## LHC Optics in 2011

LARP CM16 (May 17th, 2011) R. Miyamoto (BNL)

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# Highlights

- For 2011 run, β\* changed from (3.5,3.5,3.5,3.5) m to (1.5,10,1.5,3) m at IPs (1,2,5,8). This is due to
  - IP1 and IP5: further squeeze allowed after reviewing of aperture at tertiary collimators.
  - IP2 and IP8: luminosities could exceed design values.
- During the recommissioning, optics measurements/corrections with **AC dipoles** performed:
  - Peak  $\beta$ -beating is reduced to ~10% at collision with local + global corrections.  $\beta$ -beating up to flattop is verified to be good enough.
  - Coupling corrected at collision and later at injection and ramp for B2 during one MD.
  - Good machine stability verified.
  - K-modulation performed to  $\beta^*$ .
- Improved diagnosis tools: GUI, codes, new analytics formula to measure coupling with AC dipoles.
- Supported MDs: collision tunes from injection, 90 m  $\beta^*$ , ATS.

## LHC optics correction goal

• Optics tolerances (LHC Design Repor):

Table 4.10: Operational optics tolerances.

Parameter	tune	coupling	chromaticity	orbit	orbit	$\beta$ -beat	dispersion
				(global)	(local)		spurious / normalized
Limit	$\pm 3  imes 10^{-3}$	$ c_{-}  \ll 3^{-3}$	$\pm 2.0$	4 mm	$0.1 \sigma$	20 %	27 %

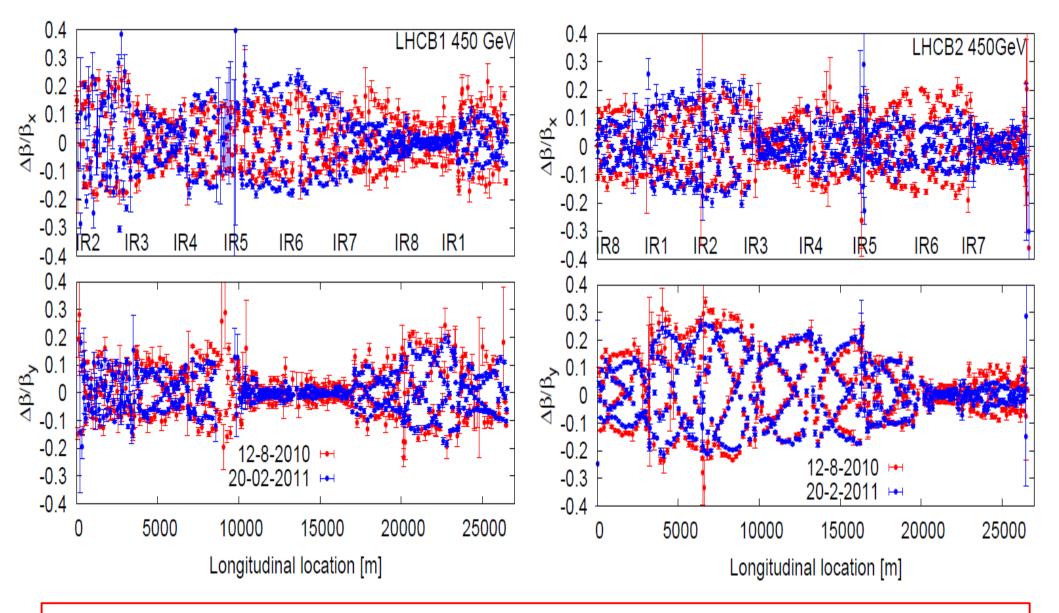
β-beating tolerance including off momentum effects (LHC Project Roport 501):

In conclusion, the maximum tolerable  $\beta\text{-}\text{beating}$  induced by the machine imperfections is reduced to

$$\begin{cases} \left(\frac{\Delta\beta_x}{\beta_x}\right)_{\text{peak}} < 14\% / 15\% \text{ for the injection / collision optics} \\ \left(\frac{\Delta\beta_y}{\beta_y}\right)_{\text{peak}} < 16\% / 19\% \text{ for the injection / collision optics.} \end{cases}$$

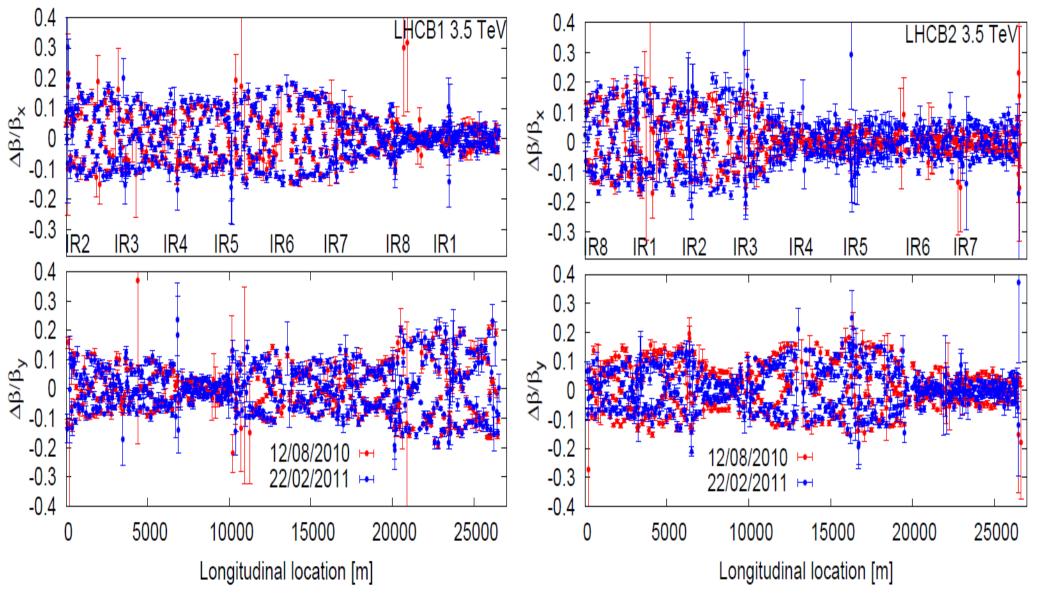
• Despite the smaller emittance (and better orbit ?), we use these numbers as our goal.

## **Injection** *β***-beating: 2010 vs. 2011**



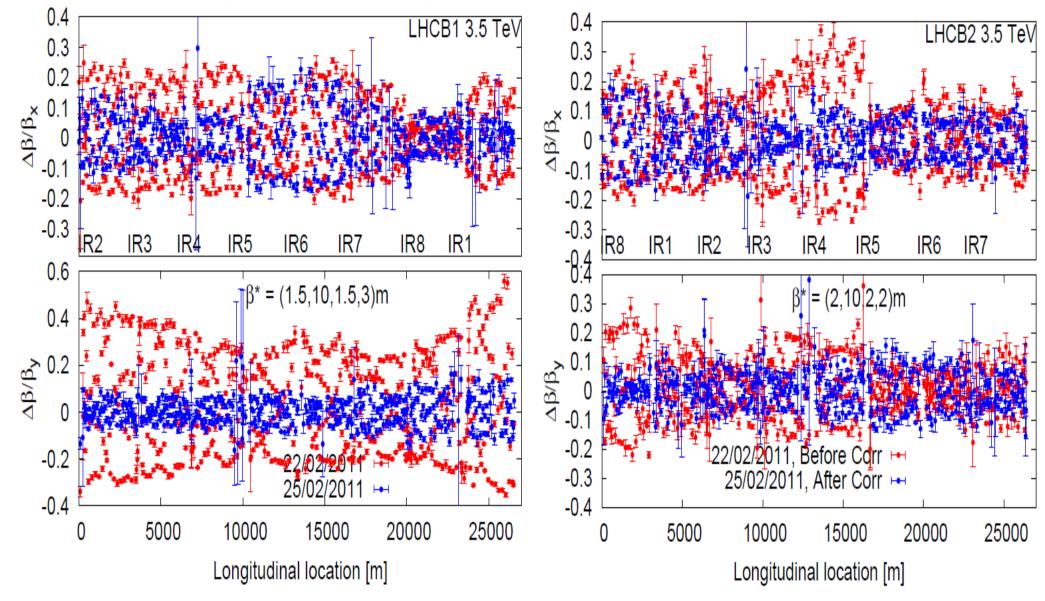
Same corrections as 2010: MQXB2.L2/8 (0.51%), MQXB2.R2/8 (0.64%)
 ~10% difference after ~7 months.

### Flattop *β*-beating: 2010 vs. 2011



- Very small difference after ~7 months.
- No corrections.

#### Local $\beta$ -beating corrections at collision



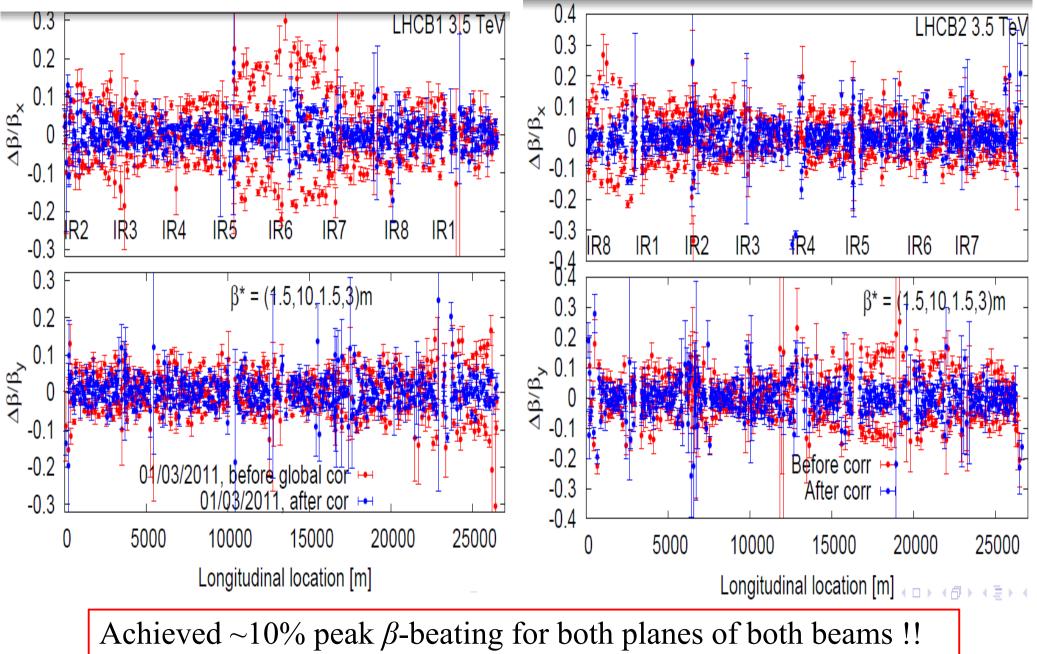
- Strategy: first correct local errors ALARA then apply global corrections. - ~60% peak  $\beta$ -beating reduced to ~20%

#### List of local *β*-beating corrections

Corrector	ΔΚ	Relative change [%]		
kq9.l1b1	3.8e-05	0.6 %		
ktqx2.r1	-0.8e-5	0.09%		
ktqx2.l5	1e-5	0.11 %		
ktqx2.r5	1.3e-5	0.15 %		
kq5.l6b2	-4.6e-05	0.7 %		
ktqx2.l8	-2.3e-5	0.26 %		
ktqx2.r8	-5.3e-6	0.06 %		

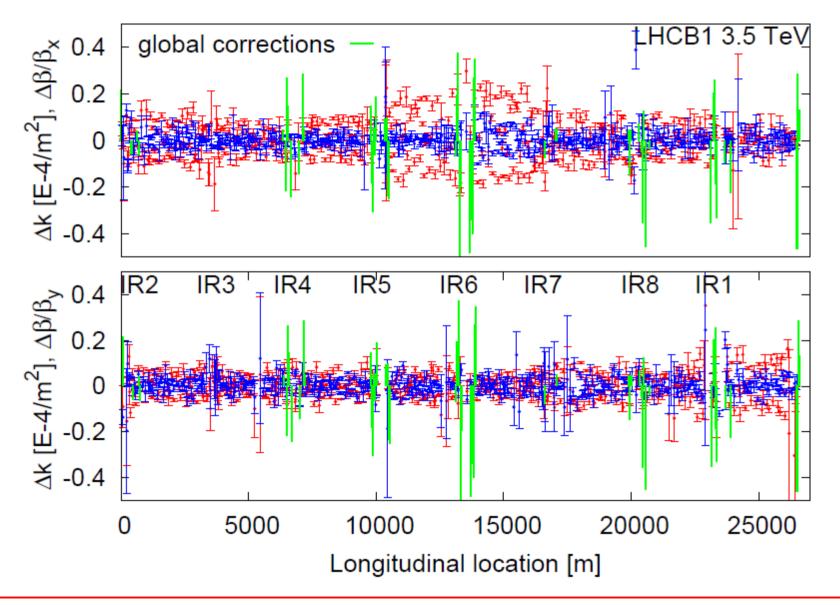
Works for 3.5-1.5 m  $\beta^*$ . The knob starts at 4 m and becomes 100% at 3.5 m.

#### **Global** β-beating corrections at collision



(Last year, only tried for B2)

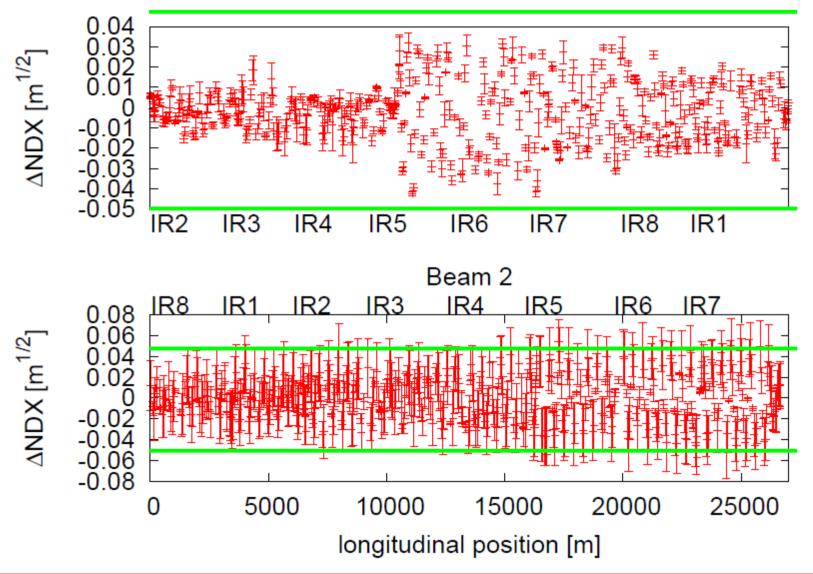
## **B1 global corrections via SVD fit**



With quads Q4-7 (MS), Q8-11 (DS), and QT12-13 (trim quads).
The knob starts at 2 m and becomes 100% at 1.5 m.

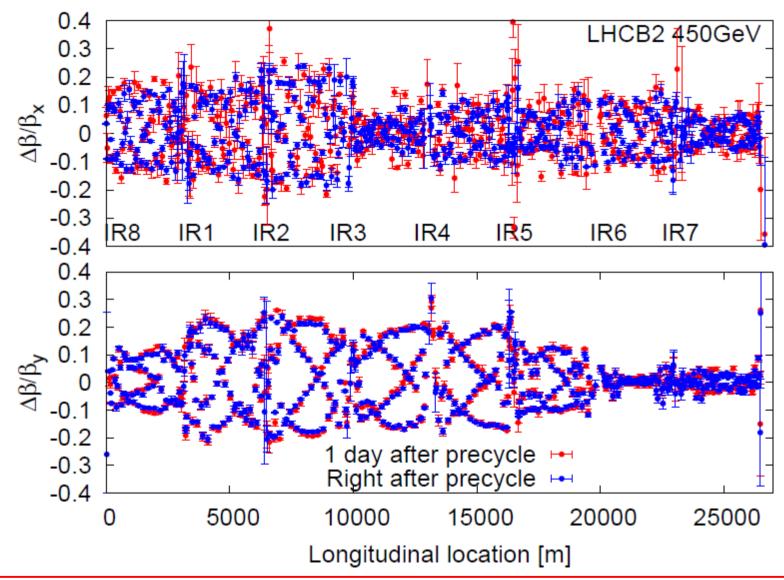
#### Normalized dispersion at collision

Beam 1



Good dispersion and off-momentum  $\beta$ -beating measurements missing. (Dispersion is important input for the global correction).

## No dynamical $\beta$ -beating at injection



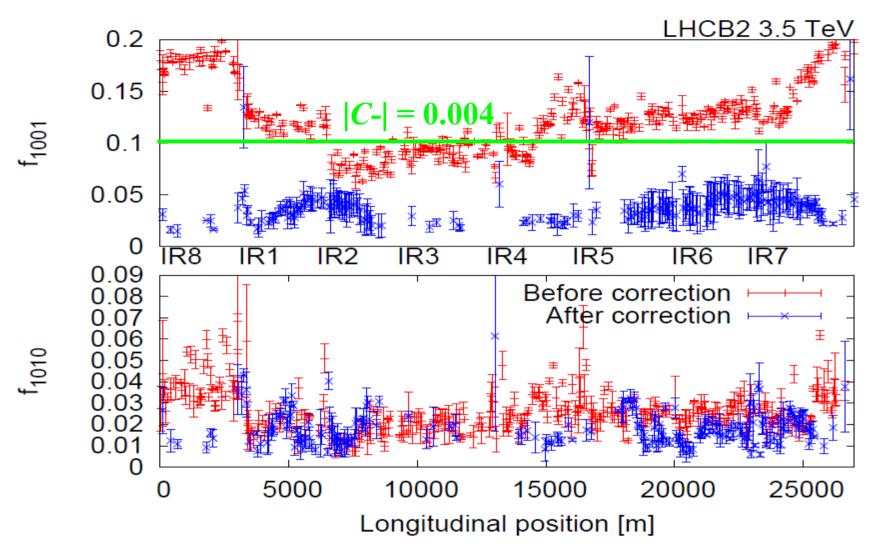
Last year, ~10% dynamical β-beating was observed in measurements separated by 5 days (one at the beginning of a fill and the other at the end).
Tolerances for dynamical and long-term β-beating well defined ??

#### **β**\* from K-modulation

case	IF	<b>R</b> 1	IR5		
	Ave	rms	Ave	rms	
B2H	1.57	0.11	1.48	0.11	
B2V	1.57	0.09	1.52	0.09	
B1H	1.53	0.15	1.50	0.15	
B1V	1.50	0.06	1.52	0.06	

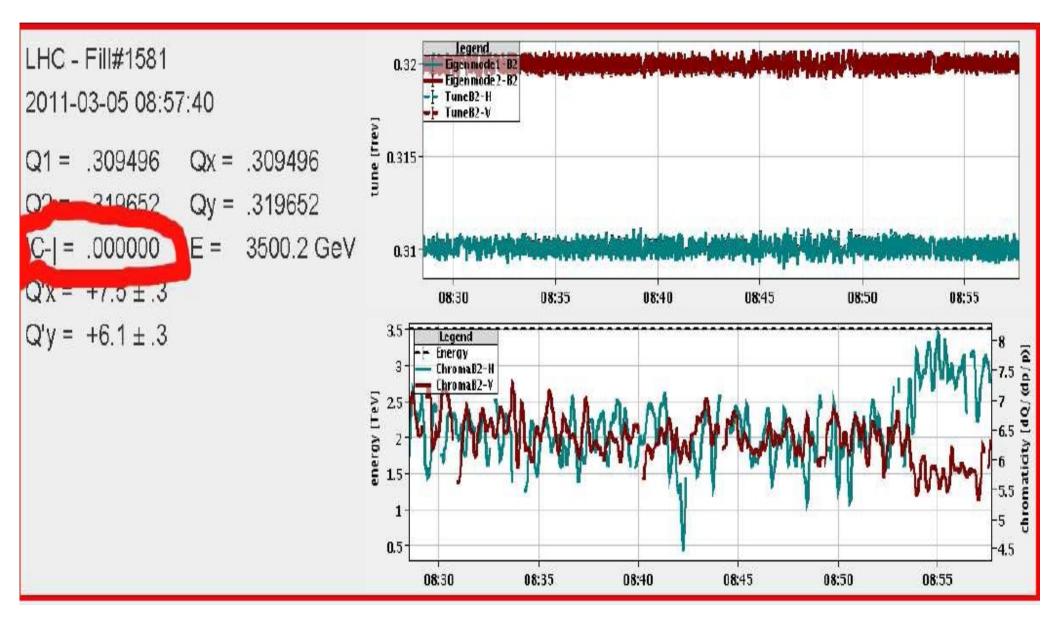
- K-modulation gives  $\beta^*$  with better precision/accuracy than the AC dipole (as long as coupling is well corrected).
- ATLAS loosing ~2.8% and CMS gaining ~0.3% ??
- Should "statistically properly" combine different methods ??

## Local coupling corrections at collision



Local corrections with kqsx3 applied at IPs 1, 5, and 8.
The corrections reduced the ranges of the global knobs by about half: (-170,100) → (-110,60) A

#### "Instantaneous" coupling record in LHC



#### **Motion with Coupling + AC dipole not so trivial...**

1st order mode due to the coupling:

$$\tilde{x}^{(1)}(n;\bar{s}) = 2iA_y f_{-}(\bar{s})\sqrt{\beta_x(\bar{s})}e^{-2\pi i\nu_y n - i\psi_y(\bar{s}) - i\phi_y} + 2iA_y f_{+}(\bar{s})\sqrt{\beta_x(\bar{s})}e^{2\pi i\nu_y n + i\psi_y(\bar{s}) + i\phi_y}$$
$$\tilde{y}^{(1)}(n;\bar{s}) = 2iA_x f_{-}^*(\bar{s})\sqrt{\beta_y(\bar{s})}e^{-2\pi i\nu_x n - i\psi_x(\bar{s}) - i\phi_x} + 2iA_x f_{+}(\bar{s})\sqrt{\beta_y(\bar{s})}e^{2\pi i\nu_x n + i\psi_x(\bar{s}) + i\phi_x}$$

Characterized by resonance driving terms:

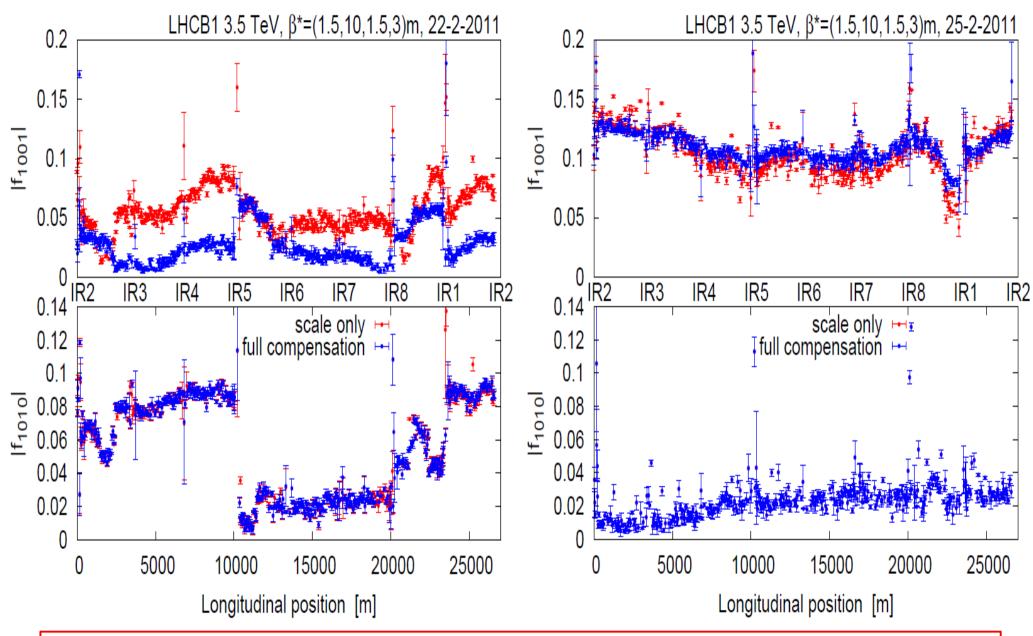
$$f_{\mp}(\bar{s}) = \frac{1}{8i \sin[\pi(\nu_x \mp \nu_y)]} \sum_{j=1}^N \kappa_j \sqrt{\beta_x(\bar{s}_j)\beta_y(\bar{s}_j)} e^{-i[\Psi_x(\bar{s},\bar{s}_j)\mp\Psi_y(\bar{s},\bar{s}_j)]}$$

With AC dipole...

$$\begin{split} \tilde{x}^{(1)}(n;\bar{s}) &= 2iA_{y,v} \frac{\sin[\pi(\nu_{x}-\nu_{y})]}{\sin[\pi(\nu_{x}-\nu_{y,v})]} \Big[ f_{-}(\bar{s}) - 2\pi i \delta_{v} f_{-}(\bar{s};\bar{s},\bar{s}_{v}) \Big] \sqrt{\beta_{x}(\bar{s})} e^{-2\pi i \nu_{y,v} n - i \psi_{y}(\bar{s},\bar{s}_{v}) - i \phi_{v}} \\ &+ 2iA_{y,v} \frac{\sin[\pi(\nu_{x}+\nu_{y})]}{\sin[\pi(\nu_{x}+\nu_{y,v})]} \Big[ f_{+}(\bar{s}) + 2\pi i \delta_{v} f_{+}(\bar{s};\bar{s},\bar{s}_{v}) \Big] \sqrt{\beta_{x}(\bar{s})} e^{2\pi i \nu_{y,v} n + i \psi_{y}(\bar{s},\bar{s}_{v}) + i \phi_{v}} \\ &- 2iA_{y,v} \frac{\sin[\pi(\nu_{x}+\nu_{y})]}{\sin[\pi(\nu_{x}-\nu_{y,v})]} \Big[ \lambda_{v} f_{+}(\bar{s}) - 2\pi i \delta_{v} e^{-2\pi i \nu_{y} \operatorname{sgn}(\bar{s}-\bar{s}_{v})} f_{+}(\bar{s};\bar{s},\bar{s}_{v}) \Big] \sqrt{\beta_{x}(\bar{s})} e^{-2\pi i \nu_{y,v} n + i \psi_{y}(\bar{s},\bar{s}_{v}) - i \phi_{v}} \\ &- 2iA_{y,v} \frac{\sin[\pi(\nu_{x}-\nu_{y})]}{\sin[\pi(\nu_{x}-\nu_{y,v})]} \Big[ \lambda_{v} f_{-}(\bar{s}) + 2\pi i \delta_{v} e^{2\pi i \nu_{y} \operatorname{sgn}(\bar{s}-\bar{s}_{v})} f_{-}(\bar{s};\bar{s},\bar{s}_{v}) \Big] \sqrt{\beta_{x}(\bar{s})} e^{2\pi i \nu_{y,v} n - i \psi_{y}(\bar{s},\bar{s}_{v}) + i \phi_{v}} \end{split}$$

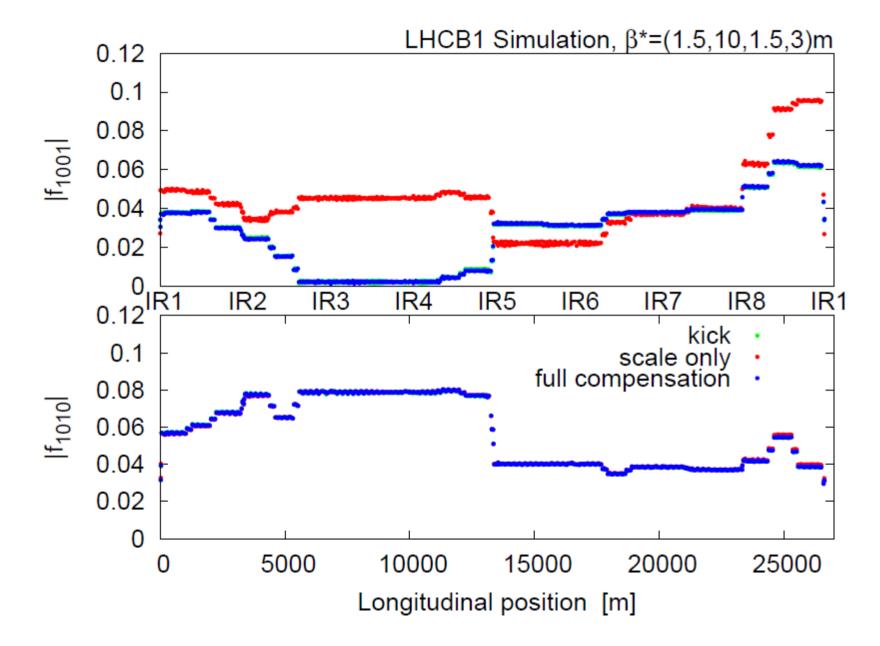
Used to be based on a simple approximation. Analytic formulae found recently (BNL CAD-AP-Note 410).

#### **Improvement with new analytic formula**



The simple approximation screwed up when the sum resonance (f1010) is not small.
No impact on the local correction but does effect the global correction.

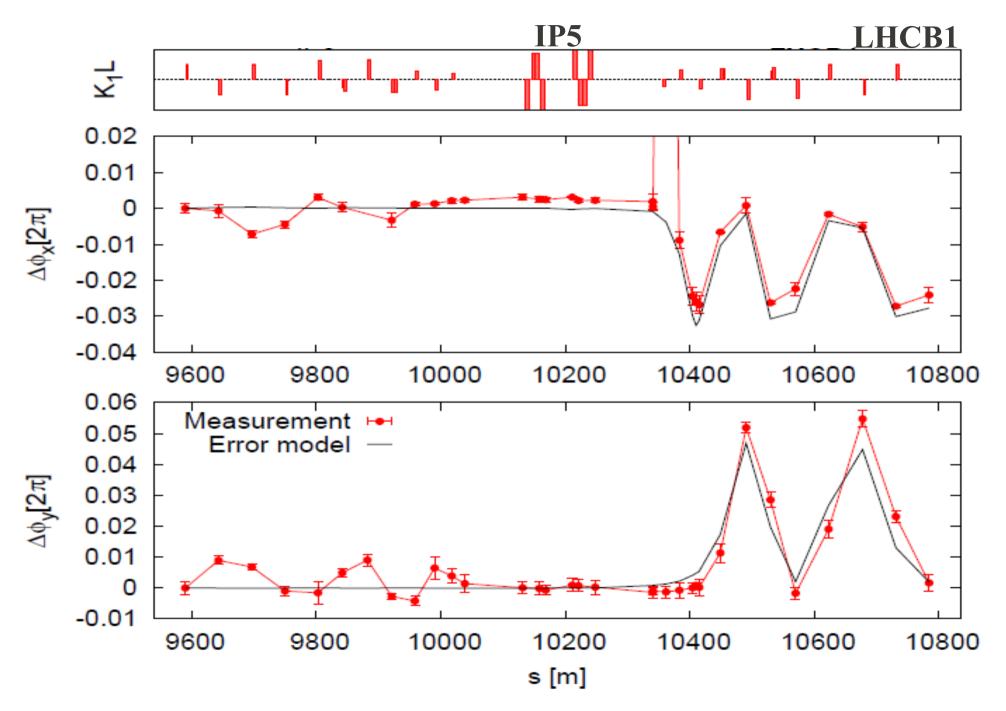
#### **Check with simulations**



## **Summary**

- β\* changed to (1.5,10,1.5,3) m at IPs (1,2,5,8) from 3.5 m at all these IPs.
- Peak  $\beta$ -beating is reduced to ~10% at collision.  $\beta$ -beating up to flattop is verified to be good enough (can be improved).
- Coupling corrected at collision and later at injection and ramp for B2. We can improve the injection and ramp of B1 and also during the initial part of squeeze.
- Good machine stability verified.
- Good dispersion and off-momentum  $\beta$ -beating measurements missing.
- $\beta^*$  measured with K-modulation.
- Diagnosis tools have been improved.
- Supported MDs: collision tunes from injection, 90 m  $\beta^*$ , ATS.

#### An example of local corrections



## **Coupling during the ramp**

