

Updates on ν_τ CC search based on kinematics for the $\tau \rightarrow \rho \rightarrow \pi^- \pi^0$ channel

ν_τ meeting group

-

5th November 2020

Thomas Kosc — kosc@ipnl.in2p3.fr

3rd year PhD student at Institut de Physique des Deux Infinis (Lyon, France)

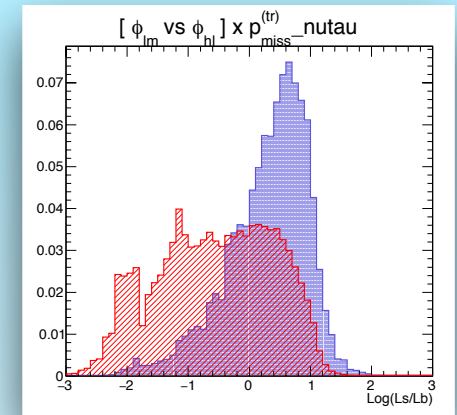
Supervisor : Dario AUTIERO

Abstract

- Can't rely on a **direct** τ identification for DUNE far detectors: look at the τ decay modes and develop for each channel a τ appearance analysis.
- Use the rich single event kinematic information available at DUNE FD. I'm working with the CAFANA NTuples used for the DUNE TDR, and developing a kinematic based search analysis for the τ flavor.

- Previously, I developed an analysis for leptonic decay mode, especially for $\tau \rightarrow e$ decay mode (18% BR). I had likelihood discrimination (cut at 0.7) + CVN pre-selection indicating 14% signal kept, while 7% $\nu_{\mu e}$ contamination (not normalised). **Can be improved.**

See DUNE collaboration meeting January 2020.



- I extended the leptonic analysis to an **exclusif decay mode**: $\tau \rightarrow \rho \nu_{\tau} \rightarrow \pi^{-} \pi^{0} \nu_{\tau}$: **large BR** (25%), reconstruction of **resonance** with charged pion and π^0 , get inspiration from NOMAD experiment (which ran at higher energies than DUNE, though).
- The π^0 case: I decay all π^0 manually into two photons, isotropically in the π^0 rest frame. No Dalitz decay. I use a conservative hypothesis: no *a priori* π^0 reconstruction performance. Any pair of photons will be, to me, a π^0 candidate.

The $\tau \rightarrow \rho \rightarrow \pi^0 \pi^-$ decay mode: cross check using the invariant mass

- In the CAFANA files, the ρ isn't explicitly recorded. Instead, one finds that $\tau^- \rightarrow \pi^- \pi^0 \nu_\tau$, I first checked that the ρ was well simulated underneath (one may find explicit ρ simulated within the hadronic system).

Collection name='genie::GHepparticles', class='genie::EventRecord', size=1000

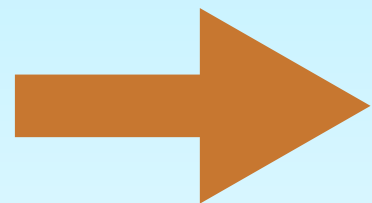
nu_tau	16	0	-1	-1	4	4	-0.000	1.526	15.060	15.137	0.000
Ar40	1000180400	0	-1	-1	2	3	0.000	0.000	0.000	37.216	37.216
neutron	2112	11	1	-1	5	5	0.041	-0.035	-0.004	0.930	0.940
Ar39	1000180390	2	1	-1	12	12	-0.041	0.035	0.004	36.286	36.286
tau-	15	3	0	-1	13	15	-1.286	0.429	9.426	9.688	1.777
HadrSyst	2000000001	12	2	-1	6	8	1.327	1.062	5.629	6.379	0.000
proton	2212	14	5	-1	9	9	0.771	0.014	1.437	1.882	0.938
pi+	211	14	5	-1	10	10	-0.240	0.400	0.684	0.840	0.140
pi-	-211	14	5	-1	11	11	0.796	0.647	3.507	3.657	0.140
proton	2212	1	6	-1	-1	-1	0.771	0.014	1.437	1.882	0.938
pi+	211	1	7	-1	-1	-1	-0.240	0.400	0.684	0.840	0.140
pi-	-211	1	8	-1	-1	-1	0.796	0.647	3.507	3.657	0.140
HadrBlob	2000000002	15	3	-1	-1	-1	-0.041	0.035	0.004	36.286	0.000
nu_tau	16	1	4	-1	-1	-1	0.313	0.191	2.999	3.021	0.000
pi-	-211	1	4	-1	-1	-1	0.005	0.037	0.447	0.469	0.140
pi0	111	1	4	-1	-1	-1	-1.605	0.202	5.981	6.197	0.135

final state τ

τ decay daughters

A GENIE NTuple nutauCC event

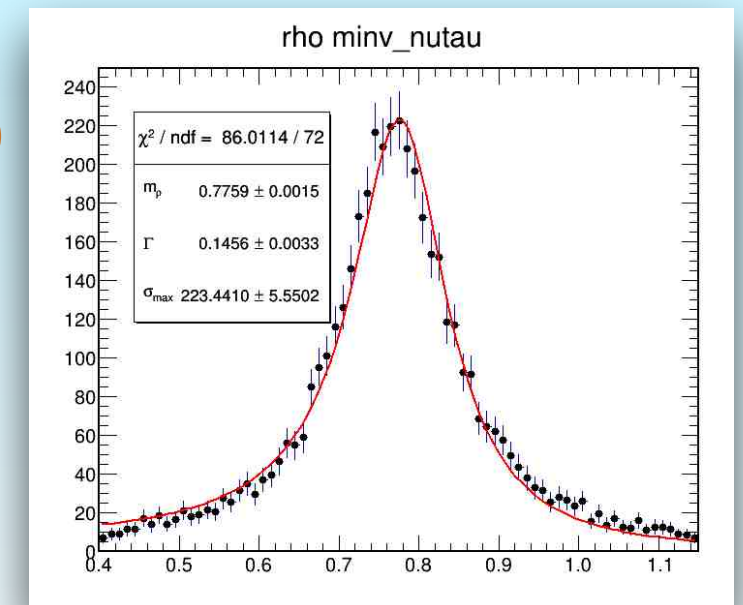
- Invariant mass distribution of the true ρ ($\pi^0 \pi^-$) system (stat. errors), fitted by a relativistic Breit-Wigner gives correct ρ mass of 0.776 GeV and correct width decay (0.146 GeV).



The ρ is there, underneath.
 ρ tagging equivalent to tagging a ($\pi^0 ; \pi^-$) system

- Vocabulary** : in this talk, I will refer as :
 - **The true ρ** : the ($\pi^0 \pi^-$) system which are the true final decay products of the $\tau \rightarrow \rho$ resonance.
 - **The fake ρ** : any ($\pi^0 \pi^\pm$) system which doesn't fulfill the previous condition.

N.B: the π^0 itself decays into two photons, thus I'm looking at triplets ($\gamma_1 \gamma_2 \pi^\pm$) instead of doublets.

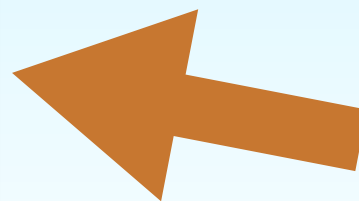
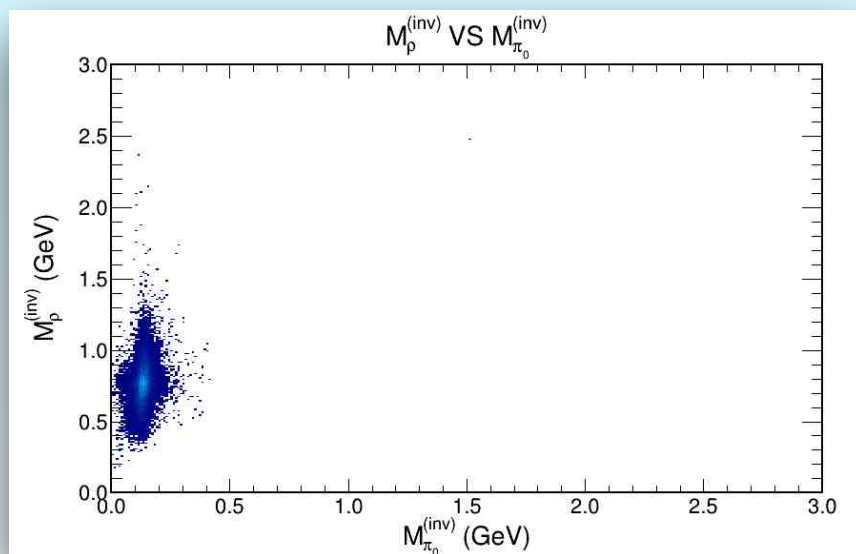
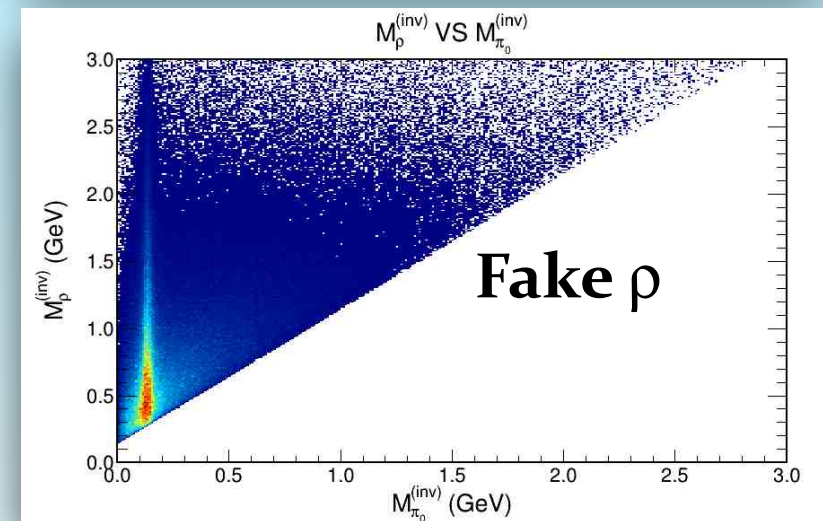
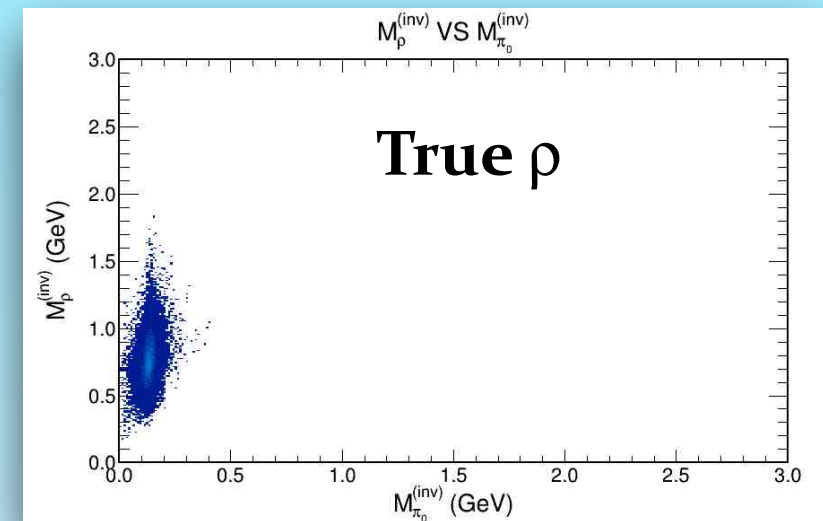


Developing a ρ tagging method with the invariant masses (individual particle smearing activated)

- Within a ν_τ CC event, the hadronic system can be composed of pions too, thus **blurring** the true ρ decay system. To get some help, let's exploit the scatter plot of the **invariant masses** ($\pi^0; \rho$) (the π^0 momentum is thus present in both invariant masses).
- We observe that the true ρ decay particles (top right) are distributed around (0.135 ; 0.776) GeV, the π^0 and ρ true masses. All other ρ candidates are gathered in a single plot (bottom right), which we observe to be way more spread in the plane. Motivation for a **ranking method** based on the 2D cartesian distance:

$$d = \sqrt{\left(M_{\pi^0}^{(inv)} - m_{\pi^0}\right)^2 + \left(M_{\rho}^{(inv)} - m_{\rho}\right)^2}$$

Within an event, I refer as the **best** ρ , the ρ candidate which scored the smallest d . The best ρ can be either the true ρ , either a fake ρ .

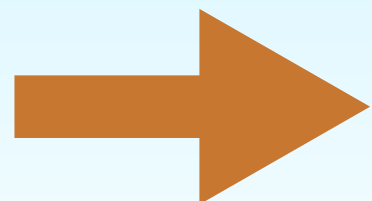


The ranking selects events with an expected distributions. Contamination ?

The ρ degeneracy - numbers

Among a sample of ν_τ CC($\tau \rightarrow \rho$), I found that :

- 54% had no ρ confusing candidate (no degeneracy)
- 27% had a ρ scoring the best score (I don't specify the number of fake ρ candidates defeated in the process).
- 9% finished 2nd
- 6% finished 3rd and more
- 3% were discarded (it happens, for instance, when one of the ρ daughters undergoes smearing and gets a null energy, thus considered unreconstructed).



The correct ρ is selected 81% of the time, 19% contamination at this stage.

The analysis framework : assumptions, S and B definitions

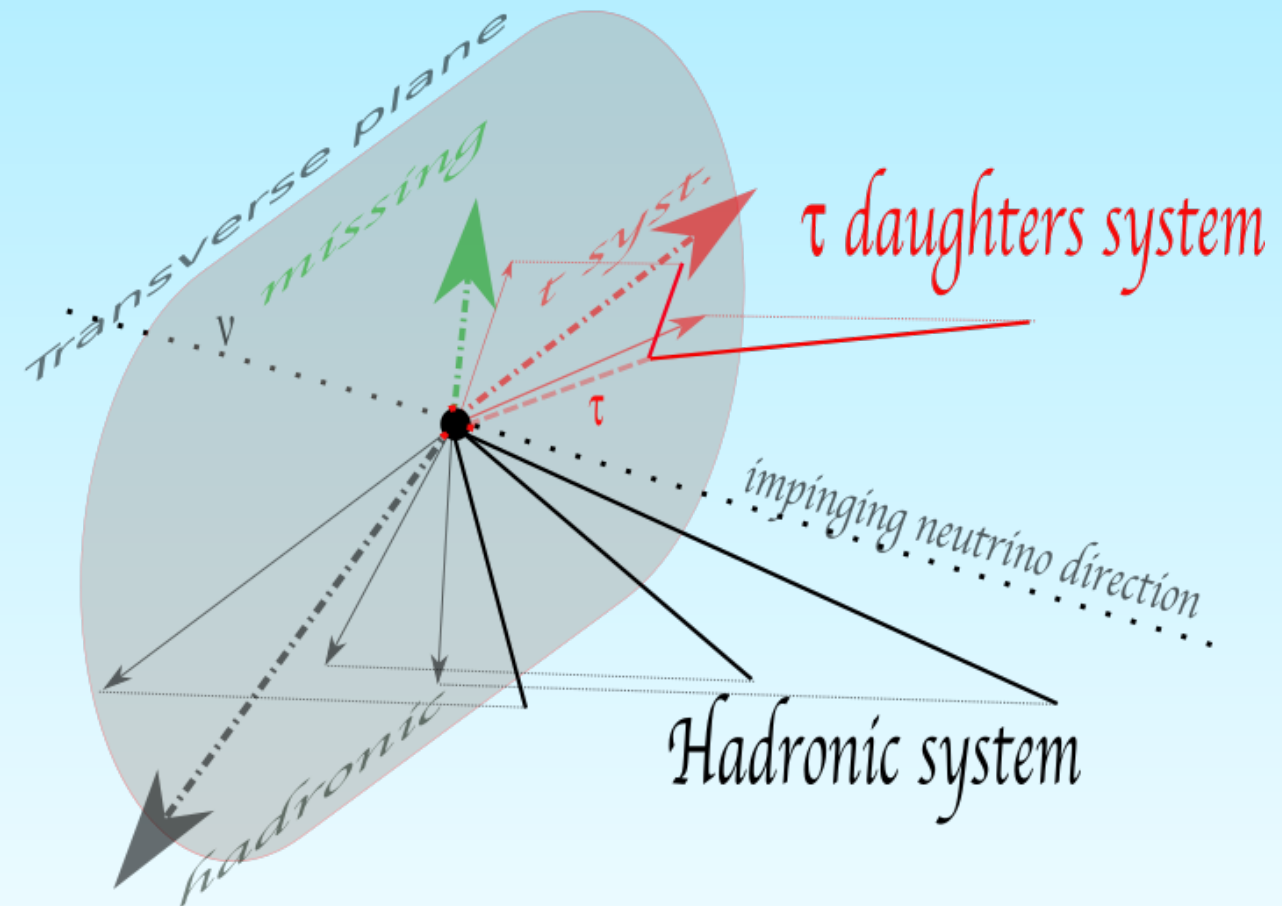
For the following, I will assume that:

- I run in neutrino mode.
- I can reconstruct all charged particles energies (no smearing on them, but neutrons are discarded).
- I can identify them (as a consequence I can reconstruct their momentum), but I can't differentiate π^+ from π^- .

Signal = $\nu\tau\text{CC}(\tau \rightarrow \rho \rightarrow \pi^-\pi^0 \rightarrow \pi^-\gamma_1\gamma_2)$

Background = NC with an existing $(\pi^\pm\pi^0)$ system. In case of ρ degeneracy, **pick the best ρ** .

- Because of the ρ degeneracy, in NC for each event I use the ρ candidate which scored the best invariant masses criteria, and use this candidate to construct the kinematic distributions.



Schematic view of a $\nu_\tau\text{CC}$ event

The set of kin. variables used $\nu\tau$ CC true ρ VS NC best ρ

I use 16 kinematical variables, including:

- Pions energie the sum of both (that I call the ρ energy, a terrible name), + pion energy sharing.

$$r_{\pi}^K = \frac{E_{\pi^{\pm}}^K}{E_{\pi^{\pm}}^K + E_{\pi^0}^K}$$

- Invariant masses for π^0 and $(\pi^0\pi^{\pm})$ systems.

$$M_{\pi^0}^{(inv)}; M_{\rho}^{(inv)}$$

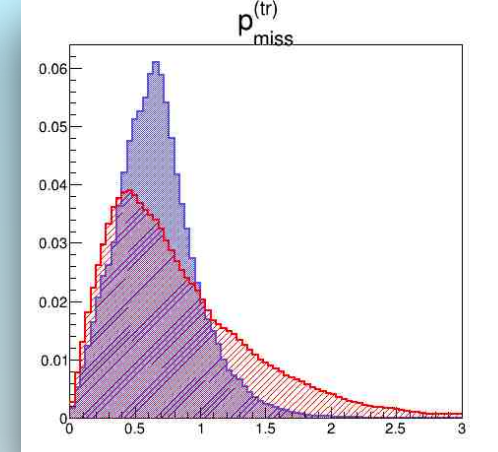
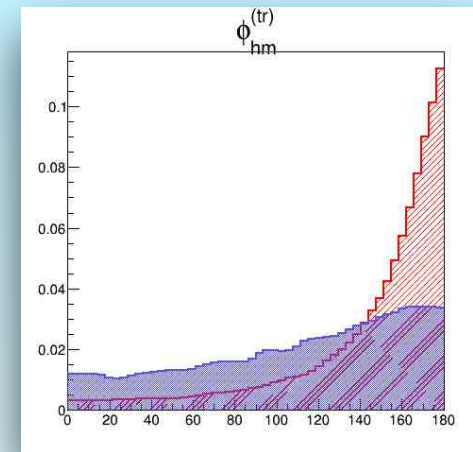
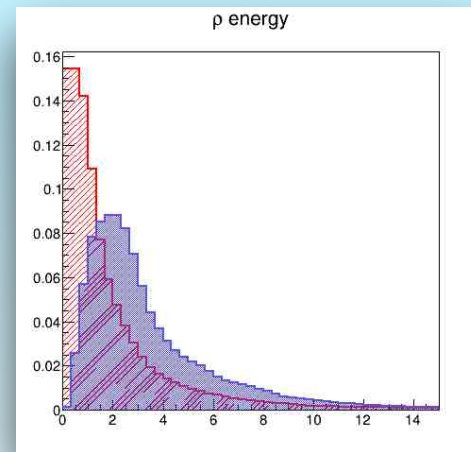
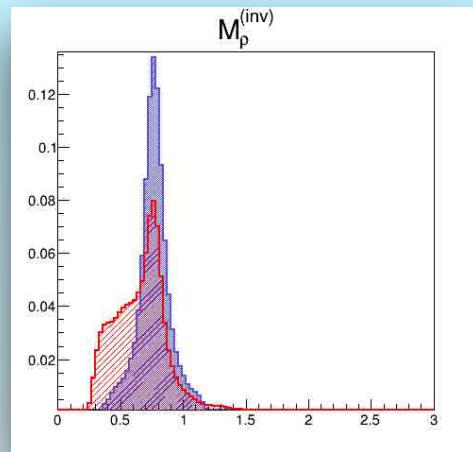
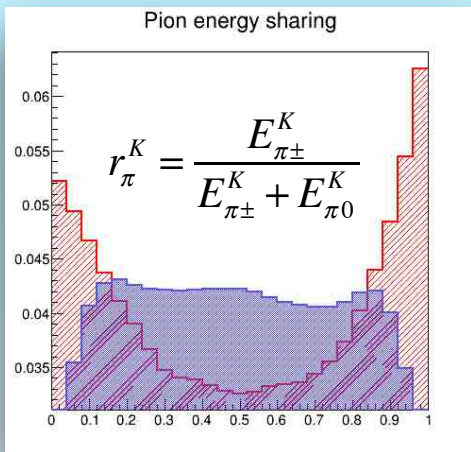
$$E_{\pi^0}^K; E_{\pi^{\pm}}^K; \rho_K; r_{\pi}^K$$

- Various space angles (θ) between system momenta : ρ , h(hadronic), total, v (beam direction). Some of these angles are representative of the isolation of the rho candidate with respect to the hadronic system.

$$\theta_{\rho h}; \theta_{\rho tot}; \theta_{hv}; \theta_{\rho v}$$

- Transverse plane information of had. syst., ρ syst. and missing component (modulus of the momentum, plus relative direction with angle ϕ).

$$P_{\rho}^{(tr)}; P_{had}^{(tr)}; P_{miss}^{(tr)}; \phi_{h\rho}^{(tr)}; \phi_{hm}^{(tr)}; \phi_{m\rho}^{(tr)}$$

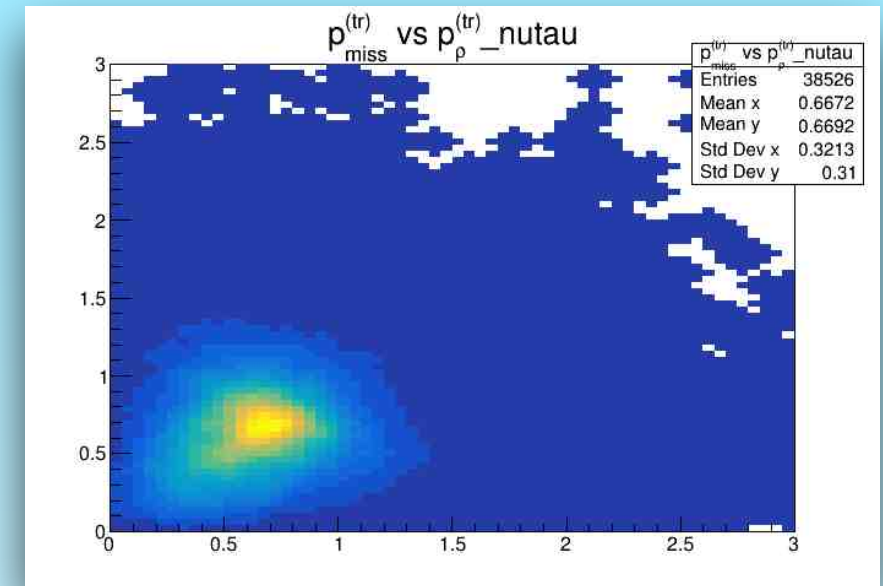
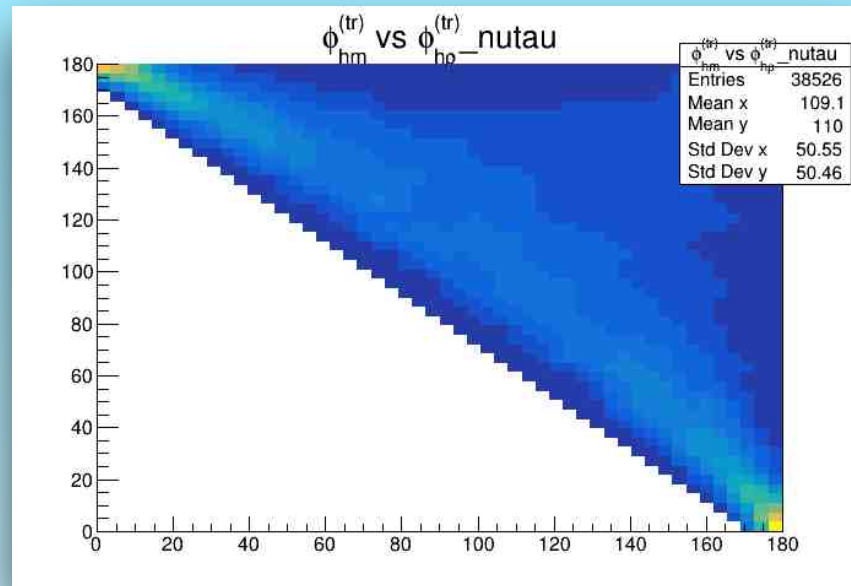


- Pion energy sharing: S has ~flat distribution, while B has asymmetry in the energy sharing.
- Red ρ invariant mass dist. has a strange shape because of the ρ selection criteria (cf. slide 4).
- Pions of S have higher energy than B.
- In the transverse plane, the missing momentum is $\sim 180^\circ$ with respect to the hadronic momentum for NC (which is what we expect, since there is no true ρ system)

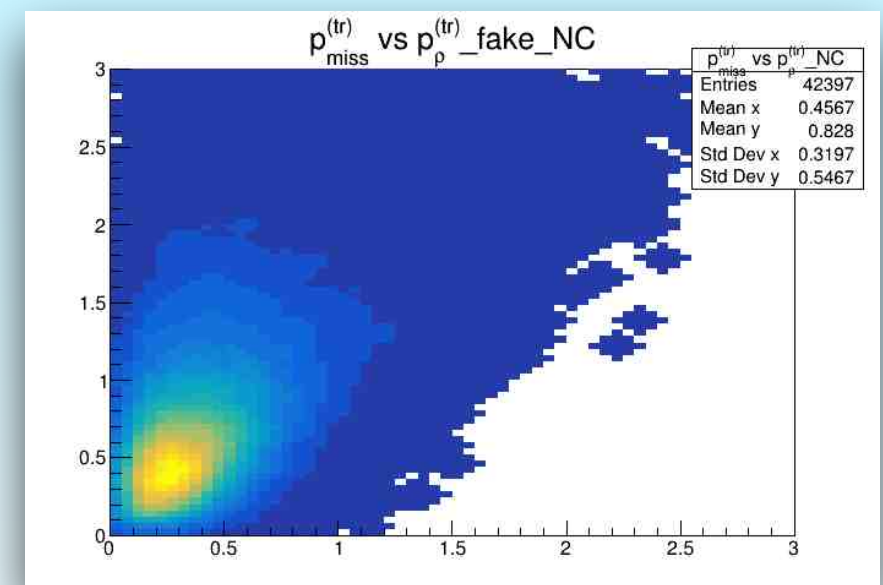
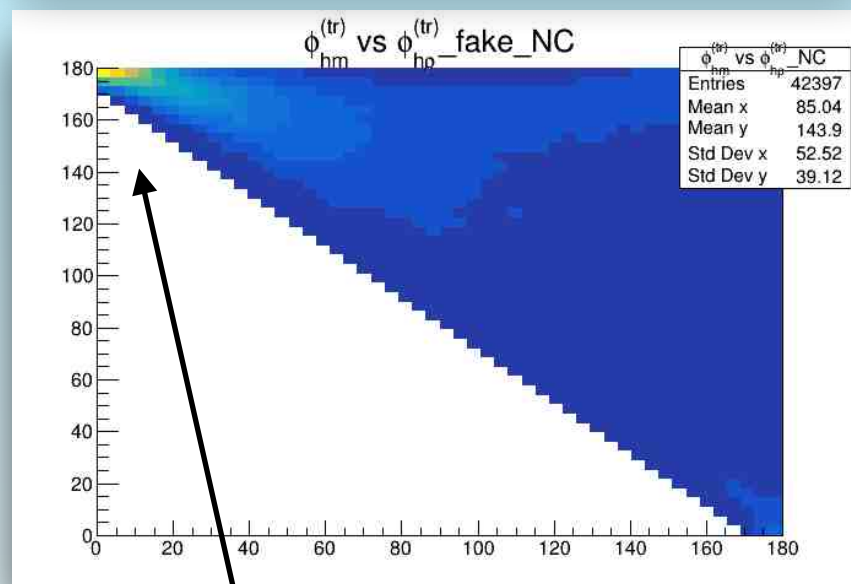
The set of kinematic variable : 2D correlations

To improve the discrimination power, one can have a look at 2D correlations of variables. Some illustrations

Signal



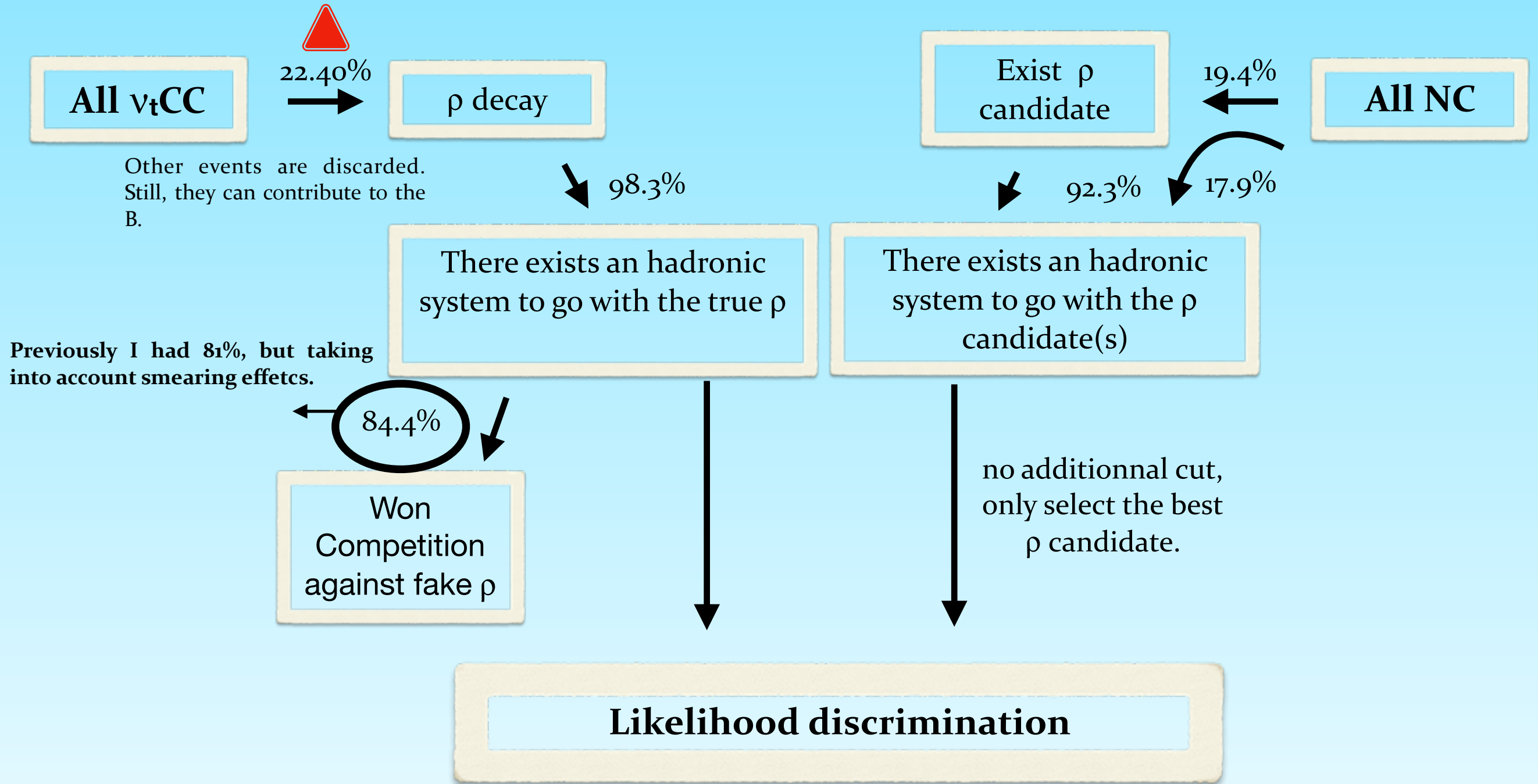
Background




For NC: $\sim 0^\circ$ transverse rh angle and $\sim 180^\circ$.
Signal is more spread.

Different region of the plane preferred.

The process of the S/B analysis



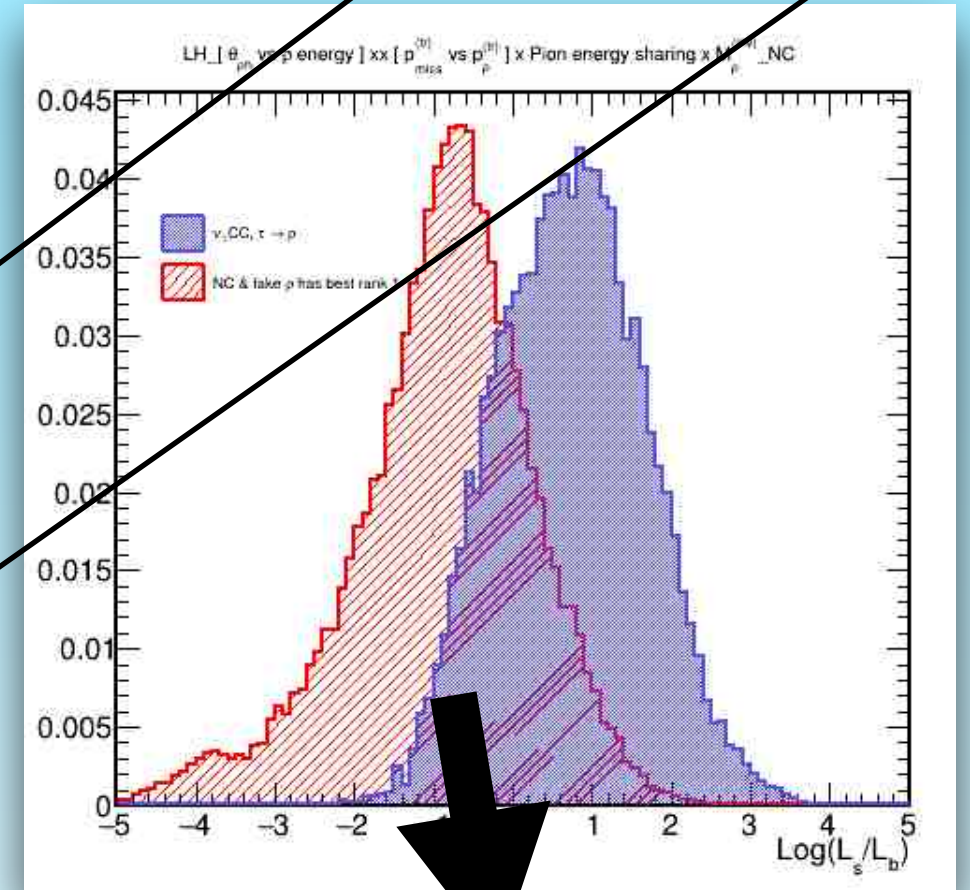
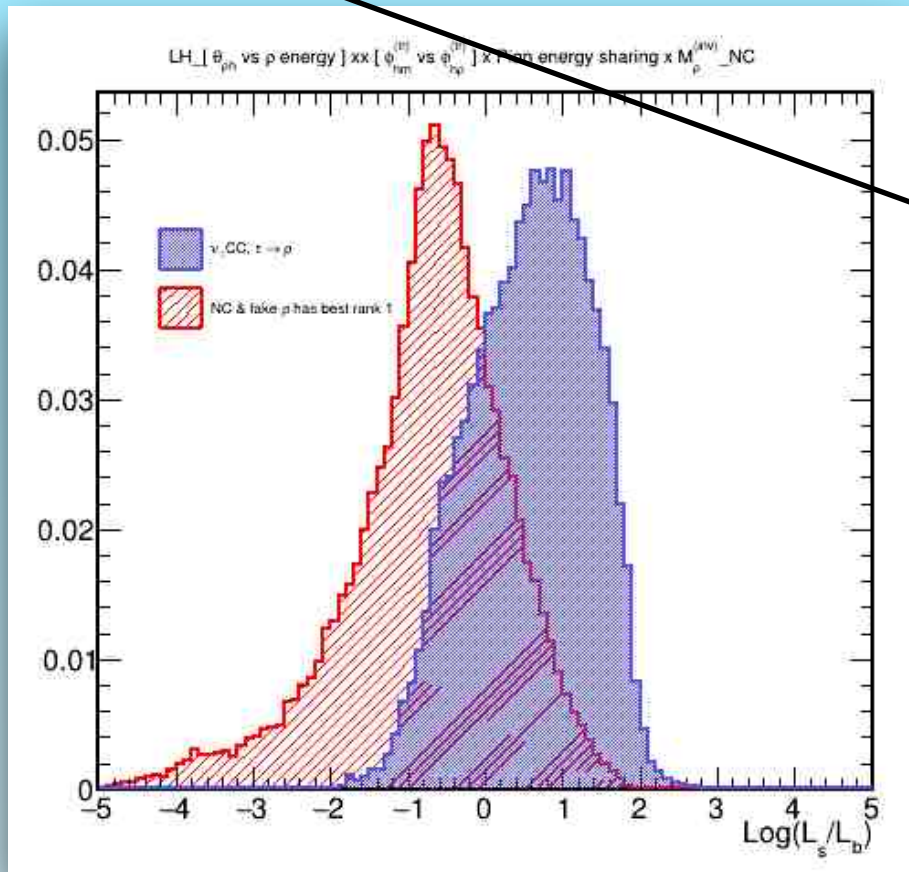
Many possibilities at this point. I isolated most powerful 2D correlation variables (one that had the greatest S/B ratio), and tried diverse combinations of these most powerful candidates to optimise the likelihood search.

 This BR decay isn't in agreement with the PDG, expected 25.49%, stat. fluctuation of my number is of the order 0.1%. I will reweight it, but a specific investigation is ongoing.

Optimised likelihood search

$$\left[\theta_{\rho h}; \rho_K \right] \times \left[\phi_{hm}^{(tr)}; \phi_{hp}^{(tr)} \right] \times M_{\rho}^{(inv)} \times r_{\pi}$$

$$\left[\theta_{\rho h}; \rho_K \right] \times \left[p_{miss}^{(tr)}; p_{\rho}^{(tr)} \right] \times M_{\rho}^{(inv)} \times r_{\pi}$$



space angle between ρ daughters system and hadronic system

r energy

Transverse momenta

ratio of the pions energy sharing

Likelihood plots are normalised to 1. They inform on the discrimating power of the variables, but don't provide normalised S/B estimations.

LH Cut	0.2	0.4	0.6	0.8	1.0	1.2
S (%)	70.1	63.1	55.3	47.4	39.2	31.2
fake ρ (%)	(6.3)	(5.1)	(4.0)	(3.0)	(2.3)	(1.6)
B (%)	15.1	11.0	7.8	5.3	3.2	2.1
S/sqrt(B)	1.80	1.90	1.98	2.06	2.16	2.15

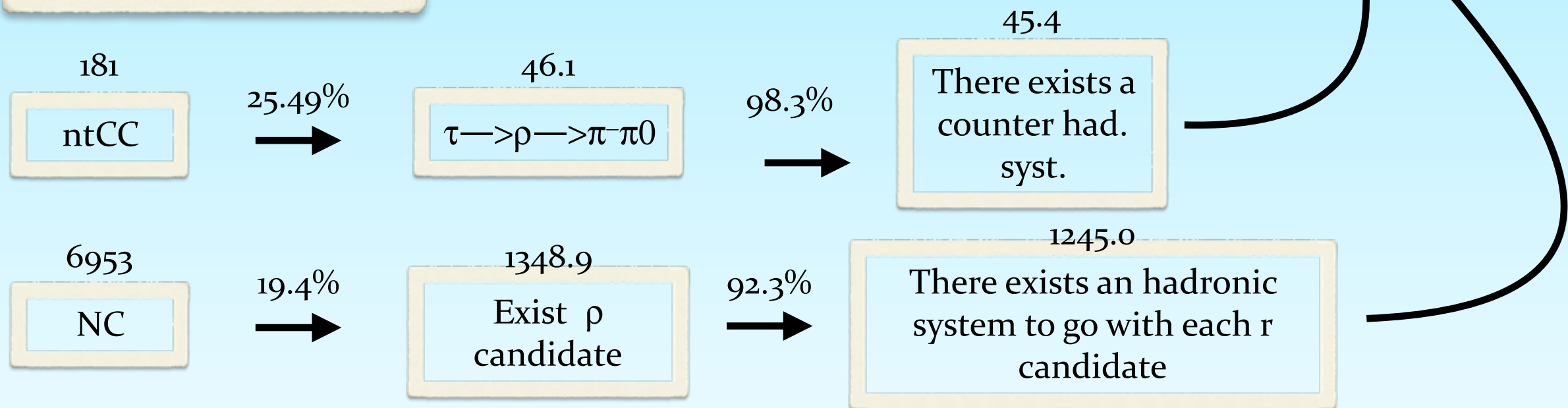
Optimised likelihood search - normalisation

- 3.5 years staged
- 1.1e21 POT
- 1.2 MW beam
- DUNE CP violation optimised flux

$$\left[\theta_{\rho h}; \rho_{energy} \right] \times \left[P_{miss}^{(tr)}; P_{\rho}^{(tr)} \right] \times M_{\rho}^{inv} \times ratio$$

LH Cut	0.2	0.4	0.6	0.8	1.0	1.2
S_norm (fake r)	31.8 (2.9)	28.6 (2.3)	25.1 (1.8)	21.5 (1.4)	17.8 (1.0)	14.2 (0.7)
B_norm	187.9	136.9	97.1	66.0	41.1	26.1
S/ sqrt(B)_norm	2.32	2.44	2.55	2.65	2.78	2.78

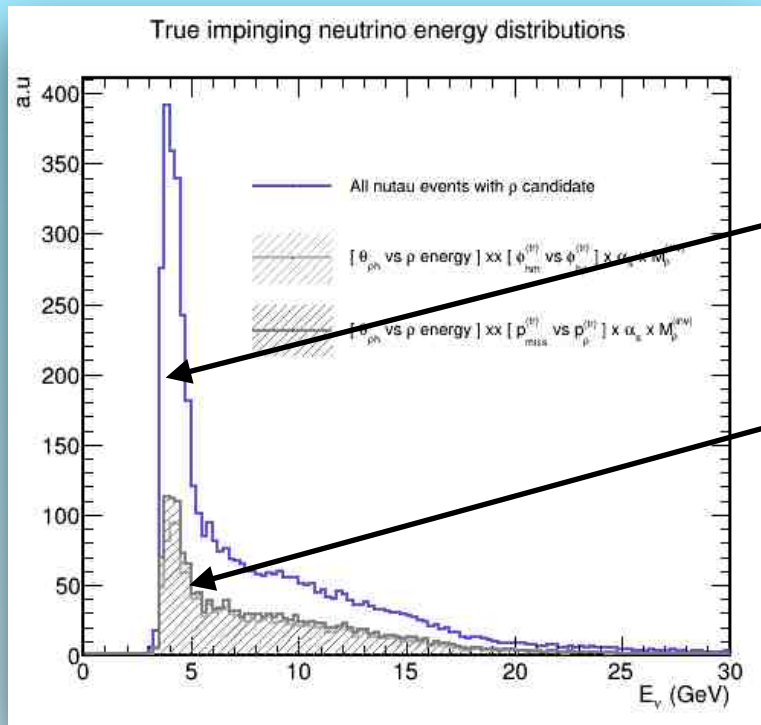
DUNE 3.5 year staged expected number of events at FD.



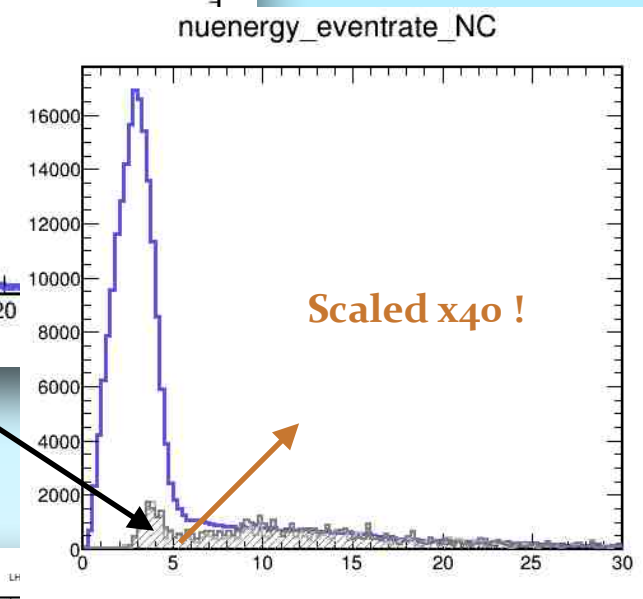
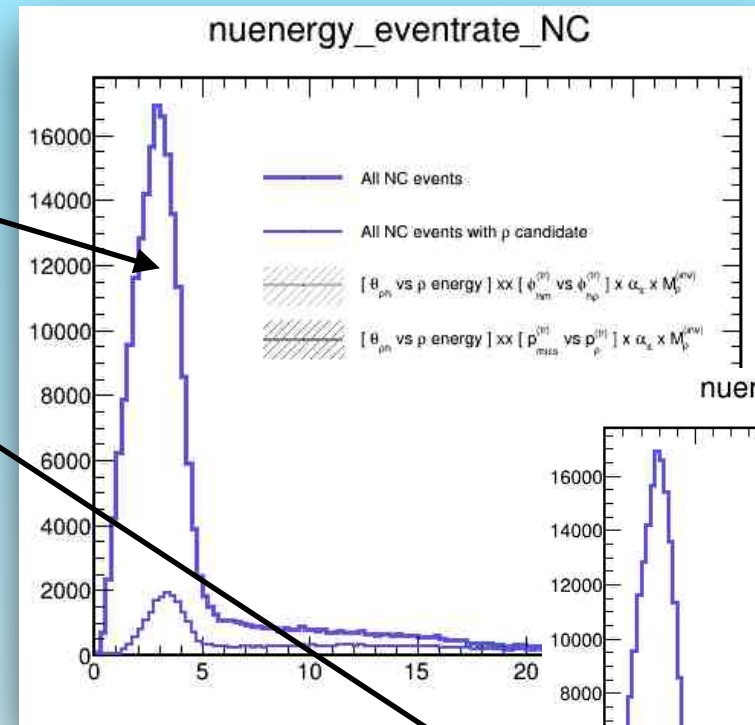
Efficiency energy dependency for a LH cut at 1.0

-
Not normalised to the DUNE flux

Signal



Background

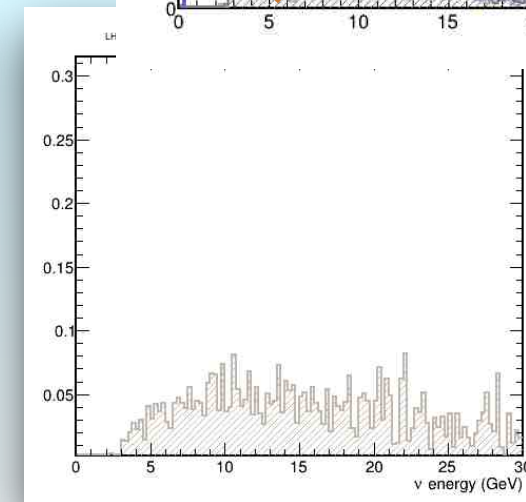
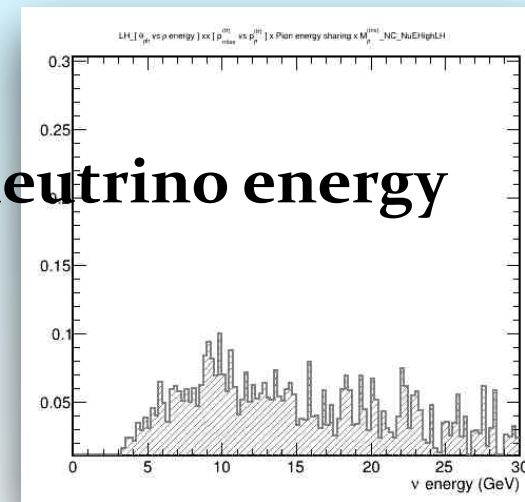
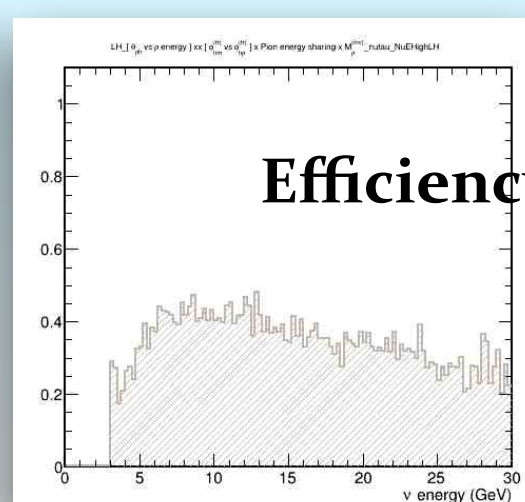
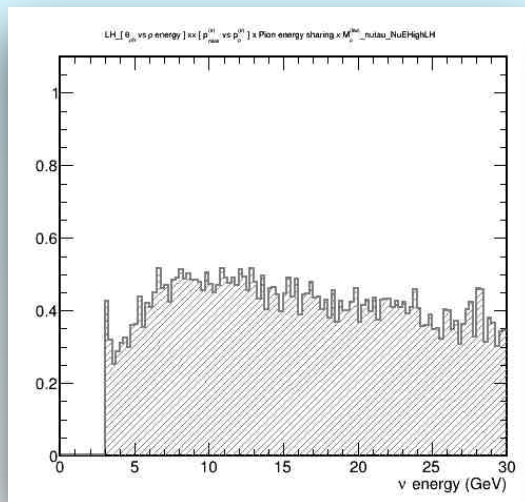


Total event rate (A.U)

Analysis biased event rates

NC Event rate with ρ candidate(s)

Efficiency vs neutrino energy



Conclusion

- I presented an analysis for the ν_τ search based on kinematics for the ρ resonant decay mode, exploiting its large branching ratio (25%). It follows and extends an analysis I had made for the leptonic decay modes.
- The main background components of this process are the NC with final state pions that can mimic the true ρ signature. We exploited the rich kinematic information to discriminate between S and B. It appears there is the possibility to select a sample of ~ 18 $\nu\tau$ CC events in a 3.5 years staged run, while having a NC contamination of ~ 41 ($S/\sqrt{B}=2.78$).
- This analysis is slightly improvable injecting the π^+/π^- identification, that helps reducing the background (less fake ρ candidates in a single event, thus less likely to mimic a true ρ). The previous S/B selection would move from 18/41 to $\sim 20/32$ ($S/\sqrt{B}=3.50$)
- Additional stuff to be discussed: particle smearing effect...