



# ND-GAR-LITE PERFORMANCE STUDY: SINGLE SPILL SAMPLES



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# MOTIVATION FOR THE STUDY

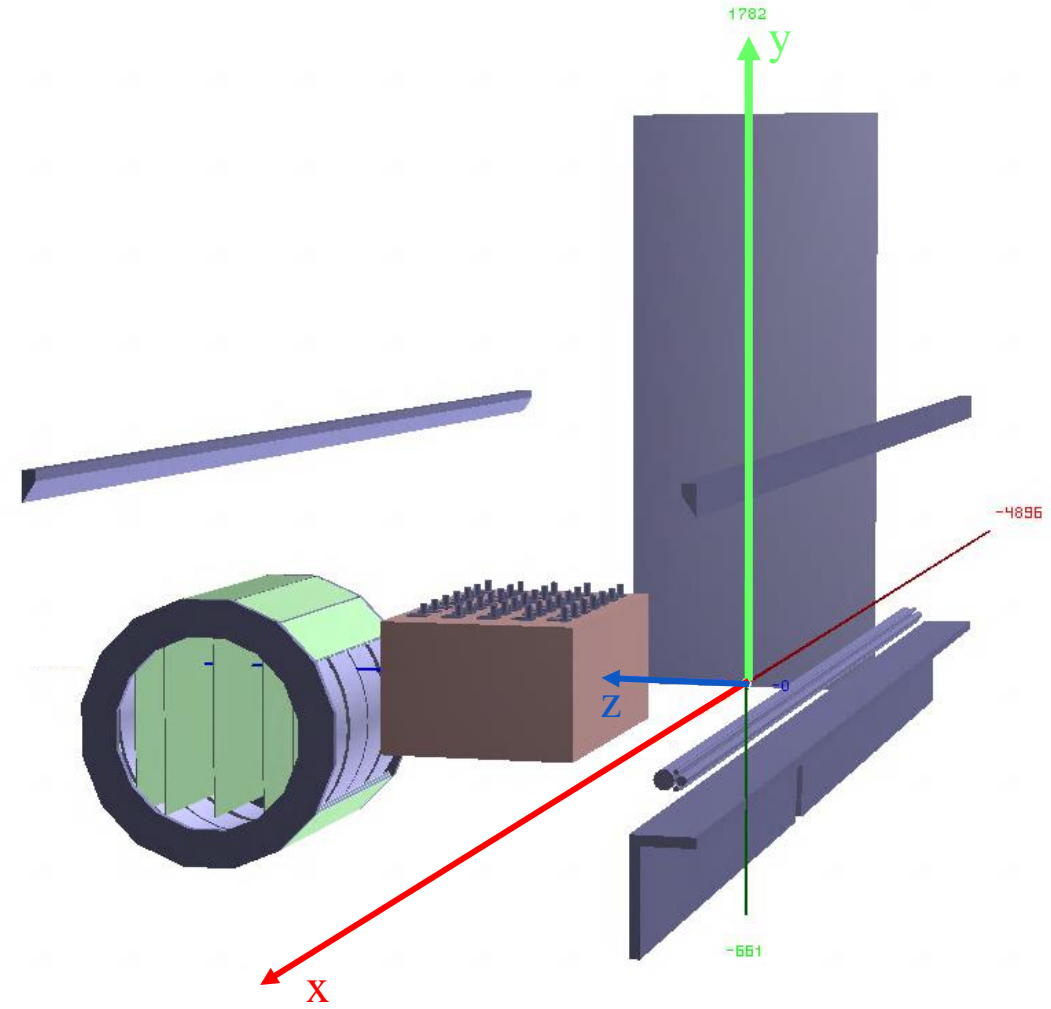
- This is an update on a previous study which concentrated on **momentum resolution** analyzed for primary muons generated in neutrino interactions in ND-LAr ([https://indico.fnal.gov/event/46503/contributions/215080/attachments/143152/181005/12g\\_Presentation\\_DUNE-Collaboration\\_May2021.pdf](https://indico.fnal.gov/event/46503/contributions/215080/attachments/143152/181005/12g_Presentation_DUNE-Collaboration_May2021.pdf))
- We compare the results obtained for a **single interaction sample of  $10^6$  events**, with a sample of  **$10^5$  single spill events**
- For the **single spill sample** we also compare the results for an analysis where a **fiducial cut on the interaction point in ND-LAr** was applied and one where it wasn't
- To match reconstructed tracks with their Monte Carlo trajectories we use a simple **track matching algorithm**

# GENERATED SAMPLE: GEOMETRY

- Geometry used:
  - Baseline ND-LAr from dunendggd
  - ND-GAr-Lite detector with SPY magnet
    - 5 Scintillator planes (Minerva-like) of 6mx5mx4cm at (-240, -150, 0, 150, 240) //Not Optimized yet!
    - Segmented with triangular shapes strips in X/Y (2 cm triangle base)
    - Includes a muon detector (3 planes of Sc of 2 cm around the magnet yoke of the ND-GAr) with 2x7.5cm iron for mu/pi separation over 500 MeV/c
- Coordinate sytem:  $z$  roughly the flux direction,  $y$  is the vertical direction and  $x$  is the drift direction (i.e. the magnetic field direction)

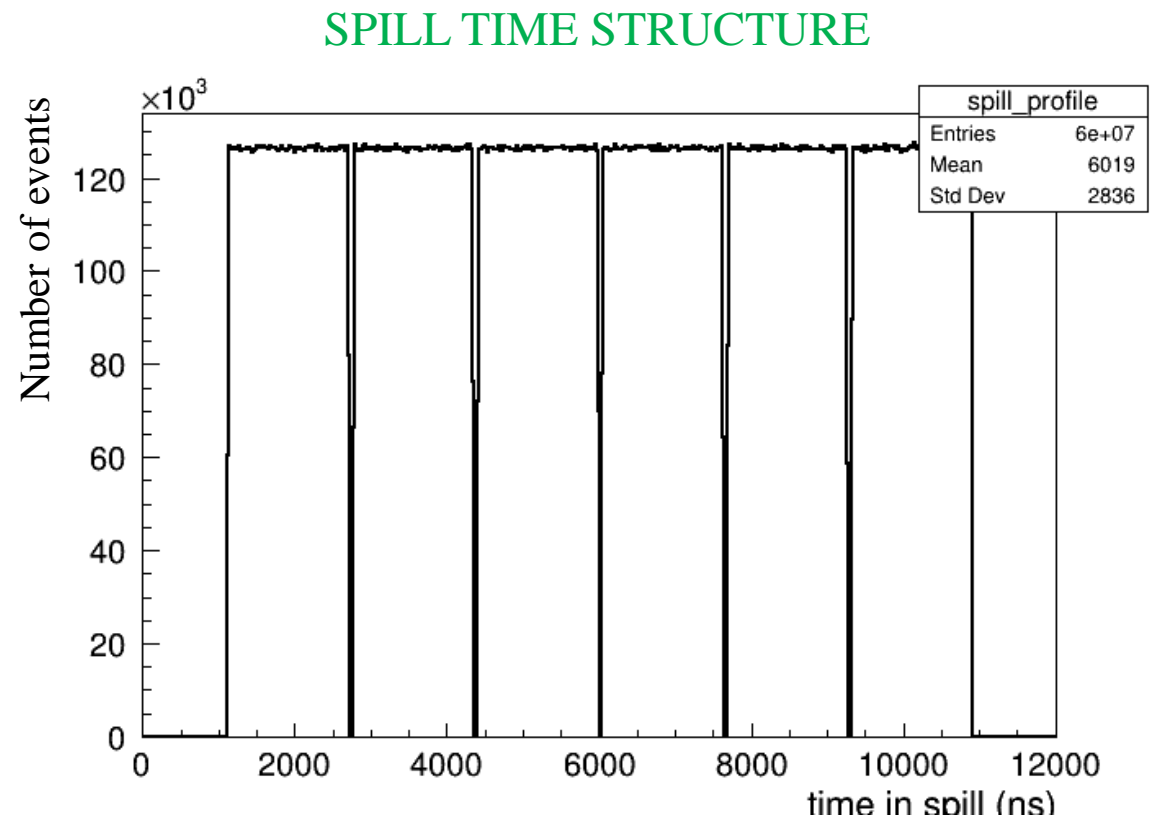
Find geometry on dunegpvm here:

[/pnfs/dune/scratch/users/battisti/garlite\\_std/Geom/nd\\_hall\\_mp\\_d\\_lar\\_only/nd\\_hall\\_dayone\\_lar\\_SPY\\_v2\\_wMuID.gdml](/pnfs/dune/scratch/users/battisti/garlite_std/Geom/nd_hall_mp_d_lar_only/nd_hall_dayone_lar_SPY_v2_wMuID.gdml)



# GENERATED SAMPLE: SINGLE SPILL VS SINGLE INTERACTION

- Spill sample ( $9.16 \times 10^5$  total spills):
  - Single neutrino events generated with Genie v2 with vertex in volArgonCubeActive
  - Spills built with Genie Overlay using standard spill time structure (5 batch time structure, no real bunch structure yet,  $7.5 \times 10^5$  pot worth of events per spill)
  - Propagation with edep-sim v3
  - Reconstruction algorithm modified to divide spills in 19ns “wide” time groups: track finding applied to each time group separately
- Single event sample ( $10^6$  events):
  - Produced by Eldwan on same geometry, same as the one used in:  
[https://indico.fnal.gov/event/46503/contributions/215080/attachments/143152/181005/12g\\_Presentation\\_DUNE-Collaboration\\_May2021.pdf](https://indico.fnal.gov/event/46503/contributions/215080/attachments/143152/181005/12g_Presentation_DUNE-Collaboration_May2021.pdf)



Thanks to Andrew Cudd for this

# TRACK MATCHING ALGORITHM

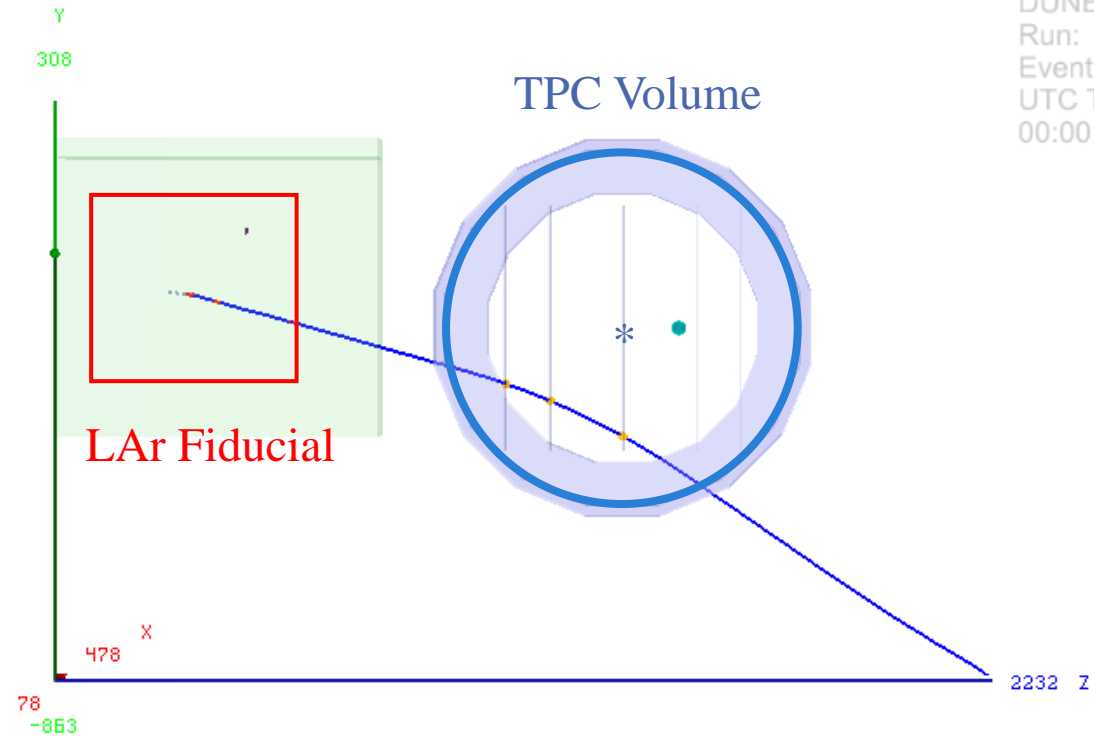
Based on work by Leo Bellantoni

- Primary muon track matching algorithm:
  1. Event by event get all MC **primary muon trajectories** that have at least one point in a defined **cylinder volume**
  2. For each muon thus found, cycle over all the ND-GAr reconstructed tracks for the event (currently only 1 or 0) and evaluate the angle between the reconstructed track momentum and the MC momentum taken at the first MC trajectory point in the **cylinder volume**. Save the track with the smallest angle  $\theta$
  3. Calculate the distance  $\Delta x$  between the saved track and trajectory in the plane transverse to the direction of the MC momentum
  4. Impose the cuts:  $(\cos\theta > 0.997 \ \&\& \ \Delta x < 3\text{cm})$ . If these are passed the track was matched

Same as in [https://indico.fnal.gov/event/46503/contributions/215080/attachments/143152/181005/12g\\_Presentation\\_DUNE-Collaboration\\_May2021.pdf](https://indico.fnal.gov/event/46503/contributions/215080/attachments/143152/181005/12g_Presentation_DUNE-Collaboration_May2021.pdf) )

# SAMPLE SELECTION

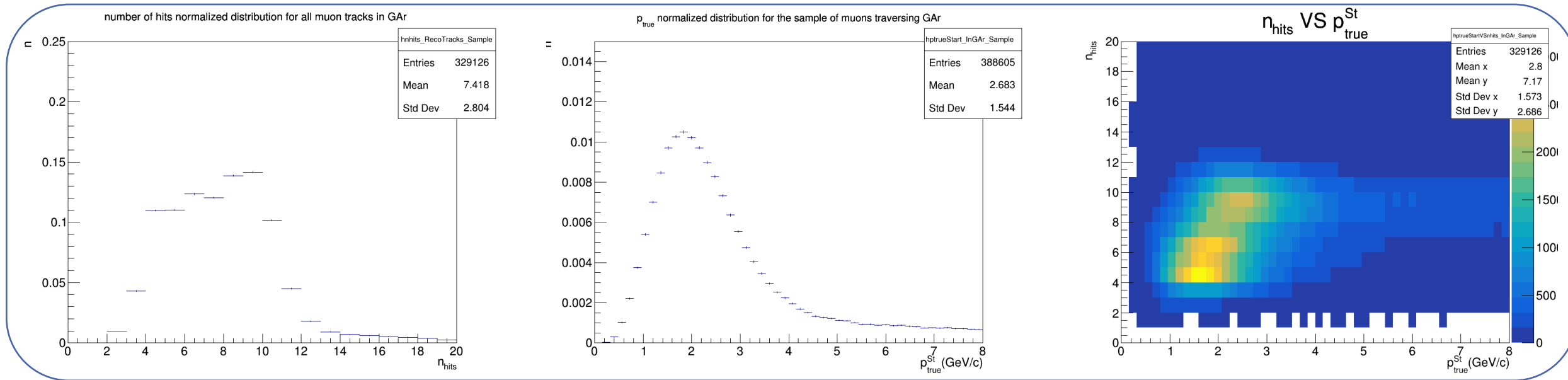
- Two volumes were defined:
  1. **TPC Volume:** Cylinder having  $(Radius, Length) = (349.9, 669.6)$ cm and centered in  $(x, y, z) = (0, -150.473, 1486)$ cm
  2. **LAr Fiducial Volume :** A parallelepiped within ND-Lar:  $x \in (-300; 300)$ cm;  $y \in (-167; 33)$ cm;  $z \in (-465, 765)$ cm
- We define three samples:
  1. **Single event TPC:** Single event sample TPC cut only (all primary muons that have at least a point in TPC Volume; same as in previous study)
  2. **Single Spill TPC:** Single spill sample TPC cut only
  3. **Single Spill TPC+LAr:** TPC cut+LAr fiducial cut (only primary muons that have their first trajectory point in Lar Fiducial Volume)



DUNE ND HPgTPC  
Run: 1/0  
Event: 200  
UTC Thu Jan 1, 1970  
00:00:0.000000000

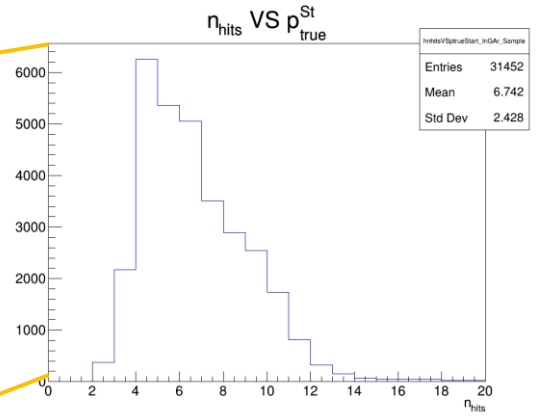
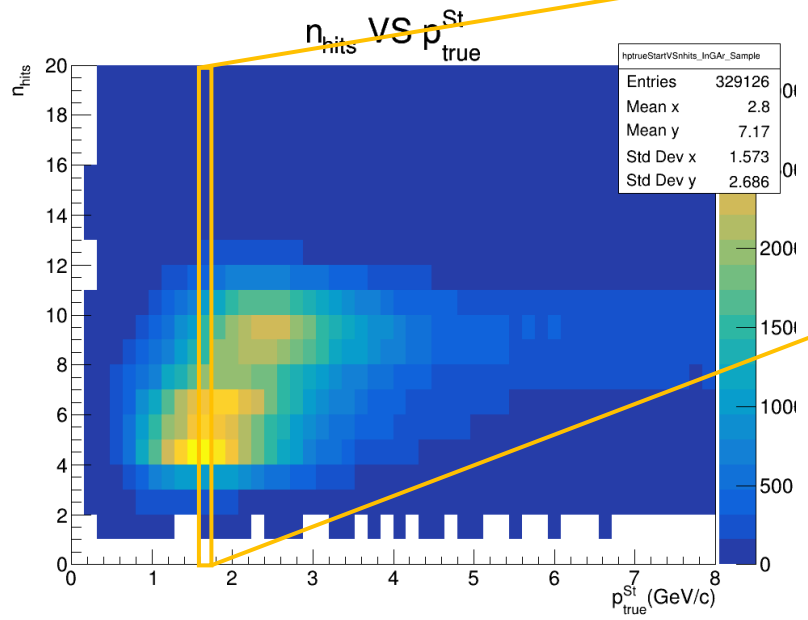
# SAMPLE DEFINING DISTRIBUTIONS

Single event TPC



- To characterize the samples, we consider two fundamental characteristics:
  1.  $n_{hits}$  = Number of hits on the scintillator planes that are associated to the tracks found in events having at least one MC trajectory in the volume. In first approximation we expect two hits for each plane traversed by the particle (“reconstructed quantity”)
  2.  $p_{true}^{St}$  = Initial true MC muon momentum in [GeV/c] for all MC trajectories in the volume (“MC truth quantity”)

# CONDITIONAL PROBABILITY DISTRIBUTIONS

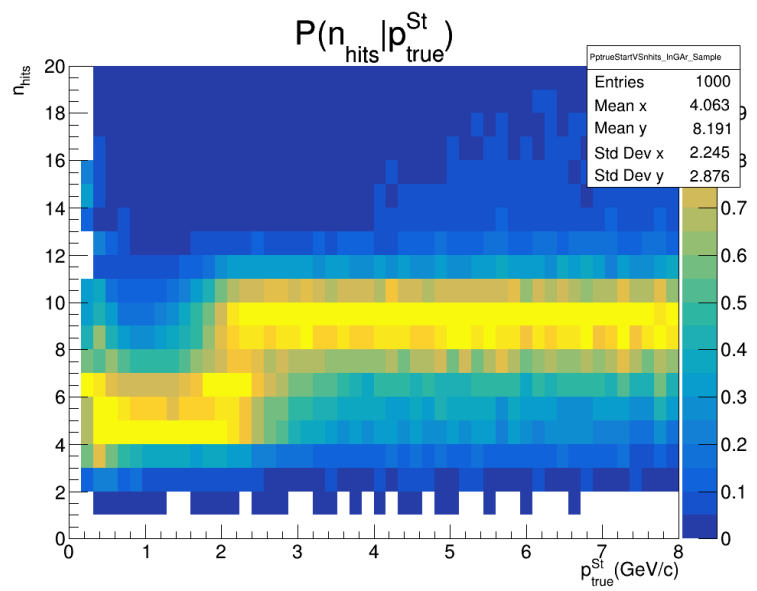


Divide all bin contents in the slice by the maximum value in the distribution



Conditional probability

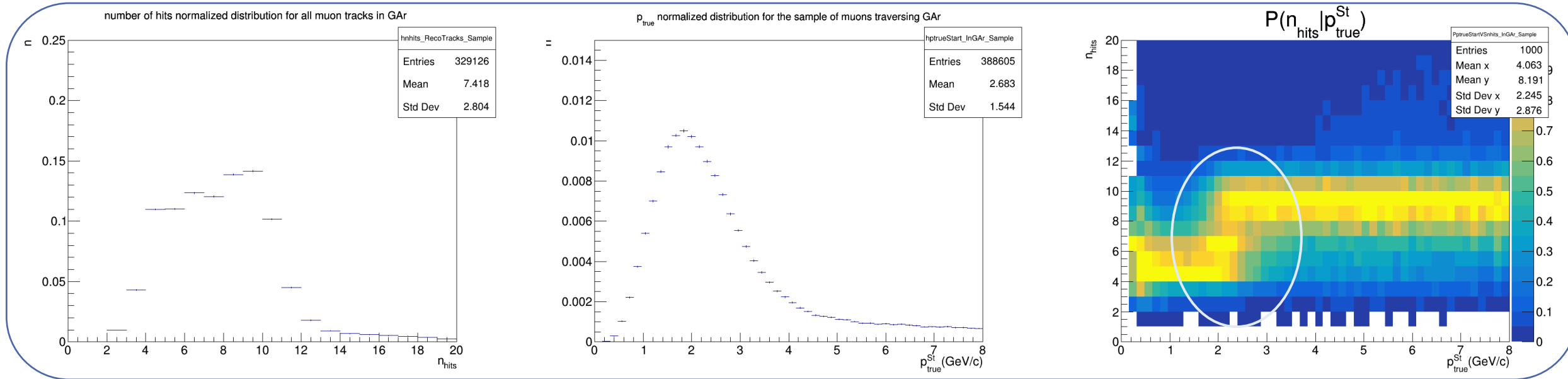
Select slices in terms of one of the relevant quantities and get the histogram projection





# SAMPLE DEFINING DISTRIBUTIONS

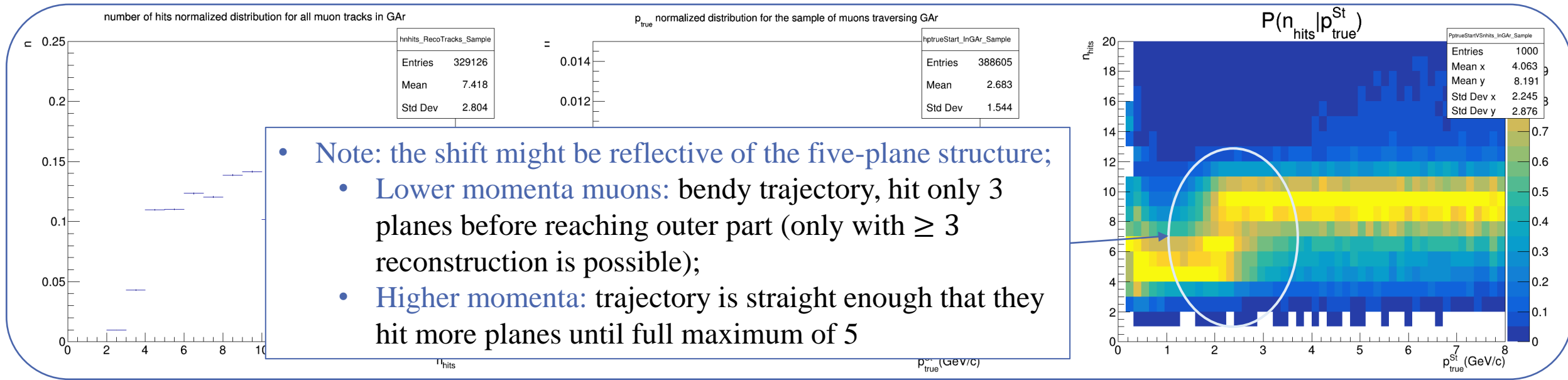
Single Event TPC



- Looking at the  $P(n_{hits} | p_{true}^{St})$  distribution we clearly see a shift in the  $n_{hits}$  peak from  $\sim 4.5$  to  $\sim 9.5$  happening right around the oscillation peak  $p_{true}^{St} \sim 2.5$  GeV/c
- This shift implies that the tracking performance will likely strongly depend on  $p_{true}^{St}$  and  $n_{hits}$  in the most interesting region for analysis: important to study tracking performance dependence on  $p_{true}^{St}$  and  $n_{hits}$

# SAMPLE DEFINING DISTRIBUTIONS

Single Event TPC

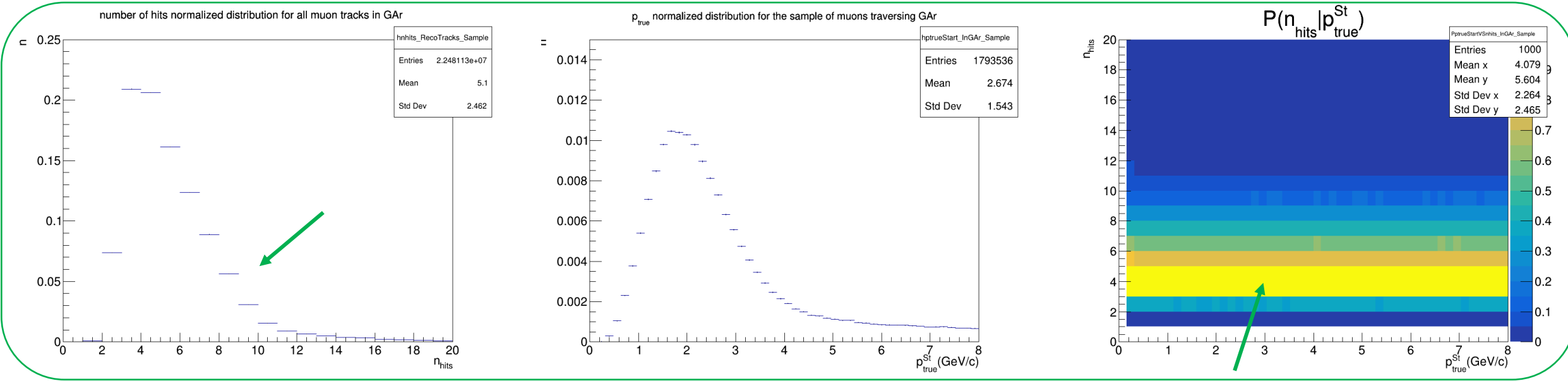


- Note: the shift might be reflective of the five-plane structure;
  - Lower momenta muons: bendy trajectory, hit only 3 planes before reaching outer part (only with  $\geq 3$  reconstruction is possible);
  - Higher momenta: trajectory is straight enough that they hit more planes until full maximum of 5

- Looking at the  $P(n_{hits} | p_{true}^{St})$  distribution we clearly see a shift in the  $n_{hits}$  peak from  $\sim 4.5$  to  $\sim 9.5$  happening right around the oscillation peak  $p_{true}^{St} \sim 2.5 \text{ GeV}/c$
- This shift implies that the tracking performance will likely strongly depend on  $p_{true}^{St}$  and  $n_{hits}$  in the most interesting region for analysis: important to study tracking performance dependence on  $p_{true}^{St}$  and  $n_{hits}$

# SAMPLE DEFINING DISTRIBUTIONS

Single Spill TPC

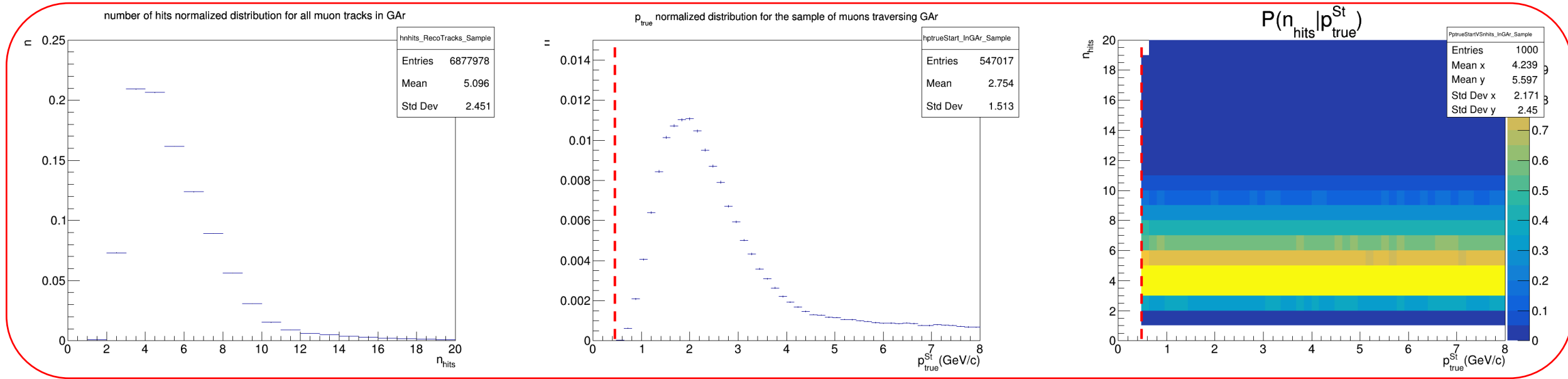


- For the Single Spill  $P(n_{hits} | p_{true}^{St})$  distribution we note that the double peak structure seen in the single event sample is not present anymore

- Note:** absence of the shift might be linked to the fact that we observe many less high  $n_{hits}$  tracks in the single spill sample; this might be a consequence of incorrect track splitting in the “bunching” phase of the new track finding algorithm

# SAMPLE DEFINING DISTRIBUTIONS

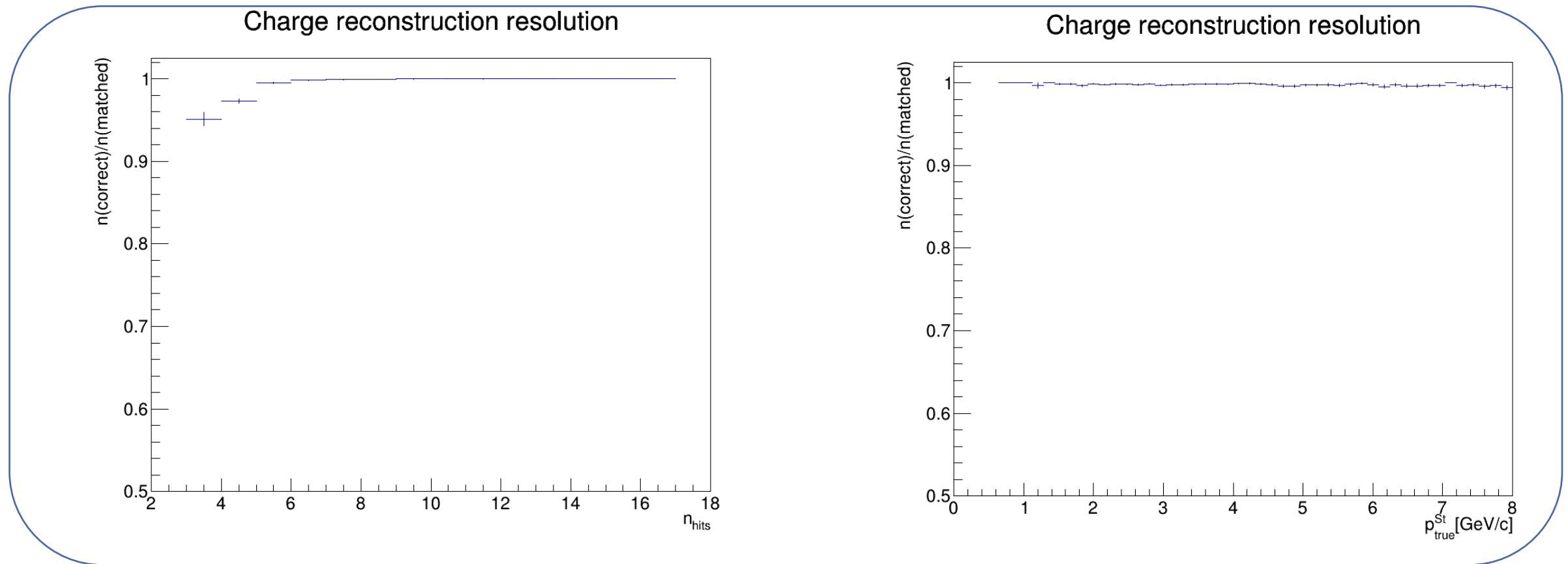
Single Spill TPC+LAr



- For the **Single Spill distribution with the added LAr cut** we can see how we have a cut in the momentum distribution at around 0.5 GeV/c

# CHARGE RECONSTRUCTION RESOLUTION

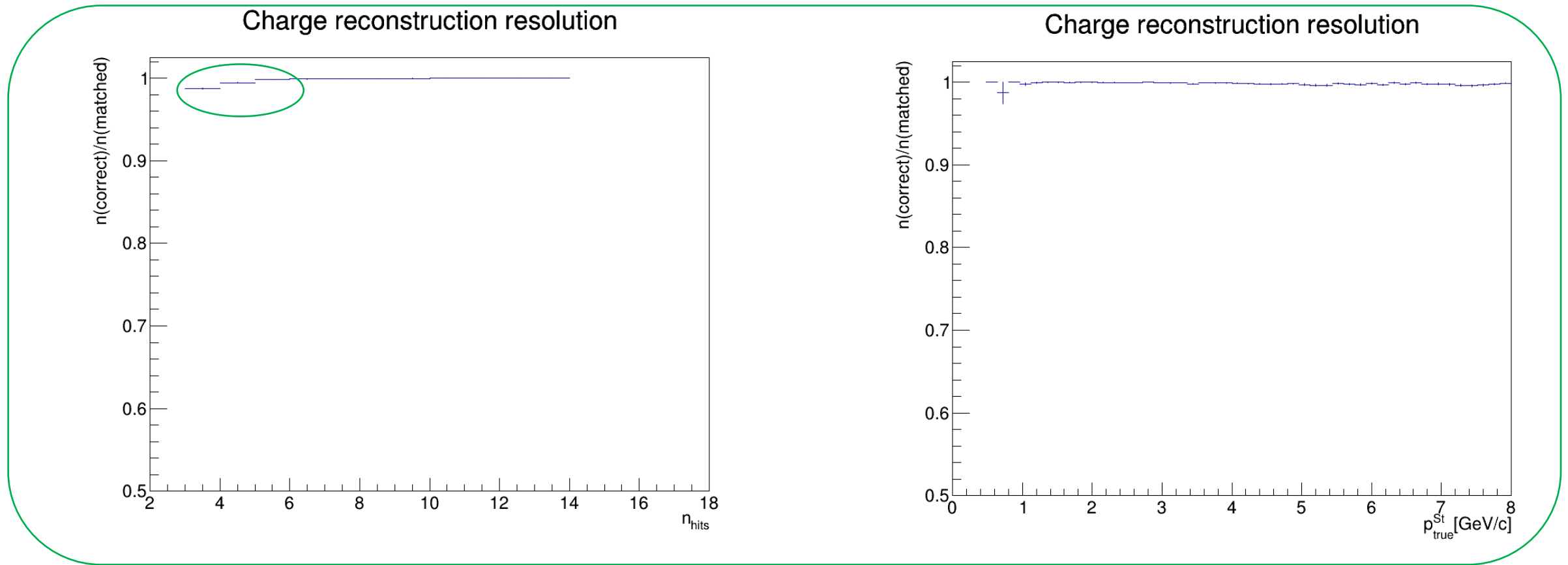
Single event TPC



- We define the **Charge Resolution** as the ratio between the number of correctly reconstructed charges among the tracks that were matched and the total number matched tracks
- We see that this quantity seems mostly sensitive to the  $n_{\text{hits}}$

# CHARGE RECONSTRUCTION RESOLUTION

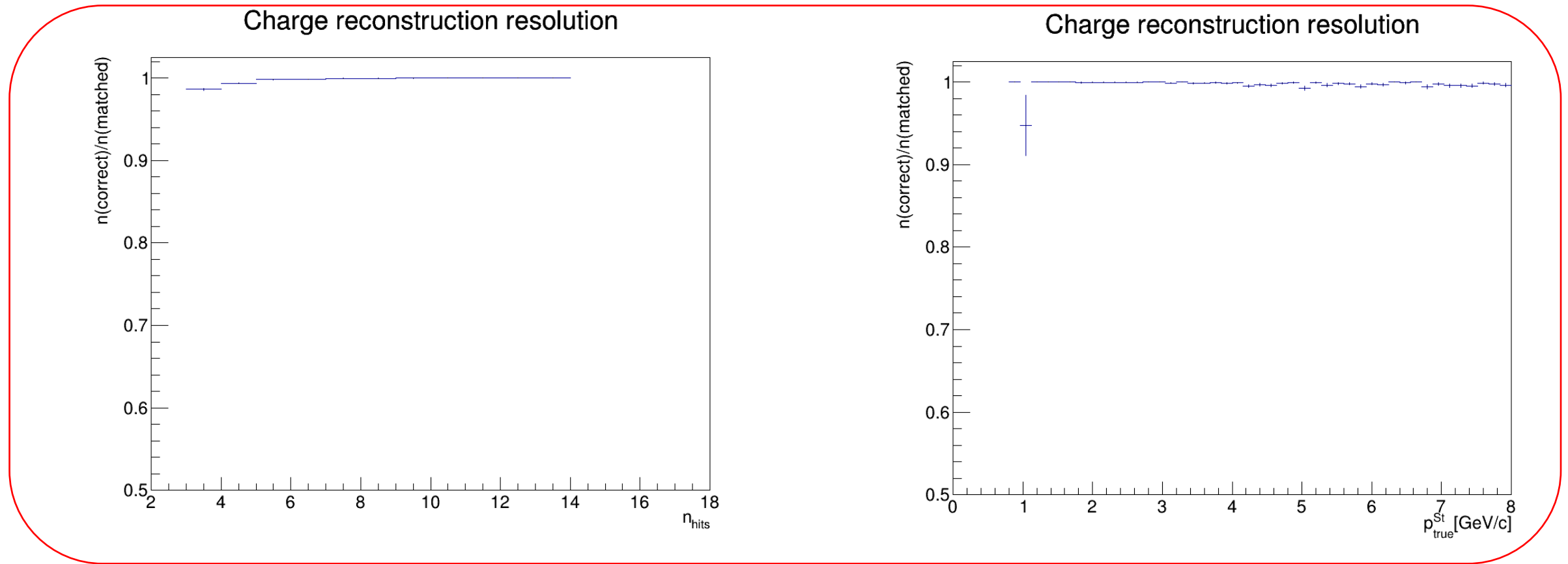
Single Spill TPC



- We see how in the **Single spill** sample the charge resolution at lower  $n_{\text{hits}}$  is slightly higher. This might be a byproduct of track “chopping”: some of the low hit tracks might be tracks that would have been longer in reality and likely “bendy”

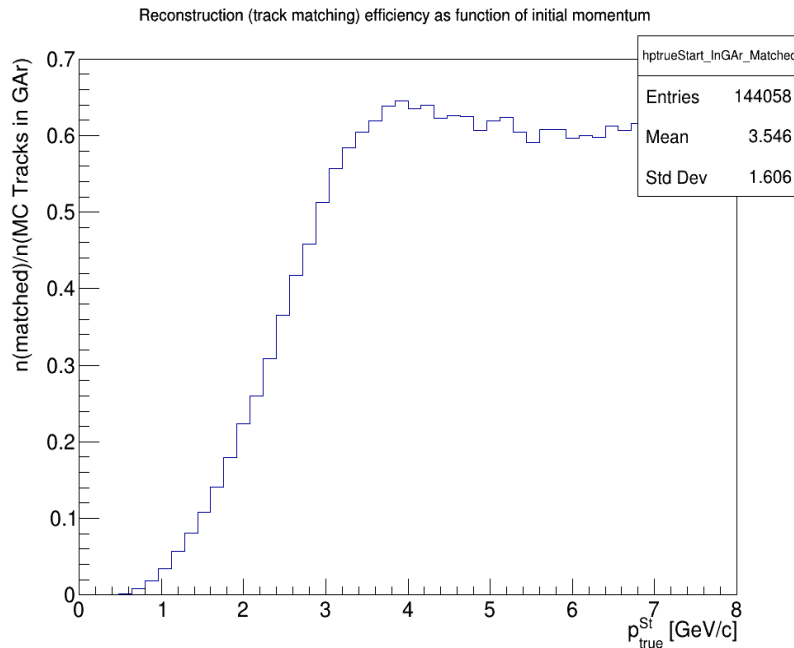
# CHARGE RECONSTRUCTION RESOLUTION

Single Spill TPC+LAr

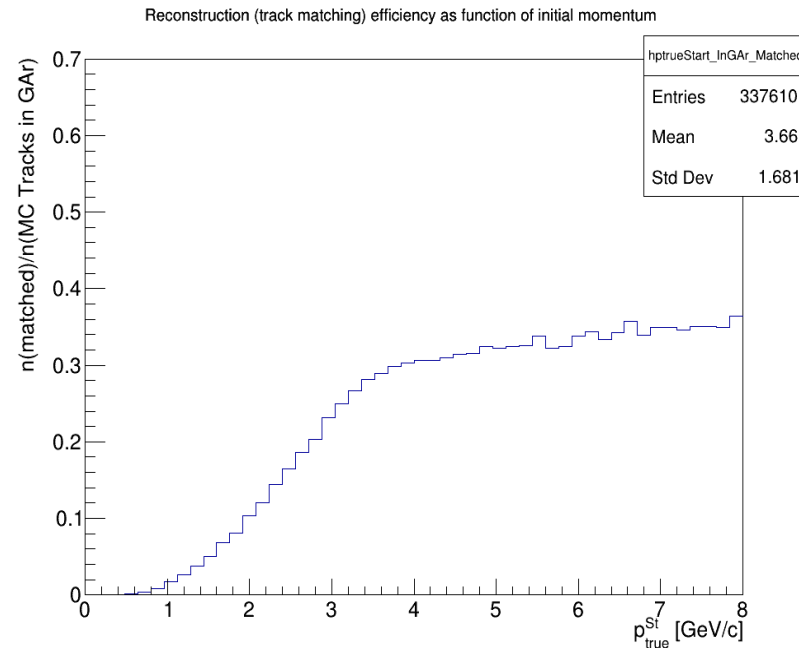


- We see no significant change after the cut

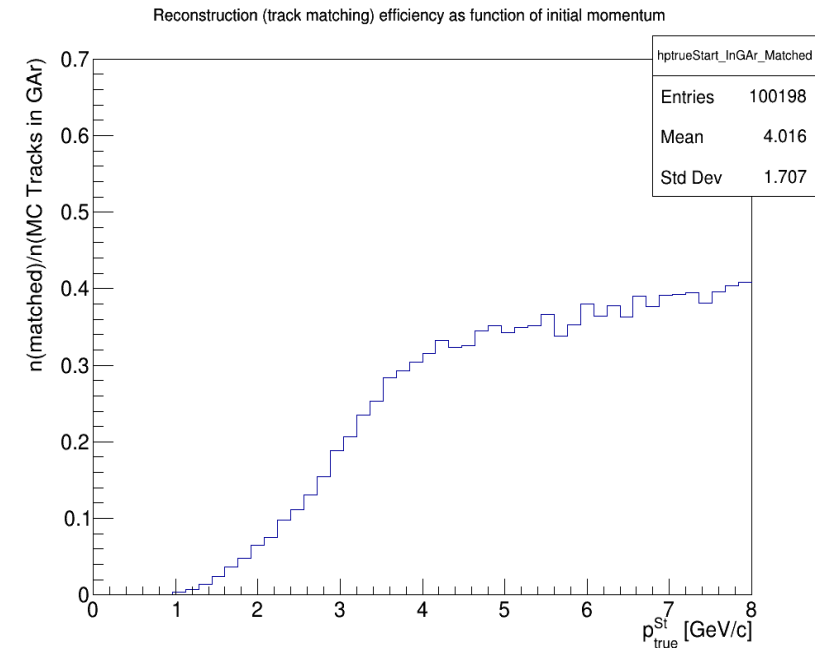
# TRACK MATCHING EFFICIENCY



Single event TPC



Single Spill TPC



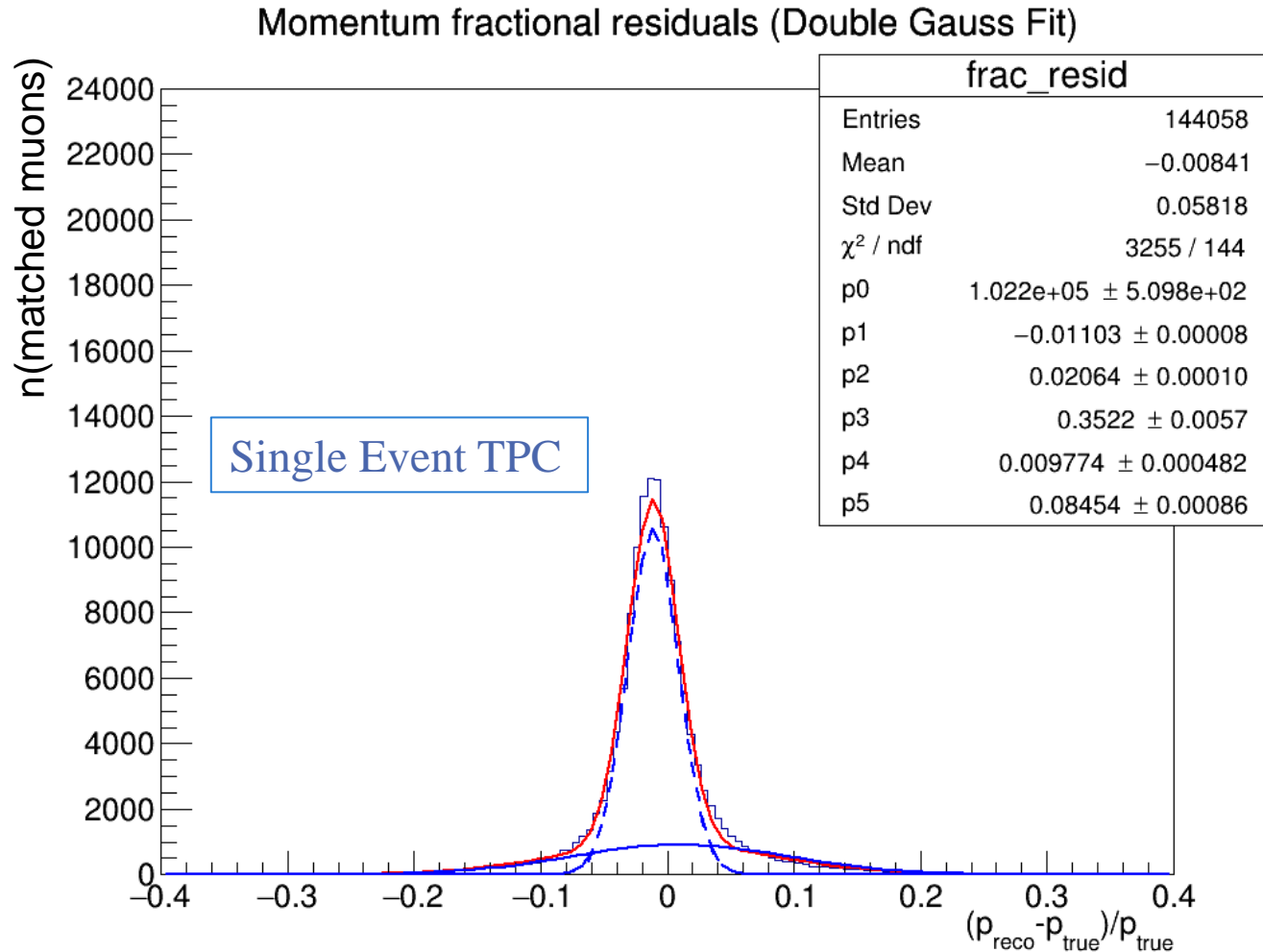
Single Spill TPC+LAr

- $\epsilon(p_{true}^{St}) =$  Ratio between the number of matched trajectories and the total number of MC primary muon trajectories traversing the TPC volume

- Lower efficiency in single spill might be linked to busier events (i.e. remnants of a previous event interfering with the following one); this would explain increase in efficiency after LAr cut



# MOMENTUM RESOLUTION: FRACTIONAL RESIDUALS



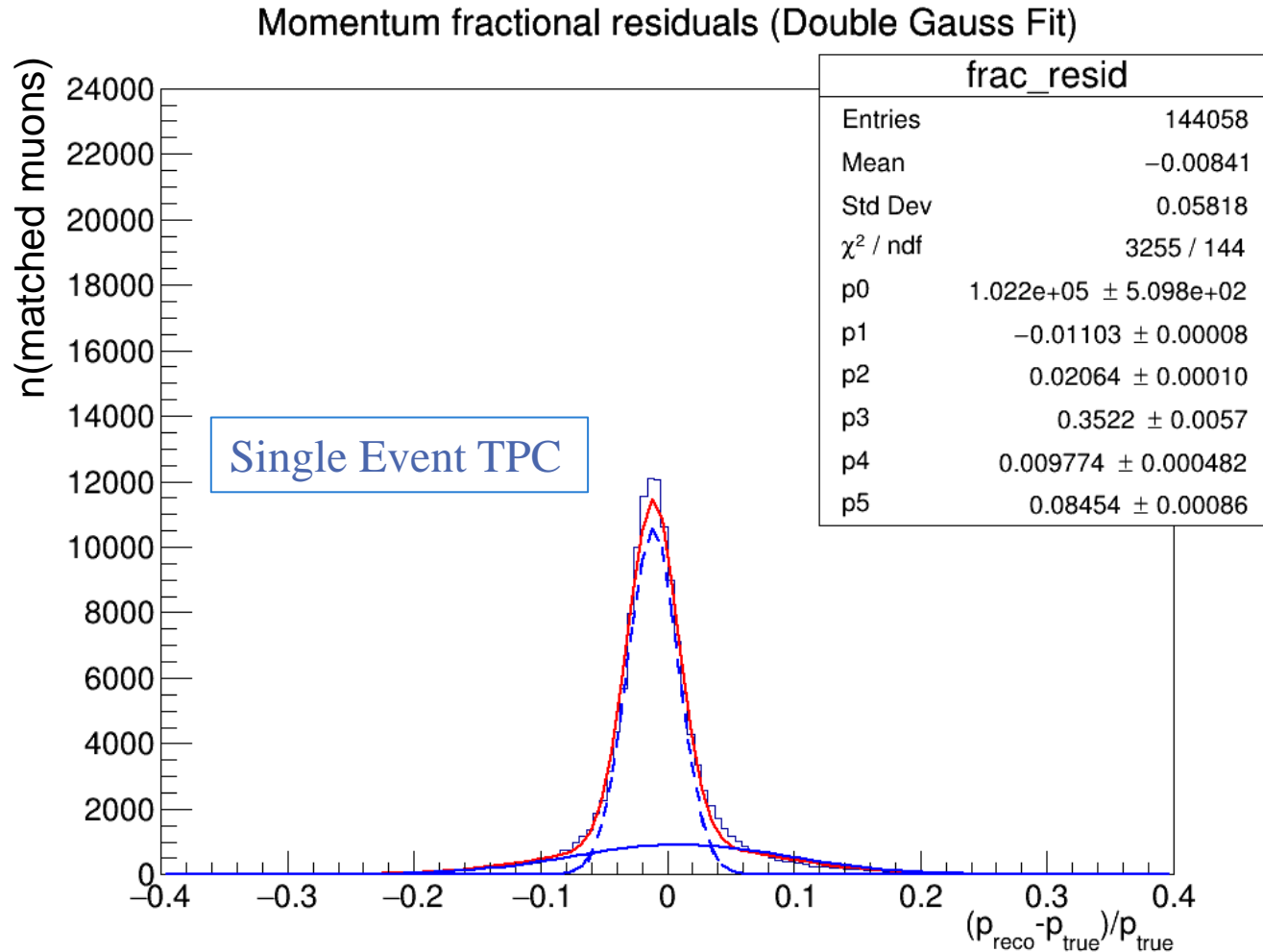
- We define the momentum resolution in terms of fractional residuals:

$$Residual = \frac{p_{reco} - p_{true}}{p_{true}}$$

- Where  $p_{true}$  and  $p_{reco}$  in this case are evaluated at the entering point in the TPC Volume
- We then fit the distribution with a double Gaussian function:

$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FRACTIONAL RESIDUALS FIT PARAMETERS

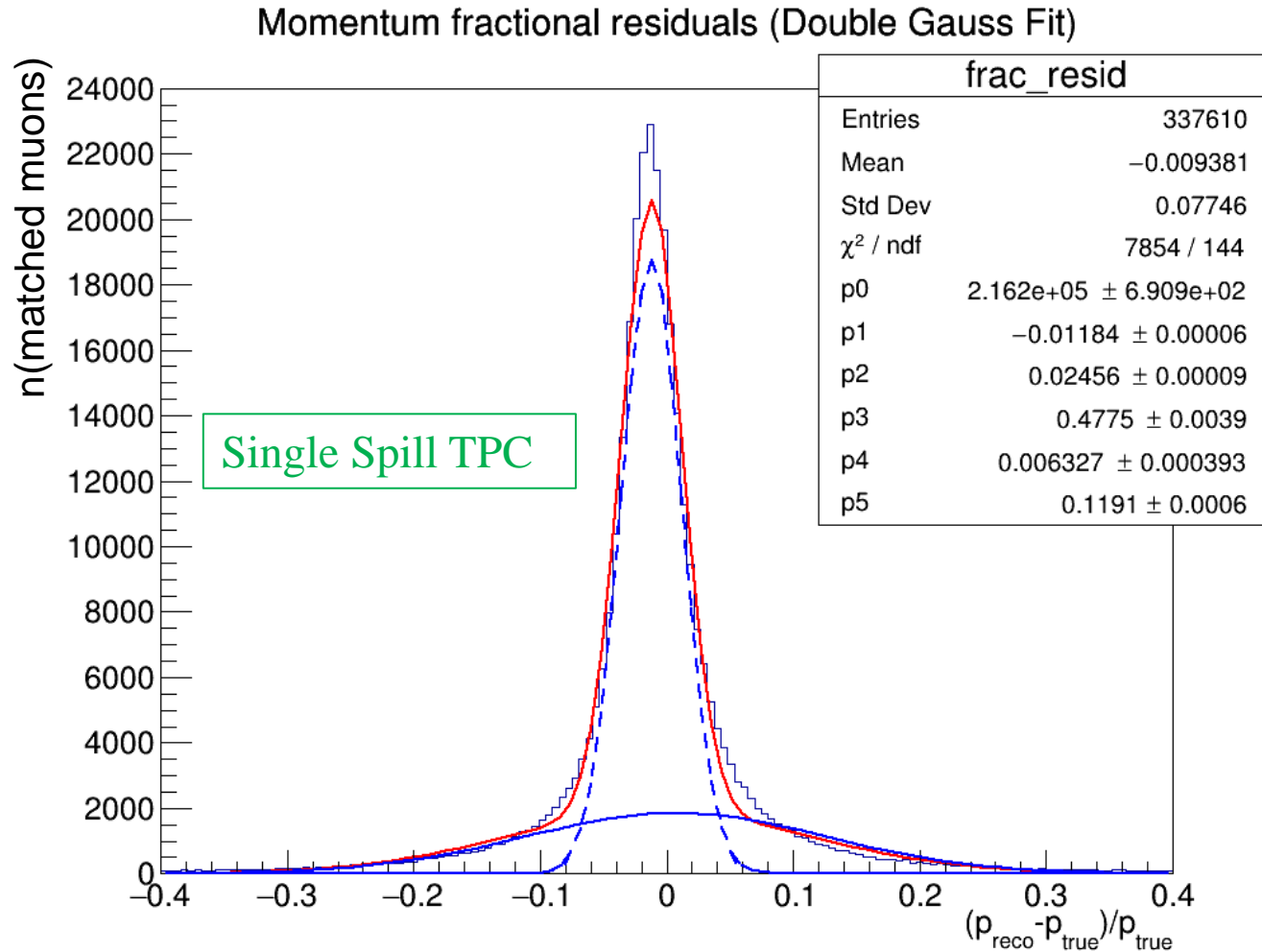


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- Where:
  - $p_0 = n_{events}$  belonging to the main slender Gaussian
  - $p_1 =$  Center of the main slender Gaussian (bias)
  - $p_2 = \sigma$  of the main Gaussian (resolution)
  - $p_3 =$  Ratio between the number of events belonging to the second and first Gaussian
  - $p_4 =$  distance between the centers of the two Gaussians (bias)
  - $p_5 = \sigma$  of the wider, shorter Gaussian (resolution)
  - $p_0(1 + p_3) =$  Total  $n_{events}$

# FRACTIONAL RESIDUALS FIT PARAMETERS

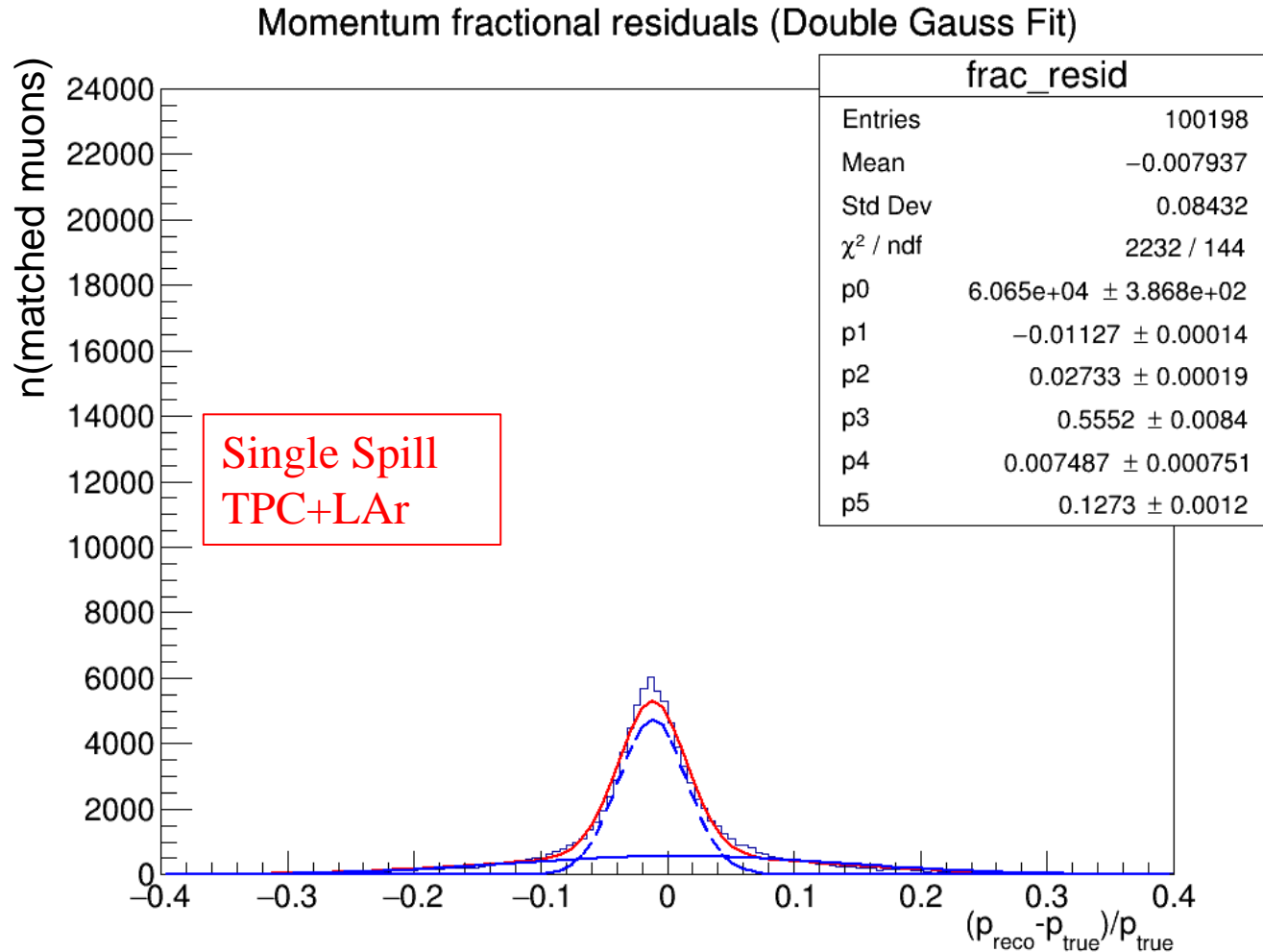


- We then fit the distribution with a double Gaussian function:

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# FRACTIONAL RESIDUALS FIT PARAMETERS

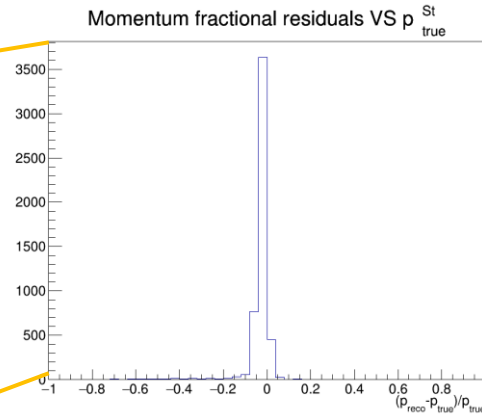
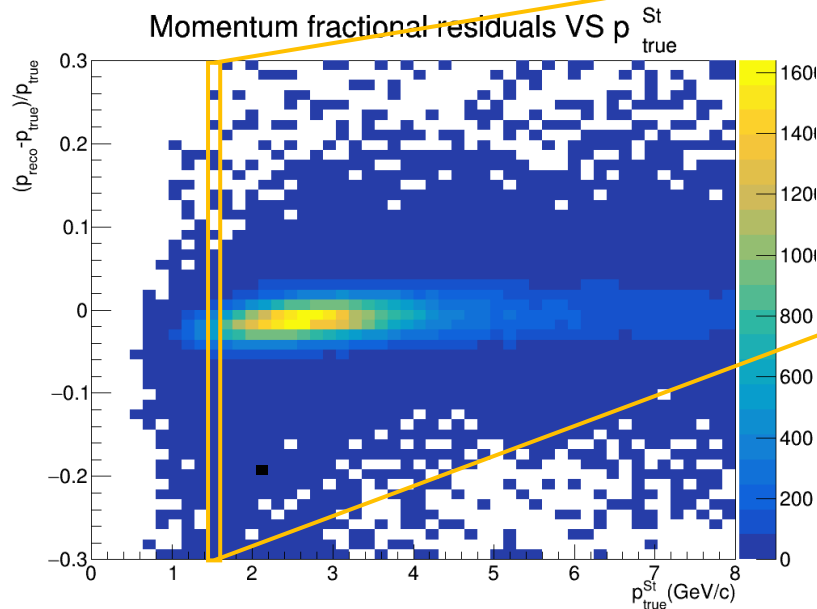


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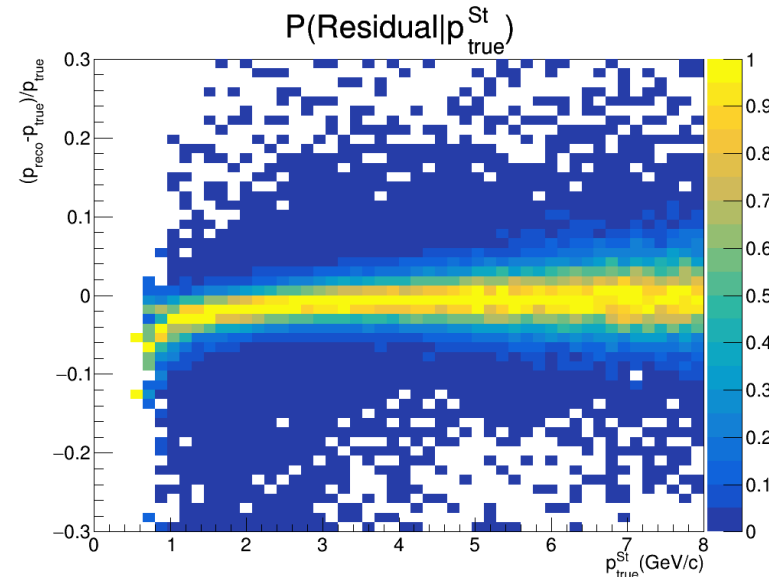
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  - $p_1 =$  Center of the main slender Gaussian (bias)
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  - $p_0(1 + p_3) =$  Total  $n_{events}$

# CONDITIONAL PROBABILITY DISTRIBUTIONS



Divide all bin contents in the slice by the maximum value in the distribution

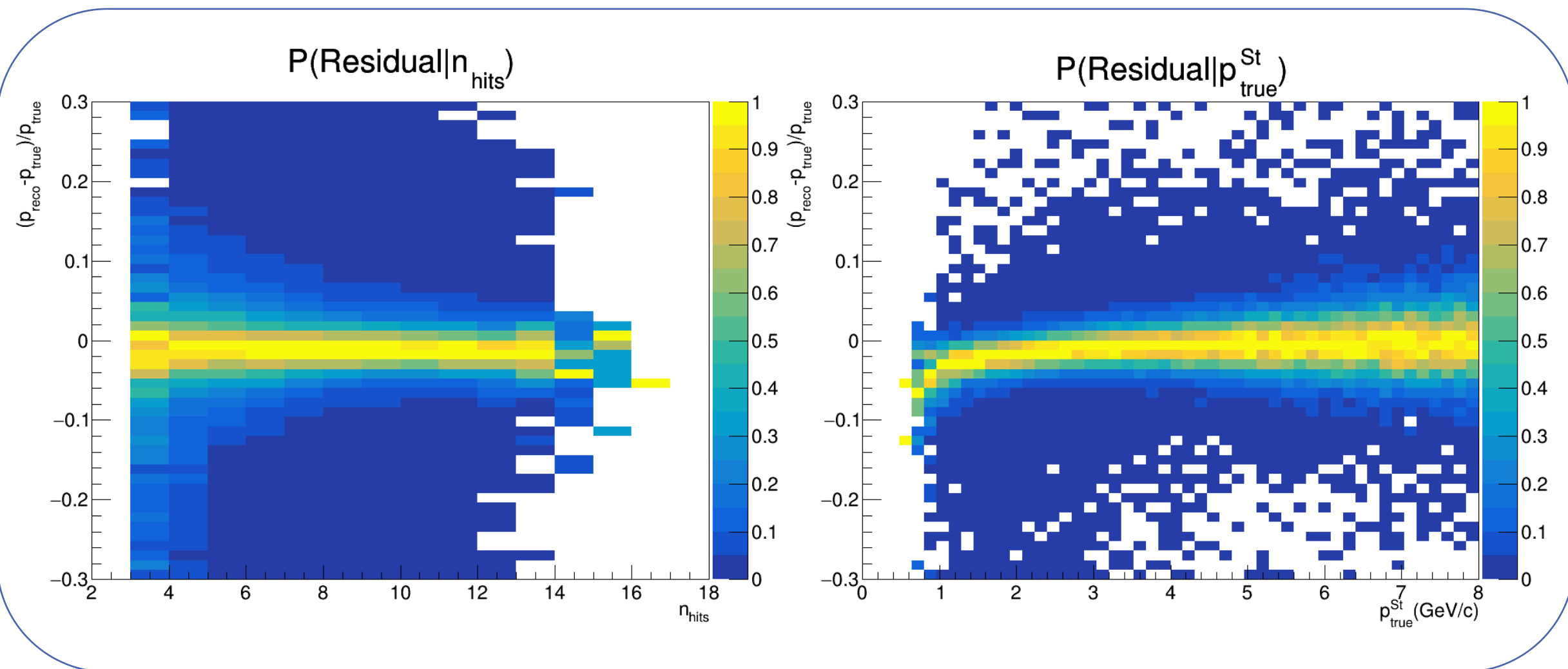
Select slices in terms of one of the relevant quantities and get the histogram projection



Conditional probability

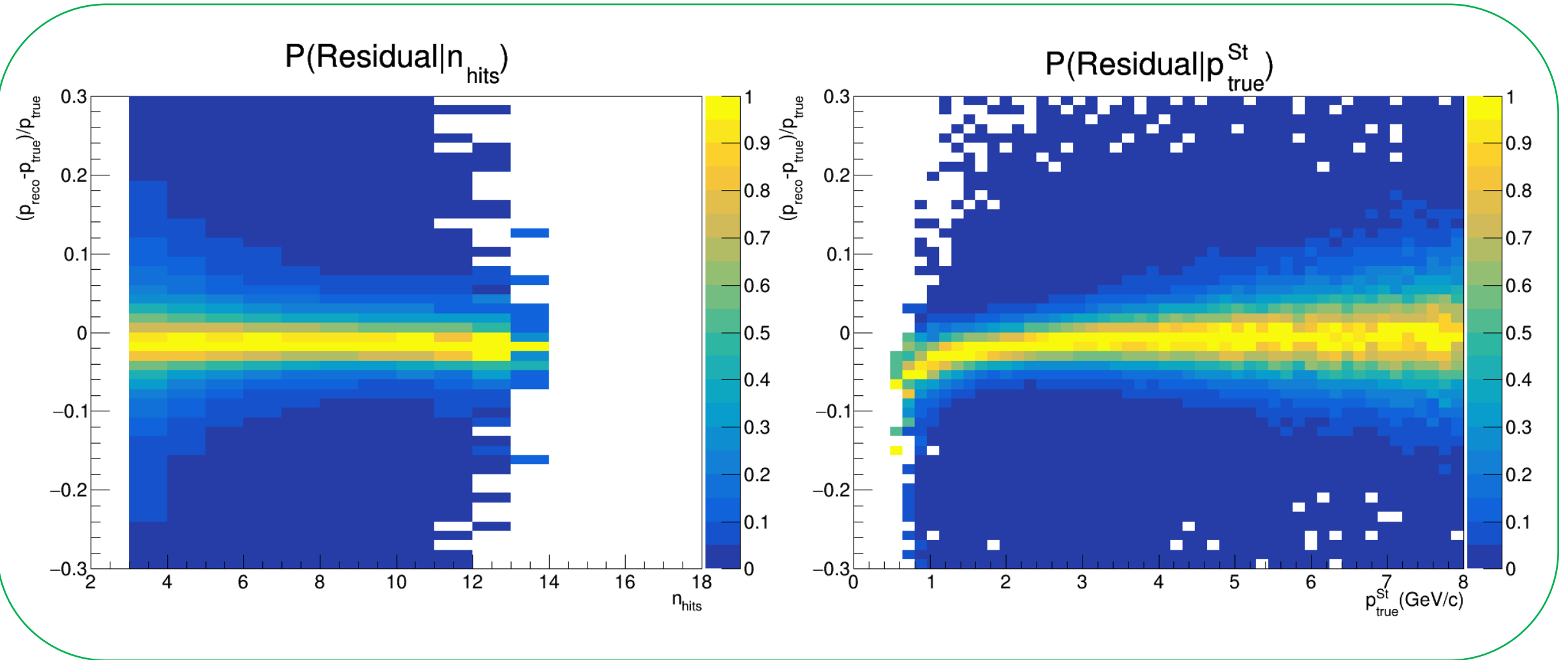
# FRACTIONAL RESIDUALS: PROBABILITY DISTRIBUTIONS

Single Event TPC



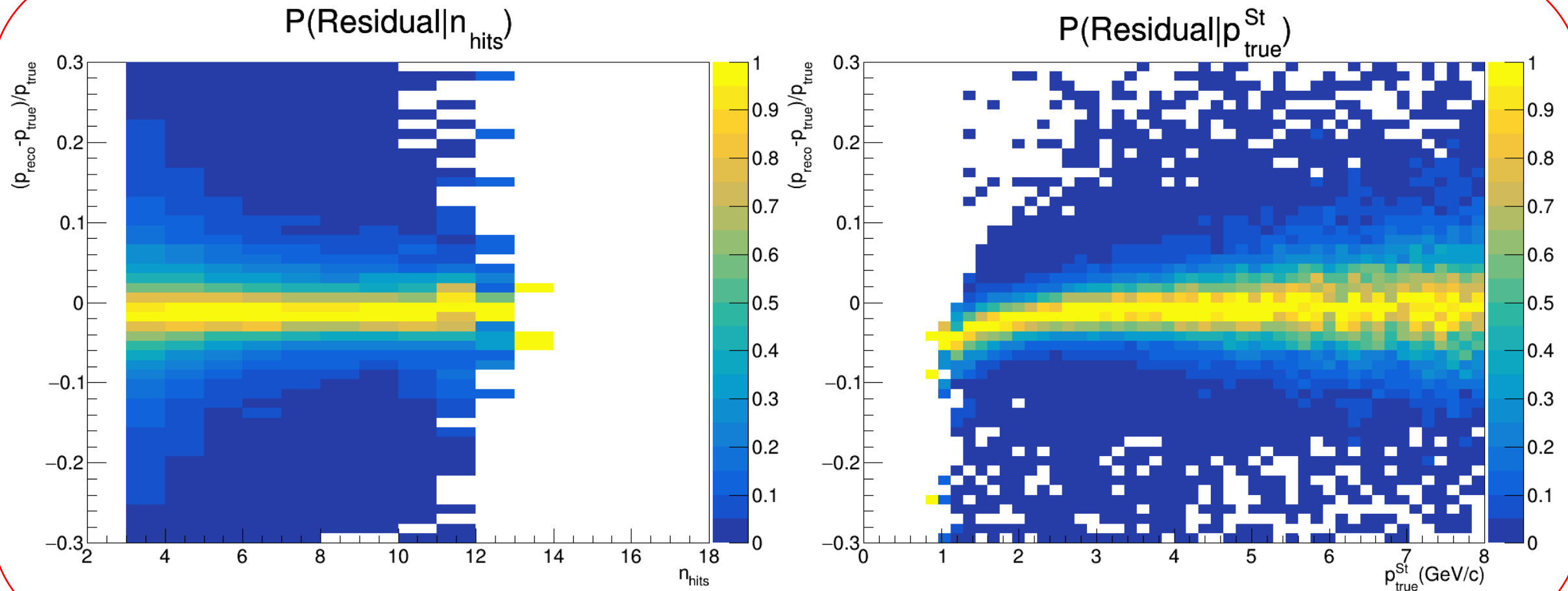
# FRACTIONAL RESIDUALS: PROBABILITY DISTRIBUTIONS

Single Spill TPC



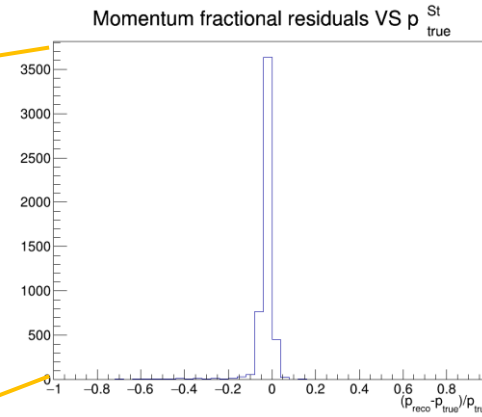
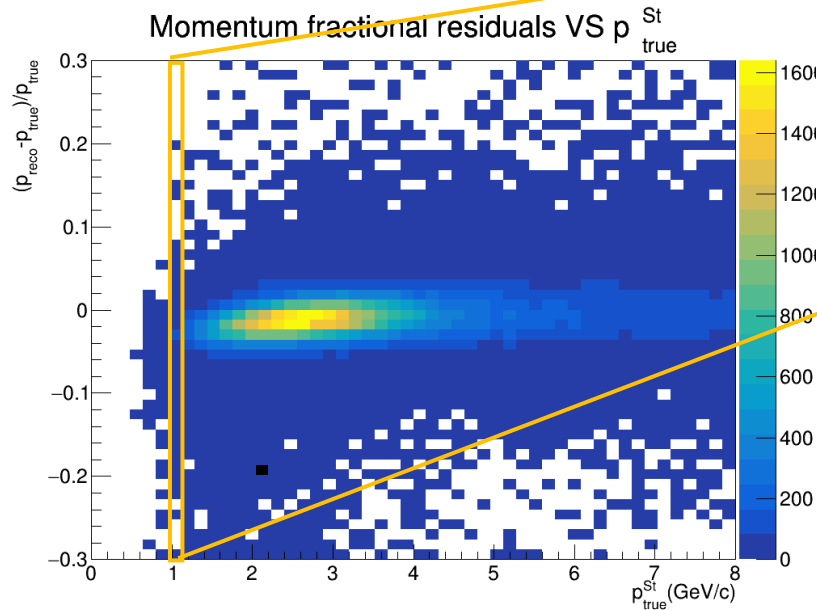
# FRACTIONAL RESIDUALS: PROBABILITY DISTRIBUTIONS

Single Spill LAr





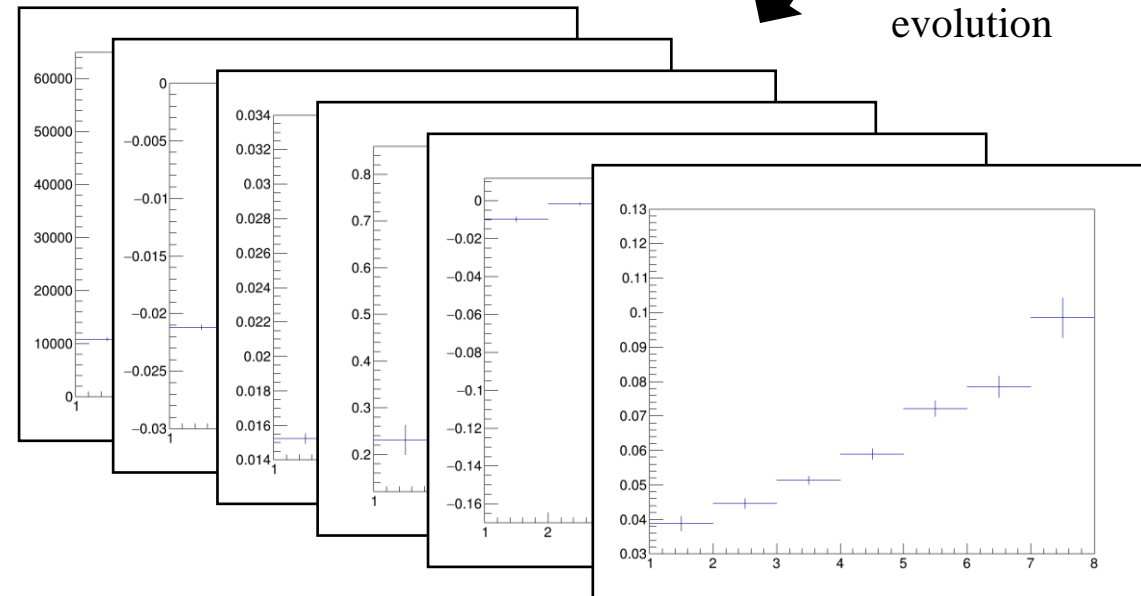
# FIT PARAMETERS EVOLUTION



$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \begin{array}{l} \frac{1}{p_2} \exp\left(-\frac{1}{2} \left(\frac{x - p_1}{p_2}\right)^2\right) + \\ \frac{p_3}{p_5} \exp\left(-\frac{1}{2} \left(\frac{x - (p_1 + p_4)}{p_5}\right)^2\right) \end{array} \right\}$$

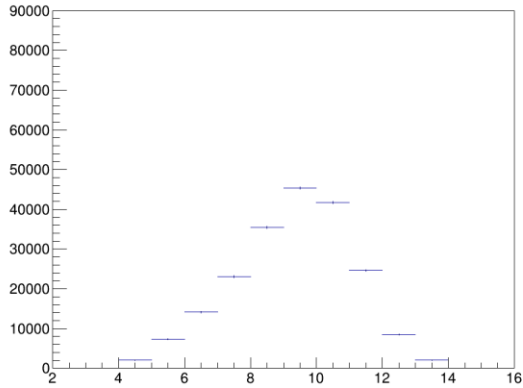
Select slices in terms of one of the relevant quantities and get the histogram projection

Parameter fit evolution

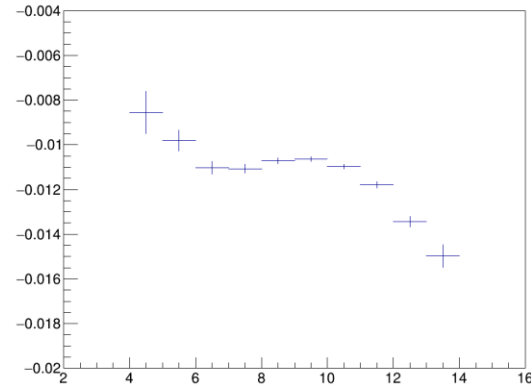


# FIT PARAMETERS EVOLUTIONS $n_{hits}$ : SINGLE EVENT TPC

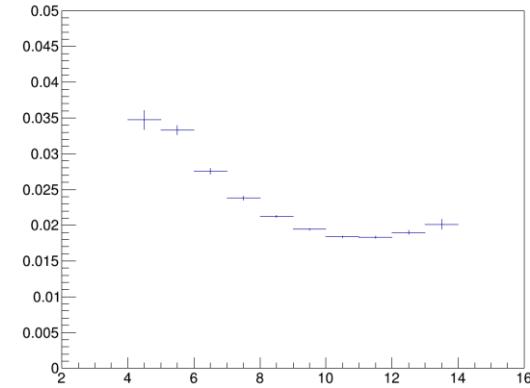
Fitted value of  $p_0$



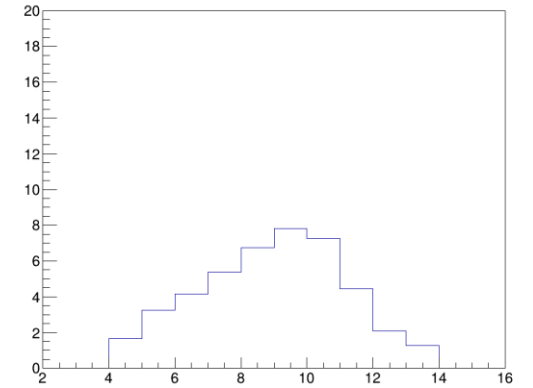
Fitted value of  $p_1$



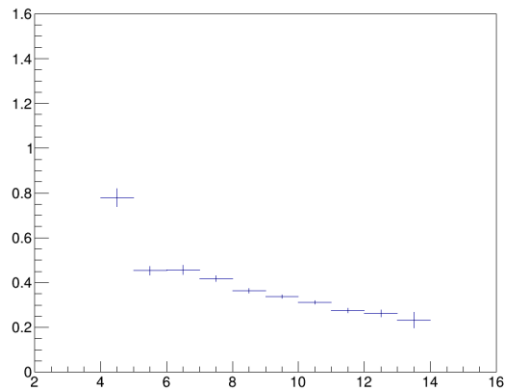
Fitted value of  $p_2$



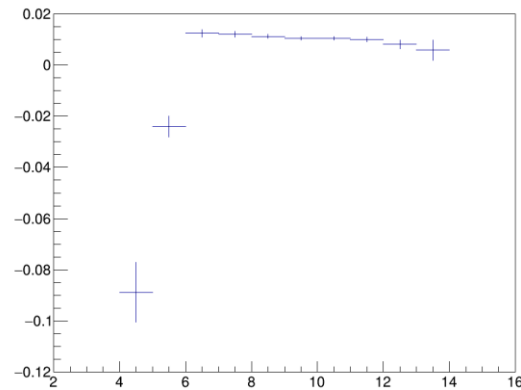
$\chi^2/\text{NDF}$



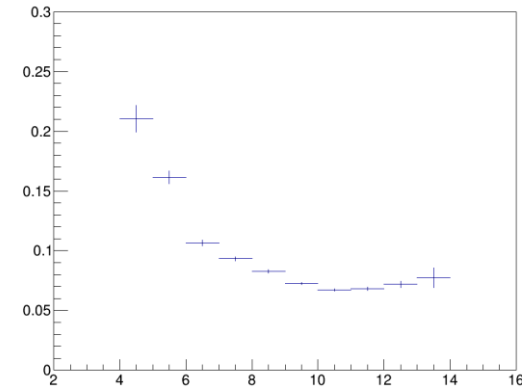
Fitted value of  $p_3$



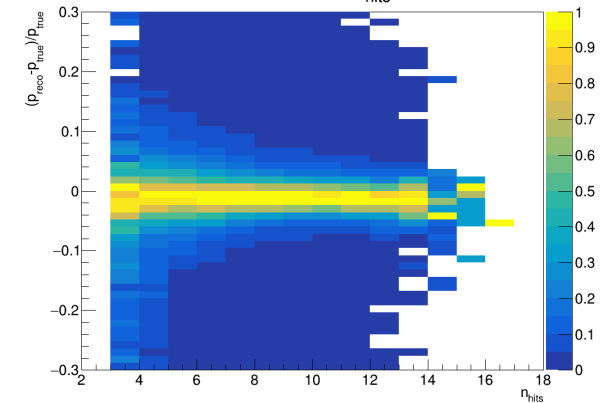
Fitted value of  $p_4$



Fitted value of  $p_5$



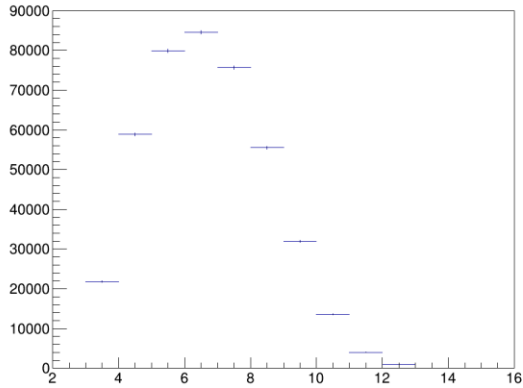
$P(\text{Residual}|n_{hits})$



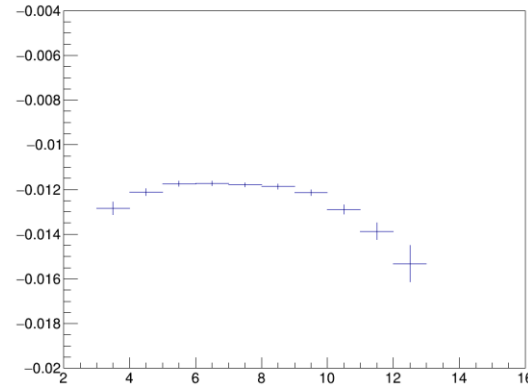
$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FIT PARAMETERS EVOLUTIONS $n_{hits}$ : SINGLE SPILL TPC

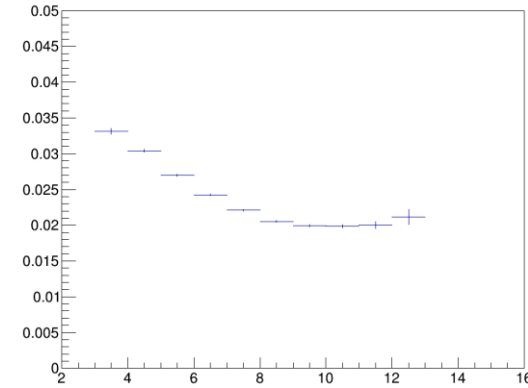
Fitted value of  $p_0$



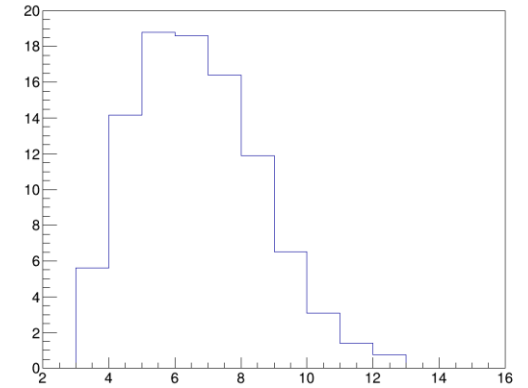
Fitted value of  $p_1$



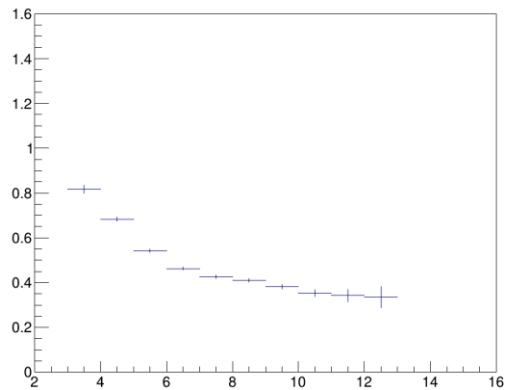
Fitted value of  $p_2$



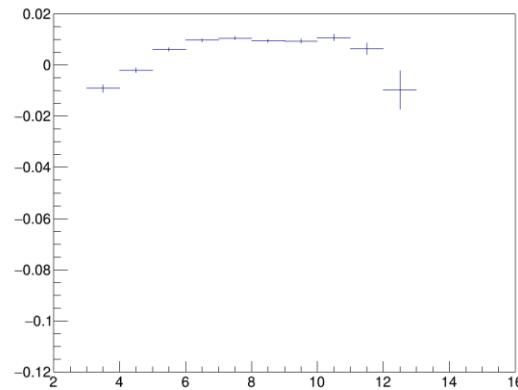
$\chi^2/NDF$



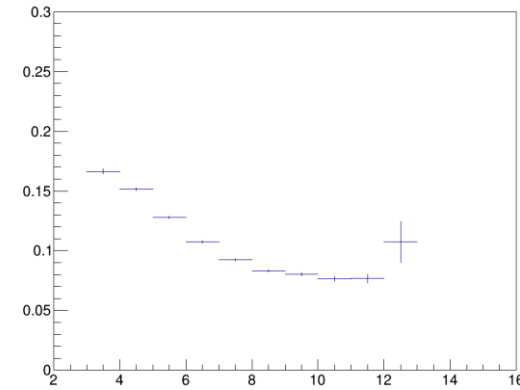
Fitted value of  $p_3$



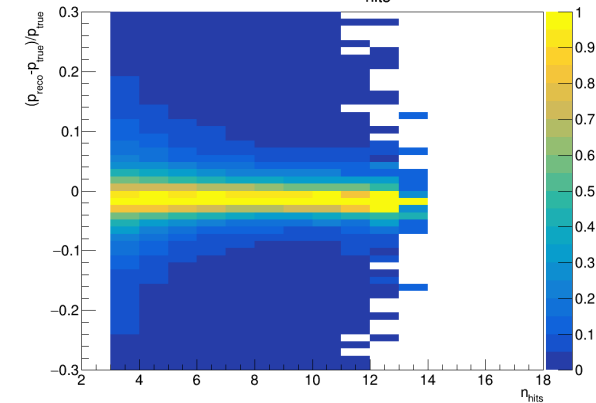
Fitted value of  $p_4$



Fitted value of  $p_5$

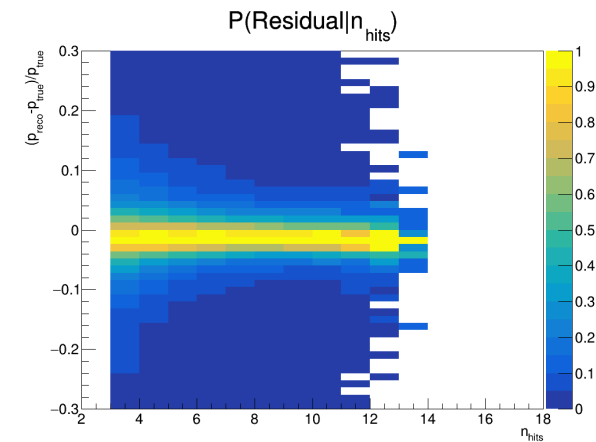
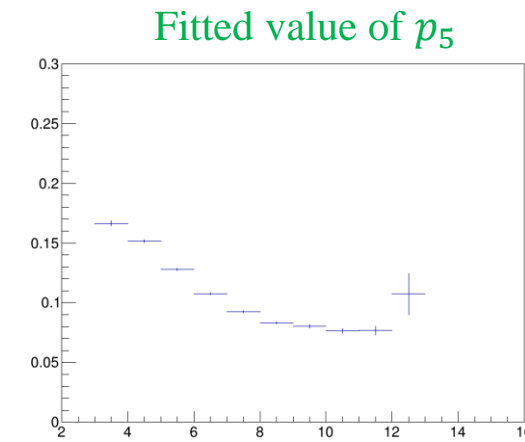
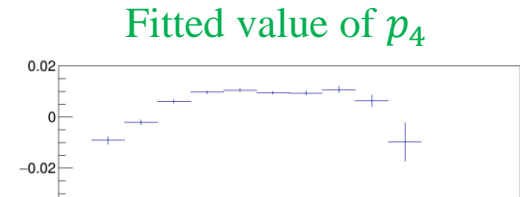
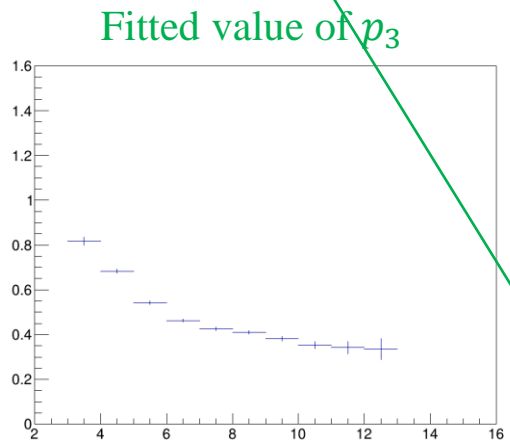
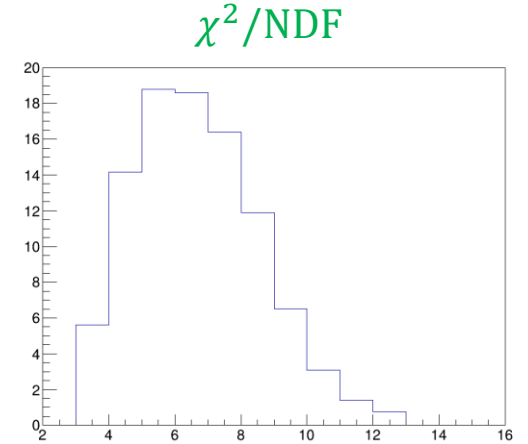
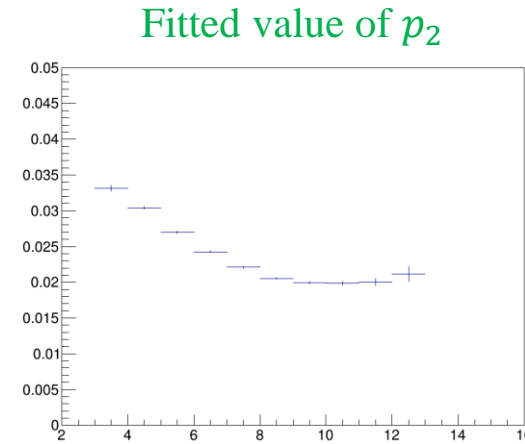
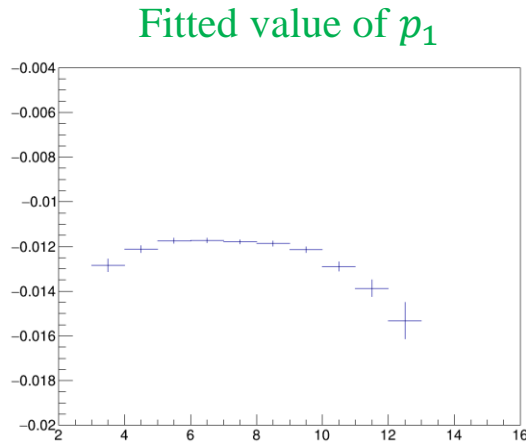
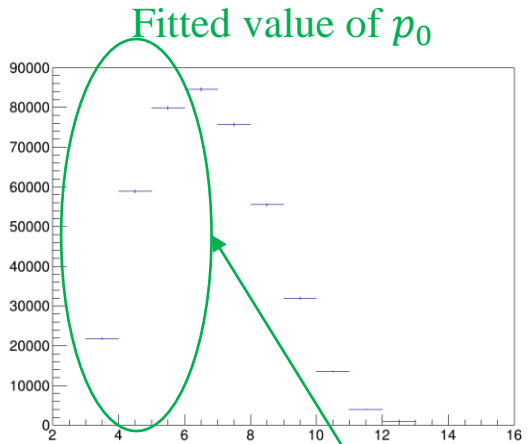


$P(\text{Residual}|n_{hits})$



$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FIT PARAMETERS EVOLUTIONS $n_{hits}$ : SINGLE SPILL TPC



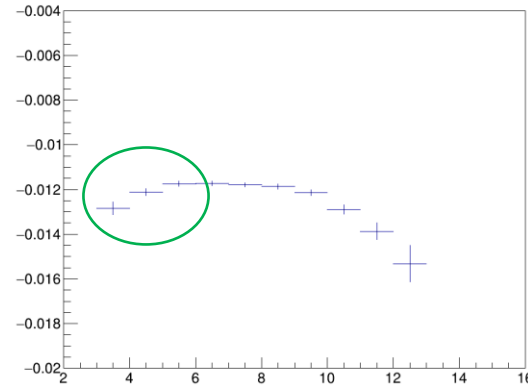
- Single spill sample has more events with very few hits: tracks might be split into different bunches inadvertently

$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

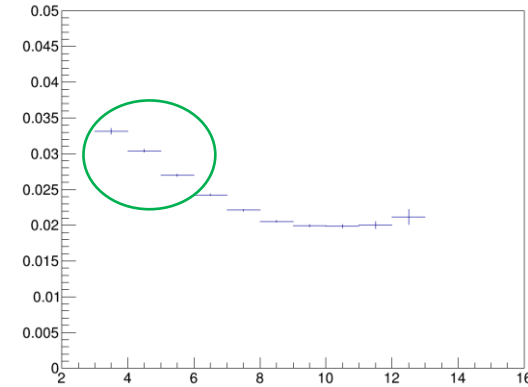
# FIT PARAMETERS EVOLUTIONS $n_{hits}$ : SINGLE SPILL TPC

- These low  $n_{hits}$  events lead to a worse overall performance: larger bias ( $p_1$  and  $p_4$ ) and larger spread ( $p_2, p_3$  and  $p_5$ )

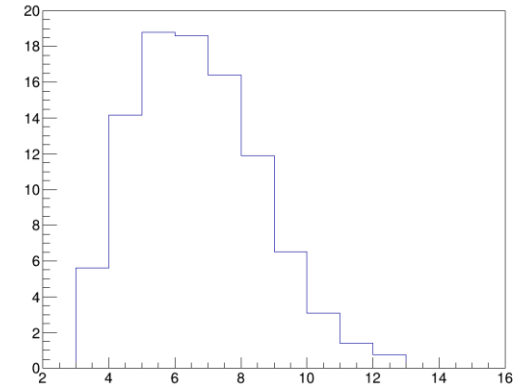
Fitted value of  $p_1$



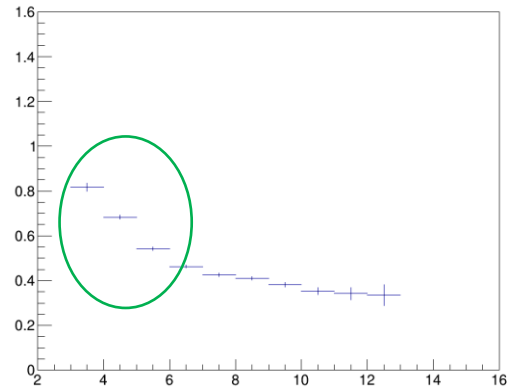
Fitted value of  $p_2$



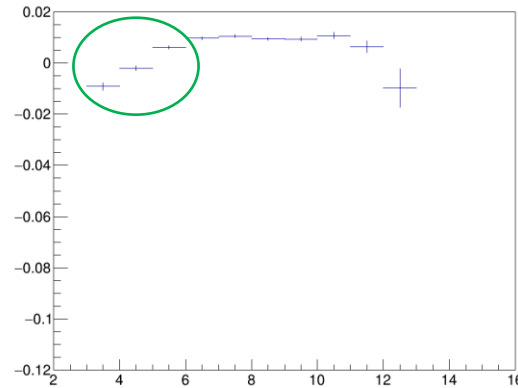
$\chi^2/NDF$



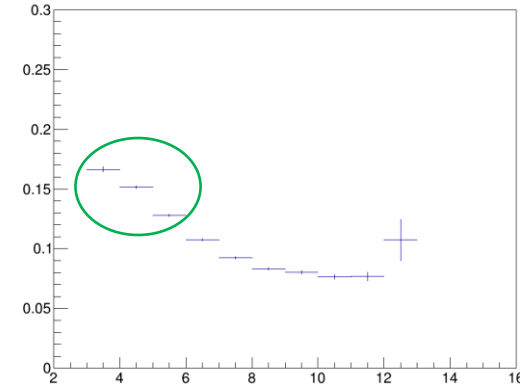
Fitted value of  $p_3$



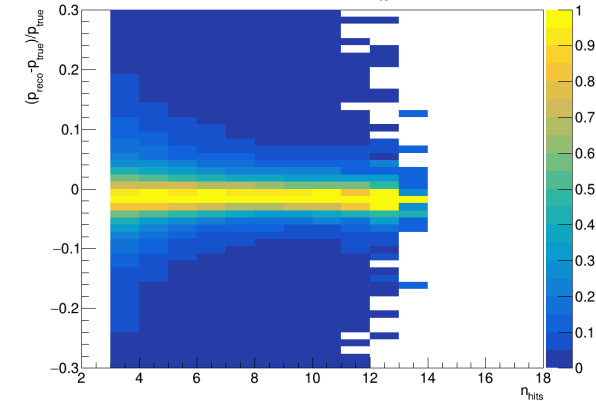
Fitted value of  $p_4$



Fitted value of  $p_5$



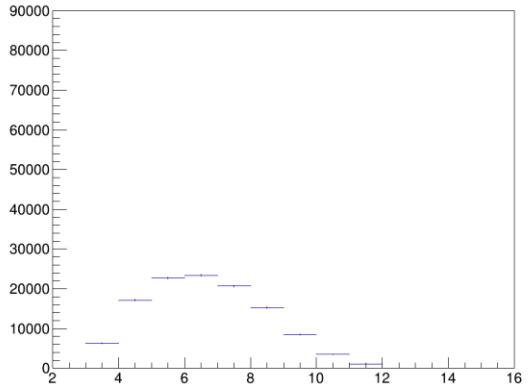
$P(\text{Residual}|n_{hits})$



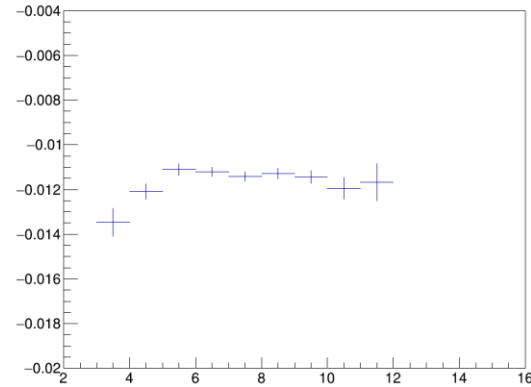
$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FIT PARAMETERS EVOLUTIONS $n_{hits}$ : SINGLE SPILL TPC+LAR

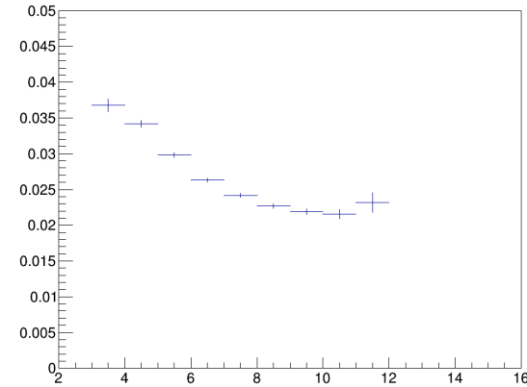
Fitted value of  $p_0$



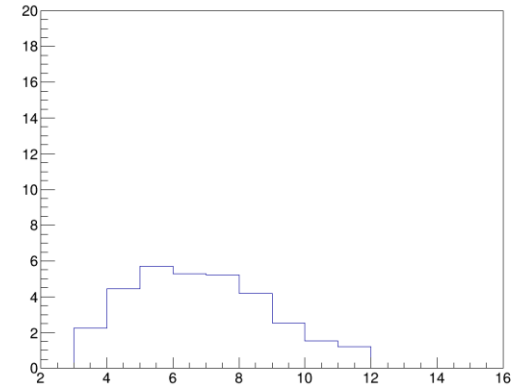
Fitted value of  $p_1$



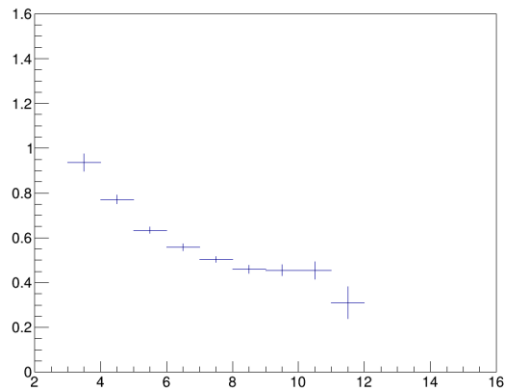
Fitted value of  $p_2$



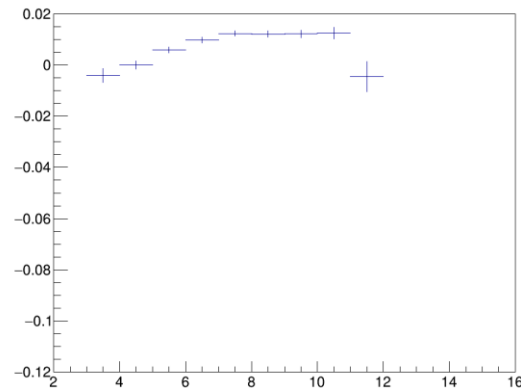
$\chi^2/NDF$



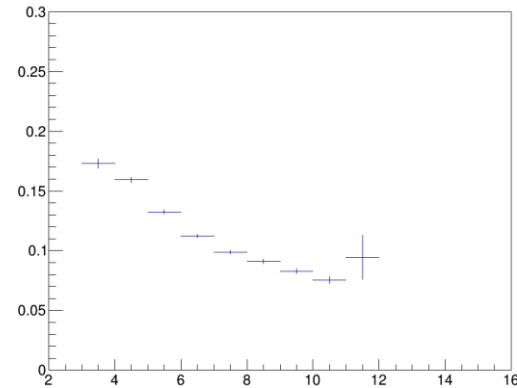
Fitted value of  $p_3$



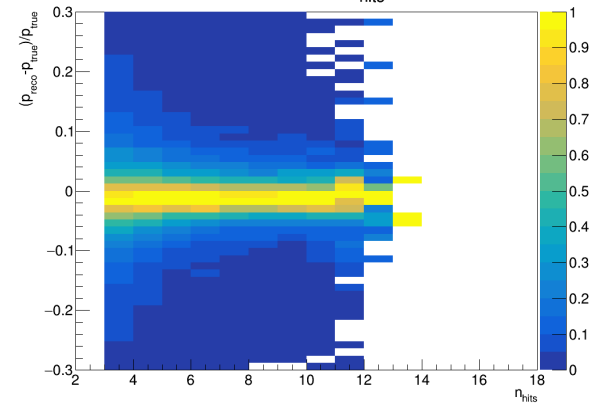
Fitted value of  $p_4$



Fitted value of  $p_5$



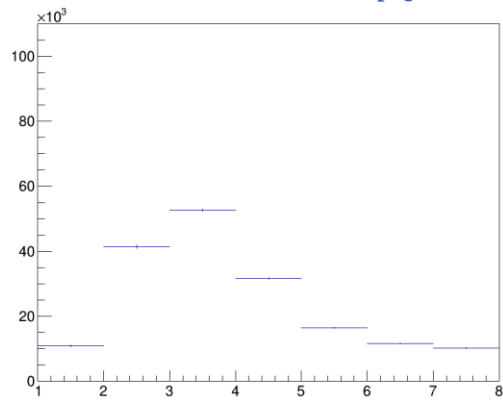
$P(\text{Residual}|n_{hits})$



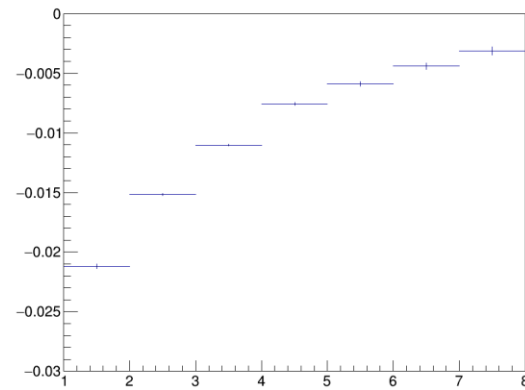
$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FIT PARAMETERS EVOLUTIONS $p_{true}^{St}$ : TPC SAMPLE

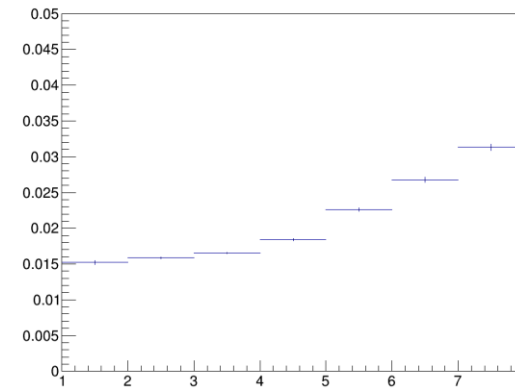
Fitted value of  $p_0$



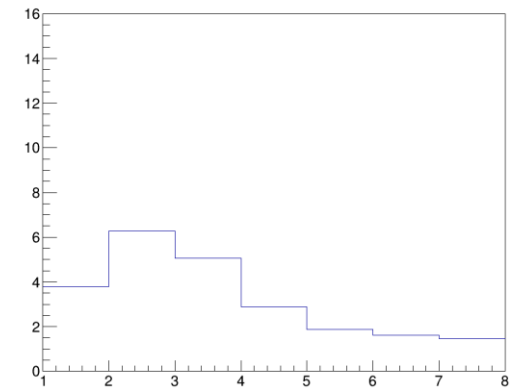
Fitted value of  $p_1$



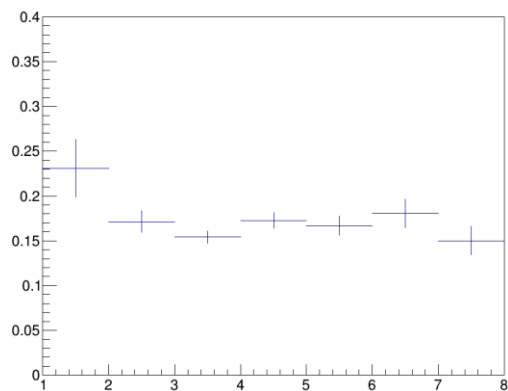
Fitted value of  $p_2$



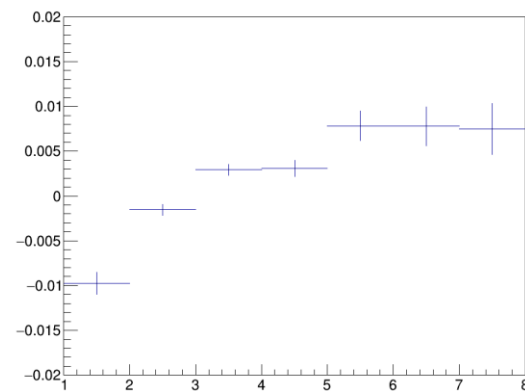
$\chi^2/NDF$



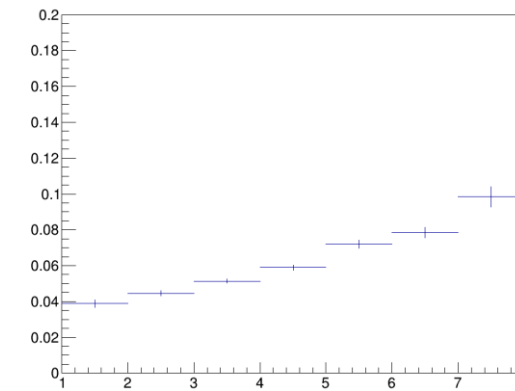
Fitted value of  $p_3$



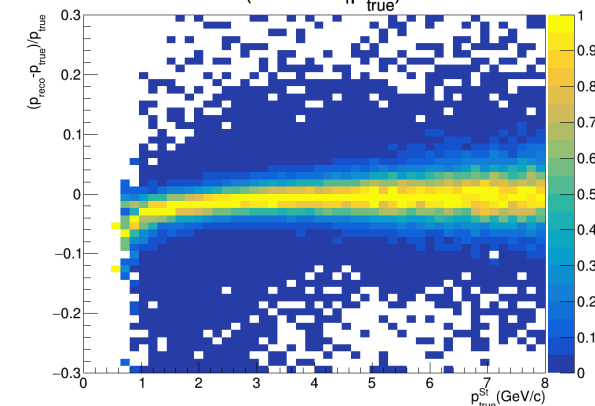
Fitted value of  $p_4$



Fitted value of  $p_5$



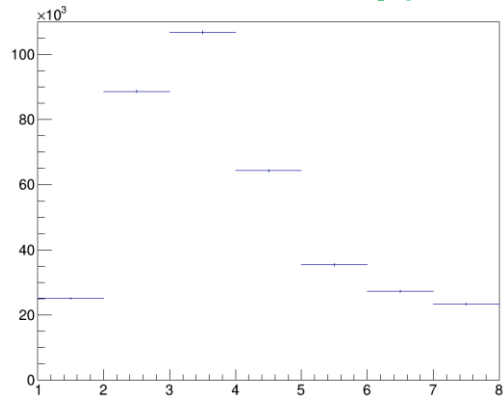
$P(\text{Residual}|p_{true}^{St})$



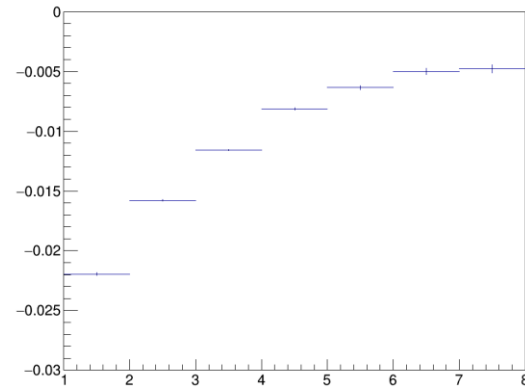
$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FIT PARAMETERS EVOLUTIONS $p_{true}^{St}$ : SINGLE SPILL TPC

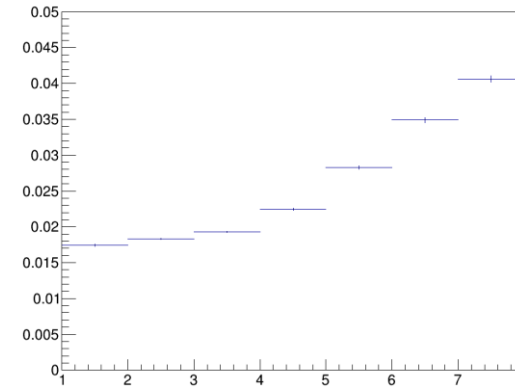
Fitted value of  $p_0$



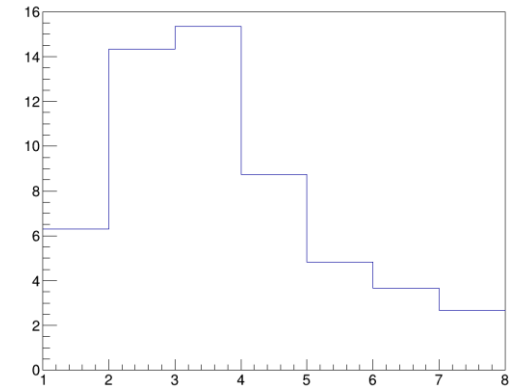
Fitted value of  $p_1$



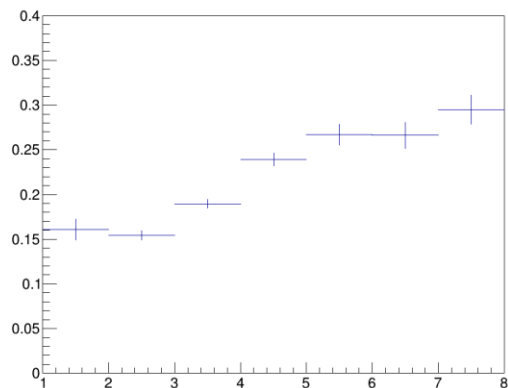
Fitted value of  $p_2$



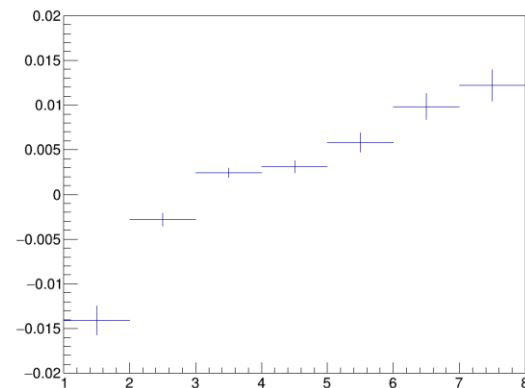
$\chi^2/NDF$



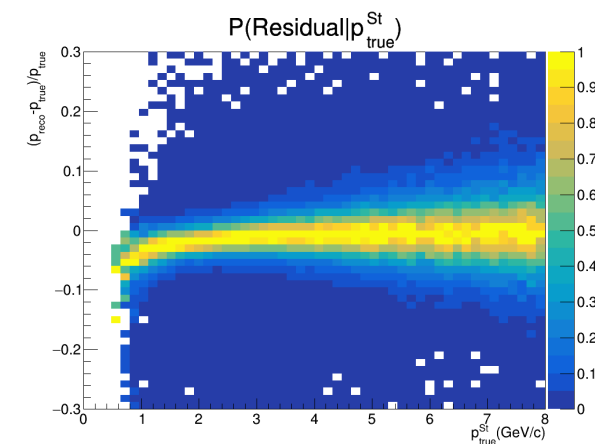
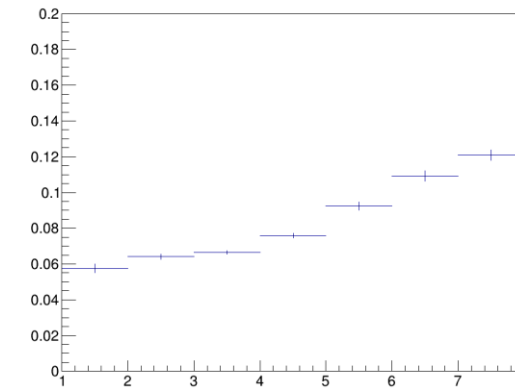
Fitted value of  $p_3$



Fitted value of  $p_4$



Fitted value of  $p_5$

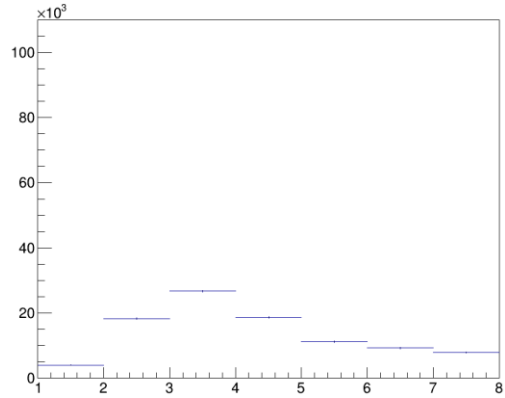


$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

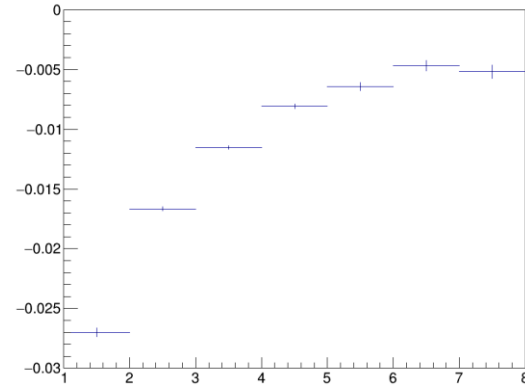


# FIT PARAMETERS EVOLUTIONS $p_{true}^{St}$ : SINGLE SPILL TPC+LAR

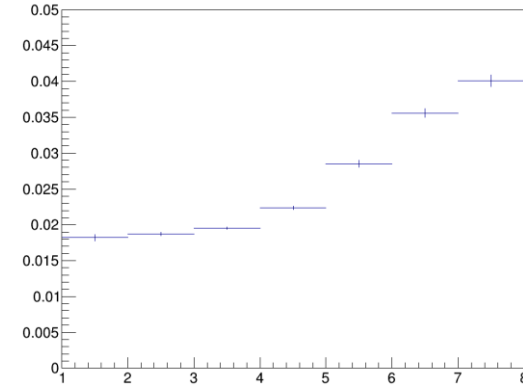
Fitted value of  $p_0$



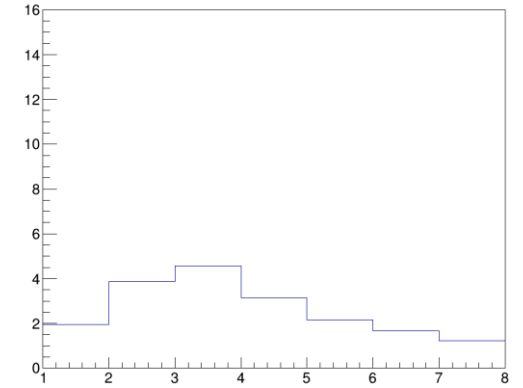
Fitted value of  $p_1$



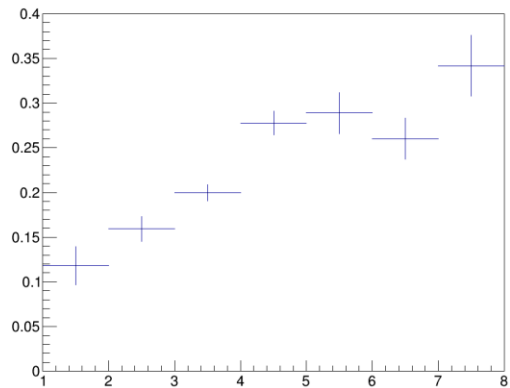
Fitted value of  $p_2$



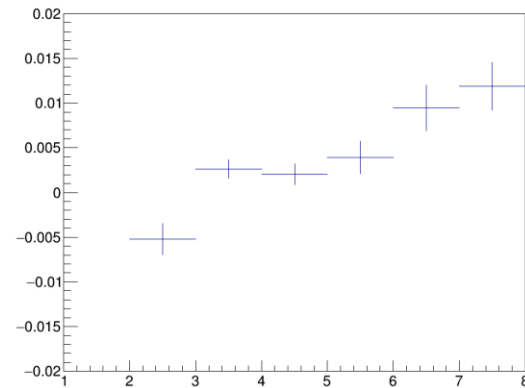
$\chi^2/NDF$



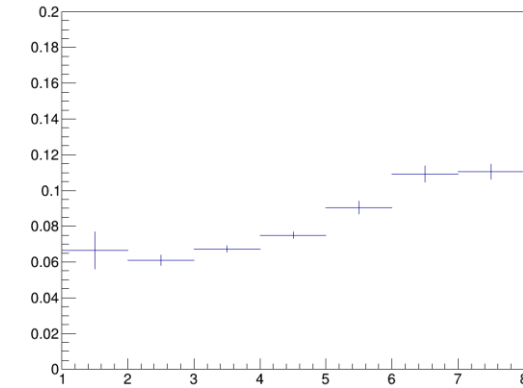
Fitted value of  $p_3$



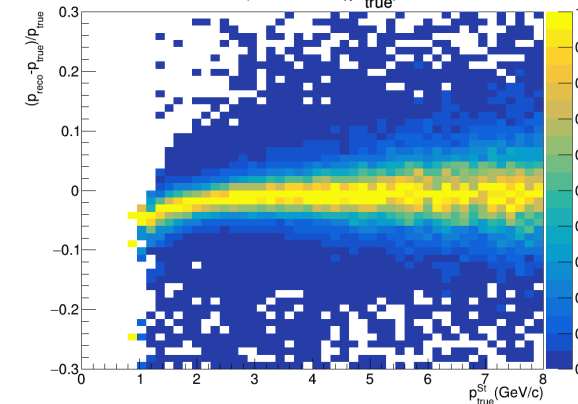
Fitted value of  $p_4$



Fitted value of  $p_5$



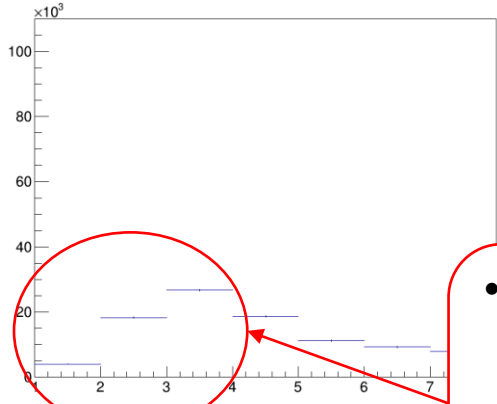
$P(\text{Residual}|p_{true}^{St})$



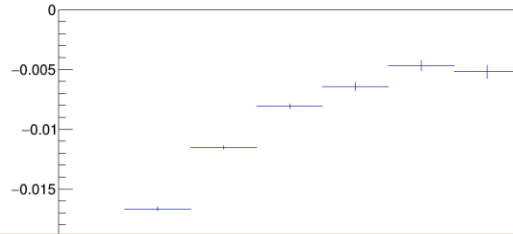
$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# FIT PARAMETERS EVOLUTIONS $p_{true}^{St}$ : SINGLE SPILL TPC+LAR

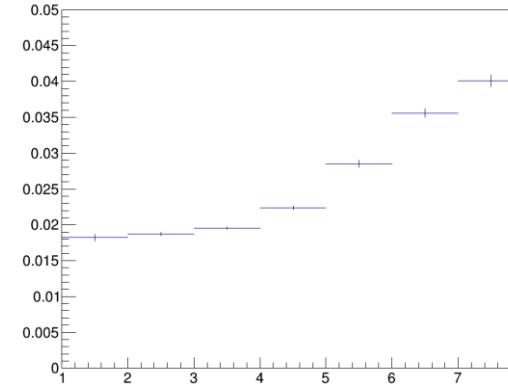
Fitted value of  $p_0$



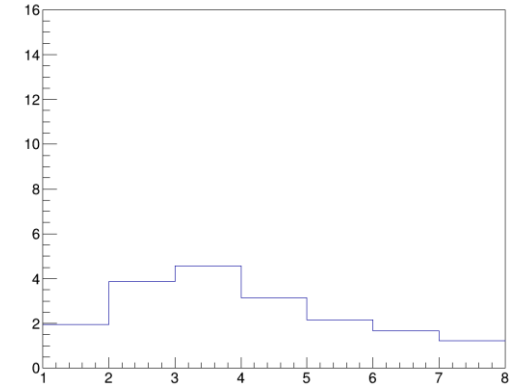
Fitted value of  $p_1$



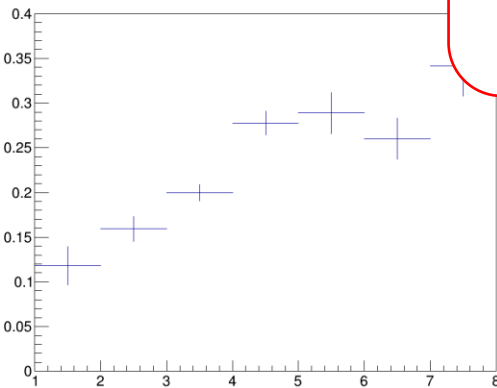
Fitted value of  $p_2$



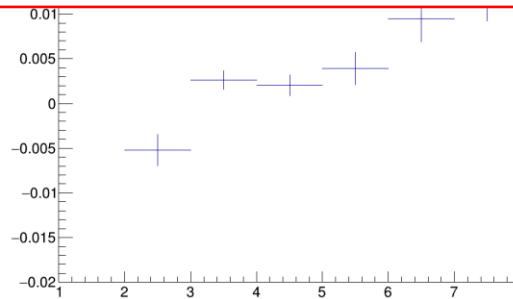
$\chi^2/NDF$



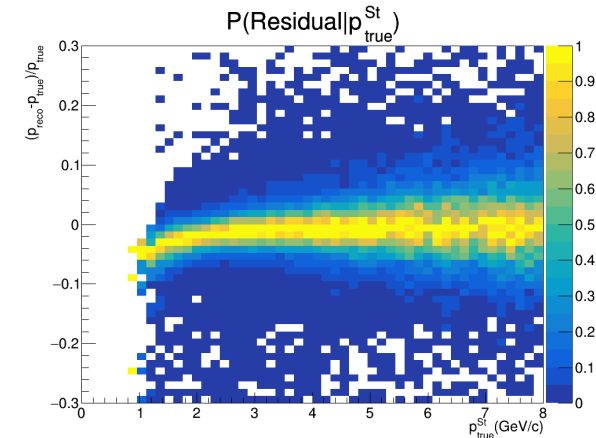
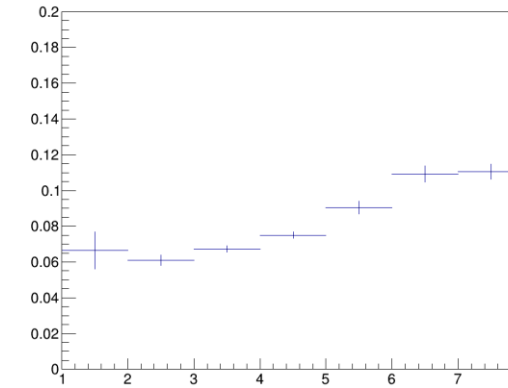
Fitted value of  $p_3$



- More low momentum tracks are cut than high momentum ones: momentum reconstruction is worse for straighter tracks  $\rightarrow$  worse performance



Fitted value of  $p_5$

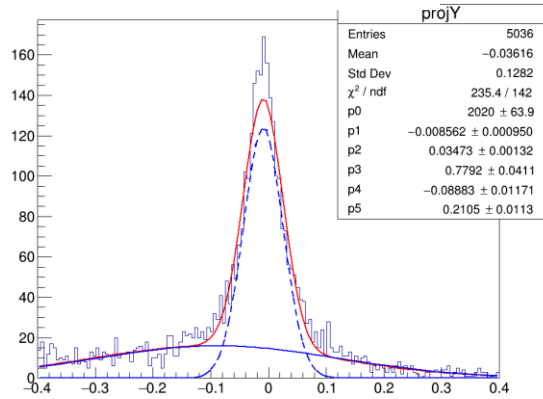
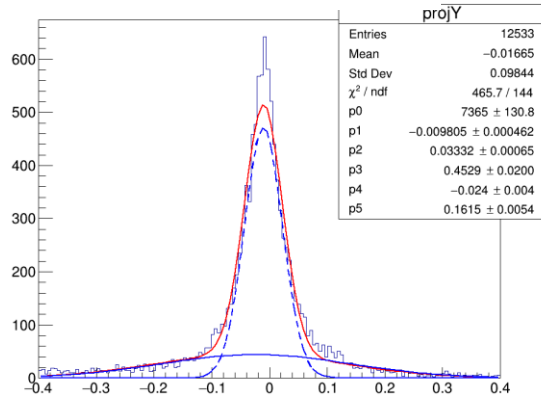
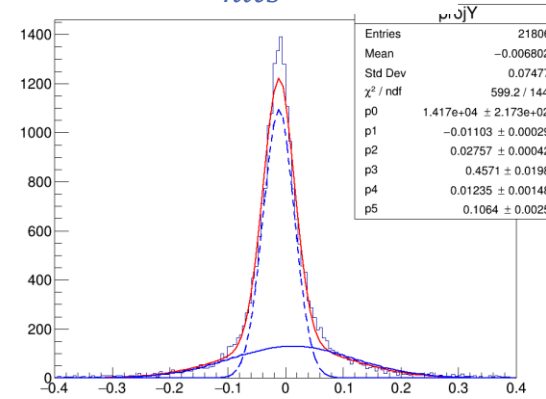
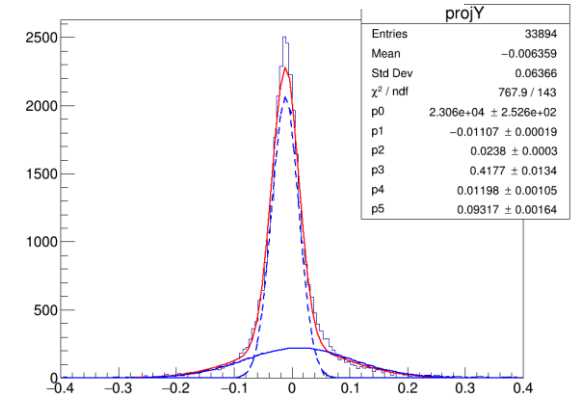
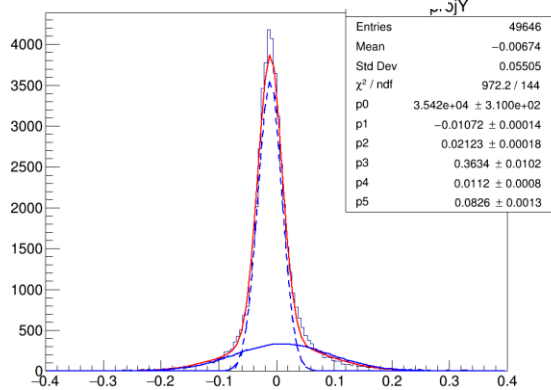
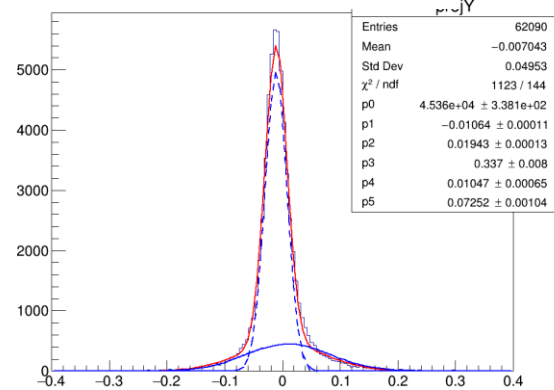
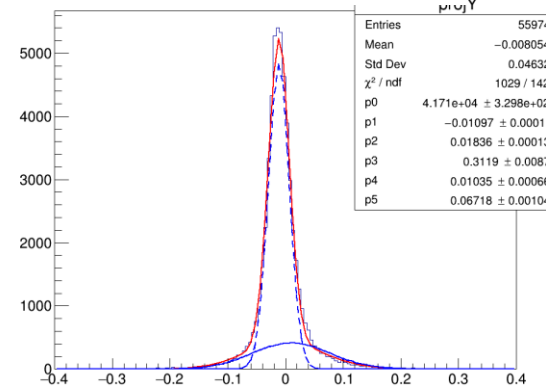
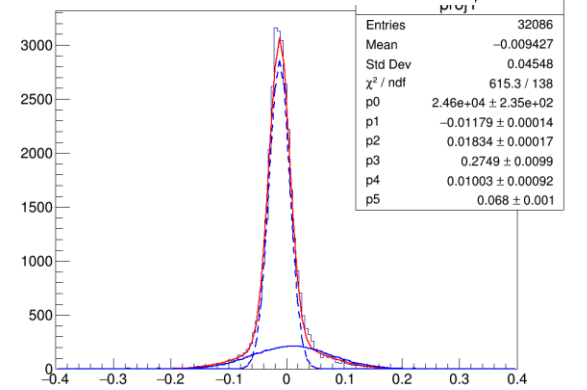
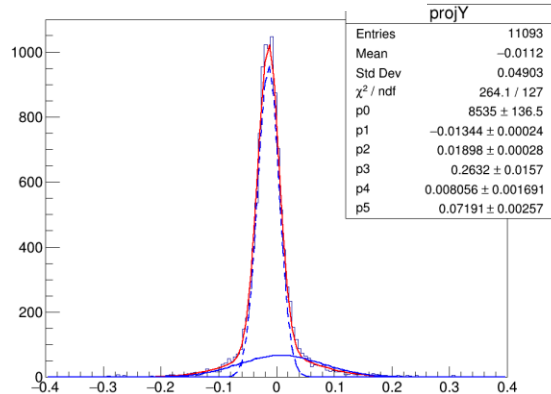
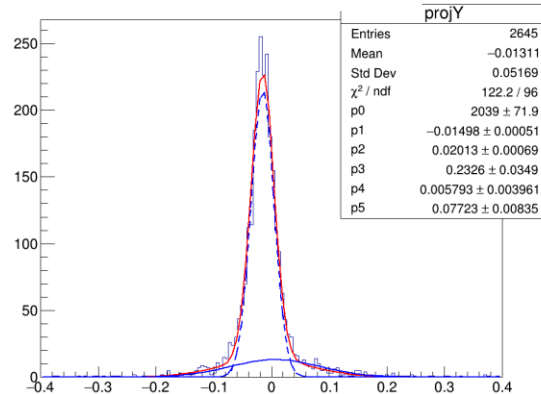


$$G = \left( \frac{\delta x_{bin}}{\sqrt{2\pi}} \right) p_0 \times \left\{ \frac{1}{p_2} \exp \left( -\frac{1}{2} \left( \frac{x - p_1}{p_2} \right)^2 \right) + \frac{p_3}{p_5} \exp \left( -\frac{1}{2} \left( \frac{x - (p_1 + p_4)}{p_5} \right)^2 \right) \right\}$$

# SUMMARY AND CONCLUSIONS

- Single spill production for ND-GAr-Lite on the Fermilab Grid is now available using the scripts found on the [dunegpvm](#) servers at [/dune/app/users/battisti/garlite/Spill/production/Grid/](#)
- A new track finding algorithm has been used for the spill sample which divides the track hits in time “bunches” (note that no proper bunch structure is currently implemented in the spill production)
- The [momentum reconstruction performance thus obtained is comparable, but slightly worse than what was found for the single event production](#): this is likely due to an increase in the number of low  $n_{hits}$  tracks in the single spill samples which might be due to track hits being incorrectly divided into multiple bunches
- LAr fiducial cuts introduced in the single Spill sample seem to have little effect, except for a slight decrease in performance likely due to low momentum muons being discarded from the sample and a slight increase in efficiency
- Possible future steps:
  1. Introduce proper bunch structure in the spill production;
  2. Avoid track matching with the introduction of backtracking for GArLite
  3. Reproduce the study with more up-to-date optimized geometry

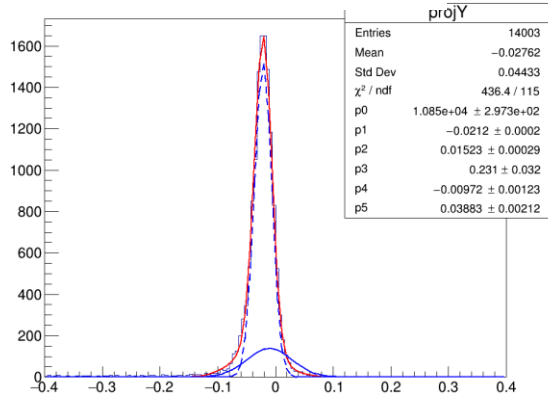
# BACK-UP

$n_{hits} = 4$  $n_{hits} = 5$  $n_{hits} = 6$  $n_{hits} = 7$  $n_{hits} = 8$  $n_{hits} = 9$  $n_{hits} = 10$  $n_{hits} = 11$  $n_{hits} = 12$  $n_{hits} = 13$ 

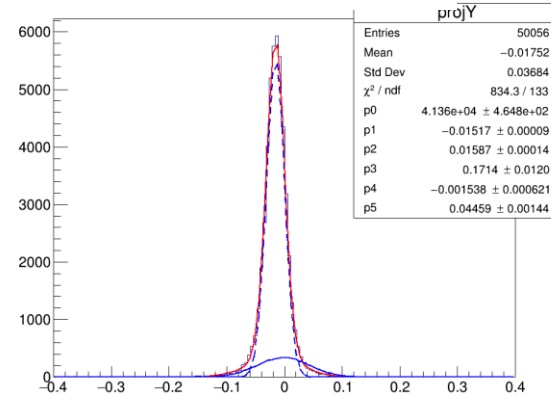
# SLICES FIT $n_{hits}$ : TPC SAMPLE

# SLICES FIT $p_{true}^{St}$ : TPC SAMPLE

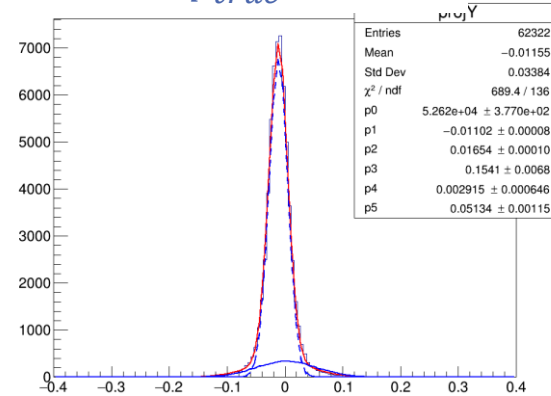
$1 < p_{true}^{St} < 2 \text{ GeV}$



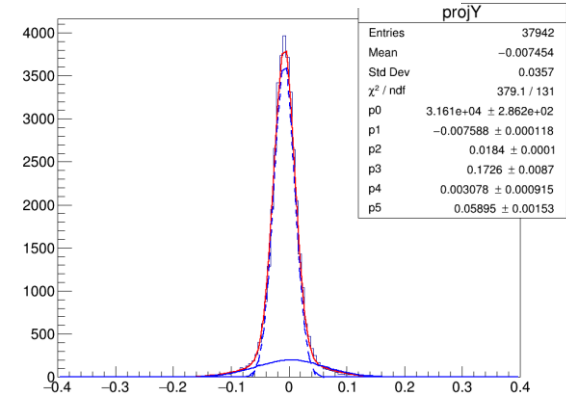
$2 < p_{true}^{St} < 3 \text{ GeV}$



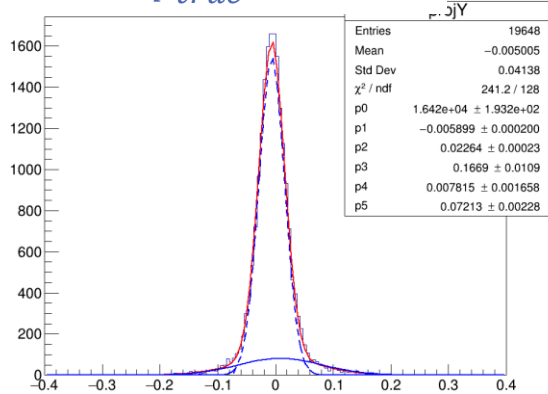
$3 < p_{true}^{St} < 4 \text{ GeV}$



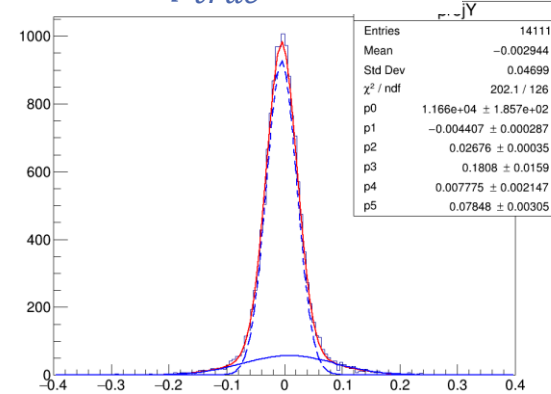
$4 < p_{true}^{St} < 5 \text{ GeV}$



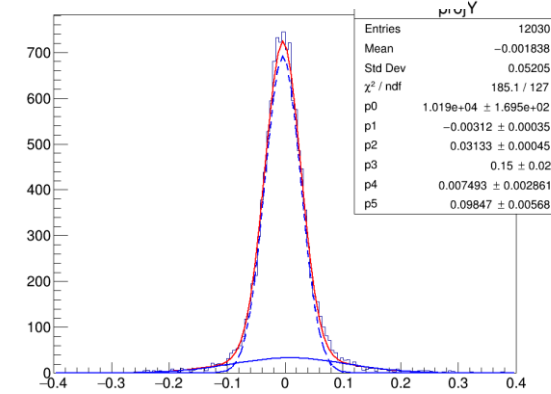
$5 < p_{true}^{St} < 6 \text{ GeV}$



$6 < p_{true}^{St} < 7 \text{ GeV}$

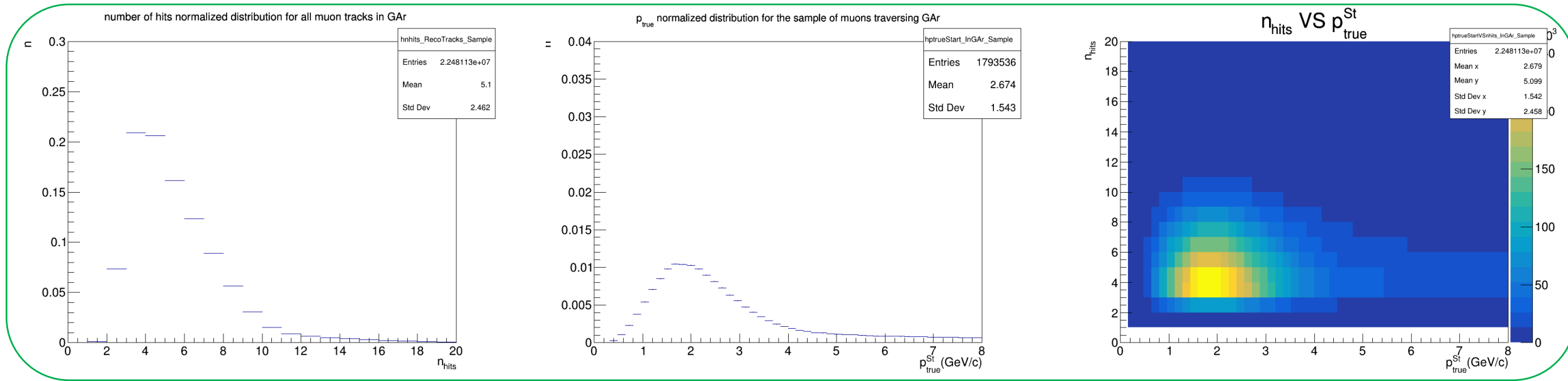


$7 < p_{true}^{St} < 8 \text{ GeV}$



# SAMPLE DEFINING DISTRIBUTIONS

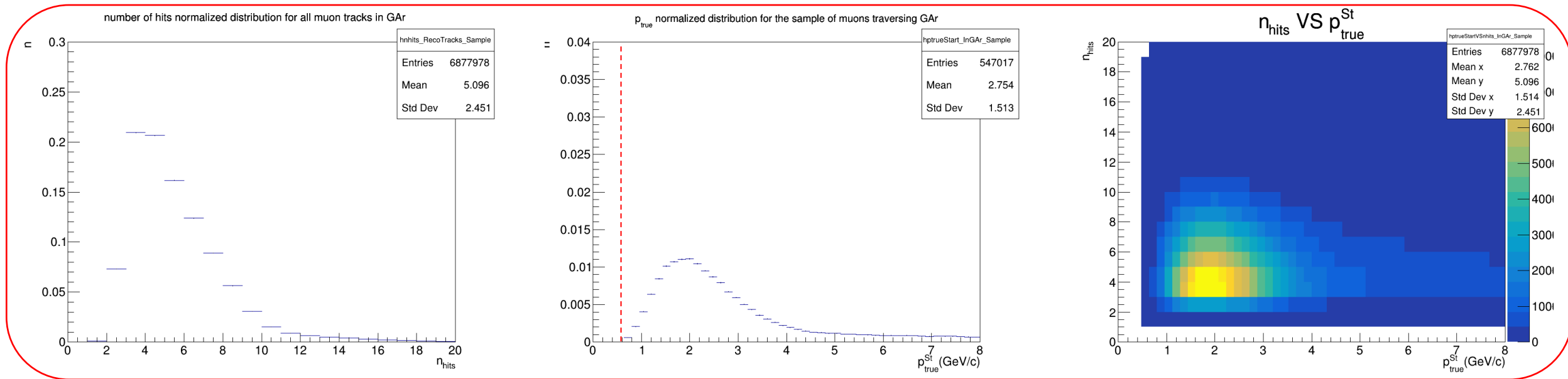
Single Spill TPC



- To characterize the samples, we consider two fundamental characteristics:
  1.  $n_{hits}$  = Number of hits on the scintillator planes that are associated to the tracks found in events having at least one MC trajectory in the volume. In first approximation we expect two hits for each plane traversed by the particle (“reconstructed quantity”)
  2.  $p_{true}^{St}$  = Initial true MC muon momentum in [GeV/c] for all MC trajectories in the volume (“MC truth quantity”)

# SAMPLE DEFINING DISTRIBUTIONS

Single Spill TPC+LAr



- For the **Single Spill** distribution with the added LAr cut we can see how we have a cut in the momentum distribution at around 0.5-0.6 GeV/c