

Using Superconducting Qubits for Dark Matter Detection

Akash V. Dixit



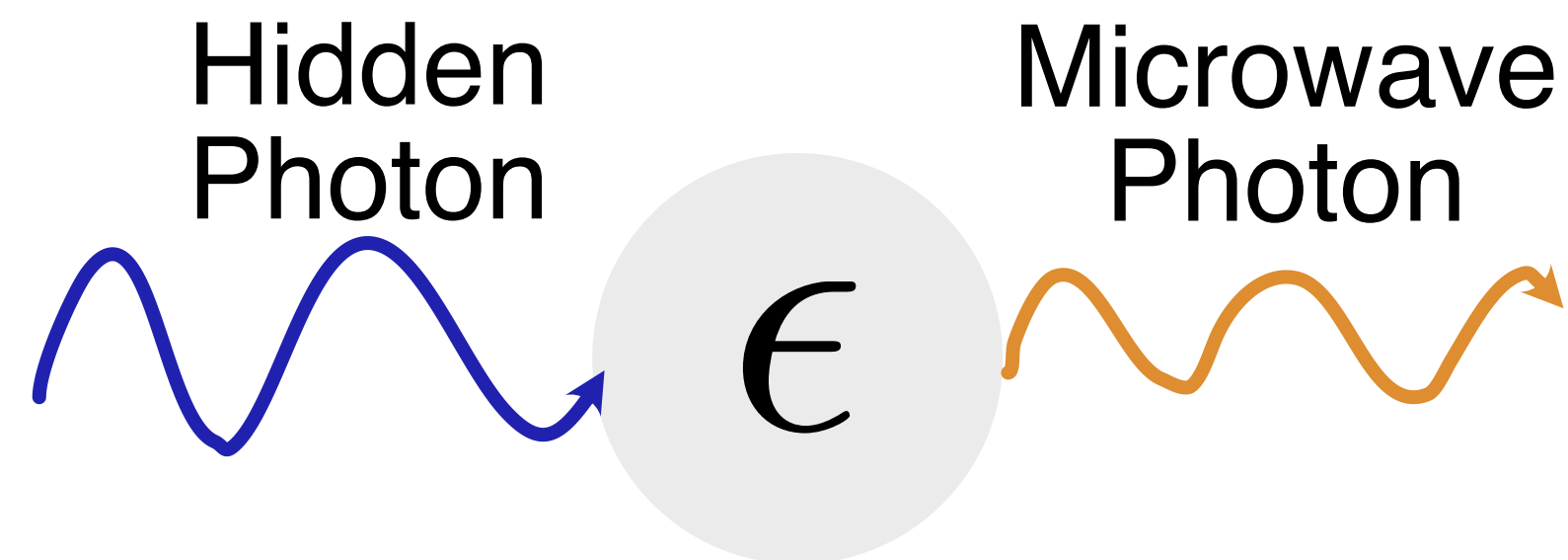
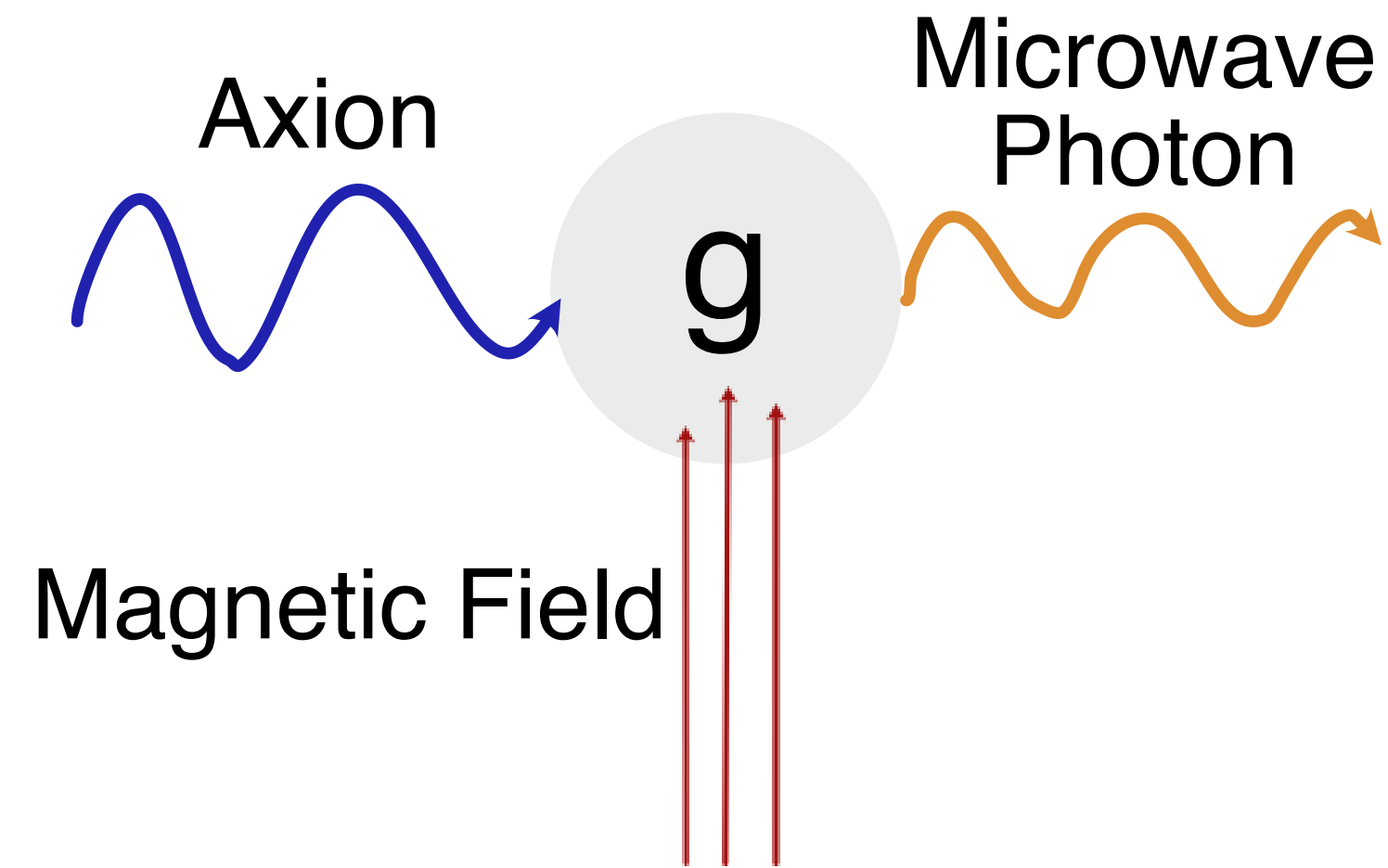
Srivatsan Chakram, Kevin He, Ravi K. Naik, Ankur Agrawal, Aaron Chou, David I. Schuster

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Outline of talk

- Dark matter could couple to electromagnetism to produce photons
- How to build a photon counter
- Devise a protocol to overcome detector errors
- Characterize photon counting detector
- Use detector to conduct a dark matter search

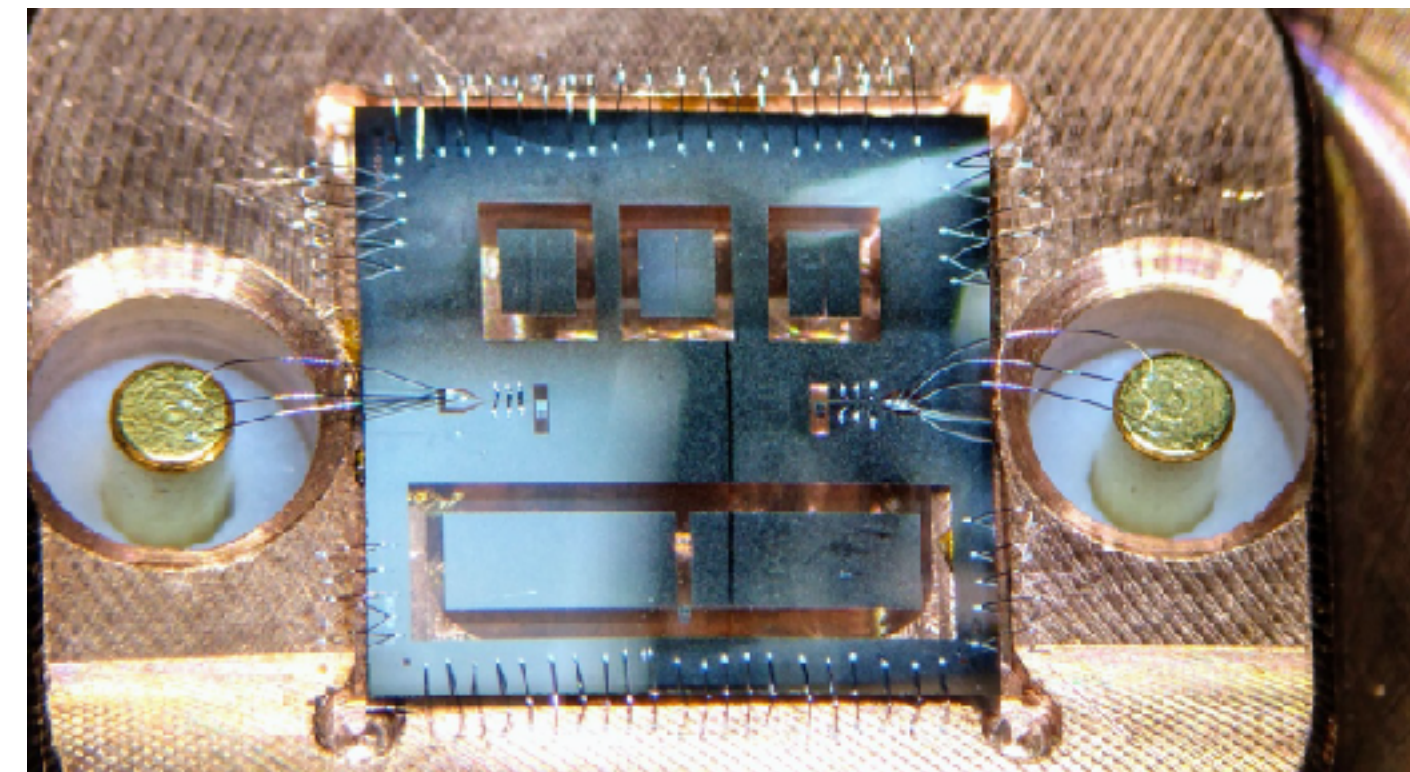
How dark matter might couple to electromagnetism



Resonant cavity to capture signal

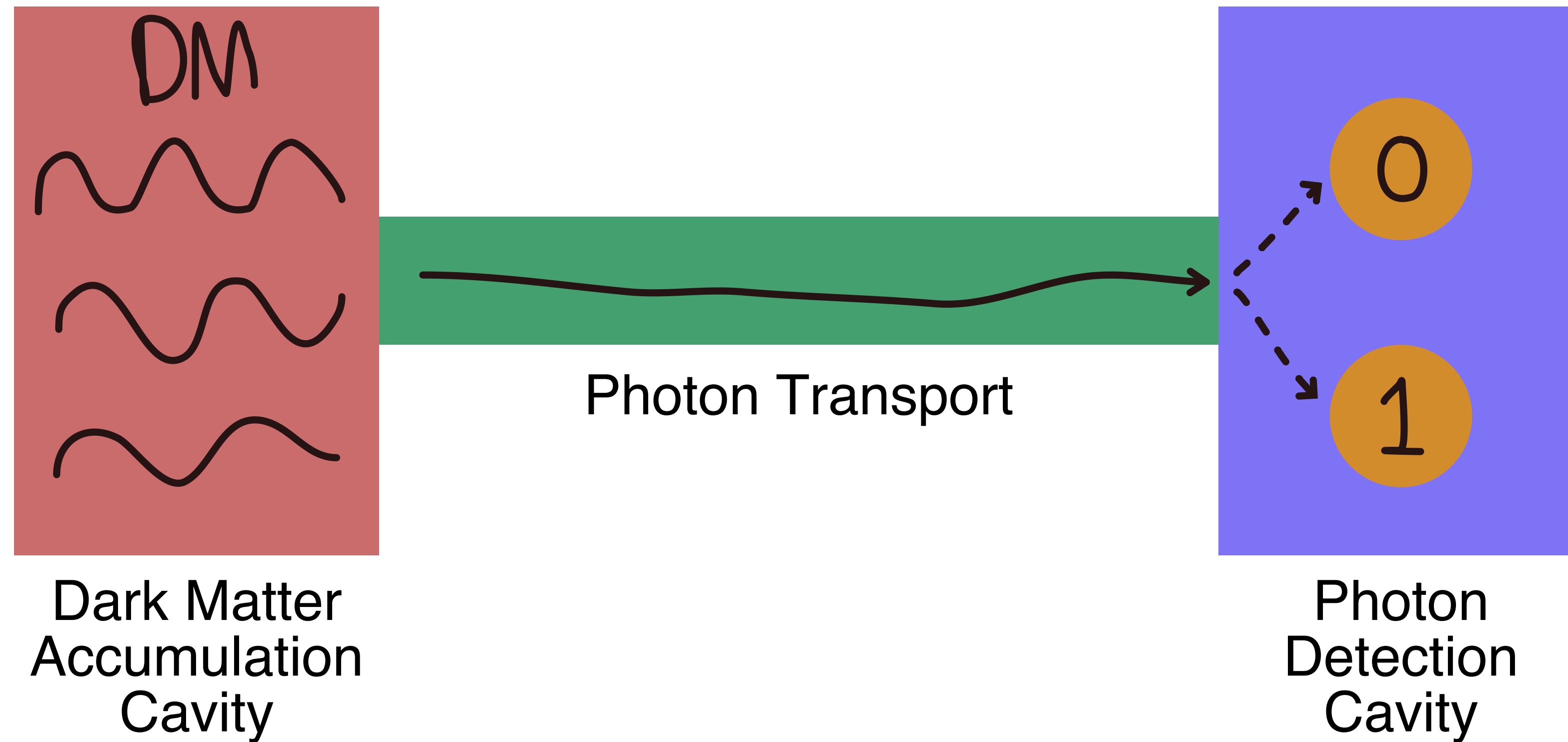


Quantum limited amplifier for readout

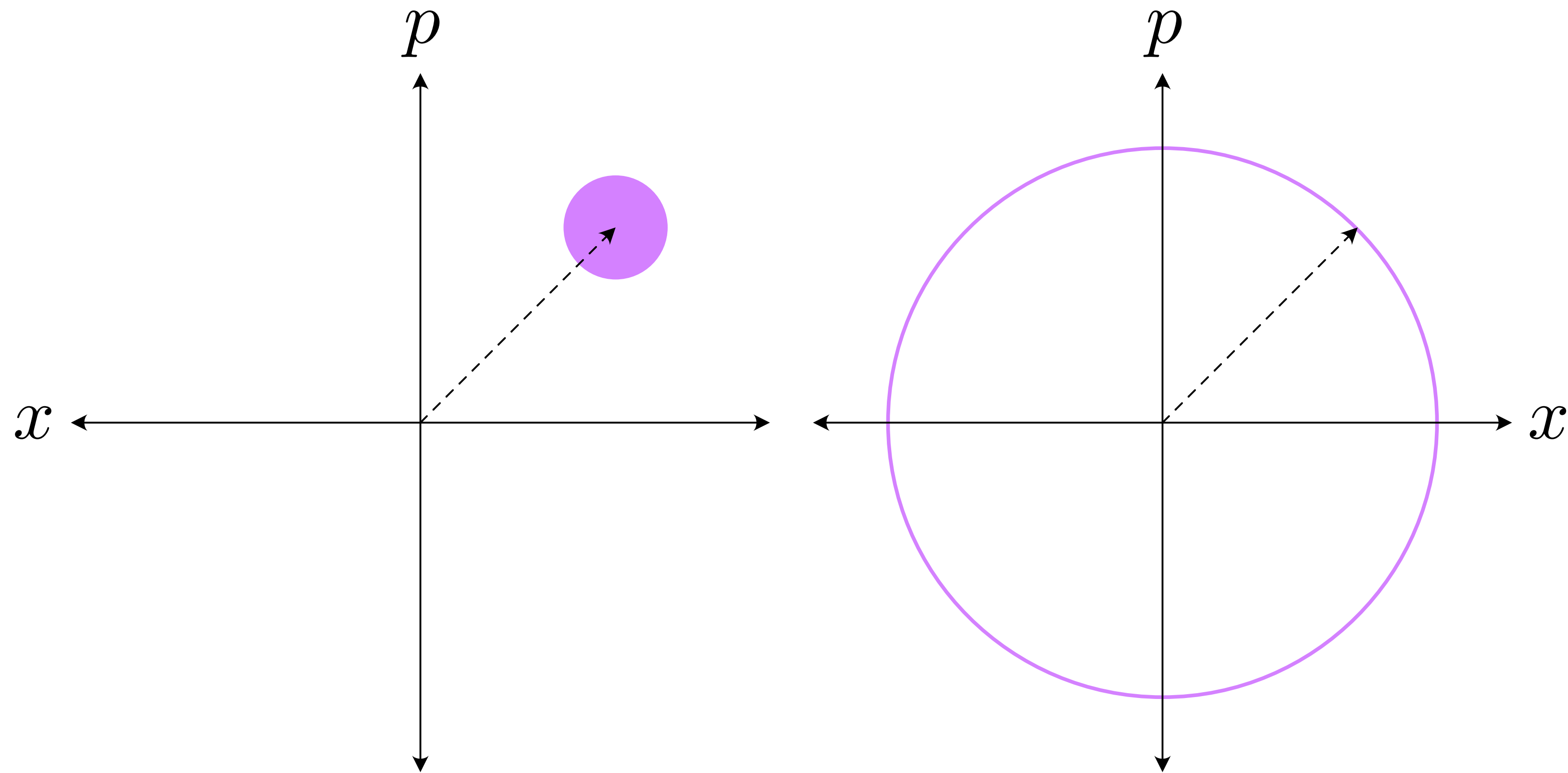


Dark matter detection strategy

arxiv.org/abs/2008.12231



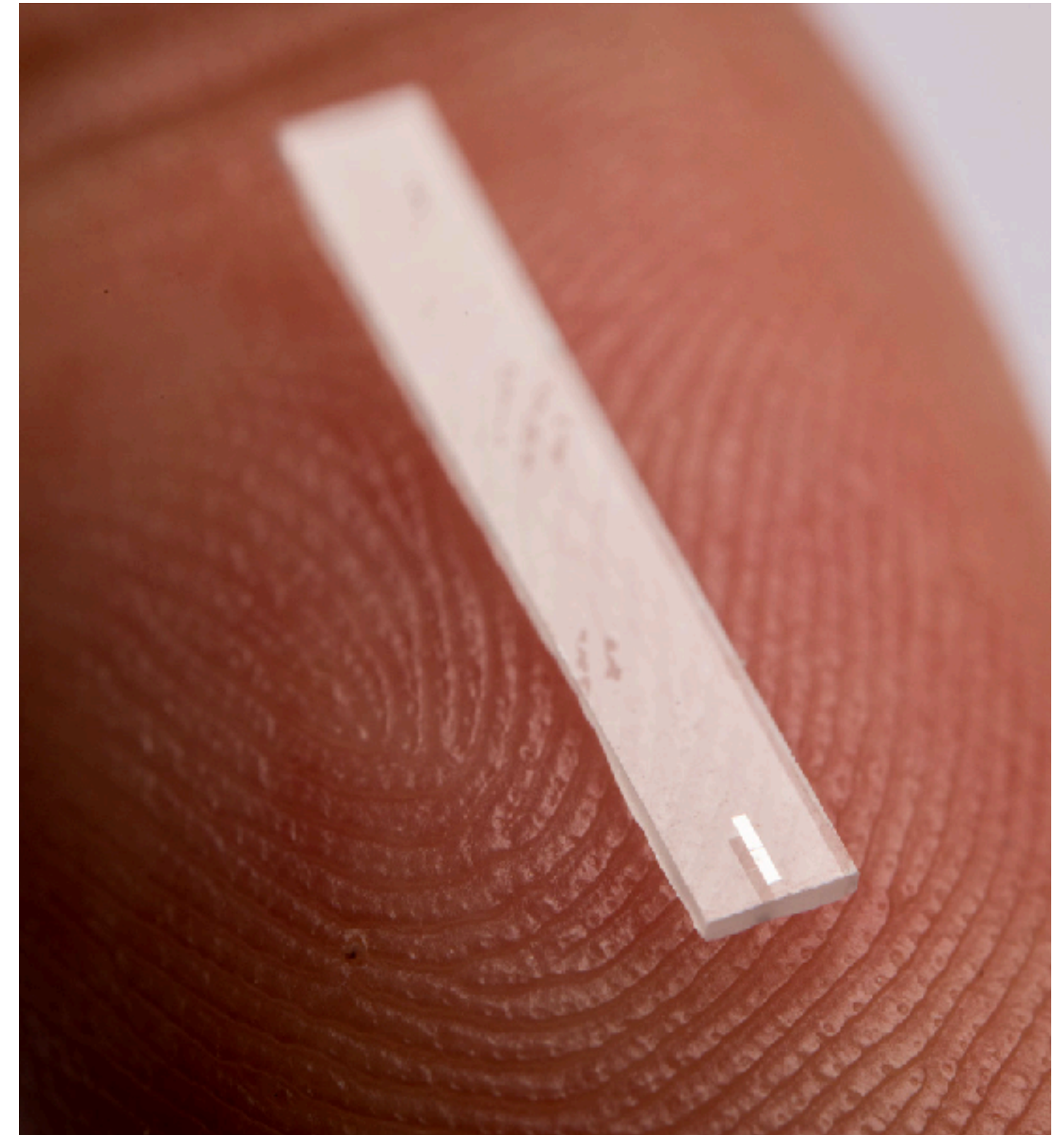
Count photons to subvert quantum limit



Circumvent quantum limit by counting photons. Phase space area is preserved.

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Photon counting device

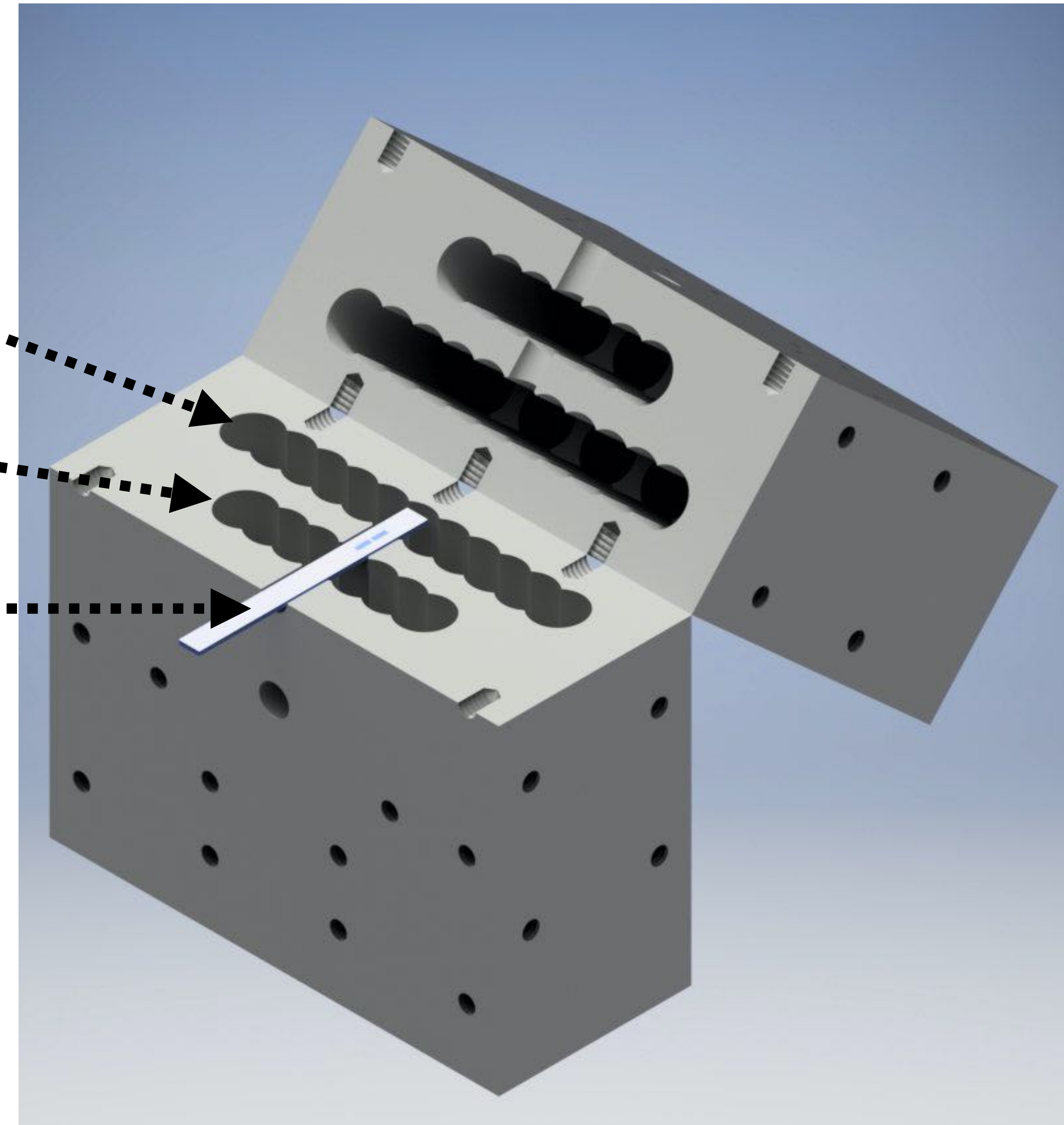
Storage Cavity 6.011 GHz

Readout Cavity 8.052 GHz

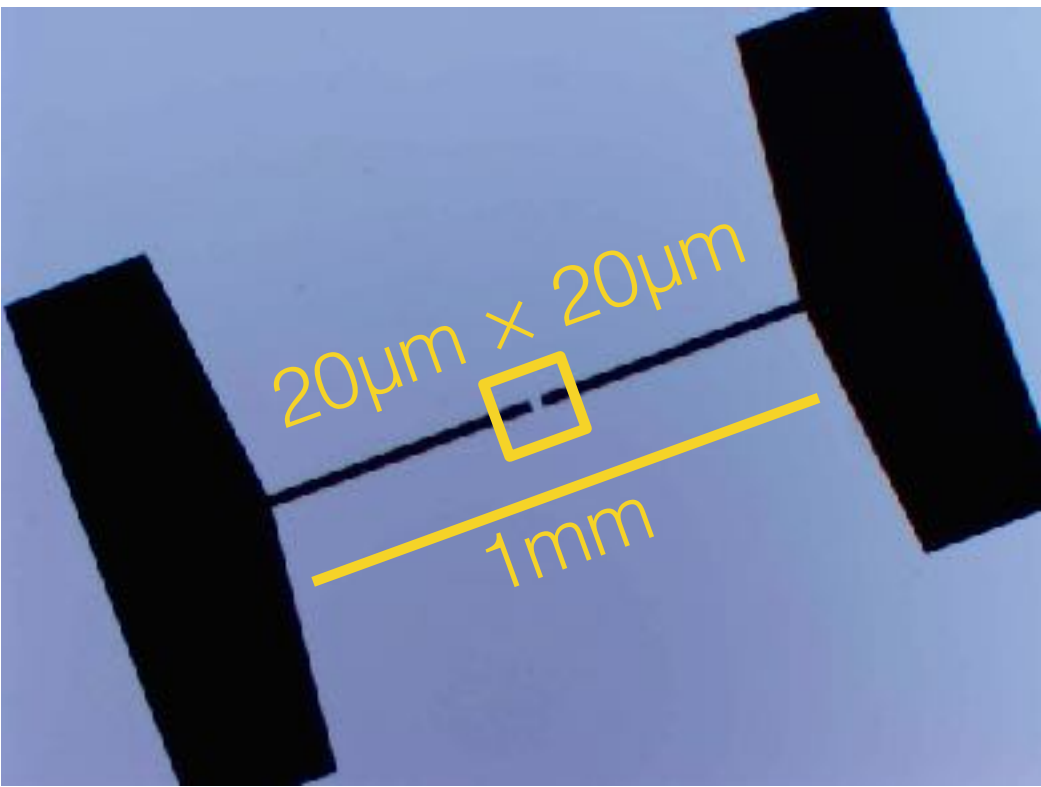
**Sapphire Chip
w/ Qubit** 4.749 GHz

$$\mathcal{H} = \omega_c a^\dagger a + \frac{1}{2} \omega_q \sigma_z + 2\chi a^\dagger a \frac{1}{2} \sigma_z$$

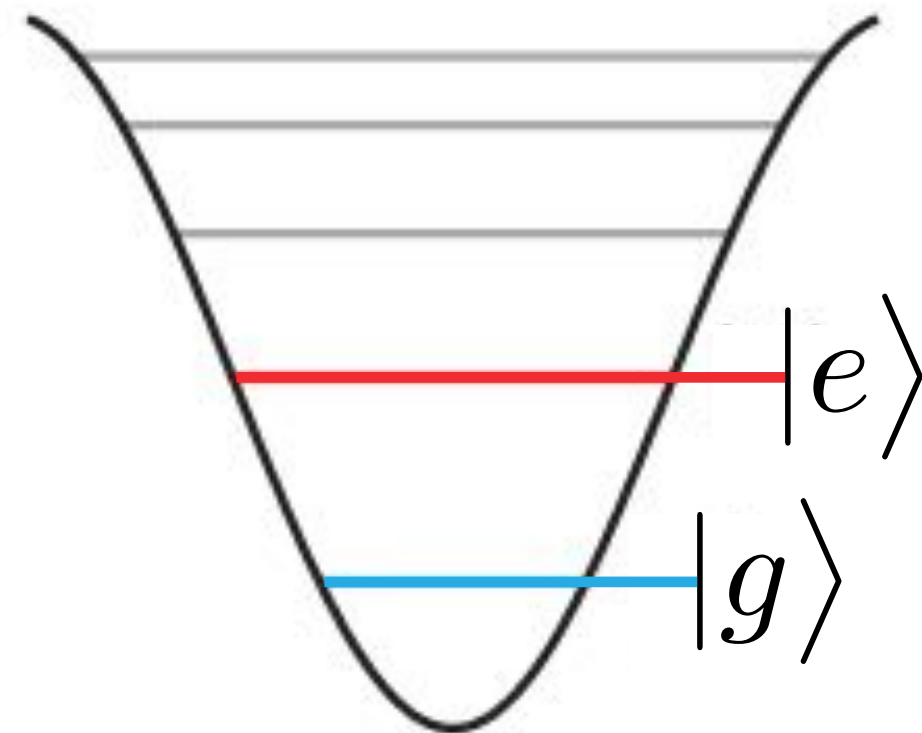
Operated in a dilution refrigerator @ 8mK



Building a superconducting qubit

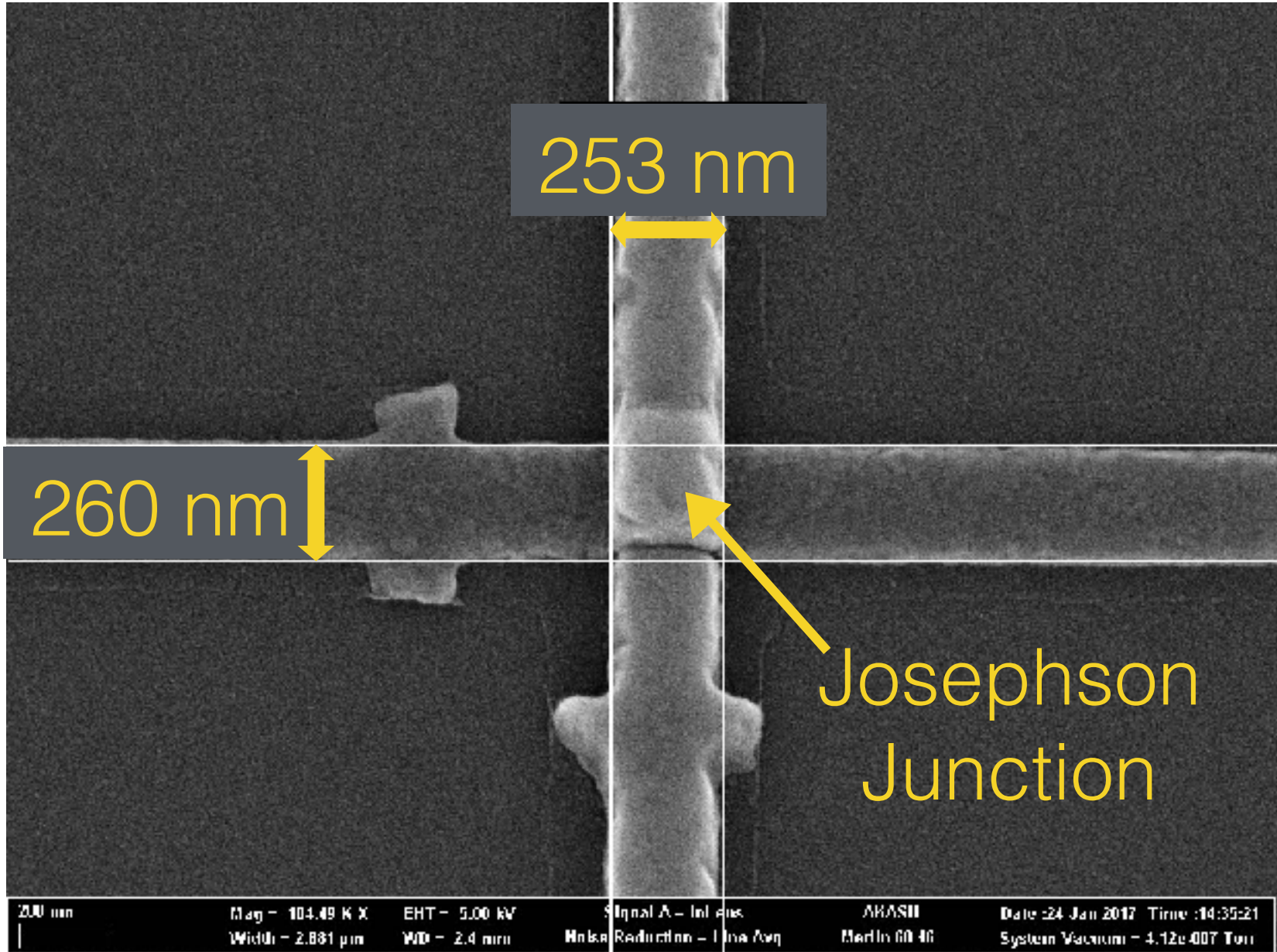


$$\mathcal{H} = \omega_c a^\dagger a + \frac{1}{2} \omega_q \sigma_z + 2\chi a^\dagger a \frac{1}{2} \sigma_z$$



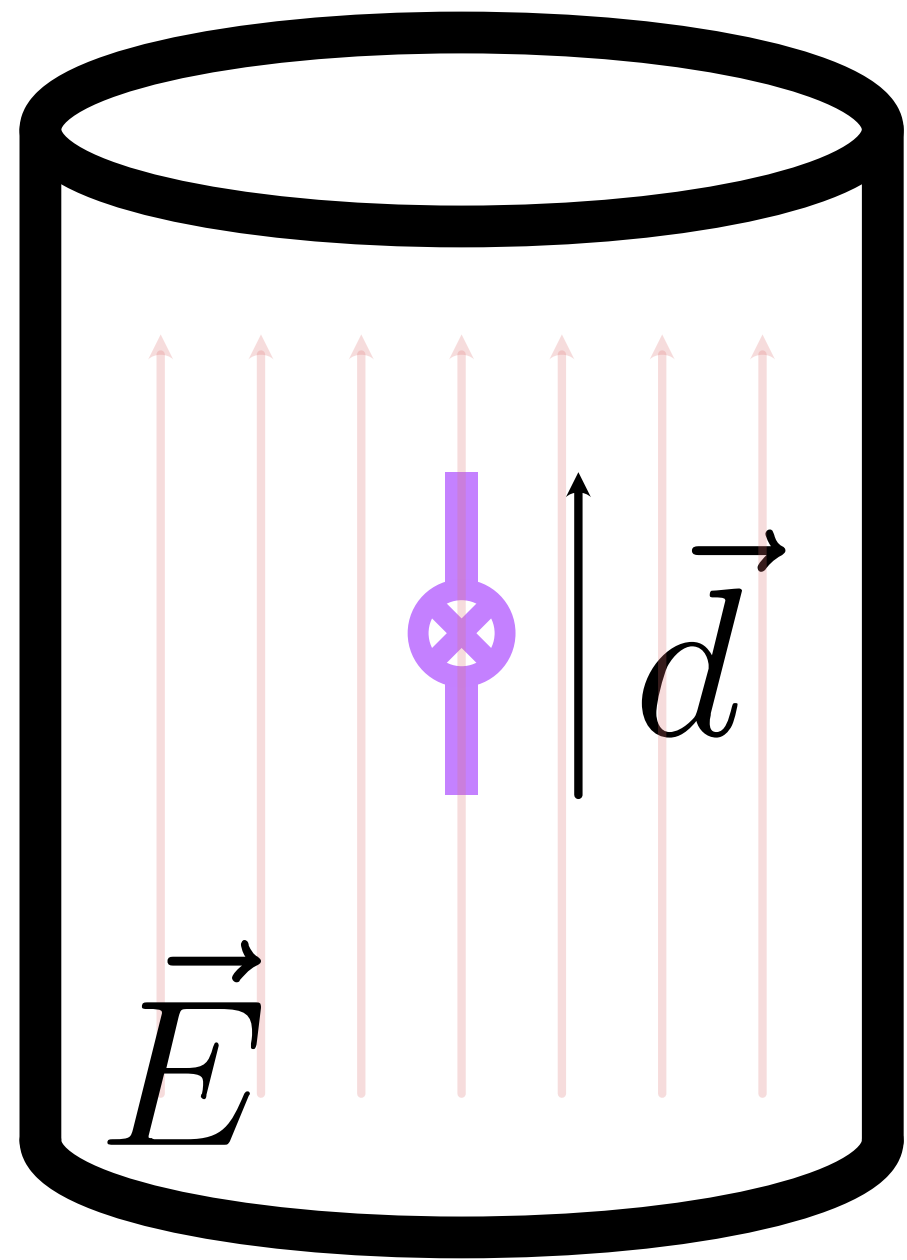
$$\omega_q = E_1 - E_0$$

Harmonic Oscillator (LC) + nonlinearity (Josephson Junction)



Customize transition frequency and dipole moment

Engineering the qubit-cavity interaction



$$\begin{aligned}\mathcal{H}_{int} &= \vec{d} \cdot \vec{E} \\ &= g(\sigma_+ + \sigma_-)(a + a^\dagger) \\ &\sim 2\chi a a^\dagger \frac{1}{2} \sigma_z\end{aligned}$$

Two-level spin

$$\chi = \frac{g^2}{\Delta}$$

Transmon qubit

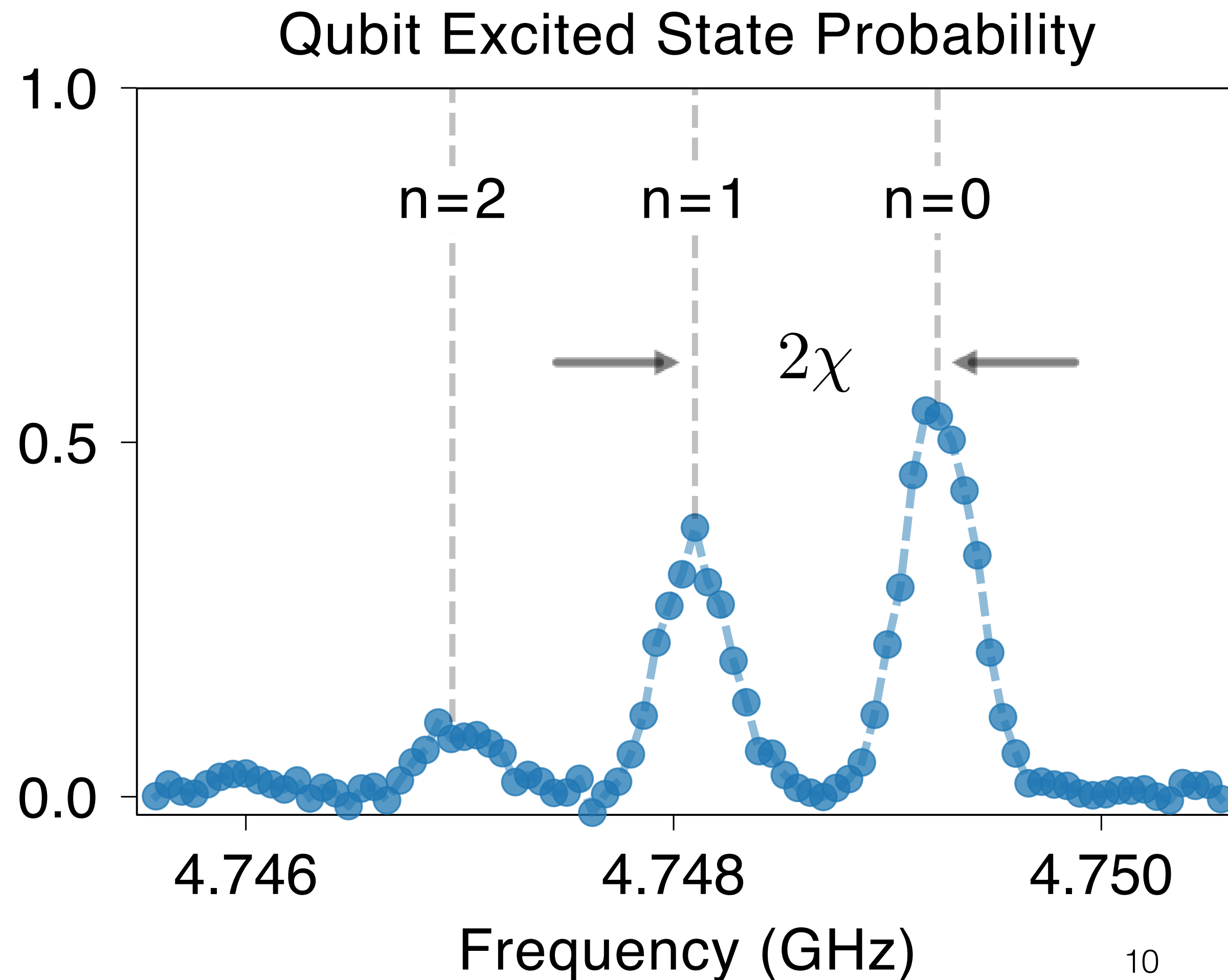
$$\chi = \frac{g^2}{(\Delta + \alpha)^2} \alpha$$

Δ qubit-cavity detuning

α qubit anharmonicity

Cavity occupation imprinted on qubit transition frequency

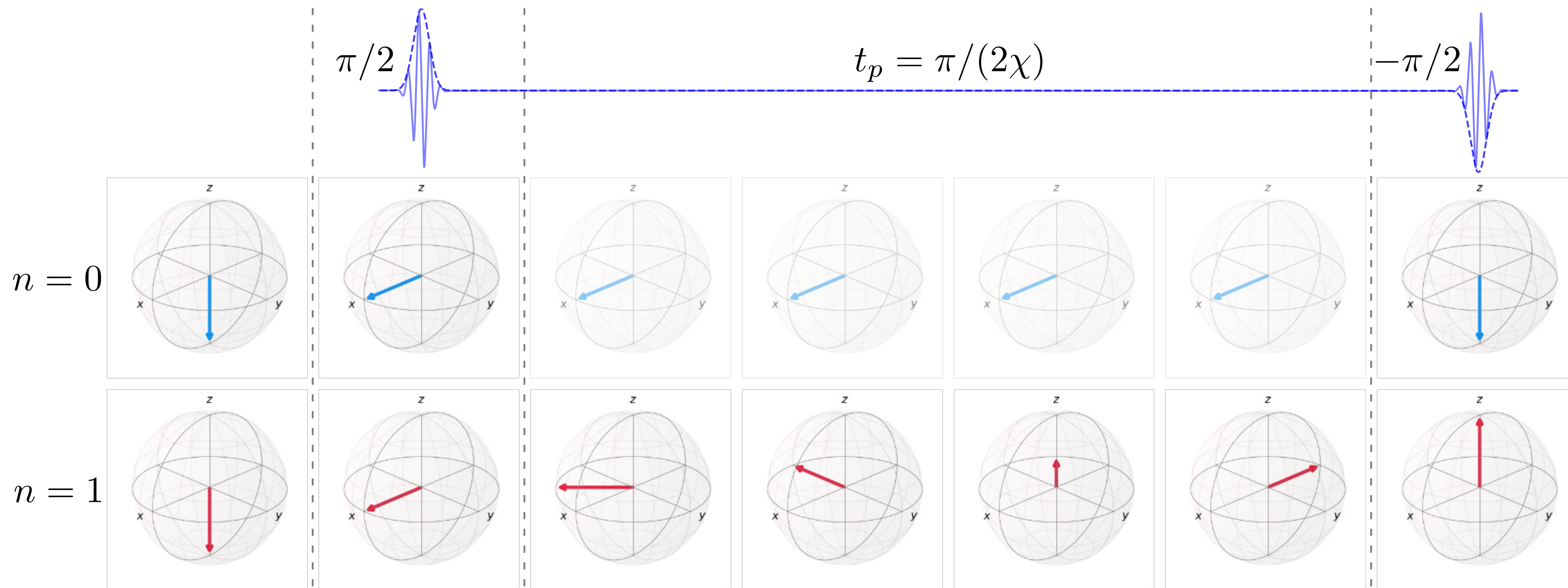
$$\mathcal{H} = \omega_c a^\dagger a + \frac{1}{2} (\omega_q + 2\chi a^\dagger a) \sigma_z$$



Qubit transition frequency is photon number dependent

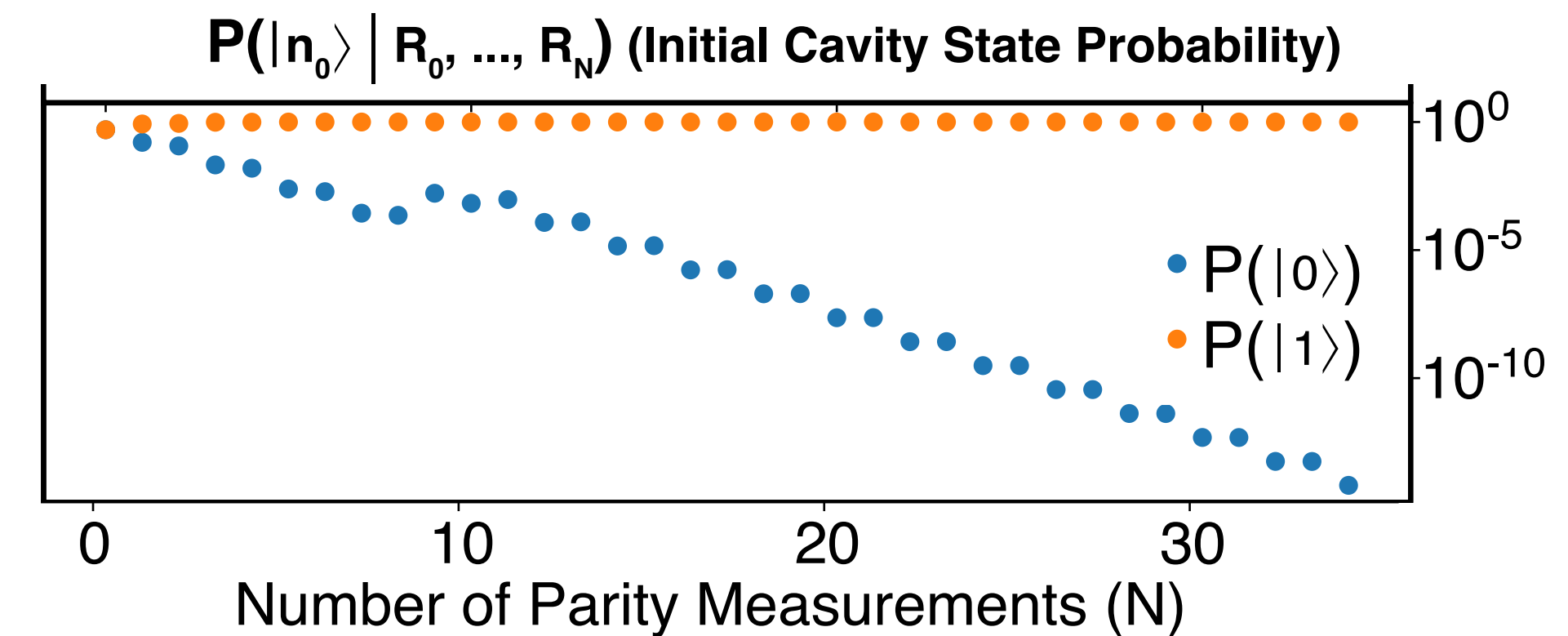
Perform Ramsey type measurement on qubit frequency to infer cavity photon number

Parity measurement maps cavity state onto qubit



Outline of talk

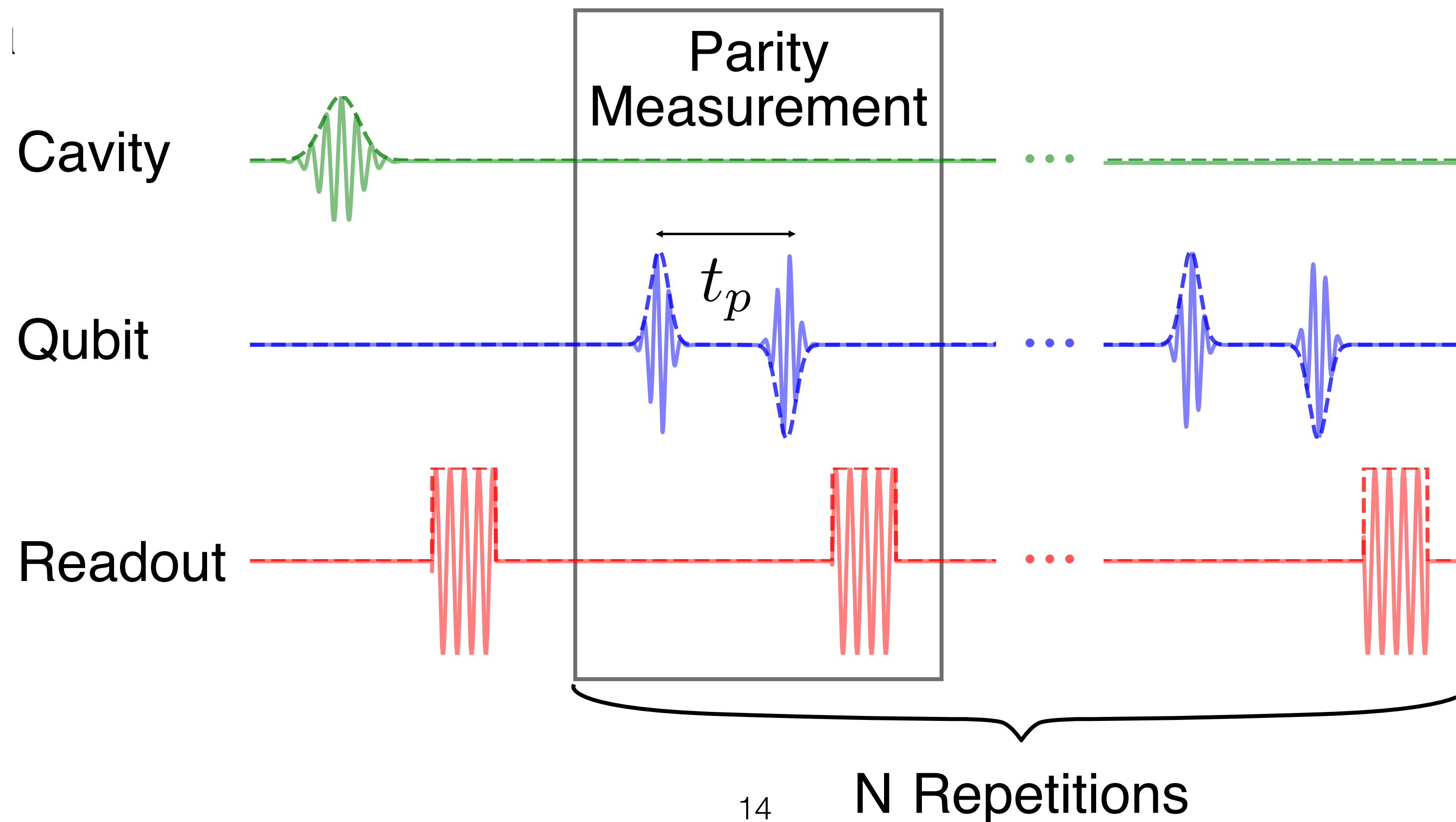
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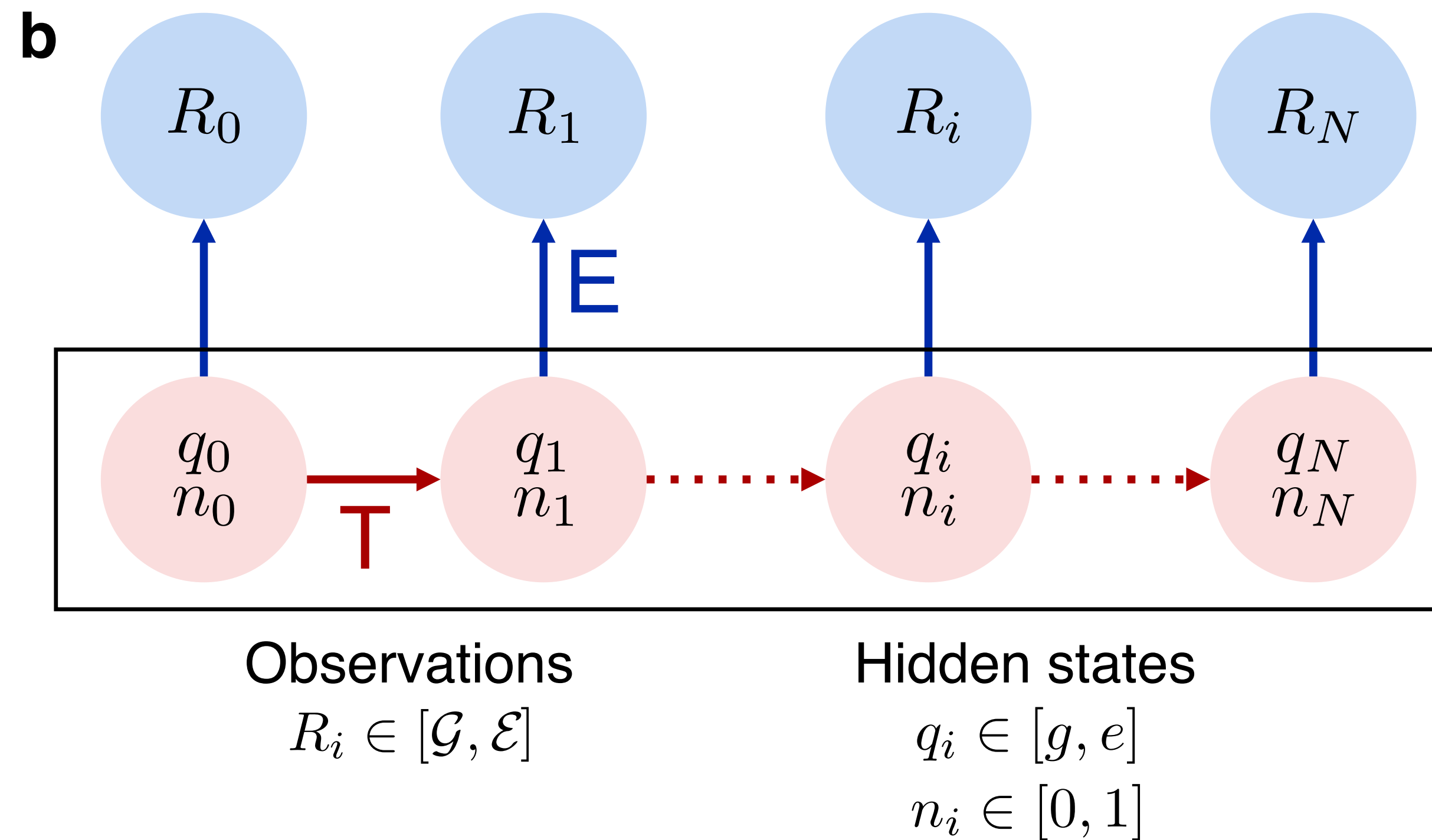
Mitigate the errors by making repeated measurements

$$\mathcal{H} = \omega_c a^\dagger a + \frac{1}{2} \omega_q \sigma_z + 2\chi a^\dagger a \frac{1}{2} \sigma_z$$

Qubit Cavity Interaction is QND, make multiple measurements of the same photon



Use hidden Markov model to describe cavity and qubit evolution



T = Transition matrix

- qubit ($108\mu s$), cavity ($546\mu s$) lifetime
- qubit spurious population (0.05)
- qubit dephasing ($T_2 = 61\mu s$)
- time between experiments ($10\mu s$)

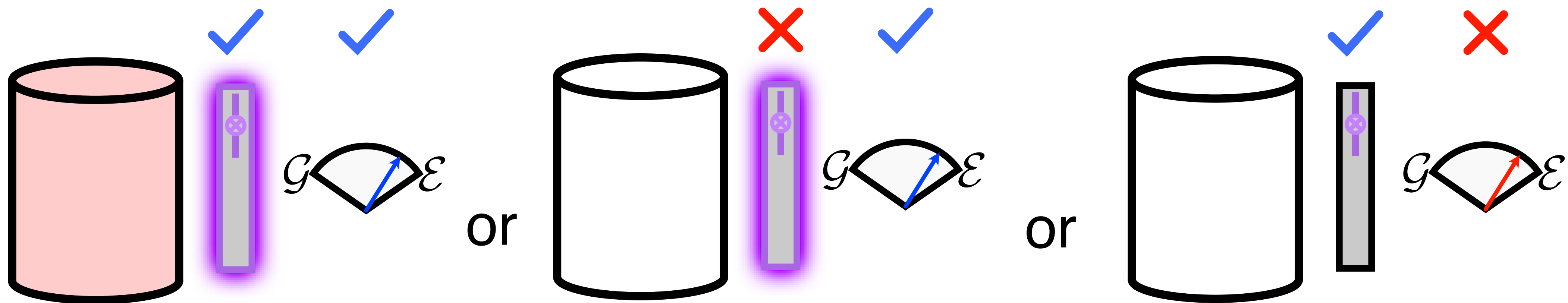
E = Emission matrix

- ground and excited state readout fidelity (0.95)

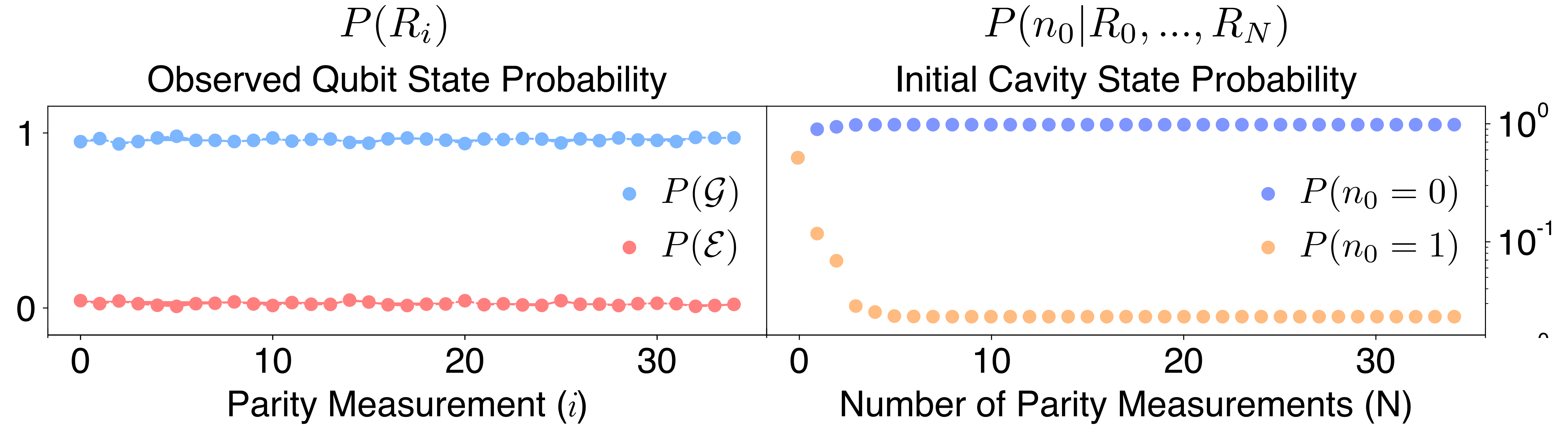
Cavity state reconstruction

$$P(n_0) = \sum_{s_0 \in [(n_0, g), (n_0, e)]} \sum_{s_1} \dots \sum_{s_N} E_{s_0, R_0} T_{s_0, s_1} E_{s_1, R_1} \dots T_{s_{N-1}, s_N} E_{s_N, R_N}$$

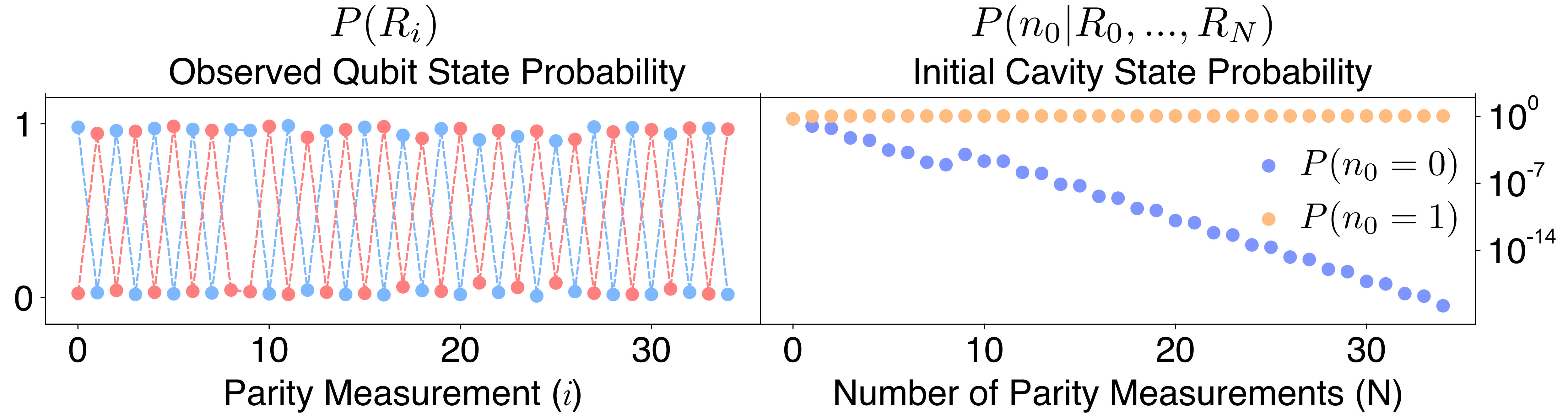
Observed readout sequence: $\mathcal{G} \rightarrow \mathcal{E}$



Detector response in the presence of zero photons



Detector response in the presence of one photon

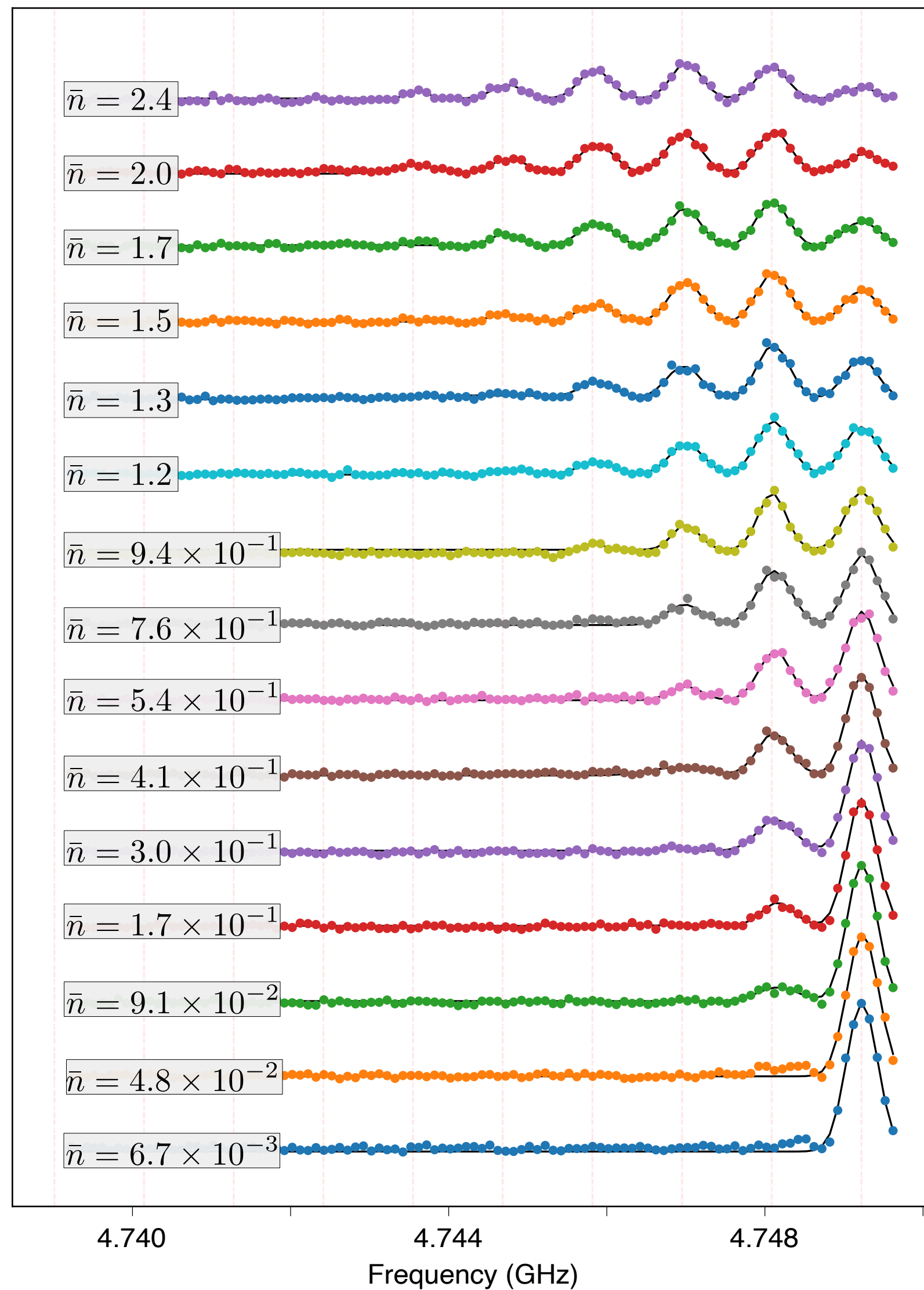


Exponential suppression of detector based false positives

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Calibrate photon injection

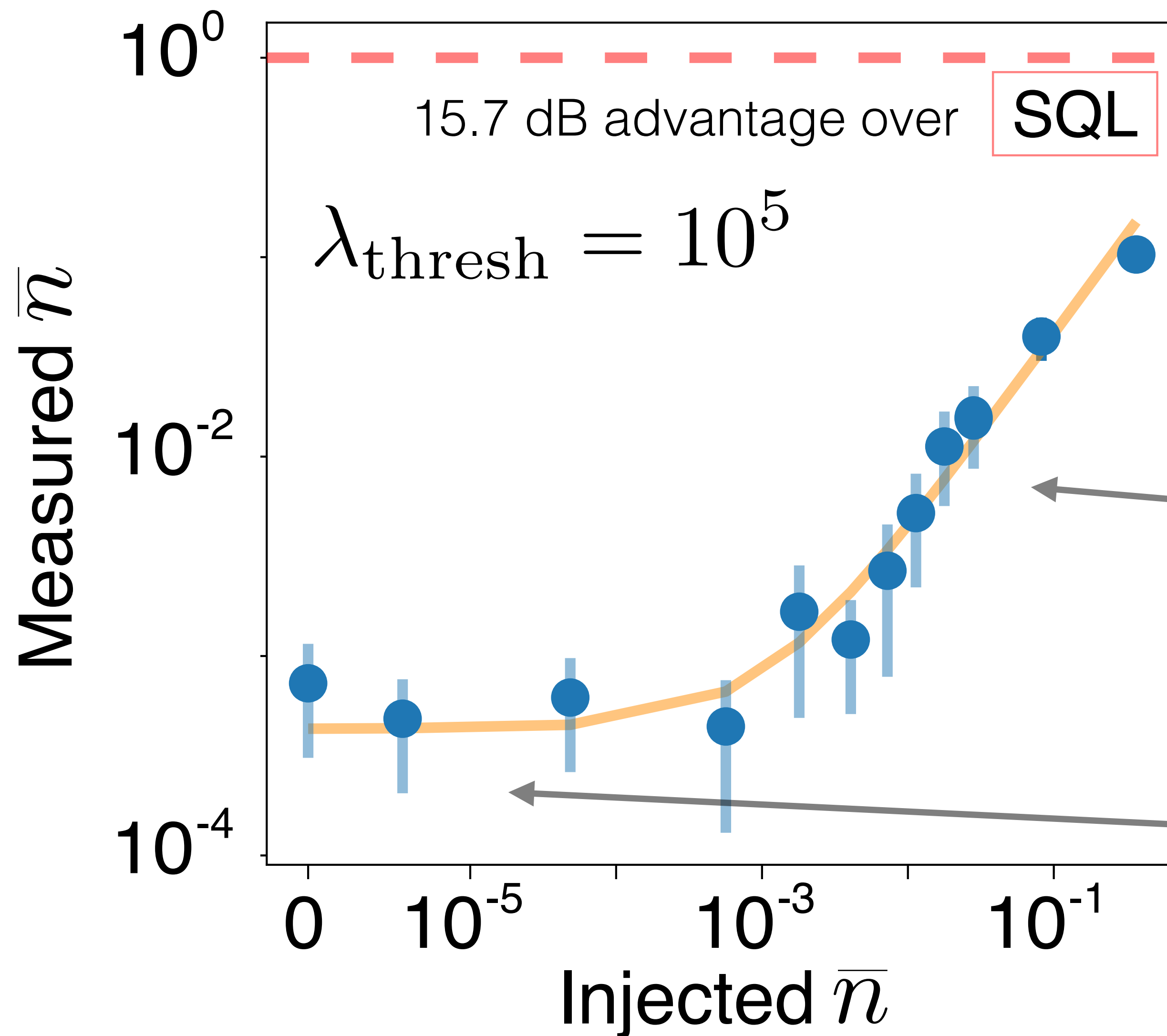


Coherent drive of variable length and amplitude

Perform spectroscopy of qubit to infer cavity population

Extract photon number distribution

Detected photon occupation vs injected photon occupation



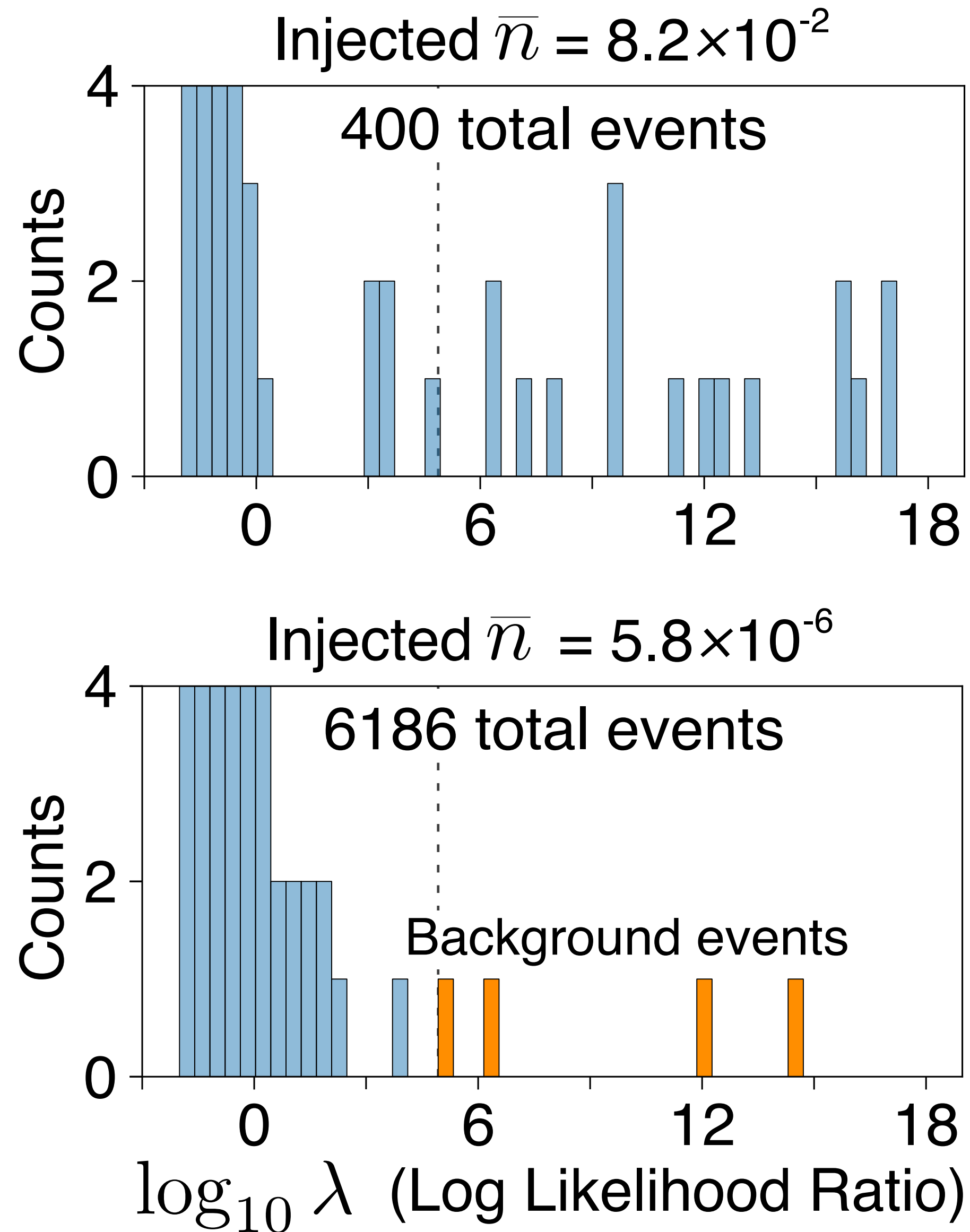
$$R_s t > \sqrt{R_n t}$$

~ 1300 X lower background rate than SQL
 $= 1300$ X less integration time required

Efficiency
 $\eta = 40.9\%$

False positive probability
 $\delta = 4.3 \times 10^{-4}$

False positives are background events



Photons detected when none are injected

Eliminated detector errors as a source of false positives

Entered a new, background limited regime

Background sources and mitigation strategies

Photons coming down lines

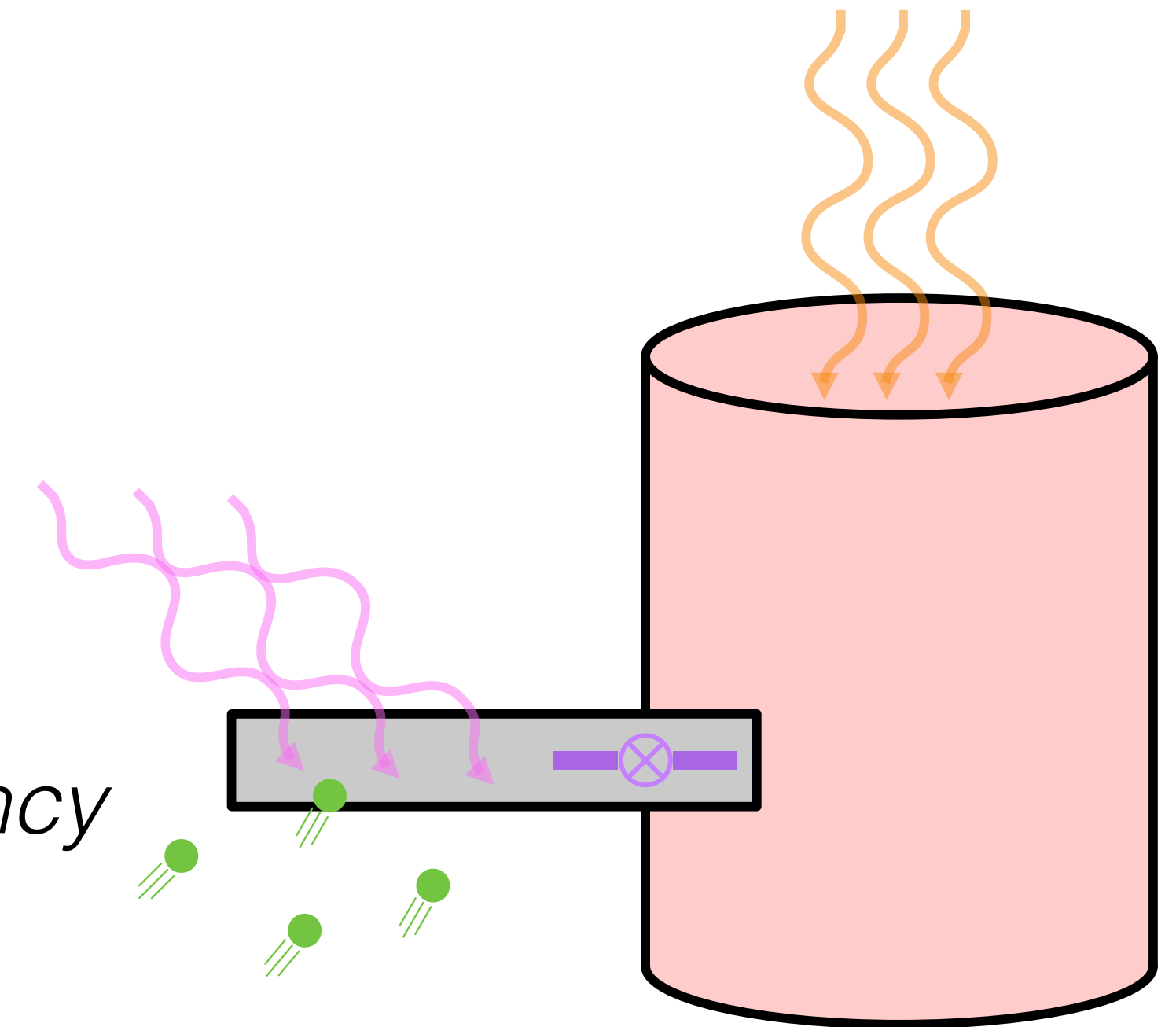
- more attenuation and filtering
- better thermalization of components

Spurious qubit excitations convert to photons

Sourced by terrestrial and cosmogenic radiation, high frequency photons

- gap engineering
- quasiparticle trapping
- new materials (Ta, Nb, TiN)

TLS and maybe more

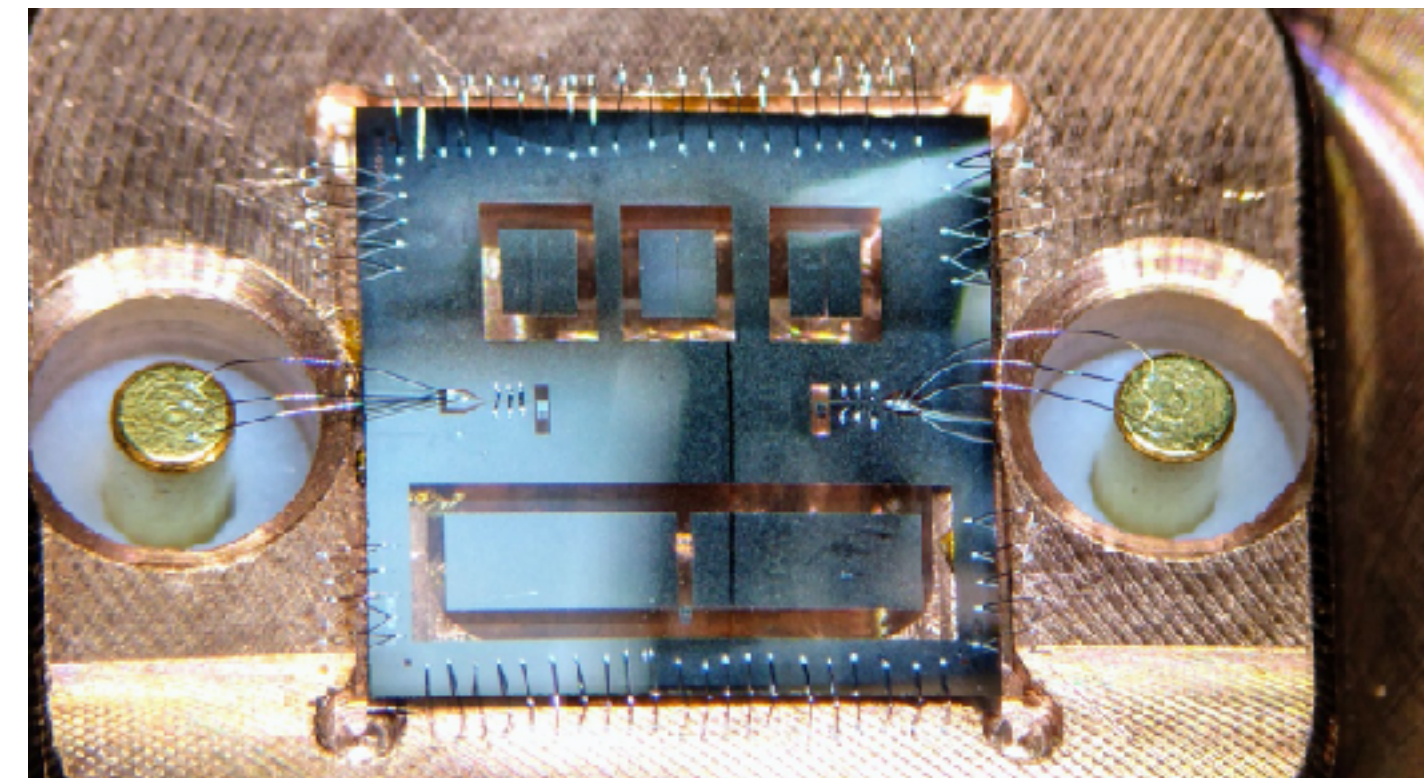


aip.scitation.org/doi/10.1063/1.4984894
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journals.aps.org/prb/abstract/10.1103/PhysRevB.94.104516
www.nature.com/articles/s41586-020-2619-8
journals.aps.org/prb/abstract/10.1103/PhysRevB.100.140503
journals.aps.org/prl/abstract/10.1103/PhysRevLett.121.157701

Further improvements to protocol

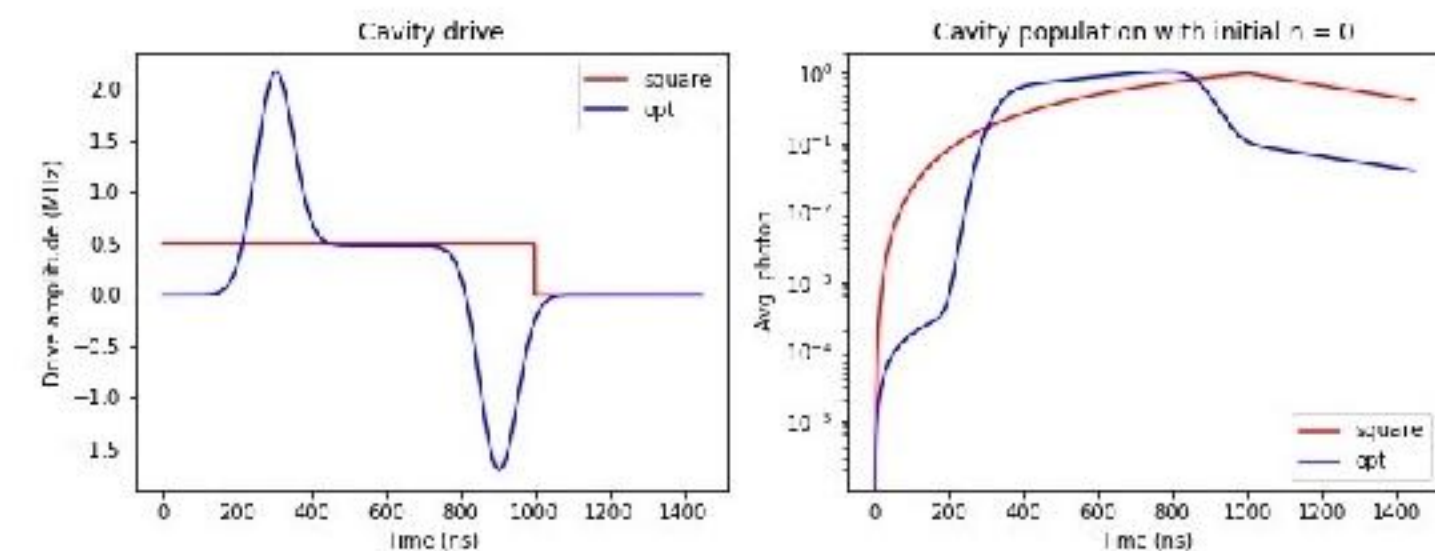
Parametric amplifier

- increases readout fidelity
- reduces readout time
- reduces readout cavity photon number



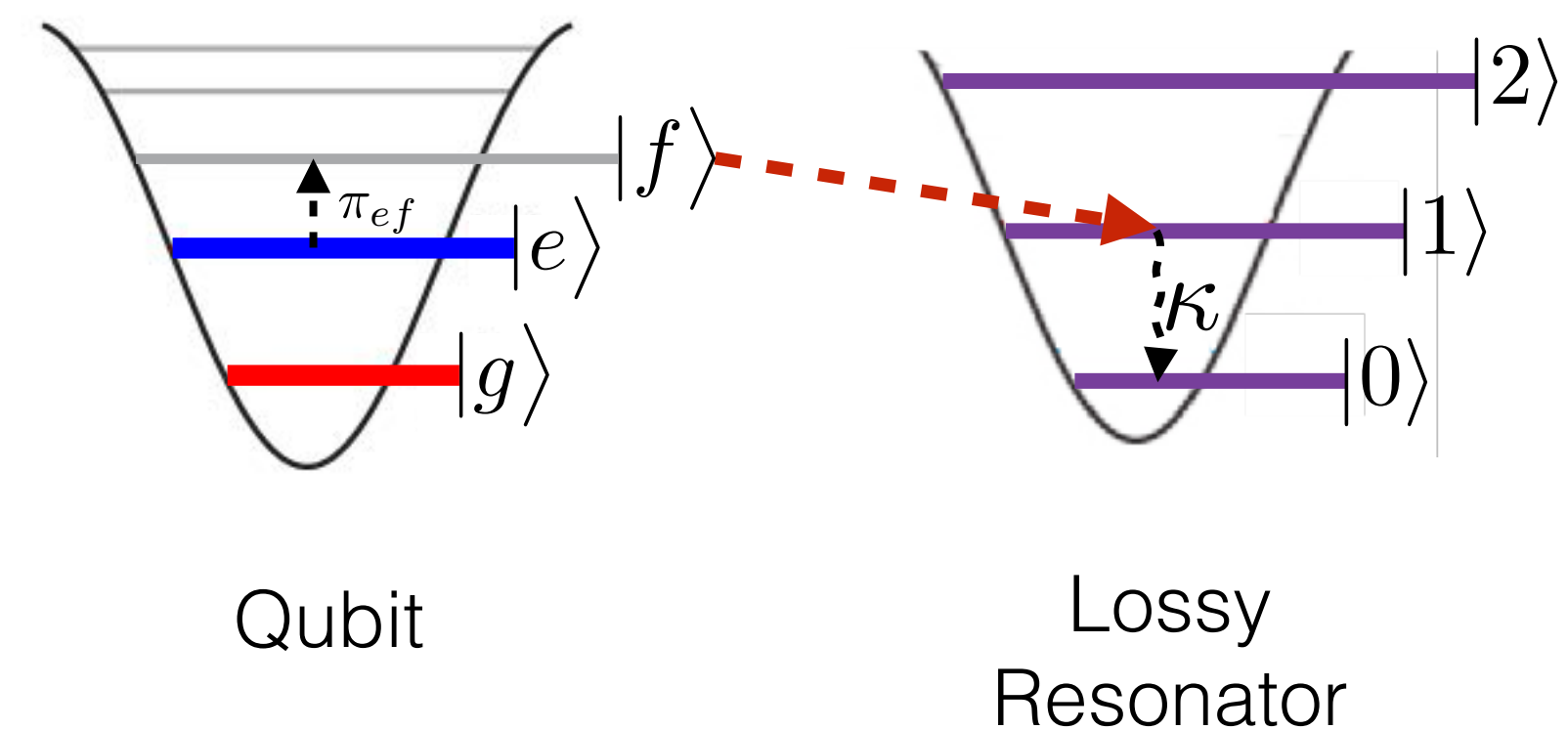
Reset readout cavity with optimized pulse shape

- readout decay is dominant time scale in expt



Reset qubit between measurements

- $P(\text{decay}) \sim 9\%$
- $P(\text{heating}) \sim 0.4\%$

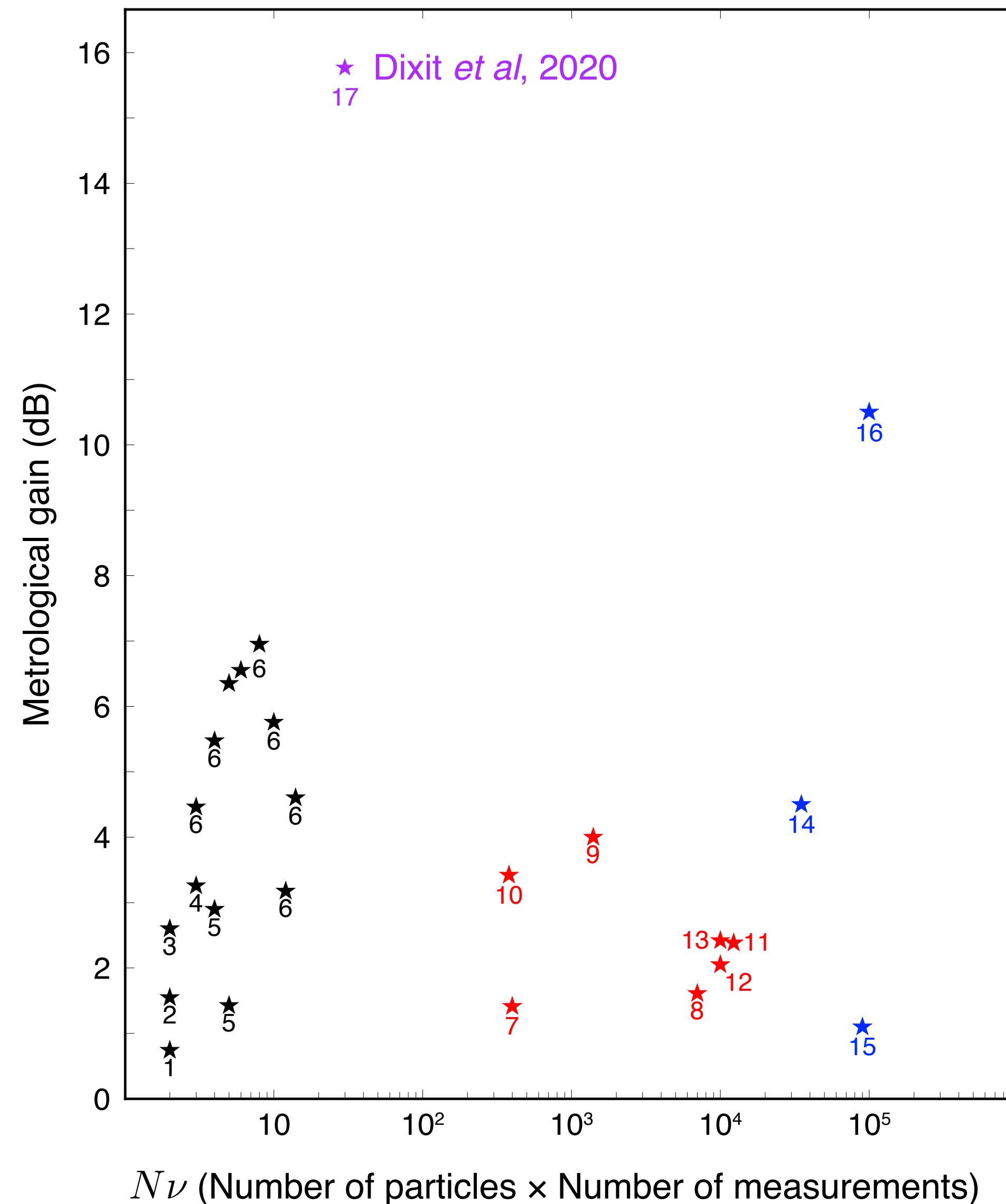


Qubit based counting can achieve the most sensitive sub-SQL metrology

Ultra sensitive metrological measurement

Assuming mixing with qubit is dominant, and $P(\text{heating}) = 10^{-3}$, can achieve > 25 dB

Corresponds to $> 10^5$ improvement in scan time



Trapped Ions

- [1] Sackett, 2000
- [2] Meyer, 2001
- [3] Leibfried, 2003
- [4] Leibfried, 2004
- [5] Leibfried, 2005
- [6] Monz, 2011

Bose-Einstein Condensates

- [7] Gross, 2010
- [8] Lücke, 2011
- [9] Ockeloen, 2013
- [10] Strobel, 2014
- [11] Muessel, 2014
- [12] Kruse, 2016
- [13] Zou, 2018

Cold Thermal Atoms

- [14] Leoroux, 2010a
- [15] Louchet-Chauvet, 2010
- [16] Hosten, 2016

Superconducting Qubit

- [17] Dixit, 2020

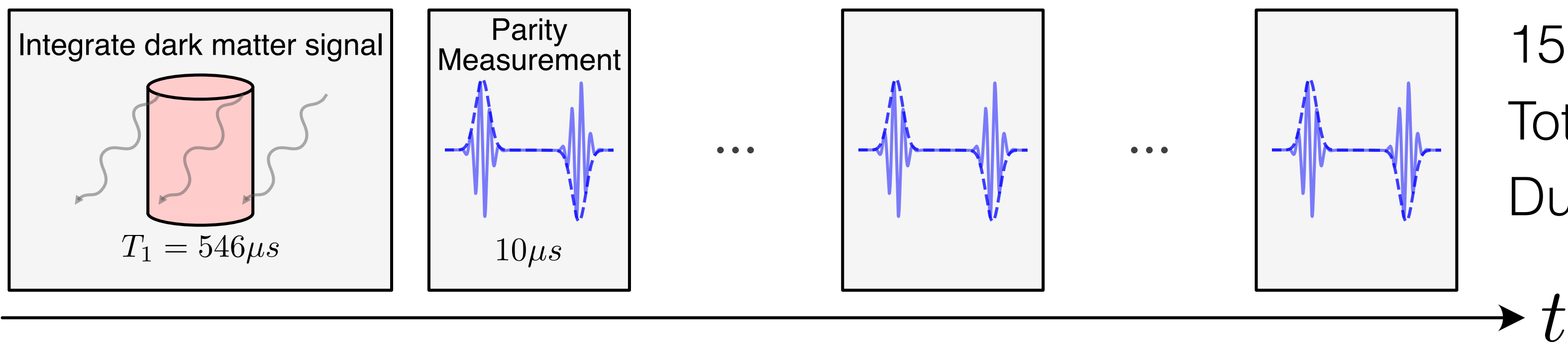
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Dark matter search protocol

Signal cannot build up while measuring (quantum Zeno effect)

30 repeated measurements

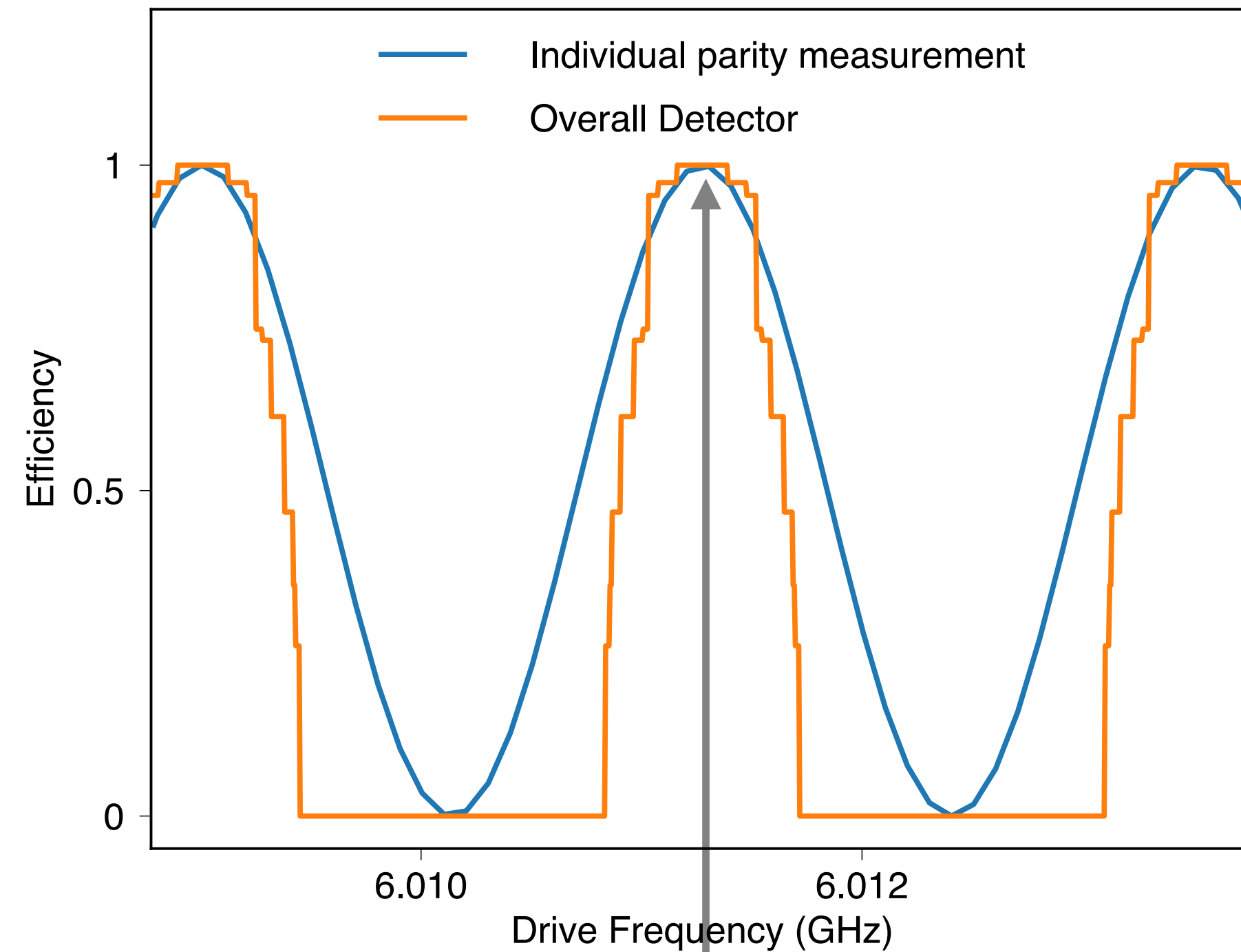


15,141 experiments performed
Total experiment time of 12.81 s
Duty cycle of 65% (8.33 s of integration)

Counted 22 photons

Dark matter candidate that could produce 29 or more photons excluded at the 90% confidence level

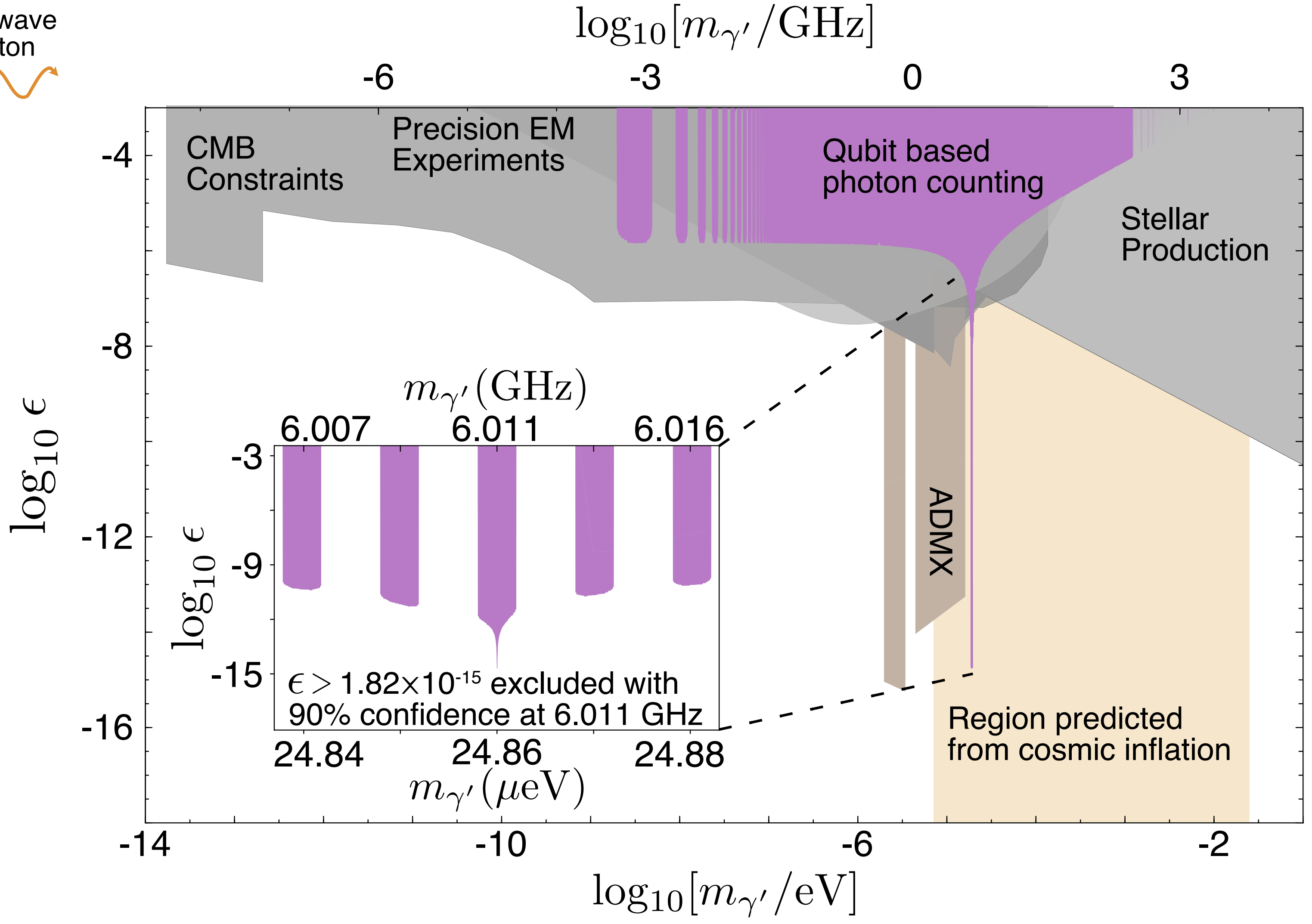
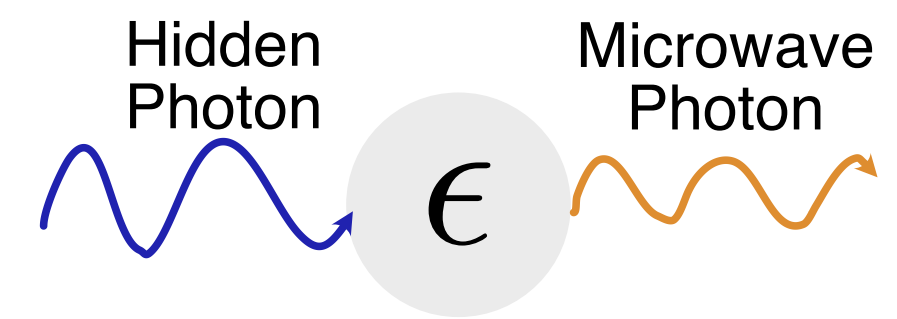
Detector is sensitive to off resonant and large amplitude signals



- With parity procedure, qubit can sense:
- Off resonant photons filtered through cavity
 - Large amplitude signals, with significant odd number contributions

Parity procedure tuned for excitations on resonance

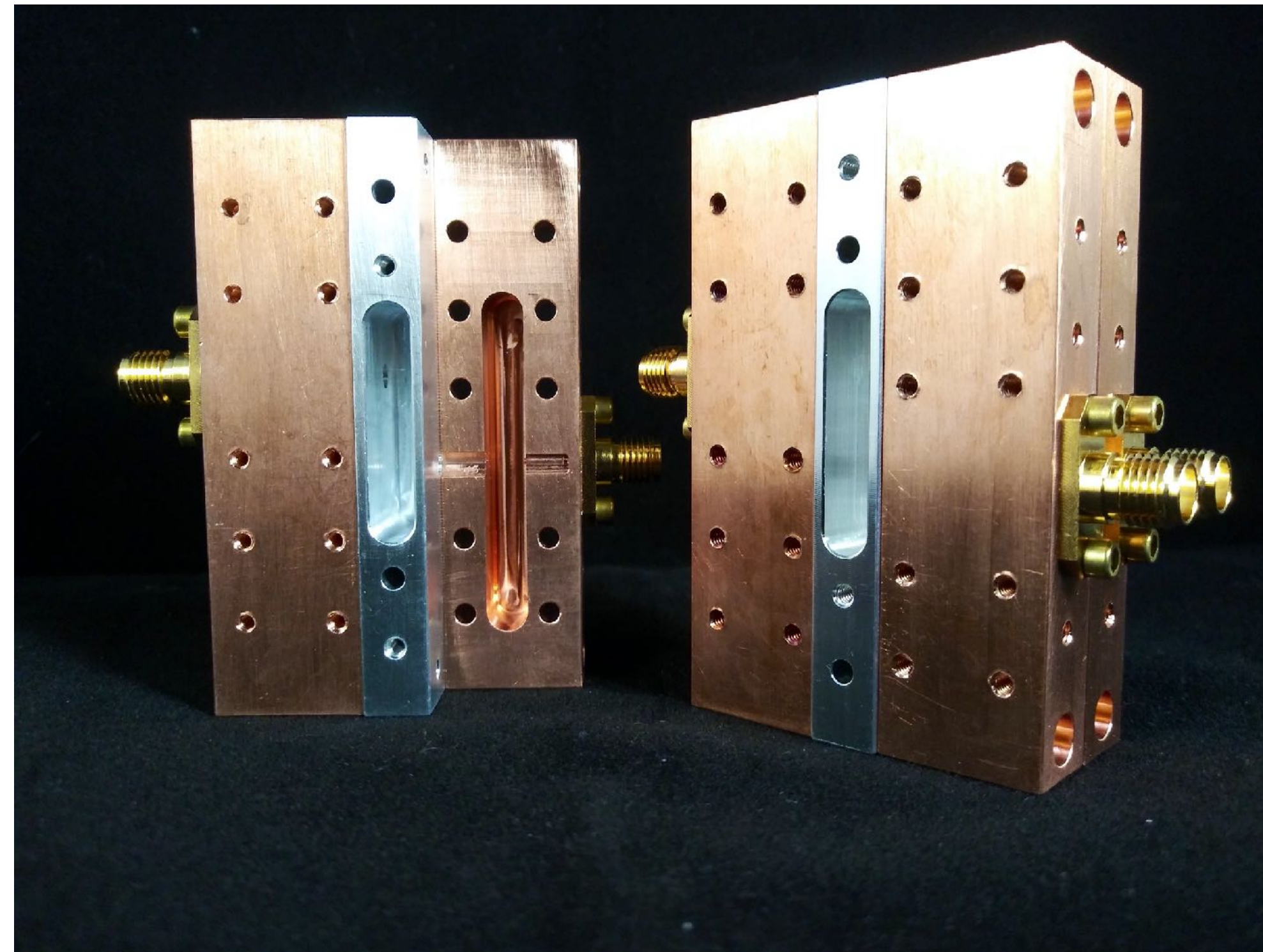
Constraining the Hidden Photon Dark Matter



Further increasing sensitivity for dark matter searches

Investigate and mitigate photon backgrounds

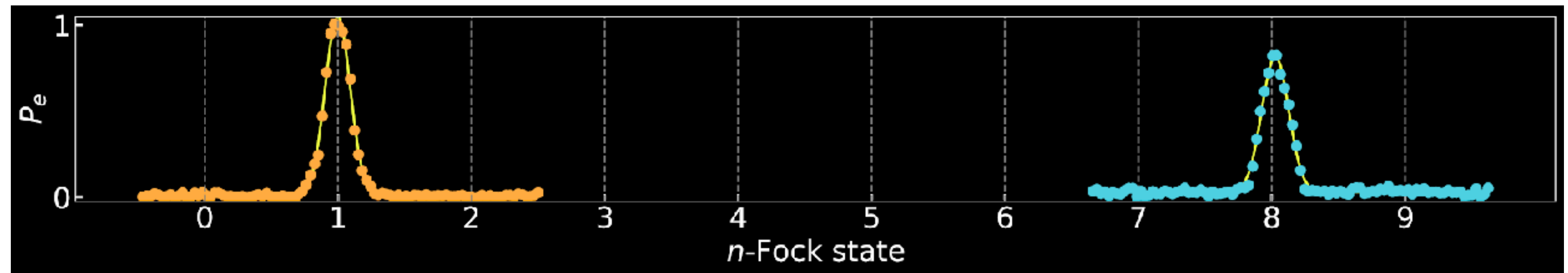
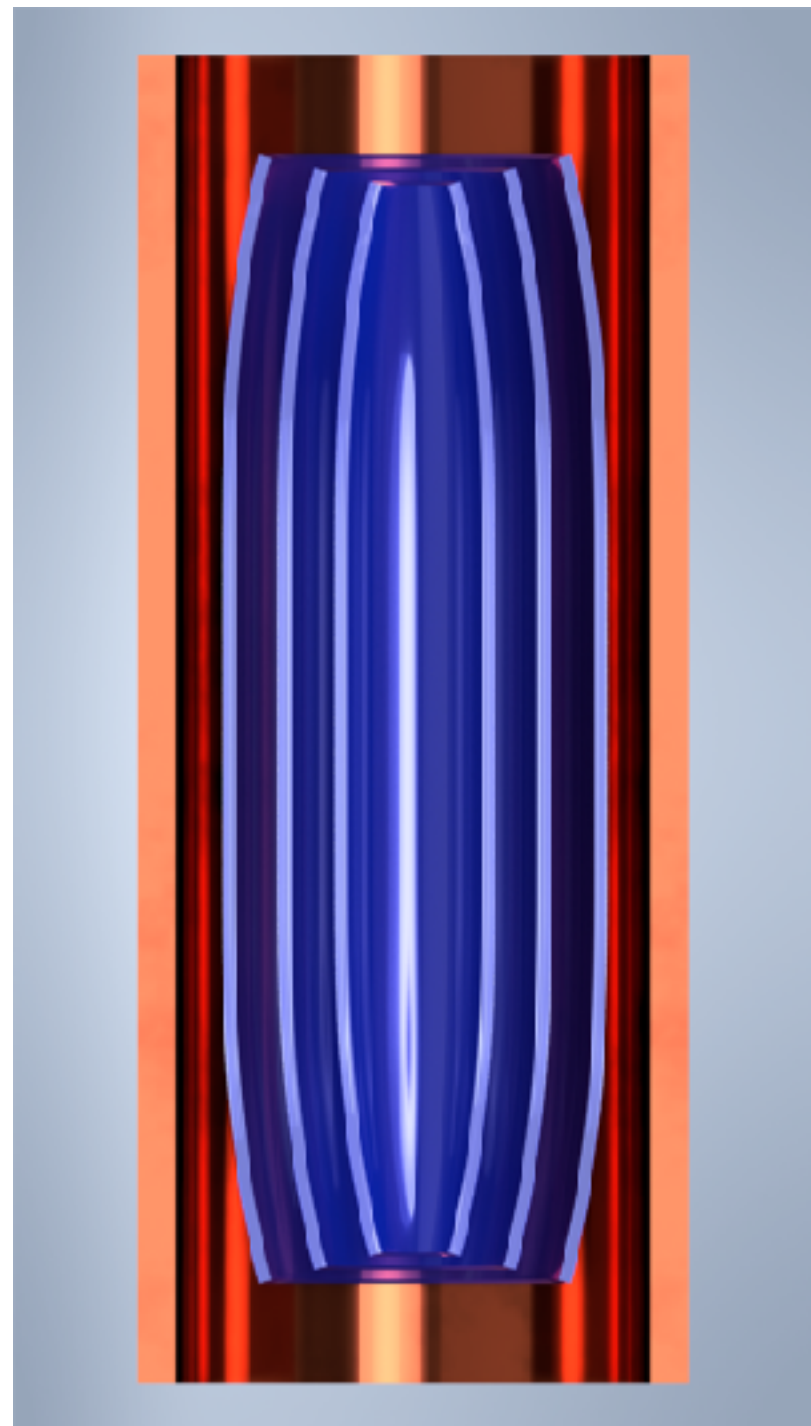
Use multiple entangled qubits for enhanced metrology



Boosting dark matter induced signal

Novel materials/designs for high Q cavities

Use nonclassical cavity states for signal enhancement



Conclusions

- Employed quantum information techniques/devices for dark matter cosmology
- Achieved 15.7 dB metrological gain, ~ 1300 X speed up of dark matter searches
- Unprecedented sensitivity to hidden photon dark matter
- Manuscript: arxiv.org/abs/2008.12231



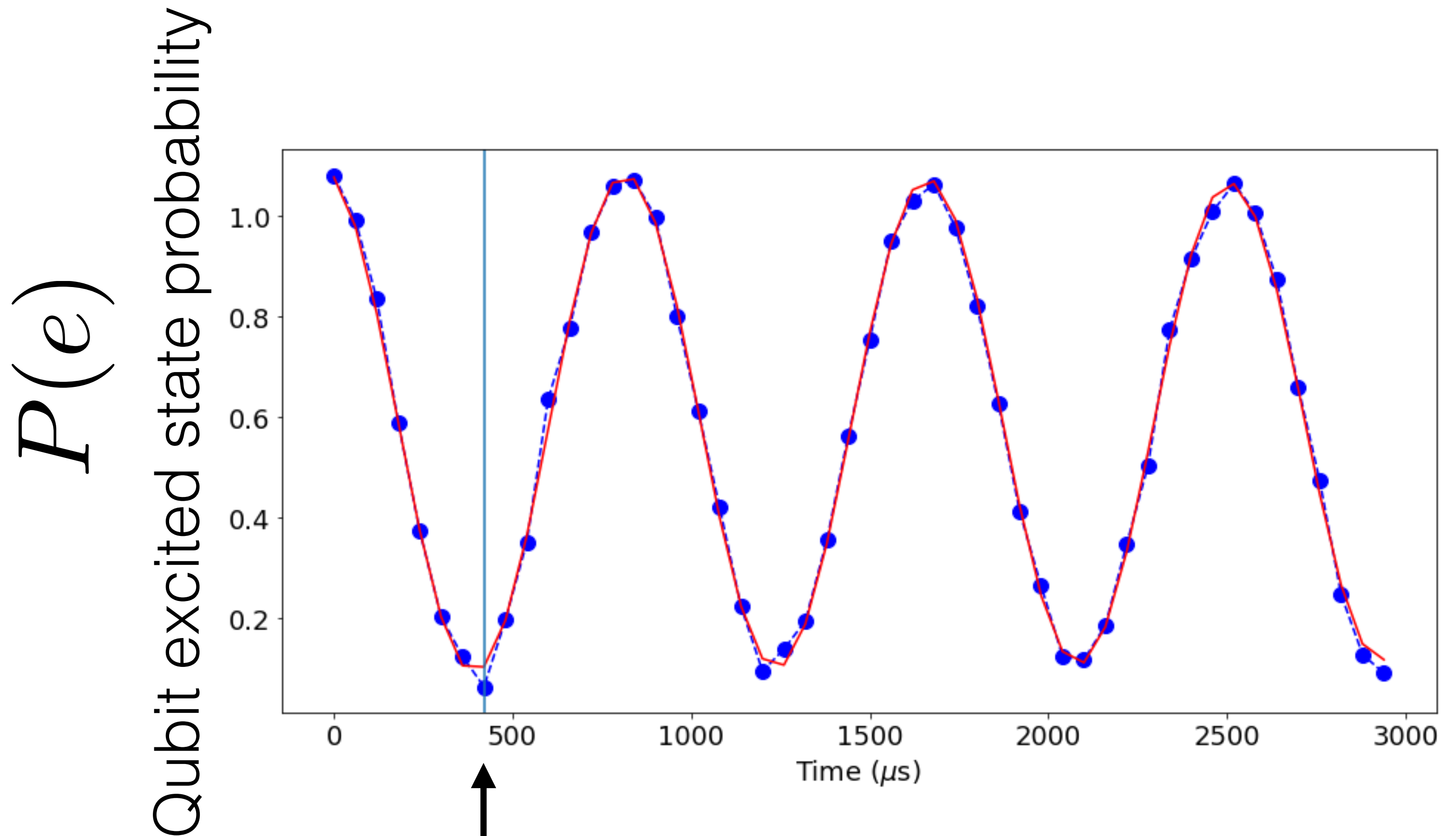
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ENERGY

Office of
Science

Pritzker
Nanofabrication
Facility

Number Parity Measurement to Determine Cavity Photon Number

1. Place Qubit in superposition state
2. Qubit superposition precesses at 2χ in the presence of cavity photon
3. Wait (460ns) for state to rotate halfway around the plane
4. Project state onto z-axis



$$2\chi t = \pi$$

Forward Backward Algorithm

Forward-Backward algorithm allows us to determine the hidden state probability

$$P(n_i | R_0, R_1, \dots, R_i, \dots, R_n) \propto P(n_i | R_0, R_1, \dots, R_i) \times P(R_{i+1}, \dots, R_n | n_i)$$

Forward

$$P(n_i | R_0, R_1, \dots, R_i) \propto \sum_{n_{i-1}} E(n_i, R_i) T(n_{i-1}, n_i) P(n_{i-1} | R_0, R_1, \dots, R_{i-1})$$

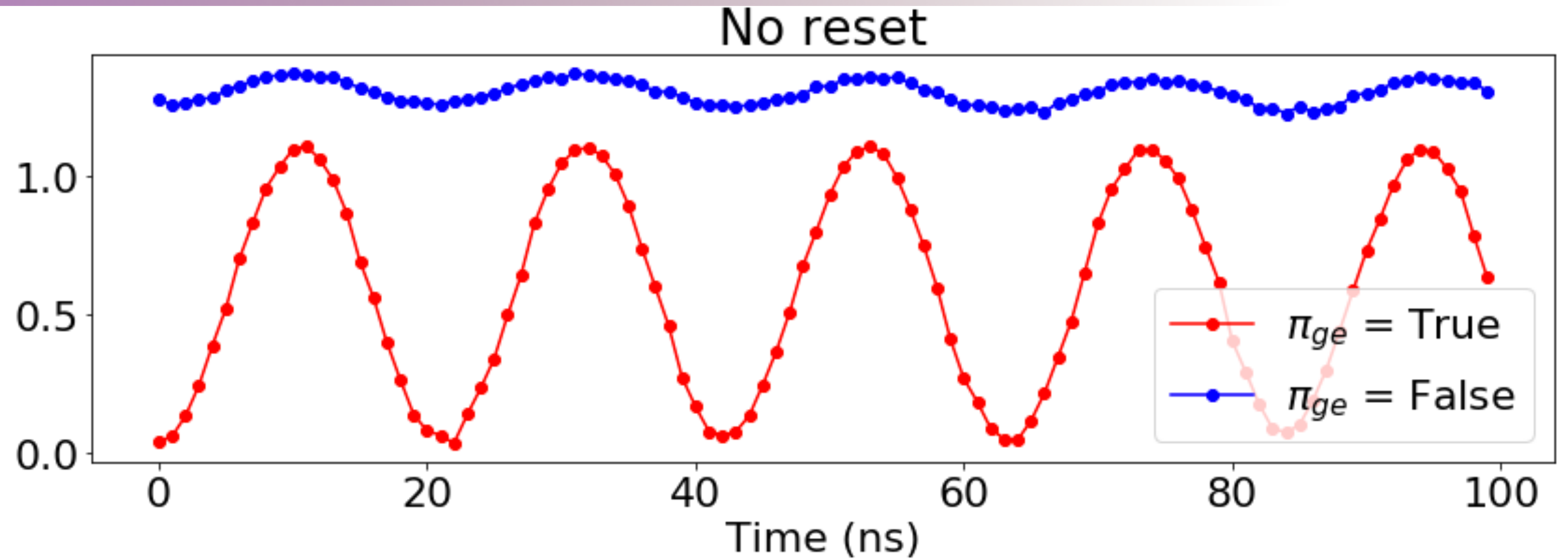
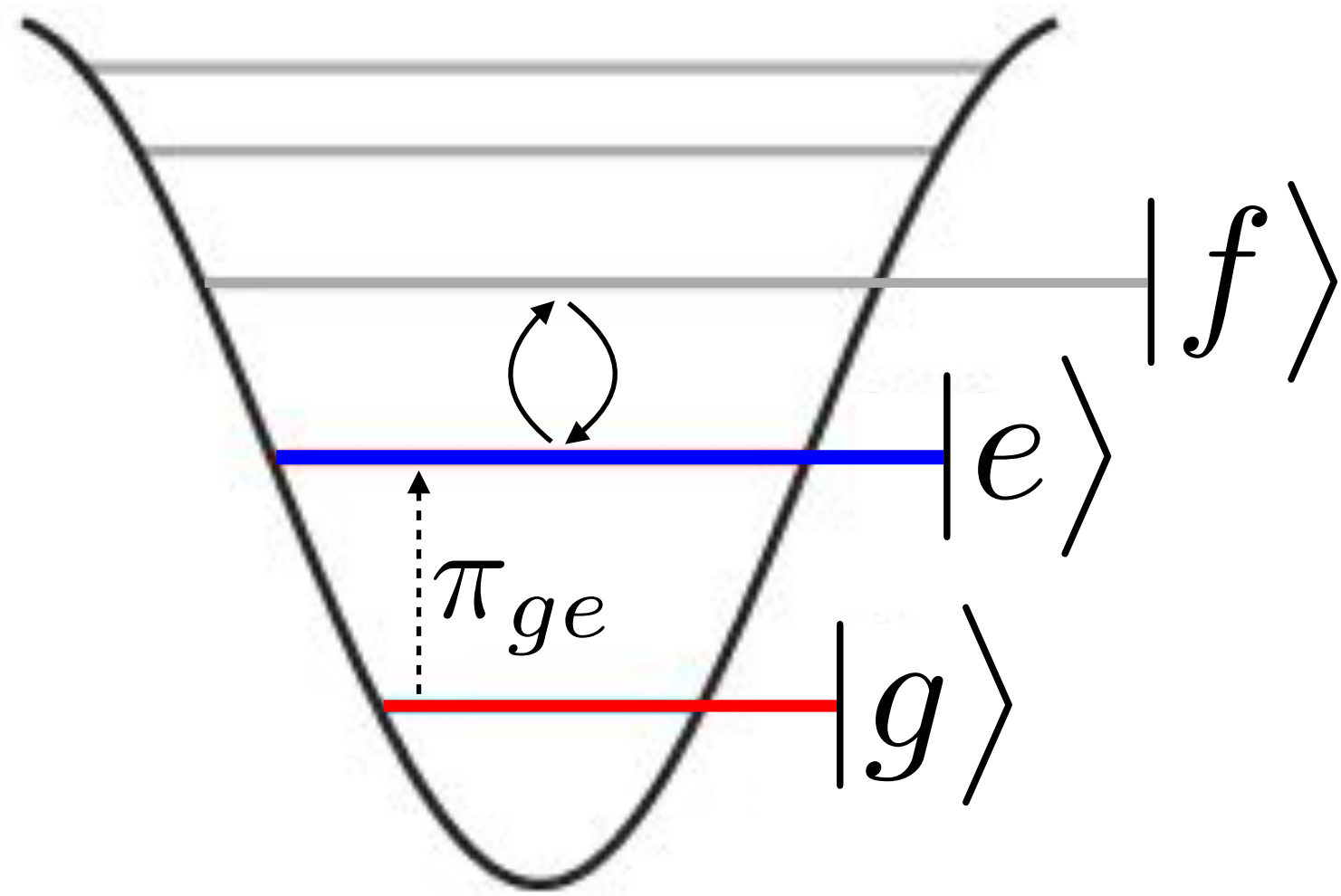
Backward

$$P(R_{i+1}, \dots, R_n | n_i) \propto \sum_{n_{i+1}} P(R_{i+2}, \dots, R_n | n_{i+1}) E(n_{i+1}, R_{i+1}) T(n_i, n_{i+1})$$

<https://arxiv.org/pdf/1607.02529.pdf>

<https://web.stanford.edu/~jurafsky/slp3/A.pdf>

Qubit Spurious Excitations Produce Dark Counts

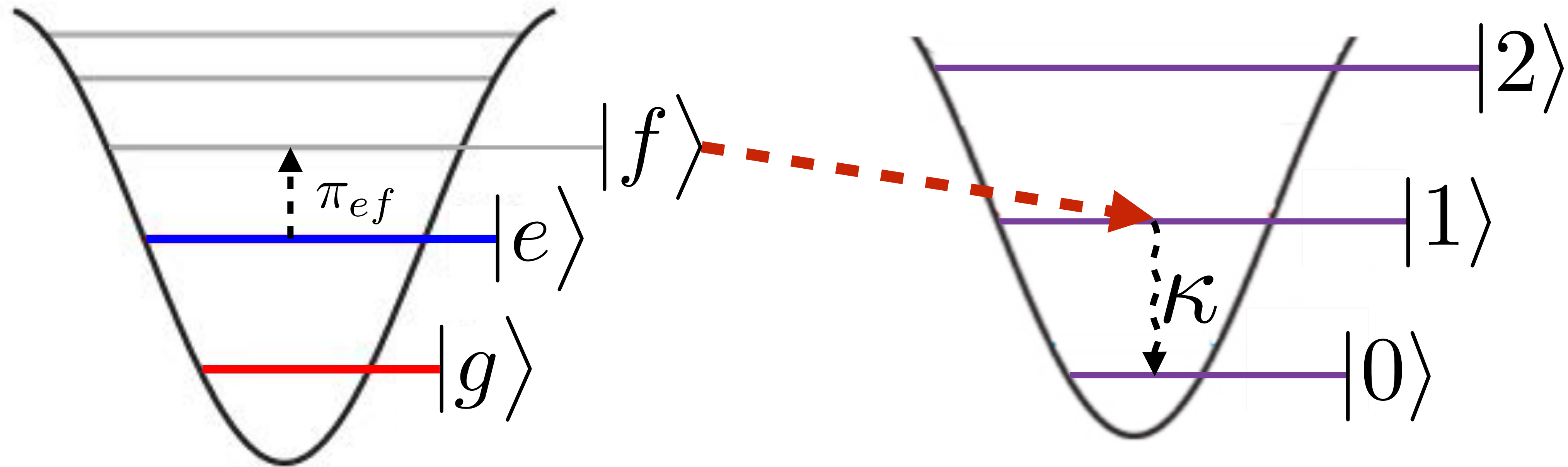


Ratio of oscillation
amplitudes

=

Ratio of ground/excited
state populations

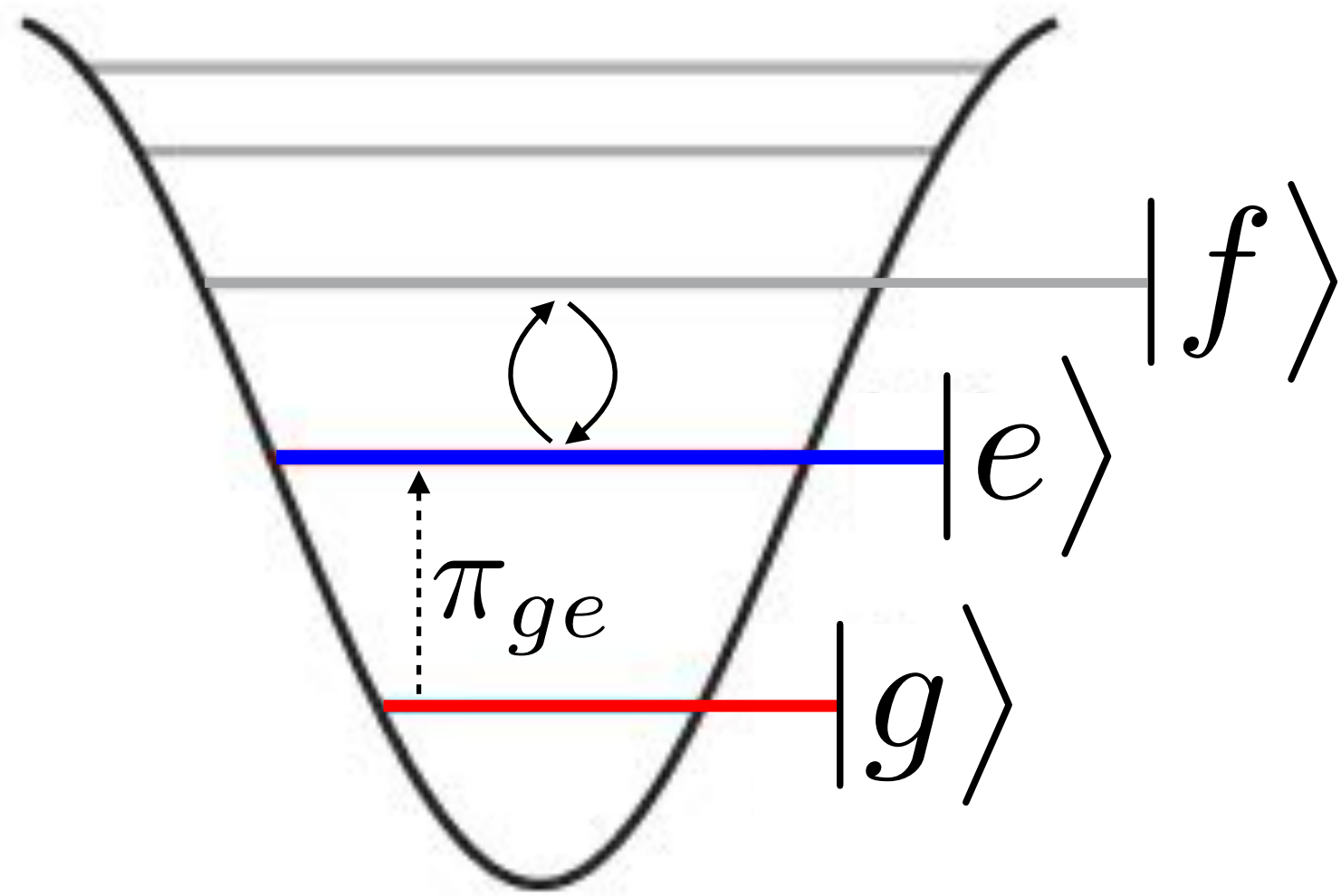
Cool Qubit with Lossy Resonator Mode



Qubit

Lossy Resonator

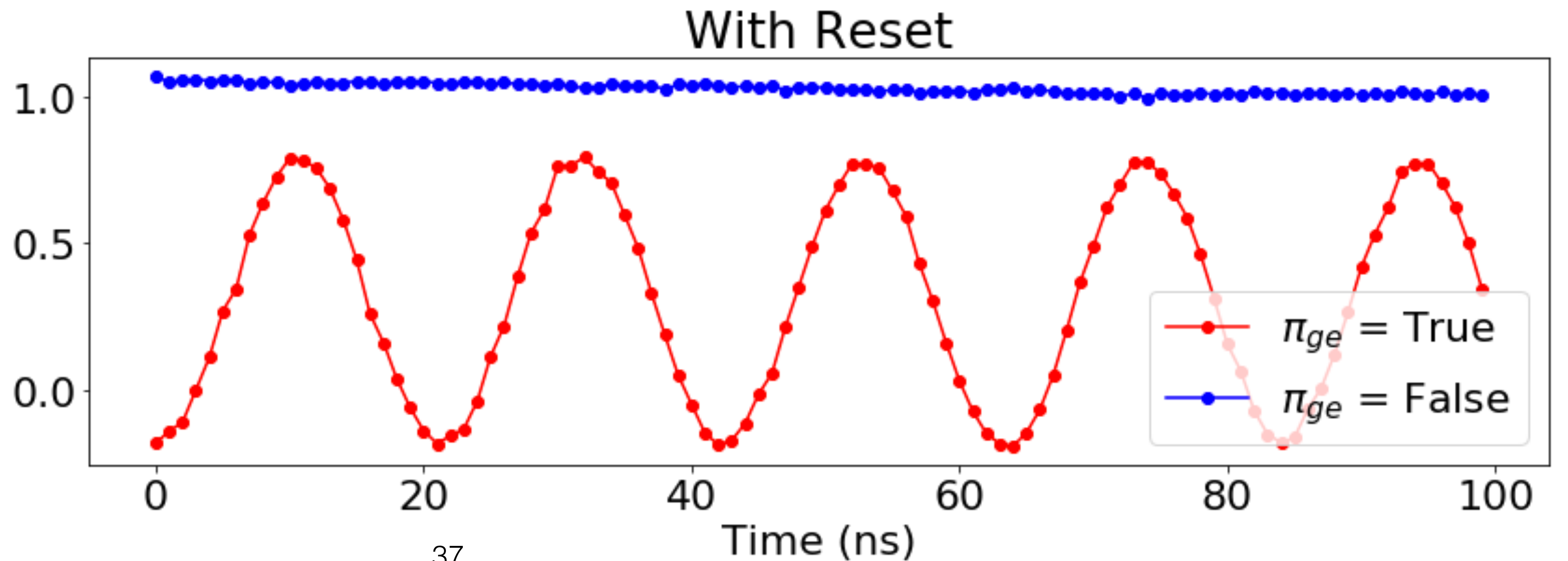
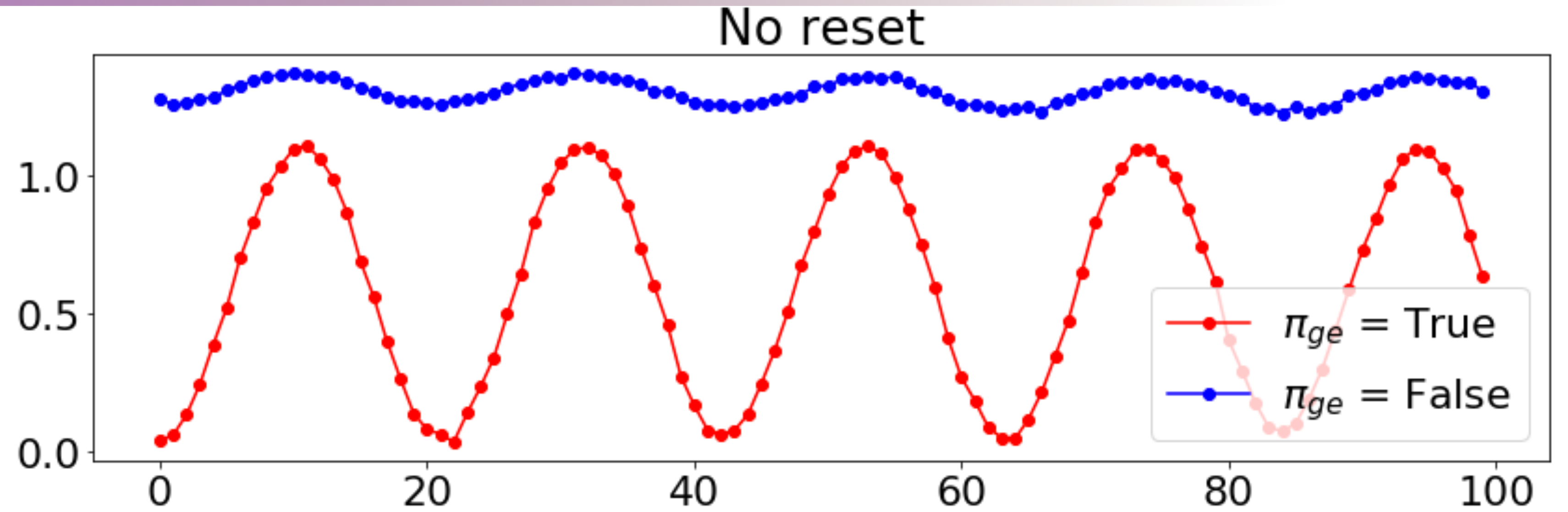
Qubit Spurious Excitations Suppressed with Cooling



Ratio of oscillation amplitudes

=

Ratio of ground/excited state populations



Suppressing Spurious Qubit Excitations

