Neutrino oscillations with IceCube-DeepCore and the IceCube Upgrade

Tom Stuttard for the IceCube collaboration
Niels Bohr Institute
Snowmass 2021

CARISBERG FOUNDATION









IceCube

1 Gton
TeV/PeV neutrinos

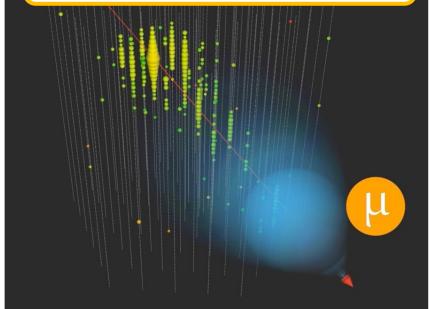
DeepCore

Dense 10 Mton sub-array GeV neutrinos

Eiffel Tower 324 m 5160 PMTs in glacial ice (natural detection medium)



Detect Cherekov photons from v-ice interaction products





1450 m

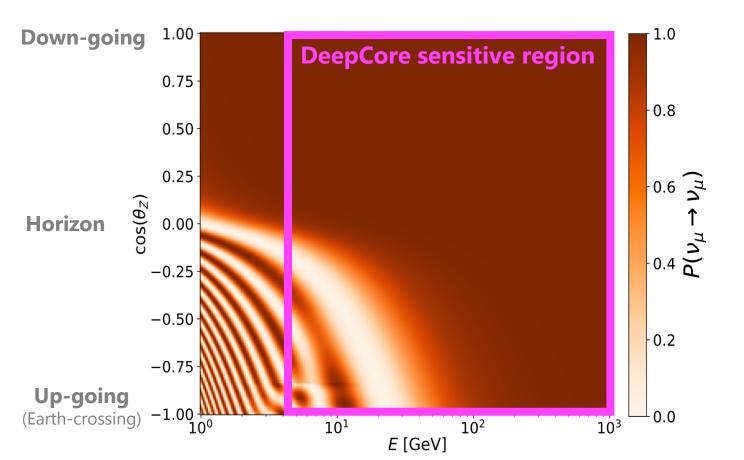
50 m

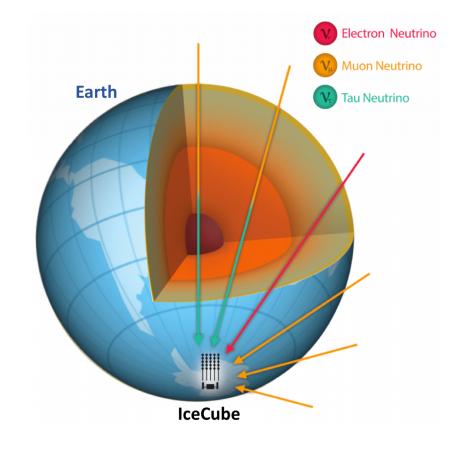
2820 m

Bedrock

Atmospheric neutrino oscillations in DeepCore

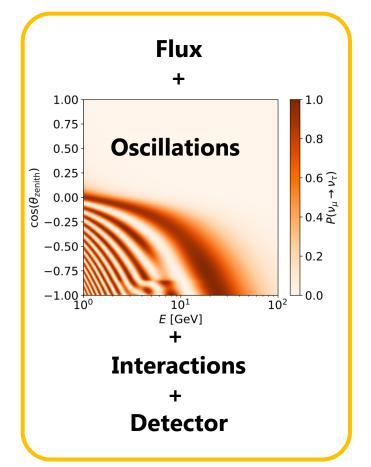
- **mHz** atmospheric neutrino detection rate \rightarrow a ν every 15 mins!
- Approx. maximal $v_{\mu} \rightarrow v_{\tau}$ oscillations for O(10 GeV) Earth-crossing v
 - Same L/E as long baseline accelerator experiments



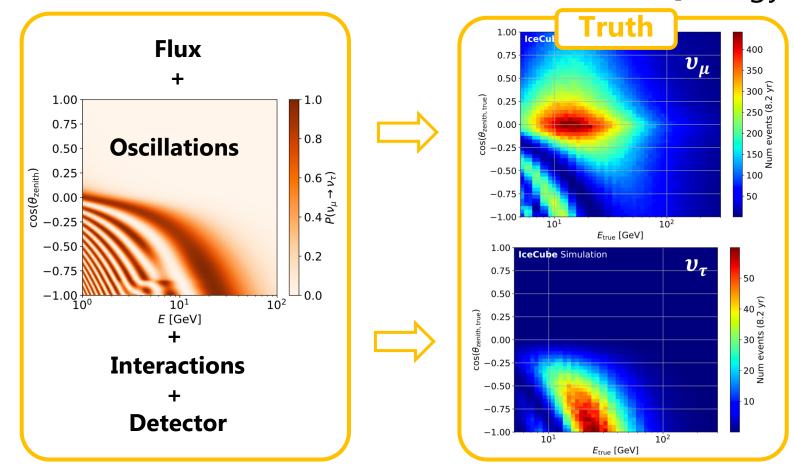




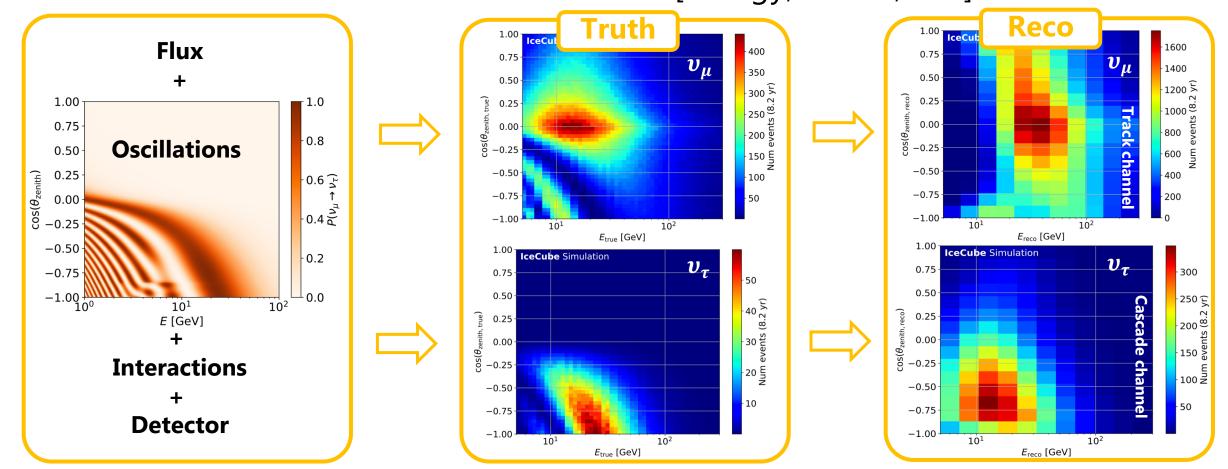
- Simultaneously observe v_{μ} disappearance and $v_{ au}$ appearance
 - Operating above ~4 GeV $v_{\tau,CC}$ threshold
- Measure 3D distortions in reconstructed [energy, zenith, PID]



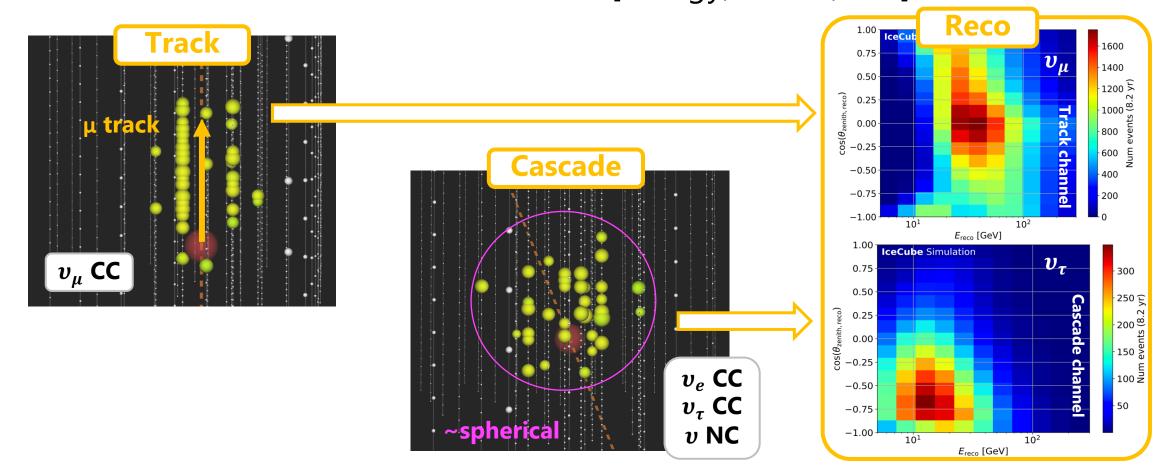
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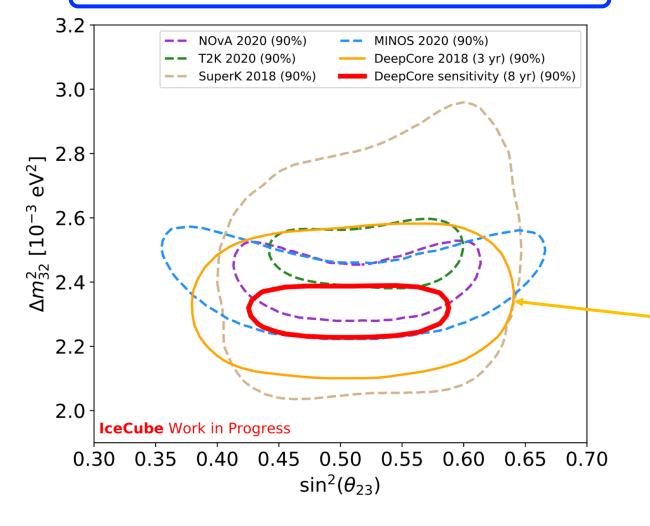


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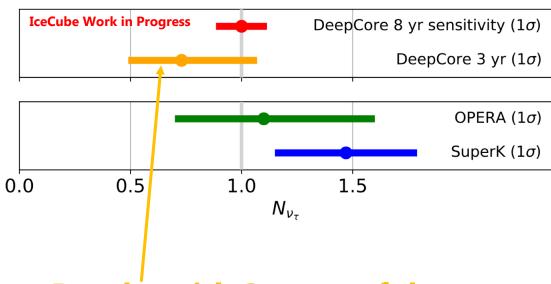


DeepCore oscillation results





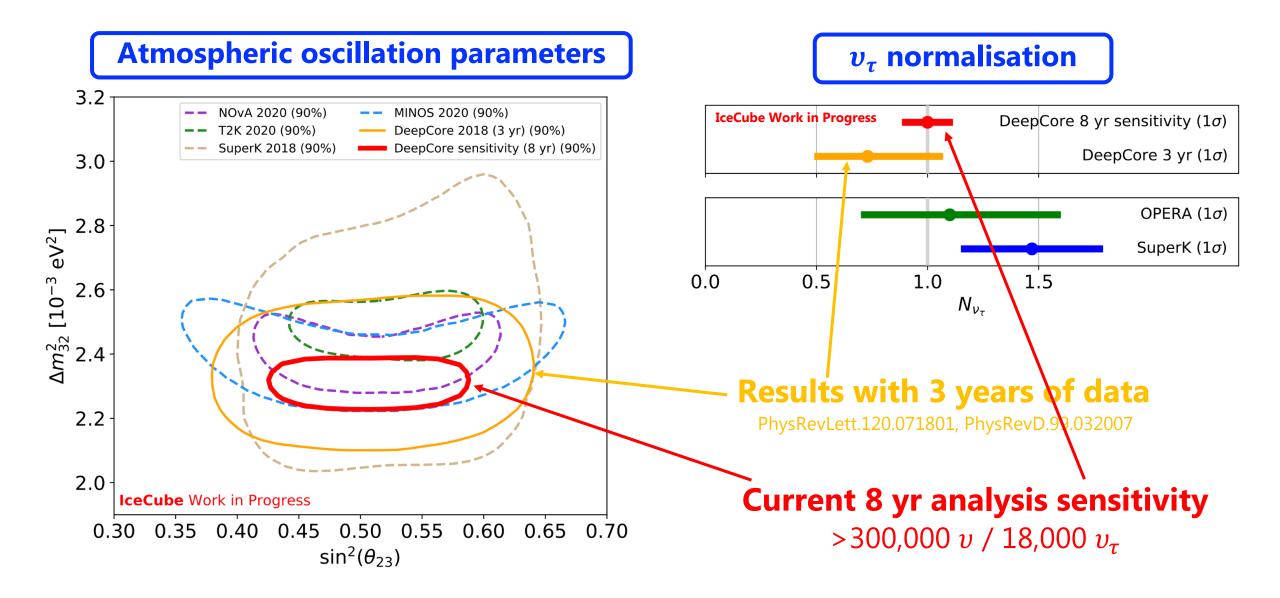
$oldsymbol{v_{ au}}$ normalisation



Results with 3 years of data

PhysRevLett.120.071801, PhysRevD.99.032007

DeepCore oscillation results



Takeaway

DeepCore is sensitive to O(10 GeV) v_{μ} disappearance and v_{τ} appearance

High statistics 8 yr analyses underway

Coming soon:

- 1) Comparable mixing angle and mass splitting precision to long baseline accelerators
- 2) \lesssim 15% precision in v_{τ} normalisation (>2x current world best)

3

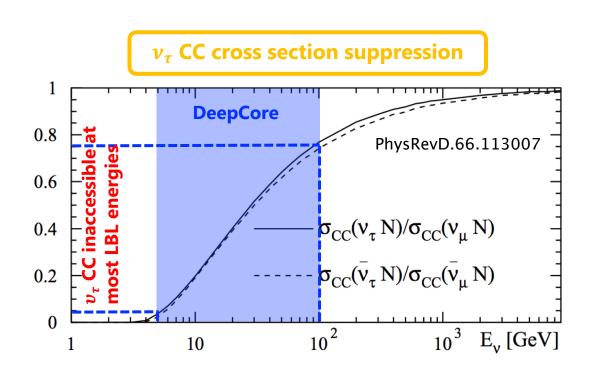
 $\Delta m_{32}^2 [10^{-3} \text{ eV}^2]$

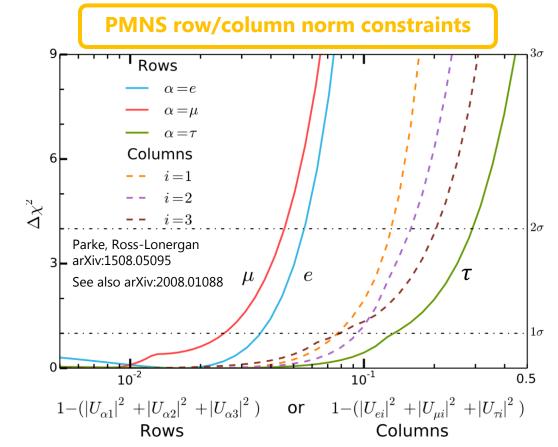
2



ν_{τ} measurements and PMNS unitarity

- Few experiments can detect v_{τ} due to cross section suppression
- v_{τ} PMNS elements poorly measured
- Major barrier to PMNS unitarity constraints

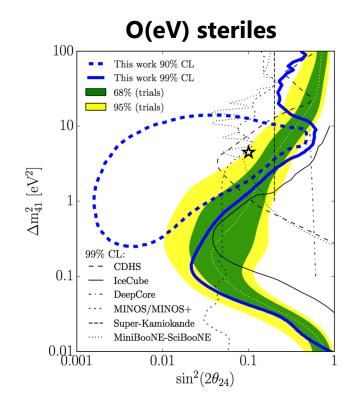


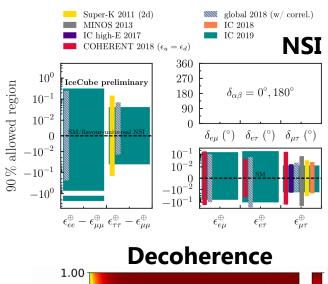


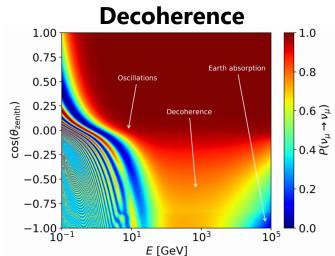
IceCube/DeepCore BSM oscillations

- Large range of energies, baselines, flavors and matter profiles
- > Often world leading sensitivity to BSM neutrino flavour transitions

- Sterile neutrinos
- Non-standard interactions
- Lorentz invariance violation
- Decoherence







Multiple 8 yr analyses recently published or underway

IceCube/DeepCore BSM oscillations

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Sterile n

Non-sta

Lorentz

Takeaway

World class BSM physics reach

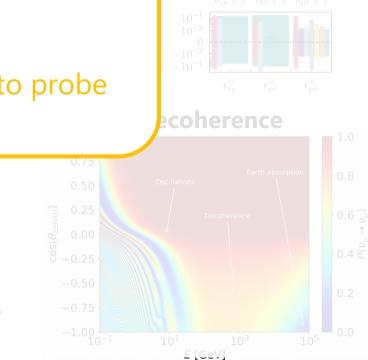
Coupled with v_{τ} sensitivity \rightarrow excellent power to probe beyond the standard 3v paradigm

Decoherence



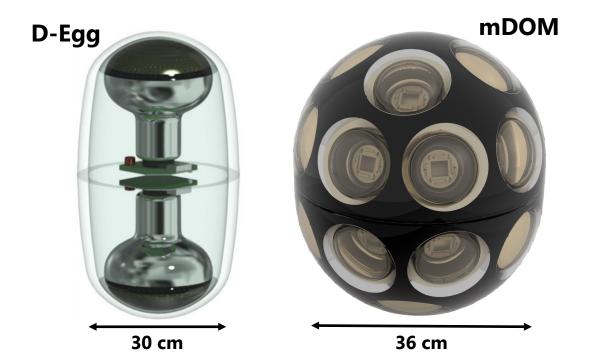
O(a)() starila

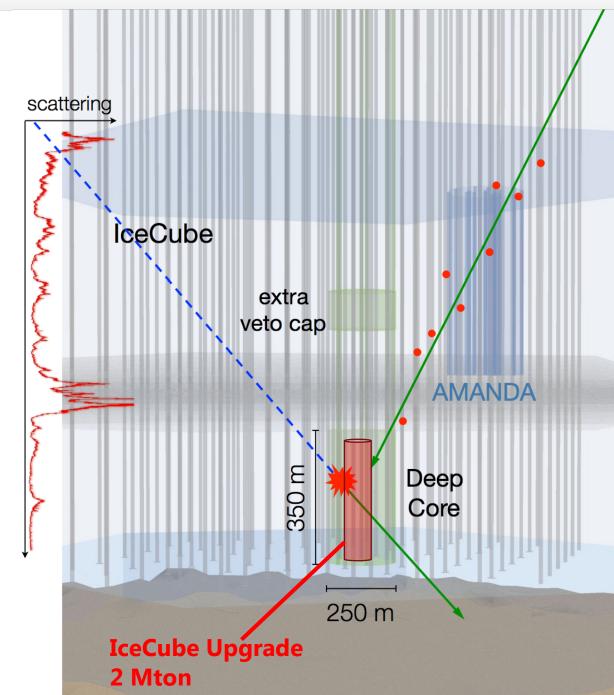
Multiple 8 yr analyses recently published or underway



The IceCube Upgrade

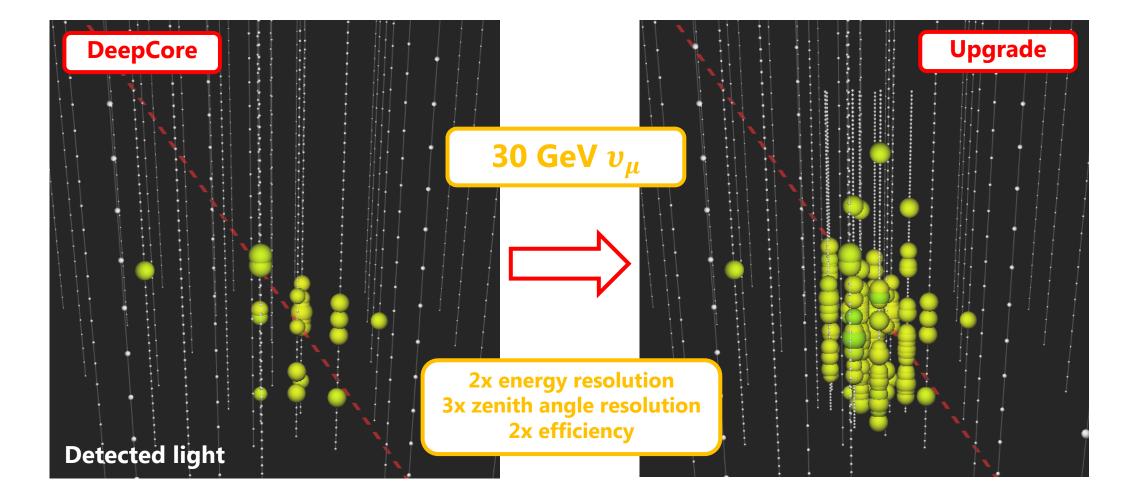
- \$30M extension to IceCube
 - Funded, deployment in 2022/3
- 700 multi-PMT sensors
 - Densely packed in 2 Mton core
- Improved detector/ice calibration





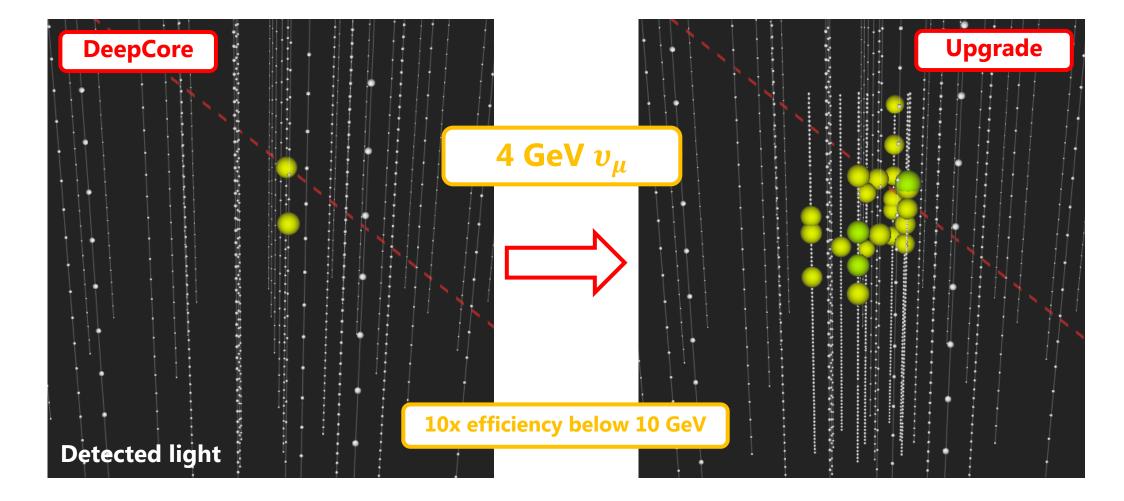
Increased photocathode density

- **Dense instrumentation** in 2 Mton core
 - Large increase in photocathode density \rightarrow sensitive down to **1 GeV neutrinos**



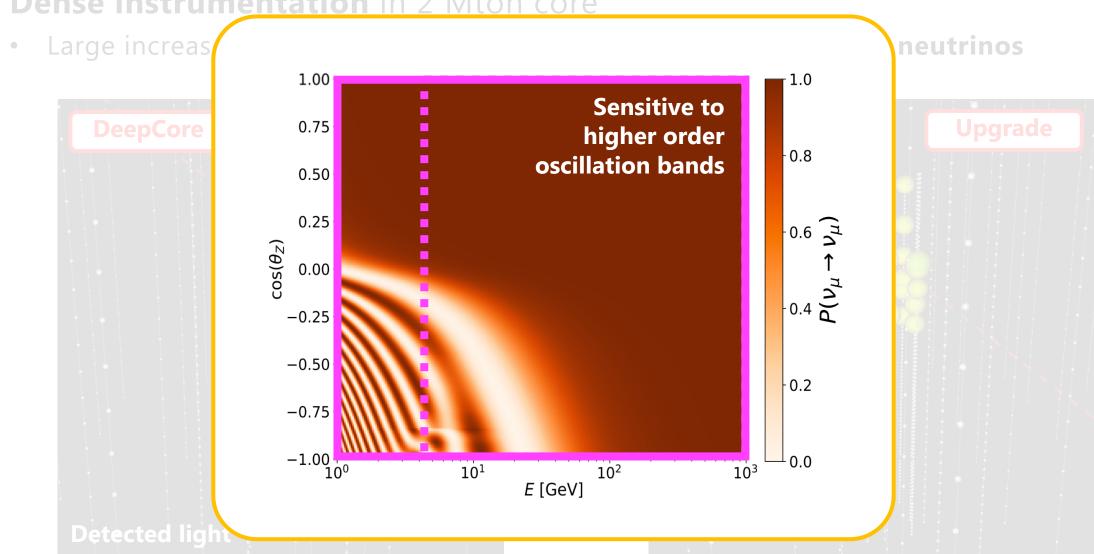
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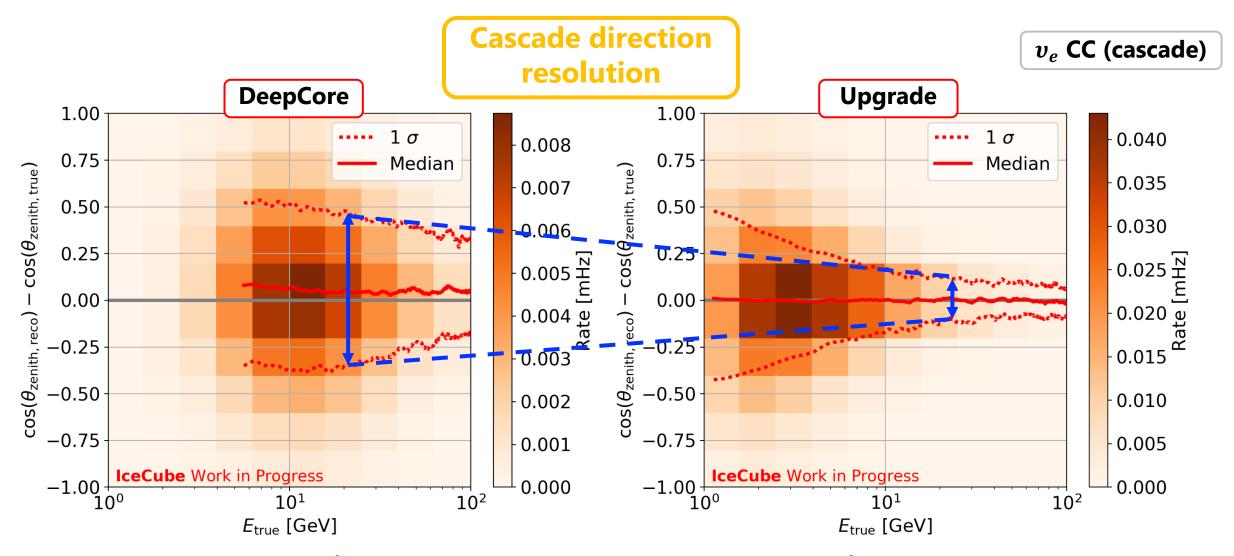
Increased photocathode density

Dense instrumentation in 2 Mton core



arXiv:1908.09441

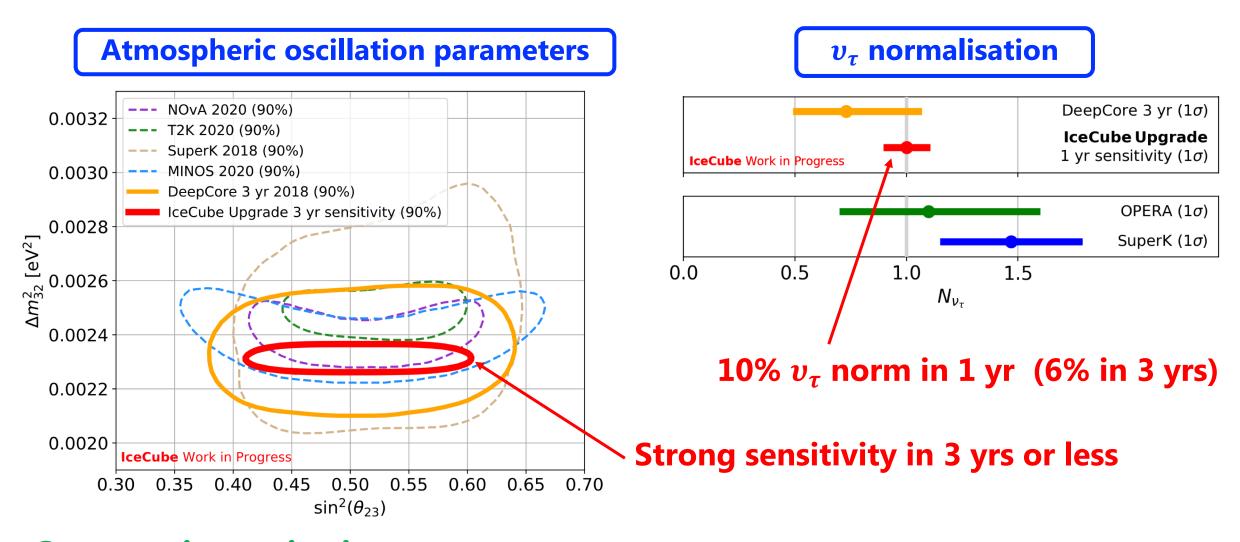
Major resolution improvement



3x improvement @ $v_{ au}$ appearance energies

arXiv:1908.09441

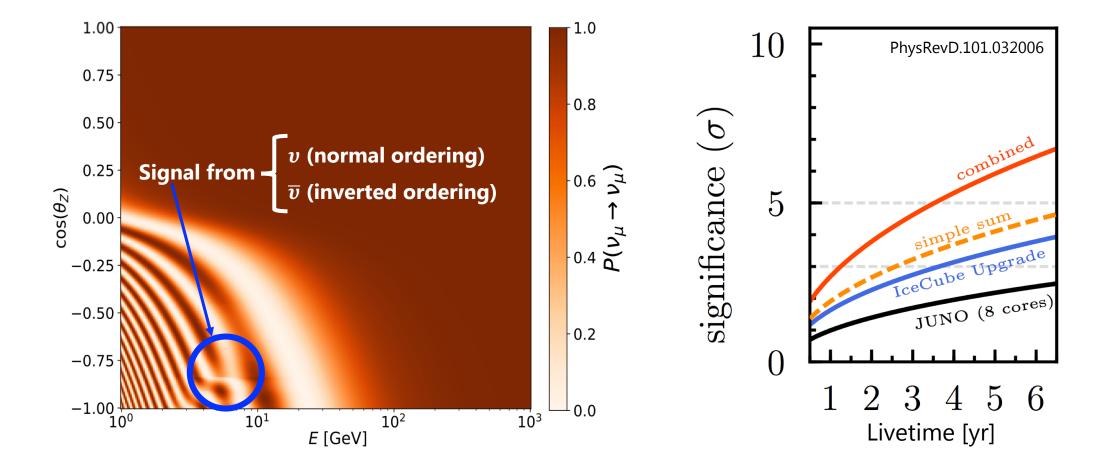
IceCube Upgrade oscillation sensitivity



Conservative projections Still to add: track reconstruction, new calibration, DeepCore fiducial volume

Neutrino mass ordering (NMO)

- Strong sensitivity to NMO via matter effects at ~6 GeV
 - Can also exploit synergy from joint fit with JUNO



Neutrino mass ordering (NMO)

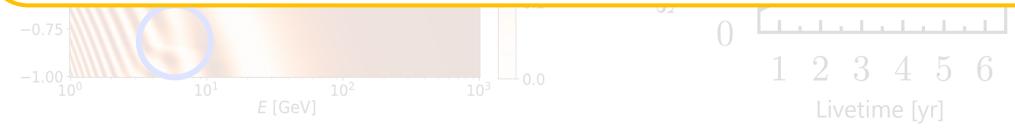
- Sensitivity to NMO via matter effects at ~6 GeV
- Powerful synergy from joint fit with JUNO

Takeaway

IceCube Upgrade will provide next-generation standard and BSM oscillation physics by mid-2020s

Major advances in world leading v_{τ} capabilities

New opportunities afforded by precision detector we are only beginning to explore (NMO, v/\bar{v} discrimination, τ -ID, PMNS element fit, HNL double-bangs, ...?)



Summary

IceCube Oscillation LoIs:

Low energy (std + BSM): <u>SNOWMASS21-NF1_NF0_Tom_Stuttard-058.pdf</u> High energy (BSM): SNOWMASS21-NF3 NF2 Ben Jones-046.pdf

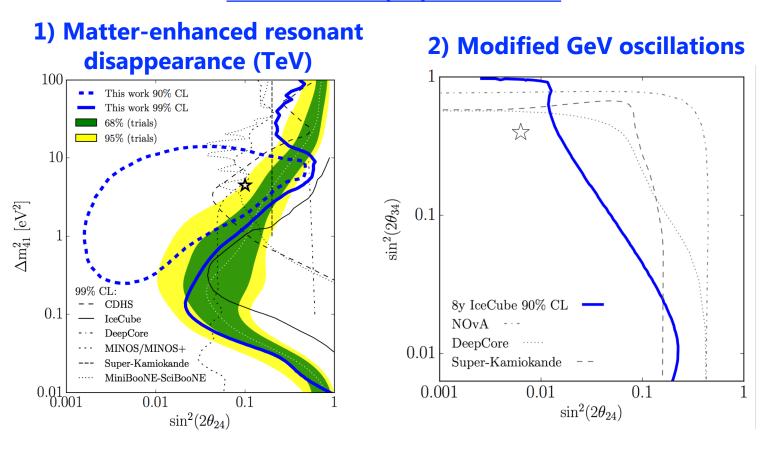
- Strong IceCube oscillation program
 - World-leading $v_{ au}$ and BSM capabilities
 - High statistics, energy, baselines, matter densities, ...
- New 8 year oscillation results due soon
 - Comparable to current long baseline precision in atmospheric parameter space
 - >2x improvement in v_{τ} appearance precision c.f. current world best
 - Many new BSM measurements
- Next-generation oscillation physics with the IceCube Upgrade in mid-2020s
 - Will be major contributor to the global search beyond the standard 3v paradigm
- Further ahead: IceCube-Gen2 high energy array extension

Backup slides

Sterile neutrinos

arXiv:2005.12942 arXiv:2005.12943 PhysRevD.95.112002

Sensitive to O(eV) steriles via:



Recent 8 year results (+ new DeepCore result coming soon)

Non-Standard Interactions (NSI)

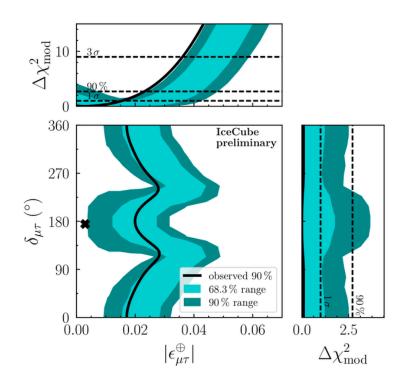
$$H_{\text{mat}}(x) = V_{\text{CC}}(x) \begin{pmatrix} 1 + \epsilon_{ee}^{\oplus} - \epsilon_{\mu\mu}^{\oplus} & \epsilon_{e\mu}^{\oplus} & \epsilon_{e\tau}^{\oplus} \\ \epsilon_{e\mu}^{\oplus *} & 0 & \epsilon_{\mu\tau}^{\oplus} \\ \epsilon_{e\tau}^{\oplus *} & \epsilon_{\mu\tau}^{\oplus *} & \epsilon_{\tau\tau}^{\oplus} - \epsilon_{\mu\mu}^{\oplus} \end{pmatrix}$$

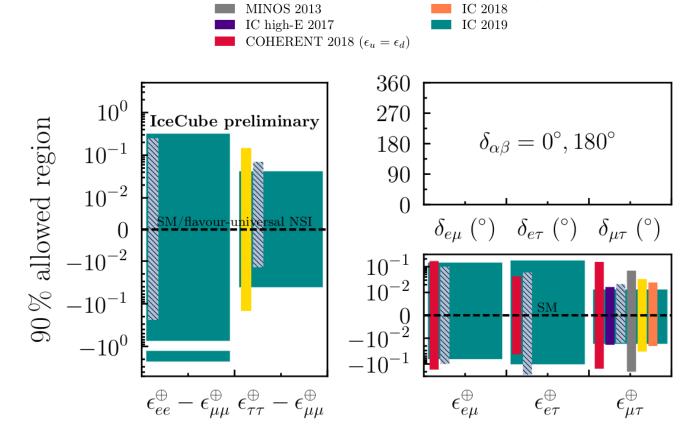
global 2018 (w/ correl.)

Sensitive to NSI matter effects for core-crossing neutrinos

Measurements in many channels

 $(v_e + v_\mu \text{ flux, all-flavour detection})$





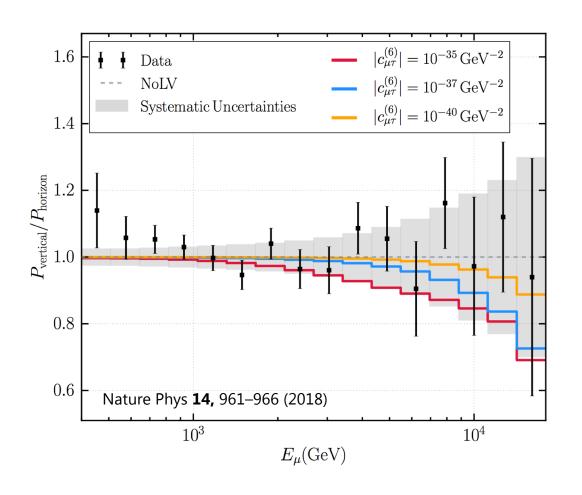
Super-K 2011 (2d)

3 yr result paper shortly, 8 yr results on the way

Lorentz invariance violation

Limits on higher order terms in Hamiltonian Standard Model Extension (SME)

$$H \sim \frac{m^2}{2E} + \mathring{a}^{(3)} - E \cdot \mathring{c}^{(4)} + E^2 \cdot \mathring{a}^{(5)} - E^3 \cdot \mathring{c}^{(6)} \cdots$$



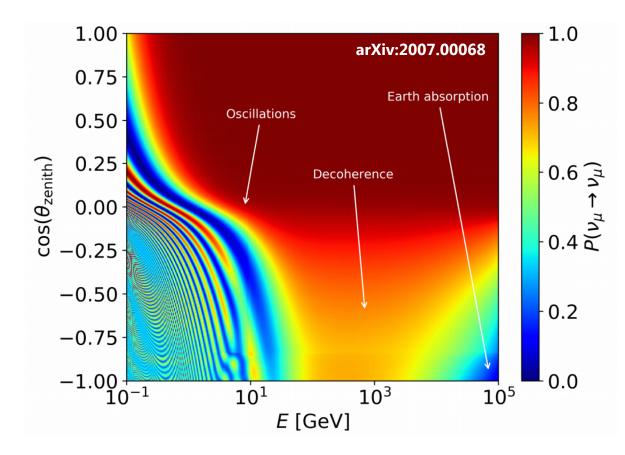
2 yr limits published, 8 yr analysis underway

Neutrino decoherence

Damping of oscillations over long baselines

Quantum gravity probe

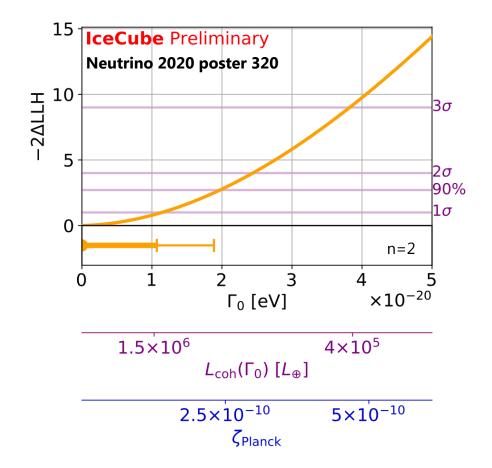
Sensitive to Planck-scale physics at high energy



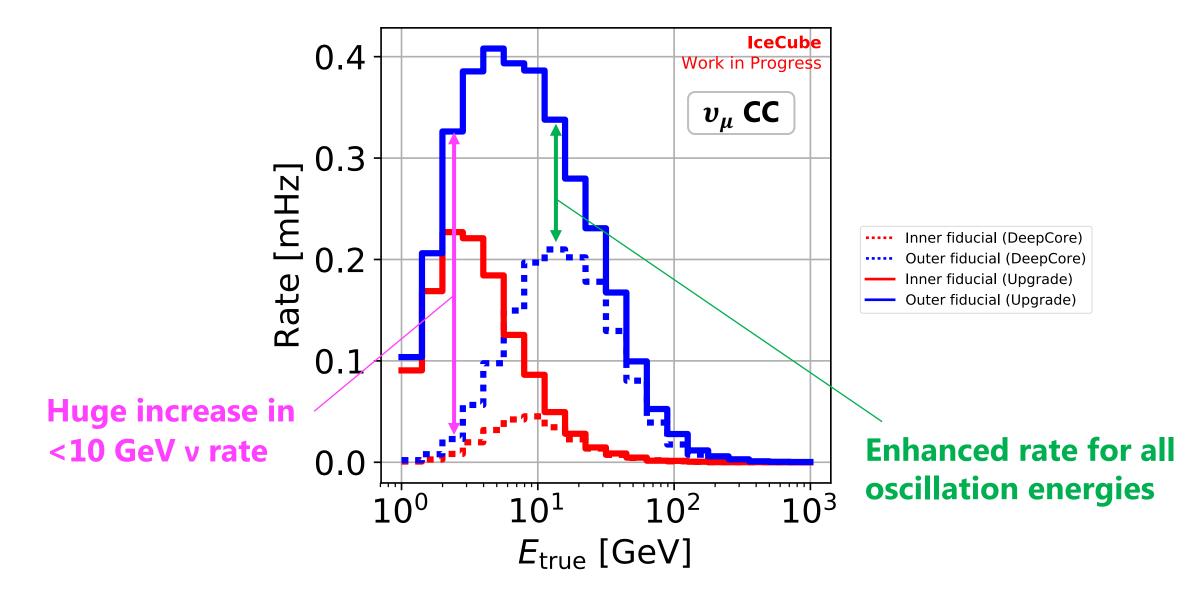
$$\dot{
ho} = -i[H,
ho] - \mathcal{D}[
ho] \qquad \Gamma(E) = \Gamma(E_0) \left(rac{E}{E_0}
ight)^{r}$$

8 yr results underway

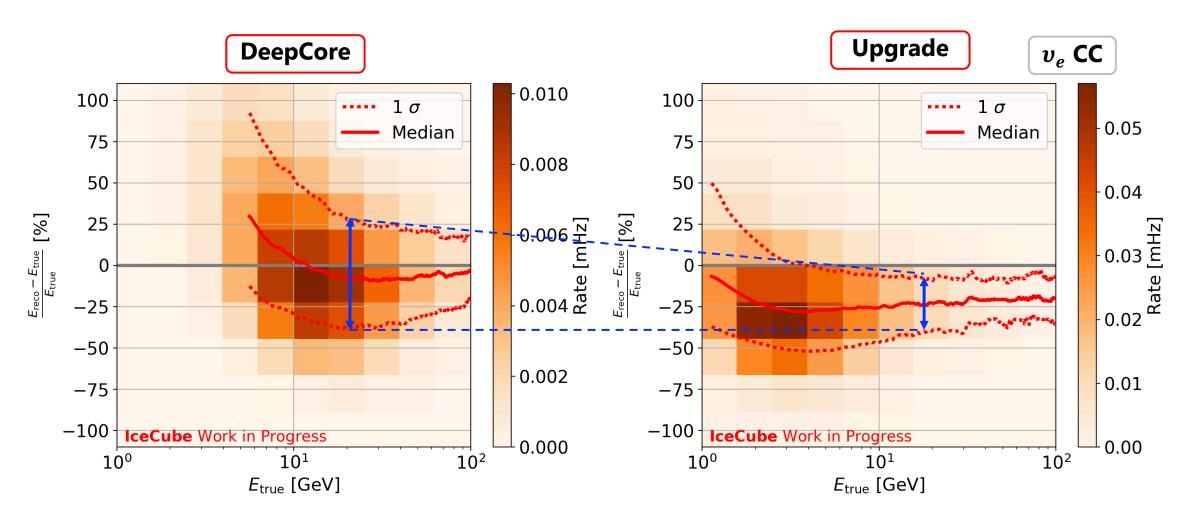
IceCube is ideal detector - order of magnitude improvement over current limits expected



Upgrade detection efficiency



Upgrade energy resolution



2x improvement @ $v_{ au}$ appearance energies

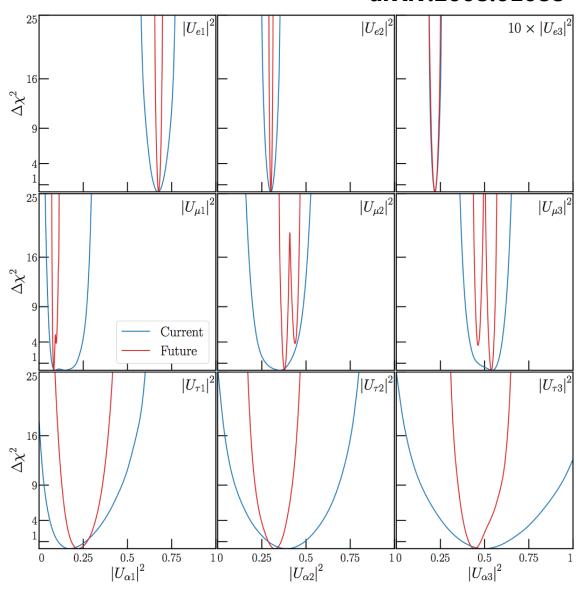
PMNS elements measured

Parke, Ross-Lonergan, arXiv:1508.05095

Experiment	Measured quantity with unitarity	Without unitarity	Normalisation
Reactor SBL $(\overline{\nu}_e \to \overline{\nu}_e)$	$4 U_{e3} ^2 (1 - U_{e3} ^2) = \sin^2 2\theta_{13}$	$4 U_{e3} ^2 \left(U_{e1} ^2 + U_{e2} ^2 \right)$	$(U_{e1} ^2 + U_{e2} ^2 + U_{e3} ^2)^2$
Reactor LBL $(\overline{\nu}_e \to \overline{\nu}_e)$	$4 U_{e1} ^2 U_{e2} ^2 = \sin^2 2\theta_{12}\cos^4 \theta_{13}$	$4 U_{e1} ^2 U_{e2} ^2$	$(U_{e1} ^2 + U_{e2} ^2 + U_{e3} ^2)^2$
SNO (ϕ_{CC}/ϕ_{NC}) Ratio)	$ U_{e2} ^2 = \cos^2 \theta_{13} \sin^2 \theta_{12}$	$ U_{e2} ^2$	$ U_{e2} ^2 + U_{\mu 2} ^2 + U_{\tau 2} ^2$
${ m SK/T2K/MINOS} \ (u_{\mu} ightarrow u_{\mu})$	$ 4 U_{\mu 3} ^2 (1 - U_{\mu 3} ^2) = 4\cos^2 \theta_{13}\sin^2 \theta_{23} (1 - \cos^2 \theta_{13}\sin^2 \theta_{23}) $	$4 U_{\mu 3} ^2 \left(U_{\mu 1} ^2 + U_{\mu 2} ^2\right)$	$(U_{\mu 1} ^2 + U_{\mu 2} ^2 + U_{\mu 3} ^2)^2$
$\begin{array}{c} {\rm T2K/MINOS} \\ (\nu_{\mu} \rightarrow \nu_{e}) \end{array}$	$4 U_{e3} ^2 U_{\mu 3} ^2 = \sin^2 2\theta_{13}\sin^2 \theta_{23}$	$-4\operatorname{Re}\{U_{e3}^*U_{\mu 3}\left(U_{e1}^*U_{\mu 1}+U_{e2}^*U_{\mu 2}\right)\}$	$ U_{e1}U_{\mu 1}^* + U_{e2}U_{\mu 2}^* + U_{e3}U_{\mu 3}^* ^2 $
$\mathrm{SK/OPERA} \ (u_{\mu} ightarrow u_{ au})$	$4 U_{\mu 3} ^2 U_{\tau 3} ^2 = \sin^2 2\theta_{23}\cos^4 \theta_{13}$	$-4\operatorname{Re}\{U_{\tau 3}^* U_{\mu 3} \left(U_{\tau 1}^* U_{\mu 1} + U_{\tau 2}^* U_{\mu 2}\right)\}$	$ U_{\mu 1}U_{\tau 1}^* + U_{\mu 2}U_{\tau 2}^* + U_{\mu 3}U_{\tau 3}^* ^2$

PMNS element constraints

arXiv:2008.01088



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Systematic uncertainties

