

# Update on TB Apr2023 at FNAL

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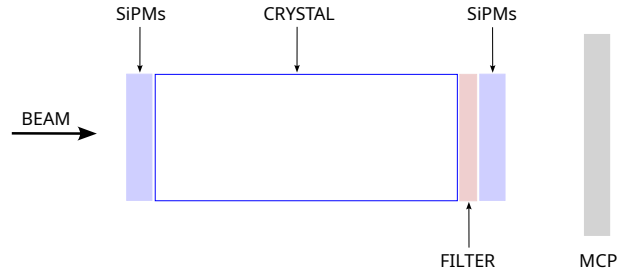
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CalVision General Meeting

Nov 16, 2023

# Introduction

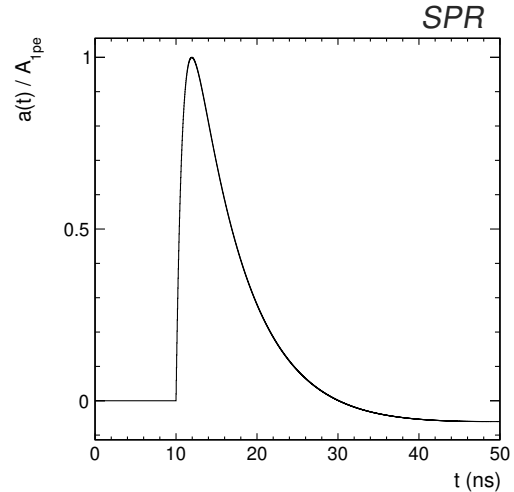
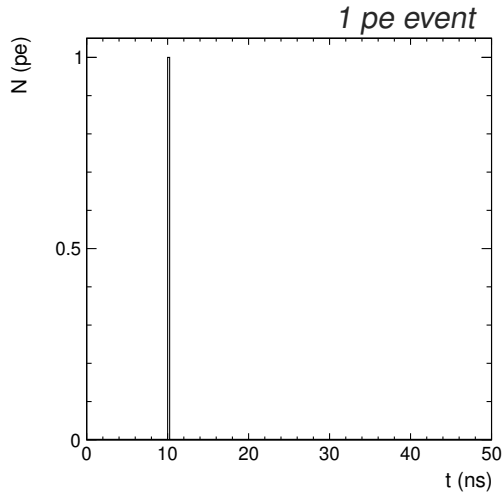
- BGO 25x25x60
- 120 GeV protons
- longitudinal geometry
- Individual pulses with Scope
- Measurement of  $N_C$  and  $N_S$  for individual pulses



# Single Particle Response Function (SPR)

Single p.e. in SiPM is delta function (left) Scope response (right) is smeared due to:

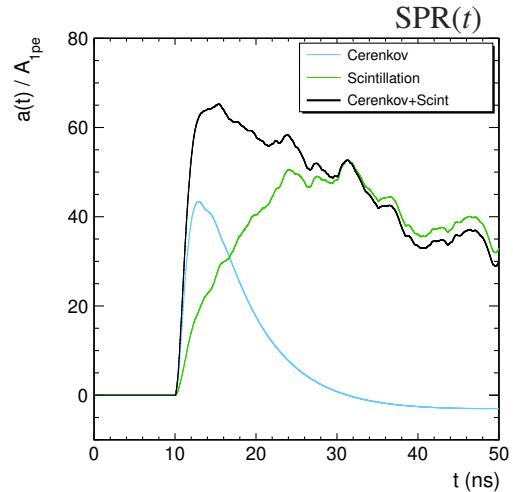
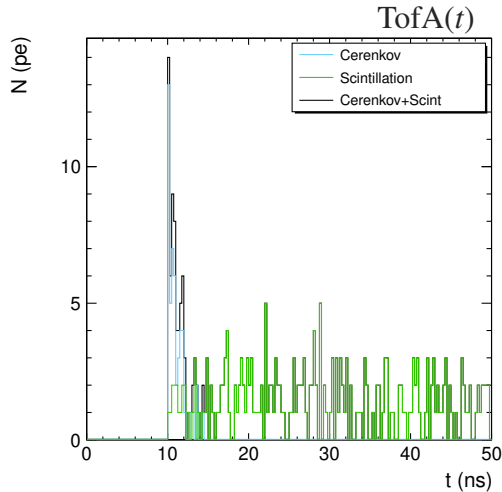
- avalanche development
- pulse shaping by SiPM resistance and capacitance
- amplifier shaping
- cables
- scope bandwidth
- etc



# Scope pulse from N p.e.

Scope pulse,  $PS(t)$ , is convolution of time distribution of p.e.'s in SiPM,  $TofA(t)$ , and  $SPR(t)$

$$PS(t) = \int_0^t SPR(\tau) \cdot TofA(t - \tau) d\tau = \sum_{i=1}^{N_C} SPR(t - t_i) + \sum_{j=1}^{N_S} SPR(t - t_j)$$



# How to obtain SPR?

- Measure pulse shape of single dark counts
  - low amplitudes → noise
  - overlapping counts
- Picosecond laser on SiPM
  - not a delta function of N p.e.
  - width of the laser pulse
  - after-pulsing in SiPM
  - Single Particle Time Resolution (SPTR)
- Deconvolution of  $PS(t)$  and  $TofA(t)$

# Extracting SPR from DATA

Left plot: Measured average pulse shape,  $PS(t)$ , in SiPM without filter for MIPs.

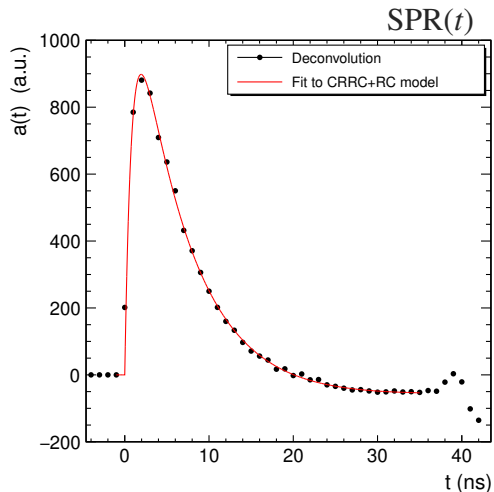
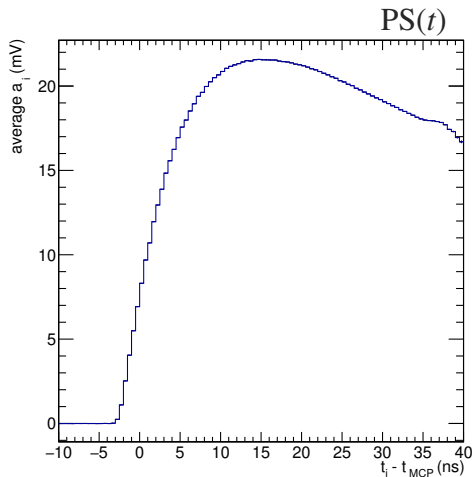
Assume  $PS(t)$  is dominated by Scintillation, Cerenkov contribution is negligible

Deconvolute  $PS(t)$  with BGO scintillation function  $\exp(-t/300ns)$  to get  $SPR(t)$  (black dots, right plot)

SPR is described as CR-RC shaper ( $\tau_{rise}=0.853$  ns,  $\tau_{decay}=6.538$  ns) + RC differentiator (RC=101.7 ns), red line

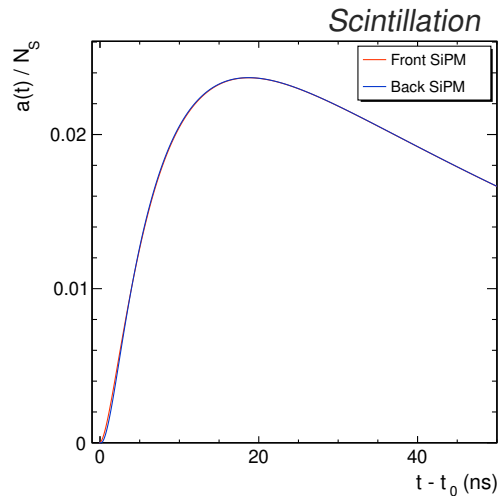
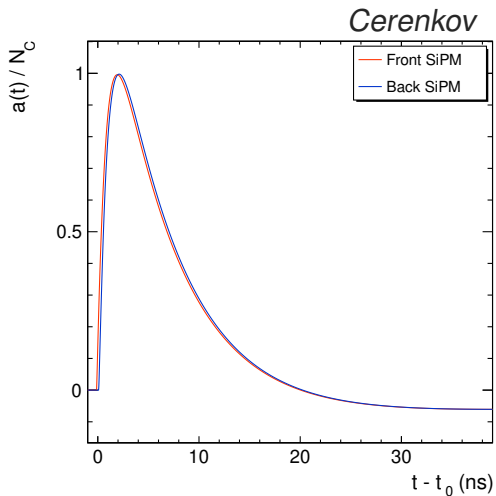
This is zero-order approximation for SPR.

It can be improved by removing small Cerenkov contribution to  $PS(t)$  with iterative procedure



# Pure Cerenkov and Pure Scintillation pulse shapes. Simulation.

Use  $SPR(t)$  and simulated time of arrival distributions,  $TofA(t)$ , for Cerenkov and Scintillation photo-electrons  $\rightarrow$  average pulse shapes at the scope, normalized to simulated  $N_C$  and  $N_S$ , respectively.



# Average pulse in DATA + Fit to MC pulse shapes. MIPs.

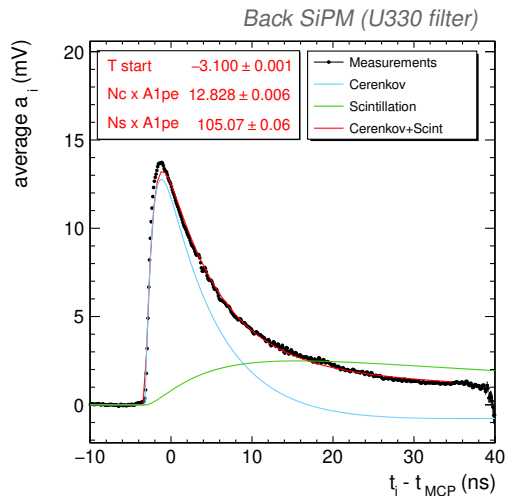
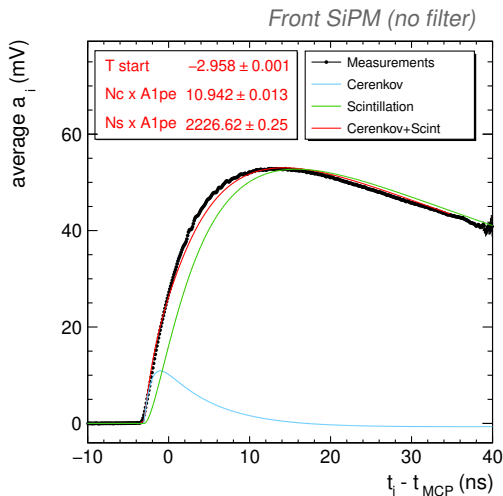
Black dots: measured average pulse for central MIP tracks

Color lines: Fit to sum of Simulated Cerenkov and Scintillation pulse shapes

Three fit parameters:

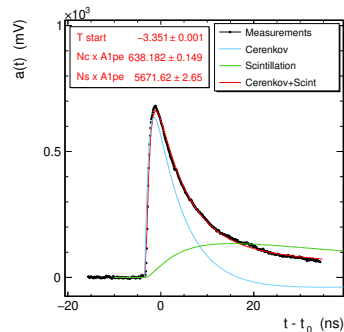
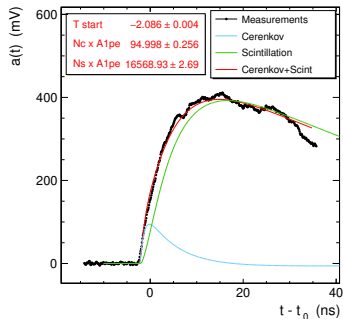
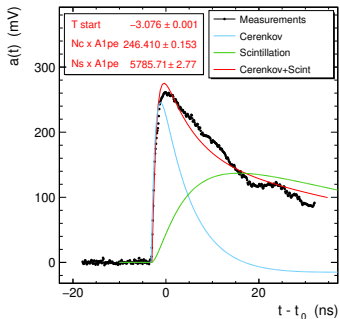
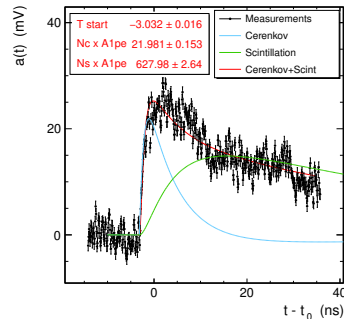
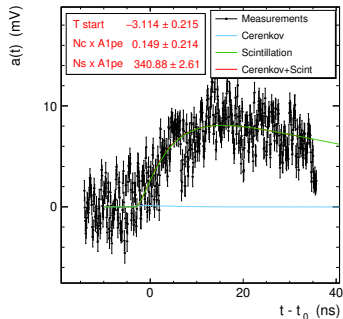
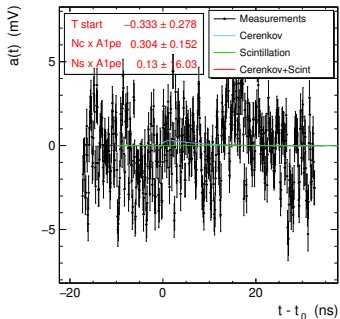
- 1) time of the pulse
- 2) the number of Cerenkov photons detected,  $N_C$ , times amplitude of 1pe pulse in mV
- 3) the number of Scintillation photons detected,  $N_S$ , times amplitude of 1pe pulse in mV

We believe,  $A_{1pe} = 0.6$  mV





# Nc and Ns can be estimated for individual pulses as well



# Summary

- It is possible to estimate  $N_C$  and  $N_S$  for individual pulses in BGO
- taking advantage of significant difference in time-of-arrival of Cerenkov (prompt) and Scintillation ( $\tau=300$  ns) photo-electrons
- fitting pulse with sum of two pulse shapes
- required: SPR shape and amplitude
- required: linear amplifier