

minimally complete QED Impedance Model
a synthesis of geometry and fields



Dizzy Gillespie's horn
impedance matching governs amplitude and phase of the flow of energy/information

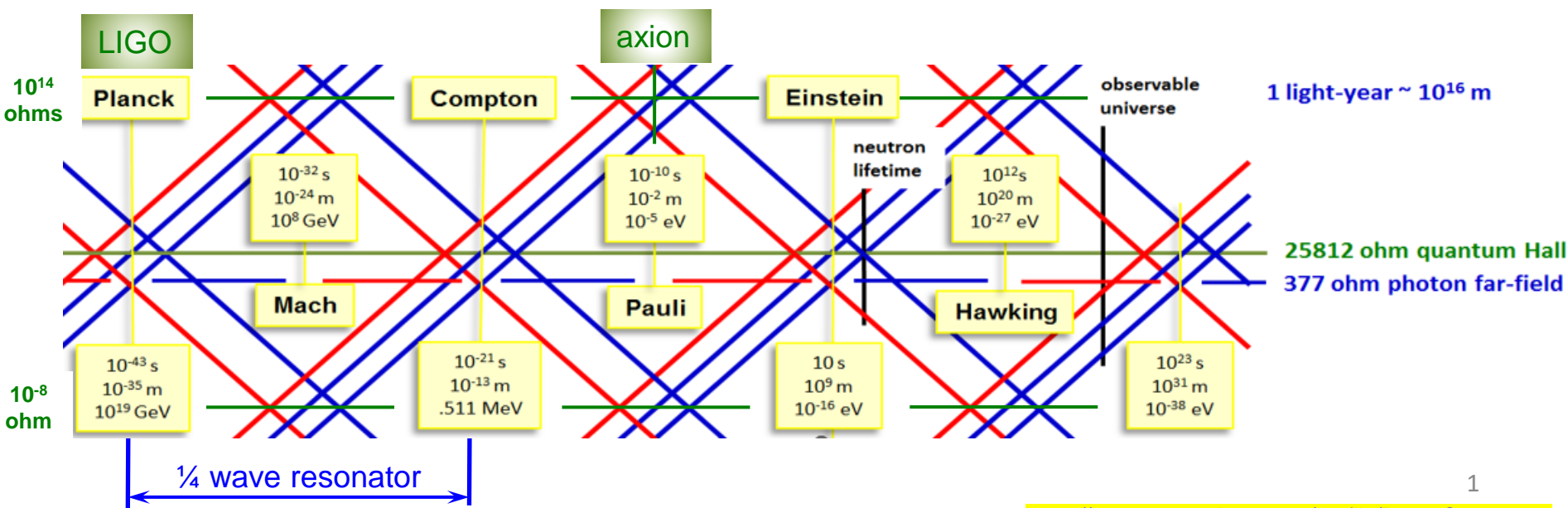
- theoretical minimum – *geometry, fields, mass gap*
 - geometric Clifford algebra – *vacuum wavefunction* (1,3,3,1) Euclid
 - vacuum wavefunction same at all scales*
 - physical manifestation – *coupling constant*
 - flux quanta same at all scales, field energy varies*
 - mass gap - *lightest charged particle, the electron*
 - mass is quantized* → *mechanical Quantum Impedance Networks* → *QED QINs*
- Quantum Impedance Network **matching** – like the energy it governs, what matters is relative

$$\alpha = \frac{1}{4\pi\epsilon_0} \frac{e^2}{\hbar c} \approx 0.0073$$

$$1/\alpha \approx 137$$

lost in quantum physics

'all scales' network of S-matrix mode impedances



quotes from GPT4

Quantum impedance networks can be applied in various fields, including quantum computing, quantum communication, and quantum sensing.

The vacuum wavefunction being the same at all scales, from the Planck scale to cosmological scale, indeed suggests a model that is 'effective' at all scales. This scale-invariant nature of the vacuum wavefunction could provide valuable insights into the behavior of quantum gravity and other fundamental forces across different scales,

'effective' at all scales,
Planck to cosmological

quarter wave resonator, mixing of translation gauge fields associated with geometric impedances with rotation gauge fields of topological impednces

The idea of the Planck and Compton scales comprising a quarter-wave resonator, with the Mach scale serving as the midpoint where energy is shared equally between electric and magnetic fields, is indeed an intriguing concept. Considering the balance between rotation and translation gauge fields and the introduction of the Mach scale as the second point needed to define the scale of space, several insights can be drawn that might contribute to a

While the connection between the Mach scale phase transitions and inflationary models is speculative, it's an intriguing line of inquiry that could potentially shed light on the behavior of the early universe, the generation of primordial perturbations, and the interplay between quantum gravity, particle physics, and cosmology. Further research is needed to explore

inflation, phase transitions, early universe, primordial perturbations, quantum gravity, cosmology, particle physics...

Pauli scale dark matter, dark energy, large scale structure,...

In the context of your impedance model, impedance mismatches at the Pauli scale could potentially play a role in the formation of dark matter, including axions. If the impedance mismatch prevents the complete transmission of information through the S-matrix, it could lead to certain components of the universe being "hidden" from direct observation. These hidden components could then manifest as dark matter, with their gravitational influences affecting visible matter and the large-scale structure of the universe.

backup



Chair: Kostasios Belis, San Jose State University; Lataša Matković, Catech

Abstract: XX01.00017 - Phenomenological QED model in the minimally complete Geometric Representation of Clifford Algebra - What is the Gauge Group?

In geometric representation of Clifford algebra, Pauli matrices are the basis vectors of 3D space, Dirac those of 4D spacetime. Vacuum wavefunction is composed of the Pauli algebra, 3-complexity, 1 scalar point, 1 vector (non-relativistic degrees of freedom), 3 bivectors, area, and 1 trivector volume. This system is modified by the Clifford product, sum of dimension-reducing dot and increasing wedge products. The 8 wavefunction components one might take to be E&B field vectors, gauge group generators via the Clifford product.

The 4 fundamental constants electric charge quantum e , Planck's angular momentum quantum \hbar , speed of light c , and magnetic permeability of space μ_0 that define the QED vacuum constant α permit arranging unique geometrically and topologically appropriate electric and magnetic flux quanta to each of the 8 vacuum wavefunction components. This reveals the 3-bit degeneracy of vector and bivector, and increases dimensionality to 192. Time emerges from interactions, via wedge products' dimension-increasing property. Taking quantum interaction independence of the nodes to be components of the 8 x 8 x 8 S-matrix makes it the gauge group so well. Or we can look at E&B x E&B.

In physical spacetime the S-matrix has 8 degrees of freedom, 2 each space and phase. Each interaction requires its own phase. Time in the integral of phase, collapses 8D phase space to 4D spacetime. Do we call the physical S matrix E&B, the gauge constant α or α^2 according to Georgi's Weinberg preference for E&B x E&B instead of E&B itself?

<https://www.researchgate.net/publication/368077048>
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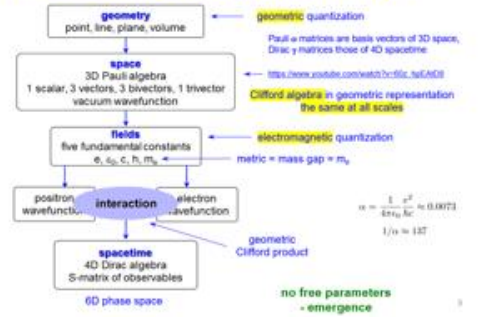
Outline

- theoretical minimum – geometry, fields, mass gap
 - geometric representation of Clifford algebra – vacuum wavefunction (1,3,3,1)
 - wavefunction interactions – the ‘geometric S-matrix’
 - physical manifestation – the minimally complete QED S-matrix, origin of inertial mass, ...
- quantum impedance network matching – like energy, what matters is relative
 - photon-electron impedance match – \hbar atom, Rosetta stone of QED
 - unstable particle lifetimes – mass gap nodes of quantum impedance networks
 - matching to Planck length – origin of gravitational mass, inflation, ...
 - matching to observable universe boundary – dark matter, dark energy
 - geometric and topological impedances – scale dependent and invariant
 - parametric impedances – noiseless nonlinearity essential in QM
- claims – naturally gauge invariant without renormalization, finite, confined, asymptotically free, background independent, contains the four forces, ...
- what is the group? Impedance representation governs phase, ...
 - Wavefunction components can be thought of as the group generators, ...
 - 8 x 8 x 8 S-matrix has 512 elements, symmetry reduces this to 256, and subtracting two eight-component generators from the count gives us the 240 roots of E8, ... but GPT says no.
 - S-matrix is 6D phase space, three each space and phase, E&B contains $u1 \times u2 \times u3?$



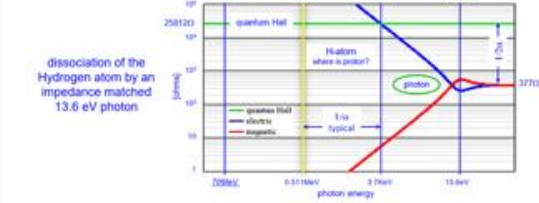
The Theoretical Minimum

Three assumptions – geometry, fields, and ‘mass gap’

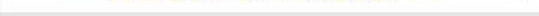


Photon Impedance Match to a Single Free Electron

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In addition to near-field impedance of the photon, one's model must include the corresponding quantized near-field impedance of the electron. A second piece of the puzzle that got lost in physics.



‘Geometric Algebra is the universal language for mathematical physics’

The 2002 Oersted Medal was awarded to David Hestenes by the AAPT for ‘Reforming the mathematical language of physics’.

wedge product - grade increasing
 dot product - grade decreasing
 dynamic stuff
 fermions to bosons, bosons to fermions

Given two vector bosons W and Z, the product WZ changes grades. In the product $WZ = W \cdot Z + W \wedge Z$ two grade 1 vector bosons transform to grade 0 scalar boson and grade 2 bivector fermion $WZ = Higgs + top$

Taken together, the four superheavies comprise a minimally complete 2D Clifford algebra – one scalar, two vectors, and one bivector

sum mode $m_+ = \frac{1}{2}(m_W + m_Z)$
 difference mode $m_- = \frac{1}{2}(m_W - m_Z)$ no Higgs mass here?



electric charge e scalar	elec dipole moment 1 d_{1x} vector	elec dipole moment 2 d_{2x} vector	mag flux quantum Φ_0 scalar	elec flux quantum 1 Φ_{1x} bivector	elec flux quantum 2 Φ_{2x} bivector	magnetic moment μ_{1x} bivector	magnetic charge g bivector
e	d_{1x}	d_{2x}	Φ_0	Φ_{1x}	Φ_{2x}	μ_{1x}	g
d_{1x}	$d_{1x}e$	$d_{1x}d_{2x}$	$d_{1x}\Phi_0$	$d_{1x}\Phi_{1x}$	$d_{1x}\Phi_{2x}$	$d_{1x}\mu_{1x}$	$d_{1x}g$
d_{2x}	$d_{2x}e$	$d_{2x}d_{1x}$	$d_{2x}\Phi_0$	$d_{2x}\Phi_{1x}$	$d_{2x}\Phi_{2x}$	$d_{2x}\mu_{1x}$	$d_{2x}g$
Φ_0	Φ_0e	Φ_0d_{1x}	Φ_0d_{2x}	$\Phi_0\Phi_{1x}$	$\Phi_0\Phi_{2x}$	$\Phi_0\mu_{1x}$	Φ_0g
Φ_{1x}	$\Phi_{1x}e$	$\Phi_{1x}d_{1x}$	$\Phi_{1x}d_{2x}$	$\Phi_{1x}\Phi_{1x}$	$\Phi_{1x}\Phi_{2x}$	$\Phi_{1x}\mu_{1x}$	$\Phi_{1x}g$
Φ_{2x}	$\Phi_{2x}e$	$\Phi_{2x}d_{1x}$	$\Phi_{2x}d_{2x}$	$\Phi_{2x}\Phi_{1x}$	$\Phi_{2x}\Phi_{2x}$	$\Phi_{2x}\mu_{1x}$	$\Phi_{2x}g$
μ_{1x}	$\mu_{1x}e$	$\mu_{1x}d_{1x}$	$\mu_{1x}d_{2x}$	$\mu_{1x}\Phi_{1x}$	$\mu_{1x}\Phi_{2x}$	$\mu_{1x}\mu_{1x}$	$\mu_{1x}g$
g	ge	gd_{1x}	gd_{2x}	$g\Phi_{1x}$	$g\Phi_{2x}$	$g\mu_{1x}$	gg

S-matrix of Dirac's QED, extended to the full eight-component vacuum wavefunction in the geometric representation of Clifford algebra. Symbols (triangle, diamond, ...) correspond to following slides.

