A photograph of the Chicago skyline at night, with the city lights reflecting on the water in the foreground. The sky is a deep blue with some clouds. The text is overlaid on the top half of the image.

Improved isolation of the p-p Underlying  
Event based on minimum-bias trigger-  
associated hadron correlations

Tom Trainor

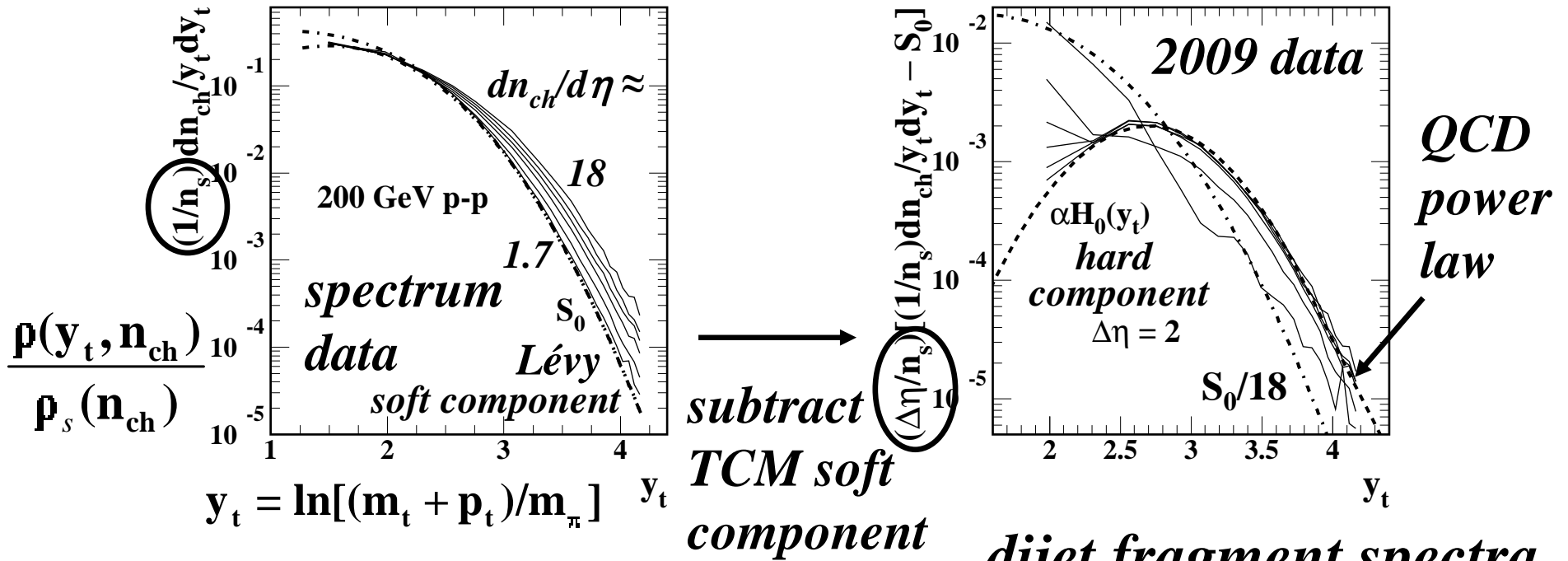
*ISMD 2013*

# Agenda

## trigger-associated (TA) correlations

- *Measure  $n_{ch}$  dependence of  $p$ - $p$   $p_t$  or  $y_t$  SP spectra*
- *Define a “Glauber” model for  $p$ - $p$  collisions*
- *Predict  $n_{ch}$  systematics for  $p$ - $p$  angular correlations*
- *Develop a two-component TA model (TCM)*
- *Extract a TA hard component  $\rightarrow$  jet fragments*
- *Make direct comparisons with  $p$ QCD and dijets*
- *Test underlying-event (UE) conjectures re dijets/MPI*
- *Identify kinematic limits of dijets in  $p$ - $p$  collisions*

# Two-component 1D Spectrum Model



*p-p spectra for seven  $n_{ch}$  classes  $n$*

nucl-ex/0606028

*dijet fragment spectra described by pQCD*

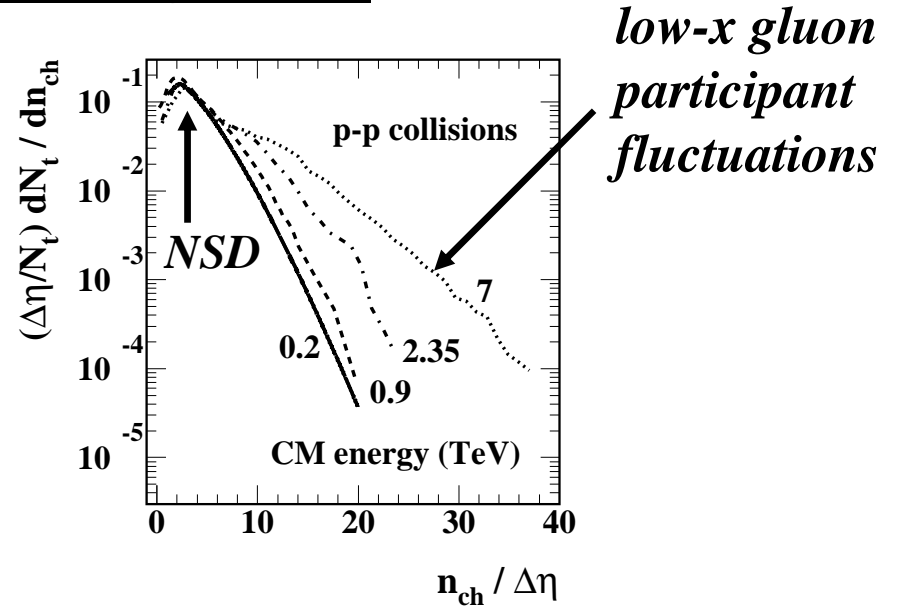
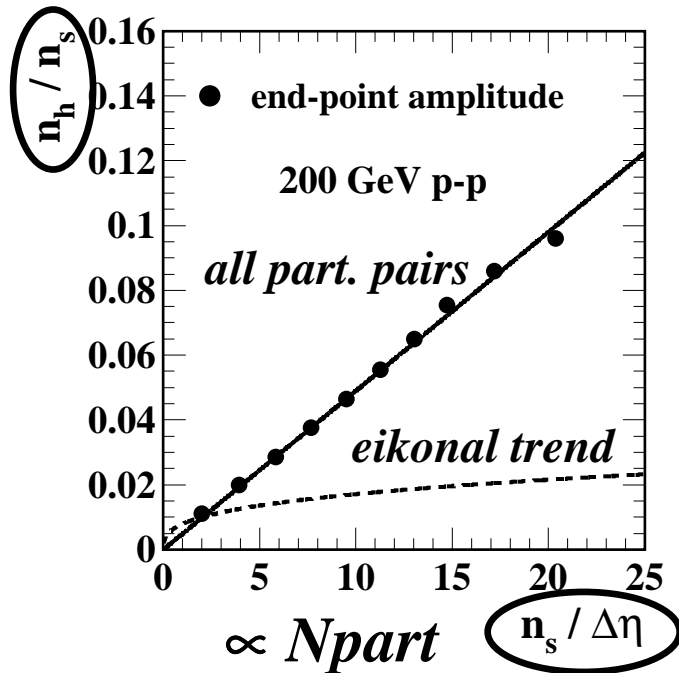
2006 PRD:  $\rho(y_t, \mathbf{n}_{ch}) = \rho_s(\mathbf{n}_{ch})S_0(y_t) + \rho_h(\mathbf{n}_{ch})H_0(y_t)$  factorized  
 limit  $n_{ch} \uparrow \rightarrow 0$  *e.g.*  $\rho_s(\mathbf{n}_{ch}) = n_s/\Delta\eta$

$\rho_h(\mathbf{n}_{ch}) / \rho_s(\mathbf{n}_{ch}) \propto n_s \approx n_{ch}$

*basis for all that follows*

# $p$ - $p$ “Glauber” Model

**A-A Glauber model: dijets  $\propto N_{bin} \propto N_{part}^{4/3} \approx n_{ch}^{4/3}$**   
**exponent 4/3: eikonal signature**



$$n_{ch} = n_s + n_h \quad n_h \propto n_{ch}^2$$

$$dijets \propto n_h \propto n_s^2 \propto N_{part}^2$$

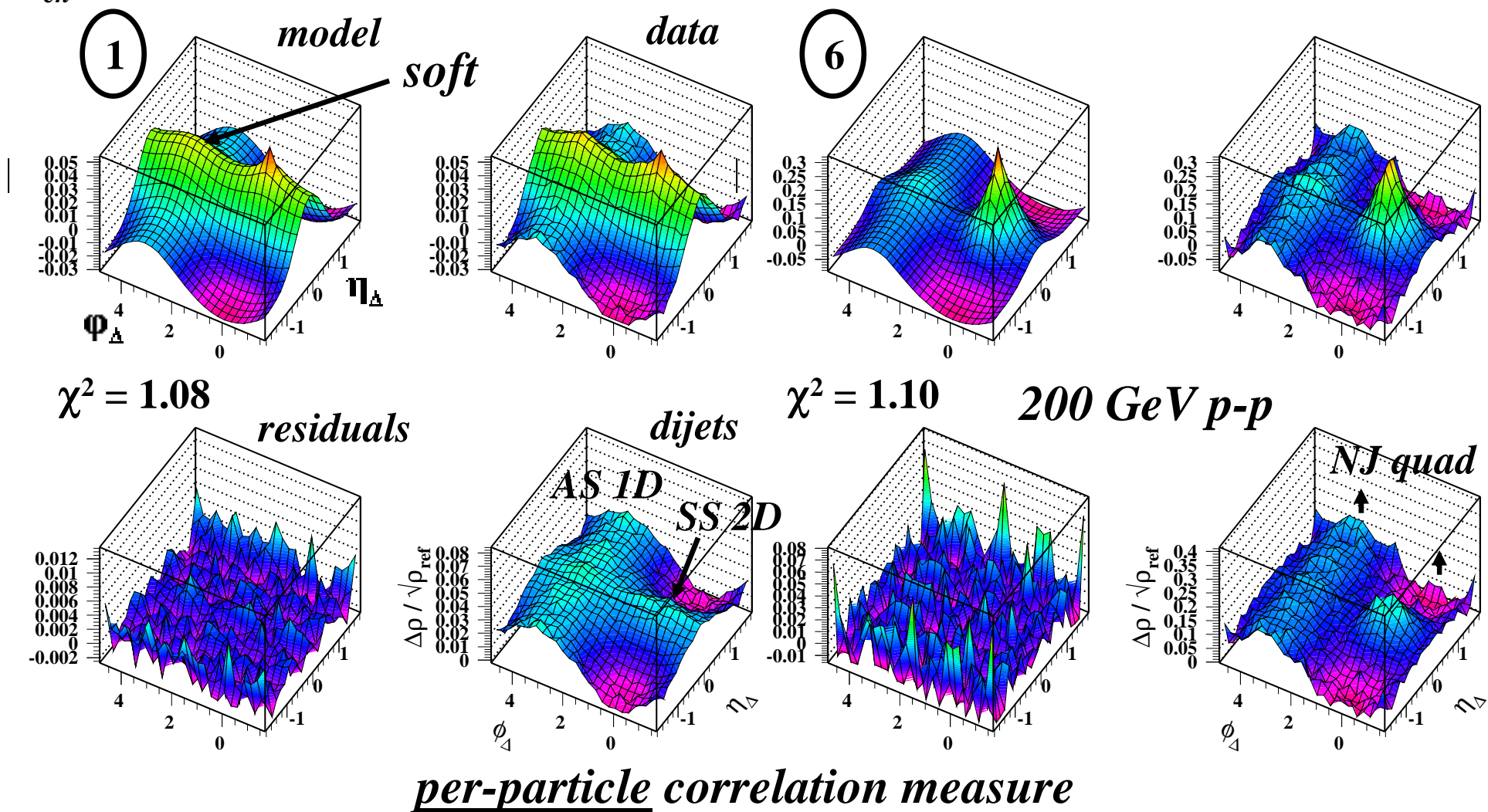
$$\Delta\eta = 2$$

eikonal approximation invalid  
 no impact parameter

$dijet \text{ number } n_j = 0.03 (n_s/2.5)^2$

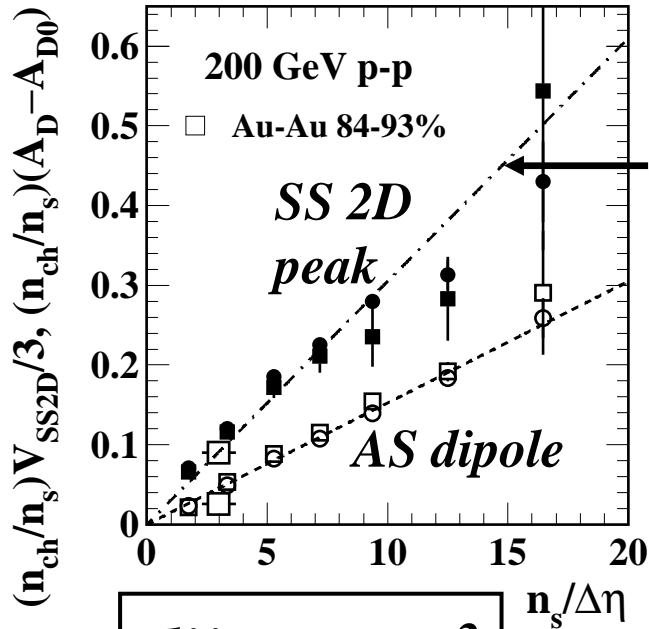
$p$ - $p$  collisions: quantum transitions,  $N_{part} \propto n_s \rightarrow$  low- $x$  gluons

# $n_{ch}$ bin p-p Angular Correlations vs $n_{ch}$

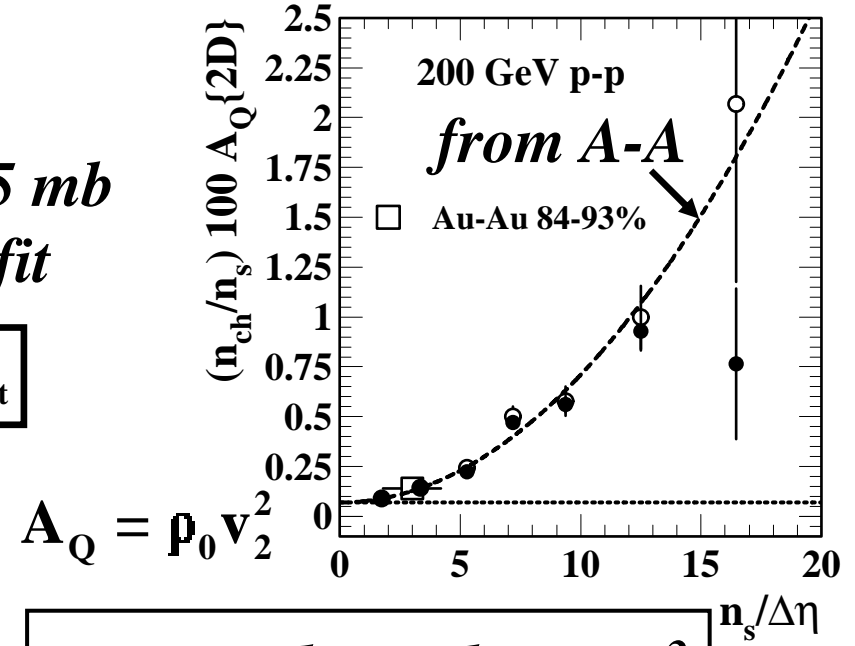


*three main components: (1) jet-related same-side 2D peak  
 (2) away-side 1D peak (dipole), (3) nonjet quadrupole*

# Predictions from pQCD, $p$ - $p$ “Glauber”



$$\boxed{\text{dijets} \propto n_s^2}$$



$$\boxed{NJ \text{ quadrupole} \propto n_s^3}$$

minimum-bias (MB) jets – minijets

becomes CMS SS “ridge” in  $p$ - $p$

in Au-Au collisions:  $n_{ch} A_Q \propto N_{part} N_{bin} \epsilon_{opt}^2$

becomes “elliptic flow” in A-A

in  $p$ - $p$  collisions:  $n_{ch} A_Q \propto N_{part} N_{bin} \langle \epsilon_{opt}^2 \rangle$

$$\boxed{NJ \text{ quadrupole}} \propto N_{part}^3 \propto n_s^3$$

$$\boxed{\text{soft component} \propto n_s}$$

prediction:  $(n_{ch} / n_s) A_Q \propto n_s^2$

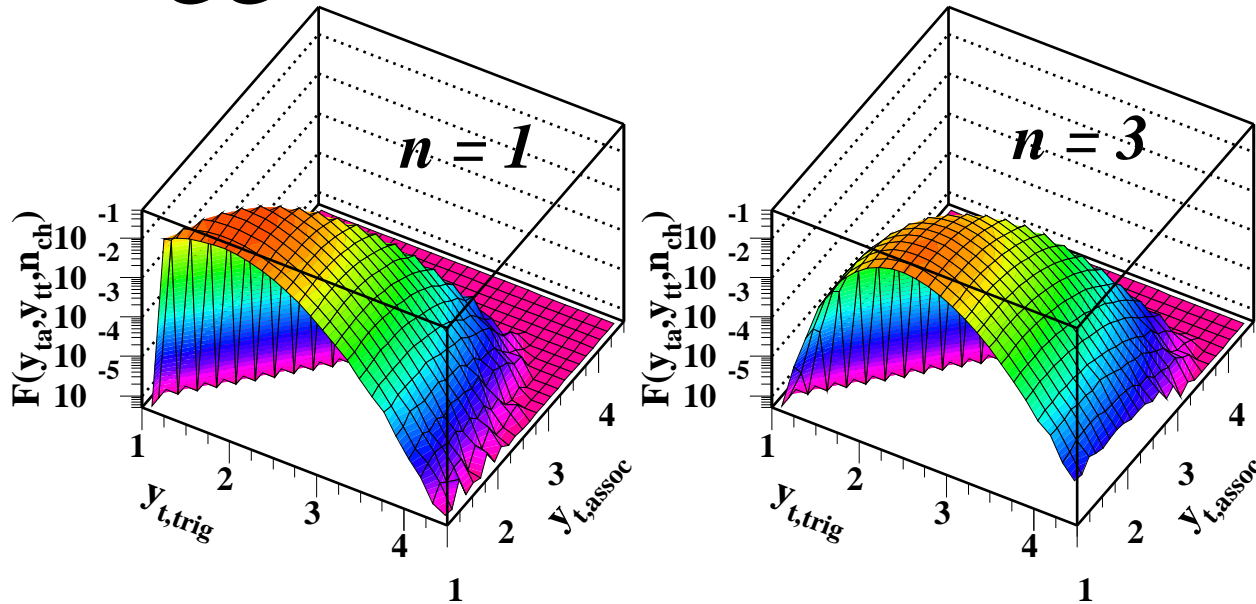
proton dissociation  
to participant partons

# Trigger-associated Correlations

*for events with  $n_{ch}$  hadrons in  $\Delta\eta$*

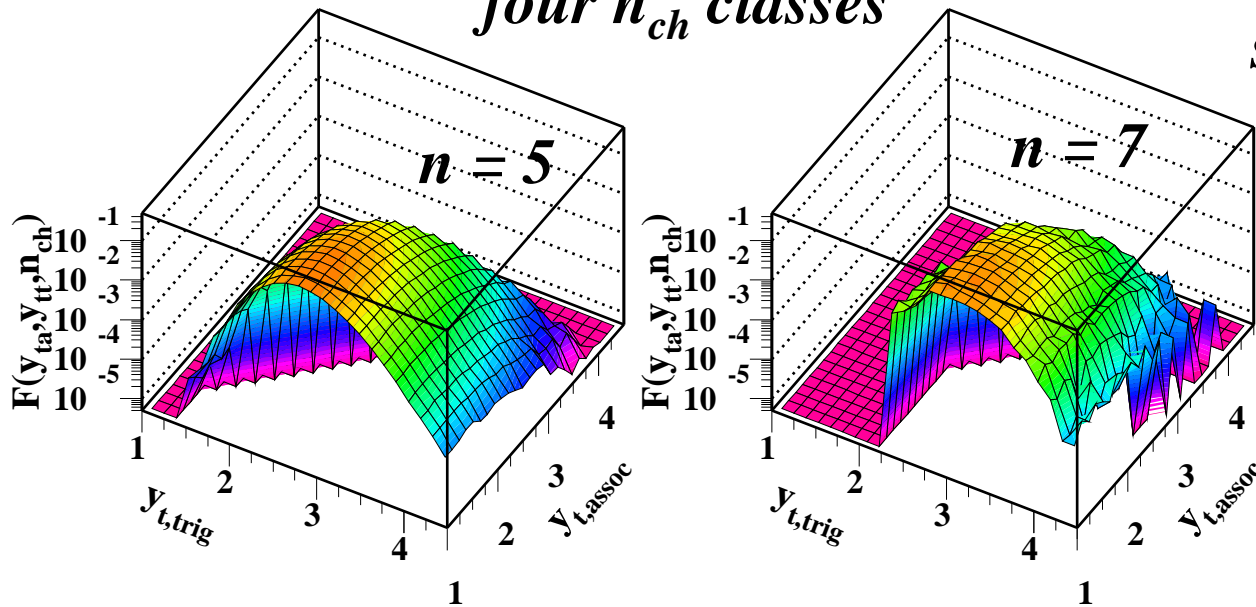
- *in each event the highest  $y_t$  is the “trigger”*
  - *$n_{ch}-1$  others are “associated”*
  - *form all trigger-associated pairs except self pairs*
  - *subtract calculated TCM soft component(s)*
  - *obtain conditional hard component  $H_h(y_{ta}:y_{tt})$*
  - *$H_h$  can be compared with parton-fragment FFs*
  - *determine kinematic limits of jet production*
  - *determine azimuth dependence relative to trigger*
- no  $p_t$  cuts – all jets, all hadron pairs accepted*

# Trigger-associated (TA) Distributions $F$

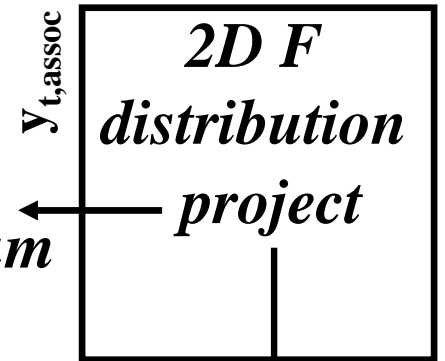


*marginal projections  
constrain 2D TCM*

*four  $n_{ch}$  classes*



*1D SP  
spectrum*



*2006 PRD*

*1D trigger  
spectrum*

*new*



# TA Two-component Model – TCM

*1D event-type prob void prob*

*TCM trigger model*

$$P_{\text{trig}}(\mathbf{y}_{\text{tt}}, \mathbf{n}_{\text{ch}}) = P_s(\mathbf{n}_{\text{ch}})G_s(\mathbf{y}_{\text{tt}}, \mathbf{n}_{\text{ch}})S_0(\mathbf{y}_{\text{tt}}) + P_h(\mathbf{n}_{\text{ch}})G_h(\mathbf{y}_{\text{tt}}, \mathbf{n}_{\text{ch}})F_h(\mathbf{y}_{\text{tt}}, \mathbf{n}_{\text{ch}})$$

$$F_h(\mathbf{y}_{\text{tt}}, \mathbf{n}_{\text{ch}}) = p'_s(\mathbf{n}_{\text{ch}})S_0(\mathbf{y}_{\text{tt}}) + p'_h(\mathbf{n}_{\text{ch}})H_0(\mathbf{y}_{\text{tt}})$$

*1D SP spectrum TCM*

$P_s = \exp(-n_j)$

$P_h = 1 - P_s$

*void probability:*

$$G_x(\mathbf{y}_{\text{tt}}, \mathbf{n}_{\text{ch}}) = \exp\left[-\kappa \int_{\mathbf{y}_{\text{tt}}}^{\infty} d\mathbf{y}_t \mathbf{n}_{\text{ch}} F_x(\mathbf{y}_t, \mathbf{n}_{\text{ch}})\right]$$

*sample-type prob*

$n_j$  – dijet number

**exercise in compound probabilities**

*derive 2D two-component TA model based on 1D spectra*

**1307.1819**

**derived from 1D SP spectra**

$$F(y_{\text{ta}}, y_{\text{tt}}, n_{\text{ch}}) = \frac{1}{N_{\text{evt}}(n_{\text{ch}})(\hat{n}_{\text{ch}} - 1)} \frac{d^2 n_{\text{ch}}}{y_{\text{tt}} dy_{\text{tt}} y_{\text{ta}} dy_{\text{ta}}}$$

$$= P_s(n_{\text{ch}})T_s(y_{\text{tt}}, n_{\text{ch}})A_s(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}}) + P_h(n_{\text{ch}})T_h(y_{\text{tt}}, n_{\text{ch}})A_h(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}}),$$

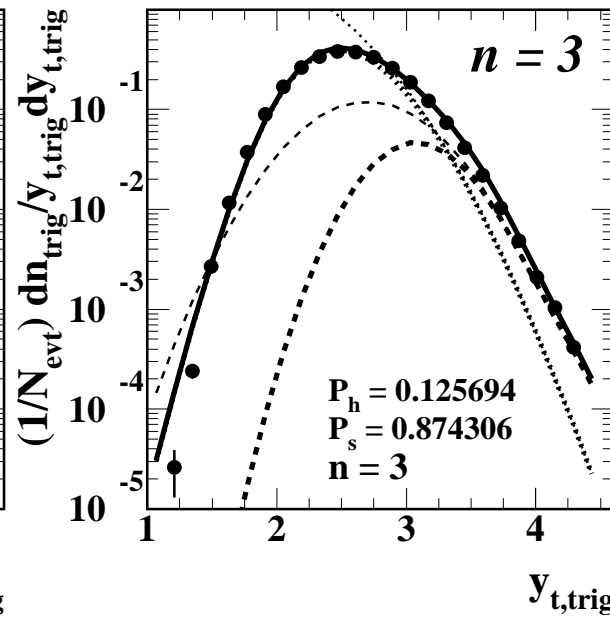
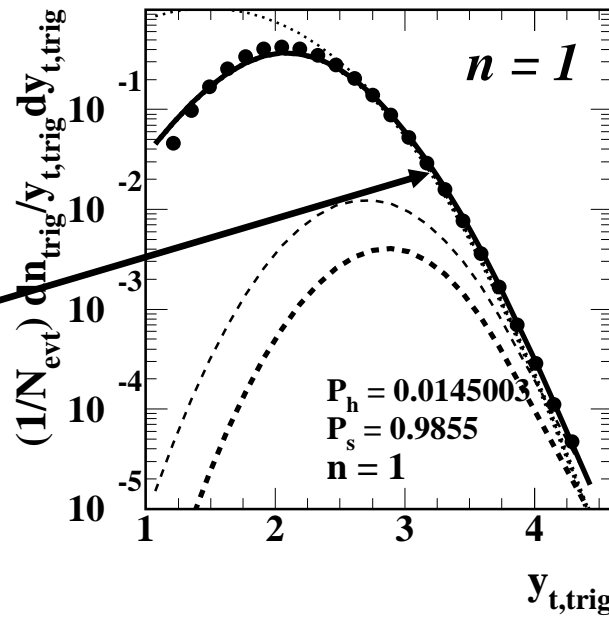
*includes factorized hard-component model*

$H_0'(y_{\text{ta}} : y_{\text{tt}})$  as place holder

where  $A_s(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}}) = S_0''(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}})$  for soft and  $A_h(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}}) = p'_s(n_{\text{ch}})S_0'(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}}) + p'_h(n_{\text{ch}})H_0'(y_{\text{ta}} : y_{\text{tt}}, n_{\text{ch}})$  for hard event types.

# Trigger Spectra T – Four $n_{ch}$ Classes

*calculated*  
 $\mathbf{P}_{trig}(y_{tt}, \mathbf{n}_{ch})$   
*solid curve*

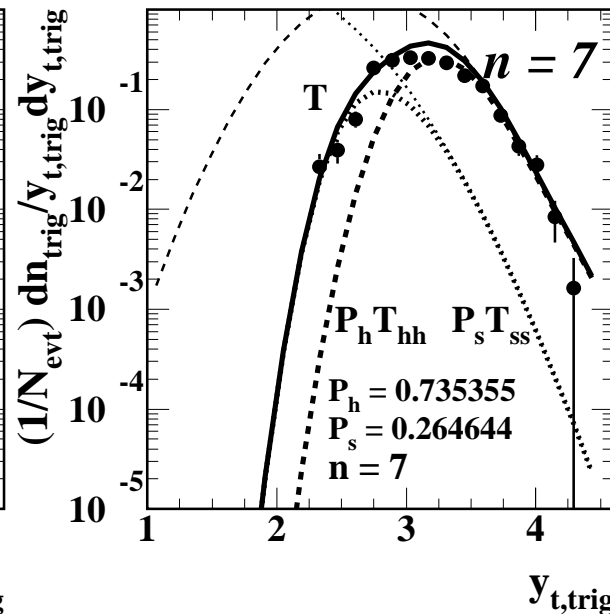
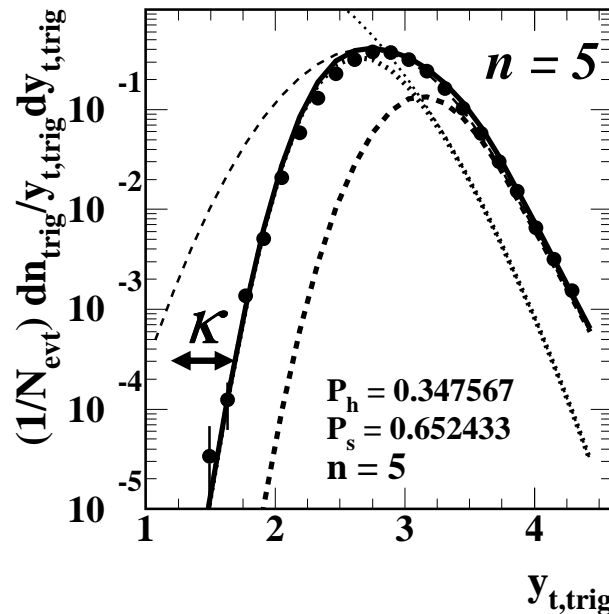


*no vertical adjustment*

*points are measured trigger spectra*

*Note:*  
*only one adjustment –  $O(1)$  parameter  $\kappa$  accounts for non-Poisson correlations*

$\kappa = 1.3-1.6$

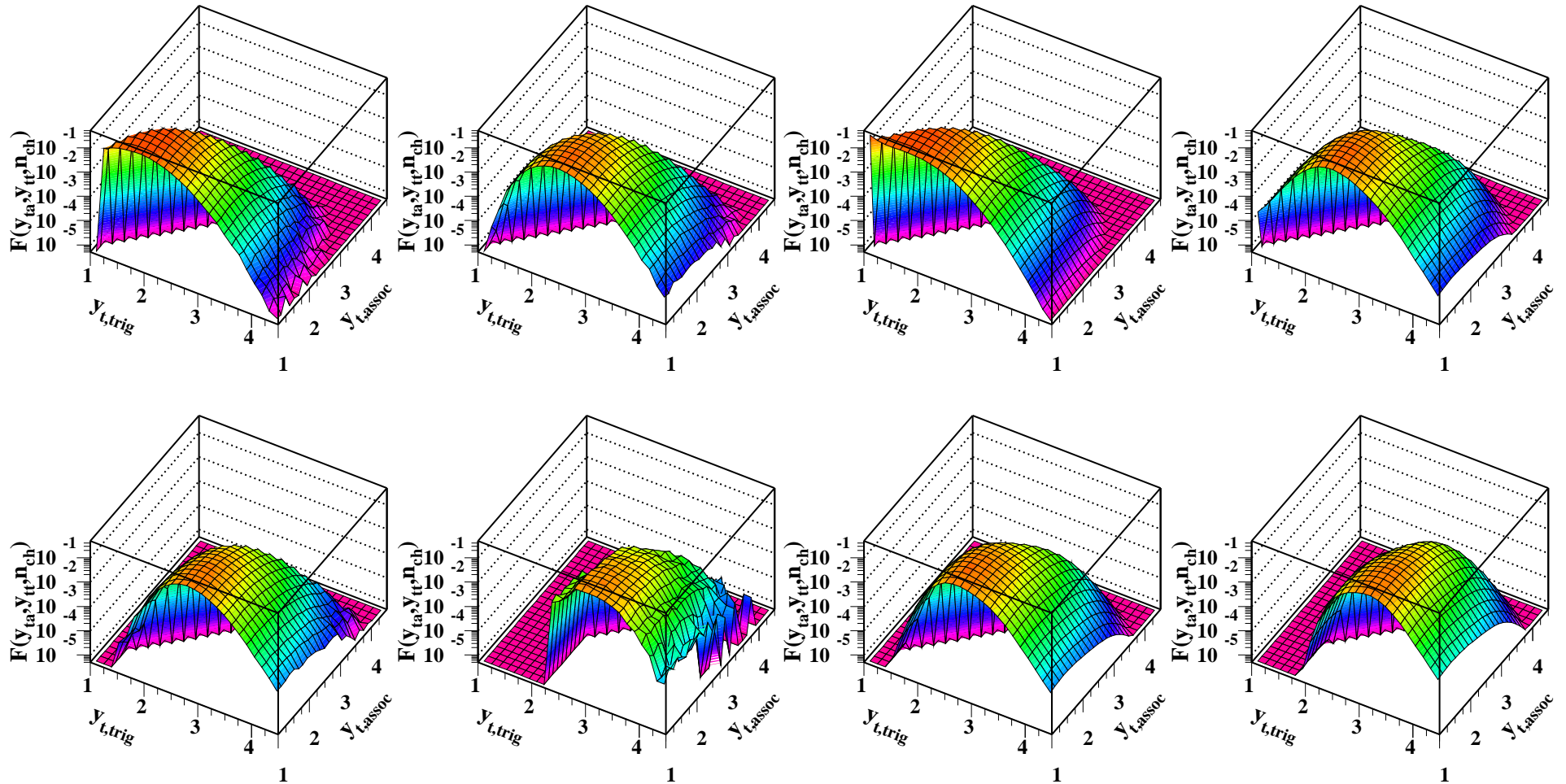


*trigger spectrum components*

# Compare 2D TA Data and TA TCM

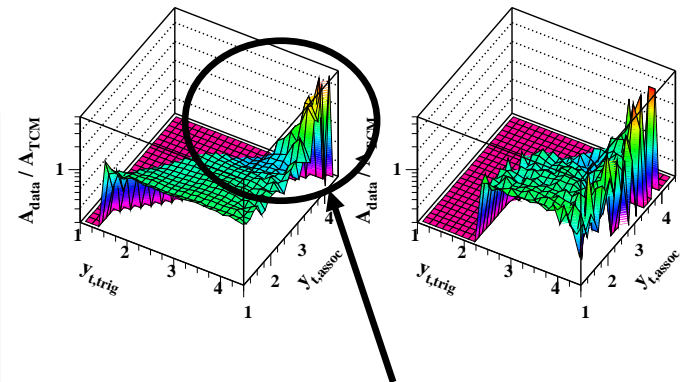
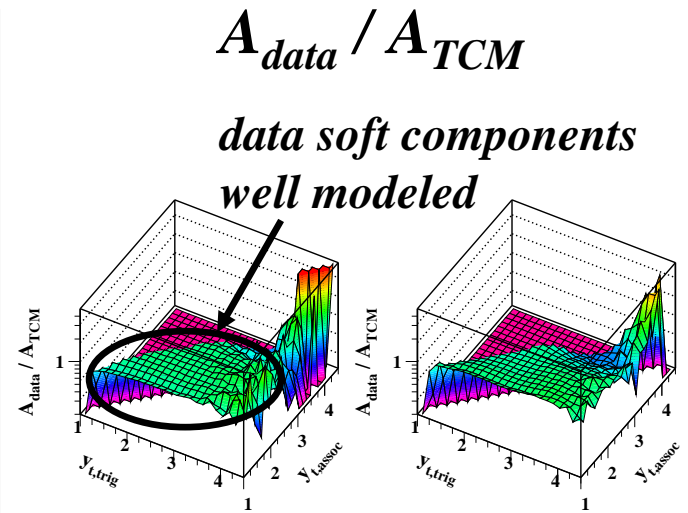
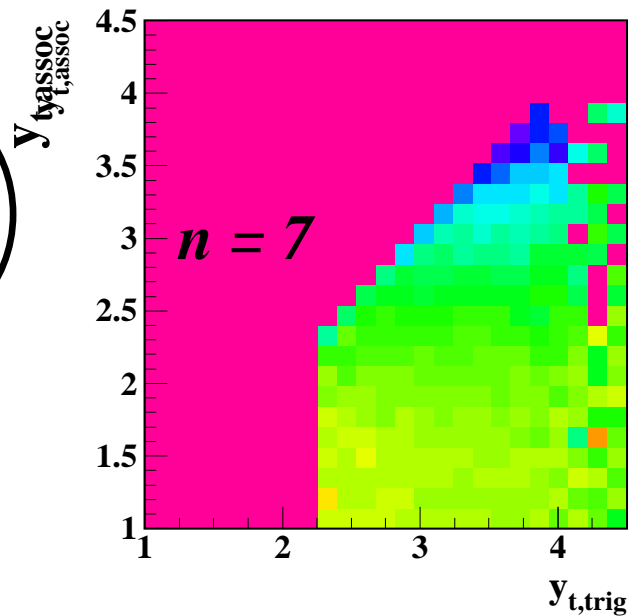
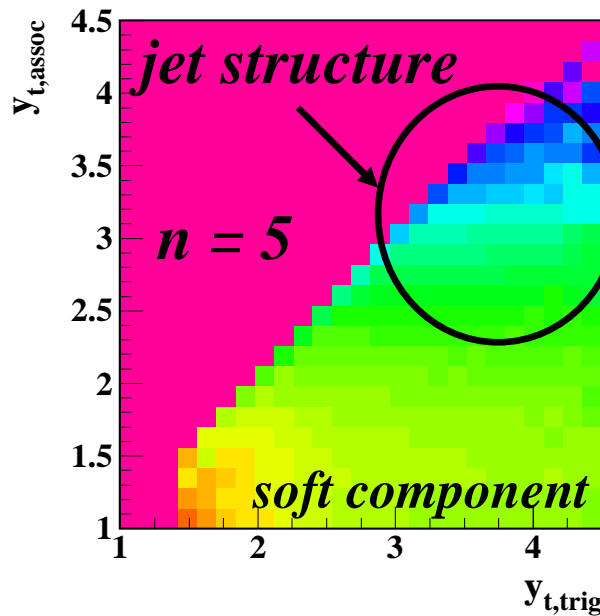
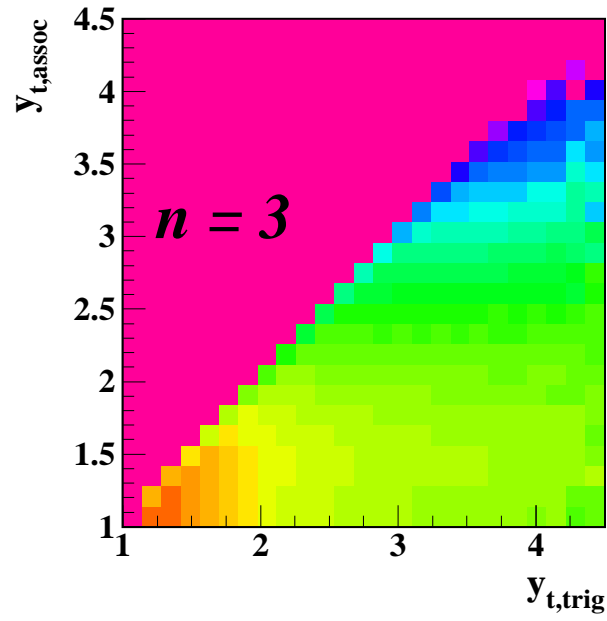
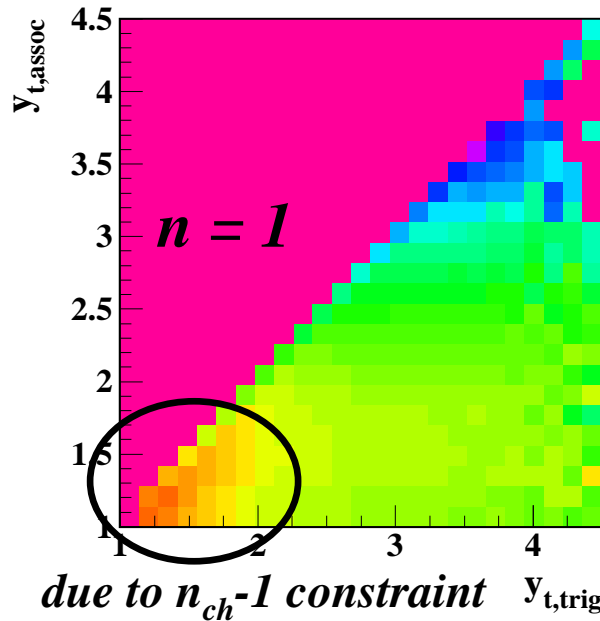
*F data*

*F TCM*



*major features agree quantitatively*

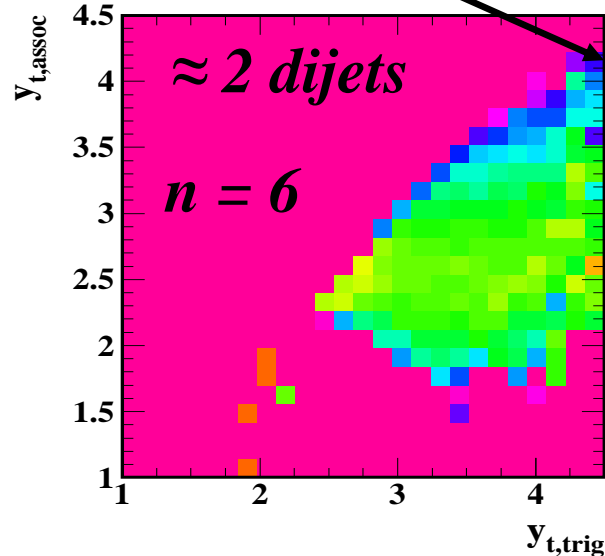
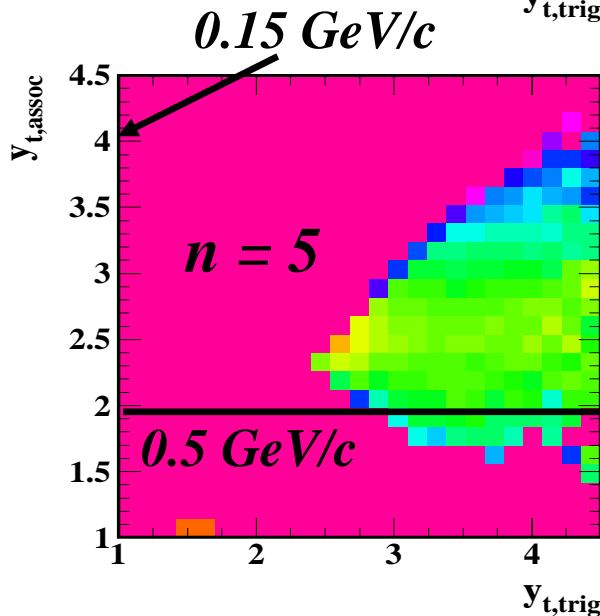
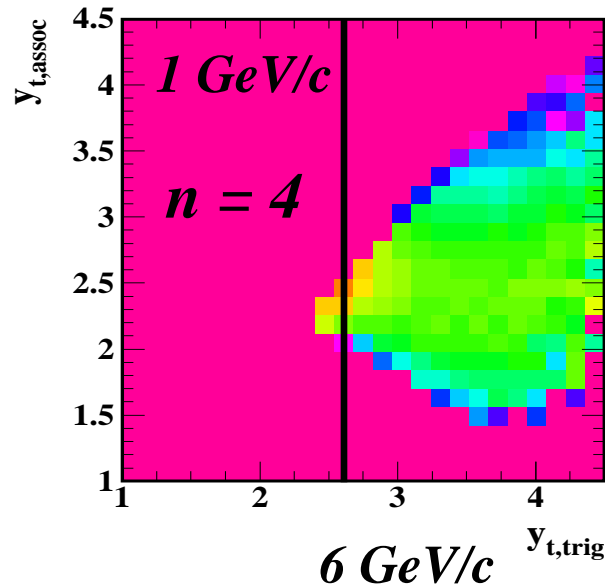
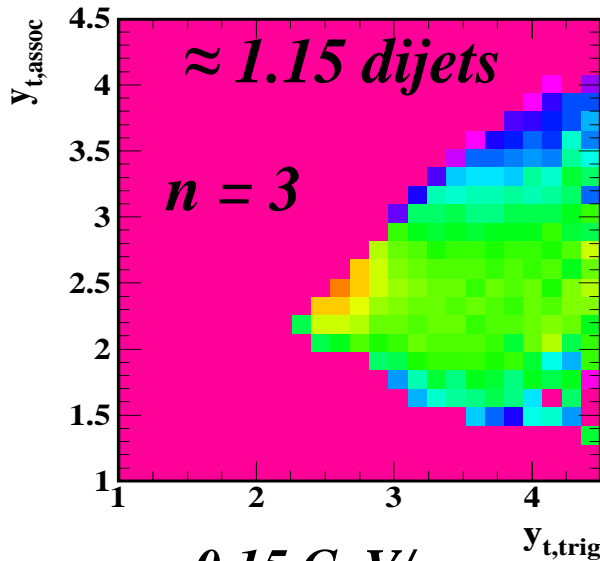
# Associated-per-Trigger Ratios $A = F/T$



*data hard components:  
new information  
on dijet structure*

# Hard Component of $A = F/T$ per Dijet

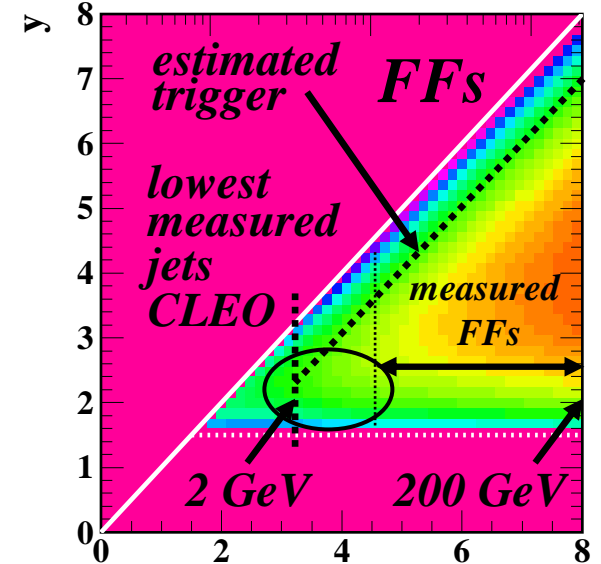
per-dijet approximately independent of  $n_{ch}$ !



*subtract TCM  
soft components  
compare with  
unbiased jet structure*

hep-ph/0606249

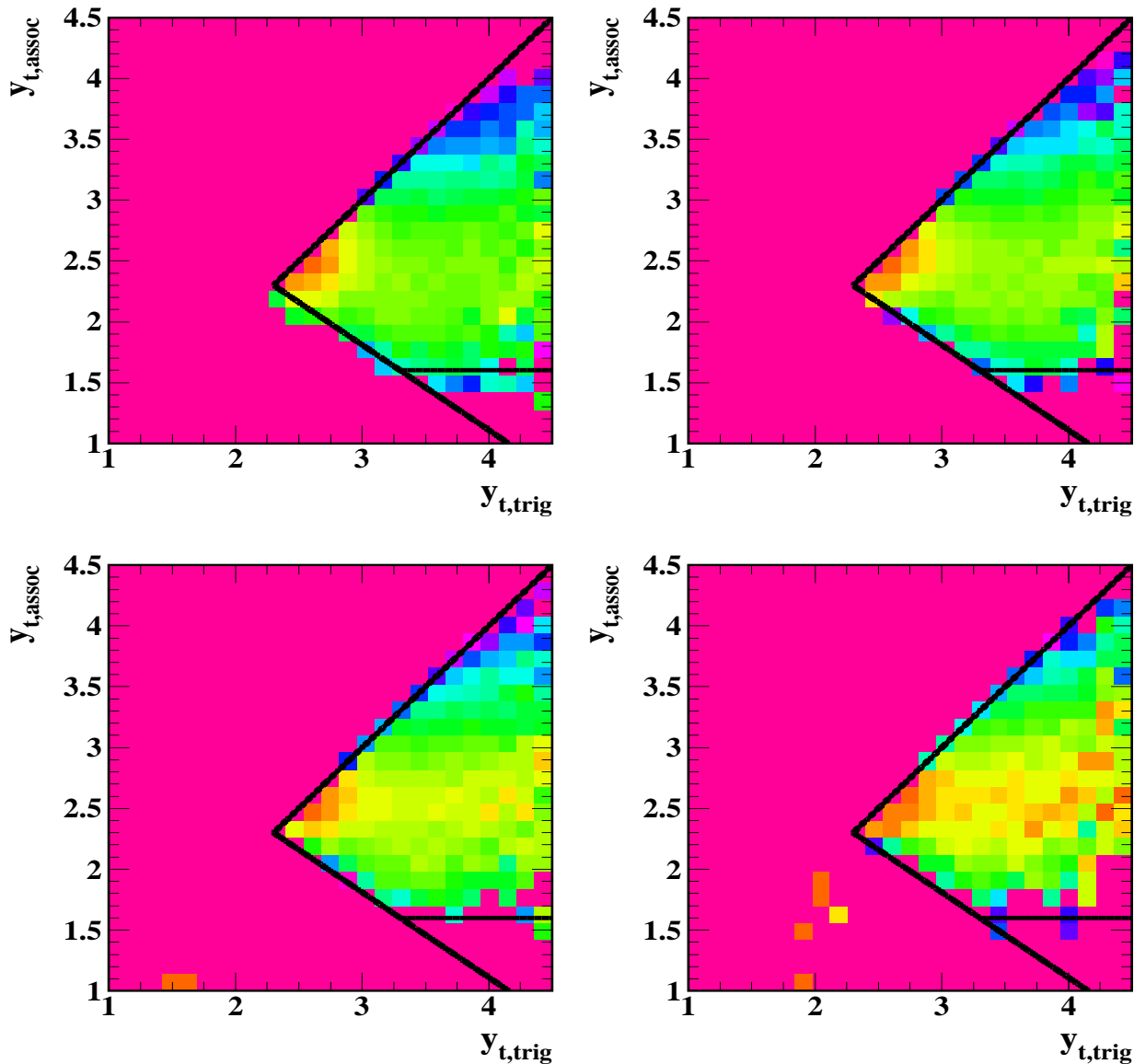
measured FFs – 2006



parton energy  $y_{max}$   
 $y_{max} \approx \ln(2E_{parton}/m_{\pi})$  13

# Hard Component of $A = F/T$ per Dijet

*per hard event dependent on  $n_{ch}$*

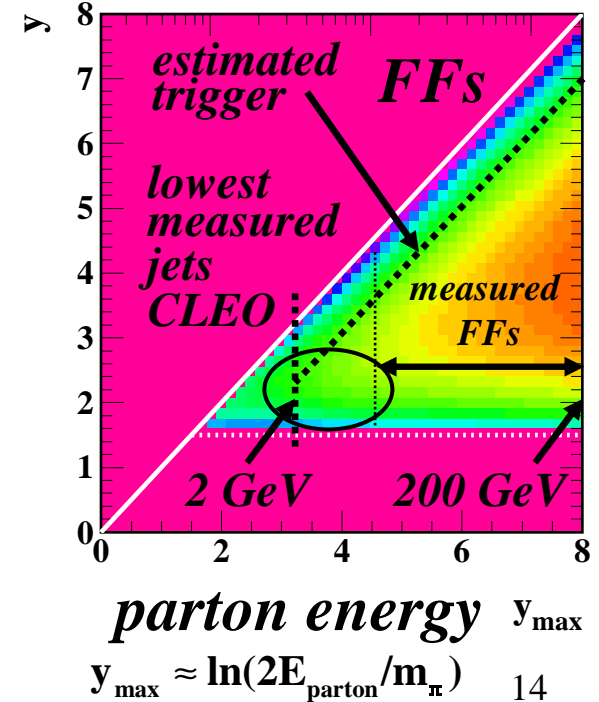


*subtract TCM  
soft components*

*compare with  
unbiased jet structure*

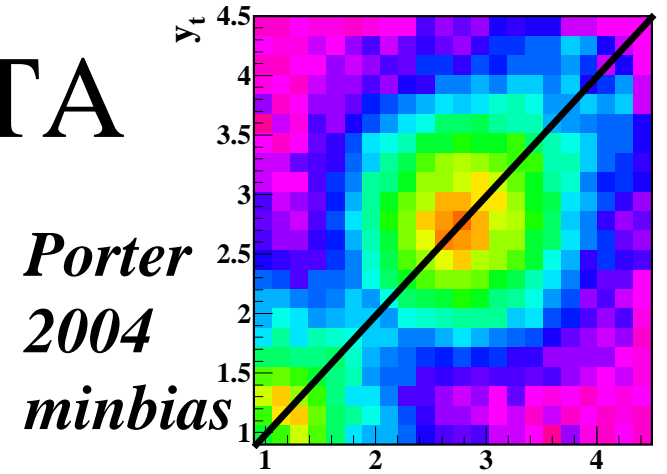
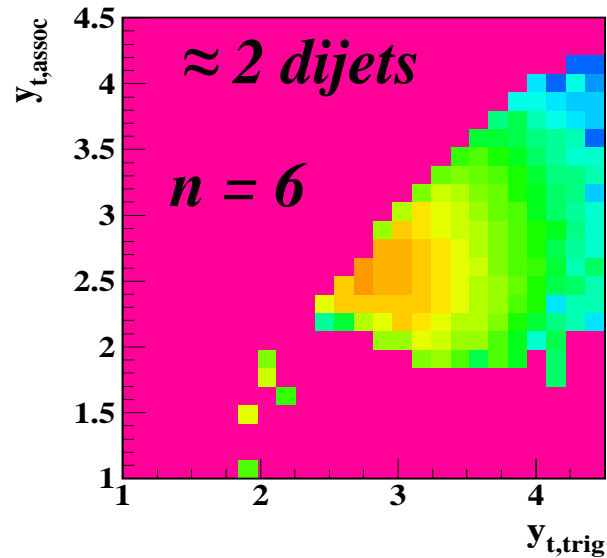
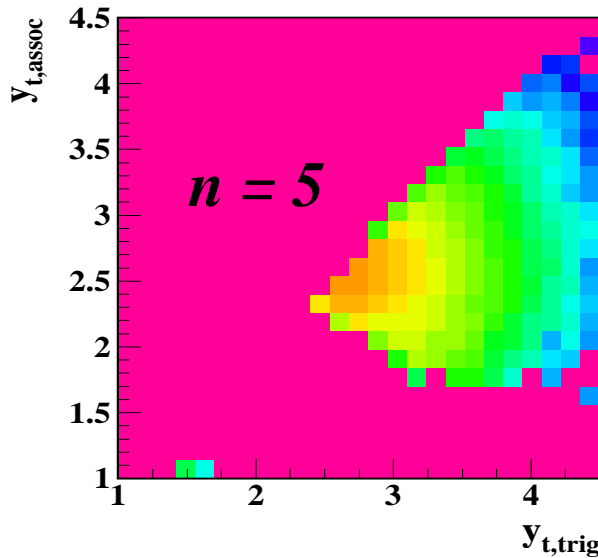
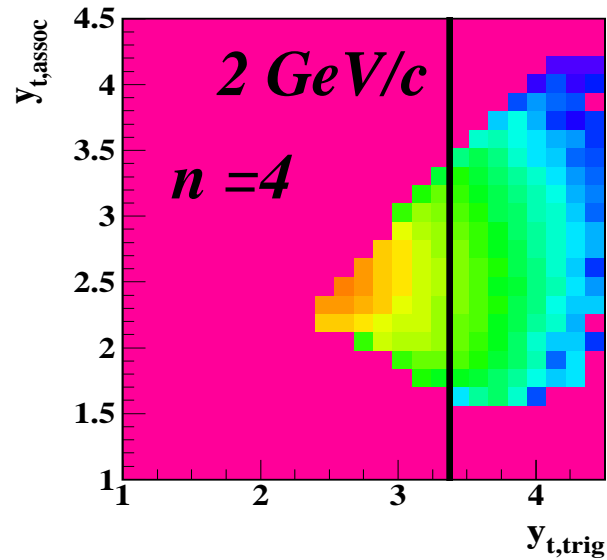
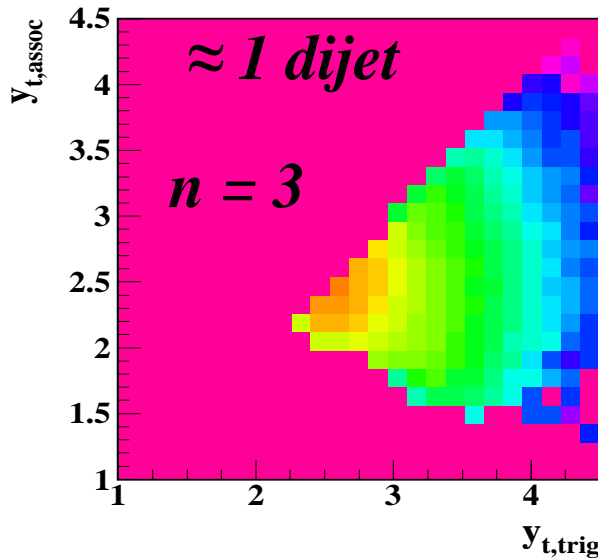
hep-ph/0606249

*measured FFs – 2006*



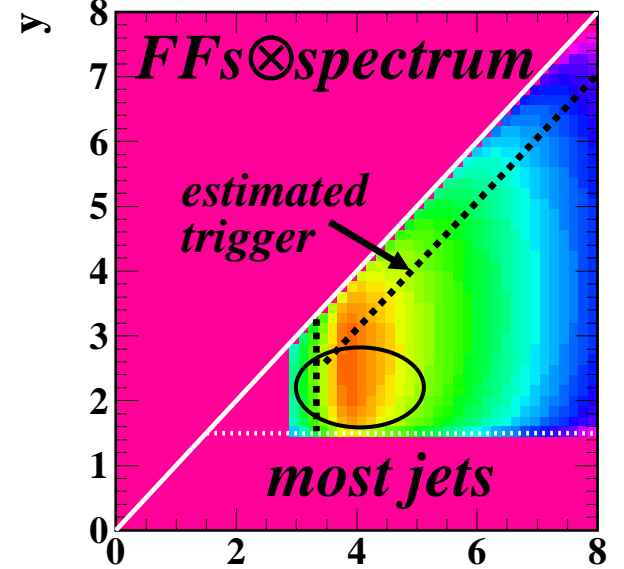
# Hard Component of $F = TA$

*actual minbias trigger-associated pairs*



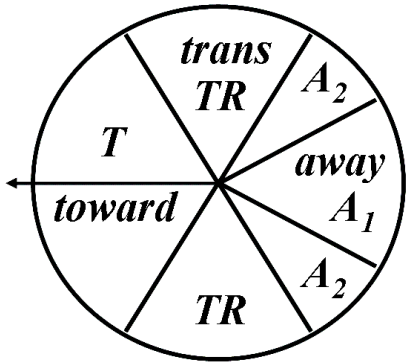
*compare with  $y_t \times y_t$  correlations and...*

*pQCD factorization*



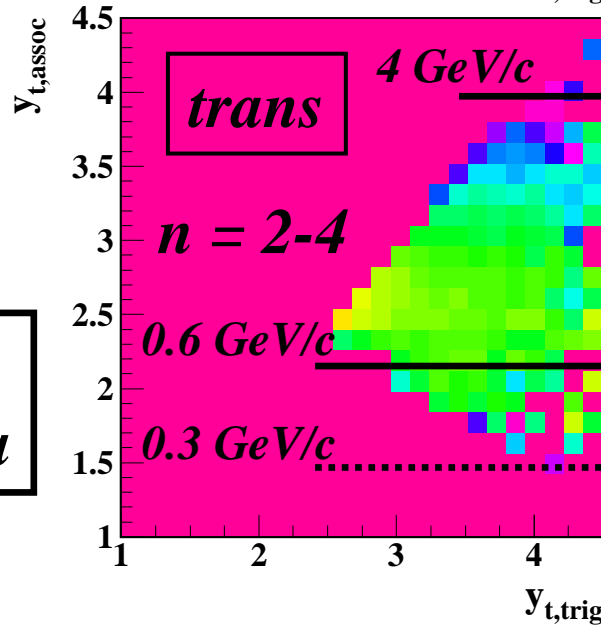
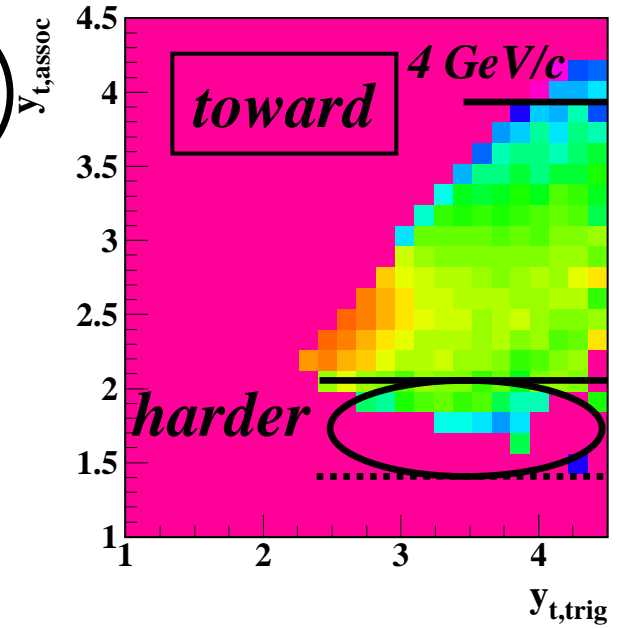
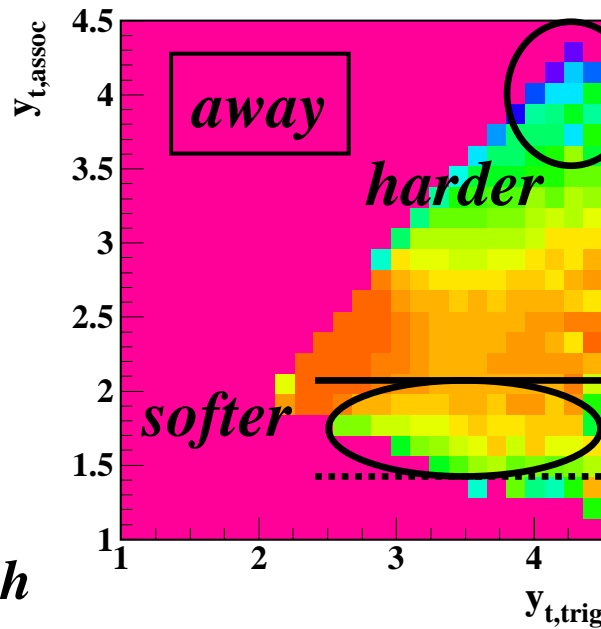
*parton spectrum  $y_{\text{max}}$*

# A = F/T vs Azimuth Intervals



*sum three low- $n_{ch}$  bins: MPI < 15%*

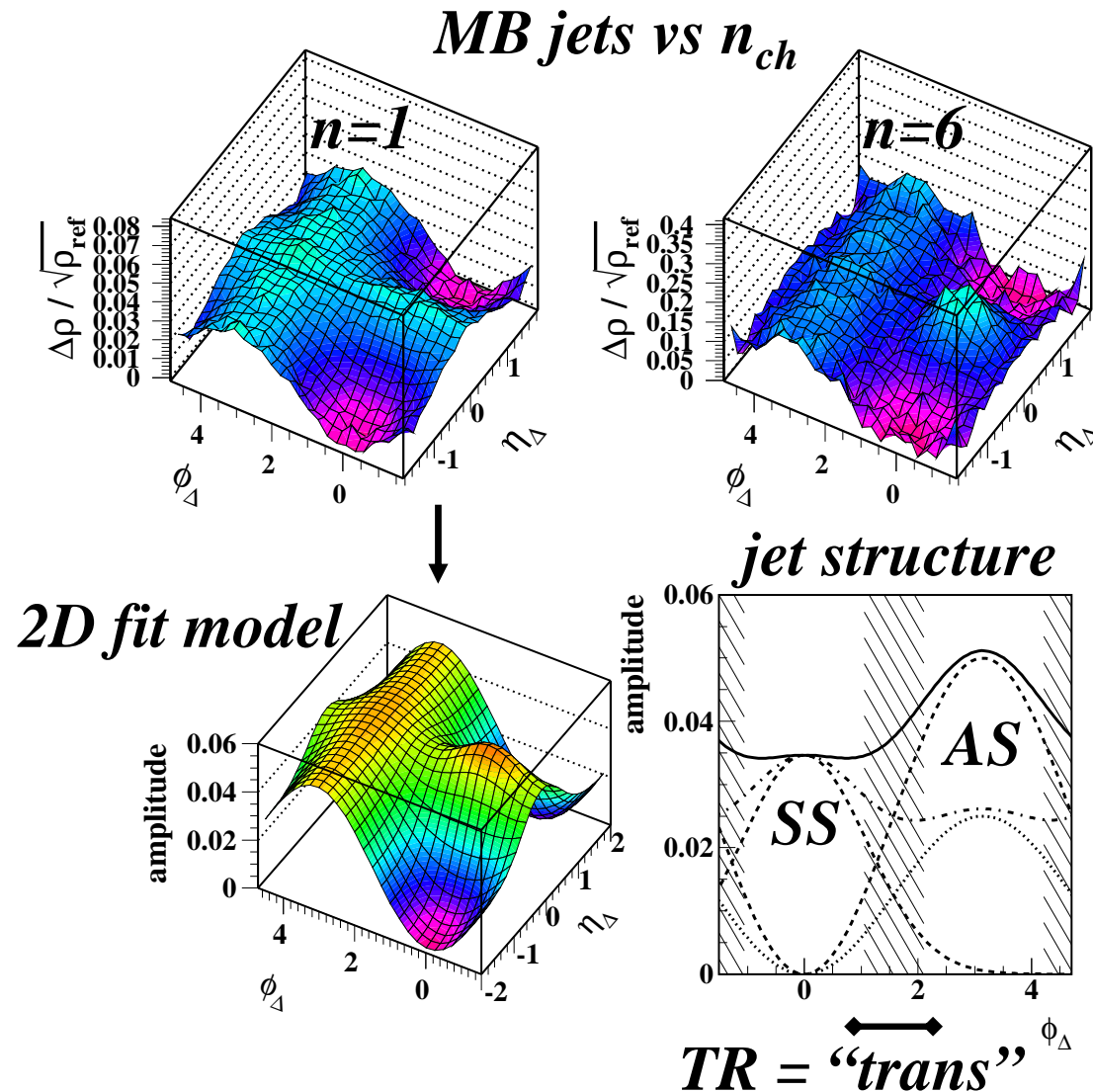
**UE MPI conjecture inconsistent with data**



*jets in TR!  
part of  
triggered dijet*



# Dijet Structure in the “Trans” Region

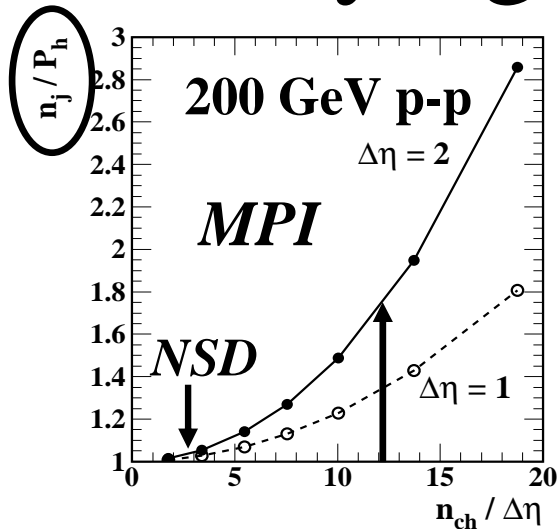


*MB jets provide a base for higher-energy dijets*

*relative to MB jets:  
for higher jet energies  
hadrons added nearer  
the jet axis do not  
contribute to the TR*

*substantial overlap: same-side SS vs away-side AS*

# Underlying-Event Trends and the TR



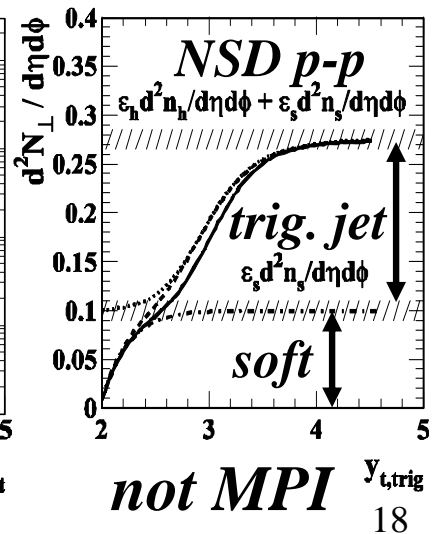
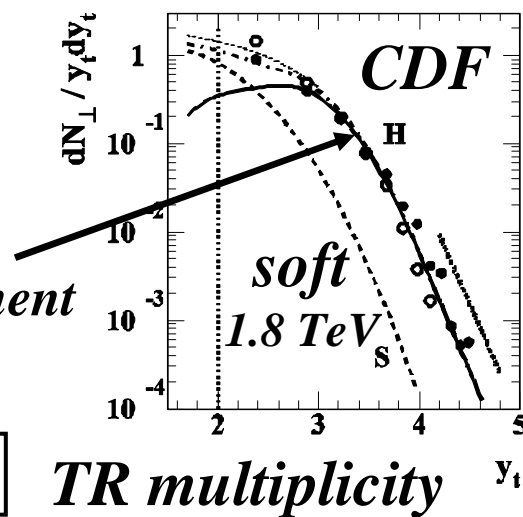
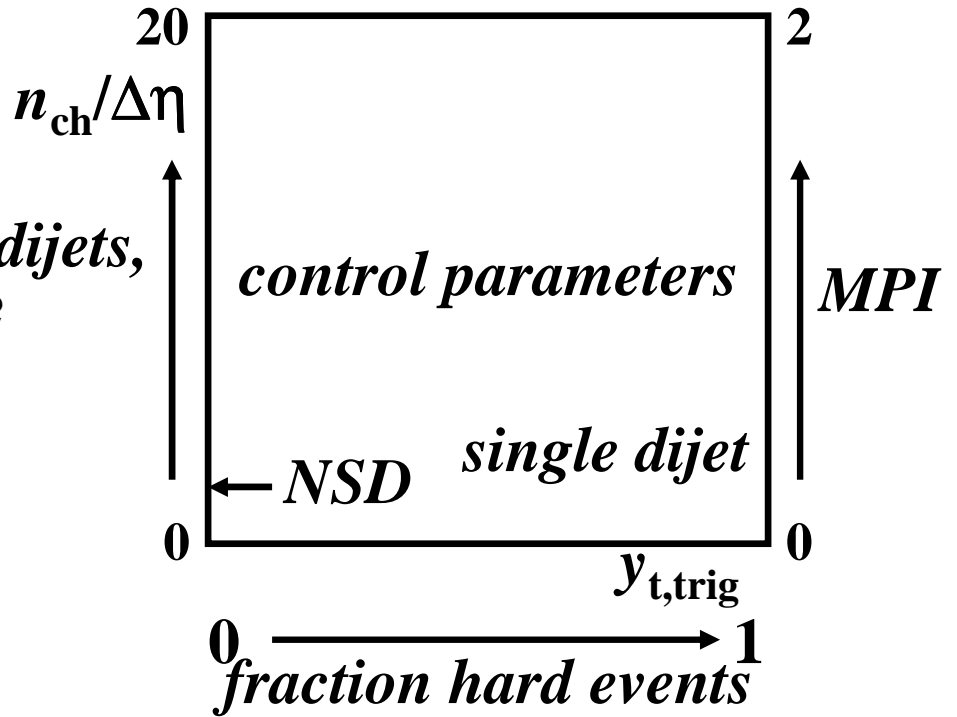
number of dijets in hard events

*real UE = soft component plus MPI described above*

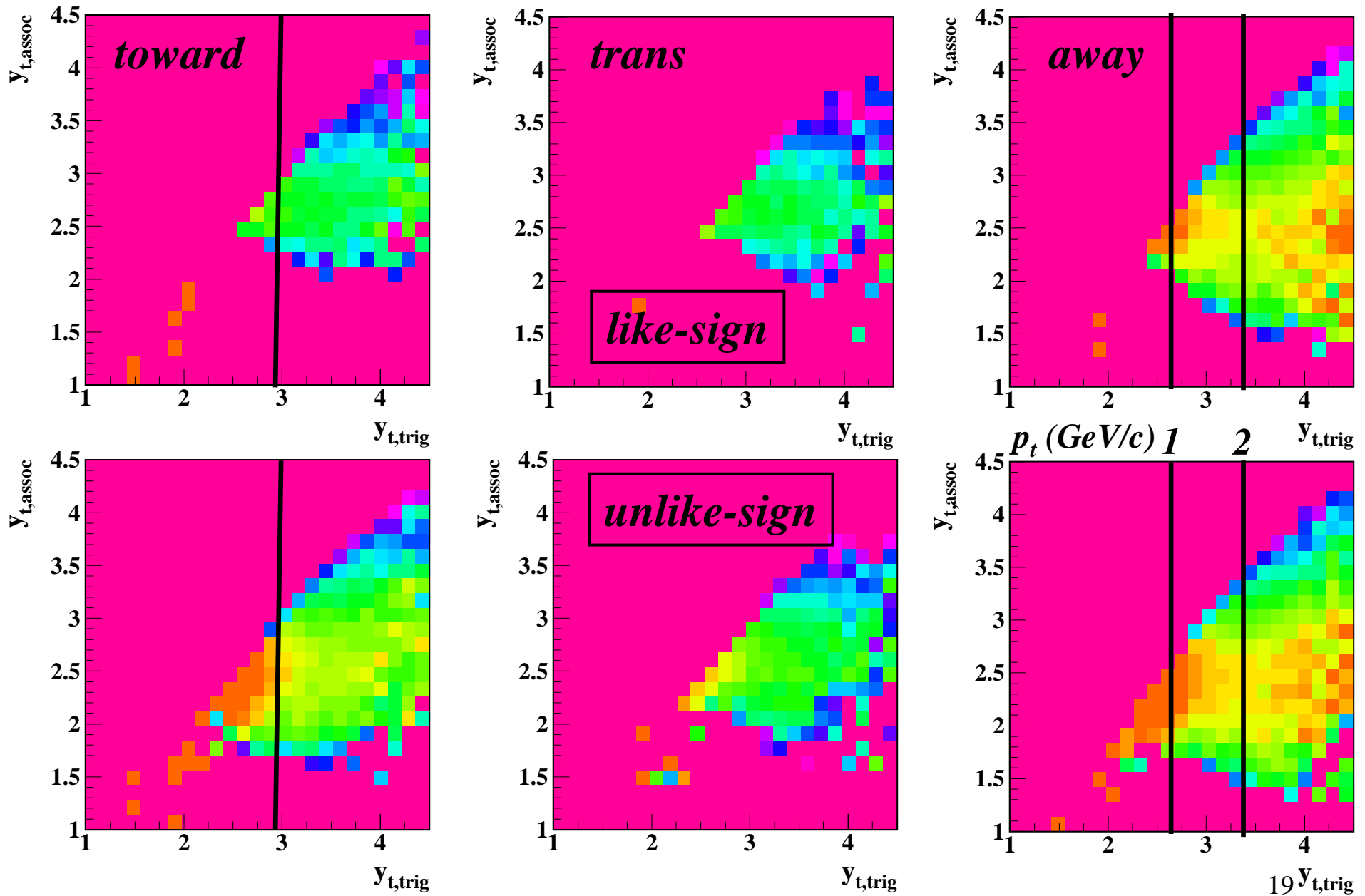
*jet contribution to TR comes from MB jet structure common to all dijets*

1210.5217

*hard component in TR*



# Charge-pair Type Dependence



# Kinematic Space for Jets & Fragments

## *effective boundaries for jet formation*

- *Trigger hadrons extend down to 1 GeV/c*
- *Associated hadrons extend down to 0.4 GeV/c (AS) or 0.8 GeV/c (SS)*
- *TA results consistent with measured FFs from LEP, HERA and CDF and with a pQCD parton spectrum that predicts measured dijet production*
- *Conventional trigger-associated  $p_t$  cuts accept a tiny fraction of the actual jet number and jet fragments, produce a deceptive picture of jets in HE collisions*

# Summary

- “Glauber” model for  $p$ - $p$  collisions, no eikonal
- “Soft” component represents participant partons
- Predict trends for dijet, nonjet-quadrupole correlations
- MPI trend with  $n_{ch}$ , jet contributions to “trans” region
- Develop TCM for trigger-associated TA correlations
- 1D  $T$  spectrum, 2D  $F = TA$  two-component models
- Hard components of  $F, A$  by subtraction  $\rightarrow$  MB jets
- Direct link to measured fragmentation functions and underlying pQCD parton spectrum
- TA results confirm trigger contribution to “trans” region