

# DM simplified model coupling scans

## Snowmass EF10

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on behalf of the LOI authors



**Snowmass LOI: Displaying dark matter constraints from colliders with varying simplified model parameters**

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# Starting situation

DM interpretations often formulated

in simplified models. Parameter space:

mediator spin, coupling type,  $m_{\text{med}}$ ,  $m_{\text{dm}}$ ,  $g_q$ ,  $g_\chi$ ,  $g_l$

+ minimal width assumption

Steps for a typical result plot

1. Pick a mediator spin/type, e.g. axial-vector
2. Pick fixed couplings ( $g_q$ ,  $g_\chi$ ,  $g_l$ )
3. Draw exclusion in  $m_{\text{med}}$ - $m_{\text{dm}}$  plane

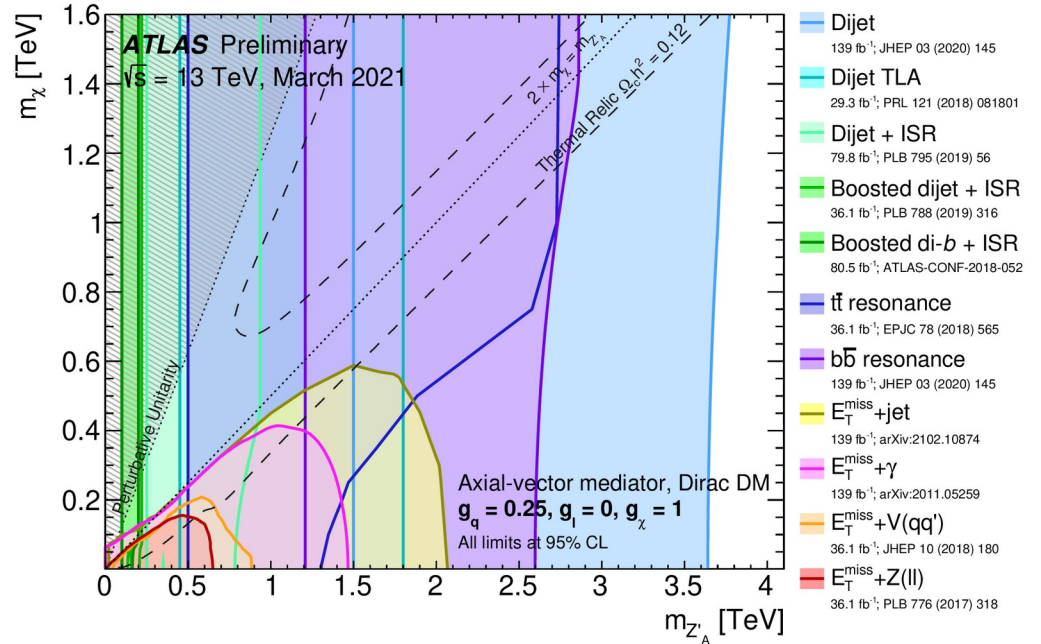
→ Focus on mass dimensions made sense in historical context of early Run-2: new  $\sqrt{s}=13$  TeV, large gains in mass, etc

Information is lost here: What happens if the couplings change?

Absolute exclusions & channel interplay change

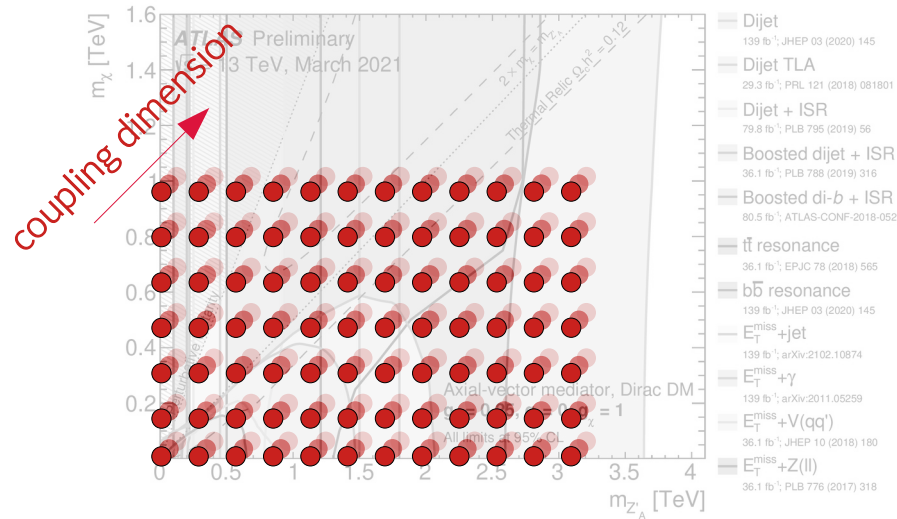
low-mass analysis improvements (systematics) can be exposed

→ Must explore coupling dimension systematically



# Practical implications

Naive approach to cover parameter space:  
Multi dimensional sample production



Alternative approach: rescaling of existing limits  
→ If we know  $\mu(gq=0.25)$ , can we e.g. obtain  $\mu(gq=0.2)$  ?

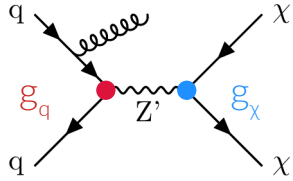
Two parts to the equation:

Signal cross section vs kinematics

Complexity grows quickly in both computing  
and human effort :(

If not done in experiments, recasting effort  
comes on top

# Simple example: Monojet



Total on-shell cross section  $\times$  branching:

$$\sigma \times B \sim g_q^2 \times \Gamma_{\text{med} \rightarrow \chi\chi}(g_q, g_\chi) / \Gamma_{\text{med} \rightarrow \text{anything}}(g_q, g_\chi)$$

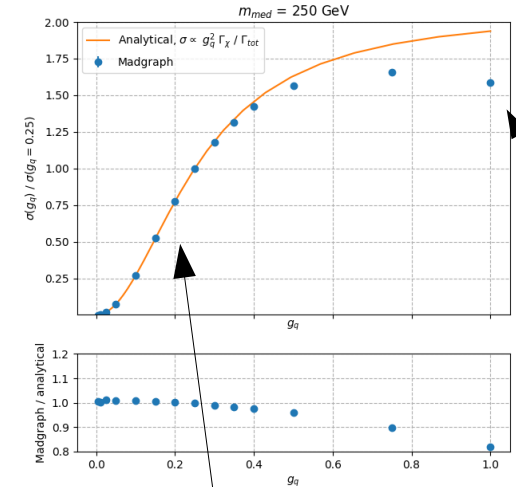
Signal strength limit:

$$\mu \sim 1/(\sigma \times B)$$

$\rightarrow$  If you know  $\mu$  for one point in  $(g_q, g_\chi)$  space, can rescale completely analytically to different points

Approach works well if width effects are small  
 $\rightarrow$  low couplings, sufficiently on shell ( $m_{\text{DM}} < 2 \times m_{\text{med}}$ )

Comparison of analytical scaling with actual XS from MG:



%-level agreement for  $g_q < 0.4$  or so  
 approach starts to fail above

That's fine! Interesting phase space is @  $g_q < 0.25$   
 $\rightarrow$  the limitation does not matter much in practice

Method already in use e.g. [here](#)

# Scope & status

## Scope:

1. Describe rescaling methods and evaluate their performance and limitations
  - Provide ready-to-use formulas, validate against Madgraph, specify regions of validity
  - Explore (semi-analytical) refinements: propagator & PDF reweighting can capture some width dependence
2. Cover different topologies: mono-X, dijet, dilepton)
3. Provide the code to do all of it

→ Goal is to lower the barrier of entry for the reader

Can I achieve my goal with rescaling?  
What level of refinement do I need?

Format: short DMWG whitepaper + python package

## Status:

Initial work exists: paper draft, partial validation data / plots  
Work largely dormant during snowmass shutdown  
Now regrouping

Backup