



Optimization of the Travelling Wave Parametric Amplifier Performance and Noise Handling for Qubit Readout

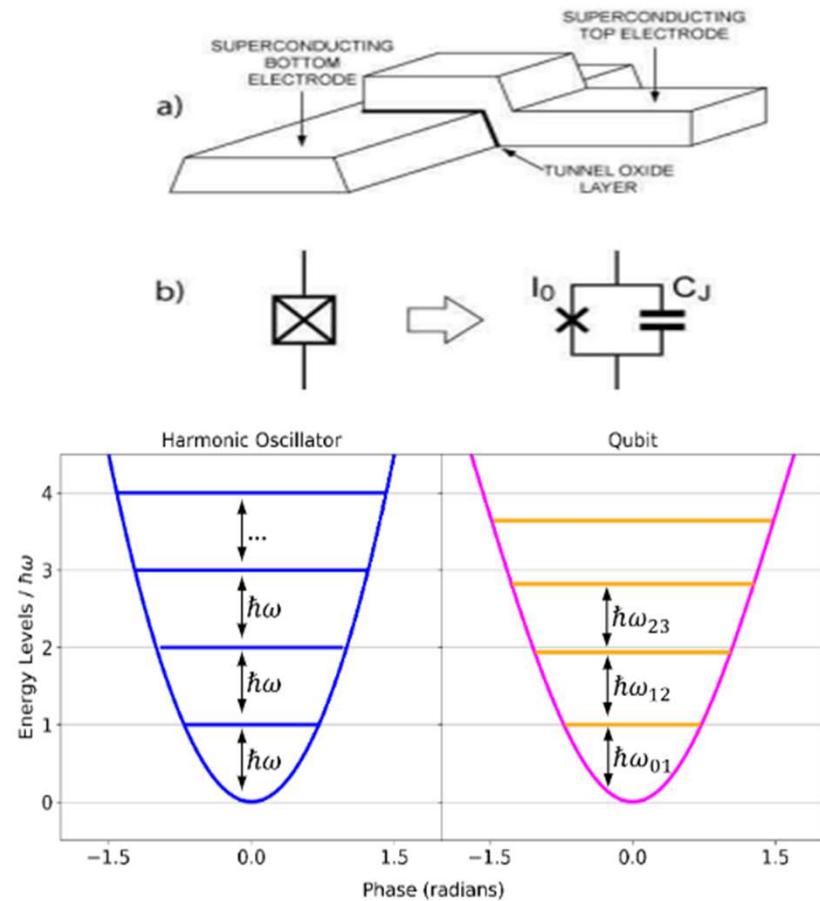
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Qubit Background

- Qubits are computer bits that can be 0, 1, or a superposition of both.
 - $|\psi\rangle = c_0|0\rangle + c_1|1\rangle$
- Our qubits are constructed using Josephson junctions.
 - This junction creates an anharmonic oscillator with addressable energy levels.
- Coupled to harmonic resonators for readout purposes.
- Promising candidate for axion detectors
 - Issues with spatially correlated errors.
 - Physicists working at NEXUS are trying to find the source of these errors.

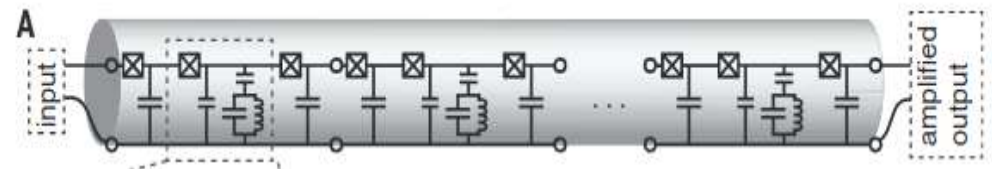


Top: Diagram of a Josephson junction (Devoret *et al.*, 2008)

Bottom: Energy Levels of Harmonic Oscillator and Qubit

The Travelling Wave Parametric Amplifier

- The Travelling Wave Parametric Amplifier (TWPA), is the first amplifier the signal encounters after the qubit package.
 - Improves gain and SNR of signal.
 - A near quantum limited amplifier; adds little noise.
- Constructed from a series of Josephson junctions, capacitors, and inductors.
- Requires a specific driving signal from TWPA pump.
 - Comprised of a signal generator and attenuator.
- **My task:** Find this specific driving signal.

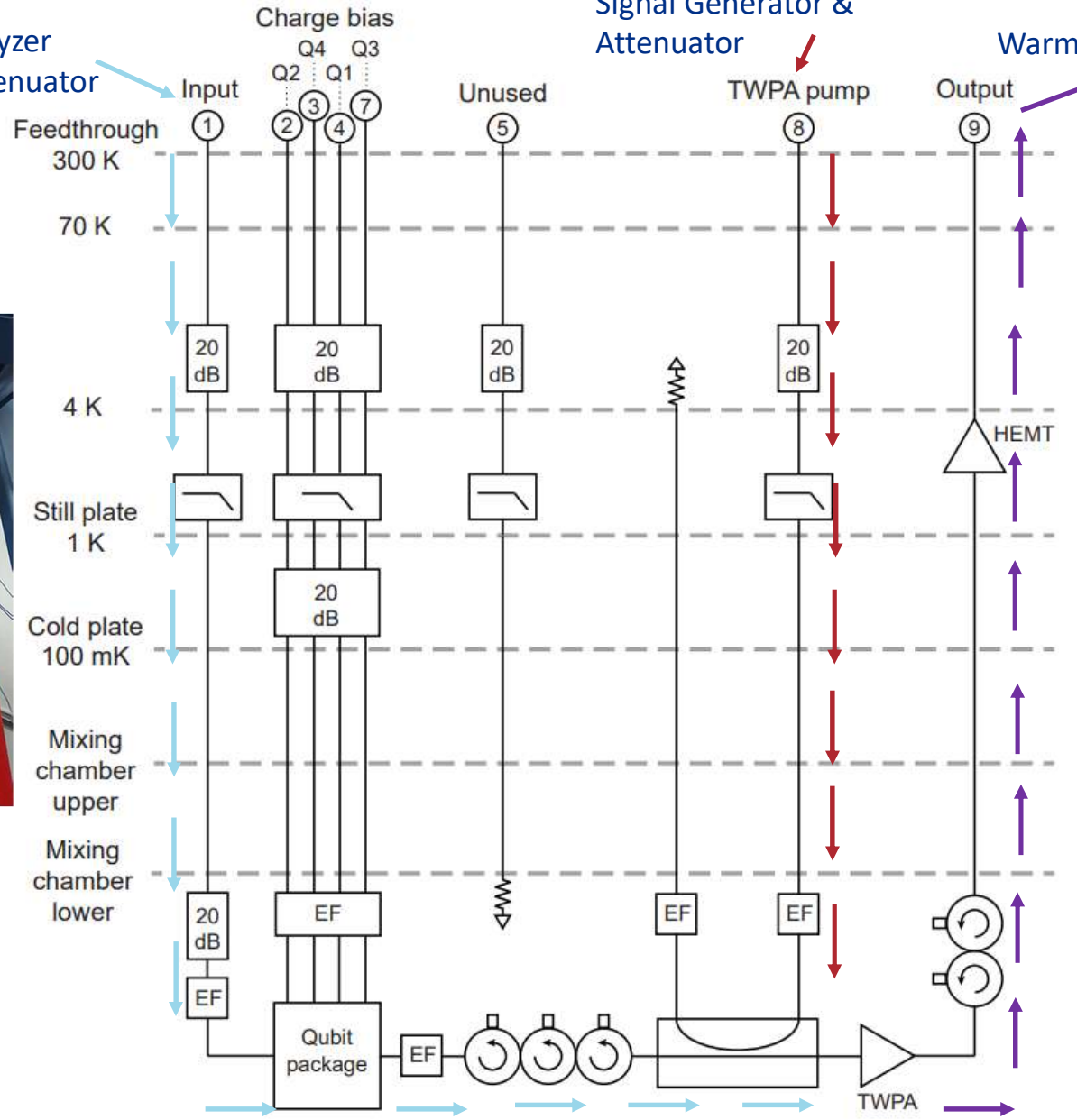


Circuit representation of the Travelling Wave Parametric Amplifier (TWPA)(Macklin *et al.*, Science (2015)).

Vector Network Analyzer (VNA) & Variable Attenuator

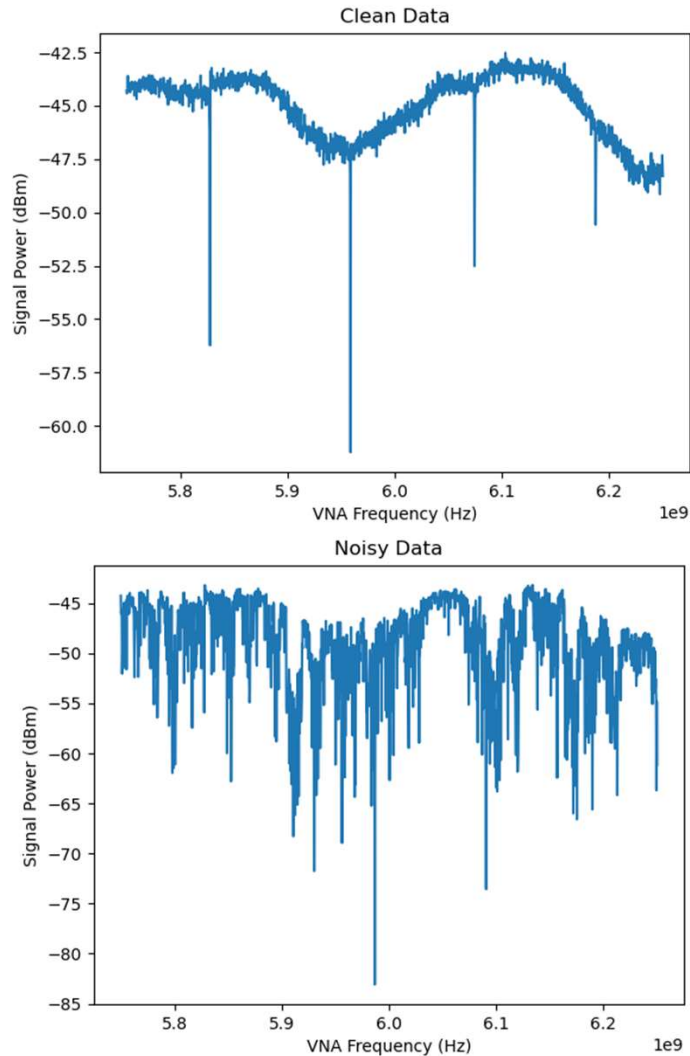
Signal Generator & Attenuator

Warm Amp & VNA



Combine & Amplify

Noise Within the System



- Significant change in noise present in our signals.
 - Caused by vibrations of the fridge.
- Random.
- Frequent.
- Dominates signals where it appears.
- **Task:** Develop a noise detecting/handling procedure which can clean data collection.
 - Presently, noise issue is resolved, but procedure can still be handy in the future.

New Code

Five new programs created:

- Signal generator control code
 - Grants control of signal generator
- TWPA Pump code
 - Combines signal generator and attenuator
- TWPA Pump Sweep code
 - 1D and 2D Sweeps of Frequency and Power
- Noise Detector code
 - Indicates if noise is present
- Analysis/Plotting code
 - Calculates gain and SNR and plots on 2D color graph

$$Gain = Amp(TWPA_{on}) - Amp(TWPA_{off})$$

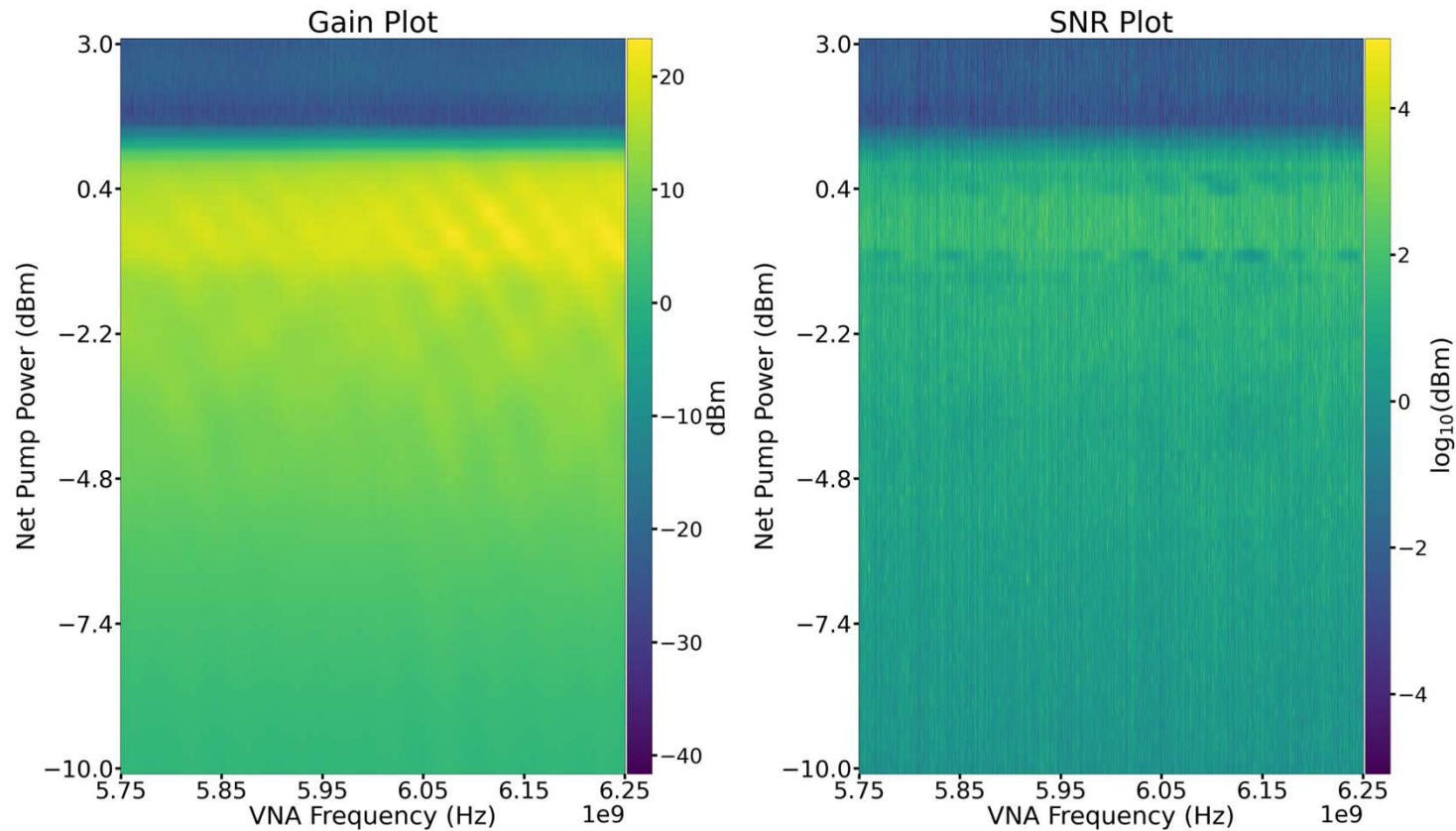
$$SNR = \frac{Var(TWPA_{off})}{Var(TWPA_{on})}$$

Optimizing the TWPA

- Objective: Find pump parameters that maximize the gain and SNR.
- First step, narrow the search window with 1D sweeps.
 - This saves a lot of time and avoids accidentally damaging the TWPA.
- Next step, perform a 2D sweep of frequency and power in new search window.
 - This step will reveal the optimal TWPA pump configuration.

1D Power Sweep

TWPA Power (Pump Frequency = 7470 MHz) Plot of Gain and SNR

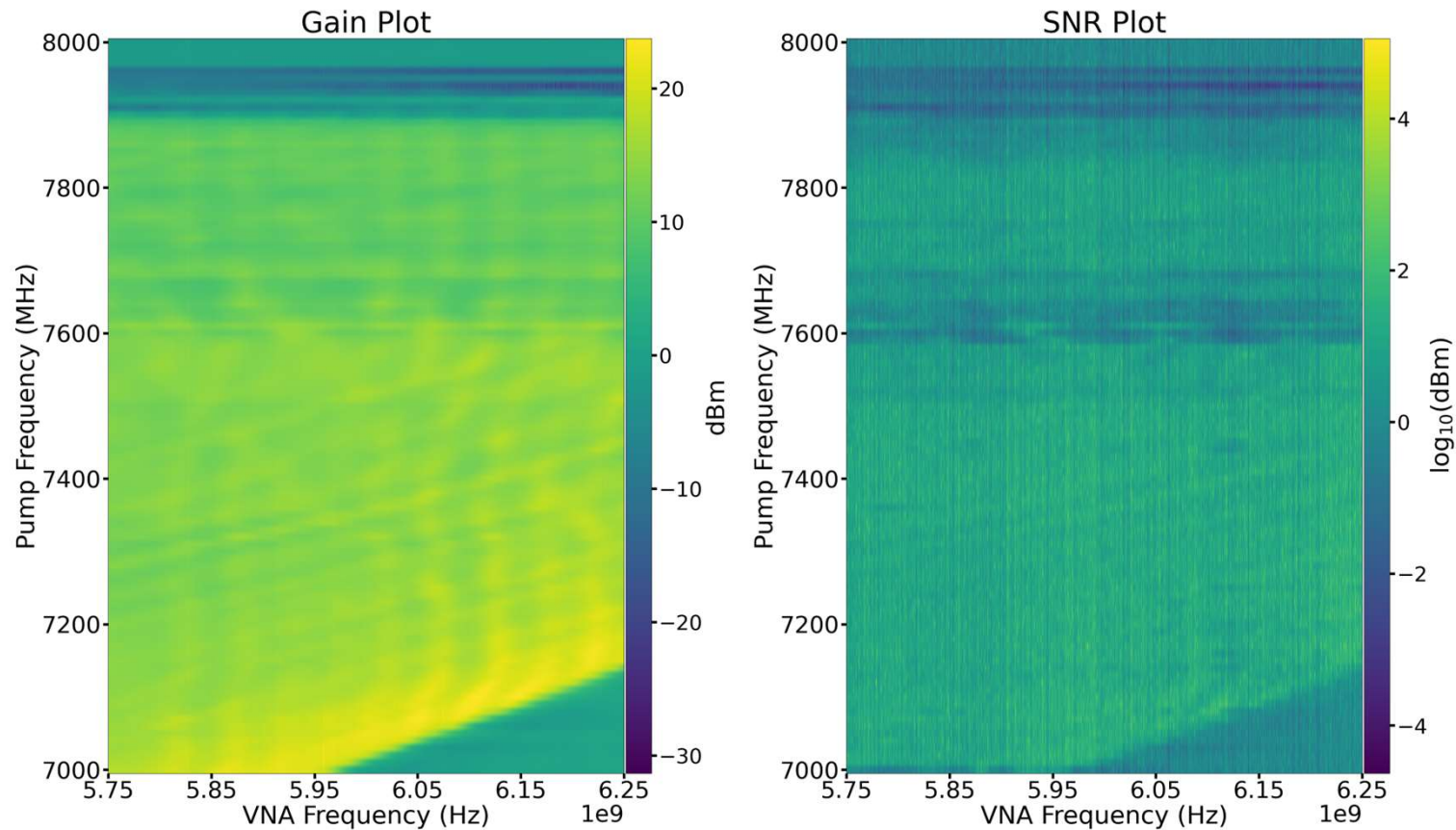


1D pump power plots of gain and SNR.

Drop off clearly visible, don't go further than 1 or less than -10 net dBm.

1D Frequency Sweep

TWPA Frequency (Net Pump Power = -2 dBm) Plot of Gain and SNR

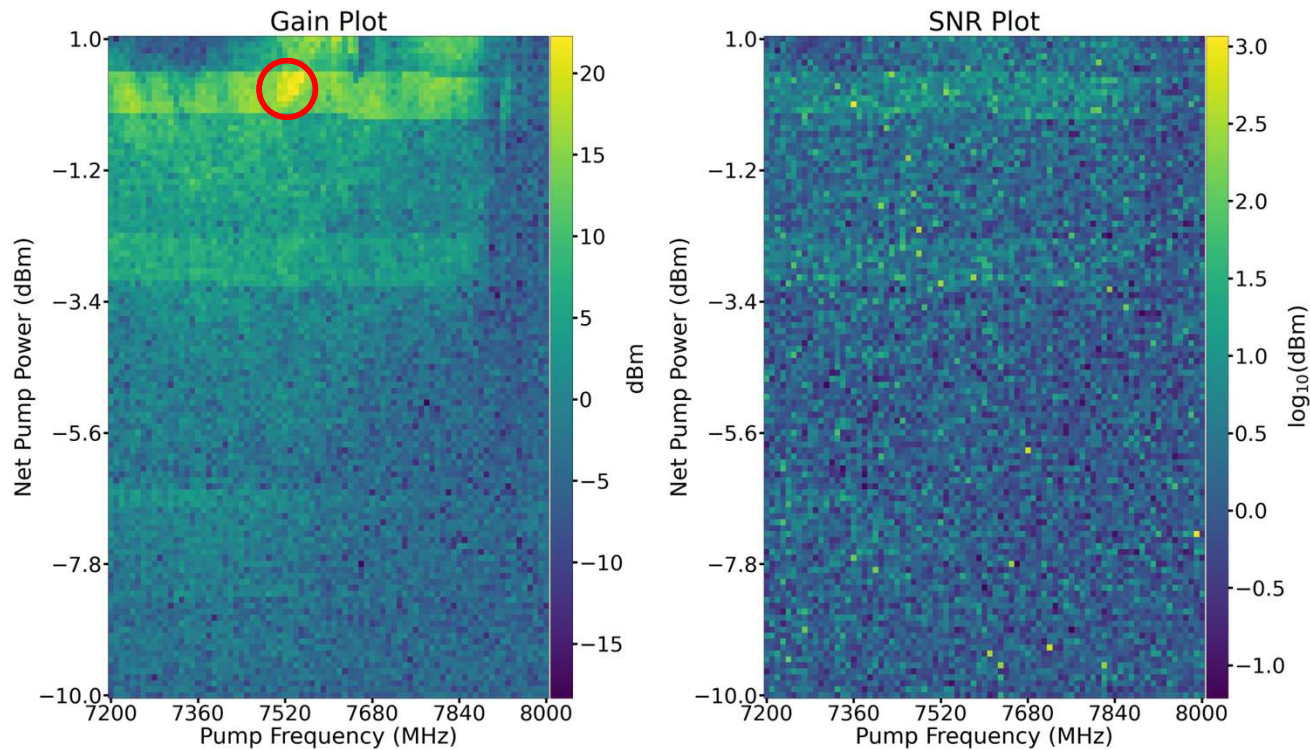


1D pump frequency plots of gain and SNR.

Triangular feature is not optimal, don't go below 7200 or above 8000 MHz.

Results/Analysis of TWPA Optimization

TWPA 2D Sweep (VNA Frequency = 5.958800e+09 Hz) Gain and SNR Plots



- Performing a 2D scan of the TWPA pump produced the following plot.
- The optimal parameters for the TWPA is located where the gain and SNR are consistently the highest.
 - Small fluctuations in the TWPA pump should not drastically change TWPA performance.

Discussion/Conclusion

- Knowing where the optimal performance point of the TWPA is, we can now:
 - Provide optimal amplification to the qubit readout signal.
 - Create a clean signal with an optimal SNR.
- We can now use the TWPA to perform qubit measurements/collect data.
- The code written is importable to other programs in the future.
 - Enables noise detection
 - Control of the new signal generator and TWPA pump

Questions?



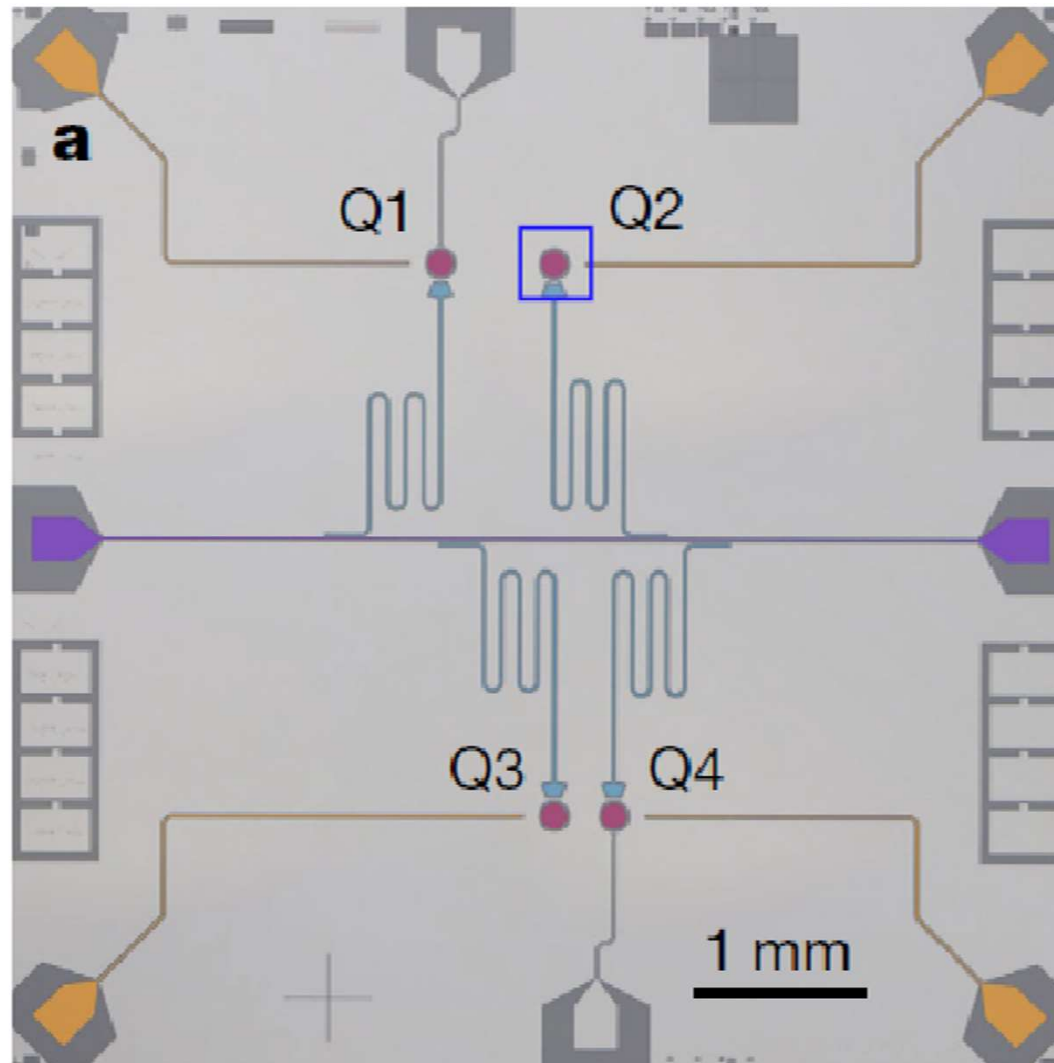
Partnerships



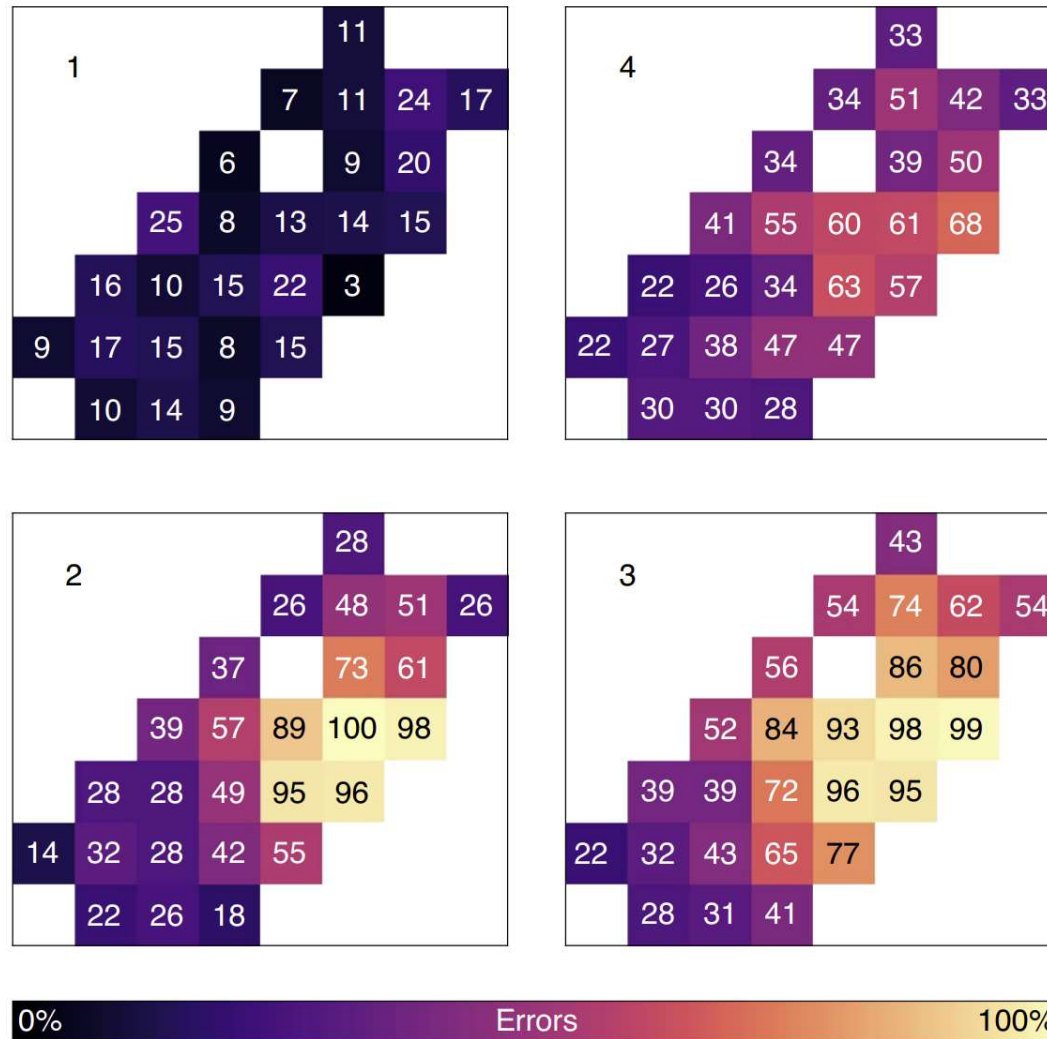
Northwestern



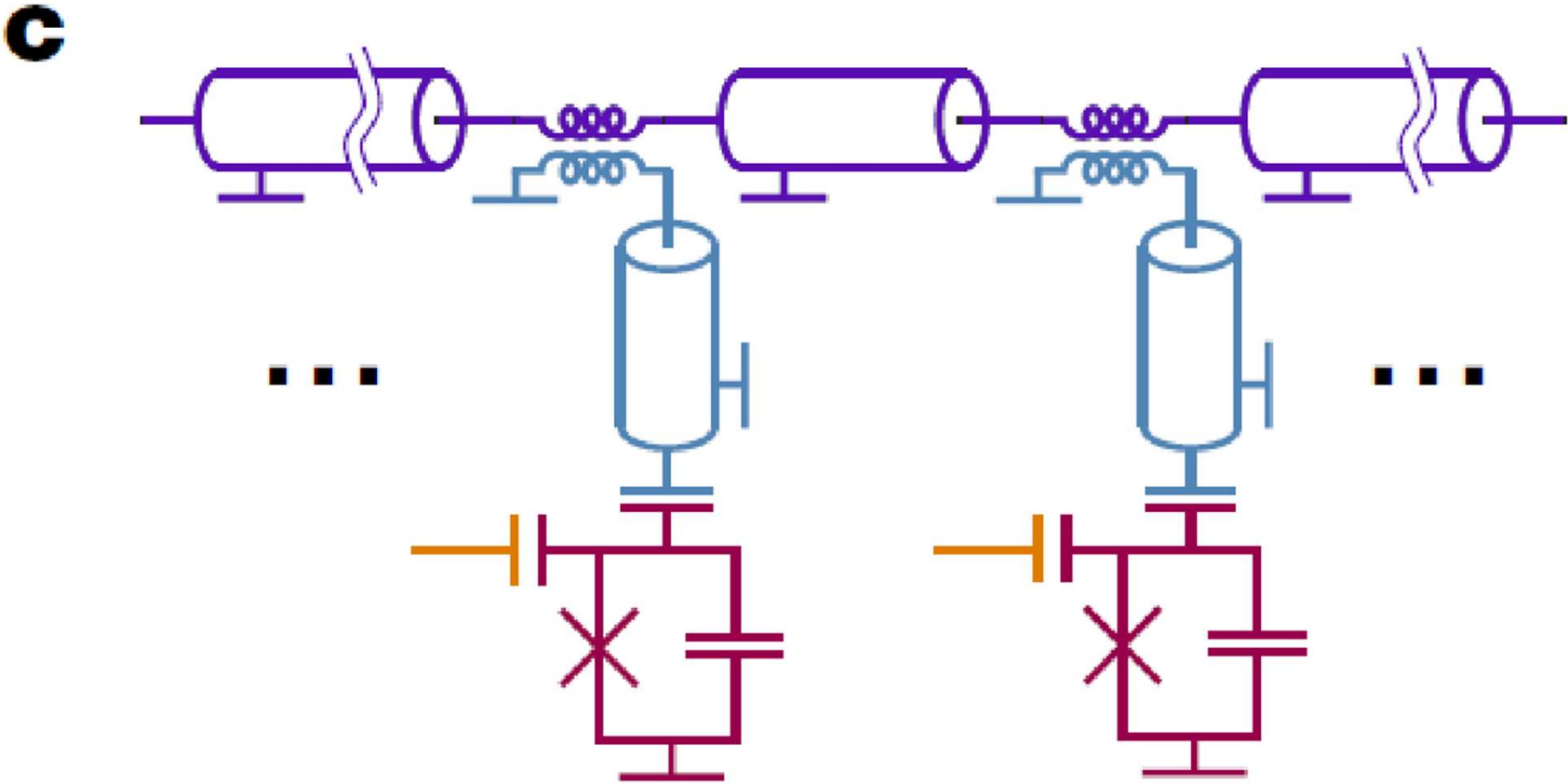
Multi-Qubit circuit layout (Wilten *et al.*, 2021)



Spatial Correlation (McEwen *et al.*, Nature (2022))



Circuit Representation of two Qubits (Wilén *et al.*, Nature (2021))



dBm formula and Jaynes-Cummings Hamiltonian (Naghiloo 2019)

$$x = 10 \log_{10} \frac{P}{1 \text{ mW}}$$

$$H_{\text{JC}} = \omega_c \left(\hat{a}^\dagger \hat{a} + \frac{1}{2} \right) - \frac{1}{2} \omega_q \sigma_z - g (\hat{a}^\dagger \sigma_- + \hat{a} \sigma_+)$$