

*Snowmass 2021 — Energy Frontier
WG-01 meeting: **Higgs distributions and CPV**
24 June 2020*

FCC-hh Higgs studies

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For an **overview** of Higgs studies and **links** to existing documents, see

C.Helsens, M.Mangano, M.Selvaggi,
A framework and goals for FCC-hh physics studies at Snowmass 2021,
<http://cds.cern.ch/record/2717892>

In particular, see:

- Physics at a 100 TeV pp collider: Higgs and EW symmetry breaking studies, Contino et al, <https://arxiv.org/abs/1606.09408>
- Higgs measurements at FCC-hh, L.Borgonovi et al, <https://cds.cern.ch/record/2642471>

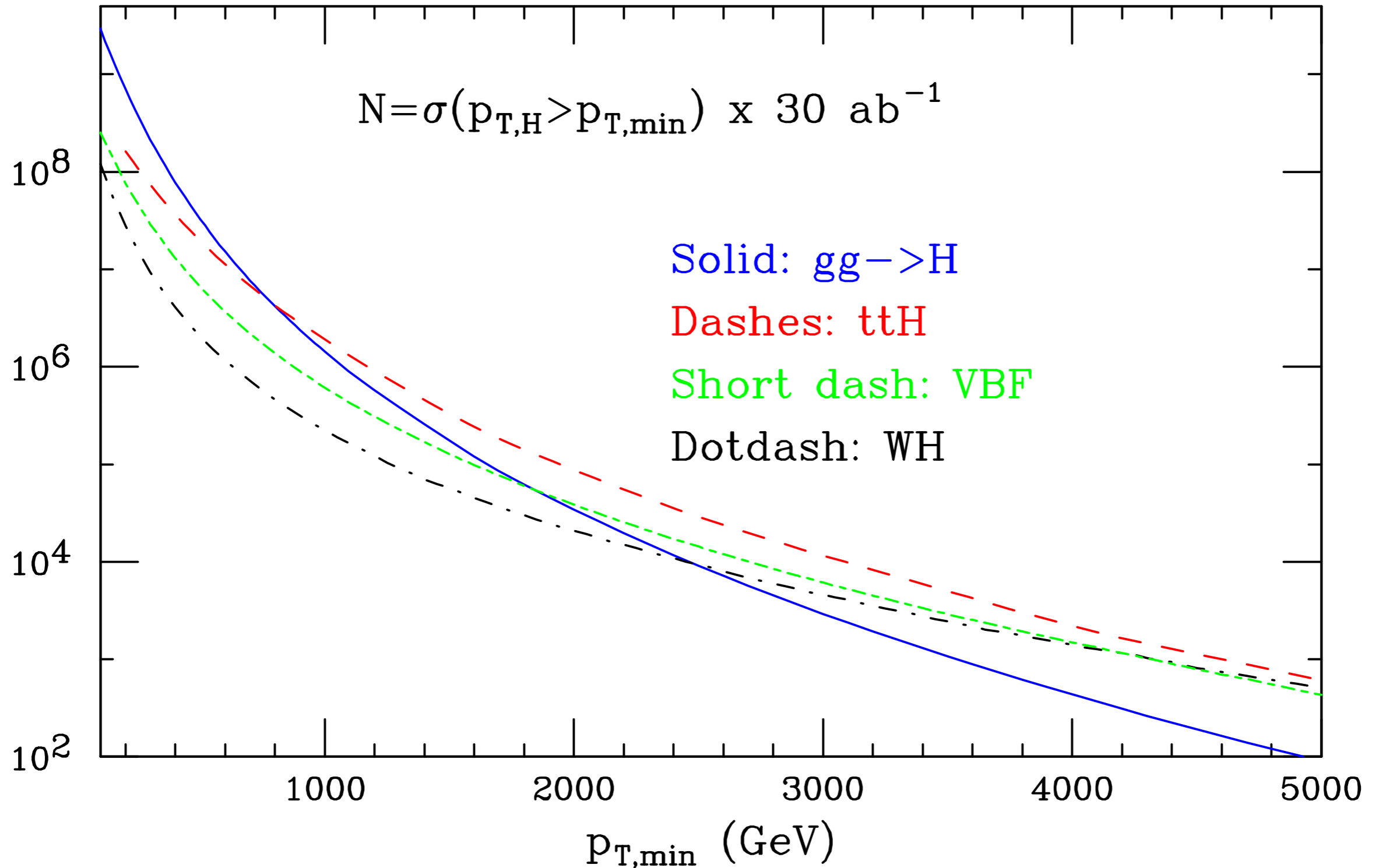
SM Higgs: event rates at 100 TeV

	gg→H	VBF	WH	ZH	ttH	HH
N_{100}	24 x 10 ⁹	2.1 x 10 ⁹	4.6 x 10 ⁸	3.3 x 10 ⁸	9.6 x 10 ⁸	3.6 x 10 ⁷
N_{100}/N_{14}	180	170	100	110	530	390

$$N_{100} = \sigma_{100\text{TeV}} \times 30 \text{ ab}^{-1}$$

$$N_{14} = \sigma_{14\text{TeV}} \times 3 \text{ ab}^{-1}$$

H at large p_T

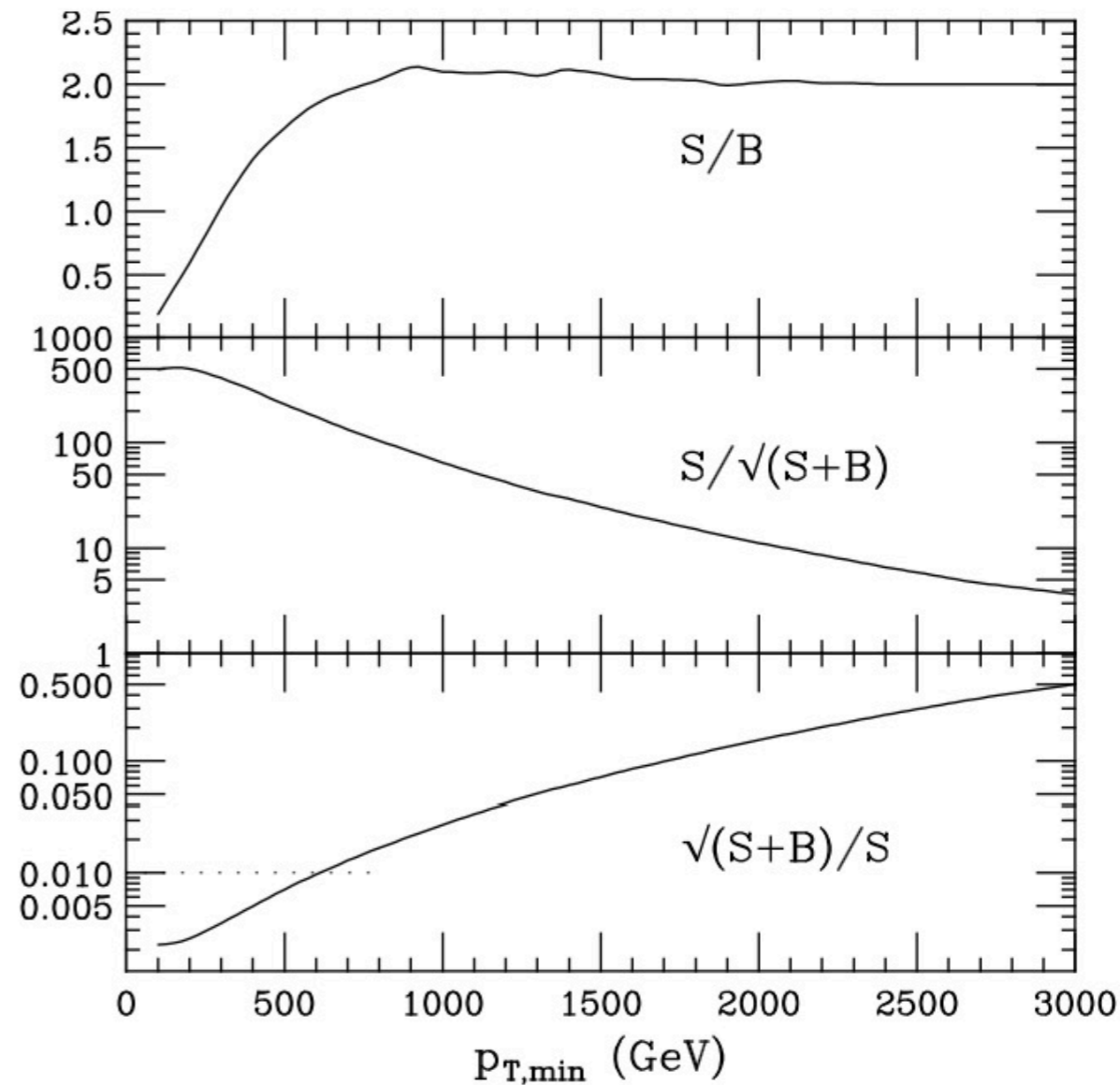
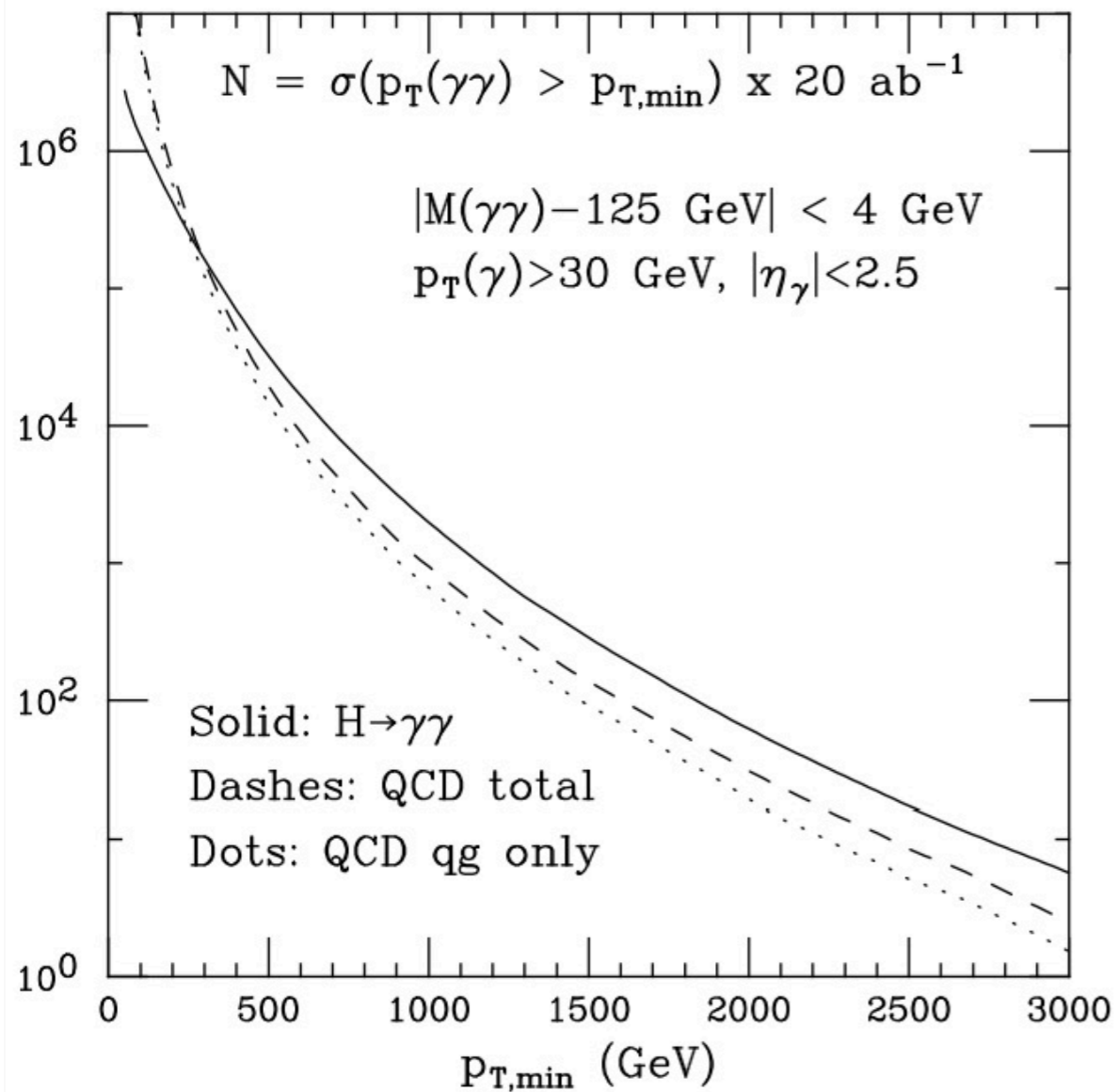


- Hierarchy of production channels changes at large $p_T(H)$:
 - $\sigma(ttH) > \sigma(gg \rightarrow H)$ above 800 GeV
 - $\sigma(VBF) > \sigma(gg \rightarrow H)$ above 1800 GeV

Three kinematic regimes

- Inclusive production, $p_T > 0$:
 - largest overall rates
 - most challenging experimentally:
 - triggers, backgrounds, pile-up \Rightarrow low efficiency, large systematics
 - ➡ det simulations challenging, likely unreliable \Rightarrow regime not studied so far
- $p_T \gtrsim 100$ GeV:
 - stat uncertainty $\sim \text{few} \times 10^{-3}$ for $H \rightarrow 4l, \gamma\gamma, \dots$
 - improved S/B, realistic trigger thresholds, reduced pile-up effects ?
 - ➡ current det sim and HL-LHC extrapolations more robust
 - ➡ focus of FCC CDR Higgs studies so far
 - ➡ sweet-spot for precision measurements at the sub-% level
- $p_T \gtrsim \text{TeV}$:
 - stat uncertainty $O(10\%)$ up to 1.5 TeV (3 TeV) for $H \rightarrow 4l, \gamma\gamma$ ($H \rightarrow bb$)
 - new opportunities for reduction of syst uncertainties (TH and EXP)
 - different hierarchy of production processes
 - indirect sensitivity to BSM effects at large Q^2 , complementary to that emerging from precision studies (eg decay BRs) at $Q \sim m_H$

$gg \rightarrow H \rightarrow \gamma\gamma$ at large p_T



- At LHC, S/B in the $H \rightarrow \gamma\gamma$ channel is $O(\text{few } \%)$
- At FCC, for $p_T(H) > 300 \text{ GeV}$, $S/B \sim 1$
- Potentially accurate probe of the H p_T spectrum up to large p_T

$p_{T,\min}$ (GeV)	δ_{stat}
100	0.2%
400	0.5%
600	1%
1600	10%

Delphes-based projections

For detailed links, see <http://cds.cern.ch/record/2717892>

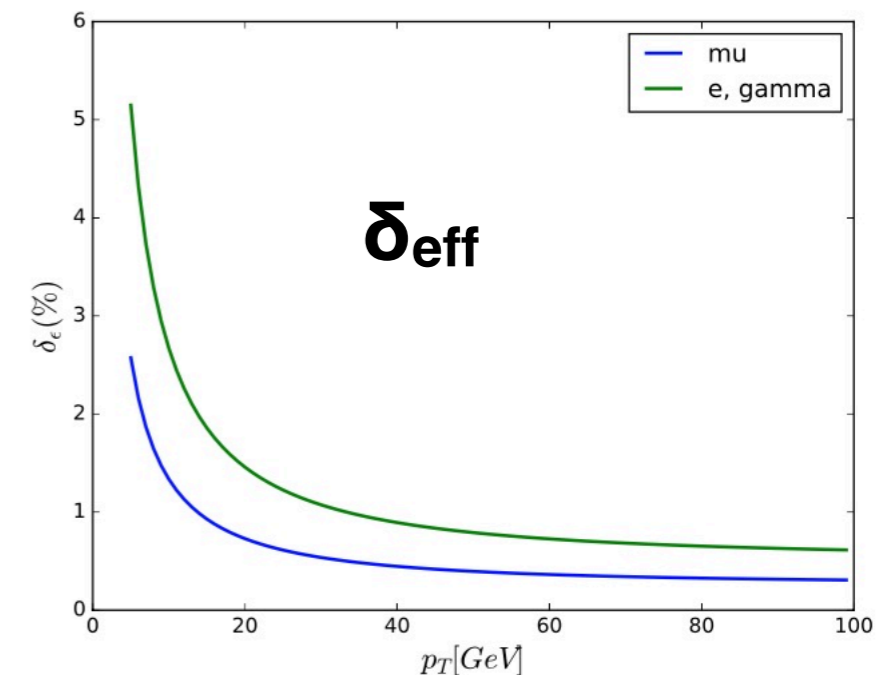
All signal and background samples have been generated via the following chain (using the FCCSW):

<http://fcc-physics-events.web.cern.ch/fcc-physics-events/LHEEvents.php>

- **MG5aMC@NLO + Pythia8**
 - LO (MLM) matched samples (up to 1/2/3 jets) and global K-factor applied to account for $N^{2/3}LO$ corrections
 - full list of signal prod. modes simulated (ggH with finite m_{top})
- **Delphes-3.4.2** with baseline FCC-hh detector

Consider the following categories of uncertainties:

- δ_{stat} = statistical
- δ_{prod} = production + luminosity systematics
- $\delta_{eff}^{(i)}(p_T)$ = object reconstruction (trigger+isolation+identification) systematics
- $\delta_B = 0$, background (assume to have ∞ statistics from control regions)



Assume (un-)correlated uncertainties for (different) same final state objects

Following scenarios are considered:

- $\delta_{stat} \rightarrow$ stat. only (I)
- $\delta_{stat}, \delta_{eff} \rightarrow$ stat. + eff. unc. (II)
- $\delta_{stat}, \delta_{eff}, \delta_{prod} = 1\%$ \rightarrow stat. + eff. unc. + prod (III)

could be seen as syst in the normalization of production*lumi wrt standard candles such as $pp \rightarrow Z \rightarrow ee$

Remarks

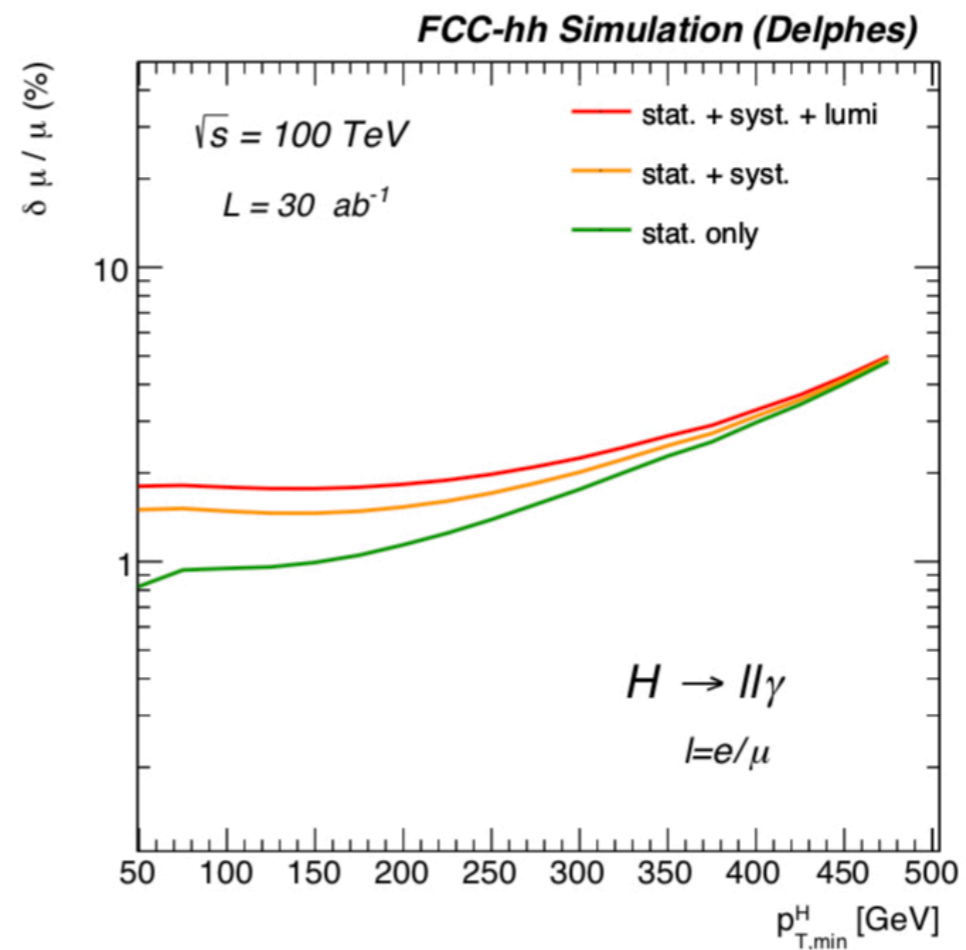
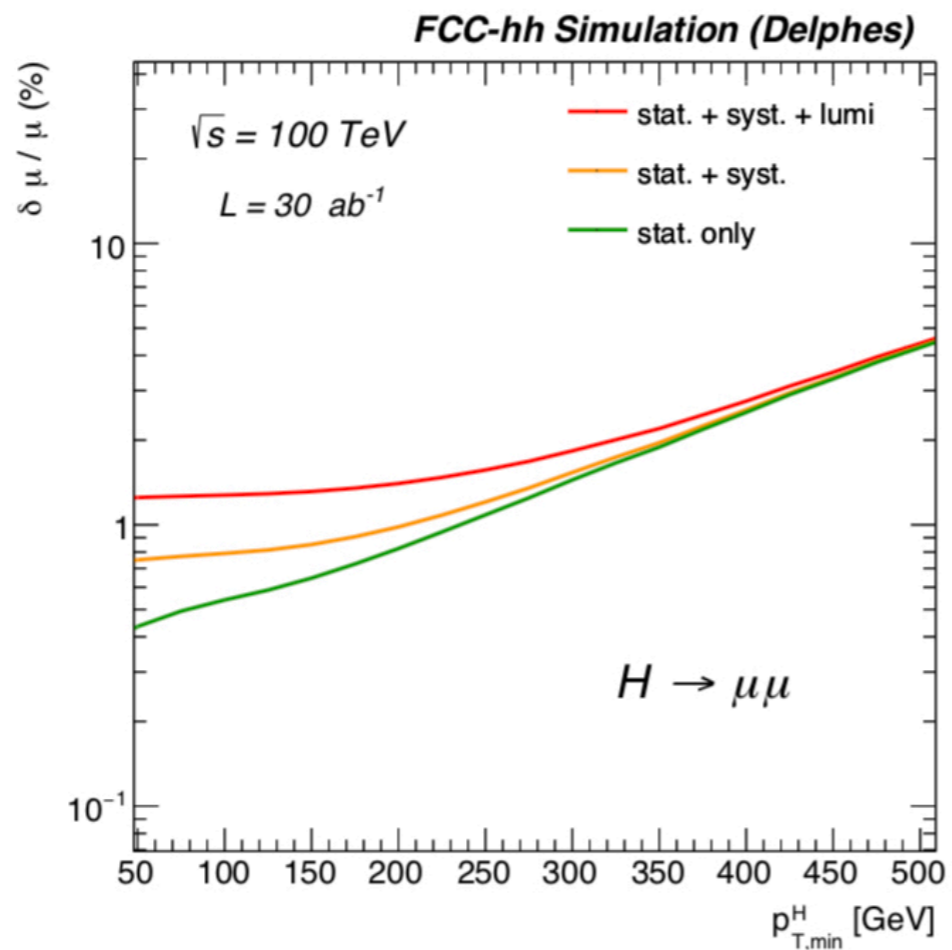
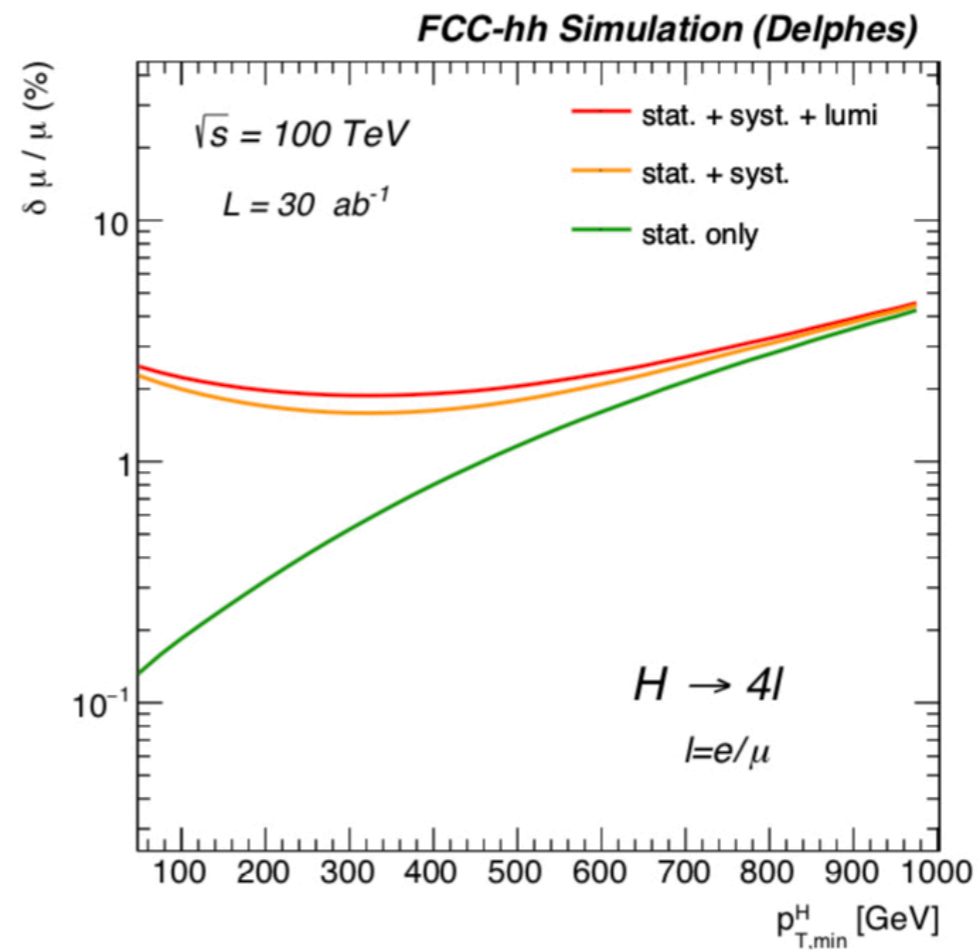
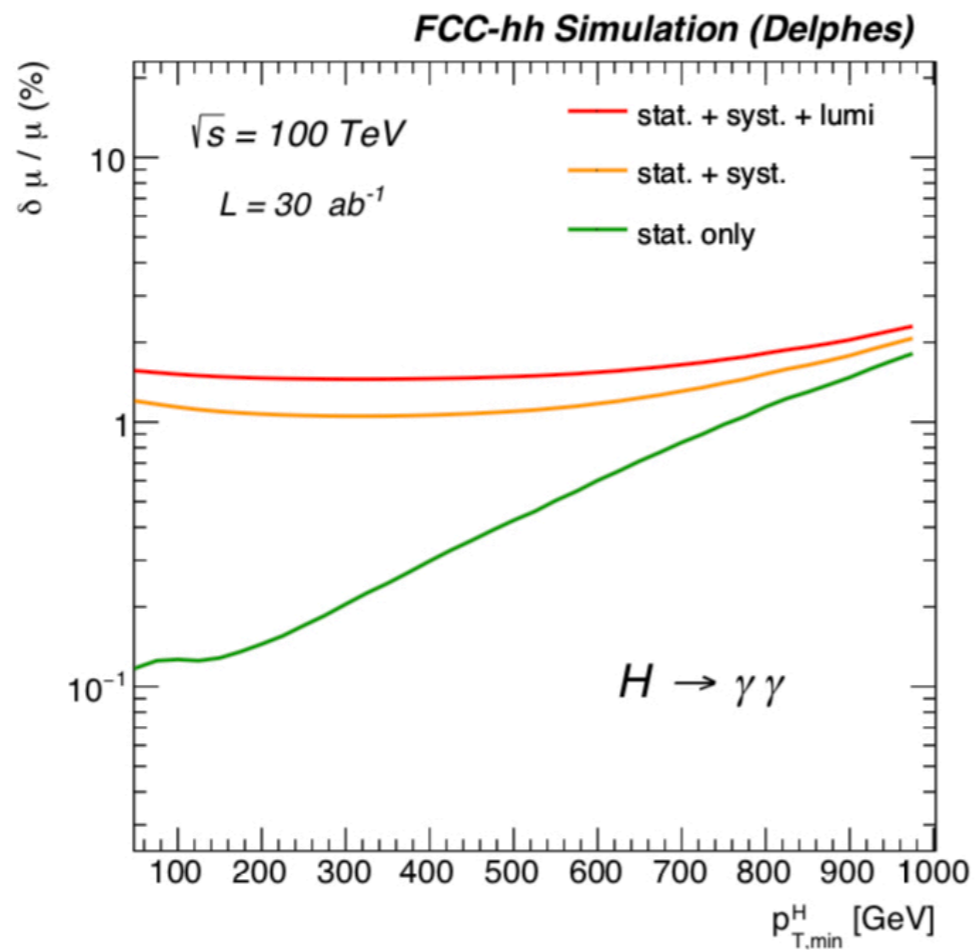
- 1% systematics on (production x luminosity) is meant as a reference target.
 - Reasonably justified by foreseen theoretical progress over the next few decades. Few % is already achievable **today** for channels such as VH or VBF:

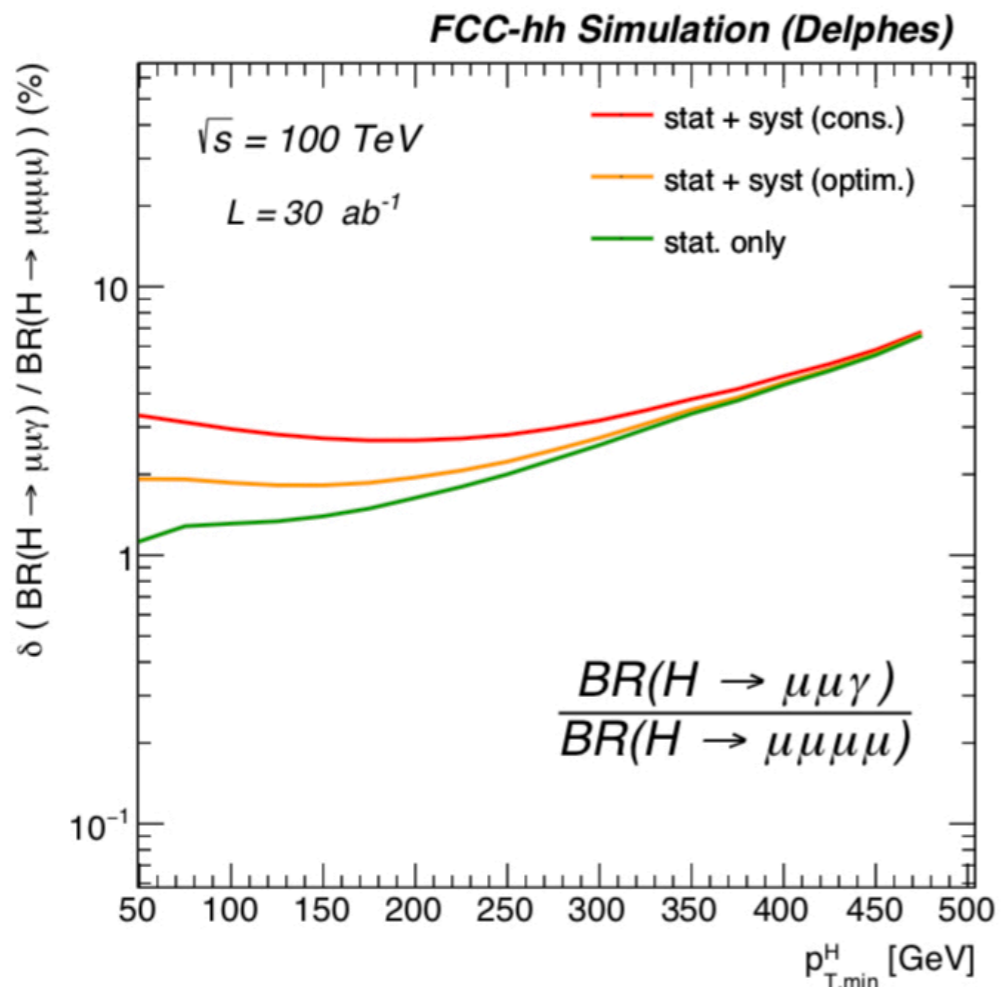
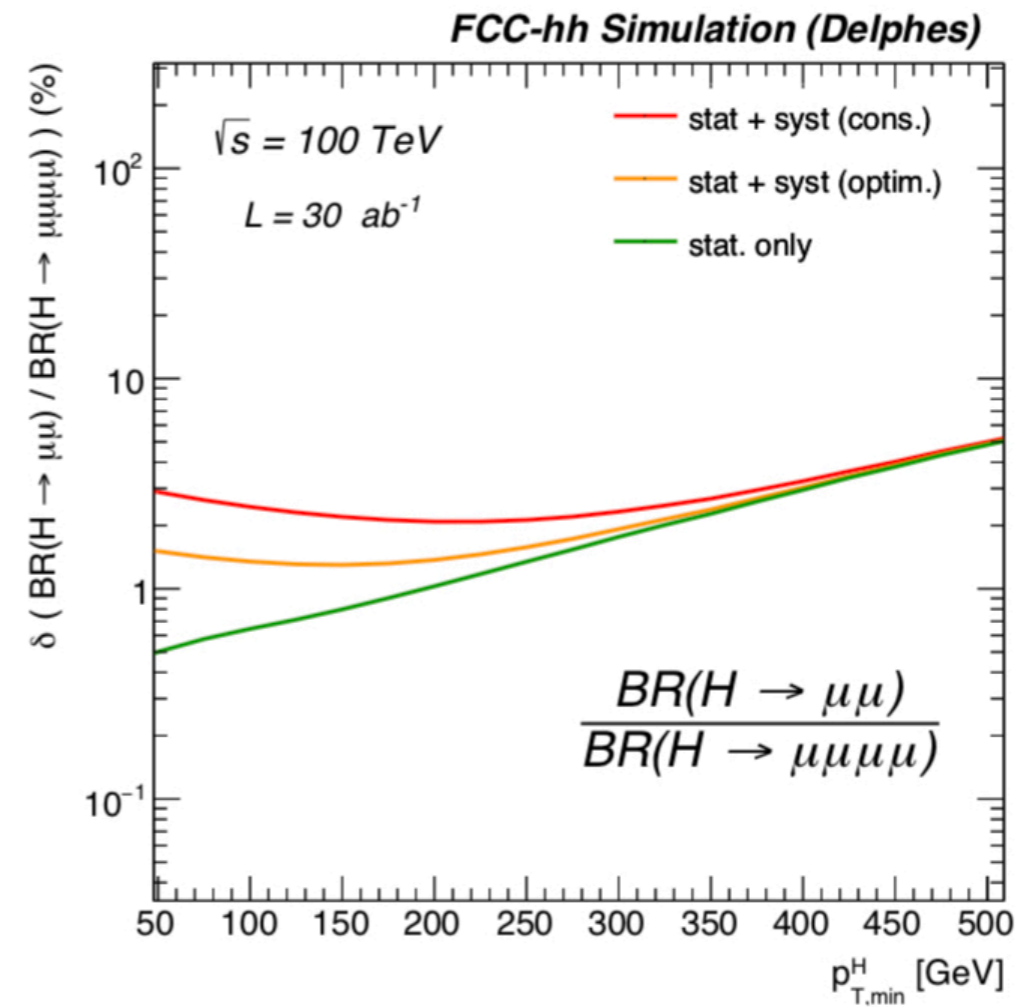
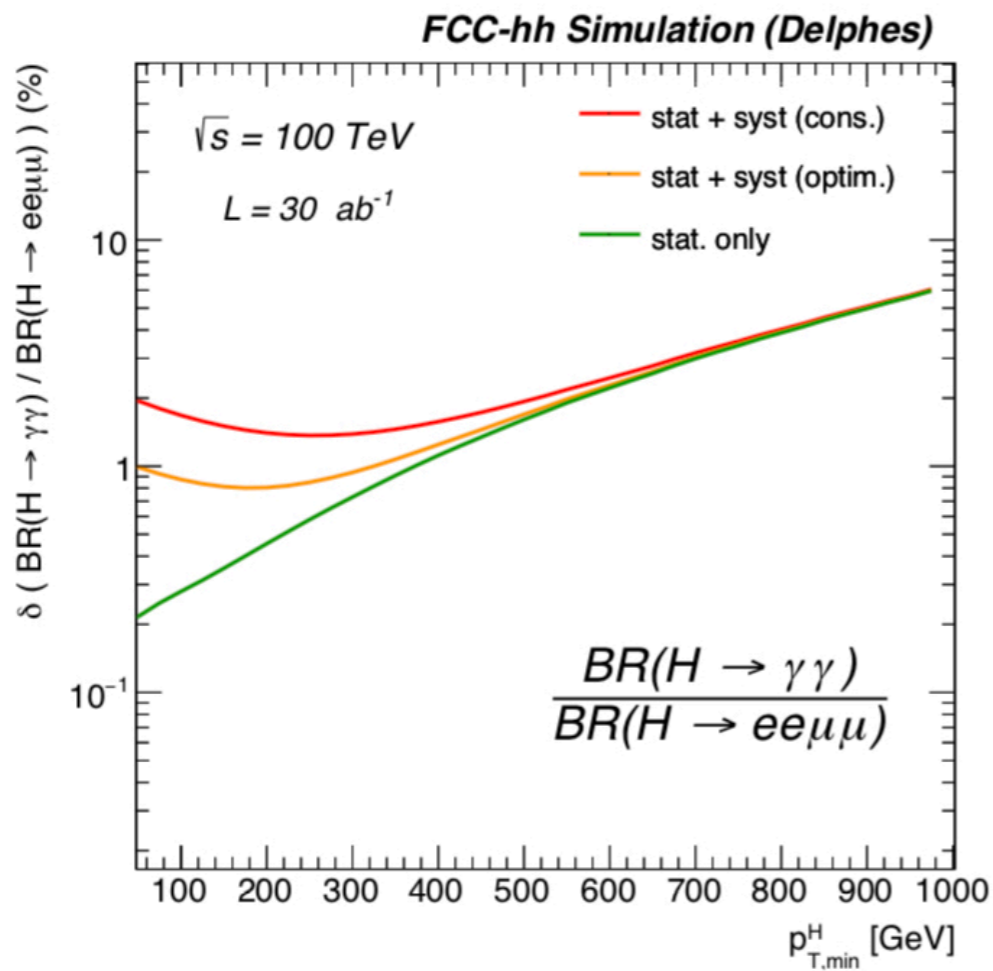
14 TeV	σ [fb]	Δ_{scale} (%)	$\Delta_{\text{PDF}+\alpha\text{S}}$ (%)
pp \rightarrow lv H	66.6	+0.52 -0.64	± 1.9
pp \rightarrow l ⁺ l ⁻ H	33.1	+3.6 -2.9	± 1.9
VBF	4260	+0.45 -0.34	± 2.1

Dominated by gg \rightarrow ZH systematics

(VH and VBF statistics at FCC by itself will allow for sub-% statistical precision in the relevant decay channels)

- This systematics drops out when considering ratios of BRs, which after the FCC-ee are anyway the most interesting observables
- e/ μ / γ efficiency systematics based on **today's** performance. In situ calibration, with the immense available statistics, will most likely reduce the uncertainties
- Final states used for precision measurements rely on reconstruction of m_H to within few GeV. All bg's (physics and instrumental) to be determined with great precision from sidebands
- Impact of pile-up: hard to estimate with today's analyses. Expect that focus on high-p_T objects will mitigate the issue





Normalize to BR(4l) from ee => sub-% precision for absolute couplings

Possible work: explore in more depth data-based techniques, to validate and then reduce the systematics in these ratio measurements, possibly moving to lower pt's and higher stat

Importance of standalone precise “ratios-of-BRs” measurements:

- independent of α_S , m_b , m_c , Γ_{inv} systematics
- sensitive to BSM effects that typically influence BRs in different ways. Eg

$$\text{BR}(H \rightarrow \gamma\gamma) / \text{BR}(H \rightarrow ZZ^*)$$

loop-level

tree-level

$$\text{BR}(H \rightarrow \mu\mu) / \text{BR}(H \rightarrow ZZ^*)$$

2nd gen'n Yukawa

gauge coupling

$$\text{BR}(H \rightarrow \gamma\gamma) / \text{BR}(H \rightarrow Z\gamma)$$

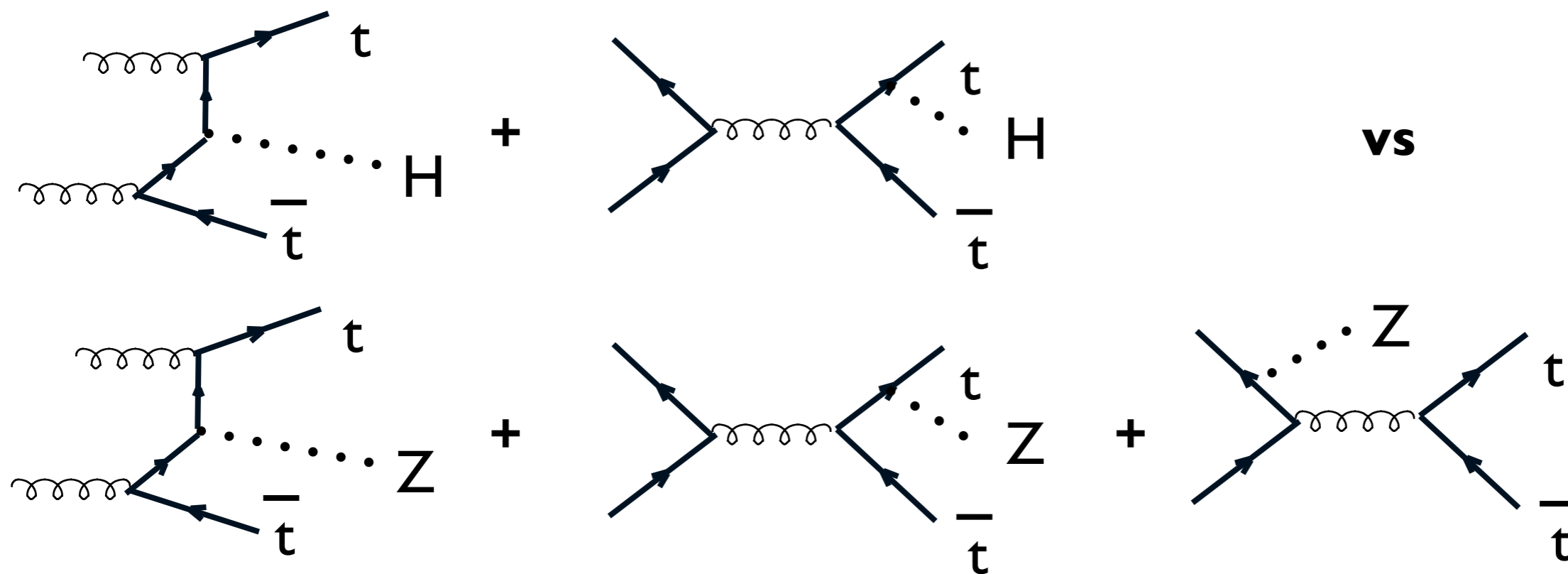
different EW charges in the loops of the two procs

$$\text{BR}(H \rightarrow inv) / \text{BR}(H \rightarrow \gamma\gamma)$$

tree-level neutral

loop-level charged

Possible work: study impact of precise ratio measurements in the context of specific BSM models, set targets. Any special opportunities?



To the extent that the $q\bar{q} \rightarrow t\bar{t} Z/H$ contributions are subdominant:

- Identical production dynamics:

- o correlated QCD corrections, correlated scale dependence
- o correlated α_s systematics

- $m_Z \sim m_H \Rightarrow$ almost identical kinematic boundaries:

- o correlated PDF systematics
- o correlated m_{top} systematics

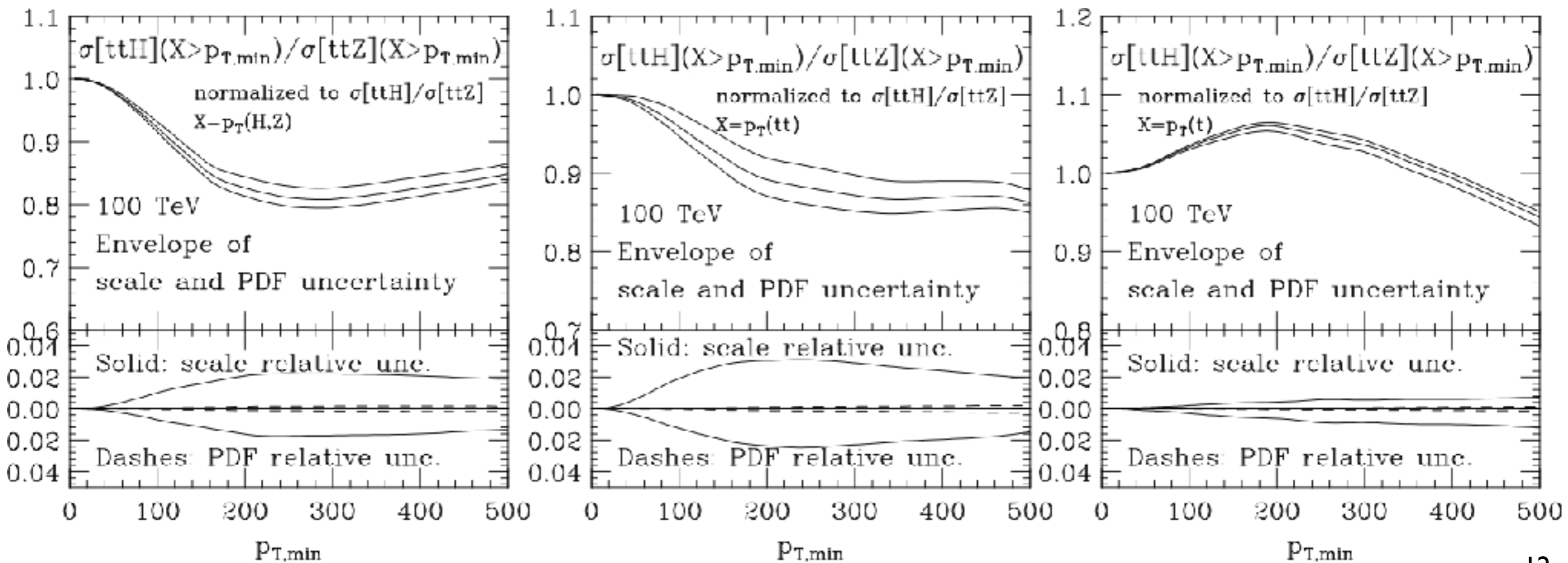
For a given y_{top} , we expect $\sigma(ttH)/\sigma(ttZ)$ to be predicted with great precision

Cross section ratio stability

	$\sigma(tt\bar{H})[\text{pb}]$	$\sigma(tt\bar{Z})[\text{pb}]$	$\frac{\sigma(tt\bar{H})}{\sigma(tt\bar{Z})}$
13 TeV	$0.475^{+5.79\%+3.33\%}_{-9.04\%-3.08\%}$	$0.785^{+9.81\%+3.27\%}_{-11.2\%-3.12\%}$	$0.606^{+2.45\%+0.525\%}_{-3.66\%-0.319\%}$
100 TeV	$33.9^{+7.06\%+2.17\%}_{-8.29\%-2.18\%}$	$57.9^{+8.93\%+2.24\%}_{-9.46\%-2.43\%}$	$0.585^{+1.29\%+0.314\%}_{-2.02\%-0.147\%}$

↑ scale ↑ PDF

Production kinematics ratio stability



Analysis in [arXiv:1507.08169](https://arxiv.org/abs/1507.08169) used boosted $H/Z \rightarrow bb$ decays (large stat, reduced combinatoric bg, correlated b-tagging efficiencies, ...)

Reloaded with FCC-hh det sim in <https://cds.cern.ch/record/2642471>

- ttj and ttbb bgs “measured” with data at $m_{jj} > 200$ with negligible δ_{stat} . Syst to be assessed for shape modeling under m_H peak systematics
- ttZ kinematics validated with $Z \rightarrow$ leptons
- $N(\text{ttH})/N(\text{ttZ}) = 1.64 \pm 0.01$ (stat.) after perfect bg subtraction

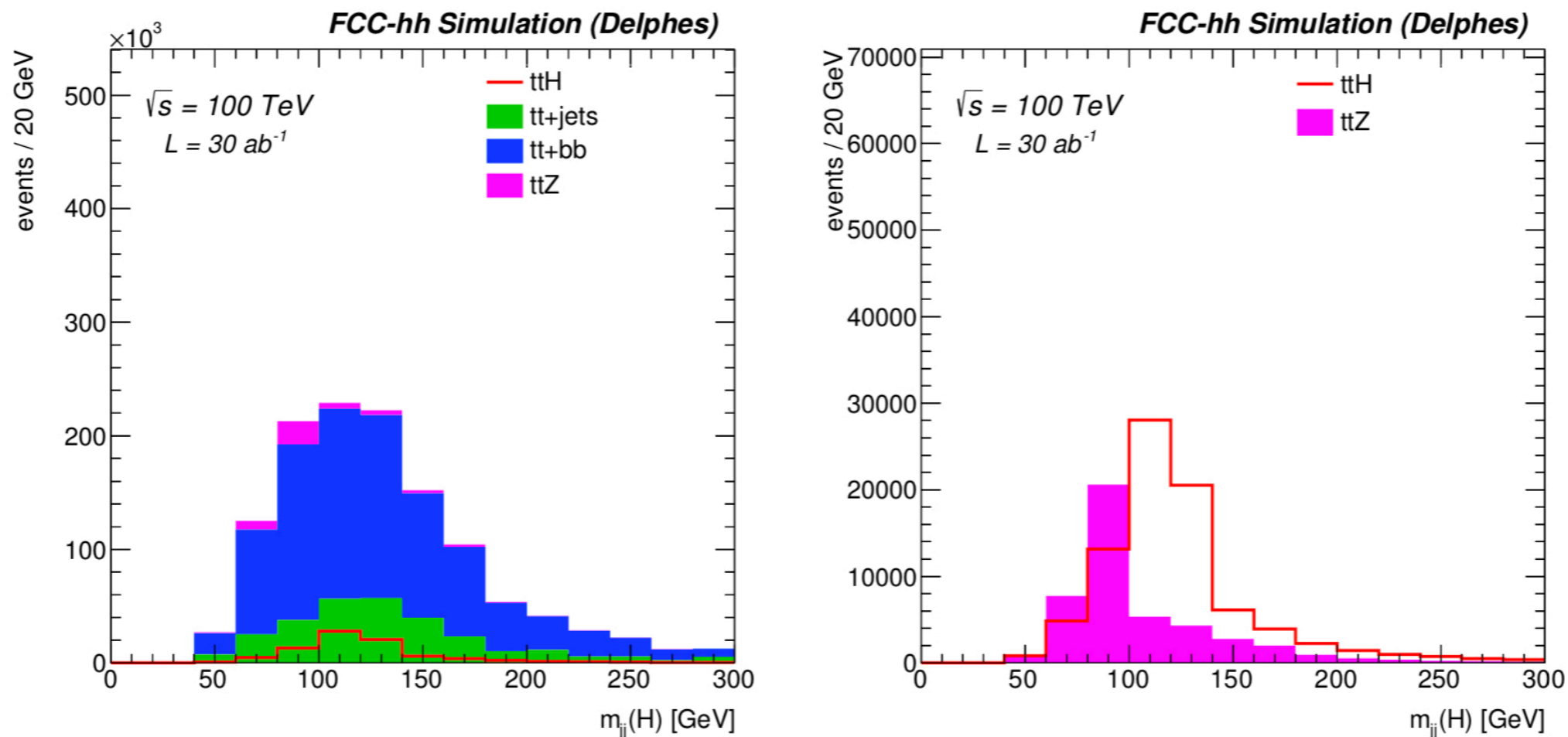


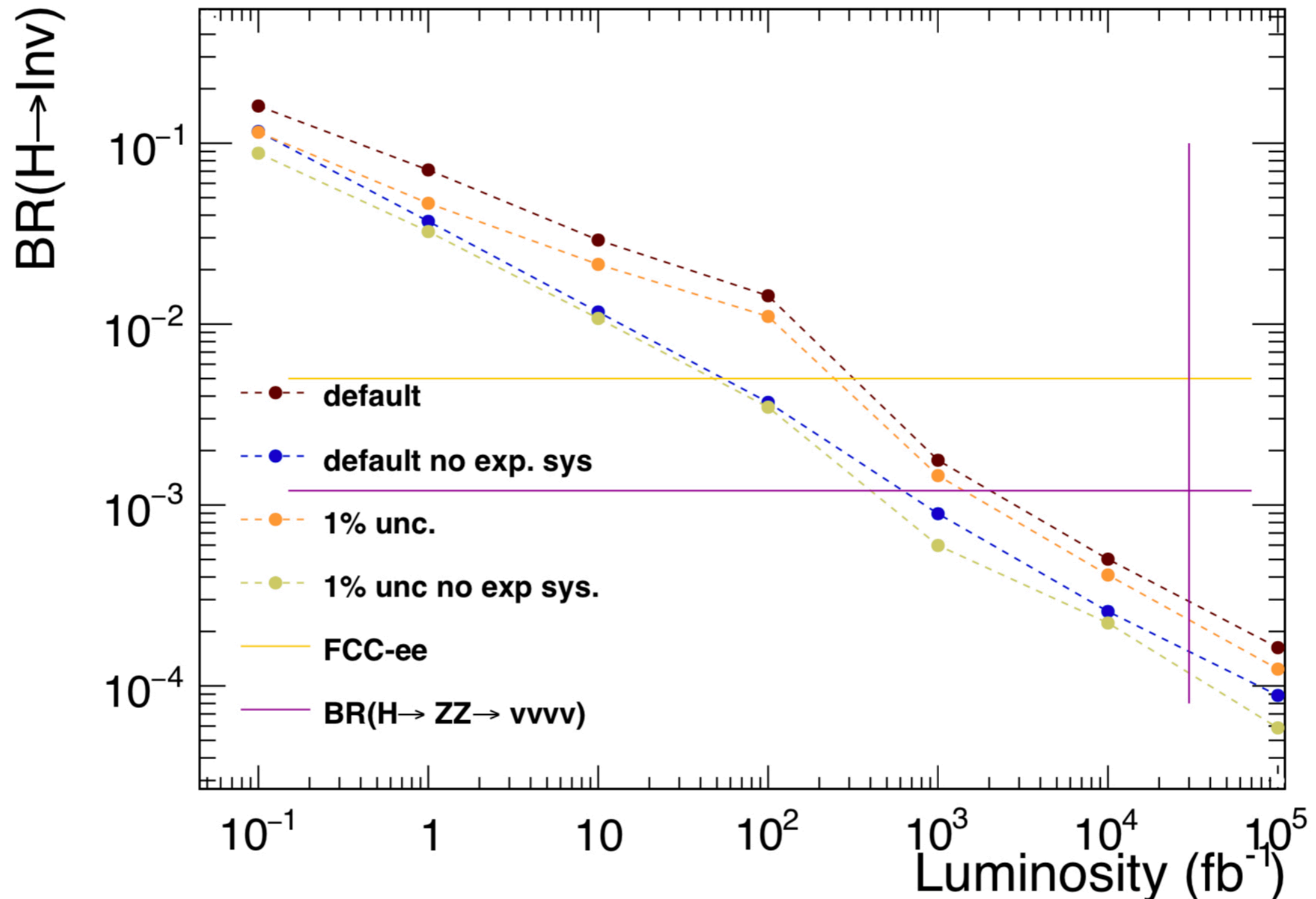
Figure 7: Invariant mass the di-jet pair forming the Higgs candidate including all backgrounds (left) and after (perfect) background subtraction as input for measuring the ttH/ttZ fraction (right).

Remarks

- This measurement requires knowledge of ttZ EW coupling to % level => FCC-ee
- **Further work to be done:**
 - consolidate determination of bg shapes and impact on overall fit of ttH and ttZ components ($H/Z \rightarrow bb$)
 - explore different final states...
 - Eg $ttH(\rightarrow \gamma\gamma)$ / $ttZ(\rightarrow ee)$: doesn't require large boost, much reduced bgs, correlated E scales and ID eff (e vs γ), ...

BR(H→inv) in H+X production at large p_T(H)

Constrain bg pt spectrum from Z→vv to the % level using NNLO QCD/EW to relate to measured Z→ee, W and γ spectra



SM sensitivity with 1ab⁻¹, can reach few x 10⁻⁴ with 30ab⁻¹

Table 4.4: Target precision for the parameters relative to the measurement of various Higgs decays, ratios thereof, and of the Higgs self-coupling λ . Notice that lagrangian couplings have a precision that is typically half that of what is shown here, since all rates and branching ratios depend quadratically on the couplings.

Observable	Parameter	Precision (stat)	Precision (stat+syst+lumi)
$\mu = \sigma(\text{H}) \times \text{B}(\text{H} \rightarrow \gamma\gamma)$	$\delta\mu/\mu$	0.1%	1.45%
$\mu = \sigma(\text{H}) \times \text{B}(\text{H} \rightarrow \mu\mu)$	$\delta\mu/\mu$	0.28%	1.22%
$\mu = \sigma(\text{H}) \times \text{B}(\text{H} \rightarrow 4\mu)$	$\delta\mu/\mu$	0.18%	1.85%
$\mu = \sigma(\text{H}) \times \text{B}(\text{H} \rightarrow \gamma\mu\mu)$	$\delta\mu/\mu$	0.55%	1.61%
$\mu = \sigma(\text{HH}) \times \text{B}(\text{H} \rightarrow \gamma\gamma) \text{B}(\text{H} \rightarrow \text{b}\bar{\text{b}})$	$\delta\lambda/\lambda$	5%	7.0%
$R = \text{B}(\text{H} \rightarrow \mu\mu) / \text{B}(\text{H} \rightarrow 4\mu)$	$\delta R/R$	0.33%	1.3%
$R = \text{B}(\text{H} \rightarrow \gamma\gamma) / \text{B}(\text{H} \rightarrow 2\text{e}2\mu)$	$\delta R/R$	0.17%	0.8%
$R = \text{B}(\text{H} \rightarrow \gamma\gamma) / \text{B}(\text{H} \rightarrow 2\mu)$	$\delta R/R$	0.29%	1.38%
$R = \text{B}(\text{H} \rightarrow \mu\mu\gamma) / \text{B}(\text{H} \rightarrow \mu\mu)$	$\delta R/R$	0.58%	1.82%
$R = \sigma(\text{t}\bar{\text{t}}\text{H}) \times \text{B}(\text{H} \rightarrow \text{b}\bar{\text{b}}) / \sigma(\text{t}\bar{\text{t}}\text{Z}) \times \text{B}(\text{Z} \rightarrow \text{b}\bar{\text{b}})$	$\delta R/R$	1.05%	1.9%
$B(\text{H} \rightarrow \text{invisible})$	$B@95\% \text{CL}$	1×10^{-4}	2.5×10^{-4}

Further work to do on decay-properties measurements:

- Apply to FCC-hh the various techniques proposed for the measurement of the total H width at the LHC: what is the precision reach?
- Consider decays to other large-BR channels, bb , WW , $\tau\tau$:
 - unlikely to improve FCC-ee measurements, but ...
 - ... can use to extend use of H as a tool (eg to reach larger p_{T^H} regions)
- Probes of Hcc : $H \rightarrow cc$ in boosted jets, exclusive $H \rightarrow J/\psi \gamma$ decays, ...
- Couplings to lighter quarks (exclusive decays)
- Rare/forbidden decays ($e\mu$, $\mu\tau$, $e\tau$, ..., multibodies, ...)

Higgs as a BSM probe: precision vs dynamic reach

$$L = L_{SM} + \frac{1}{\Lambda^2} \sum_k \mathcal{O}_k + \dots$$

$$O = | \langle f | L | i \rangle |^2 = O_{SM} [1 + O(\mu^2 / \Lambda^2) + \dots]$$

For H decays, or inclusive production, $\mu \sim O(v, m_H)$

$$\delta O \sim \left(\frac{v}{\Lambda}\right)^2 \sim 6\% \left(\frac{\text{TeV}}{\Lambda}\right)^2 \Rightarrow \text{precision probes large } \Lambda$$

$$\text{e.g. } \delta O = 1\% \Rightarrow \Lambda \sim 2.5 \text{ TeV}$$

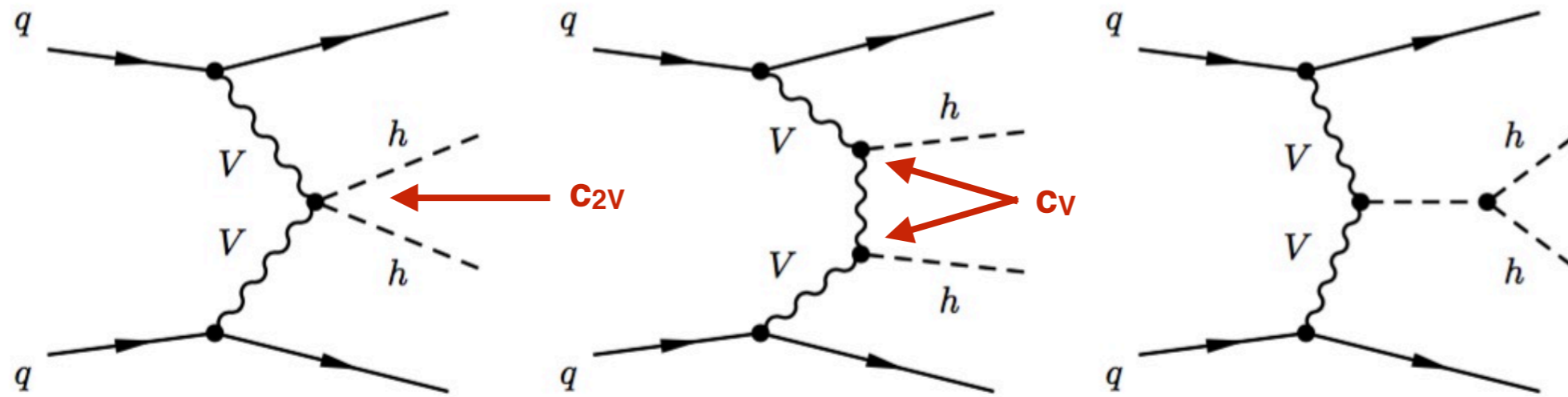
For H production off-shell or with large momentum transfer Q , $\mu \sim O(Q)$

$$\delta O \sim \left(\frac{Q}{\Lambda}\right)^2 \Rightarrow \text{kinematic reach probes}$$

large Λ even if precision is low

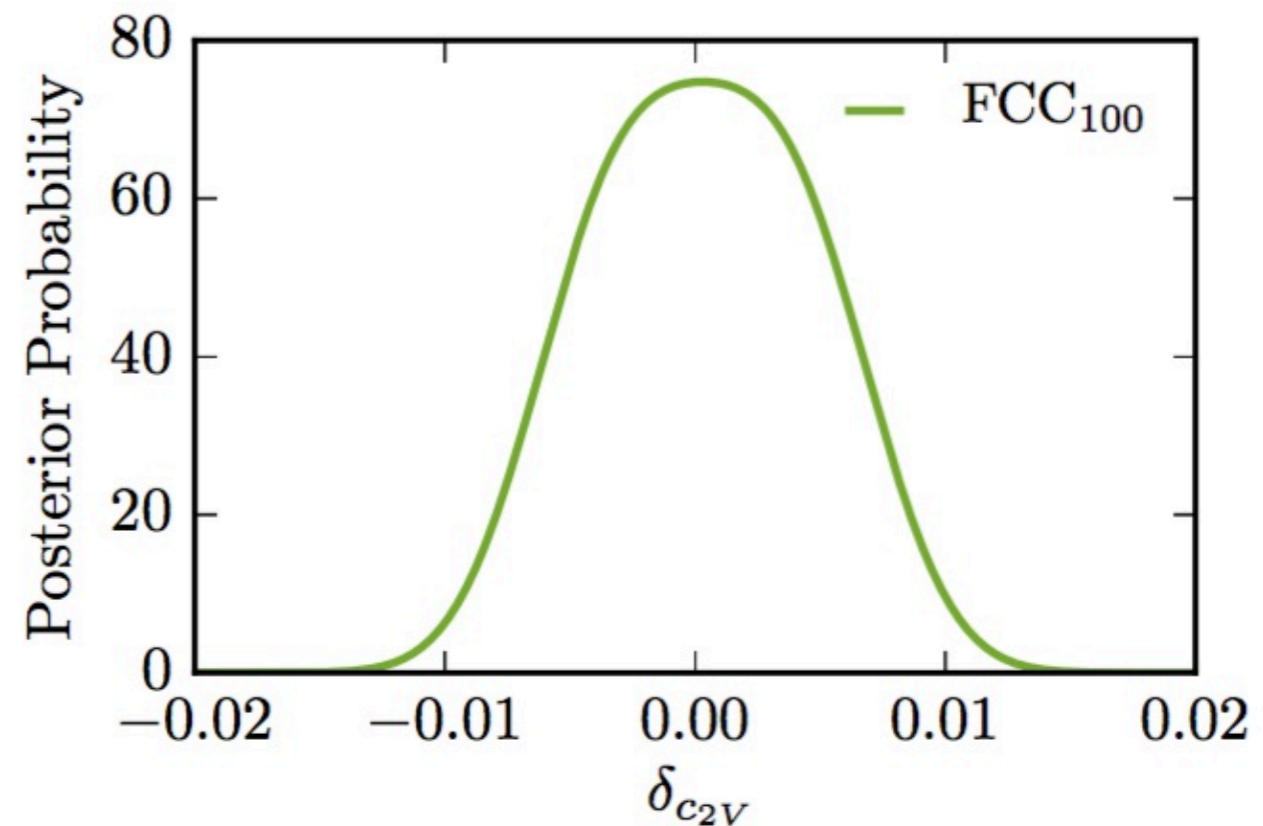
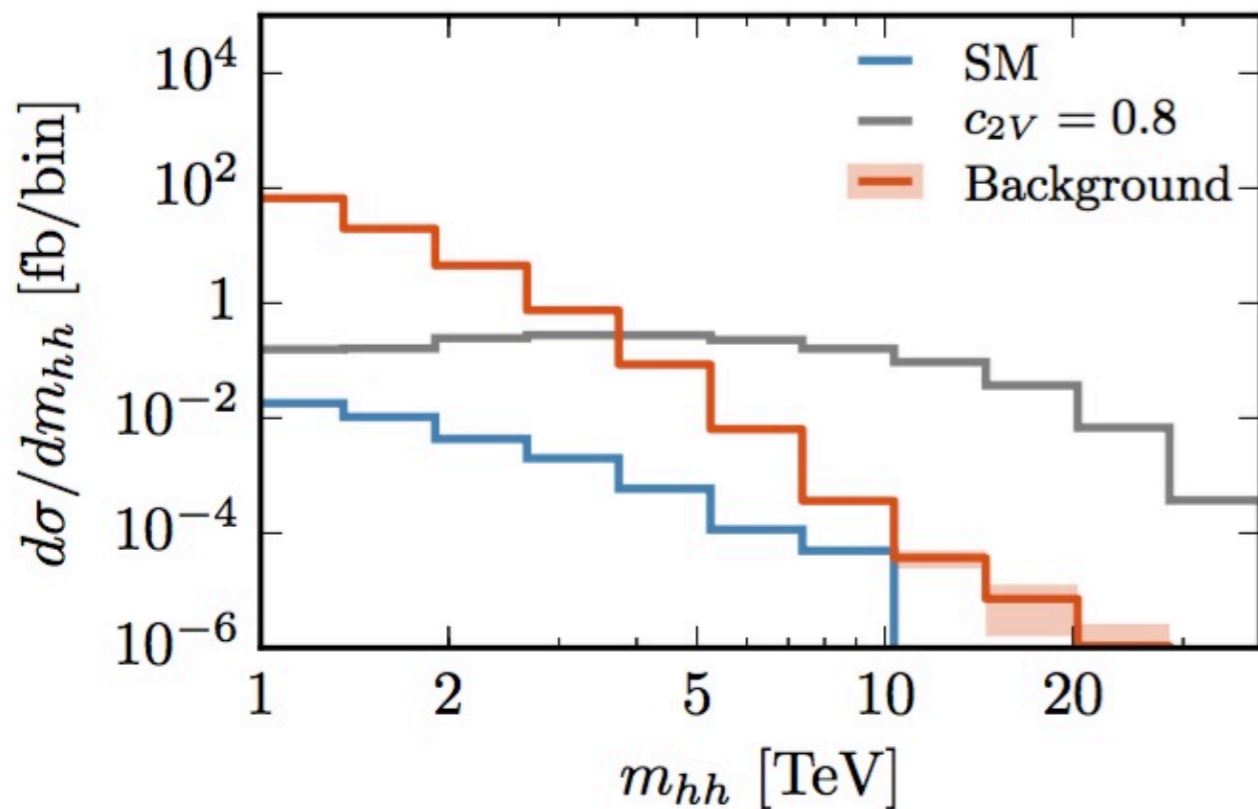
$$\text{e.g. } \delta O = 15\% \text{ at } Q = 1 \text{ TeV} \Rightarrow \Lambda \sim 2.5 \text{ TeV}$$

Example: high mass $VV \rightarrow HH$

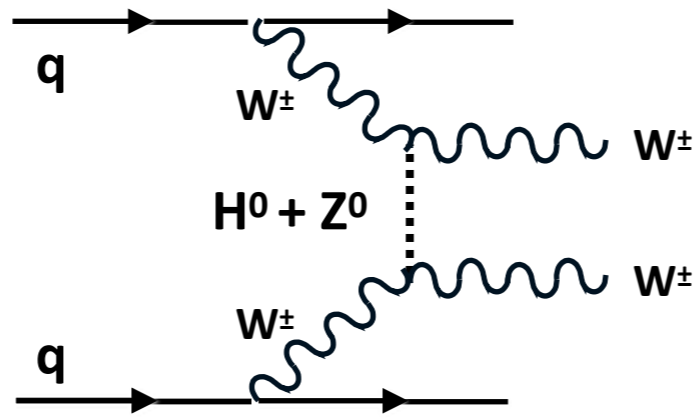


$$A(V_L V_L \rightarrow HH) \sim \frac{\hat{s}}{v^2} (c_{2V} - c_V^2) \cdot \text{where}$$

$$\begin{cases} c_V = g_{HVV}/g_{HVV}^{SM} \\ c_{2V} = g_{HHVV}/g_{HHVV}^{SM} \end{cases} \Rightarrow (c_{2V} - c_V^2)_{SM} = 0$$

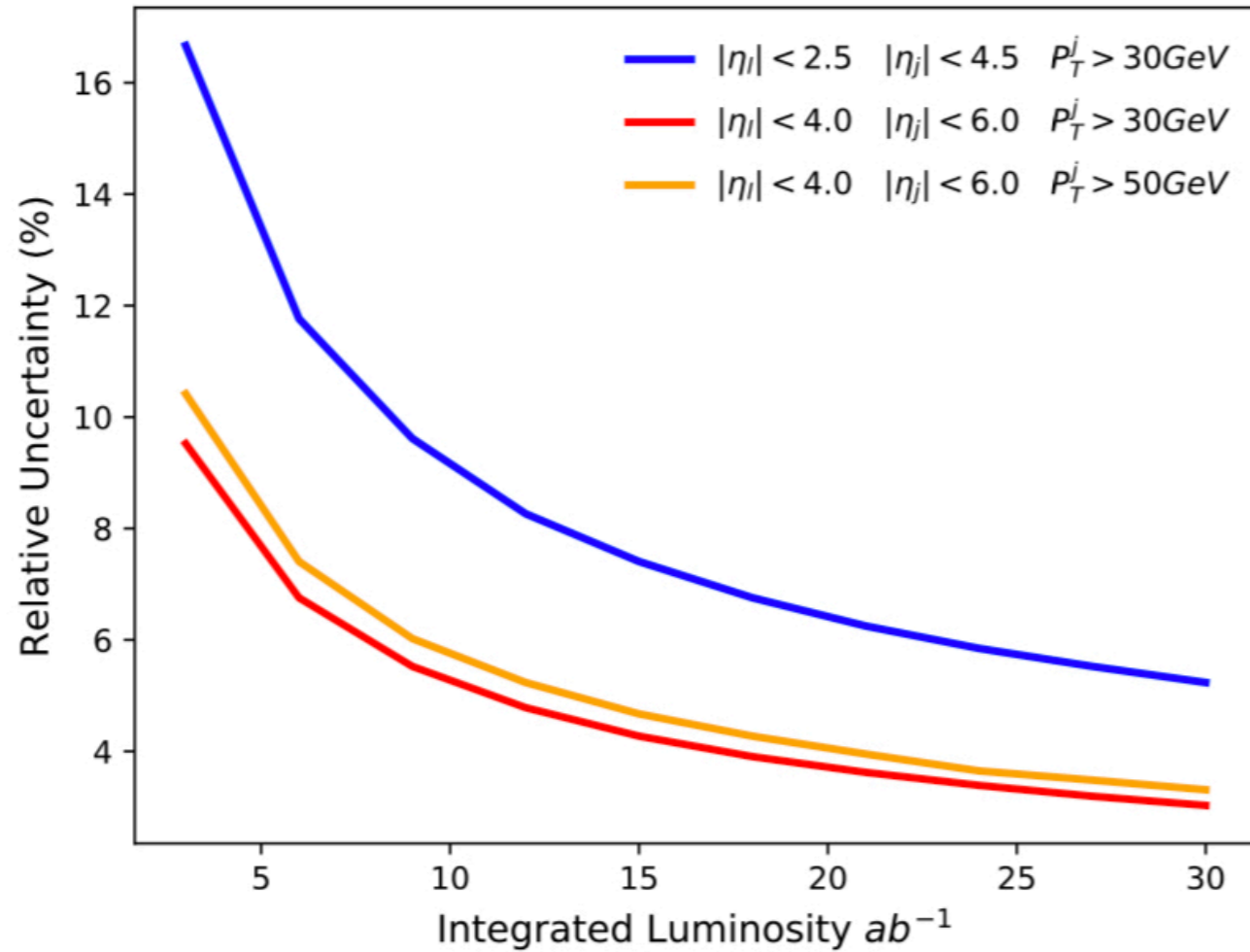


$W_L W_L$ scattering



large m_{W}

VBS $W_L W_L$ Same Sign Cross Uncertainty



FCC-hh Simulation (Delphes)

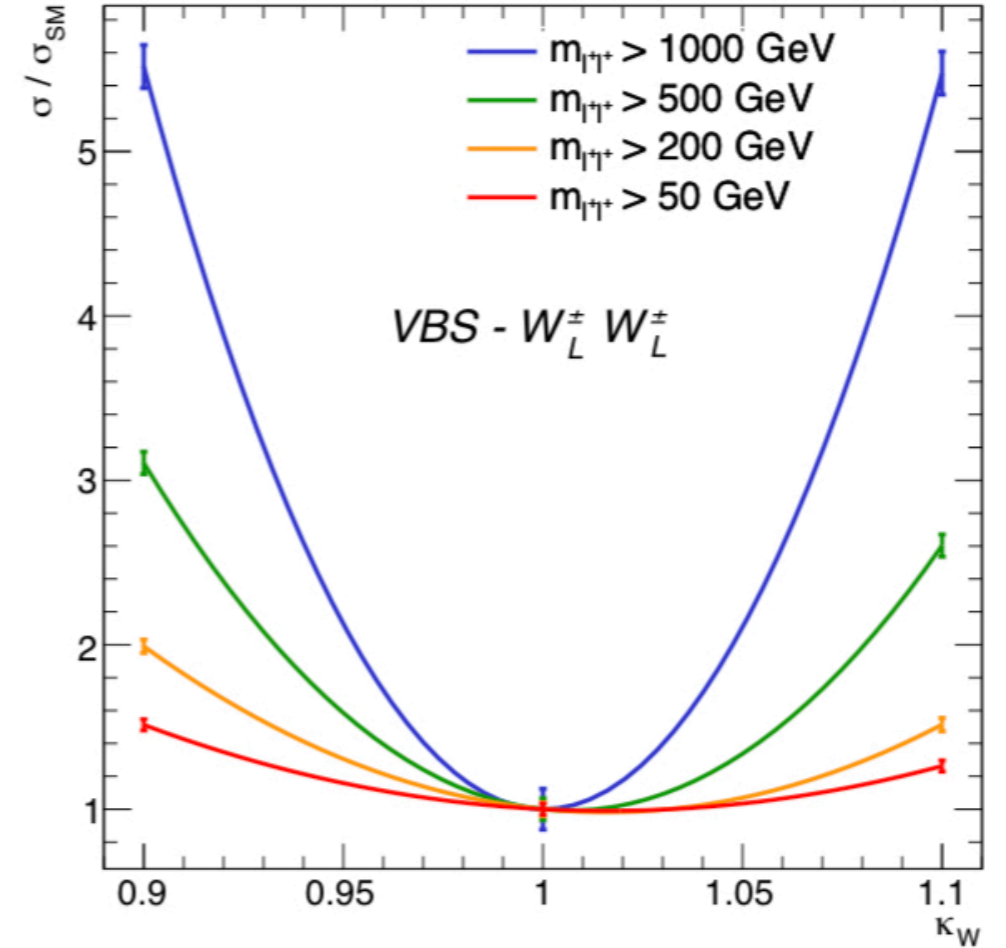


Table 4.5: Constraints on the HWW coupling modifier κ_W at 68% CL, obtained for various cuts on the di-lepton pair invariant mass in the $W_L W_L \rightarrow HH$ process.

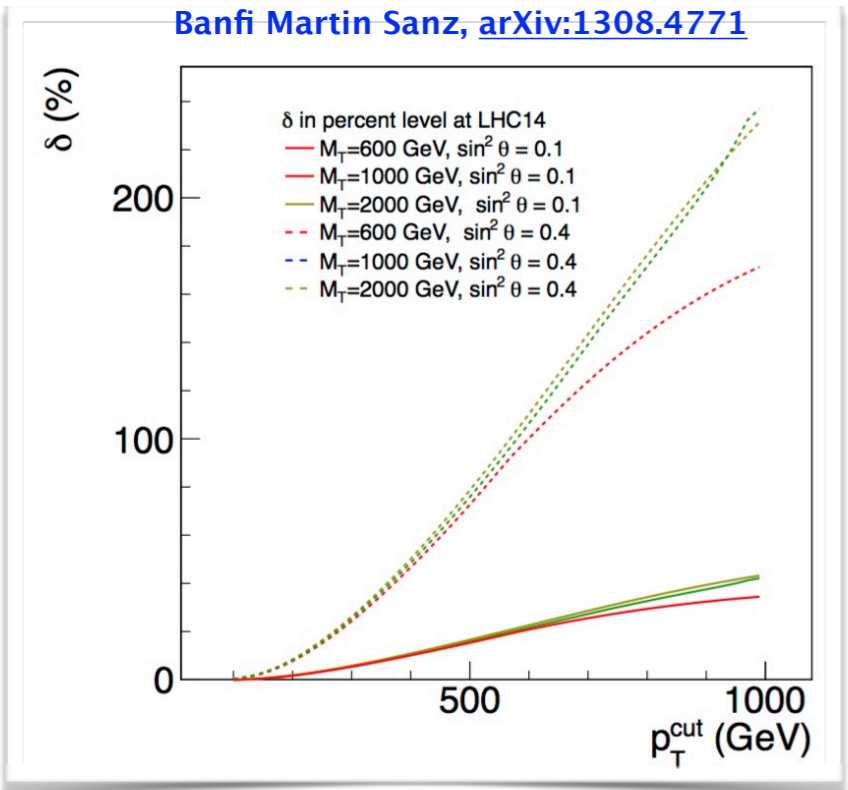
m_{l+l^+} cut	> 50 GeV	> 200 GeV	> 500 GeV	> 1000 GeV
$\kappa_W \in$	[0.98, 1.05]	[0.99, 1.04]	[0.99, 1.03]	[0.98, 1.02]

$$\kappa_W = \frac{g_{HWW}}{g_{HWW}^{SM}}$$

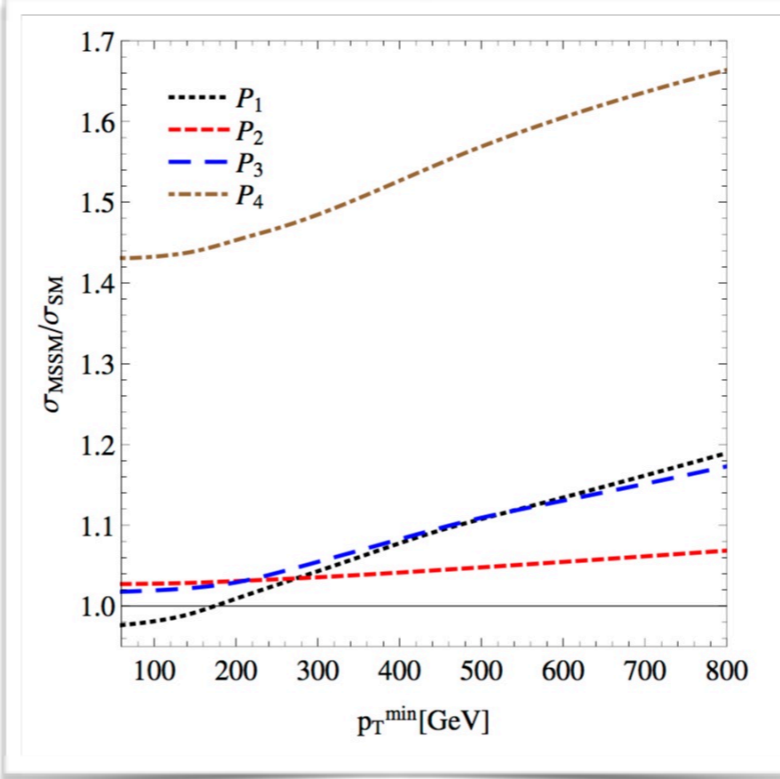
to do's

=> Re-iterate at 100 TeV the many studies done for LHC about BSM constraints from high-pT Higgs production. Eg

gg → Hg



top partners T in the loop

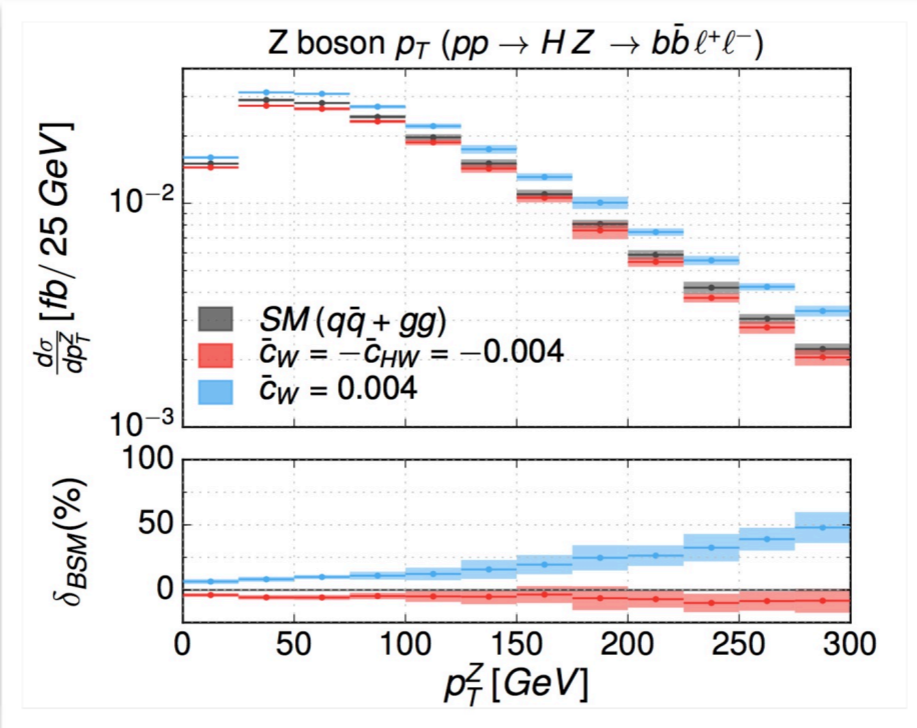
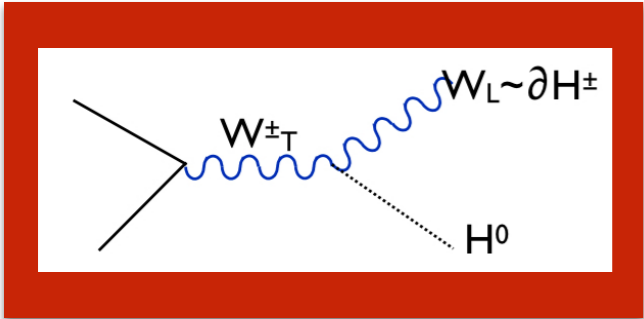


Point	m _{t̃₁} [GeV]	m _{t̃₂} [GeV]	A _t [GeV]	Δ _t
P ₁	171	440	490	0.0026
P ₂	192	1224	1220	0.013
P ₃	226	484	532	0.015
P ₄	226	484	0	0.18

top squarks in the loop

Grojean, Salvioni, Schlafer, Weiler
arXiv:1312.3317

(See also
Azatov and Paul arXiv:1309.5273v3)



Mimasu, Sanz, Williams,
arXiv:1512.02572v

See also
Biekötter, Knochel, Krämer, Liu, Riva,
arXiv:1406.7320

Example of recent studies*

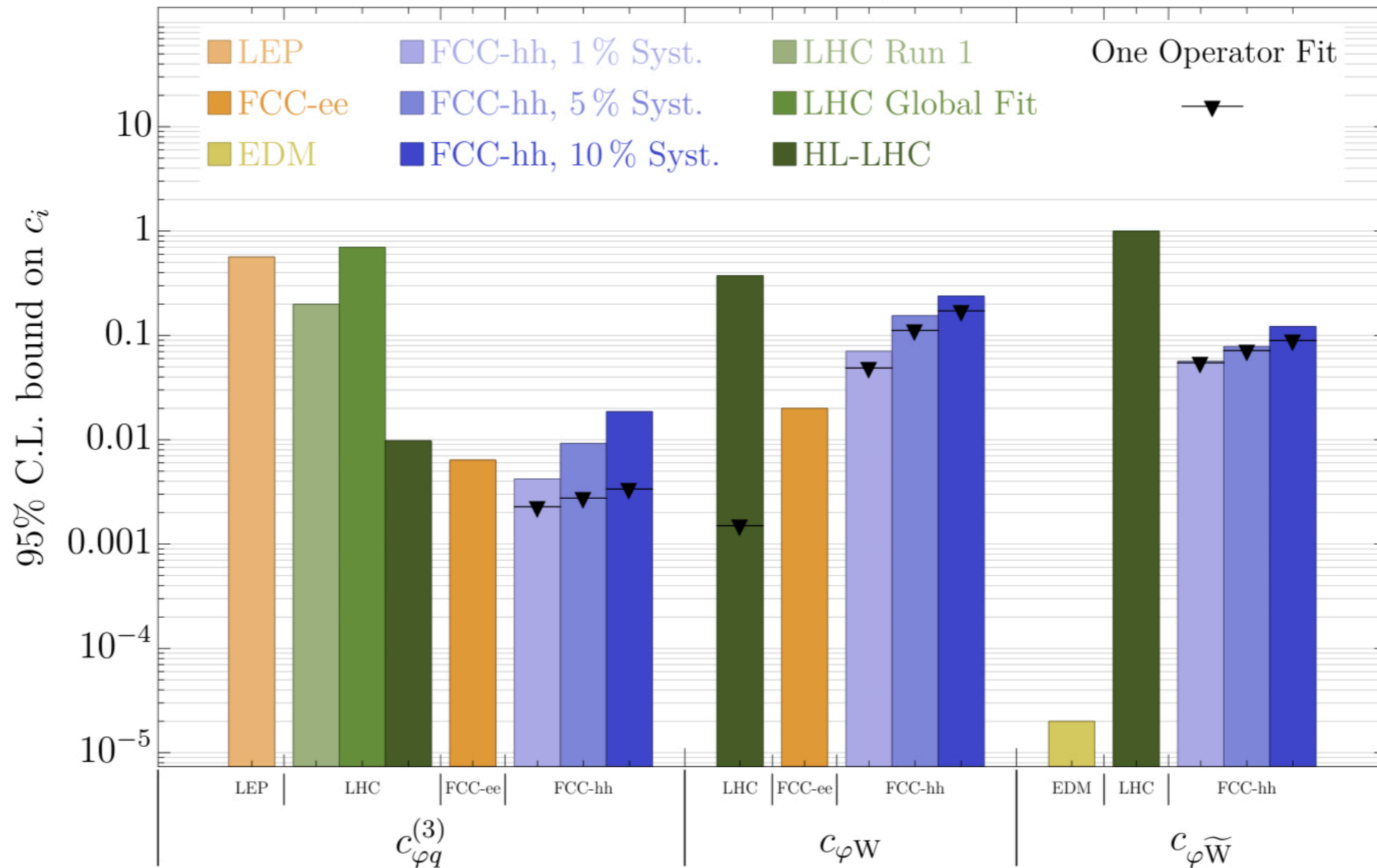
$$\mathcal{O}_{\varphi q}^{(3)} = (\bar{Q}_L \sigma^a \gamma^\mu Q_L) (iH^\dagger \sigma^a \overleftrightarrow{D}_\mu H)$$

$$\mathcal{O}_{\varphi W} = H^\dagger H W^{a,\mu\nu} W_{\mu\nu}^a,$$

$$\mathcal{O}_{\varphi \widetilde{W}} = H^\dagger H W^{a,\mu\nu} \widetilde{W}_{\mu\nu}^a.$$

WH($\rightarrow\gamma\gamma$) at large p_T , Bishara et al,
arxiv:2004.06122

FCC-hh 100 TeV 30 ab^{-1} , $\Lambda = 1 \text{ TeV}$



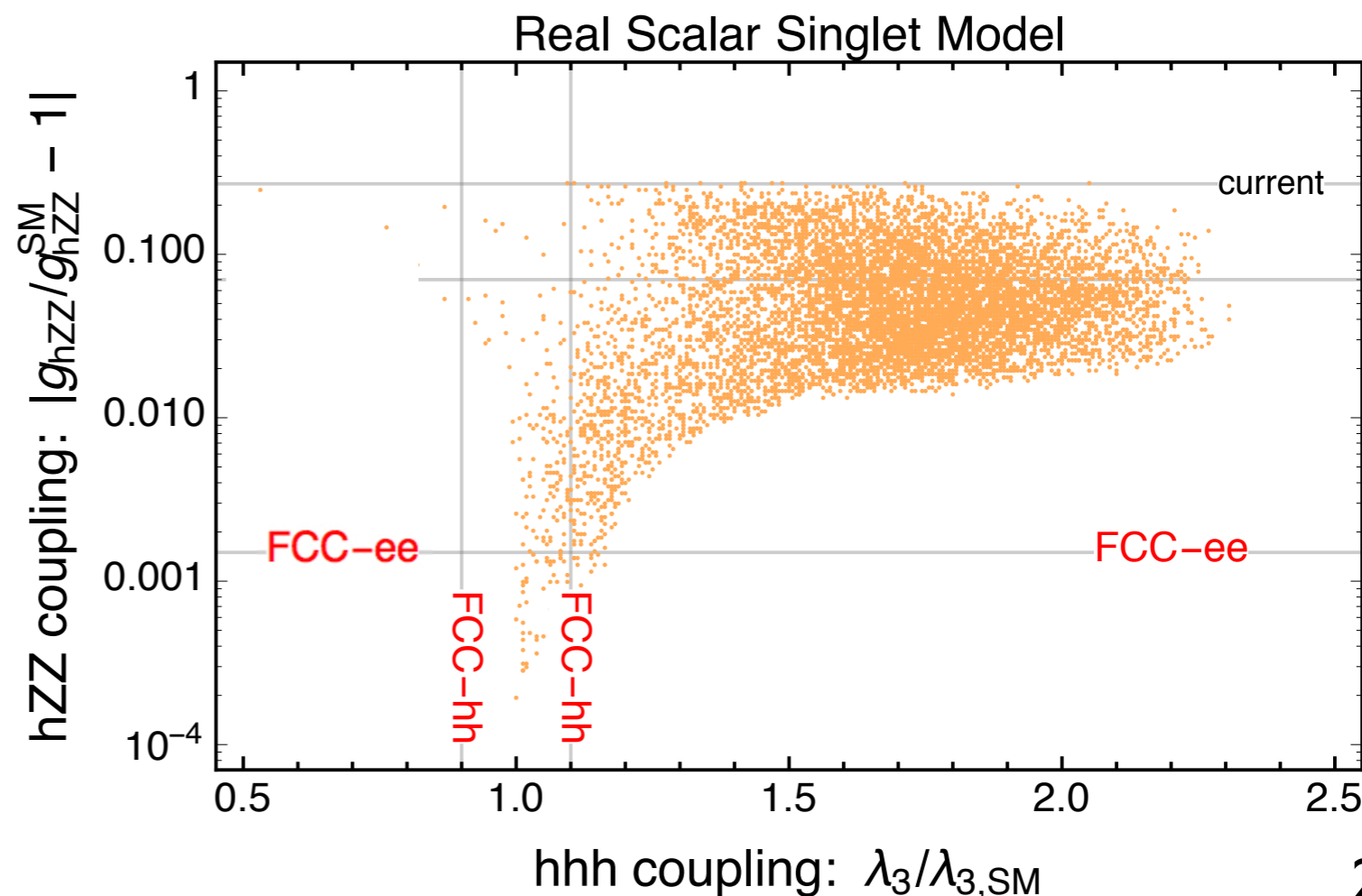
* see also recent results and “work in progress” reported at
 3rd FCC Physics & Experiments workshop , Jan 2020 ([agenda](#))

more to do's

- Assess current TH systematics at large p_T for various production channels
 - for LHC, see K.Becker et al, <https://arxiv.org/abs/2005.07762>
- Study separation of different Higgs production modes, and define analysis strategies, at large p_T
- **Quantify complementarity and synergy** among precision measurements from FCC-ee (H and EW properties) and Higgs/EW measurements (including high-Q2) at 100 TeV. In particular, consider concrete BSM scenarios, play the “inverse problem” game using all available inputs...

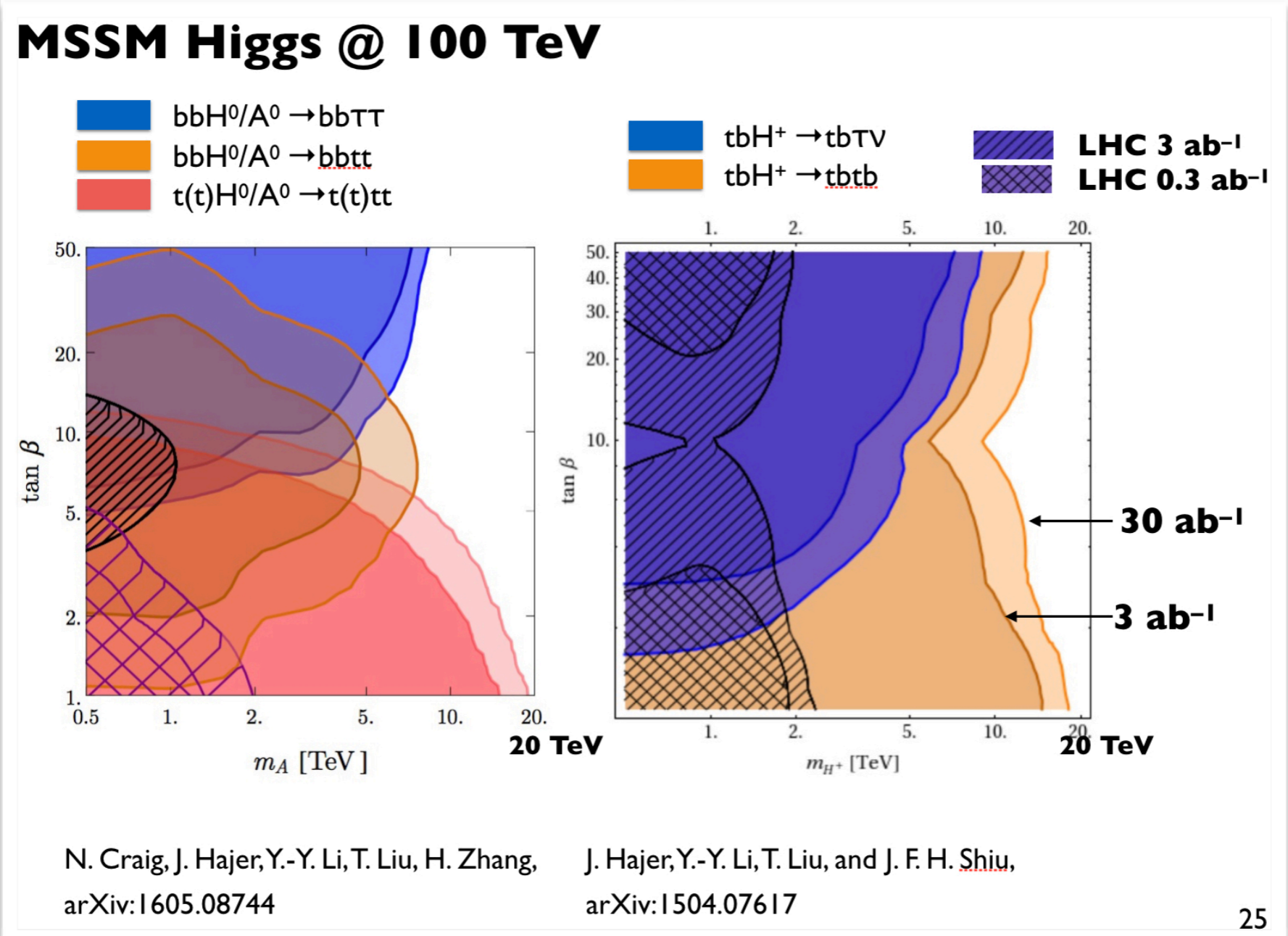
Eg Constraints on models with 1st order phase transition

$$V(H, S) = -\mu^2 (H^\dagger H) + \lambda (H^\dagger H)^2 + \frac{a_1}{2} (H^\dagger H) S + \frac{a_2}{2} (H^\dagger H) S^2 + \frac{b_2}{2} S^2 + \frac{b_3}{3} S^3 + \frac{b_4}{4} S^4.$$



more to do's

- Continue study of BSM Higgs scenarios, direct production, CPV, etc



Higgs self-coupling

- Latest studies (<https://arxiv.org/abs/2004.03505> , <https://arxiv.org/abs/2003.12281>):
 - uncertainty below 5% for SM measurement, syst dominated, relies on % knowledge of top Yukawa
- Large literature on Higgs probes of the nature of the EW phase transition, and impact of self-coupling measurement
- **TO DO:** *more systematic studies needed to explore sensitivity to BSM deviations. Eg*
 - *m_{HH} shape fits in presence of multiple EFT ops (see eg <https://arxiv.org/abs/1502.00539>, <https://arxiv.org/abs/1908.08923>)*
 - *global EFT fits including single-H and EW observables*