Magnetic impurities in the surface oxide layer as the origin of residual surface resistance of SRF cavities

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Collaboration

- Thomas Proslier, Andreas Glatz, Mike Pellin Argonne Laboratory
- John F. Zasadzinski Illinois Institute of Technology
- P. Kneisel, Gianluigi Ciovati Jefferson Laboratory
- MK Rutgers University

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Objectives

- identify the dominant dissipation mechanism in SFR cavities Claim: magnetic impurities at the surface
- Advance/develop techniques to reduce losses: Atomic Layer Deposition ⇒ improved performance

Suppression of superconductivity at the surface of SRF cavity

Tunneling study of cavity grade Nb: possible magnetic scattering at the surface

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Tunneling spectroscopy was performed on Nb pieces prepared by the same processes used to etch and clean superconducting radio frequency (SRF) cavities. Air exposed, electropolished Nb exhibited a surface superconducting gap Δ =1.55 meV, characteristic of clean, bulk Nb. However the tunneling density of states (DOS) was broadened significantly. The Nb pieces treated with the same mild baking used to improve the Q-slope in SRF cavities, reveal a sharper DOS. Good fits to the DOS were obtained using Shiba theory, suggesting that magnetic scattering of quasiparticles is the origin of the gapless surface superconductivity and a herefore unrecognized contributor to the Q-slope problem of Nb SRF cavities.



STM measurement of the DOS at the surface of SRF cavity:

- significant "subgap" contribution
- Conjecture: magnetic impurities

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Nb materials for SFR cavities

- bulk very clean
- but surface layer oxidized, disordered



- Local magnetic moments can arise in Nb₂O₅, oxygen vacancies
- typical thickness ~ 5 10nm
- considerable fraction of the "operating" volume \sim 45nm



- Nonmagnetic disorder (preserved time-reversal symmetry): SC insensitive in the leading order in $1/(\tau \epsilon_F)$ (Anderson theorem) \Rightarrow Strong disorder $\tau \epsilon_F \sim 1$ required
- Magnetic impurities (broken time-reversal symmetry) at *T*_{c0}τ_s < π/(2e^C) - SC completely suppressed.
 ⇒ much weaker (10³ times) disorder is enough

Gapless superconductivity regime ($T_{c0}\tau_s > \pi/(2e^C)$)

• order parameter Δ is nonzero

- but nonzero 'subgap' DOS $\nu(\epsilon)$ at $|\epsilon| < \Delta$.
- if nonzero $\nu(0) \Rightarrow$ gapless system \Rightarrow finite dissipation at T = 0.



Quite generic: stronger impurity potential; "Lifshitz tails" for weak scattering

Our work: microscopic theory of the surface impedance of s-wave superconductor with magnetic impurities (for now – spatially homogeneous distribution)



$$\begin{aligned} \zeta(\omega) &= -\mathrm{i}\frac{\omega\,\delta(\omega)}{c}\\ \delta(\omega) &= \frac{2}{\pi}\int_0^{+\infty}\frac{\mathrm{d}k}{k^2 + 4\pi Q(\omega,k)/c^2}\\ Q(\omega,k) &= Q_1(k) - \mathrm{i}Q_2(\omega,k) \end{aligned}$$

$$\begin{split} Q_{1}(k) &= 2_{\mathcal{S}}(ev_{F})^{2}\nu_{F}\frac{\mathrm{i}}{2}\int\mathrm{d}\epsilon\tanh\frac{\epsilon}{2T}\left\{[f(\epsilon)]^{2}\langle n_{\alpha}^{2}D_{0}^{RR}(\epsilon,0,\mathbf{nk})\rangle_{\mathbf{n}} - [f^{*}(\epsilon)]^{2}\langle n_{\alpha}^{2}D_{0}^{AA}(\epsilon,0,\mathbf{nk})\rangle_{\mathbf{n}}\right\}\\ Q_{2}(\omega,k) &= 2_{\mathcal{S}}(ev_{F})^{2}\nu_{F}\omega\int_{-\infty}^{+\infty}\mathrm{d}\epsilon\,\left(-\frac{\mathrm{d}n_{0}(\varepsilon)}{\mathrm{d}\epsilon}\right)\bar{Q}_{2}(\epsilon,k),\\ \bar{Q}_{2}(\epsilon,k) &= \frac{1}{2}\left\{[f(\epsilon)]^{2}\langle n_{\alpha}^{2}D_{0}^{RR}(\epsilon,0,\mathbf{nk})\rangle_{\mathbf{n}} + [f^{*}(\epsilon)]^{2}\langle n_{\alpha}^{2}D_{0}^{AA}(\epsilon,0,\mathbf{nk})\rangle_{\mathbf{n}}\right.\\ &\quad \left. + \langle n_{\alpha}^{2}D_{0}^{RA}(\epsilon,0,\mathbf{nk})\rangle_{\mathbf{n}}[1+|g(\epsilon)|^{2}+|f(\epsilon)|^{2}]\right\}\\ g(\epsilon) &= \frac{v}{\sqrt{v^{2}-1}}, f(\epsilon) &= \frac{1}{\sqrt{v^{2}-1}}, v\Delta = \epsilon + \frac{1}{\tau_{s}}\frac{\sqrt{1-v^{2}}}{\sqrt{2-v^{2}}}v. - \text{from Shiba theory} \end{split}$$

Theory of the surface impedance of superconductor with magnetic impurities

3 micro parameters

- nonmagnetic scattering time τ
- **u** magnetic scattering time τ_s ; exchange coupling strength (Shiba's γ)

Valid at arbitrary

- frequency ω
- temperature T
- nonmagnetic (1/\(\tau\))
- and magnetic (1/*τ_s*) scattering rates

compared to T_c .

Theory of the surface impedance of superconductor with magnetic impurities

Key result

In the gapless SC regime – saturation of the surface resistance at T = 0



Nonmonotonic dependence on nonmagnetic disorder and baking effect



Conclusion

Theory

- First(?) microscopic theory of the residual resistance
- Case for magnetic impurities further substantiated
- Future development: model of the disordered surface layer (numerically)

Experiment (current and future)

develop technique to protect from/get rid of the surface oxides: atomic layer deposition (coating with insulating layers)

