## 北Fermilab

# Angular scan and track correction 

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## Context

The position of the hit (interaction of the proton with the sensor) is interpolated using the tracking system, which gives us some proton's track parameters: intercept and slope of the track's projection over $x z$ and yz planes.

This interpolation needs to take into account the actual position of the sensor (i.e. possible tilts that displace the sensor's plane of an ideal $\mathrm{z}=$ constant position.)

Previous analyses were made using an initial correction that only considered a rotation around
 the $\mathbf{z}$-axis (expected to have the highest impact in the calculation.)

## Alignment procedure

Our objective is to find the hit coordinates as seen by the sensor. The strategy for doing so is:

1. Find a mathematical expression for the hit in the sensor surface, but in the laboratory frame of reference.
2. Find a matrix transformation from Laboratory's frame to Sensor's frame.
3. Apply this transformation to the hit position.

Considerations:

- The sensor is known to be somewhere in the central box, but we need an exact Z position of reference $\rightarrow$ We use $Z_{C}$.
- The rotations are defined around a certain point in the sensor $\rightarrow\left(\mathrm{X}_{\mathrm{C}}, \mathrm{Y}_{\mathrm{C}}, \mathrm{Z}_{\mathrm{C}}\right)$.
- These four quantities $(Z, \alpha, \beta, \gamma)$ must be hard coded $\rightarrow$ Multidimensional scan.


## Differences with previous method

The rotation implemented initially was only around a single axis (z-lab). Later, a first try for this 'Multi Dimensional Scan' used an 'Euler rotation' approach, which led us to a scan that wasn't successful, given two angles too correlated.

The best way of make this analysis was using the so called 'Tait-Bryan Angles', also known as nautical angles, where the rotations are made around local axes and only once per axis.


## Visualization

The animation shows the rotations around the axes and the 'translation' into the sensor's local coordinates.

Note that an angle in the proton's track generates a hit in a non-intuitive position.


## Comparison with old scan

To check the consistency of this method with the original, the ZScan is compared (after the $\alpha$ rotation, i.e. both methods have only a rotation around z axis) using the new data taken for the BNL2021 medium sensor.

New method


Old method


## Effects of the rotation in the laboratory frame

The figures below show the projection over a $\mathrm{Z}=$ Constant plane (imagine it as the 'shadow' produced if we illuminate the sensor from behind) for different angles' values in the laboratory frame.

To get a feeling of the depth, the colors represent how far is certain section of the sensor displaced from the constant $\mathrm{Z}=\mathrm{Z}_{\mathrm{C}}$ position.



## Effects of the rotation in the laboratory frame (continued)

We can see that choosing a set of angles has an effect in the sensor's position! So the implementation seems to work as expected.



## Limit cases

To be completely sure of the effects a rotation has in what the tracker sees, some 'extreme' values were tested.

Note that big angles make this projection to shrink, as expected.



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05.02.2022

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## Limit cases (continued)

The same shrinking effect can be seen after rotating around y-axis.



## Widening \& efficiency

The most dramatic effect over the resolution among the angles comes from $\alpha$, but the angle $\beta$ has a direct effect on the strips: the pitch and strip width may be different. This affects the strips' center position and the parameters used for the charge sharing!

The efficiency plots for channel 2 show this 'widening' effect in the sensor frame.


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## "Defining geometry" process

1. Look at data files and define initial parameters:
a. indexToGeometryMap, geometry, acLGADChannelMap, stripWidth, pitch
b. sensorCenter, sensorCenterY, xmin, xmax, ymin, ymax, sensorEdges
2. Run InitialAnalyzer:
a. Get strip centers $\rightarrow$ FindStripCenters.py $\rightarrow$ Update Geometry2022
3. Run Analyze:
a. Get recoParameters $\rightarrow$ DoPositionRecoFit.py $\rightarrow$ Update Geometry 2022
b. Re-run Analyze if parameters change
4. Run Align:
a. Get best $\alpha, \mathrm{Z}, \beta, \gamma$, in that order
b. If at the end $\alpha$ has changed too much, re-run
c. Check position_local and update sensorEdges if necessary
5. Re-run InitialAnalyzer:
a. Check parameters don't vary too much
b. If so, re-run all again

## Align: First iteration

$$
(Z=0.0, \alpha=0.0, \beta=0.0, \gamma=0.0)
$$

We start with all four parameter set as zero.
The first iteration shows the greatest impact in the resolution is produced by the choice of $\alpha$. We previously noted that tuning that value first is the best option since, for instance, the Z minimum changes depending on this.



## Align: Second iteration

$$
(Z=0.0, \alpha=1.18, \beta=0.0, \gamma=0.0)
$$

We need to confirm that the previous minima don't change too much after each iteration. This is the case for $\alpha$.

Z gets impacted by this change! (Why so dramatically?)



## Align: Third iteration

$$
(Z=-4.36, \alpha=1.18, \beta=0.0, \gamma=0.0)
$$

This time the $\beta$ angle is slightly shifted from zero.
Note an small displacement in the previous parameters, but these changes are not significant.




## Conclusions

- The effect of the angles is not negligible, and their impact can be summarized as: $\alpha \gg \beta>\gamma$.
- The $\beta$ angle affects other hard coded parameters, for instance those used in charge sharing, so they must be recalculated.
- The apparent not utility of $\gamma$ should be revisited since it might affect the strip length, which in turn might have an impact in the time/velocity of the signal.
- The proper order to extract these scanned parameters starts with all set as zero, then one obtains $\alpha$, later $Z$, and finally $\beta$. In case of getting $\gamma$ different from zero, extract its value at the end and check that the other parameters are not affected.


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