

Upping the Reach for New Particles / Physics at JEM-EUSO (on the ISS)

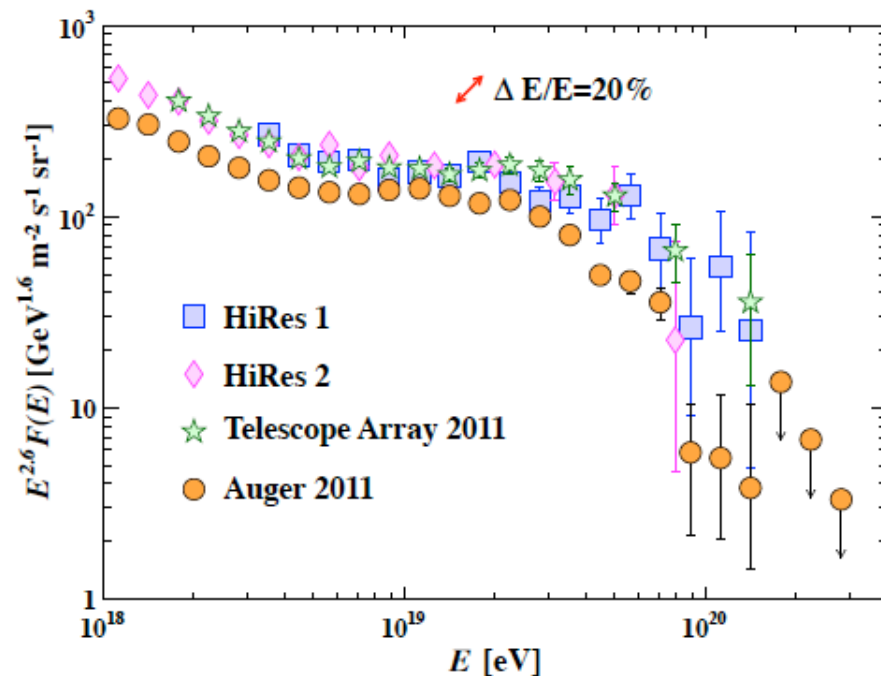


Figure 26.9: Expanded view of the highest energy portion of the cosmic-ray spectrum from data of HiRes 1&2 [101], the Telescope Array [103], and the Auger Observatory [104]. The HiRes stereo spectrum [112] is consistent with the HiRes 1&2 monocular results. The differential cosmic ray flux is multiplied by $E^{2.6}$. The red arrow indicates the change in the plotted data for a systematic shift in the energy scale of 20%.

The 10^{20} eV events have a

$$\sqrt{s} = \frac{1}{2} \text{ PeV}$$

These PeV events contain
all of our accelerator physics,
and more if it exists.

Dipole anisotropy reach, Space-Based versus Ground-Based

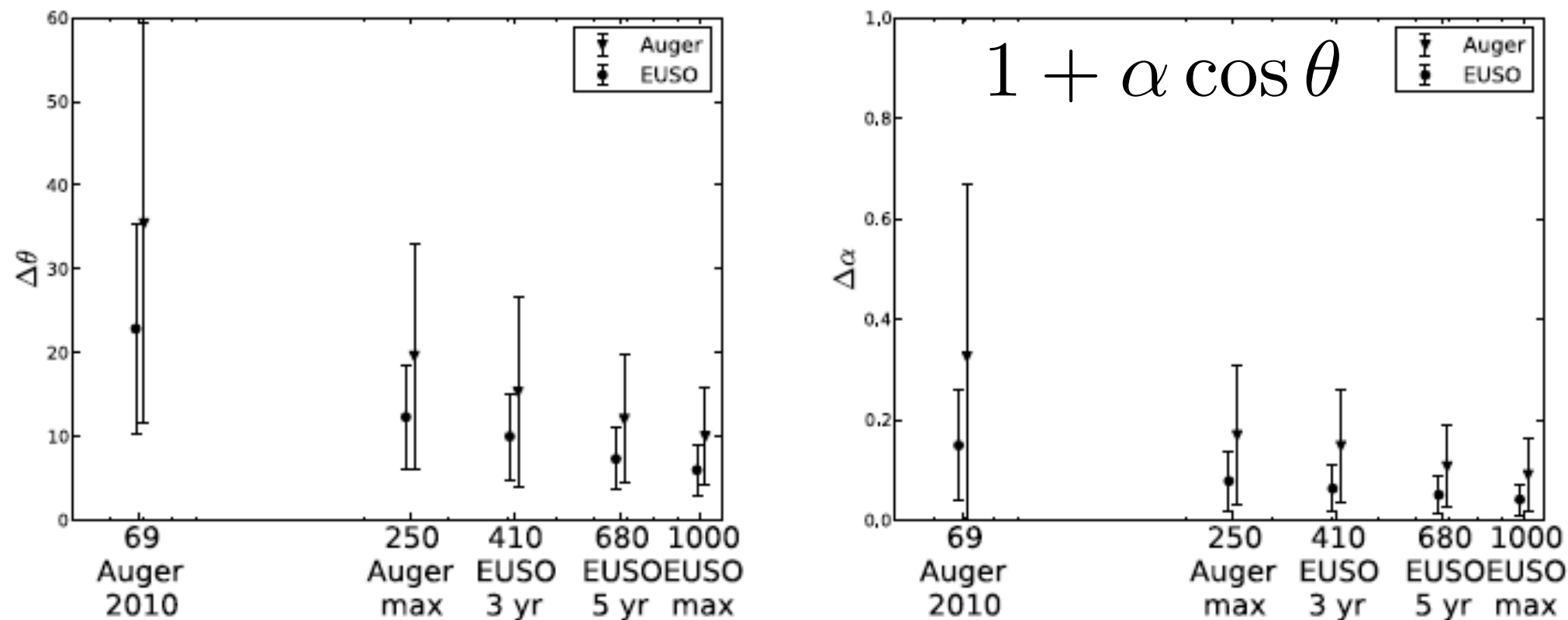


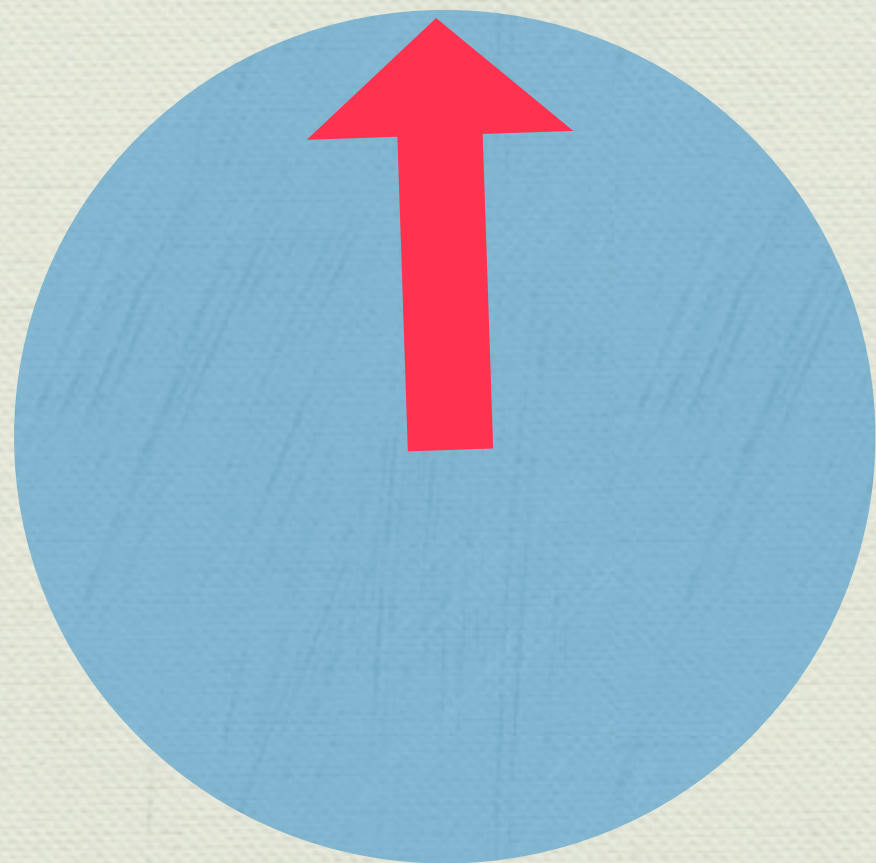
FIG. 1. (Left) Error in angular reconstruction of dipole direction, and (Right) error in reconstruction of dipole magnitude, each versus event number with simulated data sets and dipole magnitude $\alpha = 0.63$ [28].

Anchordoqui, Denton, TJW

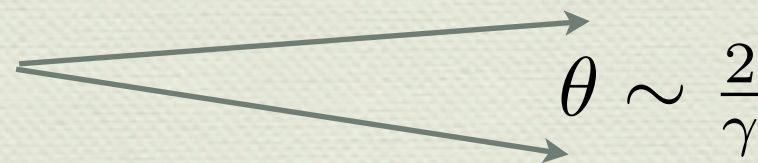
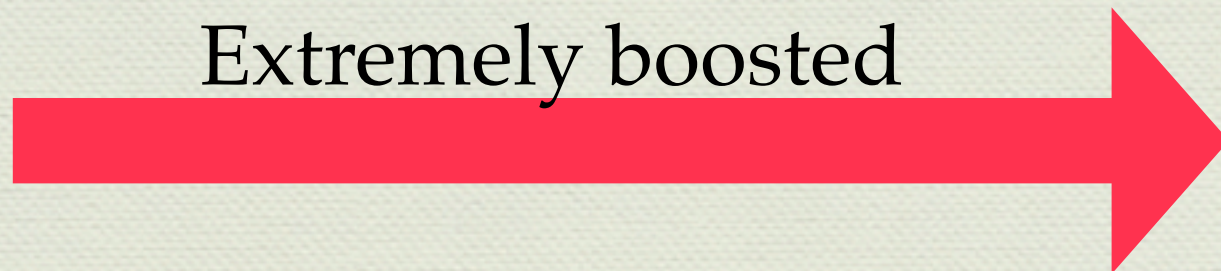
New Heavy Particles:

First, what does NOT provide a signature:

(a) high P_T decay

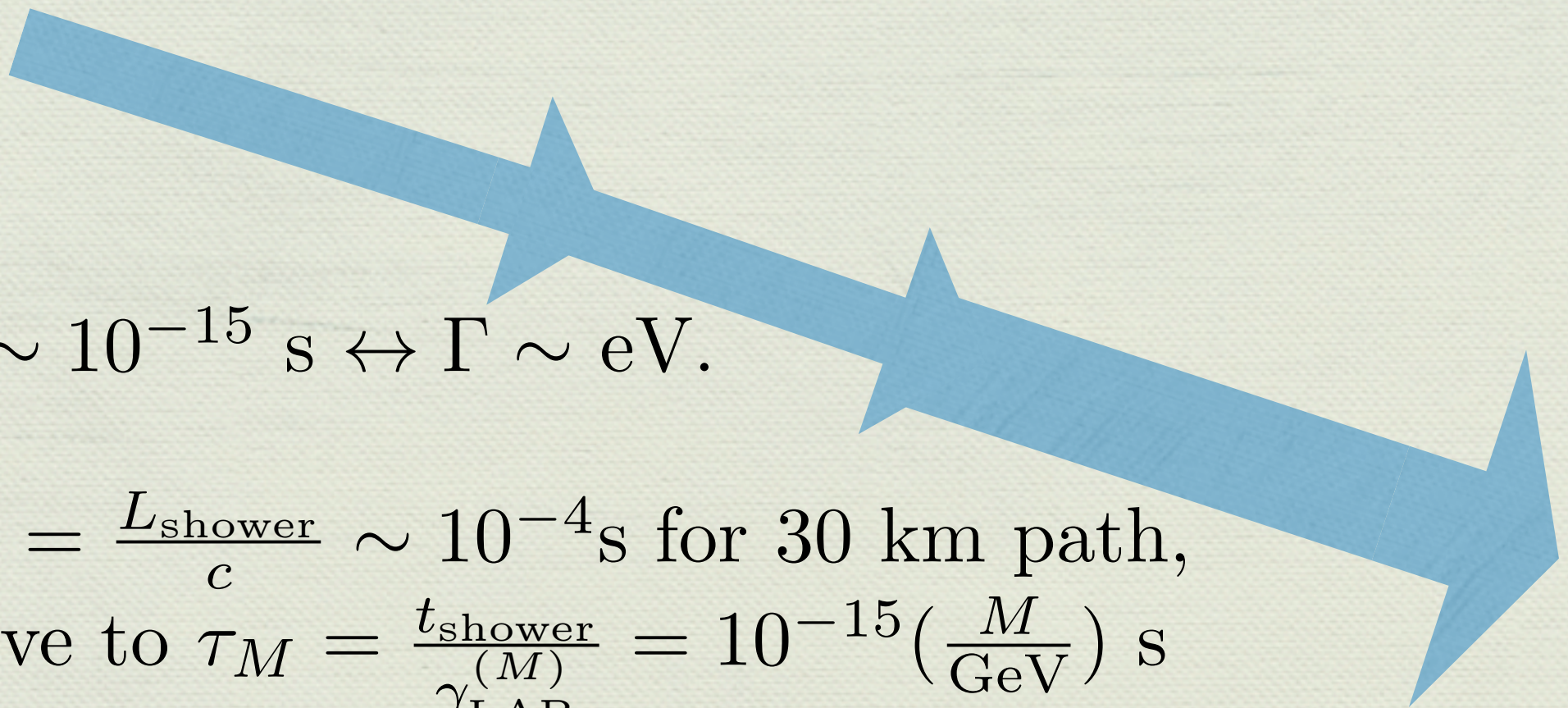


Extremely boosted



$$\gamma_{\text{LAB}}^{(M)} \sim \frac{E_{\text{CR}}}{M} \sim \frac{m_p}{M} \gamma_{\text{LAB}}^{(\text{CR})} \sim \frac{10^{11}}{(M/\text{GeV})}$$

What else does not provide a signature:
(b) shower-brightening from decay

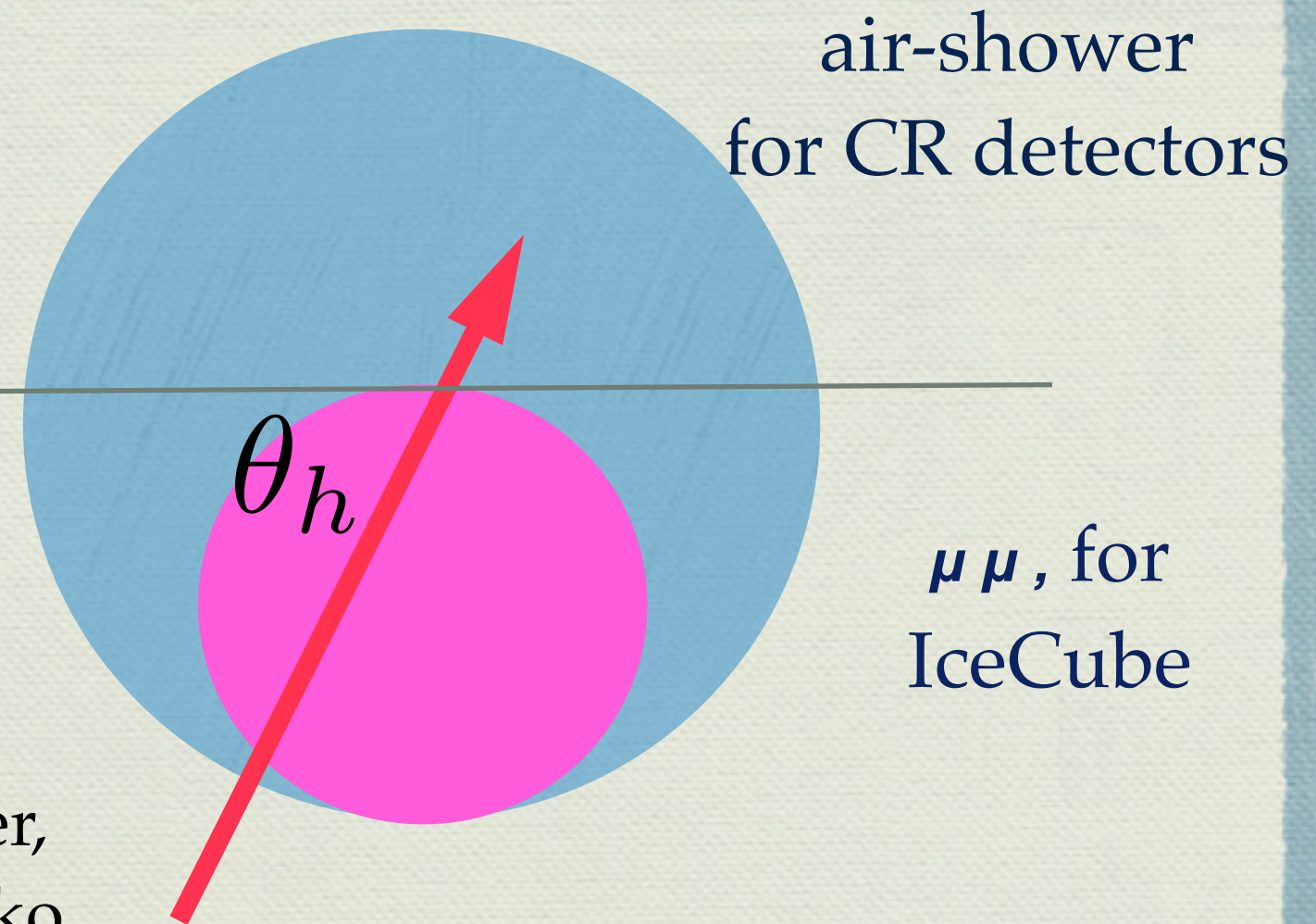

$$\tau \sim 10^{-15} \text{ s} \leftrightarrow \Gamma \sim \text{eV}.$$

$$t_{\text{shower}} = \frac{L_{\text{shower}}}{c} \sim 10^{-4} \text{ s for 30 km path,}$$
$$\text{sensitive to } \tau_M = \frac{t_{\text{shower}}}{\gamma_{\text{LAB}}^{(M)}} = 10^{-15} \left(\frac{M}{\text{GeV}} \right) \text{ s}$$

Versus natural unit $\frac{\hbar}{\text{GeV}} = 0.7 \times 10^{-24} \text{ s}$
(e.g. W and Z bosons)

Put another way, $\tau \sim 10^{-15} \text{ s} \leftrightarrow \Gamma \sim \text{eV}.$

What might / might not provide a signature:

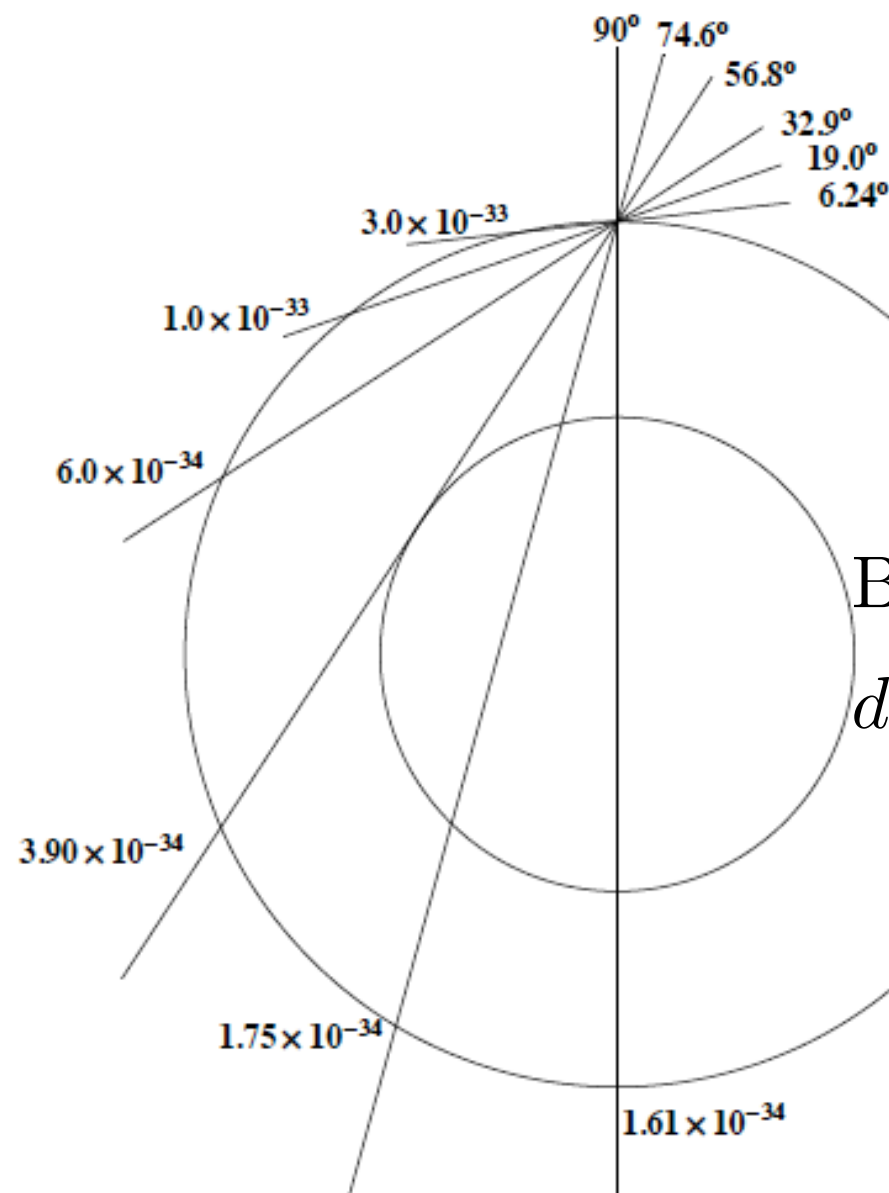


Barbot, Drees, Halzen, Hooper,
Albuquerque, Burdman, Chacko,
Anchordoqui, Han, Sarkar, ...,
and most recently,
Albuquerque and Cavalcante de Souza

$$\text{Prob} = \frac{L-l}{\lambda} e^{-\frac{l}{\lambda}} \quad \text{Prob}(\text{air-shower develops})$$

Rate maximized at chord length $L = \lambda$

(exponentials win over polynomials)



But also solid angle increases with θ as
 $d \cos \theta = \sin \theta d\theta = \frac{l}{R} \sqrt{1 - \left(\frac{l}{2R}\right)^2} d\theta.$

Needs more investigation
 (Anchordoqui, Denton, TJW)

FIG. 1: Shown are neutrino trajectories for which the interaction MFP matches the chord length through the Earth. The various trajectories are parameterized values of the neutrino cross-section. Also shown is the trajectory's angle with respect to horizontal.

What else might / might not provide a signature: Time of Flight

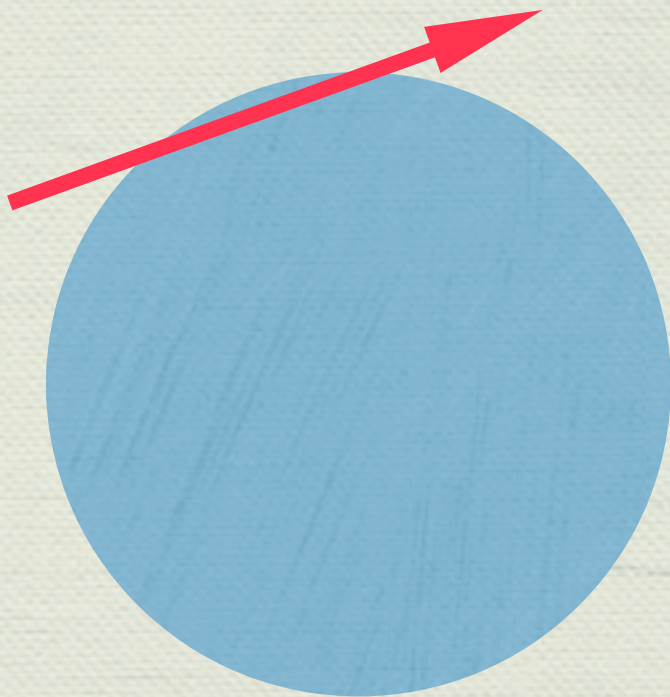
$$\frac{\delta t}{t} = \frac{\delta v}{v} = \frac{1}{2} \frac{\delta v^2}{v^2} \approx \frac{1}{2} \delta v^2 = \frac{1}{2} \frac{1}{\gamma_M^2} = \frac{M^2}{2E^2}$$

$$\text{So } \delta t = \frac{\left(\frac{D}{\text{kpc}}\right)}{\left(\frac{M}{\text{TeV}}\right)^2} \text{ seconds} \quad (\text{early discussions with Lunardini})$$

Obvious drawback: limited flux of new, heavy
particle



Earth-Skimming tau neutrinos



Detection enhanced
(but threshold energy raised)
by JEM-EUSO “tilt mode”

Kusenko-Weiler
(2002)

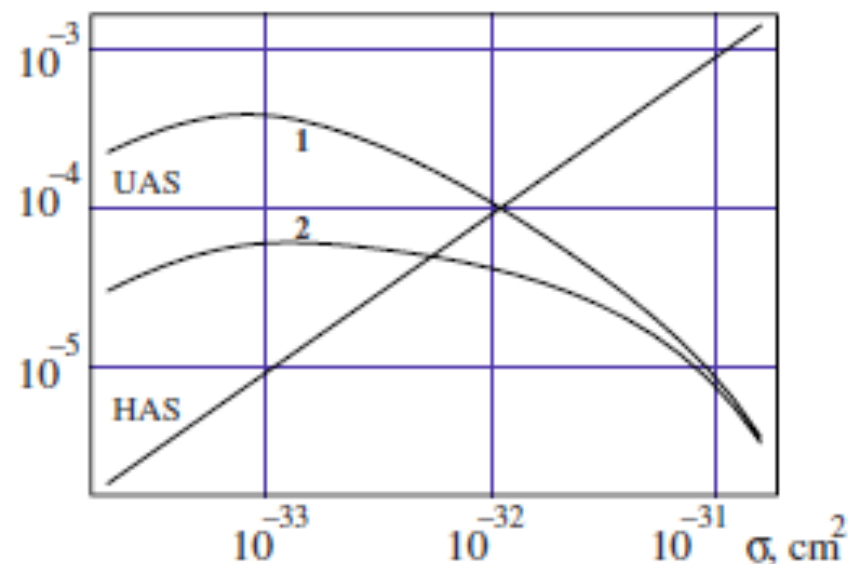
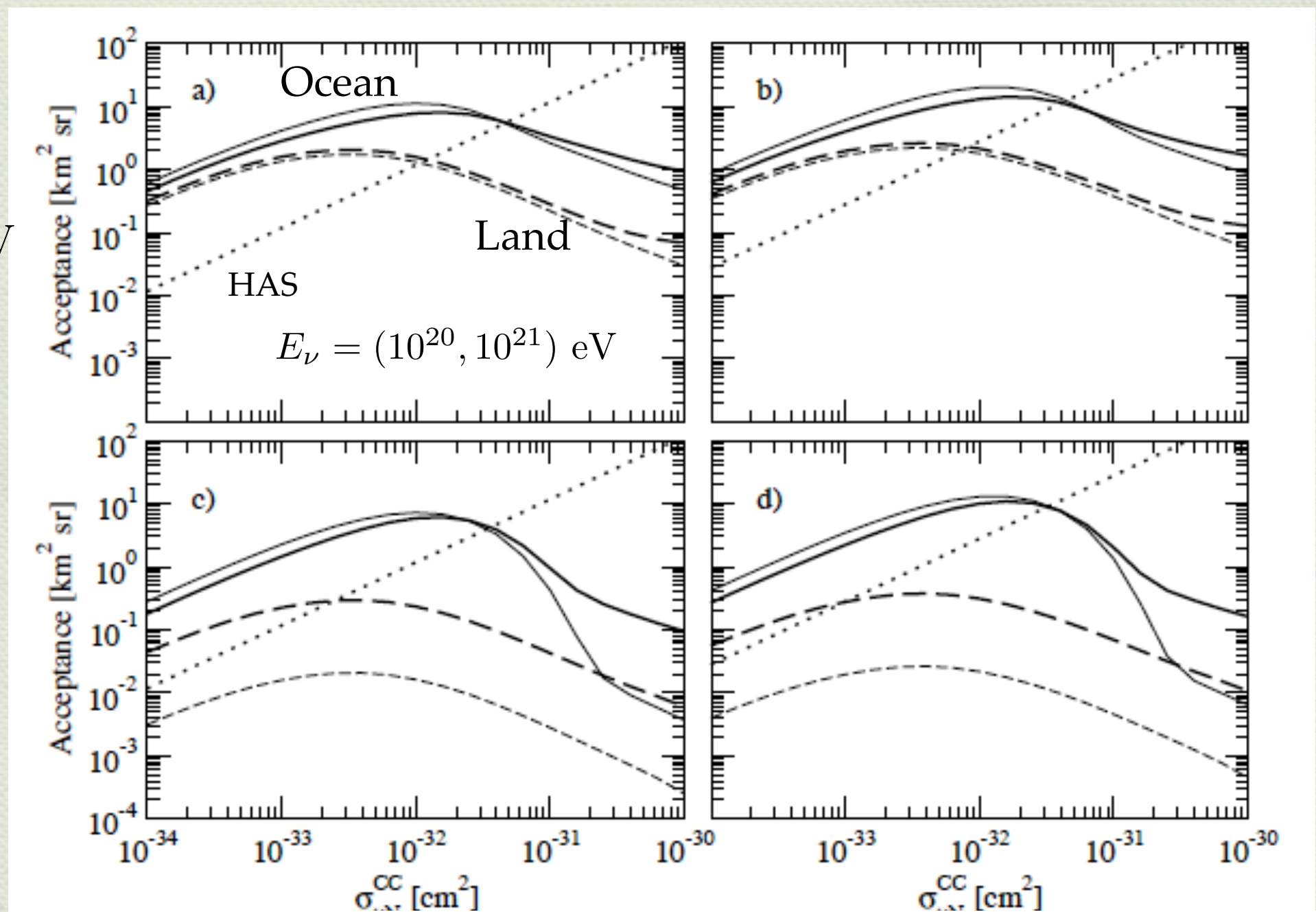


Fig. 2. The air shower probability per incident tau neutrino ($R_{\text{UAS}}/F_{\nu\tau}\pi A$) as a function of the neutrino cross-section.⁵ The incident neutrino energy is 10^{20} eV and the assumed energy threshold for detection of the UAS is $E_{\text{th}} = 10^{18}$ eV for curve 1 and 10^{19} eV for curve 2.

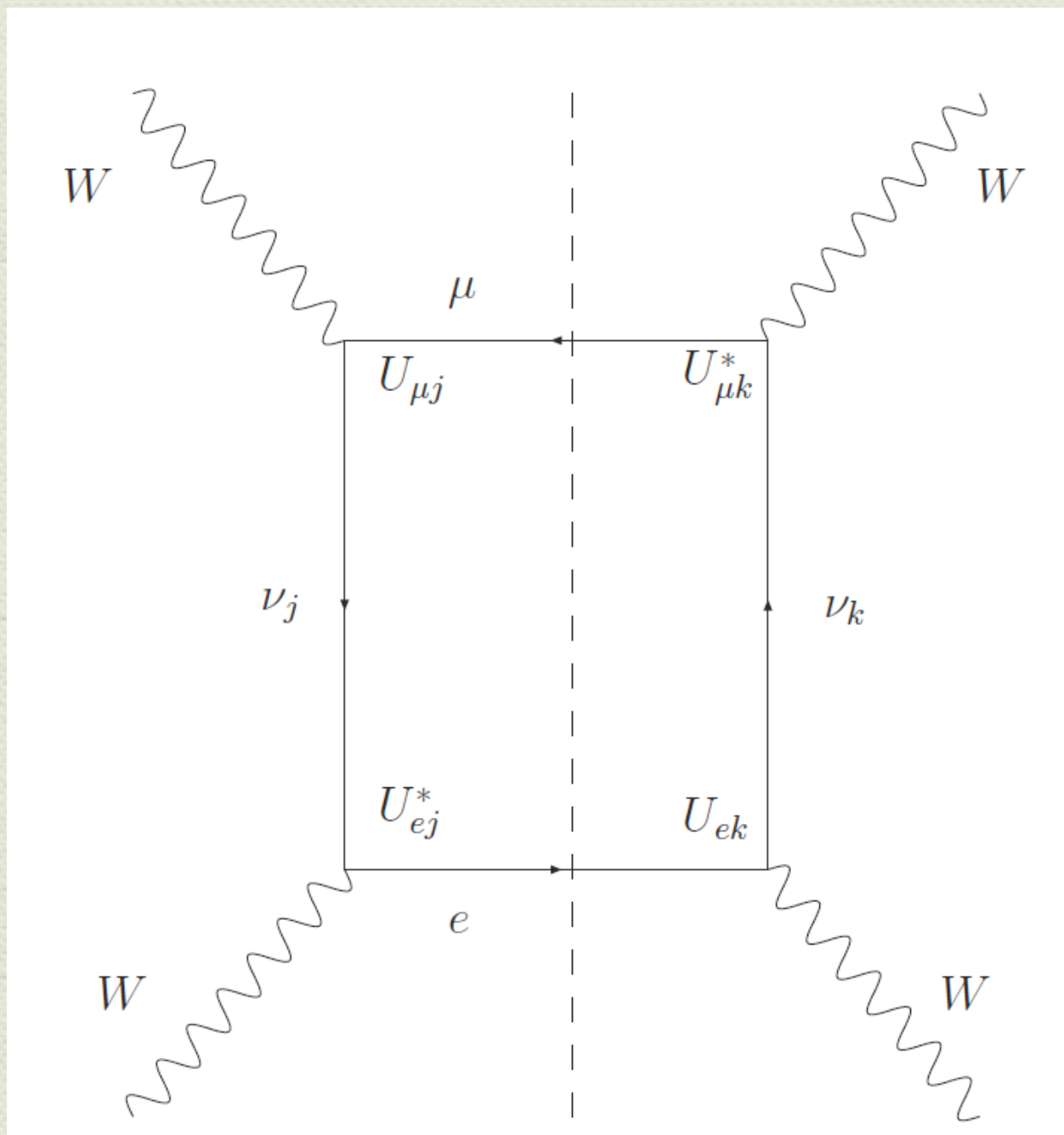
Ocean vs. Land, and dependence on E_{th} , air-shower length

$$l_{\min} = (10, 5) \text{ km}$$
$$E_{th} = (10, 50) \text{ EeV}$$

Palomares-Ruiz,
Irimia, TJW
(2005)

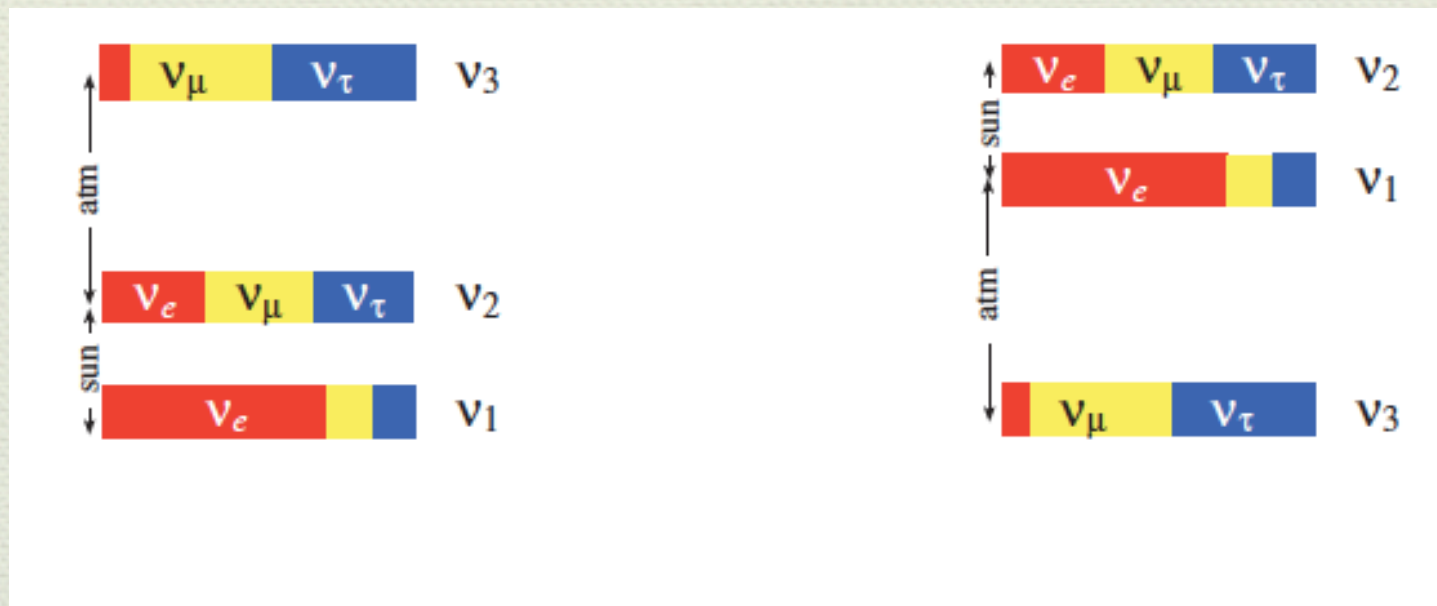


This Ocean/Land enhancement has yet to be seconded/simulated.



$$P_{\mu \rightarrow e} = \sum_j |U_{ej}|^2 |U_{j\mu}|^2$$

$$P_{\alpha \rightarrow \beta} = \sum_j |U_{\beta j}|^2 |U_{j\alpha}|^2$$



The Flavor Evolution Matrix: $\frac{1}{18} \begin{pmatrix} 10 & 4 & 4 \\ 4 & 7 & 7 \\ 4 & 7 & 7 \end{pmatrix}$

Working forward - guessing injection models, have:

Flavor Mix at Earth, $\sin \theta_{13} = 0$:

Beam type	Initial (input)	Final (output)
Conventional (pp,p γ)	1:2:0	1:1:1
Damped Muon	0:1:0	4:7:7
Beta Beam(n decay)	1:0:0	5:2:2
Prompt	1:1:0	14:11:11

Now we know that $\sin \theta_{13} = 0.16$

And spacetime foam / virtual black holes
democratize neutrino flavors to (1,1,1).

Summary:

Much particle and astro theory / simulation
to be done pre JEM-EUSO,
and much data to be analyzed post JEM-EUSO