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Standalone Arapuca Analysis

Reminder

Shifting and Scintillation

1) ArAr*

$$\begin{aligned} \longrightarrow \frac{dAA}{dt} &= -\frac{AA}{\tau_{128}} - \frac{AA}{\tau_{N2}} - \frac{AA}{\tau_{AX}} = -\frac{AA}{\tau_{TA}} & \longrightarrow \frac{1}{\tau_{TA}} &= \frac{1}{\tau_{128}} + \frac{1}{\tau_{N2}} + \frac{1}{\tau_{AX}} \end{aligned}$$

2) ArXe*

$$\begin{aligned} \longrightarrow \frac{dAX}{dt} &= +\frac{AA}{\tau_{AX}} - \frac{AX}{\tau_{150}} - \frac{AX}{\tau_{N2}} - \frac{AX}{\tau_{XX}} = +\frac{AA}{\tau_{AX}} - \frac{AX}{\tau_{TX}} & \longrightarrow \frac{1}{\tau_{TX}} &= \frac{1}{\tau_{150}} + \frac{1}{\tau_{N2}} + \frac{1}{\tau_{XX}} \end{aligned}$$

3) XeXe*

$$\longrightarrow \frac{dXX}{dt} = +\frac{AX}{\tau_{XX}} - \frac{XX}{\tau_{175}}$$

Reminder

$$\frac{dAA}{dt}(\text{scint}@128\text{nm}) = K \frac{\tau_{TA}}{\tau_{128}} \frac{e^{-t/\tau_{TA}}}{\tau_{TA}}$$

$$\frac{dAX}{dt}(\text{scint}@150\text{nm}) = K \frac{\tau_{TA}}{\tau_{150}} \frac{\tau_{TX}}{\tau_{AX}} \frac{(e^{-t/\tau_{TA}} - e^{-t/\tau_{TX}})}{(\tau_{TA} - \tau_{TX})}$$

$$\frac{dXX}{dt}(\text{scint}@175\text{nm}) = K \frac{\tau_{TA}}{\tau_{XX}} \frac{\tau_{TX}}{\tau_{AX}} \frac{(e^{-t/\tau_{TA}} - e^{-t/\tau_{TX}})}{(\tau_{TA} - \tau_{TX})}$$

$$\begin{aligned} \frac{dXN}{dt}(\text{scint}@128\text{nm} + 150\text{nm} + 178\text{nm}) \\ = K \left(\frac{\tau_{TA}}{\tau_{128}} \frac{e^{-t/\tau_{TA}}}{\tau_{TA}} + \frac{\tau_{TA}}{\tau_{AX}} \frac{(e^{-t/\tau_{TA}} - e^{-t/\tau_{TX}})}{(\tau_{TA} - \tau_{TX})} \right) \end{aligned}$$

$$\frac{dXQ}{dt}(\text{scint}@178\text{nm}) = (1 - \varepsilon) K \frac{\tau_{150}}{\tau_{XX} + \tau_{150}} \frac{\tau_{TA}}{\tau_{AX}} \frac{(e^{-t/\tau_{TA}} - e^{-t/\tau_{TX}})}{(\tau_{TA} - \tau_{TX})}$$

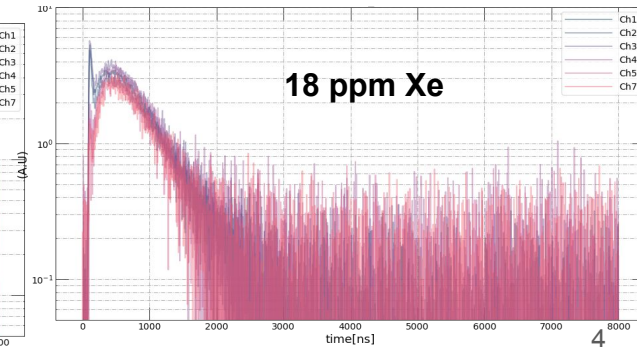
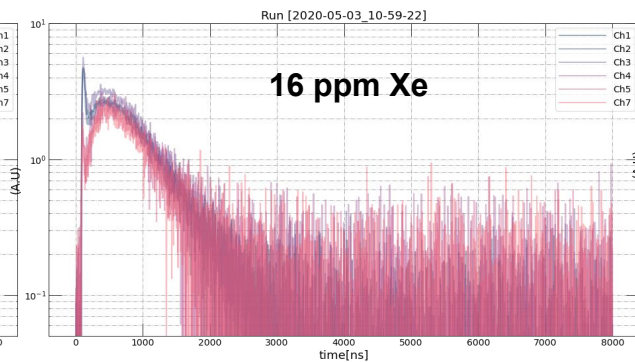
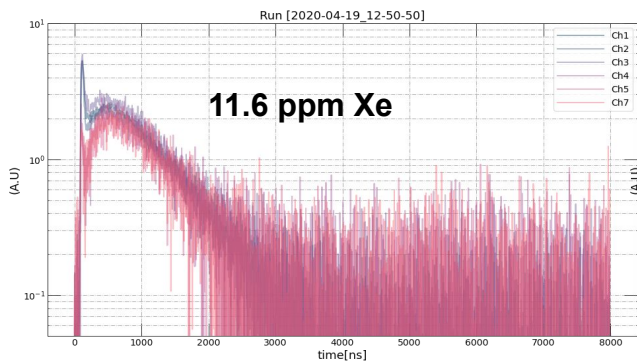
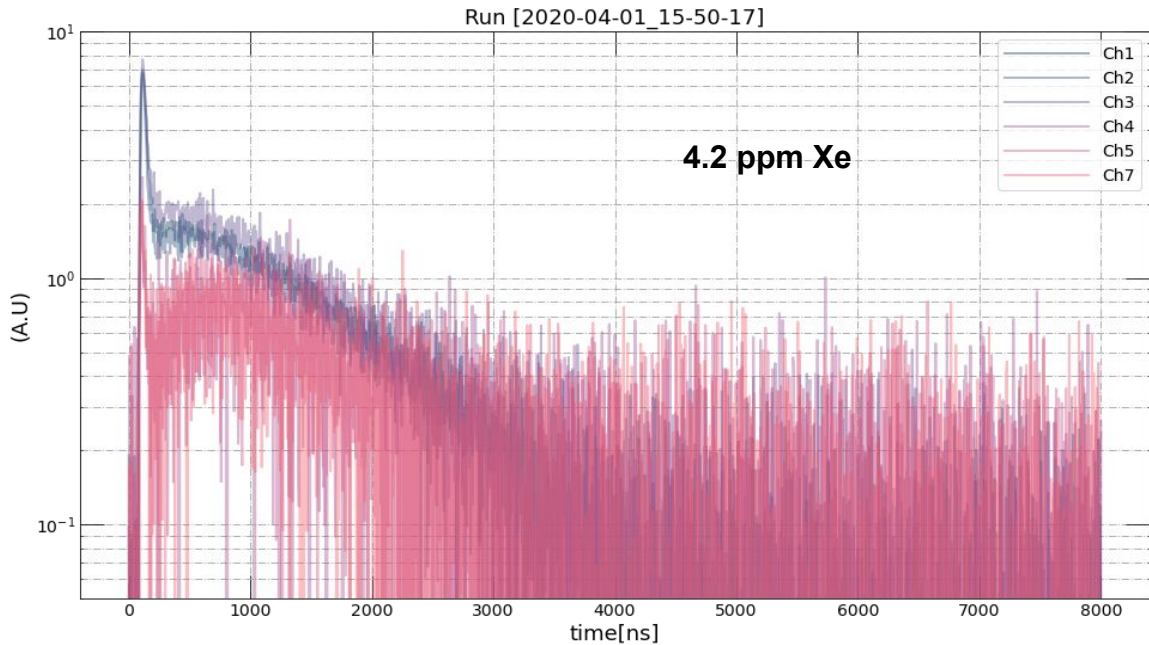
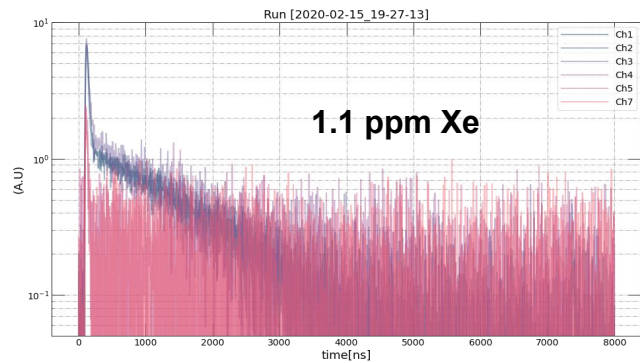
```
def mod1(t,a,b,c,d,e,f,t1,t2,t3): # not all pa
    return (a*(np.exp(-(t - t0)/t1)) +
            b*(np.exp(-(t - t0)/t2)) +
            c*(np.exp(-(t - t0)/t3)))
```

```
def mod2(t,a,b,c,d,e,f,t1,t2,t3): # not all pa
    return (d*(np.exp(-(t - t0)/t1)) +
            e*(np.exp(-(t - t0)/t2)) +
            f*(np.exp(-(t - t0)/t3)))
```

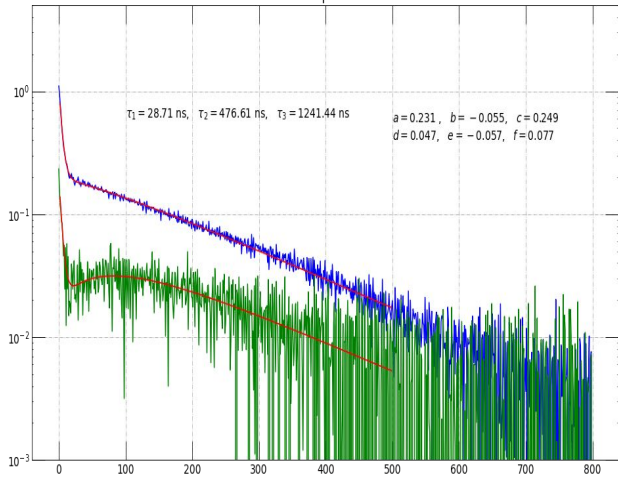
Run examples for each injection and channels

No Quartz = Ch1, Ch2, Ch3

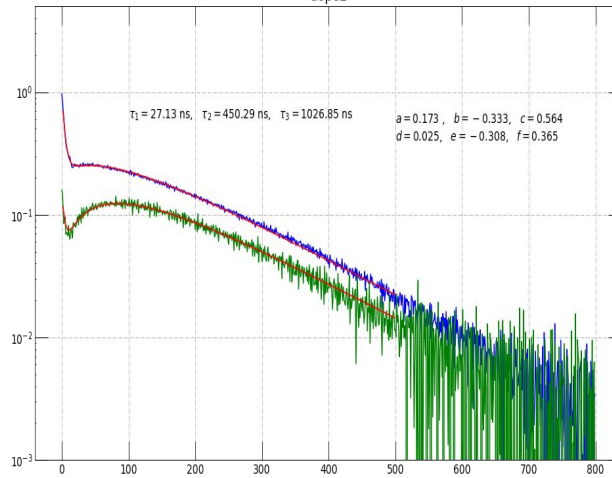
Quartz = Ch4, Ch5, Ch7



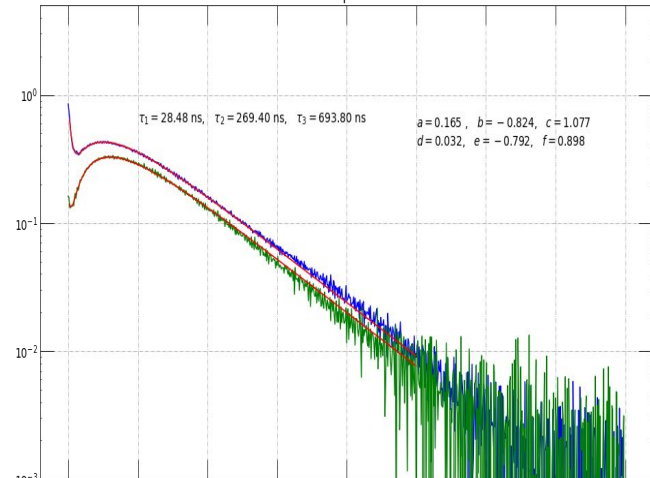
dope1



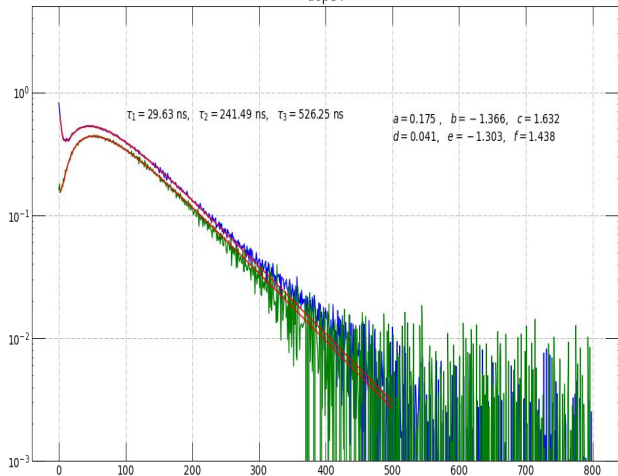
dope2



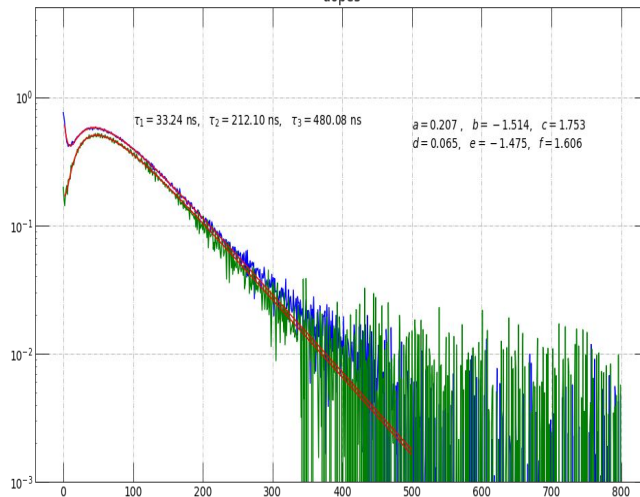
dope3



dope4



dope5



For each Dope simultaneous
fit of the NQ / WQ

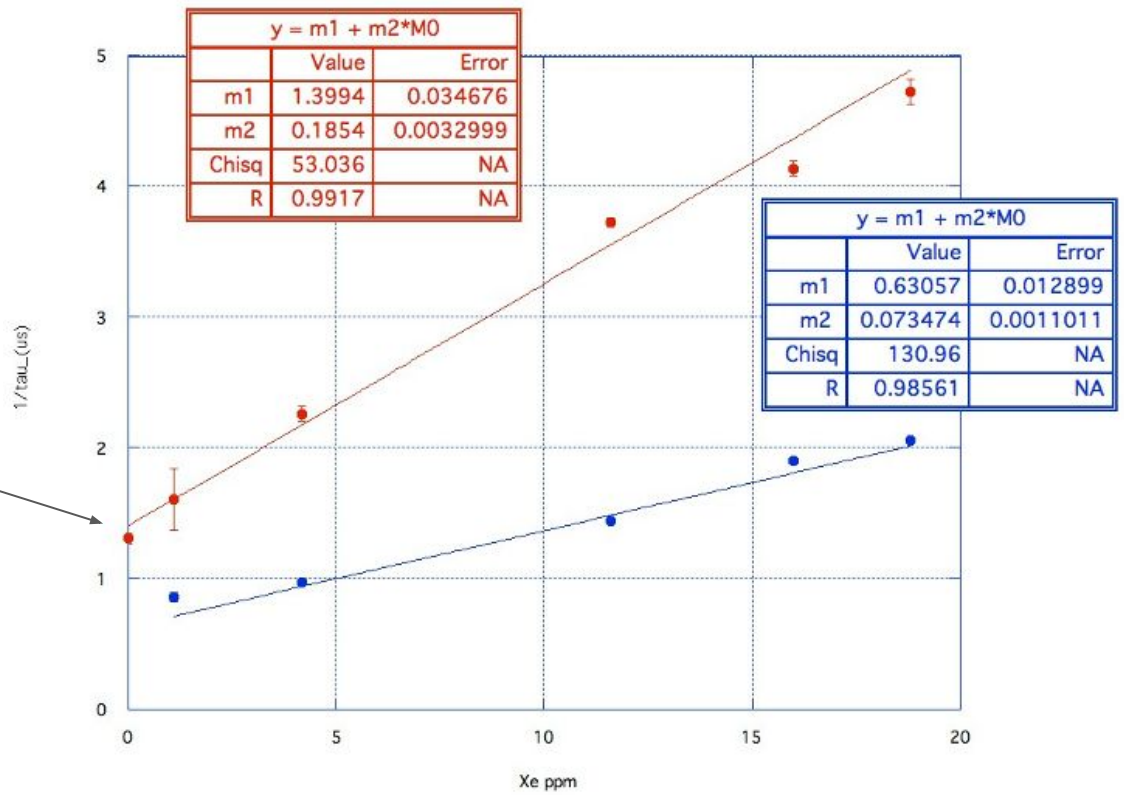
Xe ppm	tauTA (ns)	tauTA_err	tauTX (ns)	tauTX_err	P2_NQ	P2_NQ_err	P3_NQ	P3_NQ_err	P2_WQ	P2_WQ_err	P3_WQ	P3_WQ_err
1.10E+00	6.23E+02	9.13E+01	1.17E+03	4.94E+01	-9.66E-02	3.88E-02	2.91E-01	3.90E-02	-7.60E-02	1.93E-02	9.90E-02	2.03E-02
4.20E+00	4.43E+02	1.12E+01	1.03E+03	1.10E+01	-3.23E-01	1.44E-02	5.54E-01	1.48E-02	-3.08E-01	1.08E-02	3.61E-01	1.15E-02
1.16E+01	2.69E+02	2.53E+00	6.94E+02	2.98E+00	-8.23E-01	1.01E-02	1.08E+00	1.09E-02	-8.12E-01	9.19E-03	9.06E-01	9.99E-03
1.60E+01	2.42E+02	3.11E+00	5.26E+02	3.53E+00	-1.37E+00	2.99E-02	1.63E+00	3.19E-02	-1.34E+00	2.84E-02	1.46E+00	3.01E-02
1.88E+01	2.12E+02	4.18E+00	4.87E+02	4.67E+00	-1.45E+00	4.04E-02	1.69E+00	4.48E-02	-1.46E+00	4.00E-02	1.56E+00	4.38E-02

Table1: Results of the simultaneous fit of the XQ and XN average signal shapes (only the slow component parameters are reported).

-The fitting functions is $P1 \exp(-t/\tau F) + P2 \exp(-t/\tau TA) + P3 \exp(-t/\tau TX)$; the first term describes the fast component.

-The all decay times are forced to be the same for the XQ an XN X-Arapucas.

1.304 ± 0.04



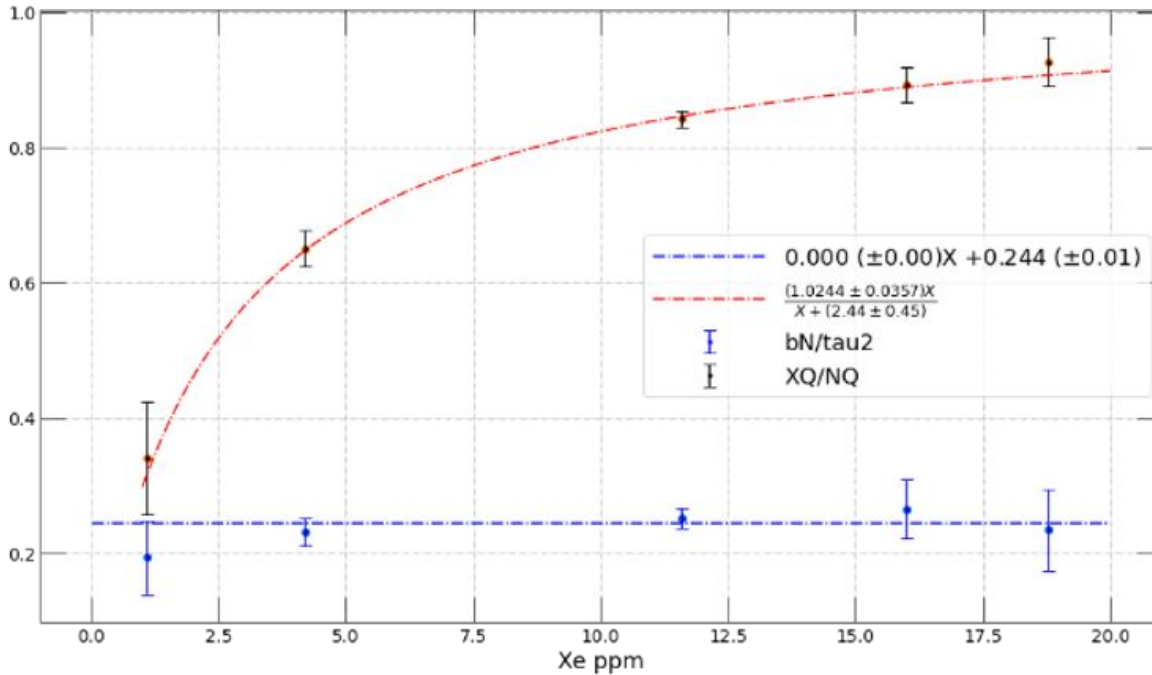
Values of $1/\tau_{TA}$ (red) and $1/\tau_{TX}$ (blue) from Table 1 as a function of the xenon concentration; the value at 0 ppm is the one measured before the doping with the Arapucas on the APA's; the linear fit of the data is also shown.

Xe ppm	B_NQ	B_NQ_err	B_WQ	B_WQ_err	C_NQ	C_NQ_err	C_WQ	C_WQ_err
1.10E+00	1.21E+02	3.86E+01	1.44E+01	1.76E+01	1.60E+02	3.71E+01	5.46E+01	1.52E+01
4.20E+00	1.02E+02	9.49E+00	2.36E+01	6.08E+00	3.27E+02	1.23E+01	2.13E+02	8.82E+00
1.16E+01	6.80E+01	4.05E+00	2.53E+01	3.96E+00	4.57E+02	6.26E+00	3.85E+02	5.53E+00
1.60E+01	6.43E+01	1.06E+01	2.84E+01	7.61E+00	4.65E+02	1.19E+01	4.15E+02	1.10E+01
1.88E+01	4.98E+01	1.28E+01	2.28E+01	1.11E+01	4.64E+02	1.62E+01	4.30E+02	1.55E+01

Table 2: Same results as in Table 1, but recomputed as;

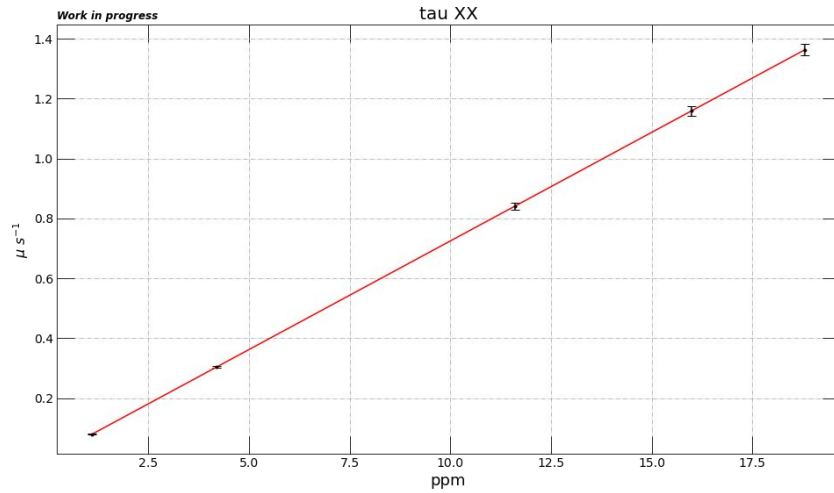
$$A \exp(-t/\tau_F)/\tau_F + B \exp(-t/\tau_{TA})/\tau_{TA} + C (\exp(-t/\tau_{TA}) - \exp(-t/\tau_{TX})) / (\tau_{TA} - \tau_{TX})$$

Again, only the slow component parameters are reported.



Plot of C_{WQ}/C_{NQ} (red) and $B_{NQ} \cdot \tau_{TA}$ (blue) as a function of the xenon concentration; for the first the fit is done with the function $K1/(1+K2/ppm)$ to allow extracting the relation $\left(\frac{\eta a}{1 + \tau_{XX}/(1 + \epsilon)\tau_{150}} \right)$;

The second should be proportional to $1/\tau_{128}$, hence it should be constant.



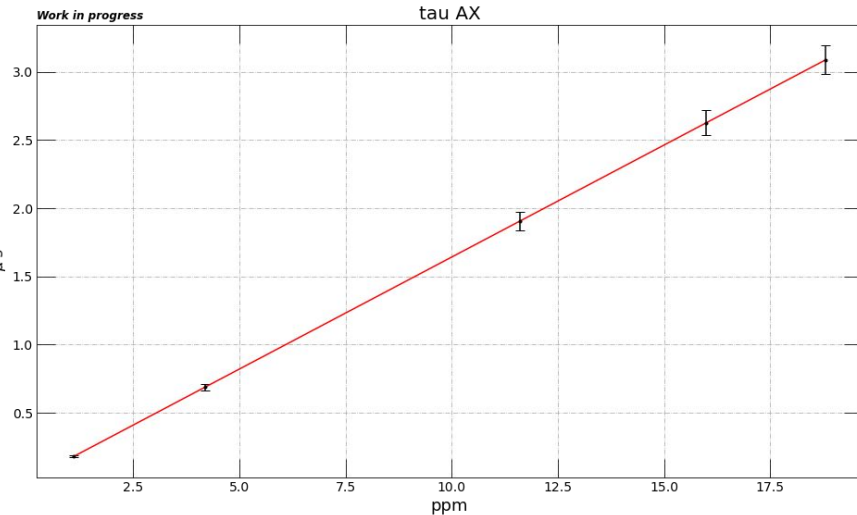
From the linear fit of $\frac{1}{\tau_{TX}}$ (blue line in plot 1) we get:

$$\frac{1}{\tau_{TX}} = \frac{1}{\tau_{150}} + \frac{1}{\tau_{N2}} + \frac{1}{\tau_{XX}} = (0.631 \pm 0.012) + (0.073 \pm 0.001) Xe[ppm] \mu s^{-1}$$

$$\tau_{XX} = \frac{(13.7 \pm 0.2)}{Xe[ppm]} \mu s$$

Since, in addition, from the trend of the coefficients of the WQ/NQ double exponential fit formula (obtained from the fit of the data in plot 2) we have that:

$$\tau_{XX} = \frac{2.44 \pm 0.45}{Xe[ppm]} \tau_{150} (1 + \epsilon)$$



From the linear fit of $\frac{1}{\tau_{TA}}$ (red line in plot 1) we get:

$$\frac{1}{\tau_{TA}} = \frac{1}{\tau_{128}} + \frac{1}{\tau_{N2}} + \frac{1}{\tau_{AX}} = ((1.4 \pm 0.04) + (0.185 \pm 0.01) Xe[ppm]) \mu s^{-1}$$

hence:

$$\frac{1}{\tau_{128}} + \frac{1}{\tau_{N2}} = (1.4 \pm 0.04) \mu s^{-1}$$

$$\frac{1}{\tau_{N2}} = ((1.4 \pm 0.04) - \frac{1}{1.4 \pm 0.1}) \mu s^{-1} = ((1.4 \pm 0.04) - (0.71 \pm 0.05)) \mu s^{-1} = (0.69 \pm 0.065) \mu s^{-1}$$

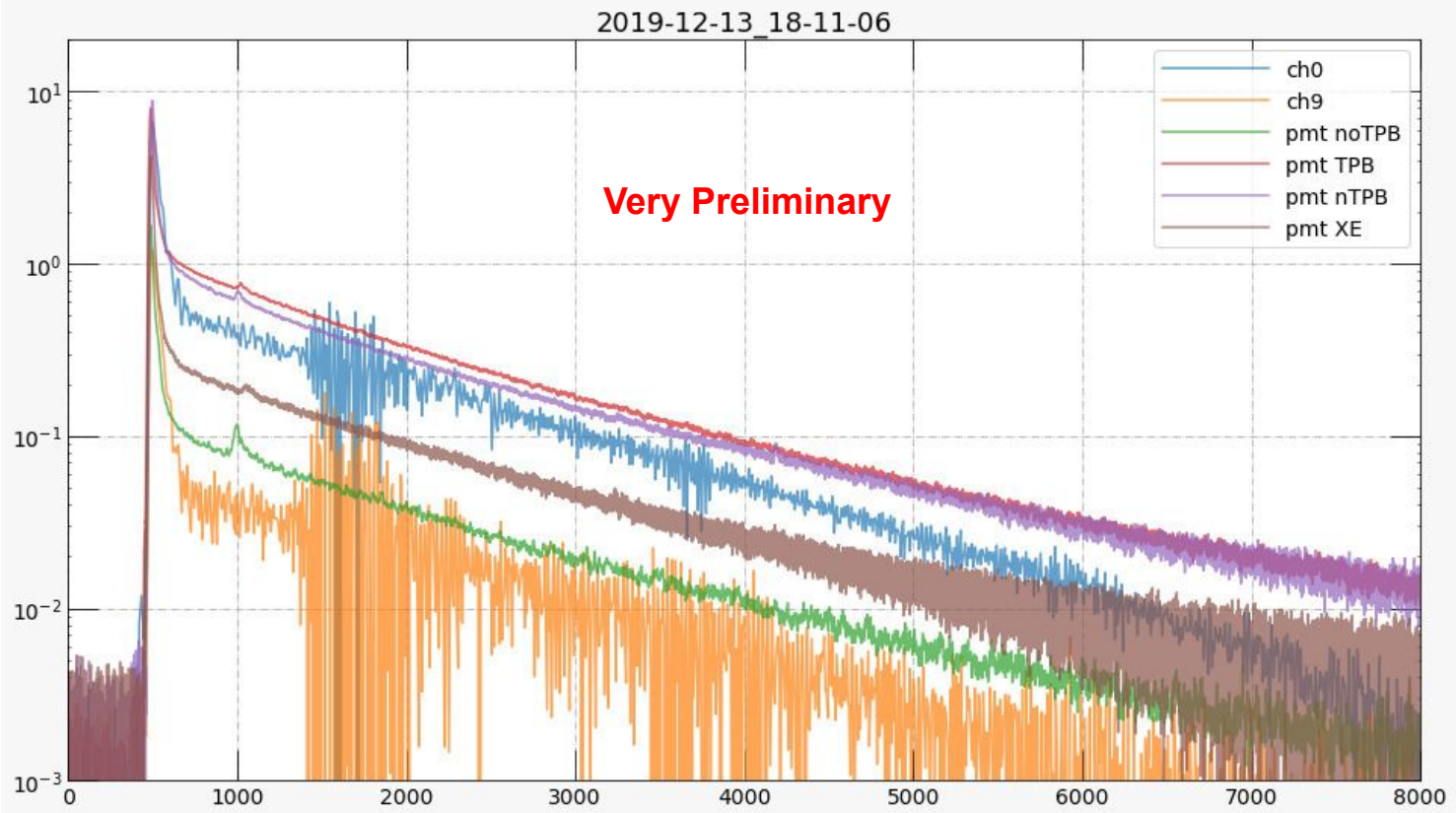
In the latter, we assume that the time constant of the Ar scintillation at 128 nm is $(1.4 \pm 0.1) \mu s$

$$\tau_{N2} (\text{on ArAr}^*) = 1.45 \pm 0.014 \mu s$$

$$\frac{1}{\tau_{AX}} = (0.185 \pm 0.01) Xe[ppm] \mu s^{-1}$$

$$\tau_{AX} = \frac{5.4 \pm 0.3}{Xe[ppm]} \mu s$$

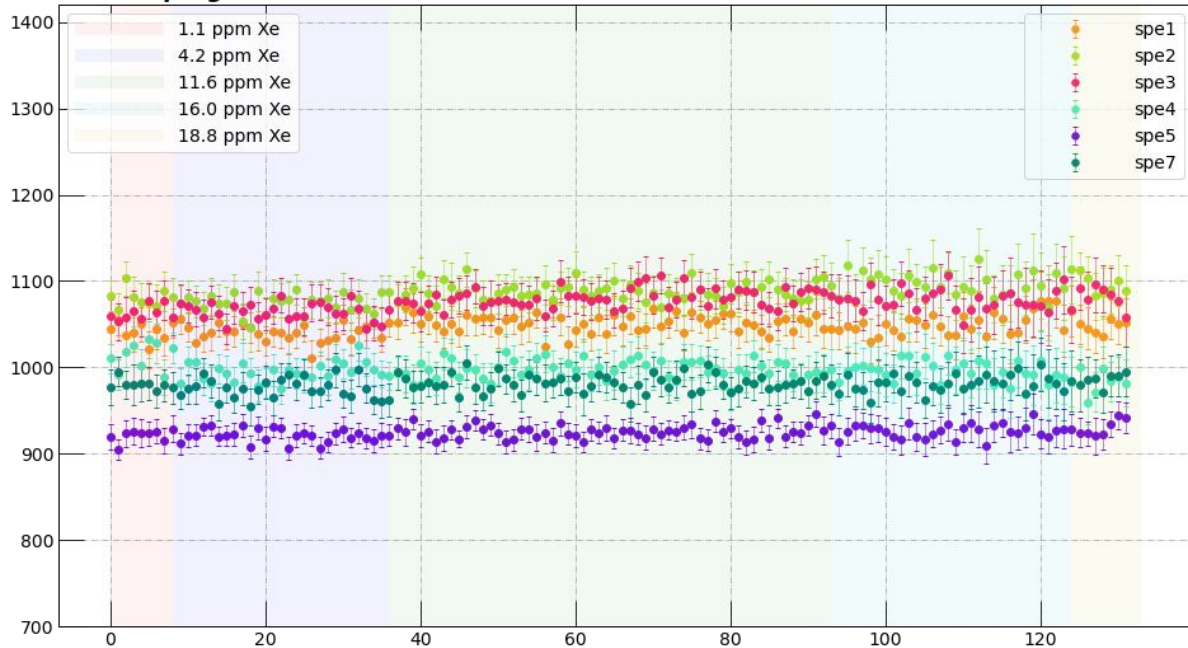
50L IC Results



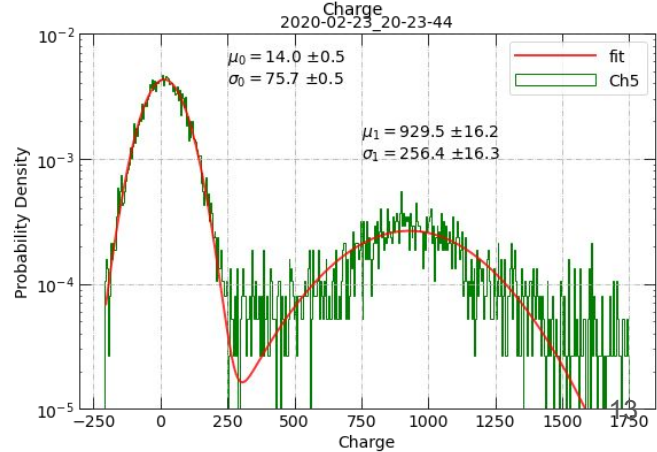
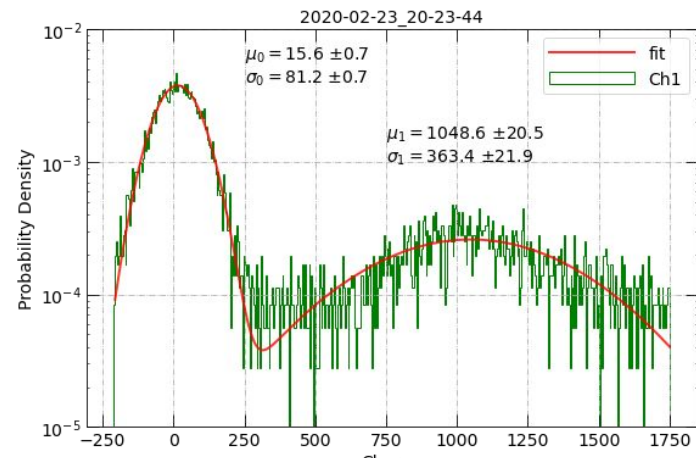
backup

Work in progress

SPE



SPE



ch1: 1048.4 +/- 11.6 (SYS 2.4)

ch2: 1087.8 +/- 13.6 (SYS 2.5)

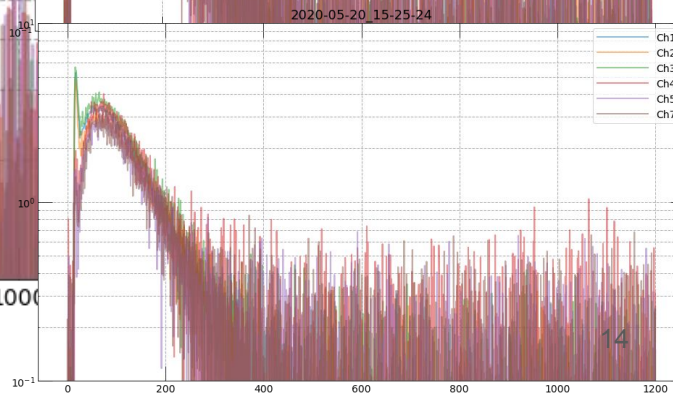
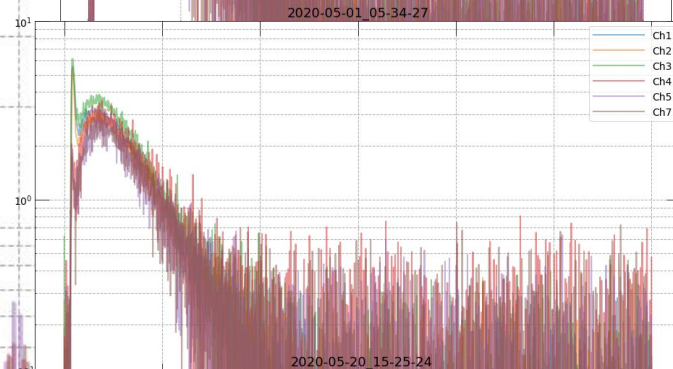
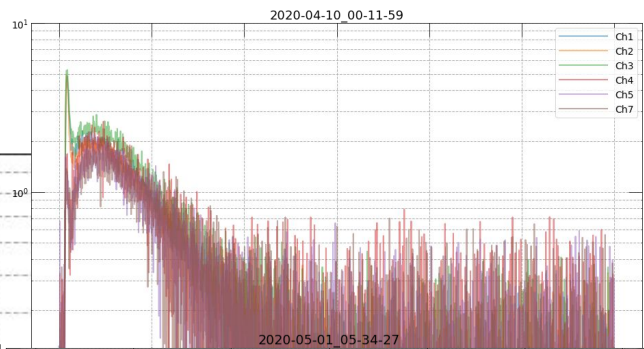
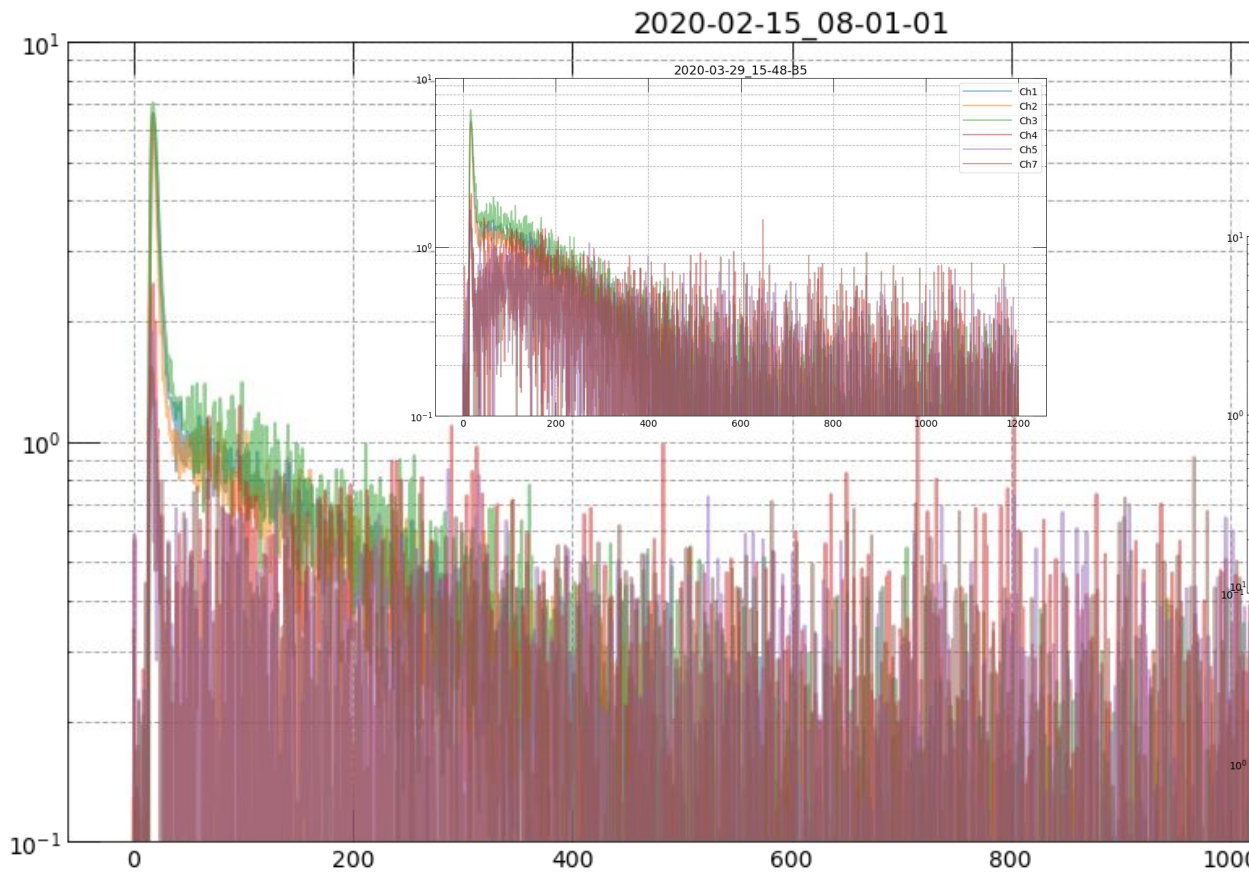
ch3: 1075.8 +/- 12.9 (SYS 3.1)

ch4: 997.41 +/- 12.0 (SYS 2.3)

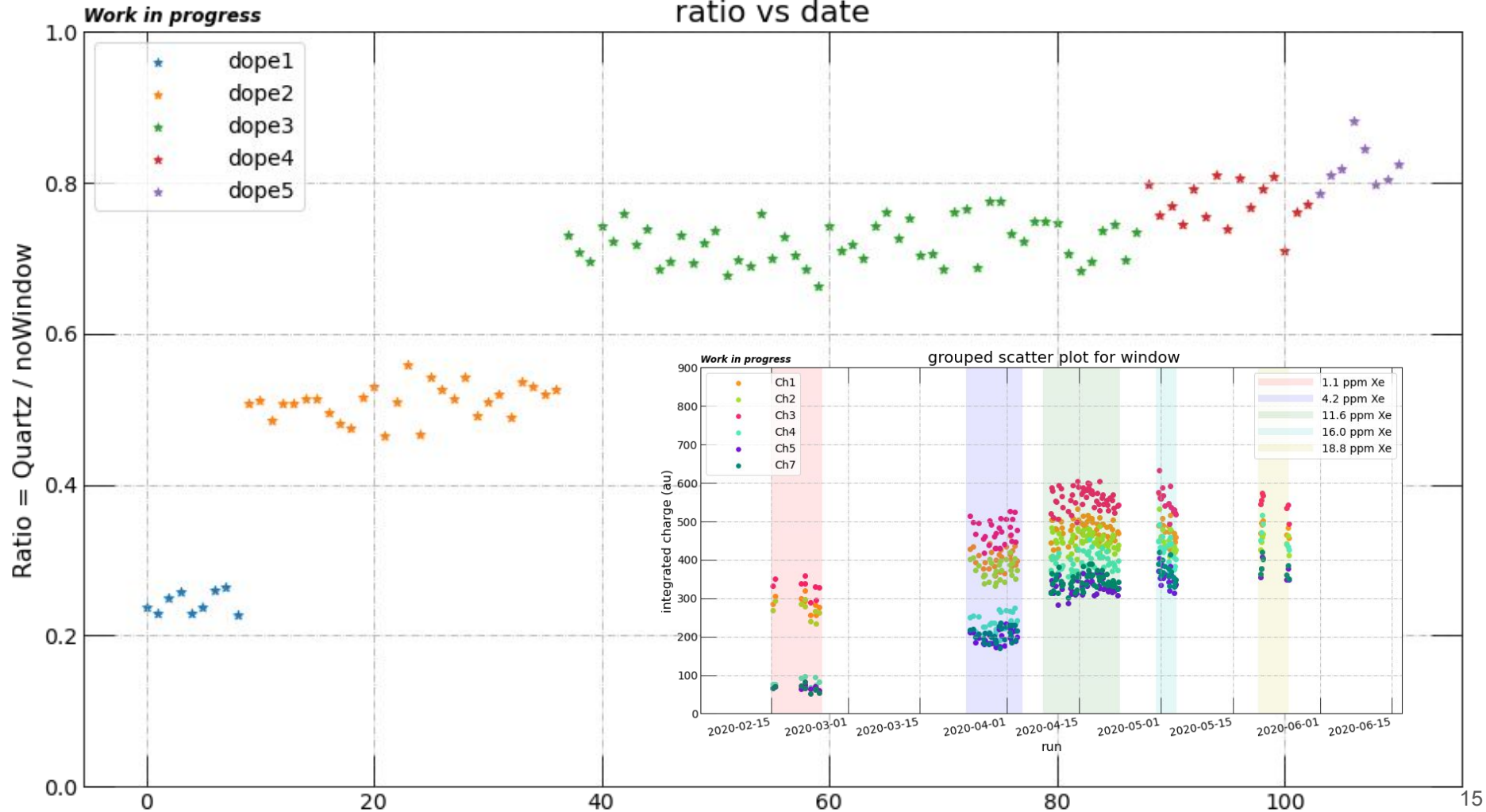
ch5: 924.99 +/- 8.0 (SYS 0.16)

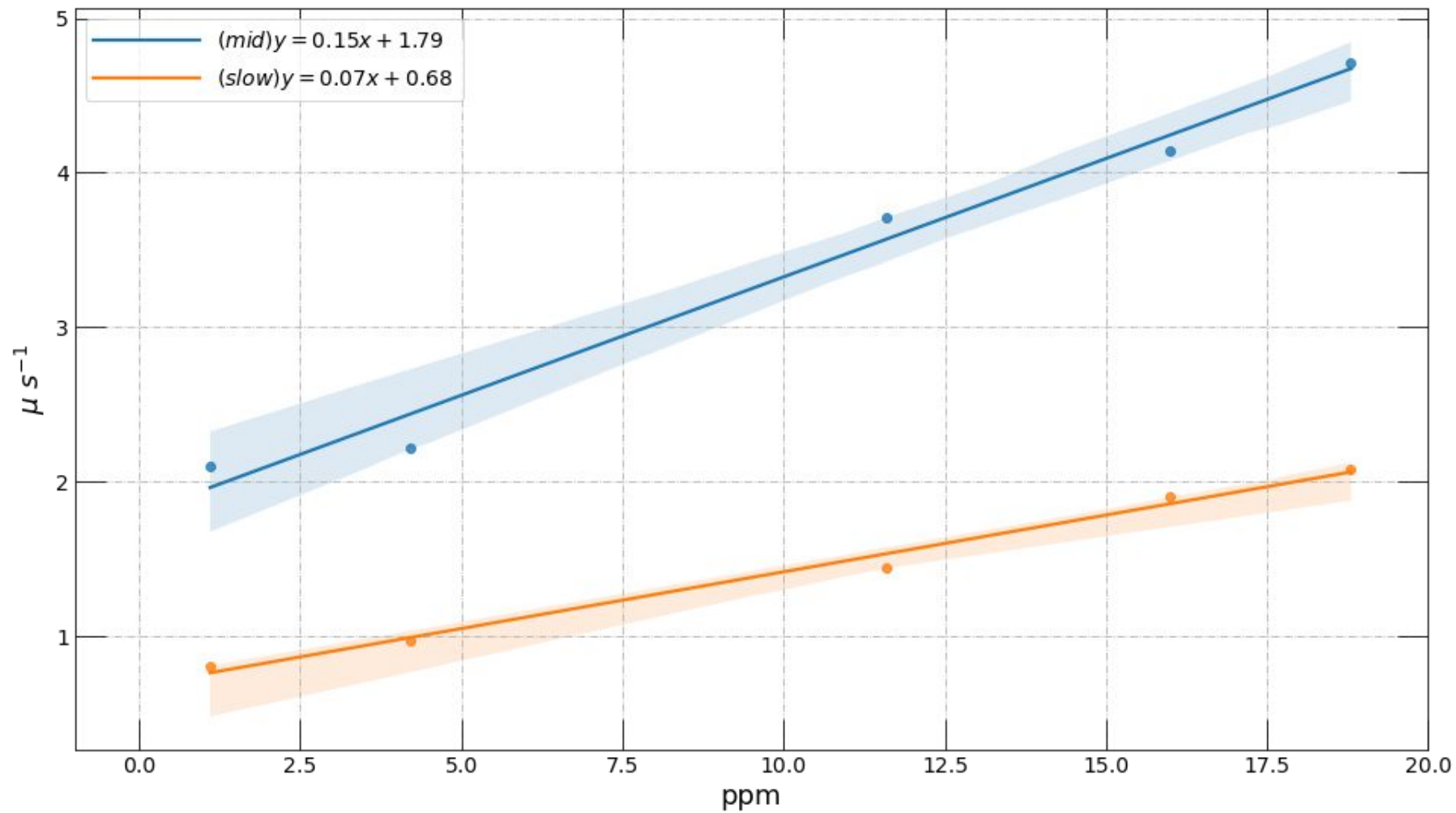
ch7: 980.68 +/- 10.3 (SYS 1.6)

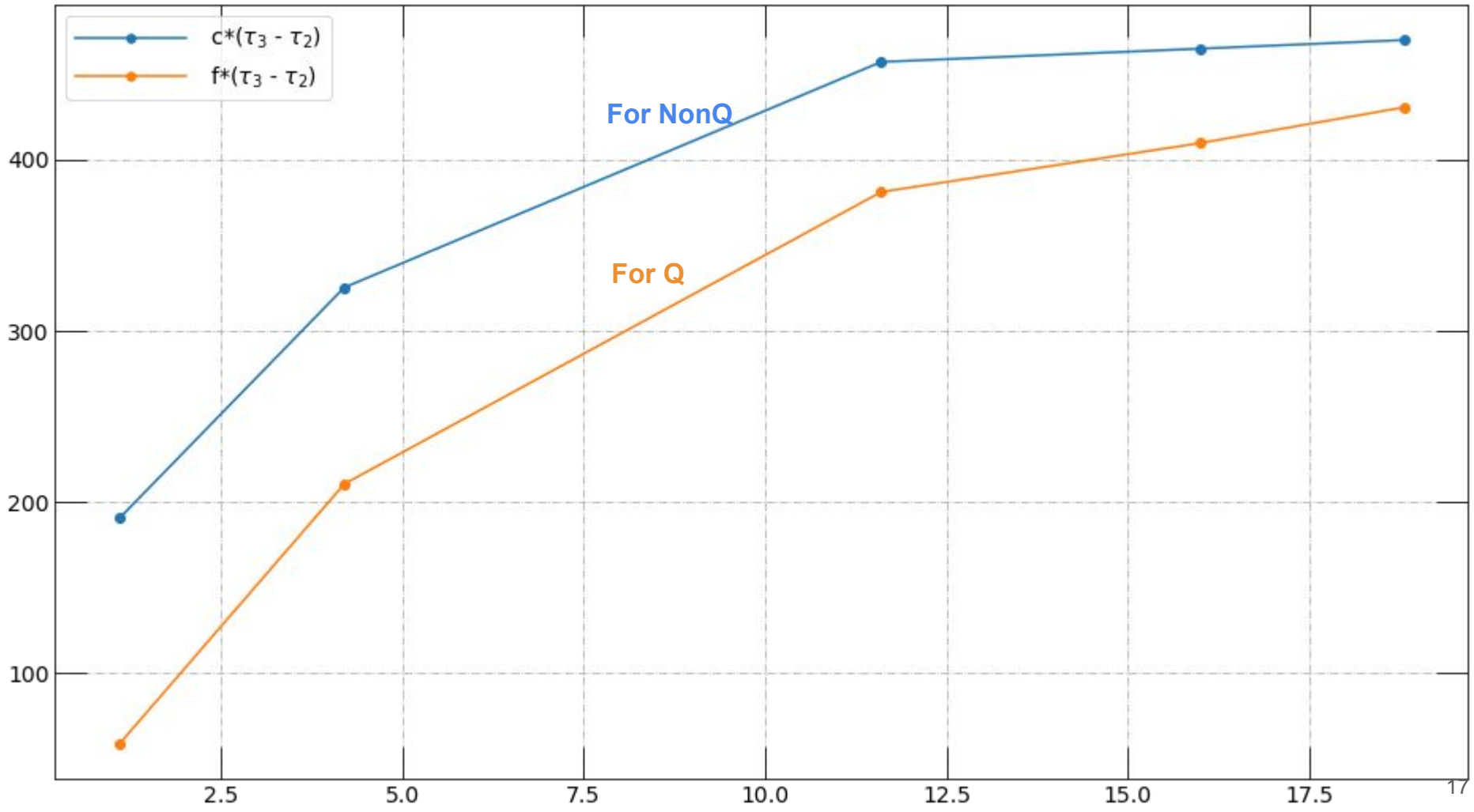
Run examples for each injection and channels

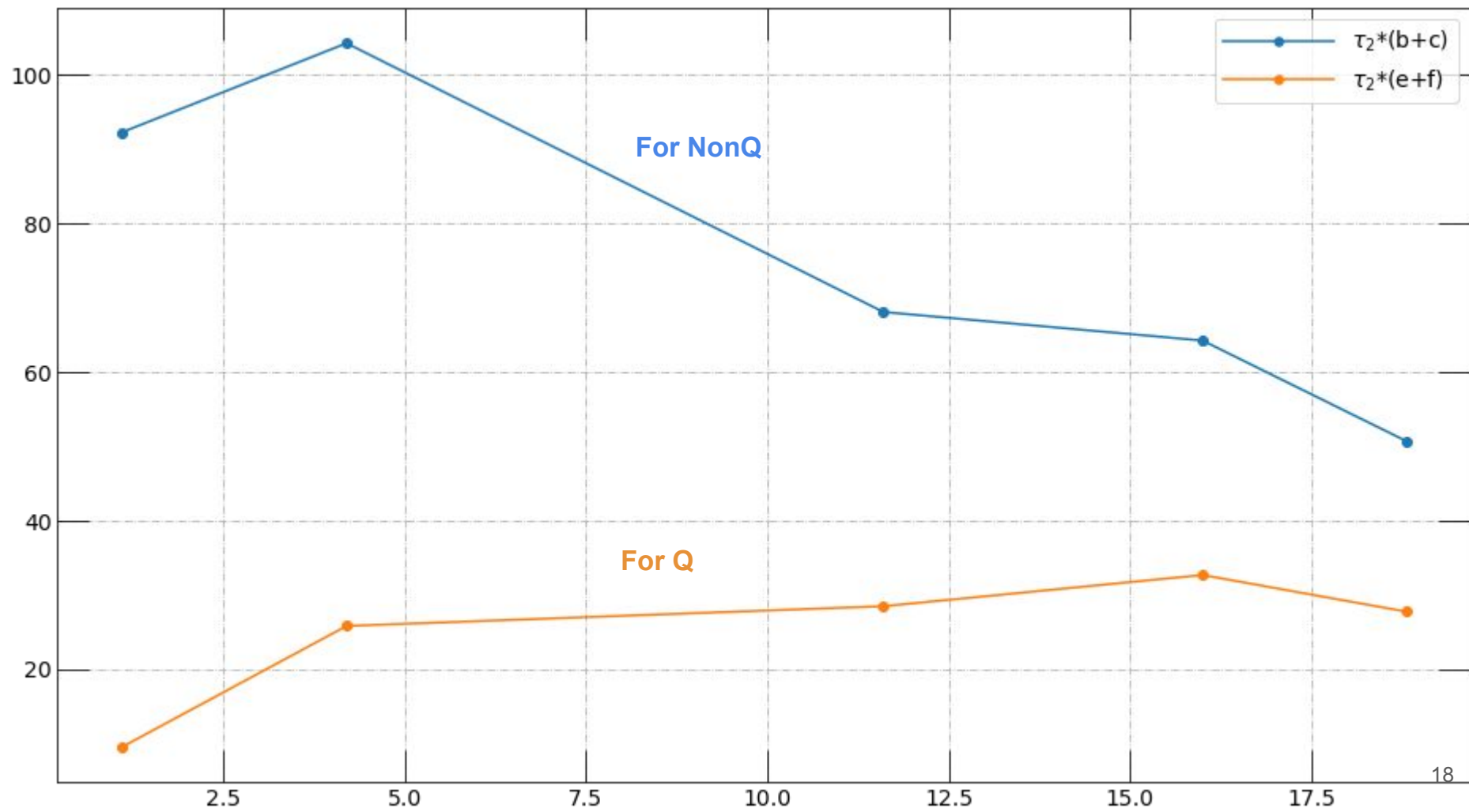


ratio vs date



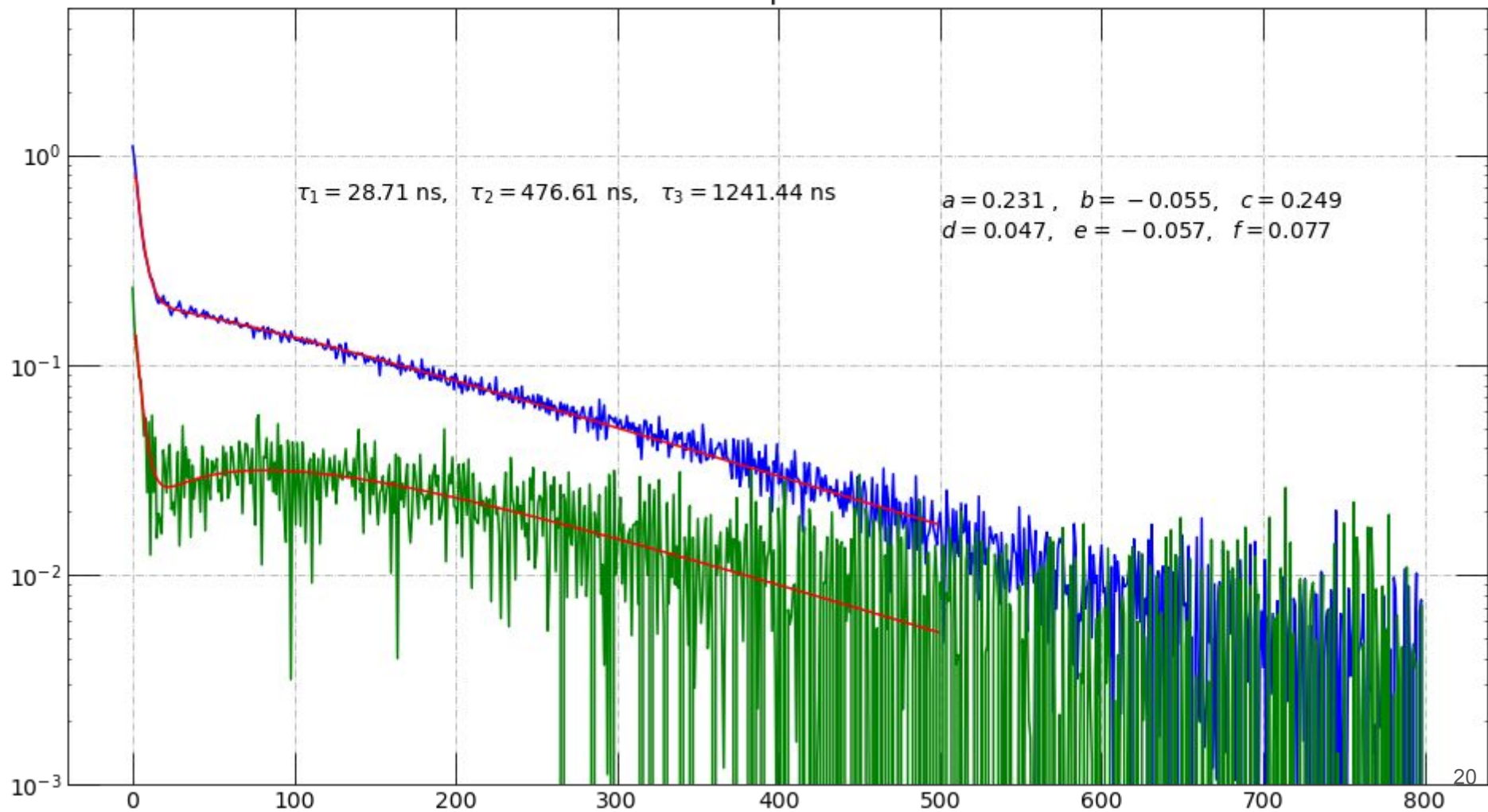




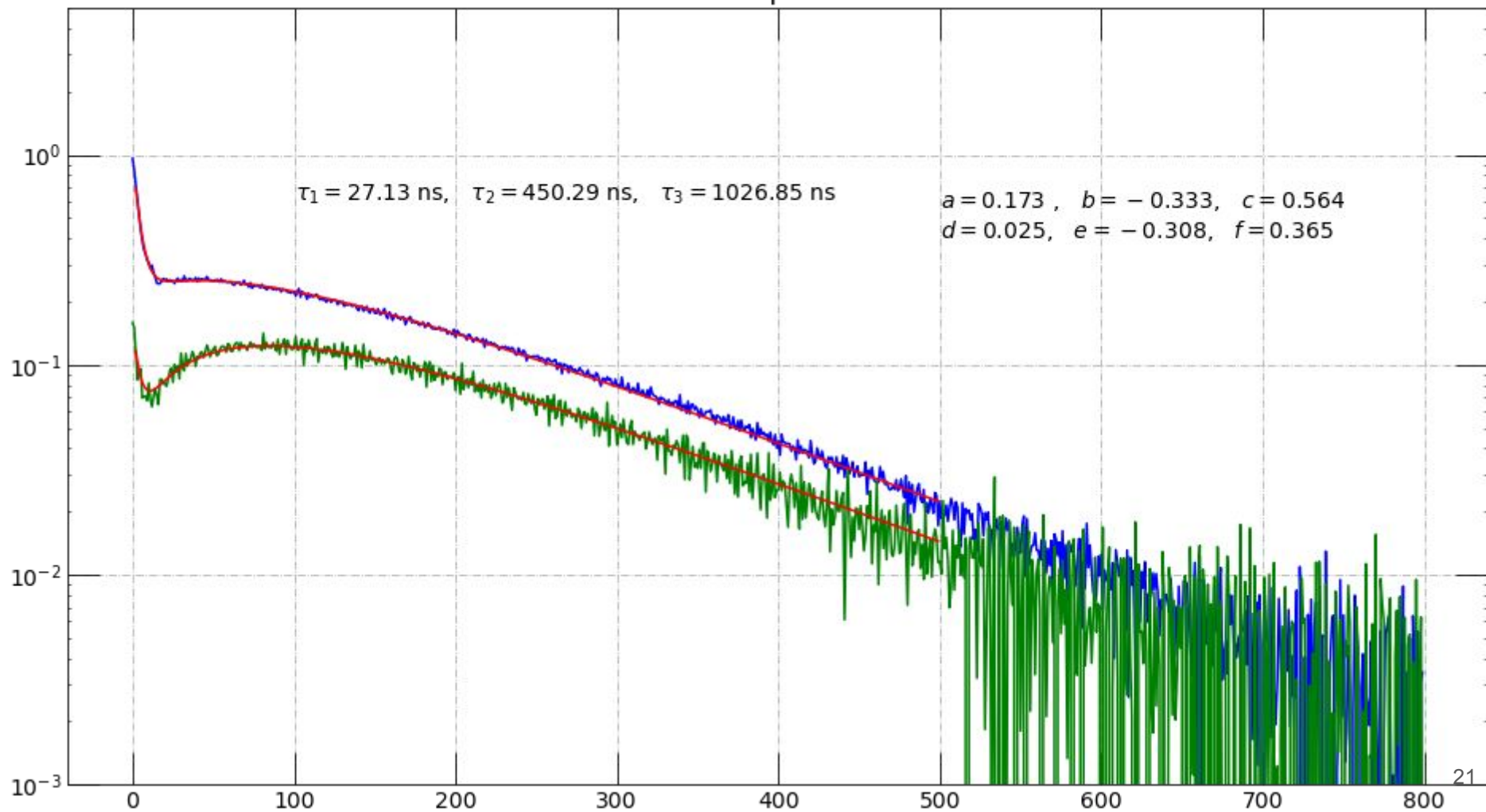


backup

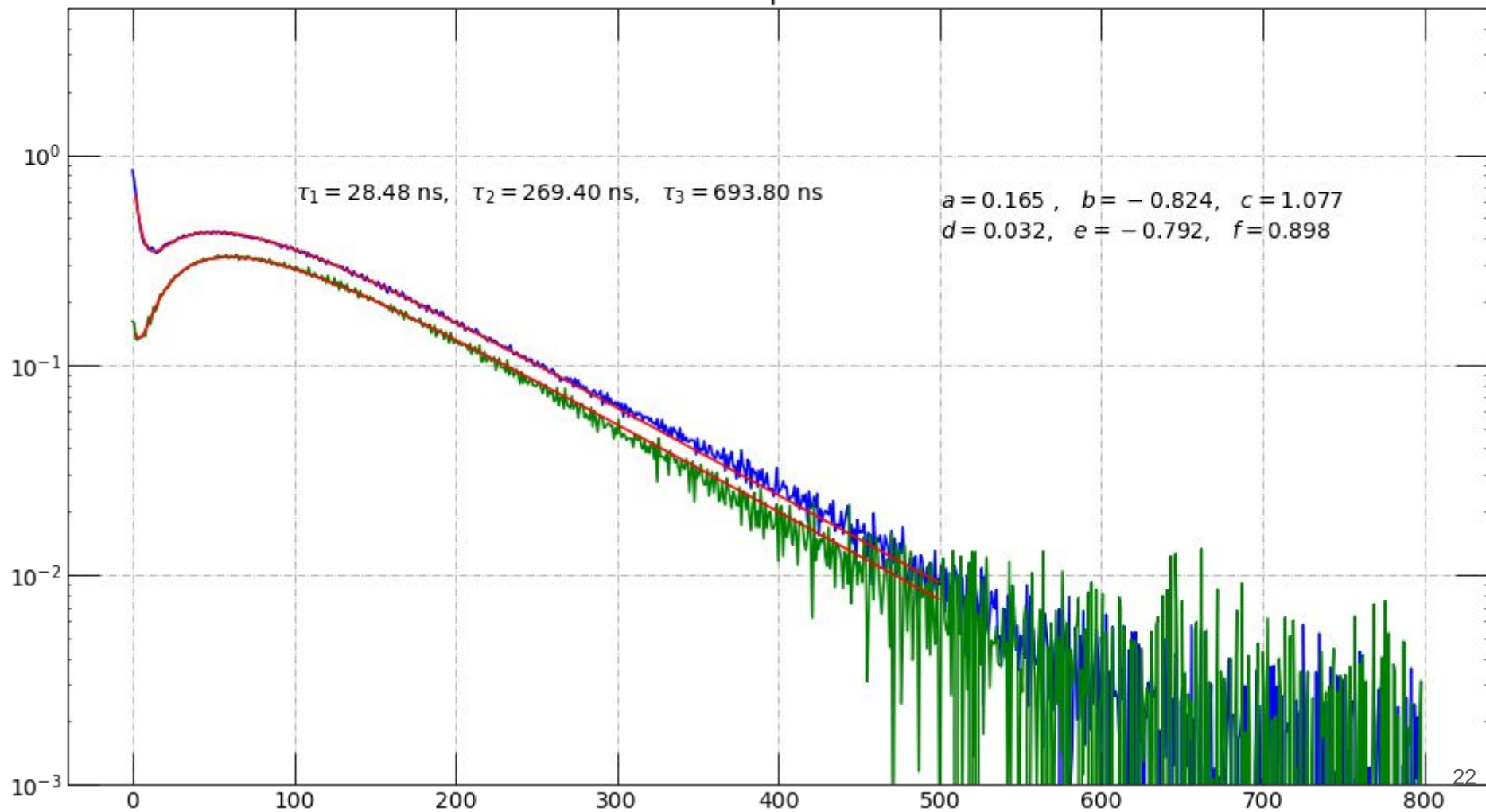
dope1



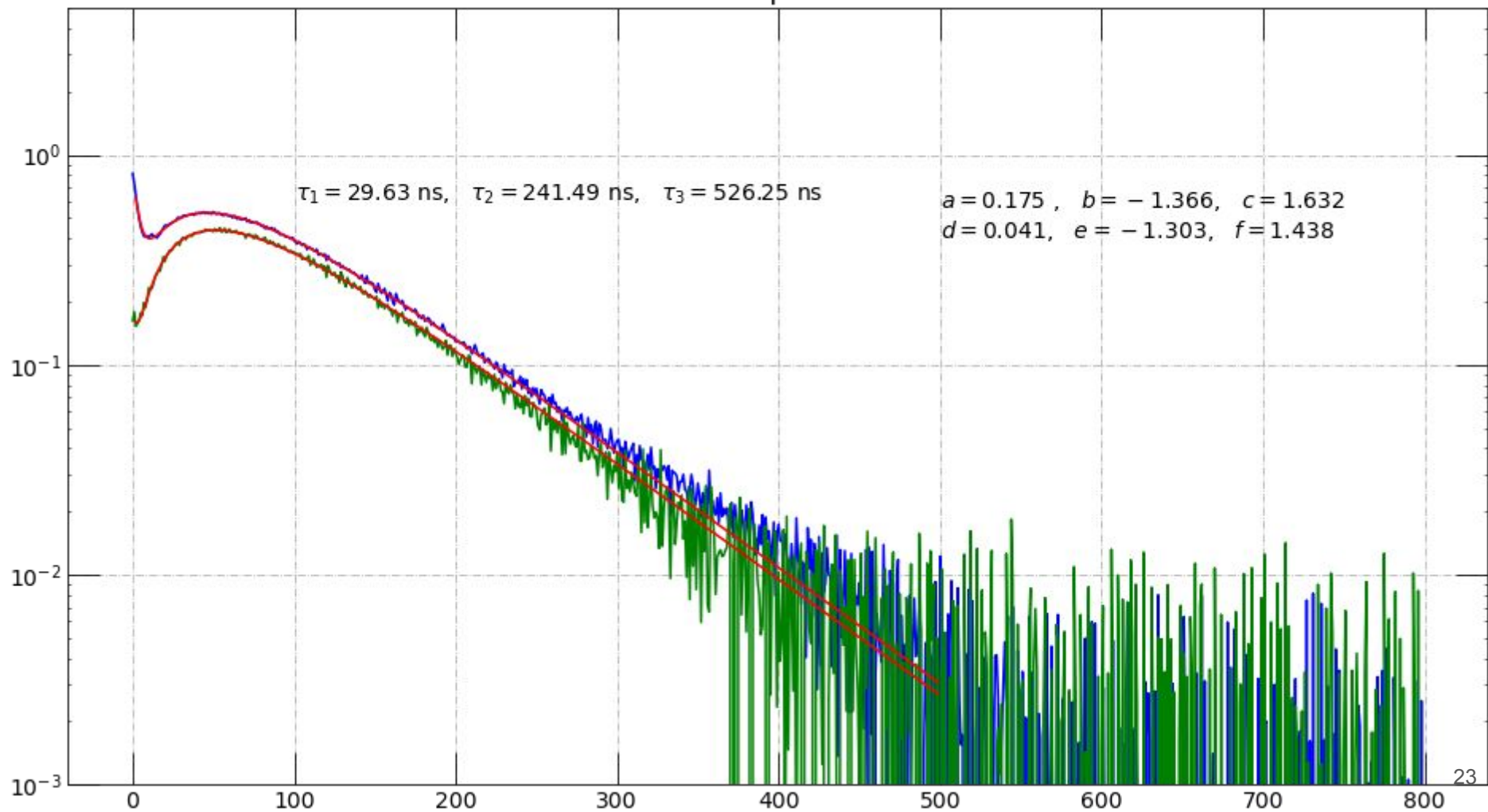
dope2



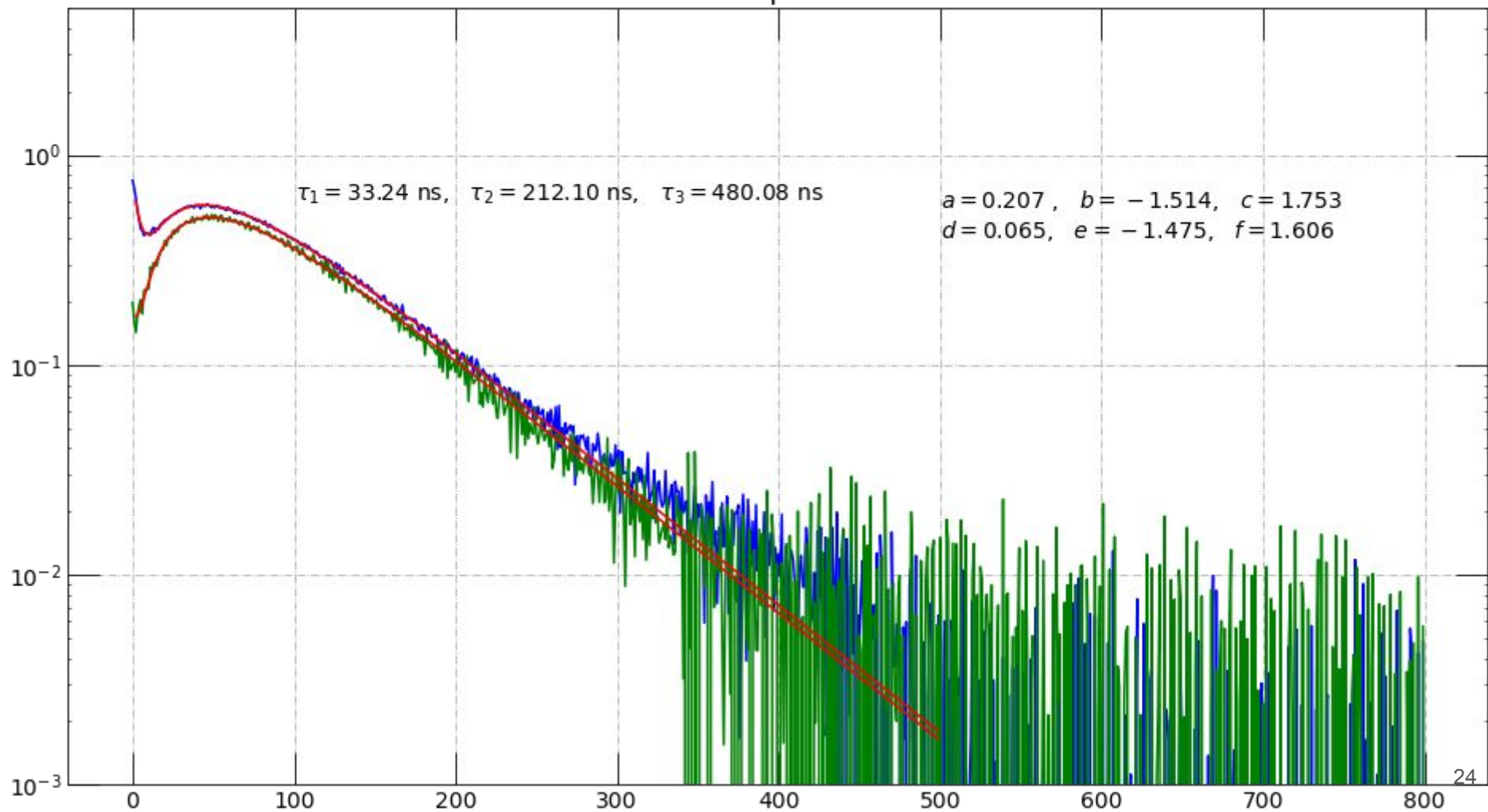
dope3



dope4



dope5



The X-Arapuca without Quartz window (XN) will see the sum of the three spectra, with the assumption that the three wavelengths are shifted with similar quantum efficiency.

$$\frac{dXN}{dt}(\text{scint}@128\text{nm} + 150\text{nm} + 178\text{nm})$$

$$= K \left(\frac{\tau_{TA}}{\tau_{128}} \frac{e^{-t/\tau_{TA}}}{\tau_{TA}} + \frac{\tau_{TA}}{\tau_{AX}} \frac{(e^{-t/\tau_{TA}} - e^{-t/\tau_{TX}})}{(\tau_{TA} - \tau_{TX})} \right)$$

The X-Arapuca with the Quartz window (XQ) will only be sensitive to the third spectrum (the one from XeXe*)

$$\frac{dXQ}{dt}(\text{scint}@178\text{nm}) = (1 - \varepsilon) K \frac{\tau_{150}}{\tau_{XX} + \tau_{150}} \frac{\tau_{TA}}{\tau_{AX}} \frac{(e^{-t/\tau_{TA}} - e^{-t/\tau_{TX}})}{(\tau_{TA} - \tau_{TX})}$$

The XN and XQ spectra at the different Xe concentrations can be fitted 'simultaneously' with the $\frac{dXN}{dt}$ and $\frac{dXQ}{dt}$ functions to extract the common value of τ_{TA} and τ_{TX} .

A linear fit of $\frac{1}{\tau_{TA}}$ and $\frac{1}{\tau_{TX}}$ as a function of the Xenon concentration could allow to estimate estimate of τ_{AX} and τ_{XX} :

$$\frac{1}{\tau_{TA}} = \frac{1}{\tau_{128}} + \frac{1}{\tau_{N2}} + \frac{1}{\tau_{AX}} = (a + b \text{ Xe[ppm]}) \mu s^{-1}$$

$$\frac{1}{\tau_{128}} + \frac{1}{\tau_{N2}} = a \mu s^{-1}$$

$$\frac{1}{\tau_{N2}} = (a - \frac{1}{1.6}) \mu s^{-1}$$

$$\tau_{N2} = 1 / (a - \frac{1}{1.6}) \mu s$$

$$\frac{1}{\tau_{AX}} = b \text{ Xe[ppm]} \mu s^{-1}$$

$$\tau_{AX} = \frac{1/b}{\text{Xe[ppm]}} \mu s$$

$$\frac{1}{\tau_{TX}} = \frac{1}{\tau_{150}} + \frac{1}{\tau_{XX}} = c + d \text{ Xe[ppm]} \mu s^{-1}$$

$$\tau_{150} = \frac{1}{c} \mu s$$

$$\tau_{XX} = \frac{\frac{1}{d}}{\text{Xe[ppm]}} \mu s$$

