

Rb measurement at CEPC MC Level

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Introduction

- R_b : the relative decay width of Z into b quarks

$$\frac{\Gamma(Z \rightarrow b\bar{b})}{\Gamma(Z \rightarrow \text{had})}$$

- $\sim 1.5 \times 10^{12}$ Z boson with 45ab^{-1} at CEPC
- Double tagging method :
 - The ratio of one jet tagged as b jet
 - The ratio of both jets tagged as b jets

Get From
Mixed MC
Sample

$$\frac{N_t}{2N_{had}} = R_b \varepsilon_b + R_c \varepsilon_c + (1 - R_b - R_c) \varepsilon_{uds}$$

$$\frac{N_{tt}}{N_{had}} = C_b R_b \varepsilon_b^2 + C_c R_c \varepsilon_c^2 + C_{uds} (1 - R_b - R_c) \varepsilon_{uds}^2$$

$R_c, \varepsilon_c, \varepsilon_{uds}$
 C_b, C_c, C_{uds}
Get from MC

$$C_b = \frac{\varepsilon_{2jet-tagged}}{(\varepsilon_{1jet-tagged})^2}$$

Get From Mixed MC Sample

$$\frac{N_t}{2N_{had}} = R_b \epsilon_b + R_c \epsilon_c + (1 - R_b - R_c) \epsilon_{uds}$$

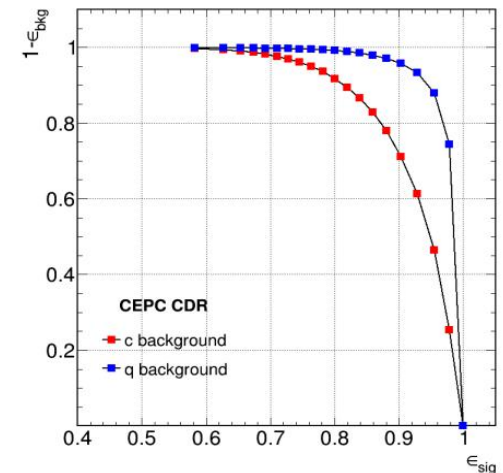
$$\frac{N_{tt}}{N_{had}} = C_b R_b \epsilon_b^2 + C_c R_c \epsilon_c^2 + C_{uds} (1 - R_b - R_c) \epsilon_{uds}^2$$

$R_c, \epsilon_c, \epsilon_{uds}$
 C_b, C_c, C_{uds}
 Get from MC

$$C_b = \frac{\epsilon_{2jet-tagged}}{(\epsilon_{1jet-tagged})^2}$$

- LEP measurement 0.21594 ± 0.00066
 Syst error : $\sim 0.2\%$
 Major systematics: hemisphere tag correlations, charm modeling, gluon splitting

- CEPC
 - Expected Syst error (0.02%)
 - hemisphere tag correlations depends on b tagging efficiency
 - with a high b-tagging efficiency above 80% and rejection of charm and light jet above 90%



Rb method

Double Tagging Method

Get From Mixed MC Sample

$$\frac{N_t}{2N_{had}}$$

$$= R_b \epsilon_b + R_c \epsilon_c + (1 - R_b - R_c) \epsilon_{uds}$$

$$\frac{N_{tt}}{N_{had}}$$

$$= C_b R_b \epsilon_b^2 + C_c R_c \epsilon_c^2 + C_{uds} (1 - R_b - R_c) \epsilon_{uds}^2$$

$R_c, \epsilon_c, \epsilon_{uds}$
 C_b, C_c, C_{uds}
 Get from MC

$$C_b = \frac{\epsilon_{2jet-tagged}}{(\epsilon_{1jet-tagged})^2}$$



$$\frac{N_t^I}{N_{had}} = \epsilon_b^I R_b + \epsilon_c^I R_c + \epsilon_{uds}^I R_{uds}$$

The ratio of jet tagged as b jet in Hemisphere **I**

$$\frac{N_t^J}{N_{had}} = \epsilon_b^J R_b + \epsilon_c^J R_c + \epsilon_{uds}^J R_{uds}$$

The ratio of jet tagged as b jet in Hemisphere **J**

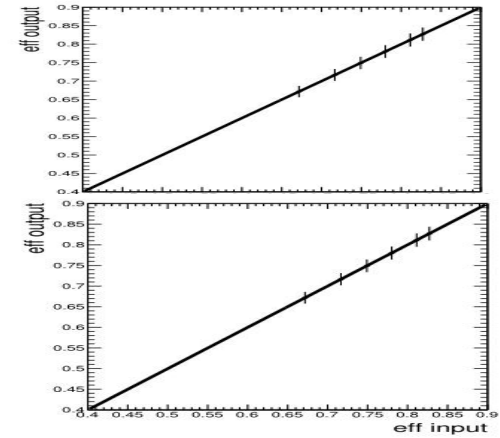
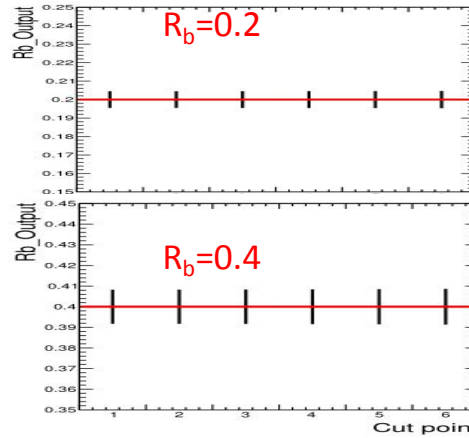
$$\frac{N_{tt}^{I,J}}{N_{had}} = \epsilon_b^I \epsilon_b^J C_b R_b + \epsilon_c^I \epsilon_c^J C_c R_c + \epsilon_{uds}^I \epsilon_{uds}^J C_{uds} R_{uds}$$

Rb method

preliminary study

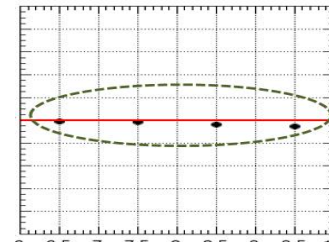
Closure test:

- Following this procedure, we can measure the R_b , ϵ_b
- The Z hadronic pseudo'DATA' is mixed by MC samples: Zbb **sample**, Zcc **sample**, Zll **sample**
- We set $R_b=0.2$, $R_b=0.4$, $R_b=0.6$ as the input R_b to mix the 'DATA'



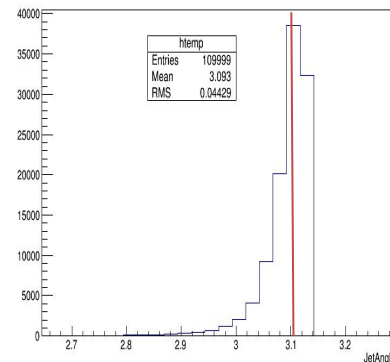
Effect from MC Eff

- input theory $R_b=0.2158$:
- I/O test with $\epsilon_c \pm 10\%$, $\epsilon_{uds} \pm 10\%$, $C_b \pm 10\%$

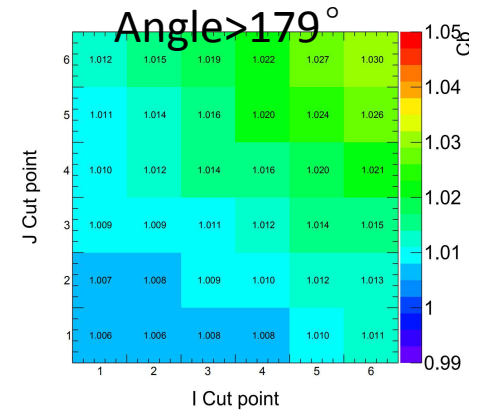
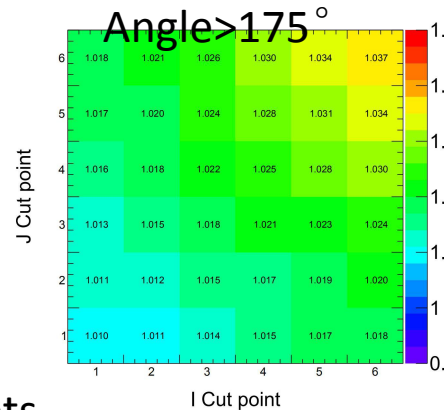


B-tagging correlation:

- such as: two jets are back to back



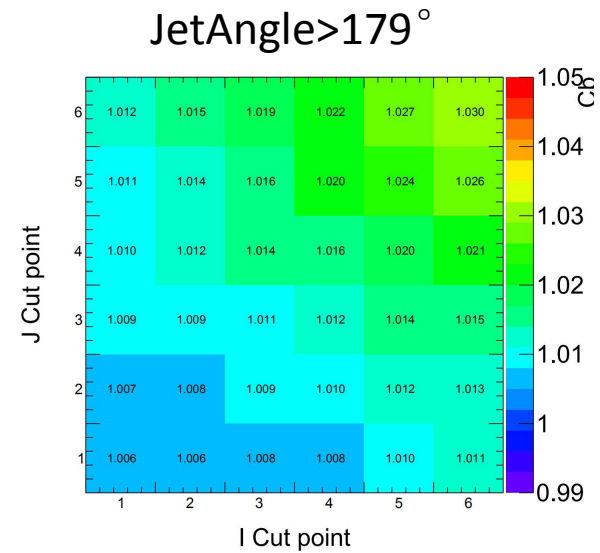
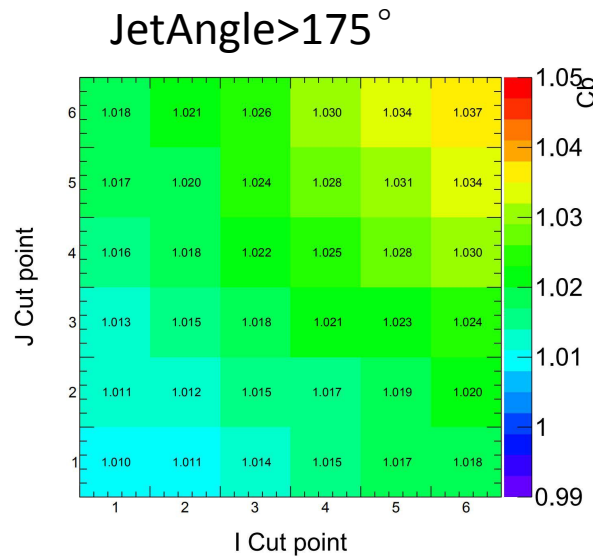
Angle between two jets



- Both the B-tagging efficiency for $Z \rightarrow bb$ and rejection for $Z \rightarrow cc$, $Z \rightarrow uds$ are good for method
- The double tagging method procedure works well as shown in I/O test
- Next step :
 - Two independent B-tagging method to reduce the correlation
 - Study on the systematic errors such as the gluon splitting, charm physics modeling

B-tagging correlation

Jet back to back cut



<i>Cutpoint</i>	1	2	3	4	5	6
<i>Prob</i>	> 0.45	> 0.5	> 0.6	> 0.7	> 0.8	> 0.9

Follow the procedure in : *Measurement of R_b and $Br(b \rightarrow \ell\nu X)$ at LEP Using Double-Tag Methods (L3 Collaboration)*

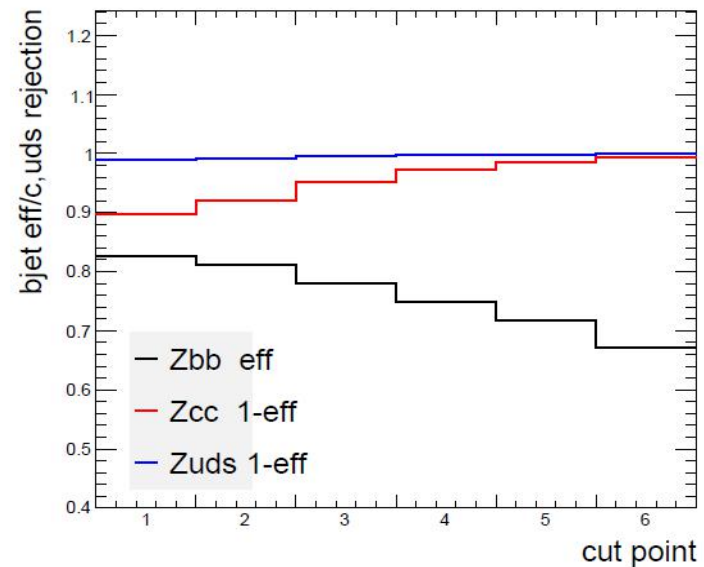
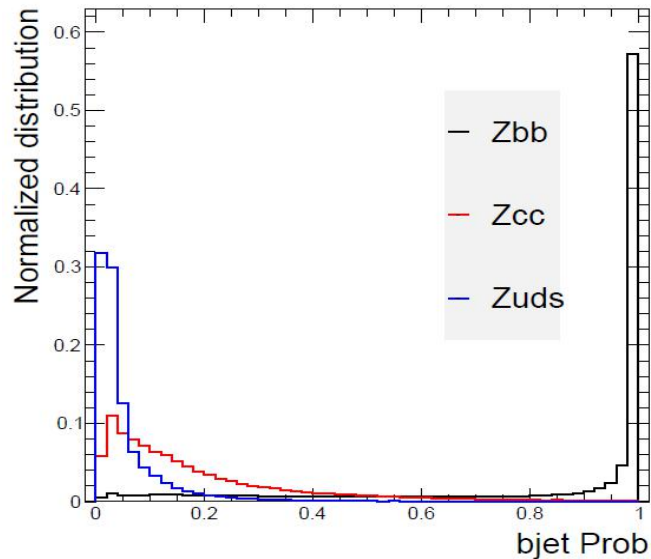
In section 4.3.3 Systematics from Hemisphere Correlation

1. The normalised distribution of λ for all hemispheres, $N(\lambda)$.
2. The single-hemisphere tagging efficiency as a function of λ , $\epsilon(\lambda)$.
3. The normalised distribution of λ in a co-tagged hemisphere, $C(\lambda)$. A co-tagged hemisphere is the one opposite to a tagged hemisphere, regardless of whether it is itself tagged.

$$C_b^\lambda = \frac{\int \epsilon(\lambda) C(\lambda) d\lambda}{\int \epsilon(\lambda) N(\lambda) d\lambda}.$$

B-tagging method

- Based on the LCFIPlus: combines more than 60 variables to calculate the b jet probability by BDT method



<i>Cutpoint</i>	1	2	3	4	5	6
<i>Prob</i>	> 0.45	> 0.5	> 0.6	> 0.7	> 0.8	> 0.9