Nonstandard Dark Matter Signatures at the LHC

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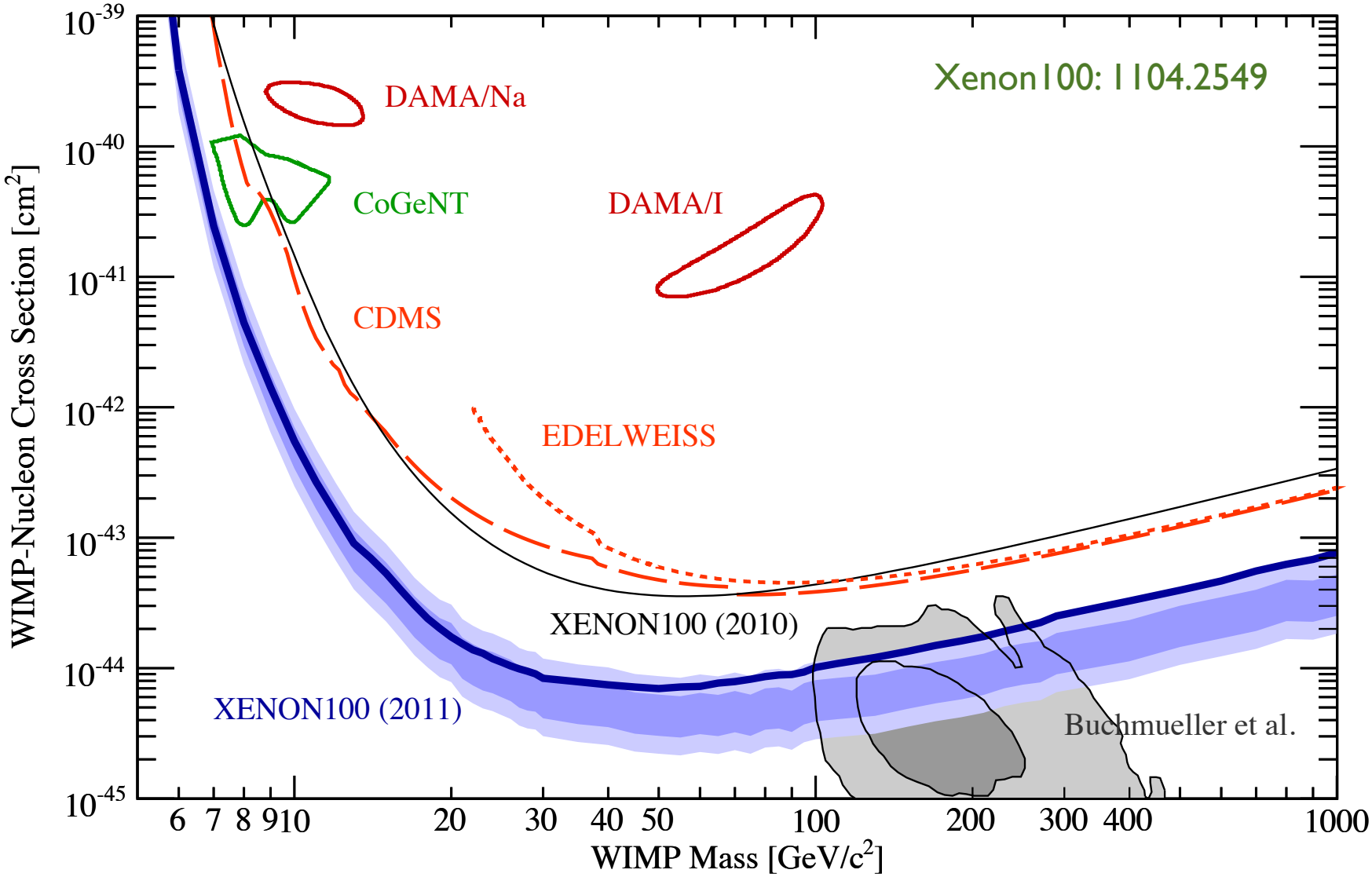
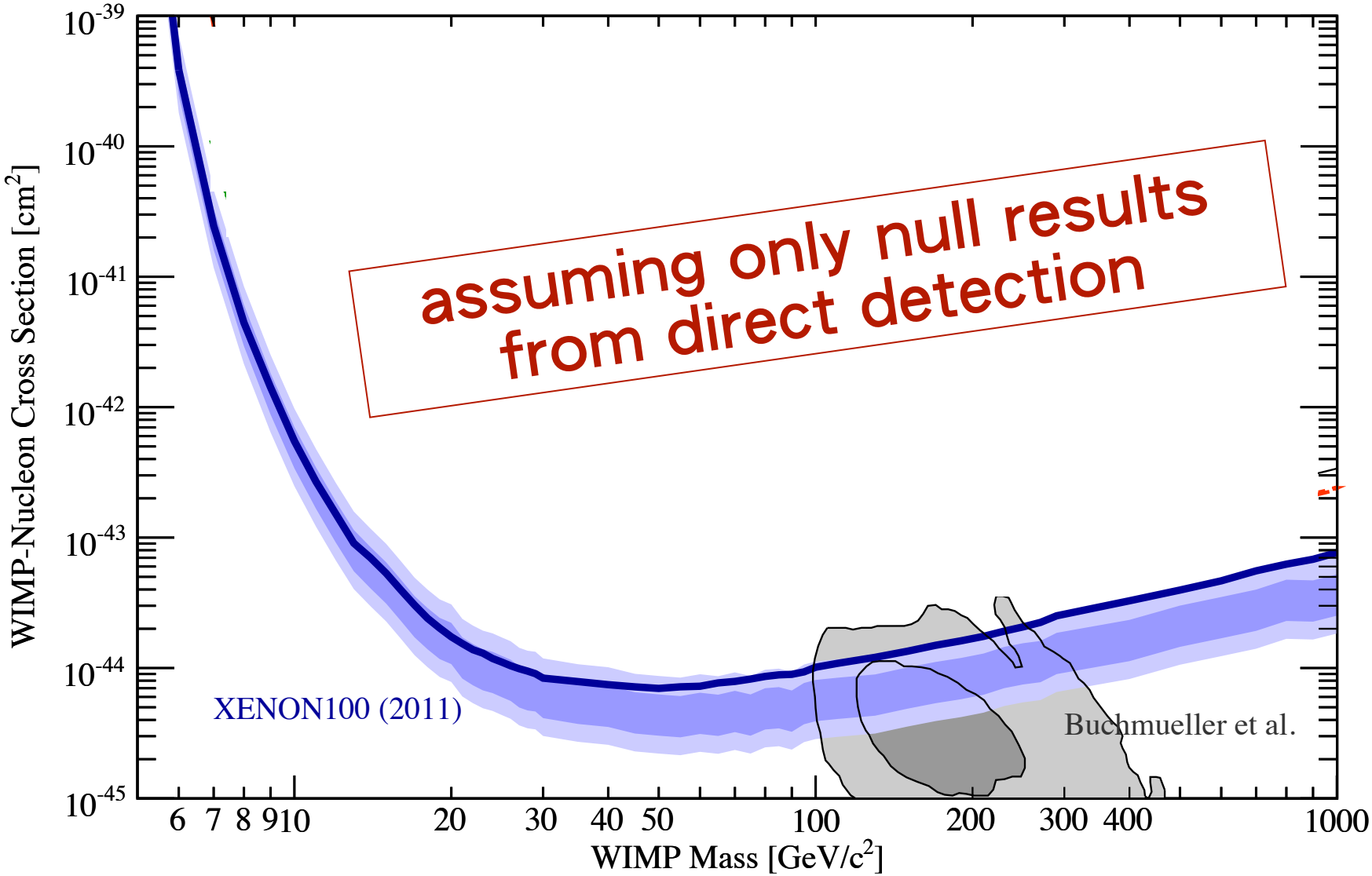
Outline

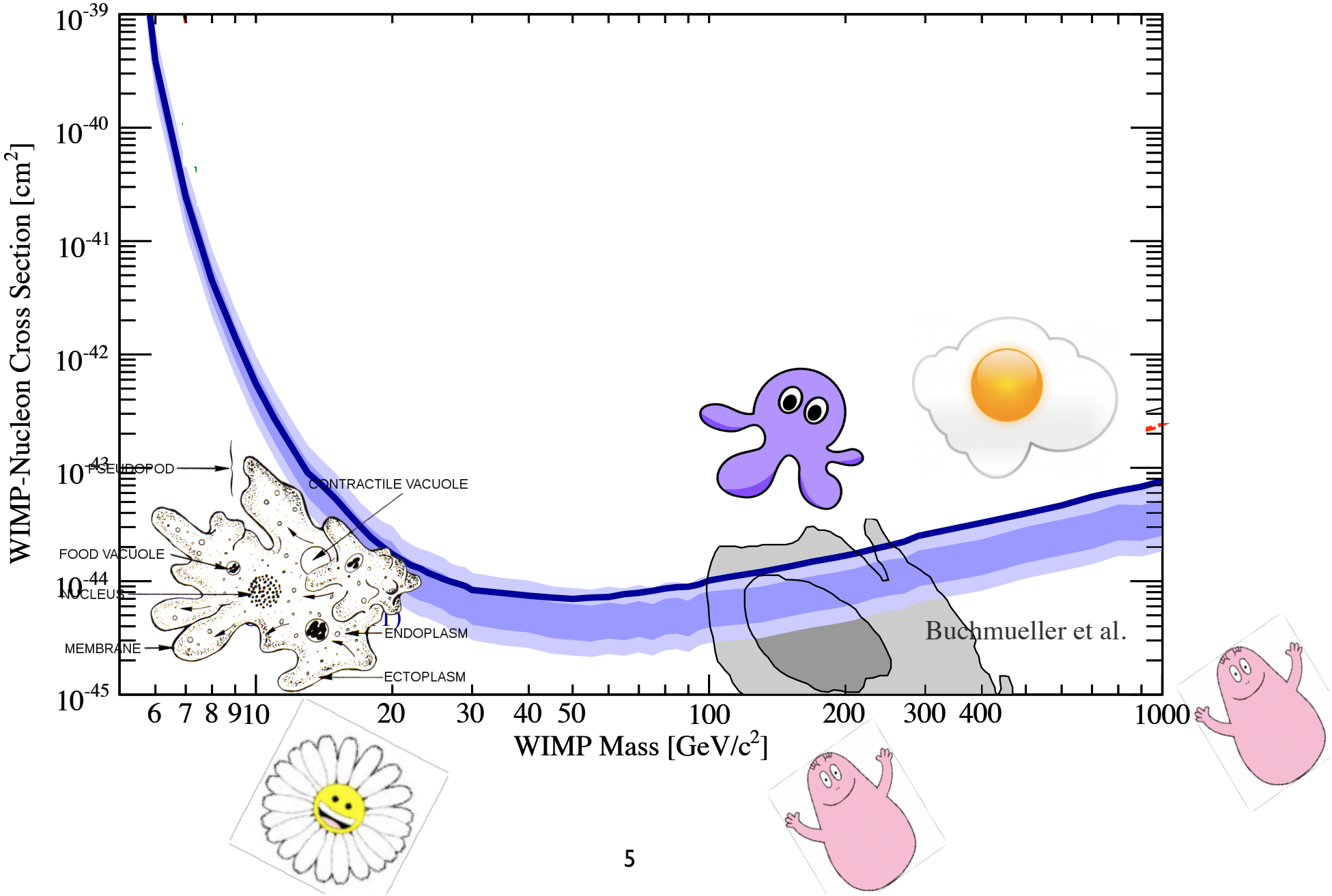
- Motivation for general nonstandard DM models
- Inelastic dark matter models
- Strongly interacting dark matter models
- Signatures of those models at colliders
- Potential discovery limit at the 7 TeV LHC
- Conclusions


Xenon100: 1104.2549
DAMA/Na
CoGeNT
DAMA/I
CDMS
EDELWEISS
XENON100 (2010)
XENON100 (2011)
Buchmueller et al.
WIMP-Nucleon Cross Section [cm^2]
WIMP Mass [GeV/c^2]
10^{-39}
10^{-40}
10^{-41}
10^{-42}
10^{-43}
10^{-44}
10^{-45}
6 7 8 9 10 20 30 40 50 100 200 300 400 1000

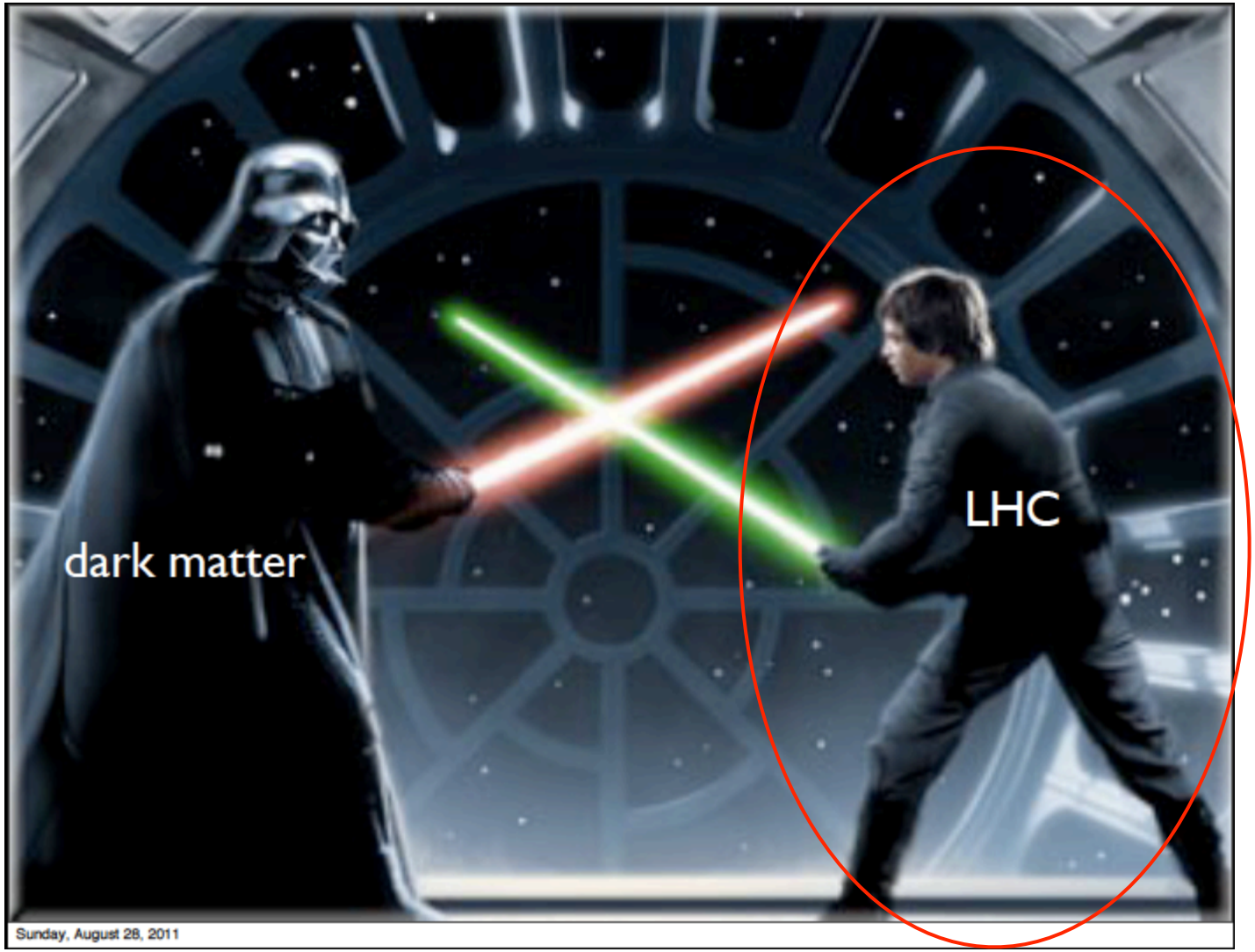


explore other approaches to cover more regions

From Roni Harnik's talk on Sunday:

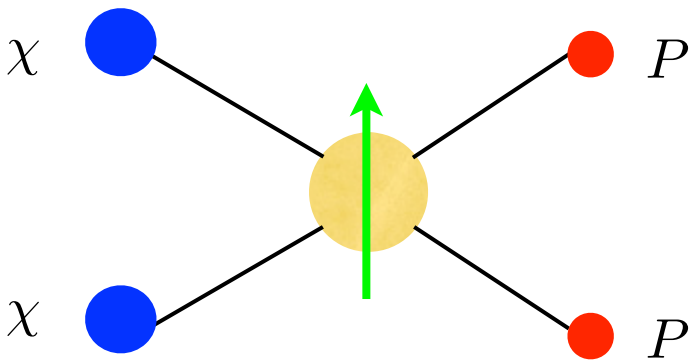


Dark matter and collider connection or fighting

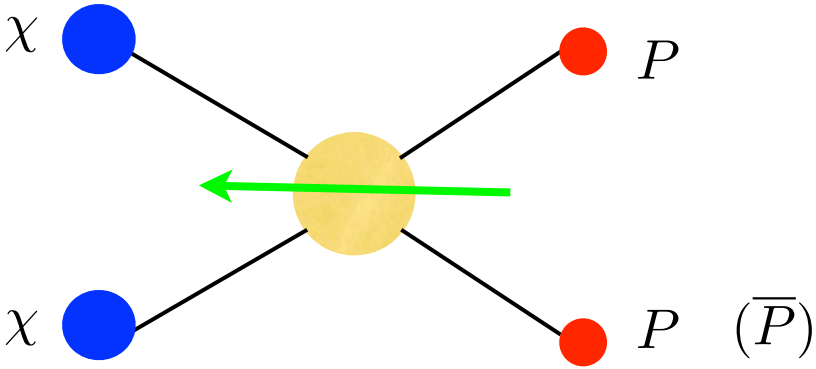


from Hitoshi Murayama's talk on Sunday

Direct Detection



Colliders



In stead of studying neutralinos in SUSY

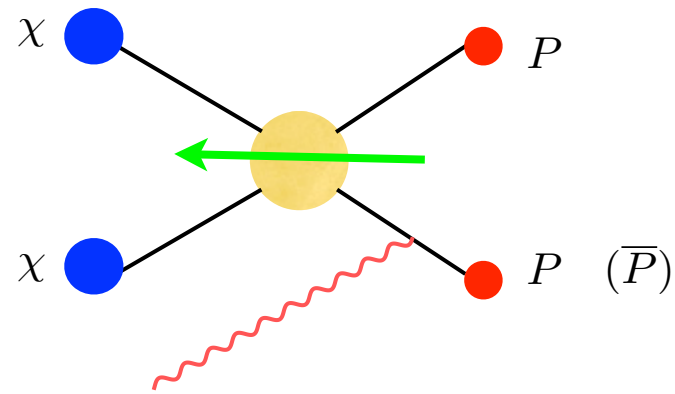
Model-independent approach to dark matter

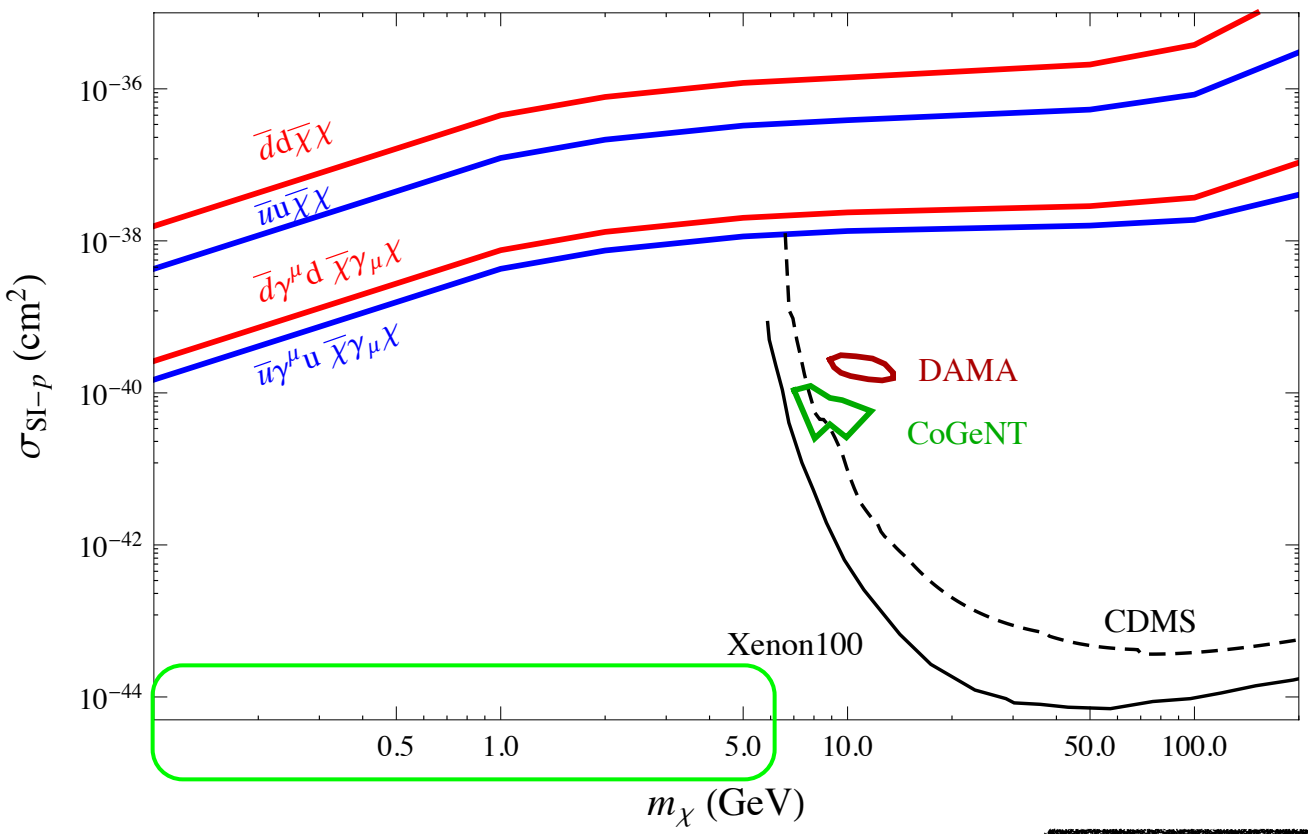
$$\frac{1}{\Lambda^2}\bar{q}q\bar{\chi}\chi \qquad \frac{1}{\Lambda^2}\bar{q}\gamma_5 q\,\bar{\chi}\gamma_5\chi$$

$$\frac{1}{\Lambda^2}\bar{q}\gamma_\mu q\,\bar{\chi}\gamma^\mu\chi \qquad \frac{1}{\Lambda^2}\bar{q}\gamma_\mu\gamma_5 q\,\bar{\chi}\gamma^\mu\gamma_5\chi$$

$$\cdots\cdots$$

As a warmup, we can first use the Tevatron existing data to constrain the DM-nucleon interaction strength





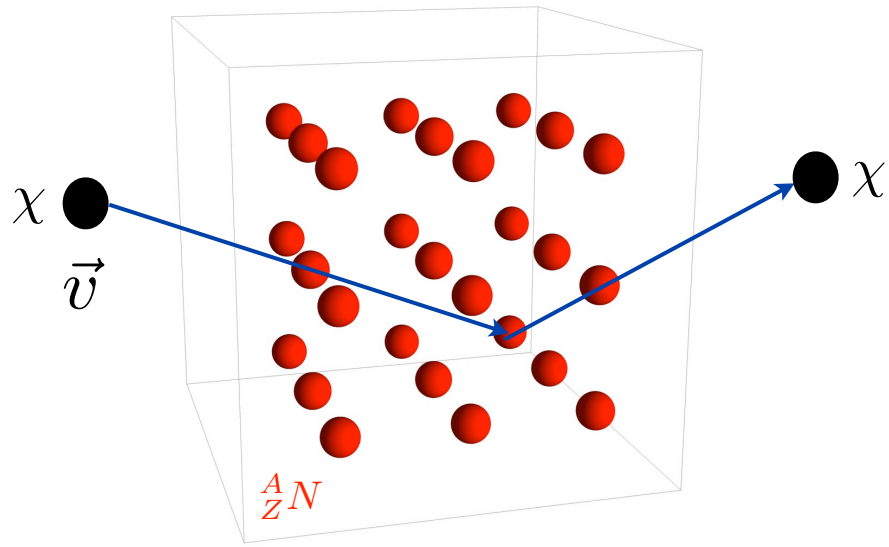
YB, Fox, Harnik, JHEP, 1012, 048 (2010)

see also: Goodman, Ibe, Rajaraman, Shepherd, Tait, Yu: Phys. Lett. B695 (2011)

Fox, Harnik, Kopp, Tsai 1103.0240 for monophoton

some caveats for light mediators

For elastic DM-nucleus scattering, the kinetic energy of dark matter is



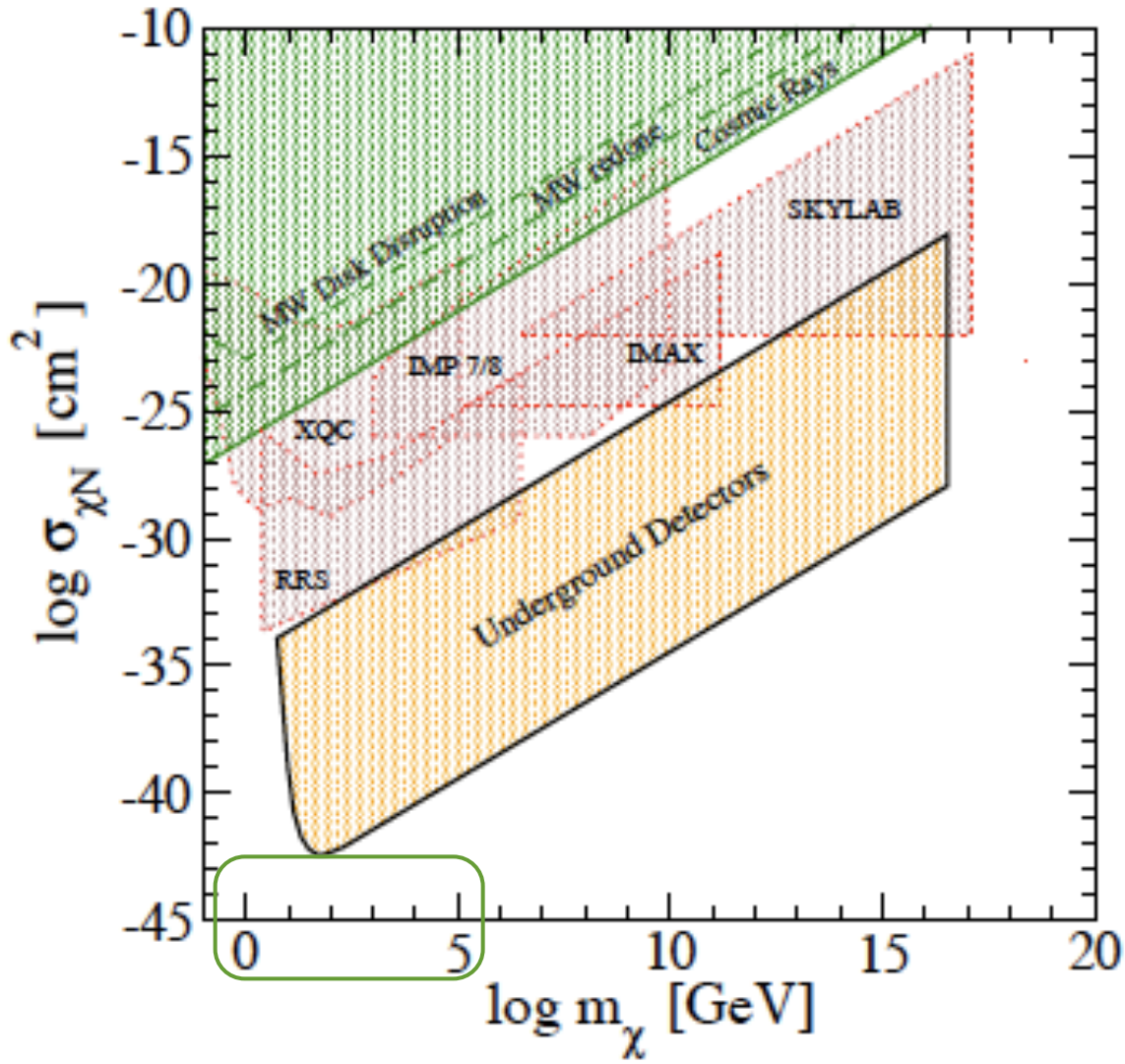
$$E_{\rm kin} = \frac{1}{2} m_\chi v^2 \sim 100 \text{ keV} \qquad m_\chi \sim 100 \text{ GeV}$$

$$\sim 1 \text{ keV} \qquad m_\chi \sim 1 \text{ GeV}$$

The typical low energy threshold at direct detection experiments is above 10 keV. Direct detection experiments are insensitive to light DM

Colliders do not have this limitation and can explore light DM region

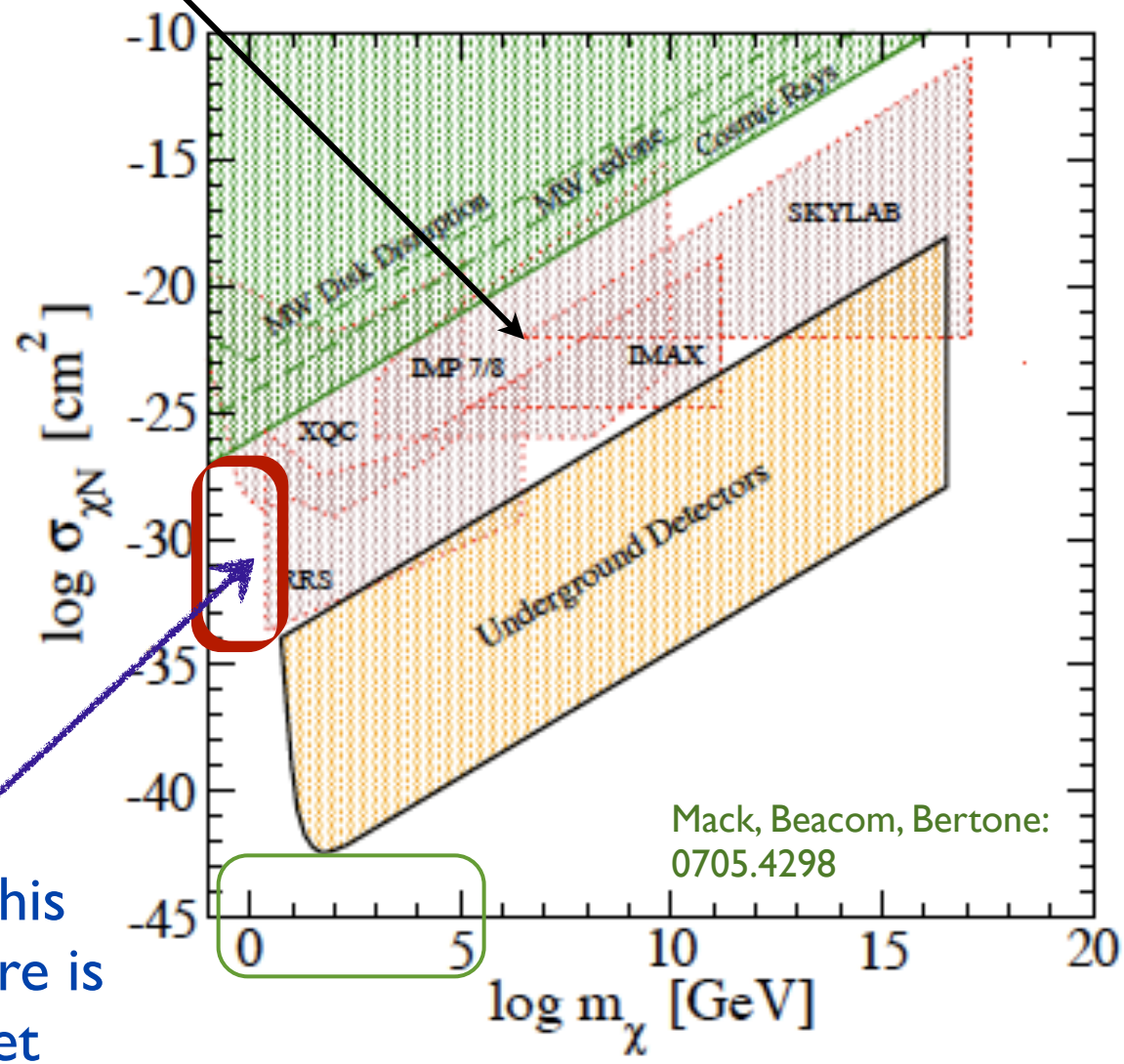
Mack, Beacom, Bertone:
0705.4298



Strongly interacting dark matter (SIMP)

Starkman, Gould, Esmailzadeh and Dimopoulos, Phys. Rev. D 41, 3594 (1990).

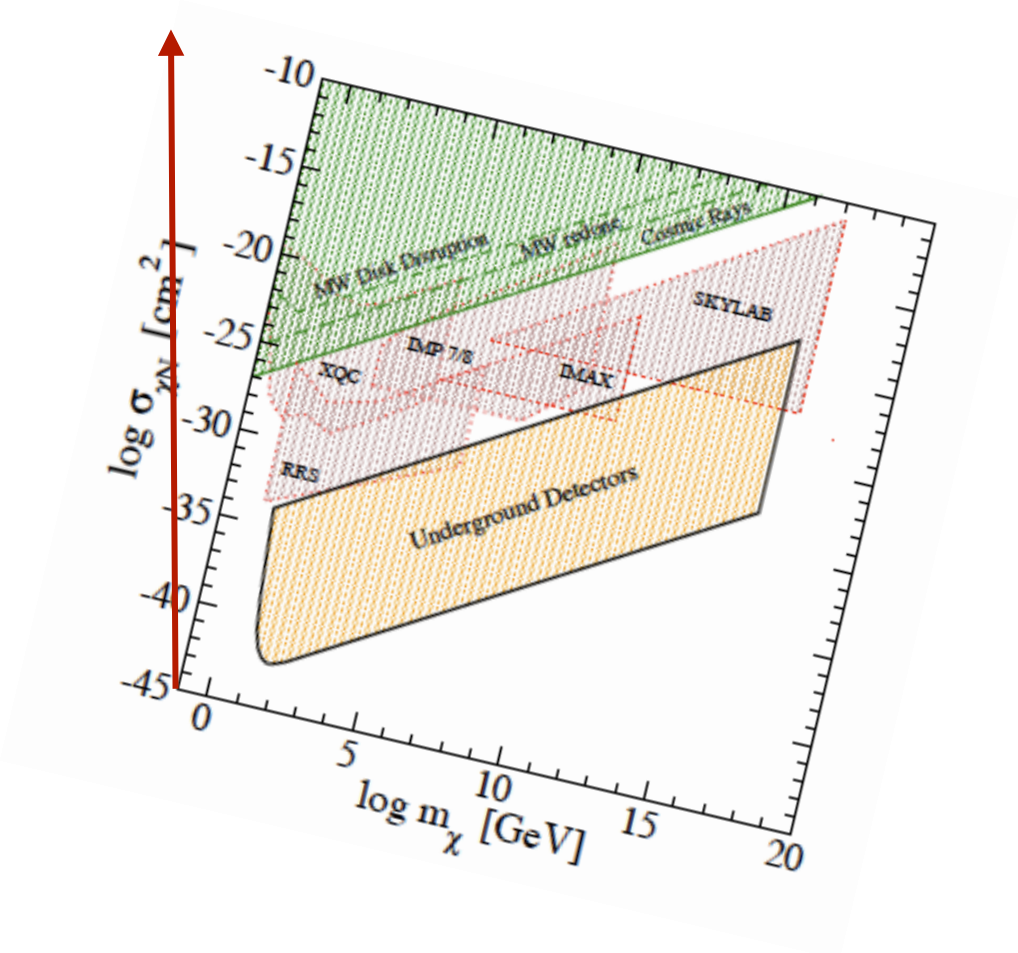
Spergel, Steinhardt: PRL 84, 3760 (2000)

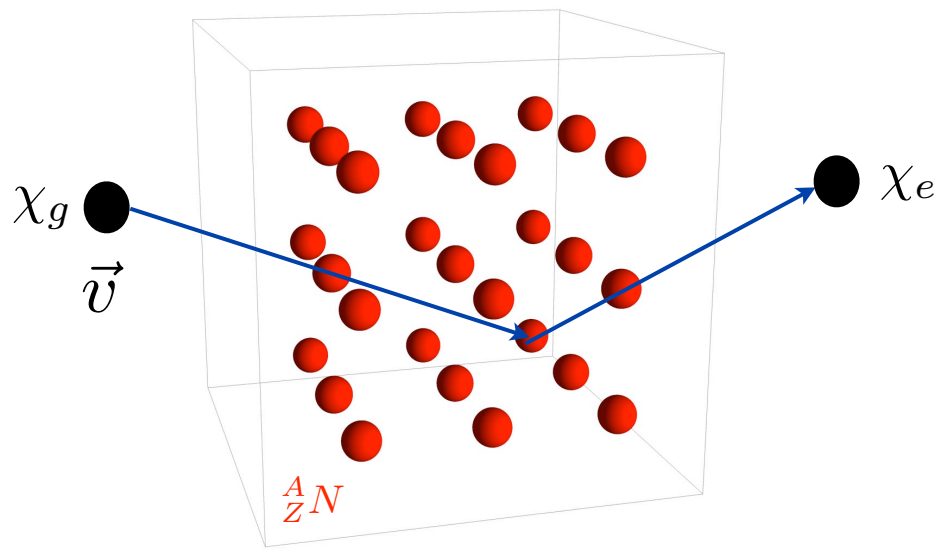


Mack, Beacom, Bertone: 0705.4298

Colliders can probe this range and the signature is different from monojet

An alternative way to explain the current null results at direct detection experiments is to introduce an extra-dimension





$$\Delta \equiv m_{\chi_e} - m_{\chi_g} \geq 1 \text{ MeV} > E_{\text{kin}}$$

no signal at direct detection

Inelastic Dark Matter

with Tim Tait

However, the LHC may produce those two states at the same time and test a general iDM model with a large mass splitting

iDM models:

T. Han, R. Hempfling, hep-ph/9708264

Hall, Moroi, Murayama, hep-ph/9712515

Tucker-Smith, Weiner, hep-ph/0101138

Perform our studies in a model-independent way:

$$\frac{\bar{u}\,\gamma_\mu\gamma_5\,u\,\bar{\chi}_e\,\gamma^\mu\gamma_5\,\chi_g}{\Lambda_1^2} \qquad \frac{\bar{u}\,\gamma_5\,u\,\bar{\chi}_e\,\gamma_5\,\chi_g}{\Lambda_2^2} \qquad \frac{\bar{u}\,u\,\bar{\chi}_e\,\chi_g}{\Lambda_3^2} \qquad \frac{\bar{u}\,\gamma_\mu\,u\,\bar{\chi}_e\,\gamma^\mu\,\chi_g}{\Lambda_4^2}$$

Three parameters: $\Lambda \qquad m_{\chi_e} \qquad \Delta \equiv m_{\chi_e} - m_{\chi_g}$

The discovery limits at the LHC depend on all of them

The ground state is purely stable and is the dark matter particle

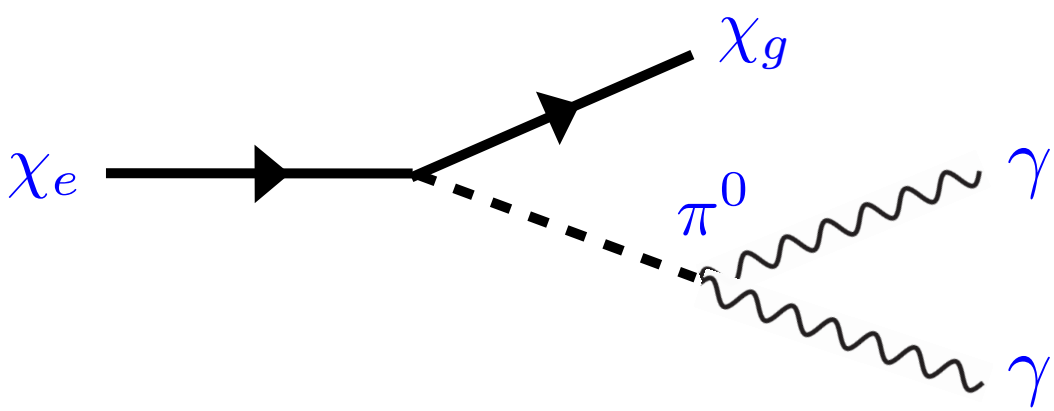
The excited state is not stable and decays into the ground state plus other SM particles

For the mass splitting below ~ 1 GeV, using chiral Lagrangian

$$\frac{\bar{u}\,\gamma_\mu\gamma_5\,u\,\bar{\chi}_e\,\gamma^\mu\gamma_5\,\chi_g}{\Lambda^2} \qquad i\bar{u}\gamma^\mu\gamma_5 u \to \frac{1}{2}F_\pi\partial^\mu\pi^0 \qquad F_\pi = 184\ \mathrm{MeV}$$

$$\downarrow$$

$$\frac{-i}{2}F_\pi\partial^\mu\pi^0\,\frac{\bar{\chi}_e\,\gamma^\mu\gamma_5\,\chi_g}{\Lambda^2} \longrightarrow \frac{F_\pi\,(m_{\chi_e}+m_{\chi_g})}{2\,\Lambda^2}\,\pi^0\,\bar{\chi}_e\,\gamma_5\,\chi_g$$



$$\Gamma_0(\chi_e \to \chi_g + \pi^0)$$

$$= \frac{F_\pi^2}{\Lambda^4}\,\frac{(\Delta^2 - m_{\pi^0}^2)^{3/2}}{8\,\pi}$$

Translation of the operators

$$\frac{\bar{u}\,\gamma_\mu\gamma_5\,u\,\bar{\chi}_e\,\gamma^\mu\gamma_5\,\chi_g}{\Lambda_1^2} \qquad \frac{F_\pi\,(m_{\chi_e}+m_{\chi_g})}{2}\,\frac{\pi^0\,\bar{\chi}_e\,\gamma_5\,\chi_g}{\Lambda_1^2}$$

$$\frac{\bar{u}\,\gamma_5\,u\,\bar{\chi}_e\,\gamma_5\,\chi_g}{\Lambda_2^2} \qquad \frac{i\,\langle\bar{u}u\rangle}{F_\pi}\,\frac{\pi^0\,\bar{\chi}_e\,\gamma_5\,\chi_g}{\Lambda_2^2}$$

$$\longrightarrow$$

$$\frac{\bar{u}\,u\,\bar{\chi}_e\,\chi_g}{\Lambda_3^2} \qquad -\frac{\langle\bar{u}u\rangle}{F_\pi^2}\,\frac{(\pi^0\pi^0+2\pi^+\pi^-)\,\bar{\chi}_e\,\chi_g}{2\,\Lambda_3^2}$$

$$\frac{\bar{u}\,\gamma_\mu\,u\,\bar{\chi}_e\,\gamma^\mu\,\chi_g}{\Lambda_4^2} \qquad \frac{(\pi^-\partial_\mu\,\pi^+-\pi^+\partial_\mu\,\pi^-)\,\bar{\chi}_e\,\gamma^\mu\,\chi_g}{\Lambda_4^2}$$

Decays of the excited state for $\Delta \lesssim 1\ \mathrm{GeV}$

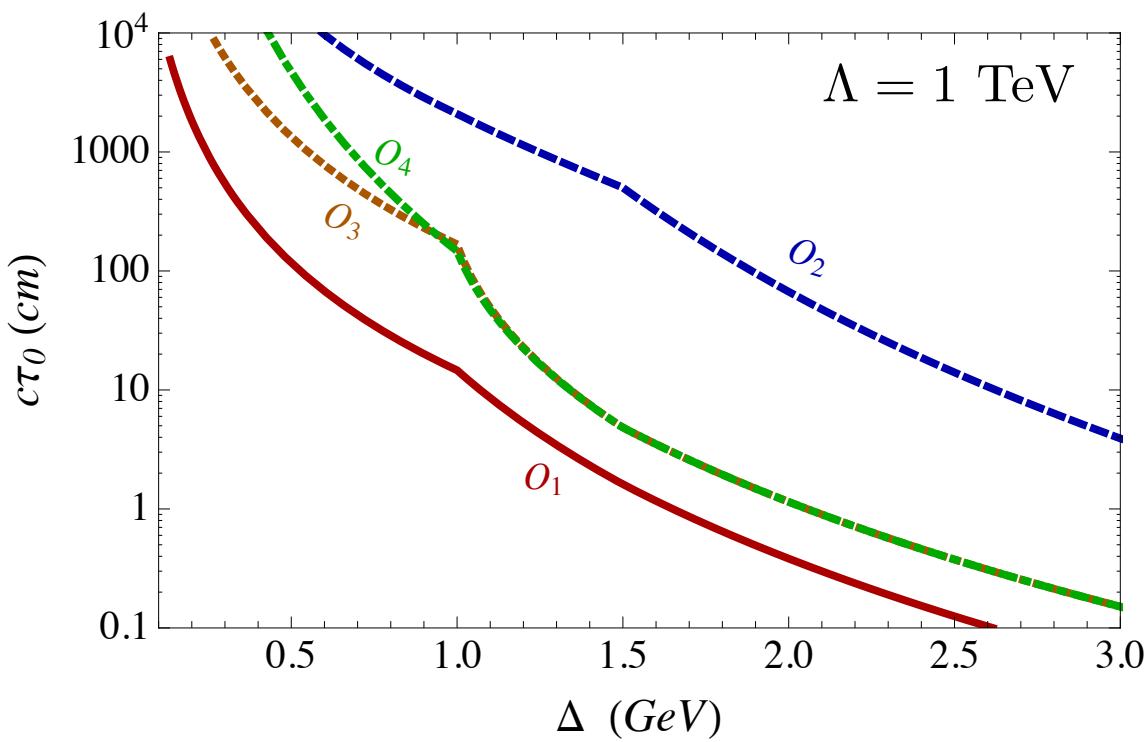
$$\Gamma_1(\chi_e\to\chi_g+\pi^0)=\frac{F_\pi^2}{\Lambda_1^4}\,\frac{(\Delta^2-m_{\pi^0}^2)^{3/2}}{8\,\pi} \qquad \Gamma_2(\chi_e\to\chi_g+\pi^0)=\frac{\langle\bar{u}u\rangle^2}{F_\pi^2\Lambda_2^4}\,\frac{(\Delta^2-m_{\pi^0}^2)^{3/2}}{8\,\pi\,\overline{m}_\chi^2}$$

$$\Gamma_3(\chi_e\to\chi_g\pi^+\pi^-)=2\Gamma_3(\chi_e\to\chi_g 2\pi^0)=\frac{\langle\bar{u}u\rangle^2\Delta^3}{48\pi^3\,F_\pi^4\Lambda_3^4} \qquad \Gamma_4(\chi_e\to\chi_g\pi^+\pi^-)=\frac{\Delta^5}{240\pi^3\Lambda_4^4}$$

For $\Delta \gtrsim 1\ \mathrm{GeV}$, the chiral Lagrangian is not suitable anymore, but one can use a simple parton model to estimate the decay widths

$$\Gamma(\chi_e \to \chi_g u\bar{u}) = \frac{a_i}{\pi^3}\frac{\Delta^5}{\Lambda_i^4}$$

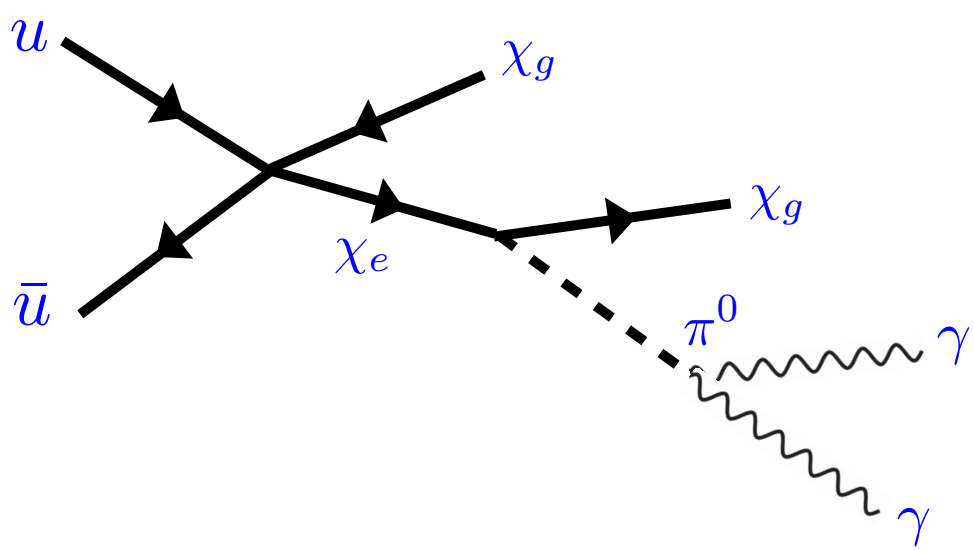
$$a_1 = 1/20,\ a_3 = a_4 = 1/60,\ \text{and}\ a_2 = \Delta^2/(560\,\overline{m}_\chi^2)$$



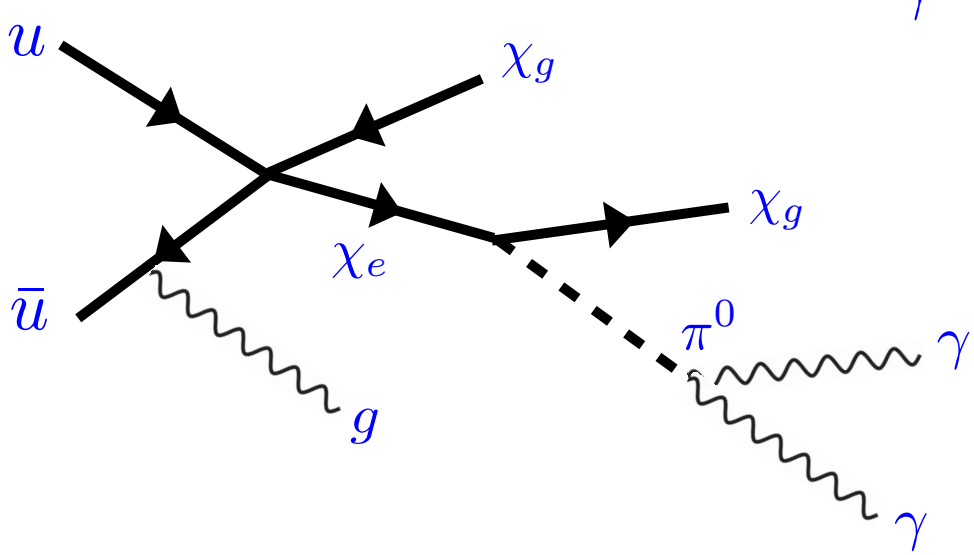
decay length at rest

It is generic that the excited state decays with a large displaced vertex

fast moving particle lives longer $c\tau = \gamma\, c\tau_0$



However, the photons are too soft, because their transverse momenta are related to the mass splitting, which is below 10 GeV



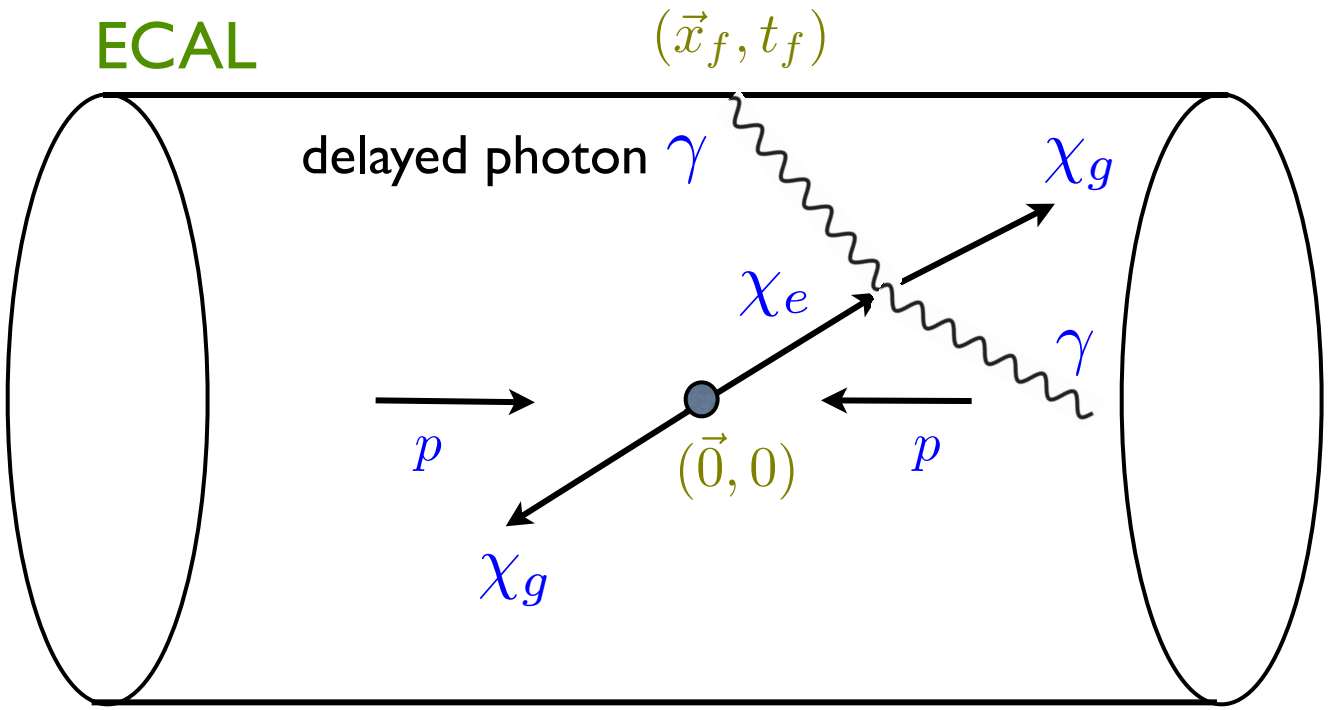
Fortunately, we can use the initial state radiation to boost final state particles

The boost can also make the excited state live longer due to time dilation

The signatures could be:

non-pointing photons

displaced pions or jets



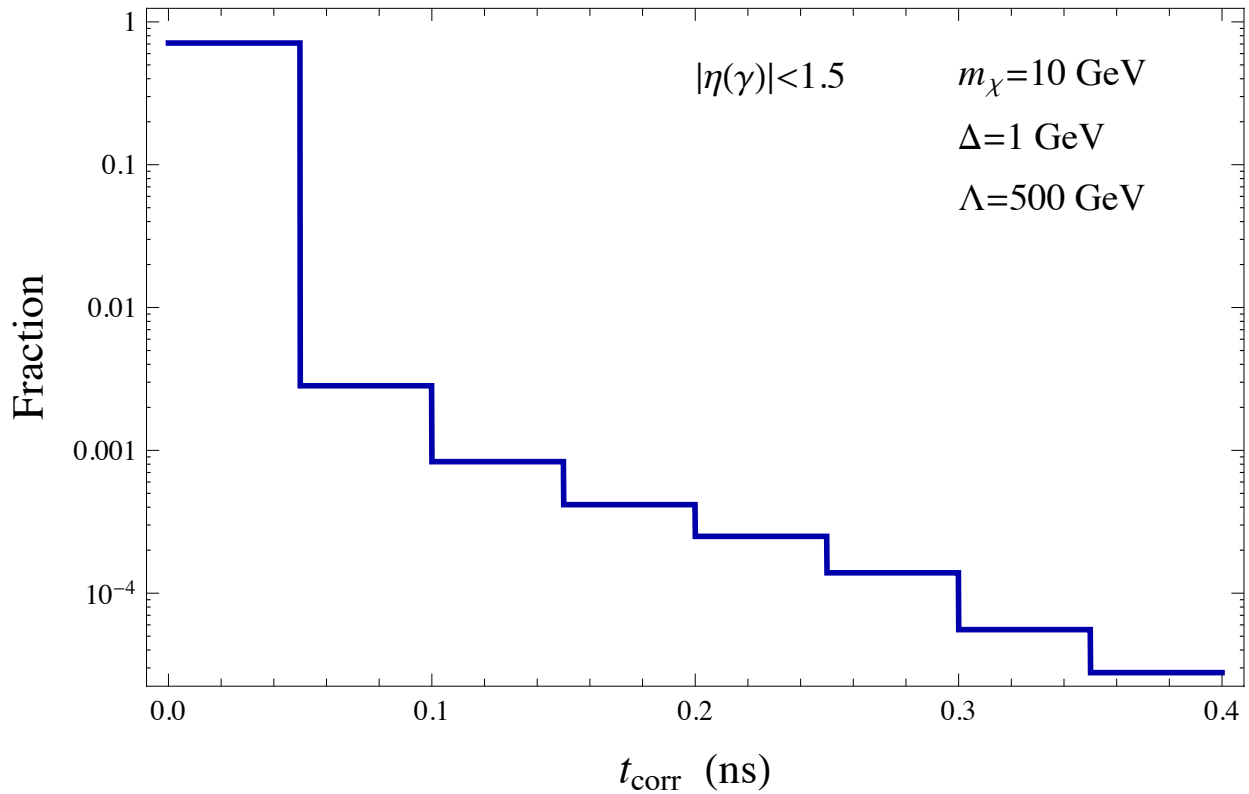
$$t_{\rm corr} \equiv t_f - \frac{\vec{x}_f}{c}$$

the photon arrival time corrected for the collision time and time-of-flight

For a delayed photon: $t_{\rm corr} > 0$

For a prompt photon: $t_{\rm corr} = 0$

a similar signature exists in GMSB models: $\tilde{\chi}^0 \to \gamma \tilde{G}$

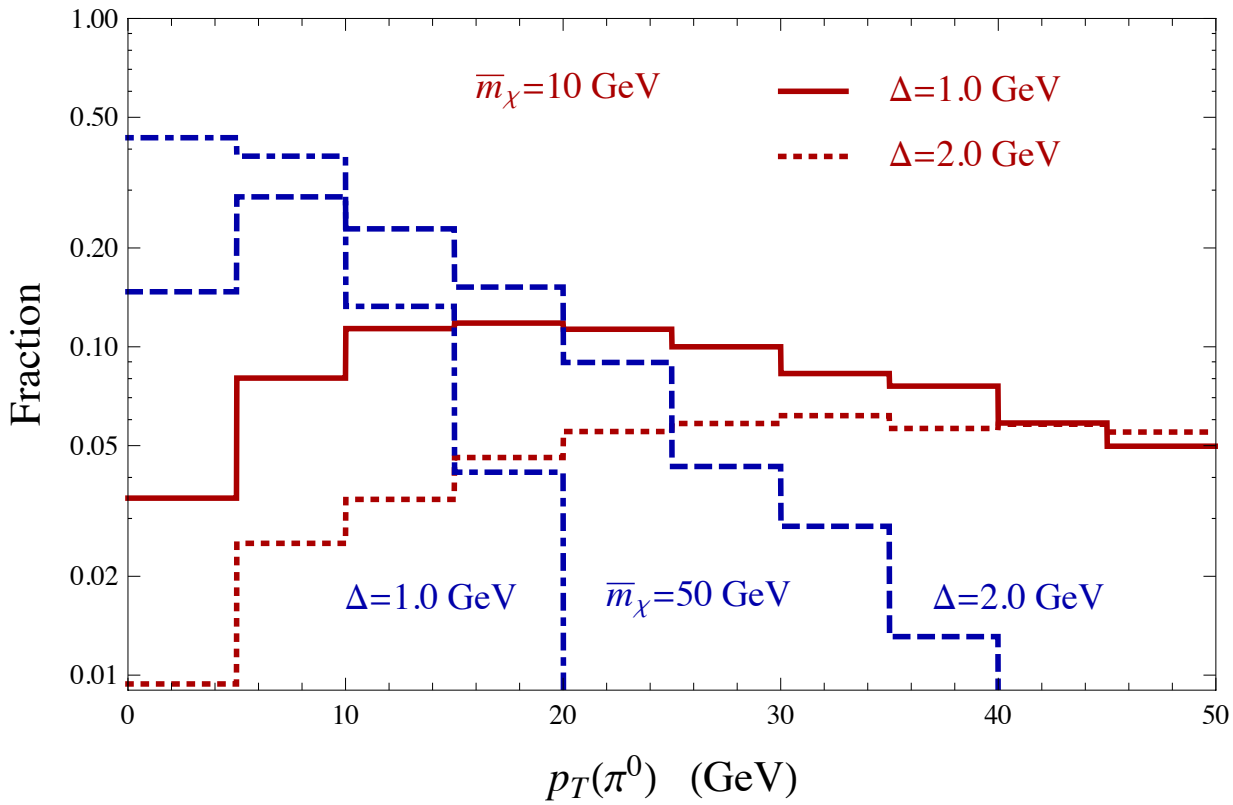


SM backgrounds can also have tcorr up to one ns

tcorr is not a good variable for the iDM model, as opposite to the GMSB model

~~non-pointing photons~~

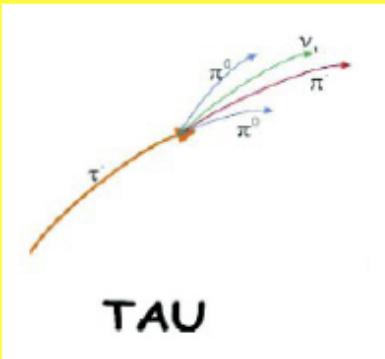
Pt distributions of the displaced pions

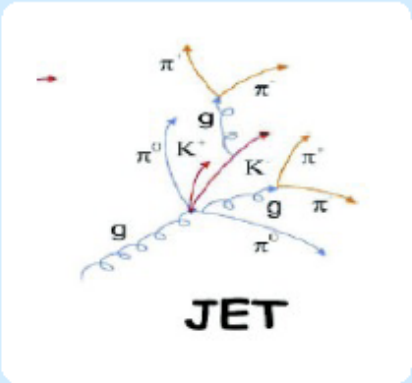


$$\not{E}_T > 150 \text{ GeV}$$

$$p_T(\pi^0) \sim \not{E}_T \Delta / \overline{m}_\chi$$

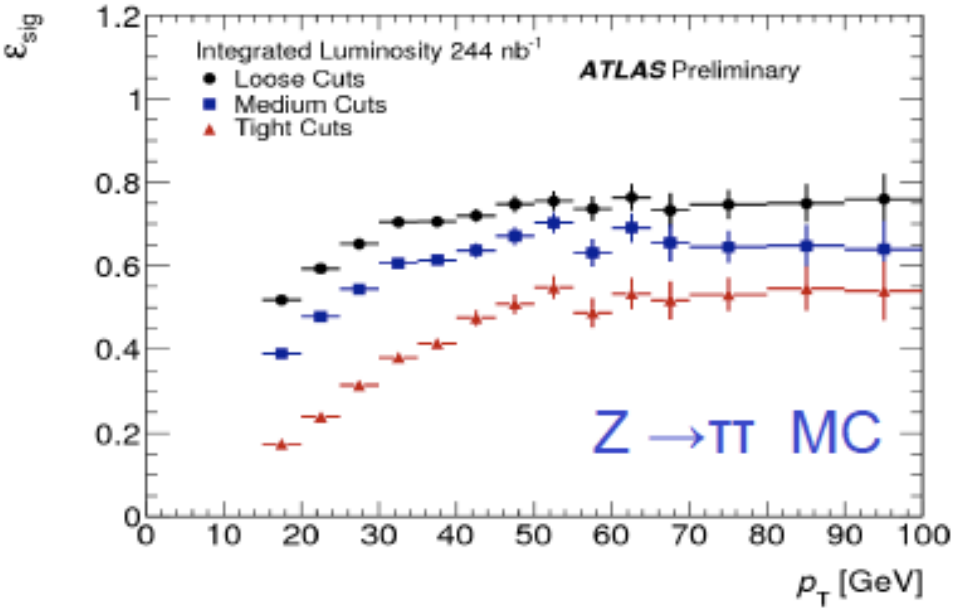
Without using displaced information, the hadronic-tau tagging efficiency can provide some estimation of the discovery potential of the IDM

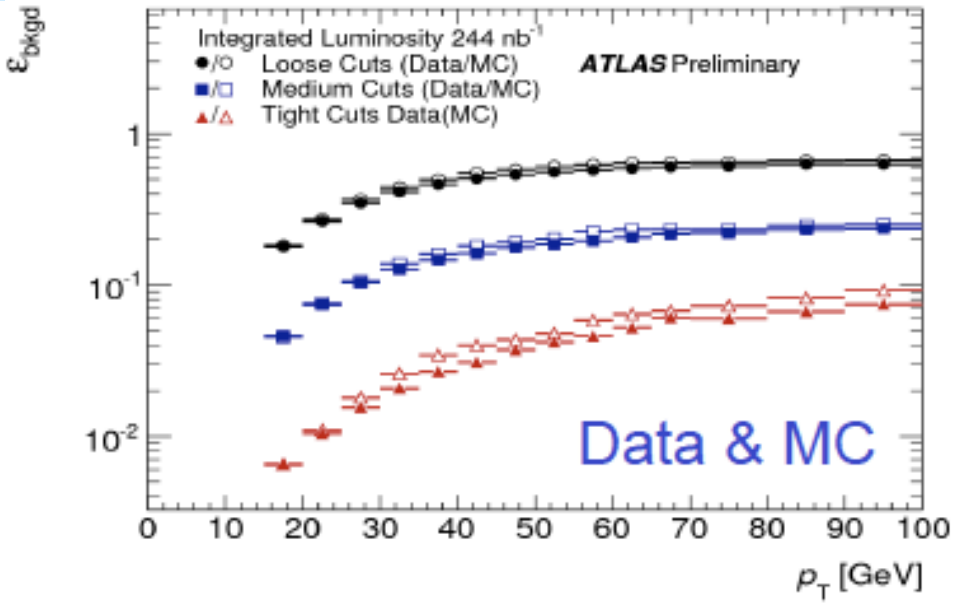




- Narrow, collimated
- 1 or 3 tracks
- Can define isolation regions with low activity
- The leading track carries significant fraction of tau momentum

- wide
- can have many tracks
- isolation regions busy
- jet momenta spread over tracks



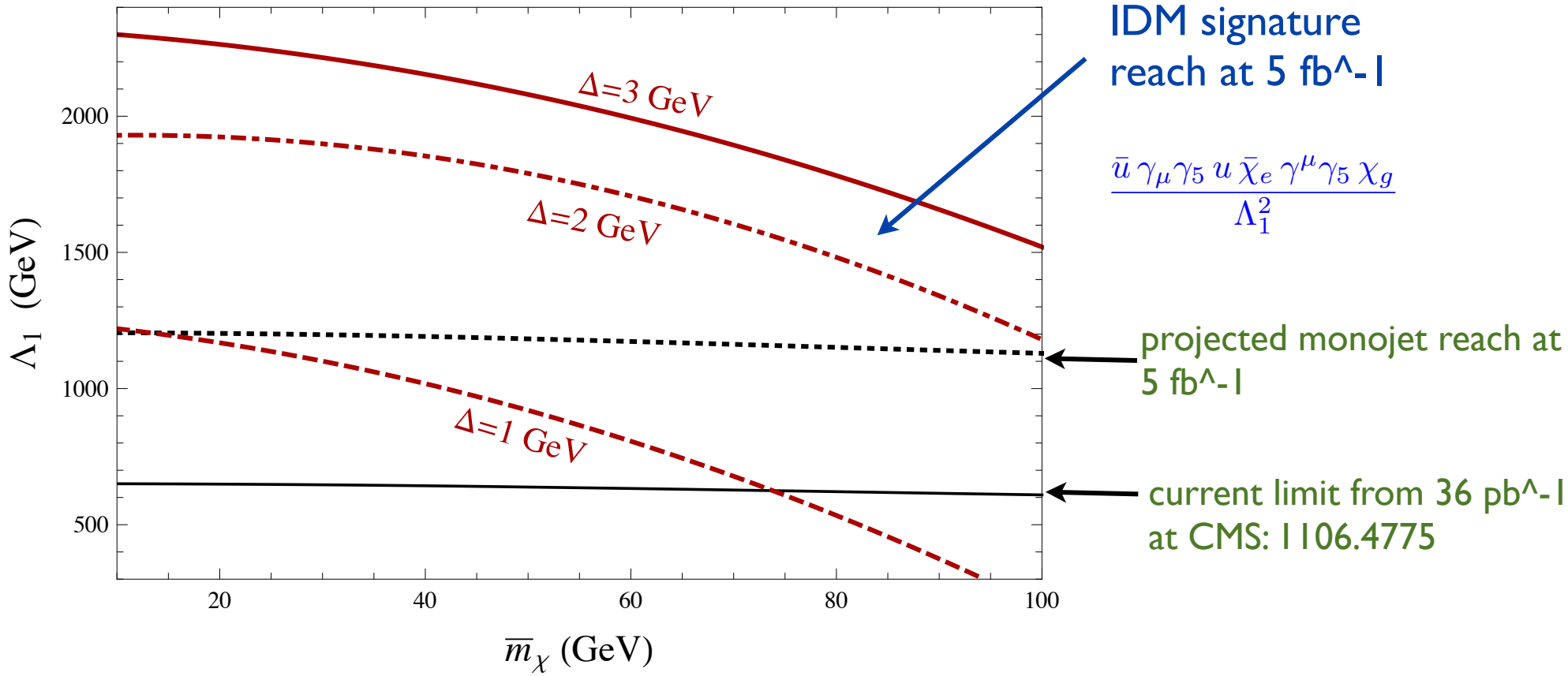


Marcin Wolter, Atlas, talk at Cracow Epiphany Conf., January 2010

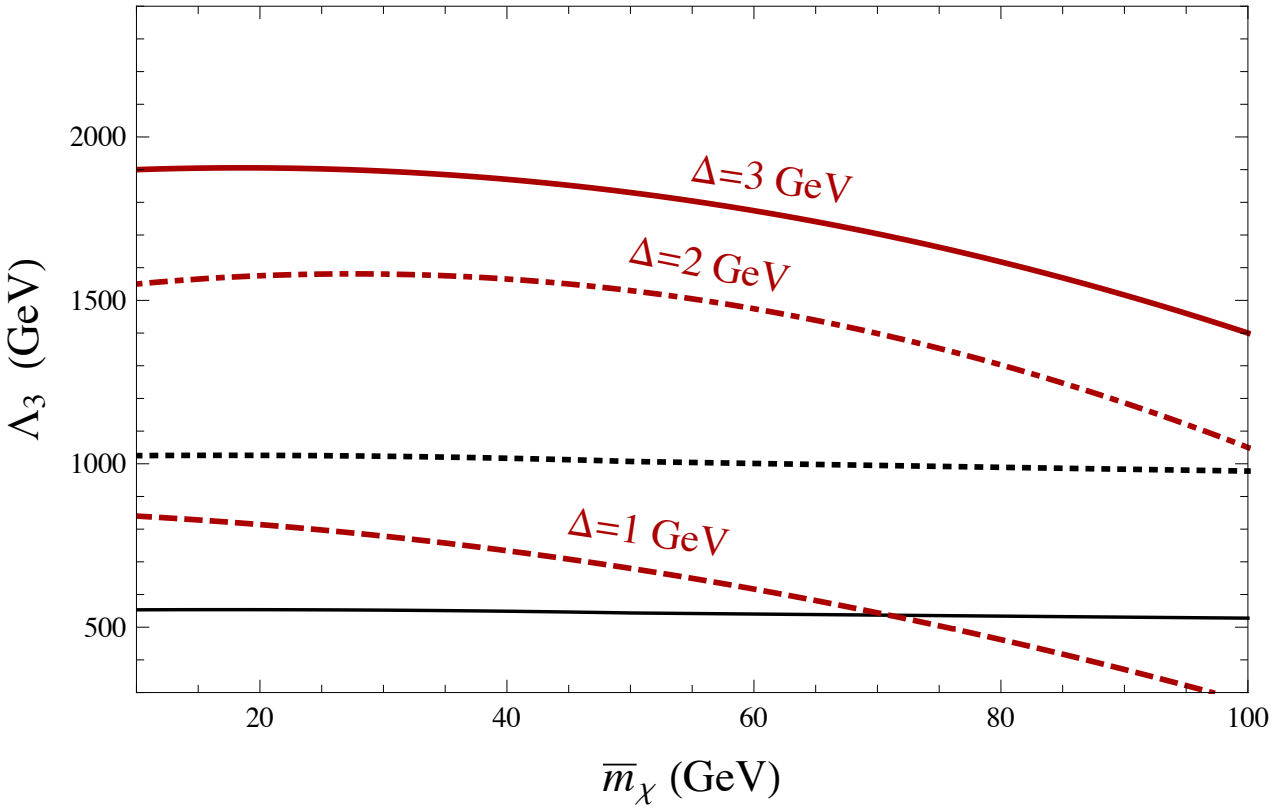
discovery (or exclusion) potential at the 7 TeV LHC

$$N_{jets} \leq 2 \qquad p_T(j_1) > 110 \text{ GeV} \quad 15 < p_T(j_2) < 30 \text{ GeV} \qquad \not{E}_T \geq 150 \text{ GeV}$$

requiring the excited state to decay before HCAL (1.29 m) and using the tau-tag efficiency



discovery (or exclusion) potential at the 7 TeV LHC for another operator



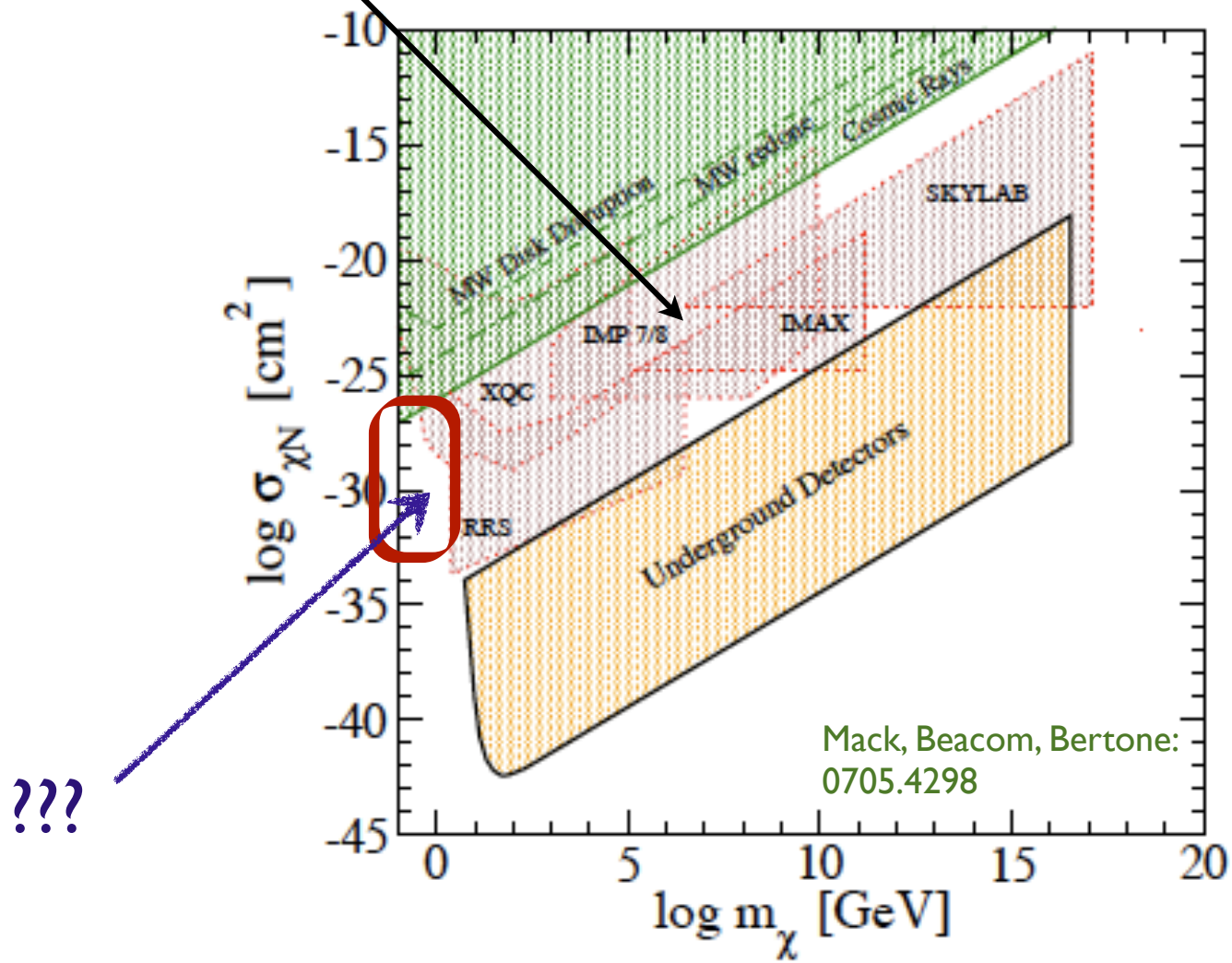
$$\frac{\bar{u}\, u\, \bar{\chi}_e\, \chi_g}{\Lambda_3^2}$$

Lets come back from the extra-dimension model (IDM)

Strongly interacting dark matter (SIDM)

Starkman, Gould, Esmailzadeh and Dimopoulos, Phys. Rev. D 41, 3594 (1990).

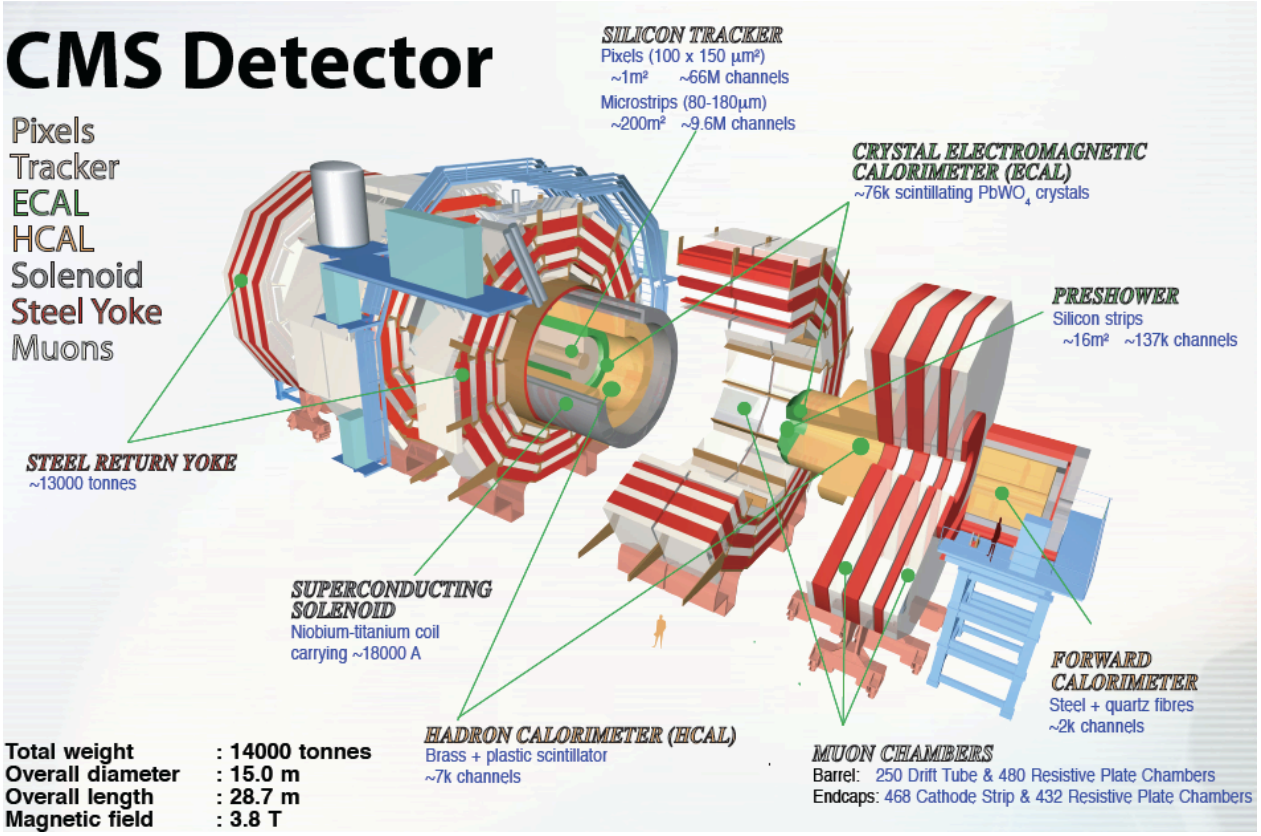
Spergel, Steinhardt: PRL 84, 3760 (2000)



Mack, Beacom, Bertone: 0705.4298

???

Dark Matter Jets with Arvind Rajaraman



$$\mathcal{O} = \frac{i\, g_\chi\, g_q\, \bar{\chi}\gamma_\mu\chi\, \bar{q}\gamma^\mu q}{q^2 - M^2}$$

$$\lambda_I = \frac{A}{N_A \cdot \rho \cdot \sigma^{inela}}$$

$$\text{For iron: } \lambda_I^n = 16.8 \text{ cm}$$

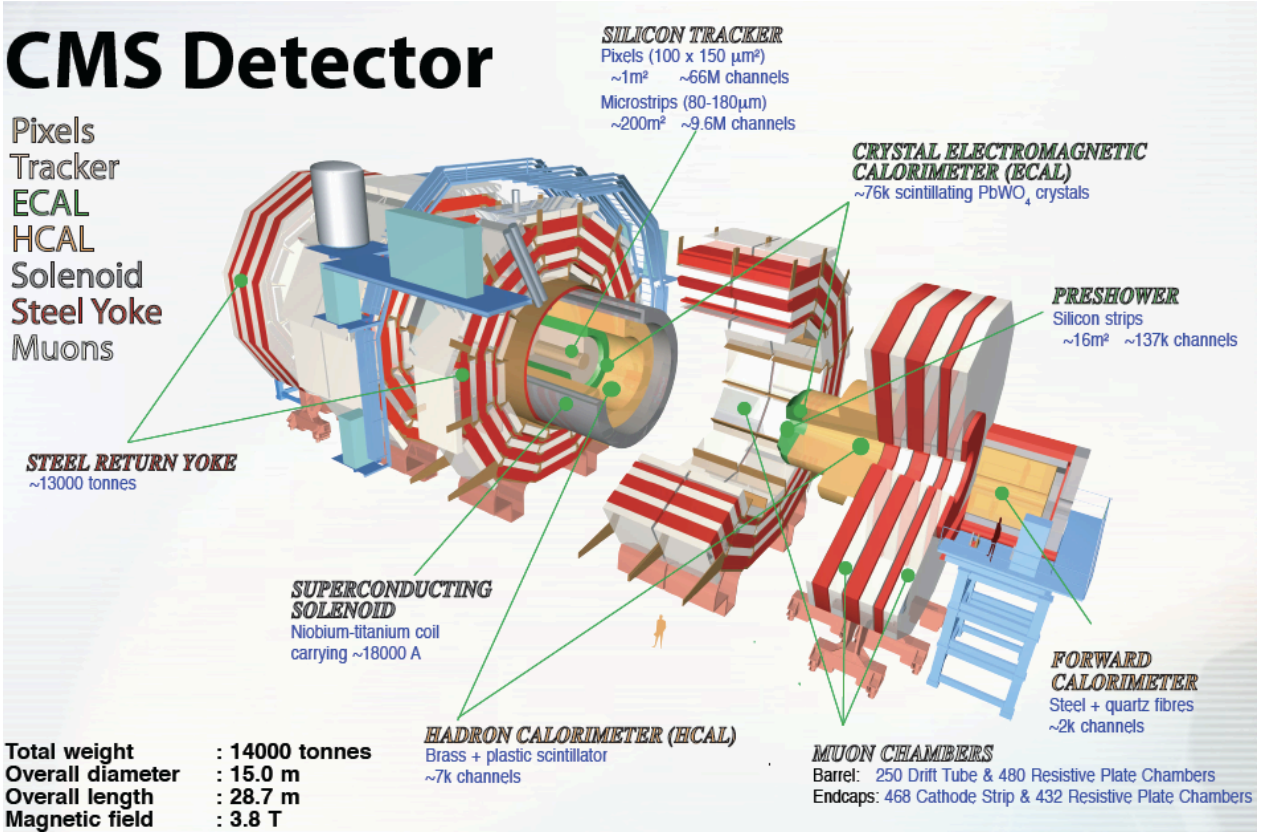
$$\text{For Copper: } \lambda_I^n = 15.2 \text{ cm}$$

$$\text{HCAL: } \sim 10\ \lambda_I$$

$$\text{ECAL: } \sim 1\ \lambda_I$$

Strongly interacting dark matter will be stopped mainly in the HCAL and behaves like a fast neutron

Dark Matter Jets with Arvind Rajaraman



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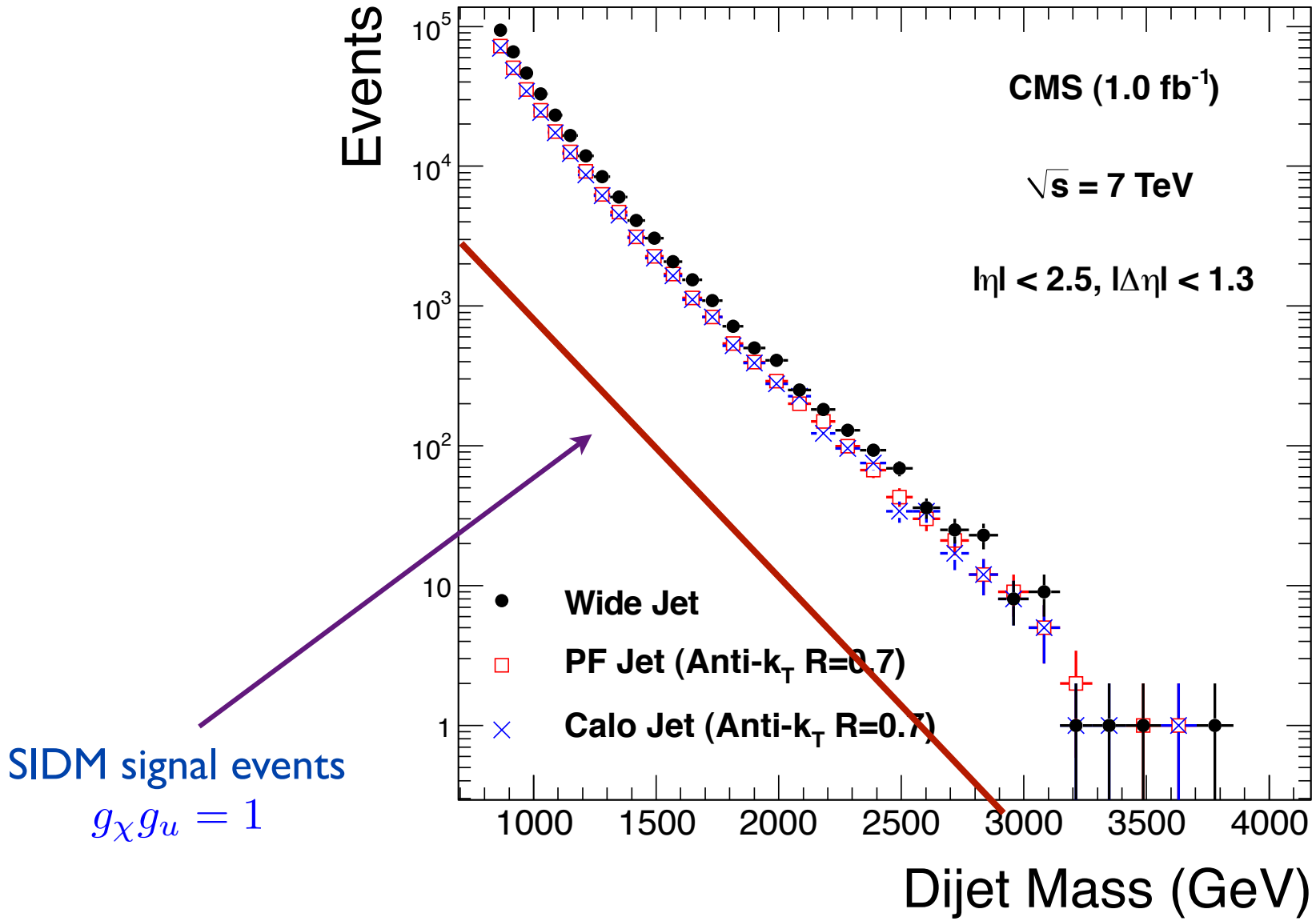
HCAL: $\sim 10\ \lambda_I$

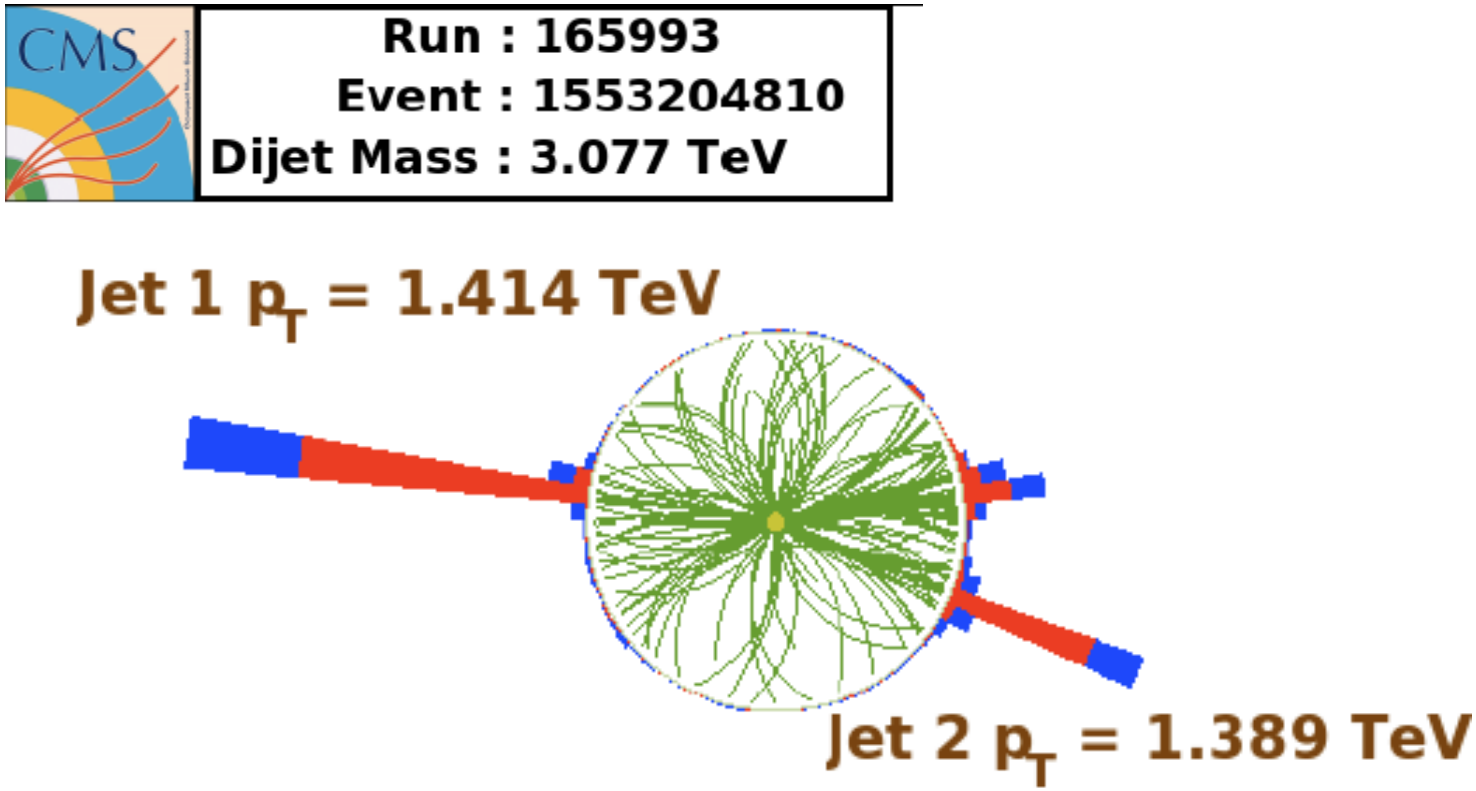
ECAL: $\sim 1\ \lambda_I$

Strongly interacting dark matter will be stopped mainly in the HCAL and behaves like a like a fast neutron

dark matter $\neq$ missing energy at the LHC



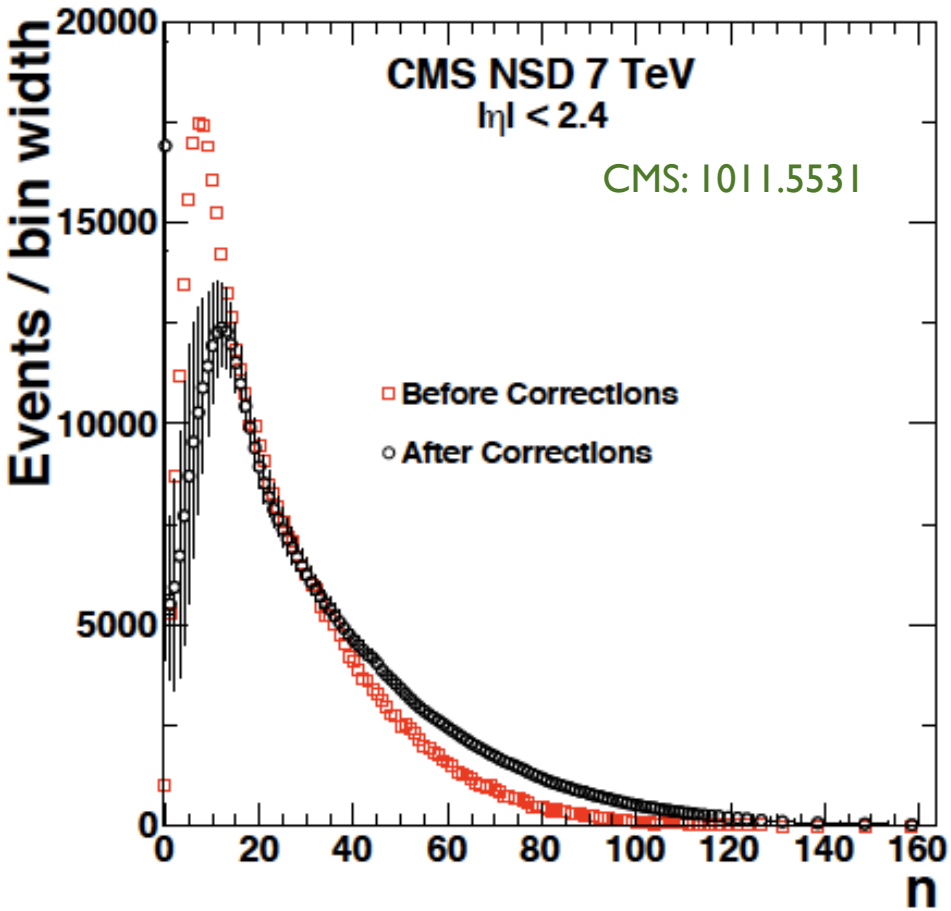
seems to be difficult to dig out the SIDM signature

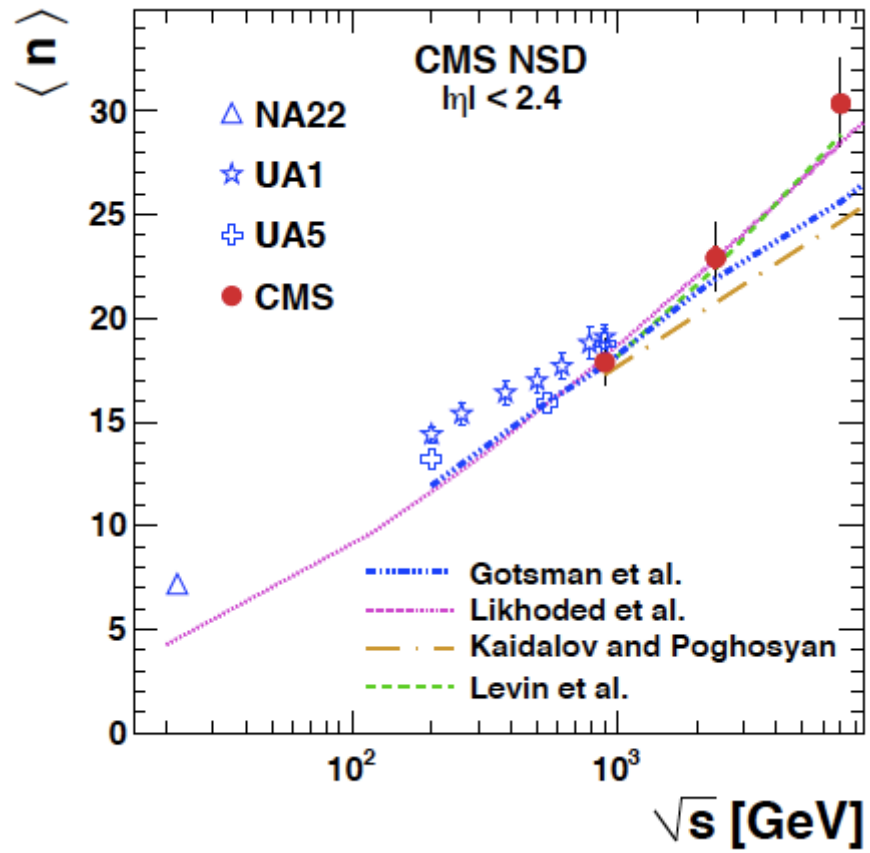


The SIDM signature is different from ordinary dijet

- No tracks: ***trackless jet***
- Less electromagnetic energy

- No tracks: ***trackless jet***



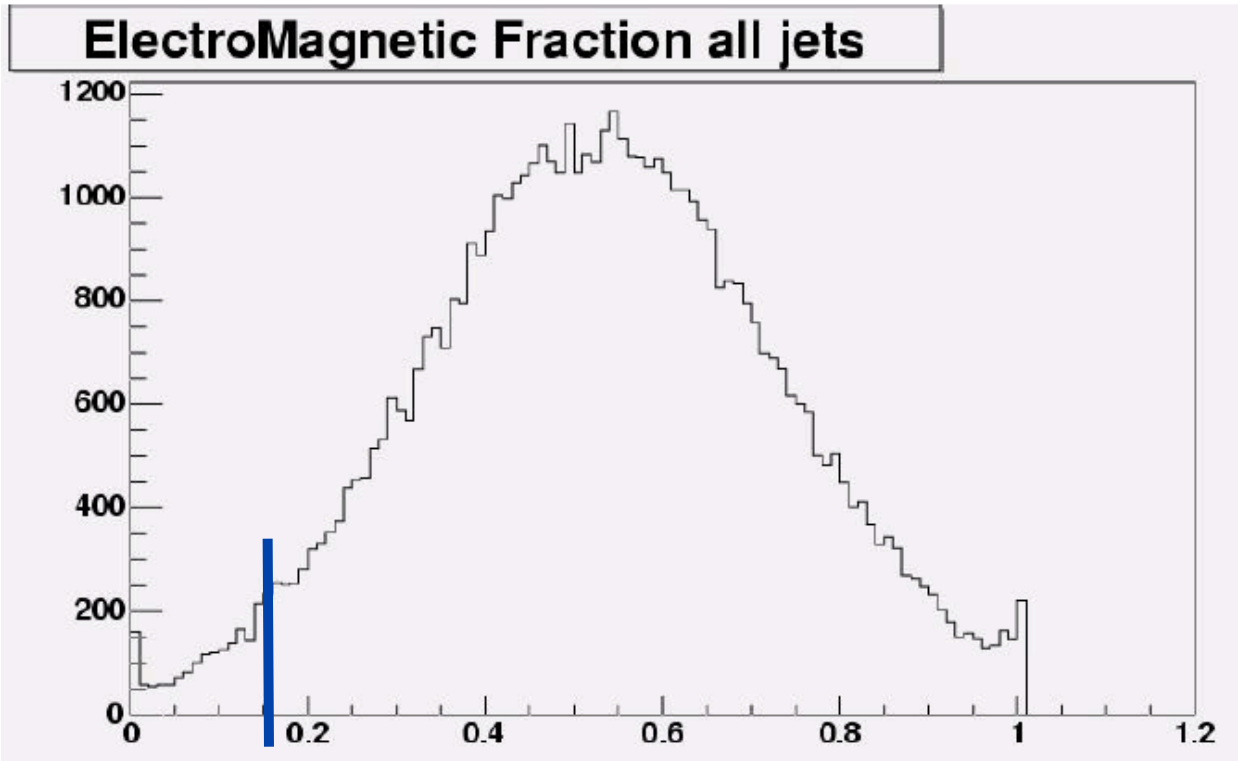


Koba-Nielsen-Olesen scaling

$$P(n) = \frac{1}{\langle n \rangle} e^{-n/\langle n \rangle}$$

using the no-track cut, one can reduce the background by ~ $\left(\frac{1}{20}\right)^2$

- Less electromagnetic energy



Maria Spiropulu,
talk at ISHEPAC05

EMF=Jet electromagnetic fraction= EM/(EHAD+EM) (CMS jets)

using the cut for less EM in jets, we can reduce the backgrounds by another factor of ~ 1/100

It is promising to discover SIDM at the LHC

Conclusion

- A lot of non-standard DM scenarios can only be explored at colliders. There could be more interesting scenarios and signatures that we have not thought about
- The generic signatures of iDM at the LHC could be one hard jet + missing energy + displaced hadrons
- The signature of SIDM is trackless jet
- The discovery limits are promising even for the 7 TeV LHC

Thanks