

# Resolving the LMA-dark NSI degeneracy with coherent neutrino-nucleus scattering (arXiv:2102.11981)

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# Overview

1. Neutrino oscillation, the  $\Delta m^2 - \theta_{12}$  solar solutions;
2. The NSI Dark solution;
3. Coherent neutrino nucleon scattering - CE $\nu$ NS;
4. Status of the LMA-D;
5. Stopped pion source;
6. Reactor source;
7. Conclusions;

# Solar neutrinos

**Solar neutrinos:** Neutrinos are copiously produced inside the sun core through fusion reactions;  
**Detectors** on earth measure just a fraction of those neutrinos:

$$\frac{\text{measured}}{\text{expected}} \approx 0.3,$$

using inverse beta process.

The solution!?

The neutrino oscillations effect.

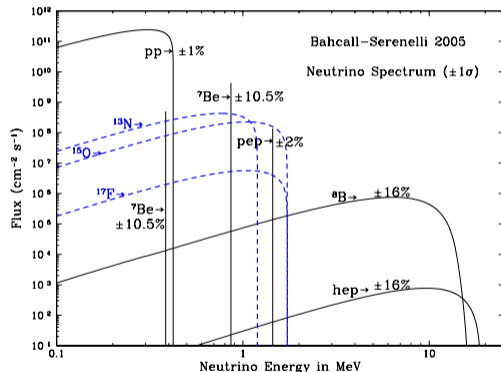


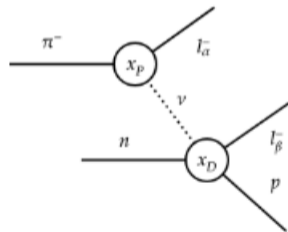
Figure: *The Astrophysical Journal Letters*, v. 621, n. 1, p. L85, 2005.

# Neutrino oscillation

Neutrino oscillations predicts that characterized by the production of a lepton flavor  $\alpha$ , after travels some distance can rotates in a state of detection that is a mixture of all the lepton flavor. The amplitudes for the detection of a given flavor  $\beta$  will depends on the PMNS matrix:

$$P(\nu_\alpha \rightarrow \nu_\beta) = 1 - \sin^2(2\theta) \sin^2\left(\frac{\Delta m^2 L}{2E}\right) \quad (1)$$

The PMNS matrix rotates neutrino flavor field into neutrino mass fields.



# Neutrino Oscillations

In the present status of neutrinos comes in three families where we know two difference of masses between the neutrinos and the real components of the PMNS matrix:

$$\theta_{12}, \theta_{13}, \theta_{23}, \Delta m_{21}^2, \Delta m_{31}^2.$$

Remains unknown the mass hierarchy and a possible CP violation phase,  $\delta$ .

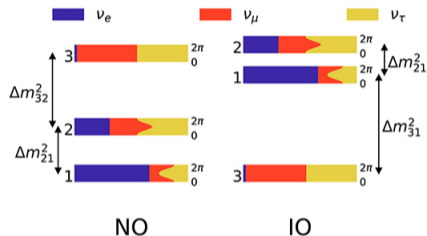


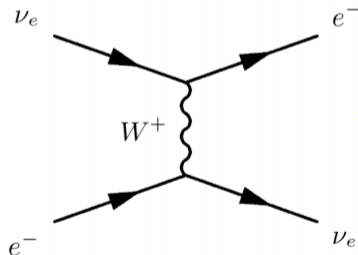
Figure: DE SALAS, Pablo F. et al. *Frontiers in Astronomy and Space Sciences*, v. 5, p. 36, 2018.

# Matter Effects

When travel through the matter, the neutrinos suffer the coherent forward scattering by  $Z^0$  and  $W^\pm$  exchange<sup>1</sup>. This effect can be translated in an effective potential in a Schrödinger like equation for neutrinos with the inclusion of the following potential:

$$V_{CC} = \sqrt{2}G_F N_e(x), \quad (2)$$

where the  $V_{CC}$  appears only in the  $ee$  component. Here,  $N_e(x)$  is the electron number density at the position  $x$ .

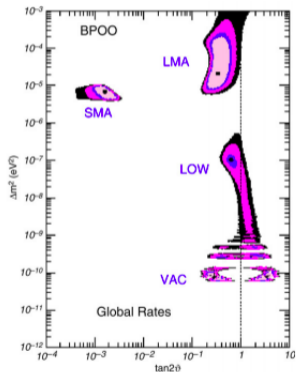


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<sup>1</sup>The only remaining contribution comes from CC  $W^\pm$

# Solar neutrino solutions

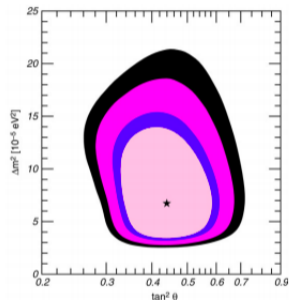
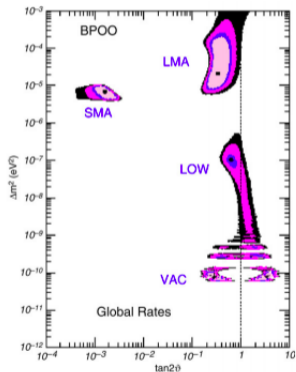
In the context of neutrinos coming from the sun. In the early 2000's four solutions exists<sup>2</sup>:



<sup>2</sup>GONZALEZ-GARCIA et. al, Physics Reports, v. 460, n. 1-3, p. 1-129, 2008.

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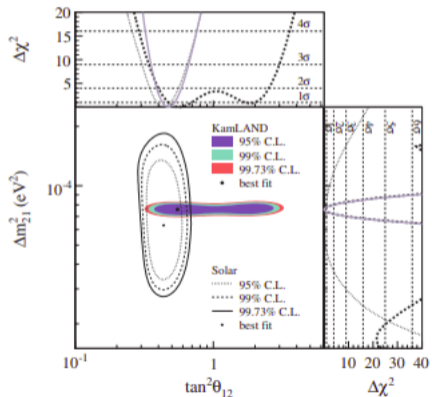
Latter, was found the correct solution was the Large Mixing angle (LMA) solution.

<sup>2</sup>GONZALEZ-GARCIA et. al, Physics Reports, v. 460, n. 1-3, p. 1-129, 2008.



# Kamland

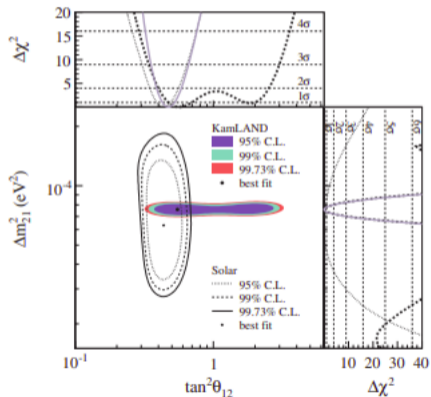
A probe for the  $\Delta m_{21}^2$  using reactor neutrino experiment Kamland<sup>3</sup> bring an two angle solutions that were not allowed by the solar scenario:



<sup>3</sup>ABE, S. et al. Physical Review Letters, v. 100, n. 22, p. 221803, 2008.

# Kamland

A probe for the  $\Delta m_{21}^2$  using reactor neutrino experiment Kamland<sup>3</sup> bring an two angle solutions that were not allowed by the solar scenario:



This solution comes from the fact that the vacuum equation of motion is invariant under the following transformation:

$$\Delta m_{31}^2 \rightarrow -\Delta m_{32}^2, \quad (3)$$

$$\sin \theta_{12} \rightarrow \cos \theta_{12}, \quad (4)$$

$$\delta \rightarrow \pi - \delta. \quad (5)$$

<sup>3</sup>ABE, S. et al. Physical Review Letters, v. 100, n. 22, p. 221803, 2008.

# Non-standard neutrino interactions

Wolfenstein matter effects through non-standard neutrino interactions were first proposed as an alternative to the neutrino oscillation for the solar neutrino problem<sup>4</sup>. In the simplest case they can come in a form of a Fermi interaction:

$$\mathcal{L}_{\text{NSI}} = -2\sqrt{2}G_F \epsilon_{\alpha\beta}^f (\bar{\nu}_{\alpha L} \gamma_{\mu} \nu_{\beta L}) (\bar{f} \gamma^{\mu} f) \quad (6)$$

where the underlying physics can come from higher energies.

The effect in the neutrino Hamiltonian is inclusion of more potential terms:

$$V = V_{CC} \begin{pmatrix} 1 + \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ \epsilon_{e\mu}^* & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ \epsilon_{e\tau}^* & \epsilon_{\mu\tau}^* & \epsilon_{\tau\tau} \end{pmatrix} \quad (7)$$

where:

$$\epsilon_{\alpha\beta} = \sum_f \frac{N_f(x)}{N_e(x)} \epsilon_{\alpha\beta}^f. \quad (8)$$

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<sup>4</sup>GUZZO, M. M. et al., Physics Letters B, v. 260, n. 1-2, p. 154-160, 1991.

Given the inclusion of non-standard neutrino interactions it is possible to find a transformation that makes the equation of motion invariant as in the vacuum case <sup>5</sup>:

$$(\varepsilon_{ee} - \varepsilon_{\mu\mu}) \rightarrow -(\varepsilon_{ee} - \varepsilon_{\mu\mu}) - 2, \quad (9)$$

$$(\varepsilon_{\tau\tau} - \varepsilon_{\mu\mu}) \rightarrow -(\varepsilon_{\tau\tau} - \varepsilon_{\mu\mu}), \quad (10)$$

$$\varepsilon_{\alpha\beta} \rightarrow -\varepsilon_{\alpha\beta}^*, \quad (11)$$

$$\Delta m_{31}^2 \rightarrow -\Delta m_{32}^2, \quad (12)$$

$$\sin \theta_{12} \rightarrow \cos \theta_{12}, \quad (13)$$

$$\delta \rightarrow \pi - \delta. \quad (14)$$

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<sup>5</sup>COLOMA, Pilar; SCHWETZ, Physical Review D, v. 94, n. 5, p. 055005, 2016.

# LMA-D phenomenology

Hence, it is expected this solution for  $\varepsilon_{ee} - \varepsilon_{\mu\mu}$  appears for all oscillation experiments. The LMA-D was first discovery for solar experiments for only  $d$  quarks interaction <sup>6</sup>:

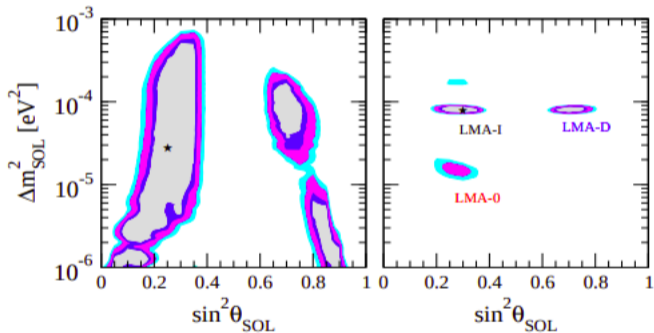


Figure: 90%, 95%, 99% and 99.73% C.L. allowed regions.

<sup>6</sup>MIRANDA, et.al, JHEP, v. 2006, n. 10, p. 008, 2006.

# LMA-D phenomenology

The LMA-D solution gives motivation for study this "large" effects on different experimental context, e.g., scattering experiments.

In the most general scenario one can have the combination of three fermions couplings:

$$\varepsilon_{\alpha\beta} = Y_e(x)\varepsilon_{\alpha\beta}^e + Y_d(x)\varepsilon_{\alpha\beta}^d + Y_u(x)\varepsilon_{\alpha\beta}^u, \quad (15)$$

where is is always possible to write in terms of protons and neutrons couplings:

$$\varepsilon_{\alpha\beta}^p = 2\varepsilon_{\alpha\beta} + \varepsilon_{\alpha\beta} \quad (16)$$

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$$\varepsilon_{\alpha\beta}^p = 2\varepsilon_{\alpha\beta} + \varepsilon_{\alpha\beta} \quad (16)$$

$$\varepsilon_{\alpha\beta}^n = \varepsilon_{\alpha\beta} + 2\varepsilon_{\alpha\beta}. \quad (17)$$

The number of protons is always the same as the number of electrons, without loss of generality:

$$\varepsilon_{\alpha\beta} = Y_p(x)\varepsilon_{\alpha\beta}^p + Y_n(x)\varepsilon_{\alpha\beta}^n, \quad (18)$$

# LMA-D phenomenology

With the assumption that the lepton flavor is independent on the quark flavor, the  $\varepsilon_{\alpha\beta}^f$  can be written as

$$\varepsilon_{\alpha\beta}^f = \varepsilon_{\alpha\beta}^\eta \xi^f(\eta), \quad (19)$$

where

$$\xi^p(\eta) = \sqrt{5} \cos \eta, \quad (20)$$

$$\xi^n(\eta) = \sqrt{5} \sin \eta. \quad (21)$$

Let,  $Y = N_n/N_p$  be the ratio between the number of protons and neutrons.

One can define the **nucleon** effective parameter:

$$\varepsilon_{\alpha\beta}^{Y,\eta} = \sqrt{5} \varepsilon_{\alpha\beta}^\eta (\cos \eta + Y \sin \eta) \quad (22)$$

Given that, one can explore different kind of scattering experiments:

- High energy: model dependent as CHARM and NUTEV experiments (only for heavy mediators);
- Low energy, model independent.

How to get low energy NC data?

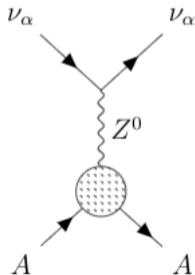
Answer: CE $\nu$ NS!



# Theory

The Coherent Neutrino Nucleon Scattering ( $\text{CE}\nu\text{NS}$ ) was first proposed in 1974<sup>7</sup>.

The neutrino "see" the **nucleon** structure as a whole.

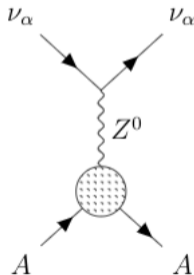


<sup>7</sup>D. Z. Freedman, Phys. Rev. D 9, (1974) 1389

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The CE $\nu$ NS scattering is dominant for:

$$E_\nu < 100 \text{ MeV}, \quad (23)$$

the cross-section at low momentum transfer is

$$\frac{d\sigma}{dT} \approx \frac{G_F^2}{2\pi} Q^2 F^2(q^2) M \left( 2 - \frac{MT}{E_\nu^2} \right), \quad (24)$$

in the Standard Model:

$$Q^2 = (Zg_p^V + Ng_n^V)^2 \quad (25)$$

<sup>7</sup>D. Z. Freedman, Phys. Rev. D 9, (1974) 1389

# Inclusion of non-standard neutrino interactions

If non-standard neutrino interactions are present the weak charge will be modified as

$$Q_{\alpha}^2 = (Q_{\text{SM}} + Z\varepsilon_{\alpha\alpha}^{Y,\eta})^2 + Z^2 \sum_{\beta} \left(\varepsilon_{\alpha\beta}^{Y,\eta}\right)^2. \quad (26)$$

remember that

$$\varepsilon_{\alpha\beta}^{Y,\eta} = \sqrt{5}\epsilon_{\alpha\beta}^{\eta}(\cos\eta + Y\sin\eta). \quad (27)$$

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Hence always that:

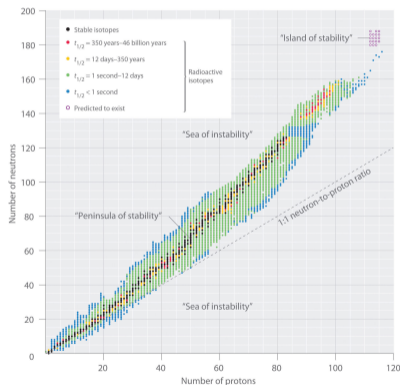
$$\eta_{\text{blind}} = -\arctan\left(\frac{1}{Y}\right), \quad (28)$$

the experiment will be blind to the NSI contribution leading to  $Q_{\alpha}^2 = Q_{\text{SM}}^2$ .

# Blinding regions

For the known natural elements  $Y$  can vary between<sup>8</sup>  $\sim 1$  to  $\sim 1.6$  leading to a blinding range of  $\eta$  between  $-45^\circ$  to  $-32^\circ$ .

Target	Z	Y	$\eta_{\text{blind}}$	$-Q_{\text{SM}}$
$\text{C}_3\text{F}_8$	8.2	1.081	$-42.8^\circ$	4.27
Si	14	1.006	$-44.8^\circ$	6.72
Ar	18	1.235	$-39.0^\circ$	10.71
Ge	32	1.270	$-38.2^\circ$	19.6
CsI	54	1.405	$-35.4^\circ$	36.7
Xe	54	1.431	$-35.0^\circ$	37.4



<sup>8</sup>Stable and Unstable Isotopes. (2020, September 9). Retrieved March 16, 2021, from <https://chem.libretexts.org/@go/page/278487>

# The COHERENT Experiment

The COHERENT experiment is the first experiment and the only to measure the CE $\nu$ NS.<sup>9,10</sup>

- A flux of  $\bar{\nu}_\mu$ (broad band),  $\nu_\mu$ (wide band) and  $\nu_e$ (wide band);
- Proportion of neutrino flavor  $R_\mu : R_e$  (2:1). The effective measurement:  
 $Q_{tot}^2 = 2Q_\mu^2/3 + Q_e^2/3$  and  $Q_\mu \times Q_e$  correlation (depending on time binning);

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<sup>9</sup>D. Pershey, New CE $\nu$ NS Results from the COHERENT CsI[Na] Detector, Dec., 2020. seminar talk at Fermilab.

<sup>10</sup>COHERENT, D. Akimov et al., First Measurement of Coherent Elastic Neutrino-Nucleus Scattering on Argon, Phys. Rev. Lett. 126 (2021), no. 1 012002, [2003.10630].

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**CsI** Last COHERENT measurements:

- Predicted:  $Q_{SM}^2 = 1346.9$ ;
- Measured:  $Q_e^2 = 1200 \pm 602.35$ ,  
 $Q_\mu^2 = 1245.1 \pm 202.3$ ;
- $Q_\mu^2$  and  $Q_e^2$  are correlated by  
 $\rho = -0.709$

**Ar** Argon measurement:

- Predicted:  $Q_{\text{tot}}^2 = 114.70$
- Measured:  $Q_{\text{tot}}^2 = 148.9 \pm 12.5$
- Weak time information binning;

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<sup>9</sup>D. Pershey, New  $\text{CE}\nu\text{NS}$  Results from the COHERENT CsI[Na] Detector, Dec., 2020. seminar talk at Fermilab.

<sup>10</sup>COHERENT, D. Akimov et al., First Measurement of Coherent Elastic Neutrino-Nucleus Scattering on Argon, Phys. Rev. Lett. 126 (2021), no. 1 012002, [2003.10630].



# LMA-D before this work

What was the status before this work? **LMA-Dark vs. LMA-Light (only Csl).**

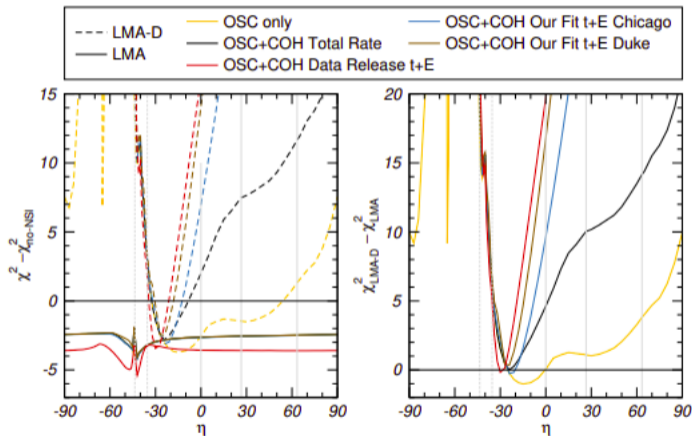


Figure: P. Coloma, I. Esteban, M. C. Gonzalez-Garcia, and M. Maltoni, JHEP 02 (2020) 023, [1911.09109].

# Status of the LMA-D

Using present COHERENT data (**CsI+Ar**) together with oscillation we can disfavor the LMA-D by  $\sim 2\sigma$ .

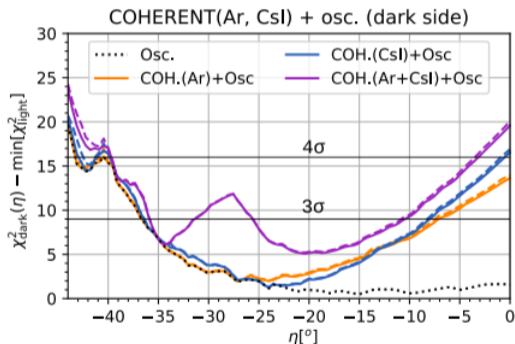
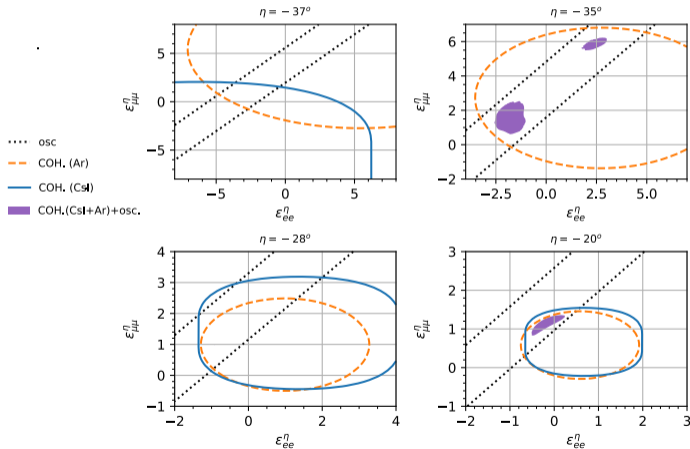


Figure: CHAVES, Mariano; SCHWETZ, Thomas. arXiv preprint arXiv:2102.11981, 2021.

# Status of the LMA-D

Why does combining Ar and Csl helps? Contours at  $3\sigma$ .



# Stopped pion source

One possible scenario that can help to exclude the LMA-D is another neutrino beam measurement using a **different target**.

A stopped pion source can measure two quantities the total rate and for some targets also discriminate between  $\nu_\mu$  and  $\nu_e$  contribution.:

$$\chi^2 = \frac{(Q_{\text{SM}}^2 - Q_e^2/3 - 2Q_\mu^2/3)^2}{\sigma^2} + \frac{(Q_{\text{SM}}^2 - Q_\mu^2)^2}{\sigma_\mu^2}. \quad (29)$$

There is one recent proposal in this direction: The Coherent Elastic Neutrino-Nucleus Scattering at the European Spallation Source (ESS).

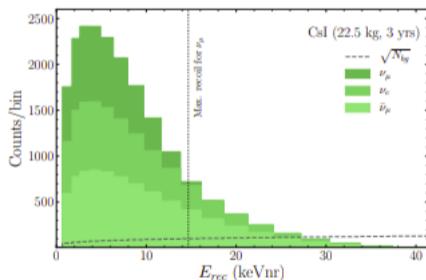


Figure: D. Baxter et al., JHEP 02 (2020) 123, [1911.00762].

# ESS targets measurements and properties

We estimate the expected measurements for the ESS using different targets from fig. 12 of **D. Baxter et al., JHEP 02 (2020) 123, [1911.00762]**.

Target	$Z$	$Y$	$\eta_{\text{blind}}$	$-Q_{\text{SM}}$	$\sigma/Q_{\text{SM}}^2$	$\sigma_{\mu}/\sigma$
$\text{C}_3\text{F}_8$	8.2	1.081	$-42.8^\circ$	4.27	13.3%	$\infty$
Si	14	1.006	$-44.8^\circ$	6.72	17.6%	$\infty$
Ar	18	1.235	$-39.0^\circ$	10.71	12.0%	$\infty$
Ge	32	1.270	$-38.2^\circ$	19.6	14.2%	4.20
CsI	54	1.405	$-35.4^\circ$	36.7	12.5%	3.37
Xe	54	1.431	$-35.0^\circ$	37.4	12.0%	4.01

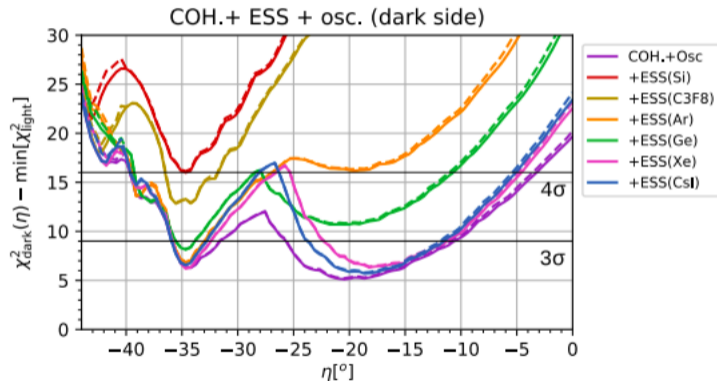
Table: CHAVES, Mariano; SCHWETZ, Thomas. arXiv preprint arXiv:2102.11981, 2021.

Our estimations are in accordance with the expected errors of ESS, around  $\sim 12\%$ .

# Results for ESS

Silicon can exclude with more than  $4\sigma$ .

- As **lighter** is the element (Si, C3F8), stronger is the bound;
- For the **intermediate** elements (Ar, Ge), constraints do exist at the  $-20^\circ$  valley.
- For the **heavier** elements (Xe, CsI), two local minimum of interest do exists.



# Results for ESS

Why does **Si** helps to solve the two local minimums?

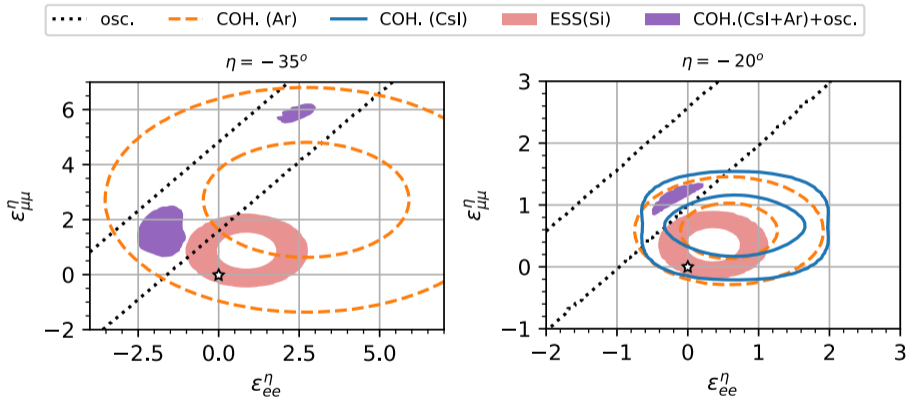
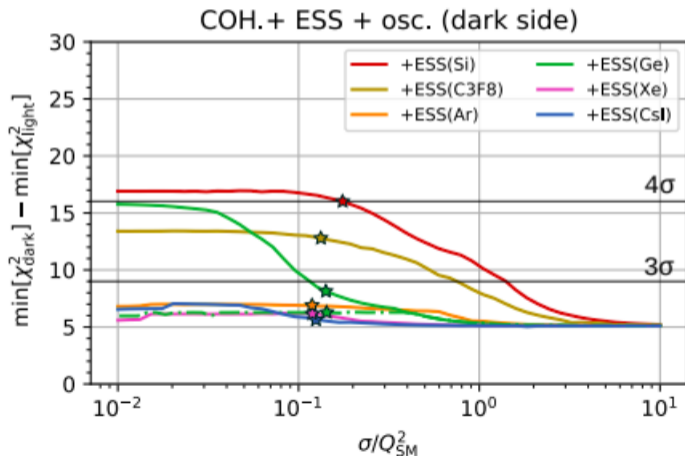


Figure:  $3\sigma$  (2dof) contours.

# Results for ESS

What happens for arbitrary errors?

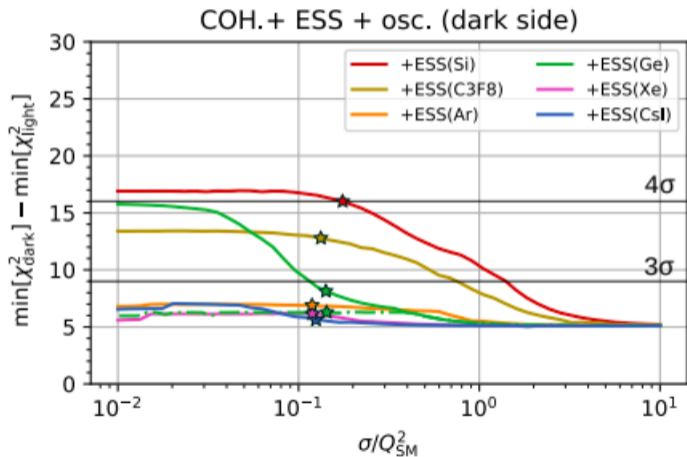
- As the stronger is experiment precision, the ellipse get tinnier, but not smaller.





# Solving $\nu_\mu$ and $\nu_e$

Why does **Ge** helps?



# Solving $\nu_\mu$ and $\nu_e$

We assume two possibilities. No single  $Q_\mu^2$  measurement and including  $Q_\mu^2$  measurement.

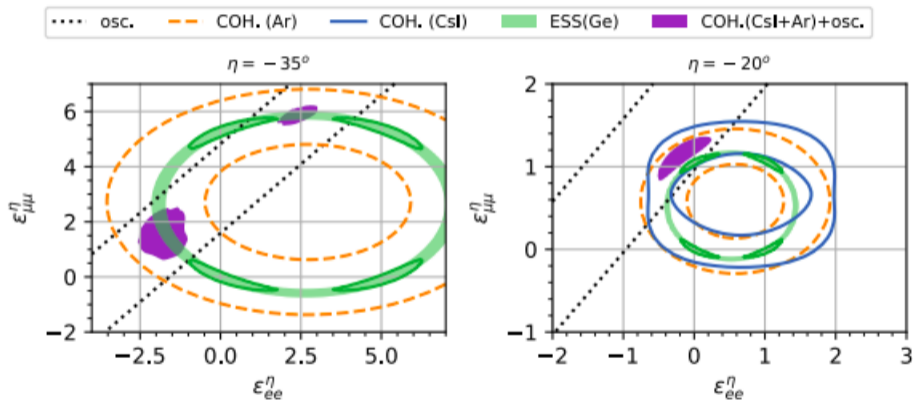


Figure:  $3\sigma$  contours.

# What about reactors?

For reactors the only measured quantity is the  $Q_e^2$ , so we can use the following  $\chi^2$ :

$$\chi_{\text{reac}}^2 = \frac{(Q_{SM}^2 - Q_e^2)^2}{\sigma_{\text{reac}}^2}, \quad (30)$$

for reactors, being optimistic, we assume the error  $\sigma_{\text{reac}}^2$  as 5% of the  $Q_{SM}^2$ . We consider two reactor targets, Si and Ge. There are two ongoing reactor experiments using those two targets:

- CONNIE, using Si (in Angra dos Reis, Brazil);
- CONUS, using Ge (in Brokdorf, Germany);

# Angra dos Reis, Brazil

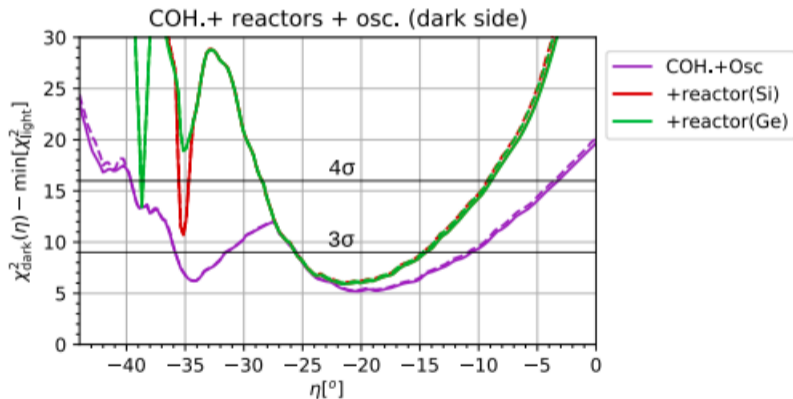


# Angra dos Reis, Brazil



# Reactor results

The results for reactors combined with COHERENT



# Reactor results

Why do reactors are not so good?

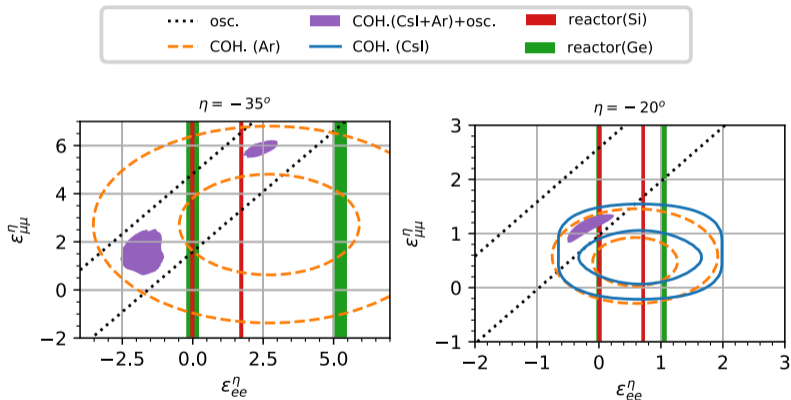
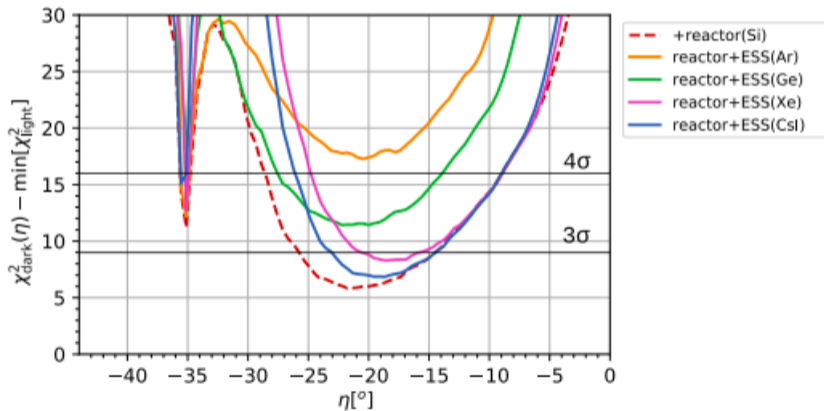


Figure:  $3\sigma$  contours

# Reactor+ESS

Can reactors save the  $-20^\circ$  band for heavier elements using the ESS measurements?





# Conclusions

- Resolving the LMA-D is an important issue to enter the neutrino precision age;
- In the present status, the LMA-D is excluded by  $\sim 2\sigma$ ;
- $Q_{\mu}^2$  and  $Q_e^2$  measurements are necessary to solve the problem;
- The best option in the present proposals is the ESS using Si target;
- Reactors can help some ESS heavier targets to exclude the LMA-D;

The End