

# 2017 CasA transits analysis (episode 2)

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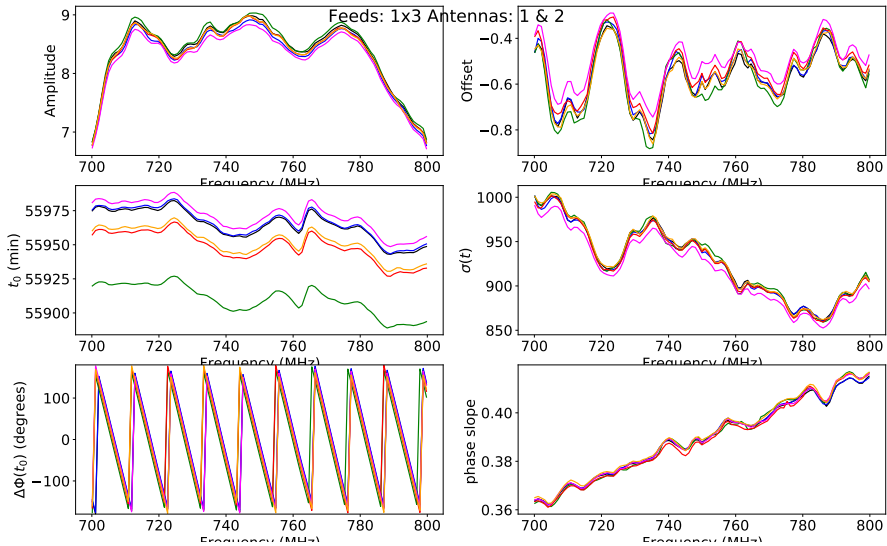


Tianlai zoom  
March 21st, 2023

# Outline

- follow-up of Reza's feb. presentation
- using 2017 Oct. 17th to 23rd data at CasA elevation : 6 transits
- built time-frequency maps of broad baseline selection, one polar only
- $G(\nu)$  obtained by median filter of non NS data
- NS periods flagged out (but averaged for further look)
- no RFI flagging
- first transits' analysis - at each frequency independently :
  - ▶ fit of  $t_0$ , amplitude, offset and width using module of visibilities (over central part of transit). NB : express  $t_0$  as sidereal time (236 second/day correction)
  - ▶ compute phase around  $t_0$  and extract  $\phi(t_0)$  and slope  $(d\phi/dt(t_0))$
- Aim : look at data stability

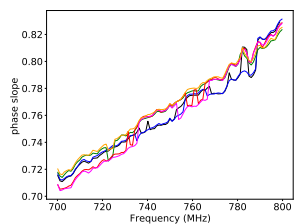
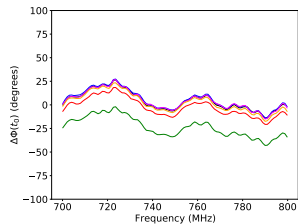
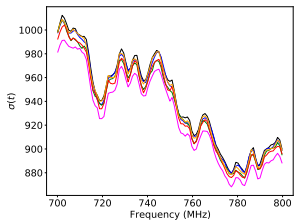
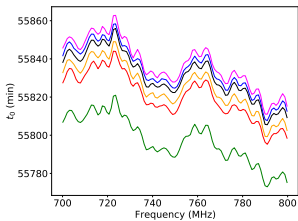
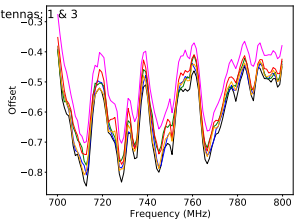
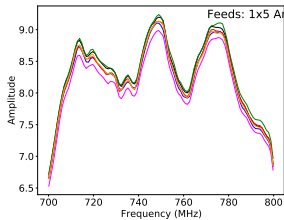
Feeds: 1x3 Antennas: 1 & 2

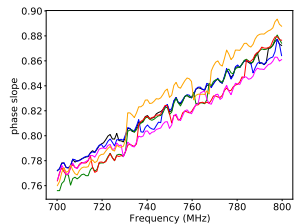
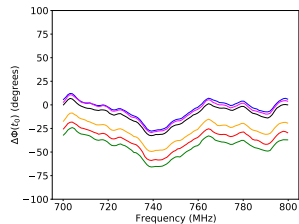
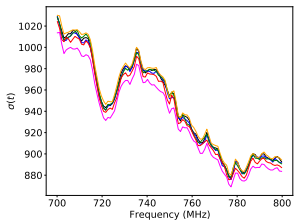
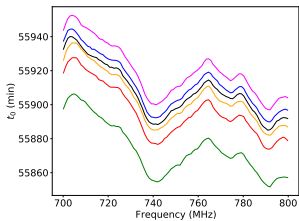
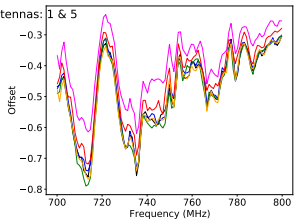
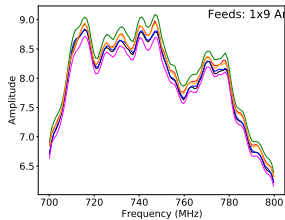


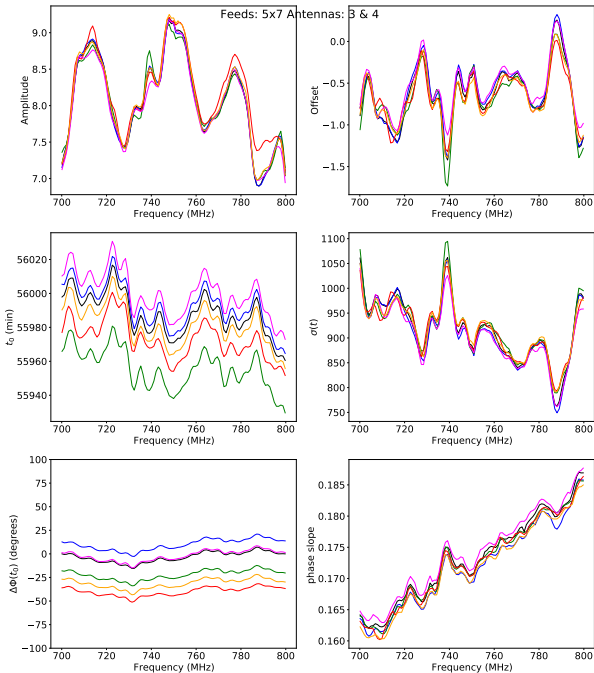
# Phase representation

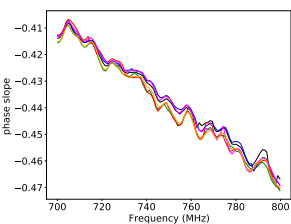
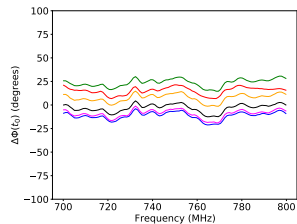
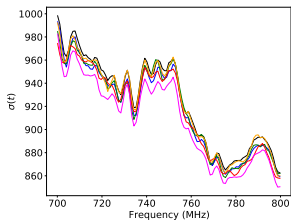
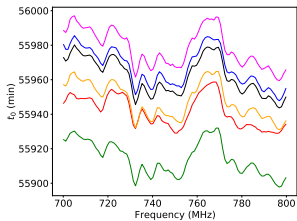
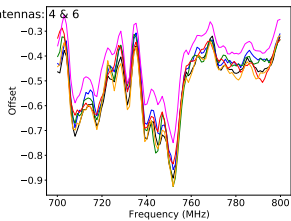
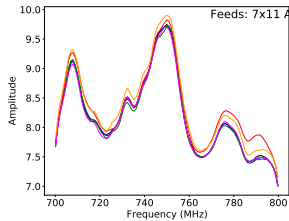
To compare  $\phi(t_0)$  vs frequency for different transits of a given baseline :

- $\phi(t_0)[\nu] \approx (a * \nu + b) \text{ modulo}(2\pi)$
- correct for  $2\pi$  steps to get one  $\sim$  linear shape
- take the first and last point of the first transit to get an approximate  $\phi(t_0)$  vs frequency shape
- subtract it for **all** transits' data and plot residuals
- may help to signal slope change or offset between transits











# Observations/questions

- coherence between baselines
- "structured" amplitude (+offset, width) vs frequency  
maybe (partly) due to limited fitting range? two  
component  $G(\nu)$  ("electronics only", " with signal/beam")?
- negative offsets - same reason? fit of module only?
- $t_0$  vs frequency : O(1min) variation with frequency, O(1  
min) variation between transits (similar from baseline to  
baseline)?
- $\Delta\phi(t_0)$  : constant (vs freq) change (20 to 40 degrees)  
between transits

## A second model

8 parameters model of real and imaginary parts of visibility

$$\text{Re}(V(t)) = o_r + A \frac{\exp(-(t-t_0)^2/\sigma^2)}{\sigma\sqrt{2\pi}} \cos(\omega(t-t_0) + \eta(t-t_0)^2 + \phi)$$

$$\text{Im}(V(t)) = o_i + A \frac{\exp(-(t-t_0)^2/\sigma^2)}{\sigma\sqrt{2\pi}} \sin(\omega(t-t_0) + \eta(t-t_0)^2 + \phi)$$

NB first model fits  $A^*$  instead of  $A/\sigma\sqrt{2\pi}$  here

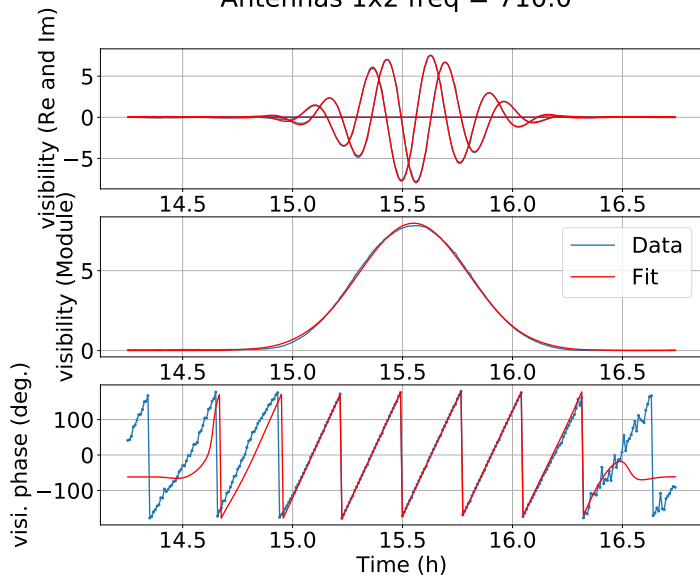
fit over larger time interval (1-3h), implemented in python

Approximate formula (small hour angle  $\Rightarrow t - t_0$  development)

Bessel  $J_1(x)/x$  function also implemented

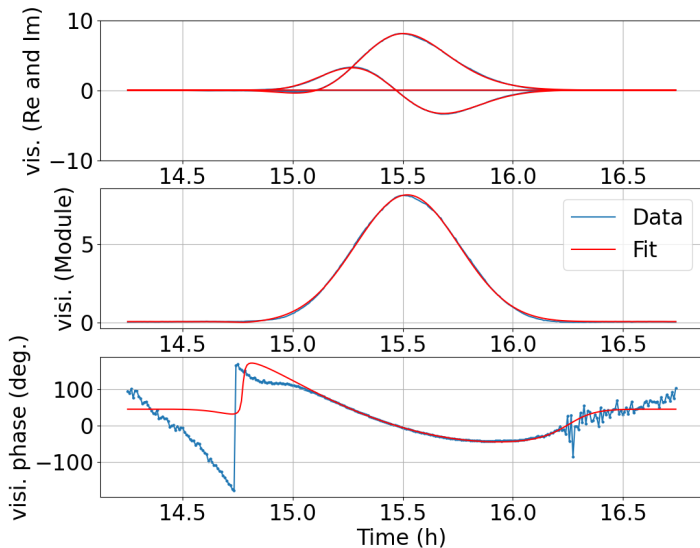
# Examples of visibility fits

Antennas 1x2 freq = 710.0



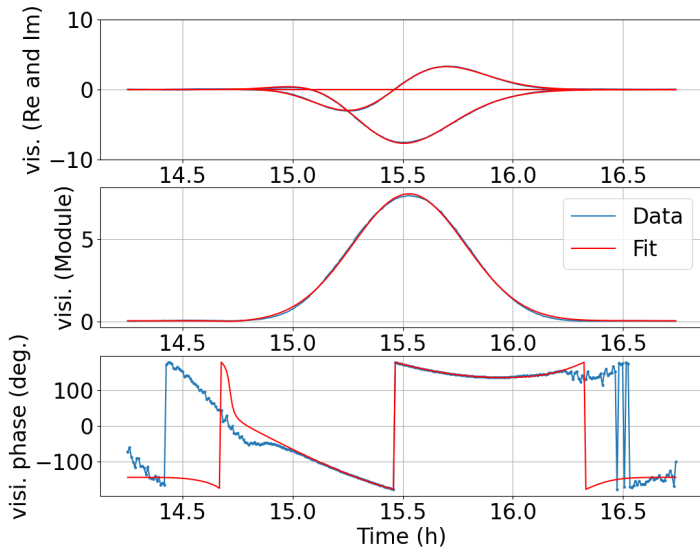
# Examples of visibility fits

Antennas 2x16 freq = 762.0



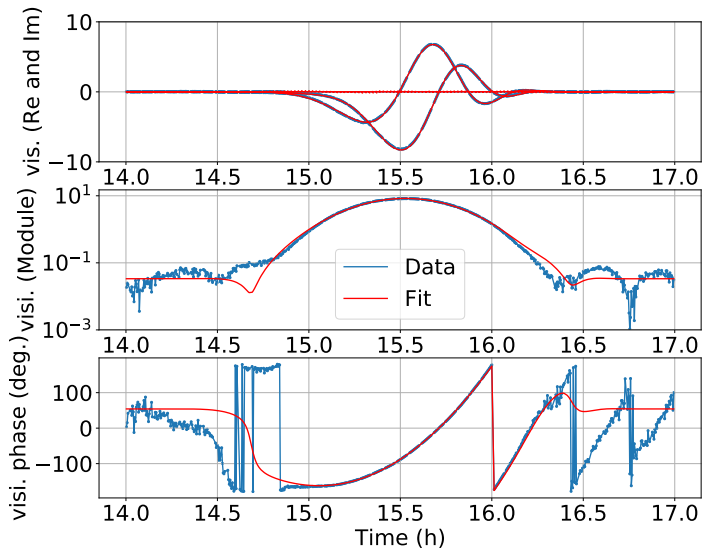
# Examples of visibility fits

Antennas 2x16 freq = 705.0



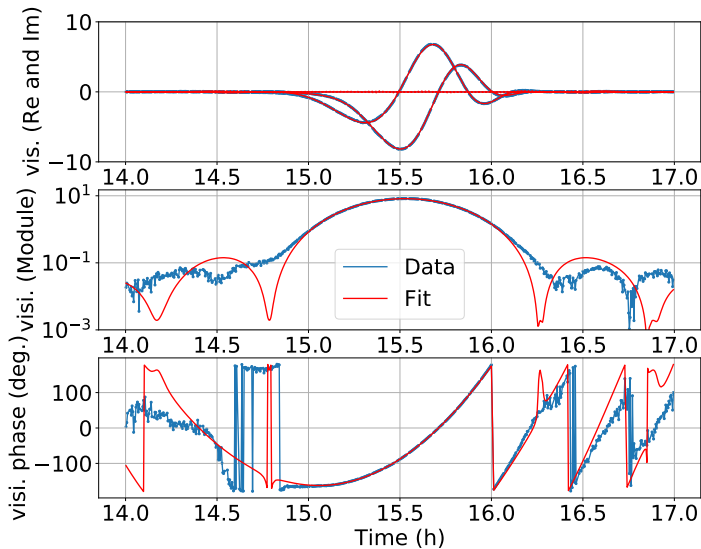
# Examples of visibility fits

Antennas 2x6 freq = 705.0



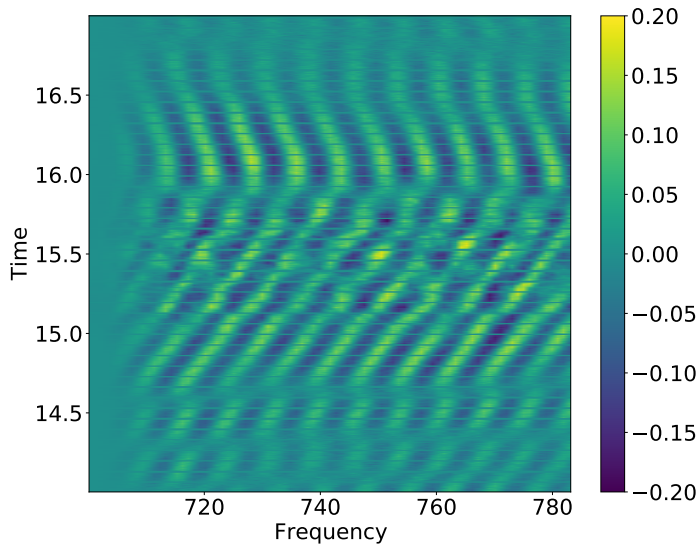
# Examples of visibility fits

Antennas 2x6 freq = 705.0 Bessel



# 2D Residuals

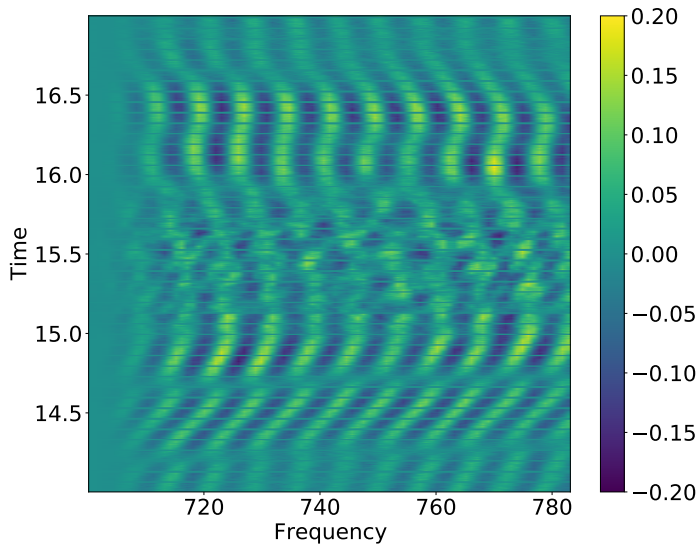
residuals - imag part - Ant. 2x6

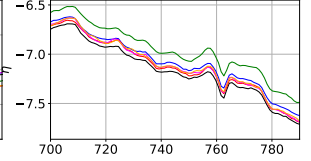
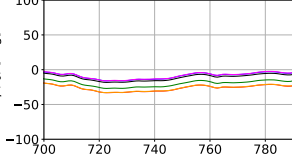
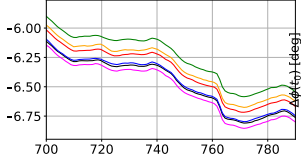
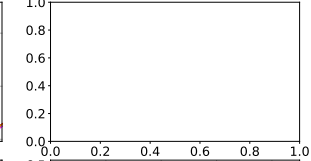
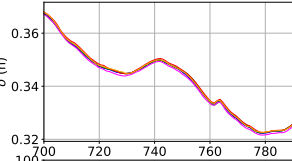
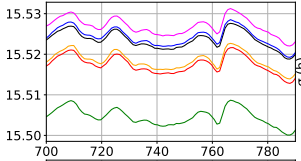
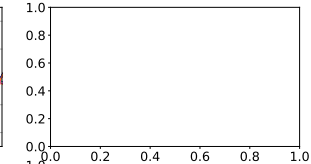
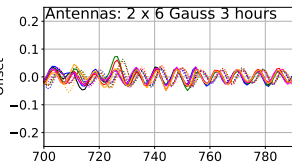
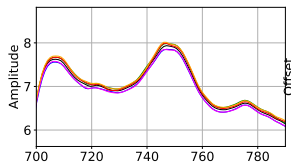




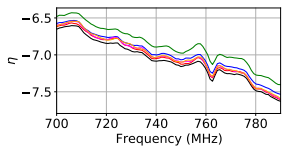
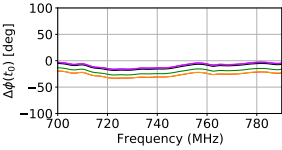
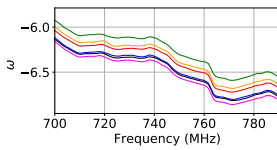
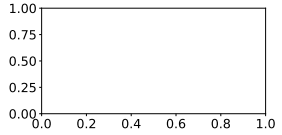
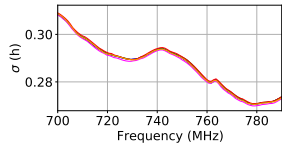
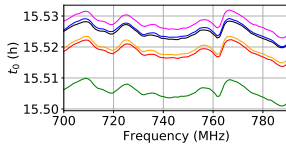
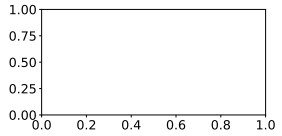
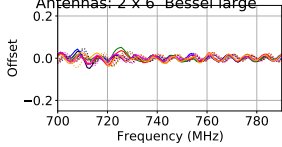
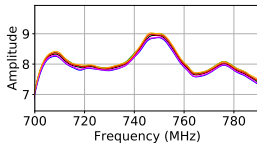
# 2D Residuals

residuals - imag part - Ant. 2x6 Bessel

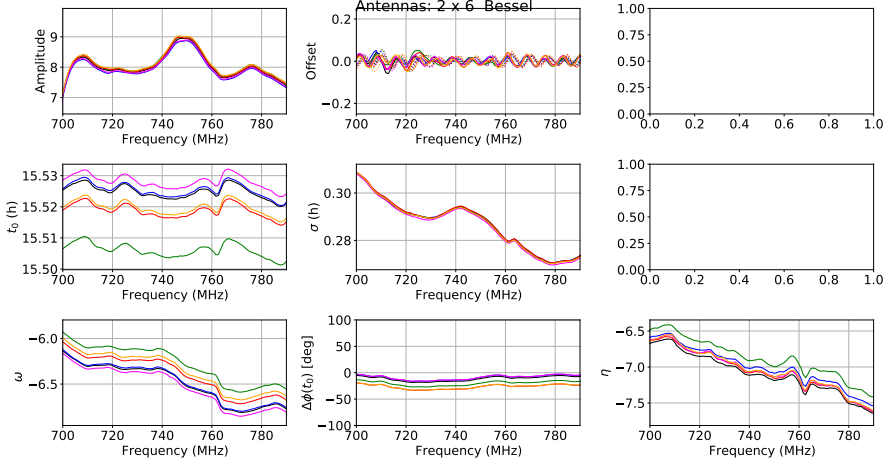




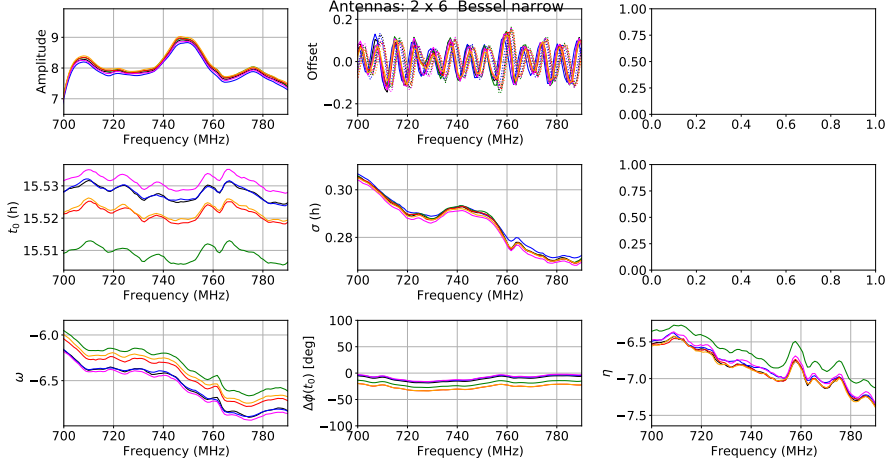
Antennas: 2 x 6 Bessel large



Antennas: 2 x 6 - Bessel

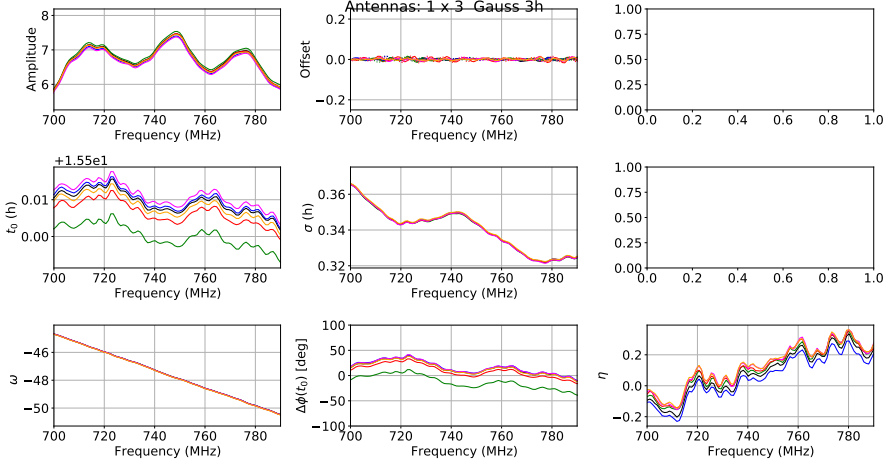


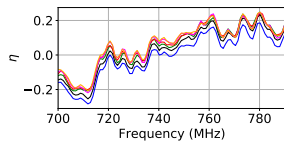
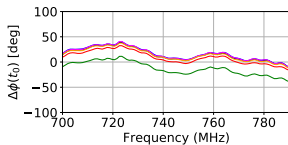
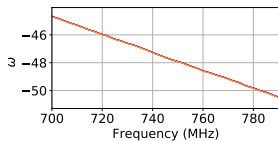
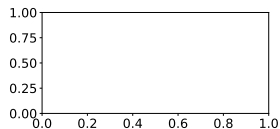
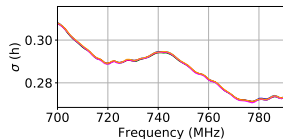
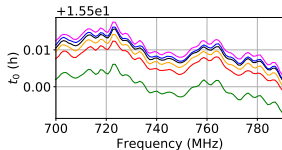
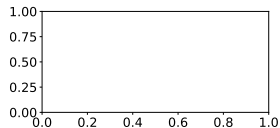
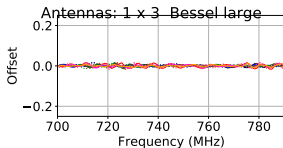
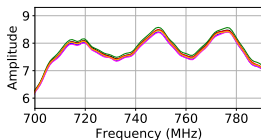
Antennas: 2 x 6 Bessel narrow



1h width  $\Rightarrow$  affects offsets and widths

Antennas: 1 x 3 - Gauss 3h



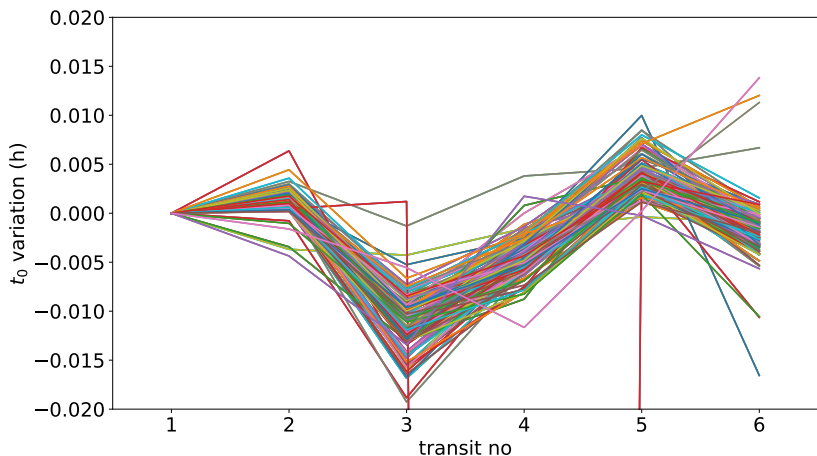


# Observations

- similar/identical behaviour of ampli vs frequency in both models (c++ vs python)
- width/ $\sigma$ , slope/ $\omega$  seems smoother
- complex offset around  $0+j0$
- very similar variations of  $t_0$  and  $\Delta\phi$  vs freq in both models  
NB  $t_0$  and  $\Delta\phi$  seem correlated with each other?
- Bessel beam helps a bit far from transits, small parameter changes
- further questions...

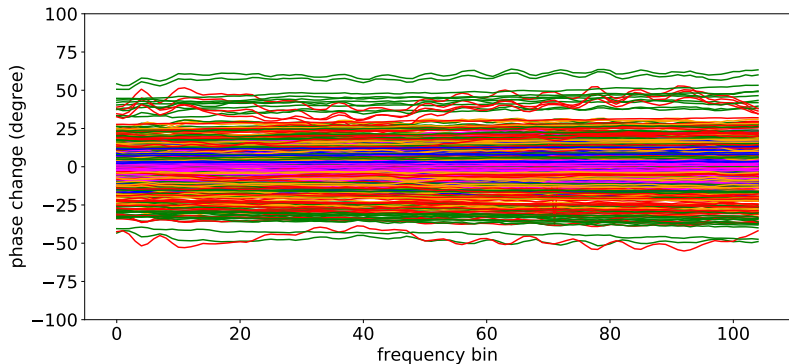


# $t_0$ variations are correlated between baselines ! ?



variation of  $t_0$  at one frequency, for all baselines

# phase variation between transits



for most baselines, **phase change between transits is  $\sim$  an offset constant vs frequency**

detailed comparison with what's expected from noise source under way - which seems different ...

# Link between $t_0$ and $\phi(t_0)$ ?

