



Low Threshold Detectors for Neutrino-Nucleus Elastic Scattering and the Studies of its Quantum-Mechanical Coherency Effects

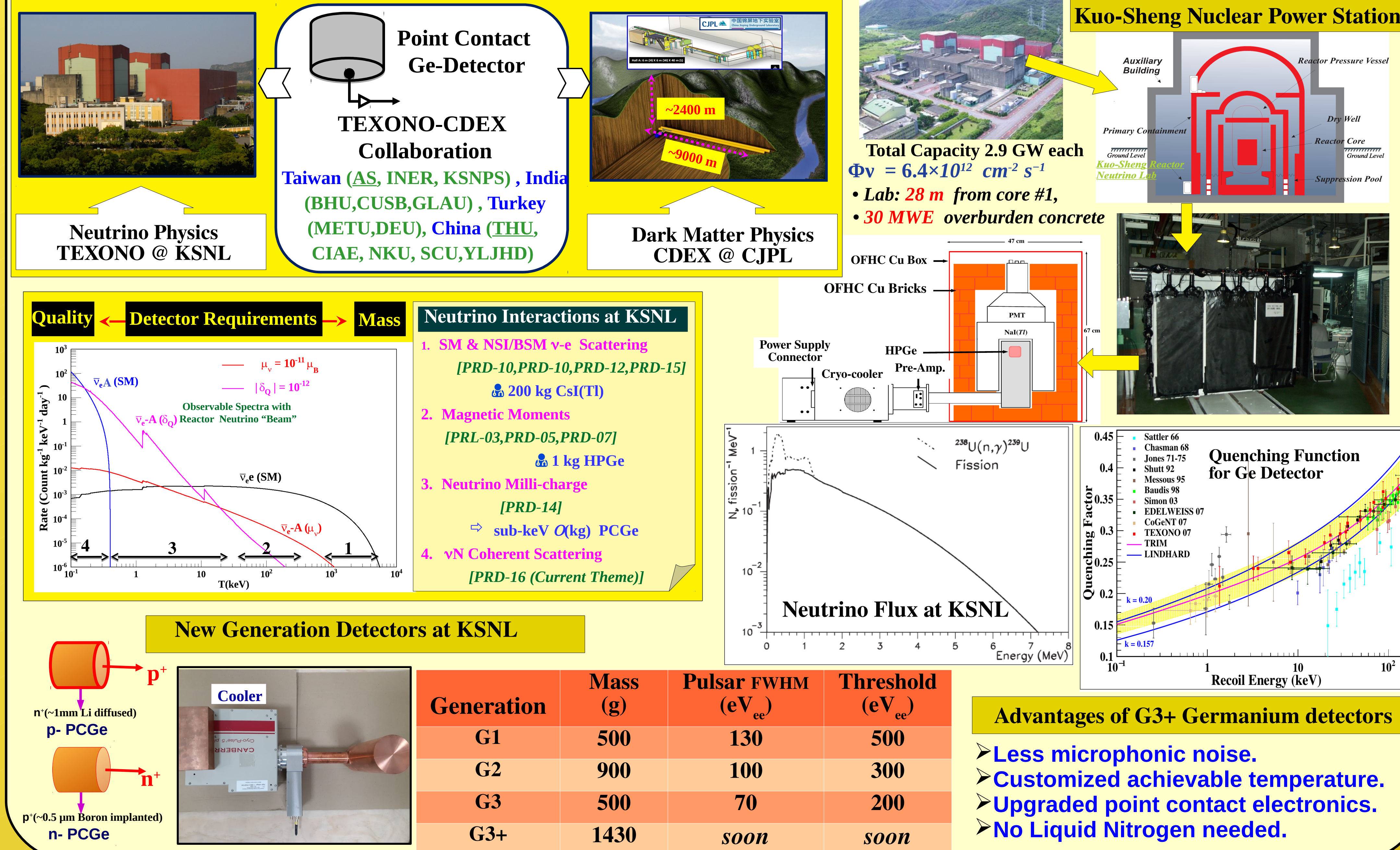
Vivek Sharma

On behalf of TEXONO Collaboration
Home Base: Institute of Physics, Academia Sinica, Taiwan
Collaborating Partners: Taiwan, China, India, Turkey.

- Based On:
- Studies of quantum-mechanical coherency effects in neutrino-nucleus elastic scattering, V. Sharma et al. Phys. Rev. D 103, 092002 (2021).
 - Coherency in neutrino-nucleus elastic scattering, S. Kerman et al. Phys. Rev. D 93, 113006 (2016).
 - Characterization and performance of germanium detectors with sub-keV sensitivities for neutrino and dark matter experiments, A.K. Soma et al. NIM in Phys. Res. A 836, 67-82 (2016).



TEXONO Program and Kuo-Sheng Nuclear Reactor Lab



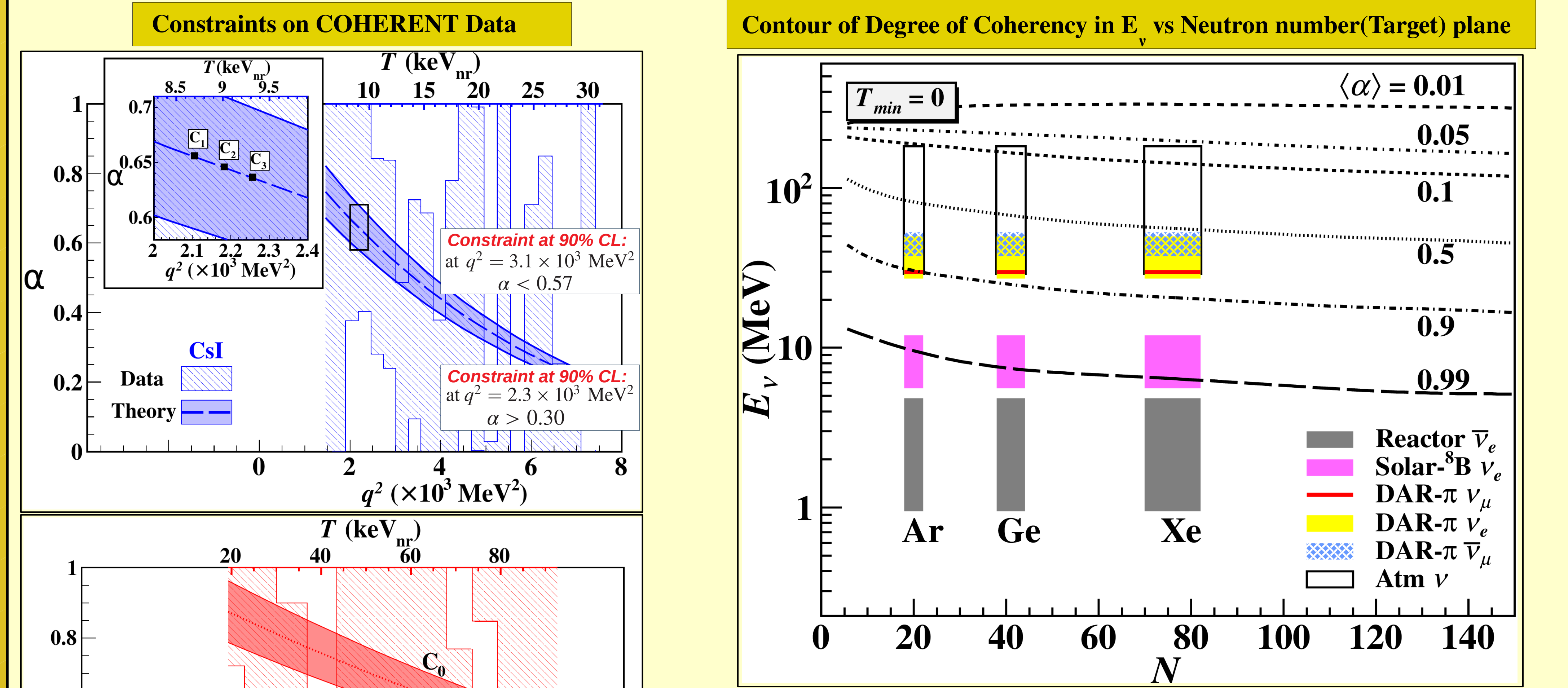
Coherency in Neutrino-Nucleus Elastic Scattering νA_{el}

B. Quantum Mechanical Coherency:
 $\Gamma(q^2) \equiv \Gamma_{QM}(q^2) = (\varepsilon Z - N)^2 \cdot \alpha(q^2) + (\varepsilon^2 Z + N) \cdot [1 - \alpha(q^2)]$
where α is Degree of Coherency in νA_{el}

Condition for full coherency and incoherency:
 $\frac{d\sigma_{\nu A_{el}}(q^2, E_\nu)}{dq^2} \propto \begin{cases} [\varepsilon^2 Z + N], & \alpha = 0 \text{ (incoherent)} \\ [\varepsilon Z - N]^2, & \alpha = 1 \text{ (coherent)} \end{cases}$

C. Data Driven Description:
 $\Gamma(q^2) \equiv \Gamma_{DATA}(q^2) = (\varepsilon Z - N)^2 \cdot \xi(q^2)$
The term $\xi(q^2)$ is the cross-section suppression relative to the complete coherency condition $\xi(q^2) \equiv \frac{(d\sigma/dq^2)_{\nu A_{el}}(\alpha)}{(d\sigma/dq^2)_{\nu A_{el}}(\alpha=1)}$

The experimentally measurable cross-section reduction fraction (ξ) is related to QM coherency (α) and nuclear form factors via:
 $\xi(q^2) = \alpha(q^2) + [1 - \alpha(q^2)] \frac{[\varepsilon^2 Z + N]}{(\varepsilon Z - N)^2} \quad \& \quad \xi(q^2) = \frac{[\varepsilon Z F_Z(q^2) - N F_N(q^2)]^2}{(\varepsilon Z - N)^2}$



Neutrino-Nucleus Elastic Scattering νA_{el}

A fundamental neutrino interaction: $\nu_l + A \rightarrow \nu_l + A$

Differential cross-section: $\left[\frac{d\sigma}{dq^2}(q^2, E_\nu) \right]_{\nu A_{el}} = \frac{1}{2} \left[\frac{G_F^2}{4\pi} \right] \cdot \left[1 - \frac{q^2}{4E_\nu^2} \right] \cdot \Gamma(q^2)$

The term $\Gamma(q^2)$ have different description based on particular physics:

- A. Nuclear Physics: $\Gamma_{NP}(q^2) = [\varepsilon Z F_Z(q^2) - N F_N(q^2)]^2$
B. Quantum Mechanical Coherency: $\Gamma_{QM}(q^2) = [\varepsilon Z - N]^2 \alpha(q^2) + (\varepsilon^2 Z + N) [1 - \alpha(q^2)]$
C. Data-driven Description: $\Gamma_{DATA}(q^2) = [\varepsilon Z - N]^2 \xi(q^2)$

A. Nuclear Physics Description: $\Gamma(q^2) \equiv \Gamma_{NP}(q^2) = [\varepsilon Z F_Z(q^2) - N F_N(q^2)]^2$ where $F_Z(q^2) \in [0, 1]$ and $F_N(q^2) \in [0, 1]$
The Helm form-factor is given by: $F(q) = \frac{3j_1(qR)}{qR} e^{-(qs)^2/2} = 3 \frac{\sin(qR) - qR \cos(qR)}{(qR)^3} e^{-(qs)^2/2}$ where R and s are the radius and surface thickness parameters of nucleus.

