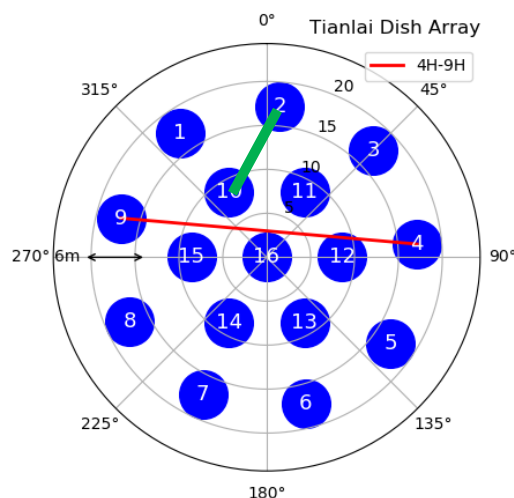


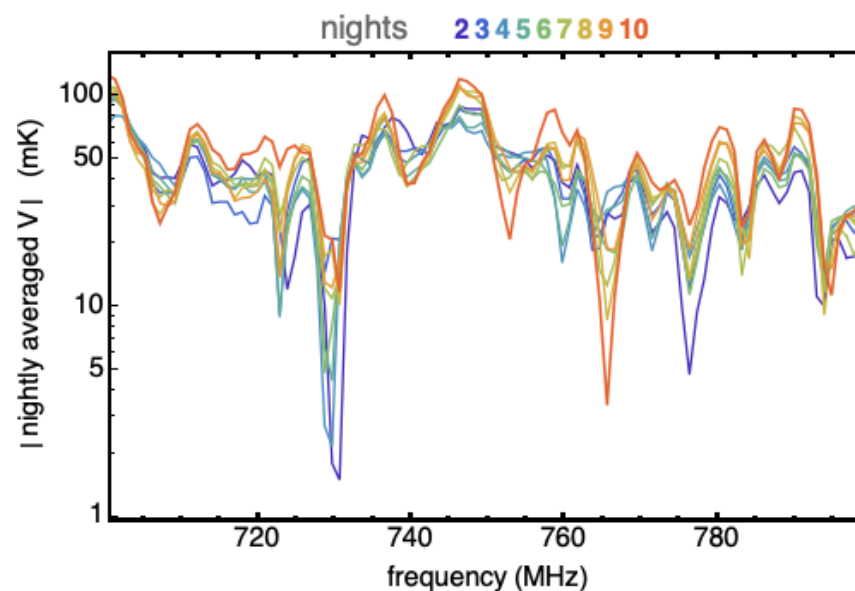
Does the 'nightly mean' in NCP visibilities come from cross-coupling between antennas?

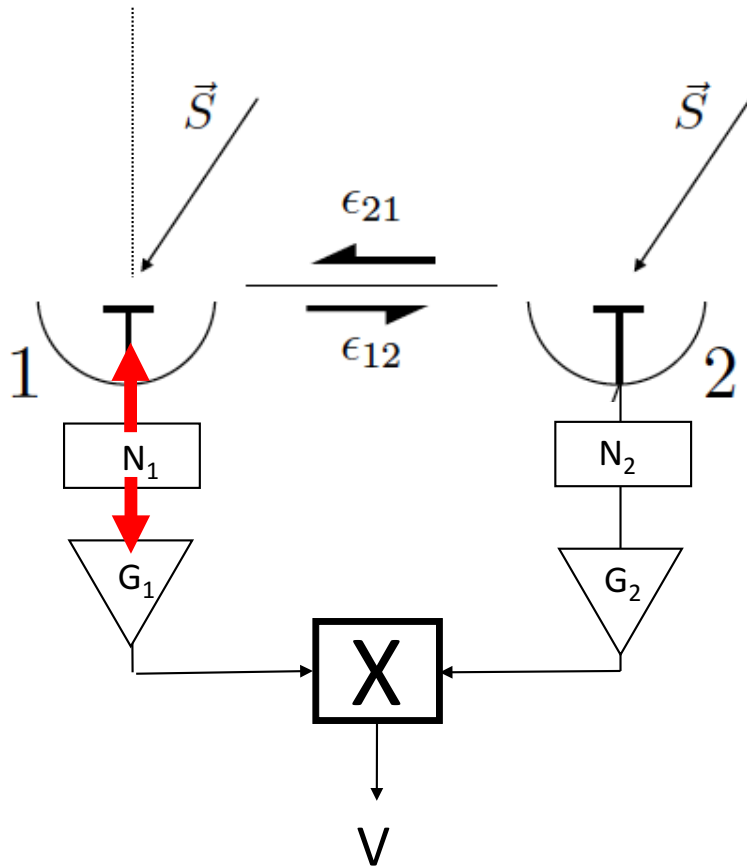
David Kwak and Peter Timbie

9 July 2020



Baseline
2V-10V





N_1 represents noise generated by receiver 1. It is the amplitude of a voltage wave that travels, backwards, out of antenna 1 as well as forwards, through receiver 1.

Noise power is proportional to N_1^2 and is equivalent to the noise temperature, T_{N1} (temperature is proportional to electrical power).

The voltage coupling coefficient from antenna 1 to 2 is ϵ_{12} .

(The power coupling coefficient, which is what CST gives us, in dB, is ϵ^2_{12} .)

In an ideal instrument, with no cross-coupling, N_1 and N_2 do not produce a DC output from the correlator. (They do produce noise, though.)

The contribution to the visibility, V , from the noise voltage, N_1 , coupling to antenna 2 is approximately

$$N_1 G_1 \times N_1 \epsilon_{12} G_2 \sim T_{N1} \epsilon_{12} G_1 G_2$$

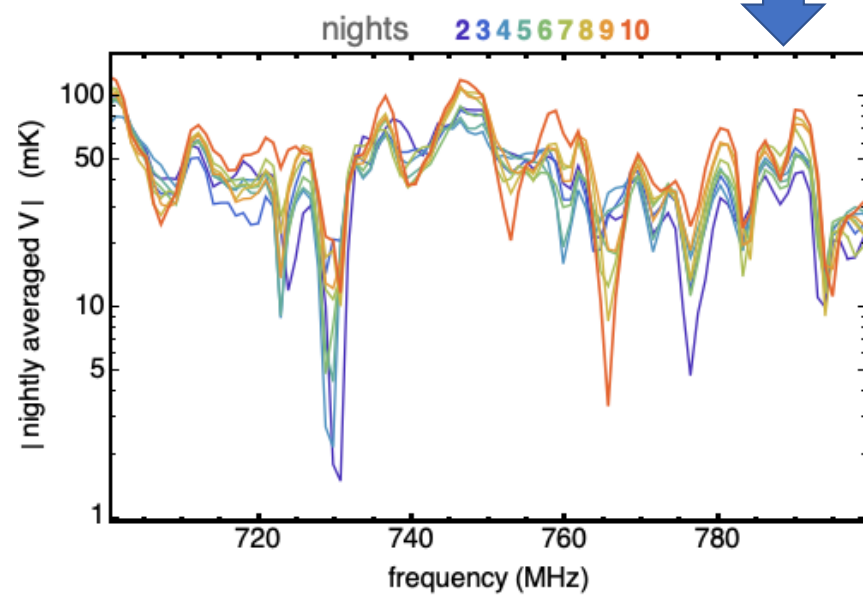
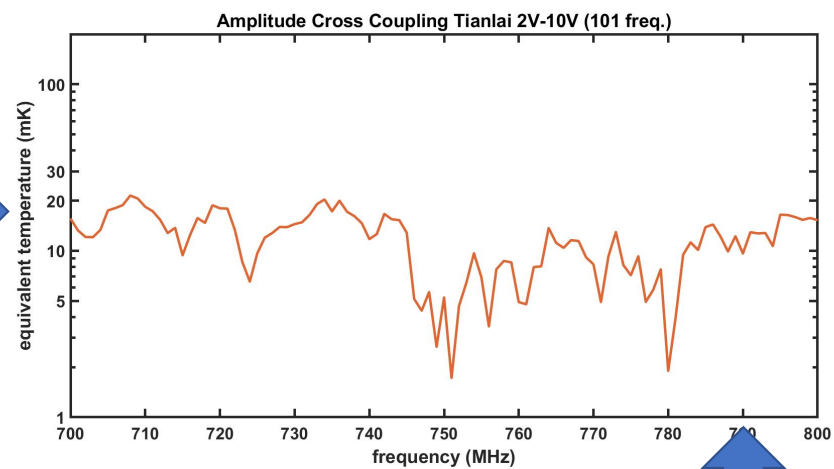
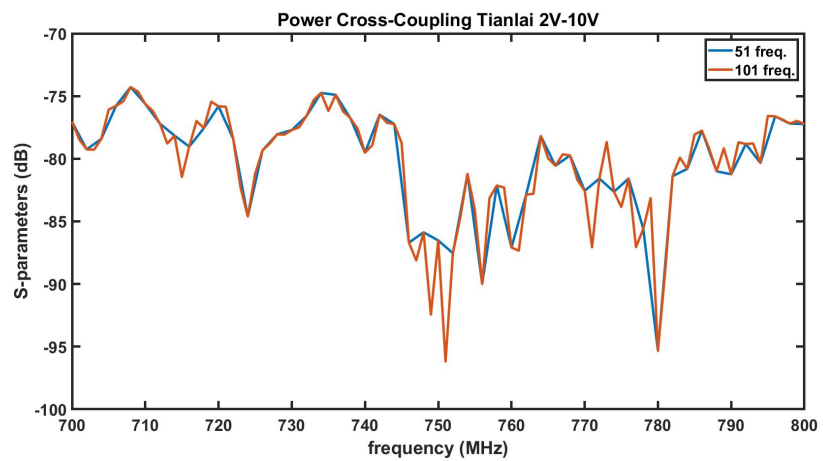
(There's a similar contribution from N_2 .)

$T_{N1} \sim 100$ K. CST sims are finding $\epsilon^2_{12} \sim 10^{-7}$, $\epsilon_{12} \sim 10^{-3.5}$ so the contribution to the visibility from $N_1 \sim 100 \times 10^{-3.5} \sim 30$ mK, which is roughly what appears in Fig 28 of the dish paper.

Including N_2 should double the effect.

arXiv:1909.11732v1

Kern et al. *Mitigating internal instrument coupling for 21 cm cosmology I: temporal and spectral modeling in simulations*



Next steps for cross-coupling simulation

- Use more accurate values for T_{sys} for each receiver, including frequency dependence.
- Repeat calculation for more baselines.
- Does magnitude of the simulated and measured 'nightly mean' decrease with baseline length?