NNLO only fit:

Slope not fully described

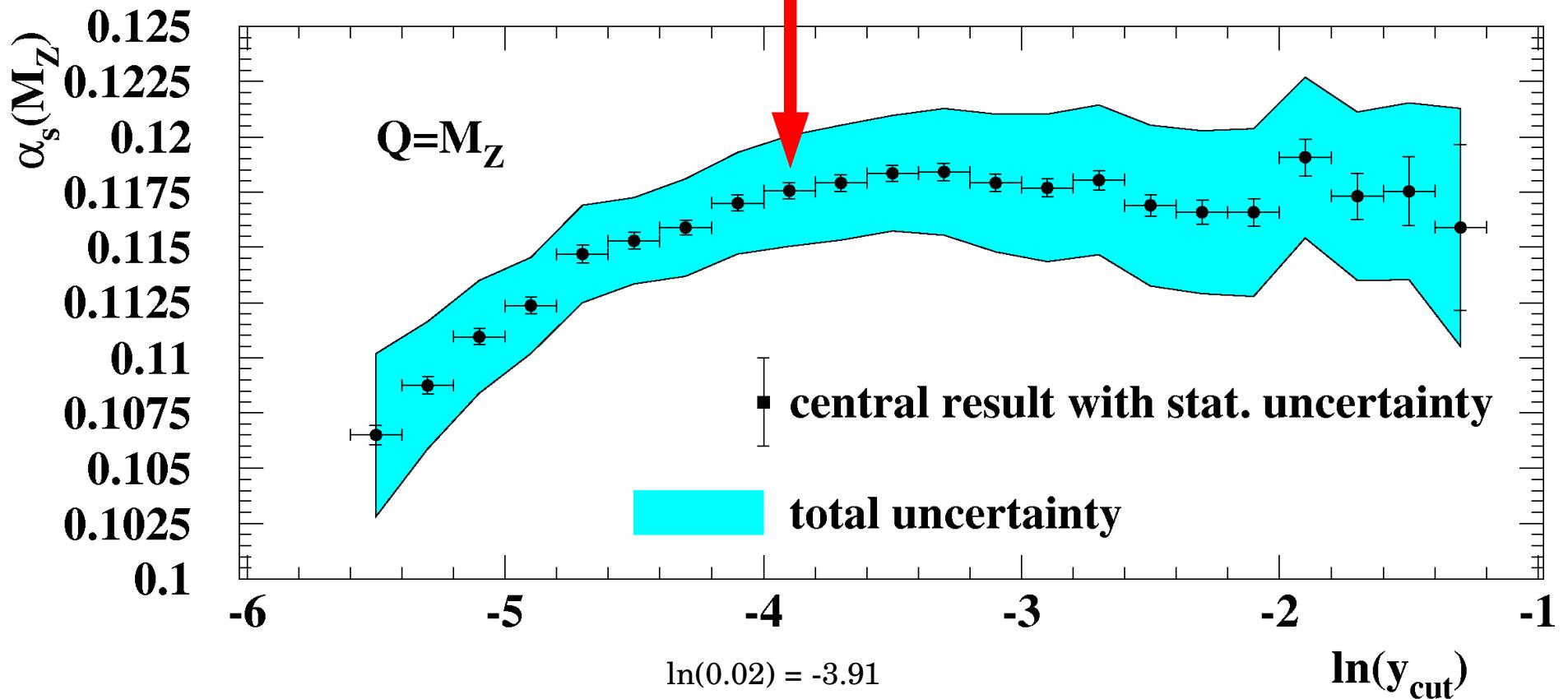
Sensitive to fit range

Scale uncertainty larger



DG³HS/ALEPH Result

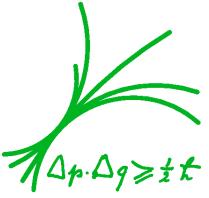
NNLO only, result at single point $y_{\text{cut}} = 0.02$



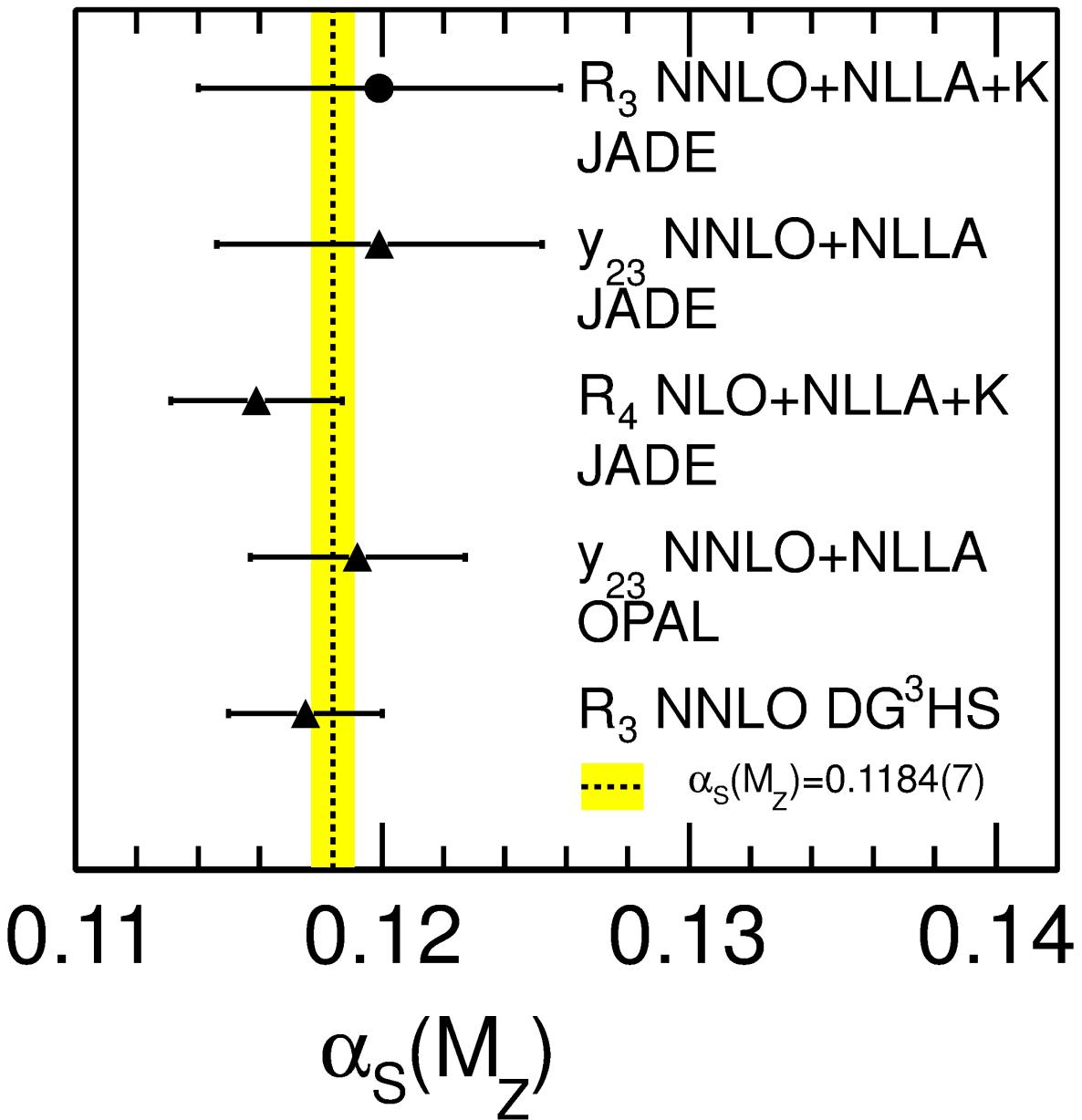
$$\alpha_s(M_Z) = 0.1175 \pm 0.0004_{\text{stat.}} \pm 0.0019_{\text{exp.}} \pm 0.0006_{\text{had.}} \pm 0.0014_{\text{theo.}}$$

Slope problem visible

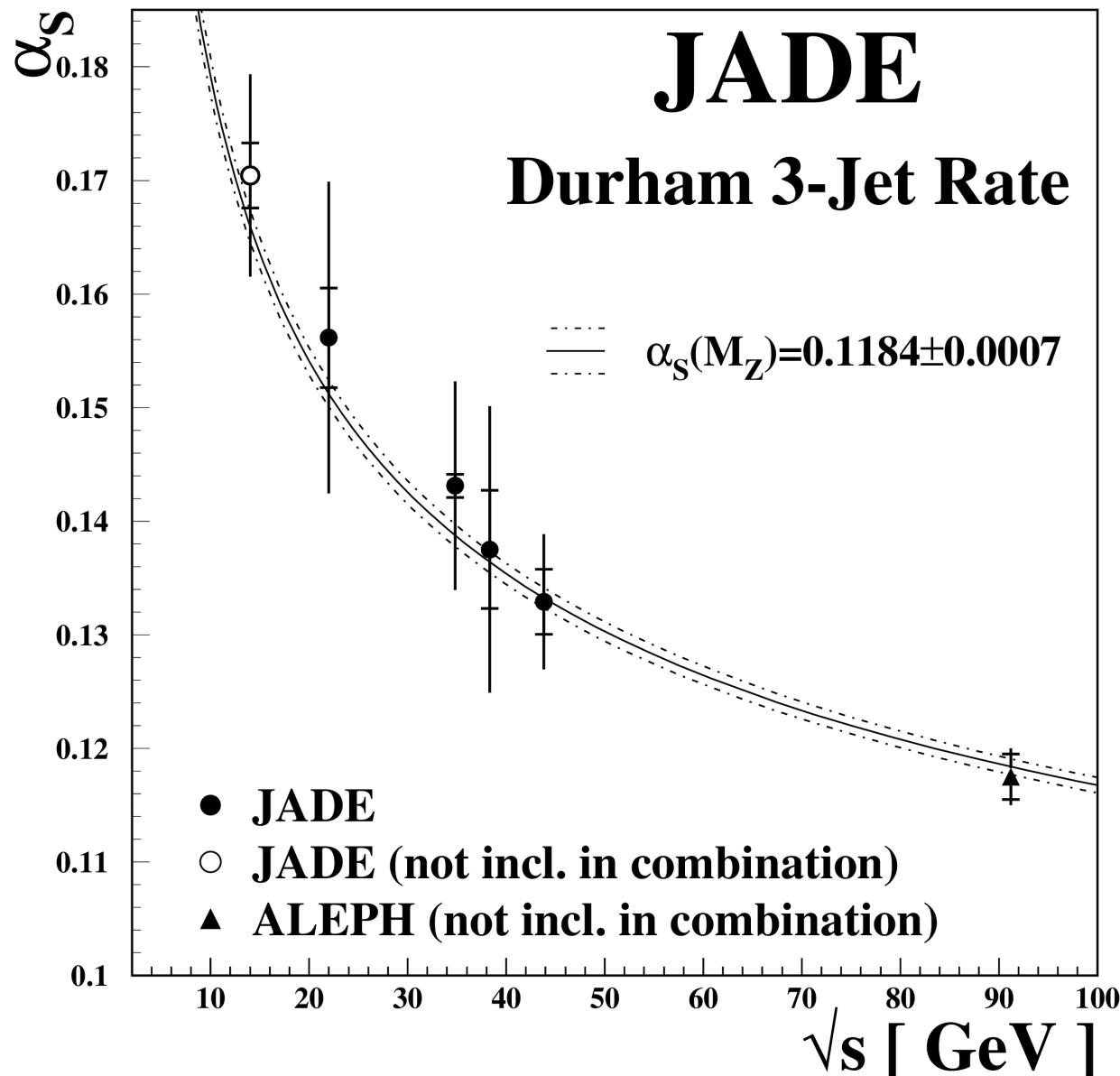
[Dissertori et al.: Phys. Rev. Lett. 104 (2010) 072002]



Comparison to previous results



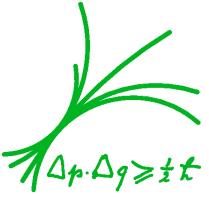
Running coupling



Confirm QCD running coupling prediction

14 GeV analysis (not in average) still consistent

Prediction using PDG world average



* Commercial break *

Data Preservation

JADE/OPAL Data preservation



Study Group for Data Preservation and
Long Term Analysis in High Energy Physics

Store data in computing centre (RZG)

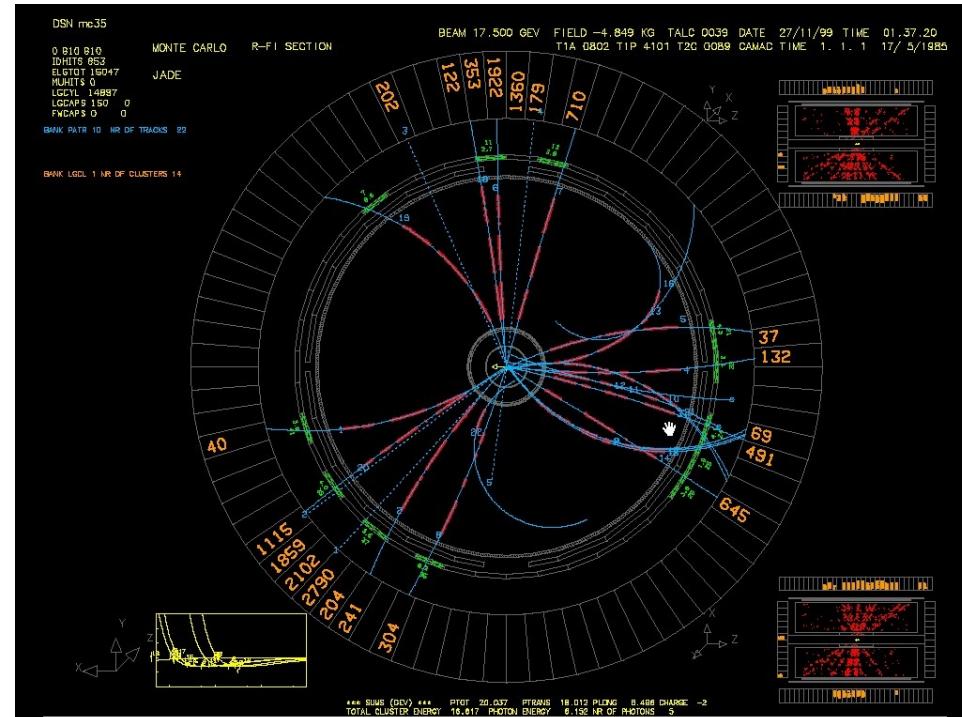
- Why? Physics objectives
- How? Review analysis models
- How? Soft- and hardware persistency
- How? Common specifications
- Who? Funding programs, initiatives

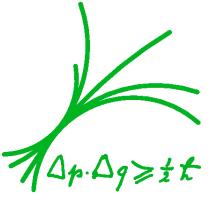
Port software on modern platforms

Replace missing libraries

Cross check analyses
against previous results

9 papers, two with 50+
citations, many conference
contributions, PhD and
diploma theses





Summary

- First α_s from R_3 with NNLO+NLLA+K QCD
 - $\alpha_s(M_Z) = 0.1199 \pm 0.0010_{\text{stat.}} \pm 0.0021_{\text{exp.}} \pm 0.0054_{\text{had.}} \pm 0.0007_{\text{theo.}}$
- Slope of $R_3(y_{\text{cut}})$ not fully described in NNLO
 - Ok within errors with NNLO+NLLA
- Had. uncertainties dominate
 - LEP data
 - Better had. models (power corrections)?
- More new results from old data possible!