

# Lepton Number Violation and Neutrinoless Double Beta Decay

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# Outline

- Introduction
  - Lepton number violation:  $0\nu\beta\beta$  and other probes
  - Effective Field Theory framework for  $0\nu\beta\beta$
- Survey of  $0\nu\beta\beta$  reach in classes of LNV models
  - High scale seesaw (dim 5)
  - TeV-scale LNV (dim 7, 9, ....)
  - Low-scale LNV ('light'  $\nu_R$ , ...)
  - Unraveling the mechanism?
- Outlook

For a comprehensive discussion see the 'theory-oriented' WP 2203. 21169

# Why Lepton Number Violation?

- L is an accidental symmetry of the SM (up to anomalies which induce  $\Delta B = \Delta L = 3$ , highly suppressed): unique window on BSM dynamics
- Connected with big questions: unification, origin of matter-antimatter asymmetry, **origin of neutrino mass**

Dirac mass:

$$m_D \bar{\nu}_R \nu_L + \text{h.c.}$$

Violates  $L_{e,\mu,\tau}$ , conserves L

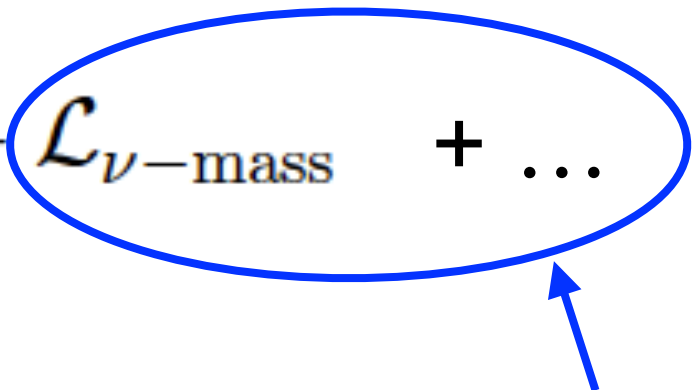
Majorana mass:

$$\frac{1}{2} m_M \nu_L^T C \nu_L + \text{h.c.}$$

Violates  $L_{e,\mu,\tau}$  and L ( $\Delta L = 2$ )

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$$\mathcal{L}_{\nu\text{SM}} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\nu\text{-mass}} + \dots$$


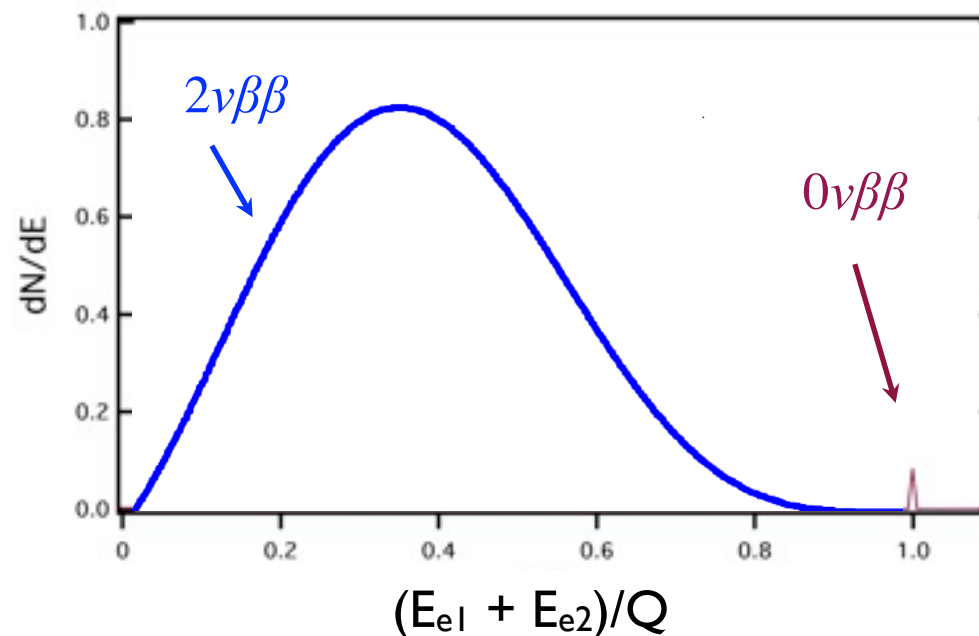
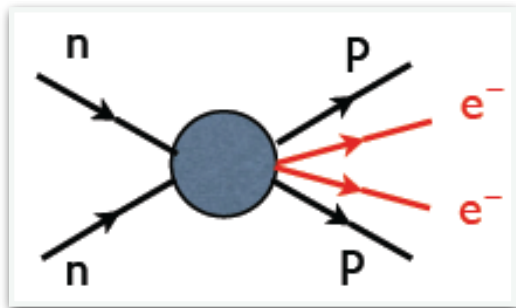
- Key question: is **Lepton Number** a good symmetry of the **new dynamics**?
- Smallness of  $\nu$  mass and chiral nature of the weak interactions implies that *neutrino-less* processes are the best probes of  $\Delta L = 2$  interactions

# Probes of $\Delta L=2$ dynamics

- Neutrinoless double beta decay

$$(N, Z) \rightarrow (N - 2, Z + 2) + e^- + e^-$$

$$T_{1/2} > \# 10^{25} \text{yr}$$



Observable in certain even-even nuclei for which single beta decay is energetically forbidden

# Probes of $\Delta L=2$ dynamics

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$$(N, Z) \rightarrow (N - 2, Z + 2) + e^- + e^-$$

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- Decays of mesons or charged leptons

$$K^+ \rightarrow \pi^- \ell_1^+ \ell_2^+$$

$$\ell_{1,2} = e, \mu$$

$$\text{BRs} < \# 10^{-10}$$

$$B^+ \rightarrow h^- \ell_1^+ \ell_2^+$$

$$h = \pi, K \quad \ell_{1,2} = e, \mu$$

$$\text{BR} (\pi^- \mu^+ \mu^+) < \# 10^{-9}$$

$$\tau^- \rightarrow \ell^+ h_1^- h_2^-$$

$$\ell = e, \mu \quad h_{1,2} = \pi, K$$

$$\text{BRs} < \# 10^{-8}$$

( $\mu^- \rightarrow e^+$  conversion BR at  $10^{-12}$  level)

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- Collider processes, e.g. same sign di-lepton production at LHC

$$pp \rightarrow \ell\ell + 2 \text{ jets}$$

$$\ell = e, \mu, \tau$$

# Probes of $\Delta L=2$ dynamics

- Neutrinoless double beta decay

$$(N, Z) \rightarrow (N - 2, Z + 2) + e^- + e^-$$

$$T_{1/2} > \# 10^{25} \text{yr}$$

- $0\nu\beta\beta$  provides in many scenarios the strongest sensitivity to ‘ee’ LNV couplings (“Avogadro’s number wins”, P. Vogel)
- Other processes can be competitive for ‘ee’ couplings in certain scenarios and probe flavorful LNV couplings beyond ‘ee’, inaccessible in  $0\nu\beta\beta$

Given our ignorance of the mechanism and scale of LNV



Pursuing many probes is essential. While LNV discovery may come from  $0\nu\beta\beta$ , all probes will be essential to reconstruct LNV origin.

This requires an ambitious theoretical program [WP 2203.21169]

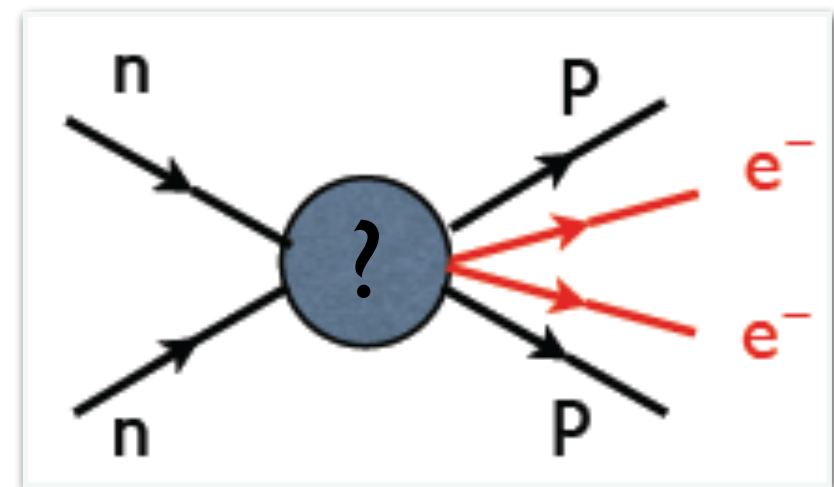
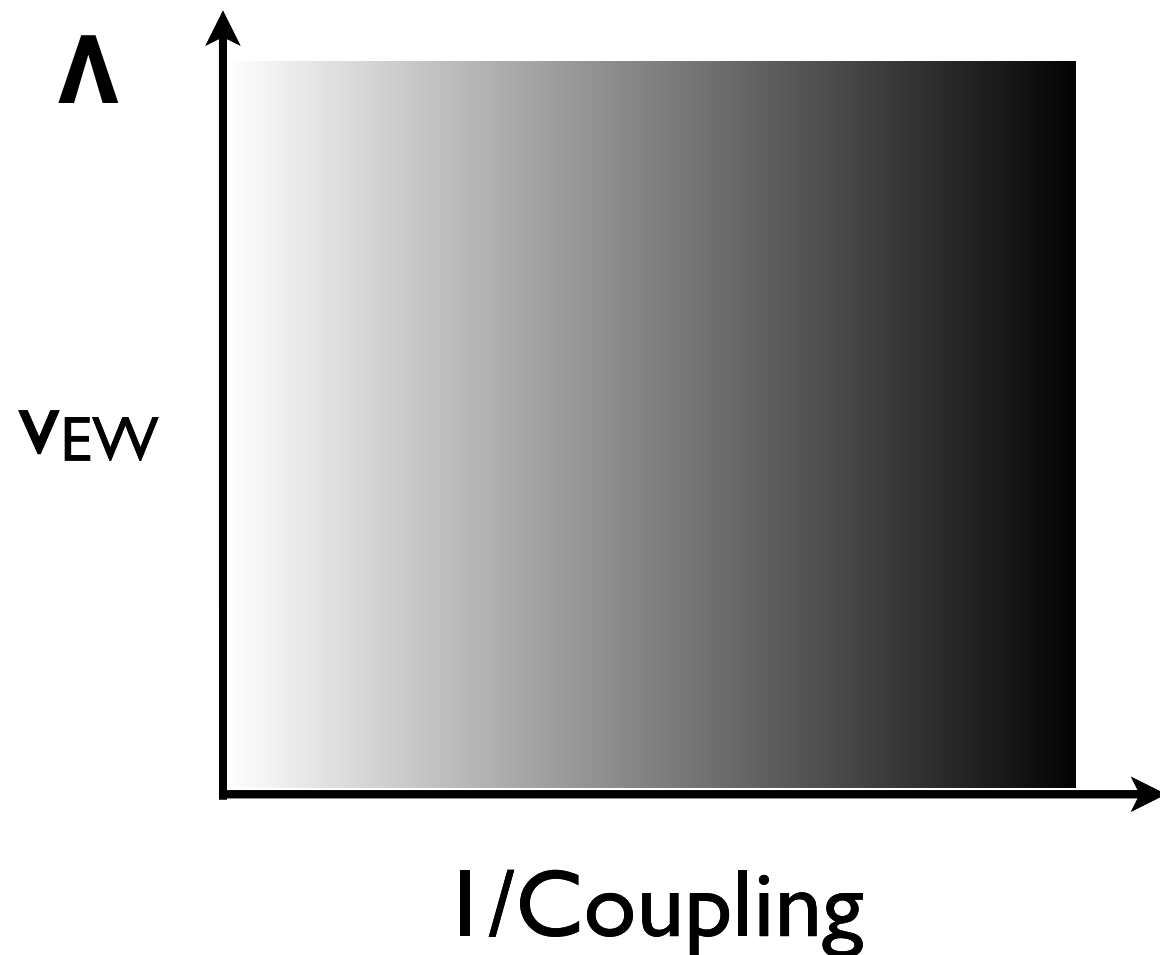
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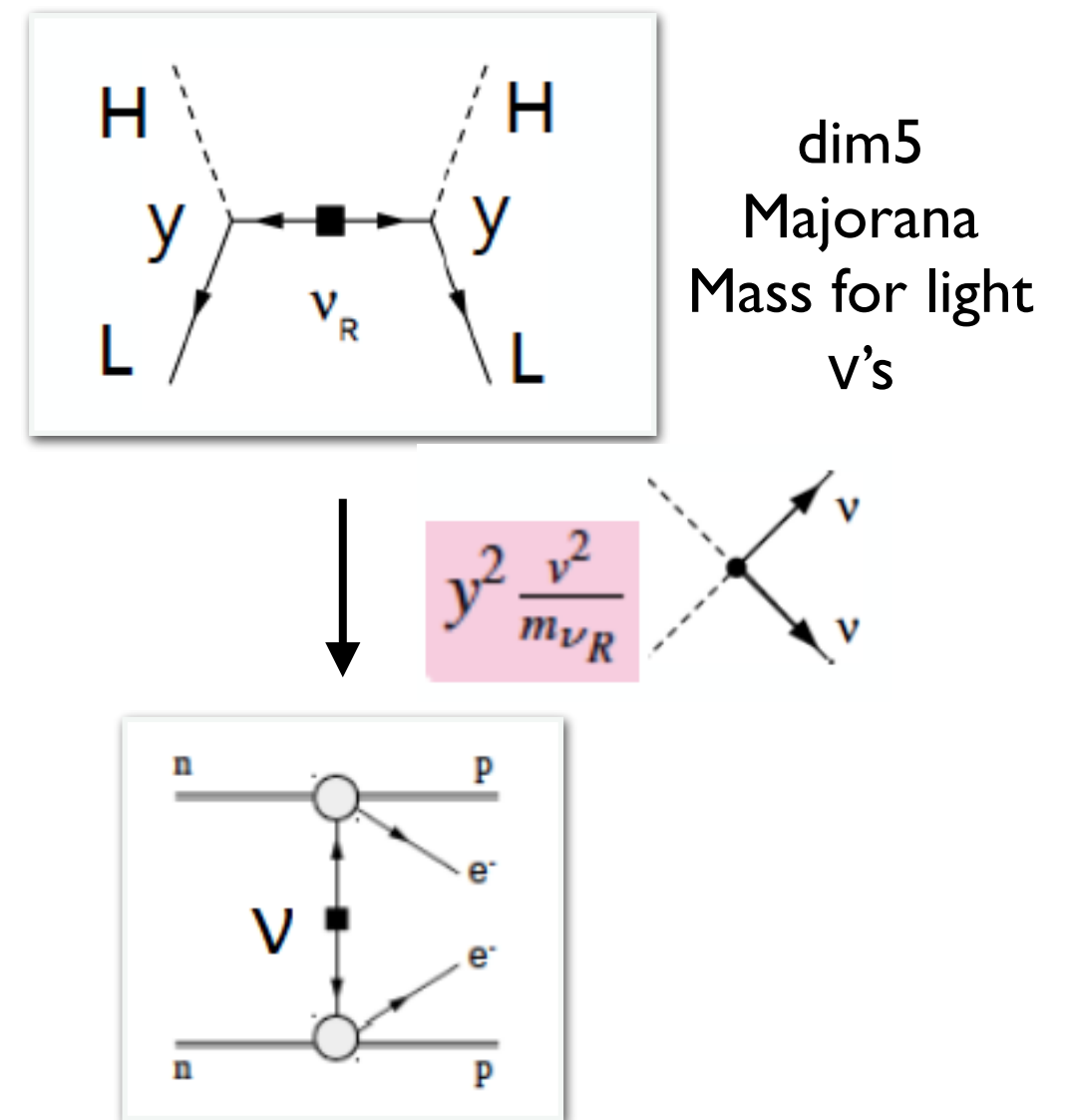
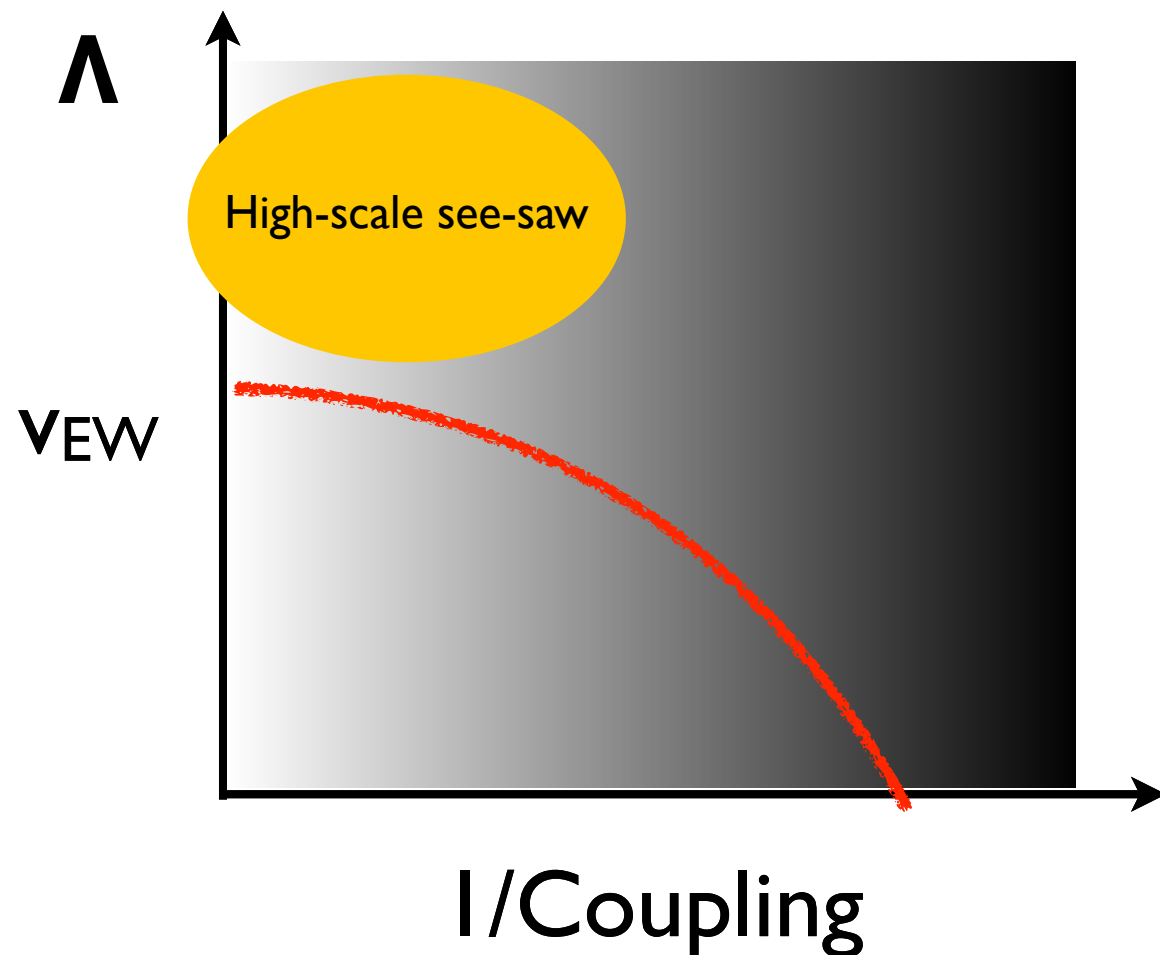
# $0\nu\beta\beta$ physics reach

- Ton-scale  $0\nu\beta\beta$  searches ( $T_{1/2} > 10^{27-28}$  yr) will probe at unprecedented levels LNV from a broad range of mechanisms



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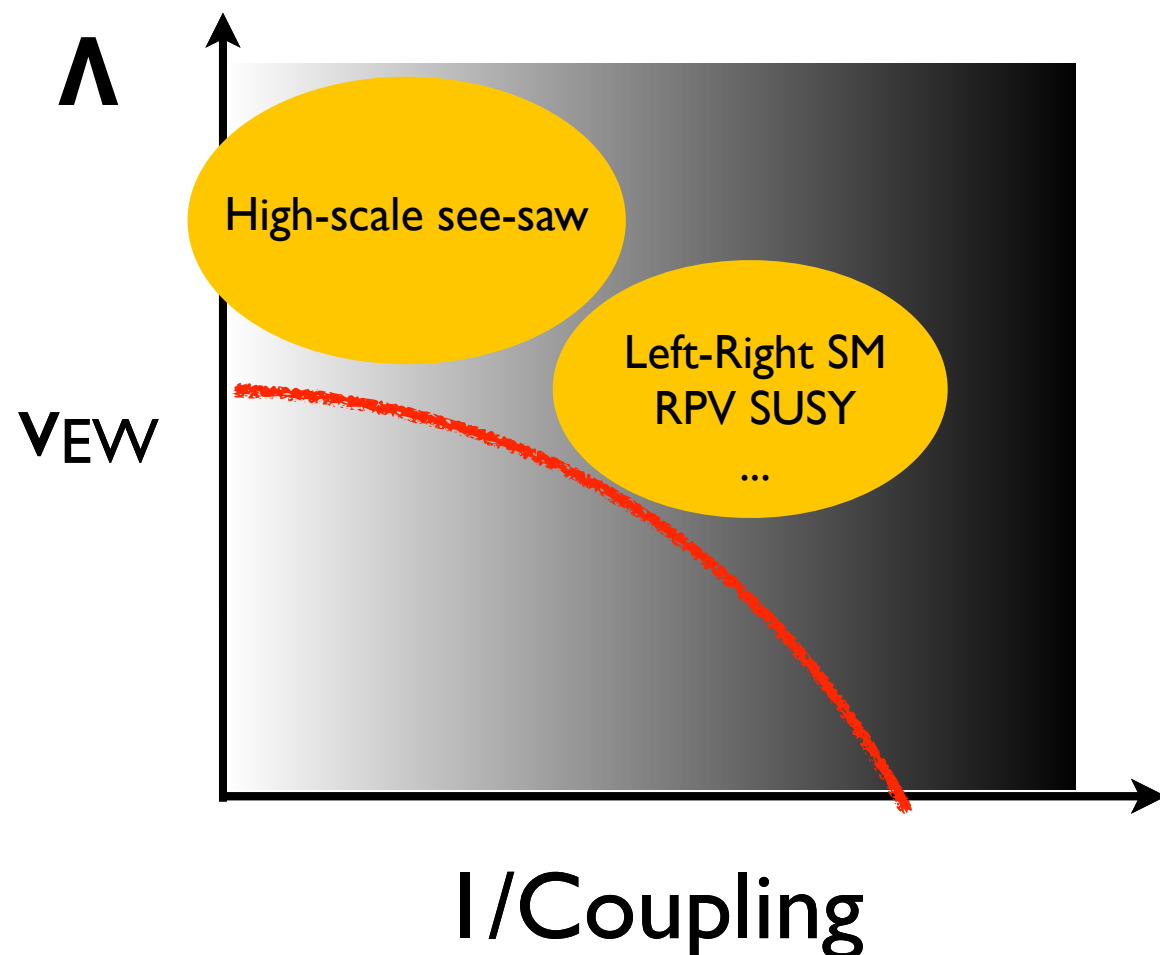
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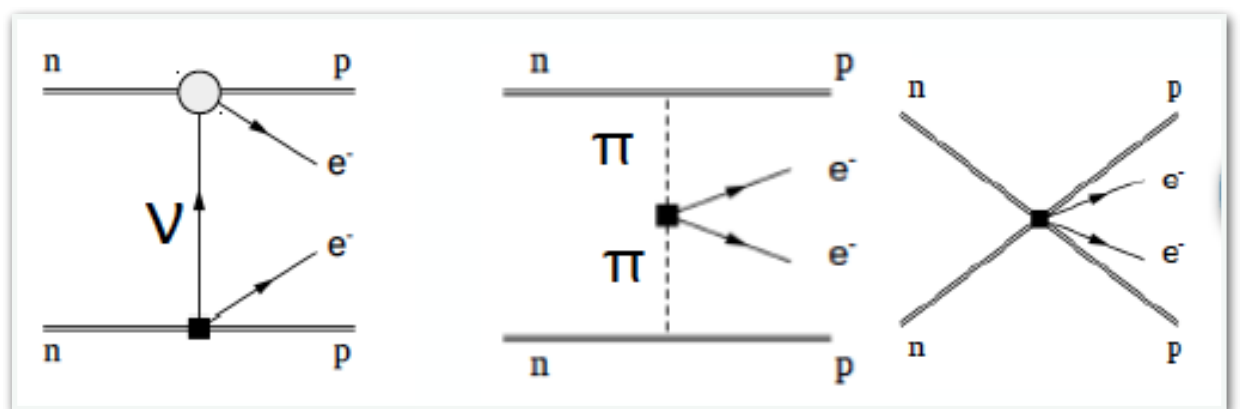
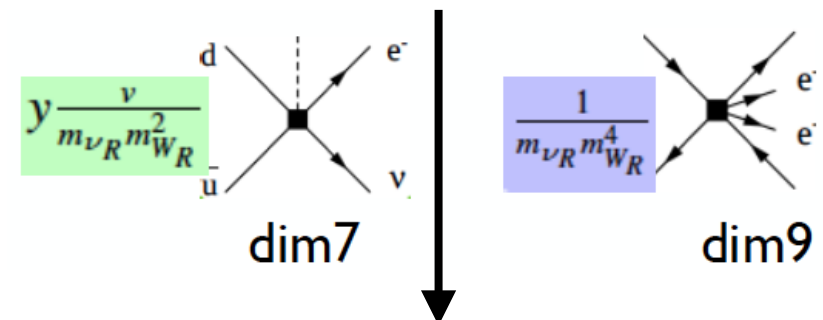
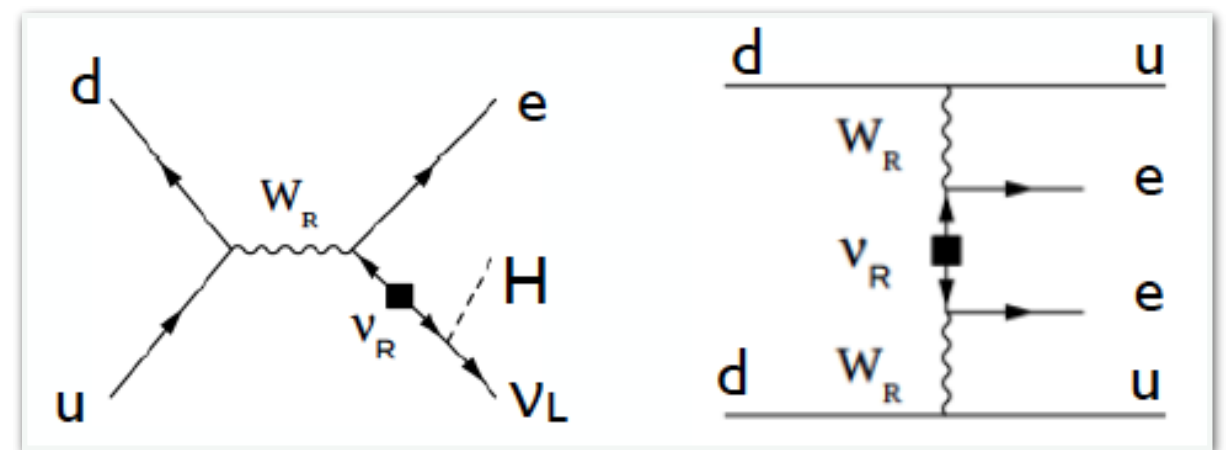
Only low-E remnant of LNV  
is the neutrino mass

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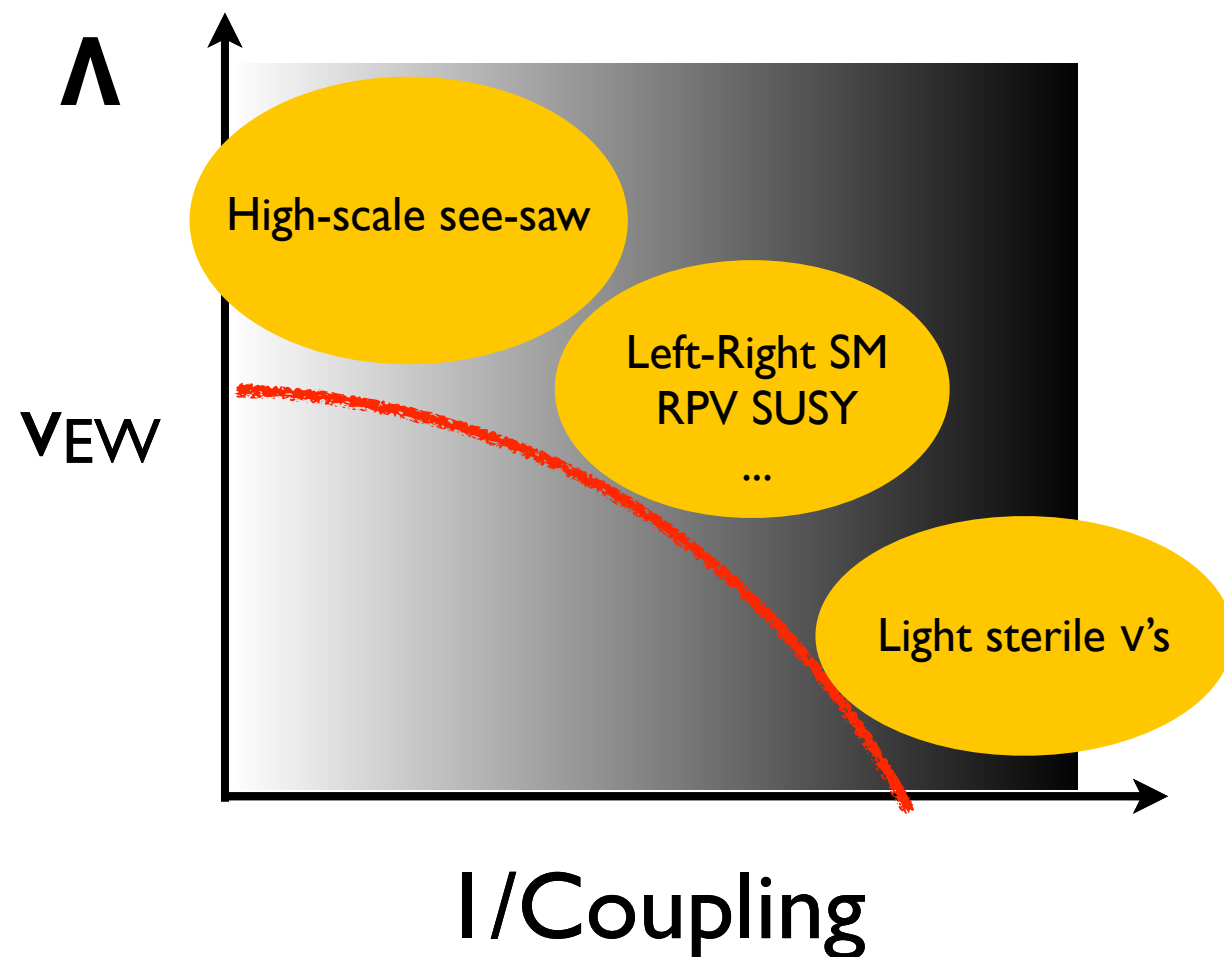


These contributions can compete with if scale is not too high and lead to new mechanisms at the nuclear scale

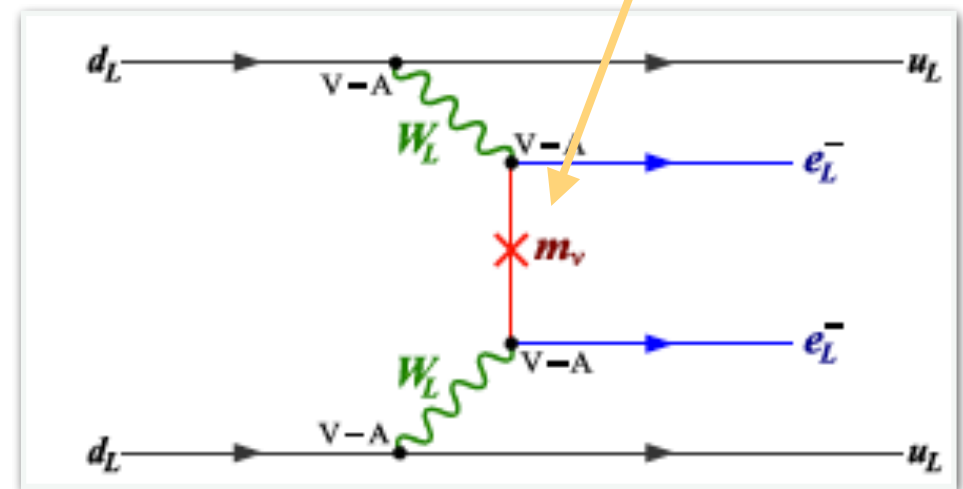


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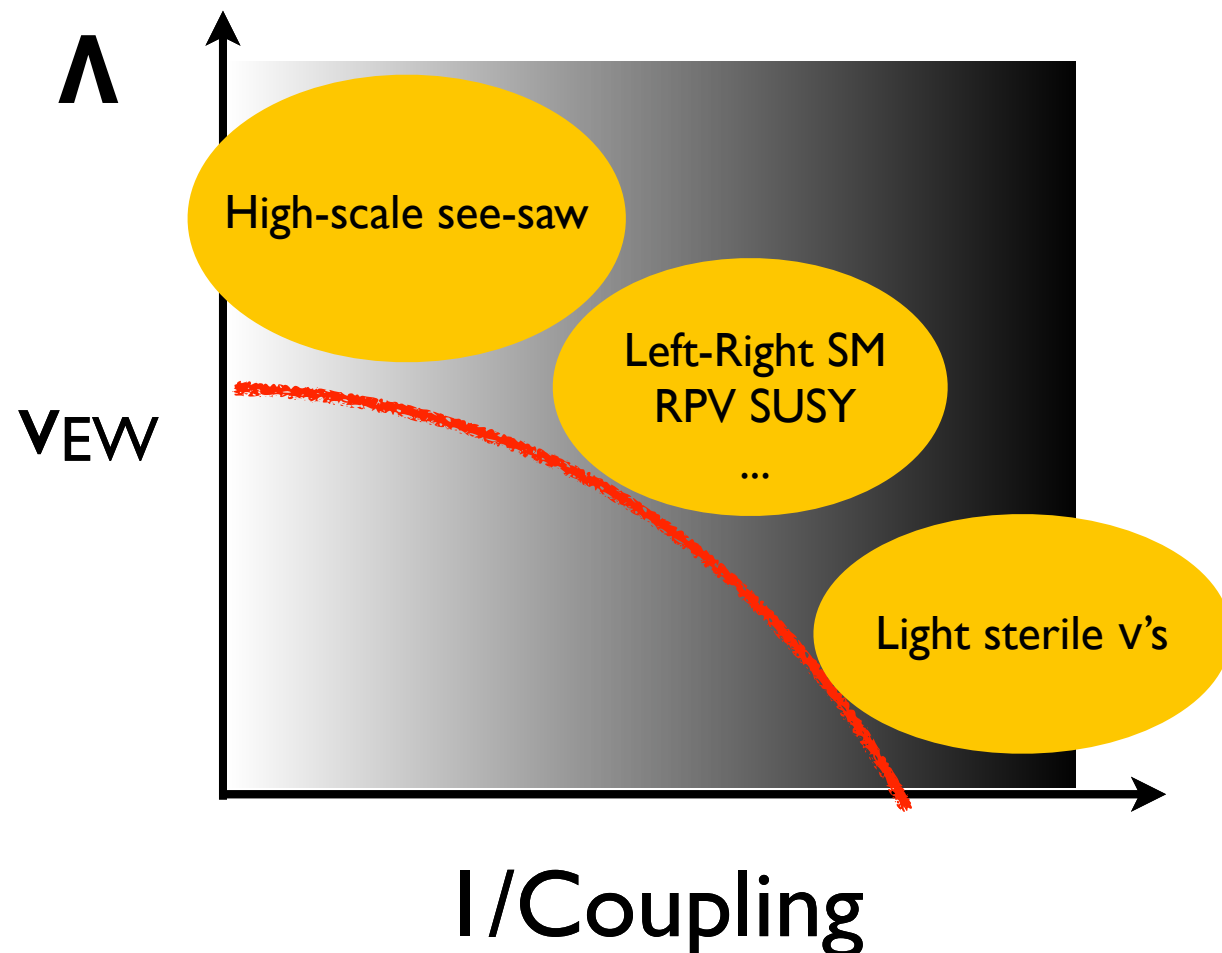


Light (nearly sterile) Majorana neutrinos:  
 $M_R \sim \text{eV} \rightarrow \text{GeV}$ :



# $0\nu\beta\beta$ physics reach

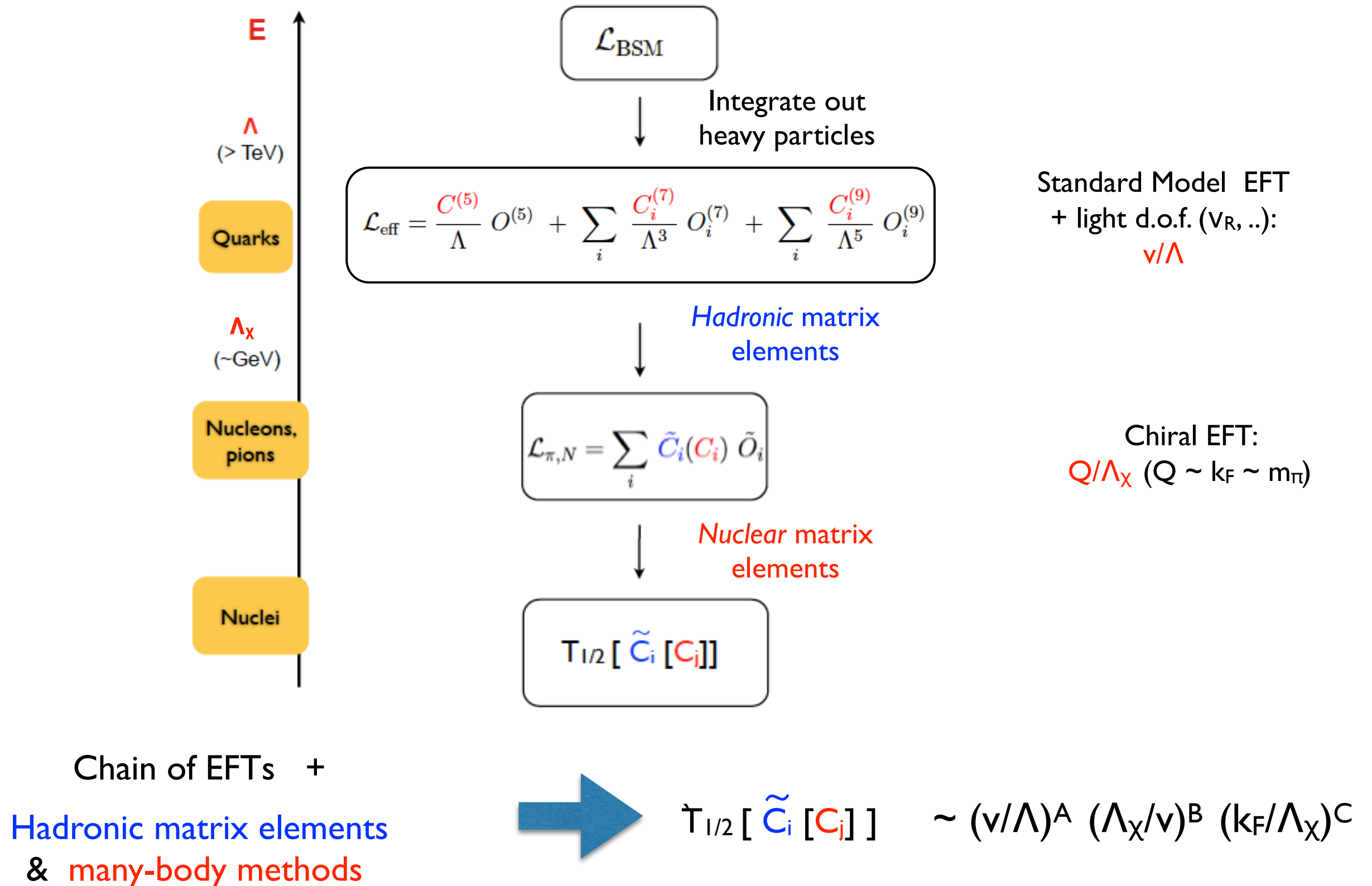
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$0\nu\beta\beta$ 's impact and relation to other probes of LNV is best analyzed through a **tower of EFTs** that connect LNV scale  $\Lambda$  to nuclear scales, with controllable uncertainties

See VC-Dekens-deVries-Graesser-Mereghetti 1806.02780 and references therein

# EFT framework



# Main themes

WP 2203. 21169

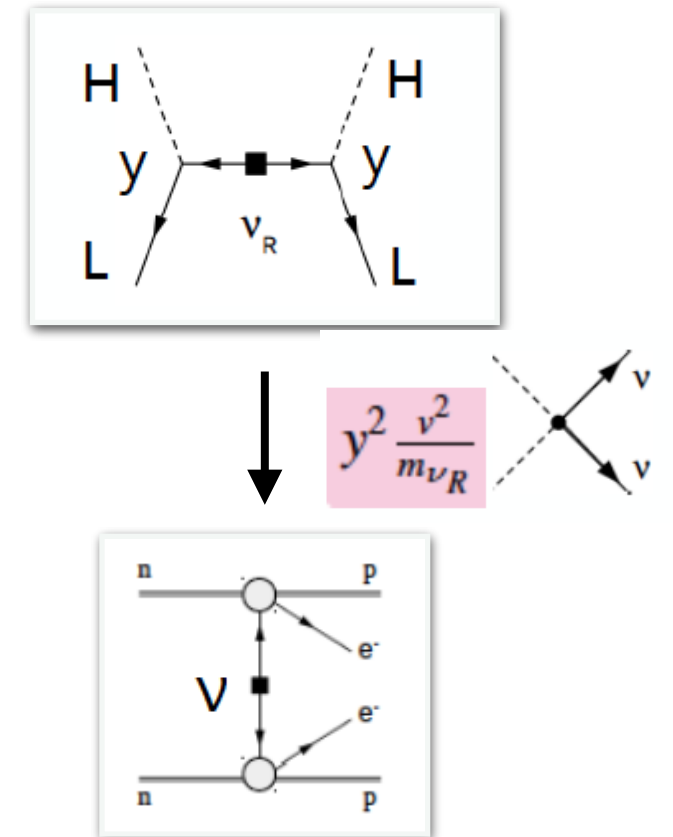
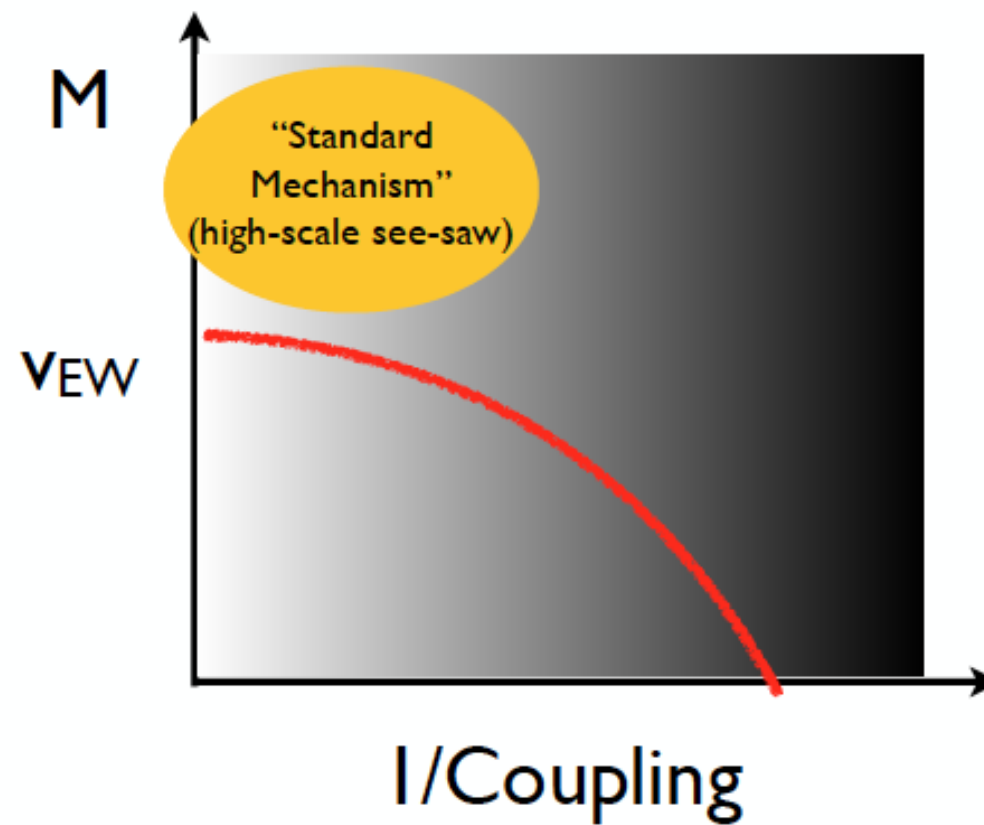
- Model building and phenomenology:
  - Investigate correlated signals of TeV (and lower) scale LNV across multiple phenomena and experiments, from cosmology to colliders to nuclei
- The “hadronic threshold”:
  - Somewhat overlooked in the past. EFT methods have revealed that this is relevant even for light  $\nu$  exchange mechanism
  - Requires two-nucleon matrix elements from LQCD: decadal program
- Nuclear matrix elements:
  - Shift from phenomenological approaches to nuclear “ab-initio” methods, with EFT-based nucleon interactions rooted in QCD.
  - First results for  $^{48}\text{Ca}$  decay. Ambitious & challenging program ahead

# In the rest of this talk

- Survey classes of models by LNV scale (op. dimension), highlighting:
  - phenomenological interest
  - theoretical developments and challenges  
(EFT, hadronic / nuclear matrix elements, ...)



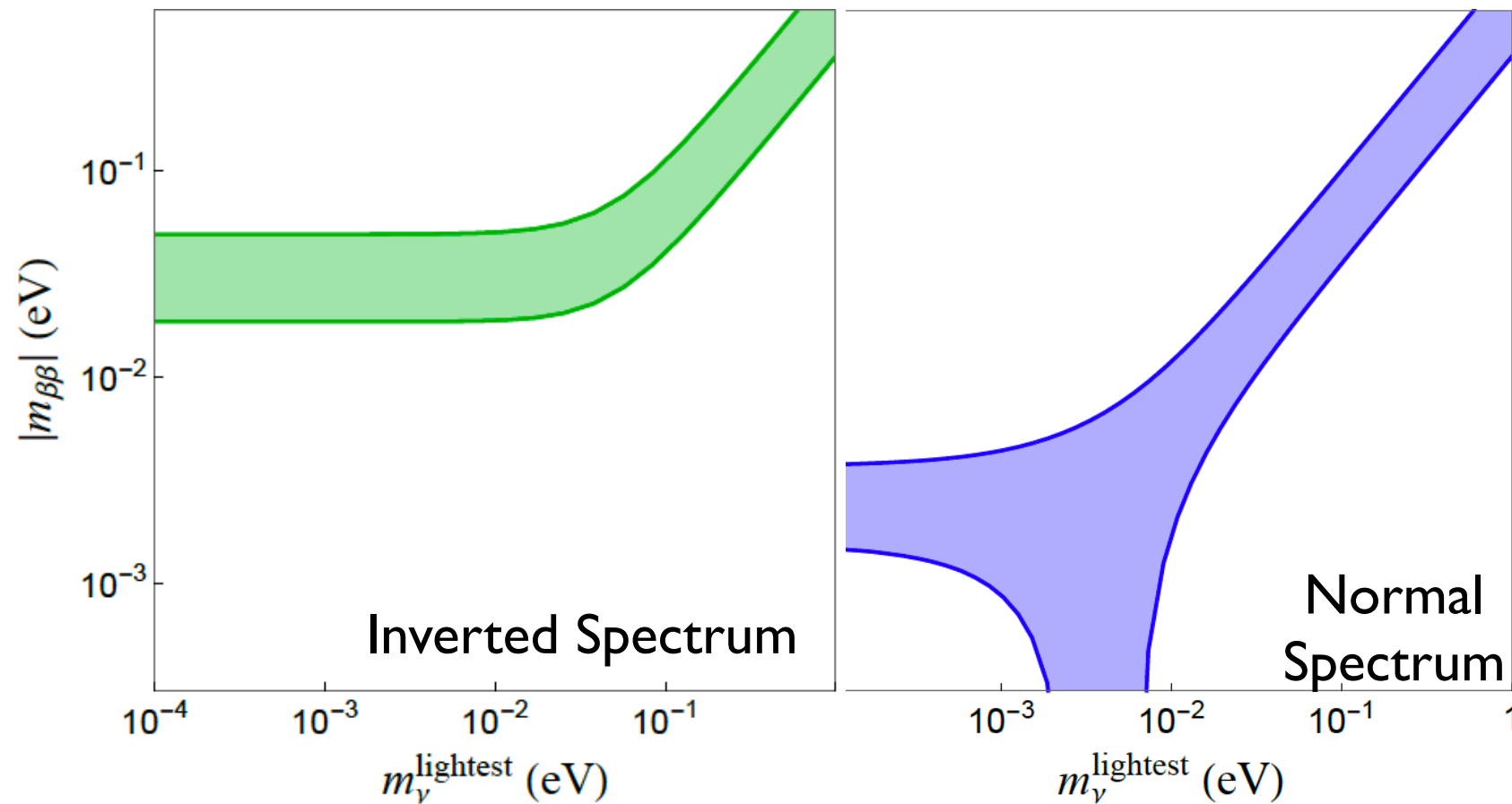
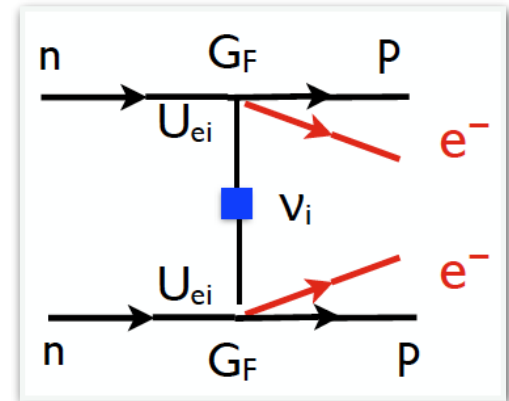
# High-scale seesaw (LNV at dim-5)



# Discovery potential / target

- In this case  $0\nu\beta\beta$  is a *direct* probe of  $\nu$  Majorana mass:  $\Gamma \propto |M_{0\nu}|^2 (m_{\beta\beta})^2$

$$\langle m_{\beta\beta} \rangle^2 = \left| \sum_i U_{ei}^2 m_{\nu i} \right|^2$$

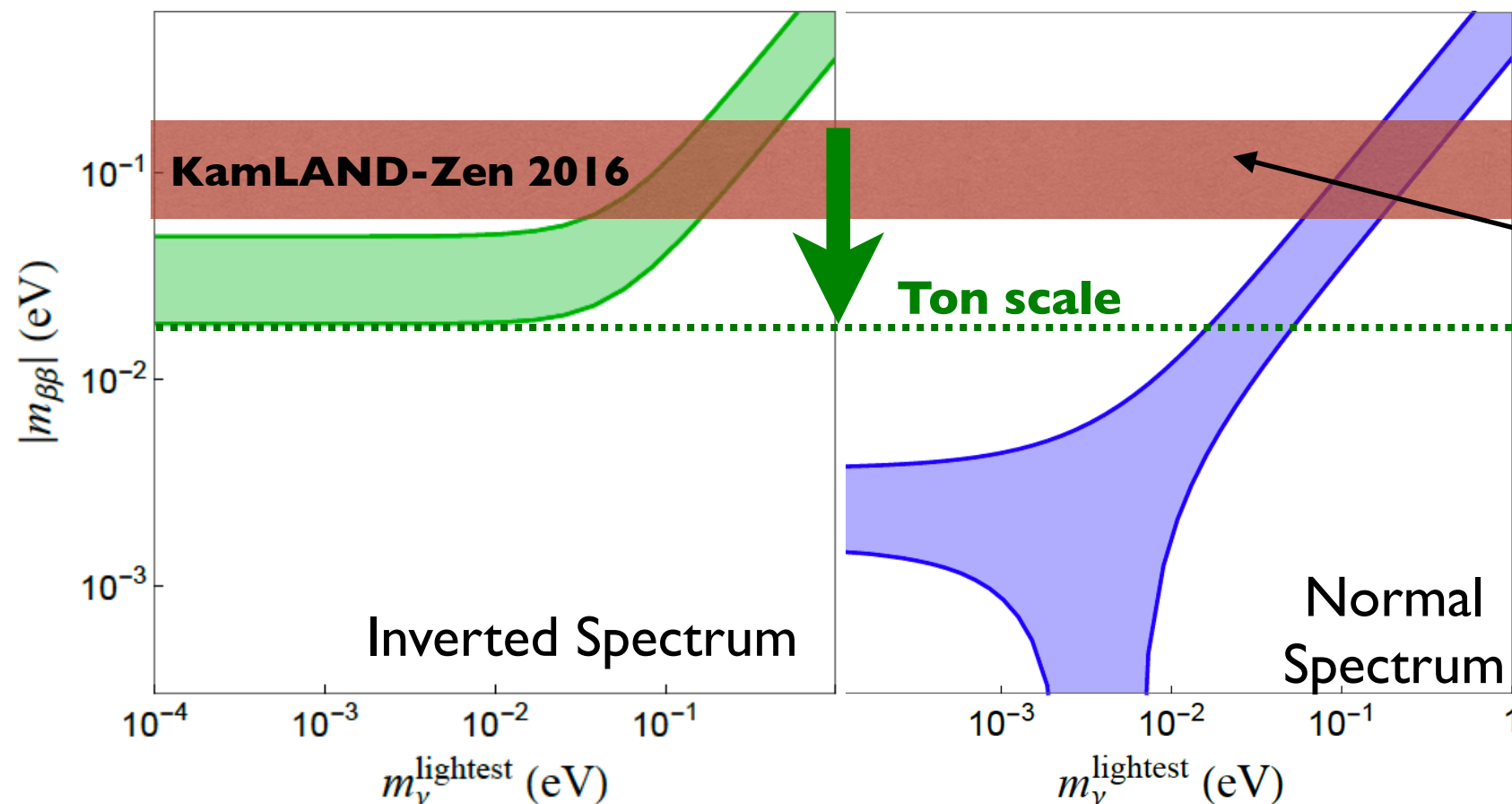
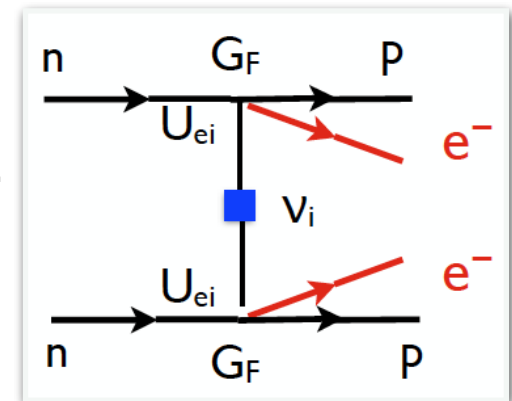


Bands: unknown  
Majorana phases

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Assume range for nuclear matrix elements from different many-body methods

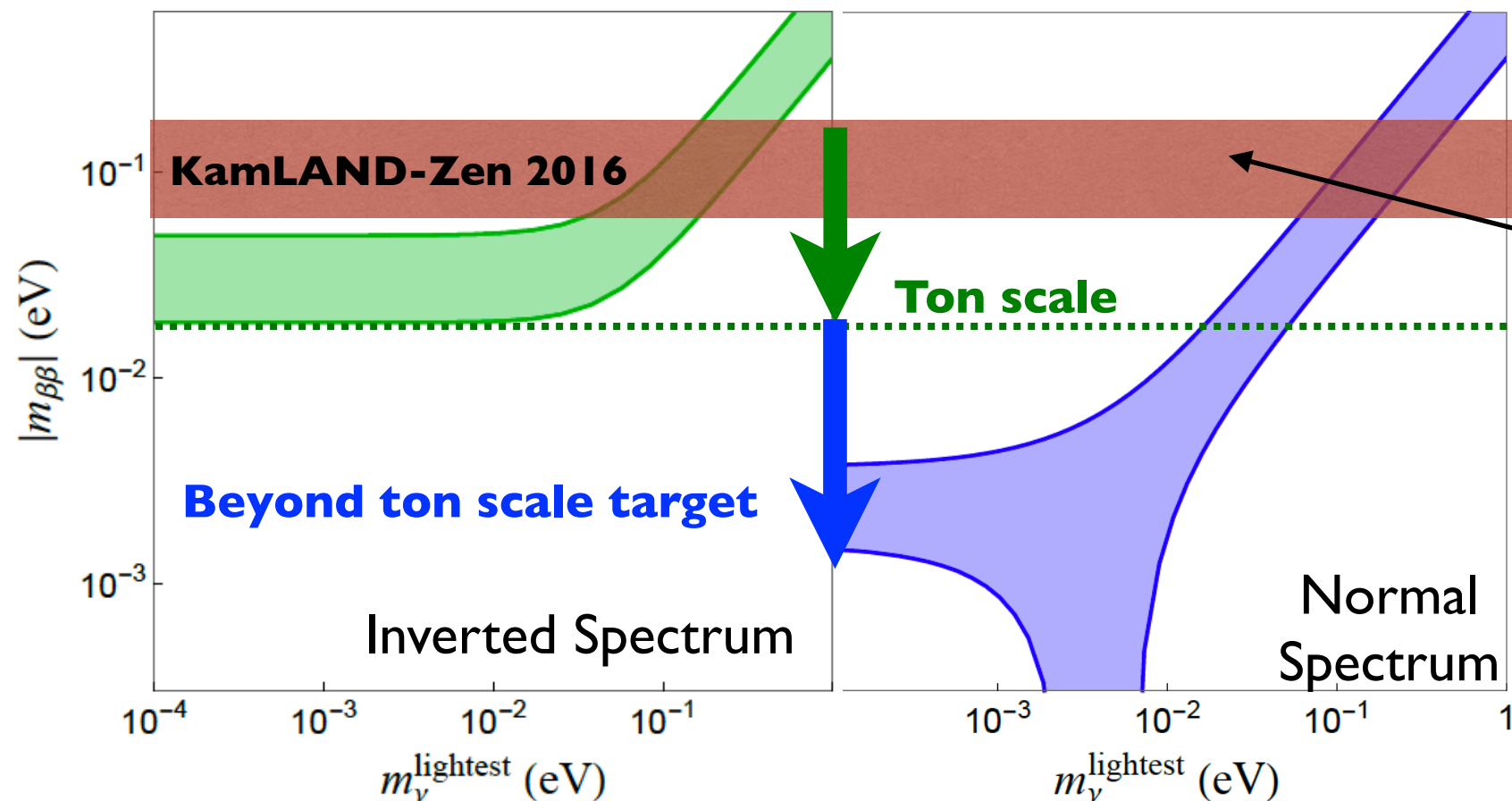
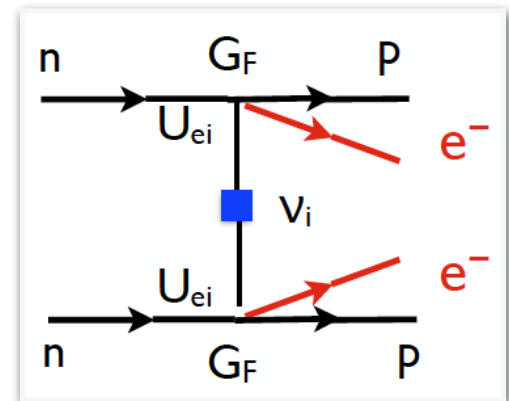
Bands: unknown Majorana phases

Assuming current range for matrix elements,  
discovery @ ton-scale *possible* for **inverted spectrum** or  **$m_{\text{lightest}} > 50 \text{ meV}$**

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Bands: unknown  
Majorana phases

Natural (but challenging!) beyond ton-scale target seems  $m_{\beta\beta} \sim \text{meV}$

# Diagnosing power

- High scale seesaw implies falsifiable correlation with other  $\nu$  mass probes. Future data can unravel new LNV sources or physics beyond “ $\Lambda$ CDM +  $m_\nu$ ”

$$m_{\beta\beta} = \left| \sum_i U_{ei}^2 m_i \right|$$

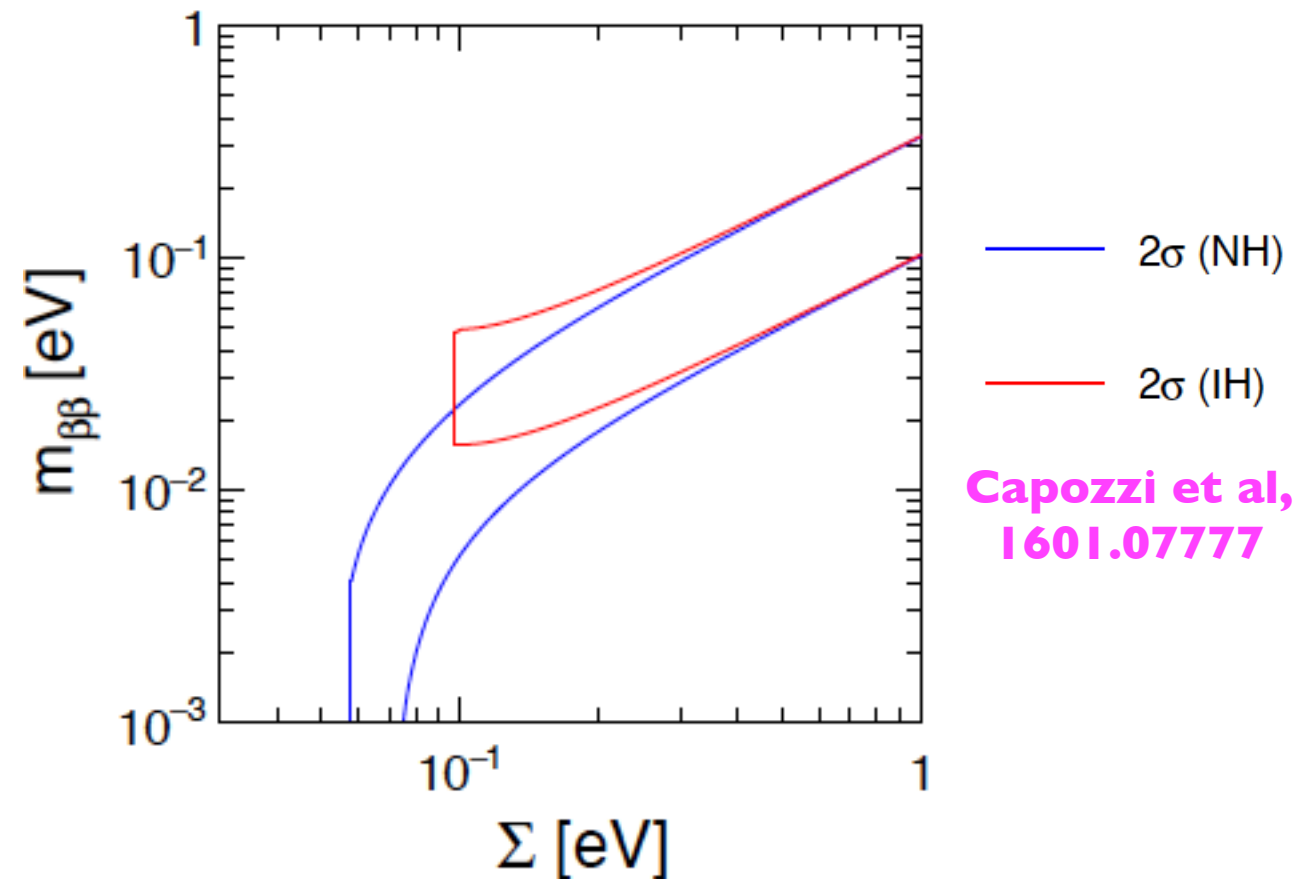
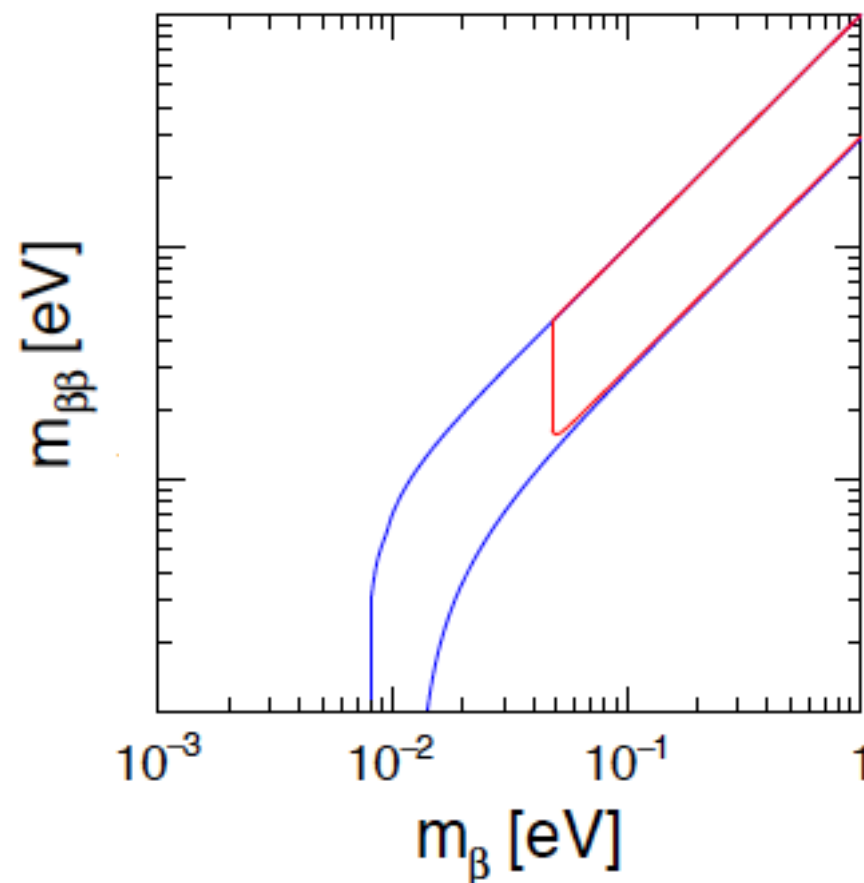
$0\nu\beta\beta$  decay

$$m_\beta = \sqrt{\sum_i |U_{ei}|^2 m_i^2}$$

Tritium  $\beta$  decay

$$\Sigma = \sum_i m_i$$

Cosmology



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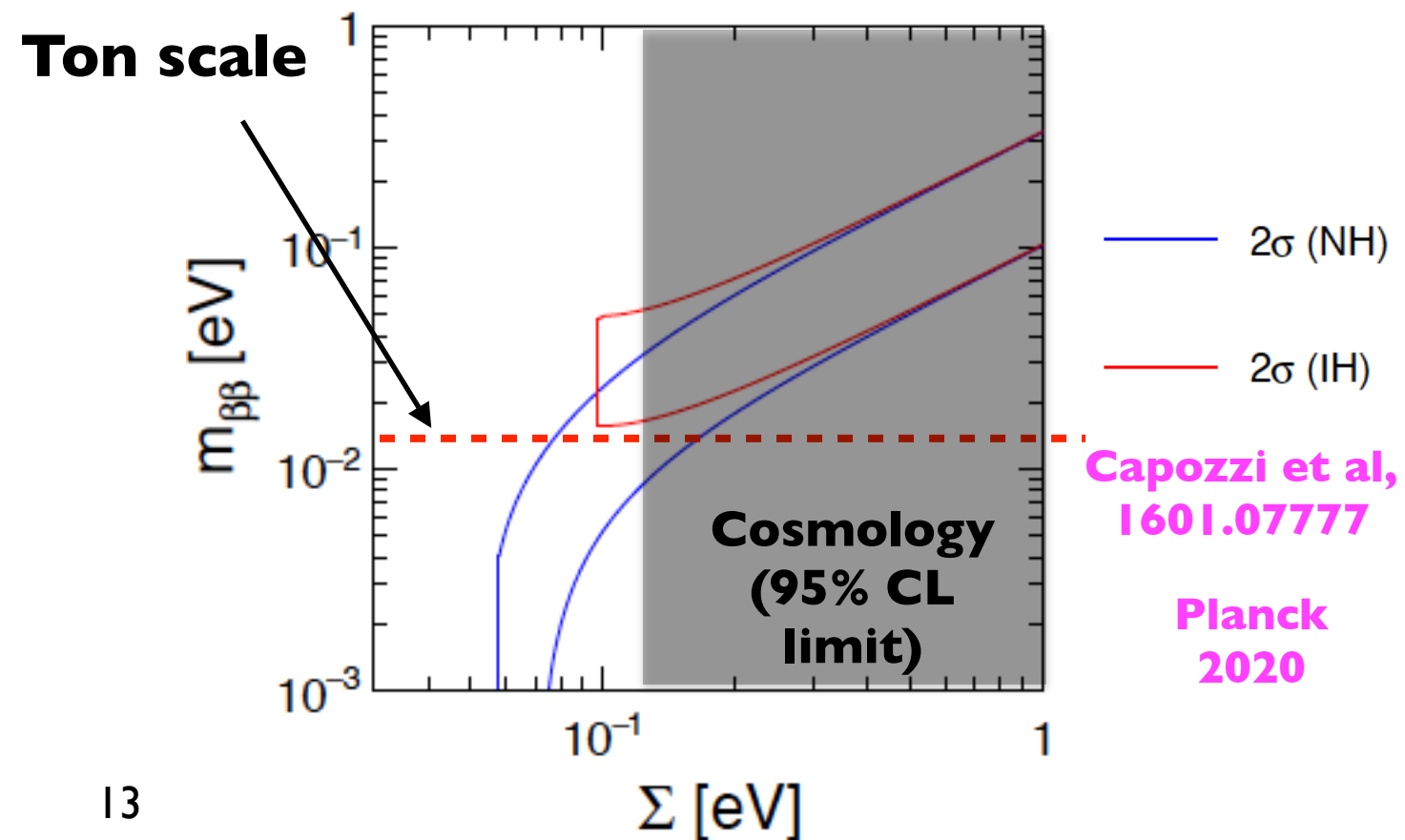
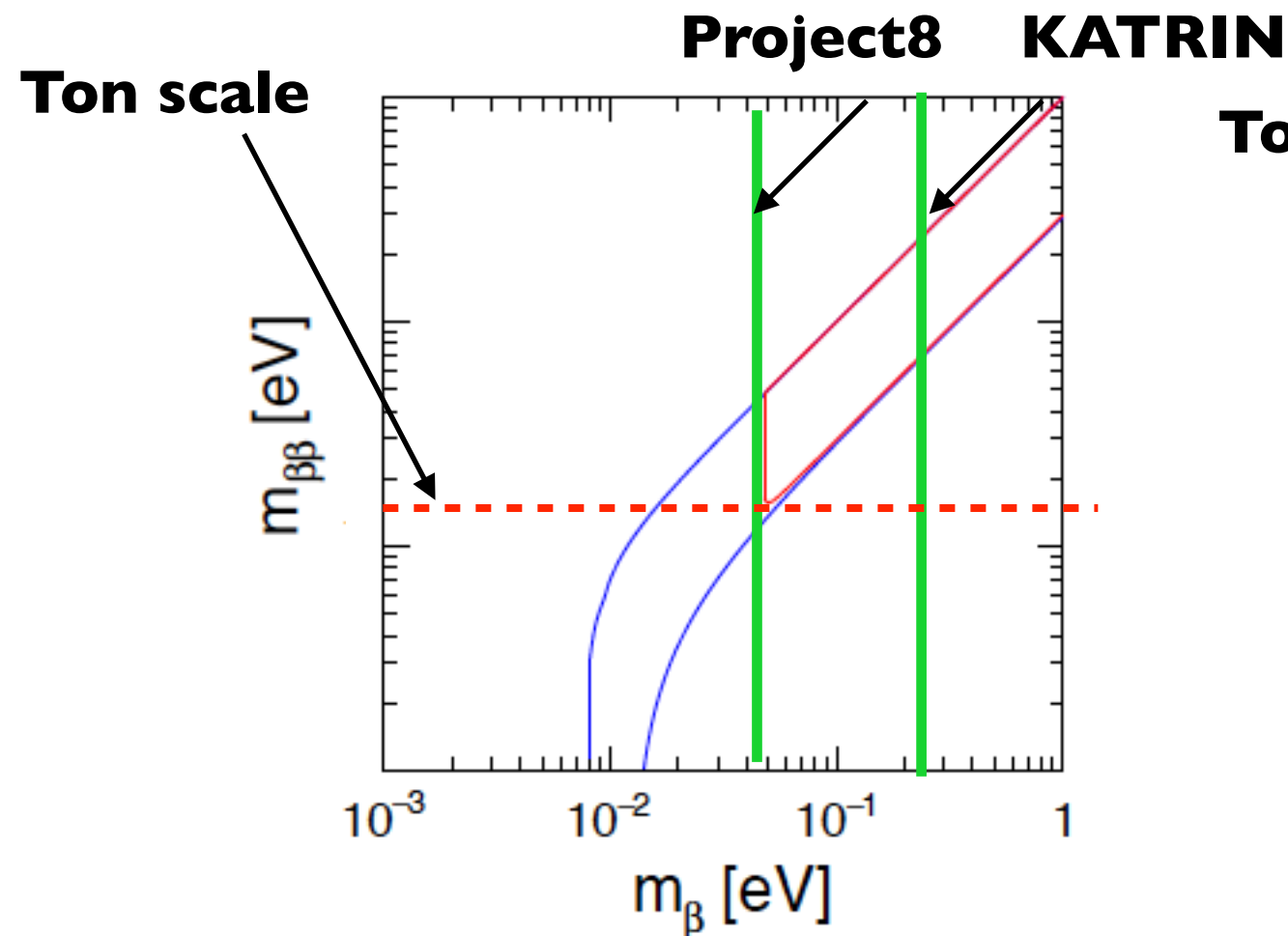
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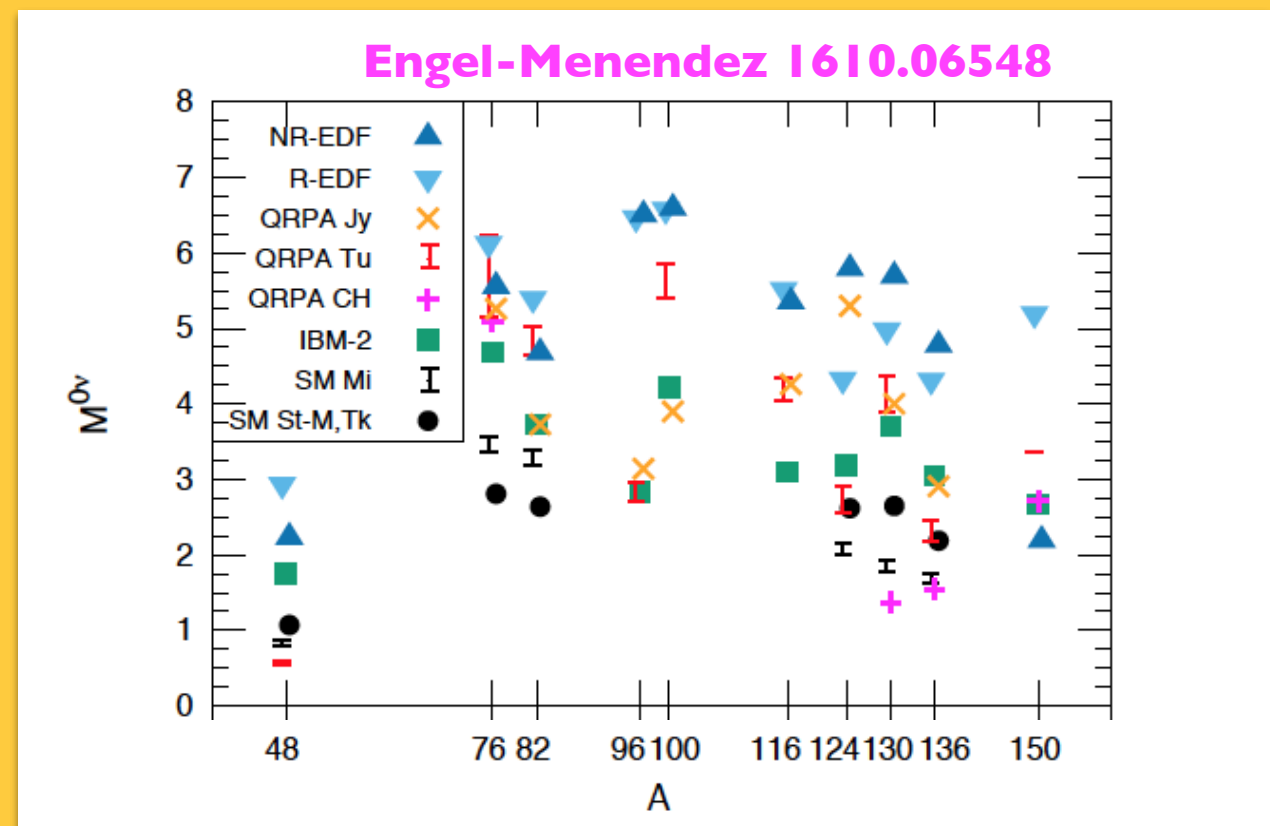
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Tritium  $\beta$  decay

$$\Sigma = \sum_i m_i$$

Cosmology

But these important *quantitative* connections require knowing nuclear matrix elements and their uncertainties!

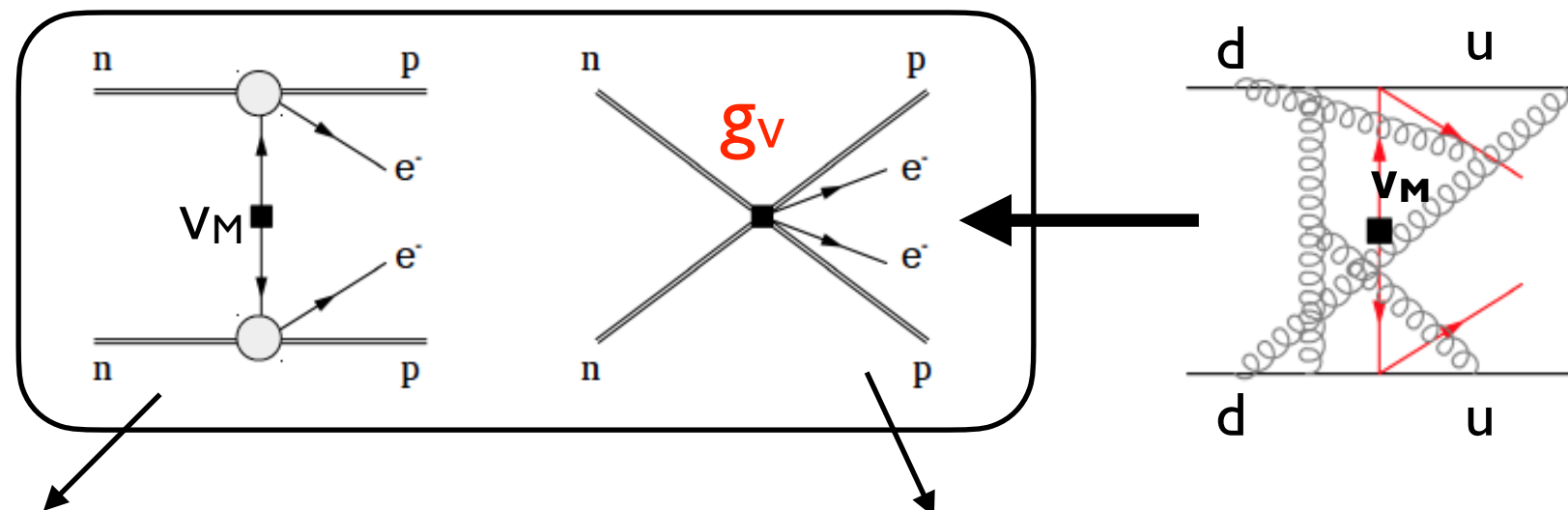


# New insights from EFT

VC, W. Dekens, E. Mereghetti, A. Walker-Loud, 1710.01729

VC, W. Dekens, J. de Vries, M. Graesser, E. Mereghetti, S. Pastore, U. van Kolck 1802.10097

- Transition operator to leading order in  $Q/\Lambda_\chi$  ( $Q \sim k_F \sim m_\pi$ ,  $\Lambda_\chi \sim \text{GeV}$ )



'Usual'  $V_M$  exchange  $\sim 1/Q^2$   
Coulomb-like potential

'New': short-range coupling  $g_v \sim 1/Q^2$

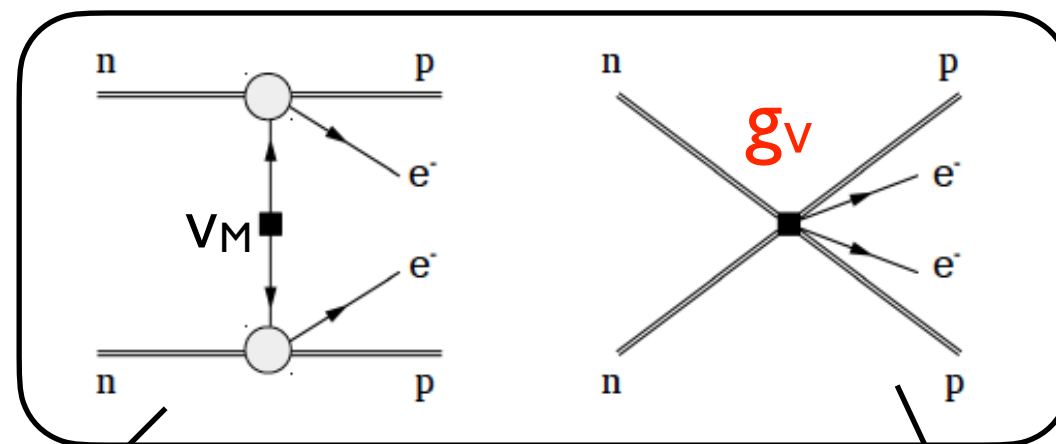


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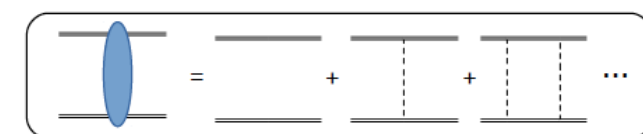
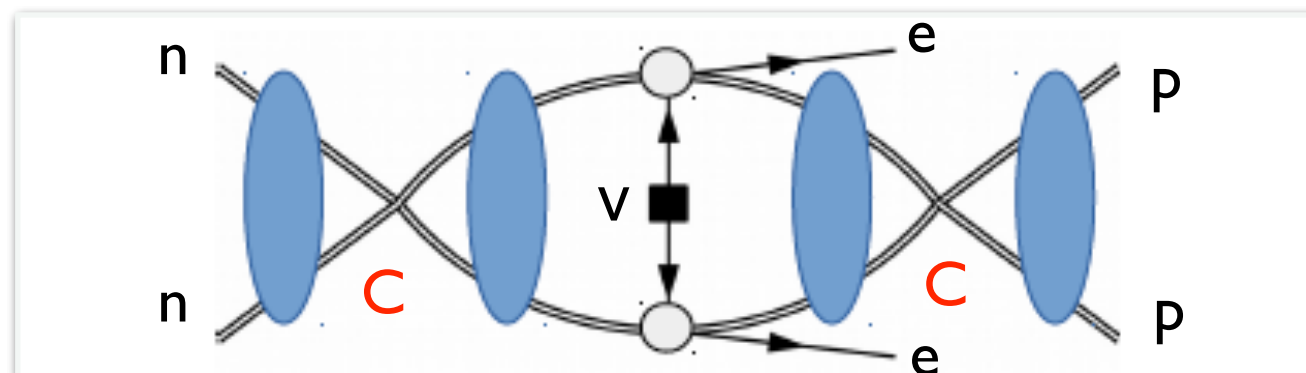
‘Usual’  $V_M$  exchange  $\sim 1/Q^2$   
Coulomb-like potential

‘New’: short-range coupling  $g_v \sim 1/Q^2$   
Required by renormalization of  $nn \rightarrow ppee$   
amplitude in presence of strong interactions

UV divergence  $\propto C^2 \sim 1/Q^2$

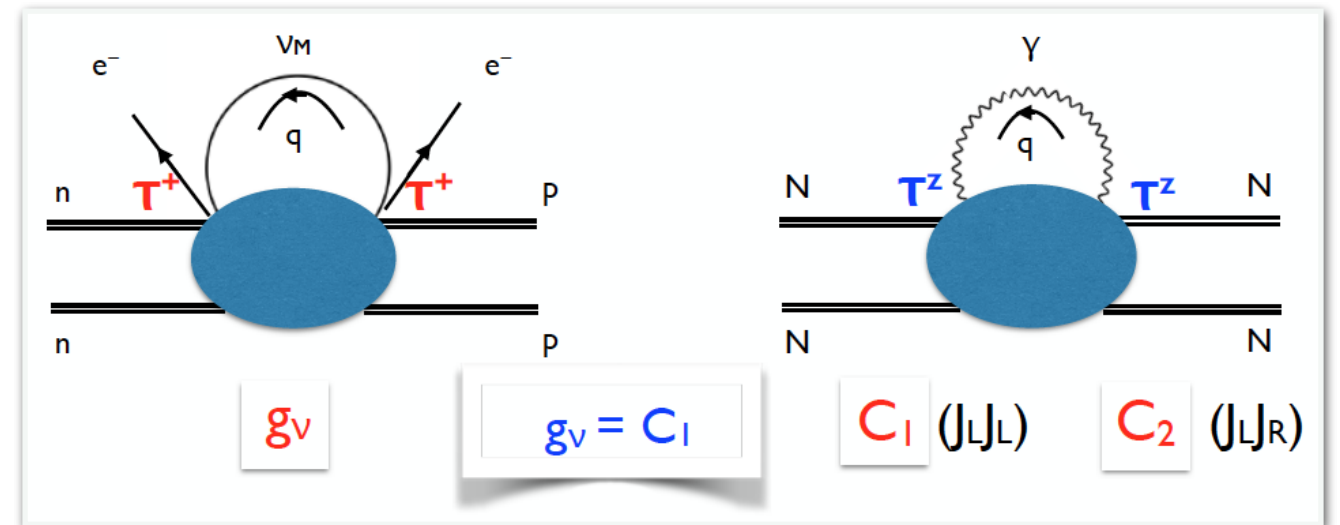
$$C \sim 4\pi/(m_N Q)$$

Strong  $^1S_0$  short-range interaction



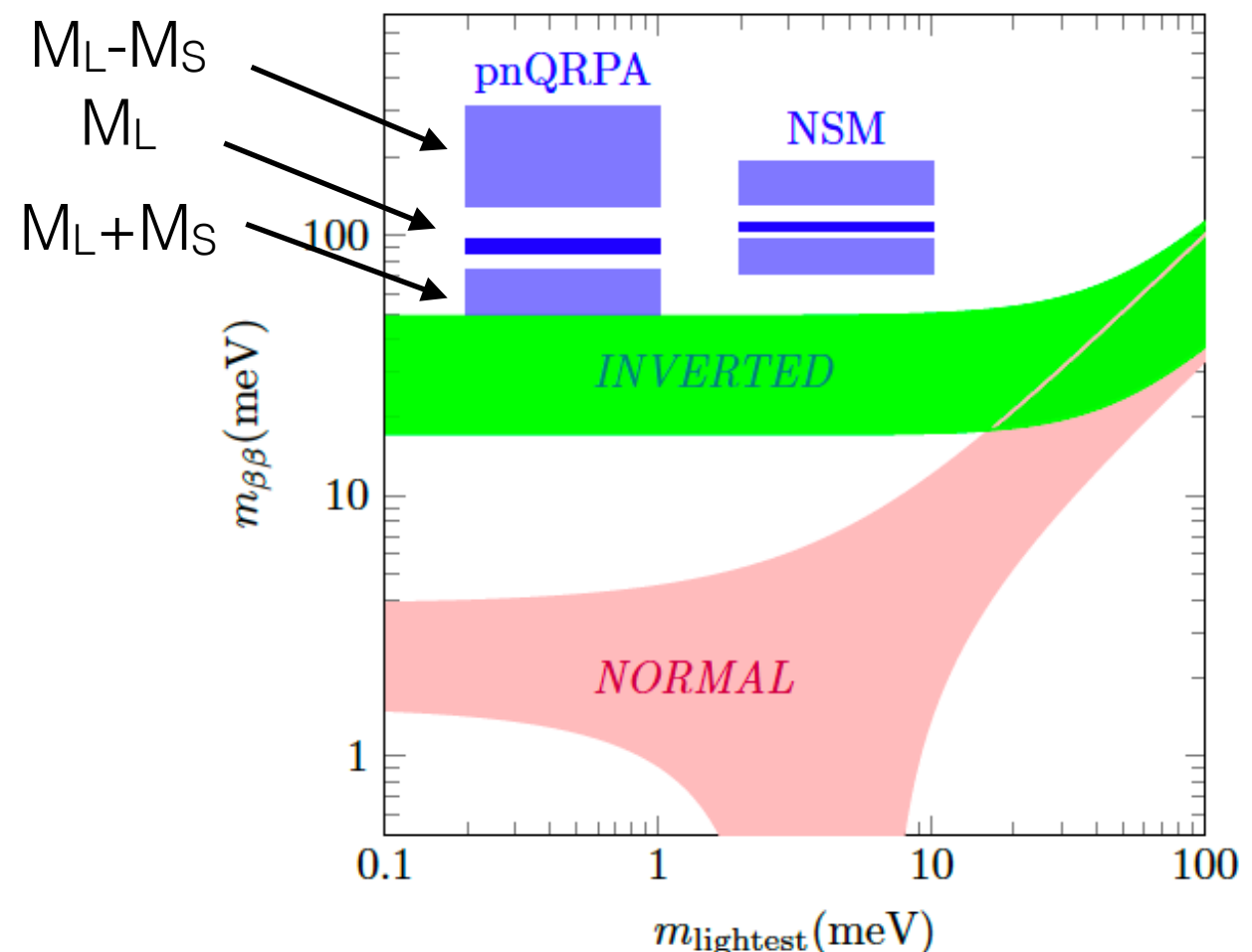
# Impact on nuclear matrix elements

- Chiral+isospin symmetry relates  $g_v$  to one of two  $I=2$  e.m. couplings (hard  $\gamma$ 's &  $v$ 's)



- NN data ( $a_{nn} + a_{pp} - 2a_{np}$ ) determine  $C_1 + C_2$ , confirming LO scaling
- Assuming  $g_v \sim (C_1 + C_2)/2 \rightarrow O(1)$  impact on m.e. and  $m_{\beta\beta}$  extraction

Jokiniemi-Soriano-Menendez, 2107.13354



# Towards determining $g_V$

- Large- $N_c$  arguments point to  $g_V \sim (C_1 + C_2)/2$

Richardson,  
Shindler, Pastore,  
Springer,  
2102.02814

- Lattice QCD

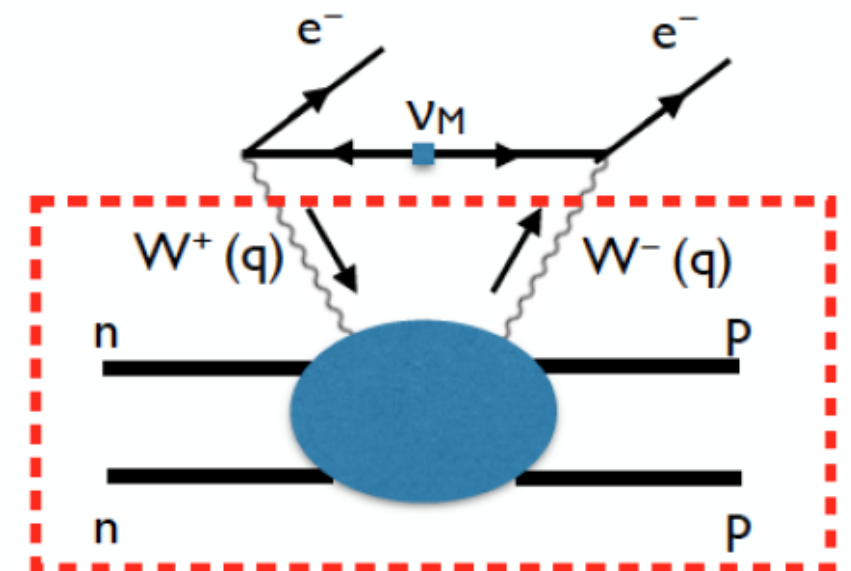
- $\pi^- \rightarrow \pi^+ e^- e^-$  precisely known

Tuo et al. 1909.13525;  
Detmold, Murphy 2004.07404

- Formalism for NN developed

Davoudi, Kadam, 2012.02083  
Feng, Jin, Wang, Zhang, 2005.01956

- Analytic approach inspired by Cottingham formula for  $\delta m_{p,n}$  (EM)

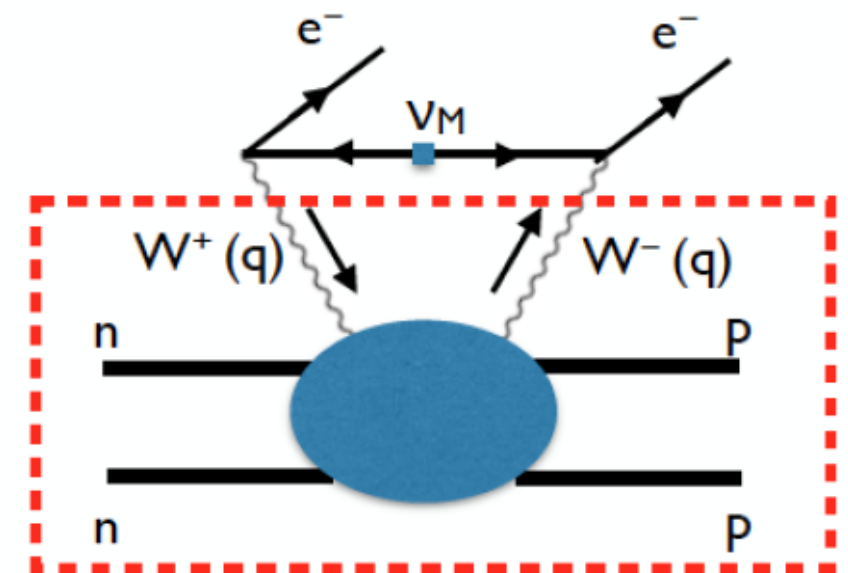


VC, Dekens, deVries, Hoferichter, Mereghetti, 2012.11602, 2102.03371

# Towards determining $g_v$

- Dispersive approach provides  $C_{1,2}$  and can be validated by data:  
 $C_1 + C_2 \Rightarrow (a_{nn} + a_{pp})/2 - a_{np} = 15.5(4.5) \text{ fm}$  versus  $10.4(2) \text{ fm}$  (exp)
- Ab initio (IMSRG) calculation of  $^{48}\text{Ca} \rightarrow ^{48}\text{Ti}$  with dispersive  $g_v = C_1$   
 $\Rightarrow$  contact term enhances nuclear matrix element by  $(43 \pm 7)\%$   
Wirth, Yao, Hergert, 2105.05415
- Lattice QCD results expected in the next few years

- Analytic approach inspired by Cottingham formula for  $\delta m_{p,n}$  (EM)



VC, Dekens, deVries, Hoferichter, Mereghetti, 2012.11602, 2102.03371

# What about higher orders?

- N2LO

- $\pi N$  loops + new contact

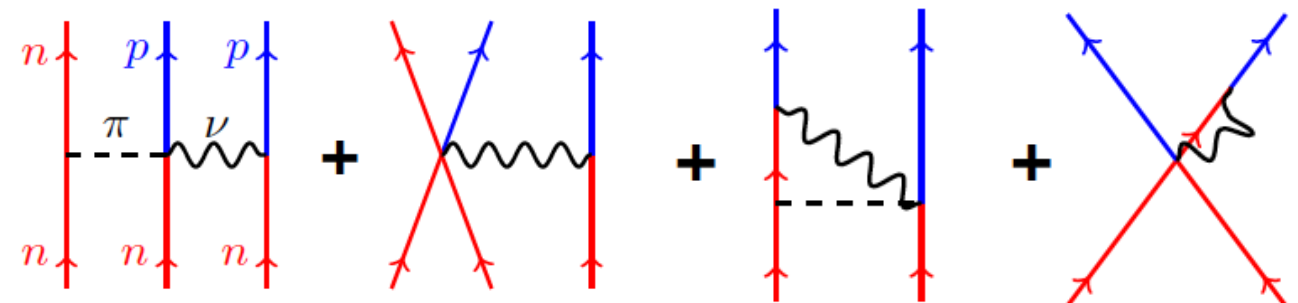
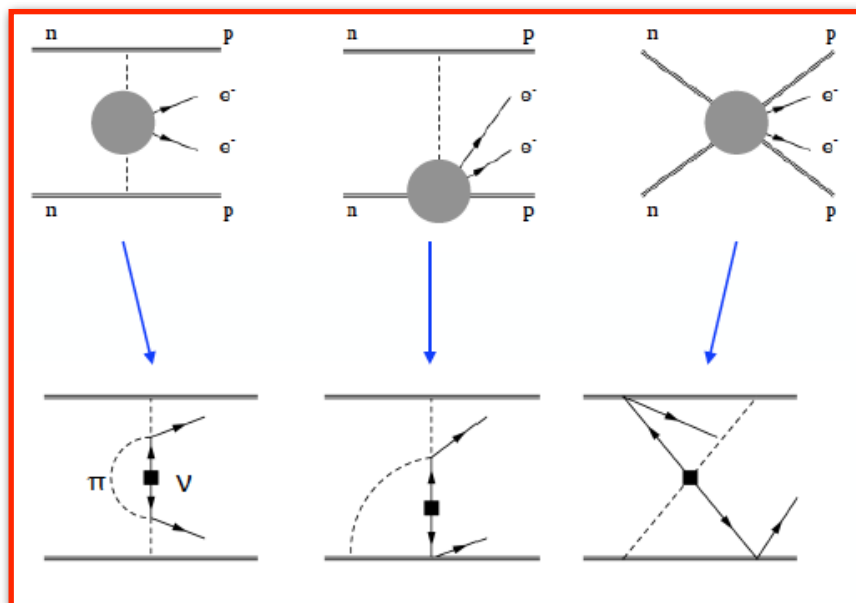
VC, W. Dekens, E. Mereghetti, A. Walker-Loud, 1710.01729

- 2-body  $\times$  1-body current (and a new contact)

Wang-Engel-Yao 1805.10276

- Neglecting contact terms, calculations in light and heavy nuclei find  $O(10\%)$  corrections: encouraging!

S. Pastore, J. Carlson, V.C., W. Dekens, E. Mereghetti, R. Wiringa 1710.05026  
J. Engel, private communication



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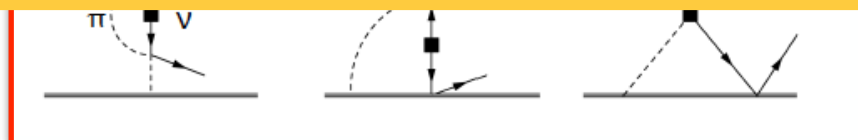
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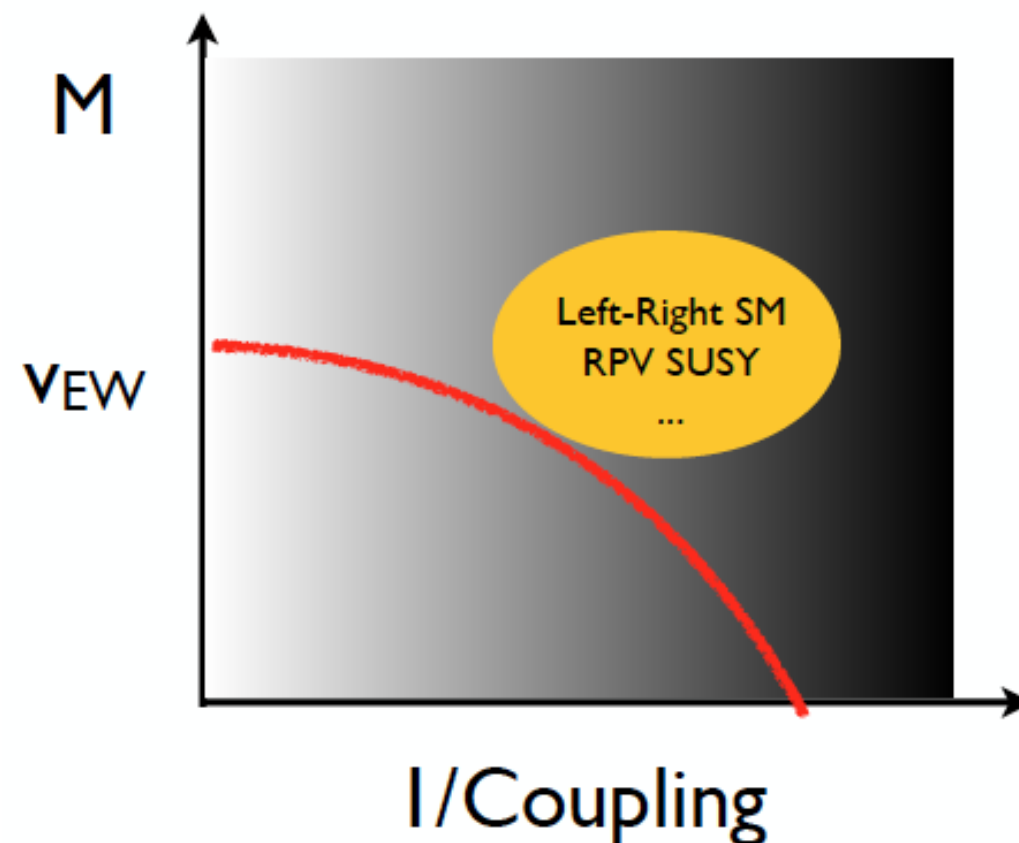
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Full analysis beyond leading order requires again matching to Lattice QCD and dedicated many body calculations — decadal goal



# $0\nu\beta\beta$ from multi-TeV scale dynamics (dim-7, 9, ... operators)



# Phenomenological interest

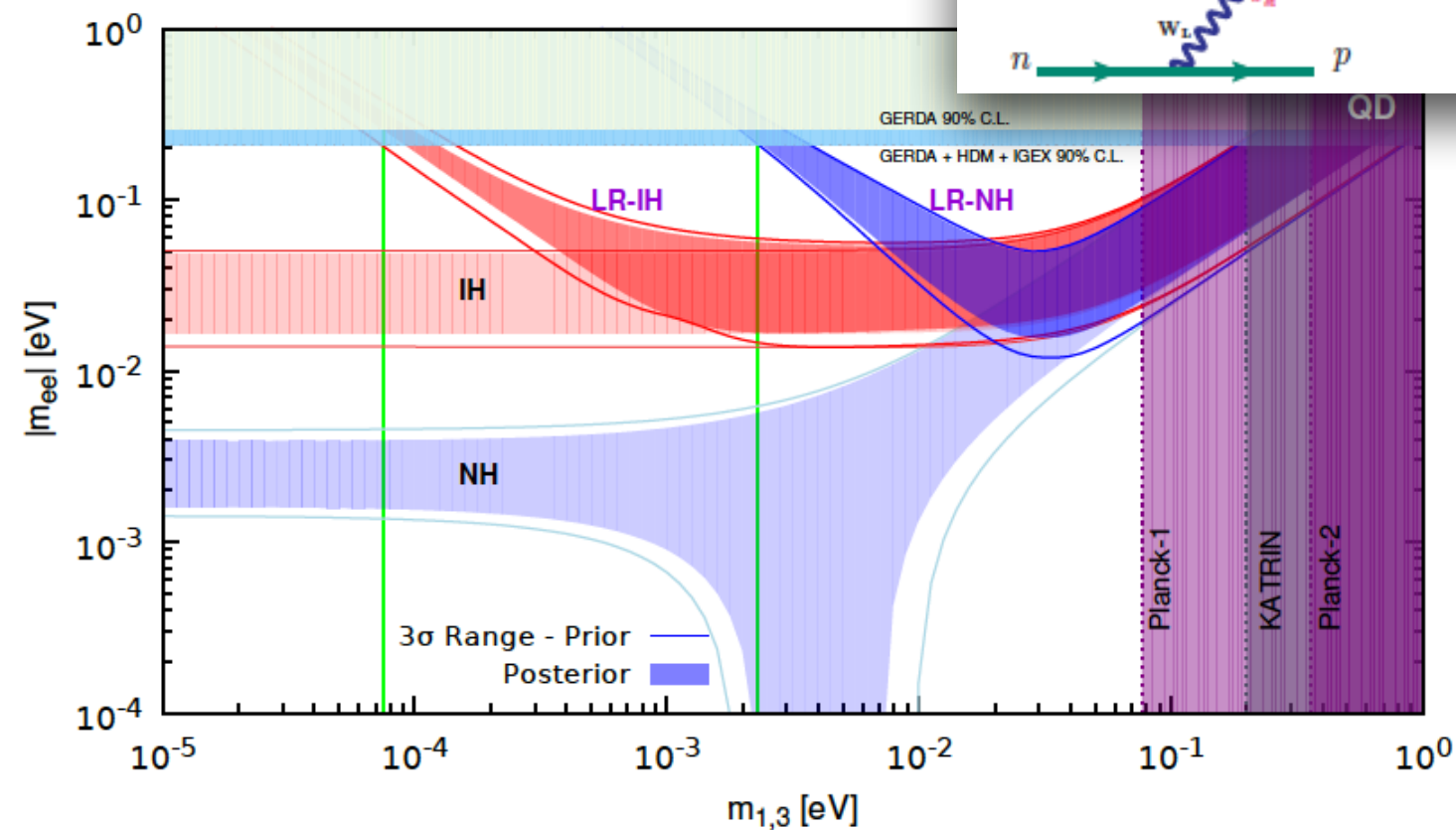
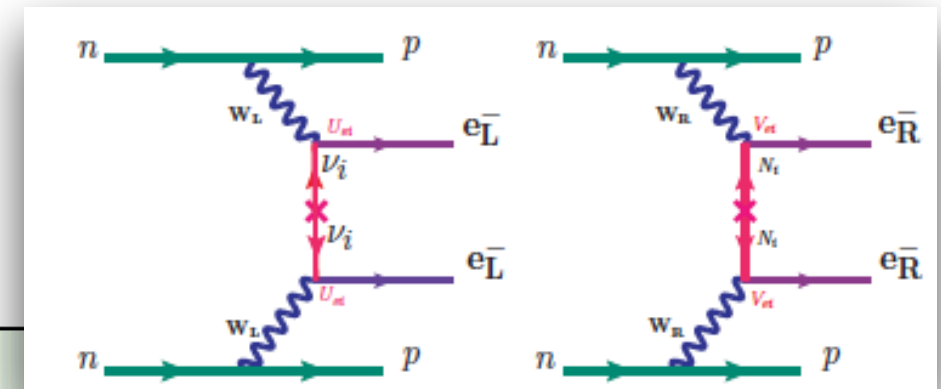
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Example: left-right symmetric model  
with type-II seesaw



$$M_i \propto m_i$$

$$V_R^{PMNS} = V_L^{PMNS}$$

$$M_i = \frac{m_4}{m_3} M_3, \text{ for NH}$$

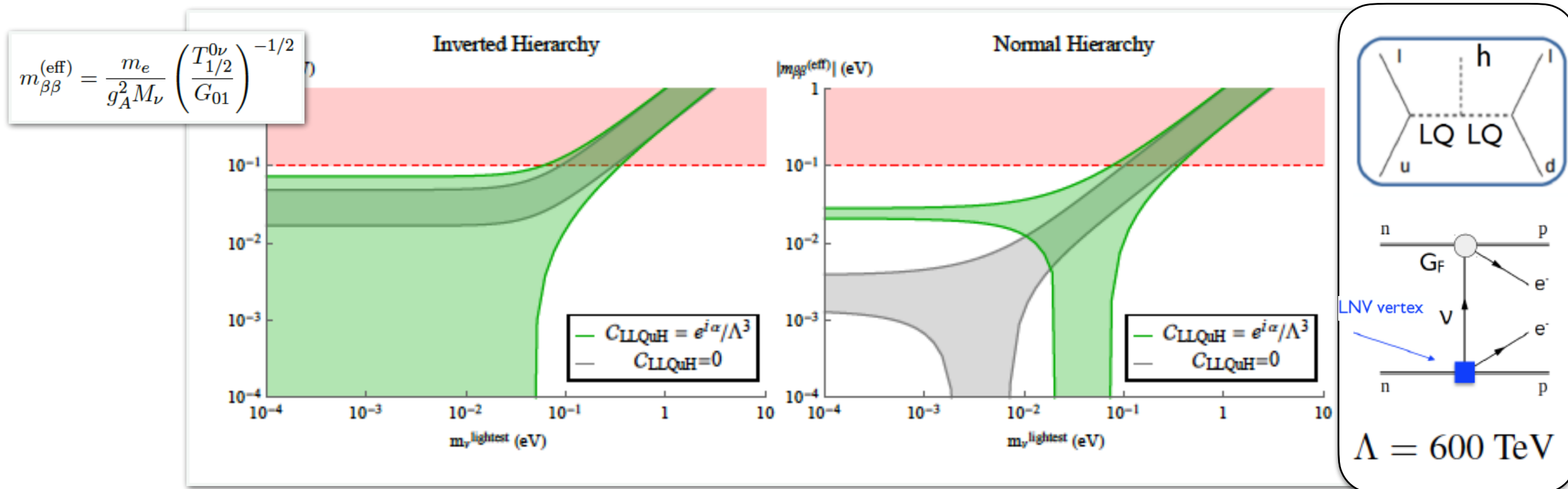
$$M_i = \frac{m_4}{m_2} M_2, \text{ for IH.}$$

$$M_{2,3} = 1 \text{ TeV}$$

# Phenomenological interest

- Induce contributions to  $0\nu\beta\beta$  *not directly related to the exchange of light neutrinos*, within reach of current experiments

New contributions can add incoherently or interfere with  $m_{\beta\beta}$ , significantly affecting the interpretation of experimental results



VC, W. Dekens, J. de Vries, M. Graesser, E. Mereghetti, 1708.09390

# Phenomenological interest

- Induce contributions to  $0\nu\beta\beta$  *not directly related to the exchange of light neutrinos*, within reach of current experiments
- May lead to correlated (or precursor!) signal at LHC:  $pp \rightarrow ee jj$

Keung-Senjanovic '83

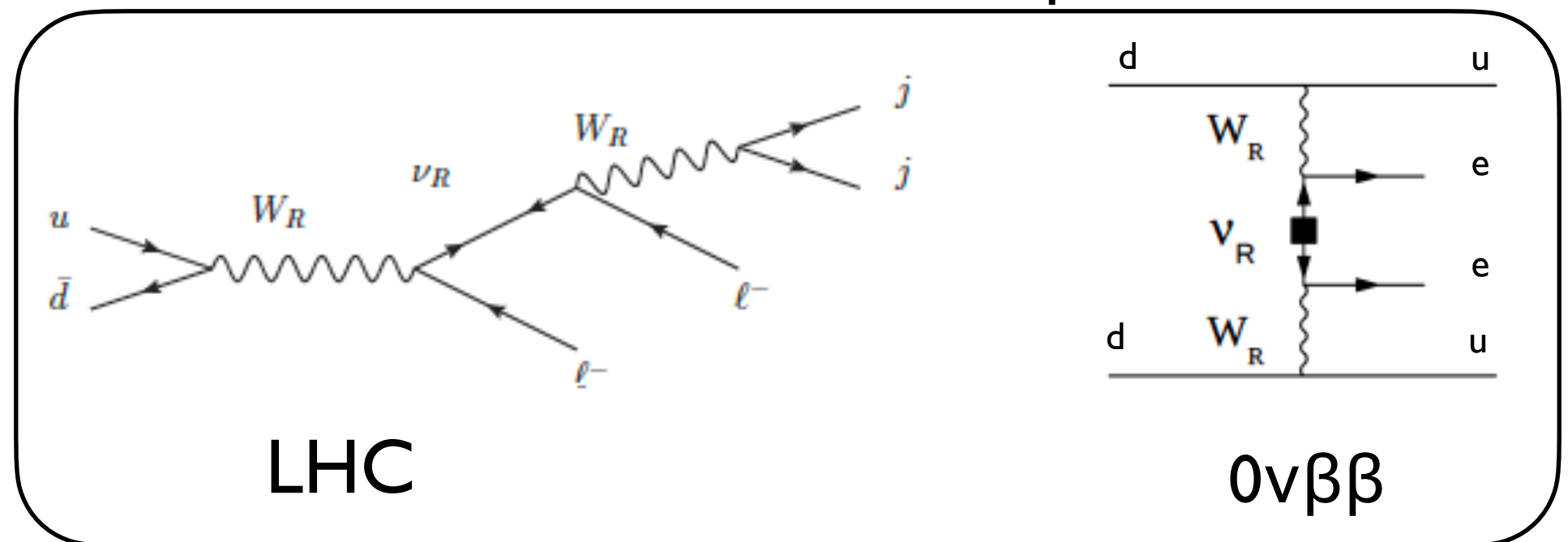
Maiezza-Nemevesek-  
Nesti- Senjanovic  
1005.5160

Helo-Kovalenko-  
Hirsch-Pas 1303.0899,  
1307.4849

Cai, Han, Li, Ruiz  
1711.02180

...

## Classic LRSM example



# Phenomenological interest

- Induce contributions to  $0\nu\beta\beta$  *not directly related to the exchange of light neutrinos*, within reach of current experiments
- May lead to correlated (or precursor!) signal at LHC:  $pp \rightarrow ee jj$

Keung-Senjanovic '83

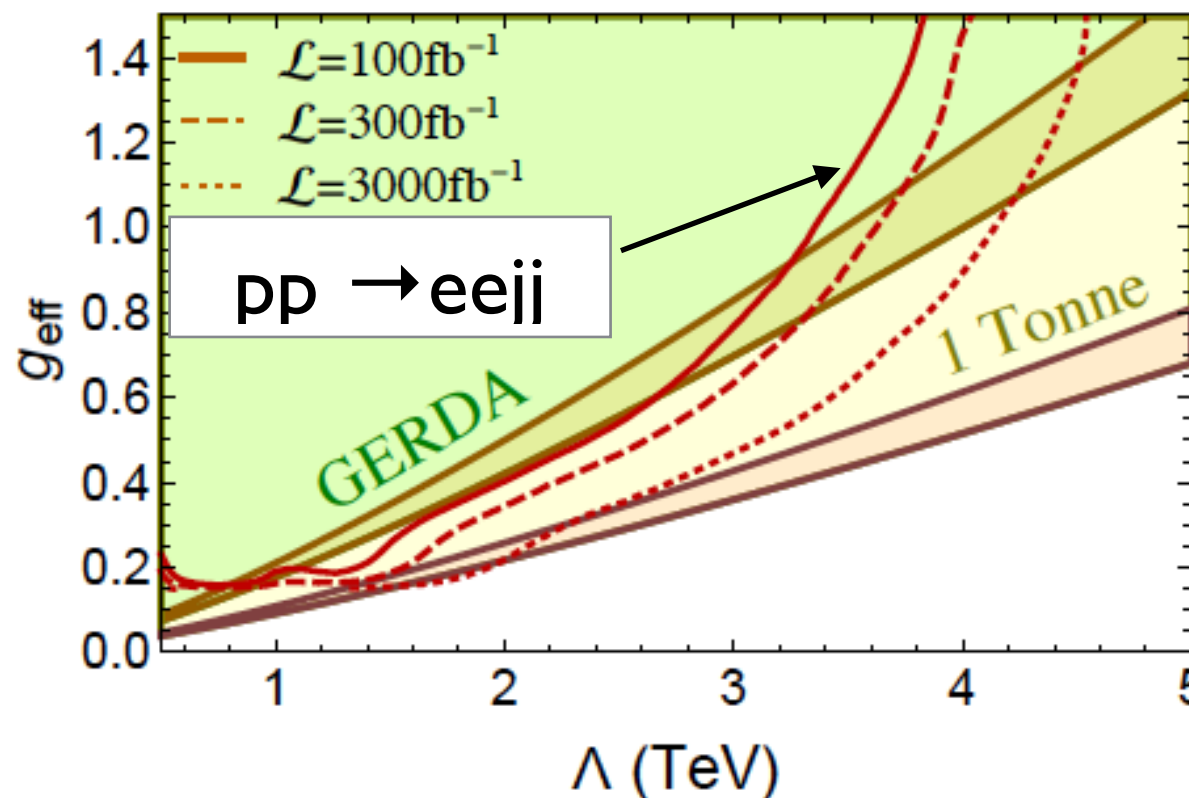
Maiezza-Nemevesek-  
Nesti- Senjanovic  
1005.5160

Helo-Kovalenko-  
Hirsch-Pas 1303.0899,  
1307.4849

Cai, Han, Li, Ruiz  
1711.02180

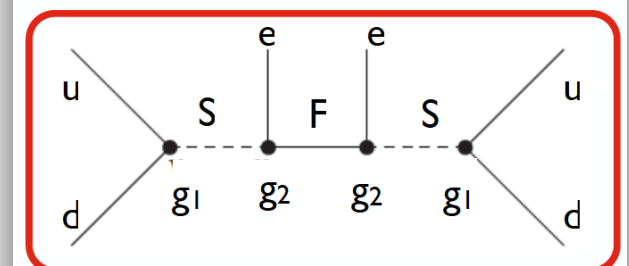
Peng, Ramsey-Musolf,  
Winslow, 1508.0444

...



Simplified model

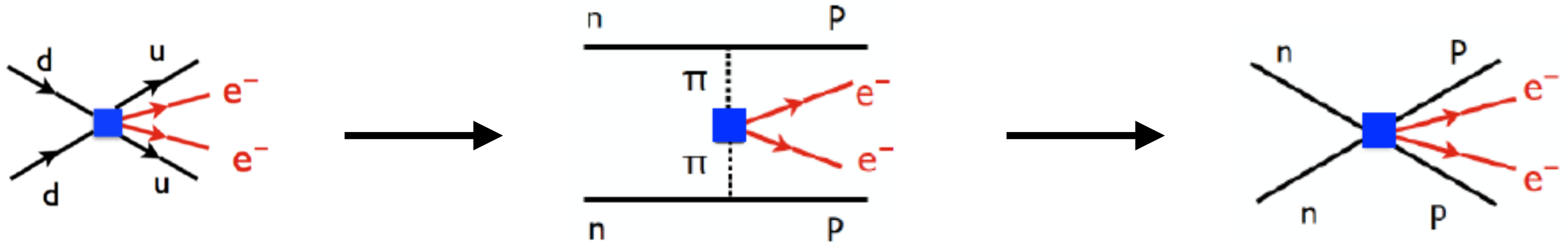
$$M_S = M_F = M_{\text{eff}} \quad (g_{\text{eff}})^4 = g_1^2 g_2^2$$



$$A_{0\nu\beta\beta} \sim (g_{\text{eff}})^4 / (M_{\text{eff}})^5$$

# Hadronic theory developments

- Chiral EFT & Lattice QCD



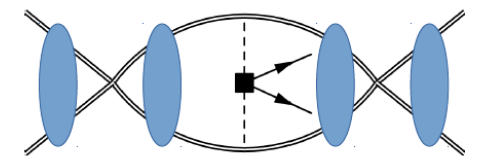
In Weinberg's counting, pion contribution dominates

$\pi\pi$  matrix element known from LQCD at  $<10\%$

Renormalization requires a contact at the same order!

Prezeau, Ramsey-Musolf, Vogel hep-ph/0303205

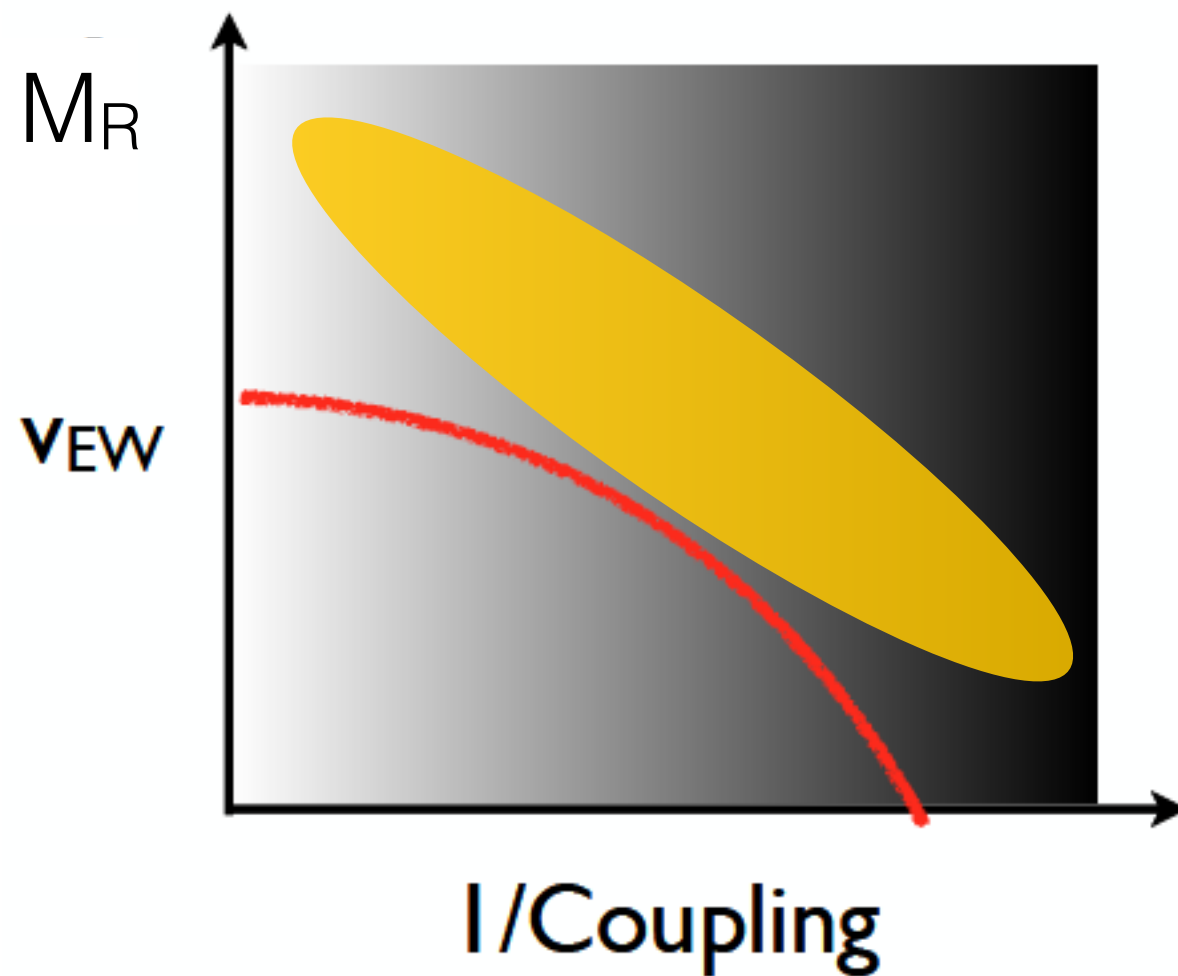
Nicholson et al (CalLat), 1805.02634



V.C, W. Dekens, J. de Vries, M. Graesser, E. Mereghetti [1806.02780]

- Several unknown LO NN contact couplings. Opportunity for LQCD

# $0\nu\beta\beta$ and sterile neutrinos



# Phenomenological interest

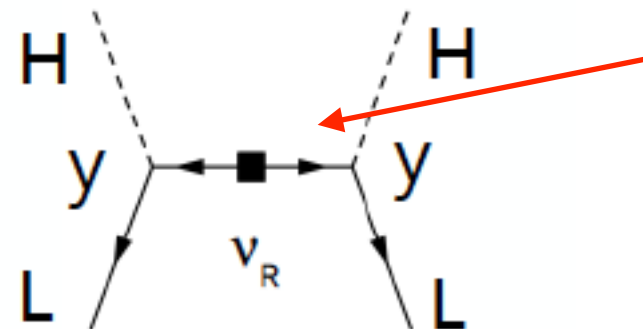
Akhmedov, Rubakov, Smirnov  
hep-ph/9803255

Canetti, Drewes, Shaposhnikov  
1204.3902

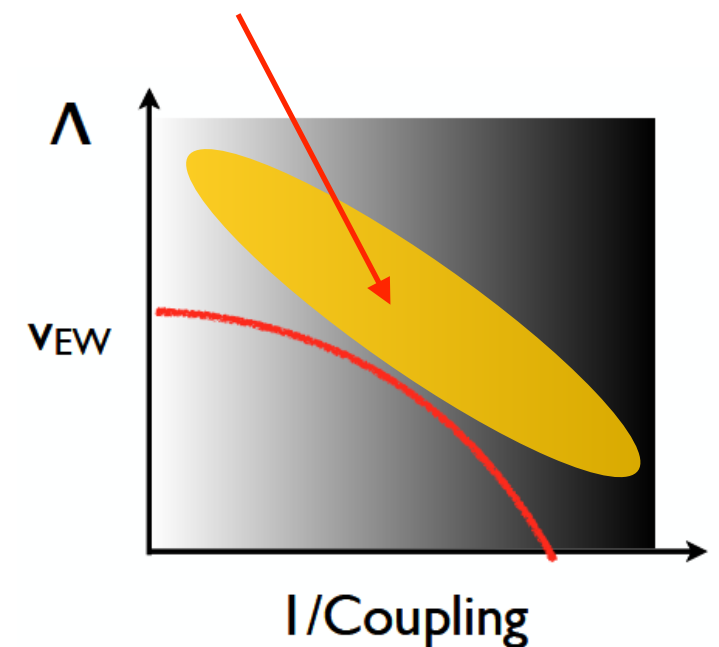
...

- Attractive class of “minimal” models
  - $V_R$  can give rise to light neutrino masses
  - $V_R$  can provide a **dark matter** candidate
  - $V_R$  can generate the **baryon asymmetry through leptogenesis**
- In general  $m_{\beta\beta} \neq (m_{\beta\beta})_{\text{active}}$ , with strong dependence on  $V_R$  spectrum
- Can be probed at colliders, beam dump, semileptonic decays, EWPO,

...



Arbitrary scale  $M_R \leftrightarrow \Lambda$



See e.g. Bolton, Deppisch, Dev 1912.03058

# EFT developments and challenges

- vSMEFT + chiral EFT analysis

Dekens et al. 2002.07182

$$\mathcal{L}_{\nu_R} = i\bar{\nu}_R \not{\partial} \nu_R - \frac{1}{2} \bar{\nu}_R^c M_R \nu_R - \bar{L} \tilde{H} Y_D \nu_R - \mathcal{L}_{\nu_R}^{(6)} + \mathcal{L}_{\nu_R}^{(7)} + \dots$$

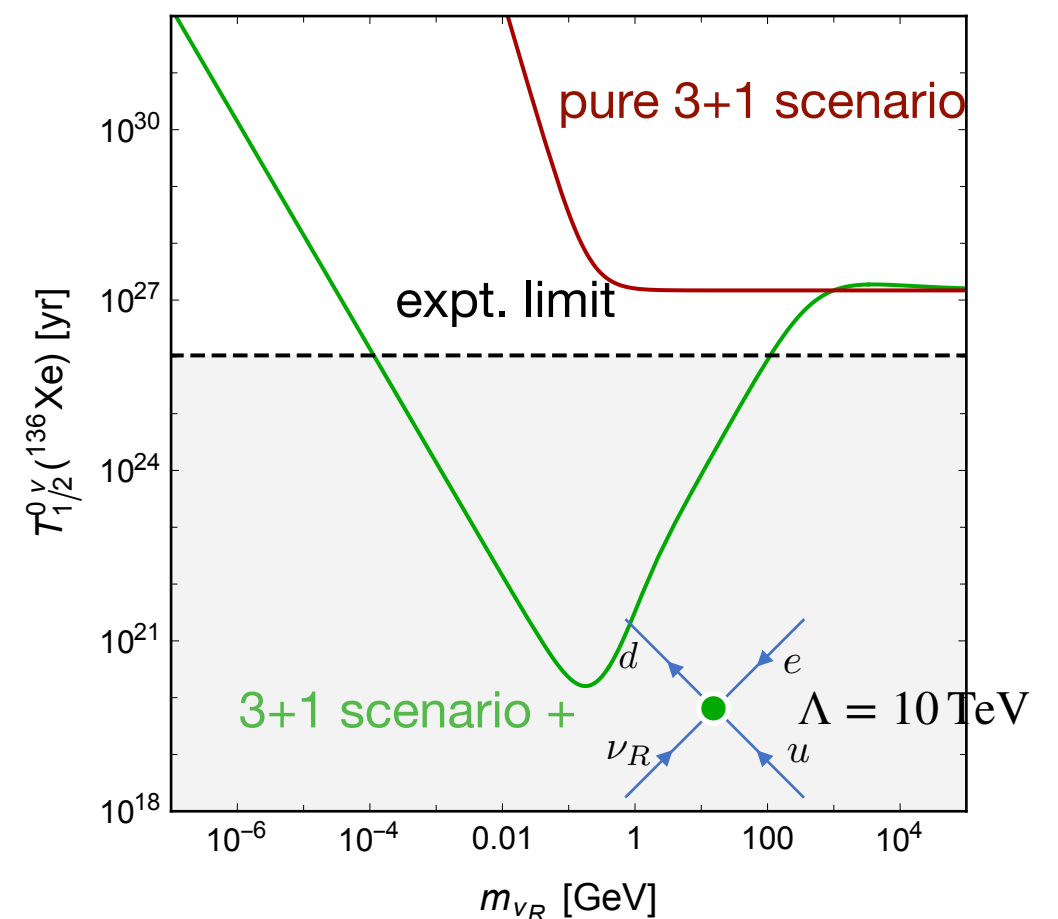
- $\nu_R$ 's interaction beyond Yukawa can have large impact

- Challenges:

- New LECs in hadronic EFT
- Dependence of m.e. and LECs on  $\nu_R$  mass

...  
deGouvea et al hep-ph/0608147  
Faessler et al, 1408.6077  
Dekens et al. 2002.07182  
...

O(100%) uncertainties not shown



Plot courtesy of Wouter Dekens



# Unraveling $0\nu\beta\beta$ mechanisms?

Graf, Lindner, Scholer 2204.10845

- 32 operators below weak scale @  $\dim=3, 6, 7, 9$  contribute to  $0\nu\beta\beta$
- Can they be distinguished by
  1. Isotope-dependence of the decay rates?
  2.  $\beta$  spectrum shape?
  3. Phase space observable? (single electron spectra, relative angle of outgoing electrons)

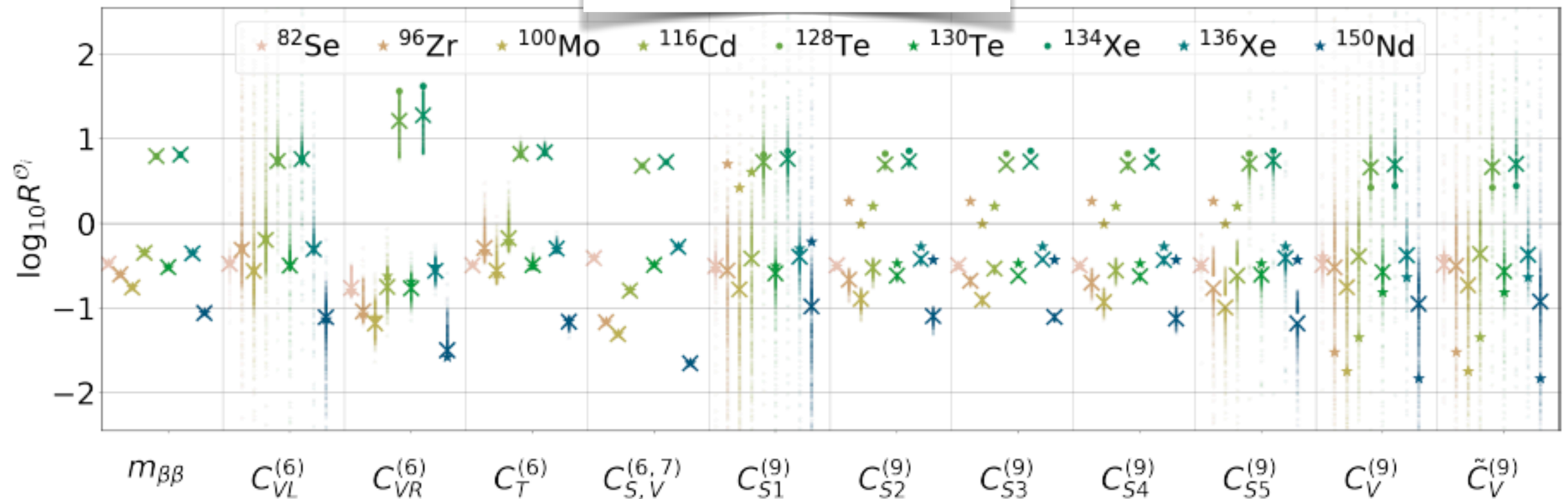
Despite degeneracies, useful diagnosing tools ‘within’  $0\nu\beta\beta$

# Isotope dependence

Graf, Lindner, Scholer 2204.10845

- Only 12 groups of operators can be distinguished by taking ratios of decay rates
- Quite sensitive to LECs (varied around reference values denoted by larger markers)
- Distinguishing classes of operators will require combined theoretical uncertainty of  $\sim 10\%$ , due to LEC + NME (here only IBM used)

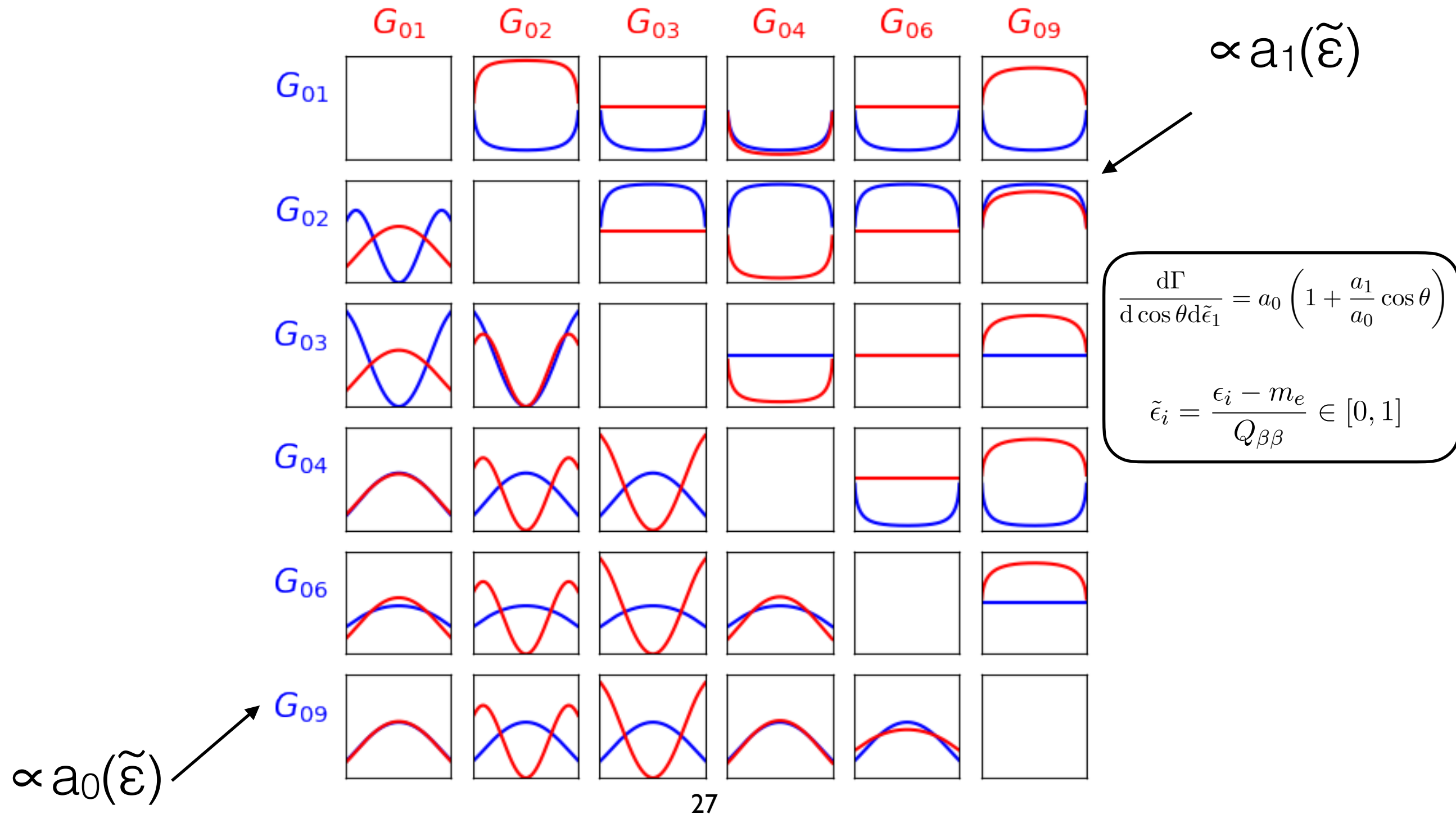
$$R^{\mathcal{O}_i}({}^A\text{X}) \equiv \frac{T_{1/2}^{\mathcal{O}_i}({}^A\text{X})}{T_{1/2}^{\mathcal{O}_i}({}^{76}\text{Ge})}$$



# Phase space observables

Graf, Lindner, Scholer 2204.10845

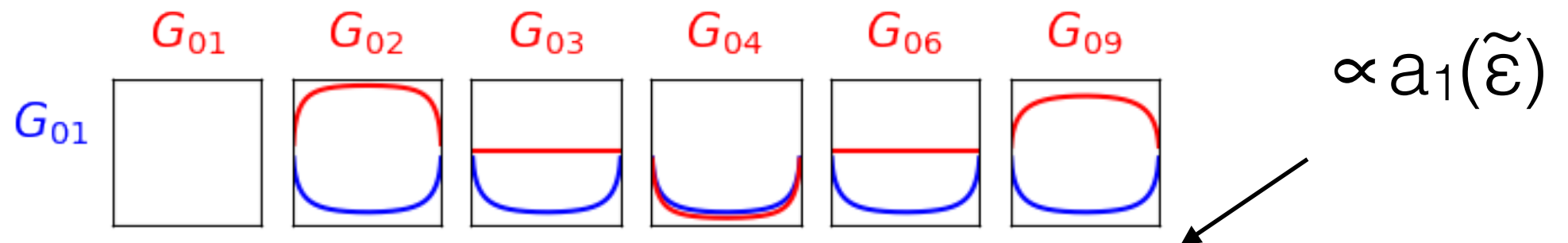
- Six phase space structures  $G_{0k}$ , after including interference terms



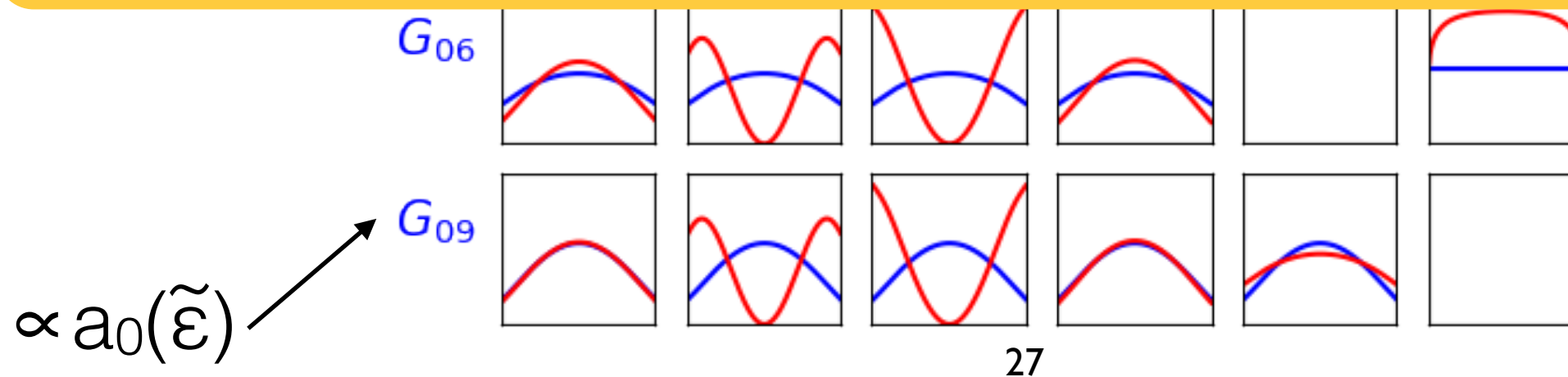
# Phase space observables

Graf, Lindner, Scholer 2204.10845

- Six phase space structures  $G_{0k}$ , after including interference terms



- Despite degeneracies, useful diagnosing tools ‘within’  $0\nu\beta\beta$
- This analysis reiterates two important points:
  - Need much improved matrix elements, with  $O(10\%)$  uncertainty
  - Unraveling the mechanism of LNV will also require other probes (cosmology, collider, ...)



# LVN & $0\nu\beta\beta$ outlook

- Ton-scale  $0\nu\beta\beta$  searches have **great discovery potential** — we simply don't know the origin of  $m_\nu$  and the scale  $\Lambda$  associated with LVN
- **Model diagnosing**: what is the underlying source of LVN?
  - **Within  $0\nu\beta\beta$** : rate variation with isotope; single electron spectra and electron's angle distribution
  - **$0\nu\beta\beta$  + other probes**: oscillations, direct  $m_\nu$  measurements, cosmology, meson & lepton decays, LVN @ colliders, LFV, ...
- Exciting prospects thanks to synergy of **model building, cosmology, collider physics, EFT, lattice QCD**, and **nuclear structure** + (of course) **experiment!**