

ResBos2

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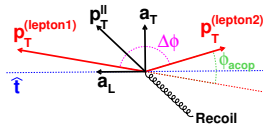
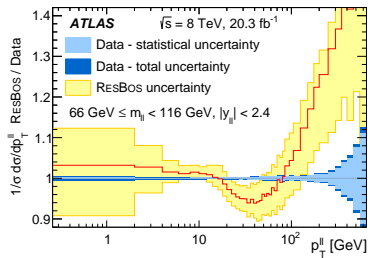
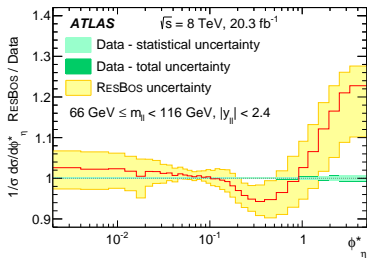
Motivation

- Precise predictions modify the efficiencies for predictions
- Better understand sensitive kinematical distributions
- Understand difference between q_T resummation schemes
- Large Logs \rightarrow Perturbation Theory breaks down

$$\begin{aligned} \frac{d\sigma}{dq_T^2} \propto & \frac{1}{q_T^2} \left(\alpha_s(L+1) + \alpha_s^2(L^3 + L^2) + \dots \right) \\ & + \left(\alpha_s^2(L+1) + \alpha_s^3(L^3 + L^2) + \dots \right) \\ & + \dots \end{aligned}$$

Motivation (Cont.)

$$\phi_{\eta}^* = \tan\left(\frac{\pi - \Delta\phi}{2}\right) \sqrt{1 - \tanh\left(\frac{\eta_1 - \eta_2}{2}\right)} \approx \frac{Q_T}{Q} \sin\phi_{CS}$$



Vesterinen and Wyatt et al.

CSS vs. CFG Formalism

Resummation

$$\sigma \int \frac{d^2b}{(2\pi)^2} e^{i\vec{q}_T \cdot \vec{b}} \tilde{W} + Y, \tilde{W} = e^{-S(b)} e^{-S_{NP}(b)} C \otimes f(x_A) C \otimes f(x_B)$$

$$S(b) = \int_{(\frac{b_0}{b})^2}^{Q^2} \frac{d\bar{\mu}^2}{\bar{\mu}^2} \left[\ln \left(\frac{Q^2}{\bar{\mu}^2} \right) A(\bar{\mu}) + B(\bar{\mu}) \right]$$

CSS Formalism:

- Resummation process dependent (B and C Coefficients)
- What is implemented in ResBos and will be in ResBos2

CFG Formalism:

- Resummation process independent (B and C Coefficients)
- More in line with TMD
- What will be implemented in ResBos2

CSS vs. CFG (Cont.)

All Orders Conversion

$$A^{CSS} = A^{CFG}$$

$$B^{CSS} = B^{CFG} - \beta(\alpha_s) \frac{d \ln H(\alpha_s)}{d \ln \alpha_s}$$

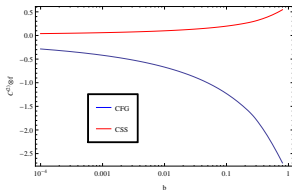
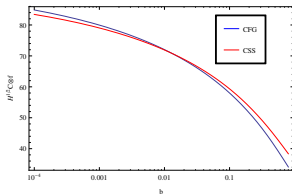
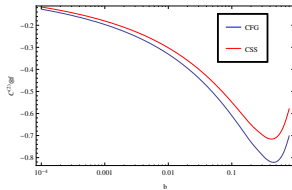
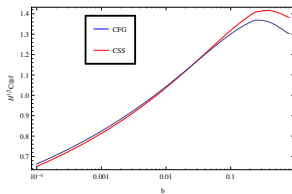
$$C^{CSS} = [H(\alpha_s)]^{1/2} C^{CFG}$$

CSS vs. CFG (Cont.)

Conversion between CSS and CFG (Hard Factors):

Conversion

$$C_{ab}^{(1)CSS}(z) = C_{ab}^{(1)CFG}(z) + \delta_{ab} \delta(1-z) \frac{1}{2} H_a^{(1)}$$
$$C_{ab}^{(2)CSS}(z) = C_{ab}^{(2)CFG}(z) + \frac{1}{2} H_a^{(1)} C_{ab}^{(1)CFG}(z) + \delta_{ab} \delta(1-z) \frac{1}{2} \left(H_a^{(2)} - \frac{1}{4} \left(H_a^{(1)} \right)^2 \right)$$

Effects of $C^{(2)}$ on Drell-Yan $q\bar{q}$ Channel qg ChannelNote: $x = 0.01$

CSS vs. CFG (Cont.)

Conversion between CSS and CFG (Sudakov Factors):

Conversion

$$B^{(1)CSS} = B^{(1)CFG}$$

$$B^{(2)CSS} = B^{(2)CFG} + \beta_0 H^{(1)}$$

$$B^{(3)CSS} = B^{(3)CFG} + \beta_1 H^{(1)} + 2\beta_0 \left(H_a^{(2)} - \frac{1}{2} \left(H_a^{(1)} \right)^2 \right)$$

B^3 for Drell-Yan

See Huaxing Zhu's Talk for "straightforward" calculation details

CSS

$$B^{(3)} = 114.982 - 11.2737n_f + 0.321798n_f^2$$

$$B_{n_f=5}^{(3)} = 66.66$$

$$\frac{B^{(3)} \frac{\alpha_s}{\pi}}{B^{(2)}} = 1.32$$

CFG

$$B^{(3)} = -16.185 - 0.011592n_f + 0.11379n_f^2$$

$$B_{n_f=5}^{(3)} = -13.416$$

$$\frac{B^{(3)} \frac{\alpha_s}{\pi}}{B^{(2)}} = 1.03$$

Non-Perturbative Effects

- Depends on scheme and on the order of A , B , and C .
- Fixed by data from low energy Drell-Yan through Tevatron data
- Mainly effects the small q_T region (up to about 10 GeV)
- Almost no effect on LHC data

Two Main Forms Used in ResBos2:

- BLNY ($b_{Max} = 1.5$)

$$S_{NP} = g_1 b^2 + g_2 b^2 \log\left(\frac{Q}{2Q_0}\right) + g_3 b^2 \log(100x_1x_2)$$

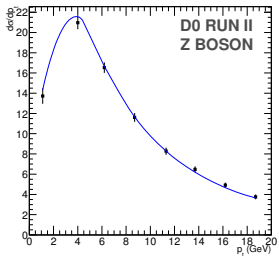
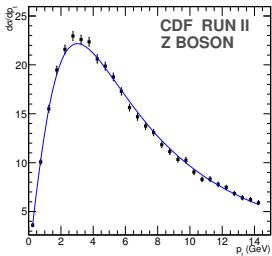
- SIYY ($b_{Max} = 1.5$)

$$S_{NP} = g_1 b^2 + g_2 \log\left(\frac{b}{b_*}\right) \log\left(\frac{Q}{Q_0}\right) + g_3 b^2 \left(\left(\frac{x_0}{x_1}\right)^\lambda + \left(\frac{x_0}{x_2}\right)^\lambda \right)$$

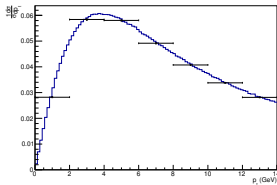
$$b_* = \frac{b}{\sqrt{1 + \frac{b^2}{b_{max}^2}}}, \quad Q_0 = 1.55, \quad \lambda = 0.2, \quad x_0 = 0.01$$

See 1406.3073 for details

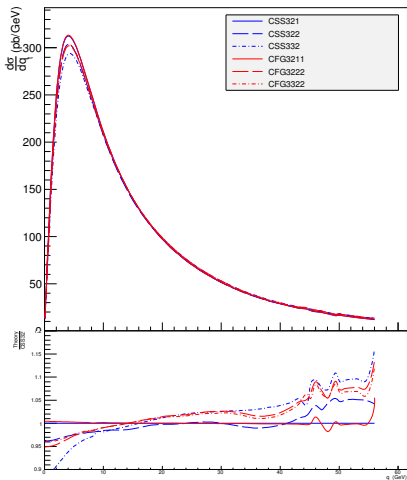
Non-pert Function



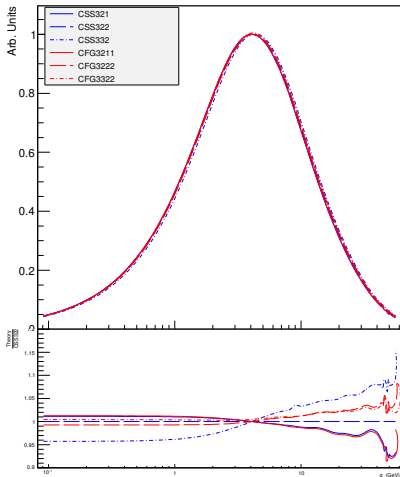
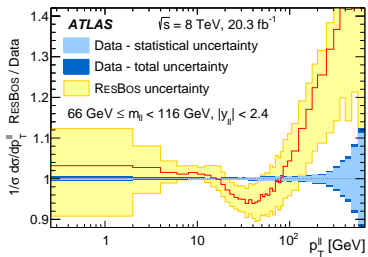
ATLAS



Comparison Between CSS and CFG



Comparison Between CSS and CFG



Asymptotic Expansion

$$\frac{d\sigma}{dq_t^2} \Big|_A = \sigma \sum_{i,j} \sum_{n,m} \left(\frac{\alpha_s(\mu)}{\pi} \right)^n {}_n C_m^{(ij)} \ln^m \left(\frac{Q^2}{q_T^2} \right)$$

First term that is different between the CSS and CFG Formalism in the asymptotic expansion is:

$$\frac{d\sigma}{dq_t^2} \Big|_A \subset \alpha_s^4 \ln \frac{Q^2}{Q_T^2} \left[A^{(4)} f_i f_j + \left(A^{(1)} \left(C^{(3)} \otimes f_i \right) f_j + A^{(1)} \left(C^{(3)} \otimes f_j \right) f_i \right) \right]$$

Using ZFITTER as EW input for ResBos

LHC 13 TeV	σ_Z [pb]
ATLAS	$1981 \pm 7 \pm 38 \pm 42$
CMS	$1910 \pm 10 \pm 40 \pm 90$
FEWZ CT14 (CMS)	1900^{+50}_{-50}
DYNNLO CT14 (ATLAS)	$1890^{+50}_{-50} \pm 30 \pm 30$
RESBOS(CMS ZFITTER)	1872
FEWZ/RESBOS	1.01496
RESBOS(ATLAS ZFITTER)	1845
DYNNLO/RESBOS	1.02439

ATLAS: $66\text{GeV} < M_{ll} < 116\text{GeV}$ CMS: $60\text{GeV} < M_{ll} < 120\text{GeV}$

Use Improved Born Approximation:

$$g_V^f = \sqrt{\rho_f} \left(t_{3L}^{(f)} - 2Q_f \kappa_f \sin^2 \theta_W^{eff} \right)$$

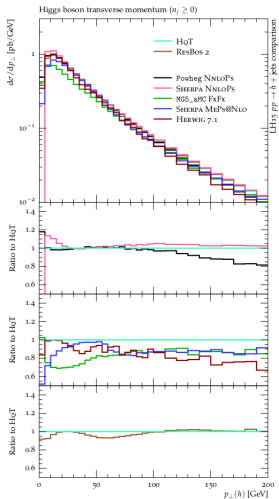
$$g_A^f = \sqrt{\rho_f} t_{3L}^{(f)}$$

$$\sin^2 \theta_W^{eff} = \kappa_f \sin^2 \theta_W$$

(Captures dominate EW effects at the Z pole, and are taken at the scale \sqrt{s})

Note: This is in the CSS Scheme and does not include $B^{(3)}$ or $C^{(2)}$

Higgs Boson Comparisons



B^3 for Higgs

CSS

$$B^{(3)} = 548.98 - 114.236n_f + 4.578n_f^2 \\ - (13 + 2.875n_f - 0.222n_f^2) \ln \left(\frac{m_t^2}{m_H^2} \right)$$

$$B_{n_f=5}^{(3)} = 78.3$$

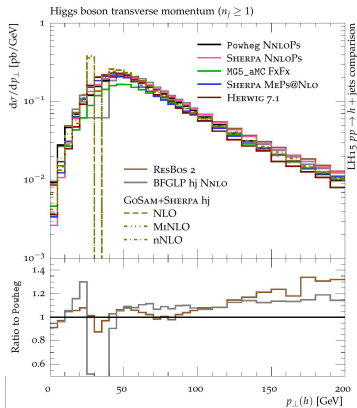
$$\frac{B^{(3)} \frac{\alpha_s}{\pi}}{B^{(2)}} = 0.11$$

See the talk by Huaxing Zhu

ResBos 2: Coming Soon

ResBos2:

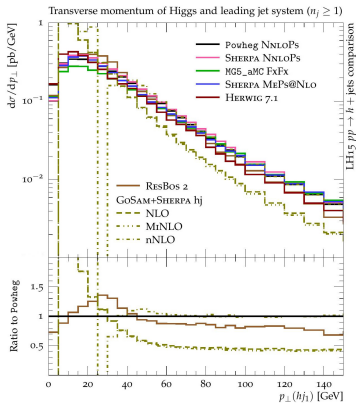
- Higgs + Jet Predictions (See Peng Sun's Talk)
- $W/Z/\gamma$ + Jet Predictions (Coming Soon)
- Z'/W' Predictions
- Completely Public (No grids needed)
- Plus all calculations currently in ResBos



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Processes in ResBos2

Process	$A^{(i)}$	$B^{(i)}$	$C^{(i)}$	Pert Order	In ResBos(321)?
$W^+ \rightarrow l^+ + \nu + X$	3	3	2	NNLO	Y
$W^- \rightarrow l^- + \bar{\nu} + X$	3	3	2	NNLO	Y
$Z^0 \rightarrow l^+ + l^- + X$	3	3	2	NNLO	Y
$Z^0/\gamma^* \rightarrow l^+ + l^- + X$	3	3	2	NNLO	Y
$\gamma^* \rightarrow l^+ + l^- + X$	3	3	2	NNLO	Y
$H^0 \rightarrow \gamma\gamma + X$	3	3	2	NNLO	Y
$H^0 \rightarrow Z^0 Z^0/W^+W^- \rightarrow 4l + X$	3	3	2	NNLO	Y
$W^{+*} \rightarrow W^+H^0 + X$	3	3	2	NNLO	Y
$W^{-*} \rightarrow W^-H^0 + X$	3	3	2	NNLO	Y
$Z^{0*} \rightarrow Z^0H^0 + X$	3	3	2	NNLO	Y
$q\bar{q} \rightarrow \gamma\gamma + X$	3	3	2	NLO	Y
$gg \rightarrow \gamma\gamma + X$	3	2	1	NLO	Y
$q\bar{q} \rightarrow Z^0Z^0 + X$	3	2	1	NLO	Y
$W^+W^- + X$	3	2	1	NLO	N
$W^l \rightarrow l^- + n\bar{u} + X$	3	3	2	NNLO	N
$Z^l \rightarrow l^- + l^+ + X$	3	3	2	NNLO	N
$H + j$	2	1	1	NLO	N
$Z/\gamma + j$ (coming soon)	2	1	1	NLO	N
$W + j$ (coming soon)	2	1	1	NLO	N