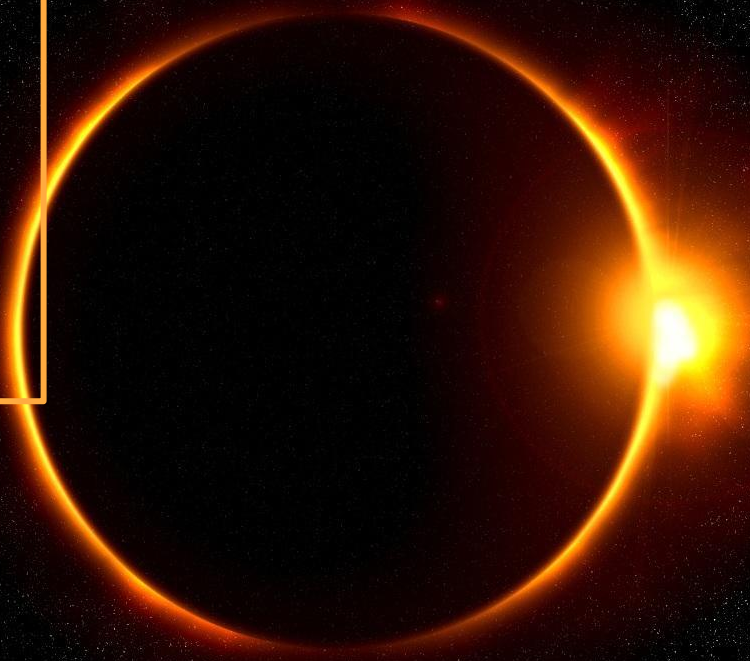
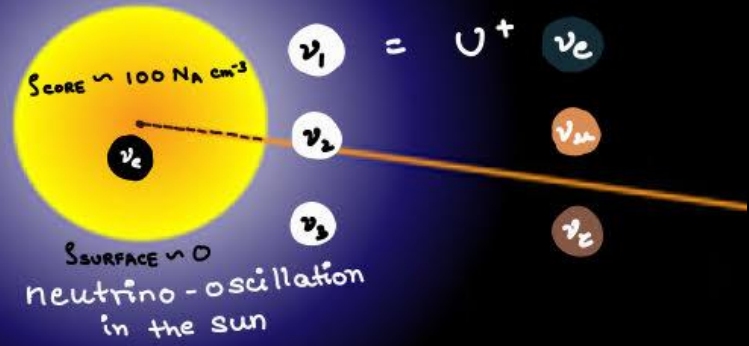


**Looking at  
flavor  
composition  
of solar  
neutrinos.**

Nityasa Mishra.

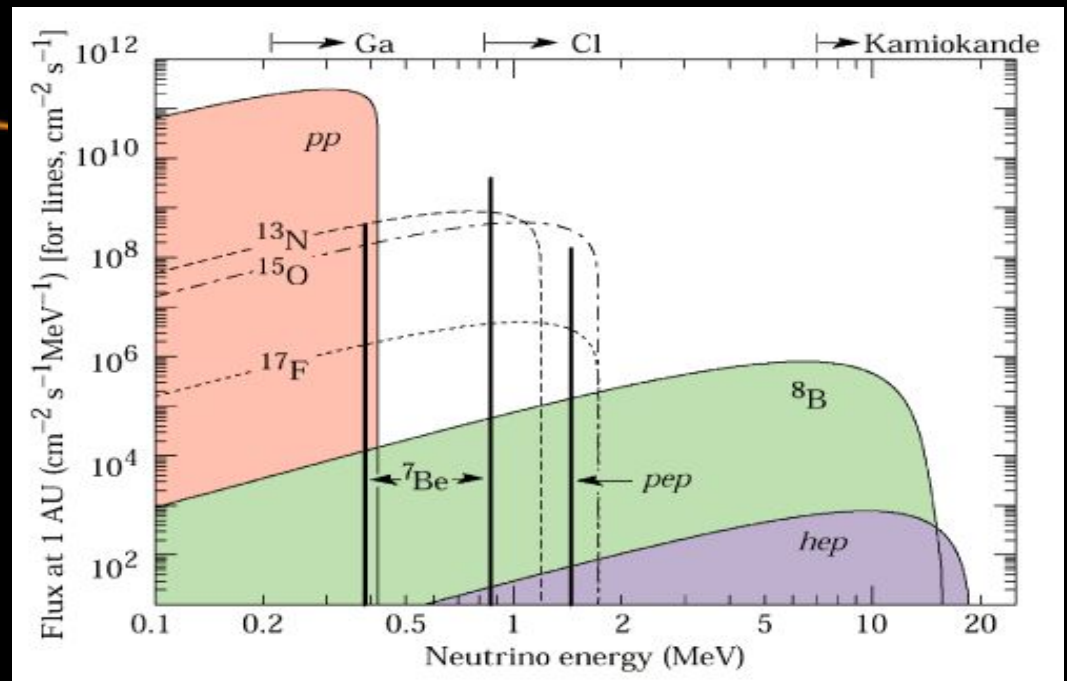


$\rho$  variation "slow"

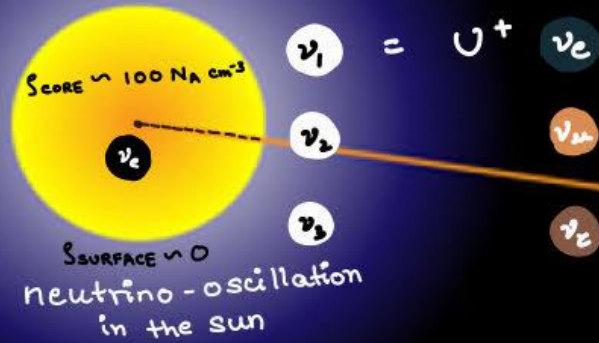


## SOLAR NEUTRINOS

- pp chain } produce  $\nu_e$
- CNO cycle } produce  $\nu_e$
- Adiabatic propagation
- $\nu_e \rightarrow \nu_1, \nu_2, \nu_3$

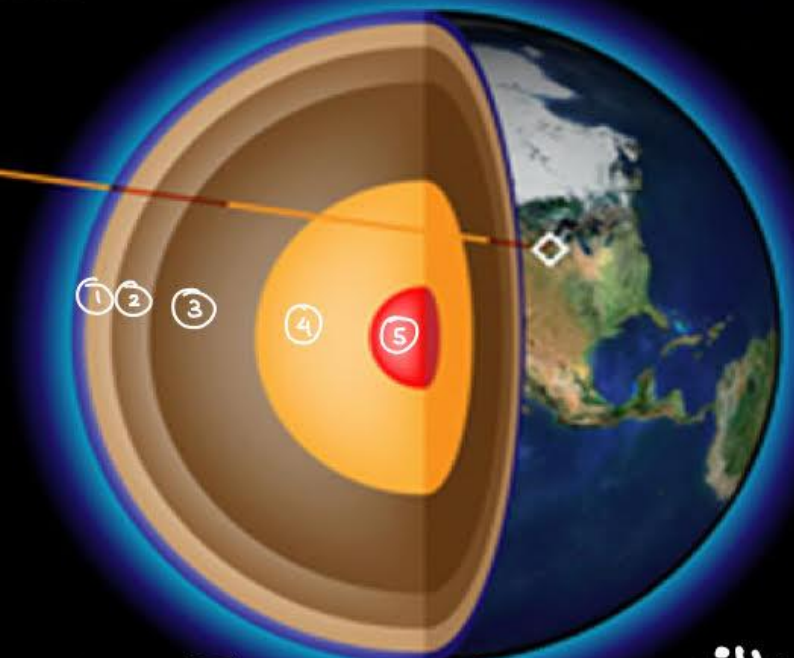


$\rho$  variation "slow"



## NEUTRINO PROPAGATION THROUGH EARTH

• DAY  $\sim$  same as surface of the sun

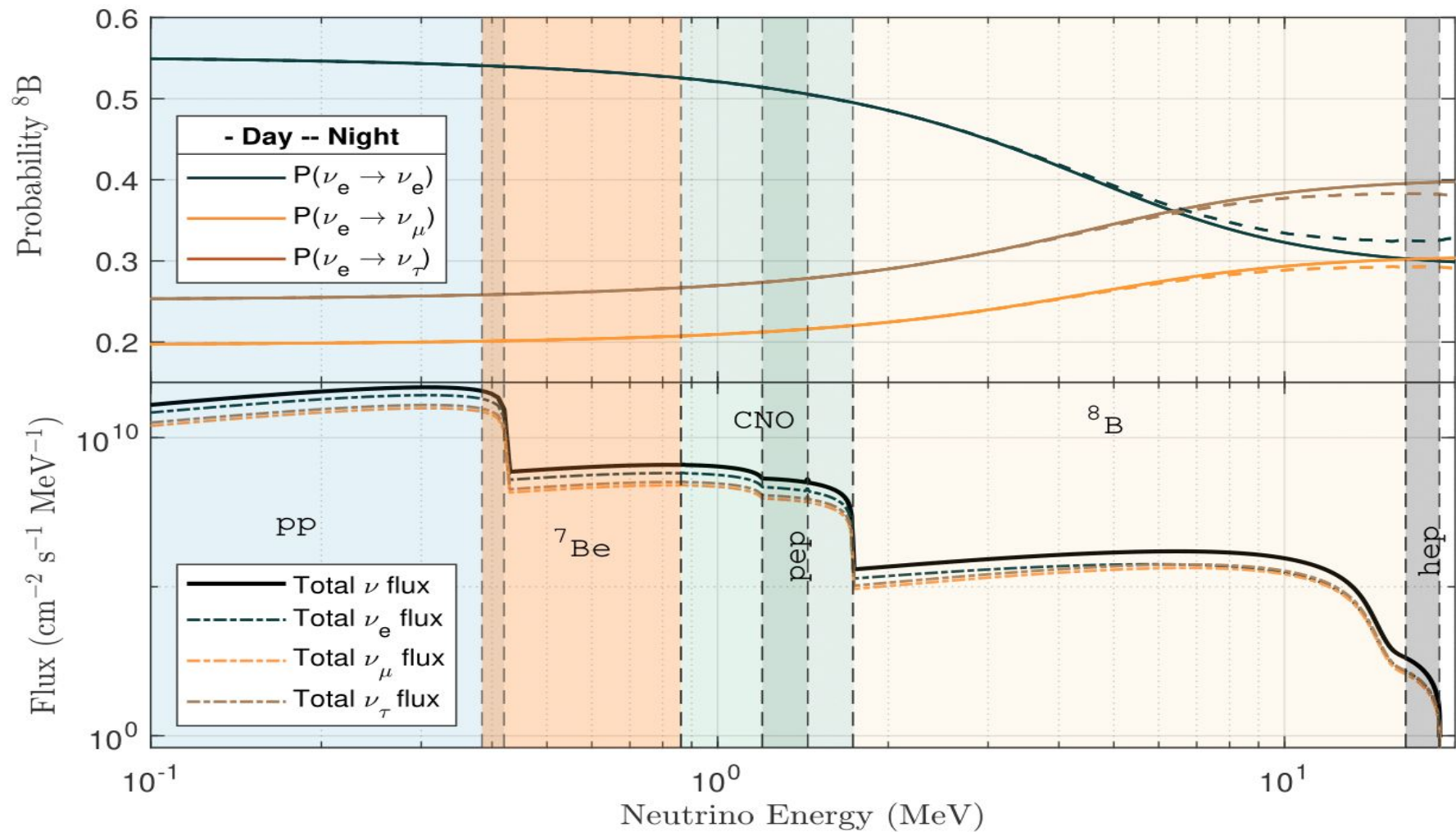


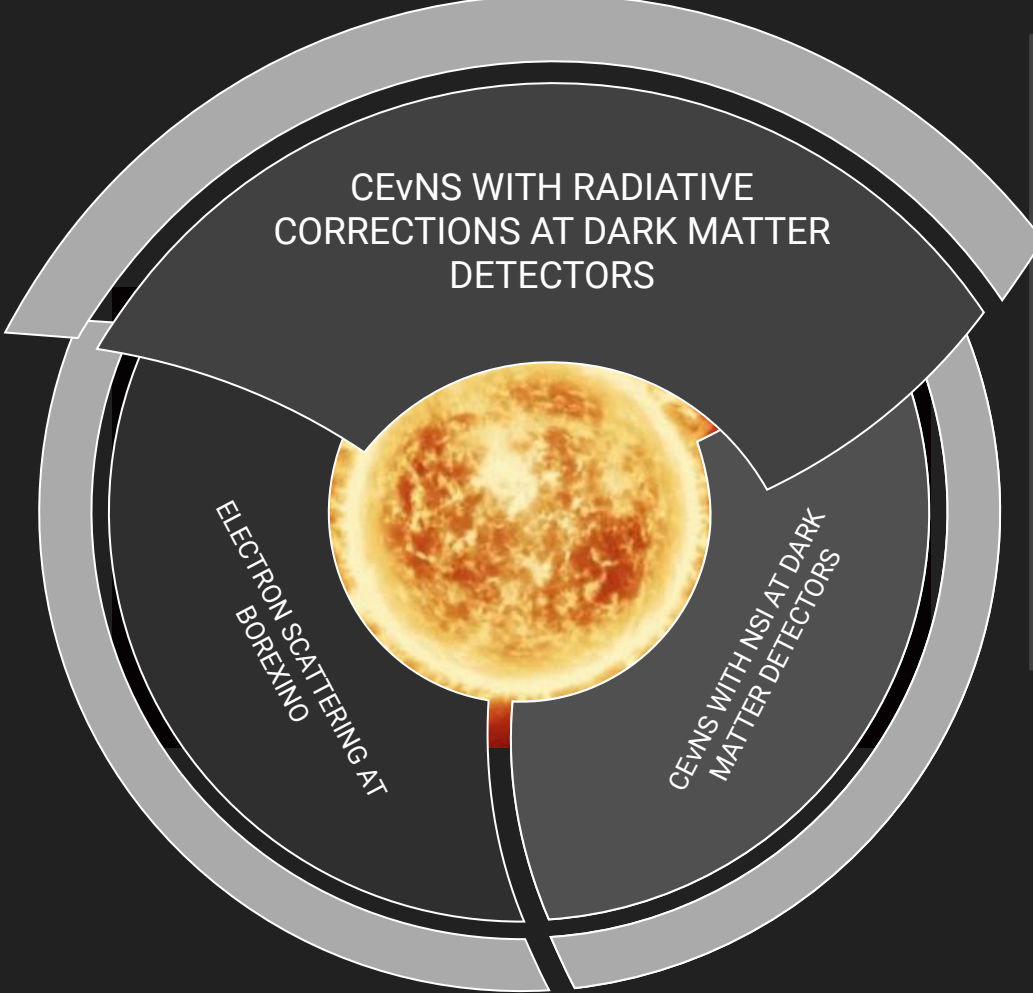
## SOLAR NEUTRINOS

- pp chain } produce
- CNO cycle }  $\nu_e$
- Adiabatic propagation
- $\nu_e \rightarrow \nu_1, \nu_2, \nu_3$

• NIGHT  $\sim$  neutrinos oscillate through layers of Earth

- Probability changes with zenith angle



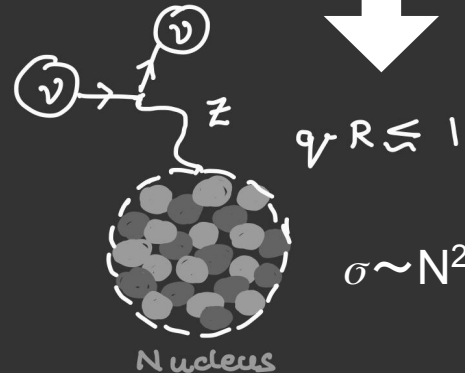


# SOLAR NEUTRINOS WITH CE $\nu$ NS AND FLAVOR-DEPENDENT RADIATIVE CORRECTIONS

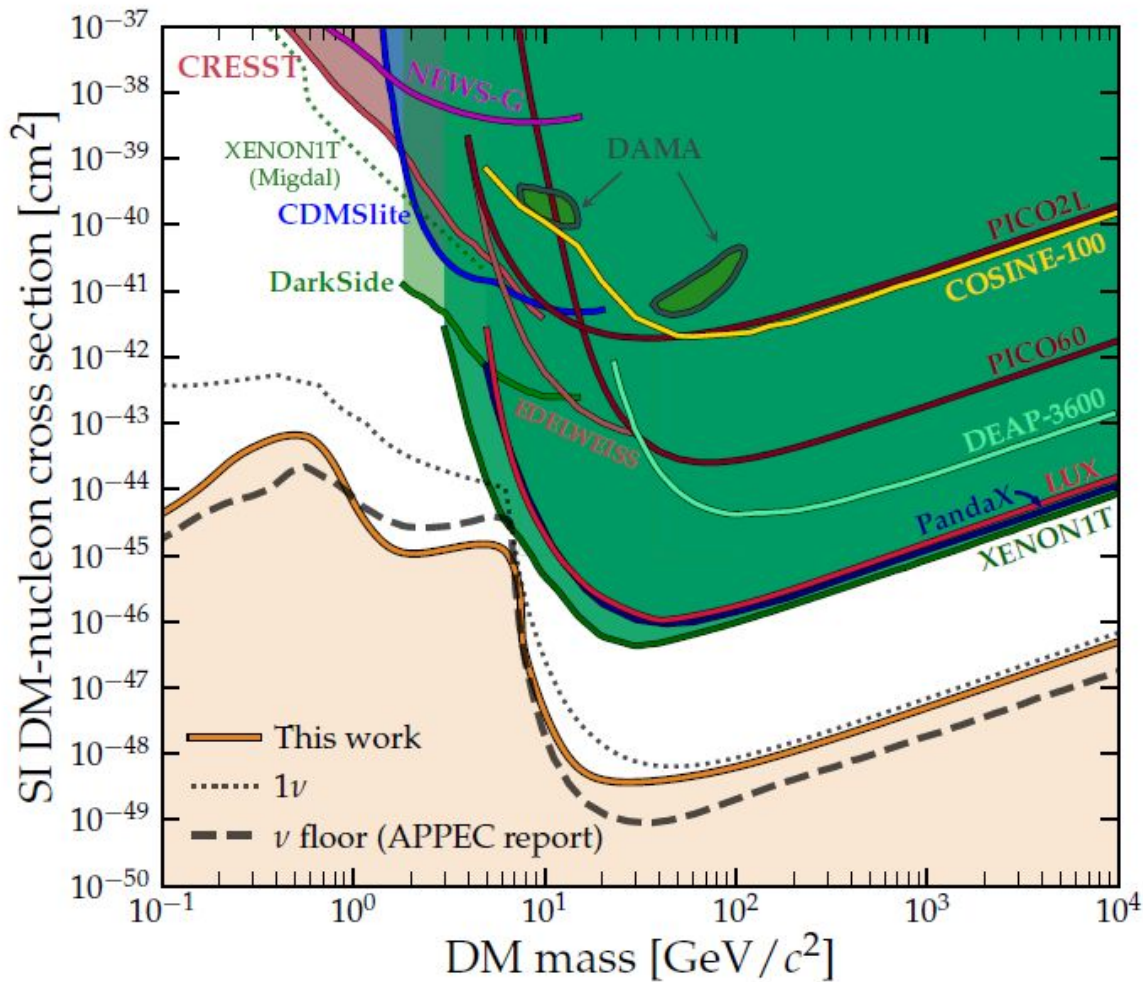
arxiv: [2305.17827](https://arxiv.org/abs/2305.17827)

[10.1103/PhysRevD.108.063023](https://arxiv.org/abs/10.1103/PhysRevD.108.063023)

Nityasa Mishra, Louis E. Strigari



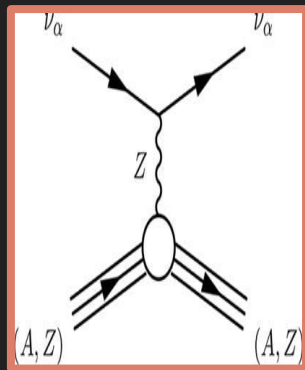
Coherent  
Elastic  
Neutrino ( $\nu$ )  
Nucleus  
Scattering



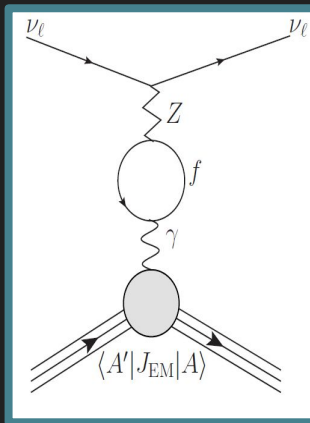
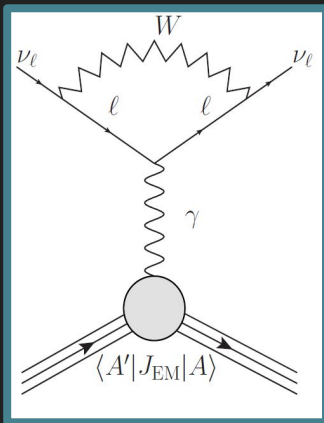
Plot credit:  
 arXiv: 2109.03116v2  
 Ciaran A. J. O'Hare

- arXiv:1712.06522  
 David G. Cerdeno, Jonathan H. Davis, Malcolm Fairbairn, Aaron C. Vincent
- arXiv:1910.12437  
 D. Aristizabal Sierra, Bhaskar Dutta, Shu Liao, Louis E. Strigari

## TREE-LEVEL

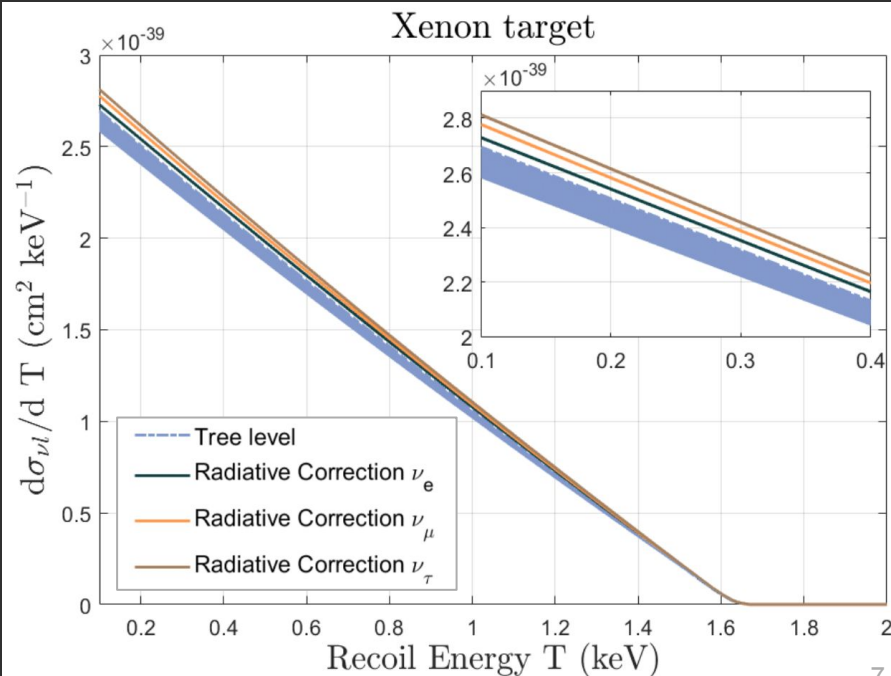


## WITH RADIATIVE CORRECTION

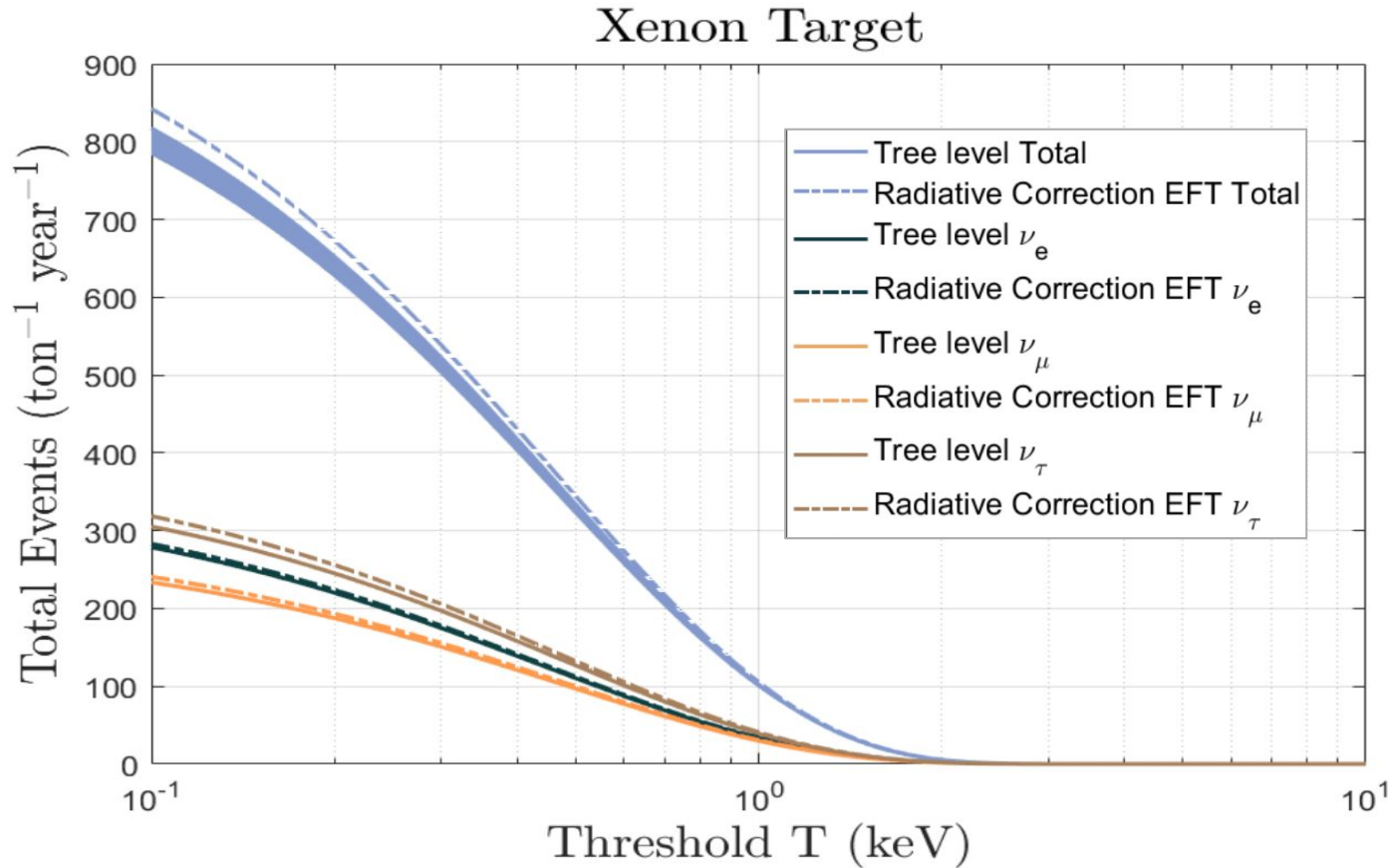


arXiv:2011.05960 :  
Tomalak et al

$$\sigma_{\text{radiative corrections}} (\nu_\tau > \nu_\mu > \nu_e) > \sigma_{\text{tree-level}} (\nu_\tau = \nu_\mu = \nu_e)$$



# TOTAL EVENTS VS THRESHOLD





# XENON TARGET ERROR ELLIPSES

$$\mu_i = \sum_{\alpha} f_{\alpha} \mu_{i\alpha} = f_e \mu_{ie} + f_{\mu} \mu_{i\mu} + f_{\tau} \mu_{i\tau}$$

$$= f_e N_{ie} + f_{\mu} N_{i\mu} + f_{\tau} N_{i\tau}$$

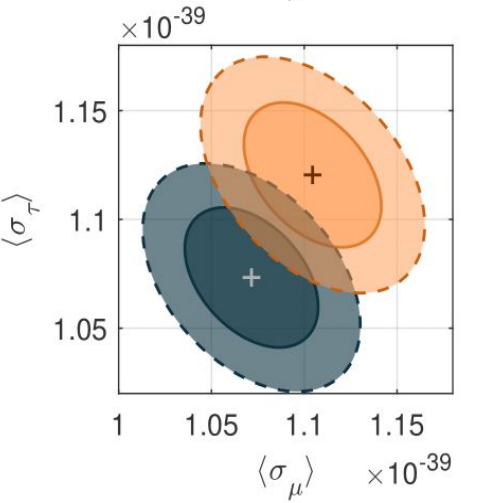
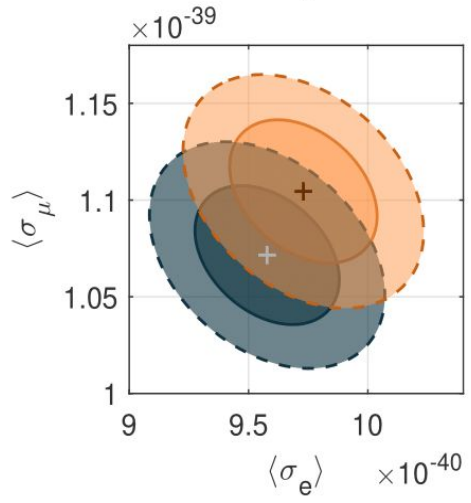
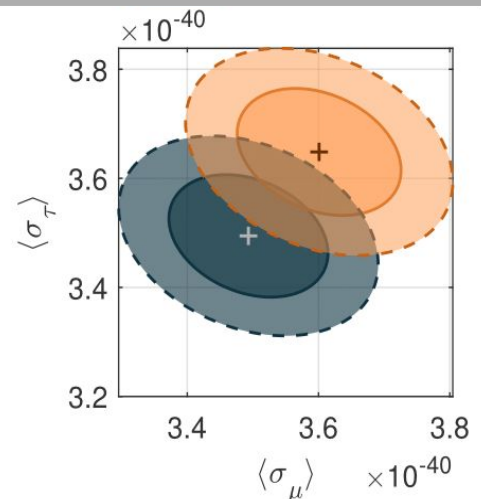
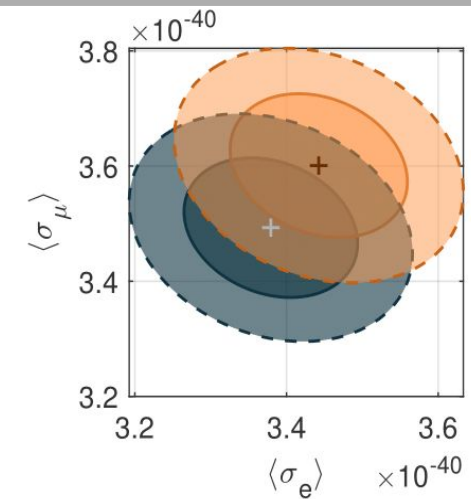
$$f_{\alpha} = \frac{(\phi_{\alpha})}{(\phi_{\alpha})_{SSM}}$$

$$\phi_{\alpha} \sim (\phi P_{e\alpha})$$

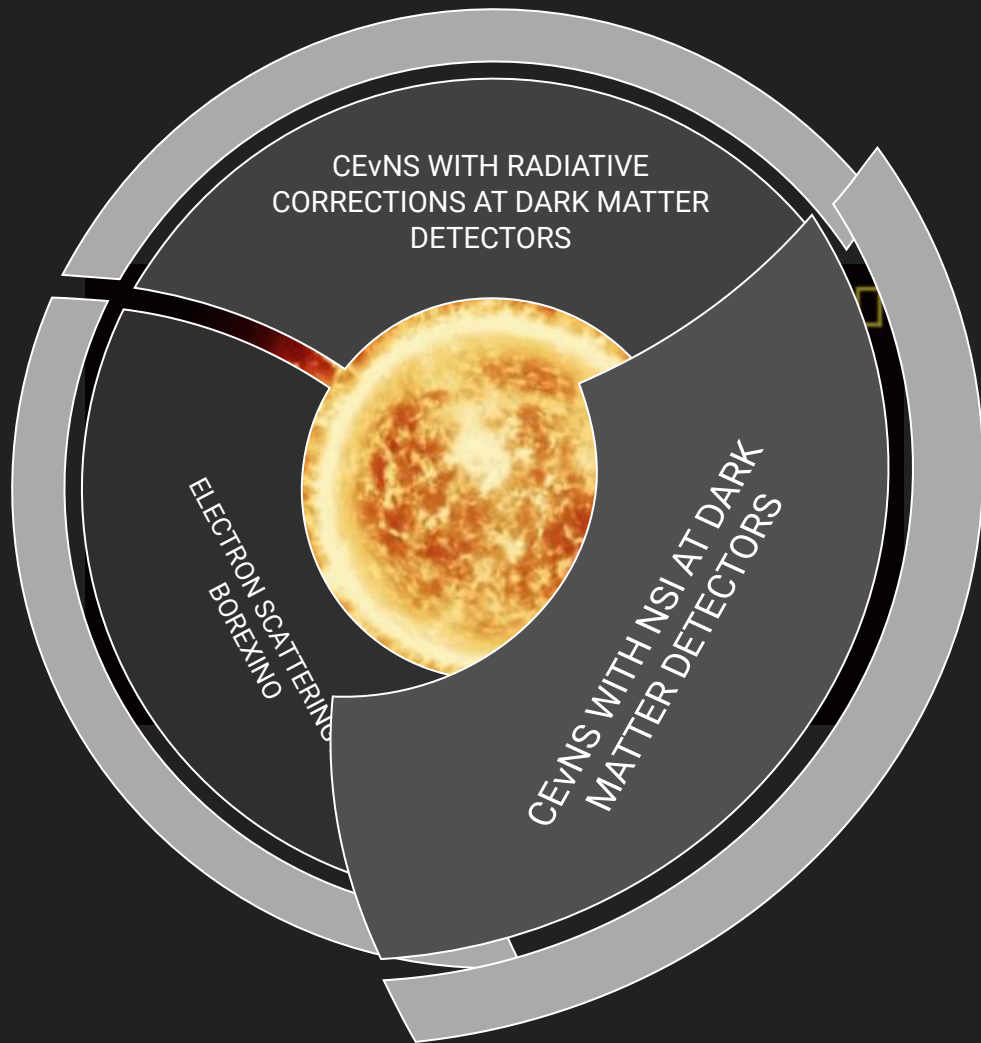
$$\sin^2 \theta_w = 0.2385$$

flux prior: 2.5%  
Exp: 100 ton-yr

top: Threshold = 1 keV  
bottom: Threshold = 0.1 keV



- 1 sigma - - 2 sigma  
 Tree Level   
 Radiative Corrections



## IMPLICATIONS OF FIRST NEUTRINO-INDUCED NUCLEAR RECOIL MEASUREMENTS IN DIRECT DETECTION EXPERIMENTS

arxiv: [2409.02003](https://arxiv.org/abs/2409.02003)

D. Aristizabal Sierra, N. Mishra, L. Strigari

PandaX-4T

- Paired data
- US2

2.64  $\sigma$

XENON-nT

- Paired only

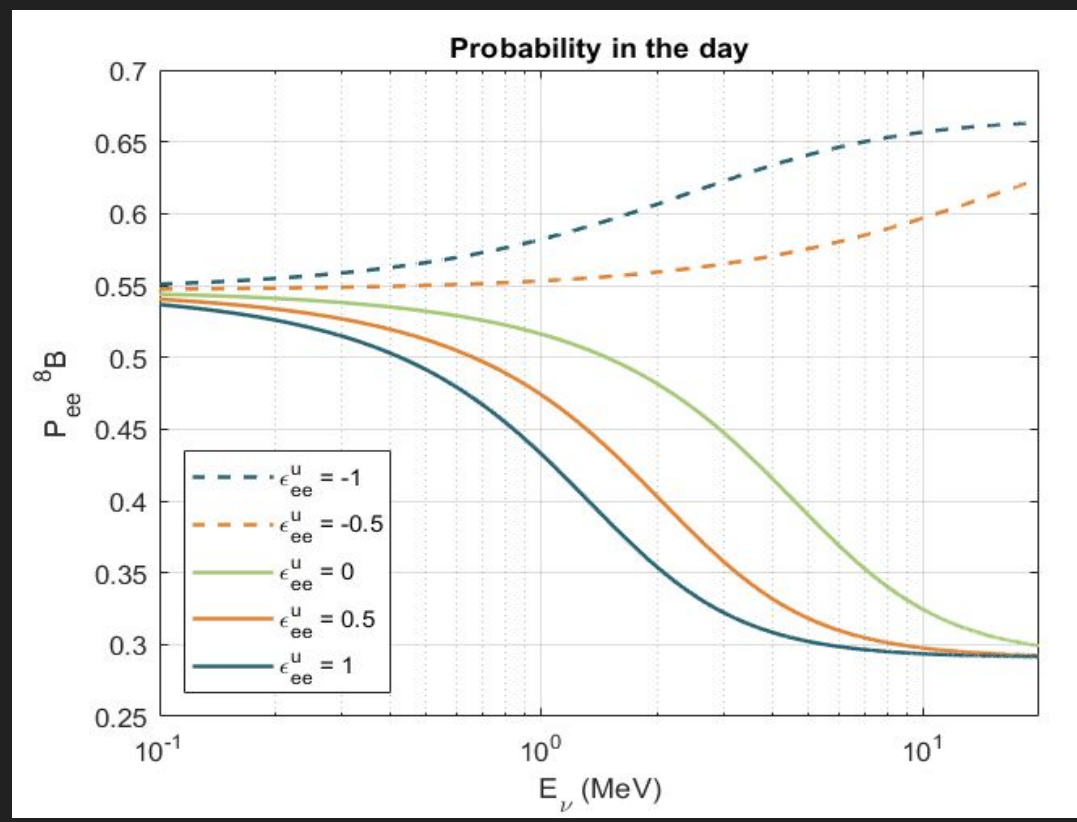
2.73  $\sigma$

$$\mathcal{L}_{\text{NSI}} = -\sqrt{2} G_F \sum_{\alpha, \beta = e, \mu, \tau} \sum_{\gamma = u, d} \epsilon_{\alpha\beta}^{q, \nu} [\bar{\nu}_\alpha \gamma_\mu P_L \nu_\beta] [\bar{q} \gamma^\mu q]$$

$$\epsilon^f = \begin{pmatrix} \epsilon_{ee}^f & \epsilon_{e\mu}^f & \epsilon_{e\tau}^f \\ \epsilon_{\mu e}^f & \epsilon_{\mu\mu}^f & \epsilon_{\mu\tau}^f \\ \epsilon_{\tau e}^f & \epsilon_{\tau\mu}^f & \epsilon_{\tau\tau}^f \end{pmatrix}$$

$$C_V^u \equiv g_V^u \delta_{\alpha\beta} + \epsilon_{\alpha\beta}^{u, \nu} + 2 \epsilon_{\alpha\beta}^{d, \nu}$$

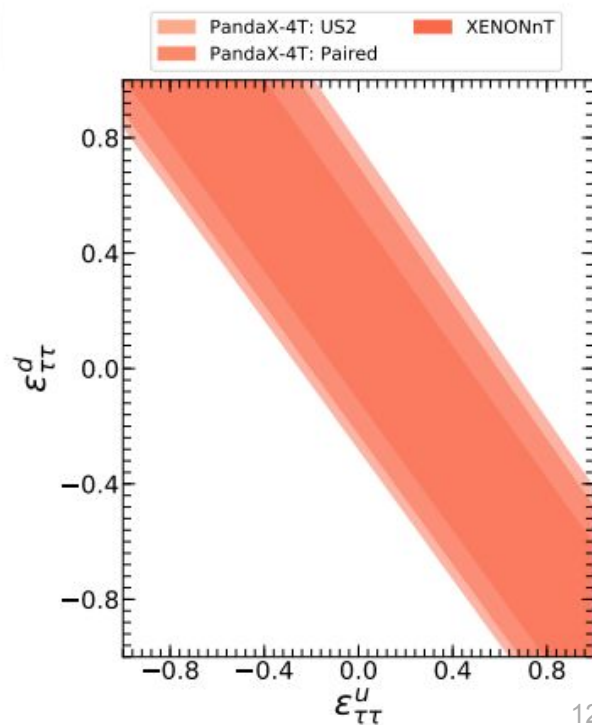
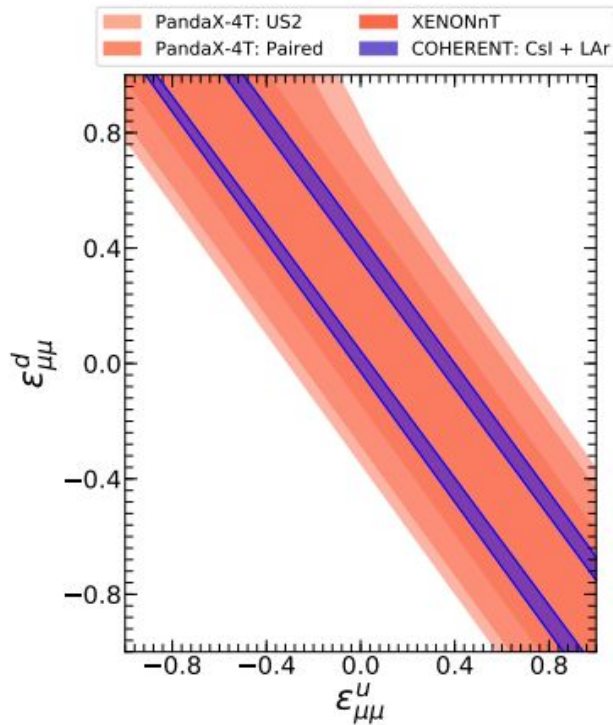
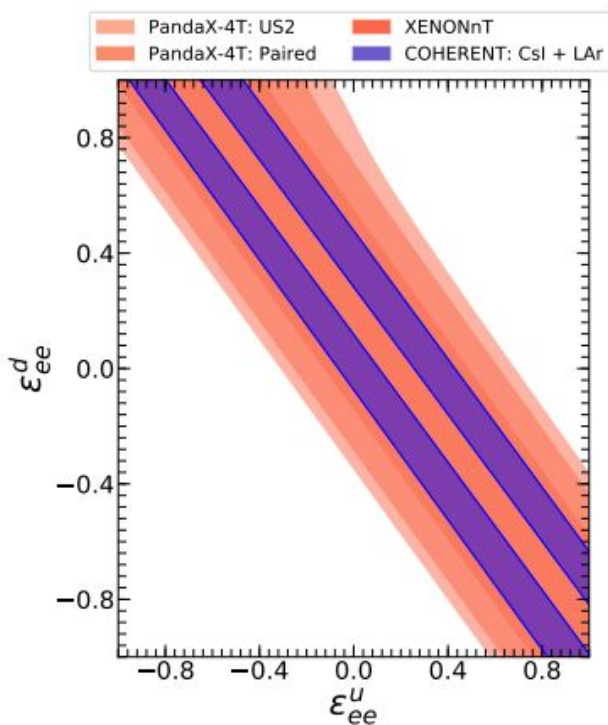
$$C_V^d \equiv g_V^d \delta_{\alpha\beta} + 2 \epsilon_{\alpha\beta}^{u, \nu} + \epsilon_{\alpha\beta}^{d, \nu}$$

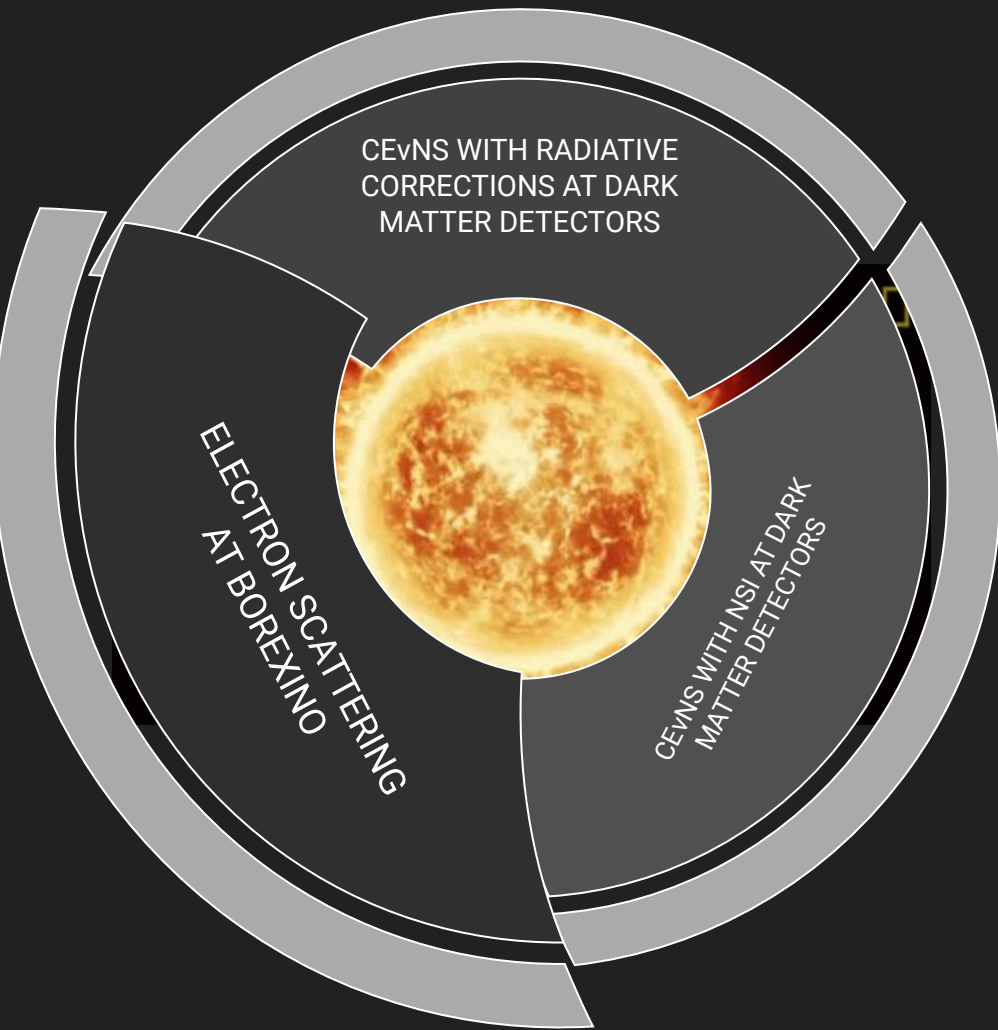


# PROBING NON-STANDARD INTERACTION PARAMETERS AT DARK MATTER DETECTORS

$\pi$ DAR source - flux of  $\nu_\mu$  &  $\nu_e$   
 $\varepsilon_{\alpha,\beta}$  ;  $\alpha,\beta = \{\mu, e\}$

Solar neutrino - flux of  $\nu_e, \nu_\mu$  &  $\nu_\tau$   
 $\varepsilon_{\alpha,\beta}$  ;  $\alpha,\beta = \{e, \mu, \tau\}$





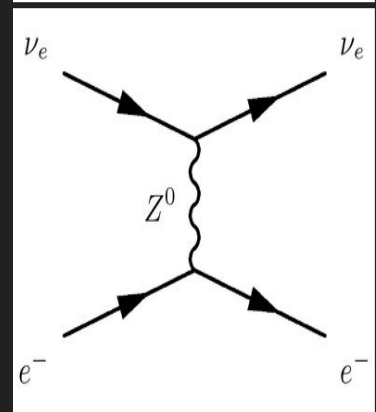
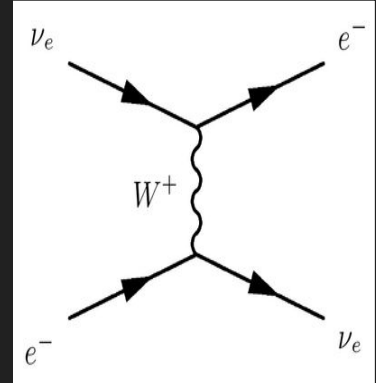
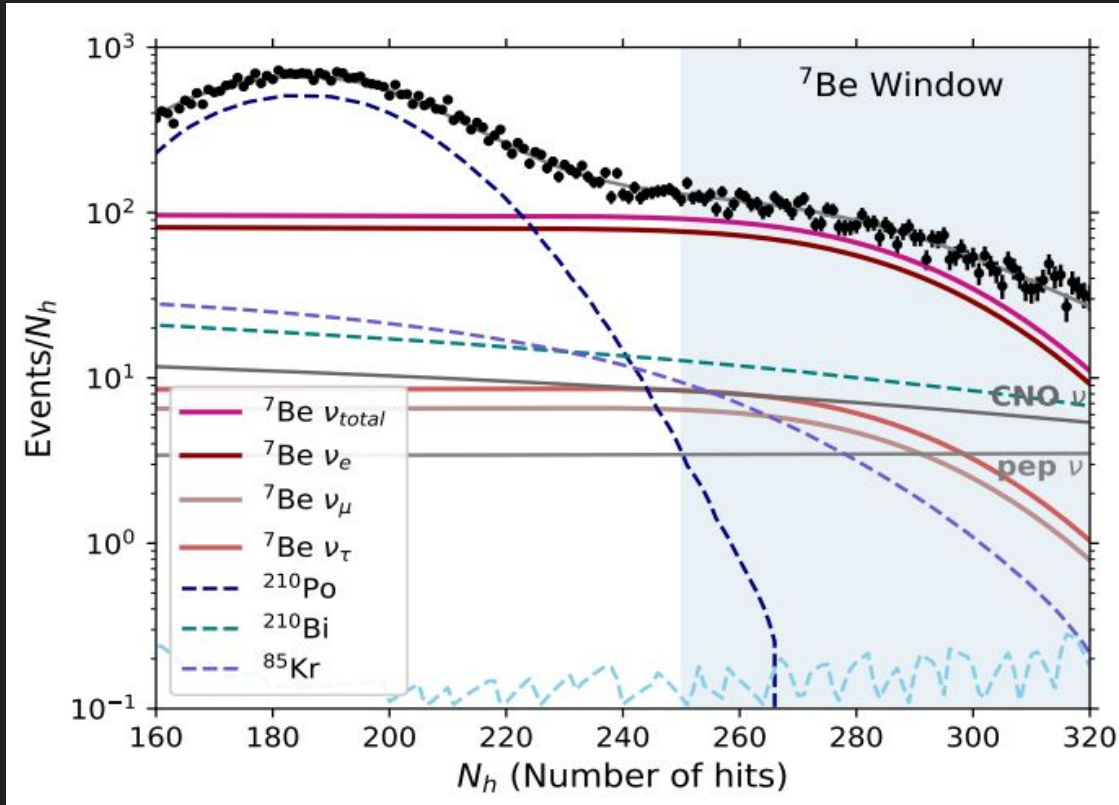
## $\nu_\mu$ AND $\nu_\tau$ ELASTIC SCATTERING IN BOREXINO

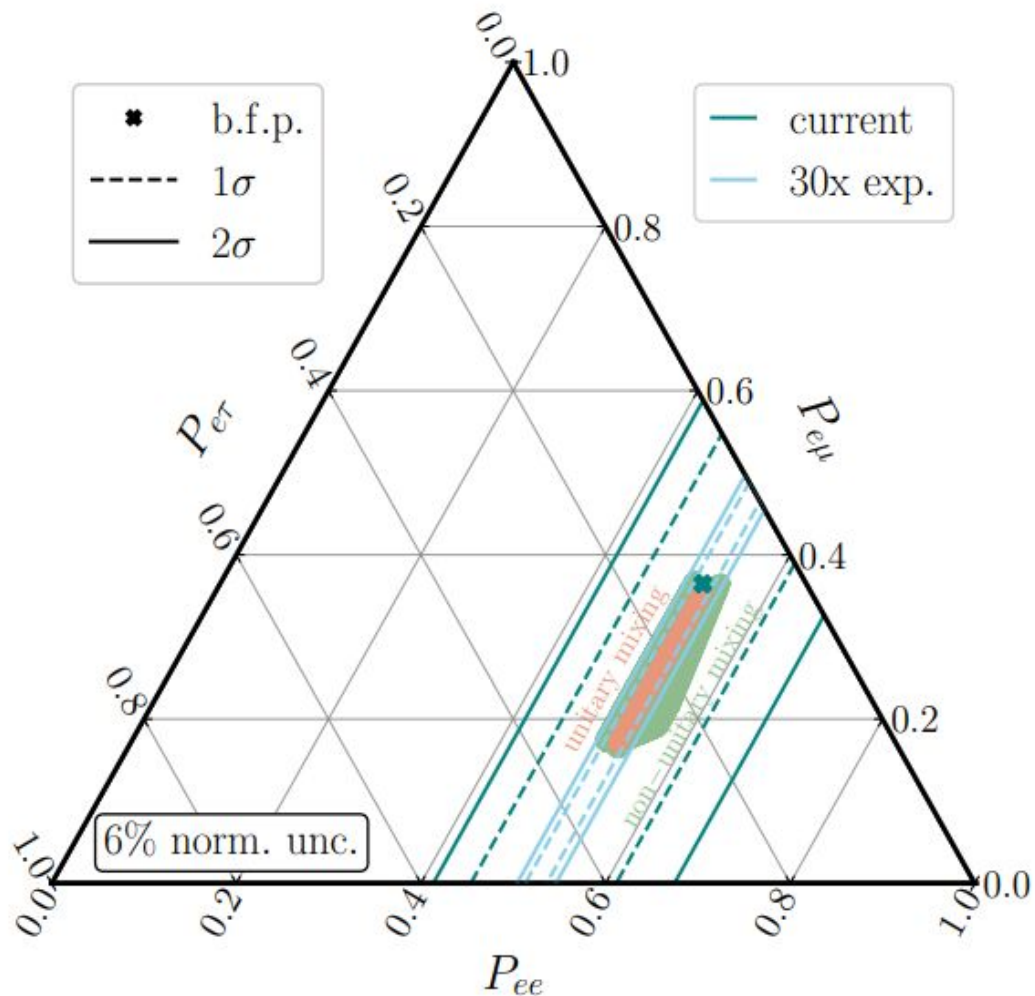
arxiv: [2407.03174](https://arxiv.org/abs/2407.03174)

Kevin J Kelly, Nityasa Mishra, Mudit Rai,  
Louis E. Strigari

**BOREXINO** : 278-ton ultra-pure  
organic liquid scintillator  
**DETECTION** : Elastic Electron  
scattering  
**DATA** : Phase III data set

# $^7\text{Be}$ SIGNAL AT BOREXINO AND ITS FLAVOR COMPOSITION





## 3-flv Analysis

$$S_i \equiv n \sum_{\alpha=e,\mu,\tau} S_{\alpha i}, \quad S_{\alpha i} \equiv \frac{f_\alpha}{P_{e\alpha}^{\text{BF}}} N_{\alpha i}^{\text{BF}},$$

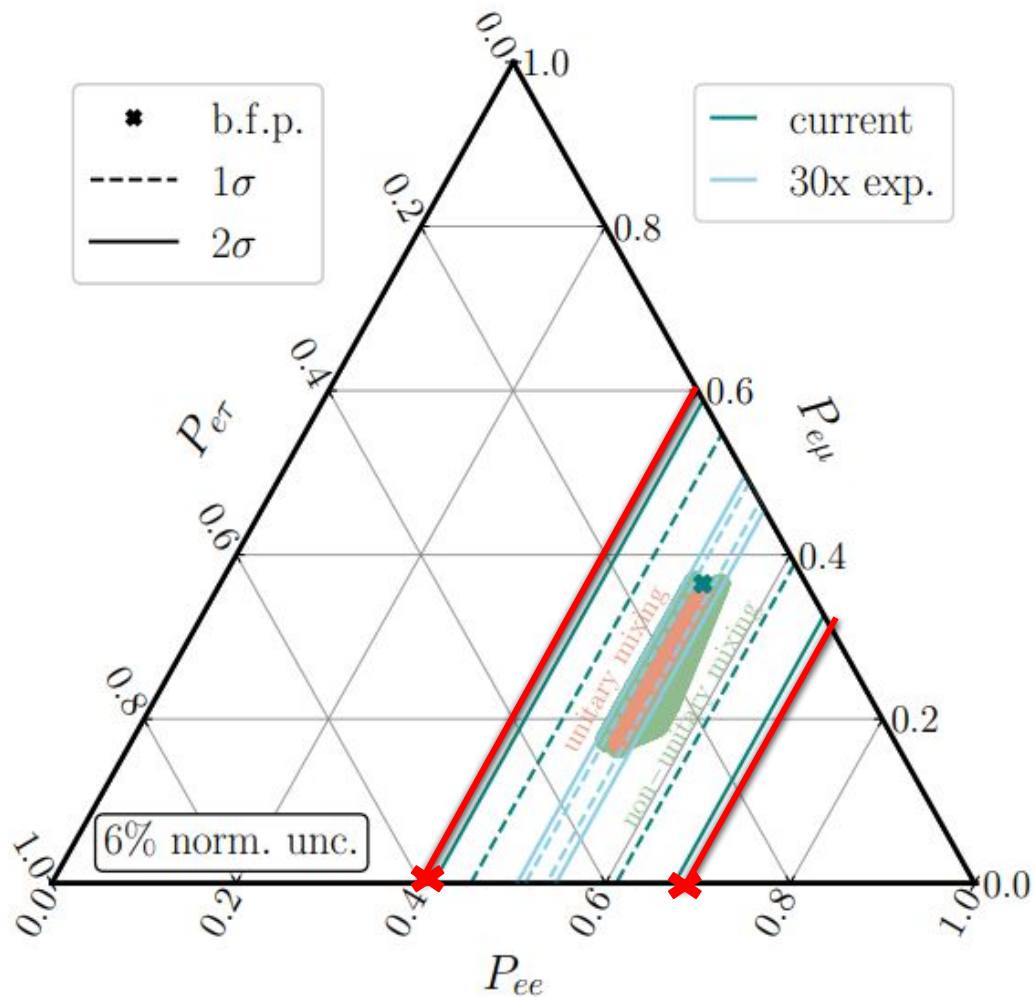
$$\text{Constraint : } f_e + f_\mu + f_\tau = 1$$

## Non-Unitary Mixing

$$N = \alpha U = \begin{bmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{bmatrix} U^{3 \times 3}$$

## Unitary Mixing

Vary  $\theta_{23}$  &  $\delta_{\text{CP}}$



## 3-flv Analysis

$$S_i \equiv n \sum_{\alpha=e,\mu,\tau} S_{\alpha i}, \quad S_{\alpha i} \equiv \frac{f_\alpha}{P_{e\alpha}^{\text{BF}}} N_{\alpha i}^{\text{BF}},$$

$$\text{Constraint : } f_e + f_\mu + f_\tau = 1$$

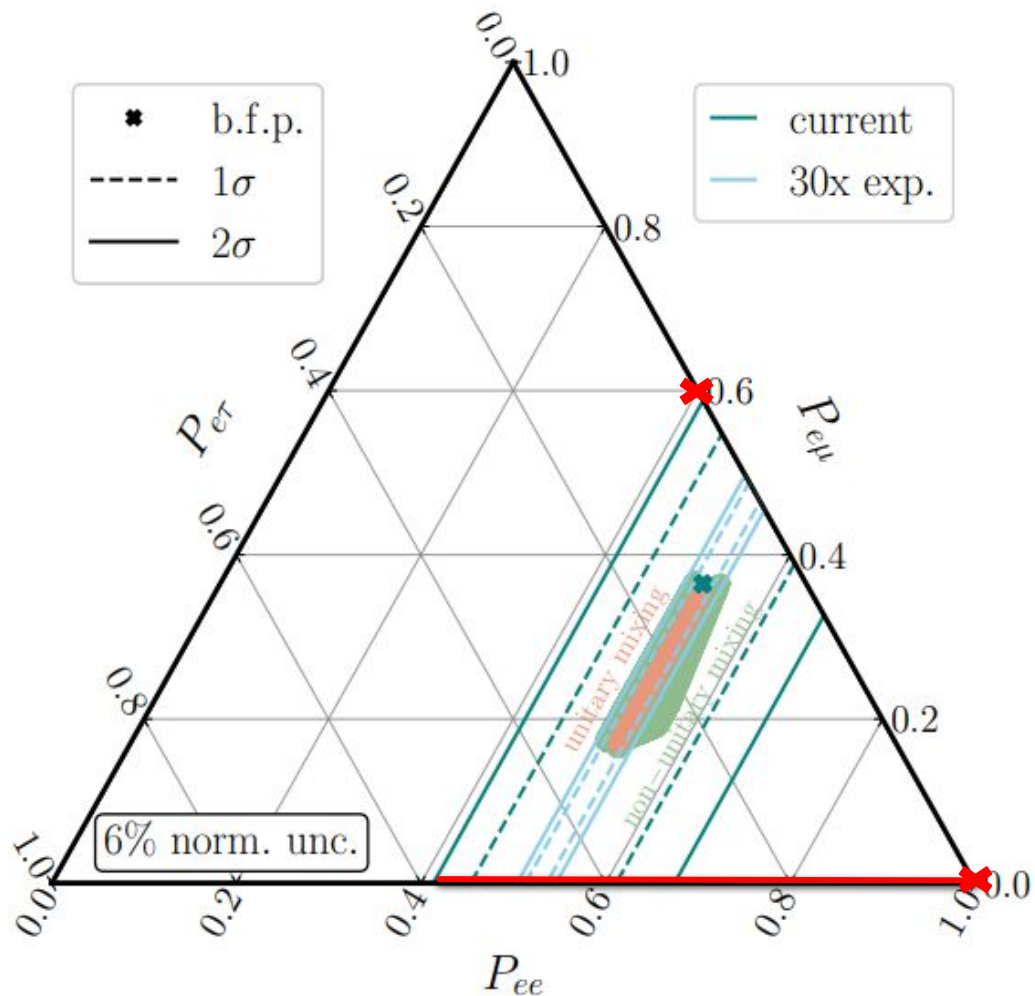
## Non-Unitary Mixing

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$$S_i \equiv n \sum_{\alpha=e,\mu,\tau} S_{\alpha i}, \quad S_{\alpha i} \equiv \frac{f_\alpha}{P_{e\alpha}^{\text{BF}}} N_{\alpha i}^{\text{BF}},$$

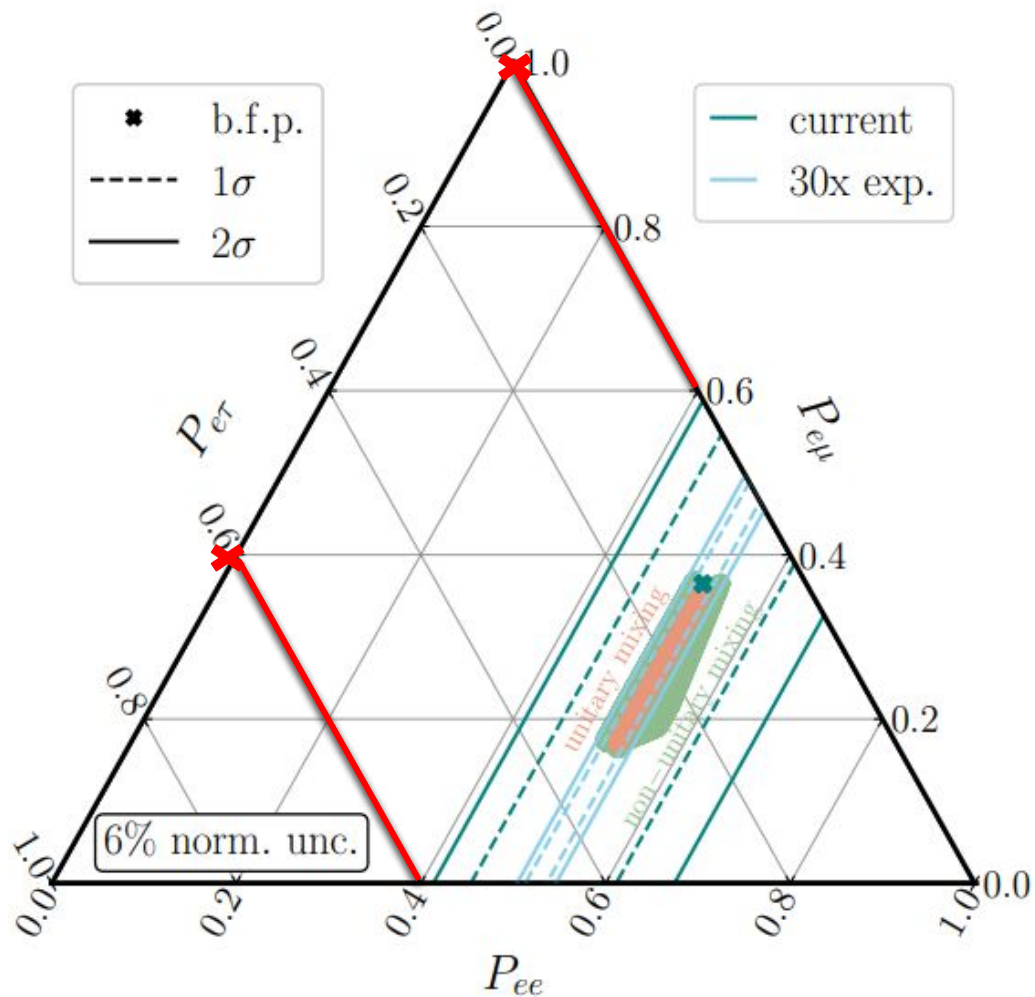
$$\text{Constraint : } f_e + f_\mu + f_\tau = 1$$

## Non-Unitary Mixing

$$N = \alpha U = \begin{bmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{bmatrix} U^{3 \times 3}$$

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$$S_i \equiv n \sum_{\alpha=e,\mu,\tau} S_{\alpha i}, \quad S_{\alpha i} \equiv \frac{f_{\alpha}}{P_{e\alpha}^{\text{BF}}} N_{\alpha i}^{\text{BF}},$$

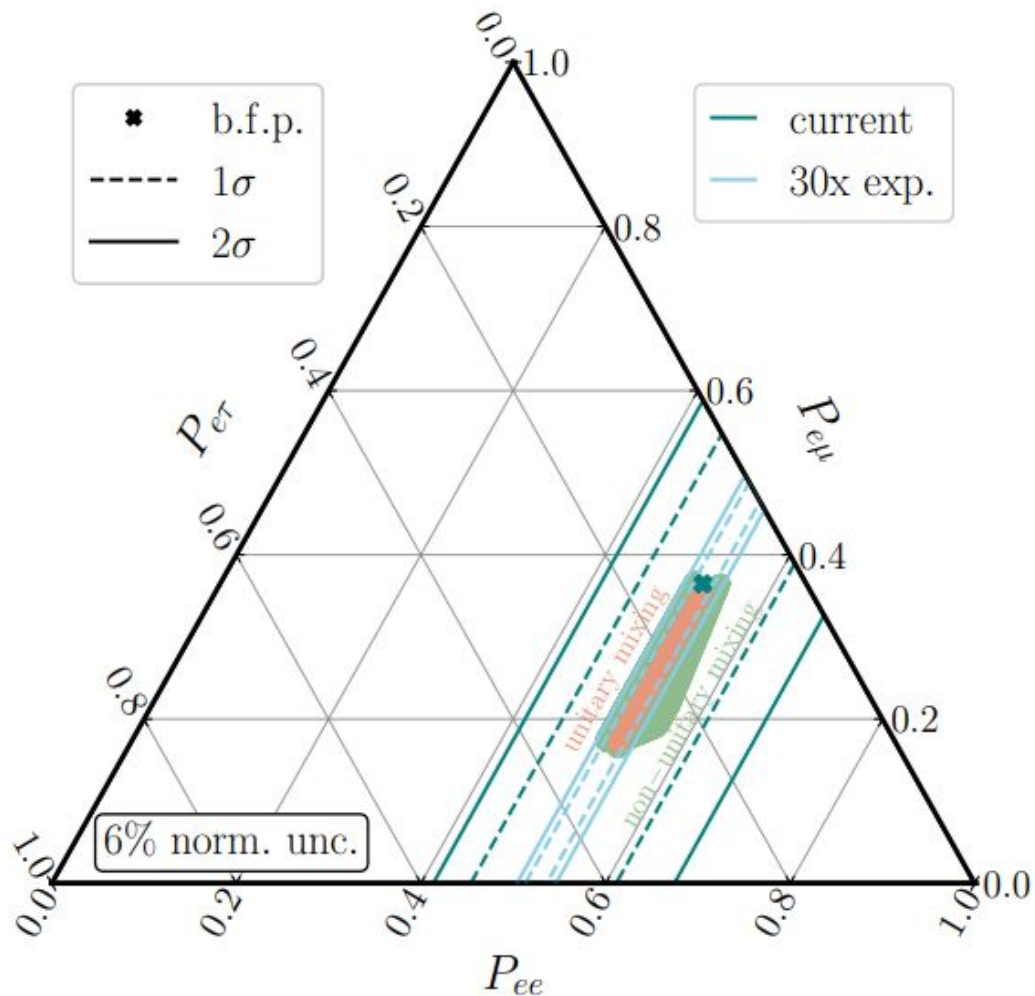
$$\text{Constraint : } f_e + f_{\mu} + f_{\tau} = 1$$

## Non-Unitary Mixing

$$N = \alpha U = \begin{bmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{bmatrix} U^{3 \times 3}$$

## Unitary Mixing

Vary  $\theta_{23}$  &  $\delta_{\text{CP}}$



## 3-flv Analysis

$$S_i \equiv n \sum_{\alpha=e,\mu,\tau} S_{\alpha i}, \quad S_{\alpha i} \equiv \frac{f_{\alpha}}{P_{e\alpha}^{\text{BF}}} N_{\alpha i}^{\text{BF}},$$

$$\text{Constraint : } f_e + f_{\mu} + f_{\tau} = 1$$

## Non-Unitary Mixing

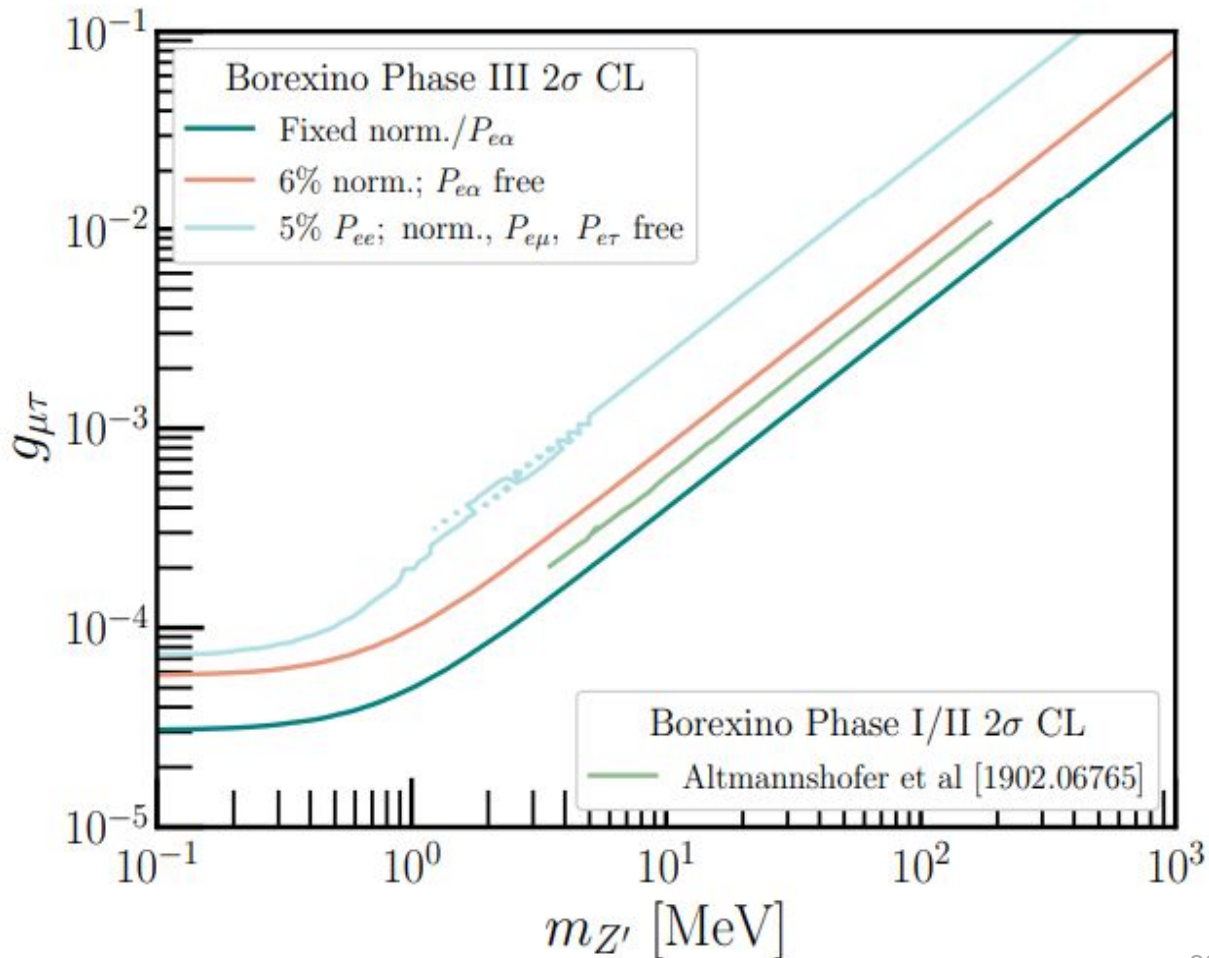
$$N = \alpha U = \begin{bmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{bmatrix} U^{3 \times 3}$$

## Unitary Mixing

Vary  $\theta_{23}$  &  $\delta_{\text{CP}}$

## Constraints on $L_\mu - L_\tau$ by Borexino Phase III data

- New U(1) gauge boson  $Z'$
- Couples to only  $\nu_\mu$  &  $\nu_\tau$   
(and corresponding charged leptons)



# SOLAR $\nu$ - SENSITIVE TO ALL FLAVORS

ELECTRON SCATTERING

current state of exp - not completely sensitive to all flavors

future exp - sensitive with greater exposure - Eg. JUNO - 2306.03160

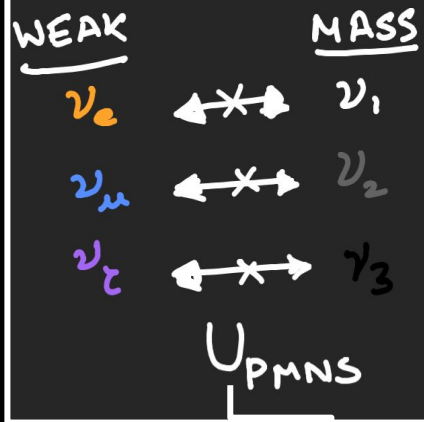
CE $\nu$ NS

Dark matter detectors - improve measurements of  $\nu$  in future

can get interesting results even with such measurements - 2409.04385, 2409.04703

BACK UP

# NEUTRINO OSCILLATIONS:



$$i \frac{d}{dt} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix} = H \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

$$|\nu_i\rangle = e^{-iHt} |\nu_i(0)\rangle$$

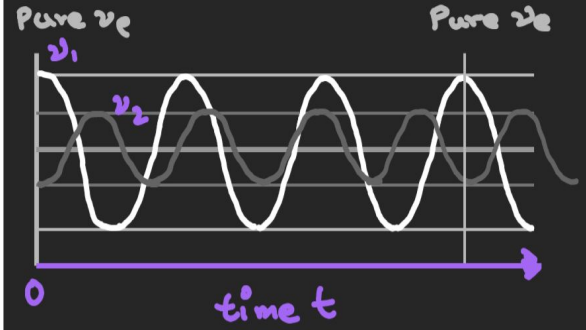
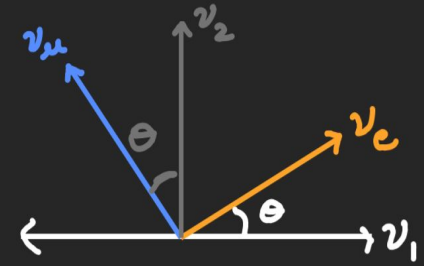
$$i \frac{d}{dt} \begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = H_{fl} \begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix}$$

$$|\nu_\alpha\rangle = e^{-iH_{fl}t} |\nu_\alpha(0)\rangle$$

Weak State

$$\begin{pmatrix} \nu_e \\ \nu_\mu \end{pmatrix} = \begin{pmatrix} \cos\theta & \sin\theta \\ -\sin\theta & \cos\theta \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \end{pmatrix}$$

Mass states



$$\begin{bmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta_{CP}} \\ -s_{12}c_{23} - c_{12}s_{23}s_{13}e^{i\delta_{CP}} & c_{12}c_{23} - s_{12}s_{23}s_{13}e^{i\delta_{CP}} & s_{23}c_{13} \\ s_{12}s_{23} - c_{12}c_{23}s_{13}e^{i\delta_{CP}} & -c_{12}s_{23} - s_{12}c_{23}s_{13}e^{i\delta_{CP}} & c_{23}c_{13} \end{bmatrix}$$

**VACUUM**

$$H_{fl} = U H U^\dagger$$

$$\begin{pmatrix} m_1^2 & 0 \\ 0 & m_2^2 \end{pmatrix}$$

**MATTER EFFECT**

$$V_{cc} = \sqrt{2} G_F N_e$$

$$H_{fl} = U H U^\dagger + V$$

$$V = \begin{pmatrix} V_{cc} & 0 \\ 0 & 0 \end{pmatrix}$$

# CE $\nu$ NS

Coherent  
Elastic  
Neutrino  
Nucleus  
Scattering

PHYSICAL REVIEW D

VOLUME 9, NUMBER 5

1 MARCH 1974

## Coherent effects of a weak neutral current

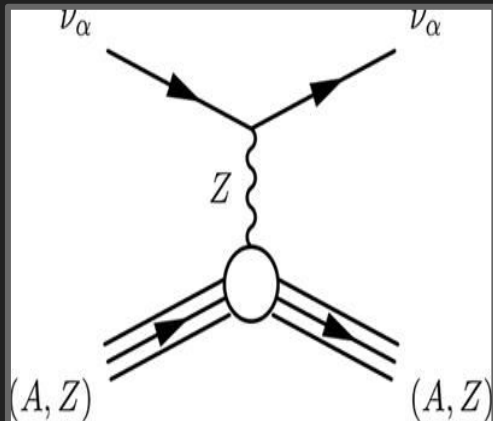
Daniel Z. Freedman<sup>†</sup>

*National Accelerator Laboratory, Batavia, Illinois 60510*

*and Institute for Theoretical Physics, State University of New York, Stony Brook, New York 11790*

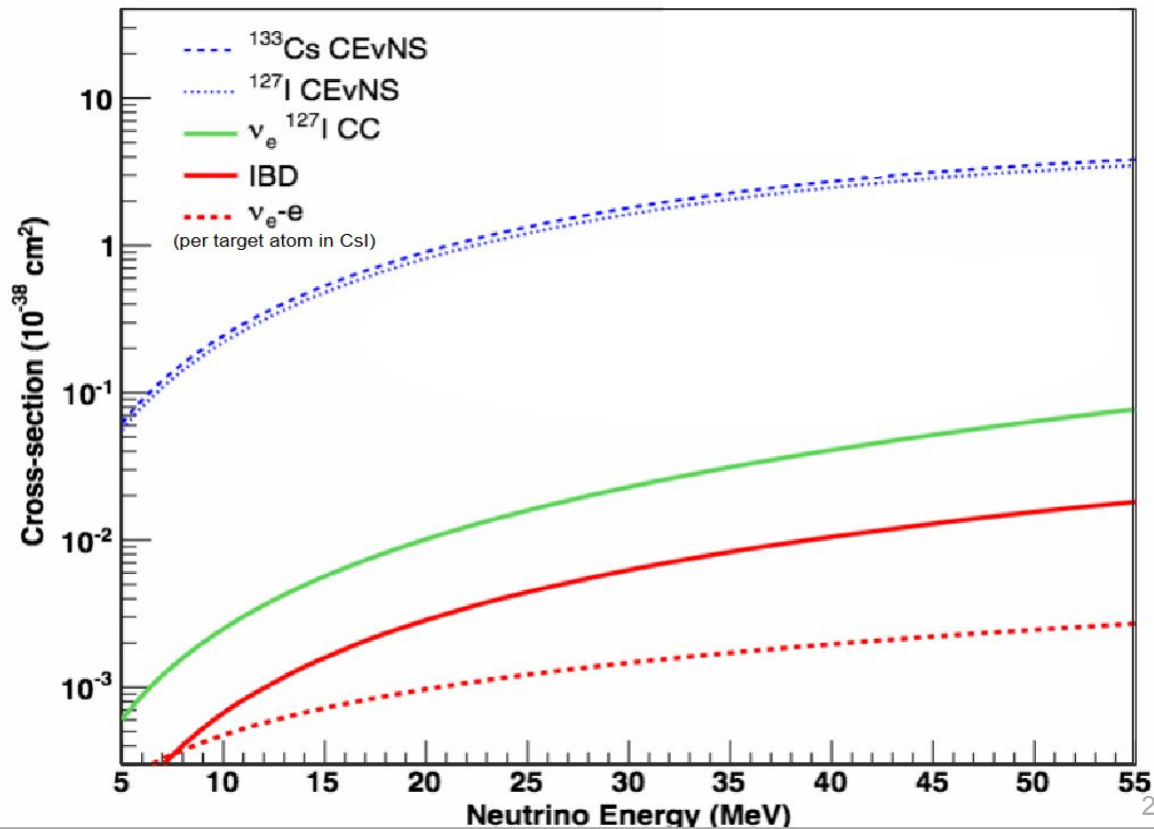
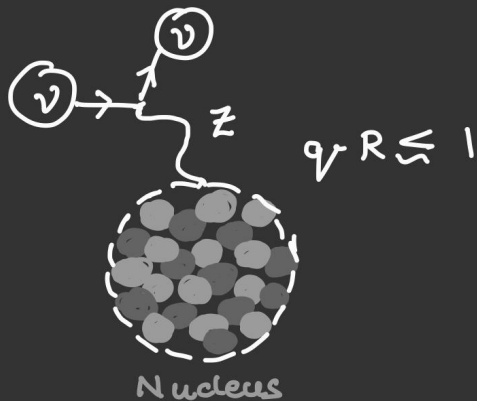
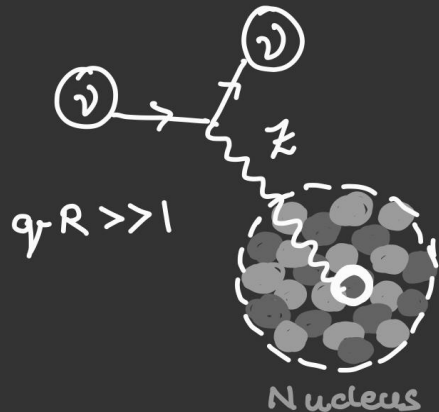
(Received 15 October 1973; revised manuscript received 19 November 1973)

If there is a weak neutral current, then the elastic scattering process  $\nu + A \rightarrow \nu + A$  should have a sharp coherent forward peak just as  $e + A \rightarrow e + A$  does. Experiments to observe this peak can give important information on the isospin structure of the neutral current. The experiments are very difficult, although the estimated cross sections (about  $10^{-38}$  cm<sup>2</sup> on carbon) are favorable. The coherent cross sections (in contrast to incoherent) are almost energy-independent. Therefore, energies as low as 100 MeV may be suitable. Quasi-coherent nuclear excitation processes  $\nu + A \rightarrow \nu + A^*$  provide possible tests of the conservation of the weak neutral current. Because of strong coherent effects at very low energies, the nuclear elastic scattering process may be important in inhibiting cooling by neutrino emission in stellar collapse and neutron stars.

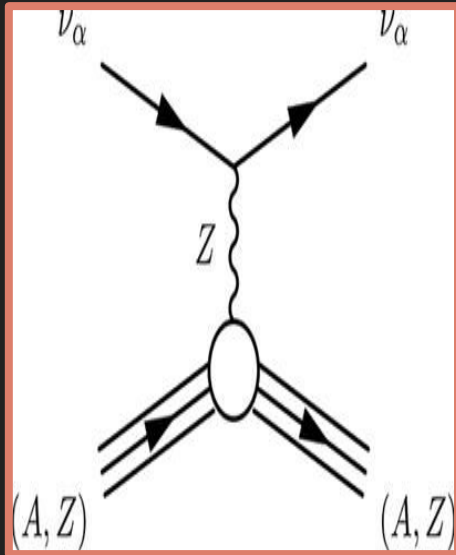




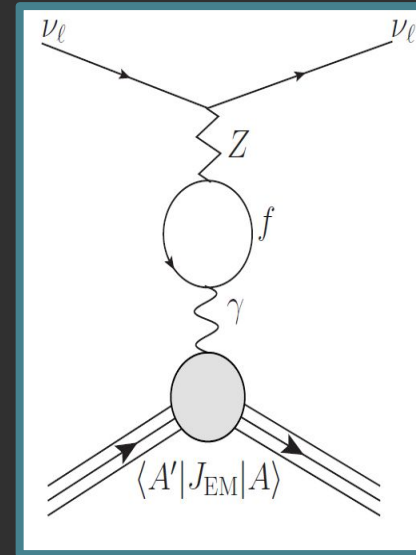
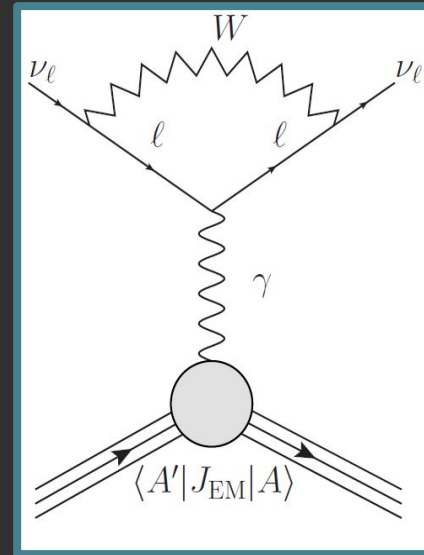
$\text{CE}\nu\text{NS} \rightarrow \text{coherent enhancement} \rightarrow \sigma \sim N^2$



## TREE-LEVEL

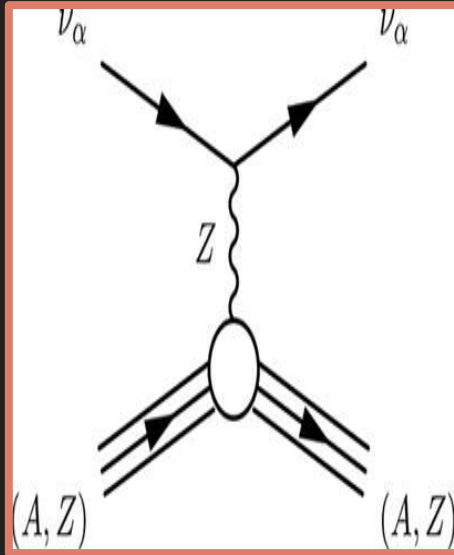


## WITH RADIATIVE CORRECTION



arXiv:2011.05960 :  
Oleksandr Tomalak, Pedro Machado,  
Vishvas Pandey, Ryan Plestid

## TREE-LEVEL

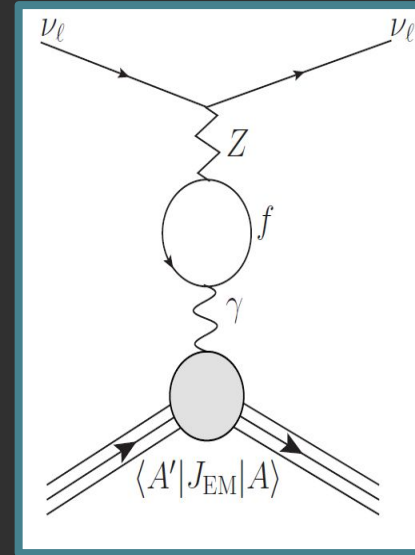
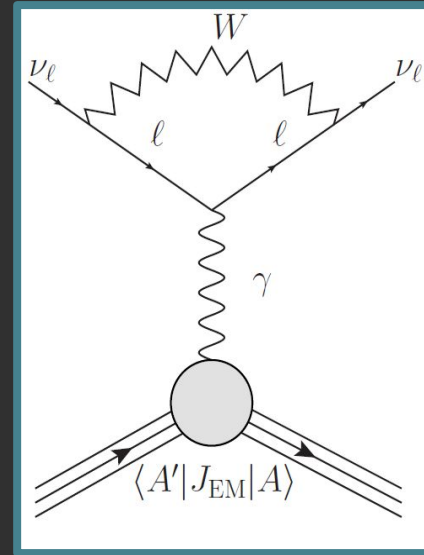


$$\frac{d\sigma_\nu}{dT} = \frac{G_F^2 M_A}{4\pi} \left( 1 - \frac{T}{E_\nu} - \frac{M_A T}{2E_\nu^2} \right) Q_W^2 F_W^2(Q^2)$$

Weak charge:

$$Q_W = N - (1 - 4 \sin^2 \theta_w) Z$$

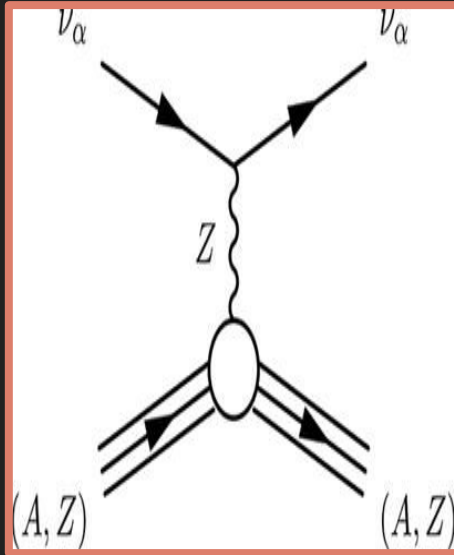
## WITH RADIATIVE CORRECTION



arXiv:2011.05960 :

Oleksandr Tomalak, Pedro Machado,  
Vishvas Pandey, Ryan Plestid

## TREE-LEVEL

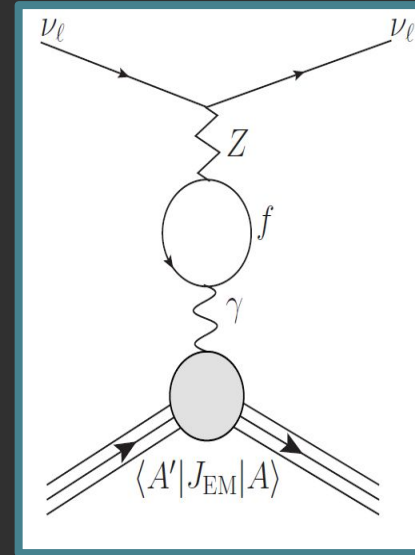
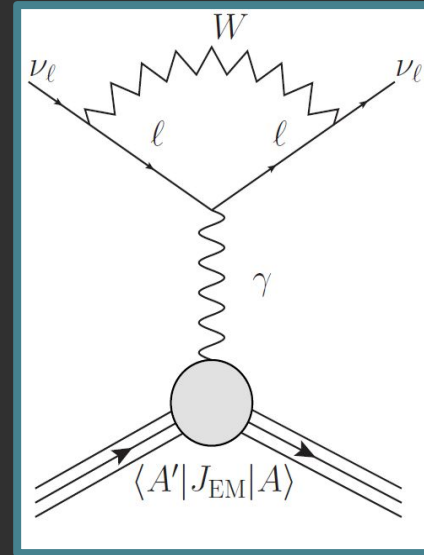


$$\frac{d\sigma_\nu}{dT} = \frac{G_F^2 M_A}{4\pi} \left( 1 - \frac{T}{E_\nu} - \frac{M_A T}{2E_\nu^2} \right) \boxed{Q_W^2 F_W^2(Q^2)}$$

Weak Form Factor:

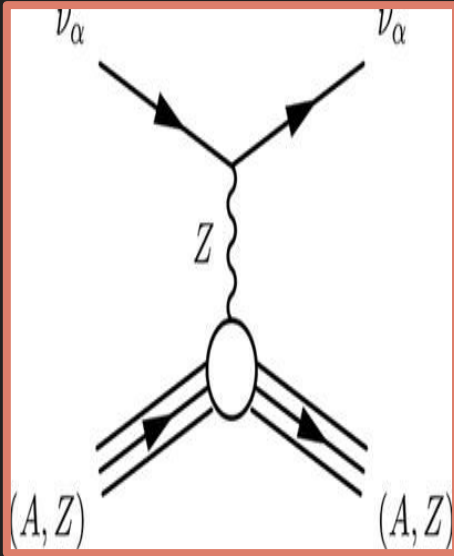
$$F_W = \frac{1}{Q_W} [N F_n(Q^2) - (1 - 4 \sin^2 \theta_w) Z F_p(Q^2)]$$

## WITH RADIATIVE CORRECTION



$$\frac{d\sigma_{\nu\ell}}{dT} = \frac{G_F^2 M_A}{4\pi} \left( 1 - \frac{T}{E_\nu} - \frac{M_A T}{2E_\nu^2} \right) \boxed{F_{\nu\ell}^2(Q^2)}$$

## TREE-LEVEL

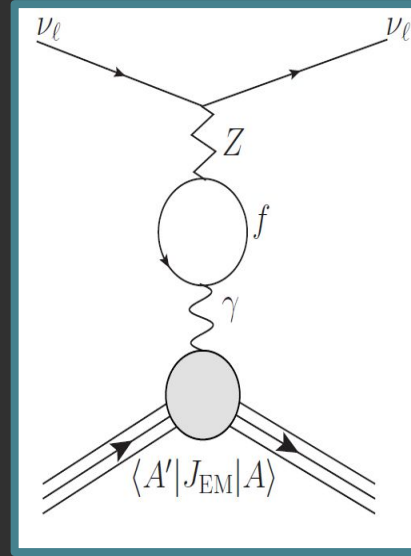
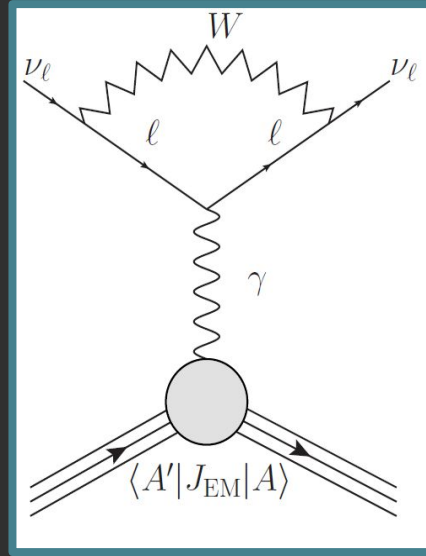


$$\frac{d\sigma_\nu}{dT} = \frac{G_F^2 M_A}{4\pi} \left( 1 - \frac{T}{E_\nu} - \frac{M_A T}{2E_\nu^2} \right) Q_W^2 F_W^2(Q^2)$$

Weak Form Factor:

$$F_W = \frac{1}{Q_W} [N F_n(Q^2) - (1 - 4 \sin^2 \theta_w) Z F_p(Q^2)]$$

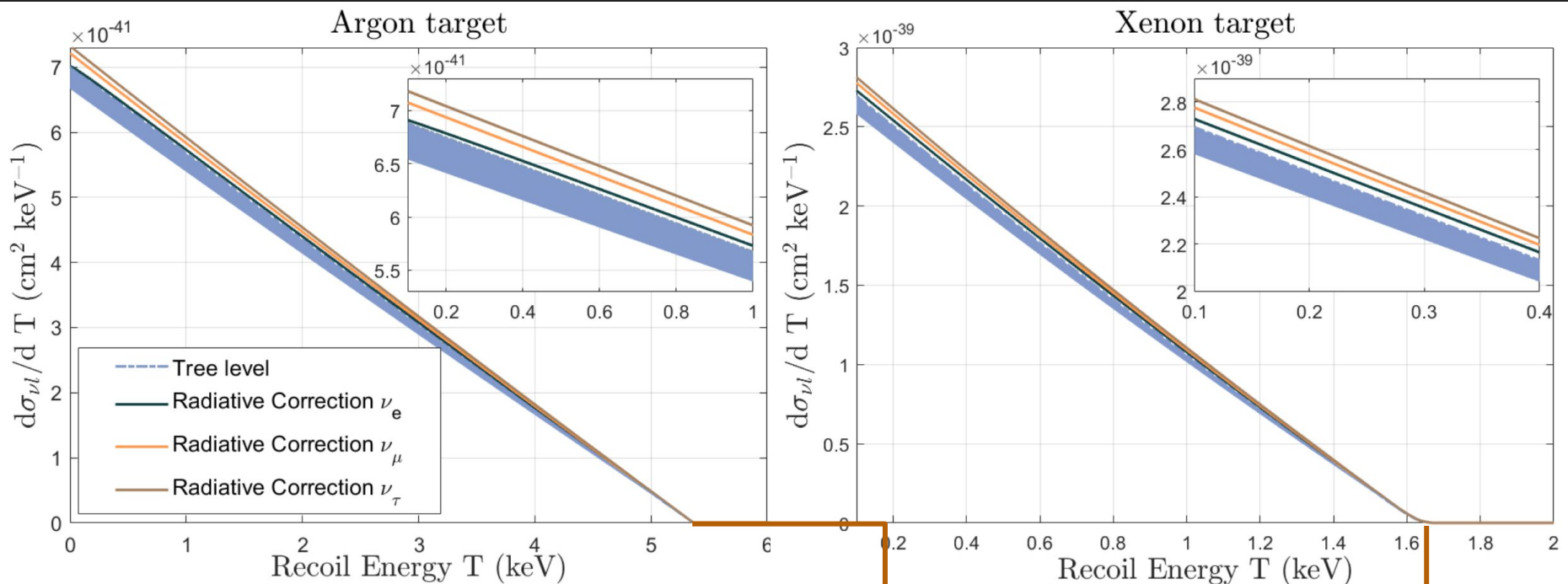
## WITH RADIATIVE CORRECTION



$$\frac{d\sigma_{\nu l}}{dT} = \frac{G_F^2 M_A}{4\pi} \left( 1 - \frac{T}{E_\nu} - \frac{M_A T}{2E_\nu^2} \right) \mathcal{F}_{\nu l}^2(Q^2)$$

$$\mathcal{F}_{\nu l}(Q^2) = (\mathcal{F}_W(Q^2) + \frac{\alpha}{\pi} [\delta^{\nu l} + \delta^{QCD}] \mathcal{F}_{ch}(Q^2))$$

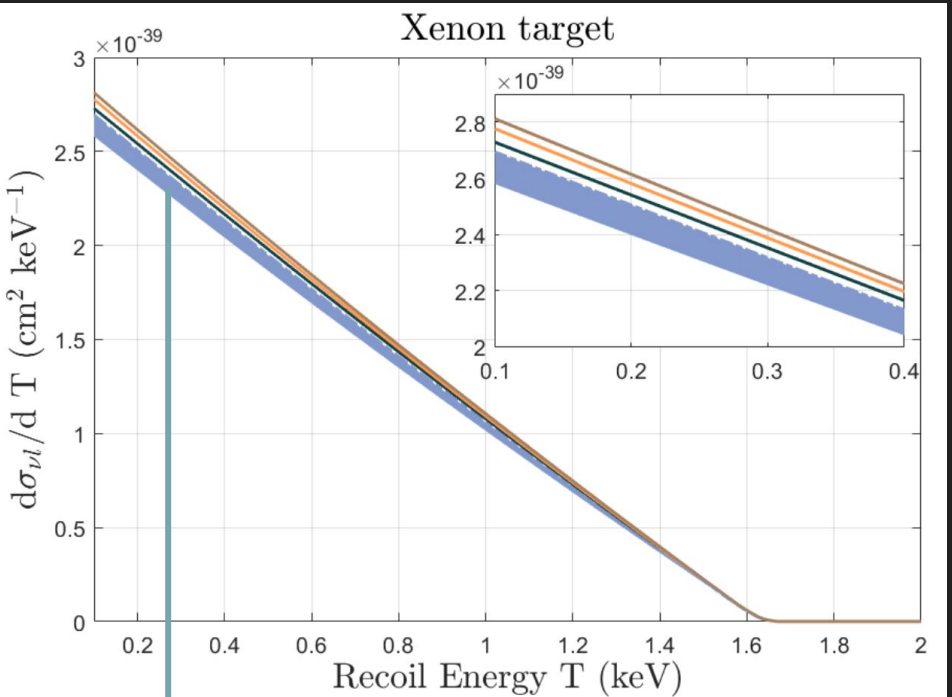
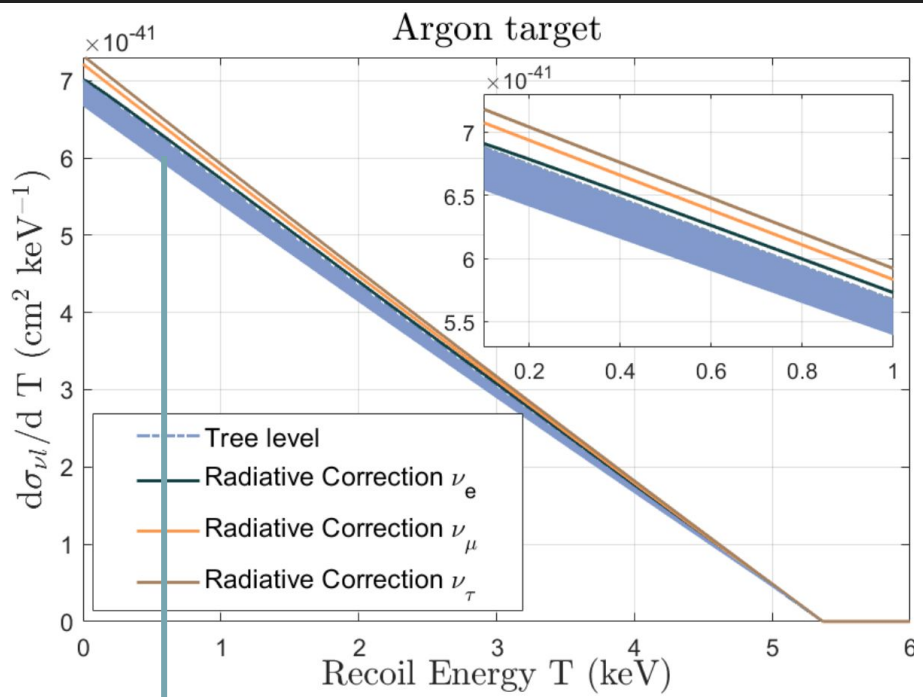
# CE $\nu$ NS DIFFERENTIAL CROSS-SECTION



$$F_W = \frac{1}{Q_W} [NF_n(Q^2) - (1 - 4\sin^2\theta_w)ZF_p(Q^2)]$$

$$T_{max} = \frac{2E_\nu^2}{M_A + 2E_\nu}$$

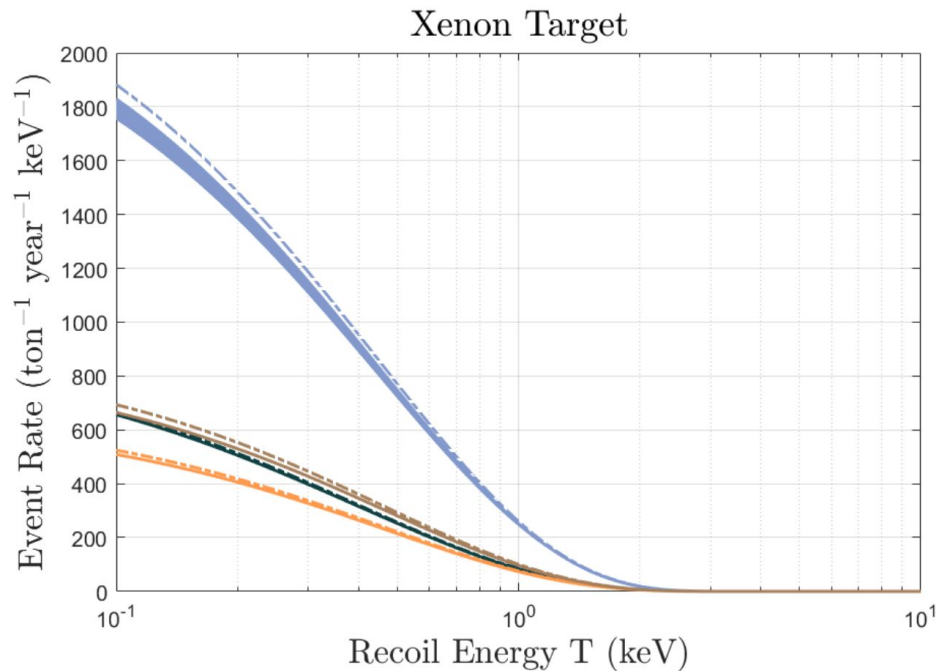
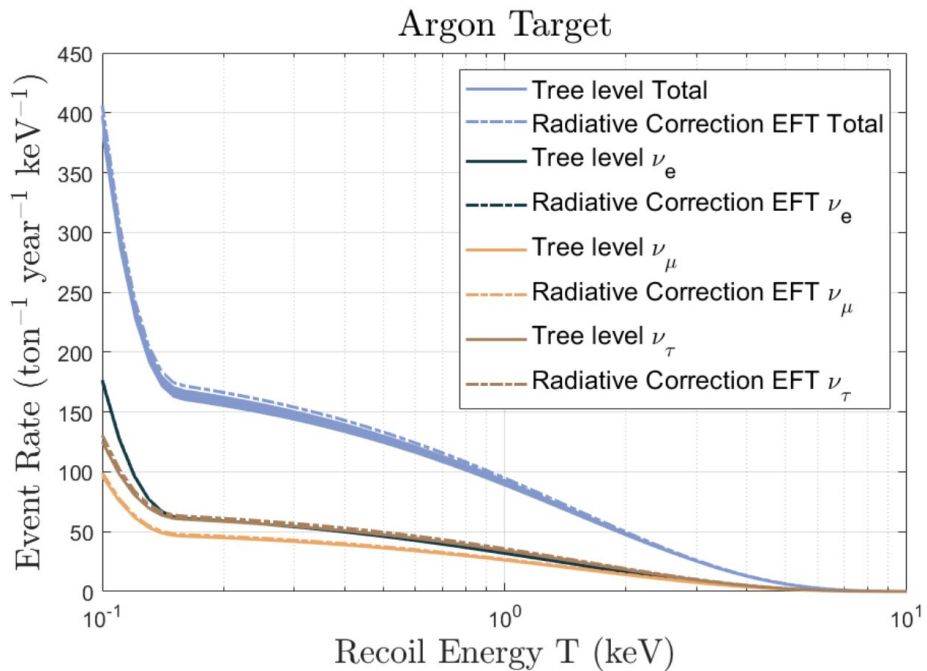
Cross-section for  $\nu_\tau > \nu_\mu > \nu_e$  radiative corrections > Cross-section for tree-level ( $\nu_\tau = \nu_\mu = \nu_e$ )



$$F_W = \frac{1}{Q_W} [NF_n(Q^2) (1 - 4\sin^2\theta_w) - F_p(Q^2)]$$

$$T_{max} = \frac{2E_\nu^2}{M_A + 2E_\nu}$$

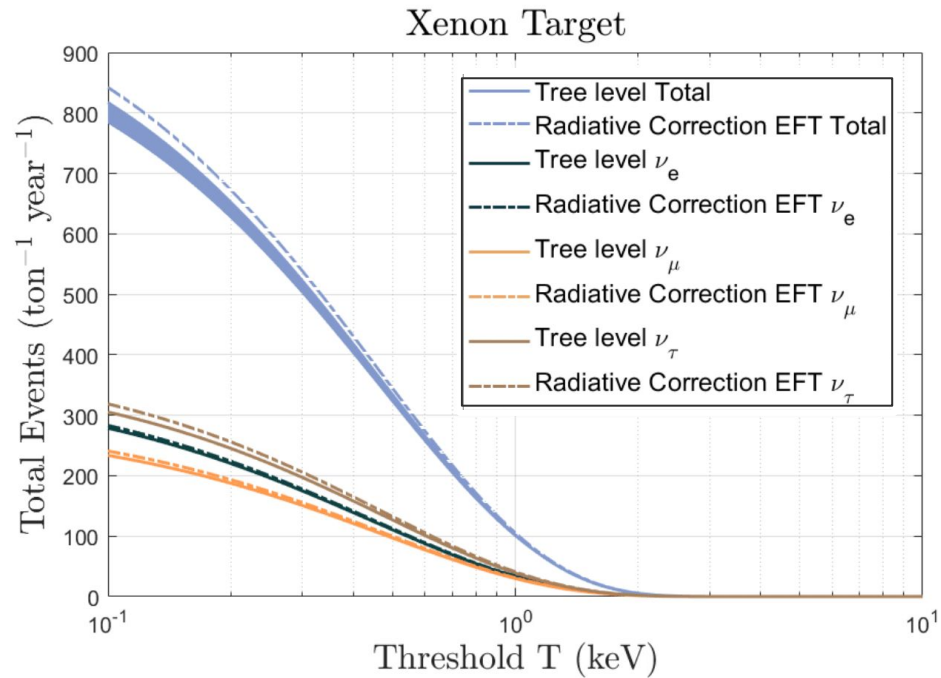
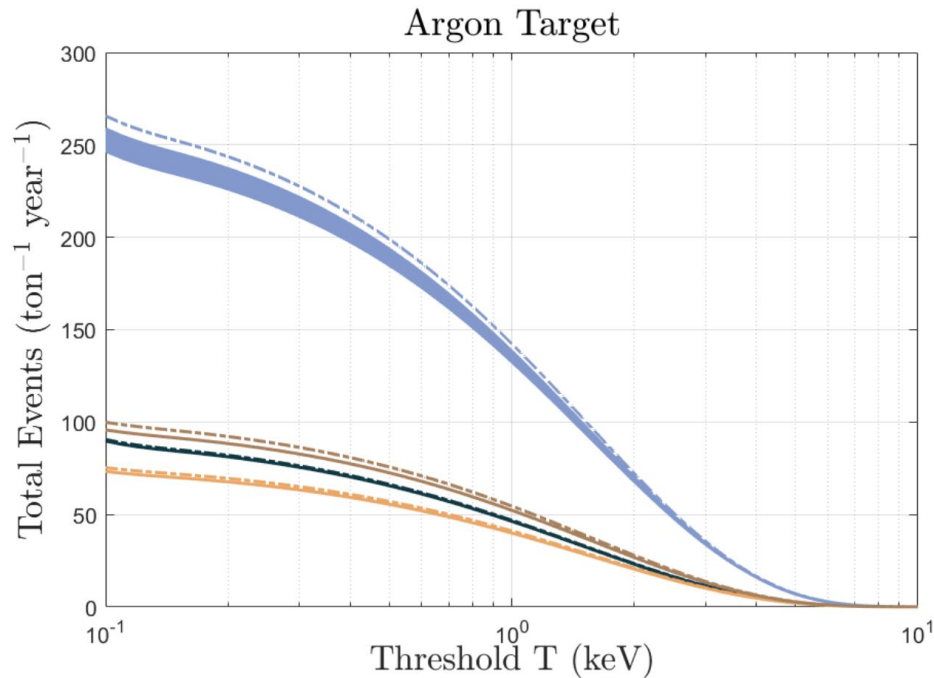
# EVENT RATE:



$$\frac{dN_\alpha}{dT} = \int_{E_{\nu, \min}} \frac{d\phi(E_\nu)}{dE_\nu} \frac{d\sigma_\alpha(E_\nu, T)}{dT} P(\nu_e \rightarrow \nu_\alpha) dE_\nu$$



# EVENTS:



$$N_\alpha = \int_{T_{th}} \frac{dN_\alpha}{dT} dT.$$

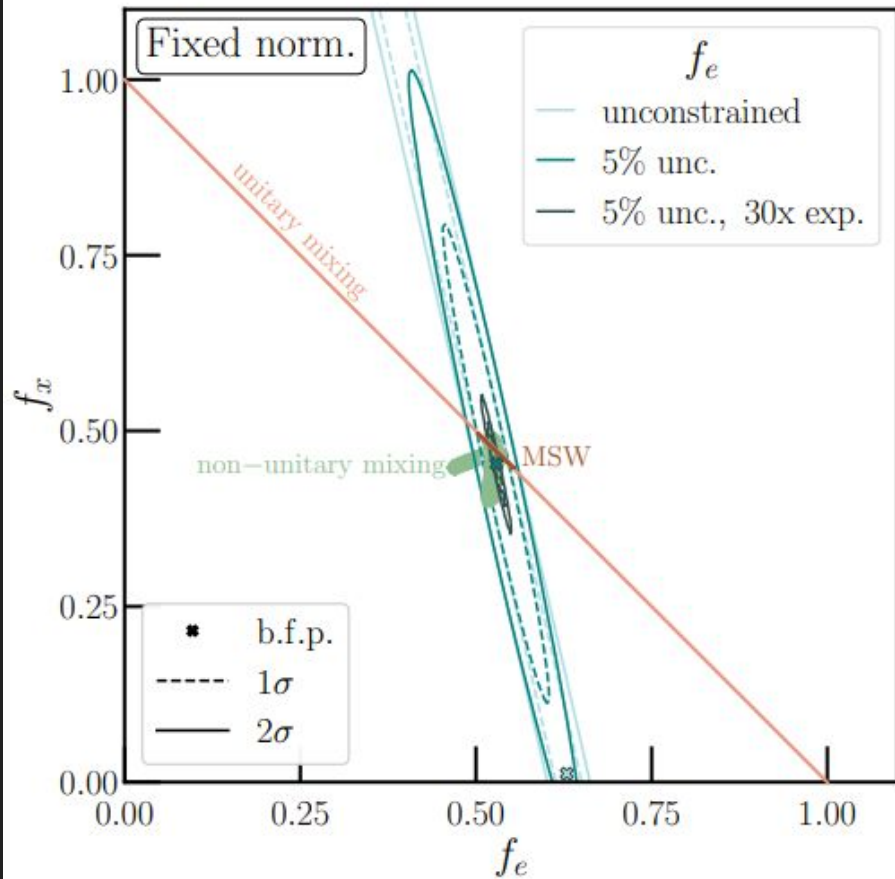
# CONCLUSION:

Within the context of a full three-flavor analysis that includes the effects of matter oscillations in the Sun and the Earth, we find that detectors with exposure  $\sim 100$  ton-year would be able to measure a cross section value that deviates from the tree-level prediction.

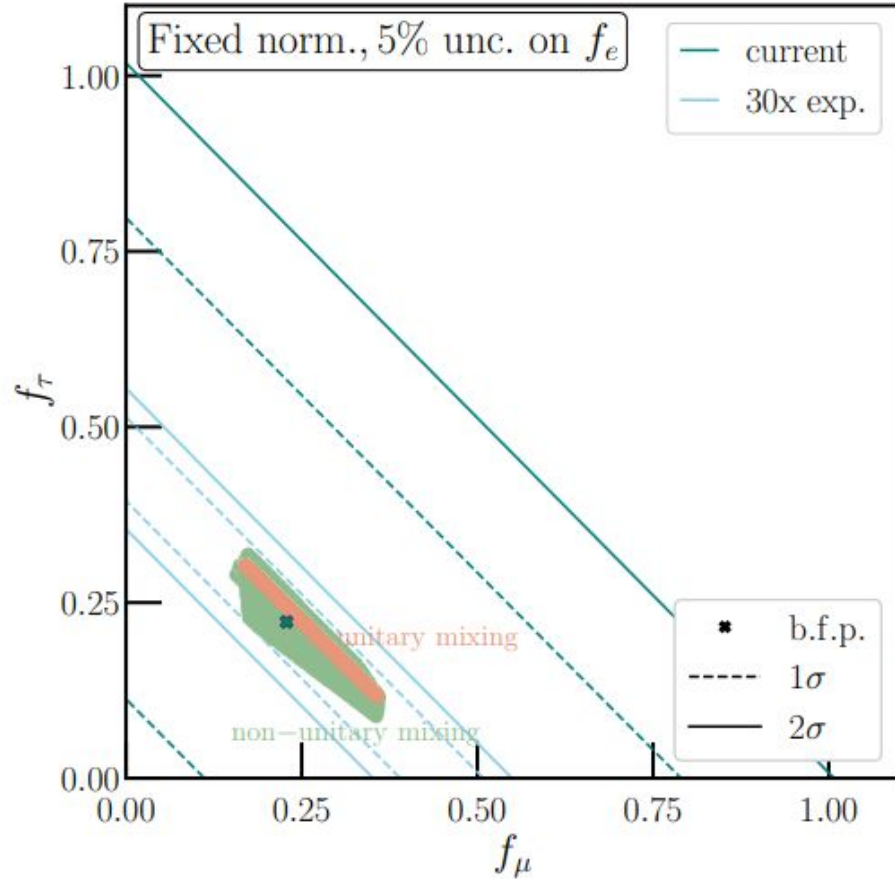
# FUTURE ASPECTS

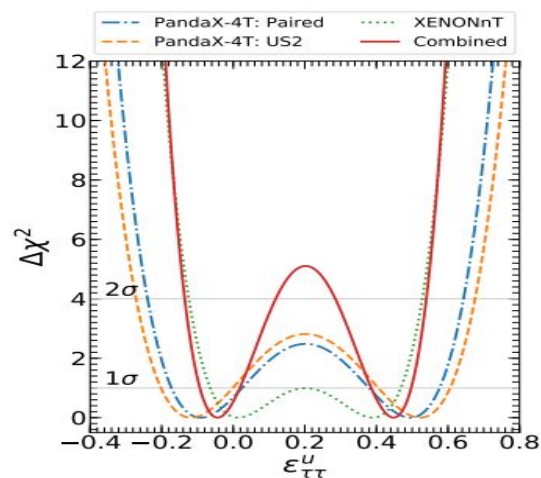
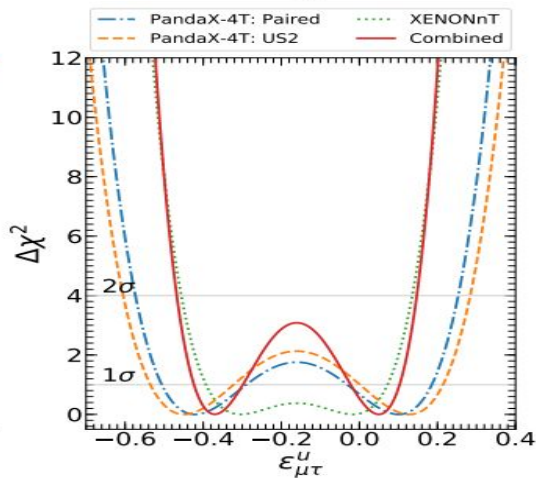
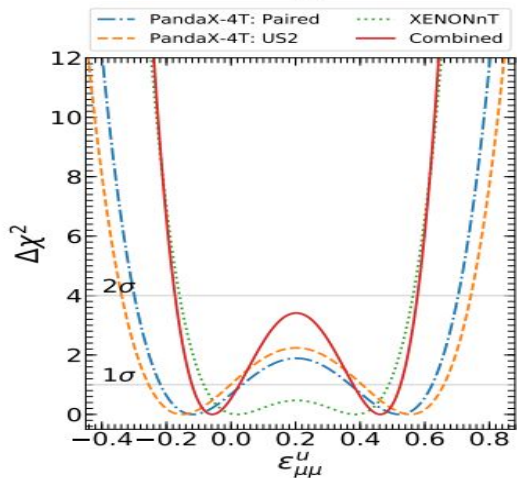
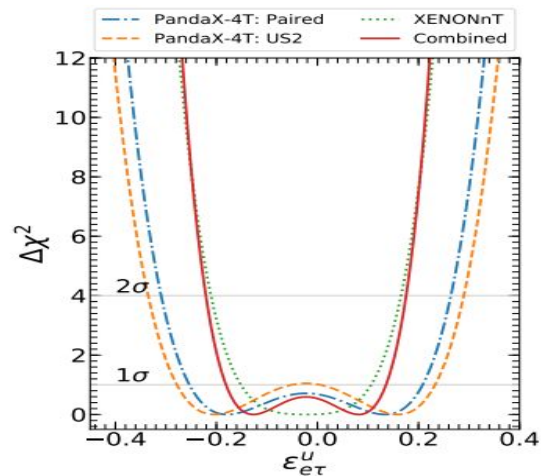
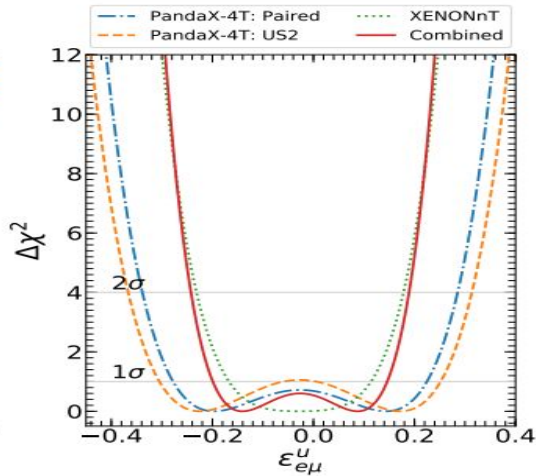
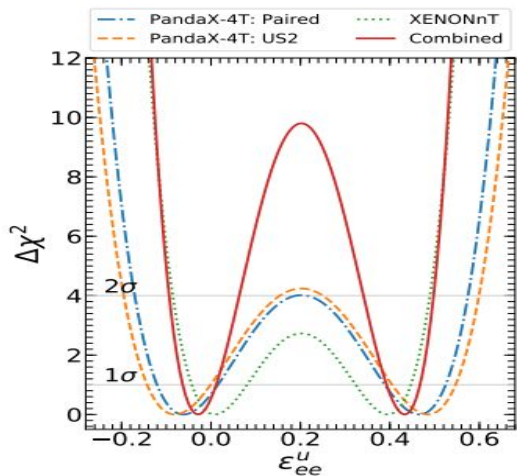
- Rigorous monte-carlo based simulation analysis with backgrounds
- Analysis with other neutral current channels  
arXiv:2306.03160 Vedran Brdar, Xun-Jie Xu
- BSM physics

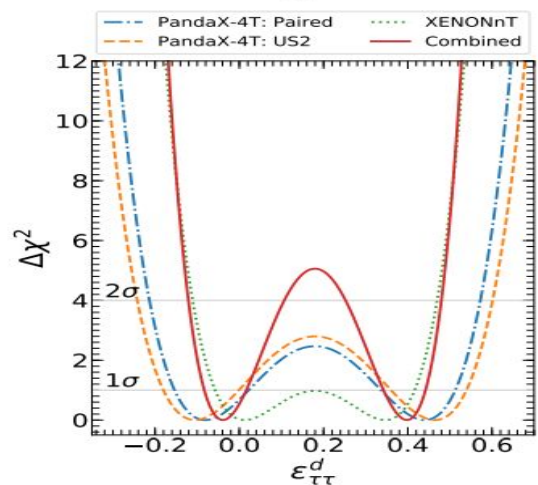
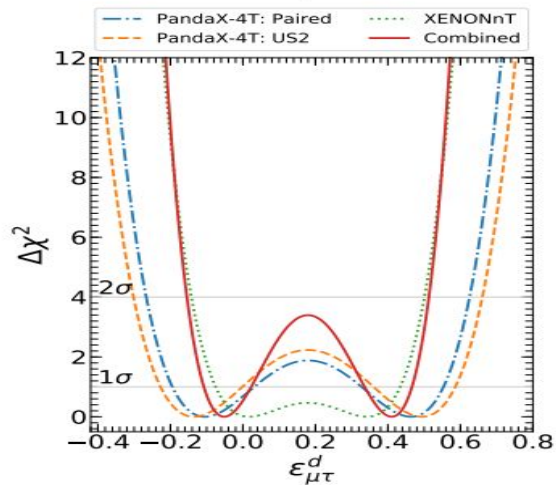
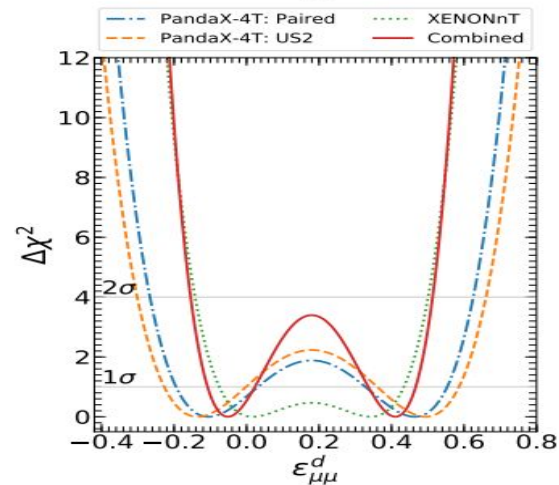
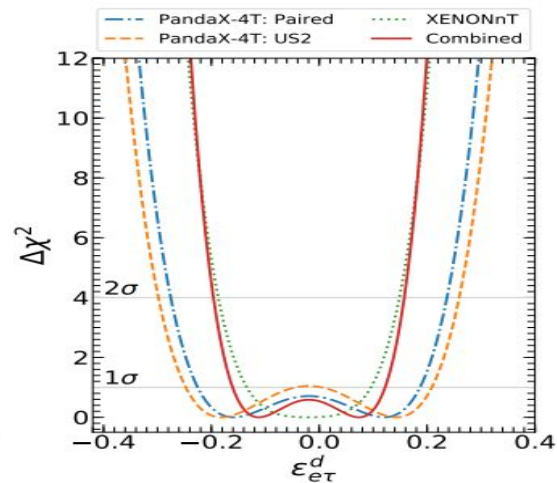
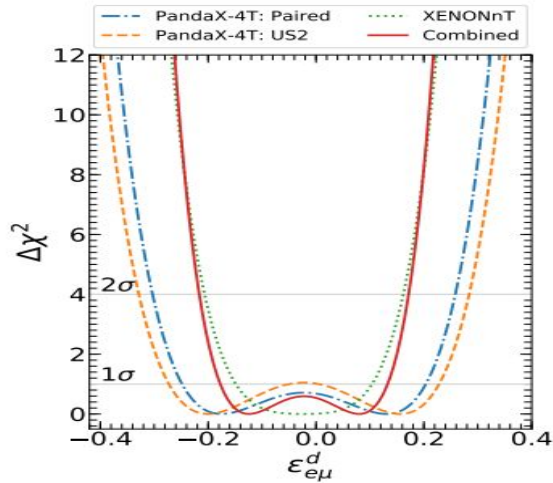
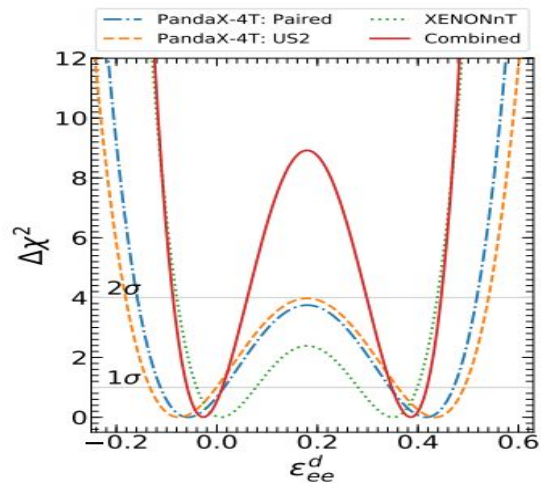
## 2-flv Analysis

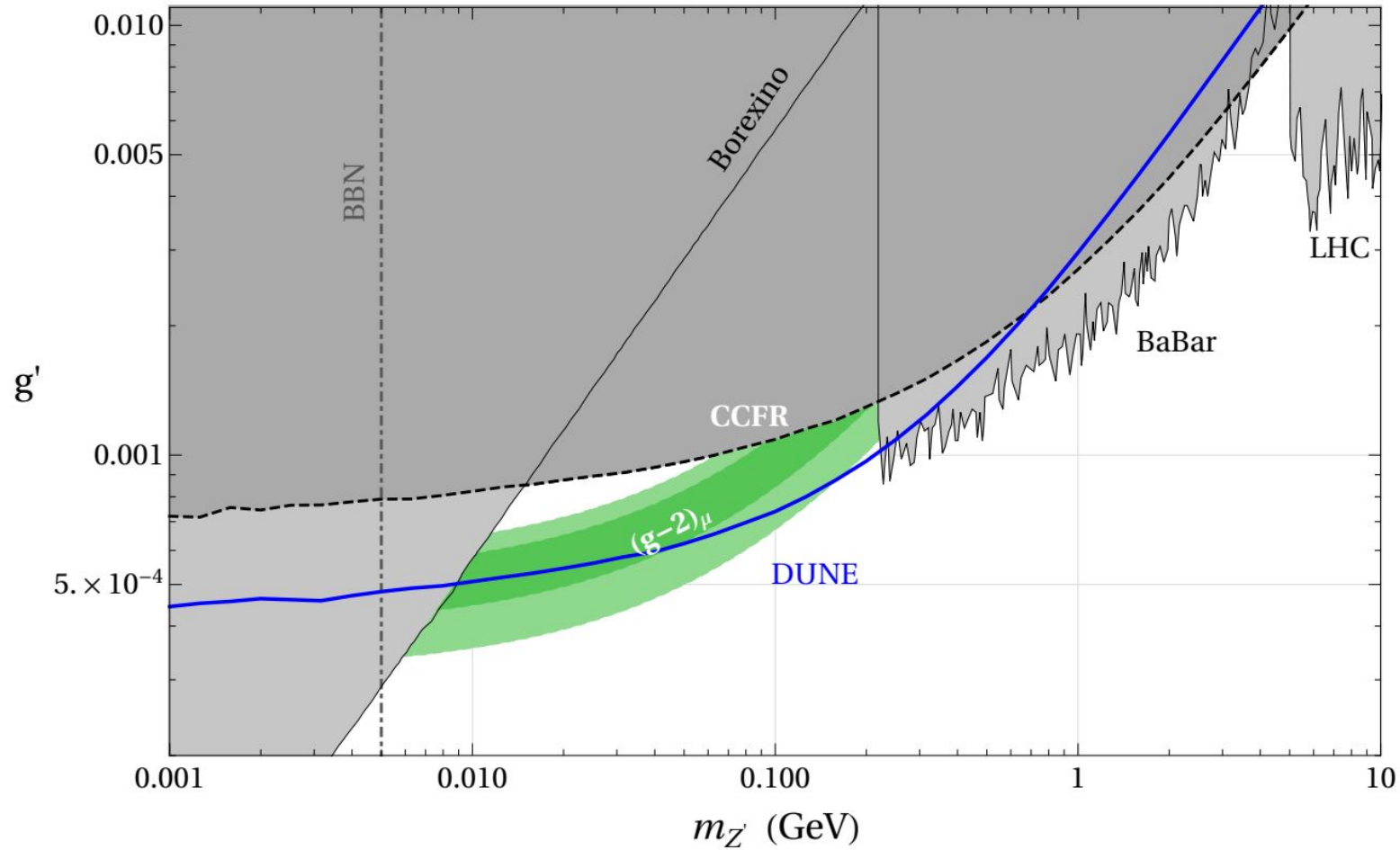


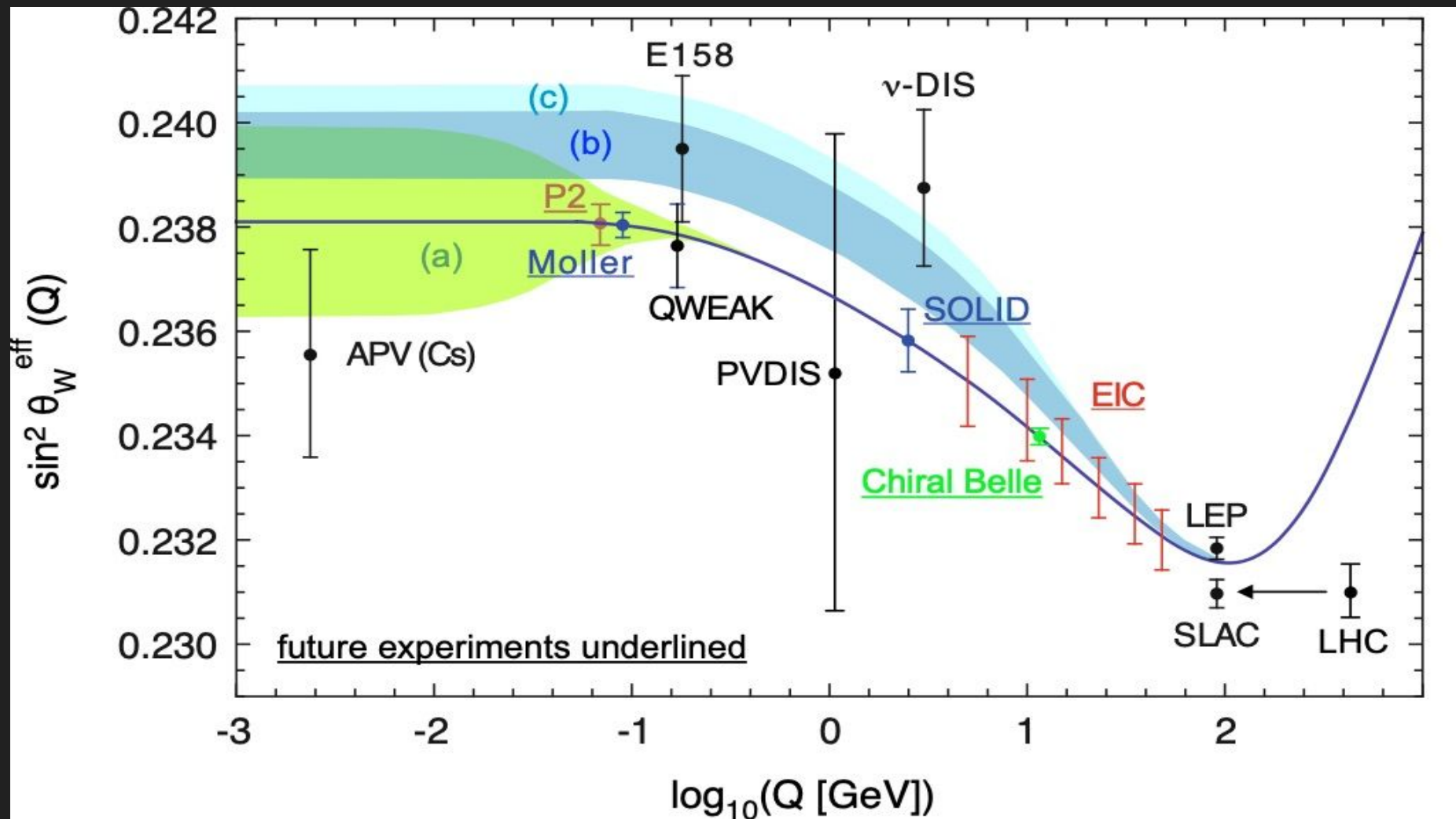
## 3-flv Analysis

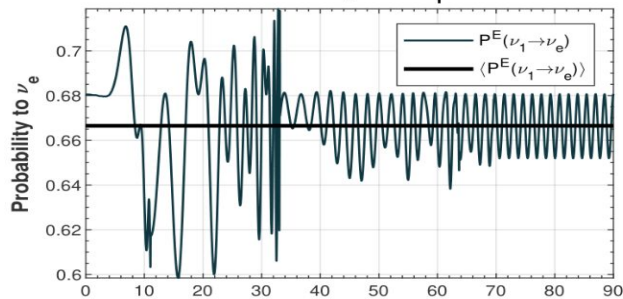
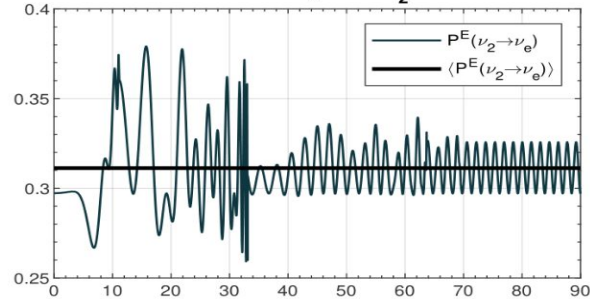
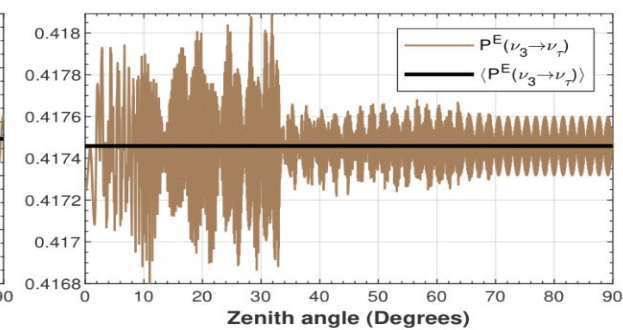
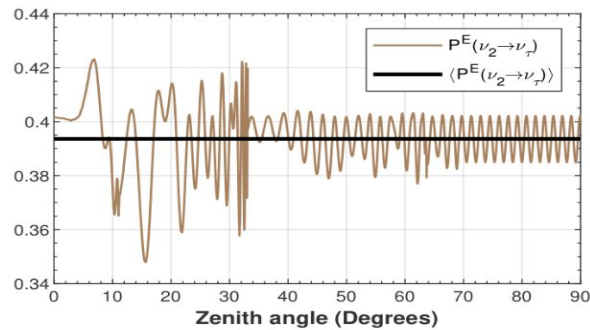
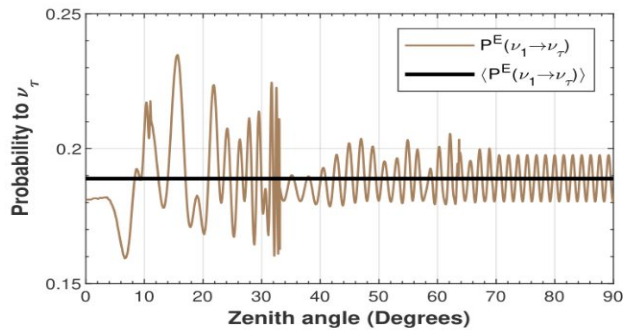
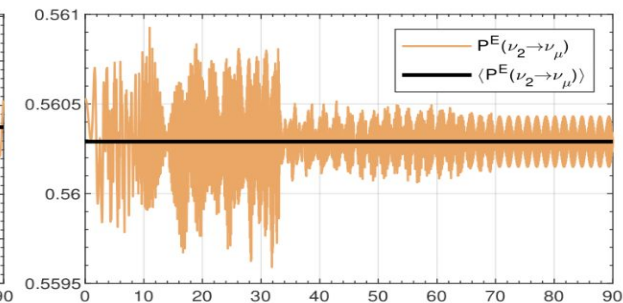
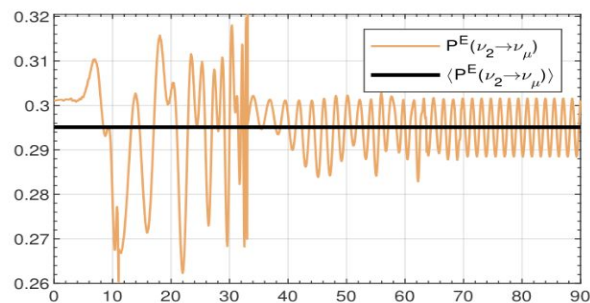
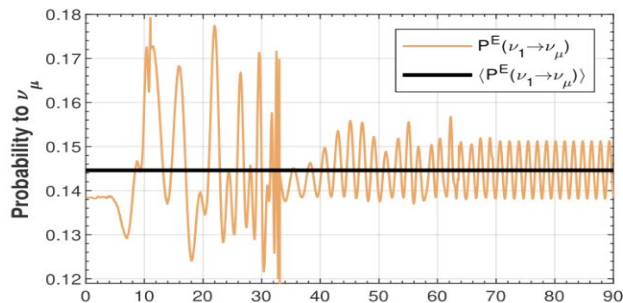
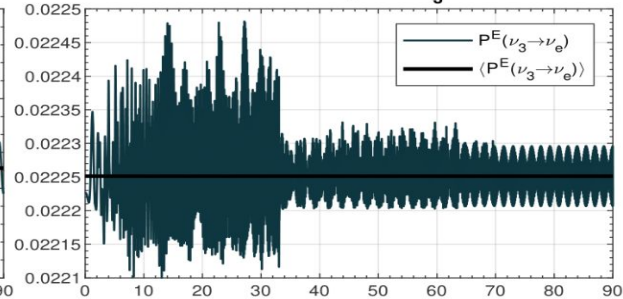










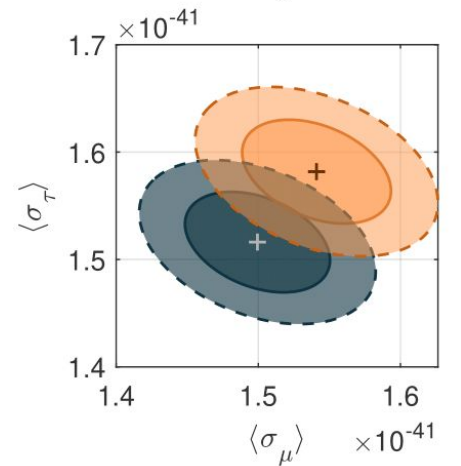
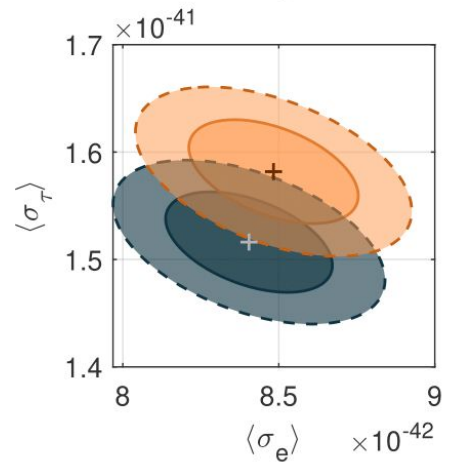
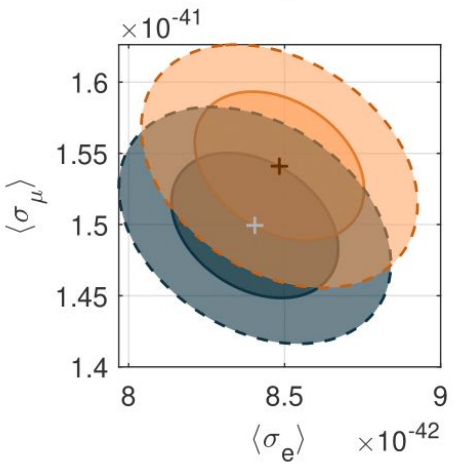
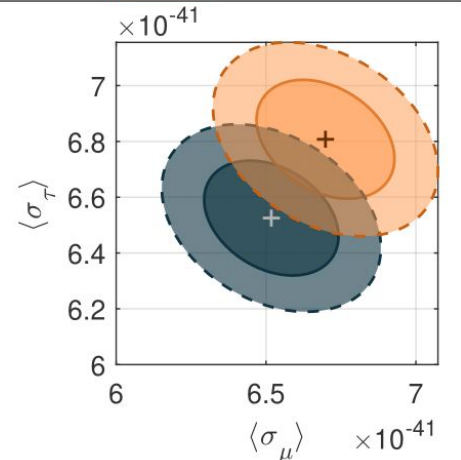
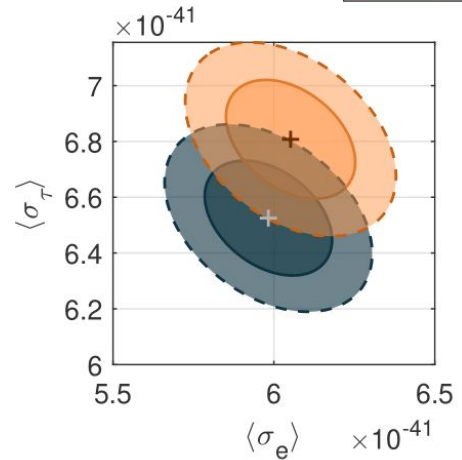
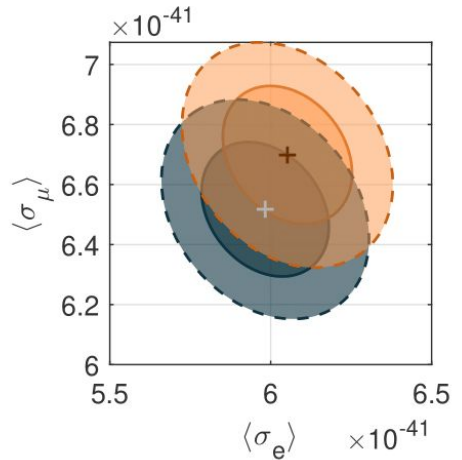
Probability from  $\nu_1$ Probability from  $\nu_2$ Probability from  $\nu_3$ 



# Argon Target

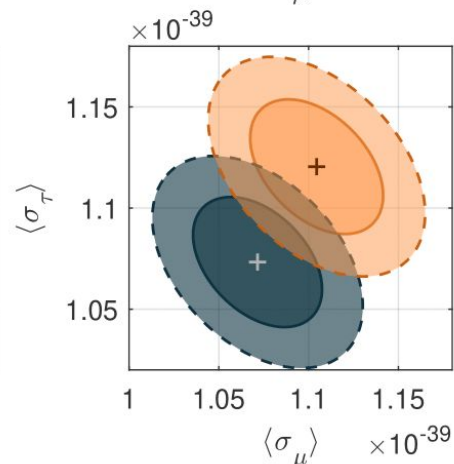
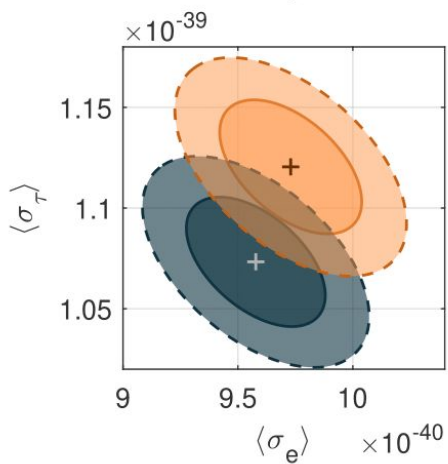
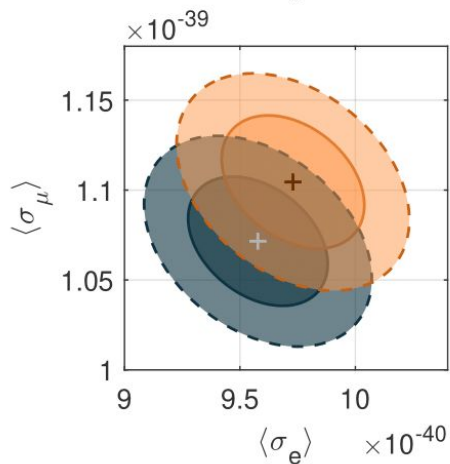
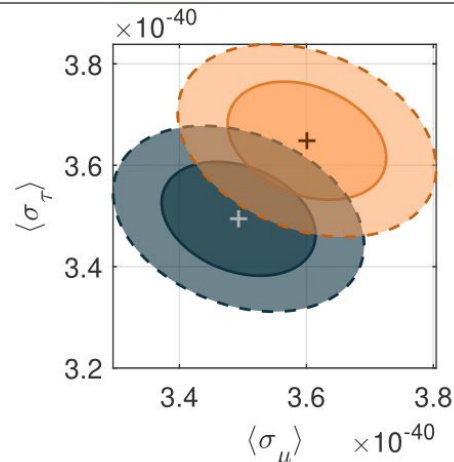
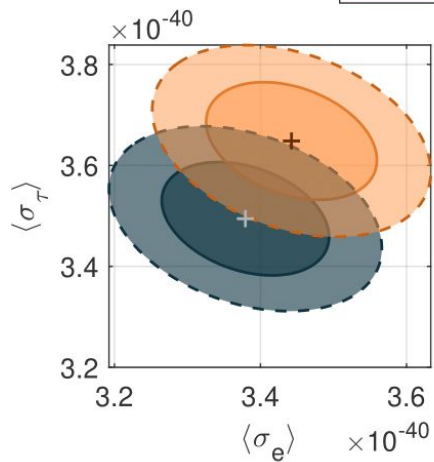
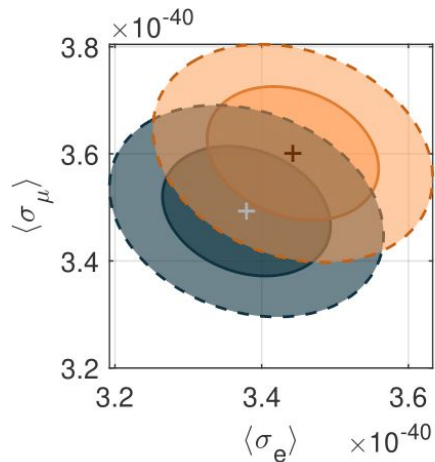
- 1 sigma		- 2 sigma	
	Tree Level		Radiative Corrections

top: Threshold = 1 keV  
 bottom: Threshold = 0.1 keV



# Xenon Target

top: Threshold = 1 keV  
bottom: Threshold = 0.1 keV



top: Ideal Detector

bottom: NEST Simulated Detector

# Xenon Target

