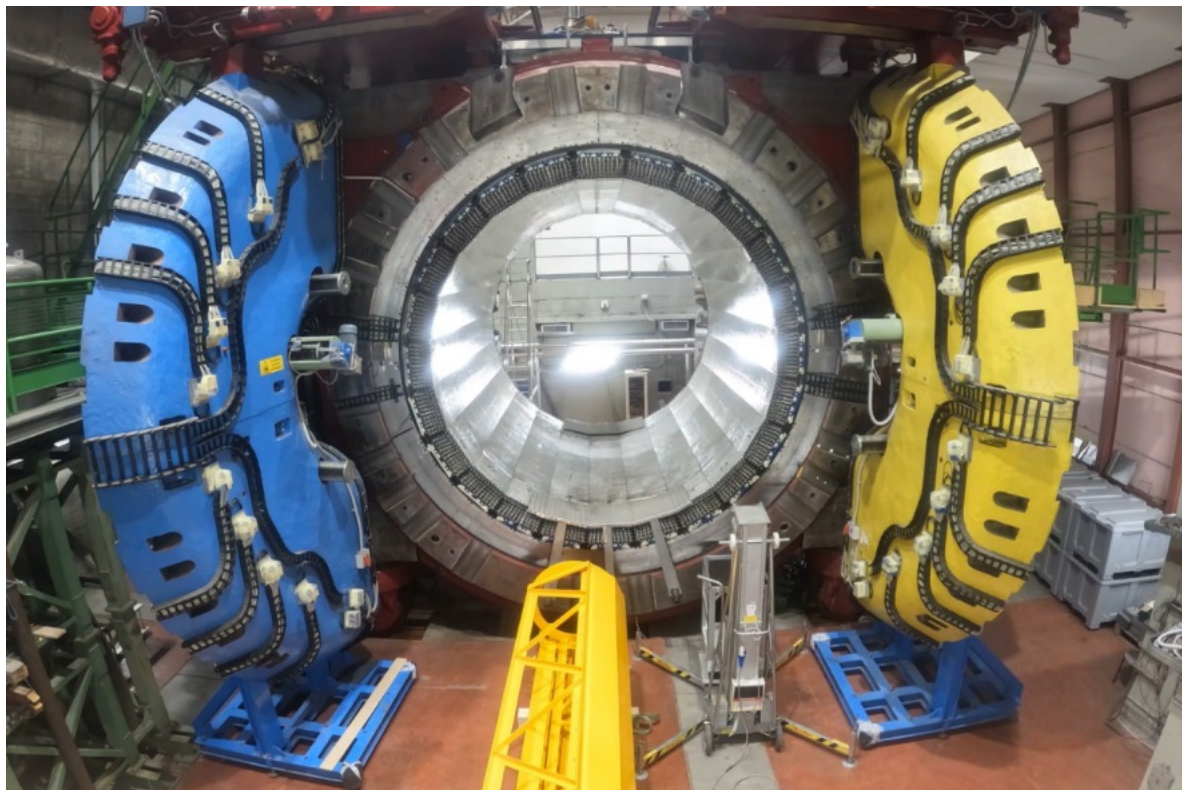

Studies for the optimization of the working point of the SAND calorimeter read-out electronics in DUNE



Antonio Di Domenico, Paolo Gauzzi, Daniele Truncali
Dipartimento di Fisica, Sapienza Università di Roma
and INFN-Roma, Italy



ECAL WG Meeting – 12 June 2023

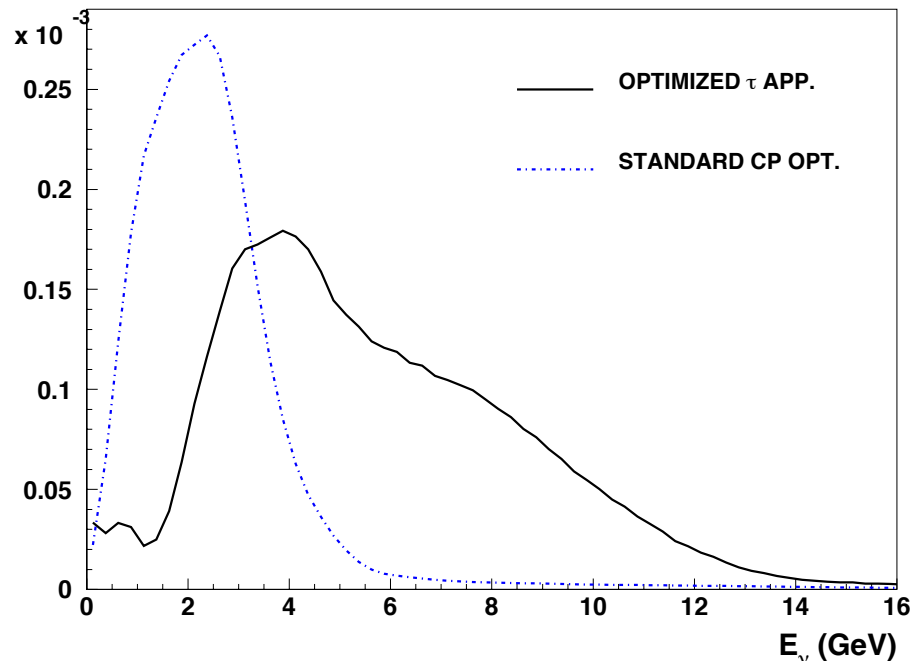


Figure 87: Comparison of LBNF ν_μ fluxes: (a) default 3 horn beam optimized for CP violation (dash-dotted); (b) ν_τ appearance optimized beam (solid).

From DUNE docDB note 13262
A proposal to enhance the DUNE near detector complex

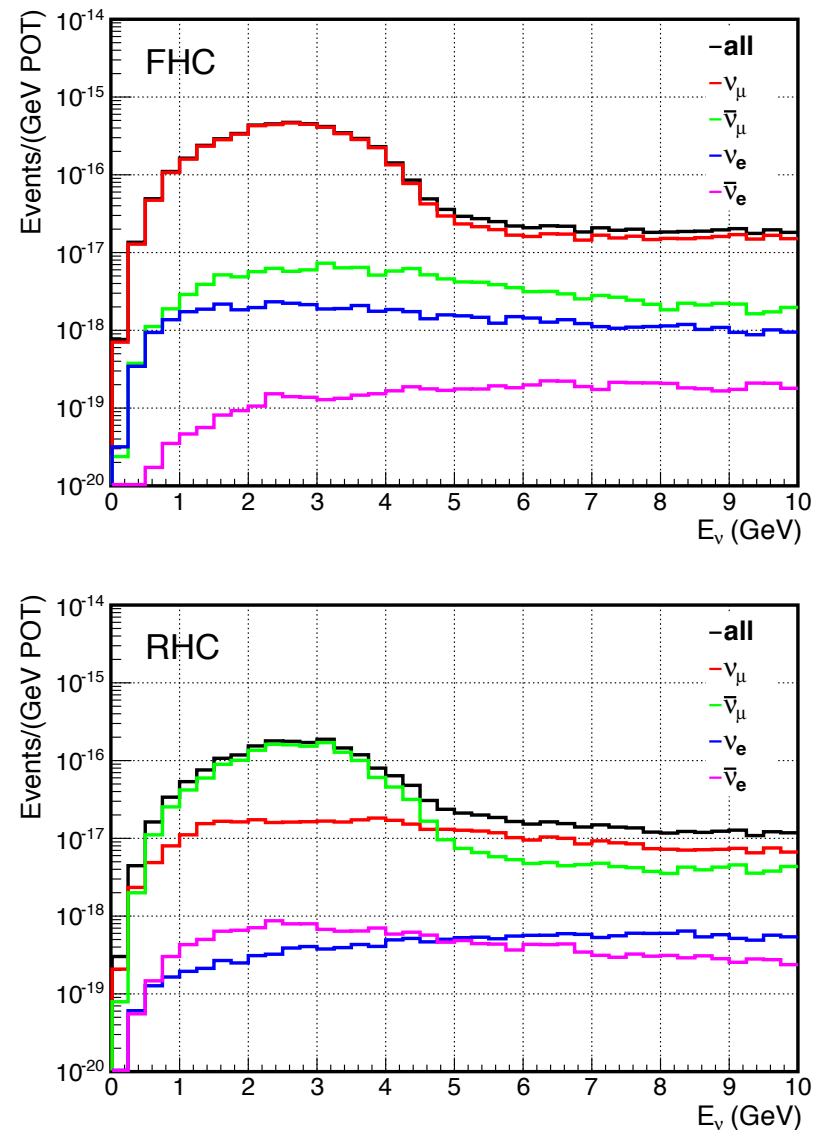
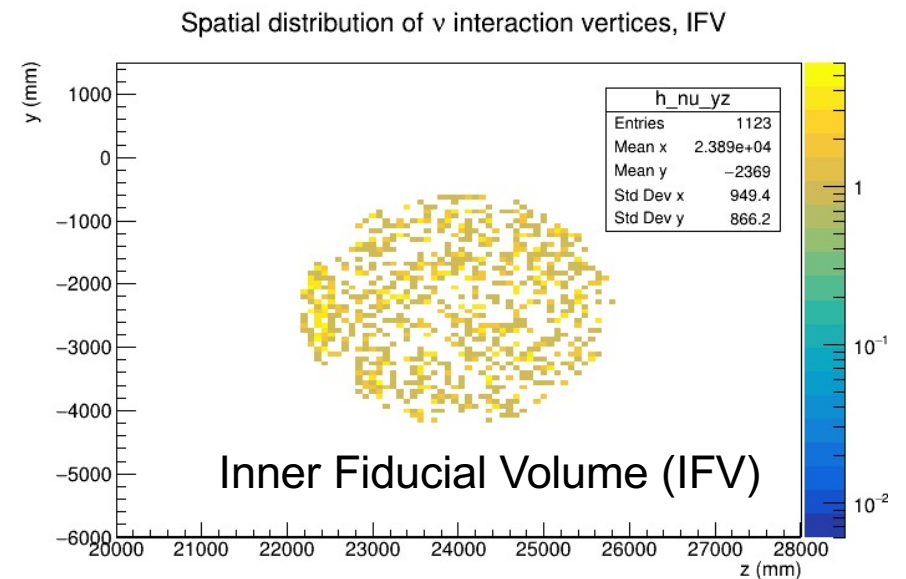
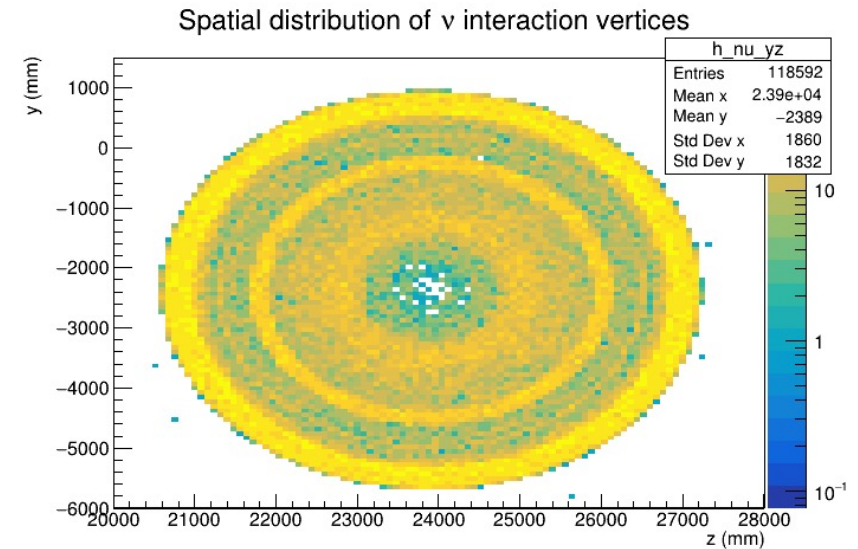


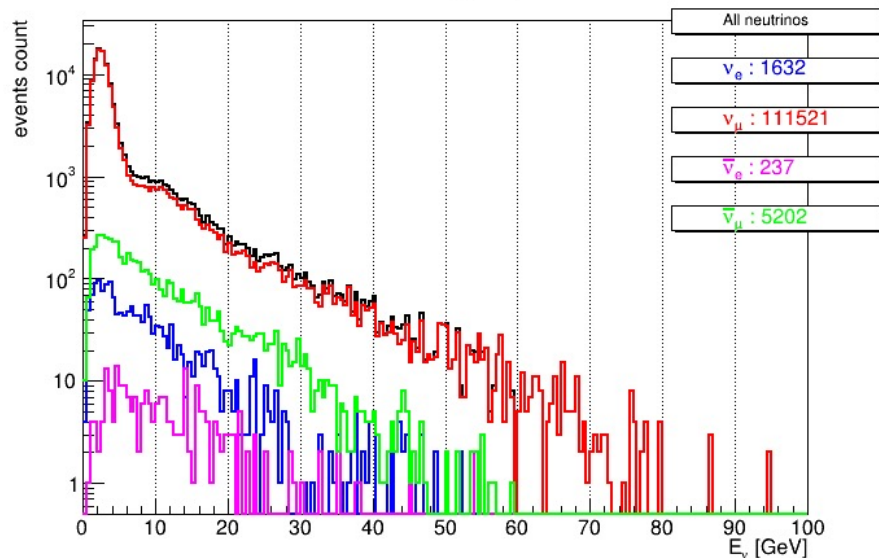
Figure 89: Energy spectra of CC interacting neutrinos in the internal LAr target, having a mass of 1.01 ton, and considering a 120 GeV proton beam in both FHC and RHC modes.

- Analyzed sample: sand-events.*.digi.root and sand-events.*.edep.root
(thanks to Matteo Tenti)
- 100 files
- Total evts = 118592
- Total p.o.t = 1.011×10^{17}
- p.o.t./spill = 7.5×10^{13} at 1.2 MW beam power
- corresponding to ~ 30 minutes of data taking in FHC mode
- Inner Fiducial Volume (IFV) defined at a distance of 20 cm from ECAL internal surface

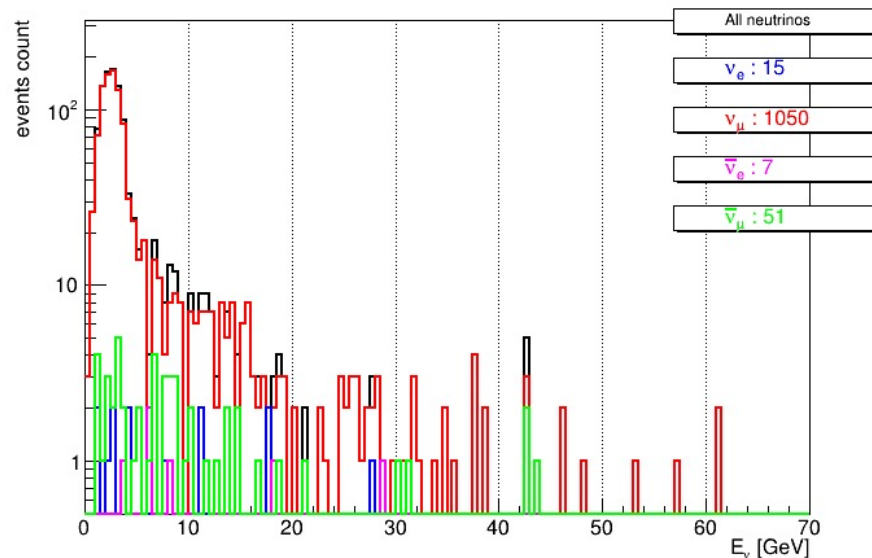


Neutrino energy spectrum in SAND MC

Neutrino energy spectrum

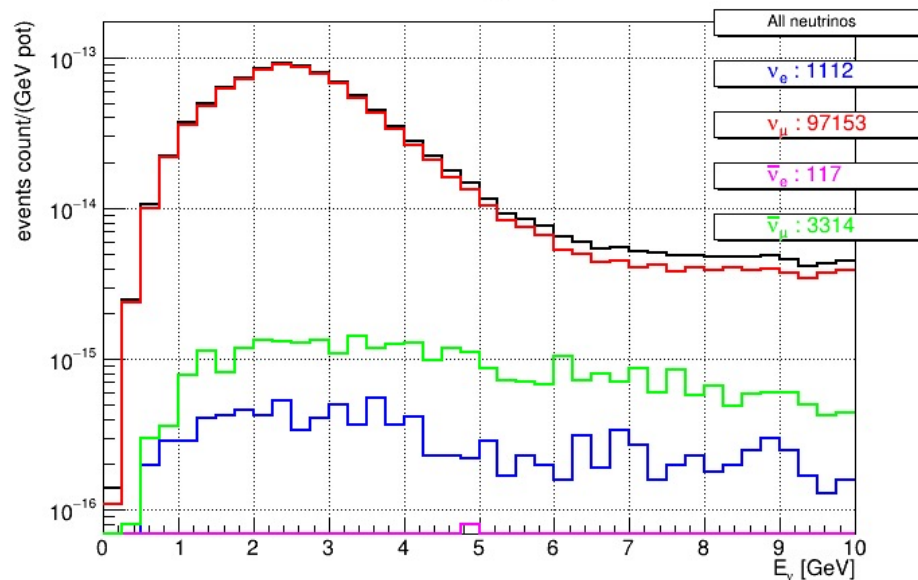


Neutrino energy spectrum, IFV



as a cross-check

Neutrino energy spectrum

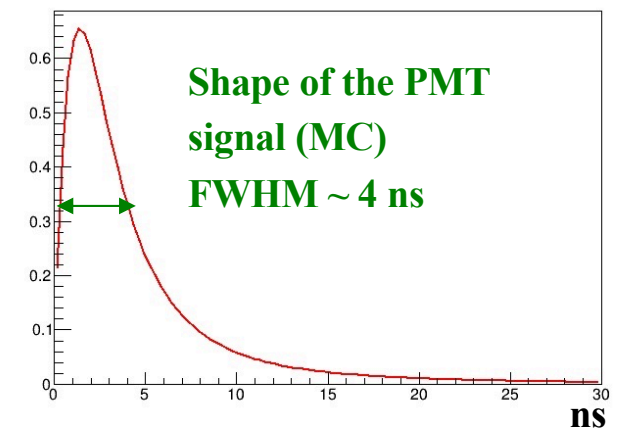
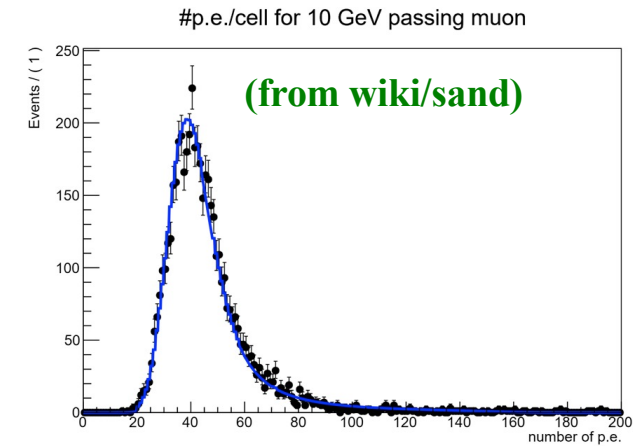


Digitization of ECAL similar to KLOE MC:

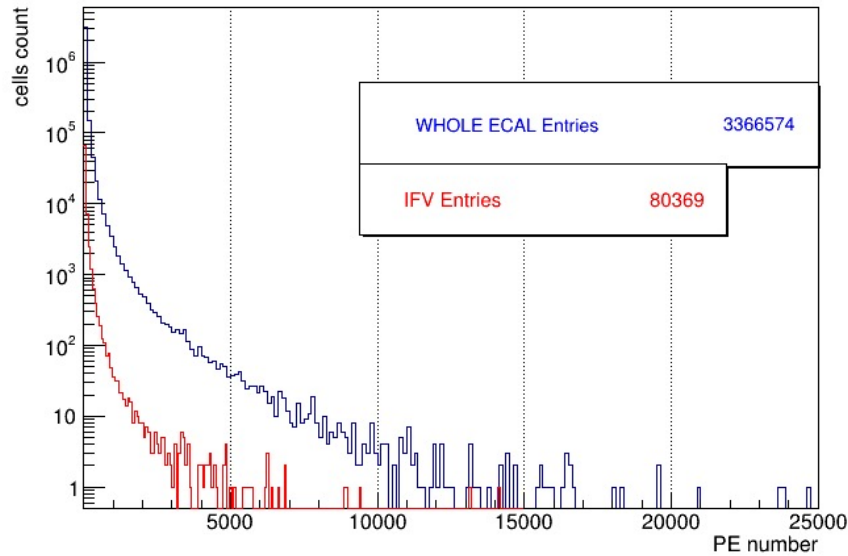
- Deposited energy in the cells propagated to PMTs with double exp. attenuation curve

$$f(x) = Ae^{-\frac{x}{\lambda_1}} + (1 - A)e^{-\frac{x}{\lambda_2}}$$

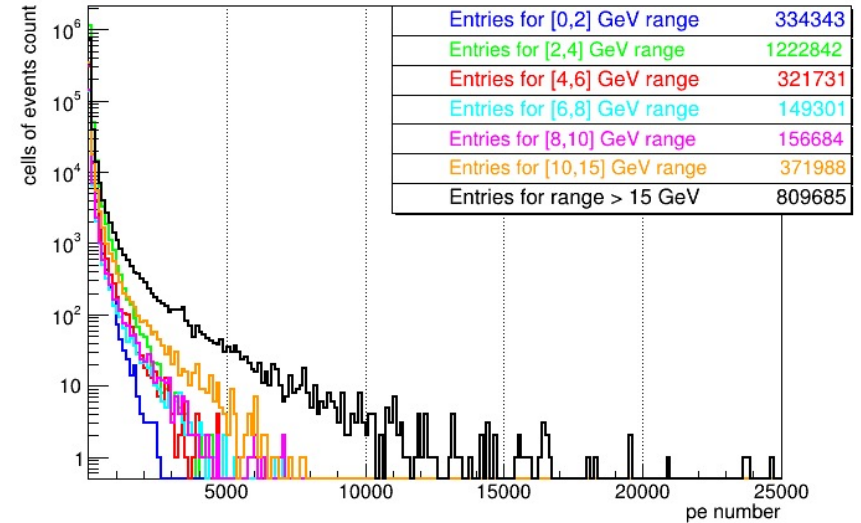
- Converted into p.e. number \Rightarrow 18.5 p.e./MeV of deposited energy (MIP at the module center \sim 40 p.e.)
- Light yield \sim 1 p.e./MeV of total energy of the particle
- Threshold = 2.5 p.e.
- Constant fraction discriminator at 15% of the signal
- Multihit TDC simulation (30 ns integration time + 50 ns dead time)



PE distribution



PE distribution at E_ν fixed



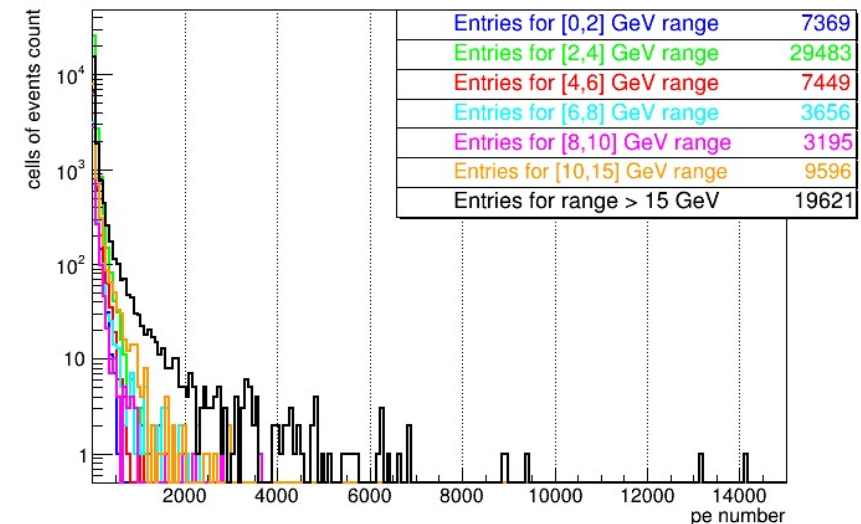
E_ν range = [0,10] GeV

Events number 101,696

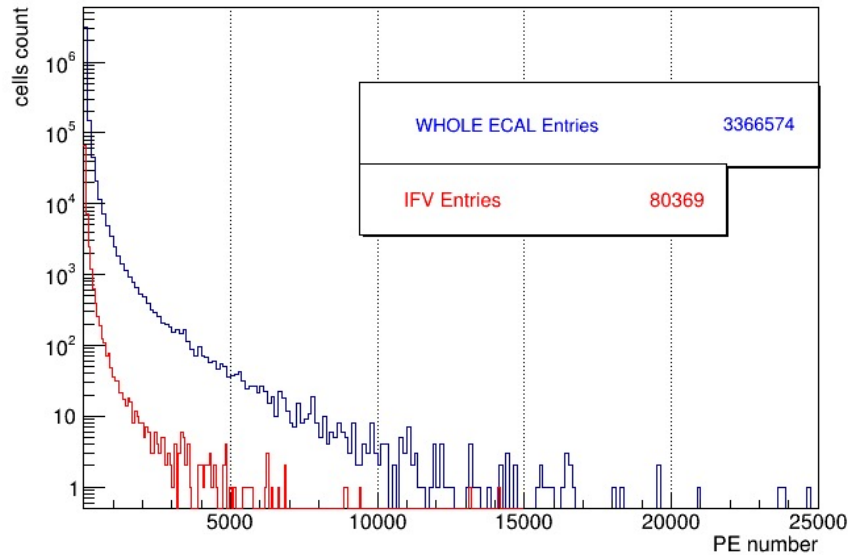
Events cells number 2,184,901

Fraction of events with at least one cell above PE threshold	[%]
1000 PE threshold	2.58
2000 PE threshold	0.49
3000 PE threshold	0.13
4000 PE threshold	$3.64 \cdot 10^{-2}$
Fraction of hit cells above PE threshold	[%]
1000 PE threshold	0.19
2000 PE threshold	$3.03 \cdot 10^{-2}$
3000 PE threshold	$7.19 \cdot 10^{-3}$
4000 PE threshold	$2.11 \cdot 10^{-3}$

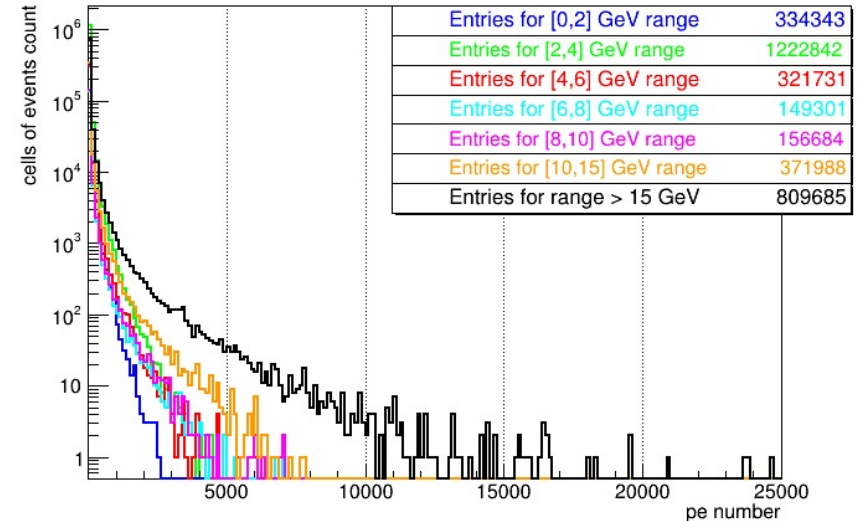
PE distribution at E_ν fixed, IFV



PE distribution



PE distribution at E_ν fixed



E_ν range = [0,10] GeV

Events number 101,696
Events cells number 2,184,901

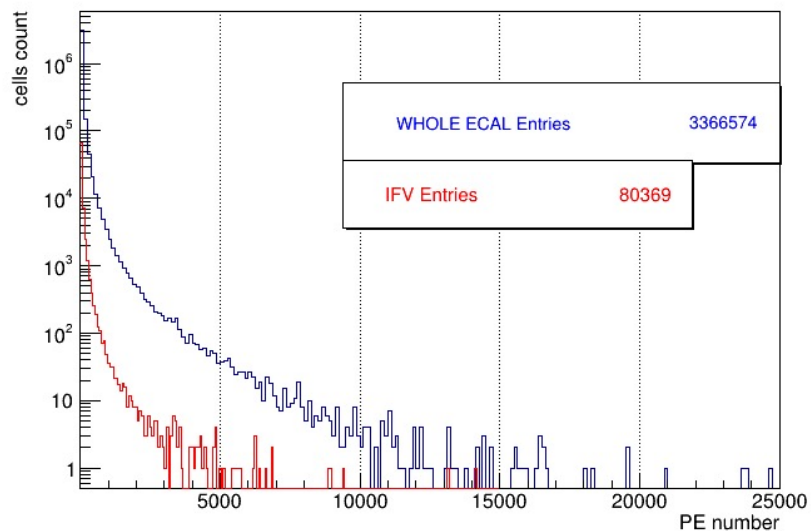
PE distribution at E_ν fixed, IFV



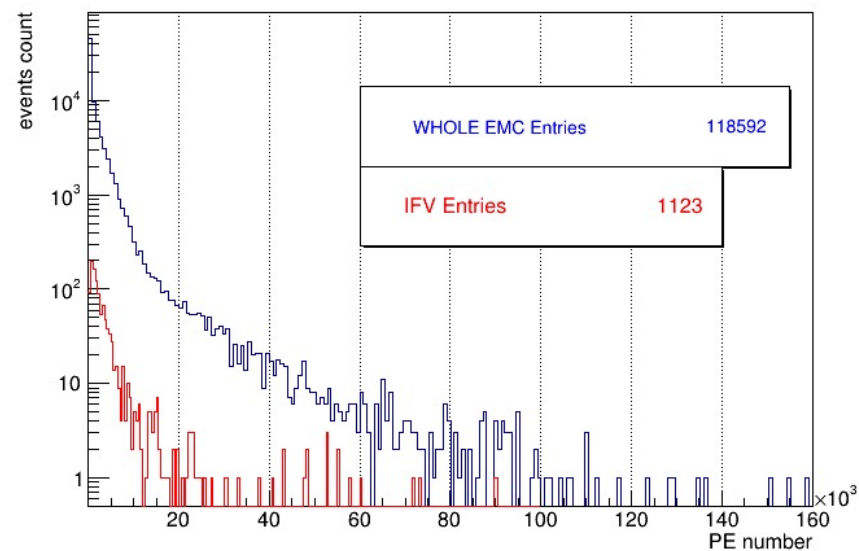
Fraction of events with at least one cell above PE threshold	[%]
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3000 PE threshold	$7.19 \cdot 10^{-3}$
4000 PE threshold	$2.11 \cdot 10^{-3}$

- Neutrino energy range of interest for oscillation analyses is [0,10] GeV
- In this range the MAXIMUM Np.e. that has to be treated by FEE can be safely set between 1000 and 2000
=> see next slides for the choice of the FEE dynamic range

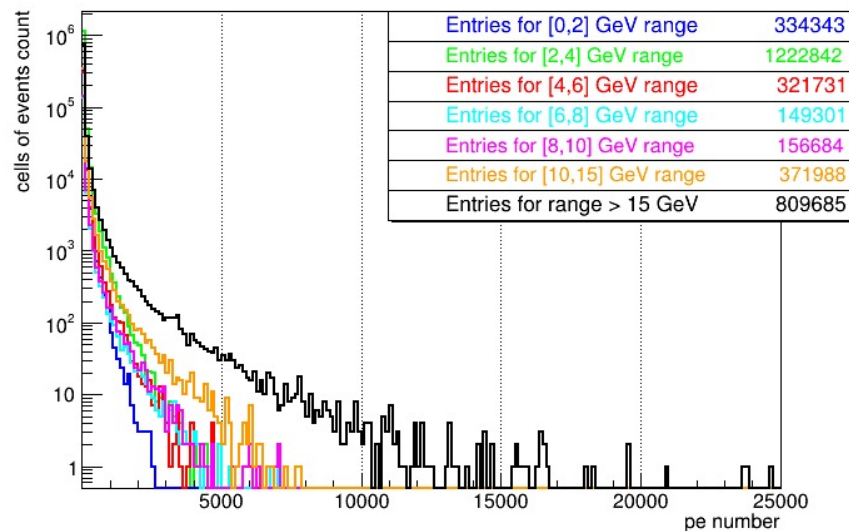
PE distribution



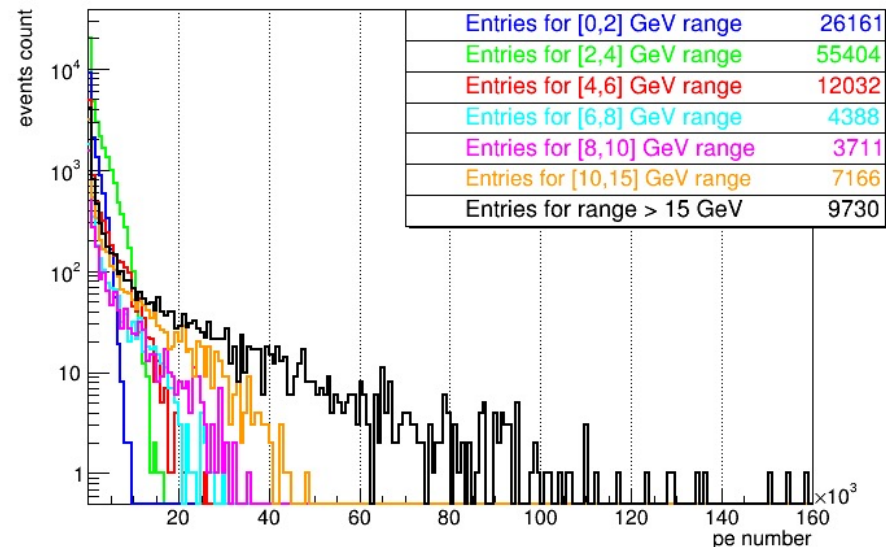
Total PE release



PE distribution at E_ν fixed

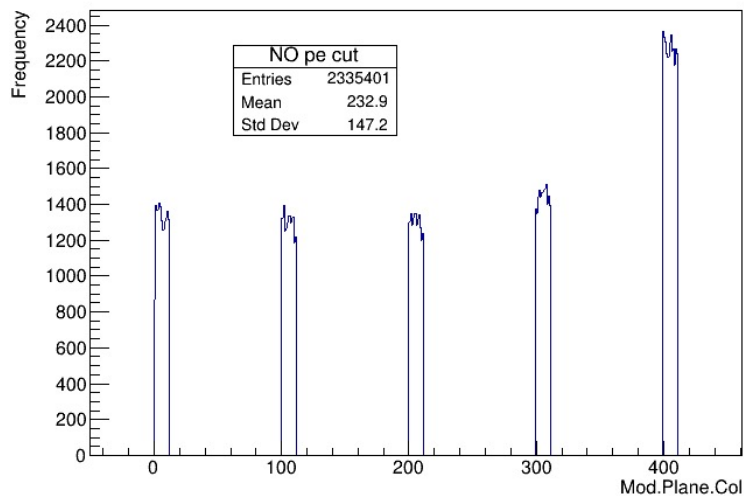


Total PE number distribution at E_ν fixed



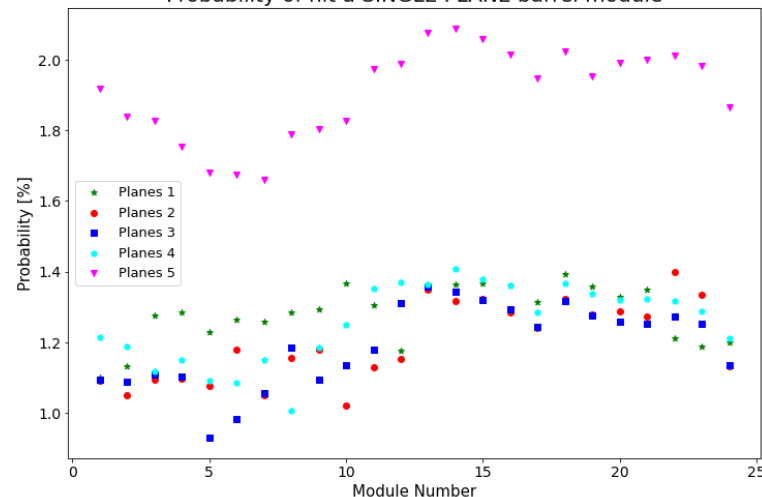
Cell occupancy plots and hit probability

Occupancy plot 1st Barrel MODULE



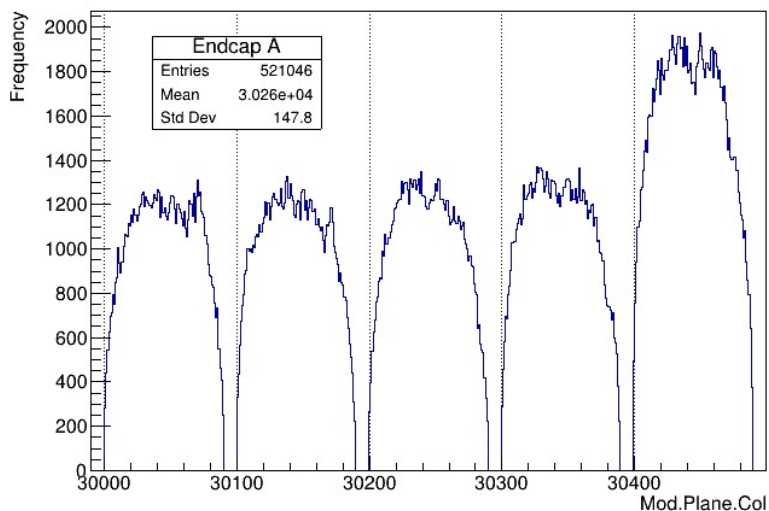
Barrel

Probability of hit a SINGLE PLANE barrel module



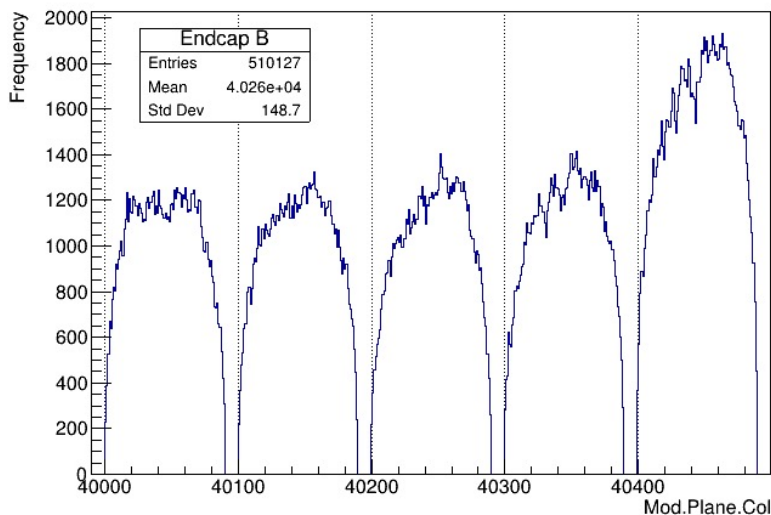
Ecap A

Occupancy plot Endcap A



Ecap B

Occupancy plot Endcap B



Average probability that a cell is fired/hit in a neutrino interaction event:

$$P_{\text{barrel}} = 1.37\%$$

$$P_{\text{ecapA}} = 0.88\%$$

$$P_{\text{ecapB}} = 0.86\%$$

$$P_{\text{cell}} = 1.16\%$$

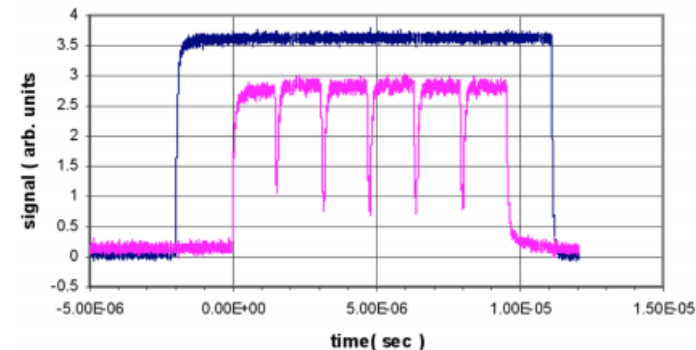
Beam power 1.2 MW

7.5×10^{13} protons extracted every 1.2 s at 120 GeV

1.1×10^{21} pot/year

Spill time structure

- 9.6 μs per spill
- 6 batches, 84 bunches/batch
- 2 empty bunches
- 1 bunch: Gaus($\sigma = 1.5$ ns)
- Δt bunches = 19 ns



Event rates expected in SAND

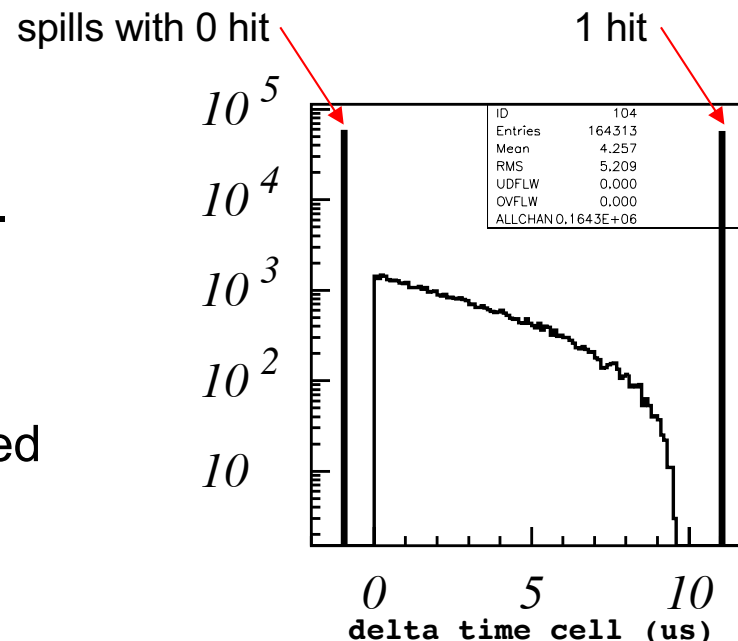
~ **84 interactions/spill**

$\lesssim 1$ interaction/spill in the SAND fiducial volume

Pile-up probability

The beam time structure is reconstructed to simulate the time of the neutrino interaction event and calculate the pile-up probability that, given a PMT signal, a second signal arrives within a fixed time window (TW) after the first signal.

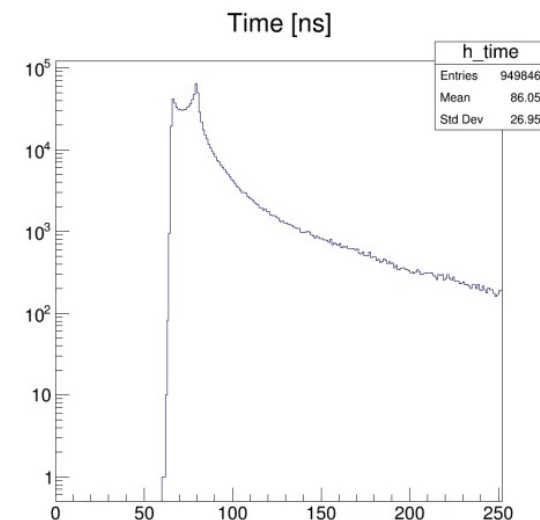
The times of N interactions per spill (in average N=84) are extracted uniformly between 0 and 9.6 μ s. The time difference between two consecutive interactions is calculated for all spills, following an exponential distribution with $\tau_{\text{spill}} \simeq 114$ ns. From this, the distribution of time differences for a single cell with a probability to be hit of $P_{\text{cell}} = 1.16\%$ is evaluated, and then the pile-up probabilities for different time windows are also evaluated, TW = 50, 100, 150, 200 ns.



before smearing

after smearing

P_{CELL} [%]	1.16	1.5	2.0	1.16	1.5	2.0
Time window [ns]						
50	0.67	0.90	1.28	0.64	0.86	1.36
100	1.33	1.81	2.52	1.32	1.71	2.56
150	1.95	2.71	3.72	1.91	2.60	3.78
200	2.59	3.58	4.87	2.52	3.48	4.93

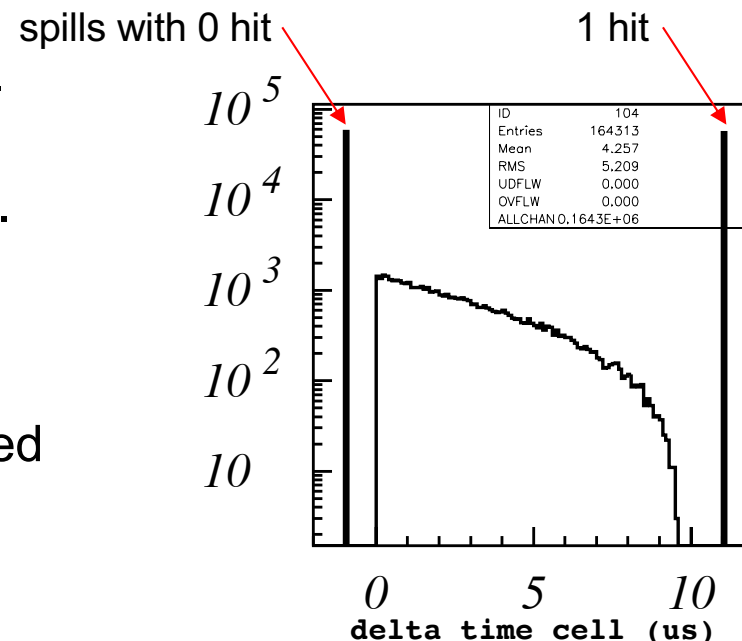


Time propagation/smearing of hits in a single neutrino interaction event.

Pile-up probability

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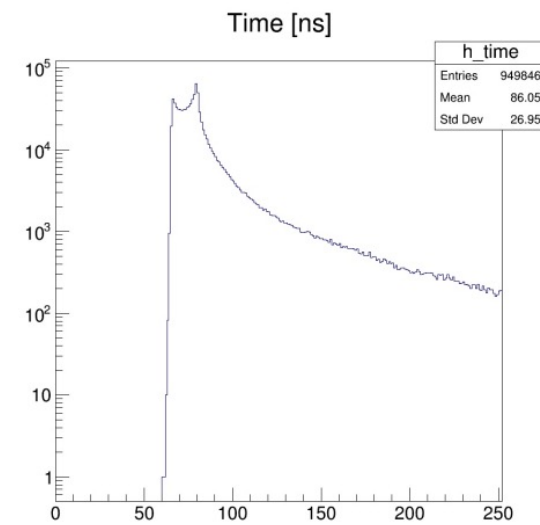
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Time propagation/smearing of hits in a single neutrino interaction event.

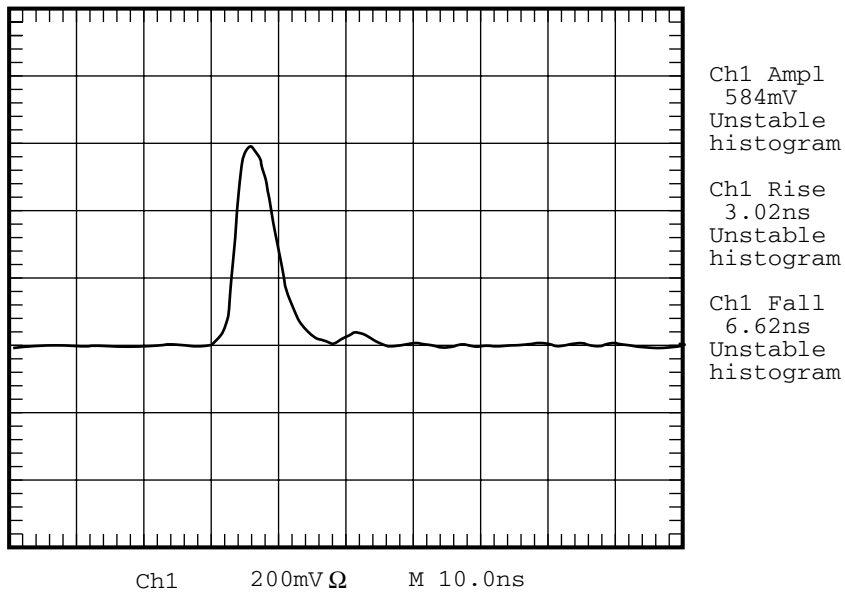


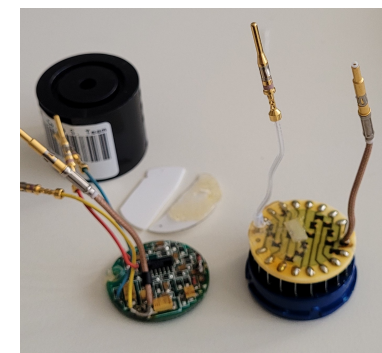
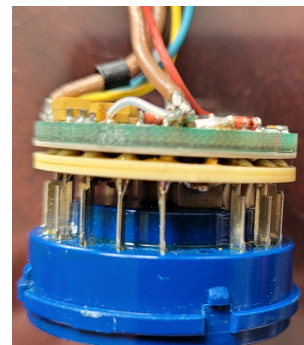
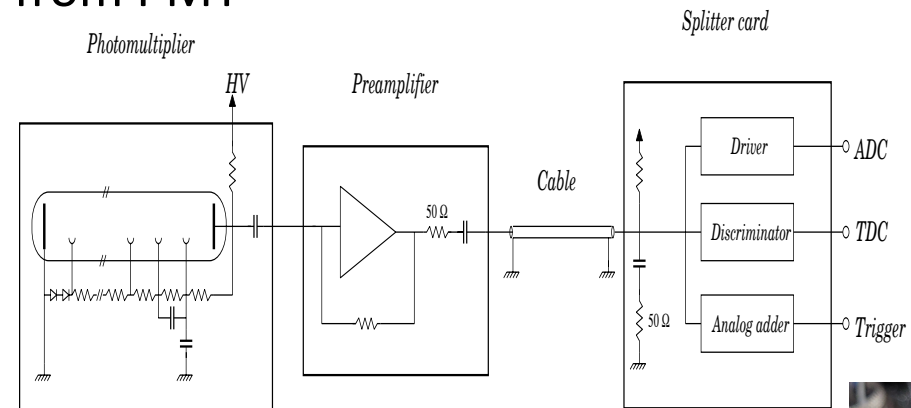
Figure 4: Typical signal from the PM base.

Constraints:

- minimum discriminator threshold 4-5 mV
- maximum HV for PMs divider is 2300 V
typical HV 1700-1800 $\Rightarrow G \sim 1-3 \times 10^6$
- preamplifier linear (within 0.2%) for signals up to 4.7 V (gain preamp ~ 2.5)
 $\Rightarrow 1.74$ V at discriminator level after 12-15 m long cables and termination

Constant fraction discriminators.

Effective thresholds are in the range 4–5 mV: They correspond to signals originated by 3–4 photoelectrons or a 3–4 MeV photon at 2 m from PMT



thanks to A. Balla and P. Ciambone

Choice of the dynamic range

The dynamic range in terms of N_{pe} can be evaluated using the following constraints for the FEE after the PMT:

- Minimum discriminator/digitizer threshold $V_{TH} = 5$ mV
- Preamp linearly (within 0.2%) range = $[0, 4.7]$ V $\Rightarrow V_{preamp}(max) = 4.7$ V
- preamp transimpedance gain $G = 250$ V/A $\Rightarrow I_{peak}(max) = 19$ mA \Rightarrow max signal charge $Q(max) = 133$ pC; from $Q = e N_{pe} G_{PM} \Rightarrow (N_{pe} G_{PM})(max) = 83 \cdot 10^7$
- $G_{TOT} = G_{PM} G_{preamp}$ with $G_{preamp} \approx 2.5$
- 12m long cable attenuation: $C_{ATT} = 0.74$
- MAX single pulse amplitude at the discriminator/digitizer input is:
 $V_{dis}(max) = V_{preamp}(max) \cdot 0.5 \cdot C_{ATT} = 1.74$ V
- signal ampl = $V_{dis}(max)/N_{pe}(max)$
- $N_{pe}(min) = V_{TH}/(\text{signal ampl}) \Rightarrow N_{pe}(max)/N_{pe}(min) = V_{dis}(max)/V_{TH}$

G_{PM} ($\times 10^5$)	G_{tot} ($\times 10^6$)	$N_{pe}(max)$	signal amplitude (mV/pe)	$N_{pe}(min)$ $V_{TH} = 5$ mV	MeV at module center
4.2	1.04	~ 2000	0.87	~ 6	6.0
5.5	1.38	~ 1500	1.16	~ 4	4.0
8.3	2.1	~ 1000	1.74	~ 3	3.0
10	2.5	~ 800	2.18	~ 2	2.0

Choice of the dynamic range

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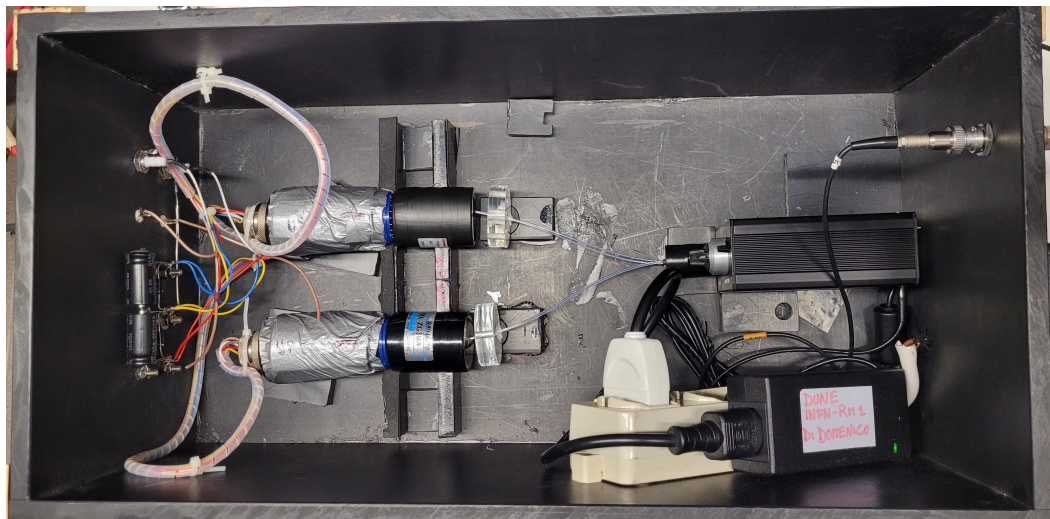
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PMT system test at LNF

PMT system test with CAEN LED driver (wavelength ~ 400 nm) and scint. fiber splitter

two PMTs, one for reference

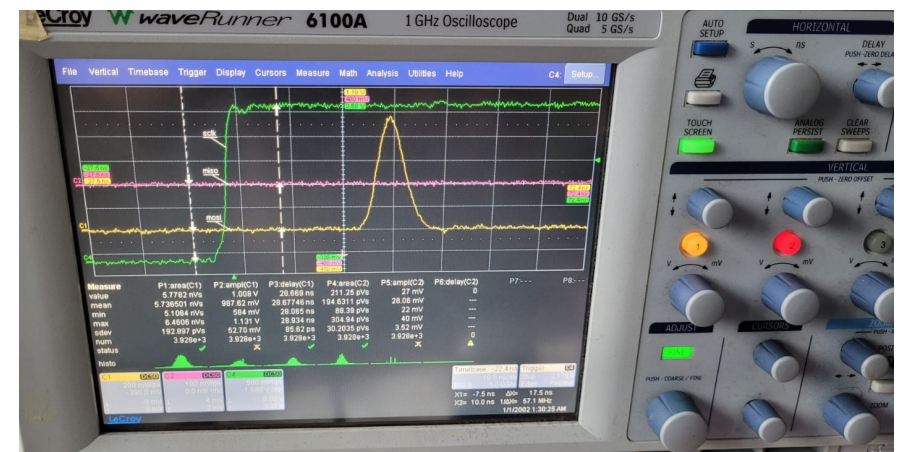


with preamplifiers a lower gain is needed, which is beneficial for PMT lifetime

no preamplifier



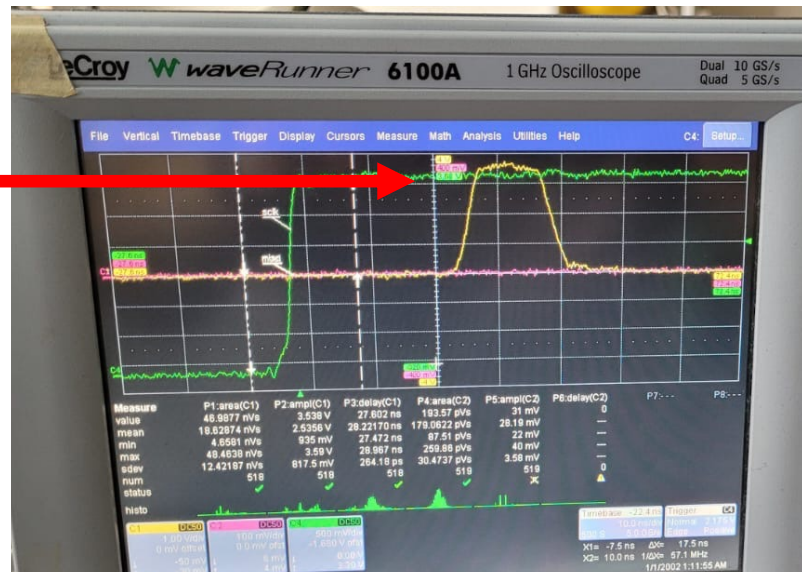
with preamplifier



Test of preamp saturation

with preamplifier

saturation over 3.2 V



In this specific case (negligible cable length) we expect:

$$V_{\text{dis}}(\text{max}) = V_{\text{preamp}}(\text{max}) \cdot 0.5 = 2.35 \text{ V}$$

Assuming to increase $V_{\text{preamp}}(\text{max})$ by 15% while keeping linearity at an acceptable level, e.g. 1% (to be tested), we get:

$$V_{\text{preamp}}(\text{max}) = 5.4 \text{ V}$$

$$V_{\text{dis}}(\text{max}) = V_{\text{preamp}}(\text{max}) \cdot 0.5 = 2.7 \text{ V}$$

“Stretching” the choice of the dynamic range

Assuming:

- to increase $V_{\text{preamp}}(\text{max})$ by 15% $\Rightarrow V_{\text{preamp}}(\text{max}) = 5.4 \text{ V}$
- $(N_{\text{pe}} G_{\text{PM}})(\text{max}) = 95 \cdot 10^7$
- $V_{\text{dis}}(\text{max}) = V_{\text{preamp}}(\text{max}) \cdot 0.5 \cdot C_{\text{ATT}} = 2.0 \text{ V}$
- to have a very low noise environment as in KLOE \Rightarrow lowering (halving) the minimum discriminator/digitizer threshold to $V_{\text{TH}} = 2.5 \text{ mV}$

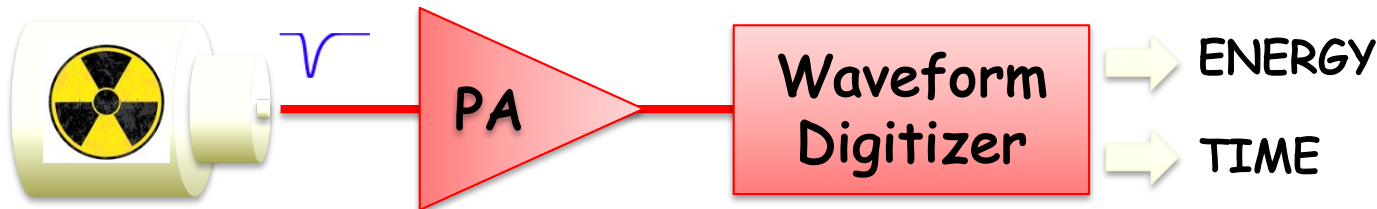
G_{PM} ($\times 10^5$)	G_{tot} ($\times 10^6$)	$N_{\text{pe}}(\text{max})$	signal amplitude (mV/pe)	$N_{\text{pe}}(\text{min})$ $V_{\text{TH}} = 2.5 \text{ mV}$	MeV at module center
4.8	1.2	~ 2000	1.0	~ 3	3.0
6.4	1.6	~ 1500	1.3	~ 2	2.0
9.5	2.4	~ 1000	2.0	~ 1	1.0

- Different dynamic ranges can be implemented changing $G_{\text{PM}} \Rightarrow$ the final choice should be a compromise between an affordable level of events with energy saturated cells, depending on $N_{\text{pe}}(\text{max})$, and an acceptable neutron detection efficiency, depending on $N_{\text{pe}}(\text{min})$.

Constraints on signal dynamic range
see previous slides

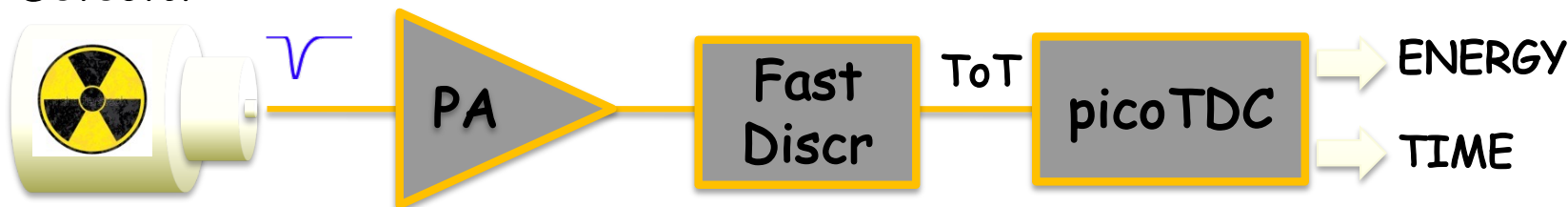
Two possible read-out schemes:

Detector



High Flexibility
 $F_{\text{sampl}} \sim 1 \text{ GS/s} \Rightarrow \text{High Cost}$
or
 $F_{\text{sampl}} \sim 125\text{-}250 \text{ MS/s}$
+ signal shaper
 $\Rightarrow \text{medium Cost}$

Detector



No Flexibility
 $\Rightarrow \text{medium cost}$
energy by ToT
with 2 or more
thresholds not to
worsen energy resol.

CAEN:

possible ready-to-use solution maintaining KLOE energy and time performance

Digitizer solution:

$$V_{\text{signal}}(\text{max}) = 2 \text{ V}$$

$$V_{\text{signal}}(\text{min}) = O(0.1) \text{ mV}$$

=> no problems to set V_{TH} and

$$V_{\text{signal}}(\text{max}) \text{ to match } V_{\text{dis}}(\text{max})$$

Best choice, high cost:

1 GS/s digitizer

=> 1 ns: 4-5 time measurements on the rising edge of the 14 ns base signal to preserve time resolution

Lower cost choice:

A shaper is needed to stretch the signal to use a lower cost digitizer, 125 or 250 MS/s => 8 or 4 ns

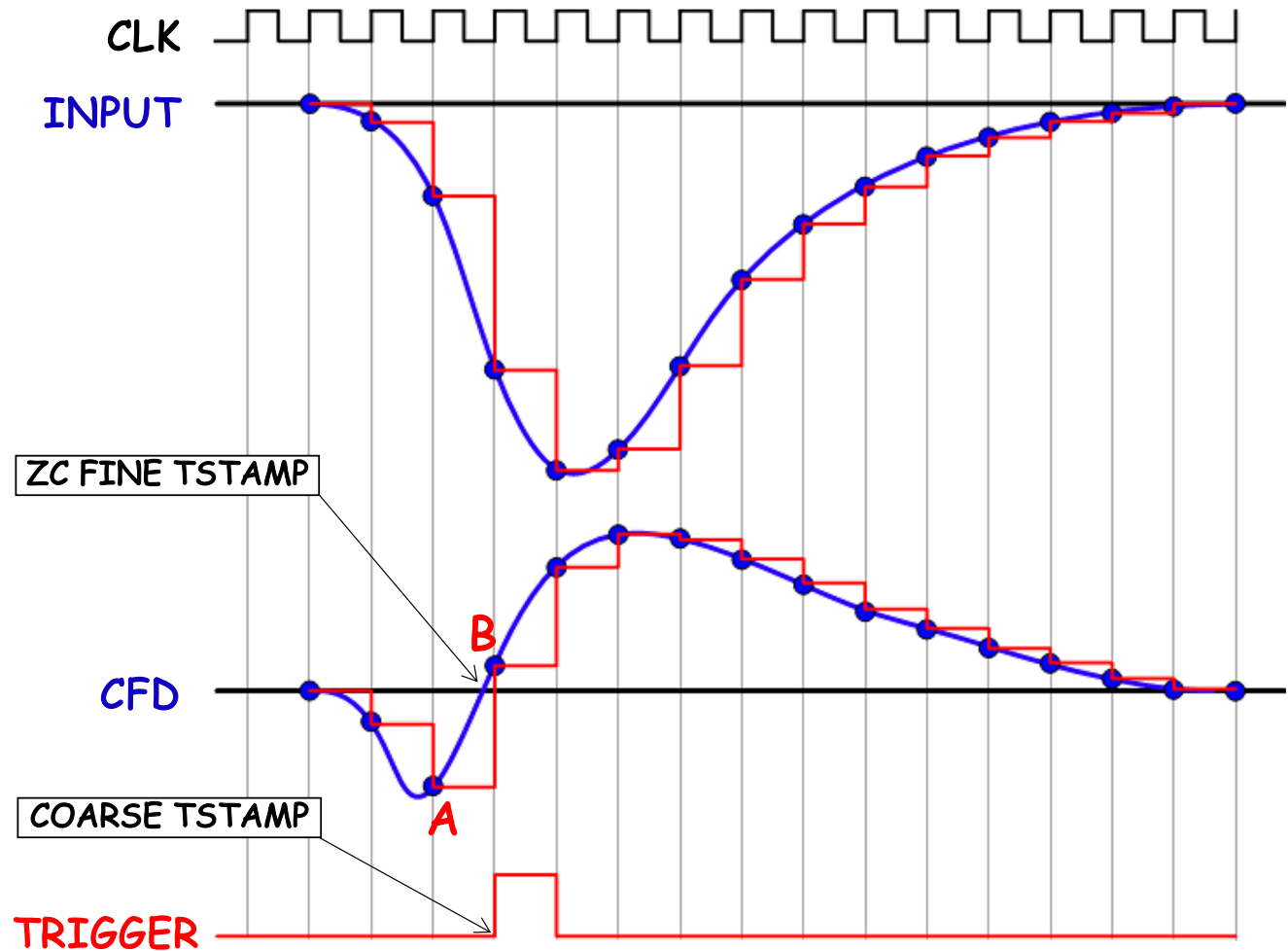
Optimal choice:

250 MS/s digitizer

=> 4 ns

stretch x4 the signal from 14 to 56 ns to keep the pile-up at the minimum (1%).

Digital CFD with interpolation



Studies for the optimization of the working point of the SAND calorimeter read-out electronics have been performed.

The MC simulation of the ECAL digitized response has been used to study the dynamic range and pile-up of the signals.

The preamplifiers of PMT bases are well compatible with the proposed FEE solutions, given that the maximum amplitude of signals accepted before digitalization is around 2 V, i.e.

$$V_{\text{signal}}(\text{max}) = 2 \text{ V.}$$

Keeping the preamplifiers has the advantage (i) to simplify the ECAL dismounting and test phases, and (ii) to keep the PMTs working point at a lower gain and HV level, beneficial for their lifetime.

It has to be tested how much the preamp linearity is worsened when extending $V_{\text{preamp}}(\text{max})$ from 4.7 to 5.4 V (most likely it will remain within 1%).

In the long term, it would be necessary to design and build anew spare bases (with new components), to cope with possible long-term degradation of electronic components.

A possible solution for the FEE that could constitute a good compromise between cost and performance is the use of a 250 MS/s digitizer with a x4 signal stretcher in front.

This solution could be provided by CAEN ready-to-use. A meeting with CAEN will be organized soon to discuss more technical issues and costs of the possible solutions.

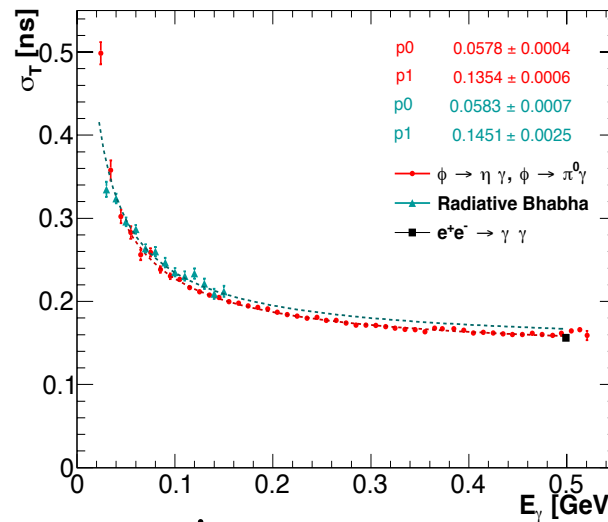
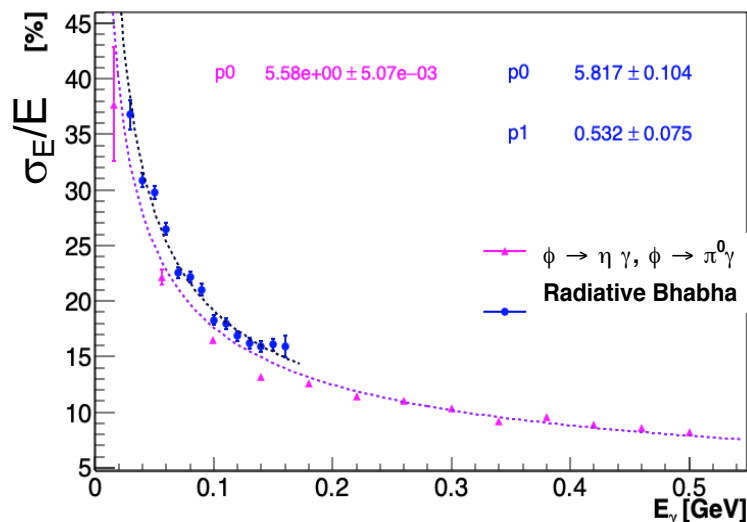
Spare

KLOE ECAL performance in KLOE-2 and with neutrons

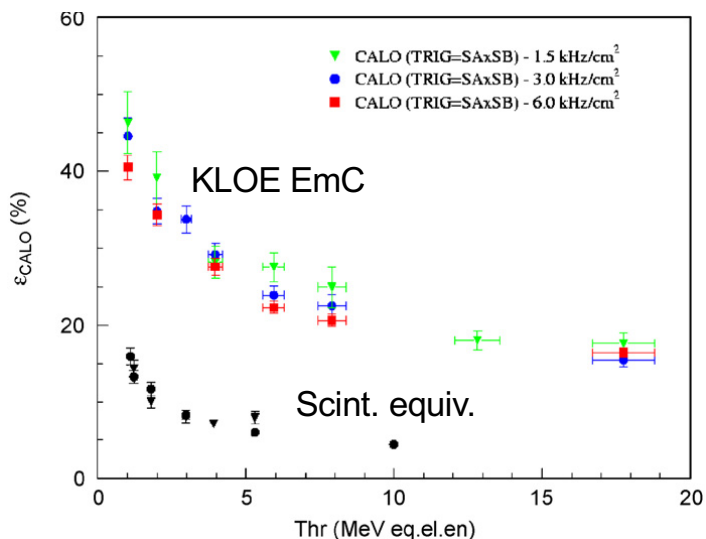
Check e.m. calorimeter performance during KLOE-2 data taking (2015-2018): compatible with known performance.

$$\sigma_E/E \cong 5.6\% / \sqrt{E(\text{GeV})}$$

$$\sigma_t \cong 58 \text{ ps} / \sqrt{E(\text{GeV})} \oplus 135 \text{ ps}$$



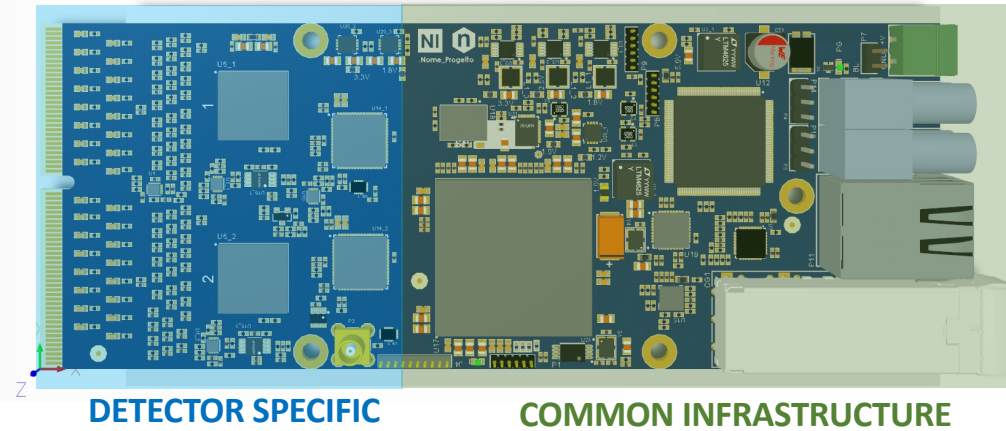
Thanks to E. Diociauti - LNF



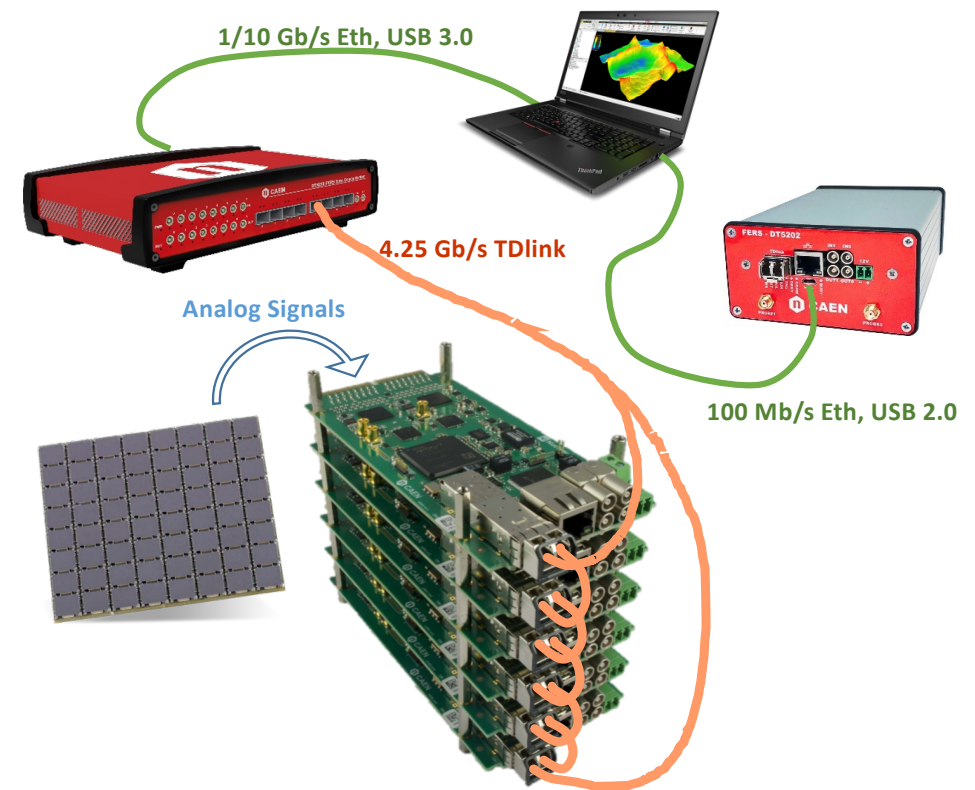
Measurement of the neutron response of the KLOE EmC

- M. Anelli et al., "Measurement and simulation of the neutron response and detection efficiency of a Pb-scintillating fiber calorimeter", NIM **A581** (2007) 368
- M. Anelli et al., "Measurement of the neutron detection efficiency of a 80% absorber-20% scintillating fibers calorimeter", NIM **A626** (2011) 67 (Gauzzi corresponding author)

FERS: a scalable readout system



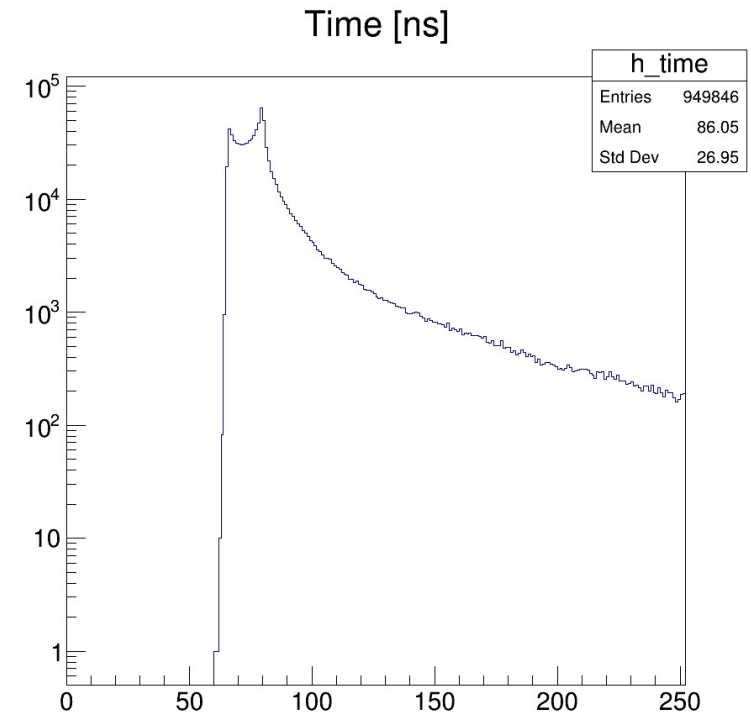
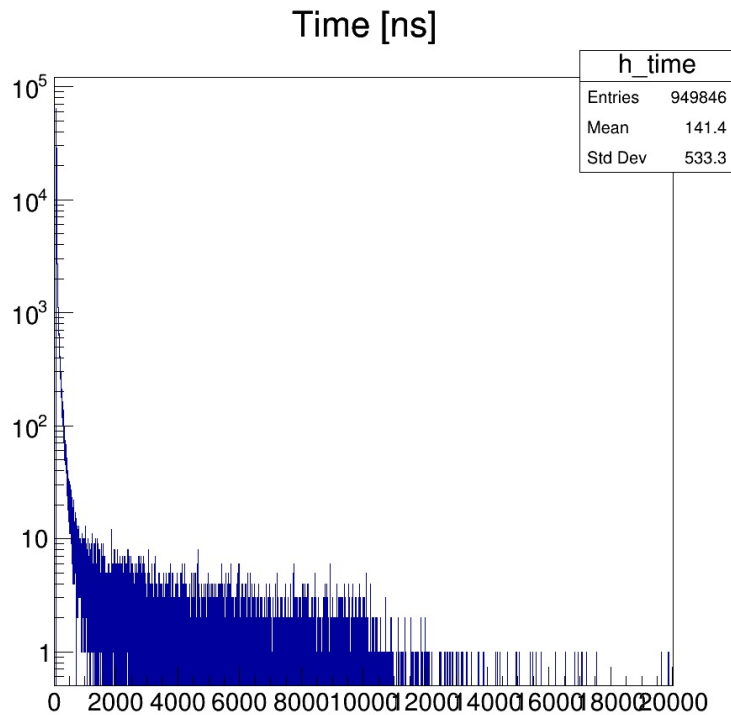
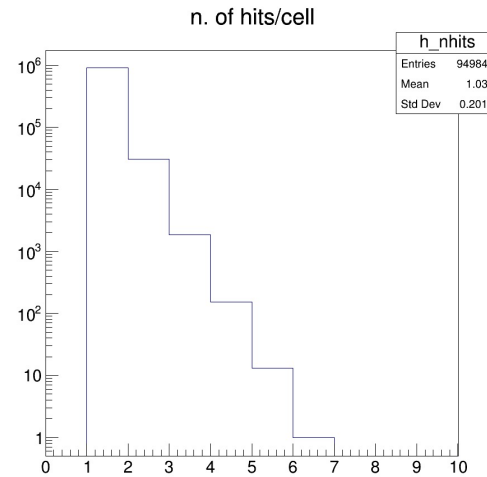
- **FERS:** Front End ASIC + ADC/TDC + Scalable Readout Infrastructure
- Easy integration of new ASICs
- **Scalability:** from single stand alone version for evaluation, to 10k/100k channels with same electronics
- **TDL:** daisy chainable optical link protocol with **data+sync**
- **Readout Tree:**
 - 1 link = 16 FERS units
 - 1 Concentrator = 8 links = 128 FERS = 8k/16k channels
 - Multiple Concentrators for unlimited readout...



picoTDC (FERS A5203) + ToT solution

Time simulation

- **TDC Multihit simulation:**
integration time 30 ns
(starting from first p.e. time)
50 ns dead time
- **Constant fraction simulation: 15%**
of the total p.e. number



Neutron detection efficiency

thresholds 250 eV in STT and 1.1 p.e. in ECAL

