

WR technology

23rd March 2023



ELECTRONICS & DEFENSE

Fermilab Workshop

23rd March 2023



Agenda

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02

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Phase measurement

03

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Protocol explanation



01

General considerations



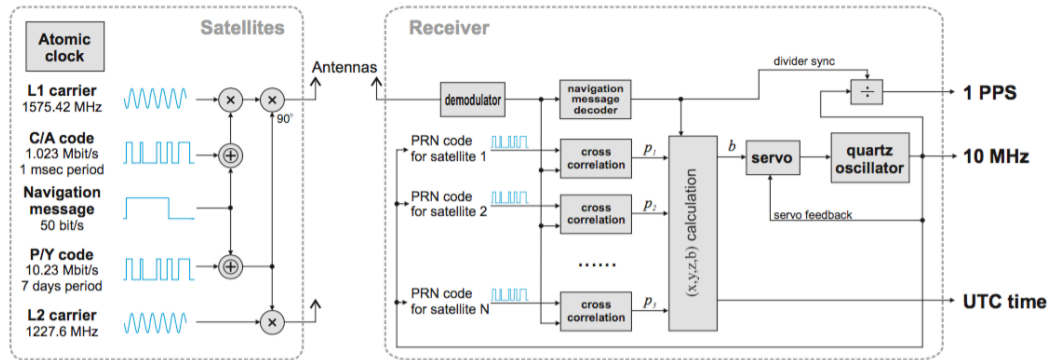
Time reference

Atomic clocks count time relying on the resonance frequency of atoms excited by microwave, optical or ultraviolet radiation

- They are one of the most stable time references available
- The most widespread atomic clocks are based on cesium or rubidium

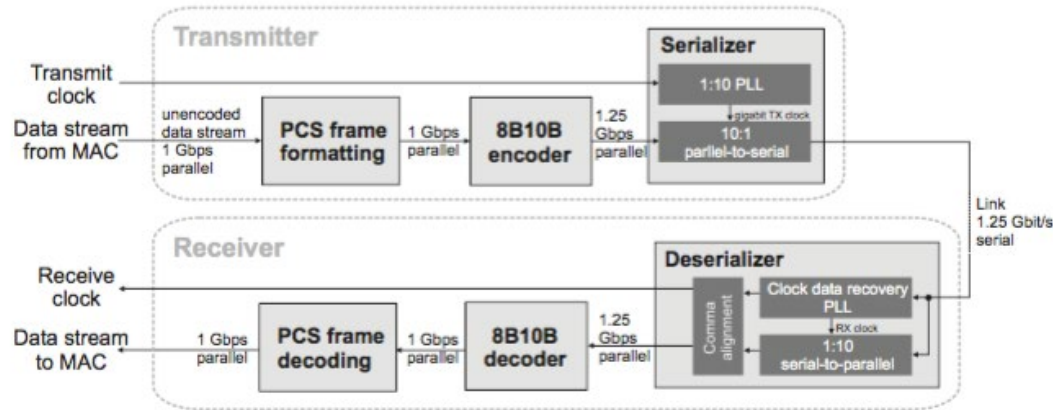
Any GPS receiver gets an accurate time, traceable to the atomic clocks present inside GPS satellites, as it is necessary to calculate the receiver position

- GPS-synchronized time receivers just ignore the position information and adjust a local tunable oscillator according to the data obtained from the satellites



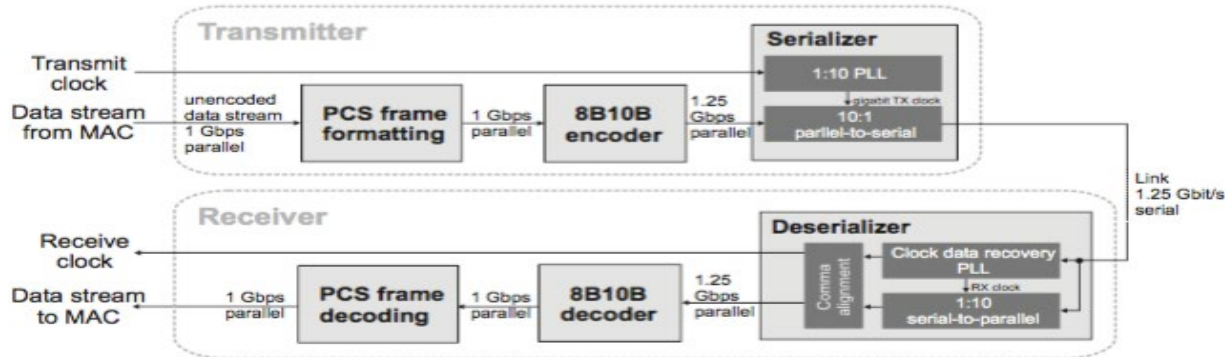
Ethernet consideration

- The use of fiber makes encoding easier, as the optical medium does not suffer from crosstalk or electric interference
- 1.25 Gbps serial data stream comes out of the serializer
- Fully deterministic physical layer
 - New FPGA family require complex configuration to support the new serializer and remove any source of uncertainty



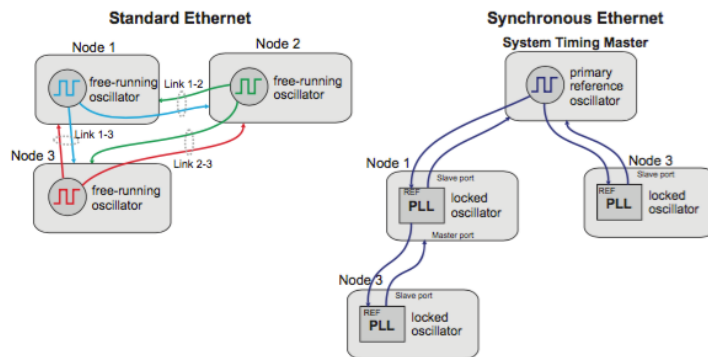
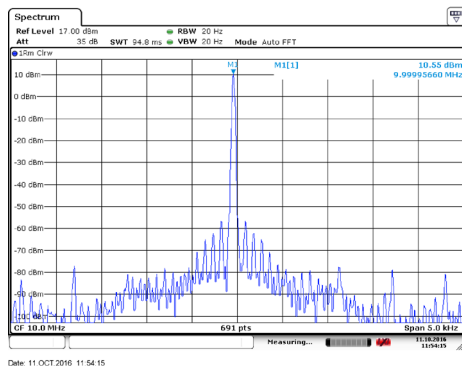
Optical Gigabit Ethernet low level encoding

- Encapsulation of Ethernet frames in the PCS: preambles, start/end, idle pattern, other control sequences
- There must always be some pattern in the medium
- After PCS, data is fed to an 8B/10B encoder: no more than 5 subsequent equal bits, no DC component, comma symbols
- 1.25 Gbps serial datastream comes out of the serializer
- To maximize measurement accuracy, packet timestamping is done by the PCS module



Sync-E

- In a regular Ethernet network, every node uses its own free running oscillator. Small differences of frequency between tx and rx circuits are compensated by asynchronous packet buffers (not deterministic/supported by WR)
- Sync-E defines a hierarchical structure where the master at the top is connected to a primary clock
- STM synchronizes its oscillator to the primary clock and uses this frequency to encode the data
- At the receiver end, the same frequency is recovered using PLLs and it is used with lower nodes in the hierarchy and back to the master





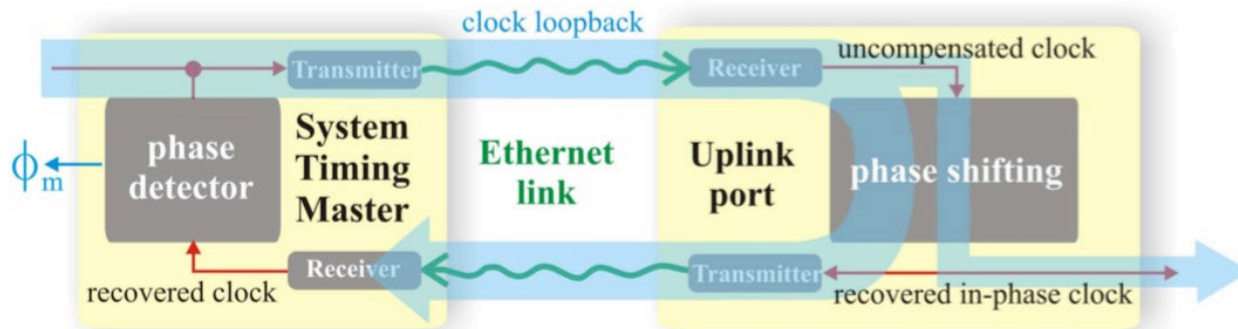
02

Phase measurement



Phase measurement

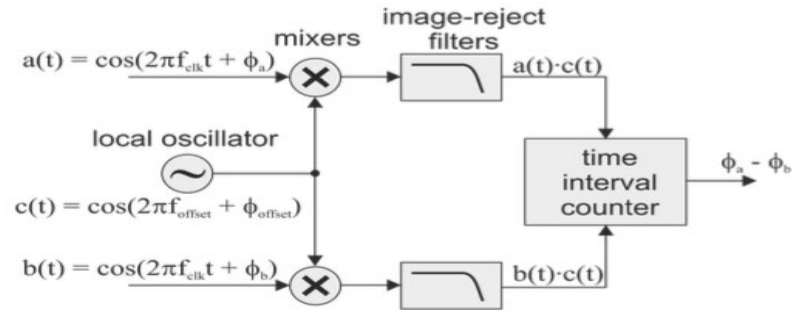
- Ethernet packets can be received at a device at any moment
- The 125 MHz transmission clock only provides 8 ns granularity
- Phase offset measurements improve the accuracy of PTP timestamp exchanges
- How can we add this sub-clock cycle timestamp capability?



Phase measurement: theoretical background

- **First approach when measuring phase difference:**
 - A digital counter? Frequency needed would be too high (+10 GHz for subns accuracy!)
- **The Dual Mixer Time Difference is a more convenient way of measuring phase differences between two signals if they are synthonous.**
- **For the sake of simplicity, we will have a look at the analog version of the system:**

- $a(t)$ can be our local oscillator clock
- $b(t)$ is the reference we get from the master through the Rx Ethernet path
- An intermediate frequency offset is used to shift the frequency spectrum



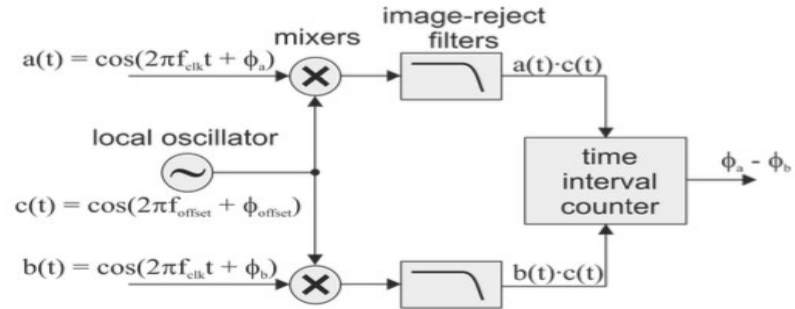
DMTD phase detector

Phase measurement: theoretical background

- Comprised of a local oscillator, two identical mixers and low-pass filters and a time interval counter
- Two clocks ($a(t)$, $b(t)$) of the same frequency (f_{clk}) and arbitrary phases (Φ_a , Φ_b) as inputs
- The local oscillator must have a frequency offset very close to f_{clk}
- Multiplication of input signals with the local oscillator is:

$$\begin{aligned} a(t) \cdot c(t) &= \cos(2\pi t f_{clk} + \phi_a) \cdot \cos(2\pi t f_{offset} + \phi_{offset}) \\ &= \frac{1}{2} \cos(2\pi t (f_{clk} + f_{offset}) + \phi_a + \phi_{offset}) \\ &\quad + \frac{1}{2} \cos(2\pi t (f_{clk} - f_{offset}) + \phi_a - \phi_{offset}) \end{aligned}$$

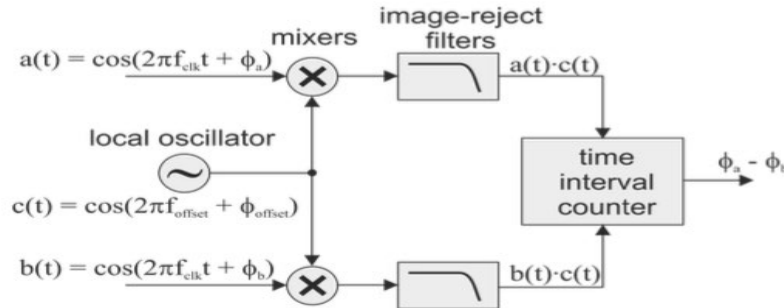
LPF-filtered



DMTD phase detector

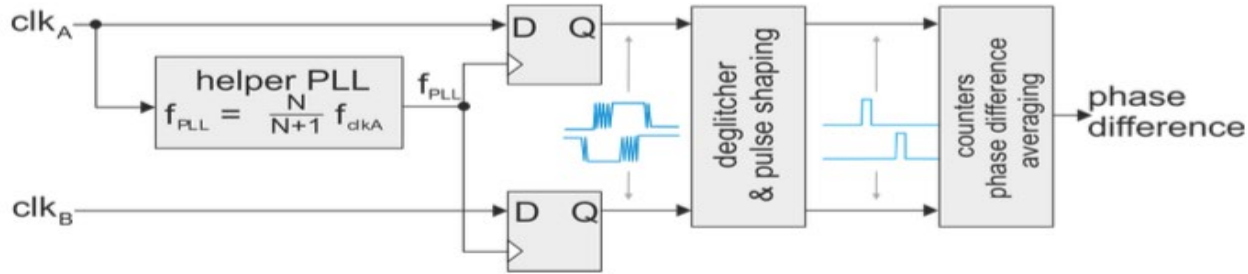
Phase measurement: theoretical background

- **At the end of the filters, we have:**
 - $\cos(2\pi t(f_{clk} - f_{offset}) + \Phi_a - \Phi_{offset}) / 2$
 - $\cos(2\pi t(f_{clk} - f_{offset}) + \Phi_b - \Phi_{offset})$
- **The phase difference between the clocks is unaltered**
- **Suppose $f_{clk} = 125$ MHz and $offset = 124.99$ MHz**
 - The phase shift can be easily measured from a 10 kHz output signal (100 us period) can be measured using an affordable counter with a 10 ns clock period



Phase measurement: theoretical background

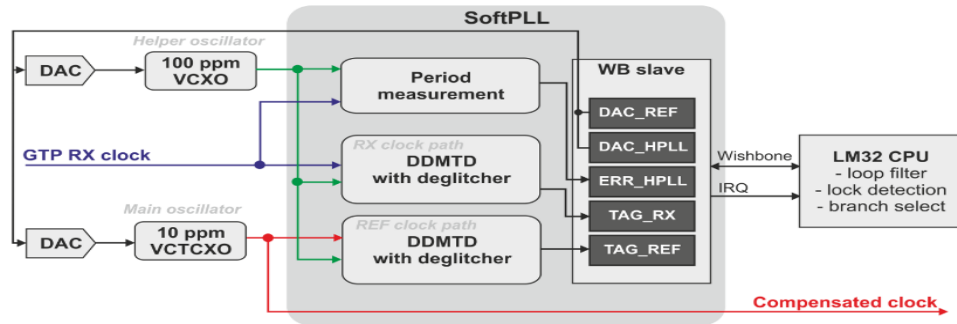
- f_{PLL} generated from input clocks with a frequency few kHz away from received frequency
- The replacement of the mixed with the D-type flip-flop generate glitches due to setup/hold violation: deglitching filter is required prior counting cycles to determine the phase differences



White-Rabbit has developed a digital version of this system (Digital DMTD or DDMTD)
Low pass filtering is implemented using D-type flip-flop

Phase measurement: theoretical background

- The Soft PLL performs the syntonization of the local reference clock to the RX clock received from the data stream
- The firmware module contains the minimum functionalities and most of the control loop implementation is in the SW
- Here are defined the Digital DMTDs to obtain the phase differences between clocks
- The Soft PLL module uses two external VCXO oscillators tuned by DACs



DMTD phase detector: SoftPLL implementation

Phase measurement: theoretical background

Input:

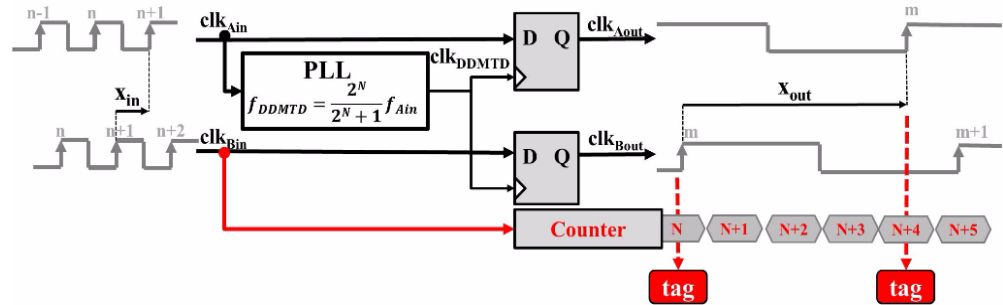
- frequency f_{in} [Hz]
- phase φ_{in} [rad]

Output:

- proportional lower frequency f_{out} [Hz]
- equal phase: φ_{in} [rad] = φ_{out} [rad]

Zooming effect:

- $x_{in}[ns] = 1/(1+2^N) \cdot x_{out}[ns]$



DMTD phase detector: SoftPLL implementation



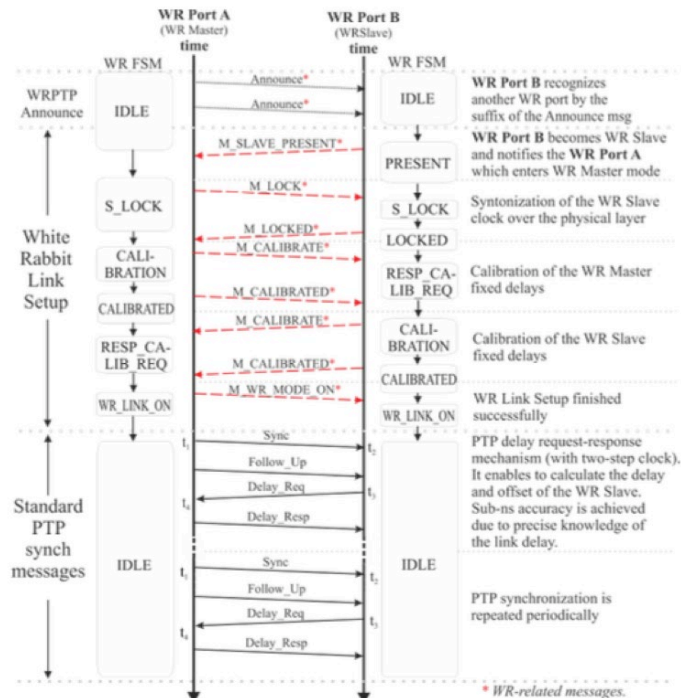
03

Protocol explanation

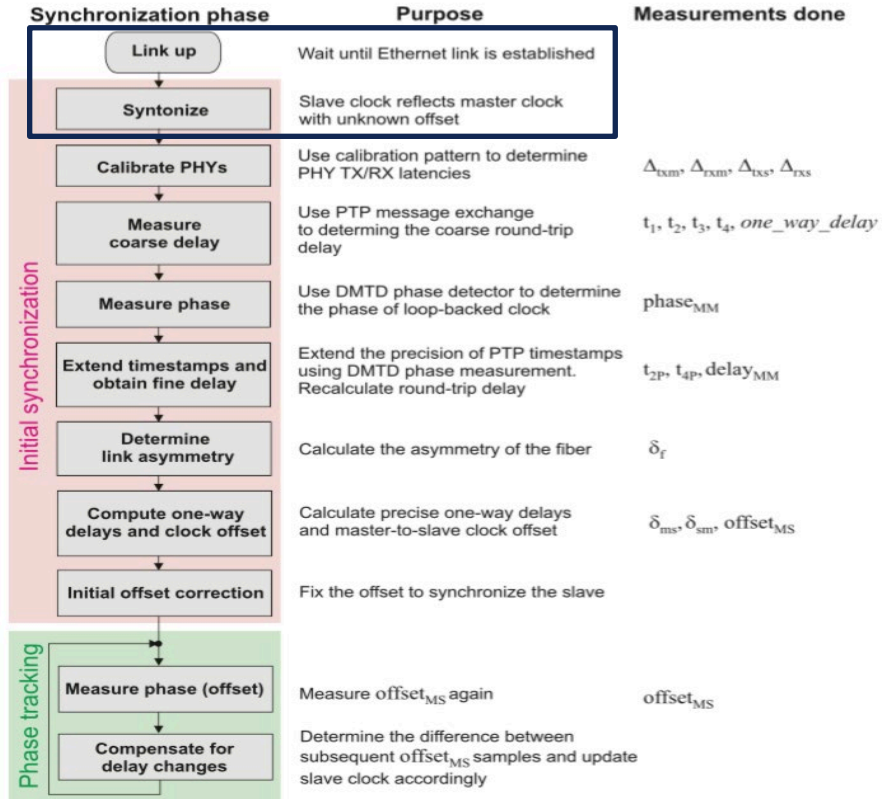


WR: Timing protocol

- Link up
- Syntonize
- Calibrate PHYs
- Measure coarse delay
- Measure phase
- Extend timestamps and obtain fine delay
- Determine link asymmetry
- Compute one-way delays and clock offset
- Initial offset correction
- Measure phase
- Compensate for delay changes

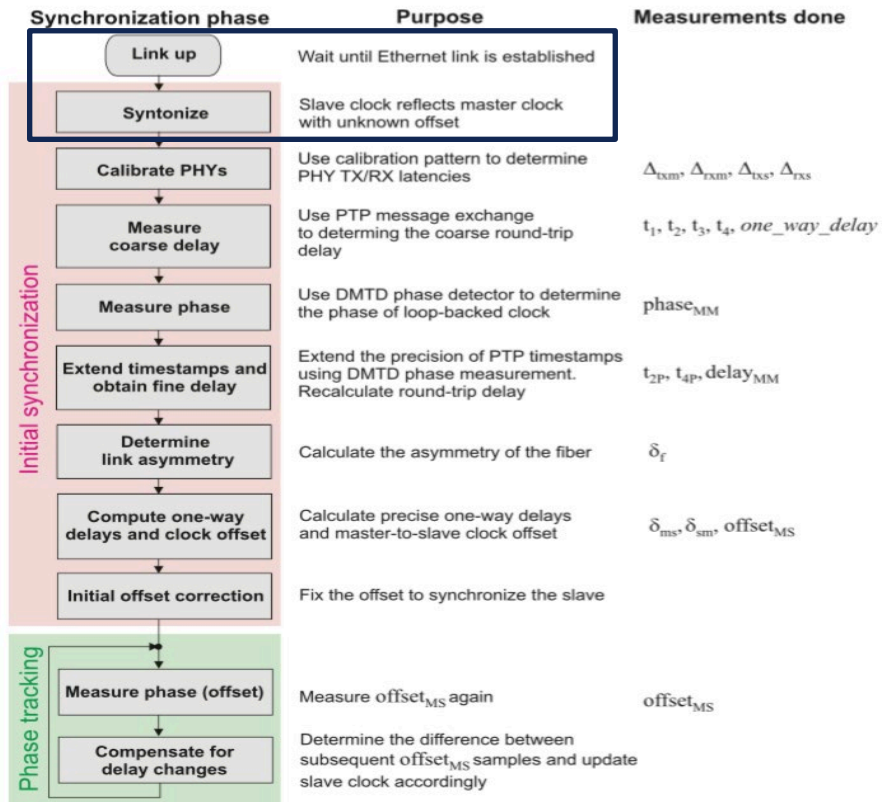


WR protocol: Link detection and syntonization



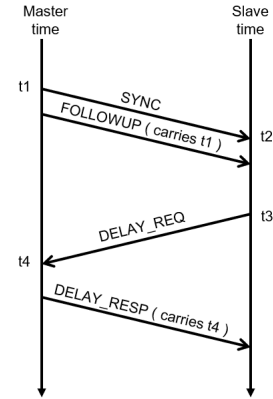
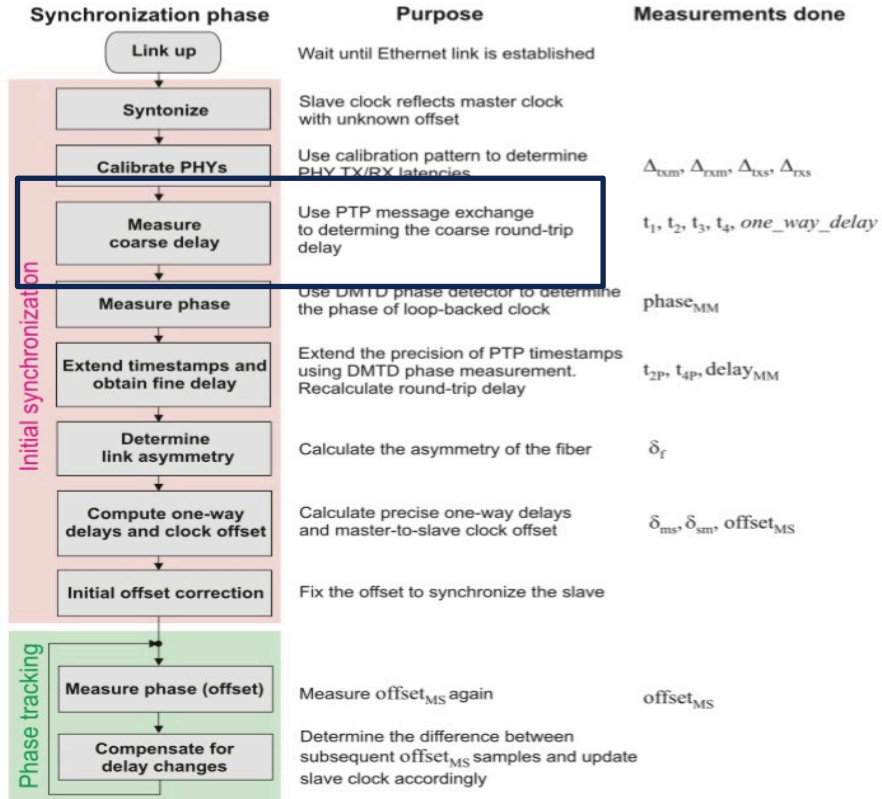
- Initially, the link between master and slave is not established
- Their PHYs send the idle pattern but they do not receive any meaningful data
- When they align the symbols and receive the idle pattern, the Ethernet link will become active
- Following an active link, master sends ANNOUNCE messages and eventually the slave will answer with a SLAVE_PRESENT
- When the master sends a LOCK message, the slave will start to recover the clock from the data stream
- Once the PLL is locked, the slave issues a LOCKED message and both nodes are syntonized (same frequency, different phase)

WR protocol: Link delay measurement



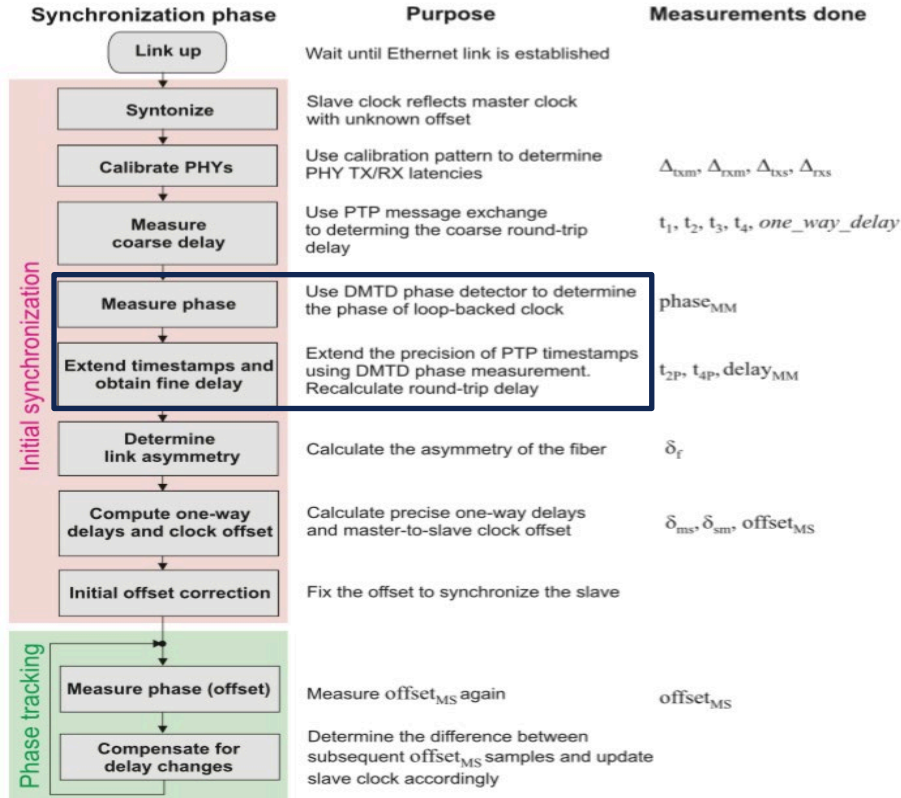
- Once syntonized, we still have to synchronize both nodes. This can be divided into two tasks:
 - Coarse delay measurement, based on a PTP exchange
 - Precise delay measurement that combines the coarse delay with a DDMTD phase measurement

WR protocol: Coarse delay measurement



- The coarse delay is measured using a PTPv2 two-step packet exchange
- The packets timestamps are hardware-generated
- This measurement produces timestamp values: t_1, t_2, t_3, t_4
- Due to the possibility of jitter-related problems, t_2 and t_4 timestamps are generated for both rising and falling edge

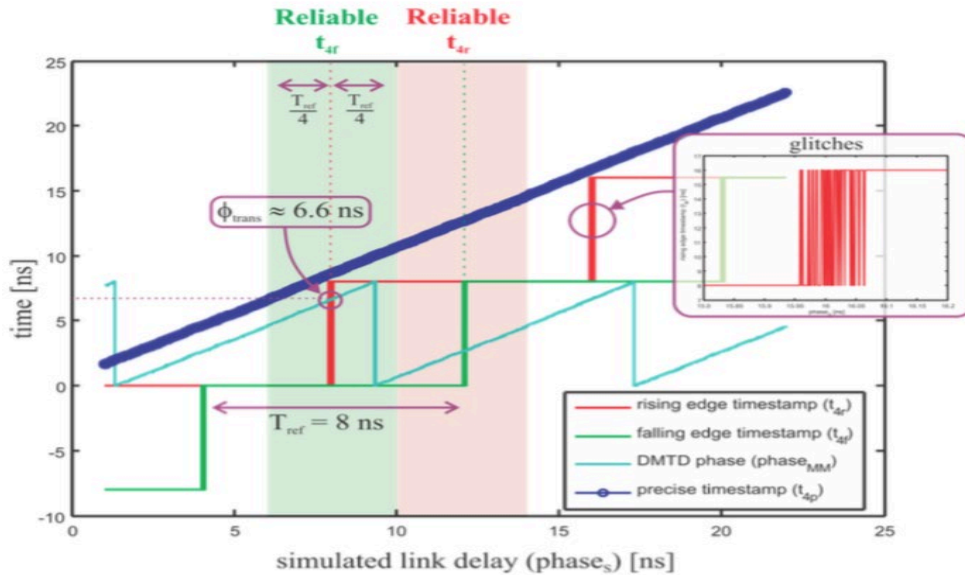
WR protocol: Fine delay measurement



At this point we have:

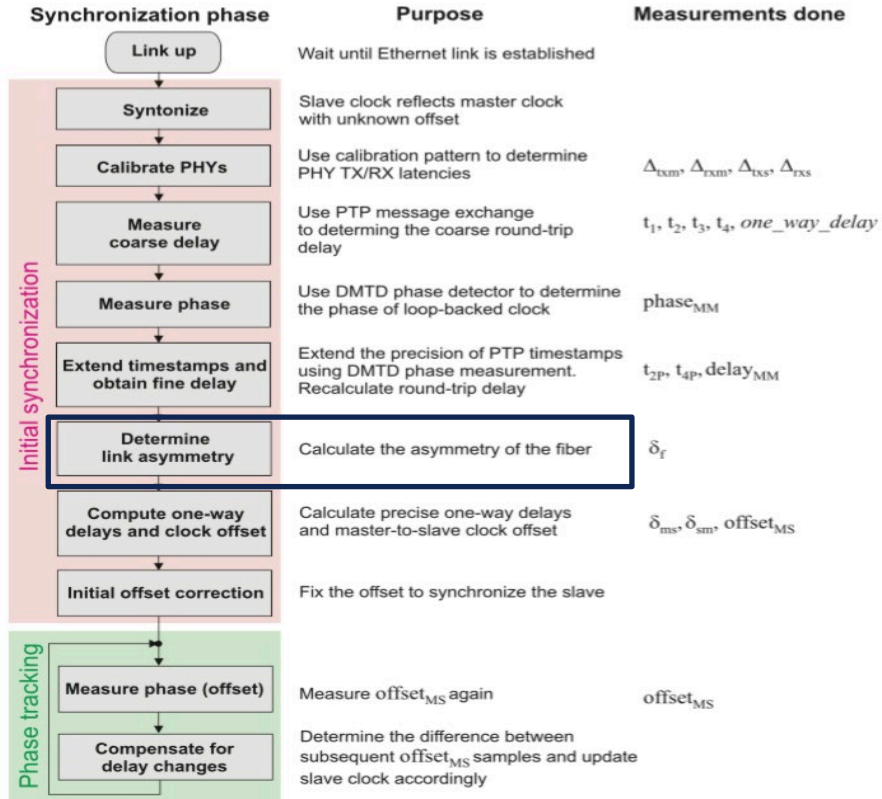
- t_1, t_2, t_3, t_4 PTP timestamps
 - $phase_{MM}$ round-trip phase-shift
 - $phase_S$ slave setpoint
- The precision of the timestamps is extended to include the DDMTD measurements: t_{2p}, t_{4p} (not needed for t_1 & t_2 because transmission always use the device reference clock – phase = 0)
- An algorithm decides whether the rising edge or falling edge timestamps are the reliable ones
- Some magic: because clocks are syntonized, phase relationship are constant and therefore they can be integrated many times (hundreds) to improve accuracy in the phase values
 - Note that Start-of-Frame (SoF) signals share a sub-cycle timestamp offset equal to the inter-frequency phase offset (and therefore timestamps can be improved using the corresponding DDMTD phase measurements) for correction

WR protocol: Fine delay measurement



- **At this point we have:**
 - t₁, t₂, t₃, t₄ PTP timestamps
 - phase_{MM} round-trip phase-shift
 - phase_S slave setpoint
- **The precision of the timestamps is extended to include the DDMTD measurements: t_{2p}, t_{4p}**
- **An algorithm decides whether the rising edge or falling edge timestamps are the reliable ones**
- **And precise round-trip delay can be calculated as**
 - $\text{delay}_{\text{MM}} = (t_{4p} - t_1) - (t_3 - t_{2p})$
- **More advanced: Φ_{trans} is a constant parameter for a given device**
- **Φ = phase_{MM} - Φ_{trans}**

WR protocol: Link asymmetry



- The asymmetry cannot be directly measured. It can only be estimated from $delay_{MM}$ and knowledge of the medium and the transmission circuits
- All these asymmetry sources are taken into account:
 - Propagation delays of electronic components and PCB traces
 - Optical transceivers delay asymmetry
 - Fiber Rx/Tx different diffraction index
 - Internals of the chips structure
- Fiber asymmetry can be variable depending on operating conditions and link length. All the rest are considered constant per device

WR protocol: Link asymmetry

▪ Circuit asymmetries

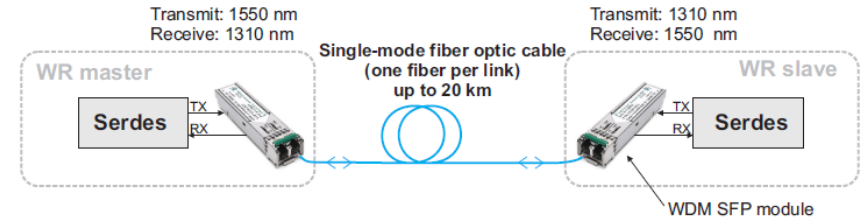
- Different length in traces
- Different structure of internal clock distribution
- Different paths in FPGA logic
- Solutions:
 - Measure them in lab and consider them to be constant
 - Develop a model that characterizes asymmetries depending on conditions
 - Reduce asymmetries as much as possible in design stage

▪ Fiber asymmetries

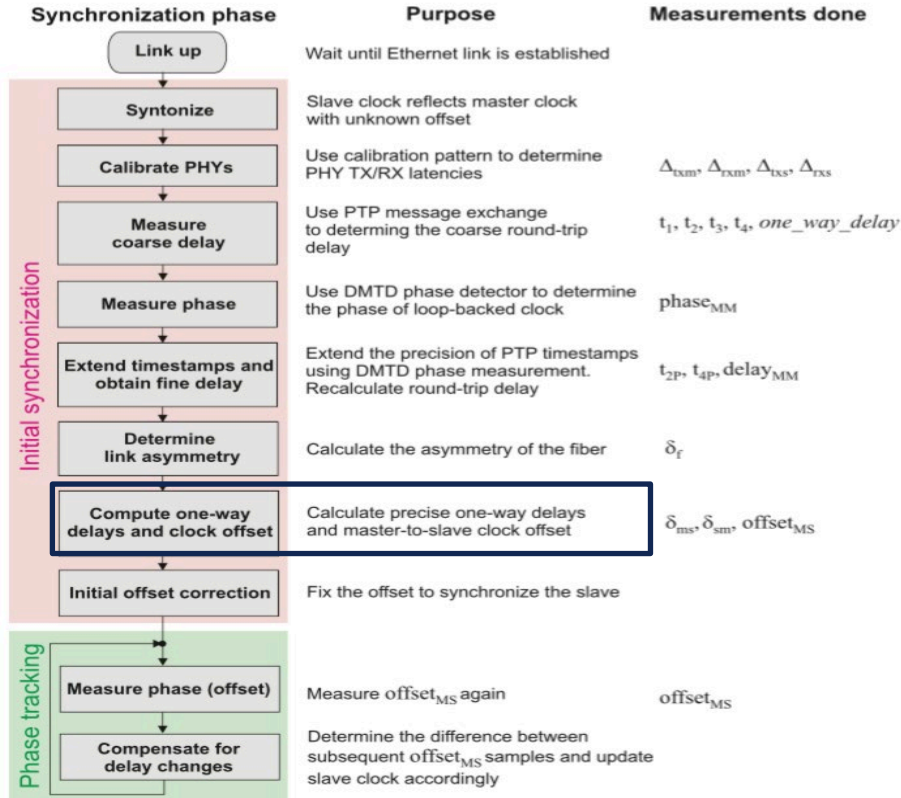
- Chromatic dispersion due to different wavelengths used
- Characterized by α parameter

▪ Transceivers asymmetry

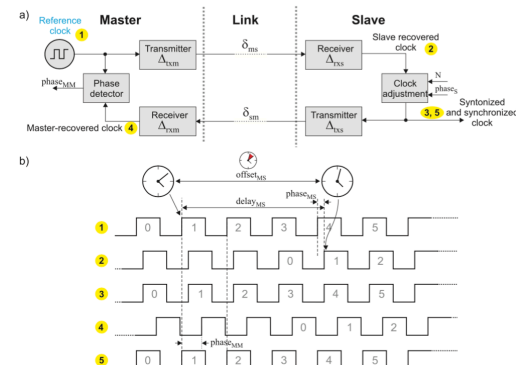
- Serializers/De-serializers introduce a random latency between the recovered clock and the data stream
- Solution: disabling the automatic comma alignment and manual bit-shifting



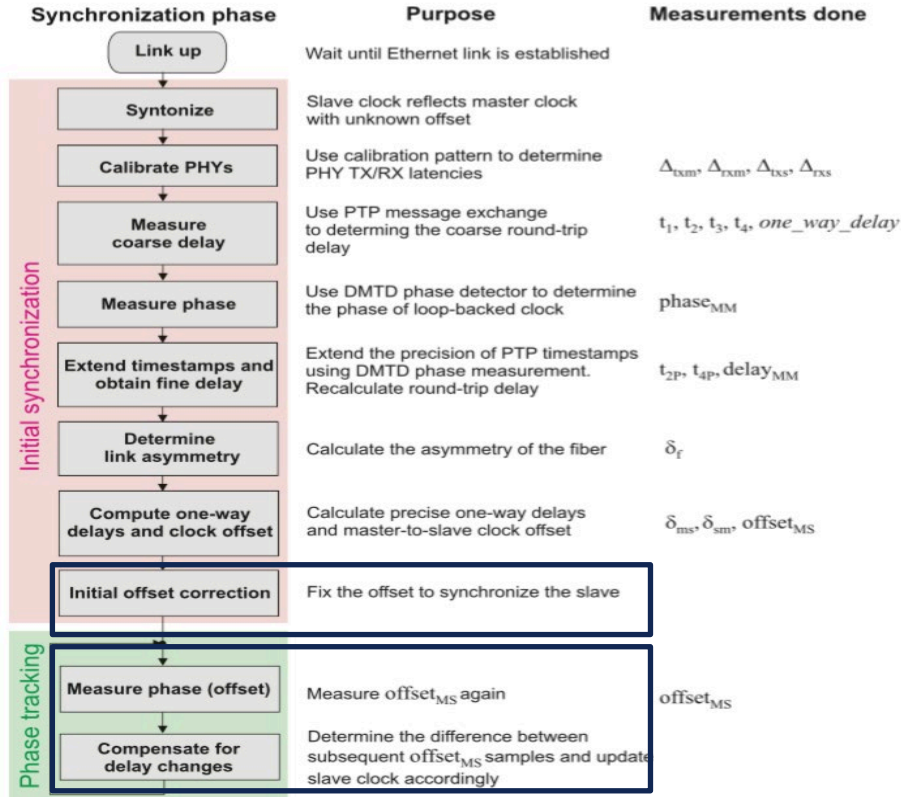
WR protocol: Computing one-way delay and offset



- $\Delta = \Delta_{txm} + \Delta_{rxm} + \Delta_{txs} + \Delta_{rxs}$
- $delay_{MM} = \Delta + \delta_{ms} + \delta_{sm}$
- $\alpha = (\delta_{ms} / \delta_{sm}) - 1$
- We obtain one-way fiber delay δ_{ms} from these equations as:**
 - $\delta_{ms} = (1 + \alpha)(delay_{MM} - \Delta) / (2 + \alpha)$
- and adding the asymmetric delays gives the final products:**
 - $delay_{ms} = (1 + \alpha)(delay_{MM} - \Delta) / (2 + \alpha) + \Delta_{txm} + \Delta_{rxs}$
 - $offset_{ms} = t_1 - t_{2p} - delay_{ms}$



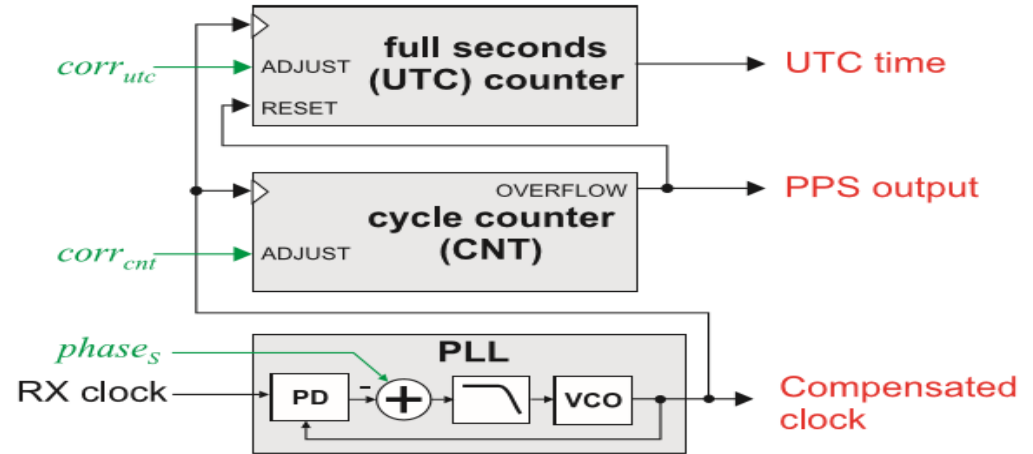
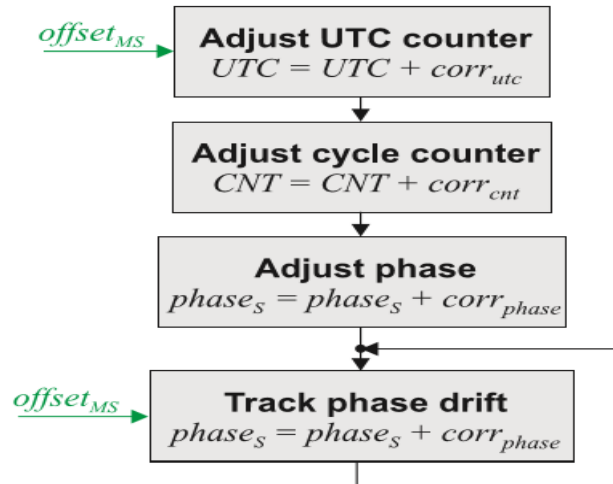
WR protocol: Initial offset correction and phase tracking



- $delay_{ms} = (1+\alpha)(delay_{MM}-\Delta) / (2+\alpha) + \Delta_{txm} + \Delta_{rxs}$
- $offset_{ms} = t_1 - t_{2p} - delay_{ms}$
- The second's counter is increased/decreased with the integer part of $offset_{MS}$
- The counter used to generate PPS signal is corrected with the remainder of $offset_{MS}$ (in full 8-ns cycles)
- The $phase_s$ value is corrected with the picoseconds remainder
- Once synchronized, the packet exchange is repeated periodically. $offset_{ms}$ is updated and the little phase changes are corrected
- **PROBLEM: experimental errors on determining the contributions of α and Δ may significantly impact links calibration**
 - The error in α is multiplied by the distance of the link. This is not a problem with small distances, but it is for large ones

WR protocol: Synchronization stages summary

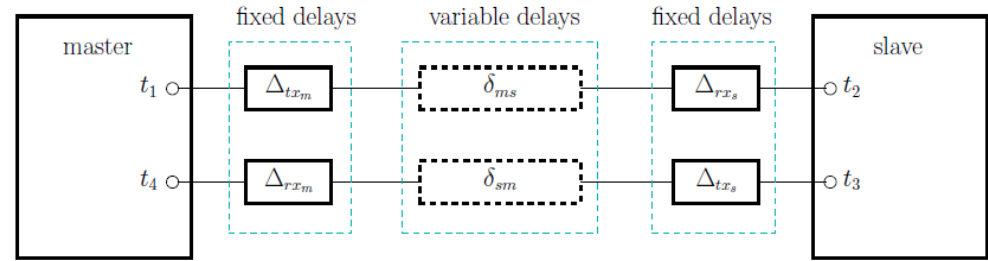
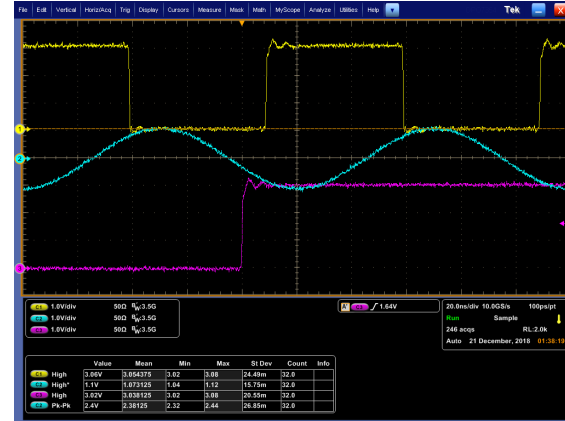
- The offset corrections are made on the UTC and nanosecond counter by the PPSGen and on the reference VCO by the SoftPLL



WR protocol: Equations summary

- $delay_{MM} = (t_{4p} - t_1) - (t_3 - t_{2p})$
- $\Delta = \Delta_{txm} + \Delta_{rxm} + \Delta_{txs} + \Delta_{rxs}$
- $delay_{MM} = \Delta + \delta_{ms} + \delta_{sm}$
- $\alpha = (\delta_{ms} / \delta_{sm}) - 1$
- $\delta_{ms} = (1 + \alpha)(delay_{MM} - \Delta) / (2 + \alpha)$
- $delay_{ms} = (1 + \alpha)(delay_{MM} - \Delta) / (2 + \alpha)$
- $+ \Delta_{txm} + \Delta_{rxs}$
- $offset_{ms} = t_1 - t_{2p} - delay_{ms}$

PPS – 10MH phase relationship



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