



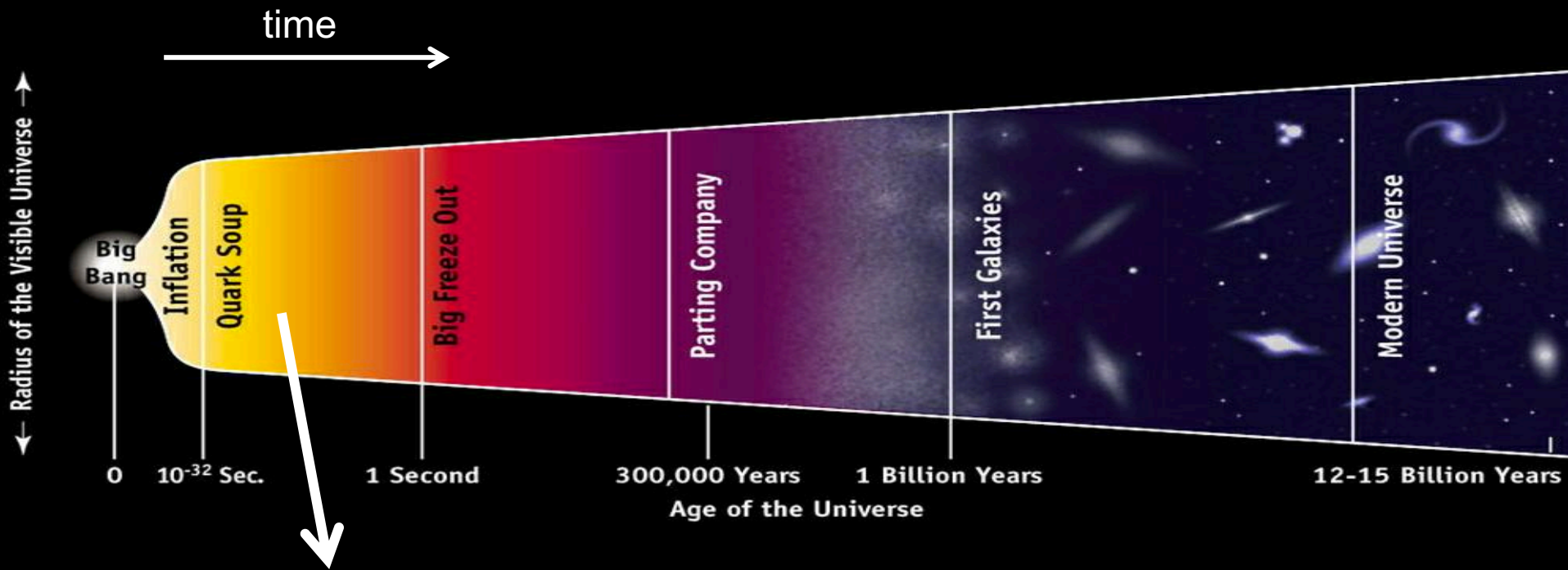
Utrecht University

# Heavy Ion Physics

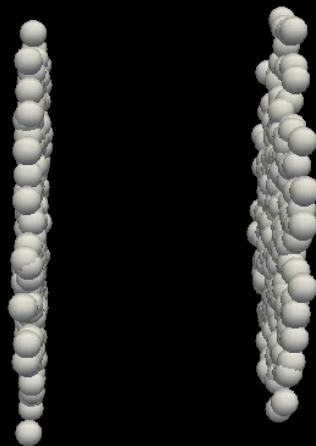
Marta Verweij  
Utrecht University

17th Hadron Collider Physics Summer School  
August 26, 2022

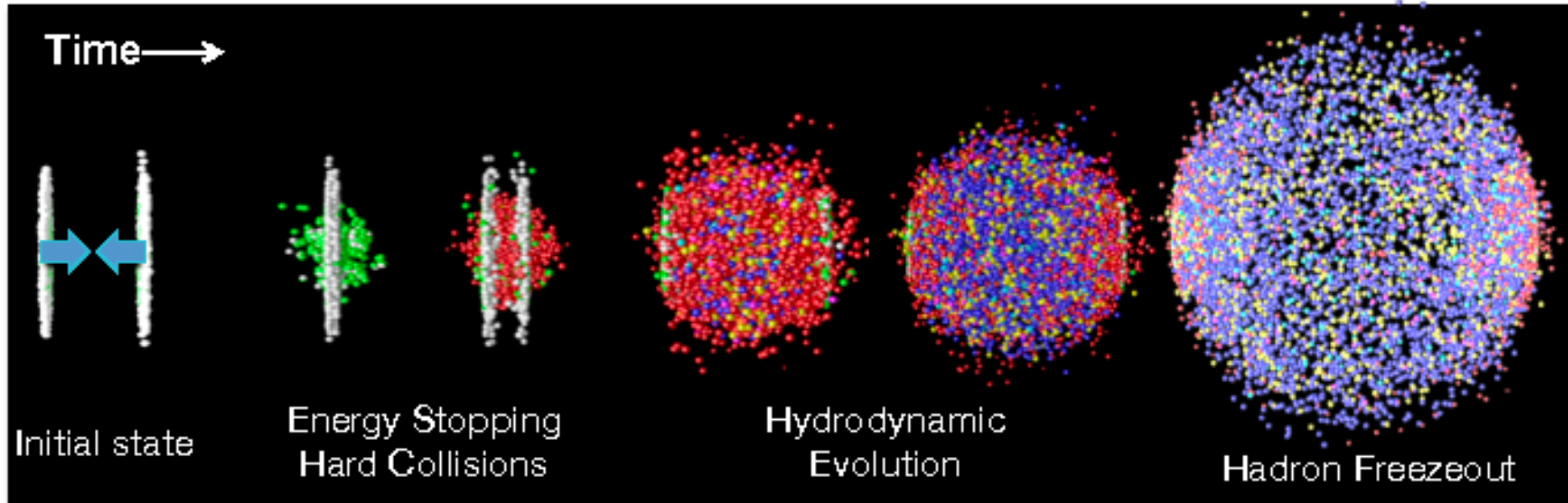
# Big bang



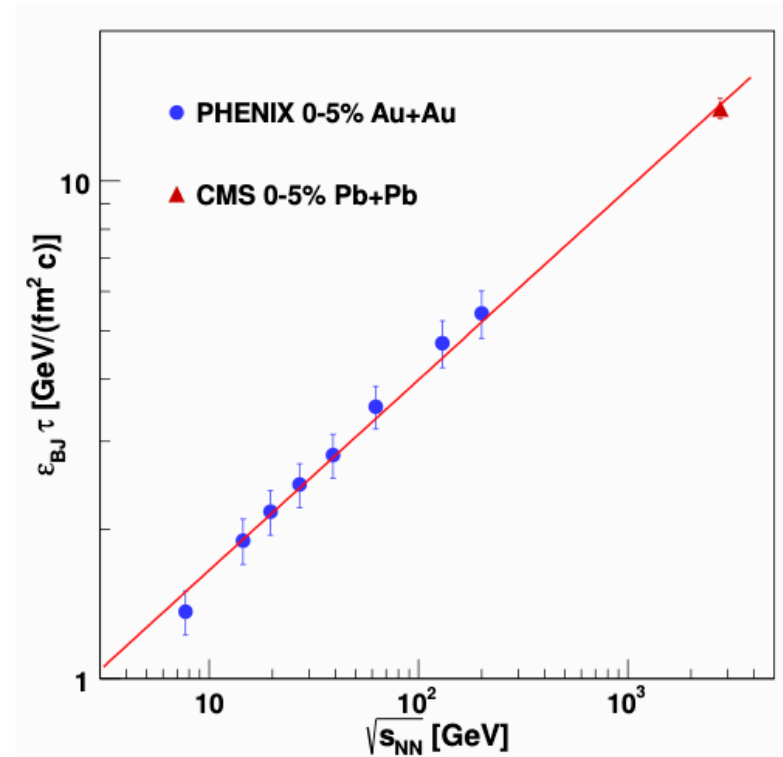
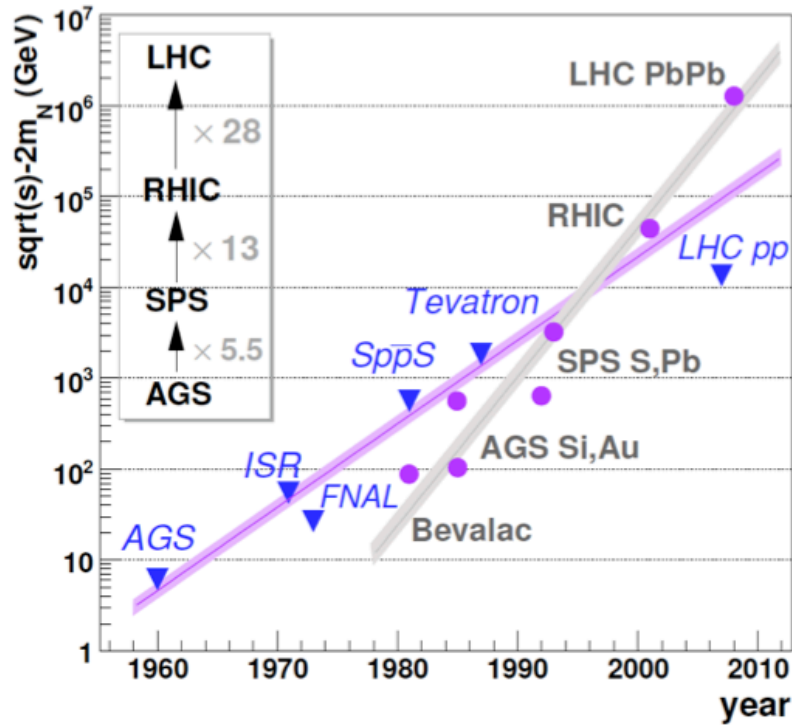
Such quark-gluon soup can be created in the lab: heavy-ion collision  
→ Constrain fundamental properties of hottest matter  
+ how it emerges from fundamental theory (strong interaction)



# Smashing heavy ions



# Heavy-ion colliders



Matter created in heavy-ion collisions has 3-30 times larger energy density than the energy density inside the nucleon

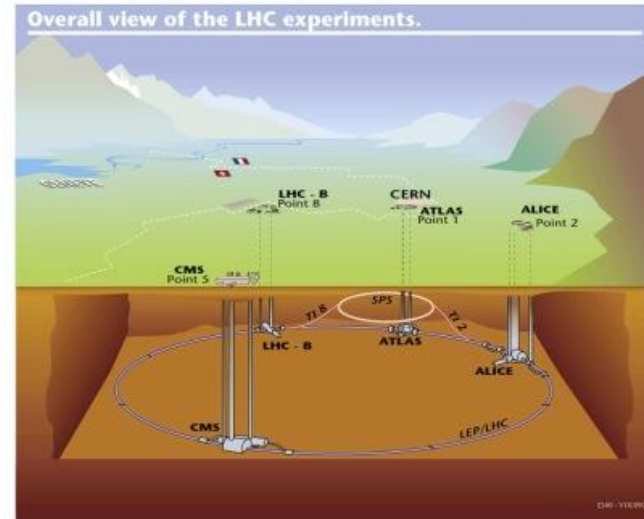
# Heavy-ion colliders

Relativistic Heavy Ion Collider (RHIC)  
Brookhaven National Laboratory  
 $\text{Au+Au } \sqrt{s_{\text{NN}}} = 200 \text{ GeV}$

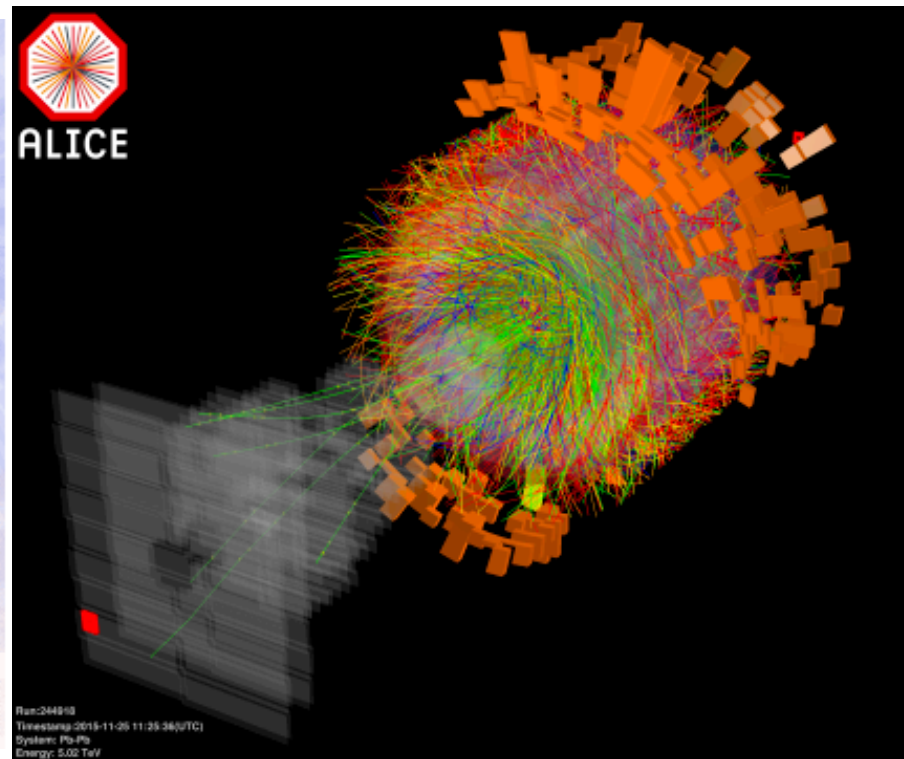
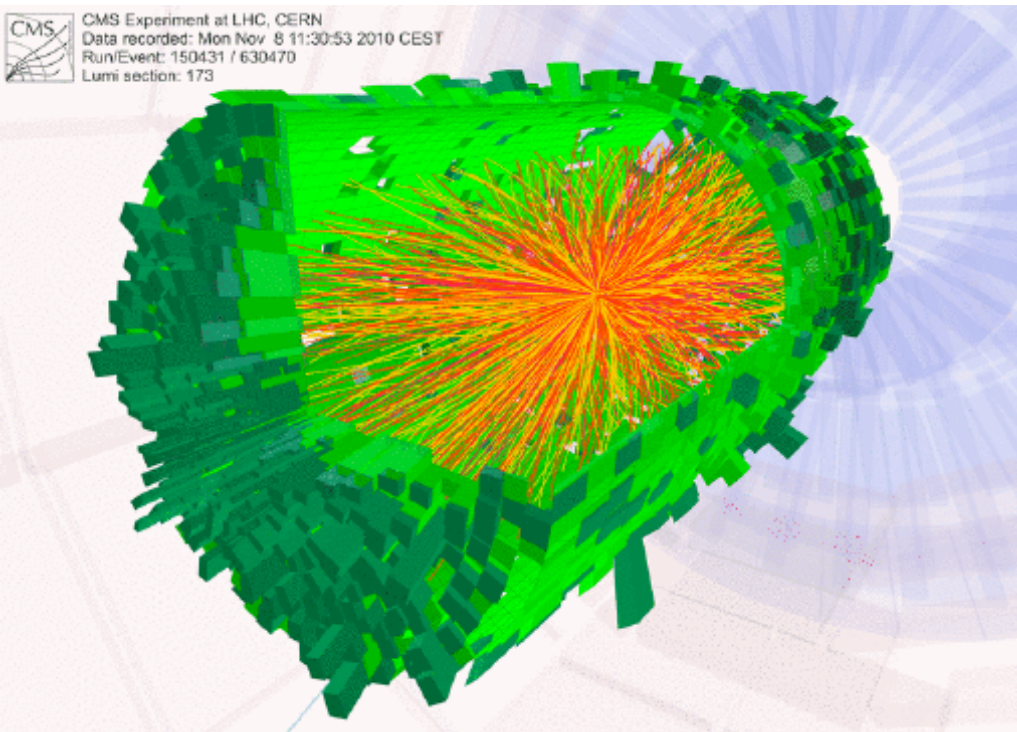


First run: 2000  
STAR, PHENIX, PHOBOS, BRAHMS  
2023: new detector sPHENIX

Large Hadron Collider (LHC)  
CERN  
 $\text{Pb+Pb } \sqrt{s_{\text{NN}}} = 5020 \text{ GeV}$



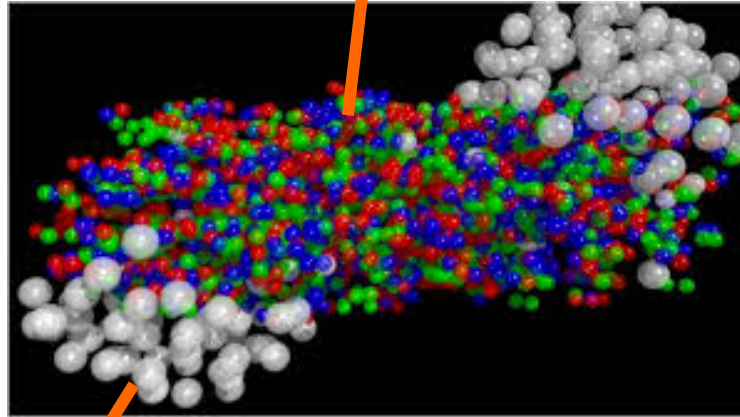
First run: 2010  
ALICE, ATLAS, CMS, LHCb



Thousands of particles are produced in one heavy-ion collision

# Probing the QGP

Participants forming hot matter: mixture of quarks and gluons (QGP)  
Result of the part of the nuclei that do collide



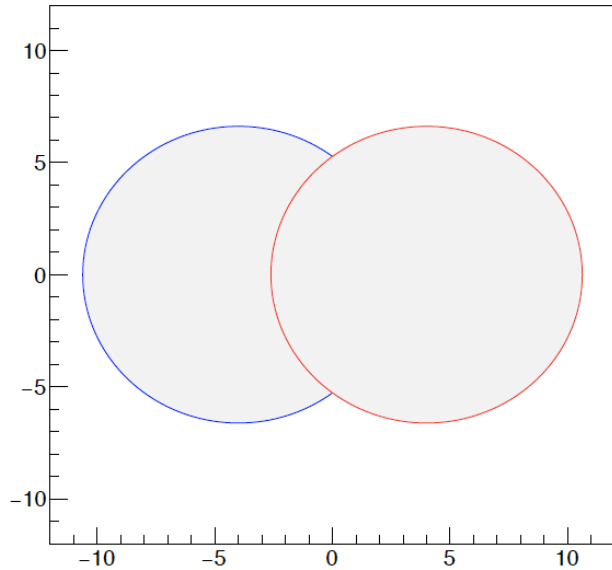
Spectators

Part of the nuclei that do not collide



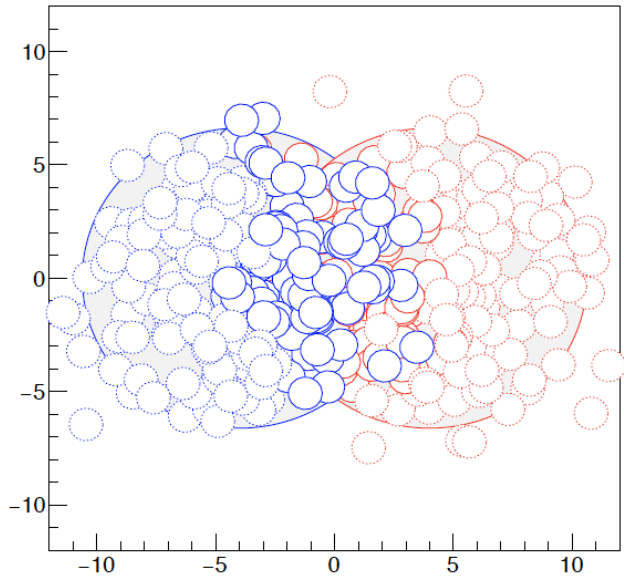
# Azimuthal anisotropy

MC event: location of nucleons



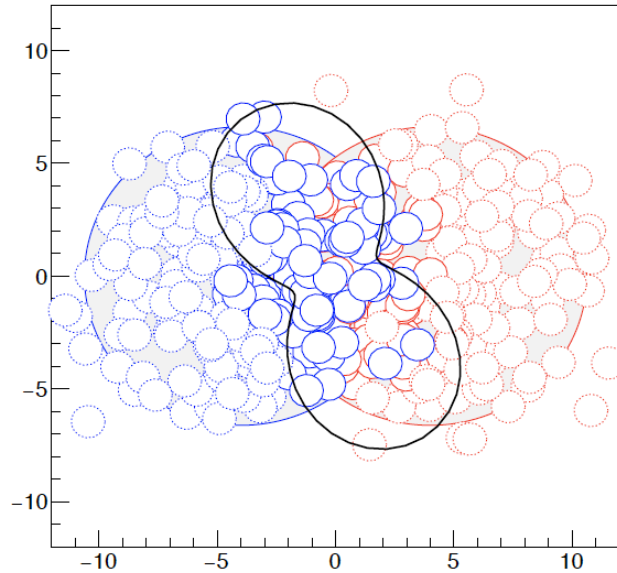
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# Azimuthal anisotropy

MC event: location of nucleons



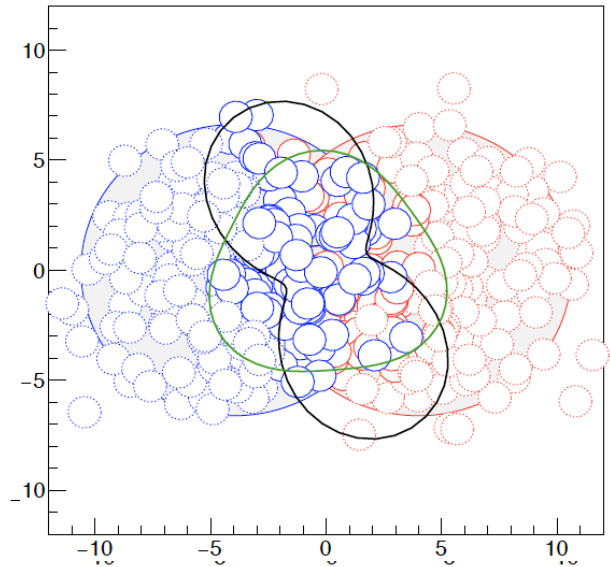
$n=2$

Characterise shape by angular moments:

$$\varepsilon_n = \frac{\sum r^2 (\cos^2 n\varphi + \sin^2 n\varphi)}{\sum r^2}$$

# Azimuthal anisotropy

MC event: location of nucleons



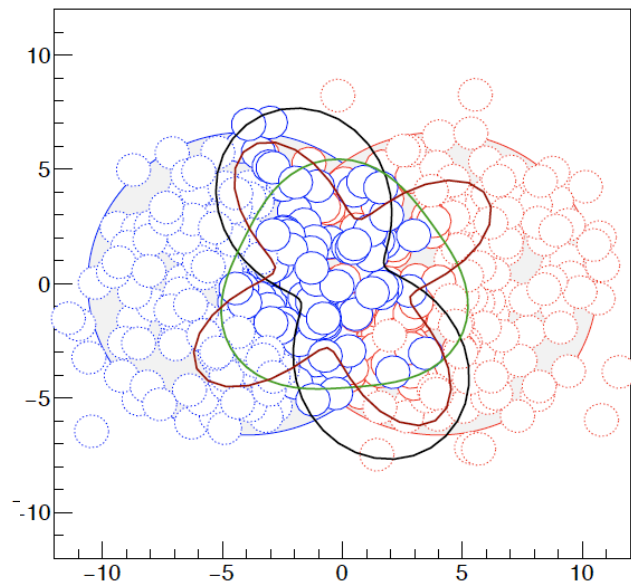
n=2  
n=3

Characterise shape by angular moments:

$$\varepsilon_n = \frac{\sum r^2 (\cos^2 n\varphi + \sin^2 n\varphi)}{\sum r^2}$$

# Azimuthal anisotropy

MC event: location of nucleons



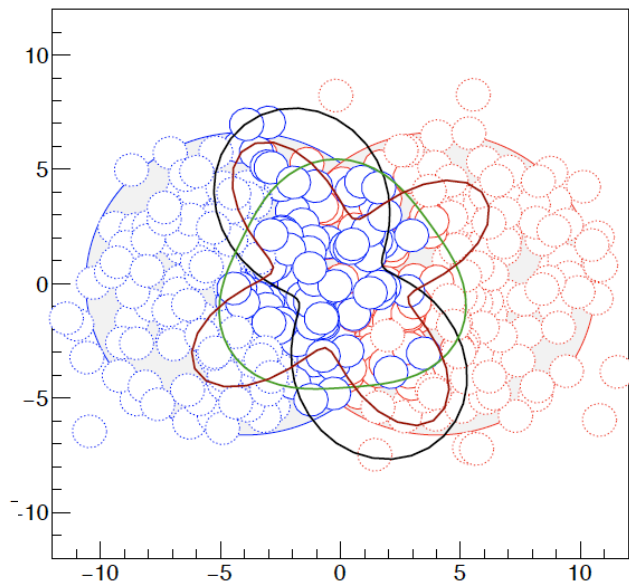
n=2  
n=3  
n=4

Characterise shape by angular moments:

$$\varepsilon_n = \frac{\sum r^2 (\cos^2 n\varphi + \sin^2 n\varphi)}{\sum r^2}$$

# Azimuthal anisotropy

MC event: location of nucleons

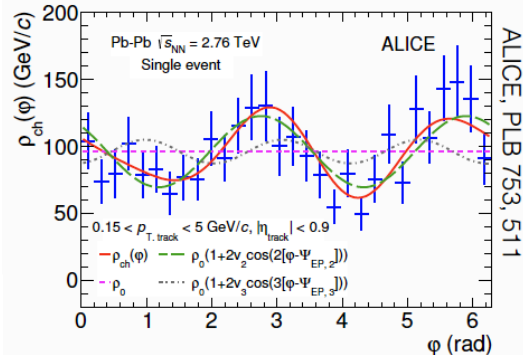


n=2  
n=3  
n=4

$$\nabla p = \rho \frac{d\vec{v}}{dt}$$

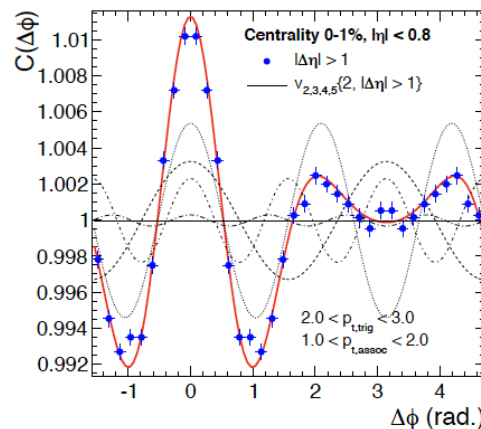
Initial state spatial anisotropies  $\varepsilon_n$  are transferred into  
final state momentum anisotropies  $v_n$   
by pressure gradients, flow of the Quark Gluon Plasma

Azimuthal distribution single event



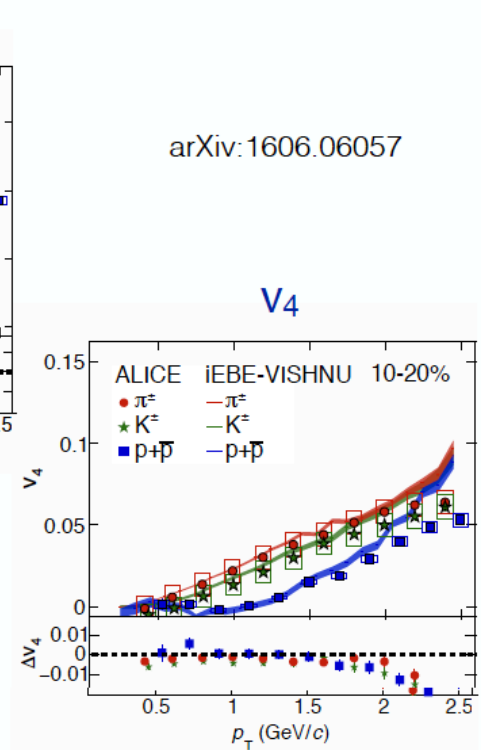
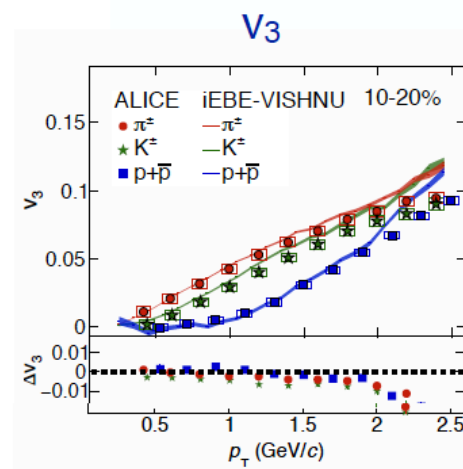
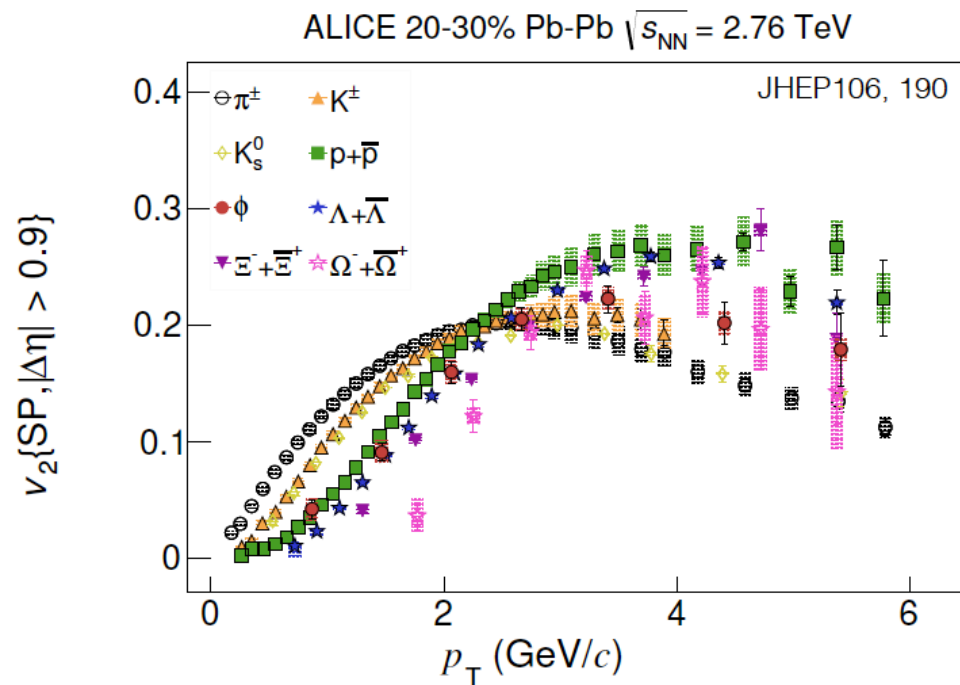
ALICE, PLB 753, 511

Sum over many events



ALICE PRL 107, 032301

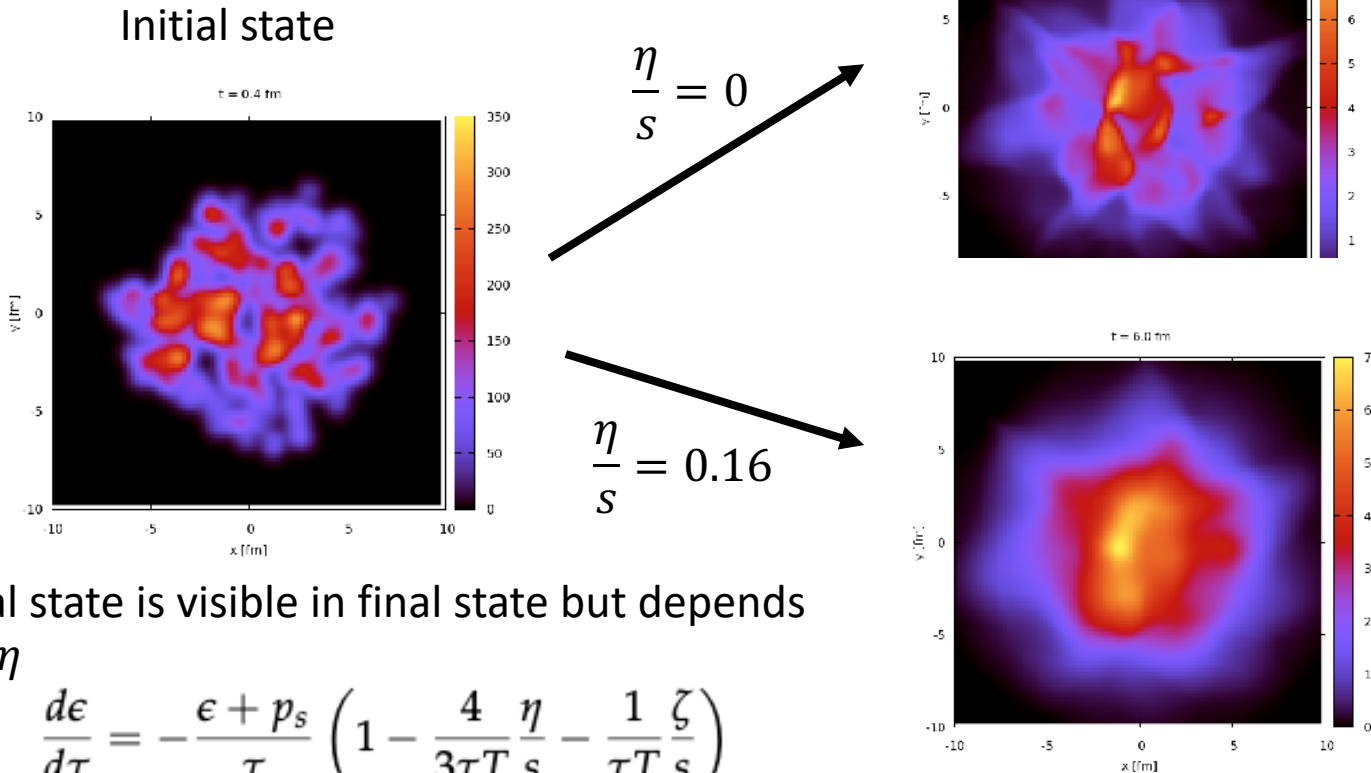
# Anisotropic flow: experimental results



I-PUB-82677

Mass-dependence of  $v_2 \rightarrow$  flow velocity,  $p = \gamma m \beta$

# Shear viscosity and dissipation



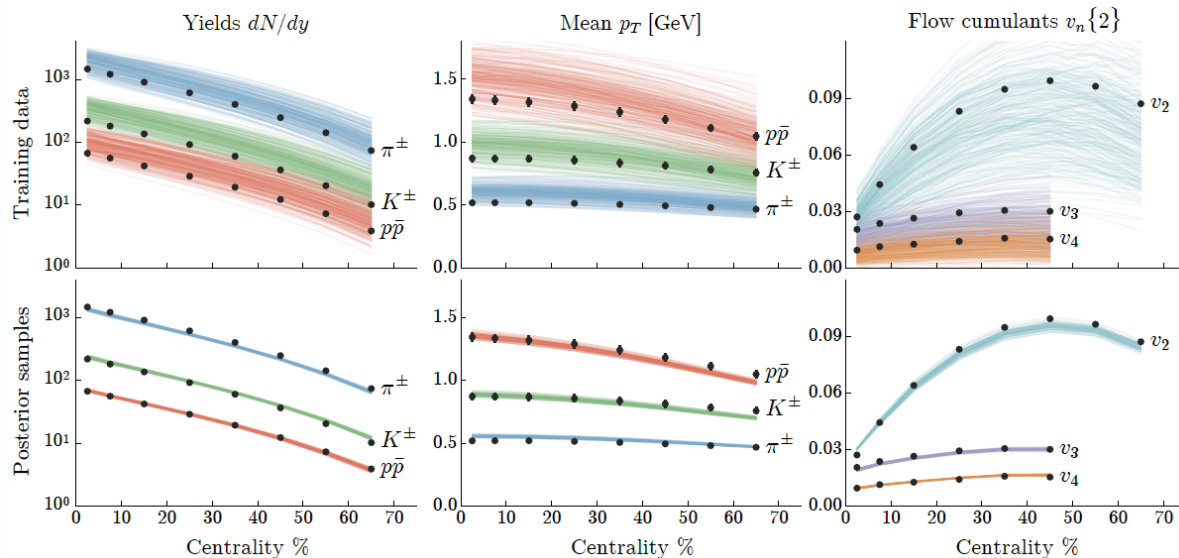
Lumpiness of initial state is visible in final state but depends on shear viscosity  $\eta$

$$\frac{d\epsilon}{d\tau} = -\frac{\epsilon + p_s}{\tau} \left( 1 - \frac{4}{3\tau T} \frac{\eta}{s} - \frac{1}{\tau T} \frac{\zeta}{s} \right)$$



# Global fit

Experimental input: single particle yields, mean  $p_T$ , flow



J. E. Bernhard et al,  
arXiv: 1605.03954

Explore large parameter space: test reliability of the modelling  
Model: initial anisotropies + medium response

# Global fit

J. E. Bernhard et al,  
arXiv: 1605.03954

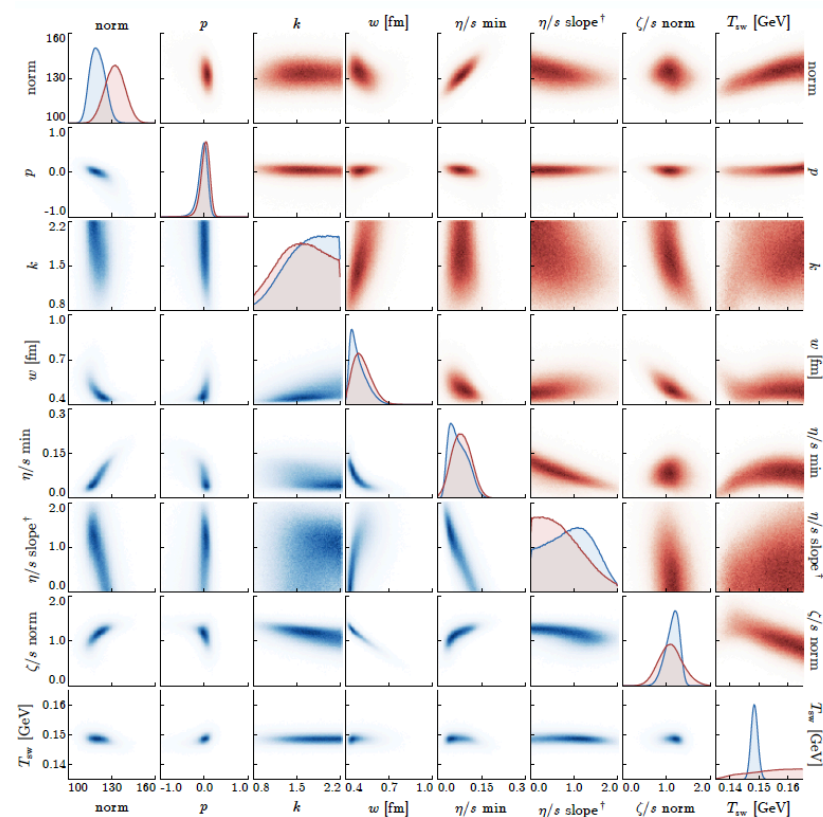
Model: initial state + hydrodynamics

$$\begin{pmatrix} v_1 \\ v_2 \\ \vdots \\ v_n \end{pmatrix} = \begin{pmatrix} \text{Response} \end{pmatrix} \begin{pmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \vdots \\ \varepsilon_n \end{pmatrix}$$

$\varepsilon_n$  : initial spatial anisotropies from initial state model

$v_n$  : observed final state momentum anisotropy

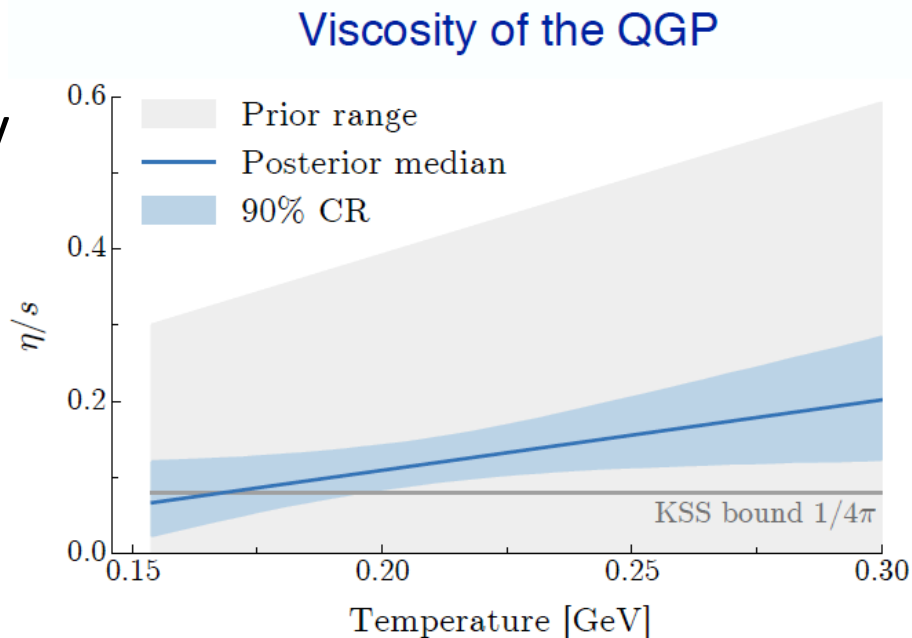
Response: modeled by hydrodynamic evolution



# Global fit: result

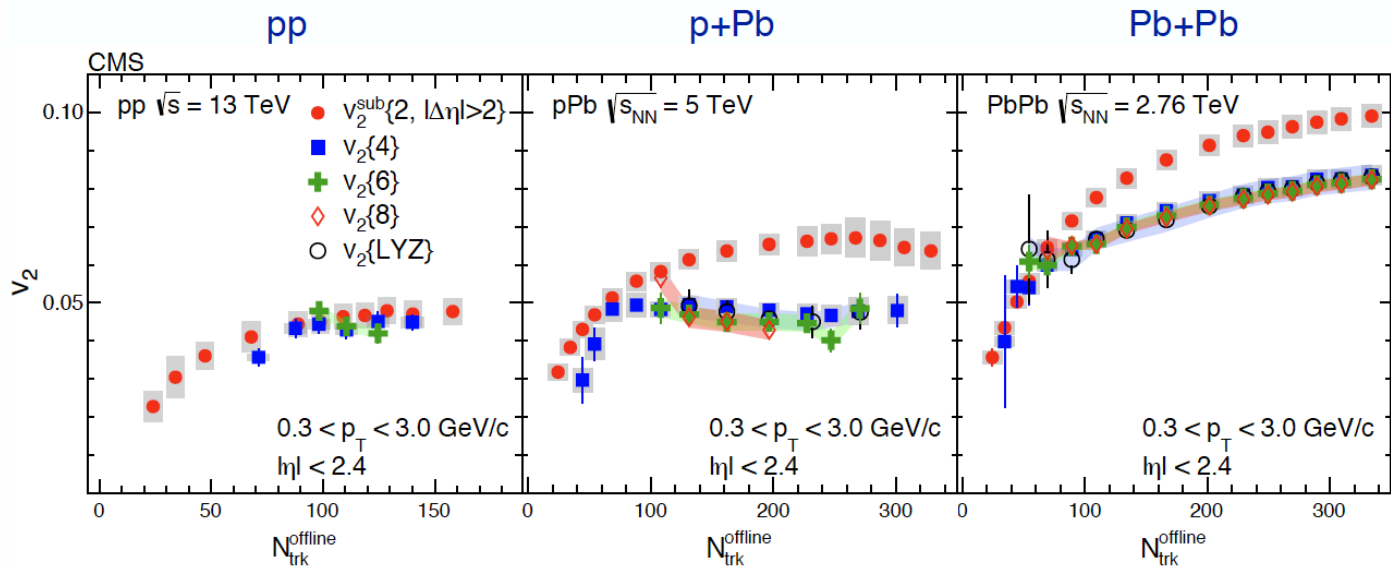
Fit constrains initial state geometry  
and transport properties at the  
same time

Viscosity close to lower bound



# Collectivity in small systems

In smaller systems than QGP created in Pb-Pb collisions, collective behavior of particles is also observed. Unexpected!



CMS-HIN-16-010, arXiv:1606.06198

Why are these smaller systems behaving like a fluid?

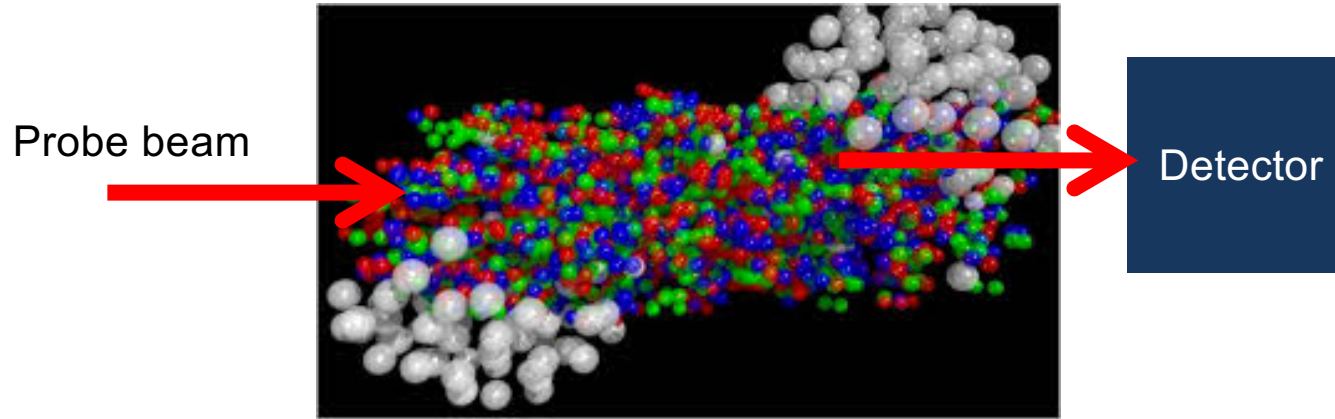
Is there enough time to thermalize?

# Limits on hydrodynamic behavior

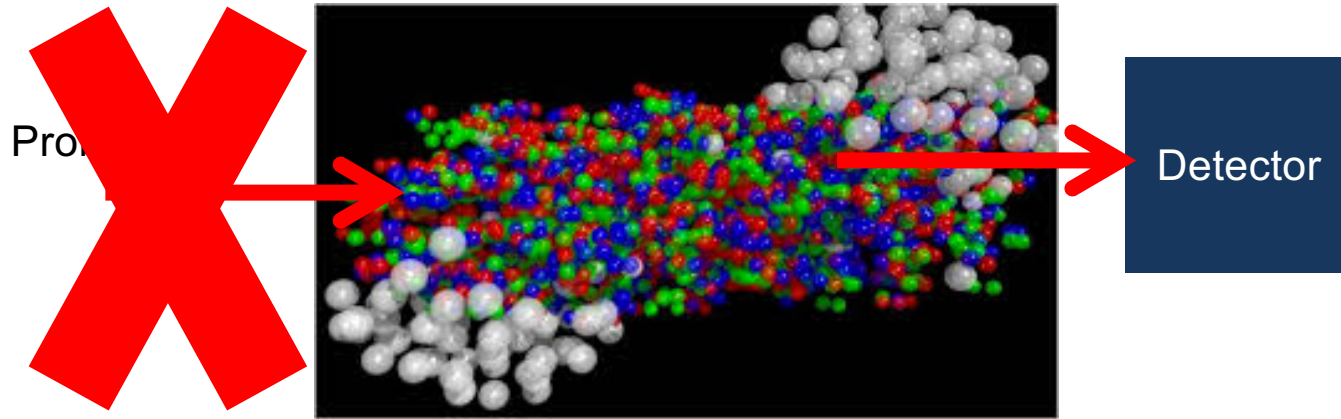
Expect: at least a few collisions for each parton to reach thermal equilibrium and apply hydrodynamics

- System size larger than mean free path ( $R > \lambda$ )  
Would not expect azimuthal asymmetries in pp and p-Pb  
→ Turns out not to be true: asymmetries also generated for  $R < \lambda$
- Thermalization time:  $\tau > \frac{\lambda}{v}$   
Fit to data:  $\tau \approx 0.1 - 1 \text{ fm}/c$   
→ Also too strict: (viscous) hydro describes non-thermal systems

# Probing the QGP

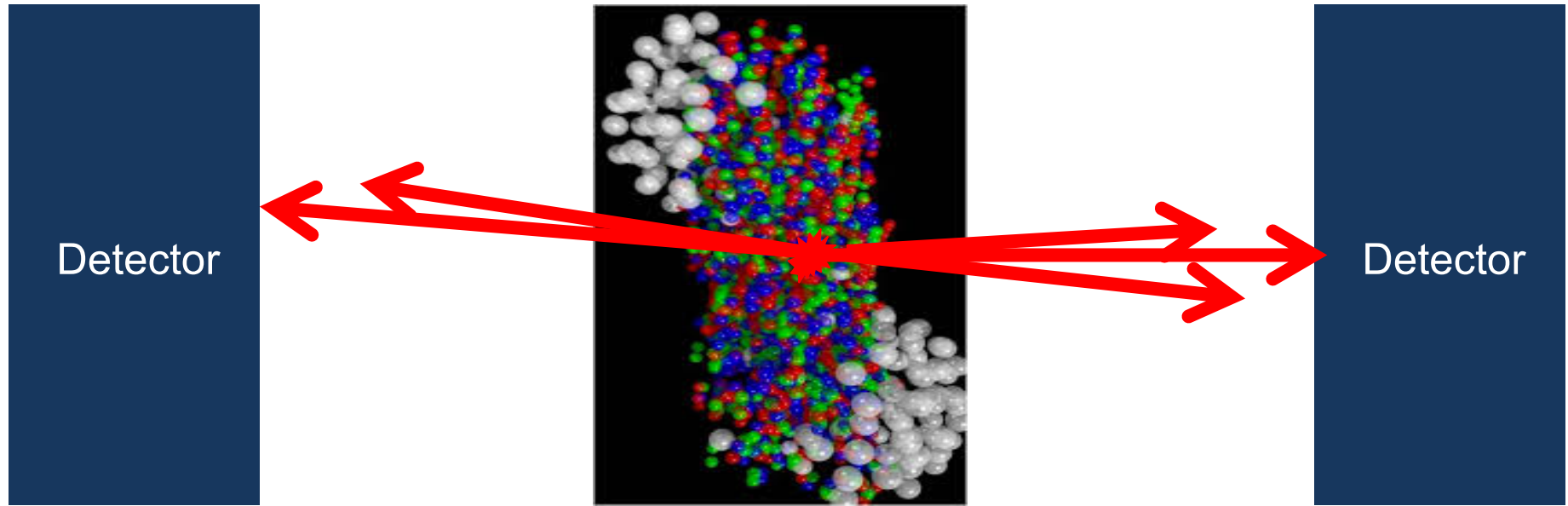


# Probing the QGP



Lifetime of QGP too short ( $\sim 10^{-23}$  sec.) to probe it with an external beam

# Probing the Quark Gluon Plasma



Lifetime of QGP too short ( $\sim 10^{-23}$  sec.) to probe it with an external beam

Instead: use self-generated probes  
→ Quarks and gluons created in a hard scattering



# Hard Probes in QCD matter

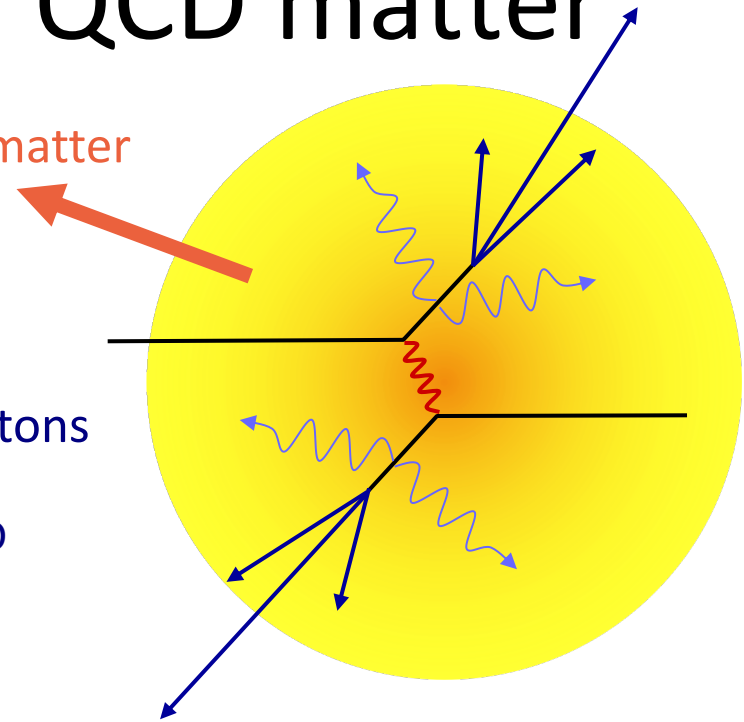
Heavy-ion collisions produce dense QCD matter

→ dominated by soft partons

$$p_T \sim 100-300 \text{ MeV}$$

Hard scatterings produce high energy partons

- Initial state production known from pQCD
- Parton loses energy due to interaction with medium  
→ **medium-induced gluon radiation**



Use hard partons to explore QCD matter

# Hard Probes in QCD matter

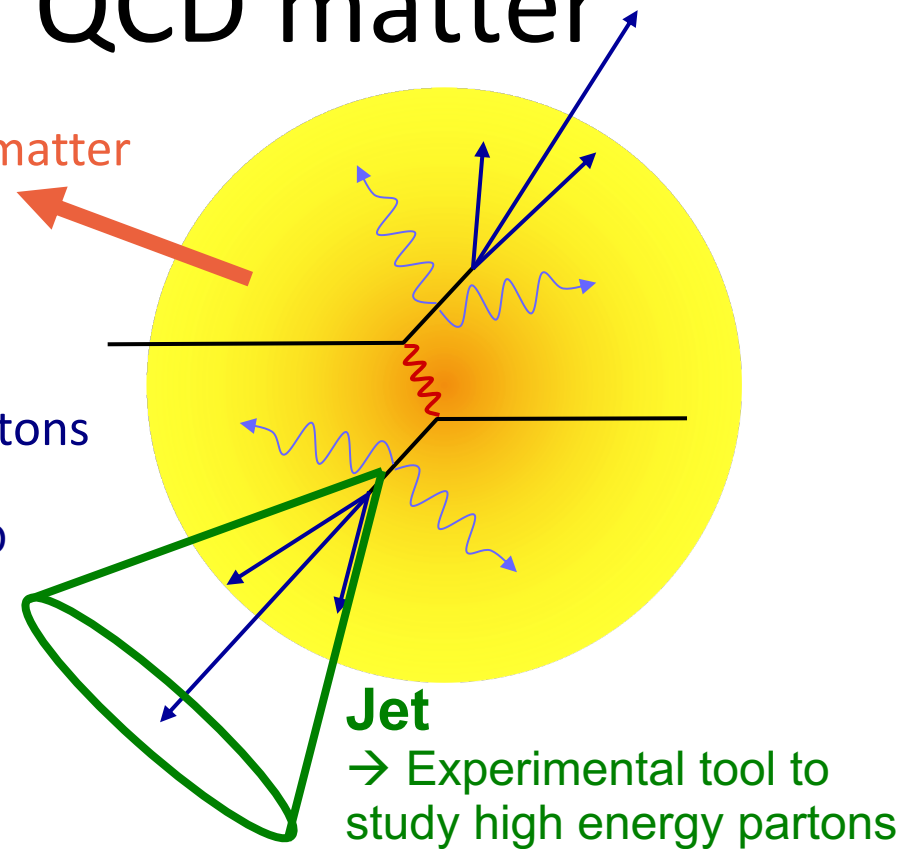
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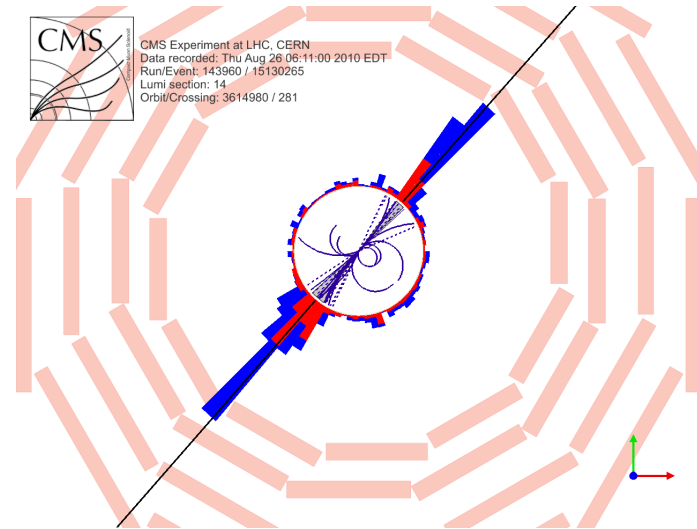
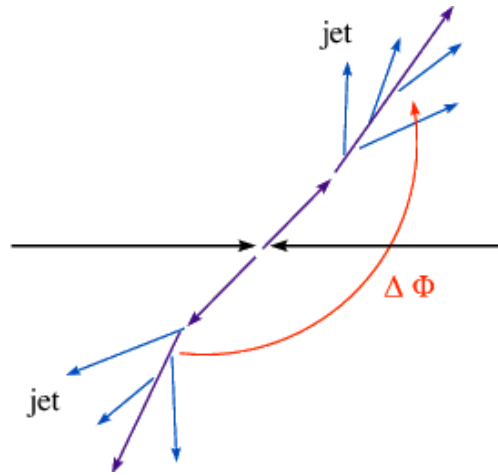


Use hard partons to explore QCD matter

# What is a jet?

The manifestation of quarks and gluons in a particle detector

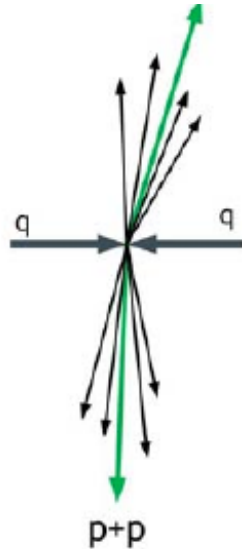
Observed as a collimated spray of high momentum particles



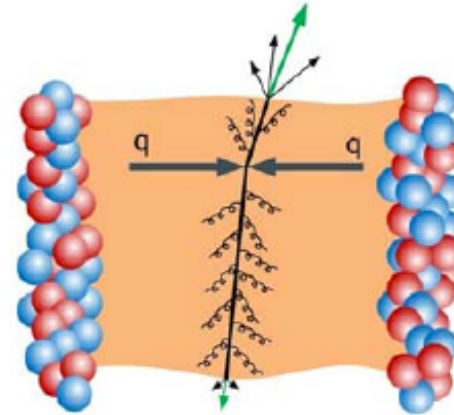
In experiment and theory particles are clustered into a cone  $\rightarrow$  jet

# Jet production in medium

The experimentalist perspective\*



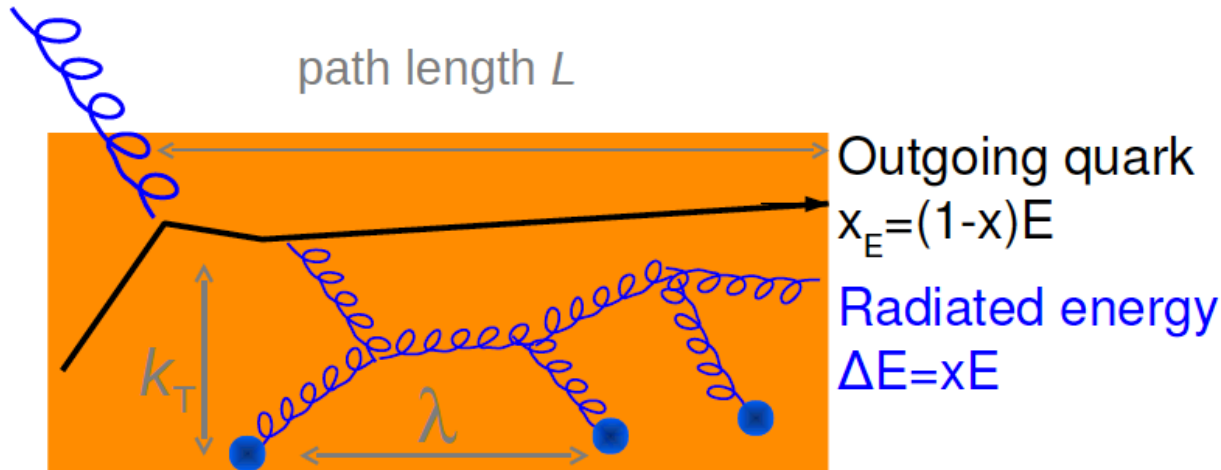
proton-proton (pp) collision  
No QGP created



Heavy-ion collision  
QGP created  
→ additional gluon radiation  
wrt pp collisions

\* according to an experimentalist (me)

# Schematic picture of energy loss mechanism in hot dense matter

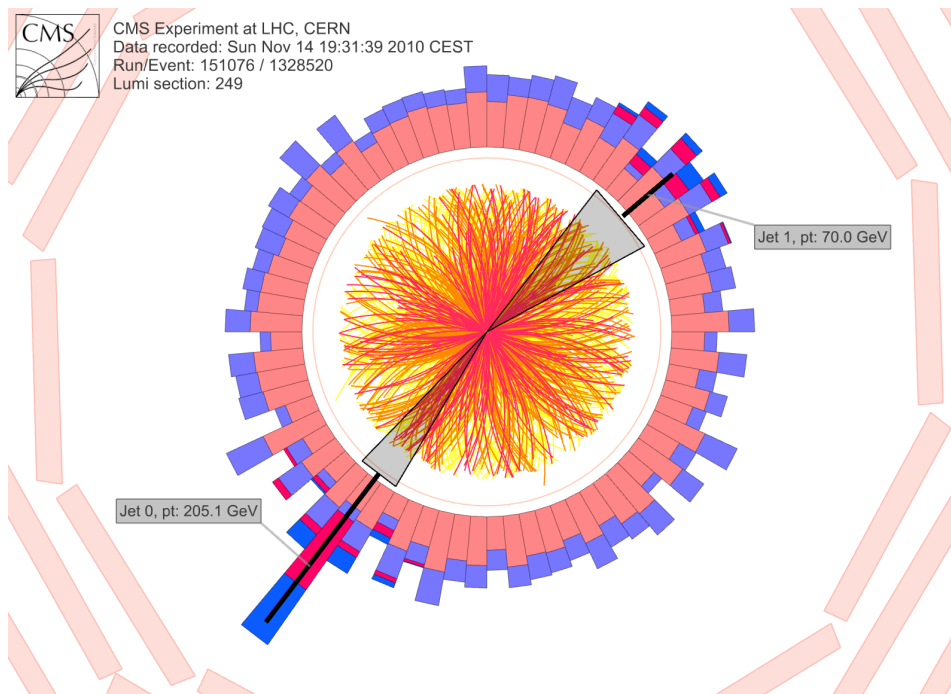


- Energy loss due to gluon bremsstrahlung in a hot dense medium

# Find the jets in heavy-ion collisions

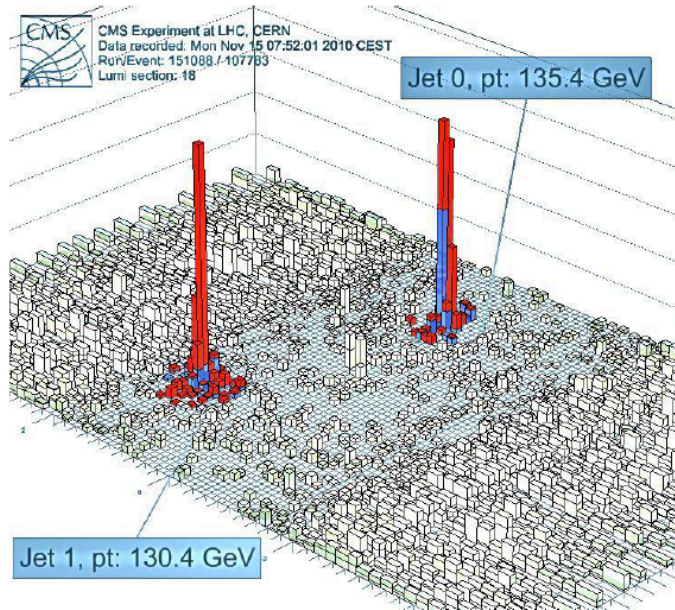
Jets are not so easy to find in a heavy-ion collision

→ Need sophisticated tools for background subtraction

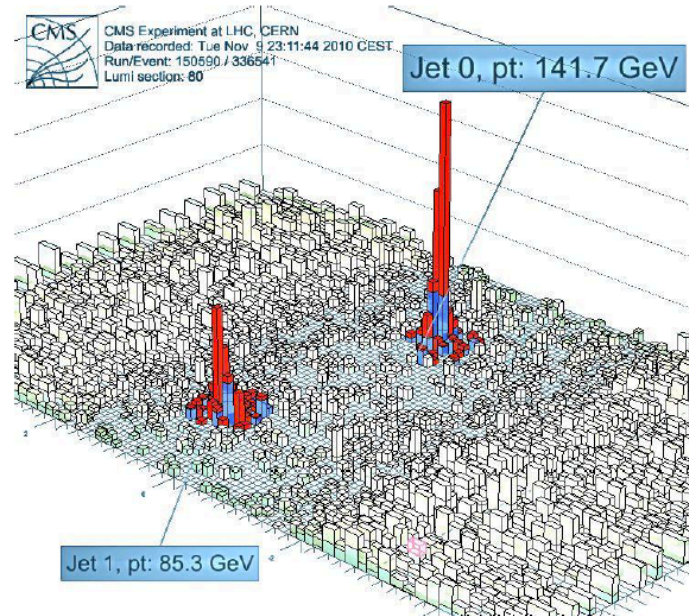


# Dijets in PbPb

First direct observation of jet quenching (Dec. 2010 LHC)



Balanced  
Energy



Unbalanced  
Energy

# Dijets in PbPb

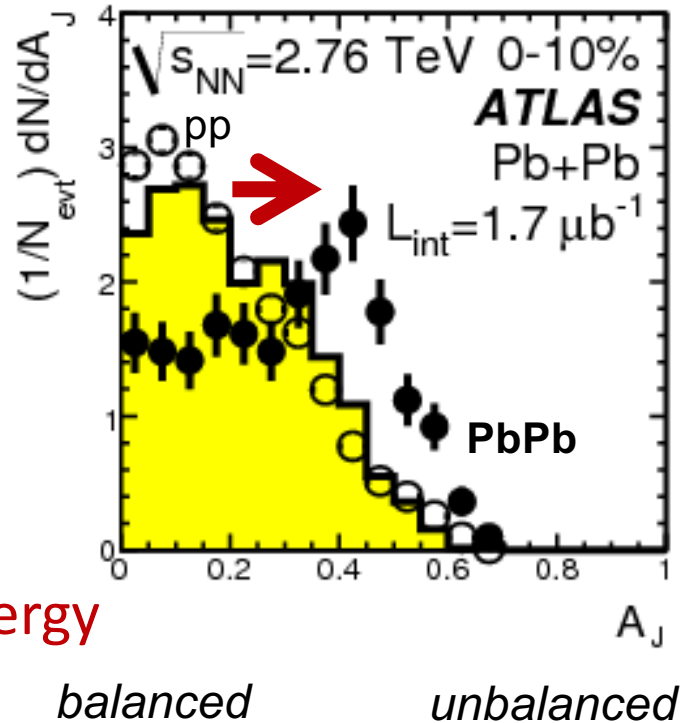
First direct observation of jet quenching (Dec. 2010 LHC)

Jet energy asymmetry

$$A_J = \frac{E_T^{j1} - E_T^{j2}}{E_T^{j1} + E_T^{j2}}$$

In pp: used to calibrate jets

In PbPb: physics signal



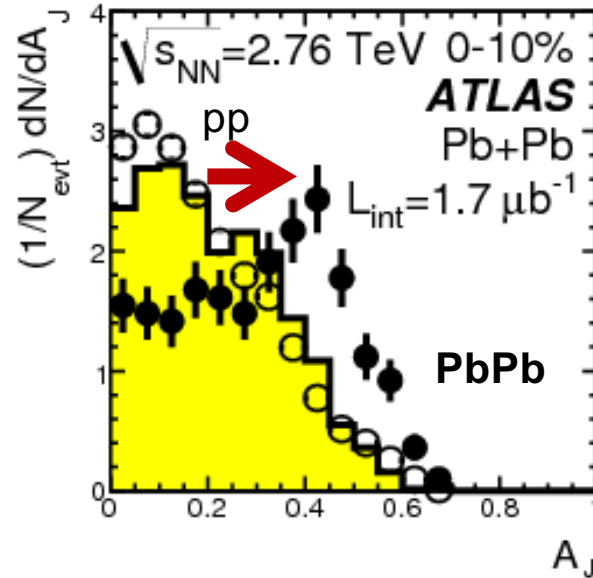
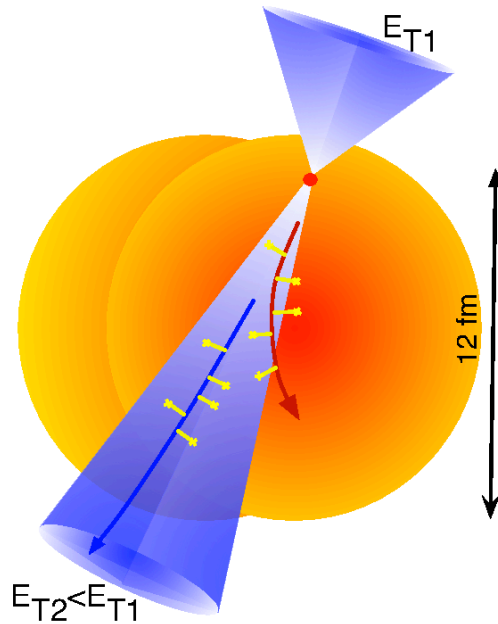
Phys.Rev.Lett. 105:252303,2010

Dijets in PbPb are less balanced in energy



# Dijets in PbPb

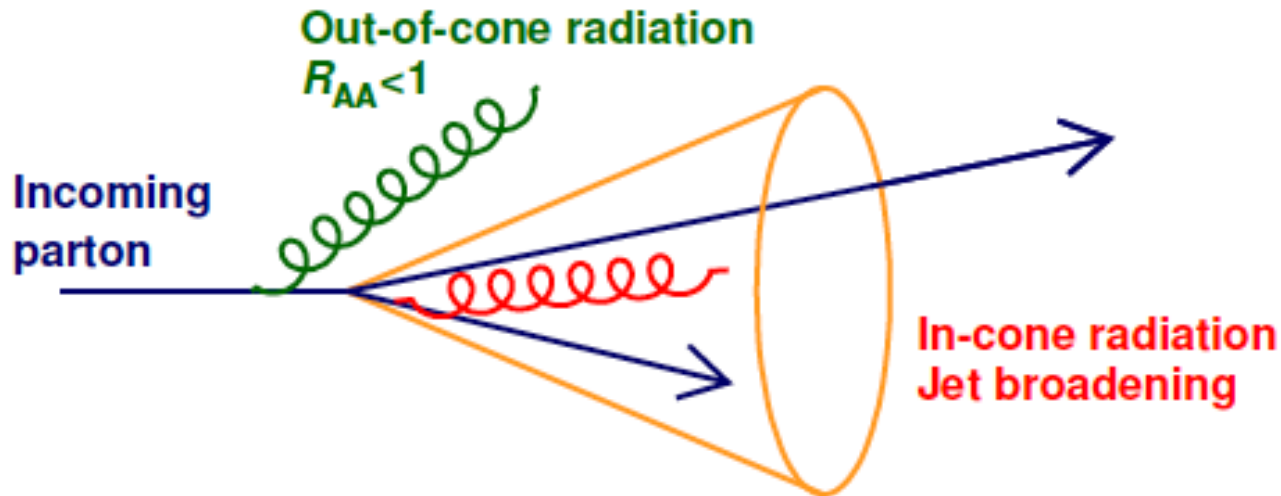
First direct observation of jet quenching (Dec. 2010 LHC)



# Jets in heavy-ion collisions

Due to interactions of the partons with the medium, the jet is modified relative to the jets we see in proton-proton collisions

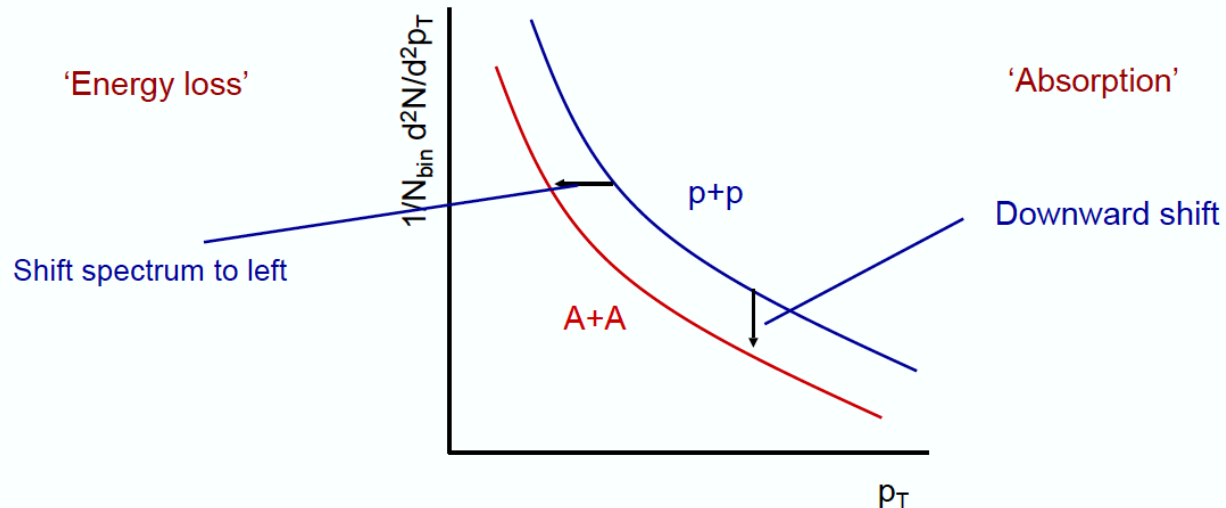
→ **Jet Quenching**



# Nuclear modification factor $R_{AA}$

Nuclear modification is measured by taking ratio between measured yield PbPb and pp collisions

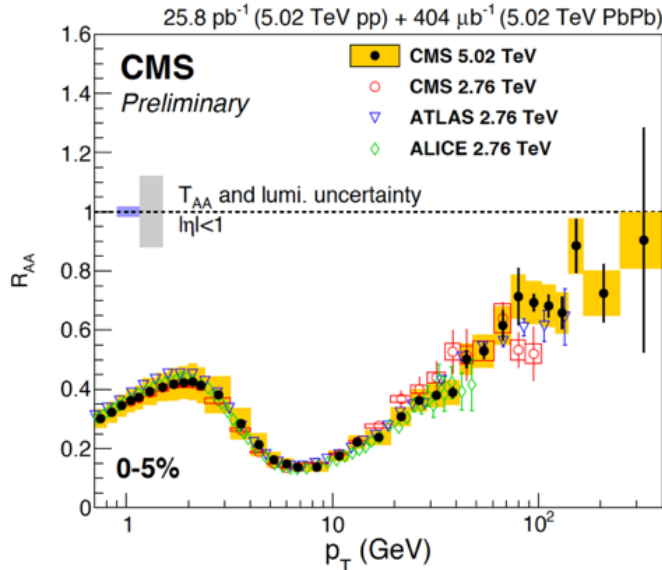
$$R_{AA} = \frac{\sigma_{pp}^{inel} \frac{d^2 N_{AA}}{dp_T d\eta}}{\langle N_{coll} \rangle \frac{d^2 \sigma_{pp}}{dp_T d\eta}}$$



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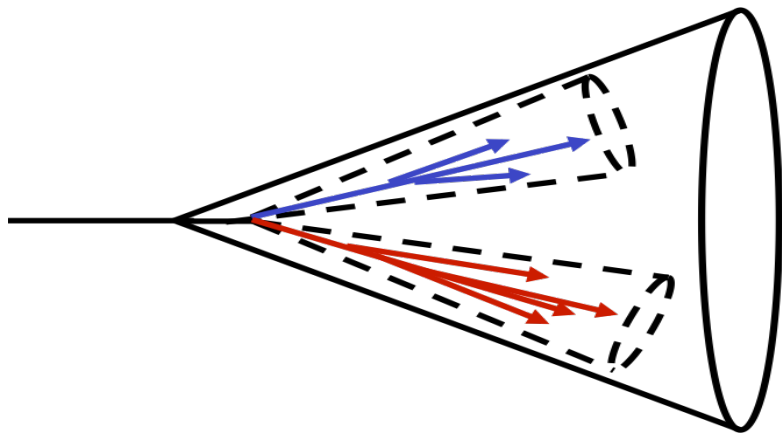


High  $p_T$  hadron production is suppressed by a factor 2-6

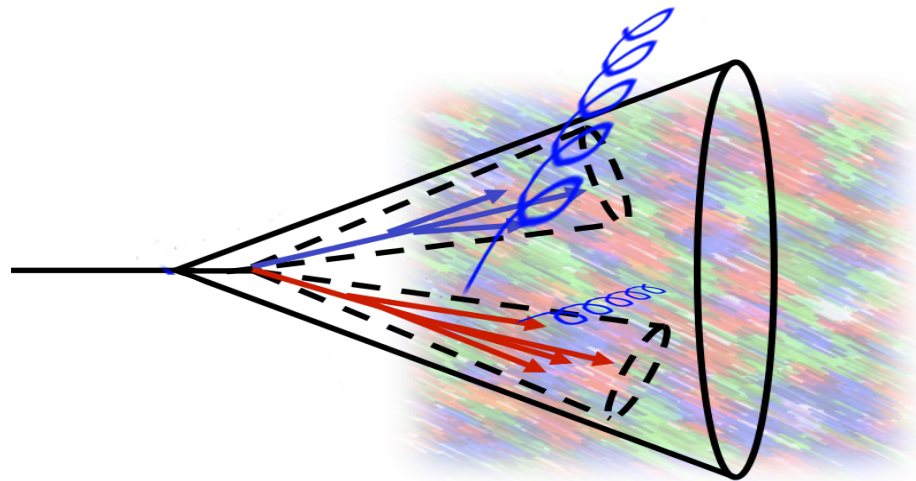
The shape of the distribution is very different from pp  
→ Low  $p_T$ : Radial flow  
→ High  $p_T$ : Jet quenching

# Parton showers

Vacuum



Medium

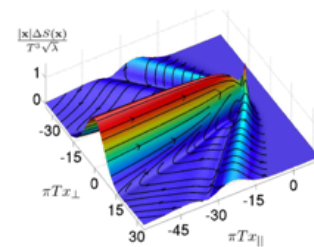
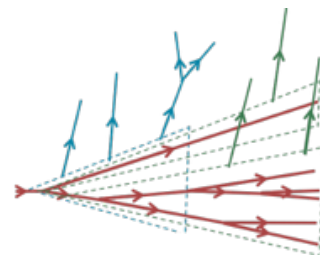
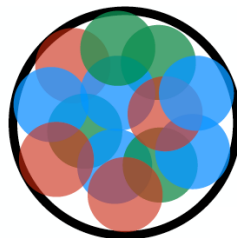
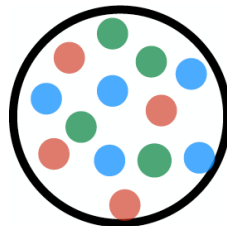


What happens to the parton shower in a hot QCD medium?  
And what does that tell us about this medium?

# Probing the Quark Gluon Plasma

Two descriptions for parton interaction with QGP:

- Weak coupling (pQCD)  
medium-induced radiation
- Strong coupling (AdS/CFT)  
energy damped into the medium



How to disentangle?

Study the various stages of jet formation

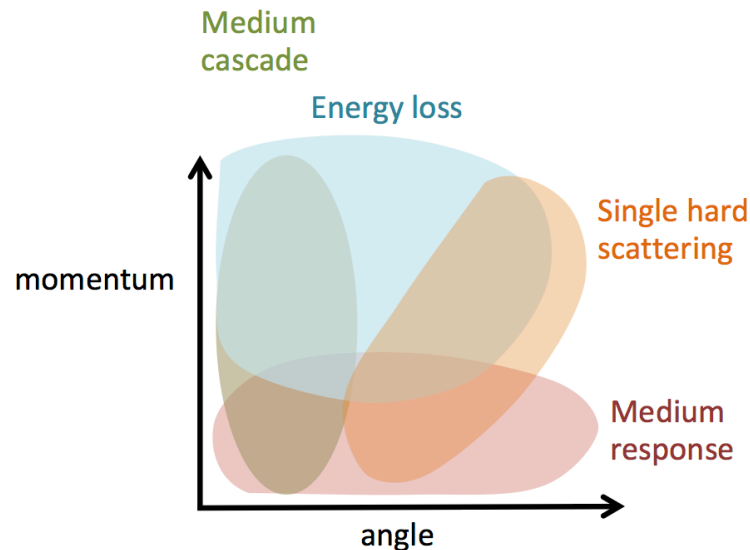
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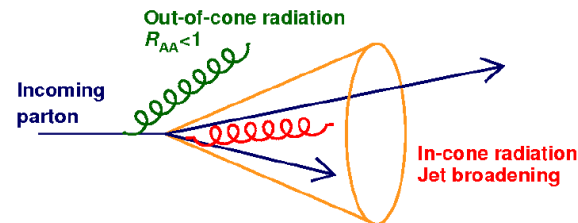
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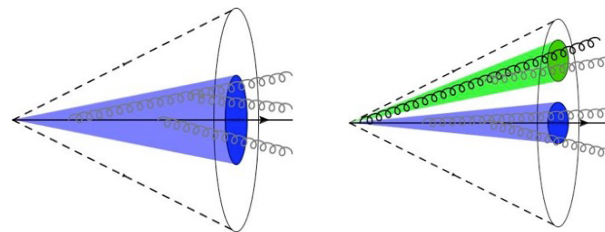


# Jet modification in hot QCD medium

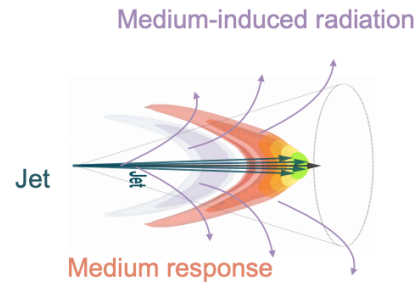
Medium-induced energy loss



Coherence effects



Medium recoil

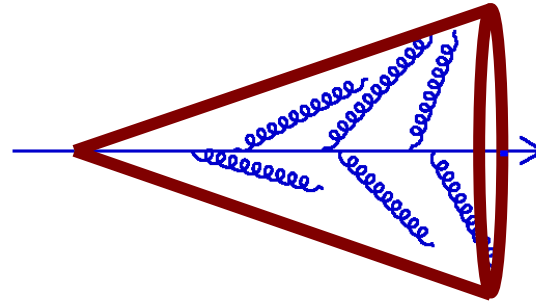




# What is jet substructure?

Dynamics of particles inside the jet

Two scales: angular + momentum space



Fragmentation  
Functions



*Single hadron*

Classic  
Jet Shapes



*All hadrons*

Groomed  
Observables



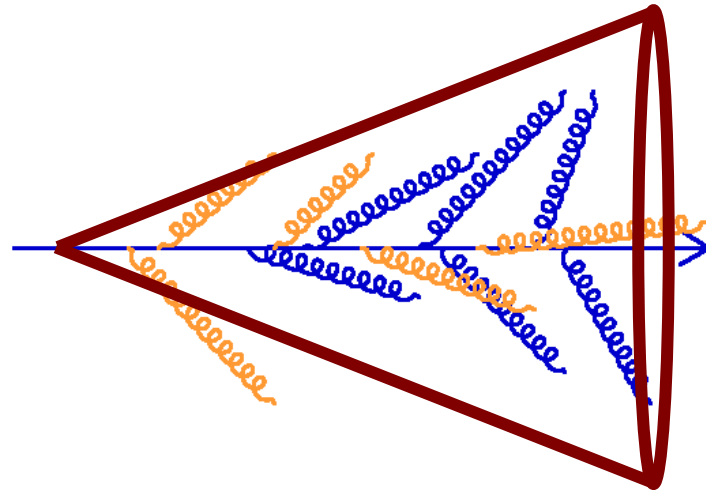
*Subset of hadrons*

Sketches by  
J. Thaler

# Why jet substructure?

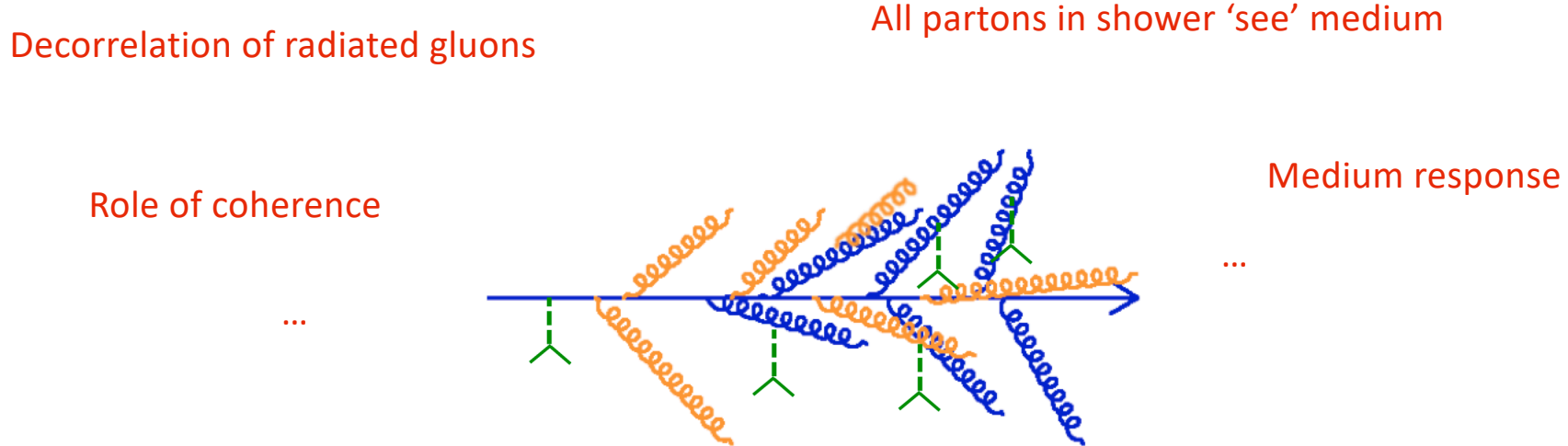
Structure of quenched jet different from unquenched?

- How is the parton shower modified?
- What is the exact mechanism modifying the shower?
- Can we relate shower modifications to medium properties?



# The complication

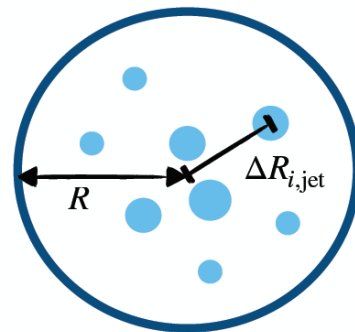
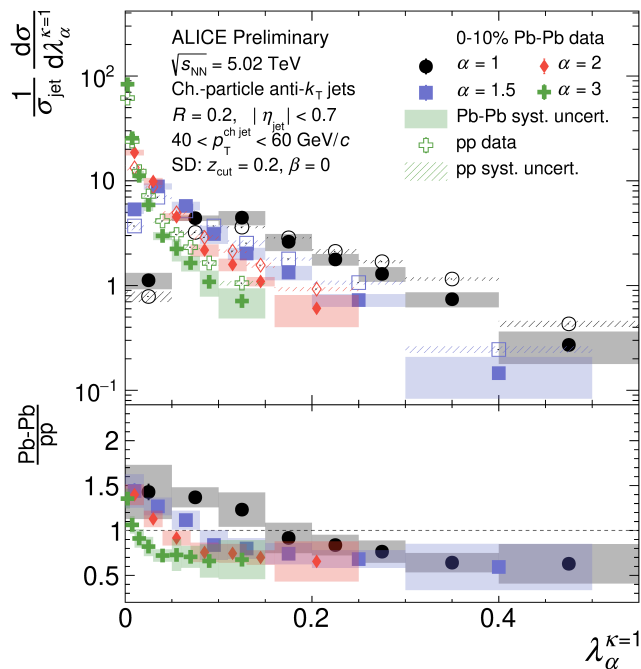
In experiment we see the end of the parton shower.  
A convolution of many effects. Multi-scale problem



Each jet observable has different sensitivity

# Jet angularities vs models

Small jets:  $R=0.2$



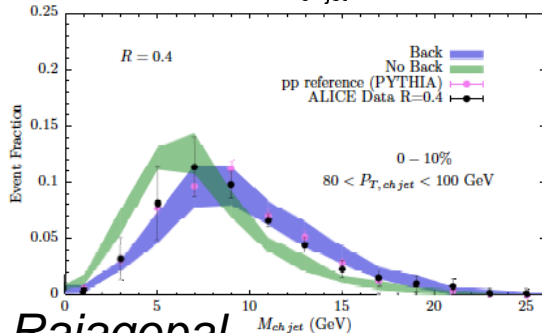
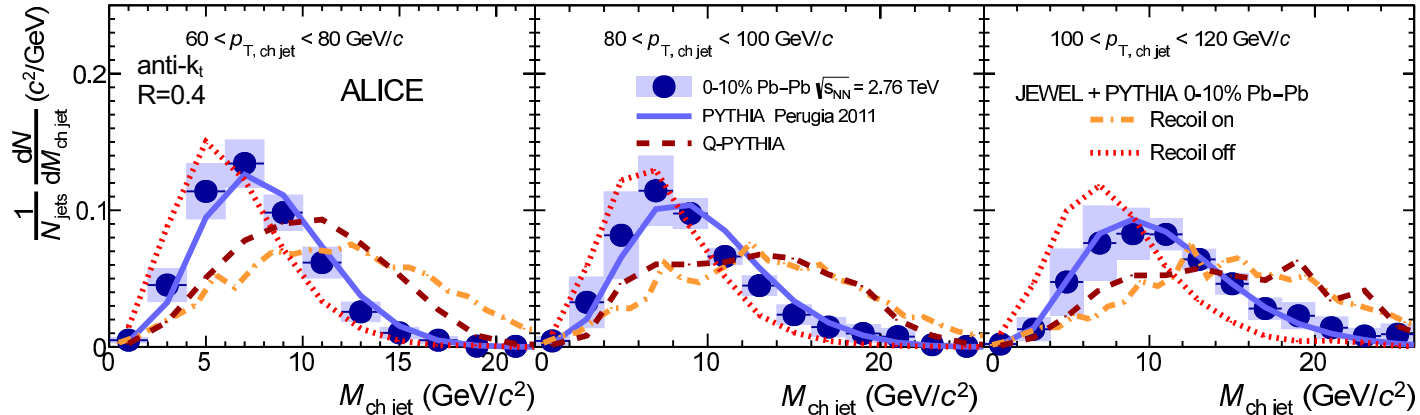
$$\lambda_\alpha \equiv \sum_{i \in \text{jet}} z_i \theta_i^\alpha$$

$z_i \equiv \frac{p_{T,i}}{p_{T,jet}}$ 
 $\theta_i \equiv \frac{\Delta R_{i,jet}}{R}$

Selected jets are narrower in Pb-Pb collisions  
 For small jets, medium response small effect

# Jet mass

Small mass: collimated jet, small number of constituents. Low virtuality  
 Large mass: broad jet, large number of constituents. High virtuality



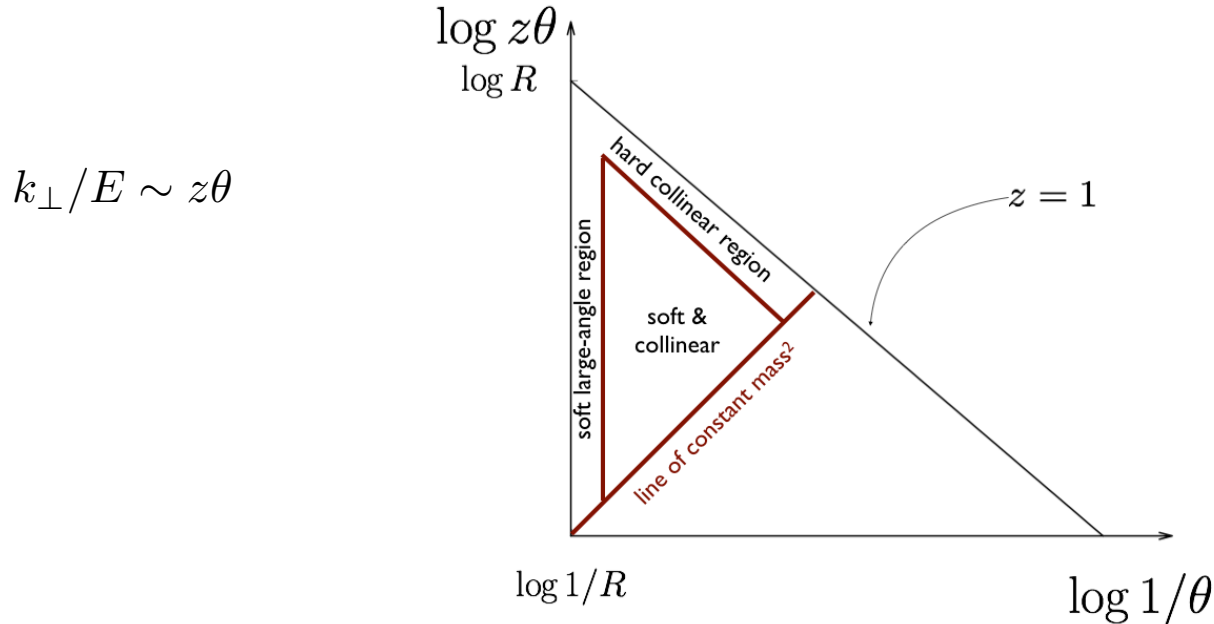
Data looks like PYTHIA  
 No modification?

arXiv:1702.00804

Competing effects from energy loss and medium response in JEWEL and Hybrid model.

# The Lund diagram

Just a plane to depict parton splittings



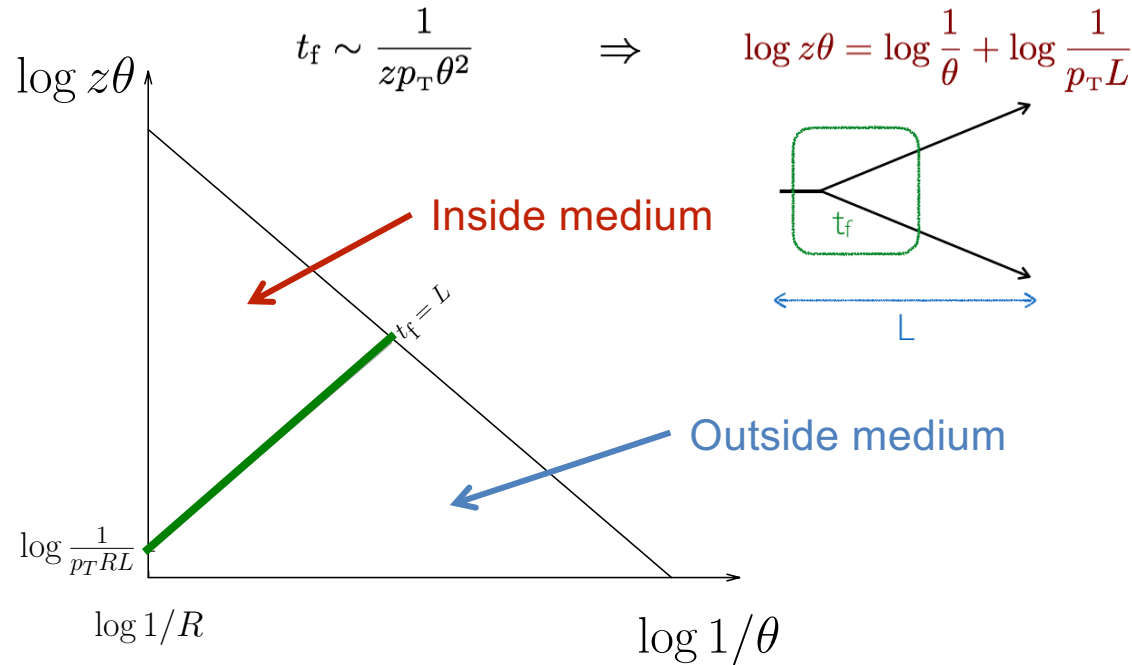
Triangle uniformly filled for a vacuum parton shower at LO

B. Andersson, G. Gustafson, L. Lönnblad and U. Petterson, Z. Phys. C 43 (1989) 625

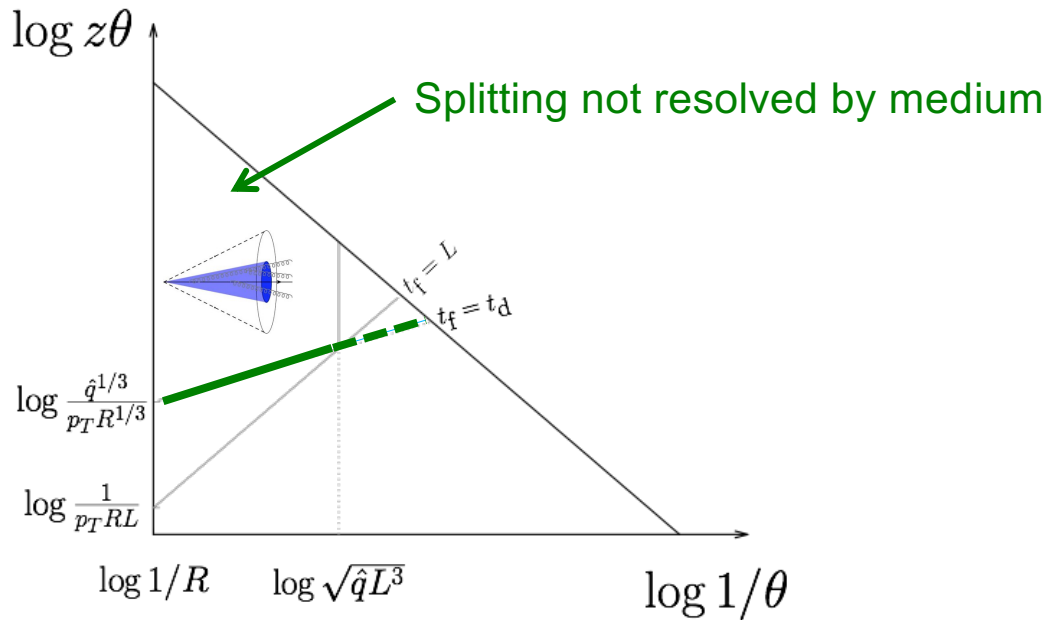
F. Dreyer, G. Salam, G. Soyez arXiv:1807.04758

# In or outside the medium

A splitting can either occur inside or outside the medium  
→ depends on the formation time of the splitting



# Coherent or incoherent splitting



Formation time:  $t_f \sim \frac{1}{z p_T \theta^2}$

Decoherence time:  $t_d \sim \frac{1}{(\hat{q} \theta^2)^{1/3}}$

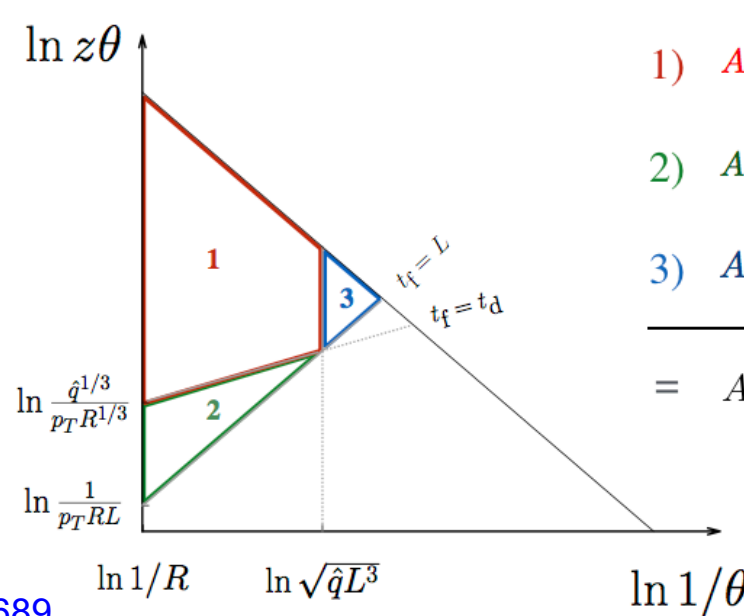
$$\log z\theta = \frac{1}{3} \log \frac{1}{\theta} + \log \frac{\hat{q}^{1/3}}{p_T},$$



# Phase space in medium

3 regions for a splitting happening in medium

- 1) vacuum-like splitting inside medium that will be quenched
- 2) medium-induced splitting  $\rightarrow$  not uniform in Lund plane
- 3) unresolved splitting



$$1) A_{t_f < t_d < L} = \frac{1}{2} \ln \frac{R^2}{\theta_c^2} \left( \ln \frac{p_T}{\omega_c} + \frac{1}{3} \ln \frac{R^2}{\theta_c^2} \right)$$

$$2) A_{t_d < t_f < L} = \frac{1}{12} \ln^2 \frac{R^2}{\theta_c^2}$$

$$3) A_{t_f < L < t_d} = \frac{1}{4} \ln^2 \frac{p_T}{\omega_c}$$

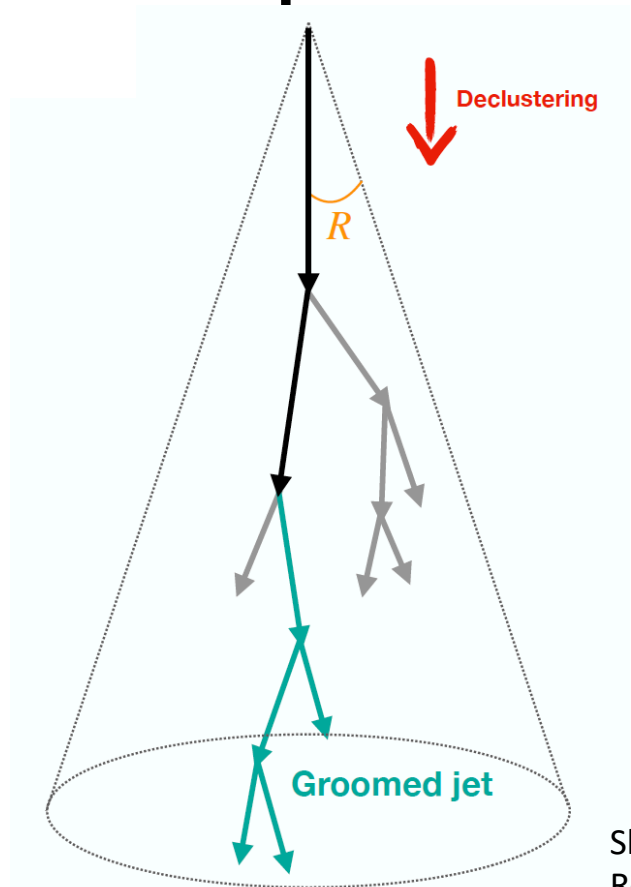
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$$= A_{t_f < L} = \frac{1}{4} \ln^2 p_T R^2 L$$

# Access to splittings in experiment

Order constituents in the jet

Walk back in history to identify splittings of interest



Sketch by  
Rey Torres

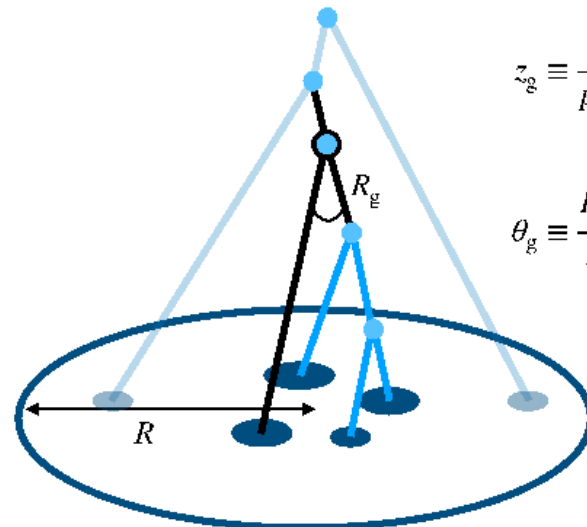
# Access to splittings in experiment

Order constituents in the jet

Walk back in history to identify splittings of interest

Define your observable

- can be one specific splitting;
- but also multiple in one jet;



$$z_g \equiv \frac{P_{T,\text{subleading}}}{P_{T,\text{leading}} + P_{T,\text{subleading}}}$$

$$\theta_g \equiv \frac{R_{g\sigma}}{R} \equiv \frac{\sqrt{\Delta y^2 + \Delta\phi^2}}{R}$$

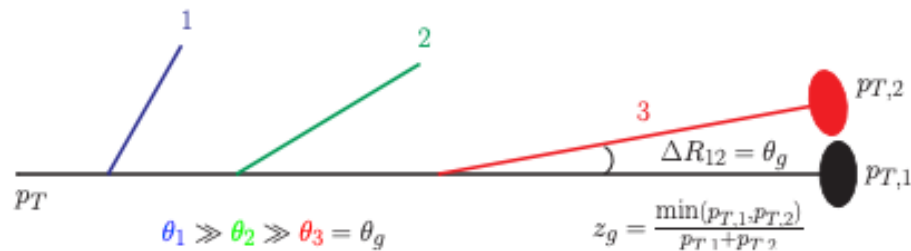
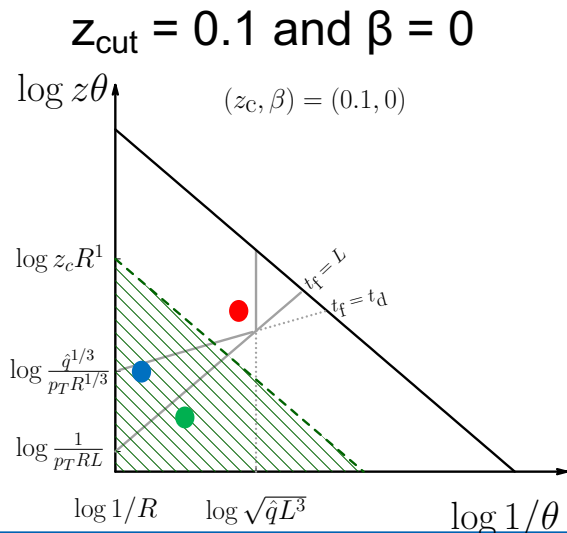
ALI-PUB-521467

# Lund plane and grooming

Grooming selects on momentum fraction and angle of branches in angular ordered tree

$$z > z_{\text{cut}} \theta^\beta$$

↑ energy threshold     ↑ angular exponent

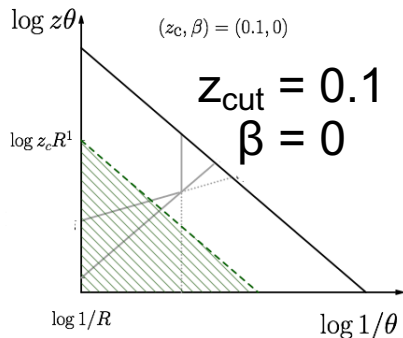


# Lund and grooming

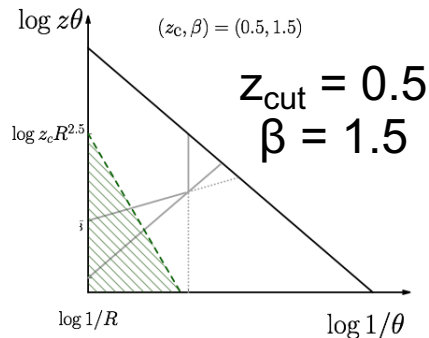
Grooming selects on momentum fraction and angle of branches in angular ordered tree

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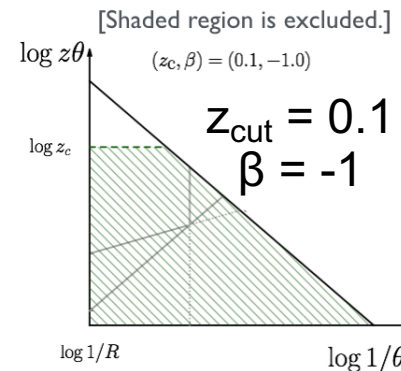
↑ energy threshold     ↖ angular exponent



cuts only on the energy sharing fraction



stronger grooming at large angle



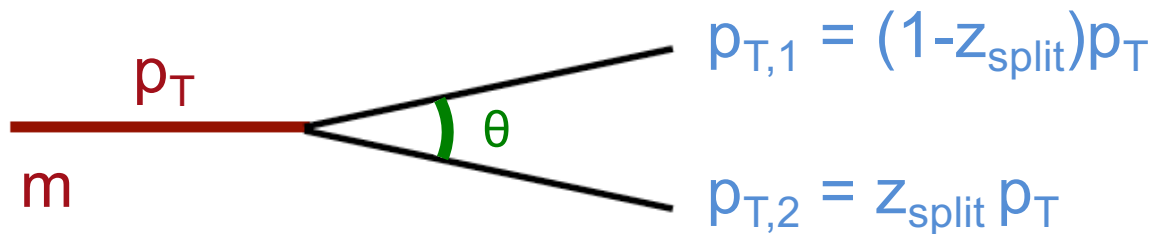
only hard radiation remains

Varying the grooming condition allows to select different regions of radiation phase space

# Hard splitting as probe of medium

Idea: let a high  $p_T$  parton that splits into two other partons (antenna) propagate through the medium

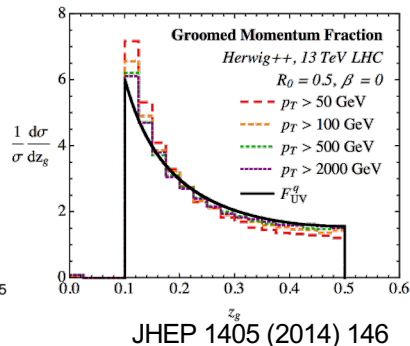
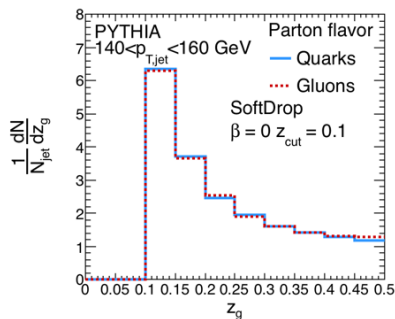
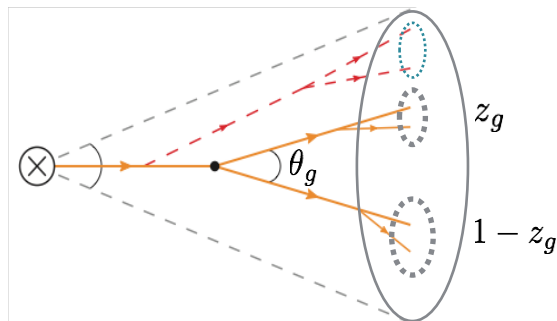
Then study the influence of the medium on the antenna



Splitting probability in vacuum:

$$d\mathcal{P}_{\text{vac}} = 2 \frac{\alpha_s C_R}{\pi} d \log z \theta d \log \frac{1}{\theta}$$

# Shared momentum fraction



No flavor dependence  
 Weak jet  $p_T$  dependence  
 In vacuum: Altarelli-Parisi splitting function

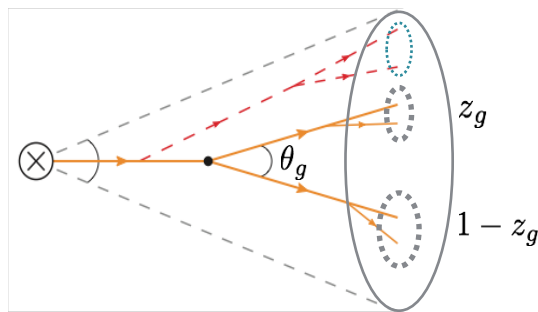
Observable:  
 Momentum balance  
 between the two subjects  
 as defined by grooming  
 procedure

$$z_g = \frac{\min(p_{T,1}, p_{T,2})}{p_{T,1} + p_{T,2}}$$

Momentum fraction  
 carried by the  
 subleading branch

# Jet splitting function

Robust observable: Momentum fraction carried by the subleading branch of first hard splitting

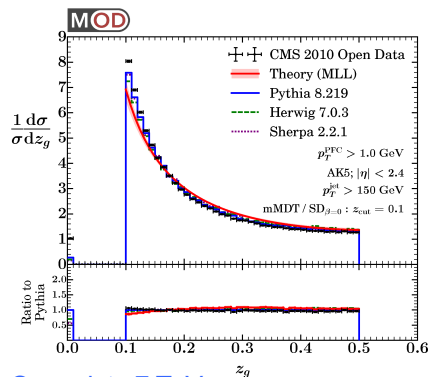


$$z_g = \frac{\min(p_{T,1}, p_{T,2})}{p_{T,1} + p_{T,2}}$$

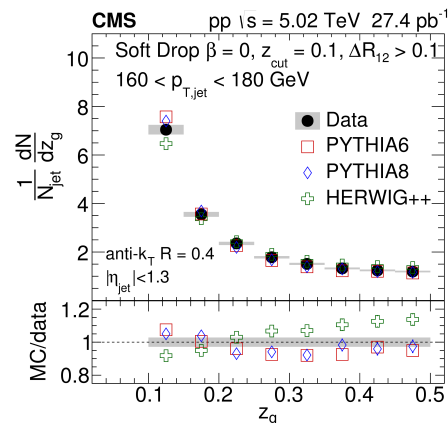
With groomed jets: soft large angle radiation removed to define the hardest splitting

$$\frac{1}{N_{\text{jets}}} \frac{dN_i}{dz_g} \propto \overbrace{\bar{P}_i(z_g)}^{\text{measure splitting function!}} \sim \frac{1}{z_g}$$

- Weak dependence on  $\alpha_s$
- Weak dependence on jet  $p_T$
- In vacuum: Altarelli-Parisi Splitting Function



CMS Open data 7 TeV  
Larkoski, Marzani, Thaler,  
Tripathy, Xue  
PRL 119 (2017), 132003  
Phys.Rev. D96 (2017), 074003



CMS 5 TeV, PRL 120 (2018), 142302

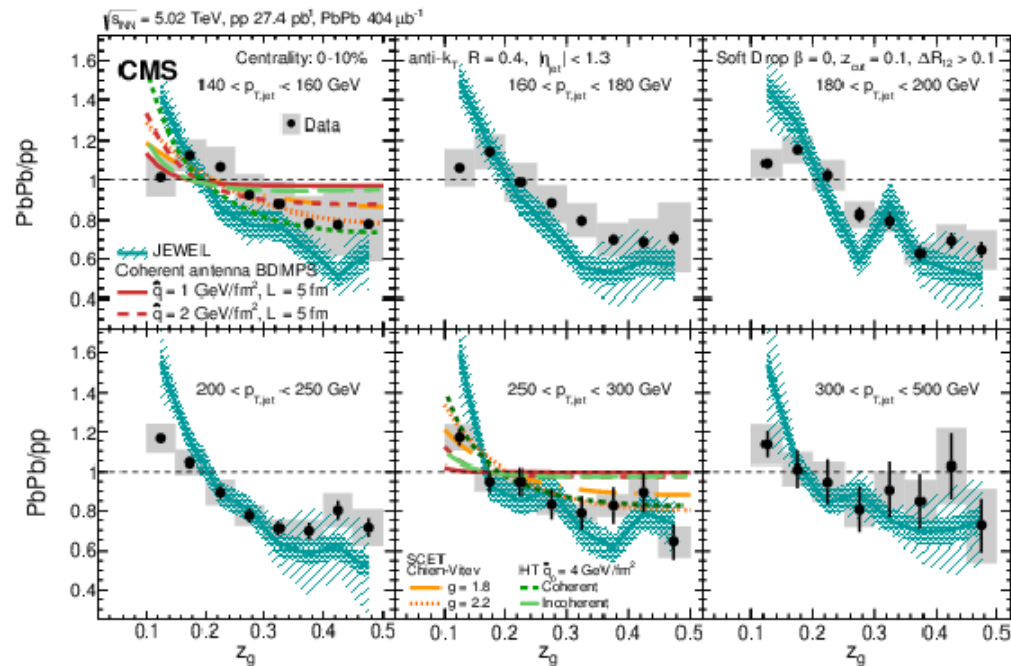


# Splitting fraction

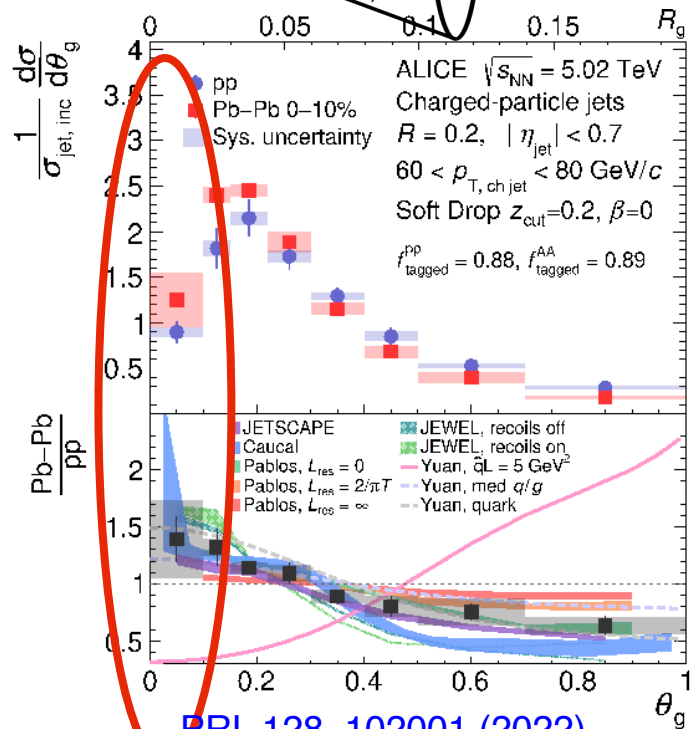
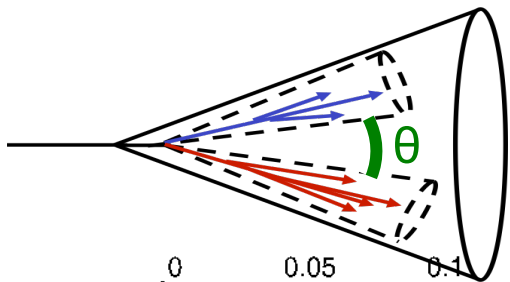
Data suggests:

Splittings in quenched jets  
are a bit less balanced

Models capture the trend  
but different physics  
mechanisms responsible



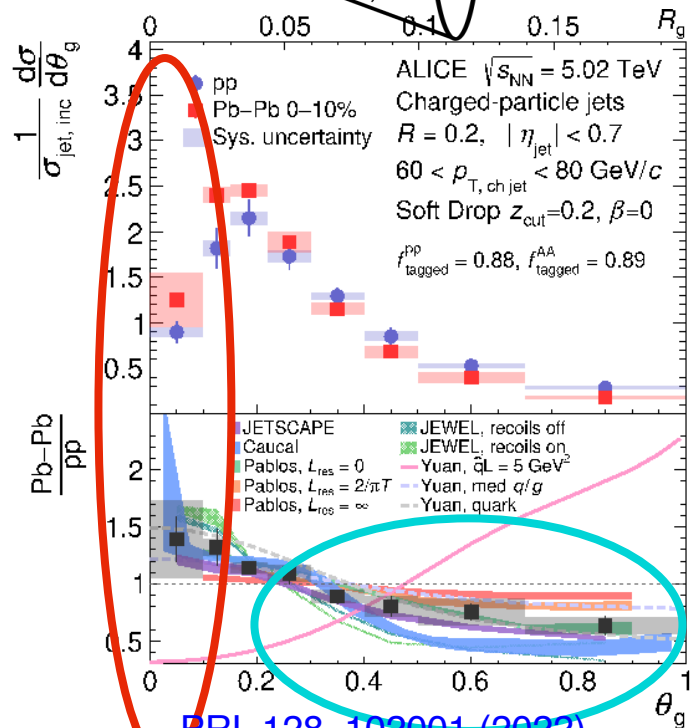
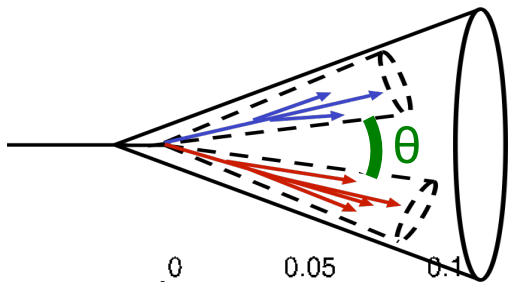
# Splitting angle



Small  $\theta_g$ : less vacuum-like emitters  
 from which energy can be radiated  
 → less suppression observed in data



# Splitting angle

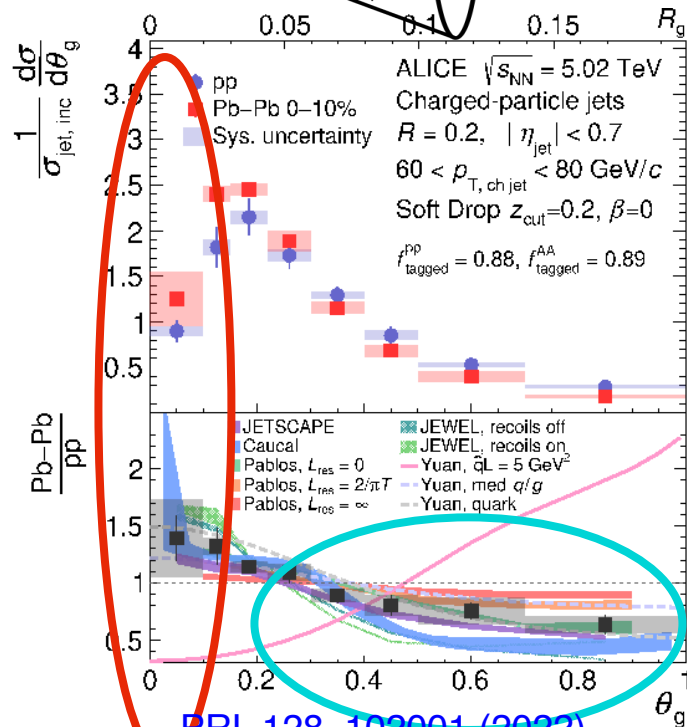
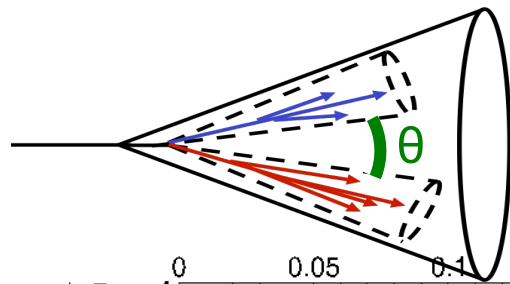


Small  $\theta_g$ : less vacuum-like emitters  
 from which energy can be radiated  
 → less suppression observed in data

Large  $\theta_g$ : more suppressed

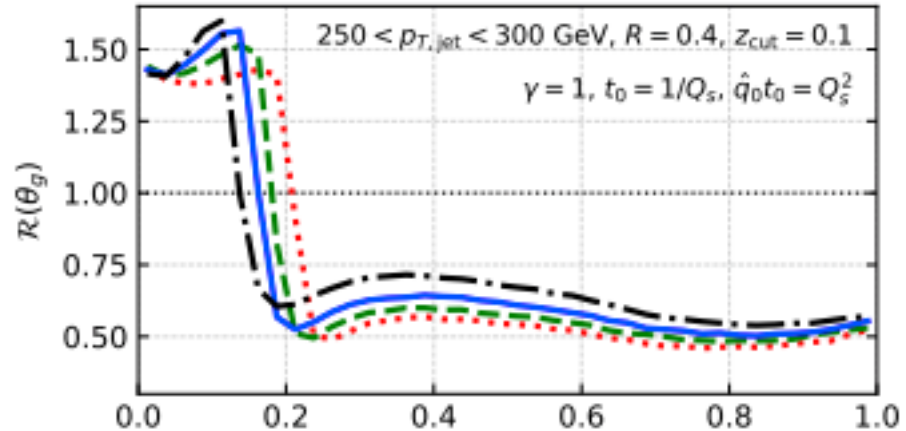
# Splitting angle

Caucal, Iancu, Soyez, 1907.04866 & 2012.01457



ALI-PUB-52148, PRL 128, 102001 (2022)

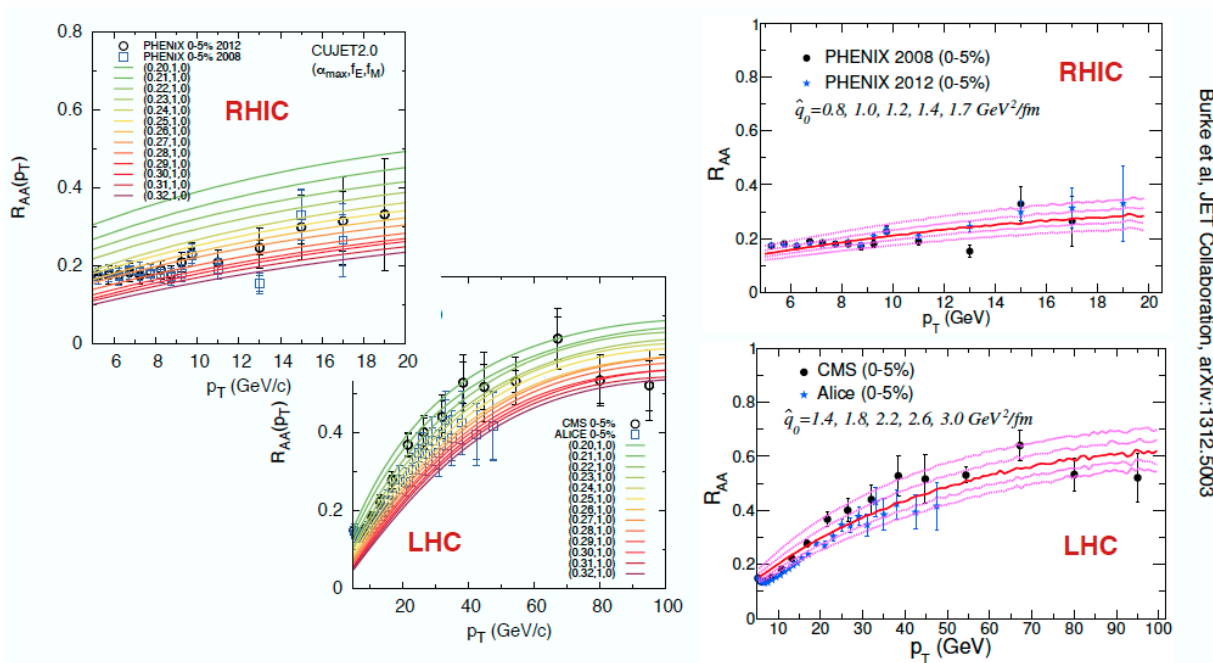
Nuclear effects for  $\theta_g$



Jets with  $\theta_g \geq \theta_c$  are suppressed while jets with  $\theta_g \leq \theta_c$  are relatively enhanced.

Is ALICE seeing the critical angle?  
 Or is this due to the number of emitters?  
 Or a selection bias?

# Extraction of transport coefficient



Systematic comparison of energy loss models with selected set of data  
 Medium modelled by Hydrodynamics (2+1D, 3+1D)  
 $p_T$  dependence matches reasonably well

# Extraction of transport coefficient

RHIC:  $\sqrt{s_{NN}} = 200$  GeV

$$\hat{q} = 1.2 \pm 0.3 \text{ GeV}^2/\text{fm}$$

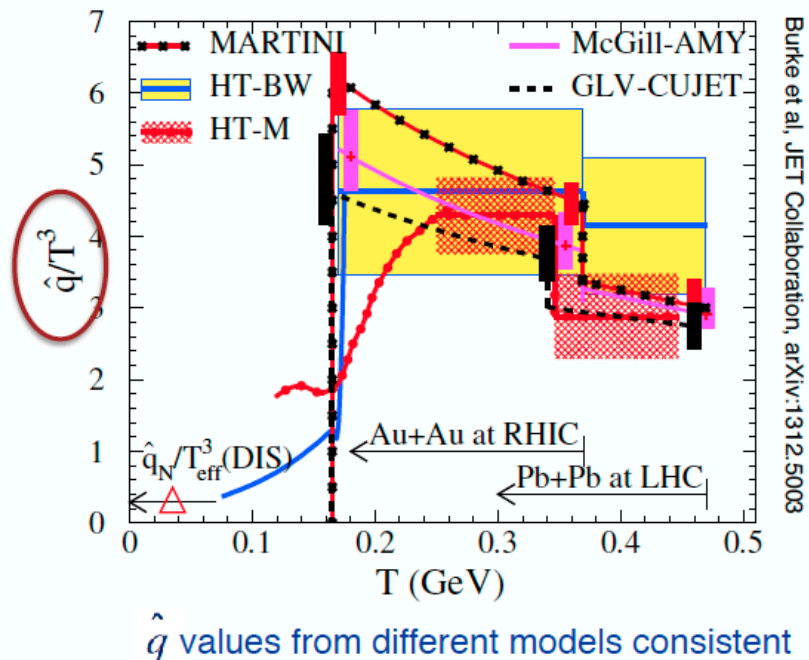
( $T_i = 370$  MeV)

LHC:  $\sqrt{s_{NN}} = 2760$  GeV

$$\hat{q} = 1.9 \pm 0.7 \text{ GeV}^2/\text{fm}$$

( $T_i = 470$  MeV)

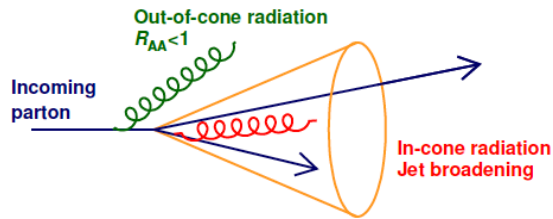
$$\frac{\hat{q}}{T^3} \approx \begin{cases} 4.6 \pm 1.2 & \text{at RHIC,} \\ 3.7 \pm 1.4 & \text{at LHC,} \end{cases}$$



# Summary

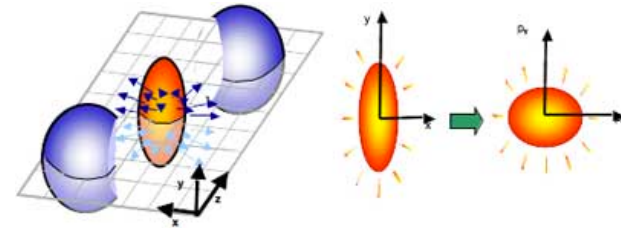
Heavy ion collisions are used to study hot nuclear matter

Self-generated probes  
(this talk)



Jet quenching

Soft QGP fragments  
(low  $p_T$  hadrons)



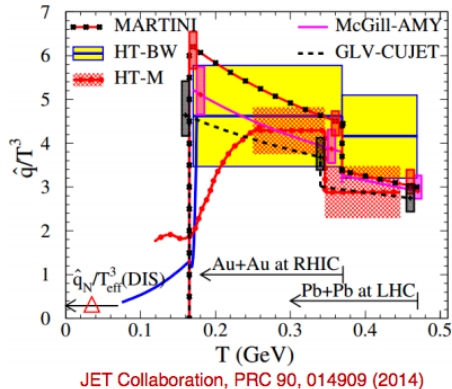
Elliptic flow: collective  
behaviour

Both type of measurement in agreement with very dense system + small mean free path

# Summary

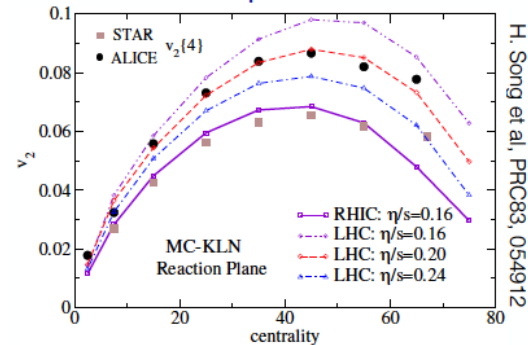
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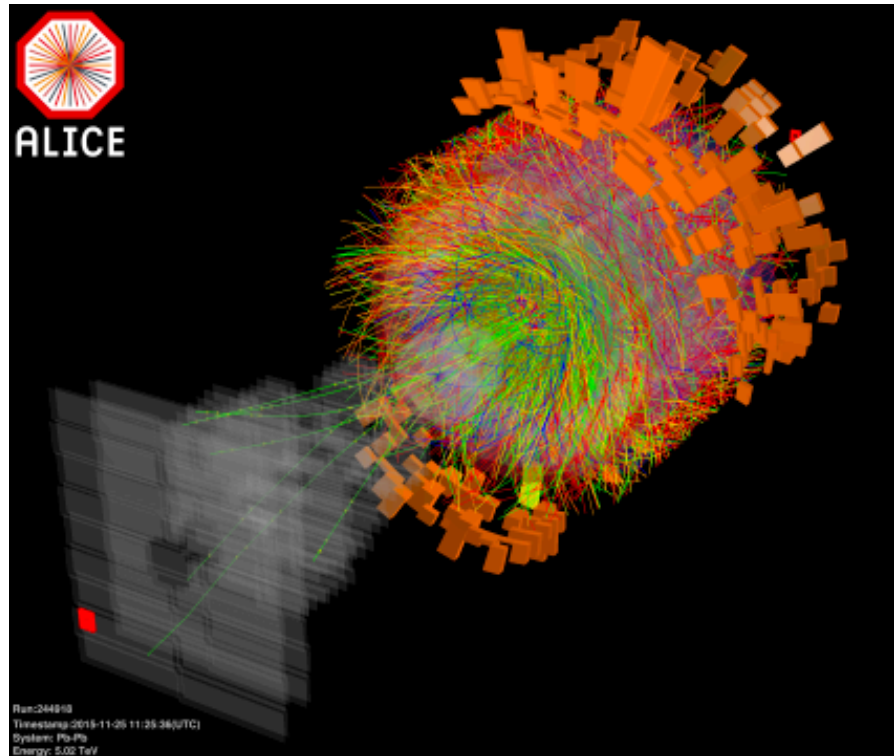


Elliptic flow: collective  
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Both type of measurement in agreement with very dense system + small mean free path

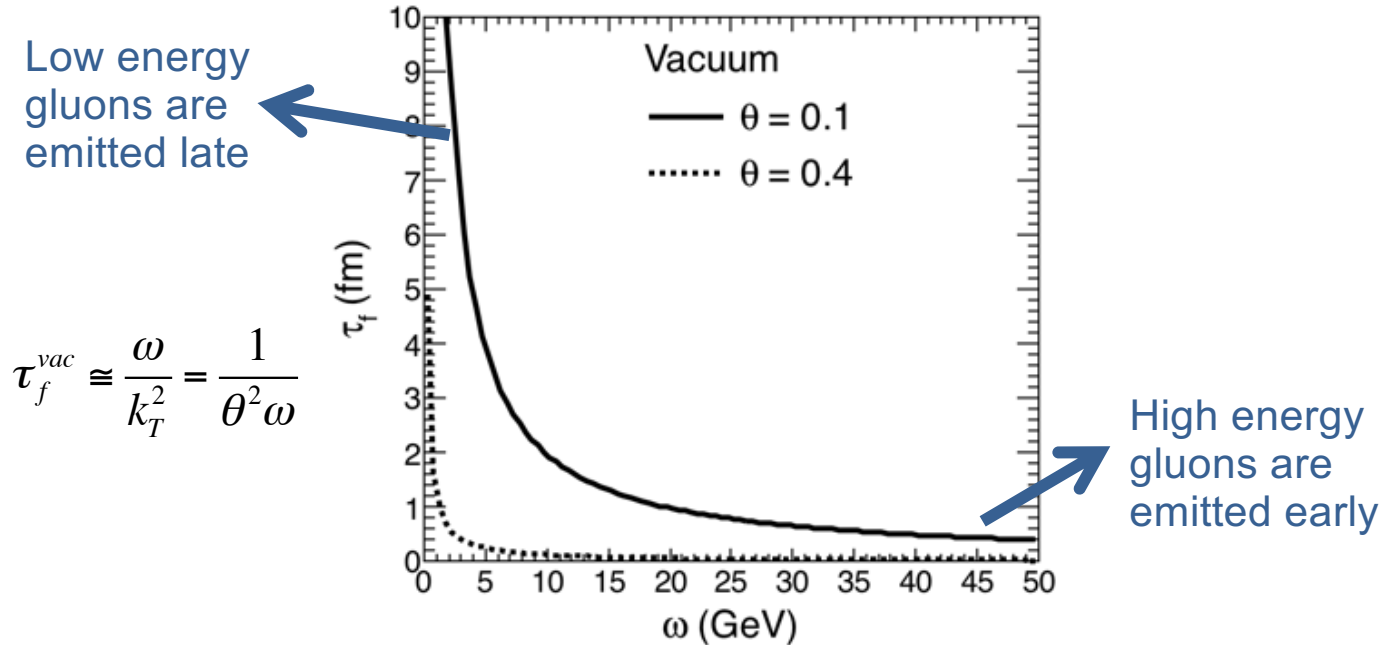


# Thank you



# $z_g$ – formation times

Vacuum formation time of gluons with certain energy

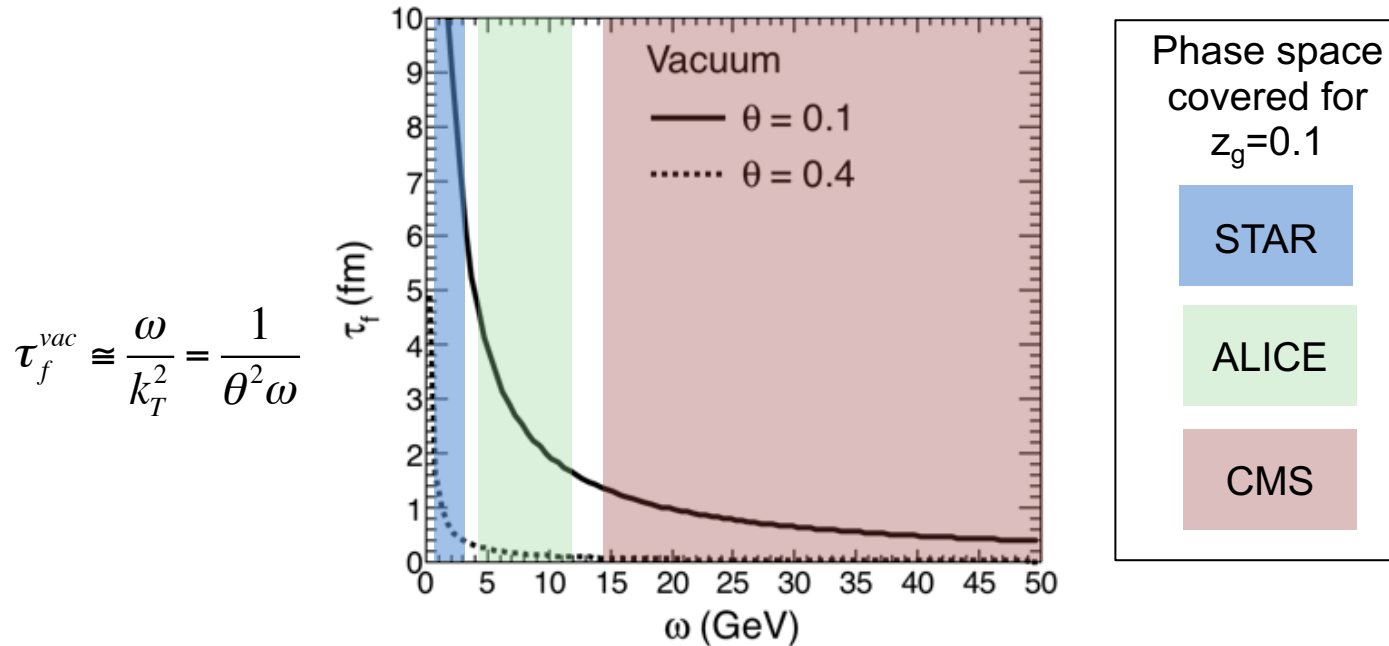


Large angle radiation first, small angle later

→ A lot of the vacuum radiation is created too late to see the medium

# $z_g$ – RHIC vs LHC

Vacuum formation time of gluons with certain energy



Different experiments probing very different formation times. No overlap

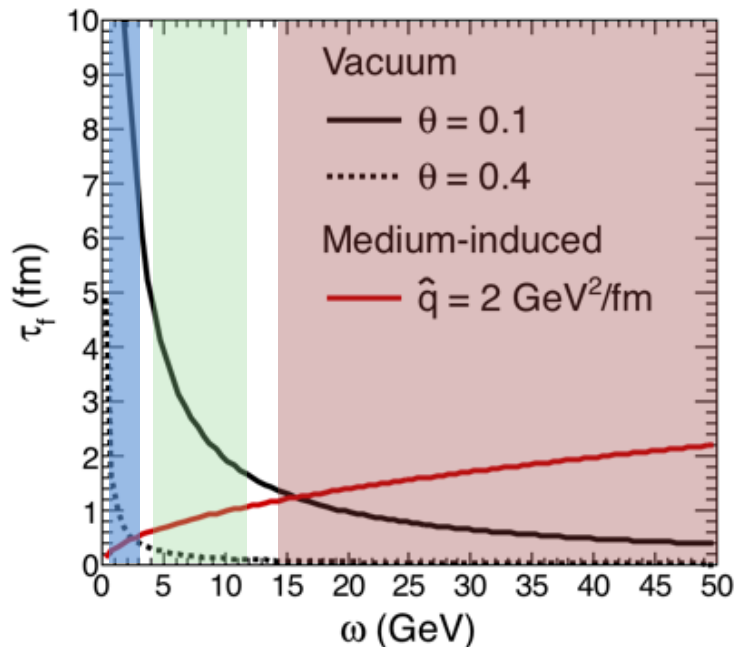
# $z_g$ – RHIC vs LHC

Vacuum and **medium** formation times

Hard medium-induced radiation happens late in the shower

$$\tau_f^{vac} \cong \frac{\omega}{k_T^2} = \frac{1}{\theta^2 \omega}$$

$$\tau_f^{med} \cong \frac{\omega}{k_T^2} = \sqrt{\frac{\omega}{\hat{q}}}$$



Phase space covered for  $z_g=0.1$

STAR

ALICE

CMS

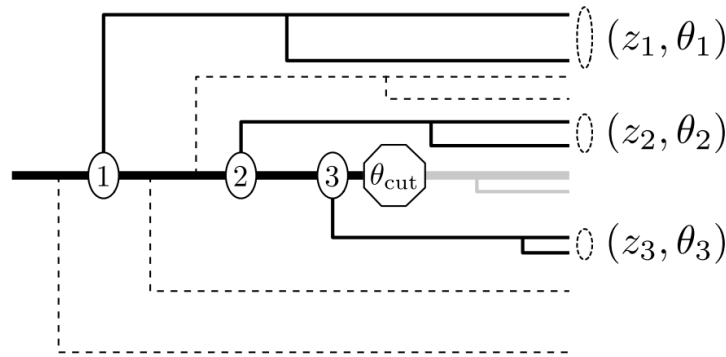
# Lund plane in collision events

Measure Lund diagram in data or Monte Carlo event generator:  
Use **iterative declustering technique** to unwind the angular ordered tree retrieving information about all parton splittings

→ probe of QCD branching history

Iterative SoftDrop:

- Look at multiple branches satisfying grooming criterium
- Follow the leading subjet
- Branches you will find will automatically have smaller angle and  $p_T$

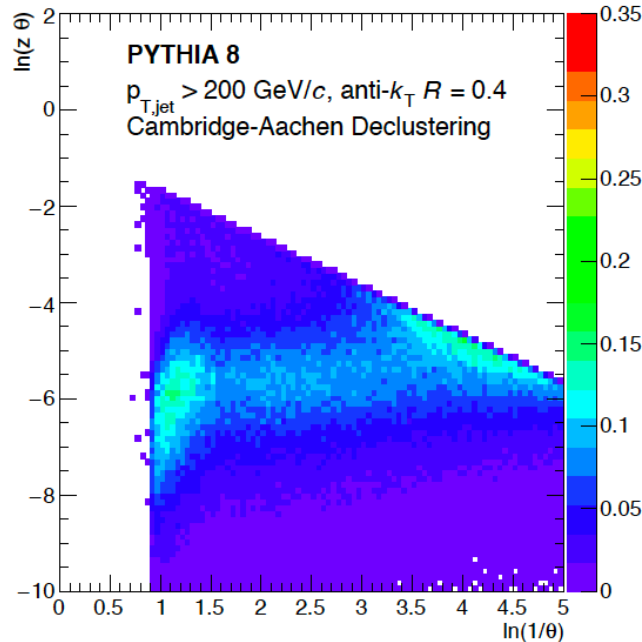


arXiv:1704.06266

# Lund plane in MC

Measure Lund diagram in data or Monte Carlo event generator:  
Use **iterative declustering technique** to unwind the angular ordered tree retrieving information about all parton splittings

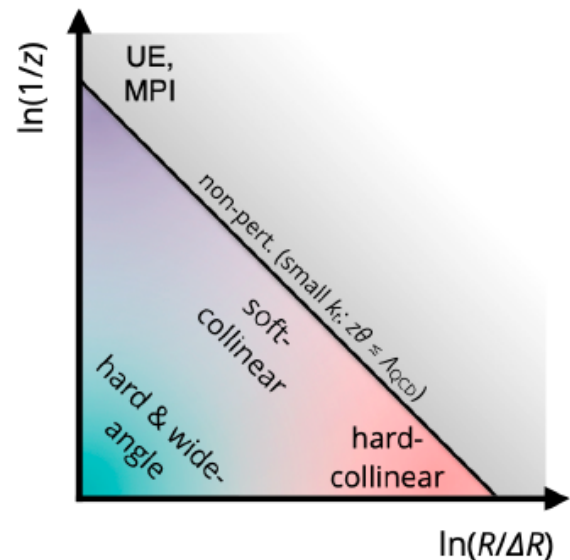
→ probe of QCD branching history



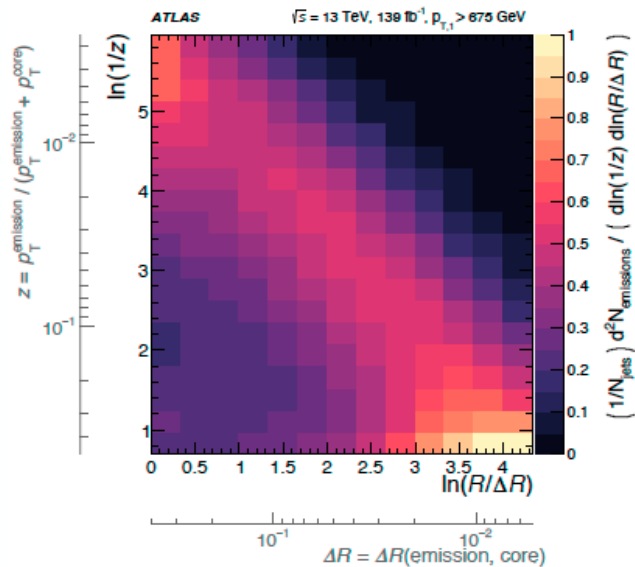
More radiation for larger  $k_T$   
due to running coupling

+ some distortion from  
underlying event uncorrelated  
to jet

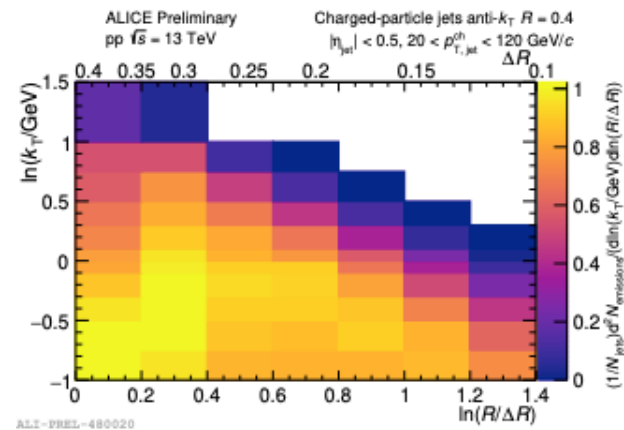
# Vacuum Lund Plane



ATLAS, PRL 124 (2020) 22, 222002



ALICE-PUBLIC-2021-002



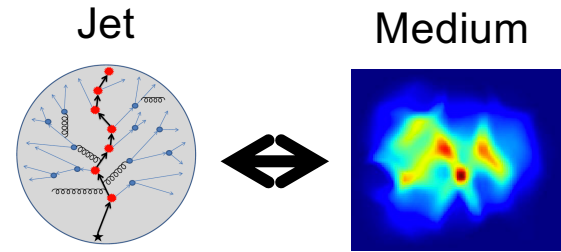
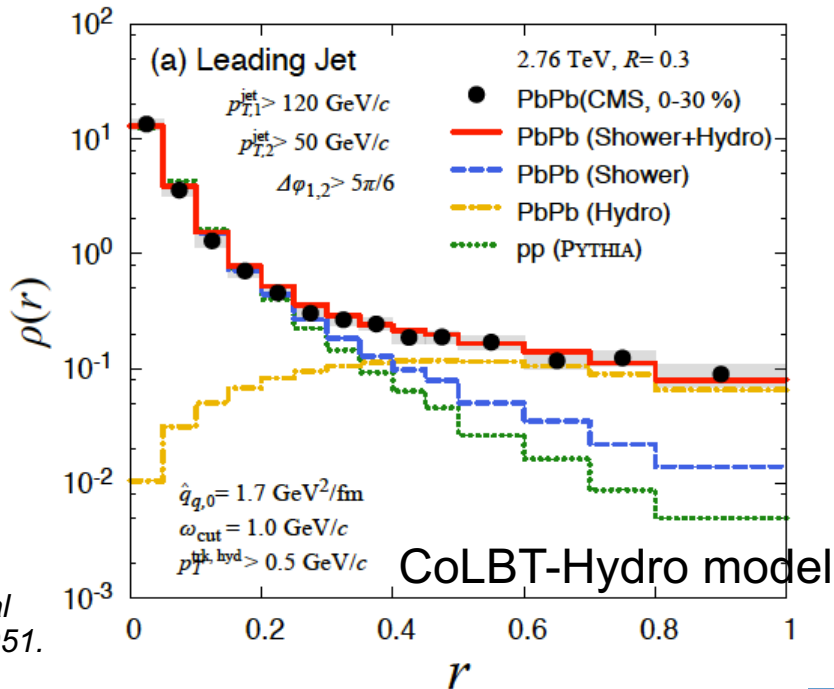
Running of  $\alpha_s$  sculpts the plane

# Medium response

Medium excitation | wake | jet-correlated medium

=> a bit of the medium becomes part of the jet

→ Causing excess of soft particles at large angle



Quenched parton shower  
+ medium excitation

Quenched parton shower

Vacuum parton shower

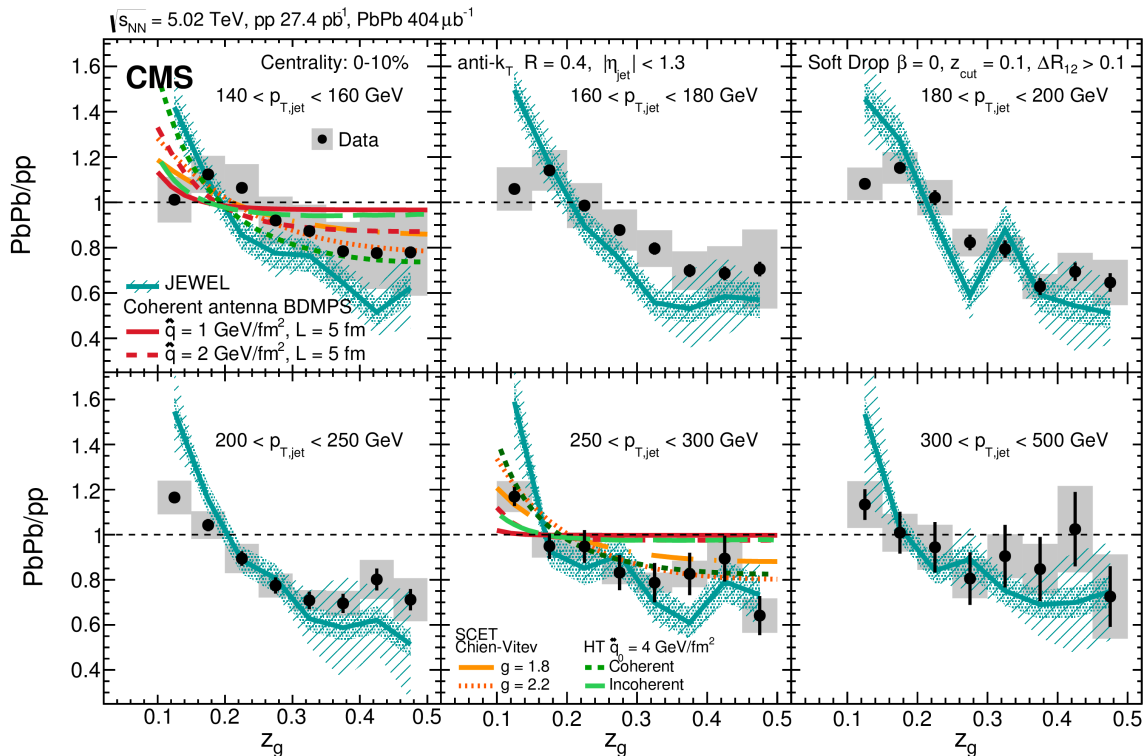
Medium response  
needed to explain large  
angle measurements

Tachibana et. al  
arXiv:1701.07951.



# Jet $p_T$ dependence

Modification gets slightly weaker when increasing jet  $p_T$



PRL 120 (2018) 142302

Due to normalization, cannot distinguish between increase at low  $z_g$  or suppression at high  $z_g$

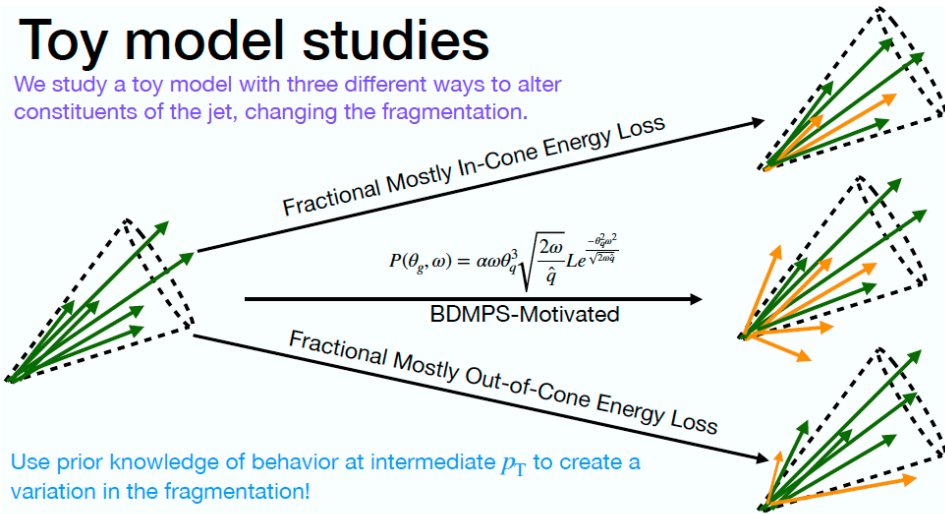
# Machine Learning Biases

Machine learning used to improve  $p_T$  resolution

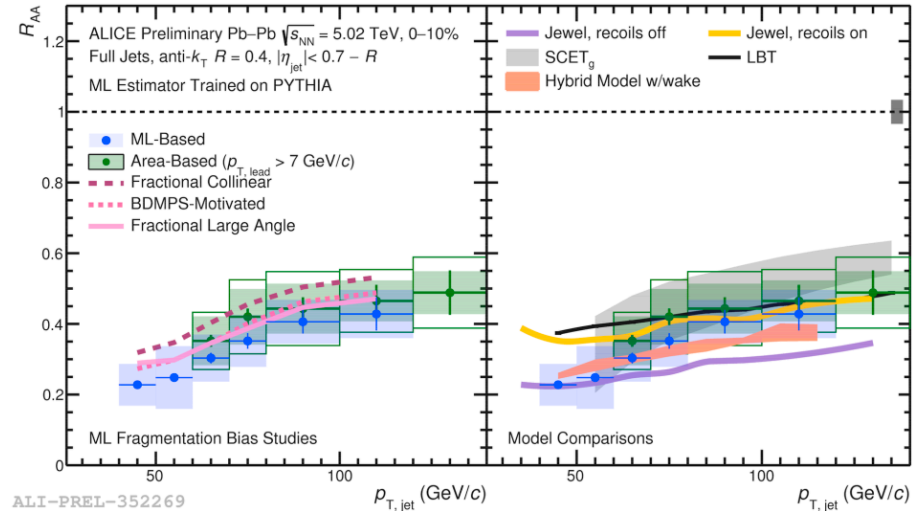
But how sensitive is the training to the fragmentation model?

## Toy model studies

We study a toy model with three different ways to alter constituents of the jet, changing the fragmentation.



Use prior knowledge of behavior at intermediate  $p_T$  to create a variation in the fragmentation!



Effects of up to 40% are observed

Future: need method less dependent on model and/or constrain FF