Sensitivity To Mass Hierarchy Without ND-LAr Spectral Information

Jack Smedley ND Alternatives Analysis Tuesday, March 8, 2022



Premise

- Without ND-LAr, neutrino energy spectra at the Far Detector cannot be predicted without introducing additional systematics, which we will likely underestimate if we attempt to generate with Monte Carlo.
- One way to avoid introducing extra systematics is to just use the Far Detector as a *counting experiment* and perform a fit with only one bin in energy.
- This is a very conservative approach, meant to be considered a lower bound compared to other ND alternative analyses.



Technique

Assumed Run Plan

Total POT / Year / Operation Mode	Year 1	Year 2	Year 3	Year 4	•
FHC	5E20	10E20	17E20	17E20	
RHC	0	0	0	11E20	

DEEP UNDERGROUND NEUTRINO EXPERIMENT

• For an ensemble of truth scenarios (NO, IO;

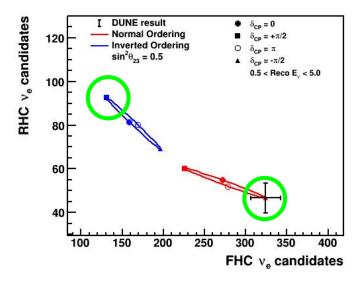
 $\delta_{\rm CP} = 0, \pm \pi/2; \sin^2(\theta_{23}) = 0.5):$

- Integrate reconstructed FD spectra from 1-5 GeV (full spectra in backup)
- Use FHC v_e and RHC v_e event counts to find best-fit wrong order scenario
- Use varying levels of uncertainty as a proxy for different ND alternatives without ND-LAr
 - **Statistical only** Perfect flux constraint, perfect constraint of total XS on Ar
 - Stat + full flux uncertainties- No flux contriant, perfect a priori knowledge of total XS on Ar
 - Stat + XS uncertainty (A-Scaling)-Perfect flux constraint, perfect XS constraint on C
 - Stat + flux + XS uncertainties- No flux constraint, XS constraint on C



Results

• When the effects of mass ordering and $\delta_{\rm CP}$ work in the same direction AND when excluding A-scaling uncertainty, conclude a >5 σ sensitivity.

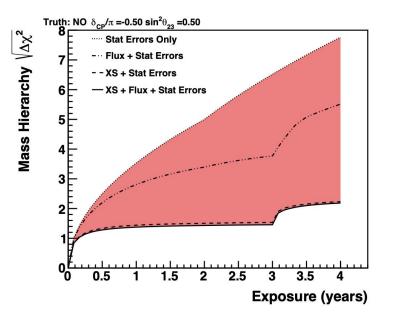


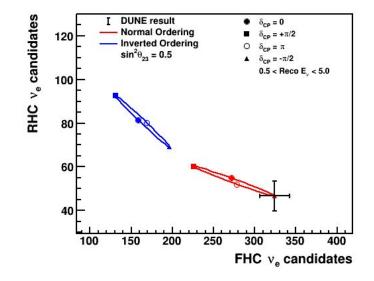
20kt: 1.7E21 FHC + 1.1E21 RHC



Normal Ordering, $\delta_{CP} = -\pi/2$

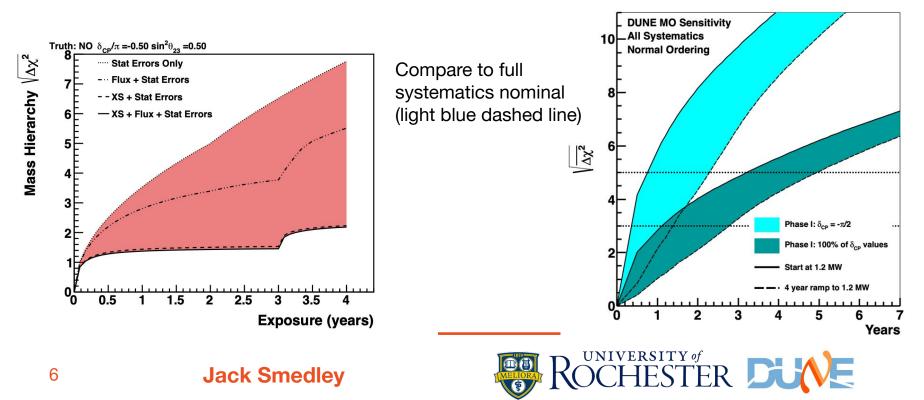
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DUNE result

 $\sin^2 \theta_{23} = 0.5$

150

Normal Ordering

Inverted Ordering

RHC v_e candidates

120

100

80

60

40

100

Inverted Ordering, $\delta_{CP} = \pi/2$

20kt: 1.7E21 FHC + 1.1E21 RHC

δ_{CP} = 0

 $O \quad \delta_{CP} = \pi$

δ_{CP} = +π/2

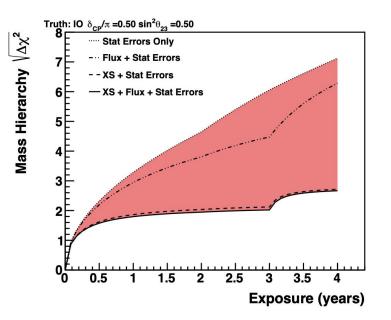
▲ δ_{cp} = -π/2

0.5 < Reco E, < 5.0

350

FHC v_e candidates

400





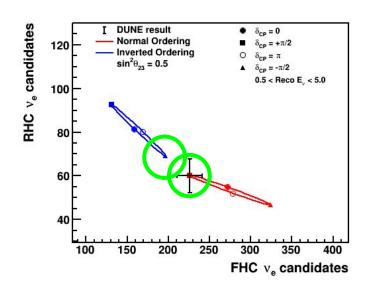
200

250

300

Results

- When the effects of mass ordering and $\delta_{\rm CP}$ work in the same direction AND when excluding A-scaling uncertainty, conclude a >5 σ sensitivity.
- When they act oppositely, even the most idealized case drops to ~2σ.



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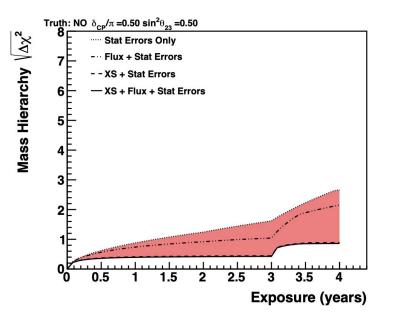
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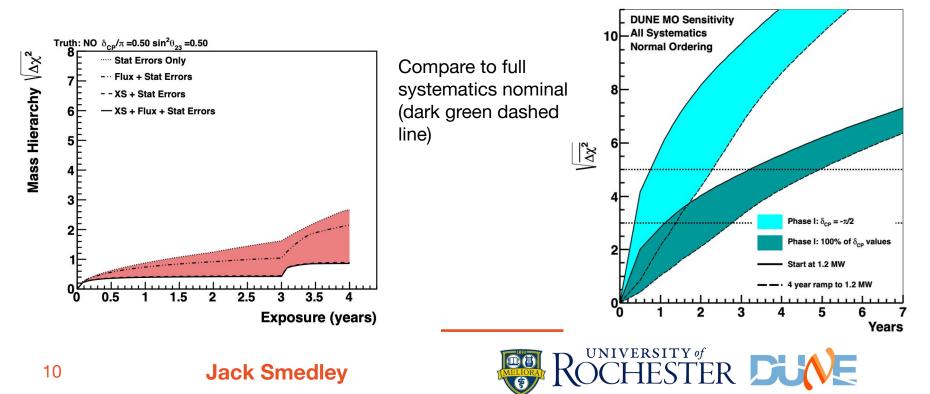
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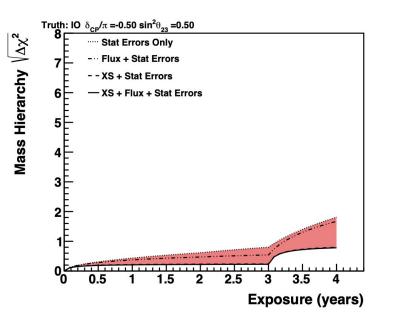
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FHC v_e candidates

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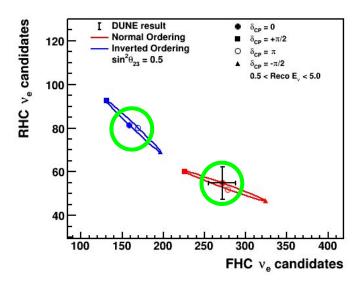
300

150

Results

- When the effects of mass ordering and $\delta_{\rm CP}$ work in the same direction AND when excluding A-scaling uncertainty, conclude a >5 σ sensitivity.
- When they act oppositely, even the most idealized case drops to ~2σ.
- In the middle, we see sensitivities in the middle, still dominated by the cross section uncertainties.







DUNE result

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150

120

100

80

60

40

100

Normal Ordering

Inverted Ordering

Normal Ordering, $\delta_{CP} = 0$

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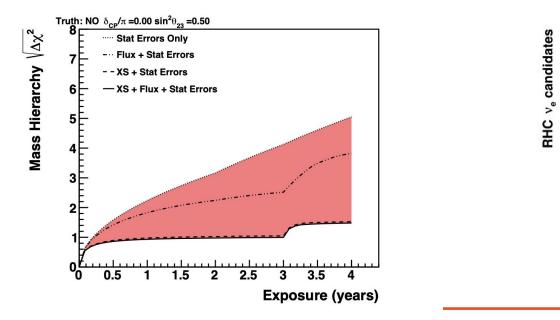
▲ δ_{cp} = -π/2

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350

FHC v_e candidates

400





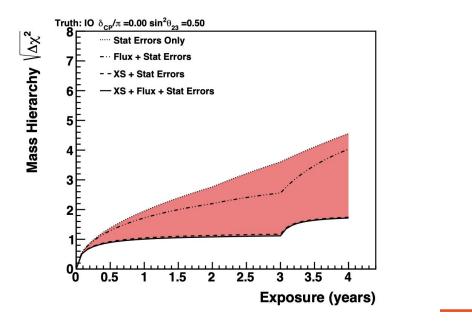
200

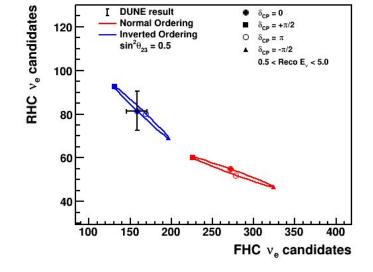
250

300

Inverted Ordering, $\delta_{CP} = 0$

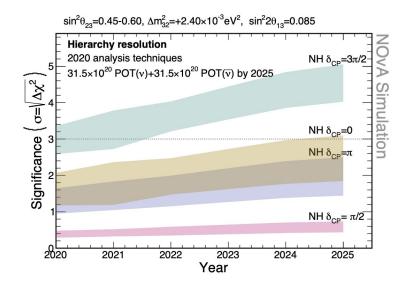
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Conclusions



- The idealized mass ordering resolution without any systematics is highly conditional and on par with that of NOvA.
- The inclusion of cross section systematics dramatically reduces sensitivity, regardless of truth scenario.
- Spectral information from ND-LAr will be crucial for an early measurement of the mass ordering.





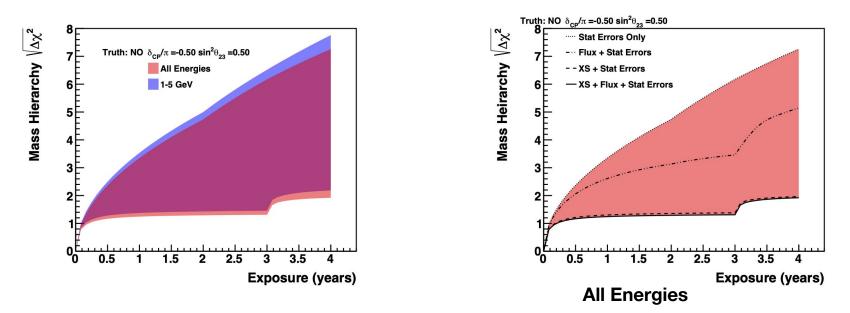




1-5 GeV vs. All Energies

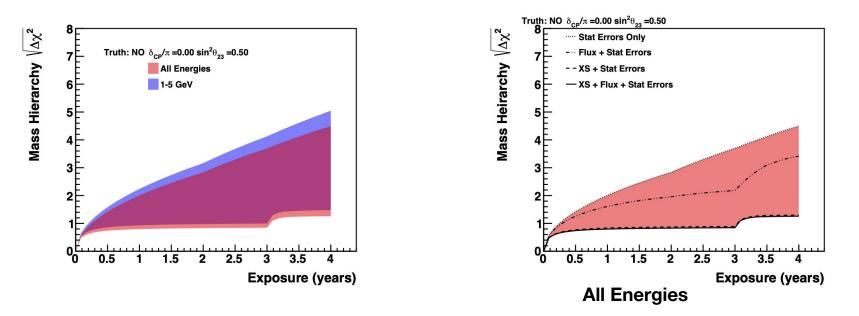


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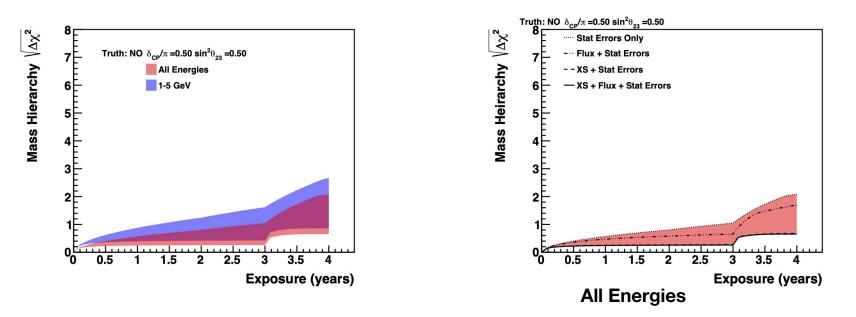


Normal Ordering, $\delta_{CP} = 0$



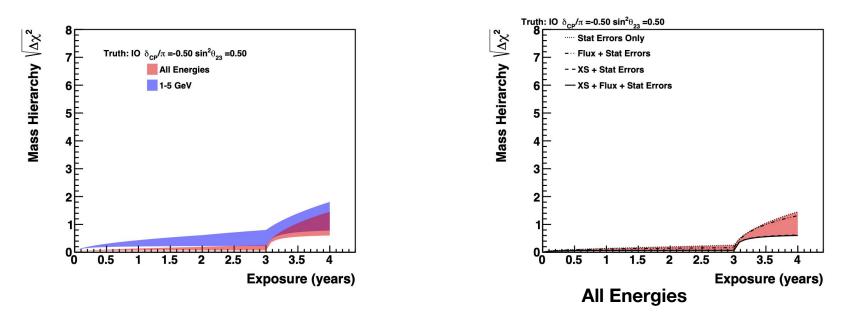


Normal Ordering, $\delta_{CP} = \pi/2$



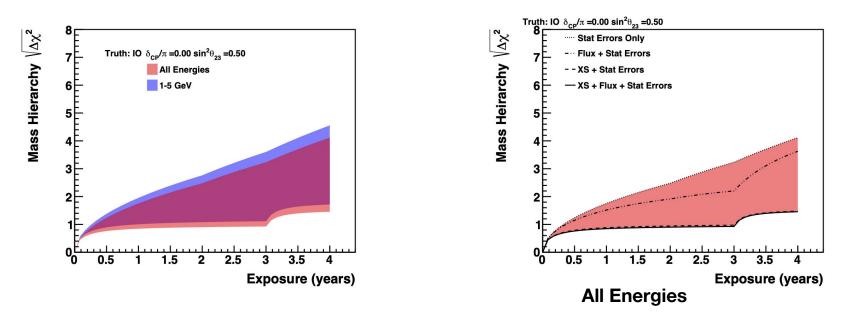


Inverted Ordering, $\delta_{CP} = -\pi/2$



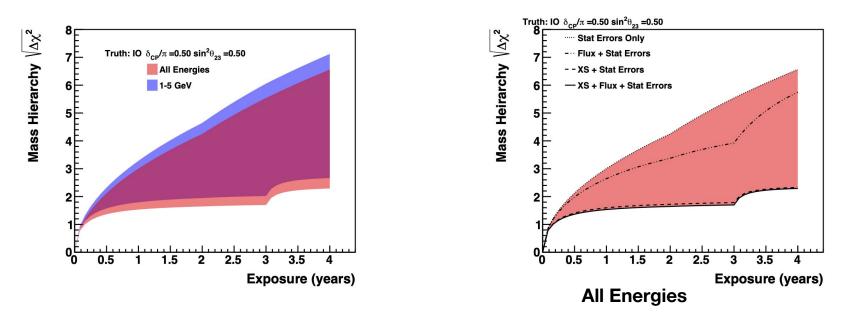


Inverted Ordering, $\delta_{CP} = 0$





Inverted Ordering, $\delta_{CP} = \pi/2$



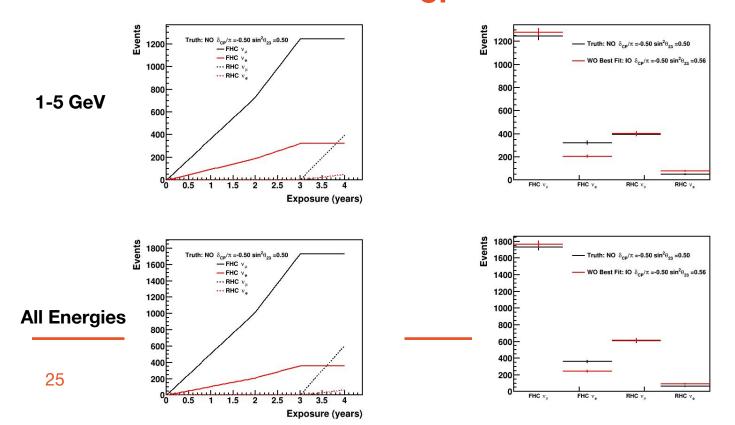




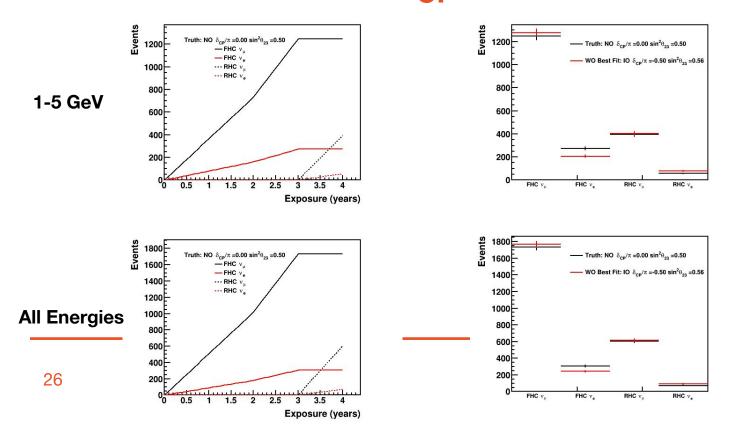




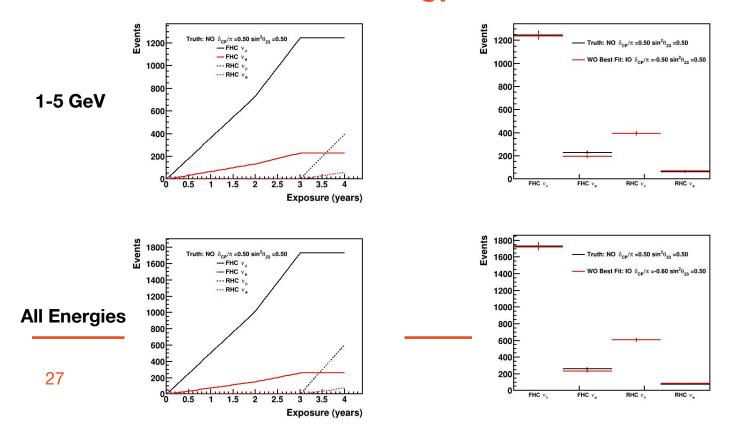
Normal Ordering, $\delta_{CP} = -\pi/2$



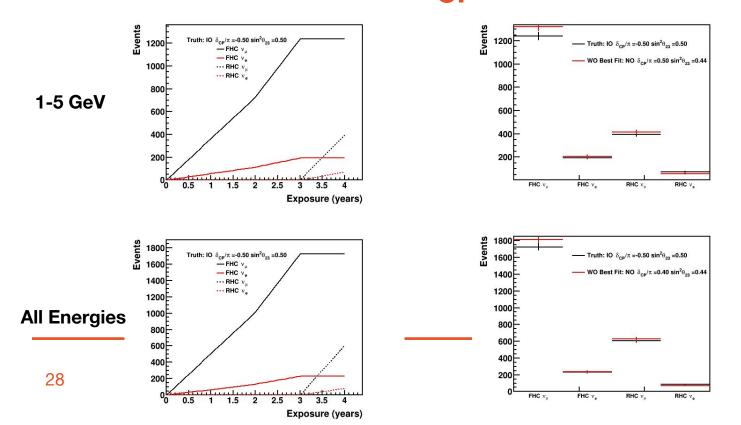
Normal Ordering, $\delta_{CP} = 0$



Normal Ordering, $\delta_{CP} = \pi/2$

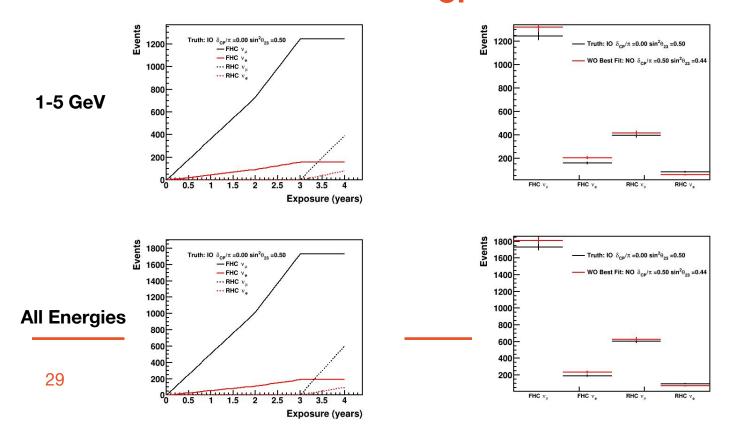


Inverted Ordering, $\delta_{CP} = -\pi/2$





Inverted Ordering, $\delta_{CP} = 0$





Inverted Ordering, $\delta_{CP} = \pi/2$

