New possibilities to study collectivity in small systems opened with the future high-energy pp programme at the LHC

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EF07: High Density QCD in Small Collision System 28th October 2020

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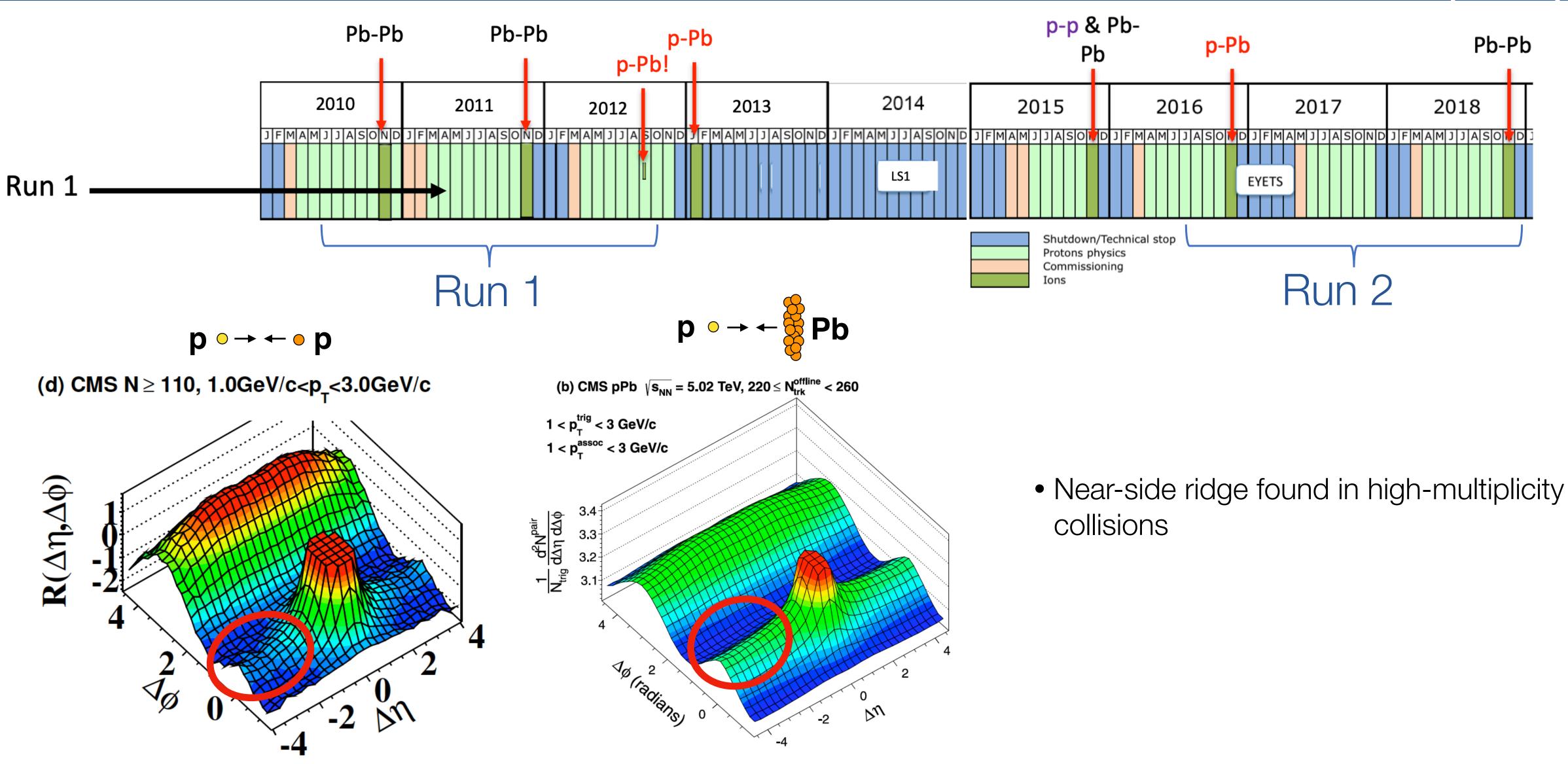


EVROPSKÁ UNIE Evropské strukturální a investiční fondy Operační program Výzkum, vývoj a vzdělávání





Fruitful results during Run 1 and Run 2



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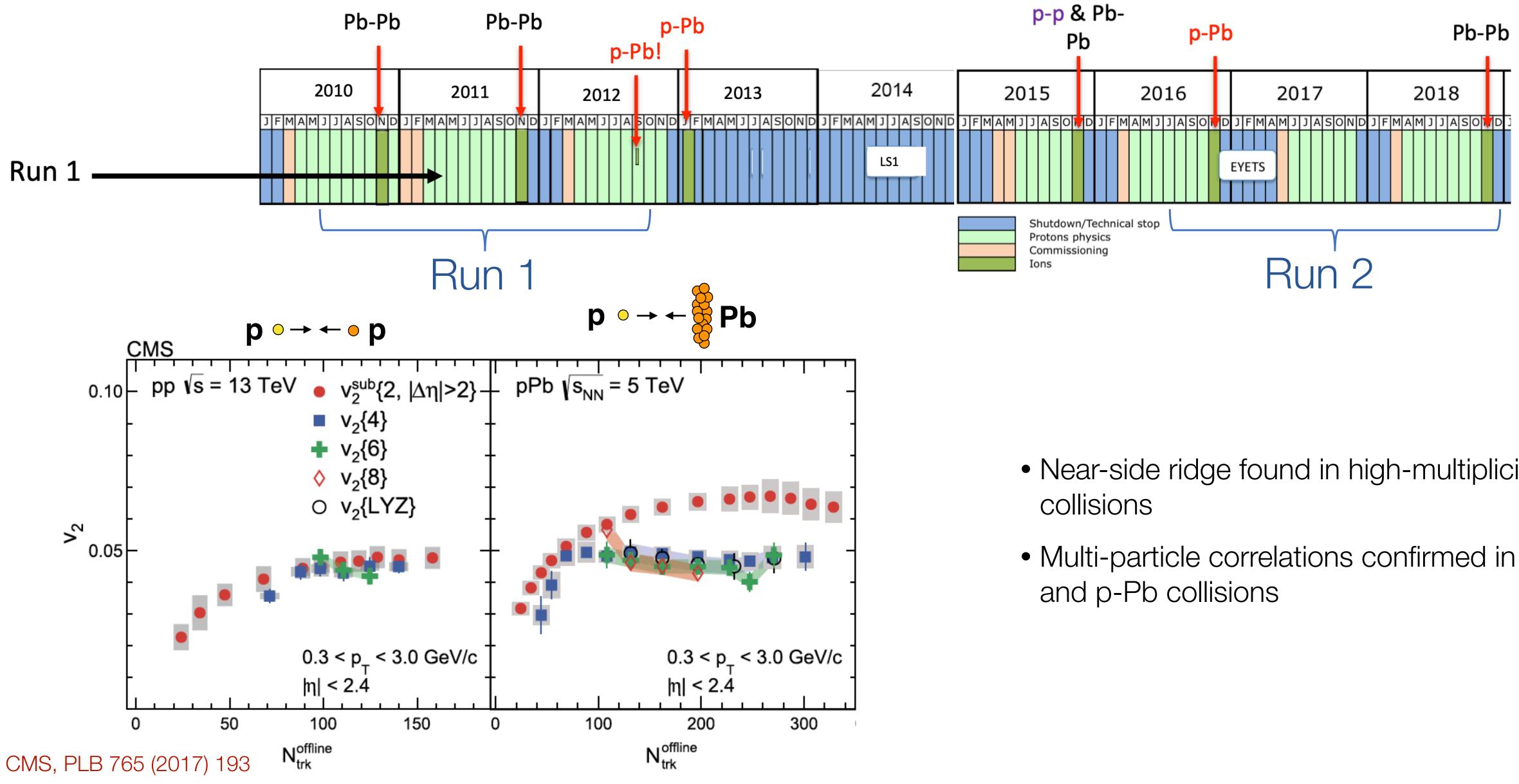
CMS, JHEP 09 (2010) 091



CMS, PLB 724 (2013) 213



Fruitful results during Run 1 and Run 2



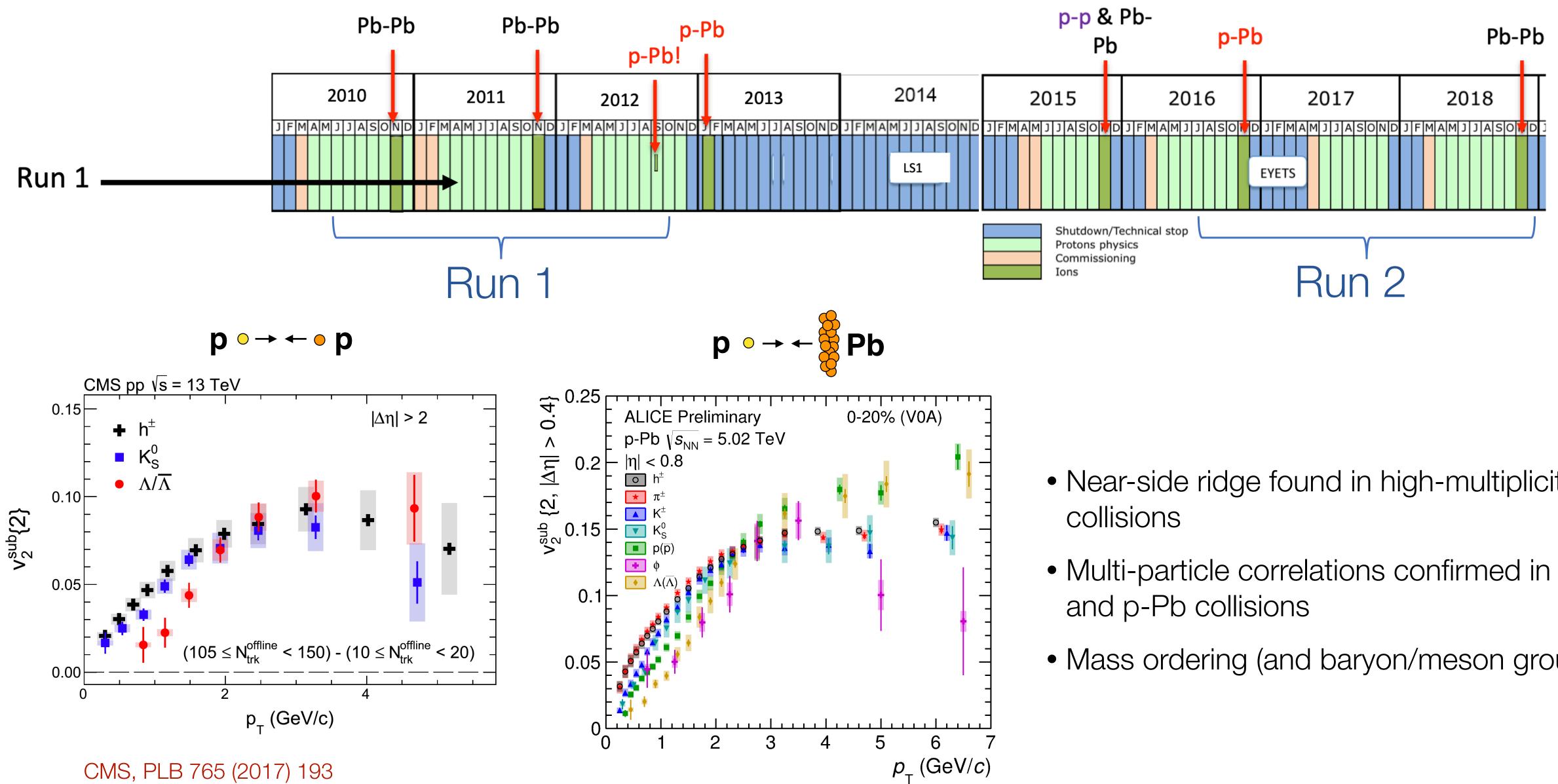


- Near-side ridge found in high-multiplicity
- Multi-particle correlations confirmed in pp





Fruitful results during Run 1 and Run 2

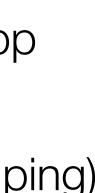


ALI-PREL-156487



- Near-side ridge found in high-multiplicity
- Multi-particle correlations confirmed in pp
- Mass ordering (and baryon/meson grouping)







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Initial state effects

Initial momentum correlations Not correlated with initial geometry CGC

Final state effects

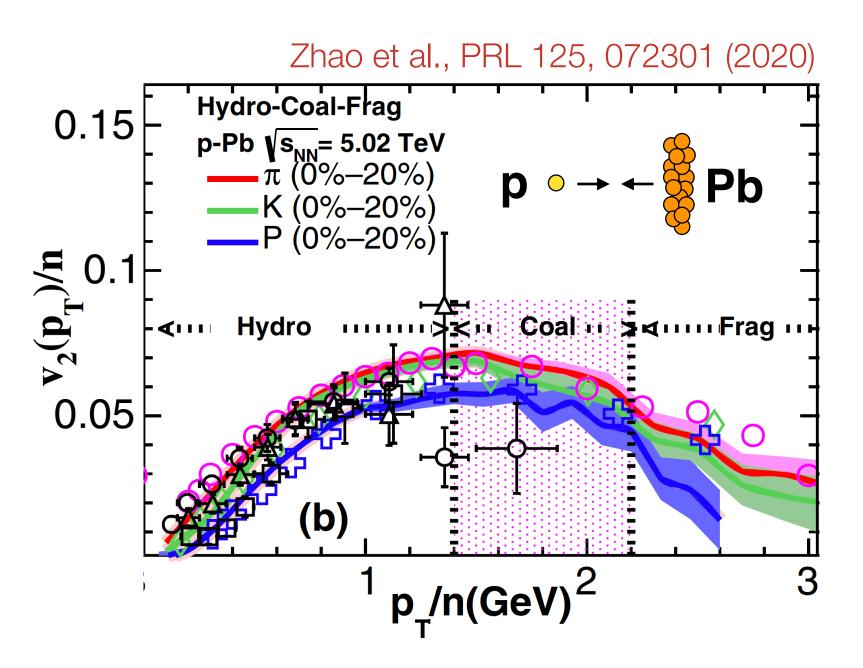
Interactions in the final state Correlated with initial geometry Hydrodynamics Transport theory

Pb-Pb









• Final state models provide good description of p-Pb collisions

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Initial state effects

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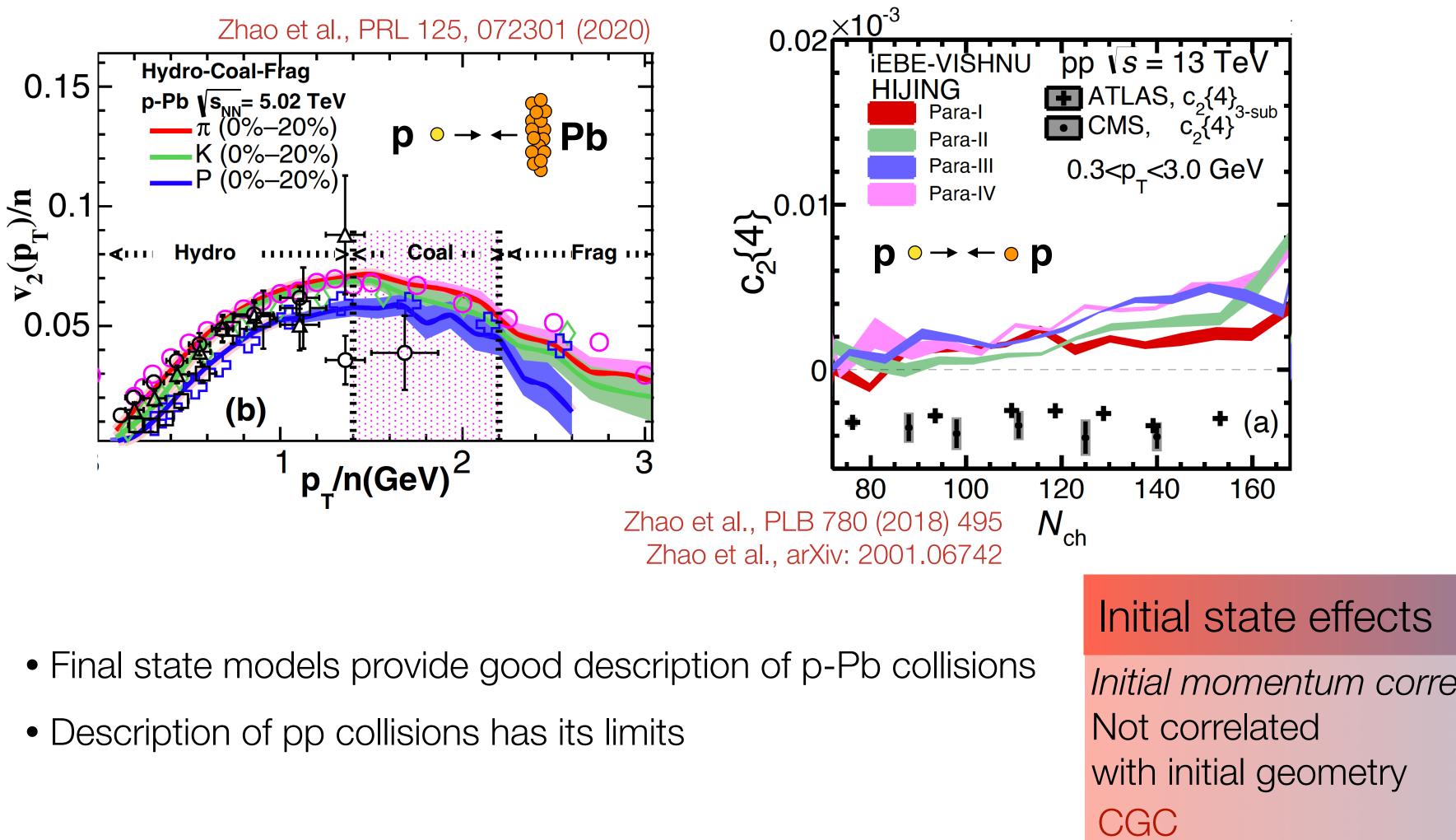
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Pb-Pb p-Pb







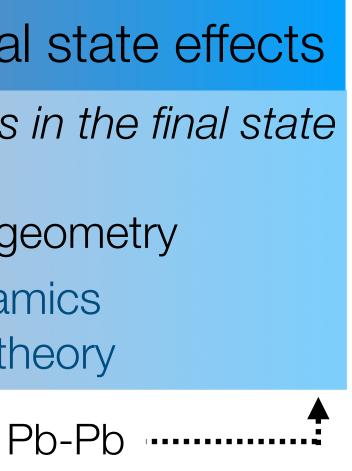




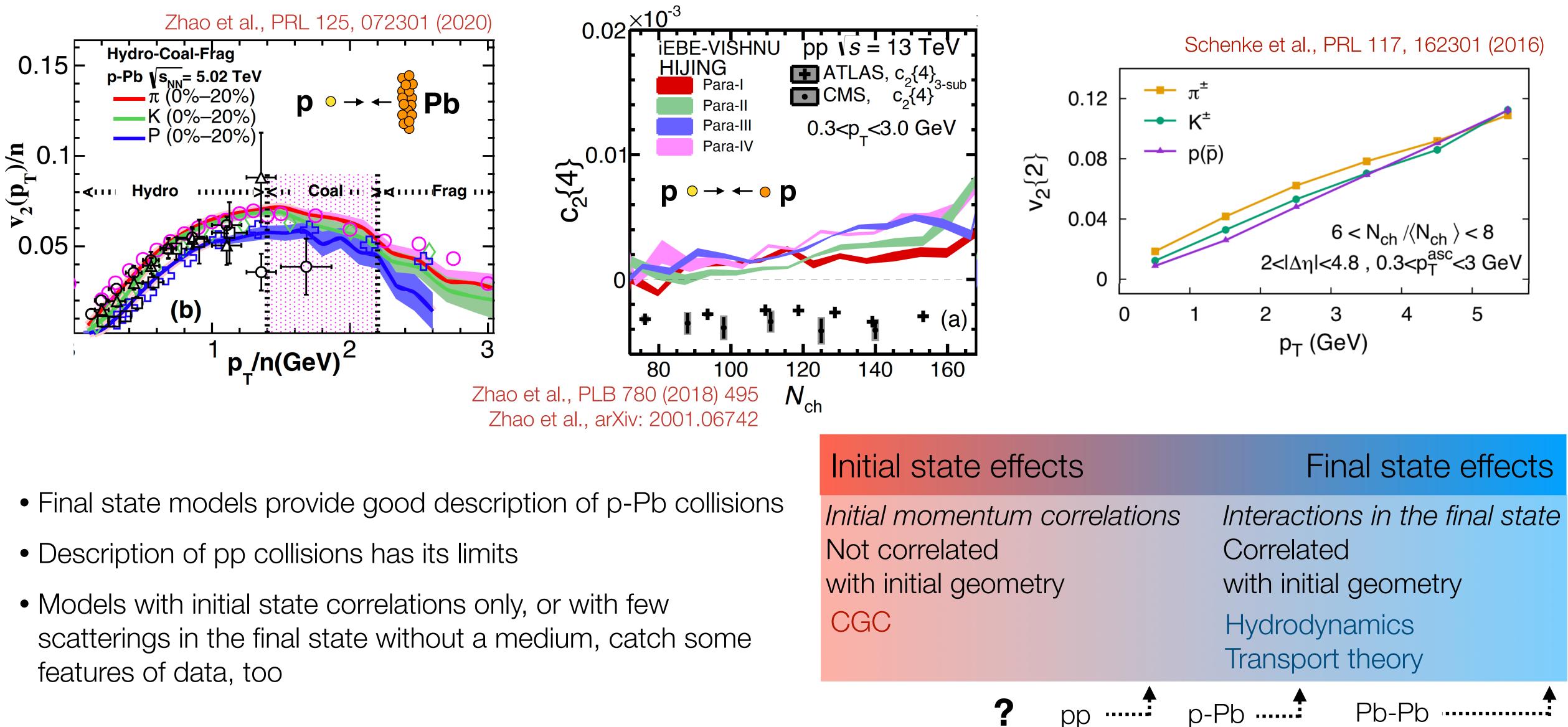
Final state effects

Interactions in the final state Initial momentum correlations Correlated with initial geometry Hydrodynamics Transport theory рр p-Pb





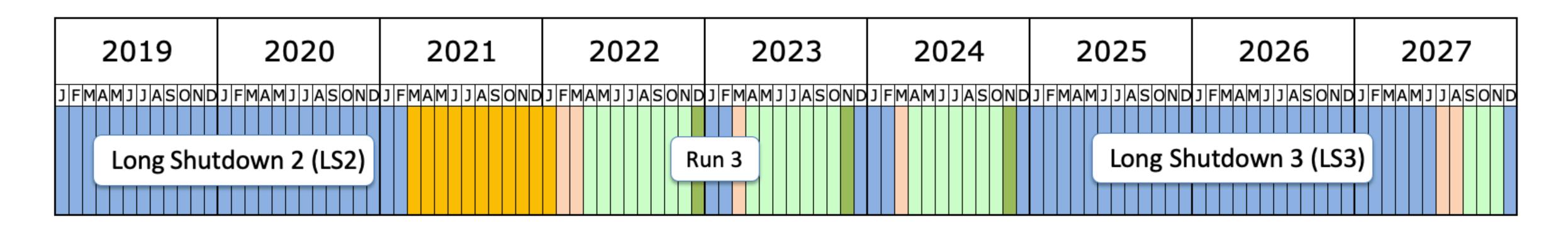




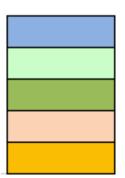




LHC in Run 3 (and beyond)



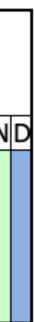
2028	2029	2030	2031	2032	2033	2034	2035	2036
J F M A M J J A S O N D	J F M A M J J A S O N D Run 4	J F M A M J J A S O N D	J F M A M J J A S O N D	J F M A M J J A S O N D	J F M A M J J A S O N C Run 5	J F M A M J J A S O N D	J F M A M J J A S O N D	J F M A M J J A S O N



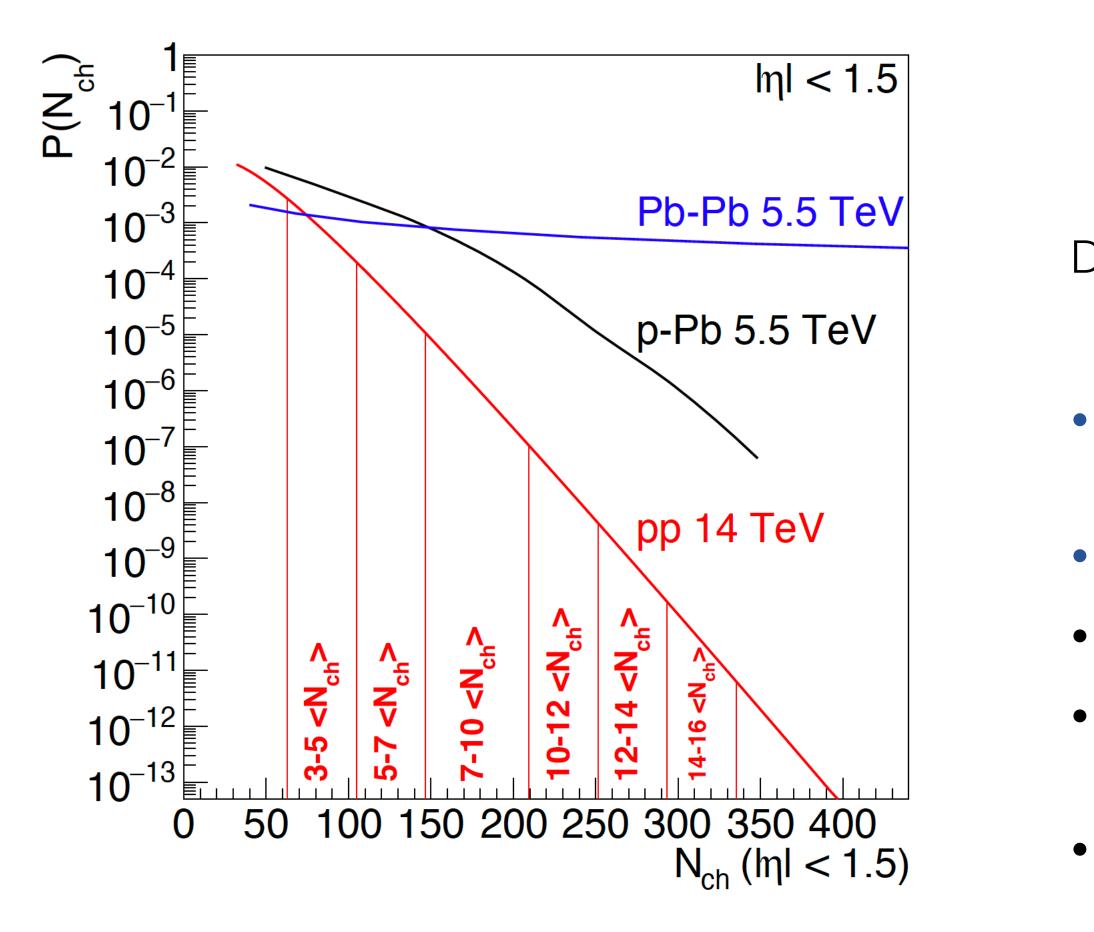
Shutdown/Technical stop Protons physics Ions Commissioning with beam Hardware commissioning/magnet training







LHC in Run 3 (and beyond)



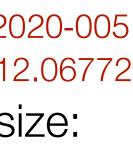
- Very high multiplicities in pp and p-Pb collisions
 - Similar to ~65% central Pb-Pb collisions
- Possibility to run p-O and O-O collisions



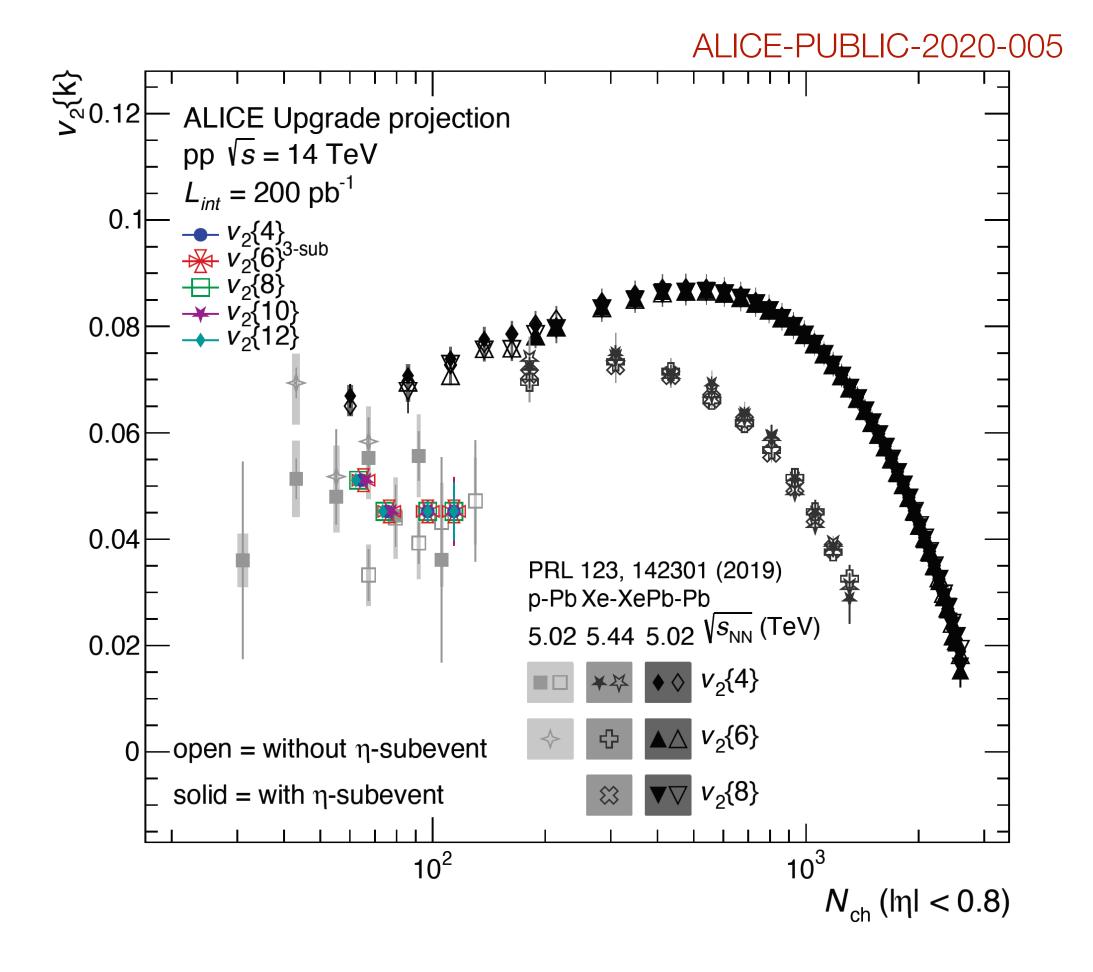
ALICE-PUBLIC-2020-005 WG5 HL-LHC report: arXiv:1812.06772 Developing a unified picture of QCD collectivity across system size:

- Flow measurements in pp and pA systems: Onset and higherorder correlations
- Flow of heavy flavor and quarkonium in smaller systems
- Strangeness production as a function of system size
- Searching for onset/existence of energy-loss effects in small systems
- Searching for the onset/existence of thermal radiation in small systems









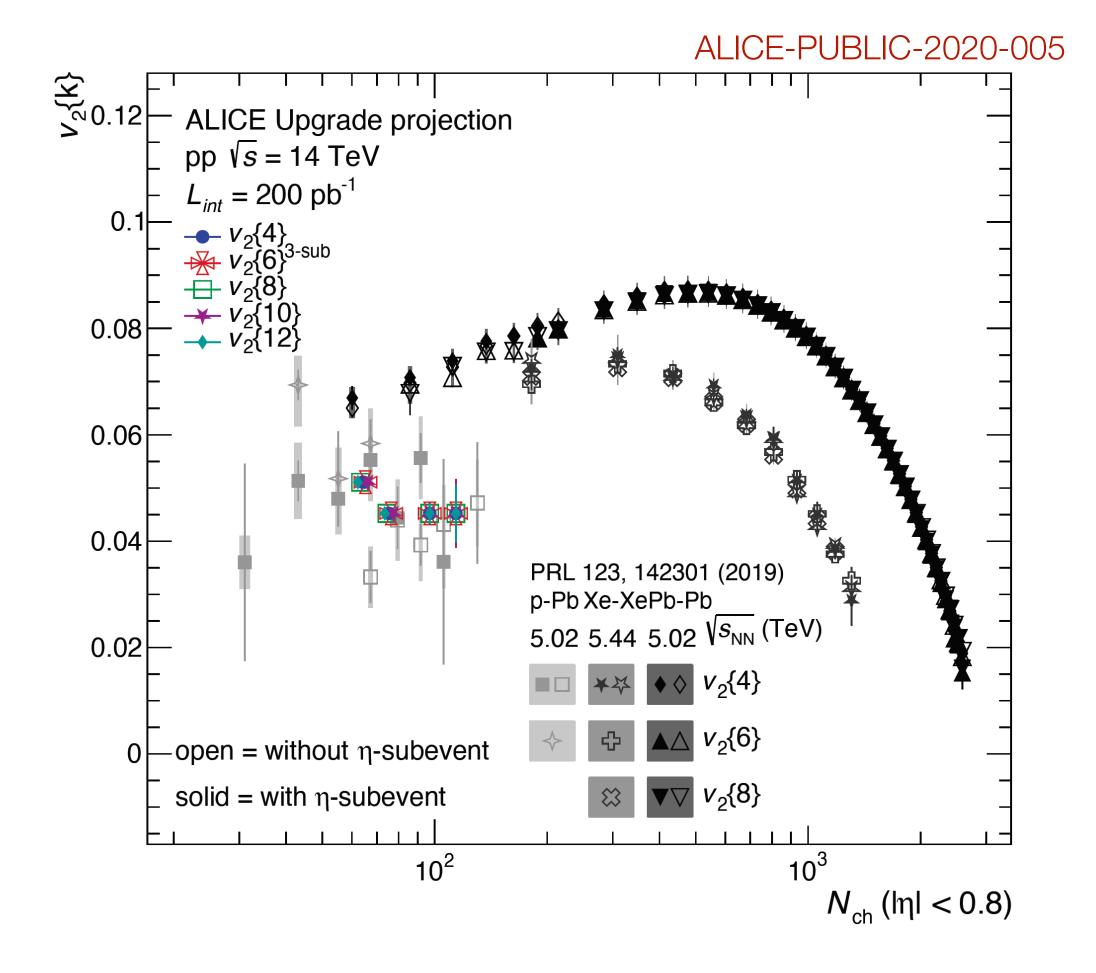


• (Very) high order cumulants Moravcova, Gulbrandsen, Zhou, arXiv:2005.07974

• Suppression of non-flow without the need for the subevent method -> free from longitudinal decorrelations



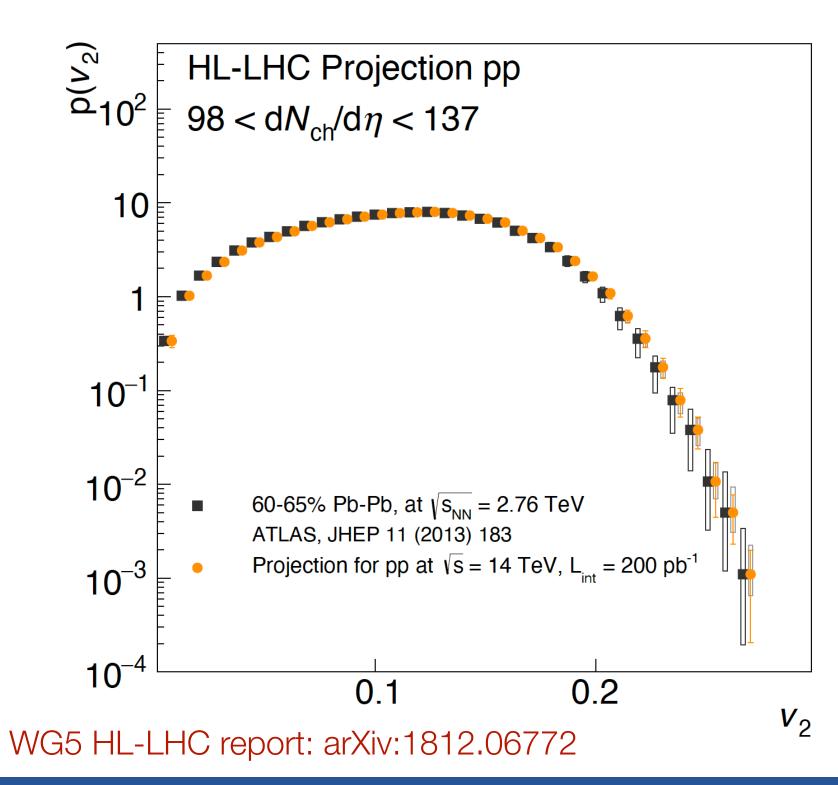






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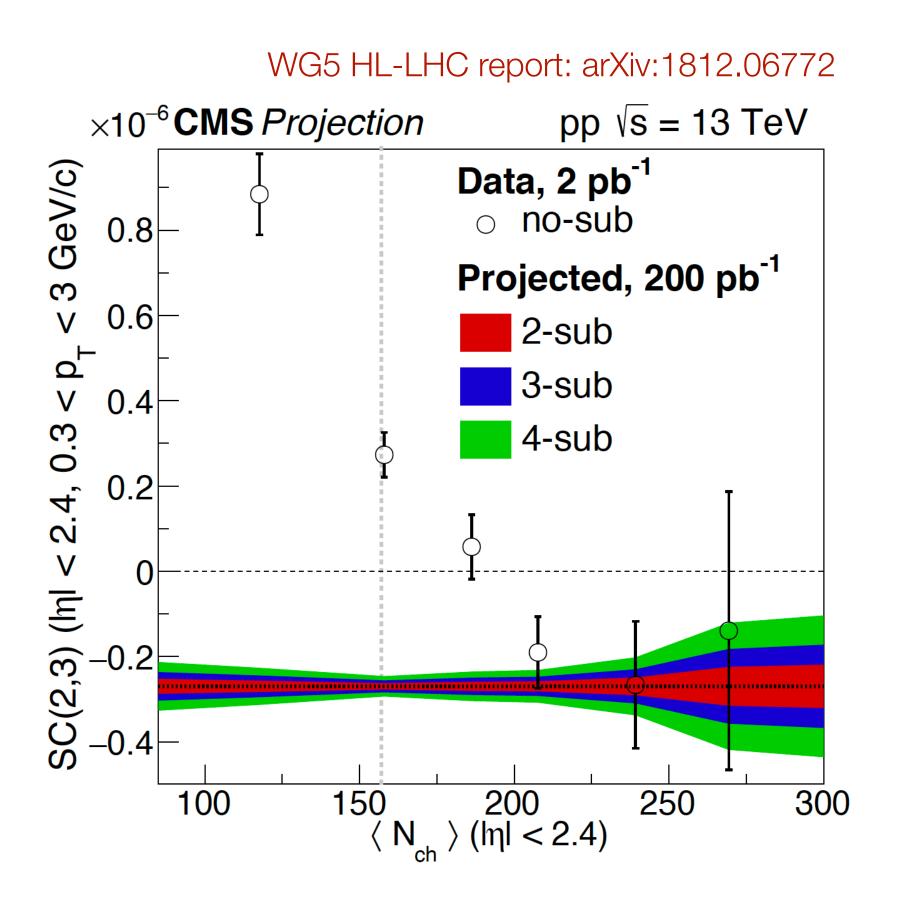
- Suppression of non-flow without the need for the subevent method -> free from longitudinal decorrelations
- Extraction of $P(v_n) \rightarrow not$ measured in small systems yet
 - Constrain $P(\varepsilon_n)$ of the initial state (poorly understood in small systems)







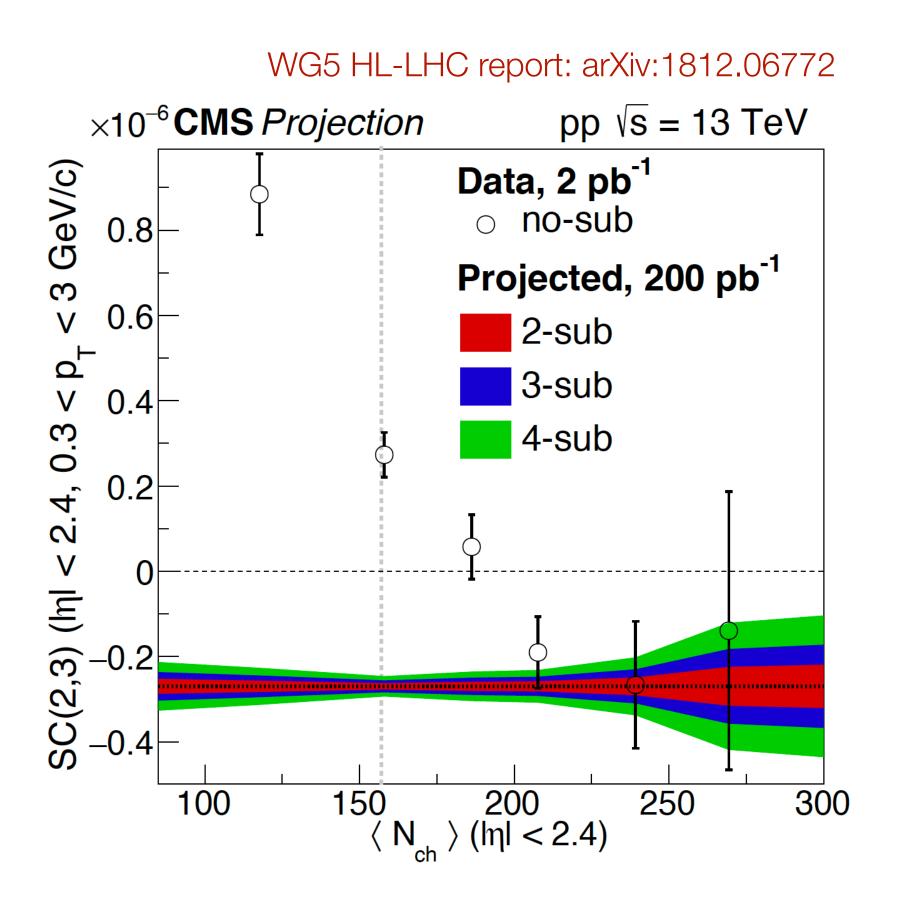




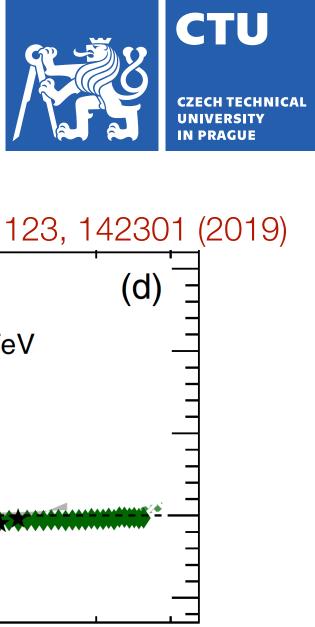
- Precise measurements of SC(m,n)sub and normalised SC(m,n)_{sub}
 - Access to initial conditions and/or dynamics of the medium

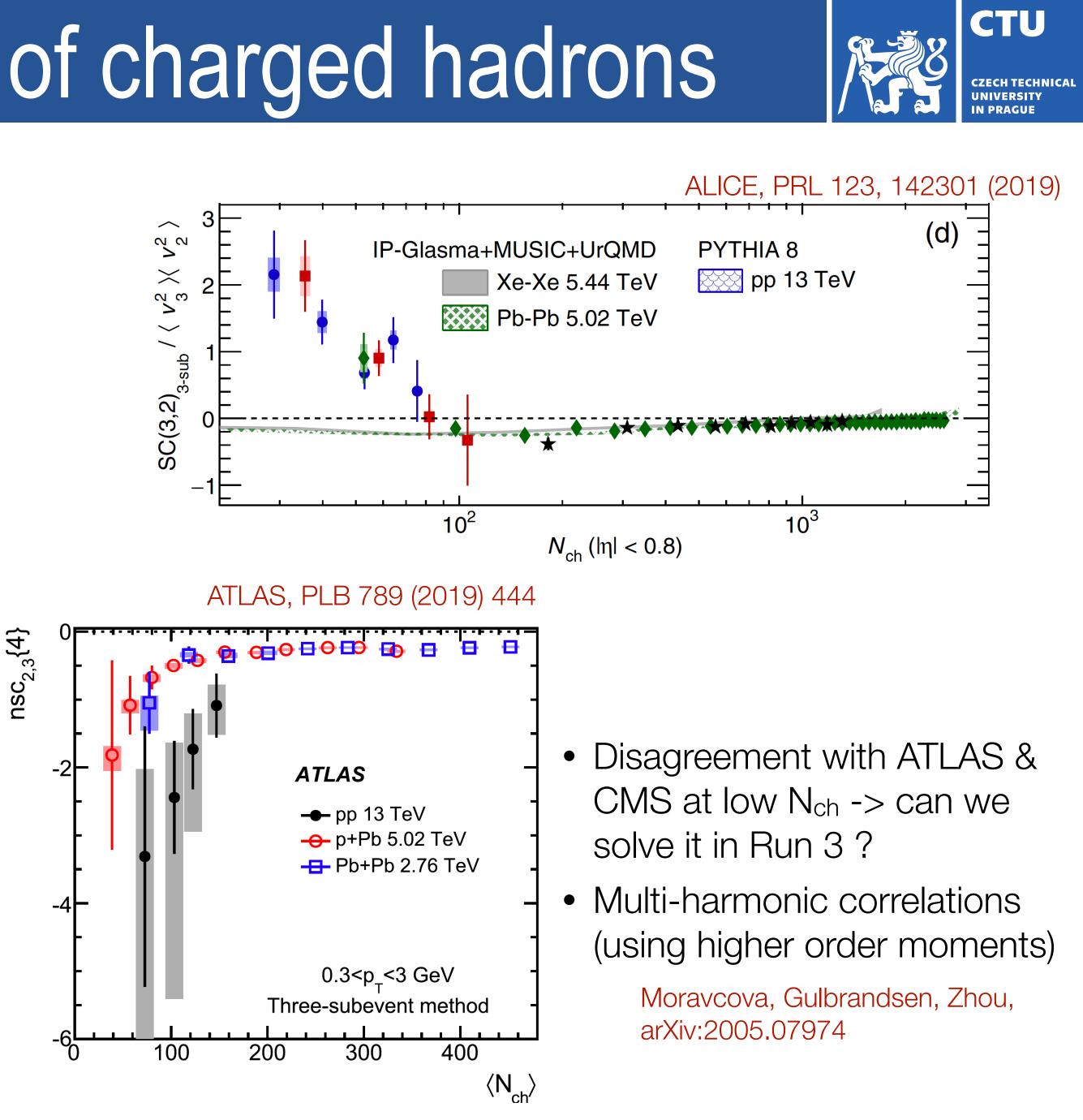




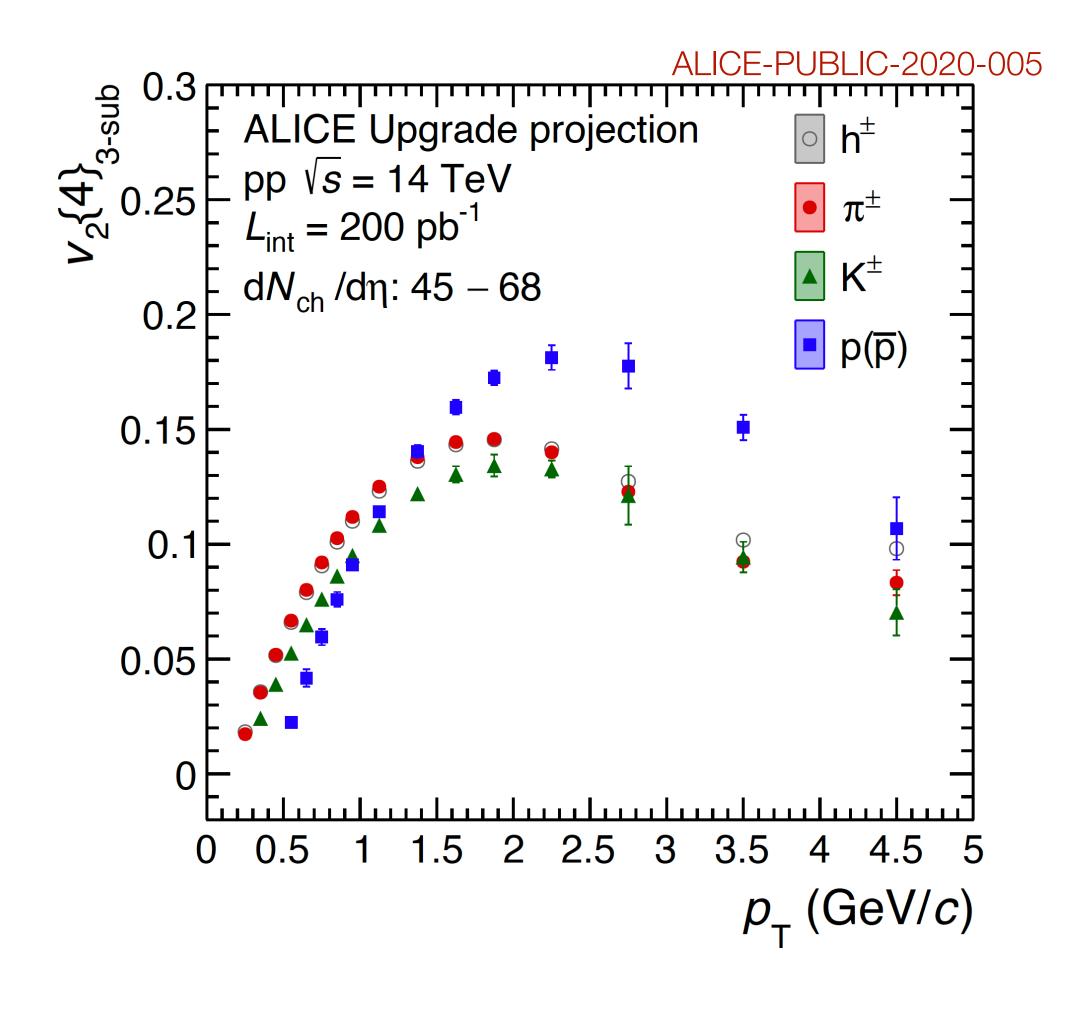


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Flow of identified hadrons





- Flow of π , K and p not measured in pp collisions yet
 - Confirm the mass ordering with more particle species
 - Confirm whether there is baryon/meson grouping at intermediate p_T

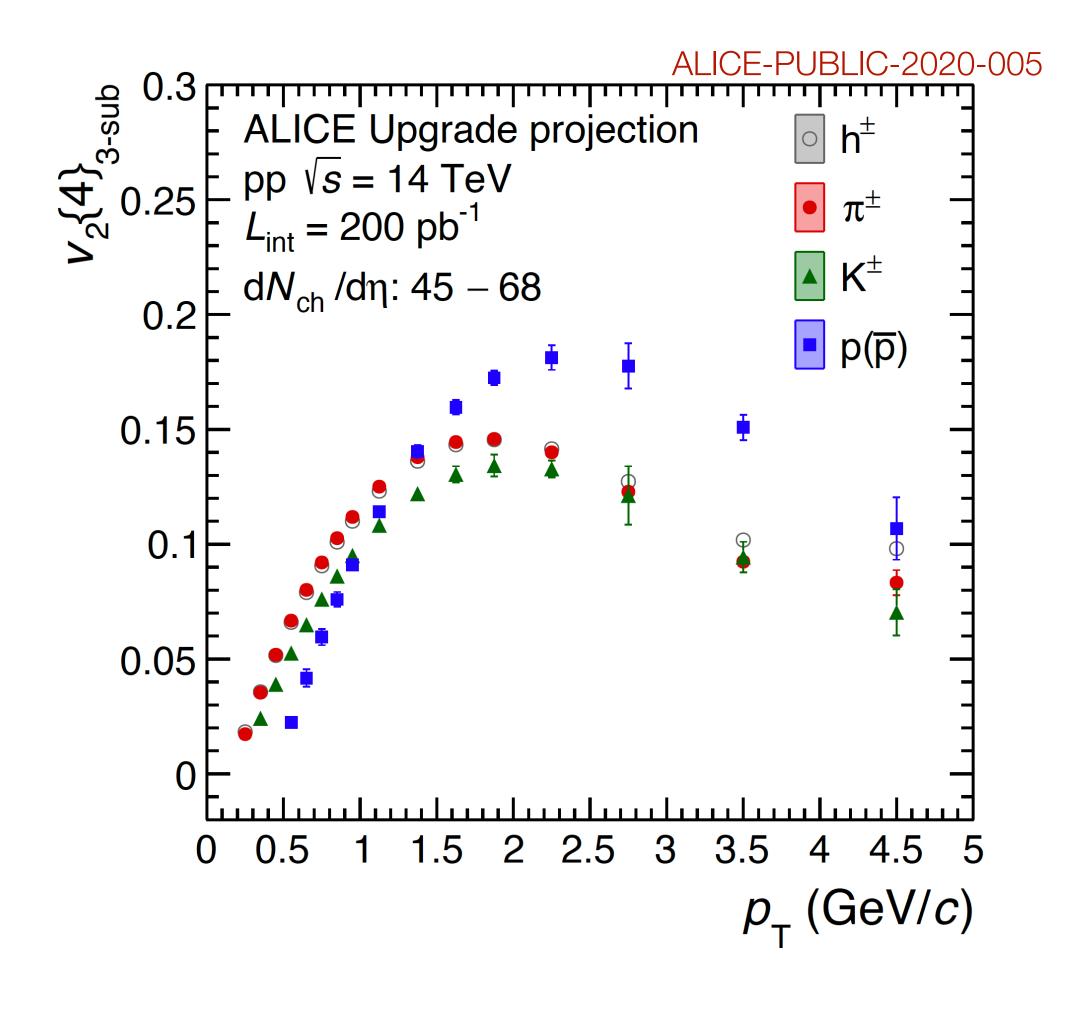
measurement	рр	p-Pb
п, К, р, ф	X	✓
Λ, K ⁰ s	~	•
Ω, Χ	X	~







Flow of identified hadrons





- Flow of π , K and p not measured in pp collisions yet
 - Confirm the mass ordering with more particle species
 - Confirm whether there is baryon/meson grouping at intermediate pT
- Results using multi-particle cumulants with subevent method
 - More reliable in non-flow suppression than standard subtraction methods performed so far on two-particle correlations (subtraction of low multiplicity events)

measurement	рр	p-Pb	
п, К, р, ф	Χ	~	
Λ, K ⁰ s			
Ω, Χ	Χ	~	

Two-particle correlations

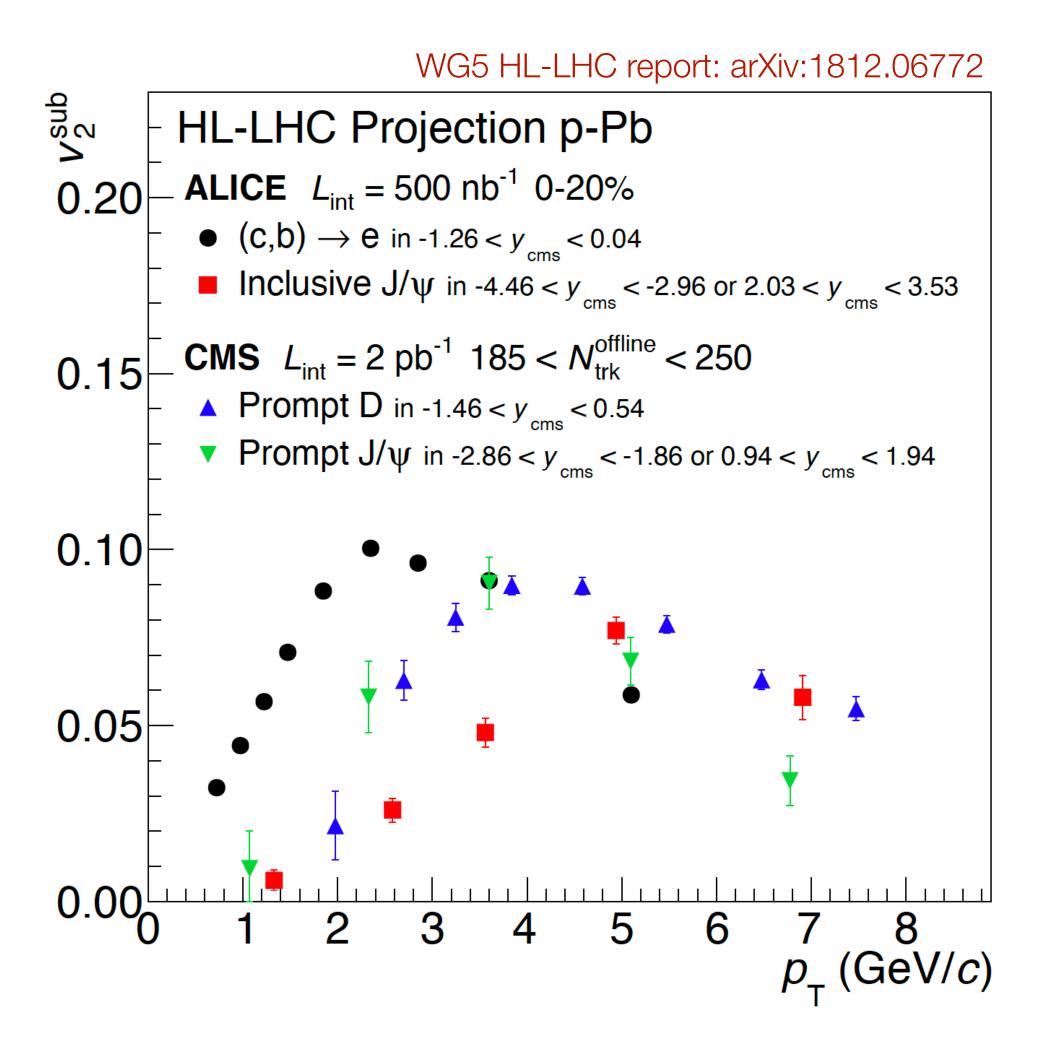
Different methods of non-flow subtraction







Flow of heavy flavor hadrons



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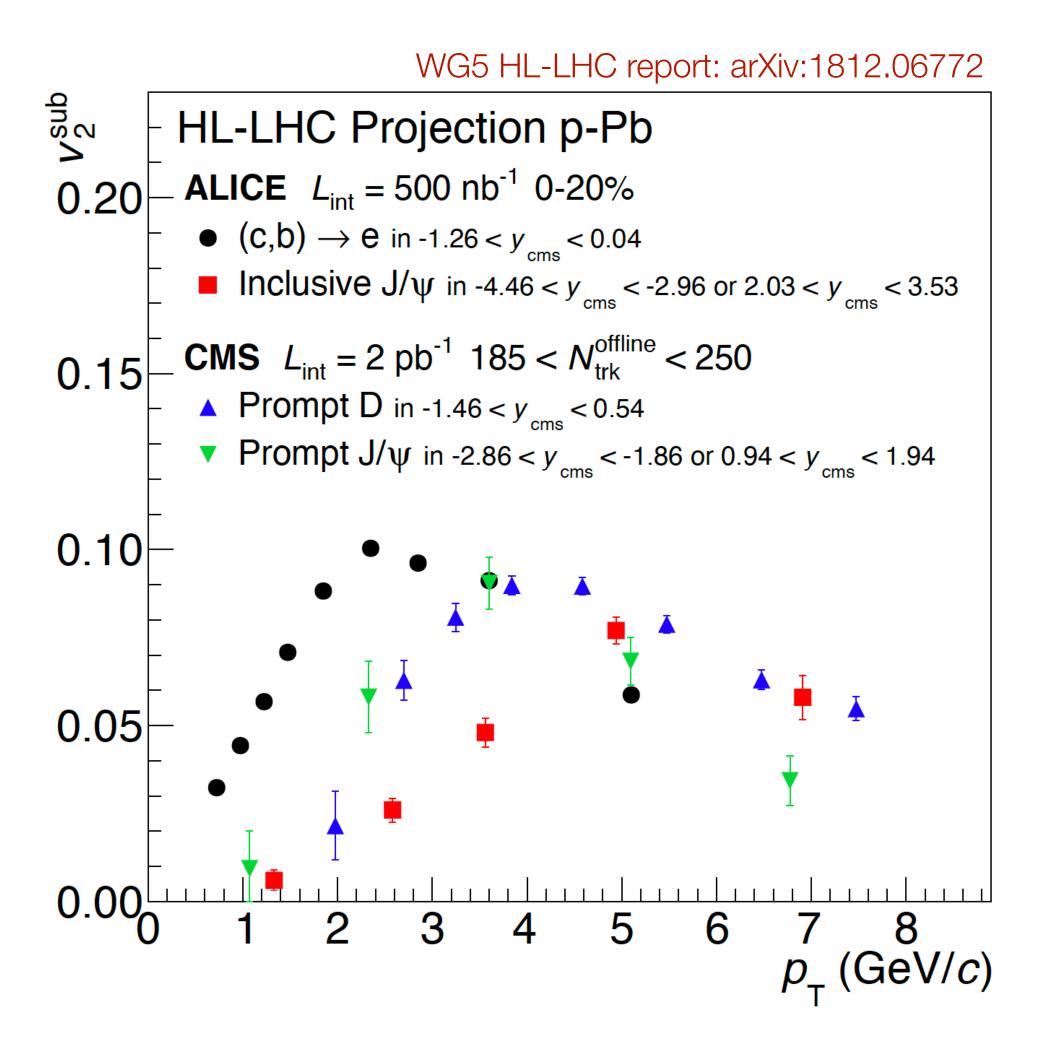


• More (precise) measurements in pp (and p-Pb) collisions

measurement	рр	p-Pb
HFe HFµ	X	~
HFµ (isolated c/b)		X
Prompt D ⁰	X	~
J/Ψ	X	~
Non-prompt D ⁰	Χ	~



Flow of heavy flavor hadrons



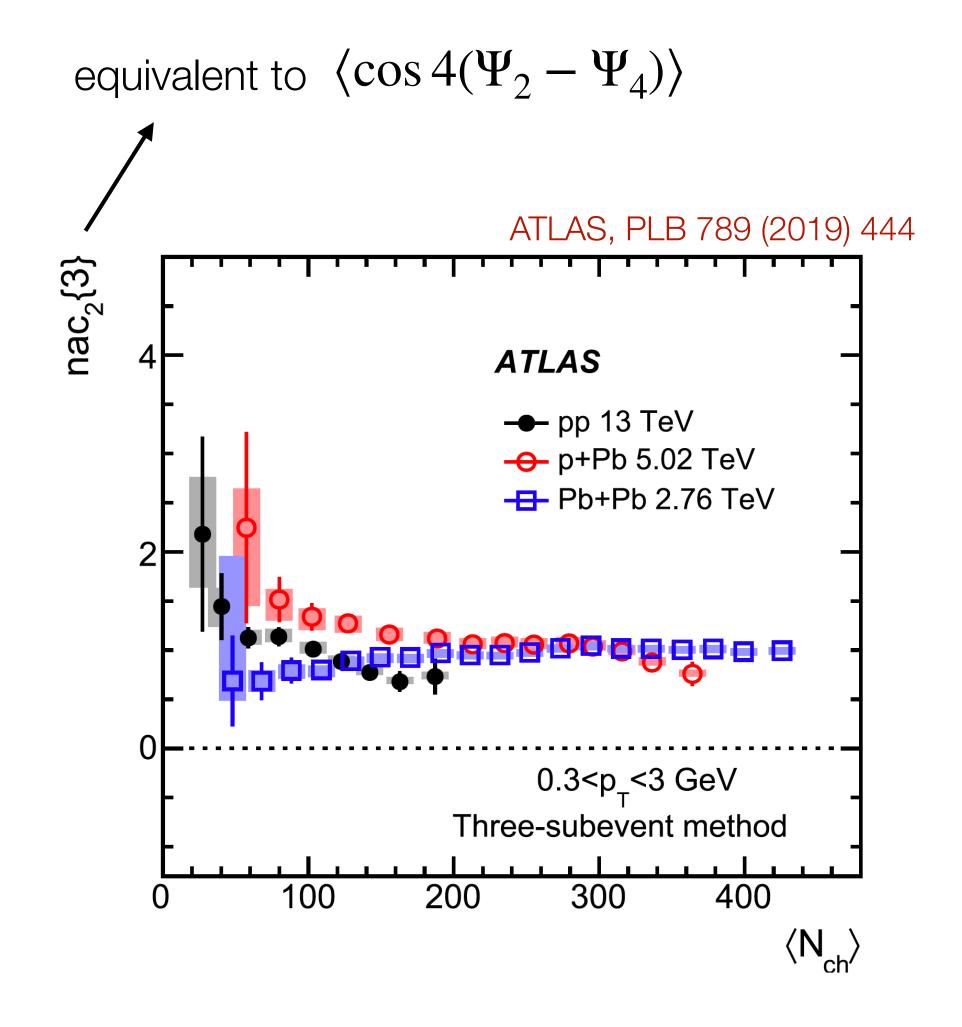


- More (precise) measurements in pp (and p-Pb) collisions
- Measurements using multi-particle correlations?
 - So far, only two-particle correlations with different non-flow suppression methods were used

measurement	рр	p-Pb
HFe HFµ	X	~
HFµ (isolated c/b)	~	X
Prompt D ⁰	Χ	~
J/Ψ	X	~
Non-prompt D ⁰	X	~



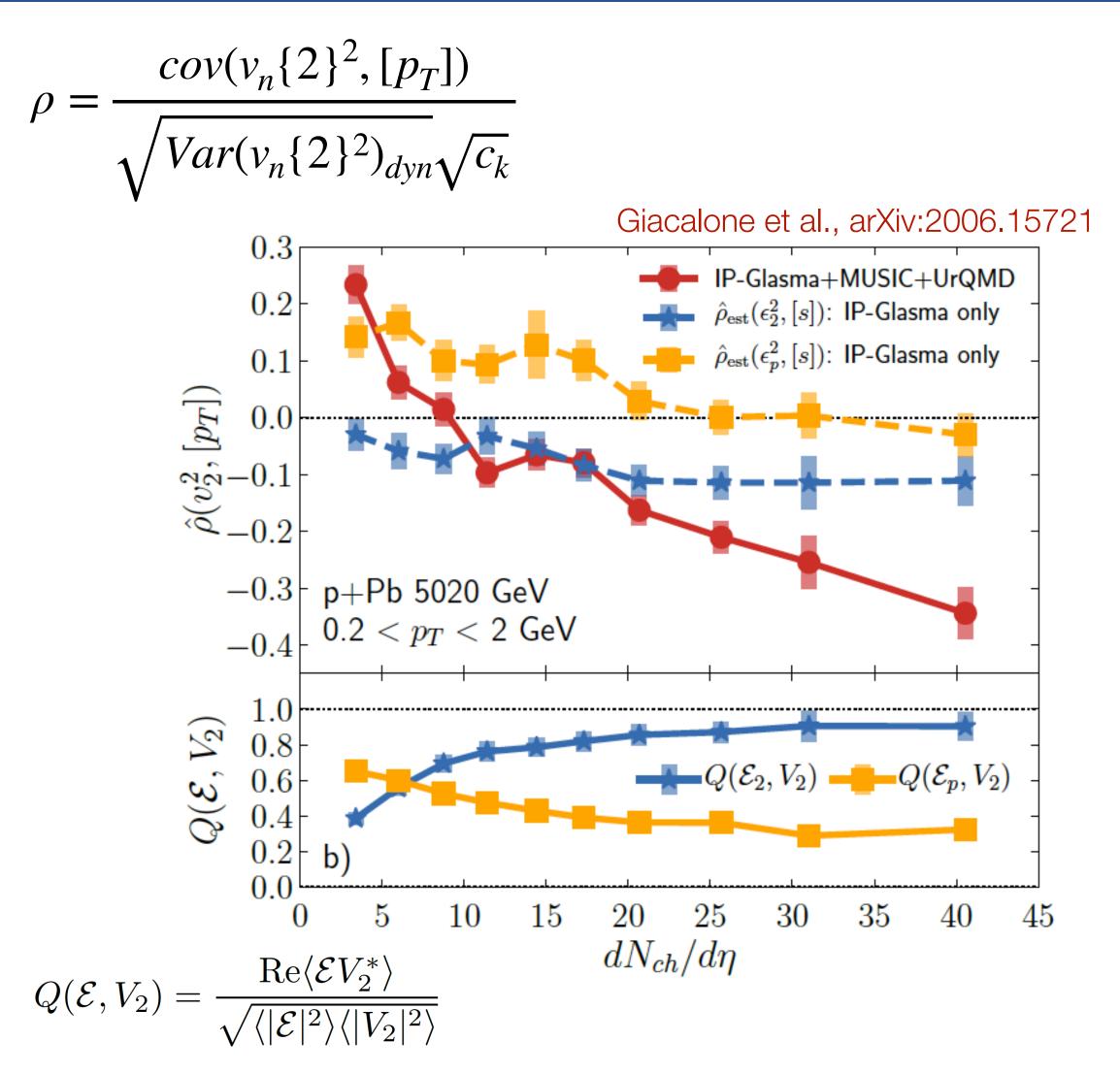






- Nonlinear response to initial state eccentricities/fluctuations
 - Insight into the (hydrodynamic?) evolution of the system

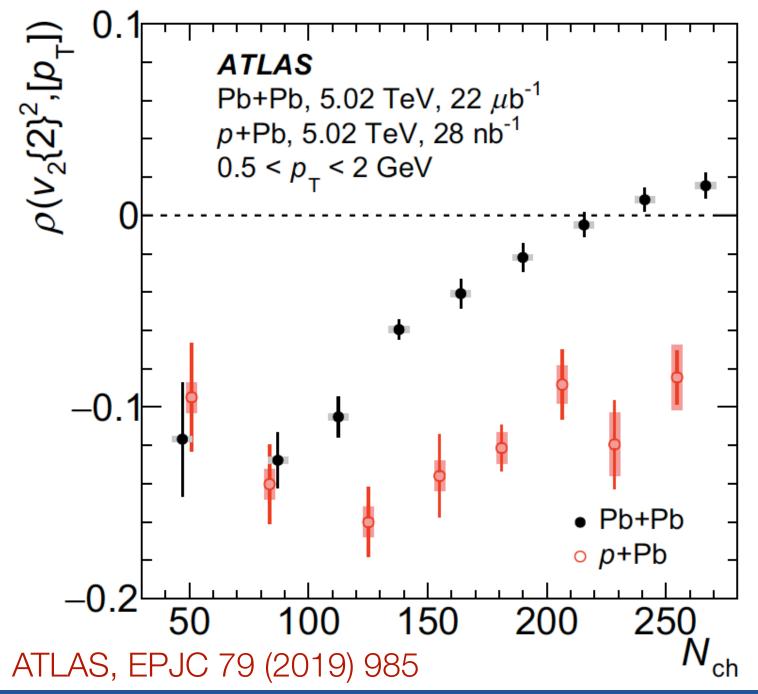




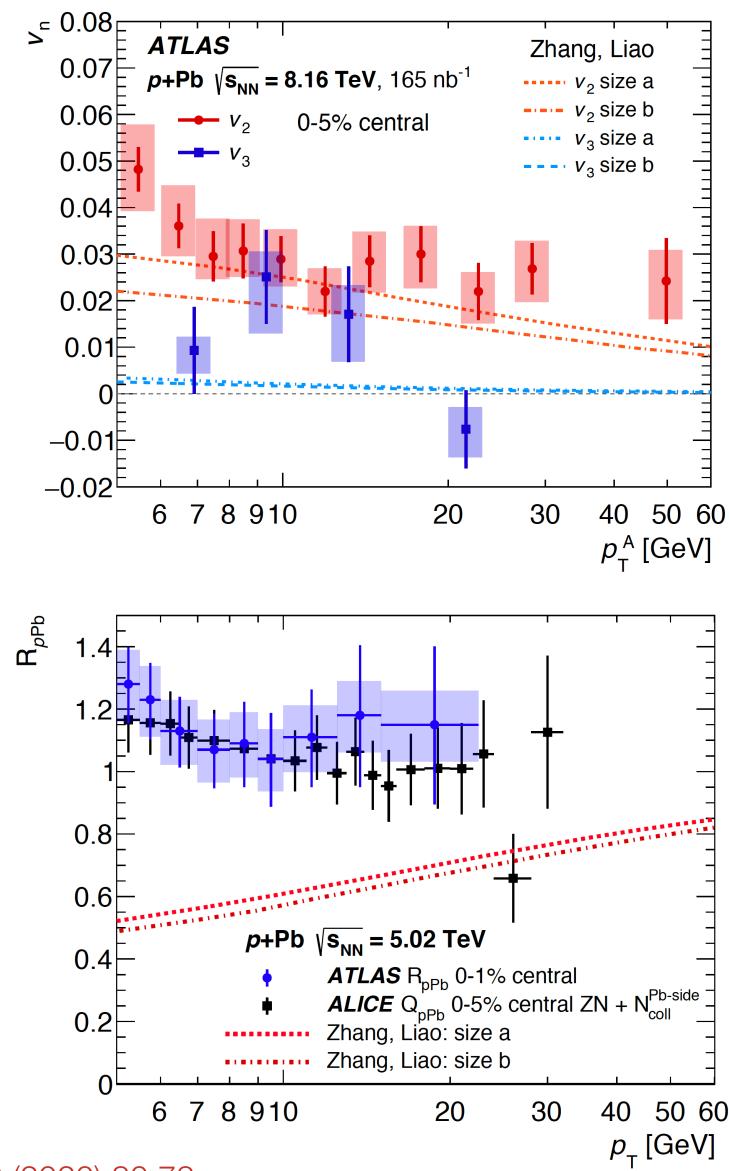
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- Initial spatial anisotropy important at high multiplicities



- Nonlinear response to initial state eccentricities/fluctuations
 - Insight into the (hydrodynamic?) evolution of the system
- Correlations of <pT> and flow
 - New promising tool to determine the importance of initial state correlations
 - More precise measurements needed ... but at low multiplicities (it is anticipated to mostly run high-multiplicity triggers)





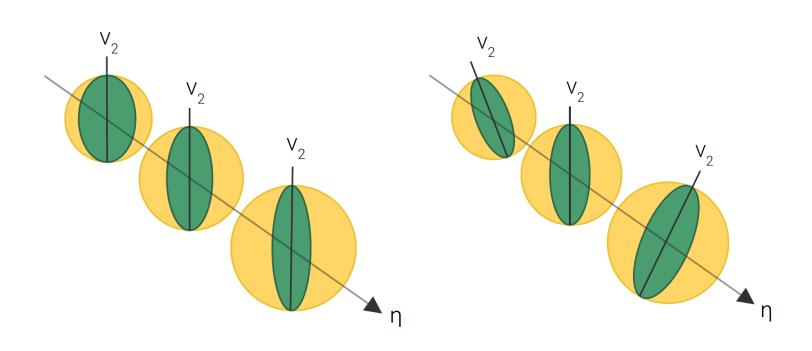


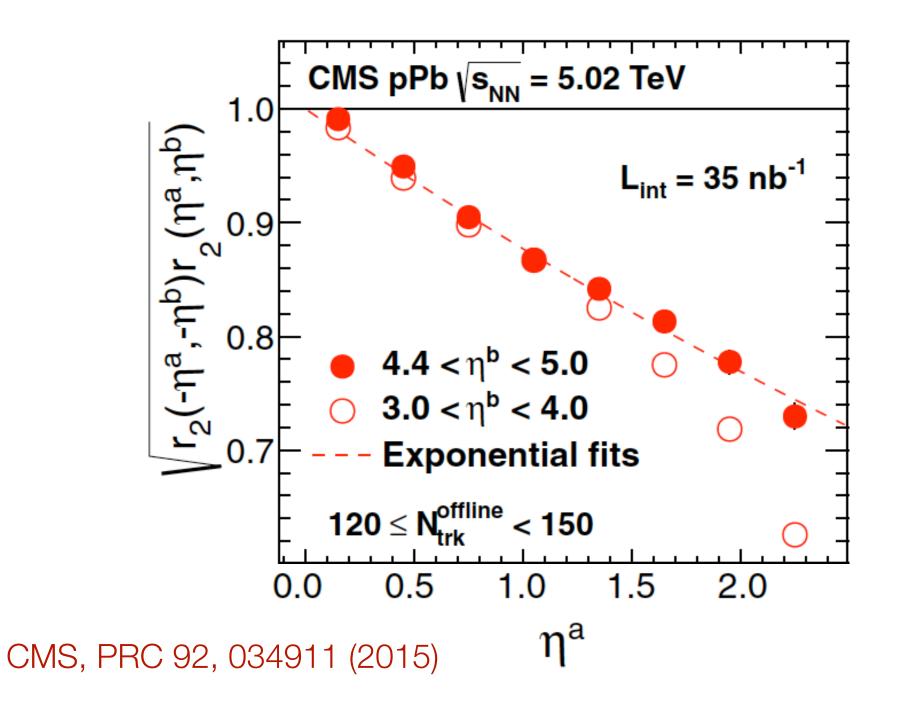
ATLAS, EPJC (2020) 80:73



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- High-order cumulants at high-p⊤
 - Complementary way to address the presence of jet quenching, however this region is very sensitive to possible non-flow contamination
- Flow vector fluctuations
 - Constrain fluctuating initial conditions
 - Investigate possible effects of decorrelation when using subevent method / $\Delta \eta$ gap in small systems





- In Run 1 & 2 we learned about the presence of collectivity in small systems
- In Run 3 and beyond we have an opportunity to understand its origin
- Effort from both theoretical and experimental side is crucial





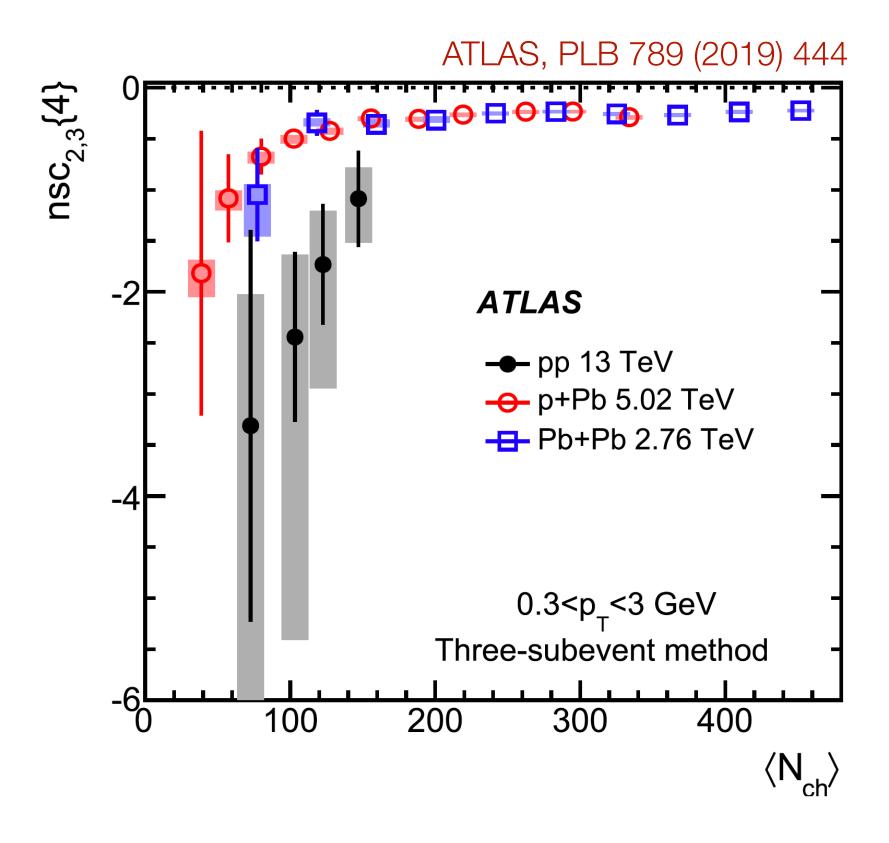
Backup





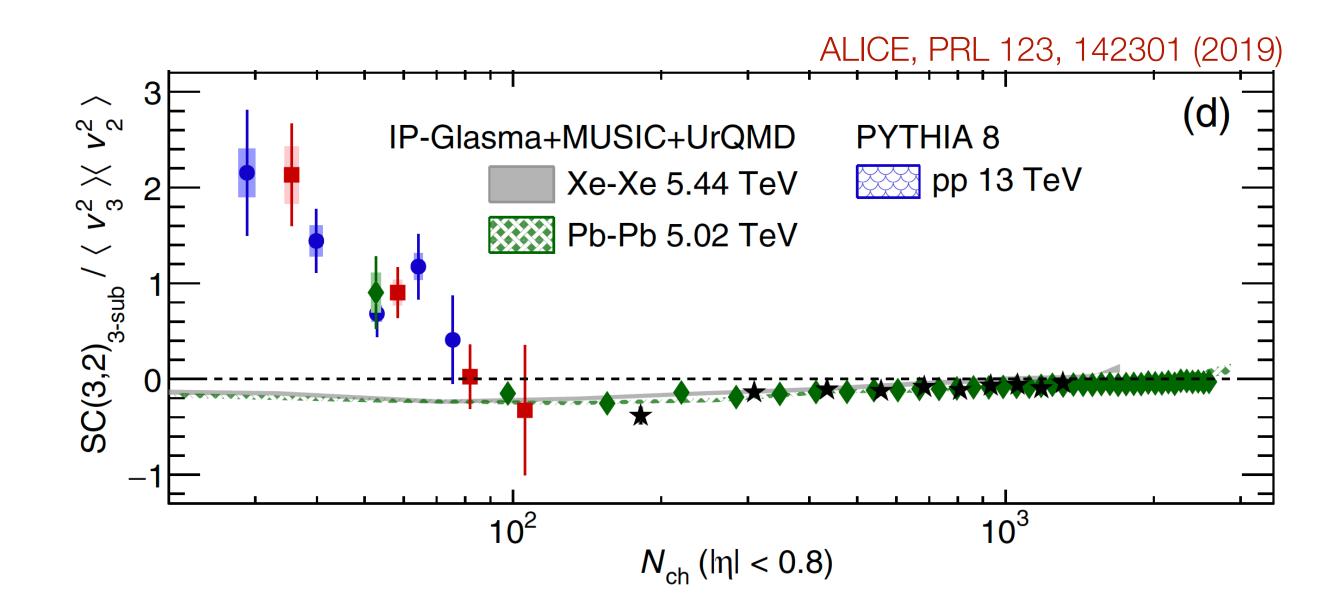


Symmetric cumulants at the LHC



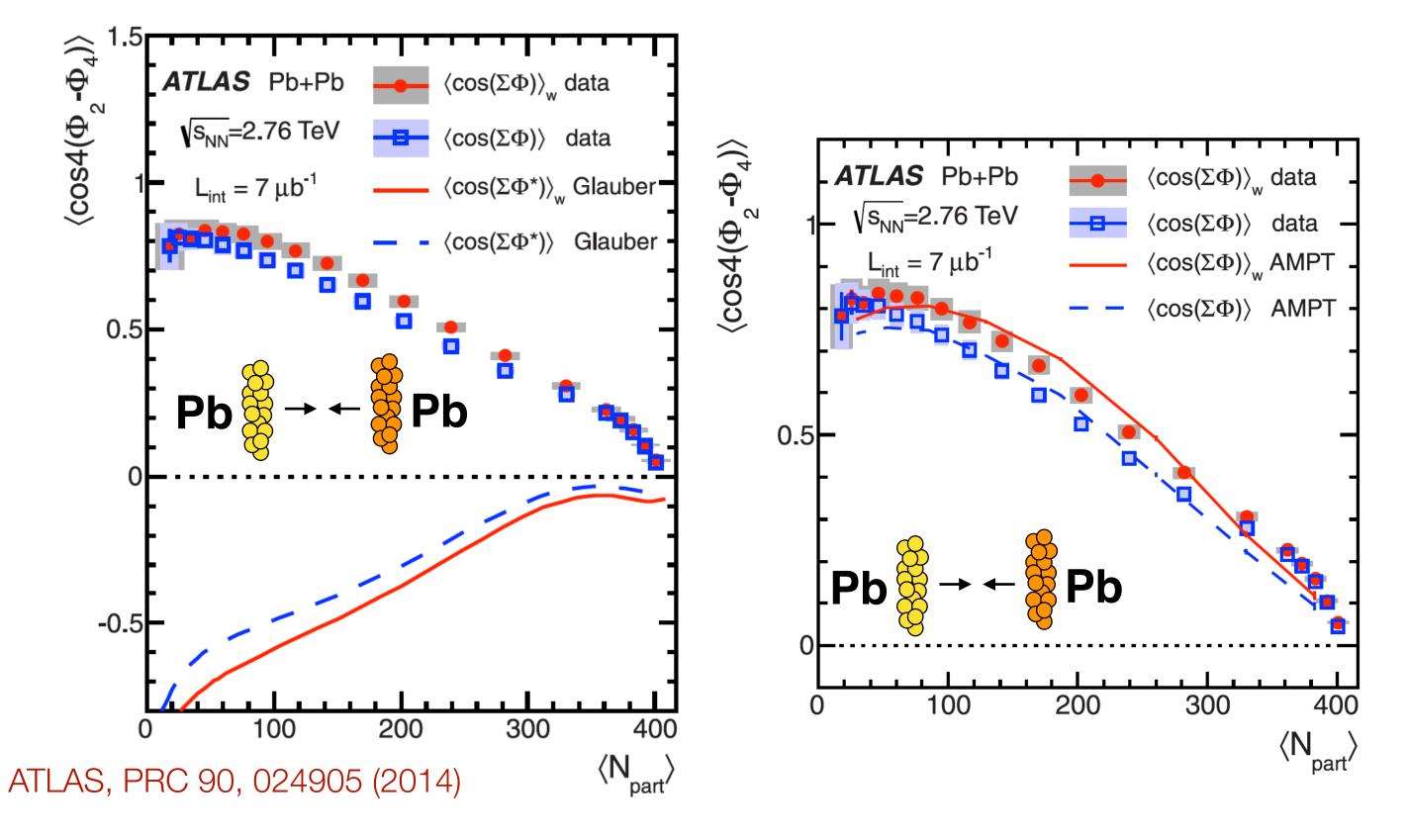
- Different sign of SC(3,2)_{sub} and NSC(3,2)_{sub} at low N_{ch}
- ALICE: positive sign
- ATLAS & CMS: negative sign







Nonlinear hydrodynamic response



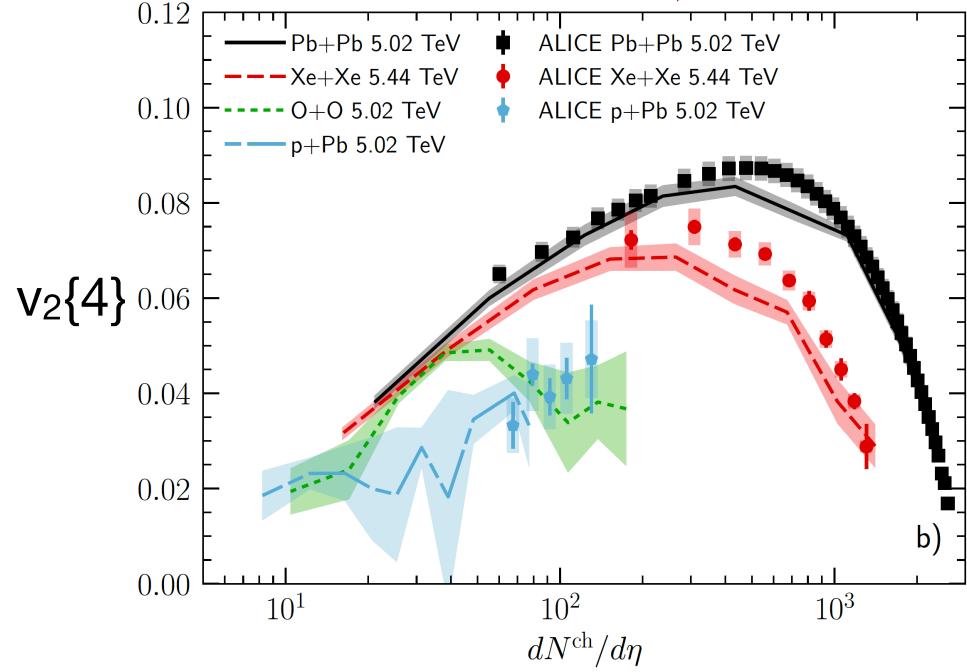


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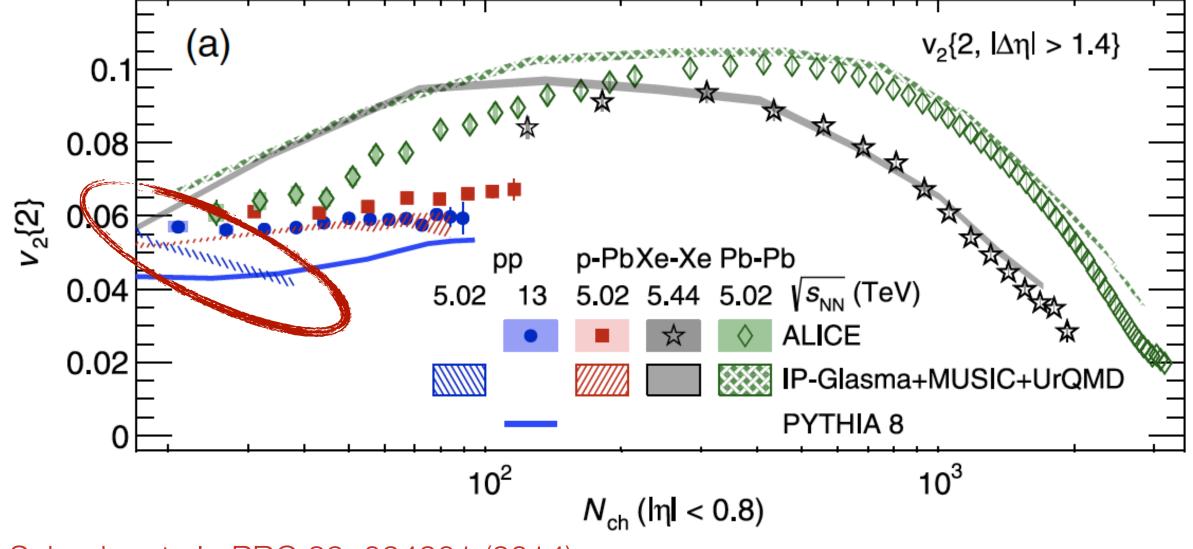
Schenke et al., arXiv: 2005.14682



- Final state models provide good description of p-Pb collision
- Description of pp collisions has its limits
- Models with initial state correlations only, or with few scatterings in the final state without a medium, catch some features of data, too



ALICE, PRL 123, 142301 (2019)



Schenke et al., PRC 89, 024901 (2014) Mäntysaari et al., PLB 772, 681 (2017) update: Schenke et al., arXiv: 2005.14682

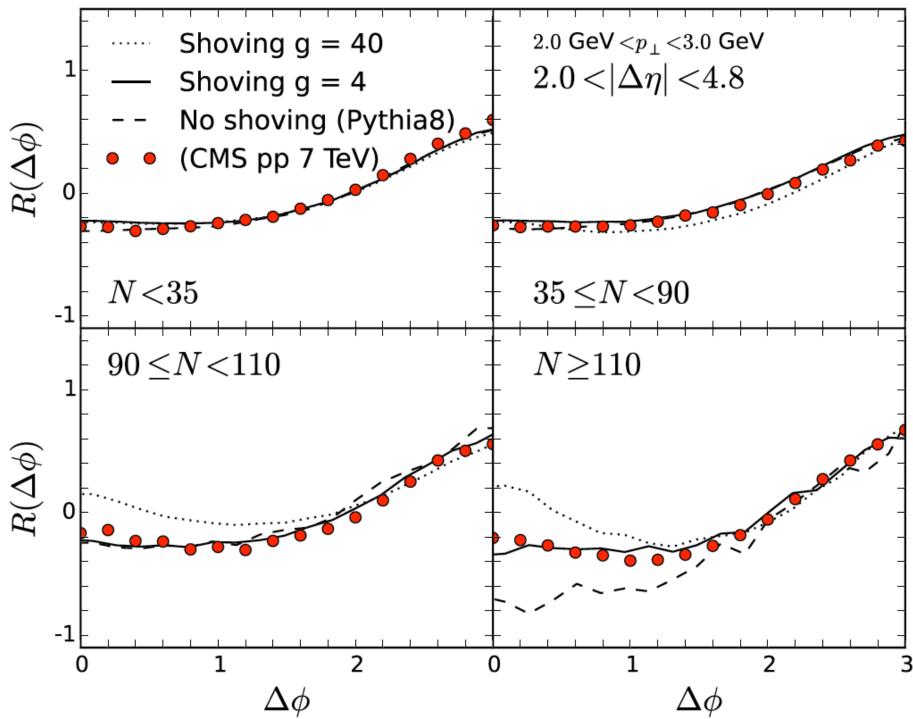
	Initial state effects	Final state ef		
sions	Initial momentum correlations Not correlated with initial geometry	Interactions in the fina Correlated with initial geometry		
Ie	CGC	Hydrodynamics Transport theory		
	? pp !	p-Pb Pb-Pb		





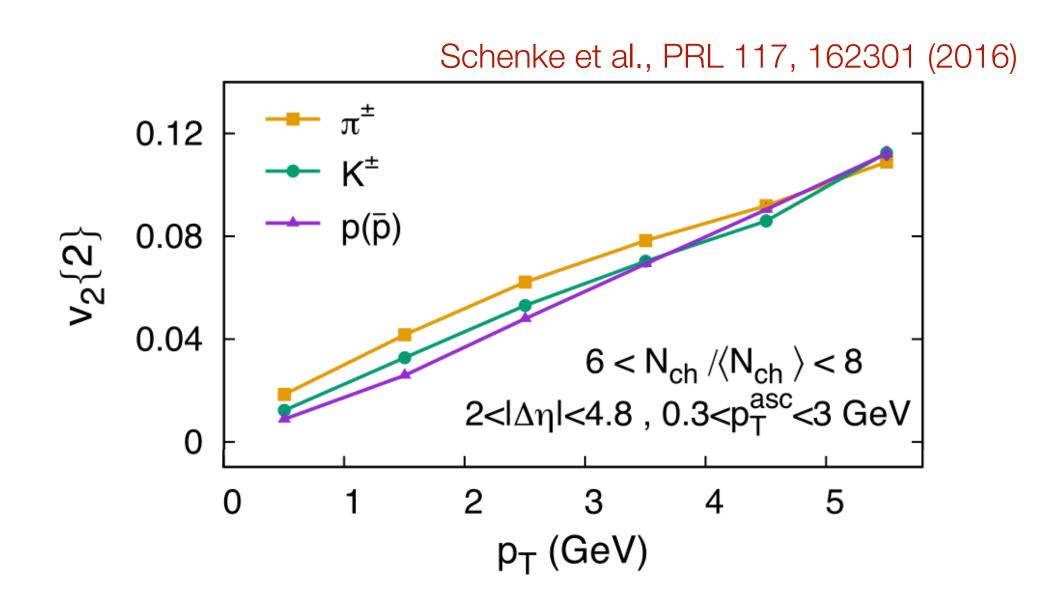


Bierlich et al, PLB 779 (2018) 58



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28		Katarina Krizkova Gajdosova CTU		







Multi-particle cumulants

$$v_{n} \{2\}^{2} = \langle v_{n}^{2} \rangle,$$

$$v_{n} \{4\}^{4} = -\left(\langle v_{n}^{4} \rangle - 2\langle v_{n}^{2} \rangle^{2}\right),$$

$$v_{n} \{6\}^{6} = \frac{1}{4} \left(\langle v_{n}^{6} \rangle - 9\langle v_{n}^{4} \rangle \langle v_{n}^{2} \rangle + 12\langle v_{n}^{2} \rangle^{3}\right),$$

$$v_{n} \{8\}^{8} = -\frac{1}{33} \left(\langle v_{n}^{8} \rangle - 16\langle v_{n}^{6} \rangle \langle v_{n}^{2} \rangle - 18\langle v_{n}^{4} \rangle^{2} + 144\langle v_{n}^{4} \rangle \langle v_{n}^{2} \rangle^{2} - 144\langle v_{n}^{2} \rangle^{4}\right).$$

Moravcova, Gulbrandsen, Zhou, arXiv:2005.07974



$$v_{n} \{10\}^{10} = \frac{1}{456} \left(\left\langle v_{n}^{10} \right\rangle - 25 \left\langle v_{n}^{8} \right\rangle \left\langle v_{n}^{2} \right\rangle - 100 \left\langle v_{n}^{6} \right\rangle \left\langle v_{n}^{4} \right\rangle \right. \\ \left. + 400 \left\langle v_{n}^{6} \right\rangle \left\langle v_{n}^{2} \right\rangle^{2} + 900 \left\langle v_{n}^{4} \right\rangle^{2} \left\langle v_{n}^{2} \right\rangle \right. \\ \left. - 3600 \left\langle v_{n}^{4} \right\rangle \left\langle v_{n}^{2} \right\rangle^{3} + 2880 \left\langle v_{n}^{2} \right\rangle^{5} \right)$$

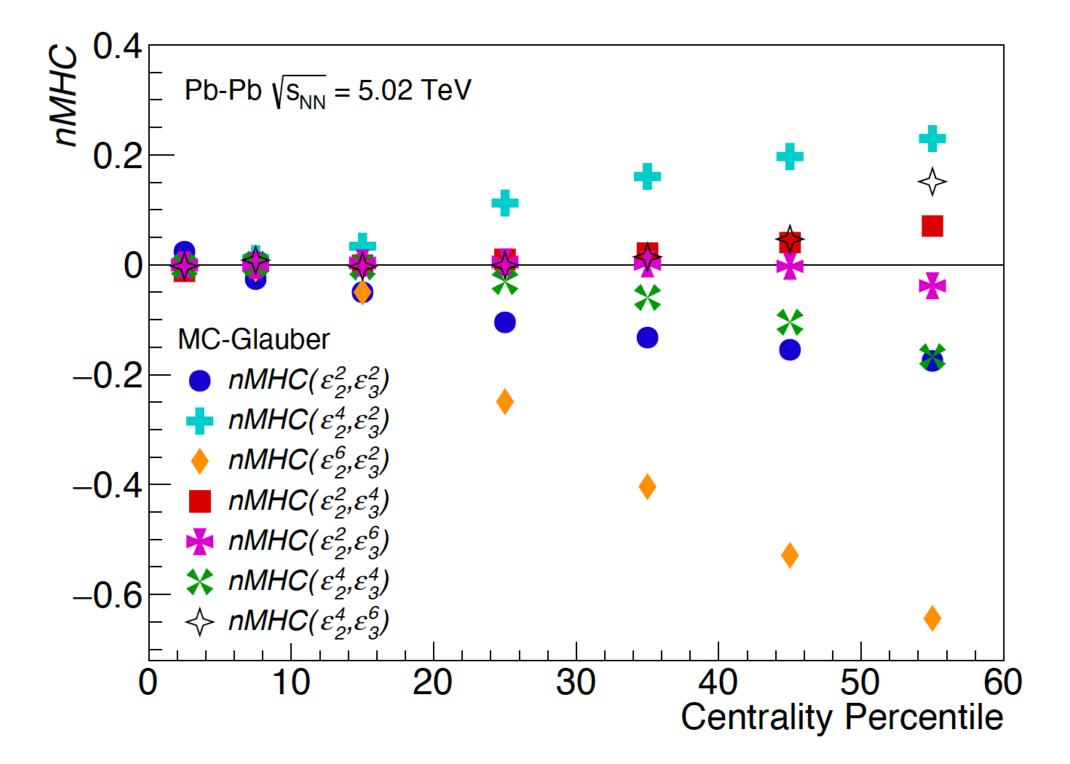
$$v_{n} \{12\}^{12} = -\frac{1}{9460} \left(\left\langle v_{n}^{12} \right\rangle - 36 \left\langle v_{n}^{10} \right\rangle \left\langle v_{n}^{2} \right\rangle - 225 \left\langle v_{n}^{8} \right\rangle \left\langle v_{n}^{4} \right\rangle \right. \\ \left. +900 \left\langle v_{n}^{8} \right\rangle \left\langle v_{n}^{2} \right\rangle^{2} - 200 \left\langle v_{n}^{6} \right\rangle^{2} \right. \\ \left. +7200 \left\langle v_{n}^{6} \right\rangle \left\langle v_{n}^{4} \right\rangle \left\langle v_{n}^{2} \right\rangle - 14400 \left\langle v_{n}^{6} \right\rangle \left\langle v_{n}^{2} \right\rangle^{3} \right. \\ \left. +2700 \left\langle v_{n}^{4} \right\rangle^{3} - 48600 \left\langle v_{n}^{4} \right\rangle^{2} \left\langle v_{n}^{2} \right\rangle^{2} \right. \\ \left. +129600 \left\langle v_{n}^{4} \right\rangle \left\langle v_{n}^{2} \right\rangle^{4} - 86400 \left\langle v_{n}^{2} \right\rangle^{6} \right)$$



Multi-harmonic correlations

- Multi-harmonic correlations using high order cumulants
- Higher order cumulant correlations have stronger signal than the lower order (e.g. SC(m,n))
- Sign change -> would it remain in small systems?







Influence of the initial state

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Schenke et al., PLB 803 (2020) 135322 Schenke et al., QM19

$$Q_{\varepsilon_{2}} = \frac{\operatorname{Re}\langle \vec{\mathscr{E}}_{2} \cdot \vec{V}_{2}^{*} \rangle}{\sqrt{\langle |\vec{\mathscr{E}}_{2}|^{2} \rangle \langle |\vec{V}_{2}|^{2} \rangle}}$$

$$Q_{\varepsilon_p} = \frac{\operatorname{Re}\langle \overrightarrow{\mathscr{C}}_p \cdot \overrightarrow{V}_2^* \rangle}{\sqrt{\langle |\overrightarrow{\mathscr{C}}_p|^2 \rangle \langle |\overrightarrow{V}_2|^2 \rangle}}$$

- Initial (gluon) momentum anisotropy important at low multiplicities
- Initial spatial anisotropy important at high multiplicities
 - Although the initial momentum anisotropy may have non-negligible effect in small systems even at high multiplicity



