Resonant neutrino self-interactions in astrophysical spectra

Weak Interactions & Neutrinos Workshop, June 12, 2021



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& Marc Kamionkowski

Motivations

- It's tough to constrain some neutrino properties (e.g. $u_{ au}$ interactions)
- Neutrino self-interactions are often considered (e.g. Hubble tension)
 - e.g. Araki et al. 1409.4180 & 1508.07471, Barenboim et al. 1903.02036, Jones & Spitz 1911.06342, Ng & Beacom 1404.2288, Bustamante et al. 2001.04994, Blinov et al. 1905.02727, Mazumdar et al. 2011.13685, Carpio et al. 2104.15136, Das & Ghosh 2011.12315, Choudhury et al. 2012.07519
- Existing / upcoming neutrino experiments (Super-K, IceCube, POEMMA, ...)

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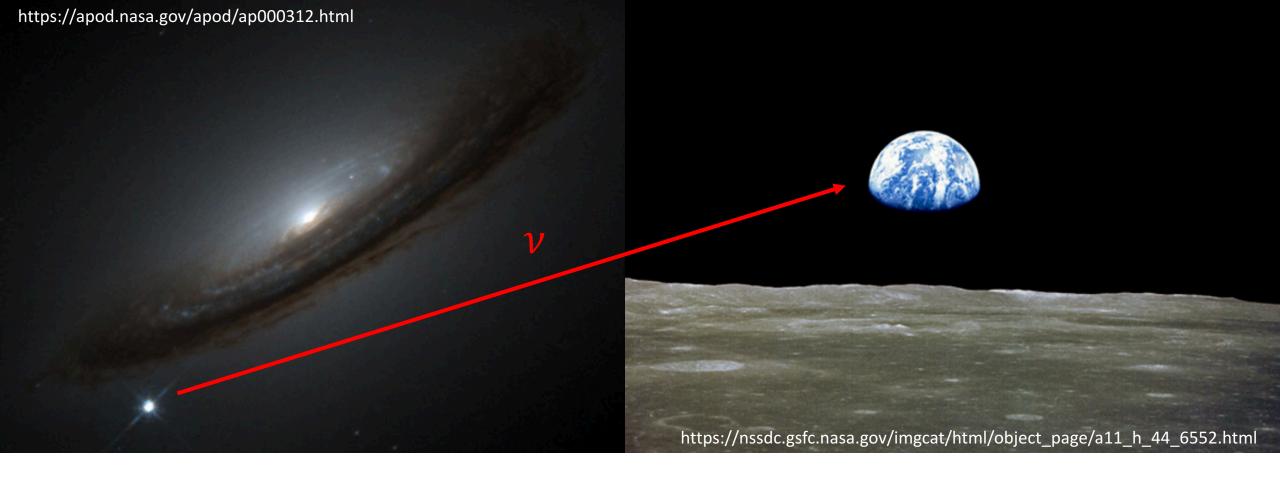
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Here, we consider neutrino self-interactions mediated by a scalar, ϕ :

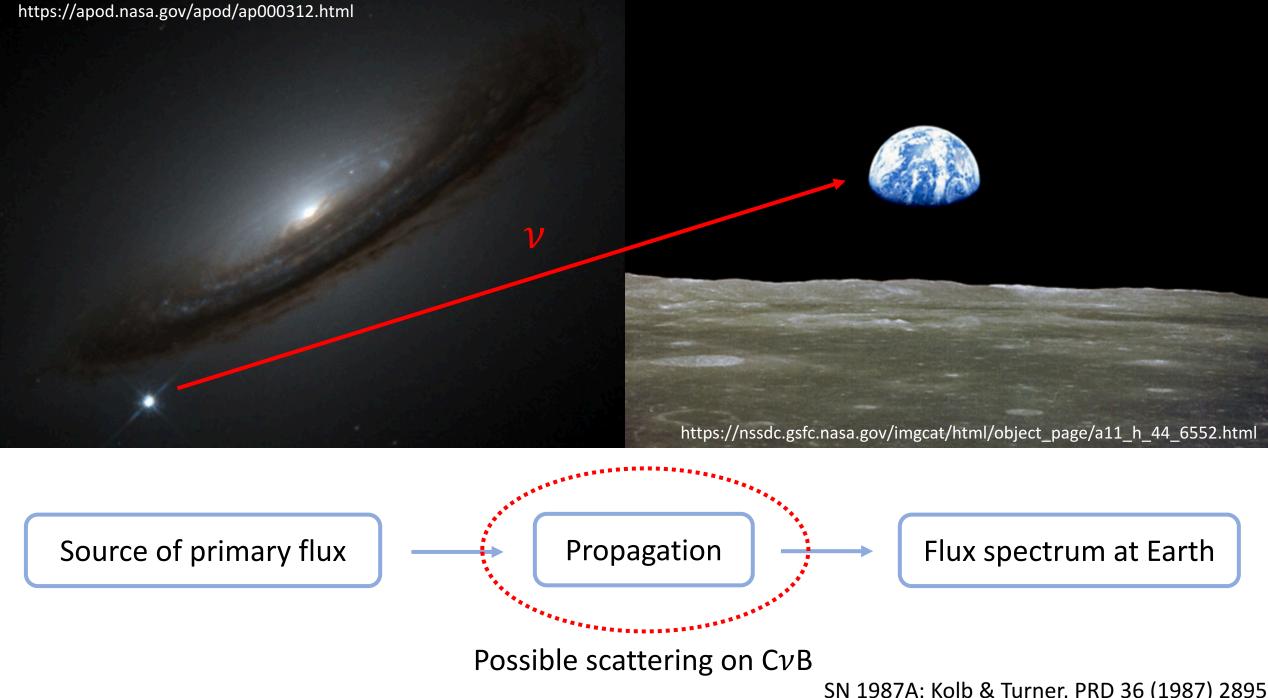
$$\mathcal{L}_{int} = g_{ij}\phi\nu_i\nu_j$$



Source of primary flux

Propagation

Flux spectrum at Earth



SN 1987A: Kolb & Turner, PRD 36 (1987) 2895

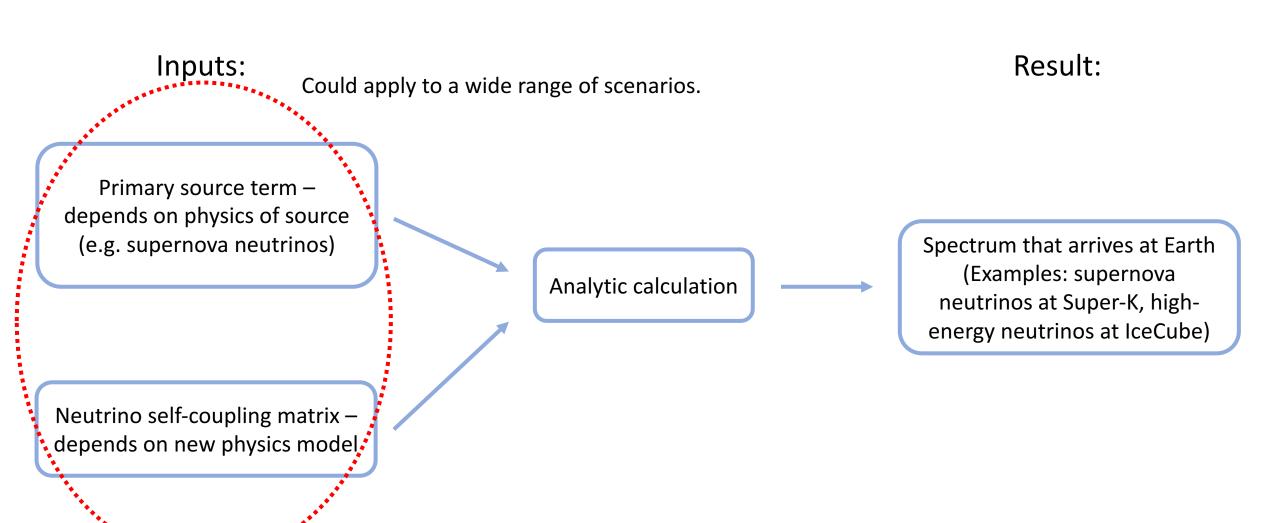
Inputs: Result:

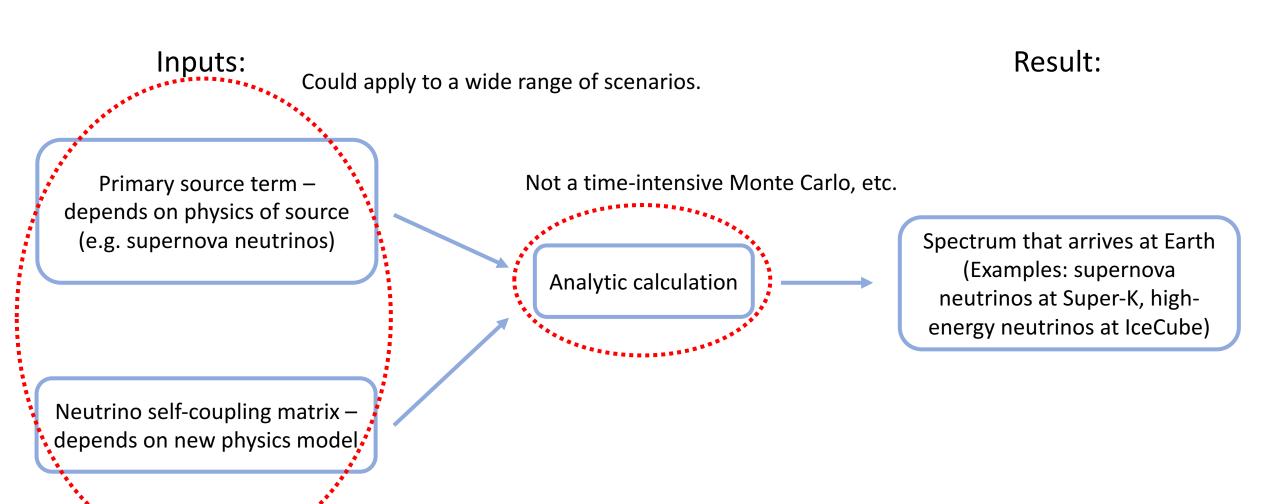
Primary source term – depends on physics of source (e.g. supernova neutrinos)

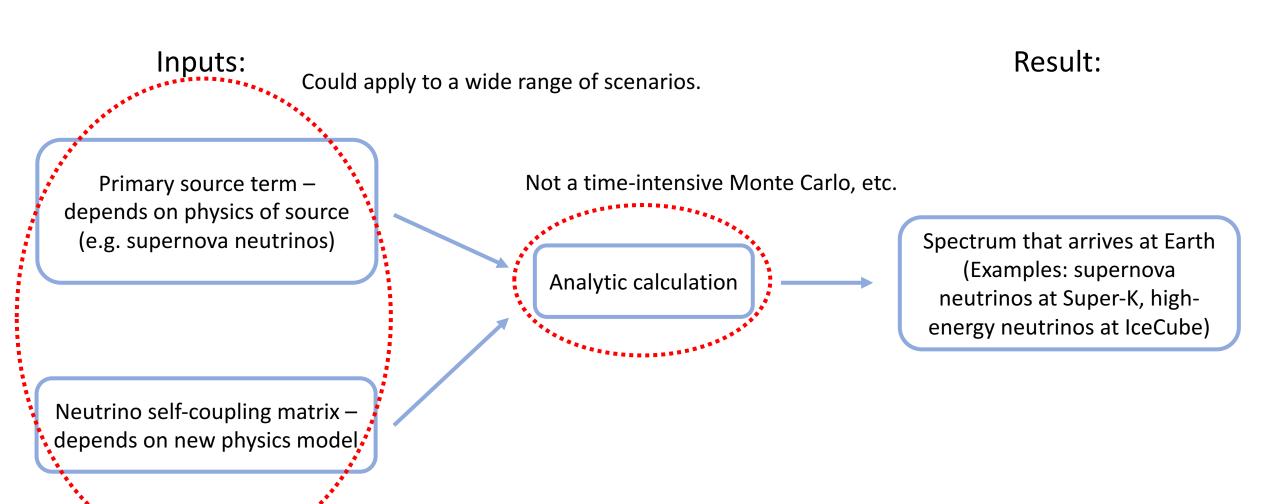
Analytic calculation

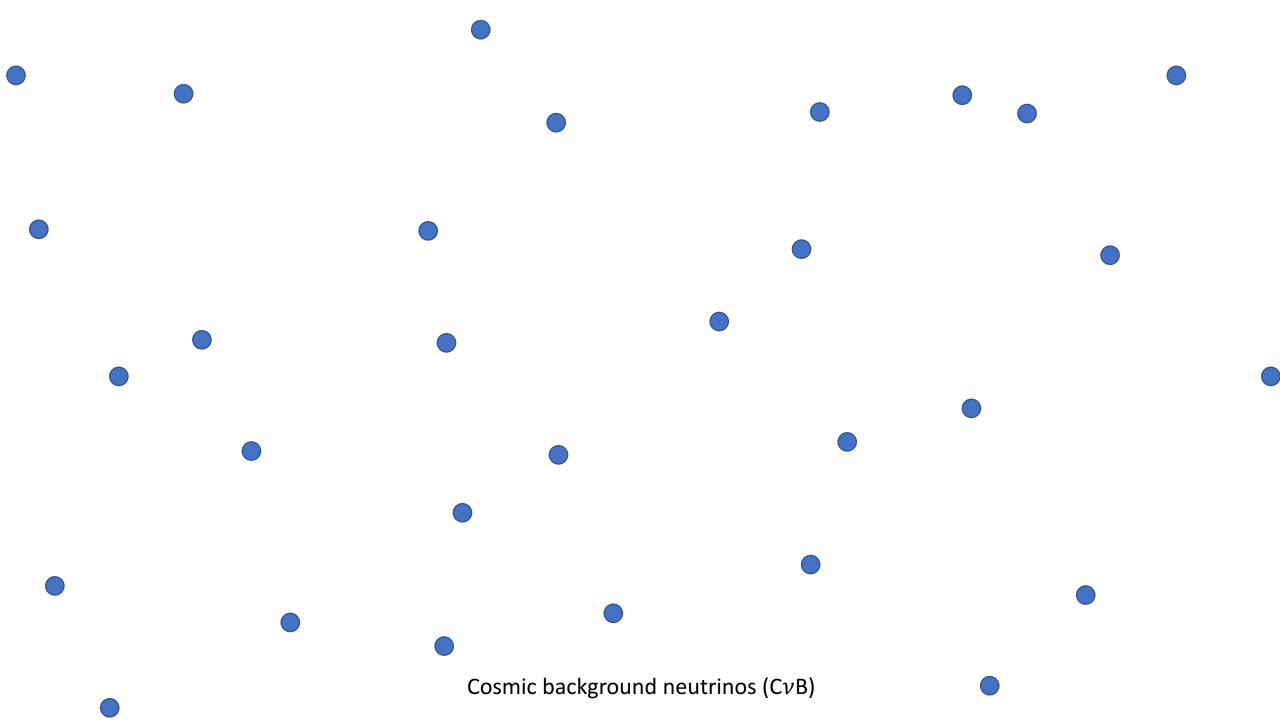
Spectrum that arrives at Earth
(Examples: supernova
neutrinos at Super-K, highenergy neutrinos at IceCube)

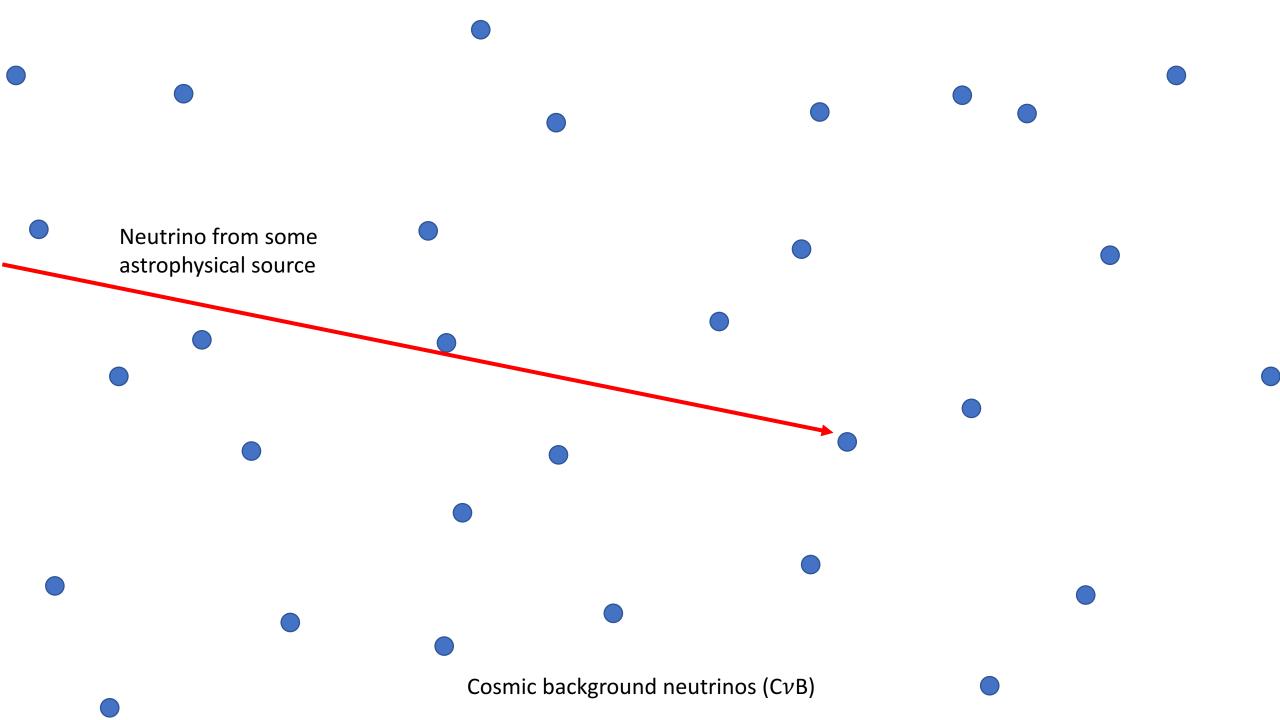
Neutrino self-coupling matrix – depends on new physics model

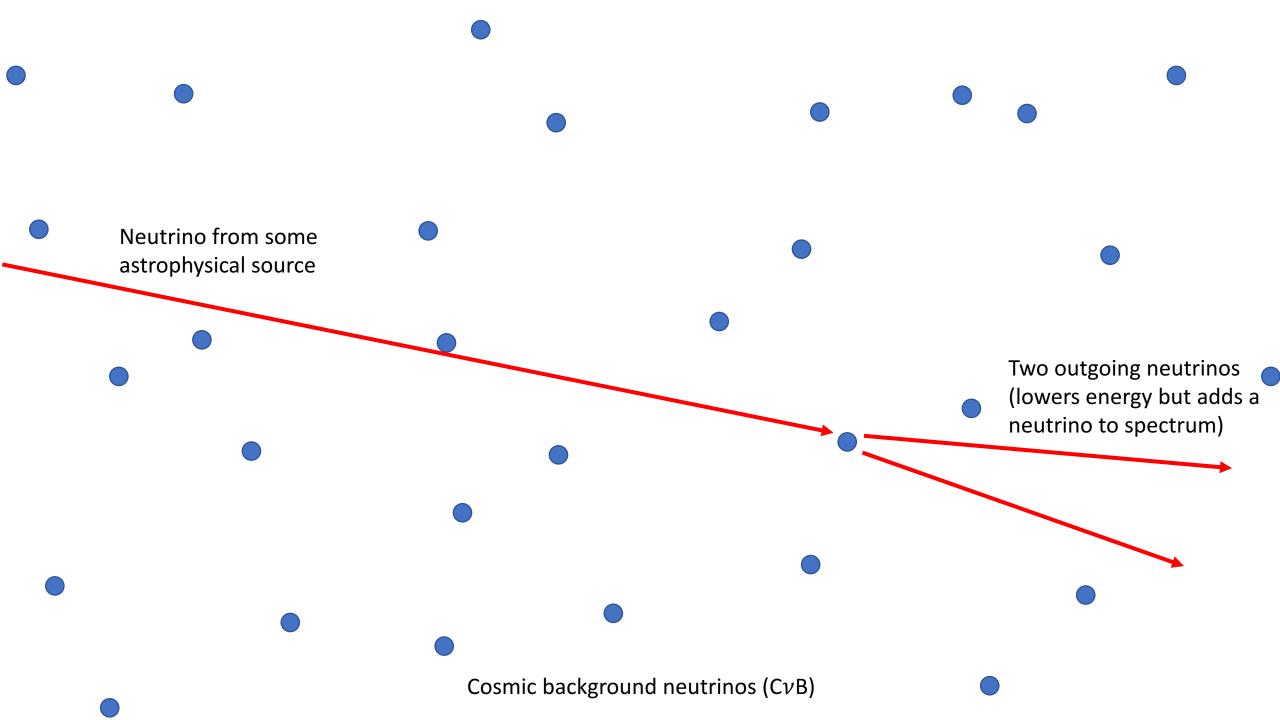






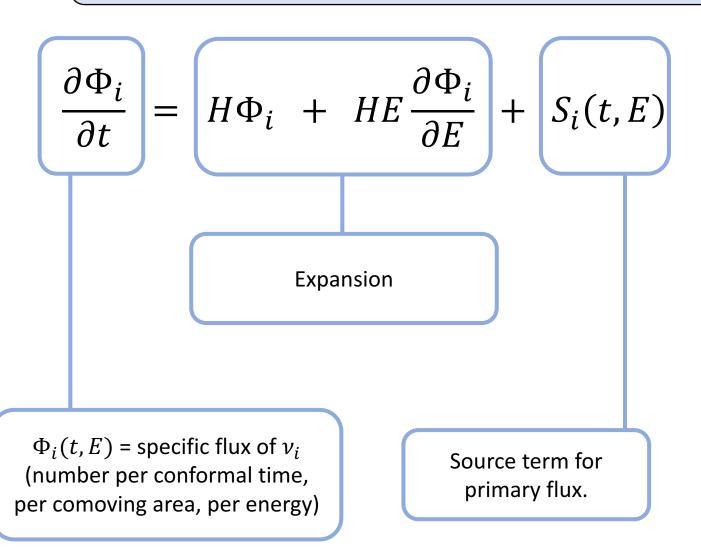


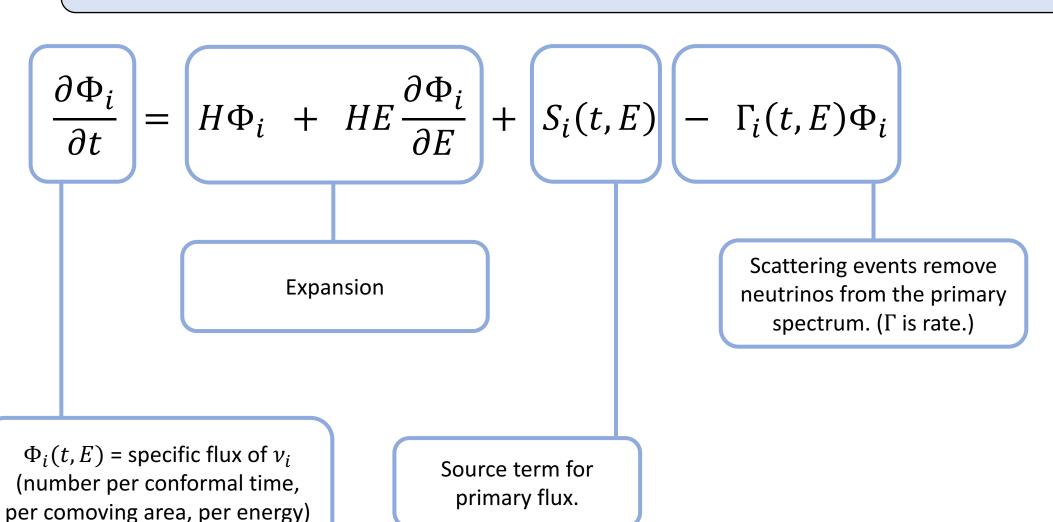




Also considered in: We generalize to: Farzan & Palomares-Ruiz 1401.7019, Ibe & Kaneta 1407.2848, Jeong et al. 1803.04541 Arbitrary self-coupling matrix Closed-form solution (avoids time-Neutrino from some intensive numerical solution). astrophysical source Two outgoing neutrinos (lowers energy but adds a neutrino to spectrum) Cosmic background neutrinos ($C\nu B$)

$$\frac{\partial \Phi_i}{\partial t} = H\Phi_i + HE \frac{\partial \Phi_i}{\partial E} + S_i(t, E)$$





$$\frac{\partial \Phi_{i}}{\partial t} = H\Phi_{i} + HE \frac{\partial \Phi_{i}}{\partial E} + S_{i}(t, E) - \Gamma_{i}(t, E)\Phi_{i} + S_{tert, i}(t, E)$$

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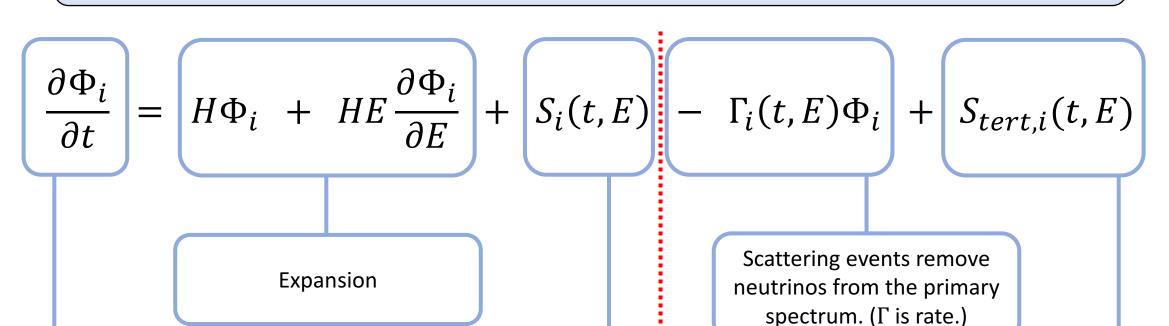
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 $\Phi_i(t, E)$ = specific flux of ν_i (number per conformal time, per comoving area, per energy)

Source term for primary flux.

The tertiary source term represents reinjection of neutrinos after scattering.

spectrum. (Γ is rate.)



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Source term for primary flux.

The tertiary source term represents reinjection of neutrinos after scattering.

Neutrino selfinteractions found here

Resonant $\nu - \nu$ scattering

• Resonant scattering dominant – we take a Breit-Wigner form.

• In many cases, this can be well-approximated as a delta function at the resonant energy, $E_R=m_\phi^2c^2/2m_\nu$.

$$\Phi_{i}(t,E) = \int_{-\infty}^{t} dt' \left(\frac{a(t)}{a(t')}\right) e^{-\tau_{i}(t',t,E)} \left(\tilde{S}_{i}\left(t',\frac{a(t)}{a(t')}E\right)\right)$$

Optical depth depends on form of neutrino self-coupling matrix...

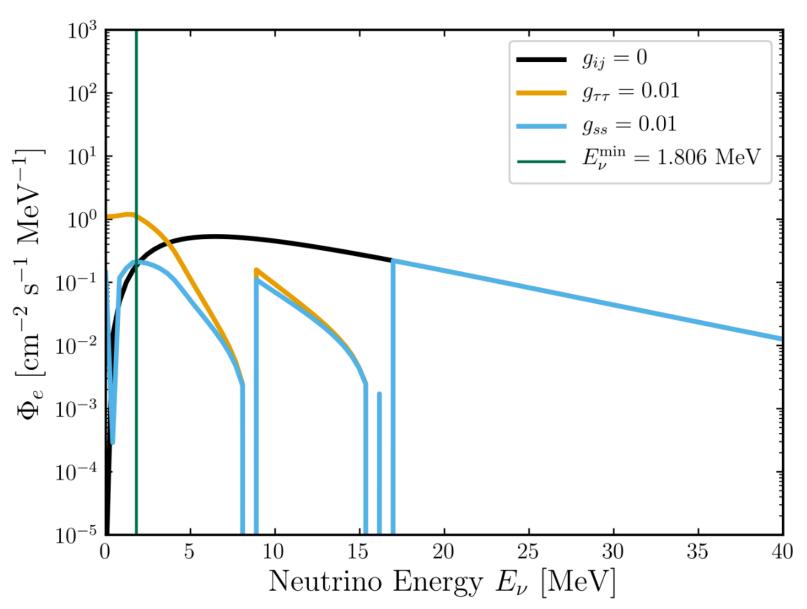
 $ilde{S}_i = S_i + S_{tertiary}$, w/ tertiary source dep. on self-coupling matrix, and $ilde{S}_i$ evaluated at higher resonant energy, ...

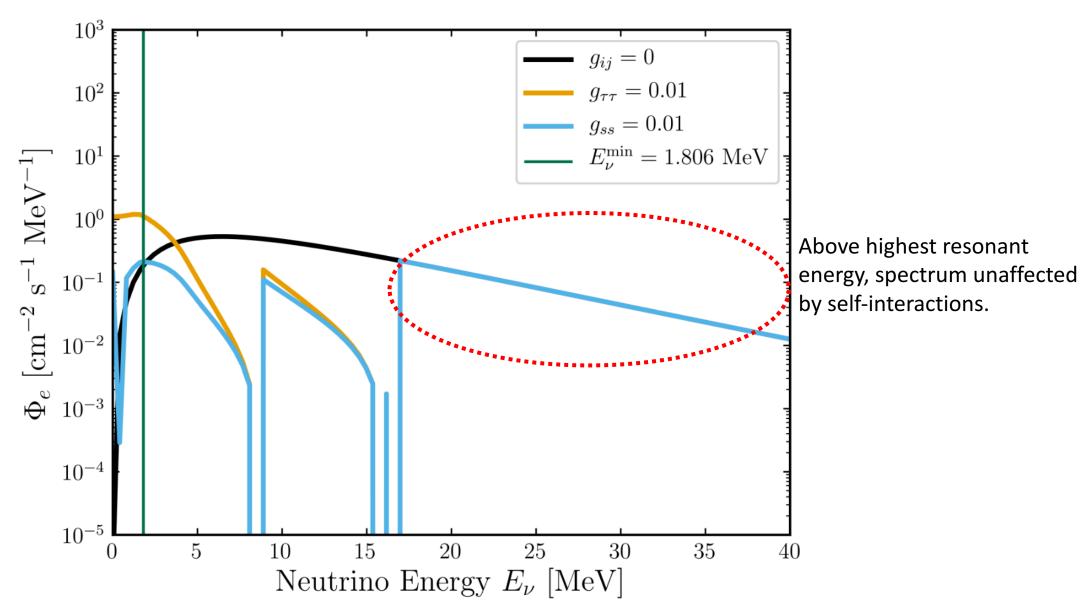
$$\Phi_{i}(t,E) = \int_{-\infty}^{t} dt' \left(\frac{a(t)}{a(t')}\right) e^{-\tau_{i}(t',t,E)} \left[\tilde{S}_{i}\left(t',\frac{a(t)}{a(t')}E\right)\right]$$

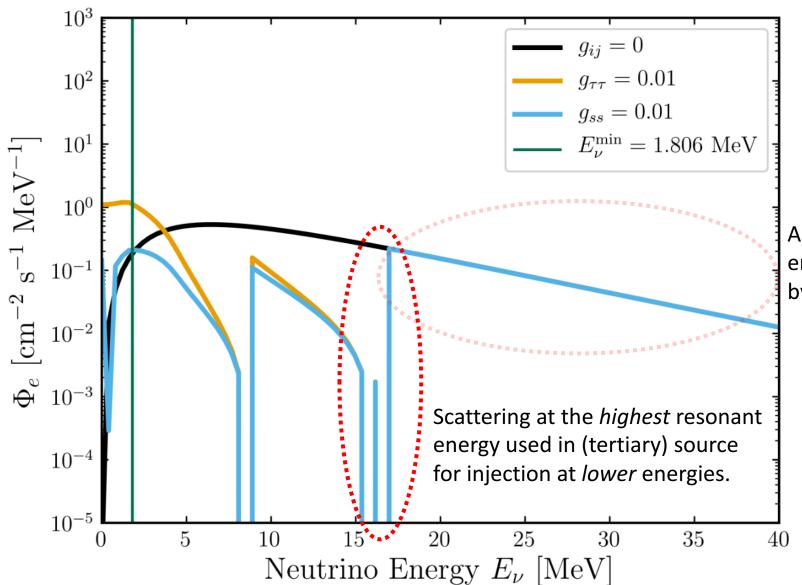
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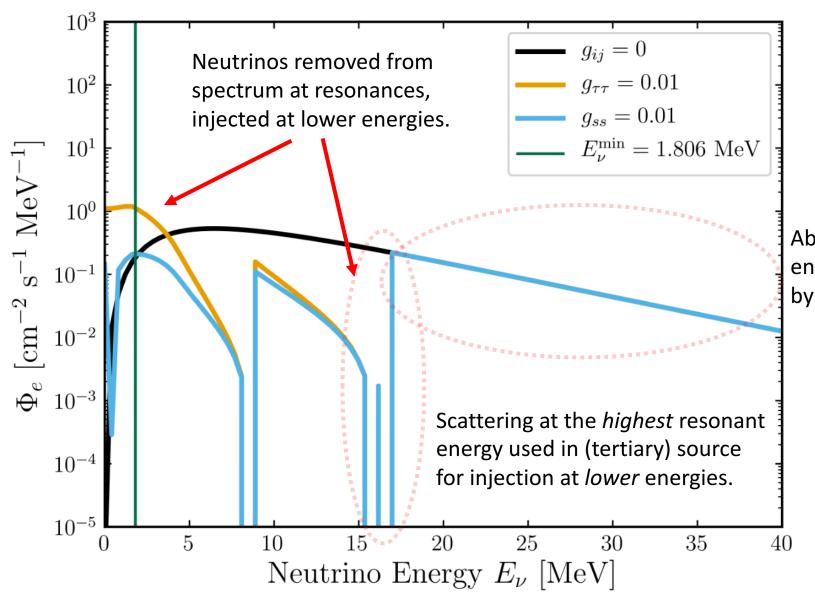
Details here are pretty involved for such a short talk... See paper.







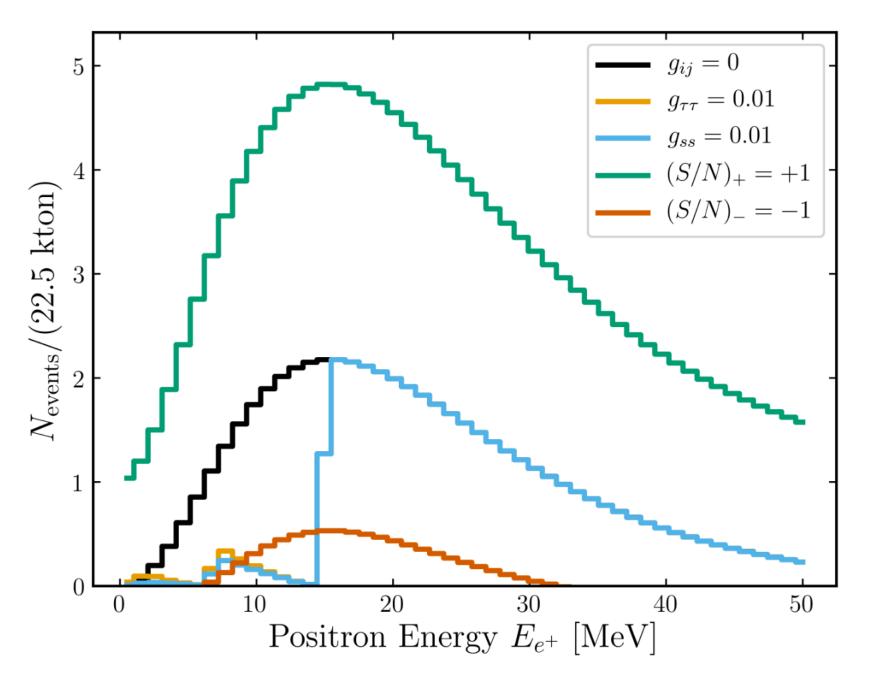
Above highest resonant energy, spectrum unaffected by self-interactions.



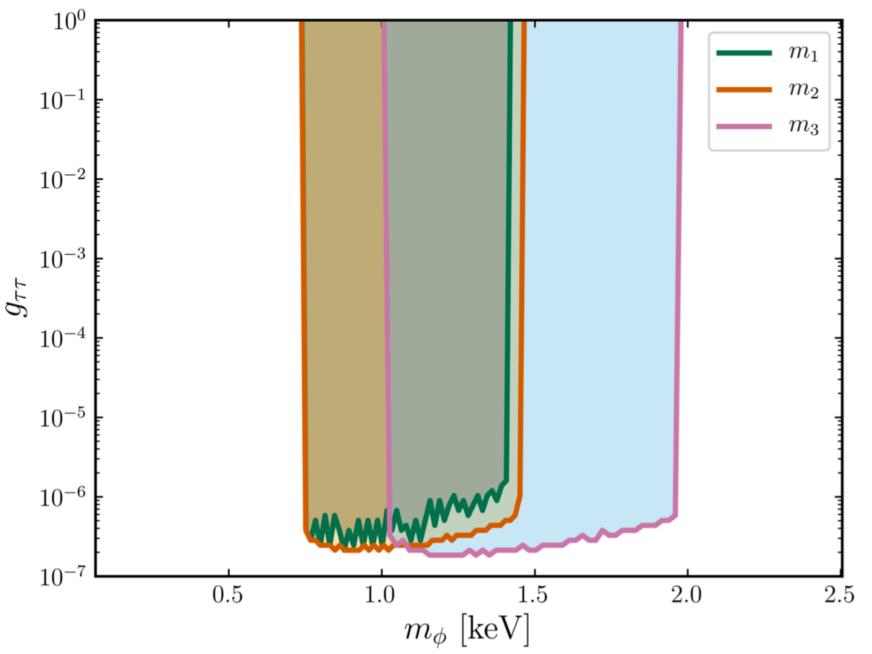
Above highest resonant energy, spectrum unaffected by self-interactions.

Event rates, +/- 1 sigma for 10 years at Super-K w/ gadolinium.

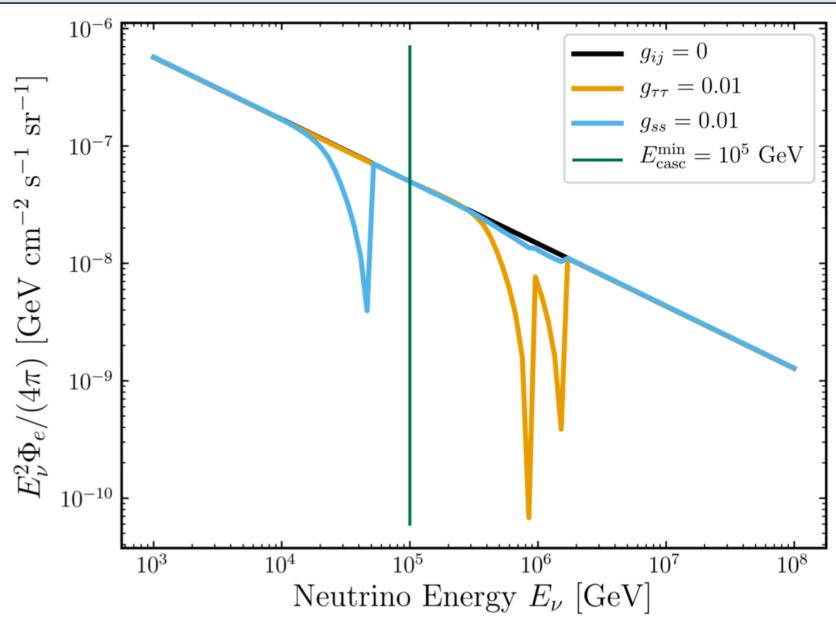
Comparison with expected spectrum at T = 8 MeV in absence of self-interactions.



Forecasted 1-sigma constraints on coupling & scalar mediator, for 10 years at Super-K w/ gadolinium.

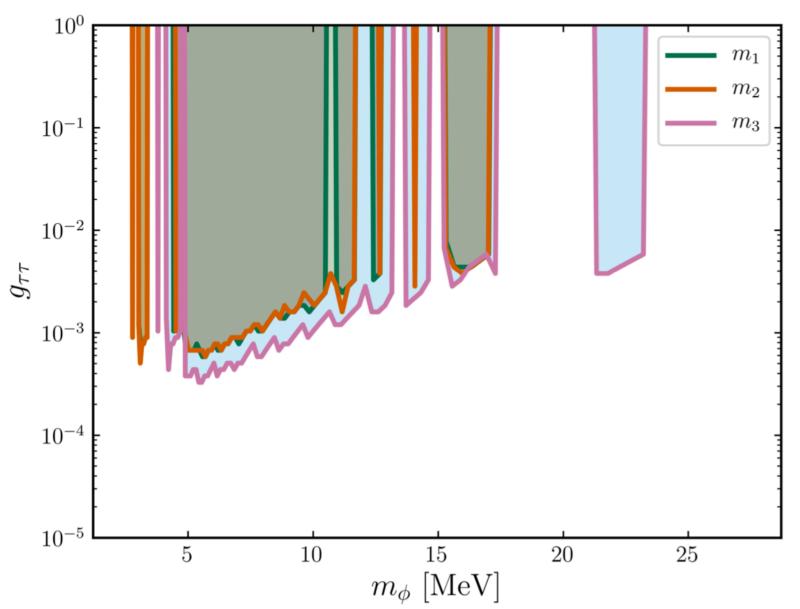


Example: High-Energy Astrophysical Neutrinos



Example: High-Energy Astrophysical Neutrinos

Forecasted 1-sigma constraints on coupling & scalar mediator, for 988 days at IceCube.



Summary

• Efficient way to calculate observed spectra, given a source and model of neutrino self-interactions.

 Observation of the DSNB by Super-K can constrain neutrino selfinteractions with ~ keV mass mediators.

 High-Energy Astrophysical Neutrinos at IceCube: can constrain ~ MeV mediators. Thank you!

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